Help Topics Tree	13217	Help Text
<u>Main</u>		Main Help
		This is the online help system for your HP Prime.
		Throughout the help system, the word "press" always refers to a physical key on the Prime keyboard. The
		word "tap" always refers to an object displayed on the touchscreen, frequently an item in the software menu (a menu "button") at the bottom of the display.
		Press the top or bottom of the rocker wheel, drag or swipe the touchscreen, or tap either side of ▲ Page ▼ to scroll through any help page (such as this one). To exit a help page, tap OK or Esc.
		To see all the help topics, tap Tree.
		Navigate using the rocker wheel, drag, or swipe.
		Tap + or - or press right or left rocker wheel to expand/contract a group of topics.
		Press Enter or OK to view a topic.  The Key other process of the last topic and the standard topic to
		Tap Keys then press any key on the keyboard to see the help related to that key.  Tap Search, enter search text (hold Alpha key to enter alphabetic characters) and press Enter or tap OK. If
		'Find in content' is not checked, only the help titles will be searched.
		As a general rule, pressing Help will display the help page most relevant to the current screen or selection. For example, pressing Help while the Application Library is open will display an overview of whatever app is currently selected. Once an app is open, there is a separate help page for each app view (Symbolic, Plot, Numeric, etc.) which will explain the purpose of the view and the menu items at the bottom of the screen.
About HP Prime		HP Prime Graphing Calculator
		Software Version: 2017 12 11 (13217) BETA
		Hardware Version: Emu
		CAS Version: 1.4.9
		Serial Number: 4CY3420785
		Operating System:
		© 2017 HP Development Company, L.P.
Thanks		Jeri, Teddy, Mark, Ruth, Dave  Bernard, Conrad, Cyrille, Gerald, GT, Jean-Yves, Jeff, Louis, Matt, Rian, Tim
		Angie, Bill, Chris, Craig, Glenn, Jason, Jason, Julia, Mike, Michelle, Nick, Shan-shan, Soolee, Syed, Geoff, Charlotte, George, Jack, James, Katy, Marcia, Mike, Tyler, Anusha, Archana, Dean
		Eddie, Edwin, Erik, Fabien, Felix, Gilles, Han, Joe, Johnny, Katie, Marv, Namir, Natasha, Patrice, Stefan, Wes
Home View		The base screen of the calculator is the Home view. Most calculations are done here. Enter an expression in the same left-to-right order in which you would write it.  You can also do calculations using Reverse Polish Notation (RPN) if you have selected RPN as your preferred entry option in Home Settings.  An expression can contain numbers, function calls, variables, lists, and matrices. To enter an expression, press the appropriate keys or select items from one of the menus (such as the Toolbox menu). You can also enter a function name by using the Alpha keys to spell out its name. Once you have finished entering the expression, press Enter to evaluate it.  You can save an answer by assigning it to a variable, and then use that variable in later calculations.  After evaluation, both the expression and its result are displayed in the history section of Home view. You can scroll through the history using the rocker wheel, swipe, or drag. You can re-use an expression or result by tapping twice on it. It is copied to the entry line ready for you to edit. (You can also scroll to an item in history and tap Copy.)  The Home view touch-button menu items are:  • Sto ▶: store data in a variable  • Copy: copy the selected entry or result to the entry line at the current cursor location  • Show: display the selected item in full-screen mode (with horizontal and vertical scrolling enabled)  As well as the Copy button, which only works in Home view and CAS view, you can use the clipboard to copy and paste expressions. Your last few entries are automatically copied to the clipboard. Press Shift Menu (Paste) to open the clipboard. Use the rocker wheel to select an expression from the clipboard and then tap OK or press Esc. To manually add an Item to the clipboard, select it and press Shift View (Copy).  Press the Backspace key to delete the character to the left of the cursor on the entry line. To clear the entire entry line, press Esc. To clear the entire history, press Shift Esc (Clear).
Home Settings		Home Settings Menu Home Settings Page 1 contains the following options:  • Angle Measure: Select Degrees, Radians, or Gradians  • Number Format: Select Standard, Fixed, Scientific, Engineering, Floating, or Rounded  • Choose Digit Grouping  • Entry: Select Algebraic, RPN, or Textbook  • Integers: Select the default base for integer arithmetic: Binary, Octal, Decimal, or Hex. You can also choose the word size (or number of bits) and whether integers are signed or unsigned.
		Complex: Select the format for representing complex numbers and allow complex output from real input

elp Topics Tree	13217 Help Text  • Language: Select a language
	<ul> <li>Language: Select a language</li> <li>If 'See Symbolic Setup' appears instead of the input field for a setting, that setting is overridden by the current app. To change the setting, do so in Symbolic Setup. If you want to clear the app-specific over</li> </ul>
	and return to the system-wide value of the setting, go to Symbolic Setup and change the value of the setting to 'System'.
Page 1	Home Settings Page 1
	Home Settings Page 1 contains the following options:
	Angle Measure: Select Degrees, Radians, or Gradians
	Number Format: Select Standard, Fixed, Scientific, Engineering, Floating or Rounded
	Choose Digit Grouping
	Entry: Select Algebraic, RPN, or Textbook
	<ul> <li>Integers: Select the default base for integer arithmetic: Binary, Octal, Decimal, or Hex. You can also choose the word size (or number of bits) and whether integers are signed or unsigned.</li> </ul>
	Complex: Select the format for representing complex numbers and allow complex output from real in the complex output from
	Language: Select a language
Entry Methods	The HP Prime provides you with three ways of entering expressions in Home view.
