LeetCode Summary

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Chapter 4

树 Binary Tree, Binary Search Tree

4.1 二叉树的遍历

树的遍历有两类: 深度优先遍历和宽度优先遍历。深度优先遍历又可分为两种: 先根 (次序) 遍历和后根 (次序) 遍历。

树的先根遍历是: 先访问树的根结点, 然后依次先根遍历根的各棵子树。树的先跟遍历的结果与对应二叉树 (孩子兄弟表示法) 的先序遍历的结果相同。

树的后根遍历是: 先依次后根遍历树根的各棵子树, 然后访问根结点。树的后跟遍历的结果与对应二叉树的中序遍历的结果相同。

二叉树的先根遍历有: 先序遍历 (root -> left -> right), root -> right -> left; 后根遍历有: 后序遍历 (left -> right -> root), right -> left -> root; 二叉树还有个一般的树没有的遍历次序, 中序遍历 (left -> root -> right)。

4.1.1 Binary Tree Preorder Traversal

Given a binary tree, return the preorder traversal of its nodes' values.
For example:
Given binary tree {1,#,2,3},

```
1
 \
  2
 /
3
```

return [1,2,3].
Note: Recursive solution is trivial, could you do it iteratively?
用栈或 Morris 遍历

1. 栈：使用栈, 时间复杂度 O(n), 空间复杂度 O(n)

2. Morris 先序遍历：Morris 先序遍历, 时间复杂度 O(n), 空间复杂度 O(1)

4.1.2 Binary Tree Inorder Traversal

Given a binary tree, return the inorder traversal of its nodes' values.
For example:
Given binary tree {1,#,2,3},

```
1
 \
  2
 /
3
```

return [1,3,2].
Note: Recursive solution is trivial, could you do it iteratively?

1. 栈：使用栈, 时间复杂度 O(n), 空间复杂度 O(n)

2. Morris 先序遍历：Morris 先序遍历, 时间复杂度 O(n), 空间复杂度 O(1)

4.1.3 Binary Tree Postorder Traversal

Given a binary tree, return the postorder traversal of its nodes' values.
For example:
Given binary tree {1,#,2,3},

```
1
 \
  2
 /
3
```

return [3,2,1].
Note: Recursive solution is trivial, could you do it iteratively?

1. 栈：使用栈, 时间复杂度 O(n), 空间复杂度 O(n)

2. Morris 先序遍历：Morris 先序遍历, 时间复杂度 O(n), 空间复杂度 O(1)

4.1.4 Binary Tree Level Order Traversal

Given a binary tree, return the level order traversal of its nodes' values. (ie, from left to right, level by level).
For example:
Given binary tree {3,9,20,#,#,15,7},

```
  3
 / \
9   20
   /  \
  15   7
```

return its level order traversal as:
```
[
  [3],
  [9,20],
  [15,7]
]
```

1. 递归版

2. 迭代版

4.1.5 Binary Tree Level Order Traversal II

Given a binary tree, return the bottom-up level order traversal of its nodes' values. (ie, from left to right, level by level from leaf to root).

For example: Given binary tree {3,9,20,#,#,15,7},

```
   3
  / \
 9  20
    / \
   15   7
```
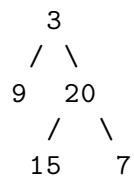
return its bottom-up level order traversal as:

```
[
  [15,7],
  [9,20],
  [3]
]
```

1. 递归版

2. 迭代版

4.1.6 Binary Tree Zigzag Level Order Traversal

Given a binary tree, return the zigzag level order traversal of its nodes' values. (ie, from left to right, then right to left for the next level and alternate between).

For example:

Given binary tree {3,9,20,#,#,15,7},

```
   3
  / \
 9  20
    / \
   15   7
```
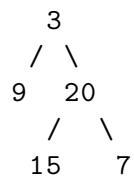
return its zigzag level order traversal as:

```
[
  [3],
  [20,9],
  [15,7]
]
```

1. 递归版

2. 迭代版

4.1.7 Recover Binary Search Tree

Two elements of a binary search tree (BST) are swapped by mistake.
Recover the tree without changing its structure.
Note:
A solution using O(n) space is pretty straight forward. Could you devise a constant space solution?
O(n) 空间的解法是, 开一个指针数组, 中序遍历, 将节点指针依次存放到数组里, 然后寻找两处逆向的位置, 先从前往后找第一个逆序的位置, 然后从后往前找第二个逆序的位置, 交换这两个指针的值。
中序遍历一般需要用到栈, 空间也是 O(n) 的, 如何才能不使用栈?Morris 中序遍历。

4.1.8 Same Tree

Given two binary trees, write a function to check if they are equal or not.
Two binary trees are considered equal if they are structurally identical and the nodes have the same value.

1. 递归版: 时间复杂度 O(n), 空间复杂度 O(logn)

2. 迭代版: 时间复杂度 O(n), 空间复杂度 O(logn)

4.1.9 Symmetric Tree

Given a binary tree, check whether it is a mirror of itself (ie, symmetric around its center).
For example, this binary tree is symmetric:

```
    1
   / \
  2   2
 / \ / \
3  4 4  3
```

But the following is not:

```
   1
  / \
 2   2
  \   \
   3   3
```

Note:
Bonus points if you could solve it both recursively and iteratively.

1. 递归版: 时间复杂度 O(n), 空间复杂度 O(logn)

2. 迭代版: 时间复杂度 O(n), 空间复杂度 O(logn)

4.1.10 Balanced Binary Tree

Given a binary tree, determine if it is height-balanced.
For this problem, a height-balanced binary tree is defined as a binary tree in which the depth of the two subtrees of every node never differ by more than 1.
时间复杂度 O(n), 空间复杂度 O(logn)

4.1.11 Flatten Binary Tree to Linked List

Given a binary tree, flatten it to a linked list in-place.
For example, Given

```
    1
   / \
  2   5
 / \   \
3   4   6
```
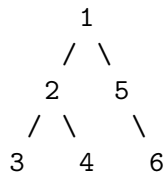
The flattened tree should look like:

```
1
 \
  2
   \
    3
     \
      4
       \
        5
         \
          6
```
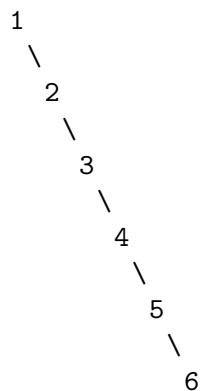
click to show hints.
    Hints:
    If you notice carefully in the flattened tree, each node's right child points to the next node of a pre-order traversal.

1. 递归版 1: 时间复杂度 O(n), 空间复杂度 O(logn)

2. 递归版 2: 时间复杂度 O(n), 空间复杂度 O(logn)

3. 迭代版: 时间复杂度 O(n), 空间复杂度 O(logn)

4.1.12 Populating Next Right Pointers in Each Node II

Follow up for problem "Populating Next Right Pointers in Each Node".
What if the given tree could be any binary tree? Would your previous solution still work?
Note:
You may only use constant extra space.
For example,
Given the following binary tree,

```
    1
   / \
  2   3
 / \   \
4   5   7
```
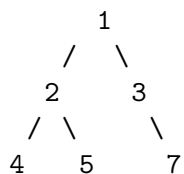
After calling your function, the tree should look like:

```
    1 -> NULL
   / \
  2 -> 3 -> NULL
 / \     \
4-> 5 -> 7 -> NULL
```

要处理一个节点, 可能需要最右边的兄弟节点, 首先想到用广搜。但广搜不是常数空间的, 本题要求常数空间。

注意, 这题的代码原封不动, 也可以解决 Populating Next Right Pointers in Each Node I.

1. 递归版: 时间复杂度 O(n), 空间复杂度 O(1)

2. 迭代版: 时间复杂度 O(n), 空间复杂度 O(1)

4.2   二叉树的构建

4.2.1   Construct Binary Tree from Preorder and Inorder Traversal

Given preorder and inorder traversal of a tree, construct the binary tree.
Note:
You may assume that duplicates do not exist in the tree.

4.2.2   Construct Binary Tree from Inorder and Postorder Traversal

Given inorder and postorder traversal of a tree, construct the binary tree.
Note:
You may assume that duplicates do not exist in the tree.

4.3   二叉树查找

4.3.1   Validate Binary Search Tree

Given a binary tree, determine if it is a valid binary search tree (BST).
Assume a BST is defined as follows:

- The left subtree of a node contains only nodes with keys less than the node's key.

- The right subtree of a node contains only nodes with keys greater than the node's key.

- Both the left and right subtrees must also be binary search trees.

  时间复杂度 O(n), 空间复杂度 O(log(n))

4.3.2   Convert Sorted Array to Binary Search Tree

Given an array where elements are sorted in ascending order, convert it to a height balanced BST.
二分法。

4.3.3 Convert Sorted List to Binary Search Tree

Given a singly linked list where elements are sorted in ascending order, convert it to a height balanced BST.

这题与上一题类似, 但是单链表不能随机访问, 而自顶向下的二分法必须需要 RandomAccessIterator, 因此前面的方法不适用本题。

存在一种自底向上 (bottom-up) 的方法, 见
http://leetcode.com/2010/11/convert-sorted-list-to-balanced-binary.html

1. 分治法：自项向下

2. 自底向上

4.4 二叉树递归

二叉树是一个递归的数据结构, 因此是一个用来考察递归思维能力的绝佳数据结构。递归一定是深搜 (见"深搜与递归的区别"), 由于在二叉树上, 递归的味道更浓些, 因此本节用"二叉树的递归"作为标题, 而不是"二叉树的深搜", 尽管本节所有的算法都属于深搜。

二叉树的先序、中序、后序遍历都可以看做是 DFS, 此外还有其他顺序的深度优先遍历, 共有 3! = 6 种。其他 3 种顺序是 root -> right -> left,right -> root -> left, right -> left -> root。

4.4.1 Minimum Depth of Binary Tree

Given a binary tree, find its minimum depth.

The minimum depth is the number of nodes along the shortest path from the root node down to the nearest leaf node.

1. 递归版: 时间复杂度 O(n), 空间复杂度 O(log(n))

2. 迭代版: 时间复杂度 O(n), 空间复杂度 O(log(n))

4.4.2 Maximum Depth of Binary Tree

Given a binary tree, find its maximum depth.

The maximum depth is the number of nodes along the longest path from the root node down to the farthest leaf node.

4.4.3 Path Sum

Given a binary tree and a sum, determine if the tree has a root-to-leaf path such that adding up all the values along the path equals the given sum.

For example:

Given the below binary tree and sum = 22,

```
      5
     / \
    4   8
   /   / \
  11  13  4
 / \      \
7   2      1
```
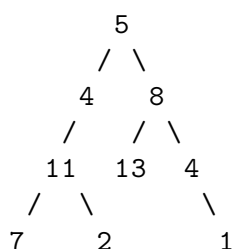
return true, as there exist a root-to-leaf path 5->4->11->2 which sum is 22.

题目只要求返回 true 或者 false, 因此不需要记录路径。

由于只需要求出一个结果, 因此, 当左、右任意一棵子树求到了满意结果, 都可以及时 return。

由于题目没有说节点的数据一定是正整数, 必须要走到叶子节点才能判断, 因此中途没法剪枝, 只能进行朴素深搜。

时间复杂度 O(n), 空间复杂度 O(log(n))

4.4.4 Path Sum II

Given a binary tree and a sum, find all root-to-leaf paths where each path's sum equals the given sum.

For example:

Given the below binary tree and sum = 22,

```
      5
     / \
    4   8
   /   / \
  11  13  4
 / \    / \
7   2  5   1
```
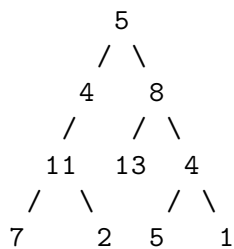
return

```
[
   [5,4,11,2],
   [5,8,4,5]
]
```

跟上一题相比, 本题是求路径本身。且要求出所有结果, 左子树求到了满意结果, 不能 return, 要接着求右子树。

时间复杂度 O(n), 空间复杂度 O(log(n))

4.4.5 Binary Tree Maximum Path Sum

Given a binary tree, find the maximum path sum.

The path may start and end at any node in the tree.

For example: Given the below binary tree,

```
  1
 / \
2   3
```
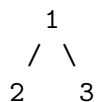
Return 6.

这题很难, 路径可以从任意节点开始, 到任意节点结束。

可以利用 "最大连续子序列和" 问题的思路, 见第?????? 节。如果说 Array 只有一个方向的话, 那么 Binary Tree 其实只是左、右两个方向而已, 我们需要比较两个方向上的值。

不过,Array 可以从头到尾遍历, 那么 Binary Tree 怎么办呢, 我们可以采用 Binary Tree 最常用的 dfs 来进行遍历。先算出左右子树的结果 L 和 R, 如果 L 大于 0, 那么对后续结果是有利的, 我们加上 L, 如果 R 大于 0, 对后续结果也是有利的, 继续加上 R。

时间复杂度 O(n), 空间复杂度 O(log(n))

4.4.6 Populating Next Right Pointers in Each Node

Given a binary tree

```
struct TreeLinkNode {
    TreeLinkNode *left;
    TreeLinkNode *right;
    TreeLinkNode *next;
}
```

Populate each next pointer to point to its next right node. If there is no next right node, the next pointer should be set to NULL.

Initially, all next pointers are set to NULL.

Note:

You may only use constant extra space.

You may assume that it is a perfect binary tree (ie, all leaves are at the same level, and every parent has two children).

For example,

Given the following perfect binary tree,

```
     1
   /   \
  2     3
 / \   / \
4   5 6   7
```

After calling your function, the tree should look like:

```
     1 -> NULL
   /   \
  2 -> 3 -> NULL
 / \   / \
4->5->6->7 -> NULL
```

时间复杂度 O(n), 空间复杂度 O(log(n))

4.4.7 Sum Root to Leaf Numbers

Given a binary tree containing digits from 0-9 only, each root-to-leaf path could represent a number.
An example is the root-to-leaf path 1->2->3 which represents the number 123.
Find the total sum of all root-to-leaf numbers.
For example,

```
  1
 / \
2   3
```

The root-to-leaf path 1->2 represents the number 12.
The root-to-leaf path 1->3 represents the number 13.
Return the sum = 12 + 13 = 25.
时间复杂度 O(n), 空间复杂度 O(log(n))

4.4.8 Binary Tree Upside Down

Given a binary tree where all the right nodes are either leaf nodes with a sibling (a left node that shares the same parent node) or empty, flip it upside down and turn it into a tree where the original right nodes turned into left leaf nodes. Return the new root.

For example:

Given a binary tree {1, 2, 3, 4, 5},

```
    1
   / \
  2   3
 / \
4   5
```
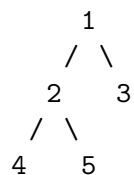
return the root of the binary tree [4, 5, 2, #, #, 3, 1].

```
   4
  / \
 5   2
    / \
   3   1
```
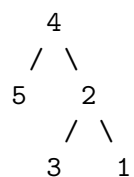
4.4.9 Binary Search Tree Iterator

Implement an iterator over a binary search tree (BST). Your iterator will be initialized with the root node of a BST.

Calling next() will return the next smallest number in the BST.

Note: next() and hasNext() should run in average O(1) time and uses O(h) memory, where h is the height of the tree.

4.5 others Covered

- Unique Binary Search Tree 14.2.4

- Unique Binary Search Tree II 14.2.5

Chapter 5

栈 Stack

5.1 Easy

5.1.1 Valid Parentheses

Given a string containing just the characters '(', ')', '{', '}', '[' and ']', determine if the input string is valid.

The brackets must close in the correct order, "()" and "()[]{}" are all valid but "(]" and "([)]" are not.

时间复杂度 O(n), 空间复杂度 O(n)。

5.2 Medium

5.2.1 Evaluate Reverse Polish Notation

Evaluate the value of an arithmetic expression in Reverse Polish Notation.

Valid operators are +, -, *, /. Each operand may be an integer or another expression.

Some examples:

```
["2", "1", "+", "3", "*"] -> ((2 + 1) * 3) -> 9
["4", "13", "5", "/", "+"] -> (4 + (13 / 5)) -> 6
```

5.2.2 Simplify Path

Given an absolute path for a file (Unix-style), simplify it.

For example,

```
path = "/home/", => "/home"
path = "/a/./b/../../c/", => "/c"
```

click to show corner cases.

Corner Cases:

```
Did you consider the case where path = "/../"?
In this case, you should return "/".
Another corner case is the path might contain multiple slashes '/' together, such as "/
In this case, you should ignore redundant slashes and return "/home/foo".
```

5.3 Hard

5.3.1 Trapping Rain Water

Given n non-negative integers representing an elevation map where the width of each bar is 1, compute how much water it is able to trap after raining.

For example,

Given [0, 1, 0, 2, 1, 0, 1, 3, 2, 1, 2, 1], return 6.
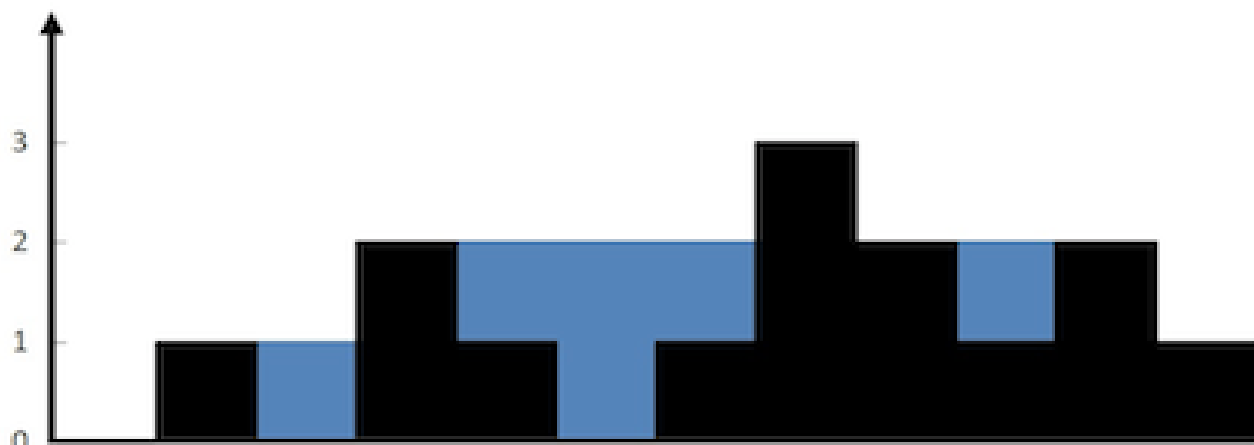
Figure 5.1: Trapping Rain Water

The above elevation map is represented by array [0, 1, 0, 2, 1, 0, 1, 3, 2, 1, 2, 1]. In this case, 6 units of rain water (blue section) are being trapped. Thanks Marcos for contributing this image!

Tags: Array, Stack, Two Pointers

对于每个柱子, 找到其左右两边最高的柱子, 该柱子能容纳的面积就是 $\min(\max_{left}, \max_{right})$ - height。所以,

1. 从左往右扫描一遍, 对于每个柱子, 求取左边最大值;

2. 从右往左扫描一遍, 对于每个柱子, 求最大右值;

3. 再扫描一遍, 把每个柱子的面积并累加。

也可以,

1. 扫描一遍, 找到最高的柱子, 这个柱子将数组分为两半;

2. 处理左边一半;

3. 处理右边一半。

1. 思路 1, 时间复杂度 O(n), 空间复杂度 O(n)

2. 思路 2, 时间复杂度 O(n), 空间复杂度 O(1)

3. 思路 3, 时间复杂度 O(n), 空间复杂度 O(n)

4.

5.3.2   Largest Rectangle in Histogram

Given n non-negative integers representing the histogram's bar height where the width of each bar is 1, find the area of largest rectangle in the histogram.

Above is a histogram where width of each bar is 1, given height = [2, 1, 5, 6, 2, 3].

The largest rectangle is shown in the shaded area, which has area = 10 unit.

For example,

Given height = [2, 1, 5, 6, 2, 3],

return 10.

简单的, 类似于 Container With Most Water(§12.6), 对每个柱子, 左右扩展, 直到碰到比自己矮的, 计算这个矩形的面积, 用一个变量记录最大的面积, 复杂度 $O(n^2)$, 会超时。

如图所示, 从左到右处理直方, 当 i = 4 时, 小于当前栈顶 (即直方 3), 对于直方 3, 无论后面还是前面的直方, 都不可能得到比目前栈顶元素更高的高度了, 处理掉直方 3(计算从直方 3 到直方 4 之间的矩形的面积, 然后从栈里弹出); 对于直方 2 也是如此; 直到碰到比直方 4 更矮的直方 1。

这就意味着, 可以维护一个递增的栈, 每次比较栈顶与当前元素。如果当前元素小于栈顶元素, 则入栈, 否则合并现有栈, 直至栈顶元素小于当前元素。结尾时入栈元素 0, 重复合并一次。

时间复杂度 O(n), 空间复杂度 O(n)。

5.3.3   Maximal Rectangle

Given a 2D binary matrix filled with 0's and 1's, find the largest rectangle containing all ones and return its area.

Tags: Array Hash Table Stack Dynamic Programming

5.4   Heap

5.4.1   Merge k sorted List

Merge k sorted linked lists and return it as one sorted list. Analyze and describe its complexity.

Tags: Divide and Conquer, Linked List, Heap

```java
public ListNode mergeTwoLists(ListNode l1, ListNode l2) {
    if (l1 == null) return l2;
    if (l2 == null) return l1;
    ListNode result;
    if (l1.val < l2.val) {
        result = l1;
        l1 = l1.next;
        result.next = null;
    } else {
        result = l2;
        l2 = l2.next;
        result.next = null;
    }
    ListNode curr = result;
    while (l1 != null && l2 != null) {
        if (l1.val < l2.val) {
            curr.next = l1;
            curr = curr.next;
            l1 = l1.next;
```

```
            curr.next = null;
        } else {
            curr.next = l2;
            curr = curr.next;
            l2 = l2.next;
            curr.next = null;
        }
    }
    if (l1 == null && l2 == null)
        return result;
    l1 = (l1 == null) ? l2 : l1;
    curr.next = l1;
    return result;
}

public ListNode mergeKLists(List<ListNode> lists) {
    if (lists.size() == 0) return null;
    if (lists.size() == 1) return lists.get(0);
    if (lists.size() == 2) return mergeTwoLists(lists.get(0), lists.get(1));
    return mergeTwoLists((mergeKLists(lists.subList(0, lists.size() / 2))),
                         (mergeKLists(lists.subList(lists.size() / 2, lists.size()))));
}
```