	Textbook
	An expression is entered in the same way as if you were writing it on paper. For example, a division wi represented by a division bar with the dividend above and the divisor below.
	Algebraic  An expression is entered on a single line of toyt.
	An expression is entered on a single line of text.  • Reverse Polish Notation (RPN)
	The arguments of the expression are entered first followed by the operator. The entry of an operator
	automatically evaluates what has already been entered.  Example:
	Suppose you wanted to calculate 2 + 3
	In Textbook and Algebraic modes, you would enter 2 + 3 Enter
	In RPN mode, you would enter 2 Enter 3 +
	If you subsequently entered 12 +, 12 is automatically added to the last answer in RPN mode.
Page 2	Home Settings Page 2
	Home Settings Page 2 contains the following options:
	<ul> <li>Font Size: Select font size Small, Medium, or Large for most displayed text.</li> </ul>
	<ul> <li>Calculator Name: Give your HP Prime a unique name. This aids recognition in wireless communication</li> </ul>
	with the Connectivity Kit
	Textbook Display: Toggle Textbook display on or off.
	<ul> <li>Menu Display: If selected, mathematical functions and commands are represented in menus using a descriptive name; if unselected, they are represented by their command name.</li> </ul>
	• Time: Set the time and the time format. Toggle clock in title bar on or off.
	Date: Set the date and the date format.
	Color Theme: Choose Light or Dark, and also a highlight color.
Page 3	Home Settings Page 3
	The options on Home Settings Page 3 all relate to Exam Mode. There is a separate help topic for Exam Mode.
Page 4	Home Settings Page 4
	If your HP Prime supports the wireless module for wireless connectivity, the options on Page 4 enable to join an HP Wireless Classroom Network via the wireless module and the Connectivity Kit. You need have the wireless adapter plugged in for these options to appear.
nputer Algebra System (CAS)	The Computer Algebra System (CAS) enables you to perform symbolic calculations.
	By default, CAS works in exact mode, giving you symbolic or exact arithmetic results. On the other han non-CAS calculations, such as those performed in Home view or by an app, are numerical calculations are often approximations limited by the precision of the calculator.
	For example, 1/3 + 2/7 yields the approximate answer 0.619047619047 in Home view (with Standard numerical format), but yields the exact answer 13/21 in the CAS.  CAS offers hundreds of functions, covering algebra, calculus, equation solving, polynomials, and more. You select a function from the CAS menu, one of the Toolbox menus. You can also select a CAS function from the Catlg menu (another of the Toolbox menus).
CAS View	CAS calculations are done in CAS view.  CAS view is almost identical to Home view. A history of calculations is built and you can select and cop previous calculations just as you can in Home view, as well as store objects in variables.
	To open CAS view, press CAS. The label "CAS" appears at the left of the title bar to indicate that you ar CAS view rather than Home view. The menu buttons in CAS view are:
	<ul> <li>Sto ►: assigns an object to a variable</li> <li>simplify: applies common simplification rules to reduce an expression to its simplest form</li> </ul>

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Help Topics Tree	13217	Help Text
<u> </u>		The Symbolic view varies from app to app, but its purpose is to store symbolic definitions, whether they
Symboli	c view	are functions, open sentences in x and y, or definitions of statistical analyses. Use the Symbolic view to define functions and open sentences, create geometric objects, set up a hypothesis test, and define
		statistical analyses.  Note that the Symbolic view is not used in the Spreadsheet, Explorer, Triangle Solver or Linear Solver apps.
Symboli	c Setup	The only view that is common to all apps is the Symbolic Setup view. Its primary purpose is to allow you to override three of the system-wide settings specified on the Home Settings window.
		Tap once on a setting to display a menu of options and then choose the option you want. You can also use the rocker wheel to highlight a field and tap Choose to display the menu of options.
Plot Viev	w	The Plot view varies from app to app but its function is to show you the graphical representations of objects defined in Symbolic view.  In Plot view you can see the graphs of the functions and open sentences defined in Symbolic view. In the Geometry app you can create geometric objects. In various other apps, you can explore linear, quadratic, and sinusoidal functions as well as amortization graphs.
		In most of the Plot views, the following gestures and features are available:  • tap to jump the tracer to an x-value
		flick to initiate kinetic scrolling in the desired direction
		-
		<ul> <li>drag to scroll the window</li> <li>open/closed diagonal pinch (put two fingers on the screen and move them apart or together) to zoom</li> </ul>
		square in or out
		open/closed horizontal pinch to zoom in or out on the x-axis
		open/closed vertical pinch to zoom in or out on the y-axis
		• press + to zoom in or - to zoom out on the cursor location
		You can press Shift View (Copy) to copy the current Plot view to the clipboard as an image.
		Note that the Plot view is not used in the Spreadsheet, Triangle Solver, or Linear Solver apps.
Plot Setu	ир	This view is used primarily to modify the appearance of graphs and the plotting environment. It is not used in apps that have no Plot view. In apps with this view, Page 1 of the view has fields for the X-range, Y-range and tick spacing on the axes.
		Page 2 is devoted to various options such as grid lines, grid dots, axes, axis labels, and cursor type.
		Some HP Prime apps support the use of an image as a background in Plot view. For those apps, the third page of Plot Setup is devoted to selecting the image and configuring its appearance in Plot view. Press Shift-Plot, then tap the Page-Down menu key twice to access the Image-As-Background page.
		The first field is a drop-down list with the following options:
		No Background: No image will be used as a background (default)
		Centered: the selected image will be centered, vertically and horizontally, in Plot view
		• Stretched: the selected image will be stretched, both horizontally and vertically (if necessary), to fit the entire display in Plot view
		<ul> <li>Best fit: the selected image will be stretched, either horizontally or vertically (but not both), to fit one of the two dimensions in Plot view</li> </ul>
		• XY Range: the user will enter the x- and y-range to place the image in Plot view
		Next to the first field is the Opacity field. Enter an integer from 0 to 100 to indicate the level of opacity of the image, where 0 is transparent and 100 is totally opaque.  Below these two fields is a swipe chooser. The swipe chooser displays all of the images associated with the current app first, followed by all the built-in images. Swipe to view the library of available images, then tap to select the one you want. Once you have selected a display option, an opacity level, and an image, the selected image will be visible in Plot view as a background, with the options and opacity level you chose.
		Dragging the axes or pinching to zoom in or out in Plot view only affects the view of the image if you have chosen the XY Range option. For all other options, the image is a true background and does not respond to changes in Plot view. In XY Range, the image is maintained in it x- and y-ranges as you zoom or pan, allowing you to zoom in or out on the image or pan to a particular feature.
		There are two special menu keys on Page 3 of Plot Setup:
		More: tap to pull in an image you want from another HP Prime app
		• Calc: with the XY Range option, use it to calculate the fourth coordinate, given the other three
		More
		Tap the More menu key to see an input form with a drop-down list and a swipe chooser. Use the drop-down list to select an HP Prime app that currently has images associated with it. The use the swipe chooser to swipe through the images associated with an app and tap to select one. Tap the OK menu key to pull that image into your current app.
		Calc
		If you have chosen the XY RANGE option, fill in 3 of the 4 x-range and y-range values, then select the fourth and tap the Calc menu key. The value of the fourth field will be computed for you, keeping the aspect ratio of the original image intact.  For information on how to associate an image with an HP Prime app, see the HP Connectivity Kit User
		Guide.
Numerio	CView	The Numeric view varies from app to app, but its purpose is to present sets of numerical values, whether function values or numerical data.

ics Tree	13217 Help Text
	In Numeric view, you can explore tables of values generated by functions, make geometric measurements, do spreadsheet calculations, and enter data for statistical analyses.
	In most of the Numeric views, the following gestures and features are supported:
	• tap to select an x- or y-value. You can copy the value to the clipboard and then paste it anywhere. If yo
	select a value of the independent variable, you can type in a real number and the table will re-configure around that value.
	• tap and hold, then drag to select a rectangular array of numbers. You can then copy the array and past it into the Spreadsheet, Statistics 1Var or Statistics 2Var apps, or into the List or Matrix Editors.
	<ul> <li>flick to initiate kinetic scrolling in the desired direction</li> <li>drag to scroll the window</li> </ul>
	open pinch vertically to zoom in on the currently selected row of the table
	close pinch vertically to zoom out on the currently selected row of the table
	• press + to zoom in or - to zoom out on the currently selected row of the table, using the zoom factor s
	in Numeric Setup
	Note that the Numeric view is not used in the Explorer apps.
Numeric Setup View	The Numeric Setup view is used to determine the appearance of the Numeric view and to set the zoom factor.
Info	Add a Note to an App
	App Note Editor: Shift + Apps (Info)
	Use this editor to add a note to the current app (or modify the existing note). The note created here stay
	with its app when it is transferred to a PC or another HP Prime. This editor has the same functionality as
	the Notes Editor.
	The menu items are:
	Edit: tap to add a new note or edit the current note      Towarts displays a many of formatting actions.
	Format: displays a menu of formatting options     Styles displays a menu of the partiage.
	Style: displays a menu of style options
	▶ Page ▼: moves from page to page in a multi-page note
	• •: cycles through bullet styles
	Insert: tap to display a menu of items that can be inserted.
	Press ALPHA twice to lock the alpha shift. Press it again to release the alpha shift.
	You can copy and paste text using Shift View (Copy) and Shift Menu (Paste) respectively.
View	View Key
, view	Press the View key to access options specific to the graphing apps (such as split-screen options and commonly used scaling options).  • Split Screen: Plot Detail
	Splits the Plot view into two panels, with zooming only affecting the plot shown in the panel at the right
	<ul> <li>Split Screen: Plot Table</li> <li>Splits the view into two panels, one showing the Plot view and the other the Numeric view.</li> </ul>
	Common zoom options     Action also distribute and action of the collected deficitions in Comballiania
	<ul> <li>Autoscale: adjusts the range (YRange) so that at least one of the selected definitions in Symbolic vicis clearly visible</li> <li>Decimal: rescales both axes so that each pixel represents 0.1 units.</li> </ul>
	• Integer: rescales the horizontal axis only, making each pixel equal to 1 unit.
	• Trig: rescales the horizontal axis so that 1 pixel equals $\pi/24$ radians or 7.5 degrees: rescales the
	• Trig: rescales the horizontal axis so that 1 pixel equals $\pi/24$ radians or 7.5 degrees; rescales the vertical axis so that 1 pixel equals 0.1 units.