5.5   others Covered

- Binary Tree Preorder Traversal 4.1.1

- Binary Tree Inorder Traversal 4.1.2

- Binary Tree Postorder Traversal 4.1.3

- Binary Search Tree Iterator 4.4.9

- Binary Tree Zigzag Level Order Traversal 4.1.6

- Min Stack 19.1.2
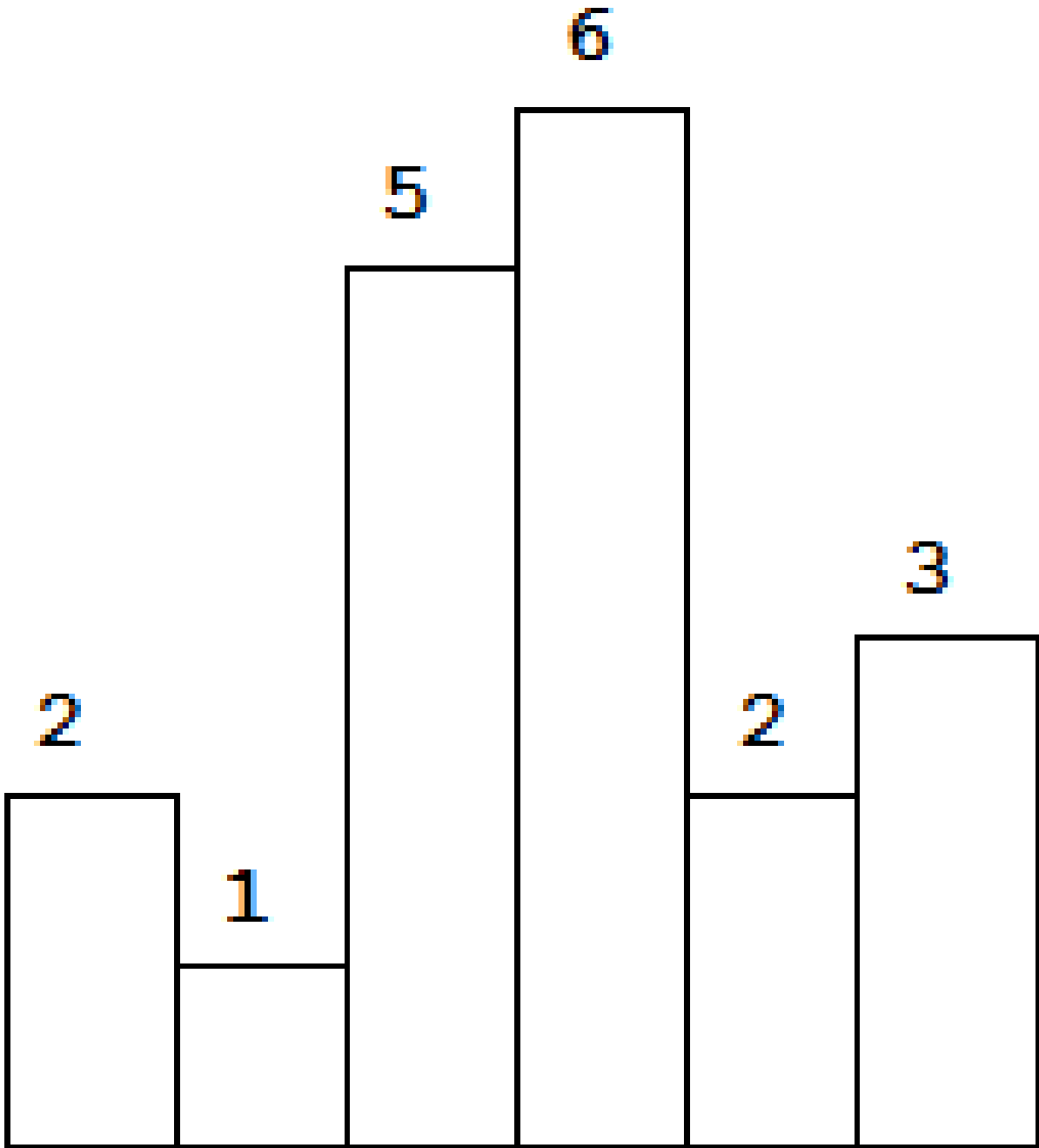
Figure 5.2: Largest Rectangle in Histogram 1
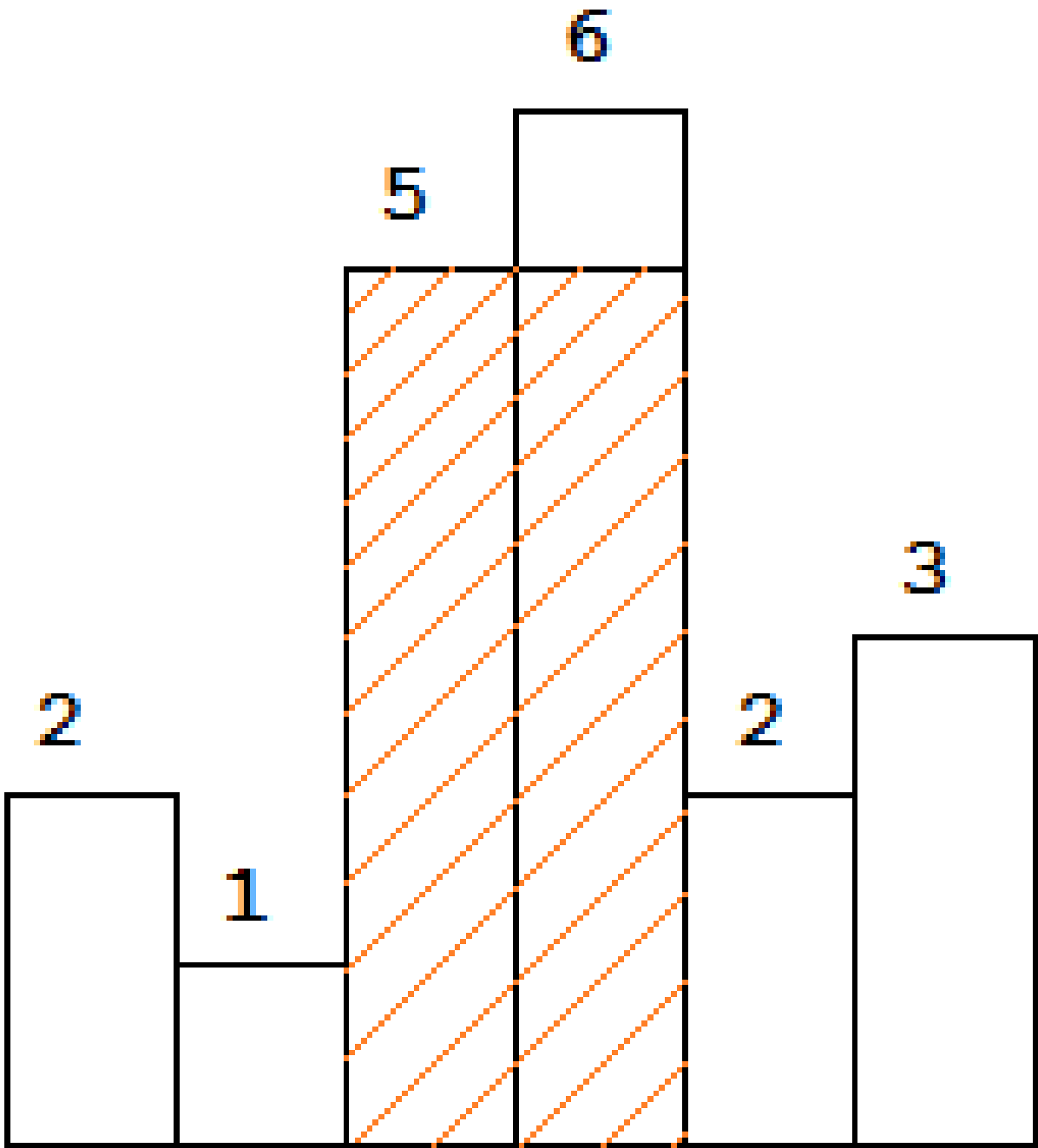
Figure 5.3: Largest Rectangle in Histogram 2

Chapter 6

Hash Table

6.1   Easy

6.1.1   Valid Sudoku

6.1.2   Two Sum III

6.2   Medium

6.2.1   Two Sum

6.2.2   4Sum

6.2.3   Binary Tree Inorder Traversal

6.2.4   Fraction to Recurring Decimal

6.2.5   Single Number

6.2.6   Anagrams

6.2.7   Longest Substring Without Repeating Characters

6.3   Hard

6.3.1   Minimum Window Substring

6.3.2   Maximal Rectangle

6.3.3   Copy List with Random Pointer

6.3.4   Sudoku Solver

6.3.5   Max Points on a Line

6.3.6   Substring with Concatenation of All Words

6.3.7   Longest Substring with At Most Two Distinct Characters

Chapter 7

广度优先搜索 Breadth First Search

7.1 Easy

7.1.1 Binary Tree Level Order Traversal

7.1.2 Binary Tree Level Order Traversal II

7.2 Medium

7.2.1 Word Ladder

Given two words (start and end), and a dictionary, find the length of shortest transformation sequence from start to end, such that:

- Only one letter can be changed at a time

- Each intermediate word must exist in the dictionary

For example,
Given:

```
start = "hit"
end = "cog"
dict = ["hot","dot","dog","lot","log"]
As one shortest transformation is "hit" -> "hot" -> "dot" -> "dog" -> "cog",
return its length 5.
```

Note:

- Return 0 if there is no such transformation sequence.

- All words have the same length.

- All words contain only lowercase alphabetic characters.

7.2.2 Surrounded Regions

7.2.3 Clone Graph

7.2.4 Binary Tree Zigzag Level Order Traversal

7.2.5 Minimum Depth of Binary Tree

7.3 Hard

7.3.1 Word Ladder II

Chapter 8

深度优先搜索 Depth First Search

8.1 Easy

8.2 Medium

8.3 Hard

Chapter 9

排序

9.1 Medium

9.1.1 Sort Colors

9.1.2 Sort List

9.1.3 Largest Number

9.2 Hard

9.2.1 Insertion Sort List

9.2.2 Maximum Gap

9.2.3 Merge Intervals

9.2.4 Insert Interval

Chapter 10

查找 Binary Search

10.1 Medium

10.1.1 Sqrt(x)

10.1.2 Divide Two Integers

10.1.3 Search in Rotated Sorted Array II

10.1.4 Two Sum II - Input array is sorted

10.1.5 Pow(x, n)

10.1.6 Search for a Range

10.1.7 Search a 2D Matrix

10.1.8 Find Minimum in Rotated Sorted Array

10.1.9 Search Insert Position

10.1.10 Find Peak Element

10.2 Hard

10.2.1 Median of Two Sorted Arrays

10.2.2 Dungeon Game

10.2.3 Find Minimum in Rotated Sorted Array II

10.2.4 Search in Rotated Sorted Array

Chapter 11

暴力枚举法

11.1

11.1.1

Chapter 12

分治法 Divide and Conqure

12.1 Easy

12.1.1 Majority Element

Given an array of size n, find the majority element. The majority element is the element that appears more than $n/2$ times.

You may assume that the array is non-empty and the majority element always exist in the array.
Credits:
Special thanks to @ts for adding this problem and creating all test cases.
Tags: Divide and Conquer, Array, Bit Manipulation

12.2 Medium

12.2.1 Maximum Subarray

Find the contiguous subarray within an array (containing at least one number) which has the largest sum.

For example, given the array [-2, 1, -3, 4, -1, 2, 1, -5, 4],

the contiguous subarray [4, -1, 2, 1] has the largest sum = 6.

click to show more practice.

More practice:

If you have figured out the O(n) solution, try coding another solution using the divide and conquer approach, which is more subtle.

Tags: Divide and Conquer, Array, Dynamic Programming

12.3 Hard

12.3.1 Merge K sorted List

Merge k sorted linked lists and return it as one sorted list. Analyze and describe its complexity.
Tags: Divide and Conquer Linked, List, Heap

12.3.2   Median of Two Sorted Array

There are two sorted arrays A and B of size m and n respectively. Find the median of the two sorted arrays. The overall run time complexity should be O(log (m+n)).

Tags: Divide and Conquer, Array, Binary Search

Chapter 13

贪心法 Greedy Search

13.1   Medium

13.1.1   Gas Station

There are N gas stations along a circular route, where the amount of gas at station i is gas[i].

You have a car with an unlimited gas tank and it costs cost[i] of gas to travel from station i to its next station (i+1). You begin the journey with an empty tank at one of the gas stations.

Return the starting gas station's index if you can travel around the circuit once, otherwise return -1.

Note:

The solution is guaranteed to be unique.

13.1.2   Best Time to Buy and Sell Stock II

Say you have an array for which the ith element is the price of a given stock on day i.

Design an algorithm to find the maximum profit. You may complete as many transactions as you like (ie, buy one and sell one share of the stock multiple times). However, you may not engage in multiple transactions at the same time (ie, you must sell the stock before you buy again).

13.1.3   Jump Game

Given an array of non-negative integers, you are initially positioned at the first index of the array.

Each element in the array represents your maximum jump length at that position.

Determine if you are able to reach the last index.

For example:

A = [2,3,1,1,4], return true.

A = [3,2,1,0,4], return false.

13.2   Hard

13.2.1   Jump Game II

Given an array of non-negative integers, you are initially positioned at the first index of the array.

Each element in the array represents your maximum jump length at that position.

Your goal is to reach the last index in the minimum number of jumps.

For example:

Given array A = [2,3,1,1,4]

The minimum number of jumps to reach the last index is 2. (Jump 1 step from index 0 to 1, then 3 steps to the last index.)

13.2.2   Candy

There are N children standing in a line. Each child is assigned a rating value.

You are giving candies to these children subjected to the following requirements:

Each child must have at least one candy.

Children with a higher rating get more candies than their neighbors.

What is the minimum candies you must give?

13.2.3   Wildcard Matching

Implement wildcard pattern matching with support for '?' and '*'.

```
'?' Matches any single character.
'*' Matches any sequence of characters (including the empty sequence).
```

The matching should cover the entire input string (not partial).

The function prototype should be:

bool isMatch(const char *s, const char *p)

Some examples:

```
isMatch("aa","a") → false
isMatch("aa","aa") → true
isMatch("aaa","aa") → false
isMatch("aa", "*") → true
isMatch("aa", "a*") → true
isMatch("ab", "?*") → true
isMatch("aab", "c*a*b") → false
```

Tags: Dynamic Programming, Backtracking, Greedy, String

Chapter 14

动态归划 Dynamic Programming

14.1 Easy

14.1.1 Climbing Stairs

You are climbing a stair case. It takes n steps to reach to the top.
Each time you can either climb 1 or 2 steps. In how many distinct ways can you climb to the top?

1. O(n)

```java
public int climbStairs(int n) {
    int [] res = new int[n + 1];
    res[0] = 1; // 1 stair
    res[1] = 2; // 2 stair
    for (int i = 2; i < n; i++)
        res[i] = res[i - 2] + res[i - 1];
    return res[n - 1];
}
```

Considering odd and even, 实现滚动数组

```java
public int climbStairs(int n) {
    if(n <= 0) return 0;
    int [] stairs = {1, 2};
    for(int i = 2;i < n; i++)
        stairs[i % 2] = stairs[0] + stairs[1];
    return n % 2 == 0 ? stairs[1] : stairs[0];
}
```

2. O(log(n))

   https://oj.leetcode.com/discuss/11211/o-log-n-solution-with-matrix-multiplication

   Most solutions are DP with runtime O(n) and O(1) space, the only O(log(n)) solution so far is lucastan's using Binet's formula.

   There actually is a matrix multiplication solution which also runs in O(log(n)). It basically calculates fibonacci numbers by power of matrix ((0, 1), (1, 1)) ^ (n-1).

```java
private int[][] pow(int[][] a, int n) {
    int[][] ret = {{1, 0}, {0, 1}};
```

```java
        while (n > 0) {
            if ((n & 1) == 1)
                ret = multiply(ret, a);
            n >>= 1;
            a = multiply(a, a);
        }
        return ret;
    }

    private int[][] multiply(int[][] a, int[][] b) {
        int[][] c = new int[2][2];
        for (int i = 0; i < 2; i++)
            for (int j = 0; j < 2; j++)
                c[i][j] = a[i][0] * b[0][j] + a[i][1] * b[1][j];
        return c;
    }

    public int climbStairs(int n) {
        int[][] a = {{0, 1}, {1, 1}};
        int[][] m = pow(a, n - 1);
        return m[0][1] + m[1][1];
    }
```

14.2 Medium

14.2.1 Unique Path

A robot is located at the top-left corner of a m x n grid (marked 'Start' in the diagram below).

The robot can only move either down or right at any point in time. The robot is trying to reach the bottom-right corner of the grid (marked 'Finish' in the diagram below).

How many possible unique paths are there?

Above is a 3 x 7 grid. How many possible unique paths are there?

Note: m and n will be at most 100.

这里 Note 的含义是: 如果数值过大会溢出的。–《靖空间》

方法论总结：遇上新颖没见过的题目：

- 查看其特征；

- 搜索大脑有什么熟悉的题目，可以套的，或者相似的可以退到出来的；

- 罗列出来这些题目：全排列，水槽，TwoSum，等等；

- 搜索大脑里面有什么熟悉的算法；

- 罗列出来：动态规划法，递归，回溯，二叉树遍历，贪心法，递归树，分治法，观察特征计算法，等等，肯定有可以套的算法的！

- 最后选定算法解题；

- 没有优化的算法，可以使用暴力法，先解决再说！

Figure 14.1: Unique Path

最后实在没招了，想办法让人提示，主要是提示用什么算法，能给个思路更好了，O(∩)O~

1. 深搜，递归法

   深搜, 小集合可以过, 大集合会超时；时间复杂度 $O(n^4)$, 空间复杂度 $O(n)$；

   ```java
   public int uniquePaths(int m, int n) {
       if (m < 1 || n < 1) return 0;   // 终止条件
       if (m == 1 && n == 1) return 1; // 收敛条件
       return uniquePaths(m - 1, n) + uniquePaths(m, n - 1);
   }
   ```

2. 备忘录法: 时间复杂度 $O(n^2)$, 空间复杂度 $O(n^2)$

   给前面的深搜, 加个缓存, 就可以过大集合了。即备忘录法。

   ```java
   // 深搜 + 缓存即备忘录法,
   // 时间复杂度 O(n^2), 空间复杂度 O(n^2)
   class Solution {
       private int [][] f;     // 缓存

       public int dfs(int x, int y) {
           if (x < 1 || y < 1) return 0;   // 数据非法终止条件,
           if (x == 1 && y == 1) return 1; // 回到起点收敛条件,
           return getOrUpdate(x - 1, y) + getOrUpdate(x, y - 1);
       }

       public int getOrUpdate(int x, int y) {
           if (f[x][y] > 0) return f[x][y];
           else return f[x][y] = dfs(x, y);
       }

       public int uniquePaths(int m, int n) {
           // 0 行和 0 列未使用
   ```

```java
        f = new int[m + 1][n + 1]; // 缓存
        return dfs(m, n);
    }
}
```

3. 动态规划

算法 1 的递归解法中，其实我们计算了很多重复的子问题，比如计算 uniquePaths(4, 5) 和 uniquePaths(5, 3) 时都要计算子问题 uniquePaths(3,2)，再者由于 uniquePaths(m, n) = uniquePaths(n, m)，这也使得许多子问题被重复计算了。

要保存子问题的状态，这样很自然的就想到了动态规划方法，设 dp[i][j] = uniquePaths(i, j)，那么动态规划方程为：

动态方程: dp[i][j] = dp[i-1][j] + dp[i][j-1]

边界条件：dp[i][1] = 1, dp[1][j] = 1

```java
public int uniquePaths(int m, int n) {
    if (m == 0 || n == 0) return 1;
    else if (m == 1 && n == 1) return 1;

    int [][] dp = new int[m][n];
    for (int i = 0; i < n; i++)
        dp[0][i] = 1;
    for (int i = 0; i < m; i++)
        dp[i][0] = 1;
    dp[0][0] = 0;
    for (int i = 1; i < m; i++)
        for (int j = 1; j < n; j++)
            dp[i][j] = dp[i][j - 1] + dp[i - 1][j];
    return dp[m-1][n-1];
}
```

滚动数组

```cpp
// 动规滚动数组,
// 时间复杂度 O(n^2), 空间复杂度 O(n)
int uniquePaths(int m, int n) {
    vector<int> f(n, 0);
    f[0] = 1;
    for (int i = 0; i < m; i++) {
        for (int j = 1; j < n; j++) {
            // 左边的 f[j], 表示更新后的 f[j], 与公式中的 f[i[[j] 对应
            // 右边的 f[j], 表示老的 f[j], 与公式中的 f[i-1][j] 对应
            f[j] = f[j - 1] + f[j];
        }
    }
    return f[n - 1];
}
```

4. 组合数（C_{m+n-2}^{m-1} ）

一个 m 行, n 列的矩阵, 机器人从左上走到右下总共需要的步数是 m + n - 2, 其中向下走的步数是 m - 1, 因此问题变成了在 m + n - 2 个操作中, 选择 m - 1 个时间点向下走, 选择方式有多少种。即 C_{m+n-2}^{m-1}。这里需要注意的是求组合数时防止乘法溢出。

```java
public int combination(int a, int b) {
    if (b > (a >>> 1)) b = a - b;
    long res = 1;
    for (int i = 1; i <= b ; i++)
        res = res * (a - i + 1) / i;
    return (int)res;
}


public int uniquePaths(int m, int n) {
    return combination(m + n - 2, m - 1);
}
```

14.2.2 Unique Path with Obstacles

Follow up for "Unique Paths":

Now consider if some obstacles are added to the grids. How many unique paths would there be?

An obstacle and empty space is marked as 1 and 0 respectively in the grid.

For example, There is one obstacle in the middle of a 3x3 grid as illustrated below.

```
[
  [0,0,0],
  [0,1,0],
  [0,0,0]
]
```

The total number of unique paths is 2.

Note: m and n will be at most 100.

1. 备忘录法

```cpp
// LeetCode, Unique Paths II
// 深搜 + 缓存, 即备忘录法
class Solution {
public:
    int uniquePathsWithObstacles(vector<vector<int> > &obstacleGrid) {
        const int m = obstacleGrid.size();
        const int n = obstacleGrid[0].size();
        // 0 行和 0 列未使用
        this->f = vector<vector<int> >(m + 1, vector<int>(n + 1, 0));
        return dfs(obstacleGrid, m, n);
    }

private:
    vector<vector<int> > f;                        // 缓存
    int dfs(const vector<vector<int> > &obstacleGrid,
            int x, int y) {
        if (x < 1 || y < 1) return 0;              // 数据非法终止条件,
```

```cpp
            if (obstacleGrid[x-1][y-1]) return 0; // (x,y) 是障碍
            if (x == 1 and y == 1) return 1;      // 回到起点收敛条件,
            return getOrUpdate(obstacleGrid, x - 1, y) +
                    getOrUpdate(obstacleGrid, x, y - 1);
        }
        int getOrUpdate(const vector<vector<int> > &obstacleGrid,
                        int x, int y) {
            if (f[x][y] > 0) return f[x][y];
            else return f[x][y] = dfs(obstacleGrid, x, y);
        }
    };
```

2. 动态规划

    与上一题类似, 但要特别注意第一列的障碍。在上一题中, 第一列全部是 1, 但是在这一题中不同, 第一列如果某一行有障碍物, 那么后面的行应该为 0。

```java
public int uniquePathsWithObstacles(int[][] obstacleGrid) {
    int m = obstacleGrid.length;
    int n = obstacleGrid[0].length;
    if (m == 0 || n == 0) return 0;
    else if (obstacleGrid[0][0] == 1 || obstacleGrid[m - 1][n - 1] == 1) return 0;
    else if (m == 1 || n == 1) return obstacleGrid[m-1][n-1] == 1 ? 0 : 1;

    int [][] arr = new int[m][n];
    for (int i = 0; i < n; i++)
        if (obstacleGrid[0][i] == 1) {
            for (int j = i; j < n; j++)
                arr[0][j] = 0;
            i = n;
        } else arr[0][i] = 1;

    for (int i = 0; i < m; i++)
        if (obstacleGrid[i][0] != 1)
            arr[i][0] = 1;
        else
            for (int j = i; j < m; j++) {
                arr[j][0] = 0;
                i = m;
            }

    arr[0][0] = 0;
    for (int i = 1; i < m; i++) {
        for (int j = 1; j < n; j++) {
            if (obstacleGrid[i][j] == 1)
                arr[i][j] = 0;
            else
                arr[i][j] = arr[i][j - 1] + arr[i - 1][j];
        }
    }
    return arr[m-1][n-1];
}
```

14.2.3 Minimum Path Sum

Given a m x n grid filled with non-negative numbers, find a path from top left to bottom right which minimizes the sum of all numbers along its path.

Note: You can only move either down or right at any point in time.

跟 Unique Paths (见 §10.2) 很类似。设状态为 f[i][j], 表示从起点 (0, 0) 到达 (i, j) 的最小路径和, 则状态转移方程为:

转移方程: f[i][j] = min(f[i-1][j], f[i][j-1]) + grid[i][j]

1. 备忘录法

   代码应该可以再优化一下。

```java
private int [][] f;

private int getOrUpdate(int [][] grid, int x, int y) {
    if (x < 0 || y < 0) return Integer.MAX_VALUE;
    if (f[x][y] >= 0) return f[x][y];
    else {
        f[x][y] = dfs(grid, x, y);
        return f[x][y];
    }
}

private int dfs(int [][] grid, int x, int y) {
    if (x < 0 || y < 0) return Integer.MAX_VALUE;
    if (x == 0 && y == 0) return grid[0][0];
    return Math.min(getOrUpdate(grid, x - 1, y),
                    getOrUpdate(grid, x, y - 1)) + grid[x][y];
}

public int minPathSum(int[][] grid) {
    int m = grid.length;
    int n = grid[0].length;
    f = new int[m][n];
    for (int i = 0; i < m; i++)
        for (int j = 0; j < n; j++)
            f[i][j] = -1;
    return dfs(grid, m - 1, n - 1);
}
```

2. 动态规划

```java
public int minPathSum(int[][] grid) {
    int m = grid.length;
    int n = grid[0].length;
    if (m == 0 || n == 0) return 0;

    int [][] f = new int[m][n];
    f[0][0] = grid[0][0];
    for (int i = 1; i < n; i++)
        f[0][i] = f[0][i - 1] + grid[0][i];
    for (int i = 1; i < m; i++)
```

```
            f[i][0] = f[i - 1][0] + grid[i][0];

        for (int i = 1; i < m; i++)
            for (int j = 1; j < n; j++)
                f[i][j] = Math.min(f[i][j - 1], f[i - 1][j]) + grid[i][j];
        return f[m-1][n-1];
    }
```

3. 动态规划 + 滚动数组

14.2.4 Unique Binary Search Tree

Given n, how many structurally unique BST's (binary search trees) that store values 1…n?
For example, Given n = 3, there are a total of 5 unique BST's.

```
1           3       3       2       1
 \         /       /       / \       \
  3       2       1       1   3       2
 /       /         \               \
2       1           2               3
```
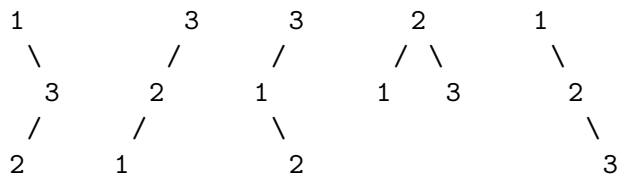
如果把上例的顺序改一下, 就可以看出规律了。《水中的鱼》

```
1               1                   2               3           3
 \               \                 / \             /           /
  3               2               1   3           2           1
 /                 \                             /             \
2                   3                           1               2
```
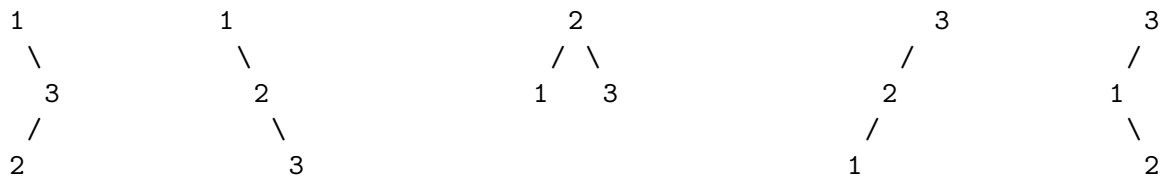
比如，以 1 为根的树有几个，完全取决于有二个元素的子树有几种。同理，2 为根的子树取决于一个元素的子树有几个。以 3 为根的情况，则与 1 相同。

定义 Count[i] 为以 [0,i] 能产生的 Unique Binary Tree 的数目，

如果数组为空，毫无疑问，只有一种 BST，即空树，Count[0] =1

如果数组仅有一个元素 {1}，只有一种 BST，单个节点, Count[1] = 1

如果数组有两个元素 {1,2}，那么有如下两种可能

```
1                   2
 \                 /
  2               1
Count[2] = Count[0] * Count[1]    ( 1 为根的情况 )
         + Count[1] * Count[0]    ( 2 为根的情况 )
```
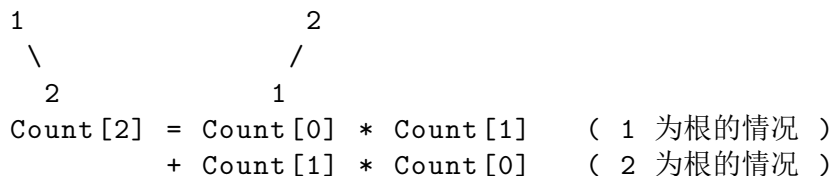
再看一遍三个元素的数组，可以发现 BST 的取值方式如下：

```
Count[3] = Count[0]*Count[2]   ( 1 为根的情况 )
         + Count[1]*Count[1]   ( 2 为根的情况 )
         + Count[2]*Count[0]   ( 3 为根的情况 )
```