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	vertical axis so that 1 pixel equals 0.1 units. You can also modify the View menu options to call programs you have written and attached to apps. See the User Guide for more details.  This dialog box is available as the last page of the plot setup view of most of the apps that have a plot view.  The top choose box lets you choose the image which will be displayed in the background of the app's Pi view. The list contains all the images built into the calculator for this app, plus any other images you have saved in the app file for this app (for example through the connectivity kit).  The checkbox on the right of the image selection lets you choose if you want the image to be a full scree background (unchecked) or if you want to specify the Cartesian coordinates where the image will be drawn.  You can control the image opacity (100 means a solid image, the smaller the number, the more the image will fade out in the background).  If an image stored in an app file is selected, you can delete it by tapping the Delete menu (select the image name for the menu to appear)  You can select any one of the 4 image coordinates and tap on the Calculate menu to recalculate this coordinate so that the image aspect ratio is preserved.  You can import images from the other apps by tapping the Import menu.  This dialog box lets you select any image from any of the other apps (built-in or user-created) and impoit as a user file in the current app.  Select the image that you want to import using the choose box.
	vertical axis so that 1 pixel equals 0.1 units. You can also modify the View menu options to call programs you have written and attached to apps. Se the User Guide for more details.  This dialog box is available as the last page of the plot setup view of most of the apps that have a plot view.  The top choose box lets you choose the image which will be displayed in the background of the app's Pl view. The list contains all the images built into the calculator for this app, plus any other images you have saved in the app file for this app (for example through the connectivity kit).  The checkbox on the right of the image selection lets you choose if you want the image to be a full scree background (unchecked) or if you want to specify the Cartesian coordinates where the image will be drawn.  You can control the image opacity (100 means a solid image, the smaller the number, the more the image will fade out in the background).  If an image stored in an app file is selected, you can delete it by tapping the Delete menu (select the image name for the menu to appear)  You can select any one of the 4 image coordinates and tap on the Calculate menu to recalculate this coordinate so that the image aspect ratio is preserved.  You can import images from the other apps by tapping the Import menu.  This dialog box lets you select any image from any of the other apps (built-in or user-created) and impo it as a user file in the current app.  Select the image that you want to import using the choose box.  You can change the target file name for the image.

Help

opics Tree 13217	Help Text
mmon App Variables	App variables store current settings and results in their respective apps. For example, the X Tick setting stored in a variable, as is the angle measure setting and the graphing method setting.
	You can change a setting by storing a value to an app variable or check a setting by evaluating an app
	variable and looking at it value.
	The variables common to most apps are listed in this section. For variables specific to a particular app,
Commercial Marketine	the section devoted to that app.  This section lists the variables common to many of the HP apps that have a Plot view.
Common Plot View Variables	This section lists the variables common to many of the HP apps that have a Plot view.
	Plot variables include, among other variables specific to the app, Xmin, Xmax, Xtick, Ymin, Ymax, and Yt
	Not all apps will have Plot view variables.
Xmin	Xmin App Variable
	Xmin sets the minimum horizontal value of the Plot view.
	Xmin := n, where n is a real number
Xmax	Xmax App Variable
Alliax	Xmax sets the maximum horizontal value in the Plot view.
	Xmax := n, where n is a real number such that n>Xmin
Ymin	Ymin App Variable
	Ymin sets the minimum vertical value of the Plot view.
	Ymin := n, where n is a real number
Van zu	Ymax App Variable
Ymax	
	Ymax sets the maximum vertical value in the Plot view.
	Ymax := n, where n is a real number such that n>Ymin
Xtick	Xtick App Variable
	Xtick sets the distance between tick marks for the horizontal axis.
	Xtick := n, where n is a real number such that n>0
Ytick	Ytick App Variable
	Ytick sets the distance between tick marks for the vertical axis.
	Ytick := n, where n is a real number such that n>0
Axes	Axes App Variable
	Turns the display of X and Y axes in Plot View on or off.
	Axes := 0 axes on. (default)
	Axes := 1 axes off.
Labels	Labels App Variable
	Labels enables or disables drawing labels in Plot view showing X and Y ranges.
	Labels := 0 labels off (default)
	Labels := 1 labels on
GridDots	GridDots App Variable
	GridDots turns the background grid dots in Plot View on or off.
	GridDots := 0 grid dots on. (default)
	GridDots := 1 grid dots off.
GridLines	GridLines App Variable
	GridLines turns the background grid lines in Plot View on or off.
	GridLines := 0 grid lines on. (default)
	GridLines := 1 grid lines off.
Cursor	Cursor App Variable
Cursor	Cursor sets the cursor type in Plot view.
	Cursor := 0 normal (default)
	Cursor := 1 inverted
	Cursor := 2 blinking
ImageName	ImageName App Variable
	ImageName controls which image is set as a background in plot views.
	ImageName := name, where name is a file name string (such as "photo1").
ImageDisplay	ImageDisplay App Variable
	ImageDisplay controls how a background image is displayed
	0 for no background
	1 for centered
	2 for stretched
	3 for best fit
	4 for XY range
	ImageName controls which image is used
ImageOpacity	ImageOpacity App Variable
	ImageOpacity controls the opacity of the background image, if present. Use 100 for an unmodified image and smaller values for less opacity (more transparency) in the image.
	ImageOpacity := n, where n is a real number between 0 and 100.
ImageXmin	ImageXmin App Variable
	ImageXmin sets the minimum horizontal value occupied by the background image, if present.
	ImageXmin := n, where n is a real number.

opics	Tree 13217	Help Text
		ImageXmax sets the maximum horizontal value occupied by the background image, if present.
		ImageXmax := n, where n is a real number.
	ImageYmin	ImageYmin App Variable
		ImageYmin sets the minimum vertical value occupied by the background image, if present.
		ImageYmin := n, where n is a real number.
	ImageYmax	ImageYmax App Variable
		ImageYmax sets the maximum vertical value occupied by the background image, if present.
		ImageYmax := n, where n is a real number.
	PlotMethod	PlotMethod App Variable
		PlotMethod sets the graphing method:
		PlotMethod := 0, Adaptive (default): gives the most accurate results but takes longer to produce the
		PlotMethod := 1, Fixed-step segments: this method samples x-values, computes their corresponding values, and then plots and connects the points.  PlotMethod := 2, Fixed-step dots: this works like the fixed-step segments method but does not continue to the continue to th
	Recenter	the points.  Recenter App Variable
	necenter	Recenter specifies if the plot recenters on the cursor during Zoom operations in plot view.
		Recenter := 0 — recenter on cursor (default)
		Recenter := 1 — do not recenter on cursor
	Xzoom	Xzoom App Variable
		Xzoom sets the horizontal zoom factor.
		Xzoom := n, where n is a real number such that n>0 (default is 2)
	Yzoom	Yzoom App Variable
		Yzoom sets the vertical zoom factor.
		Yzoom := n, where n is a real number such that n>0 (default is 2)
	Tmin	Tmin App Variable
		Tmin contains the starting value for T in parametric Plot view.
		Tmin := n, where n is a real number
	Tmax	Tmax App Variable
		Tmax contains the final value for T in parametric Plot view.
		Tmax := n , where n is a real number such that n>Tmin
	Tstep	Tstep App Variable
		Tstep contains the step value (increment) of T in parametric Plot view.
		Tstep := n, where n is a real number such that n>0
	Nmin	Nmin App Variable
		Nmin contains the starting value for N in Sequence App Plot view.
	N	Nmin := n, where n is a counting number
	Nmax	Nmax App Variable  Nmax contains the final value for N in Sequence app Plot view.
		Nmax := n, where n is a counting number such that n>Nmin
	Amin	θmin App Variable
	θmin	$\theta$ min contains the starting value for $\theta$ in Polar app Plot view.
		Omin := n, where n is a real number
	θтах	θmax App Variable
		$\theta$ max contains the final value for $\theta$ in Polar app Plot view.
		$\theta$ max := n, where n is a real number such that n> $\theta$ min
	θstep	θstep App Variable
		$\theta step$ contains the stepping value (increment) of $\theta$ in Polar app Plot view.
		$\theta$ step := n, where n is a real number such that n>0
Co	ommon Numeric View Variables	This section lists the variables common to many of the HP apps that have a Numeric view.
	NumStart	NumStart App Variable
		NumStart sets the starting value for the independent variable in Numeric view when Automatic is the Num Type.
		NumStart := n, where n is a real number
	NumStep	NumStep App Variable
		NumStep sets the step size (increment) for the independent variable in Numeric view when Automa
		the Num Type.
	NumaTuma	NumStep := n, where n is a real number such that n>0
	NumType	NumType App Variable  Determines how the independent variable values in Numeric view are generated:
		Determines how the independent variable values in Numeric view are generated:     Automatic: uses the NumStart and NumStep values to create the independent variable values.
		Build Your Own: you enter the independent variable values one by one.
		NumType := 0 for Automatic (default)
		NumType :- 0 for Automatic (default)  NumType := 1 for BuildYourOwn

p Topics Tree	13217	Help Text
		NumIndep contains the list of values you have entered in Numeric view when you have chosen BuildYourOwn mode. In the case of the Advanced Graphing app, the list is of pairs of values.
Num	nZoom	NumZoom App Variable
		NumZoom sets the Numeric view factor.
AFiles		NumZoom := n, where n>0 (default is 4)  App Files
Arries		Each HP Prime app can have any number of files associated with it. These files are sent with the app.
		AFiles returns the list of all these files.
		AFiles("name") returns the content of the file with the given name.
A ETL B		AFiles("name"):= object stores the object in the file with the given name.
AFilesB		Binary App Files  Each HP Prime app can have any number of files associated with it. These files are sent with the app.  AFilesB is the binary equivalent of the AFiles variable.  AFilesB returns the list of all files associated with an app.
		AFilesB("name") returns the size of the file with the given name.
		AFilesB("name", position, [nb]) returns nb bytes read from the file with the given name, starting fror position in the file (position starts at 0).  AFilesB("name", position):= value or { values} stores n bytes, starting at position, in the file with the given name.
DelAFiles		Delete App Files
		DelAFiles("name") Deletes the specified file associated with an HP app.
ANote		App Note  ANote returns the note associated with an HP app. This is the note displayed when the user presses :  Apps (Info).  ANote:="string" sets the note associated with the app to contain the string.
AProgram		App Program
/ Togram		AProgram returns the program associated with an HP Prime app.