所以，由此观察，当数组为 1, 2, 3, …, n 时, 基于以下原则的构建的 BST 树具有唯一性: 以 i 为根节点的树, 其左子树由 [1, i-1] 构成, 其右子树由 [i+1, n] 构成。

可以得出 Count 的递推公式为

$Count(i) = \sum_{k=1}^{i} Count(k - 1) * Count(i - k)$

问题至此划归为一维动态规划。

```
public int numTrees(int n) {
    int [] cnt = new int[n + 1];
    cnt[0] = 1; // empty element
    cnt[1] = 1; // one element
    for (int i = 2; i <= n ; i++)
        for (int j = 0; j < i; j++)
            cnt[i] += cnt[j]*cnt[i - 1 - j];
    return cnt[n];
}
```

14.2.5   Unique Binary Search Tree II

Given n, generate all structurally unique BST's (binary search trees) that store values 1···n.
For example,
Given n = 3, your program should return all 5 unique BST's shown below.

```
1           3       3       2       1
 \         /       /       / \       \
  3       2       1       1   3       2
 /       /         \                   \
2       1           2                   3
```
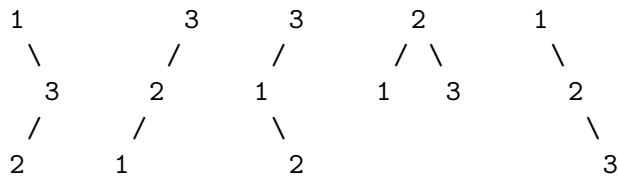
```
public List<TreeNode> helper(int bgn, int end) {
    List<TreeNode> res = new ArrayList<TreeNode>();
    if (bgn > end) {
        res.add(null);  // important
        return res;
    }

    List<TreeNode> left = null;
    List<TreeNode> right = null;
    TreeNode root = null;
    for (int i = bgn; i <= end ; i++) {
        left = helper(bgn, i - 1);
        right = helper(i + 1, end);
        for (int j = 0; j < left.size(); j++) {
            for (int k = 0; k < right.size(); k++) {
                root = new TreeNode(i);
                root.left = left.get(j);
                root.right = right.get(k);
                res.add(root);
                root = null;
            }
        }
        left = null;
        right = null;
    }
    return res;
}

public List<TreeNode> generateTrees(int n) {
```

```
    return helper(1, n);
}
```

14.2.6   Maximum Sum Subarray

Find the contiguous subarray within an array (containing at least one number) which has the largest sum.

For example, given the array [-2, 1, -3, 4, -1, 2, 1, -5, 4],

the contiguous subarray [4, -1, 2, 1] has the largest sum = 6.

click to show more practice.

More practice:

If you have figured out the O(n) solution, try coding another solution using the divide and conquer approach, which is more subtle.

Tags: Divide and Conquer, Array, Dynamic Programming

分析:

最大连续子序列和, 非常经典的题。

当我们从头到尾遍历这个数组的时候, 对于数组里的一个整数, 它有几种选择呢? 它只有两种选择: 1、加入之前的 SubArray; 2. 自己另起一个 SubArray。那什么时候会出现这两种情况呢?

- 如果之前 SubArray 的总体和大于 0 的话, 我们认为其对后续结果是有贡献的。这种情况下我们选择加入之前的 SubArray

- 如果之前 SubArray 的总体和为 0 或者小于 0 的话, 我们认为其对后续结果是没有贡献, 甚至是有害的 (小于 0 时)。这种情况下我们选择以这个数字开始, 另起一个 SubArray。

设状态为 f[j], 表示以 S[j] 结尾的最大连续子序列和, 则状态转移方程如下:

```
f[j] = max (f[j-1] + S[j], S[j]) , 其中 1 ≤ j ≤ n
target = max (f[j]) , 其中 1 ≤ j ≤ n
```

解释如下:

情况一, S[j] 不独立, 与前面的某些数组成一个连续子序列, 则最大连续子序列和为 f[j-1] + S[j]。

情况二, S[j] 独立划分成为一段, 即连续子序列仅包含一个数 S[j], 则最大连续子序列和为 S[j]。

其他思路:

- 思路 2: 直接在 i 到 j 之间暴力枚举, 复杂度是 $O(n^3)$

- 思路 3: 处理后枚举, 连续子序列的和等于两个前缀和之差, 复杂度 $O(n^2)$。

- 思路 4: 分治法, 把序列分为两段, 分别求最大连续子序列和, 然后归并, 复杂度 O(n*(log(n)))

- 思路 5: 把思路 2 $O(n^2)$ 的代码稍作处理, 得到 O(n) 的算法

- 思路 6: 当成 M = 1 的最大 M 子段和

1. 动态规划：时间复杂度 O(n), 空间复杂度 O(1)

    ```java
    public int maxSubArray(int[] a) {
        int result = Integer.MIN_VALUE, f = 0;
        for (int i = 0; i < a.length; i++) {
            f = Math.max(f + a[i], a[i]);
            result = Math.max(result, f);
        }
        return result;
    }
    ```

2. 思路 5: 时间复杂度 O(n), 空间复杂度 O(n)

```java
public int maxSubArray(int[] a) {
    int result, curMin;
    int [] sum = new int[a.length + 1];
    sum[0] = 0;
    result = Integer.MIN_VALUE;
    curMin = sum[0];
    for (int i = 1; i <= a.length; i++)
        sum[i] = sum[i - 1] + a[i - 1];
    for (int i = 1; i <= a.length; i++) {
        result = Math.max(result, sum[i] - curMin);
        curMin = Math.min(curMin, sum[i]);
    }
    return result;
}
```

14.2.7 Maximum Product Subarray

Find the contiguous subarray within an array (containing at least one number) which has the largest product.

For example, given the array [2, 3, -2, 4],

the contiguous subarray [2, 3] has the largest product = 6.

这道题跟14.2.6模型上和思路上都比较类似，还是用一维动态规划中的"局部最优和全局最优法"。

这里的区别是维护一个局部最优不足以求得后面的全局最优，这是由于乘法的性质不像加法那样，累加结果只要是正的一定是递增，乘法中有可能现在看起来小的一个负数，后面跟另一个负数相乘就会得到最大的乘积。

不过事实上也没有麻烦很多，我们只需要在维护一个局部最大的同时，在维护一个局部最小，这样如果下一个元素遇到负数时，就有可能与这个最小相乘得到当前最大的乘积和，这也是利用乘法的性质得到的。

来自《Code Ganker 征服代码》

```java
public int maxProduct(int[] a) {
    int n = a.length;
    int maxLocal = a[0];
    int minLocal = a[0];
    int res = a[0];
    for (int i = 1; i < n; i++) {
        int tmp = maxLocal;
        maxLocal = Math.max(Math.max(maxLocal * a[i], a[i]),
                            Math.max(minLocal * a[i], a[i]));
        minLocal = Math.min(Math.min(a[i], a[i] * tmp),
                            Math.min(a[i], a[i] * minLocal));
        res = Math.max(res, maxLocal);
    }
    return res;
}
```

14.2.8 Decode Ways, bug~ !!

A message containing letters from A-Z is being encoded to numbers using the following mapping:

```
'A' -> 1
'B' -> 2
...
'Z' -> 26
```

Given an encoded message containing digits, determine the total number of ways to decode it.

For example,

Given encoded message "12", it could be decoded as "AB" (1 2) or "L" (12).

The number of ways decoding "12" is 2.

参考 Climb stairs, 14.1.1

最原始型的 follow、控制 logic：

```java
public int numDecodings(String s) {
    if (s == null || s.length() == 0) return 0;
    else if (s.charAt(0) == '0') return 0;
    else if (s.length() == 1) return 1;
    else if (s.length() >= 2 && s.charAt(0) - '0' > 2 && s.charAt(1) == '0') return 0;

    int j = 0; // idx for s
    char c;    // char at pos j
    int [] res = new int[s.length()];
    res[0] = 1;
    res[1] = 1;
    if (s.charAt(1) != '0'
        && ( (s.charAt(0) == '1'
            || (s.charAt(0) == '2') && s.charAt(1) - '0' < 7)))
        res[1] = 2;

    for (int i = 2; i < s.length(); i++) {
        c = s.charAt(i);
        if (c != '0')
            res[i] += res[i - 1]; // separate dijit // except '0', NO, 10, 20 ok

        switch (c) {
        case '0':
            if (s.charAt(i - 1) == '1' || s.charAt(i - 1) == '2')
                if (s.charAt(i - 2) == '1' || s.charAt(i - 2) == '2')
                    res[i] = res[i - 2];     // 110 = 1 10, ... 11 0, NO~!
                else
                    res[i] = res[i - 1];
            else return 0;
            break;
        case '7':      // 17, 18, 19
        case '8':
        case '9':
            if (s.charAt(i - 1) == '1')
                res[i] += res[i - 2];
            break;
        default:     // 1, 2, 3, 4, 5, 6: Individual, 1-pre, 2-pre, 11, 21, 12, 22 ...
            if (s.charAt(i - 1) == '1' || s.charAt(i - 1) == '2')
                res[i] += res[i - 2];
            break;
```

```
        }
    }
    return res[s.length() - 1];
}
```

1. 动态规划, 时间复杂度 O(n), 空间复杂度 O(1), java v m bug ~~!!!!

   模拟 pdf c++ 版大牛精华版代码：

```java
// my Java version code has bug here, fix it later ~~~
public int numDecodings(String s) {
    if (s == null || s.length() == 0 || s.charAt(0) == '0') return 0;
    int prev = 0;
    int curr = 1;
    int tmp = 0;
    for (int i = 1; i <= s.length() ; i++) {
        if (s.charAt(i - 1) == '0') curr = 0;
        if (i < 2 || s.charAt(i - 2) != '1' ||
            (s.charAt(i - 2) == '2' && s.charAt(i - 1) <= '6'))
            prev = 0;
        tmp = curr;
        curr = prev + curr;
        prev = tmp;
    }
    return curr;
}
```

14.2.9   Triangle

Given a triangle, find the minimum path sum from top to bottom. Each step you may move to adjacent numbers on the row below.

For example, given the following triangle

```
[
     [2],
    [3,4],
   [6,5,7],
  [4,1,8,3]
]
```

The minimum path sum from top to bottom is 11 (i.e., $2 + 3 + 5 + 1 = 11$).

Note: Bonus point if you are able to do this using only O(n) extra space, where n is the total number of rows in the triangle.

1. 自顶向下：时间复杂度是 $O(n^2)$，空间复杂度是 O(n)

   这是一道动态规划的题目，求一个三角形二维数组从顶到低端的最小路径和。思路是维护到某一个元素的最小路径和，那么在某一个元素 i，j 的最小路径和就是它上层对应的相邻两个元素的最小路径和加上自己的值，递推式是

   sum[i][j] = min(sum[i-1][j-1],sum[i-1][j]) + triangle[i][j]。

   最后扫描一遍最后一层的路径和，取出最小的即可。每个元素需要维护一次，总共有 1+2+⋯ +n = n*(n+1)/2 个元素，所以时间复杂度是 $O(n^2)$。而空间上每次只需维护一层即可（因为当前层只用到上一层的元素），所以空间复杂度是 O(n)。

来自《Code Ganker 征服代码》

```java
public int minimumTotal(ArrayList<ArrayList<Integer>> triangle) {
    if(triangle == null || triangle.size() == 0)
        return 0;
    if(triangle.size()==1)
        return triangle.get(0).get(0);

    int[] sums = new int[triangle.size()];
    sums[0] = triangle.get(0).get(0);
    for(int i=1;i<triangle.size();i++) {
        sums[i] = sums[i-1]+triangle.get(i).get(i);
        for(int j=i-1;j>=1;j--)
            sums[j] = (sums[j]<sums[j-1]?sums[j]:sums[j-1]) + triangle.get(i).get(j
        sums[0] = sums[0]+triangle.get(i).get(0);
    }

    int minimum = sums[0];
    for(int i=1;i<sums.length;i++)
        if(sums[i]<minimum)
            minimum = sums[i];
    return minimum;
}
```

上述代码实现时要注意每层第一个和最后一个元素特殊处理一下。

2. 自底向上：

换个角度考虑一下，如果这道题不自顶向下进行动态规划，而是放过来自底向上来规划，递归式只是变成下一层对应的相邻两个元素的最小路径和加上自己的值，原理和上面的方法是相同的，这样考虑到优势在于不需要最后对于所有路径找最小的，而且第一个元素和最后元素也不需要单独处理了，所以代码简洁了很多。

```java
public int minimumTotal(List<List<Integer>> triangle) {
    List<Integer> res = new ArrayList<Integer>(triangle.get(triangle.size() - 1));
    for (int i = triangle.size() - 2; i >= 0 ; i--)
        for (int j = 0; j <= i ; j++)
            res.set(j, Math.min(res.get(j), res.get(j + 1)) + triangle.get(i).get(j
    return res.get(0);
}
```

14.2.10 Word Break

Given a string s and a dictionary of words dict, determine if s can be segmented into a space-separated sequence of one or more dictionary words.