		AProgram:="string" sets the program associated with the app to contain the string.
AVars		App Variables
		AVars returns the list of the names of all the variables associated with an HP Prime app.
		AVars(n) returns the content of the nth variable associated with the app.
		AVars("name") returns the content of the specified variable associated with the app.
		AVars(n or "name"):= value sets the specified app variable to contain the given value. If "name" is no existing variable, creates a new one.
		Note that once an app variable is created through AVars("name"):= value, you can use the variable be simply typing the variable name.
DelAVars		Delete App Variables
	to de Westelle .	DelAVars(n) or DelAVars("name") erases the specified app variable.  This section lists the Mode variables used by the HP apps. They are found in the Symbolic Setup view
Common App M	lode Variables	each app.  If the value is set to 0, the settings of the Home view will be used. Else, the setting in the app Symbo
AAngle		Setup view overrides the home view setting.  AAngle App Variable
		AAngle sets the angle mode to Degrees, Radians, or System, for the app.
		AAngle := 0 use Home view setting
		AAngle := 1 for Radians
		AAngle := 2 for Degrees
AD:-it-		AAngle := 3 for Gradians  ADigits App Variable
ADigits		ADigits sets the number of decimal places to use for the number format.
		ADigits := n, where n is an integer such that 0≤n≤11
AFormat		AFormat App Variable
		AFormat defines the format of the number display for the app.
		AFormat := 0 use Home view setting
		AFormat := 1 for Standard
		AFormat := 2 for Fixed
		AFormat := 3 for Scientific  AFormat := 4 for Engineering
		AFormat := 5 for Floating
		AFormat := 6 for Rounded
AComplex		AComplex App Variable
		AComplex sets the complex number mode for the app.
		AComplex := 0 use Home view setting
		AComplex := 1 for ON
		AComplex := 2 for OFF
Function app		The Function app enables you to explore up to 10 real-valued functions of the form Y=f(X) (for exam y=2x+3).
		Once you have defined a function you can:
		View its graphical representation in the Cartesian plane

opics Tree 13217	Help Text  • Create tables of function values
	• Zoom in or out in the representation
	To launch the Function app, go to the Application Library and tap the Function app icon. You can also us the rocker wheel to select the Function app icon, then tap Start or press Enter to launch the app.
Function Symbolic View	In the Function Symbolic View, you can define up to ten functions, F1(X) through F9(X) and F0(X). Highliq one of the function fields and begin entering an expression dependent on x, or tap Edit to edit an existing
	expression.
	The menu buttons are:  • Edit: opens an input line to edit the selected function definition
	• ✓: toggles the selected function on or off for plotting and table-building
	• X: a typing aid for entering functions of x
	Show: displays the selected function in full-screen mode with horizontal and vertical scrolling enabled
	• Eval: resolves references to other functions, such as F2(X)=F1(X-1)+2
	Choose: select a color for the graph
	Examples:
	SIN(6*X)*e^X SIN(2*X)*v(64-X²)
Function Dist View	The Plot View is used to display and explore the graphs of the functions defined in Symbolic View. Tap
Function Plot View	Menu to toggle the menu on and off.  The menu buttons are:
	• Zoom: opens the Zoom menu, with options to zoom in or out, etc.
	Trace: toggles the tracing cursor on and off.
	Go To: lets you move the cursor to any point on the curve by entering its x-coordinate.
	<ul> <li>Fcn: opens the Function menu, with the following commands:</li> <li>Sketch: sketch a function with your finger and HP Prime will match it with a function graph</li> </ul>
	Transform: drag to translate or pinch to die the current function
	Defn: displays the definition of the function being traced, with options to edit the expression or
	transform the graph
	Root: find the root of the current function that is closest to the tracer
	<ul> <li>Intersection: find the intersection of the current function with one other function, closest to the tracer</li> </ul>
	Slope: find the slope of the current function at the current tracer location
	Signed Area: find signed area under a curve or between two curves
	Extremum: find an extremum for the current function, closest to the tracer location
	Tangent: draw the tangent to the current function through the current trace point
	Menu: toggles the menu on and off
	Sketch, Transform, and Definition
	Select Sketch to put Plot view in Sketch mode. Sketch a simple function (linear, quadratic, etc.) with you finger. When you lift your finger from the screen, your sketch will be replaced with the closest graph that HP Prime can manage; tap OK and its expression will be added to Symbolic view.
	Select Transform to translate and dilate the current function graph. Drag to translate and pinch verticall or horizontally to dilate the graph. The expression will respond accordingly. Tap Simplify to simplify the current expression. Tap Form to select an alternate form for your function equation.
	Select Definition to view the expression for the current graph. In the Definition Box, you can tap Edit to edit the expression; when you are done editing, tap OK to see the change in the graph. You can also tap Transform to manipulate the current graph. Tap OK when you are done to return to the Definition Box. Tap the down-arrow menu key again to close the box.
	Use the left- and right-cursor keys or tap to trace along a function. Use the up- and down-cursor keys to switch from one function to another. Press + to zoom in on the current cursor location and press - to zoom out. Set the zoom factor under the Zoom menu.
	You can also use all the gestures common to the Plot views. See Plot View for more details.
Function Plot Setup	The Function Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. This setup has two pages.
· ·	
	On the first page, the fields are:
	X Rng: the horizontal graphing range
	• X Rng: the horizontal graphing range • Y Rng: the vertical graphing range
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> </ul>
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> </ul>
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> </ul>
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: opens an edit line to edit the value of the selected field</li> </ul>
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: opens an edit line to edit the value of the selected field</li> <li>Page 1/2 ▼: displays the second page of the setup</li> </ul>
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: opens an edit line to edit the value of the selected field</li> <li>Page 1/2 ▼: displays the second page of the setup</li> <li>On the second page, the fields are:</li> </ul>
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: opens an edit line to edit the value of the selected field</li> <li>Page 1/2 ▼: displays the second page of the setup</li> <li>On the second page, the fields are:</li> <li>Axes: toggles axes on and off</li> </ul>
	<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: opens an edit line to edit the value of the selected field</li> <li>Page 1/2 ▼: displays the second page of the setup</li> <li>On the second page, the fields are:</li> </ul>

ор	pics Tree 13217	Help Text
		Cursor: choose between standard, inverting, and blinking cursors
		Method: choose between Adaptive, Fixed-Step Segments, and Fixed-Step Dots
		The menu buttons on the second page are:
		• ✓: toggles the current setting on or off
		Choose: make a choice from a choose box
		• ▲ Page 2/2: returns to the first page of the setup
		The Method field requires an explanation. By default, the HP Prime uses the Adaptive method, an advanced method that gives very accurate results. You can choose the more traditional method, called Fixed-Step Segments, which samples x-values, computes their corresponding y-values, and then plots a connects the points. Or you can choose Fixed-Step Dots, which works like Fixed-Step Segments but doe not connect the points.
	Function Numeric View	The Function Numeric View is designed to create and explore a table of X/Y values, based on the function(s) defined in the Symbolic View.  Tap any row of the x-column, enter any real value, and tap OK. The table will reconfigure. You can also zoom in or out on any row in the table. Press + to zoom in on a row of the table and - to zoom out.
		The menu buttons are:
		Zoom: zooms in or out on a highlighted row of the table. Note that in Numeric view, zooming change the increment between consecutive x-values. Zooming in decreases the increment; zooming out increase the increment. The values in the row you zoom in or out on remain the same.
		More: opens a menu with options for selecting multiple cells; you can then copy and pasted them elsewhere.
		Go To: jumps to a specified value of the independent variable
		Defn: displays the definition of the selected column
		The More menu
		The More menu contains the following options:
		• Select
		Row: selects the row that contains the currently selected cell; the row can then be copied to past     elsewhere.
		<ul> <li>elsewhere</li> <li>• Swap Ends: this option is available once a multi-cell selection has been made. Swaps the beginnin</li> </ul>
		and ending cells of the current selection.  • Include Headers: the same as Select Row, except that the row headers are selected as well
		Selection: toggles selection mode on and off
		Font size: select from a small, medium, or large font size
		You can also use any of the gestures common to the Numeric views. See Numeric View for more detail
	Function Numeric Setup	The Function Numeric Setup enables you to control the appearance of the table in the Numeric View, including which x-value is at the top of the table, the step between x-values in the table, and what the zoom factor is used for zooming in and out on a row of the table.
		The fields are:
		Num Start: the first value of x shown in the table
		Num Step: the increment between consecutive x-values
		Num Zoom: the zoom factor for zooming
		Num Type: choose between table types
		Automatic: provides x- and function-values
		BuildYourOwn: you supply x-values; the App provides the corresponding function-values
		The menu buttons are:
		Edit: opens an edit line to edit the current value in a field
		Choose: make a choice from a choose box
		Plot→: sets Num Start and Num Step so that the Numeric view table independent variable values ma
	Function Ann Vovishi	the independent variable values while tracing in Plot view  To display the variables relating to the Function app, press Vars, tap App and select Function.