For example, given

```
s = "leetcode",
dict = ["leet", "code"].
Return true because "leetcode" can be segmented as "leet code".
```

设状态为 f(i), 表示 s[0,i] 是否可以分词, 则状态转移方程为

转移方程: f (i) = any$_{of}$ (f(j) && s[j+1, i] ∈ dict), $0 \leqslant j < i$

1. 深搜: 时间复杂度 O(2^n), 空间复杂度 O(n)

    OJ 超时。

```java
public boolean helper(String s, int i, Set<String> dict) {
    int n = s.length();
    if (i >= n) return false;
    int j = i;
    while (j < n) {
        while (j < n && !dict.contains(s.substring(i, j + 1))) j++;
        if (j == n) return false;
        if (helper(s, j + 1, dict) == true) return true;
        j++;
    }
    return false;
}

public boolean wordBreak(String s, Set<String> dict) {
    if (dict.contains(s)) return true;
    if (s == null || s.length() == 0) return false;
    return helper(s, 0, dict);
}
```

2. 动态规划：

```java
public boolean wordBreak(String s, Set<String> dict) {
    if (dict.contains(s)) return true;
    boolean [] dp = new boolean[s.length()];
    for (int i = 0; i < s.length(); i++)
        dp[i] = false;

    for (int i = 0; i < s.length(); i++)
        for (int j = i; j >= 0; j--) {
            String tmp = new String(s.substring(j, i+1));
            if (dict.contains(tmp))
                if ((j == 0) || (j >= 1 && dp[j-1])) {
                    dp[i] = true;
                    break;
                }
        }
    return dp[s.length()-1];
}
```

14.2.11   Best Time to Buy and Sell Stock

Say you have an array for which the ith element is the price of a given stock on day i.

If you were only permitted to complete at most one transaction (ie, buy one and sell one share of the stock), design an algorithm to find the maximum profit.

1. O(n^2)

2. O(n)

14.3 Hard

14.3.1 Best Time to Buy and Sell Stock III

Say you have an array for which the ith element is the price of a given stock on day i.

Design an algorithm to find the maximum profit. You may complete at most two transactions.

Note: You may not engage in multiple transactions at the same time (ie, you must sell the stock before you buy again).

14.3.2 Longest Valid Parentheses

Given a string containing just the characters '(' and ')', find the length of the longest valid (well-formed) parentheses substring.

For "(()", the longest valid parentheses substring is "()", which has length = 2.

Another example is ")()())", where the longest valid parentheses substring is "()()", which has length = 4.

1. 使用栈: 时间复杂度 O(n), 空间复杂度 O(n)

14.3.3 Coins in a Line

14.3.4 Word Break II

14.3.5 Maximum Rectangle

Given a 2D binary matrix filled with 0's and 1's, find the largest rectangle containing all ones and return its area.

Tags: Array Hash Table Stack Dynamic Programming

14.3.6 Edit Distance

Given two words word1 and word2, find the minimum number of steps required to convert word1 to word2. (each operation is counted as 1 step.)

You have the following 3 operations permitted on a word:

a) Insert a character

b) Delete a character

c) Replace a character

14.3.7 Distinct Subsequence

Given a string S and a string T, count the number of distinct subsequences of T in S.

A subsequence of a string is a new string which is formed from the original string by deleting some (can be none) of the characters without disturbing the relative positions of the remaining characters. (ie, "ACE" is a subsequence of "ABCDE" while "AEC" is not).

Here is an example:

S = "rabbbit", T = "rabbit"

Return 3.

14.3.8   Palindrome Partitioning II

Given a string s, partition s such that every substring of the partition is a palindrome.
Return the minimum cuts needed for a palindrome partitioning of s.
For example,

```
given s = "aab",
Return 1 since the palindrome partitioning ["aa","b"] could be produced using 1 cut.
```

14.3.9   Interleaving String

Given s1, s2, s3, find whether s3 is formed by the interleaving of s1 and s2.
For example, Given:

```
s1 = "aabcc",
s2 = "dbbca",
When s3 = "aadbbcbcac", return true.
When s3 = "aadbbbaccc", return false.
```

14.3.10   Scramble String

Given a string s1, we may represent it as a binary tree by partitioning it to two non-empty substrings recursively.
Below is one possible representation of s1 = "great":

```
   great
   /    \
  gr     eat
 / \    /  \
g   r  e    at
            / \
           a   t
```
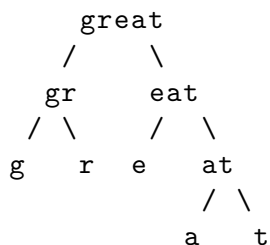
To scramble the string, we may choose any non-leaf node and swap its two children.
For example, if we choose the node "gr" and swap its two children, it produces a scrambled string "rgeat".

```
   rgeat
   /    \
  rg     eat
 / \    /  \
r   g  e    at
            / \
           a   t
```
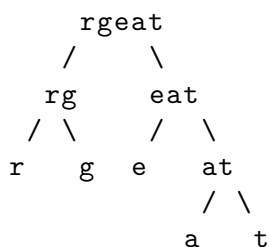
We say that "rgeat" is a scrambled string of "great".
Similarly, if we continue to swap the children of nodes "eat" and "at", it produces a scrambled string "rgtae".

```
   rgtae
   /    \
  rg     tae
 / \    /  \
```
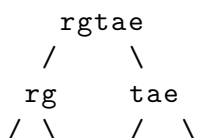
```
r   g  ta  e
     / \
    t   a
```

We say that "rgtae" is a scrambled string of "great".

Given two strings s1 and s2 of the same length, determine if s2 is a scrambled string of s1.

14.3.11   Regular Expression Matching

Implement regular expression matching with support for '.' and '*'.

```
'.' Matches any single character.
'*' Matches zero or more of the preceding element.
```

The matching should cover the entire input string (not partial).

The function prototype should be:

bool isMatch(const char *s, const char *p)

Some examples:

```
isMatch("aa","a") → false
isMatch("aa","aa") → true
isMatch("aaa","aa") → false
isMatch("aa", "a*") → true
isMatch("aa", ".*") → true
isMatch("ab", ".*") → true
isMatch("aab", "c*a*b") → true
```

Tags: Dynamic Programming Backtracking String

14.3.12   Wildcard Matching

Implement wildcard pattern matching with support for '?' and '*'.

```
'?' Matches any single character.
'*' Matches any sequence of characters (including the empty sequence).
```

The matching should cover the entire input string (not partial).

The function prototype should be:

bool isMatch(const char *s, const char *p)

Some examples:

```
isMatch("aa","a") → false
isMatch("aa","aa") → true
isMatch("aaa","aa") → false
isMatch("aa", "*") → true
isMatch("aa", "a*") → true
isMatch("ab", "?*") → true
isMatch("aab", "c*a*b") → false
```

Tags: Dynamic Programming, Backtracking, Greedy, String

Chapter 15

Two Pointers and Sliding Window

15.1   Easy

15.1.1   Valid Palindrome

15.1.2   Remove Nth Node From End of List

15.1.3   Remove Element

15.1.4   Remove Duplicates from Sorted Array

15.1.5   Merge Sorted Array

15.1.6   Implement strStr()

15.2   Medium

15.2.1   3Sum

15.2.2   4Sum

15.2.3   Container With Most Water

15.2.4   Remove Duplicates from Sorted Array II

15.2.5   Partition List

15.2.6   Two Sum II - Input array is sorted

15.2.7   Linked List Cycle II

15.2.8   Longest Substring Without Repeating Characters

15.2.9   3Sum Closest

15.2.10   Linked List Cycle

15.2.11   Sort Colors

15.2.12   Rotate List

15.3   Hard

Chapter 16

Backtracing and Recursion

16.1 排列

16.1.1 Permutation

Given a collection of numbers, return all possible permutations.
For example,

```
[1,2,3] have the following permutations:
[1,2,3], [1,3,2], [2,1,3], [2,3,1], [3,1,2], and [3,2,1].
```

16.1.2 Permutation II

Given a collection of numbers that might contain duplicates, return all possible unique permutations.
For example,

```
[1,1,2] have the following unique permutations:
[1,1,2], [1,2,1], and [2,1,1].
```

16.1.3 Permutation Sequence

The set [1,2,3,···,n] contains a total of n! unique permutations.
By listing and labeling all of the permutations in order, We get the following sequence (ie, for n = 3):

```
"123"
"132"
"213"
"231"
"312"
"321"
```

Given n and k, return the kth permutation sequence.
Note: Given n will be between 1 and 9 inclusive.

16.2   组合

16.2.1   Combinationas

Given two integers n and k, return all possible combinations of k numbers out of 1 ⋯ n.
For example,
If n = 4 and k = 2, a solution is:

```
[
  [2,4],
  [3,4],
  [2,3],
  [1,2],
  [1,3],
  [1,4],
]
```

16.2.2   Combination Sum

Given a set of candidate numbers (C) and a target number (T), find all unique combinations in C where the candidate numbers sums to T.

The same repeated number may be chosen from C unlimited number of times.
Note:

- All numbers (including target) will be positive integers.

- Elements in a combination (a1, a2, ⋯, ak) must be in non-descending order. (ie, a1 $\leqslant$ a2 $\leqslant \cdots \leqslant$ ak).

- The solution set must not contain duplicate combinations.

For example, given candidate set 2,3,6,7 and target 7,
A solution set is:

```
[7]
[2, 2, 3]
```

16.2.3   Combination Sum II

Given a collection of candidate numbers (C) and a target number (T), find all unique combinations in C where the candidate numbers sums to T.

Each number in C may only be used once in the combination.
Note:

- All numbers (including target) will be positive integers.

- Elements in a combination (a1, a2, ⋯, ak) must be in non-descending order. (ie, a1 $\leqslant$ a2 $\leqslant \cdots \leqslant$ ak).

- The solution set must not contain duplicate combinations.

For example, given candidate set 10,1,2,7,6,1,5 and target 8,
A solution set is:

```
[1, 7]
[1, 2, 5]
[2, 6]
[1, 1, 6]
```

16.3 Subsets

16.3.1 Subsets: Bit Manipulation

Given a set of distinct integers, S, return all possible subsets.
Note:

- Elements in a subset must be in non-descending order.

- The solution set must not contain duplicate subsets.

For example,
If S = [1,2,3], a solution is:

```
[
   [3],
   [1],
   [2],
   [1,2,3],
   [1,3],
   [2,3],
   [1,2],
   []
]
```

Tags: Array Backtracking, Bit Manipulation

16.3.2 Subsets II

Given a collection of integers that might contain duplicates, S, return all possible subsets.
Note:

- Elements in a subset must be in non-descending order.

- The solution set must not contain duplicate subsets.

For example,
If S = [1,2,2], a solution is:

```
[
   [2],
   [1],
   [1,2,2],
   [2,2],
   [1,2],
   []
]
```

16.4   others with Recursion

16.4.1   Letter Combinationas of Phone Number

Given a digit string, return all possible letter combinations that the number could represent.
A mapping of digit to letters (just like on the telephone buttons) is given below.

Figure 16.1: Letter Combinationas of Phone Number

```
Input:Digit string "23"
Output: ["ad", "ae", "af", "bd", "be", "bf", "cd", "ce", "cf"].
```
Note:
Although the above answer is in lexicographical order, your answer could be in any order you want.

16.4.2   Restore IP Addresses

Given a string containing only digits, restore it by returning all possible valid IP address combinations.
For example:
```
Given "25525511135",
return ["255.255.11.135", "255.255.111.35"]. (Order does not matter)
```

16.4.3 Generate Parentheses

Given n pairs of parentheses, write a function to generate all combinations of well-formed parentheses.
For example, given n = 3, a solution set is:

```
"((()))", "(()())", "(())()", "()(())", "()()()"
```

16.4.4 Gray Code

The gray code is a binary numeral system where two successive values differ in only one bit.
Given a non-negative integer n representing the total number of bits in the code, print the sequence of gray code. A gray code sequence must begin with 0.
For example, given n = 2, return [0,1,3,2]. Its gray code sequence is:

```
00 - 0
01 - 1
11 - 3
10 - 2
```

Note:

- For a given n, a gray code sequence is not uniquely defined.

- For example, [0,2,3,1] is also a valid gray code sequence according to the above definition.

- For now, the judge is able to judge based on one instance of gray code sequence. Sorry about that.

16.4.5 Word Search

Given a 2D board and a word, find if the word exists in the grid.
The word can be constructed from letters of sequentially adjacent cell, where "adjacent" cells are those horizontally or vertically neighboring. The same letter cell may not be used more than once.
For example,

```
Given board =
[
  ["ABCE"],
  ["SFCS"],
  ["ADEE"]
]
word = "ABCCED", -> returns true,
word = "SEE", -> returns true,
word = "ABCB", -> returns false.
```

16.4.6 Palindrome Partitioning

Given a string s, partition s such that every substring of the partition is a palindrome.
Return all possible palindrome partitioning of s.
For example,

```
given s = "aab",
Return
  [
    ["aa","b"],
    ["a","a","b"]
  ]
```

16.4.7   N-Queens

The n-queens puzzle is the problem of placing n queens on an n×n chessboard such that no two queens attack each other.

Given an integer n, return all distinct solutions to the n-queens puzzle.

Each solution contains a distinct board configuration of the n-queens' placement, where 'Q' and '.' both indicate a queen and an empty space respectively.

For example,

There exist two distinct solutions to the 4-queens puzzle:

```
[
 [".Q..",   // Solution 1
  "...Q",
  "Q...",
  "..Q."],

 ["..Q.",   // Solution 2
  "Q...",
  "...Q",
  ".Q.."]
]
```

16.4.8   N-Queens II

Follow up for N-Queens problem.

Now, instead outputting board configurations, return the total number of distinct solutions.

16.4.9   Sudoku Solver

Write a program to solve a Sudoku puzzle by filling the empty cells.

Empty cells are indicated by the character '.'.

You may assume that there will be only one unique solution.

A sudoku puzzle⋯

⋯and its solution numbers marked in red.

Tags: Backtracking, Hash Table

16.4.10   Regular Expression Matching

Implement regular expression matching with support for '.' and '*'.

- '.' Matches any single character.

- '*' Matches zero or more of the preceding element.

The matching should cover the entire input string (not partial).

The function prototype should be:

bool isMatch(const char *s, const char *p)

Some examples:

```
isMatch("aa","a") → false
isMatch("aa","aa") → true
isMatch("aaa","aa") → false
isMatch("aa", "a*") → true
isMatch("aa", ".*") → true
isMatch("ab", ".*") → true
isMatch("aab", "c*a*b") → true
```

Tags: Dynamic Programming, Backtracking, String

16.4.11 Wild Card Matching

Implement wildcard pattern matching with support for '?' and '*'.

- '?' Matches any single character.

- '*' Matches any sequence of characters (including the empty sequence).

The matching should cover the entire input string (not partial).

The function prototype should be:

bool isMatch(const char *s, const char *p)

Some examples:

```
isMatch("aa","a") → false
isMatch("aa","aa") → true
isMatch("aaa","aa") → false
isMatch("aa", "*") → true
isMatch("aa", "a*") → true
isMatch("ab", "?*") → true
isMatch("aab", "c*a*b") → false
```

Tags: Dynamic Programming, Backtracking, Greedy, String

16.4.12 Word Break II

Given a string s and a dictionary of words dict, add spaces in s to construct a sentence where each word is a valid dictionary word.

Return all such possible sentences.

For example, given

```
s = "catsanddog",
dict = ["cat", "cats", "and", "sand", "dog"].

A solution is ["cats and dog", "cat sand dog"].
```

Tags: Dynamic Programming Backtracking

16.4.13   Word Ladder II

Given two words (start and end), and a dictionary, find all shortest transformation sequence(s) from start to end, such that:

- Only one letter can be changed at a time

- Each intermediate word must exist in the dictionary

For example,

```
Given:
start = "hit"
end = "cog"
dict = ["hot","dot","dog","lot","log"]
Return
  [
    ["hit","hot","dot","dog","cog"],
    ["hit","hot","lot","log","cog"]
  ]
```

Note:

- All words have the same length.

- All words contain only lowercase alphabetic characters.

Tags: Array, Backtracking, Breadth-first Search, String
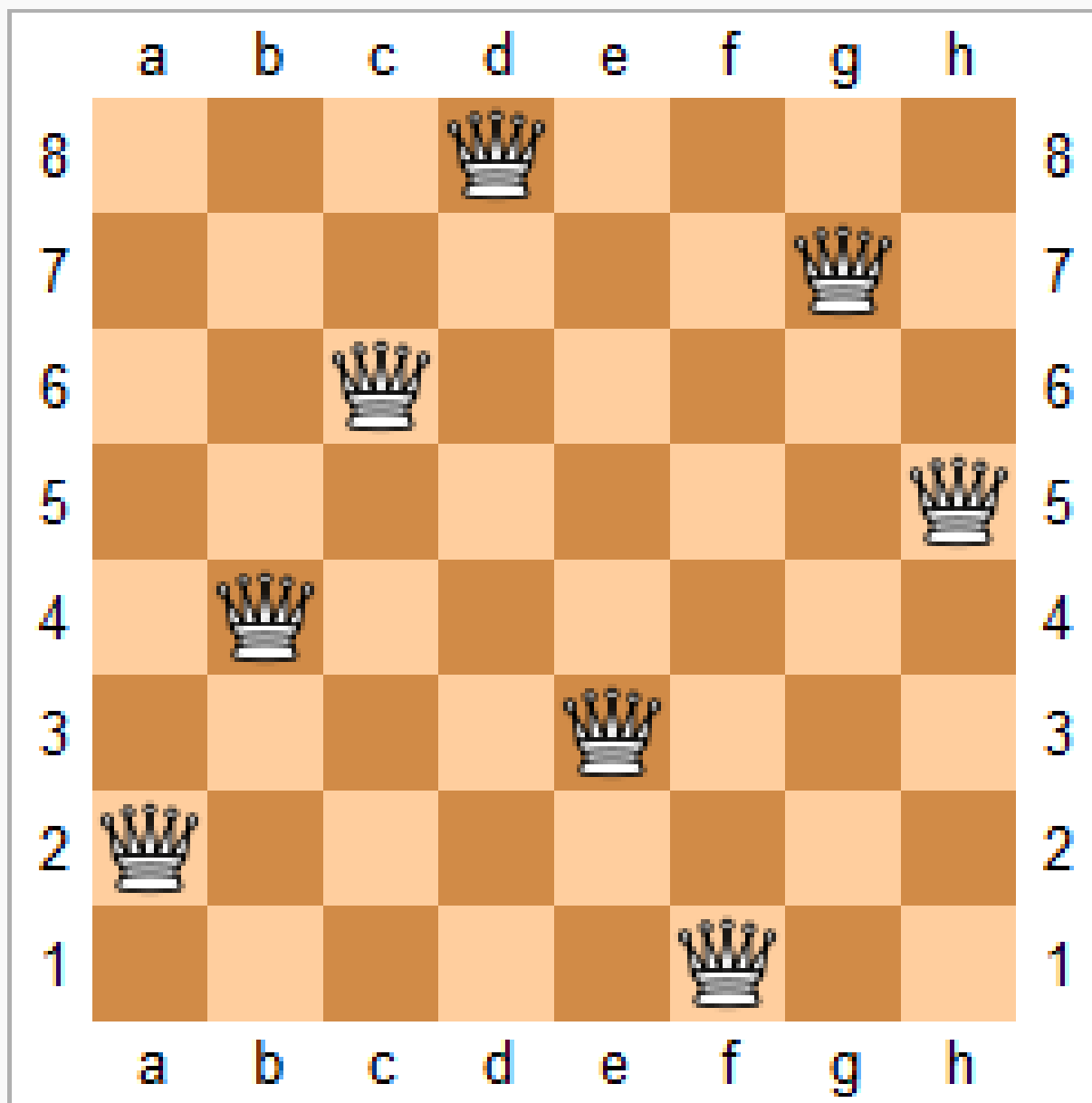
Figure 16.2: N-Queens

Figure 16.3: Sudoku Solver 1

5	3	4	6	7	8	9	1	2
6	7	2	1	9	5	3	4	8
1	9	8	3	4	2	5	6	7
8	5	9	7	6	1	4	2	3
4	2	6	8	5	3	7	9	1
7	1	3	9	2	4	8	5	6
9	6	1	5	3	7	2	8	4
2	8	7	4	1	9	6	3	5
3	4	5	2	8	6	1	7	9

Figure 16.4: Sudoku Solver 2

Chapter 17

Bit Manipulation

17.1 Easy

17.1.1 Majority Element

Given an array of size n, find the majority element. The majority element is the element that appears more than $n/2$ times.

You may assume that the array is non-empty and the majority element always exist in the array.
Credits:
Special thanks to @ts for adding this problem and creating all test cases.
Tags: Divide and Conquer, Array, Bit Manipulation

17.2 Medium

17.2.1 Subsets: Bit Manipulation

Given a set of distinct integers, S, return all possible subsets.
Note:

- Elements in a subset must be in non-descending order.

- The solution set must not contain duplicate subsets.

For example, If S = [1,2,3], a solution is:

```
[
  [3],
  [1],
  [2],
  [1,2,3],
  [1,3],
  [2,3],
  [1,2],
  []
]
```

Tags: Array Backtracking, Bit Manipulation

17.2.2   Single Number

Given an array of integers, every element appears twice except for one. Find that single one.
Note:

Your algorithm should have a linear runtime complexity. Could you implement it without using extra memory?

Tags: Hash Table, Bit Manipulation

17.2.3   Single Number II

Given an array of integers, every element appears three times except for one. Find that single one.
Note:

Your algorithm should have a linear runtime complexity. Could you implement it without using extra memory?

Chapter 18

图 Graphics

18.1 Medium

18.1.1 Clone Graph

Clone an undirected graph. Each node in the graph contains a label and a list of its neighbors.

OJ's undirected graph serialization:

Nodes are labeled uniquely.

We use # as a separator for each node, and , as a separator for node label and each neighbor of the node.

As an example, consider the serialized graph {0,1,2#1,2#2,2}.

The graph has a total of three nodes, and therefore contains three parts as separated by #.

1. First node is labeled as 0. Connect node 0 to both nodes 1 and 2.

2. Second node is labeled as 1. Connect node 1 to node 2.

3. Third node is labeled as 2. Connect node 2 to node 2 (itself), thus forming a self-cycle.
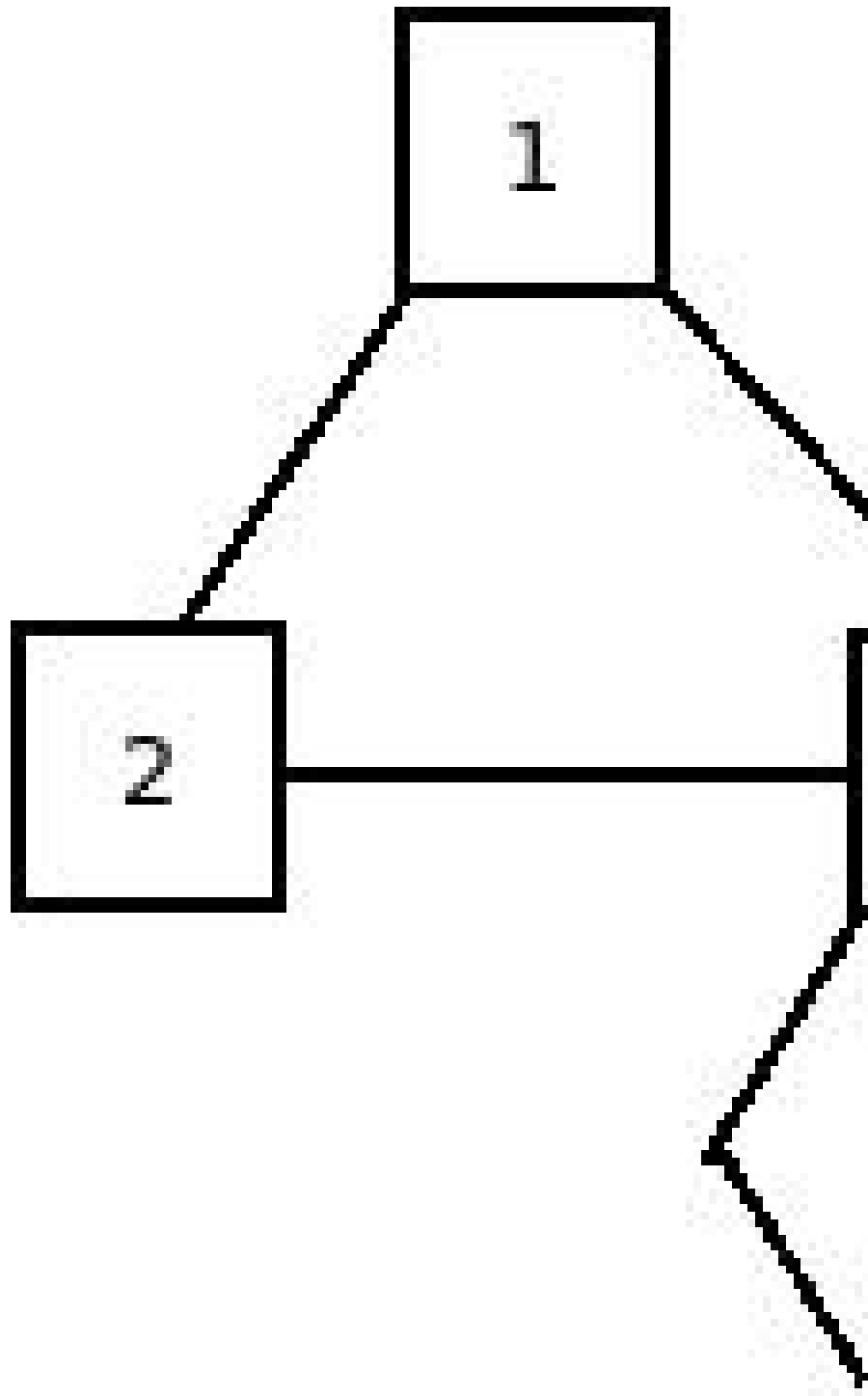
 Visually, the graph looks like the following:

1. 分析：广度优先遍历或深度优先遍历都可以

2. DFS：时间复杂度 O(n), 空间复杂度 O(n)

```
/**
 * Definition for undirected graph.
 * class UndirectedGraphNode {
 *     int label;
 *     List<UndirectedGraphNode> neighbors;
 *     UndirectedGraphNode(int x) { label = x; neighbors = new ArrayList<Undirected
 * };
```

```
    */
   public UndirectedGraphNode cloneGraph(UndirectedGraphNode node) {
       if (node == null) return null;
       UndirectedGraphNode res = new UndirectedGraphNode(node.label);  // result head
       if (node.neighbors == null || node.neighbors.size() == 0) return res;

       Map<UndirectedGraphNode, UndirectedGraphNode> map = new HashMap<UndirectedGraph
       Queue<UndirectedGraphNode> q = new LinkedList<UndirectedGraphNode>();
       q.add(node);                              // added first node, need add its all Neighbo
       map.put(node, res);

       List<UndirectedGraphNode> curNbr = new ArrayList<UndirectedGraphNode>();
       UndirectedGraphNode curr = null;
       while (!q.isEmpty()) {
           curr = q.poll();
           curNbr = curr.neighbors;                      // ori
           for (UndirectedGraphNode aNbr : curNbr) {  // for build connection among co
               if (!map.containsKey(aNbr)) {
                   UndirectedGraphNode acpNbr = new UndirectedGraphNode(aNbr.label);
                   map.put(aNbr, acpNbr);
                   map.get(curr).neighbors.add(acpNbr);
                   q.add(aNbr);
               } else
                   map.get(curr).neighbors.add(map.get(aNbr));
           }
       }
       return res;
   }
```

3. BFS：

18.2 Word Ladder, Word Ladder II: Backtracing

18.2.1 Word Ladder

Given two words (start and end), and a dictionary, find the length of shortest transformation sequence from start to end, such that:

1. Only one letter can be changed at a time

2. Each intermediate word must exist in the dictionary

For example,
Given: start = "hit", end = "cog"
dict = ["hot","dot","dog","lot","log"]
As one shortest transformation is "hit" -> "hot" -> "dot" -> "dog" -> "cog",
return its length 5.
Note:

• Return 0 if there is no such transformation sequence.

- All words have the same length.

- All words contain only lowercase alphabetic characters.

18.2.2   Word Ladder II

Given two words (start and end), and a dictionary, find all shortest transformation sequence(s) from start to end, such that:

1. Only one letter can be changed at a time

2. Each intermediate word must exist in the dictionary

For example,
    Given:
    start = "hit", end = "cog"
    dict = ["hot","dot","dog","lot","log"]
    Return

```
[
  ["hit","hot","dot","dog","cog"],
  ["hit","hot","lot","log","cog"]
]
```

    Note:

- All words have the same length.

- All words contain only lowercase alphabetic characters.

18.2.3   Check whether the graph is bigraph

1. Topological Sort Topological sorting for Directed Acyclic Graph (DAG) is a linear ordering of vertices such that for every directed edge uv, vertex u comes before v in the ordering. Topological Sorting for a graph is not possible if the graph is not a DAG.

   For example, a topological sorting of the following graph is "5 4 2 3 1 0 ″. There can be more than one topological sorting for a graph. For example, another topological sorting of the following graph is "4 5 2 3 1 0 ″. The first vertex in topological sorting is always a vertex with in-degree as 0 (a vertex with no in-coming edges).

2. Topological Sorting vs Depth First Traversal (DFS): In DFS, we print a vertex and then recursively call DFS for its adjacent vertices. In topological sorting, we need to print a vertex before its adjacent vertices. For example, in the given graph, the vertex '5' should be printed before vertex '0', but unlike DFS, the vertex '4' should also be printed before vertex '0'. So Topological sorting is different from DFS. For example, a DFS of the above graph is "5 2 3 1 0 4 ″, but it is not a topological sorting.

3. Algorithm to find Topological Sorting: We recommend to first see implementation of DFS here. We can modify DFS to find Topological Sorting of a graph. In DFS, we start from a vertex, we first print it and then recursively call DFS for its adjacent vertices. In topological sorting, we use a temporary stack. We don't print the vertex immediately, we first recursively call topological sorting for all its adjacent vertices, then push it to a stack. Finally, print contents of stack. Note
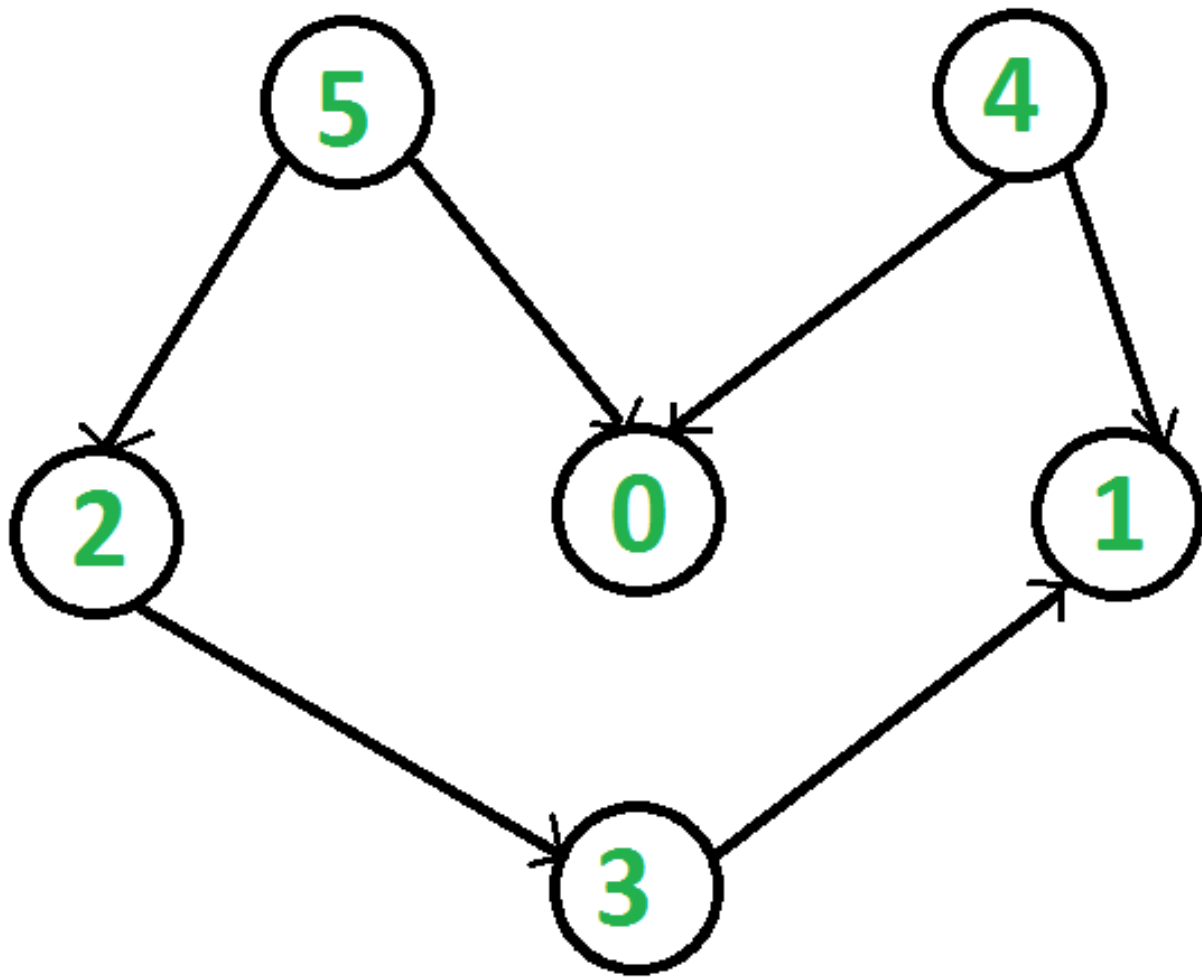
Figure 18.1: Topological Sorting

that a vertex is pushed to stack only when all of its adjacent vertices (and their adjacent vertices and so on) are already in stack.

Chapter 19

Data Structure

19.1 Easy

19.1.1 Two Sum III

Design and implement a TwoSum class. It should support the following operations: add and find.

- add - Add the number to an internal data structure.

- find - Find if there exists any pair of numbers which sum is equal to the value.

For example,

```
add(1); add(3); add(5);
find(4) -> true
find(7) -> false
```

Tags: Hash Table, Data Structure

19.1.2 Min Stack

Design a stack that supports push, pop, top, and retrieving the minimum element in constant time.

- push(x) – Push element x onto stack.

- pop() – Removes the element on top of the stack.

- top() – Get the top element.

- getMin() – Retrieve the minimum element in the stack. **Tags:** Stack Data Structure

```java
public static class MinStack {
    Stack<Integer> stack = new Stack<Integer>();
    Stack<Integer> minStack = new Stack<Integer>();
    public void push(int x) {
        stack.push(x);
        if (minStack.isEmpty() || x <= minStack.peek()) {
            minStack.push(x);
        }
    }
```

```java
    public void pop() { // java boxing & unboxing, container, object specific methods
        if (stack.peek().intValue() == minStack.peek().intValue())
            minStack.pop();
        stack.pop();
    }

    public int top() {
        return stack.peek();
    }

    public int getMin() {
        if (!minStack.isEmpty()) return minStack.peek();
        else return -1;
    }
}
```

19.2   Hard

19.2.1   LRU Cache

Design and implement a data structure for Least Recently Used (LRU) cache. It should support the following operations: get and set.

- get(key) - Get the value (will always be positive) of the key if the key exists in the cache, otherwise return -1.

- set(key, value) - Set or insert the value if the key is not already present. When the cache reached its capacity, it should invalidate the least recently used item before inserting a new item.

```java
public static class LRUCache {
    public class Node {
        int key;
        int value;
        Node prev;
        Node next;
        public Node(int x, int y){
            key = x;
            value = y;
        }
    }

    private HashMap<Integer, Node> hash;
    private int cap;
    private int number;
    Node head;
    Node tail;
    public LRUCache(int capacity) {
        cap = capacity;
        number = 0;
```

```java
        head = new Node(-1, -1);
        head.prev = null;
        head.next = null;
        tail = head;
        hash = new HashMap<Integer, Node>(capacity); // so I can restrict a size !!
    }

    public int get(int key) {
        Node res = hash.get(new Integer(key)); // don't understand here
        if (res != null) {
            refresh(res);   // update usage frequence
            return res.value;
        } else return -1;
        /*
          if (hash.containsKey(key)) {
          //Node res = hash.get(new Integer(key)); // don't understand here
          Node res = hash.get(key);
          refresh(res);    // update usage frequence
          return res.value;
          } else {
          return -1;
          }
        */
    }

    // so still, must maintain a doubly-linked list to order usage frequency
    public  void refresh(Node tmp) {
        if (tmp == head.next) return; // it's head already

        Node temp = head.next;  // head node in the hash
        Node prevNode = tmp.prev;
        Node nextNode = tmp.next;
        // set to be most recently used~~ move the tmp node to be head.next, connection
        head.next = tmp;
        tmp.prev = head;
        tmp.next = temp;
        temp.prev = tmp;
        prevNode.next = nextNode;
        if (nextNode != null)
            nextNode.prev = prevNode;
        else tail = prevNode;    // remember tail as well
    }

    public void set(int key, int value) {
        Node res = hash.get(new Integer(key));
        if (res != null) {
            refresh(res);
            res.value = value;
        } else {
            //if (!hash.containsKey(key)) { // another way of detecting existing
            Node prevNode = new Node(key, value);
```

```java
        Node temp;
        if (number == cap) { // remove tail;
            temp = tail.prev;
            hash.remove(tail.key);         // remember to remove from hash too !!!
            if (temp != null) {
                temp.next = null;
            }
            tail.prev = null;
            tail = temp;
            number--;
        }
        // add to tail first
        tail.next = prevNode;
        prevNode.prev = tail;
        tail = prevNode;
        refresh(prevNode);
        hash.put(key, prevNode);
        number++;  // count node numbers
    }
    }
}
```

Chapter 20

细节实现题

Chapter 21

Math

21.1   Easy

21.1.1   Add Binary

21.1.2   Roman to Integers

21.1.3   String to Integer (atoi)

21.1.4   Palindrome Number

21.1.5   Plus One

21.1.6   Factorial Trailing Zeroes

21.1.7   Excel Sheet Column Title

21.1.8   Excel Sheet Column Number

21.1.9   Reverse Integer

21.2   Medium

21.2.1   Multiply Strings

21.2.2   Sqrt(x)

21.2.3   Divide Two Integers

21.2.4   Pow(x, n)

21.2.5   Fraction to Recurring Decimal

21.2.6   Permutation Sequence

21.2.7   Integer to Roman

21.2.8   Next Permutation: Math

Implement next permutation, which rearranges numbers into the lexicographically next greater permutation of numbers.

If such arrangement is not possible, it must rearrange it as the lowest possible order (ie, sorted in ascending order).

The replacement must be in-place, do not allocate extra memory.

Here are some examples. Inputs are in the left-hand column and its corresponding outputs are in the right-hand column.

```
1,2,3 → 1,3,2
3,2,1 → 1,2,3
1,1,5 → 1,5,1
```

21.3 Hard

21.3.1 Valid Number

21.3.2 Max Points on a Line