	Function App Variables	The Function app variables are grouped in 5 categories:
		• Results
		Results     Symbolic
		Symbolic     Plot
		Symbolic     Plot     Numeric
		Symbolic     Plot     Numeric     Modes
		Symbolic     Plot     Numeric     Modes
	Symbolic Variables	Symbolic     Plot     Numeric     Modes     The Plot, Numeric, and Modes app variables are discussed under Common App Variables. The Results
	Symbolic Variables	<ul> <li>Symbolic</li> <li>Plot</li> <li>Numeric</li> <li>Modes</li> <li>The Plot, Numeric, and Modes app variables are discussed under Common App Variables. The Results Symbolic function app variables are discussed in the following sections.</li> </ul>
	Symbolic Variables	Symbolic  Plot  Numeric  Modes  The Plot, Numeric, and Modes app variables are discussed under Common App Variables. The Results Symbolic function app variables are discussed in the following sections.  Function App Symbolic Variables
	Symbolic Variables	<ul> <li>Symbolic</li> <li>Plot</li> <li>Numeric</li> <li>Modes</li> <li>The Plot, Numeric, and Modes app variables are discussed under Common App Variables. The Results Symbolic function app variables are discussed in the following sections.</li> <li>Function App Symbolic Variables         The Function app symbolic variables are F1 through F9 and F0. These variables contain algebraic expressions in X.     </li> <li>Fn := f(X), where n is an integer between 0 and 9 inclusive and f(X) is an algebraic expression in X.</li> </ul>
	Symbolic Variables	<ul> <li>Symbolic</li> <li>Plot</li> <li>Numeric</li> <li>Modes</li> <li>The Plot, Numeric, and Modes app variables are discussed under Common App Variables. The Results Symbolic function app variables are discussed in the following sections.</li> <li>Function App Symbolic Variables         The Function app symbolic variables are F1 through F9 and F0. These variables contain algebraic expressions in X.         Fn := f(X), where n is an integer between 0 and 9 inclusive and f(X) is an algebraic expression in X.     </li> <li>Example:</li> </ul>
		<ul> <li>Symbolic</li> <li>Plot</li> <li>Numeric</li> <li>Modes</li> <li>The Plot, Numeric, and Modes app variables are discussed under Common App Variables. The Results a Symbolic function app variables are discussed in the following sections.</li> <li>Function App Symbolic Variables</li> <li>The Function app symbolic variables are F1 through F9 and F0. These variables contain algebraic expressions in X.</li> <li>Fn := f(X), where n is an integer between 0 and 9 inclusive and f(X) is an algebraic expression in X.</li> <li>Example:</li> <li>F1:='X+3' → 'X+3'</li> </ul>
	Symbolic Variables  Results Variables	<ul> <li>Symbolic</li> <li>Plot</li> <li>Numeric</li> <li>Modes</li> <li>The Plot, Numeric, and Modes app variables are discussed under Common App Variables. The Results of Symbolic function app variables are discussed in the following sections.</li> <li>Function App Symbolic Variables</li> <li>The Function app symbolic variables are F1 through F9 and F0. These variables contain algebraic expressions in X.</li> <li>Fn := f(X), where n is an integer between 0 and 9 inclusive and f(X) is an algebraic expression in X.</li> <li>Example:</li> </ul>

Help Topics Tree	13217	Help Text
	Extremum	Extremum App Variable  Extremum contains the last value found by the Extremum function in the Plot view Fcn menu.
	Isect	Isect App Variable Isect contains the last value found by the Intersection function in the Plot view Fcn menu.
	Root	Root App Variable  Root contains the last value found by the Root function in the Plot view Fcn menu.
	SignedArea	SignedArea App Variable
	Clana	SignedArea contains the last value found by the Signed area function in the Plot view Fcn menu.  Slope App Variable
	Slope	Slope contains the last value found by the Slope function in the Plot view Fcn menu.
Function App Fu	ınctions	The Function app functions provide the same functionality found in the Function app's Plot view under the Fcn menu. All of these operations work on functions. The functions may be expressions in X or the names of the Function app variables F0 through F9.
AREA		AREA App Function Syntax: AREA(Fn, [Fm], Lower, Upper)
		Signed area under a curve or between curves. Approximates the signed area under a function or between two functions. Finds the area under the function Fn or below Fn and above the function Fm, from Lower X value to Upper X-value.  Example:
EXTREMU	M	AREA(-X,X²-2,-2,1) $\rightarrow$ 4.5  EXTREMUM App Function
		Syntax: EXTREMUM(Fn, [Guess])
		Extremum of a function. Finds the extremum (if one exists) of the function Fn that is closest to the X-value Guess.  Examples:  EXTREMUM(X²-X-2,0) → 0.5
		$F1:='X^2-4X+3';  EXTREMUM(F1,1) \to 2$
ISECT		ISECT App Function Syntax: ISECT(Fn, Fm, [Guess])
		Intersection of two functions. Finds the intersection (if one exists) of the two functions Fn and Fm that is closest to the X-value Guess.  Example:  INTERCENT A NOTE OF THE PROPERTY OF THE PROPERTY OF THE PROPERTY OF T
ROOT		ISECT(X,3-X,2) → 1.5  ROOT App Function
		Syntax:  ROOT(Fn, [Guess])  Root of a function. Finds the root of the function Fn (if one exists) that is closest to the X-value Guess.
		Example: $ROOT(3-X^2,2) \rightarrow 1.73205080757$
SLOPE		SLOPE App Function Syntax:
		SLOPE(Fn,Value)
		Slope of a function. Returns the slope of the function Fn at the X-value Value (if it exists).
		Example: $SLOPE(3-X^2,2) \rightarrow -4$
Advanced Graphing A	рр	The Advanced Graphing app enables you to define and explore the graphs of symbolic open sentences depending on x or y, both or neither. You can plot conic sections, polynomials in standard or general form inequalities, and functions.  Once you have defined an open sentence, you can plot it and view a table of values that shows when the open sentence is satisfied.  To launch the Advanced Graphing app, go to the Application Library and tap the Advanced Graphing app icon. You can also use the rocker wheel to select the Advanced Graphing app icon, then tap Start or press Enter to launch the app.  PLOT GALLERY
		To get an idea of the sorts of graphs you can plot with the Advanced Graphing app, open the app, go to Plot view, press the Menu key, and choose Visit Plot Gallery from the menu. A gallery of plots opens, with the definitions that generated a plot shown at the bottom of the screen. Press the rocker wheel left/right to move from plot to plot in the gallery.  To save a plot for your own exploration, tap Save and enter a name for a new customized app. You can
		then explore that new app as you would explore the built-in Advanced Graphing app.
Advanced Graph	ning Symbolic View	The Symbolic View of the Advanced Graphing app enables you to define up to ten open sentences.  Highlight one of the ten definition fields (labeled V0 to V9) and begin entering or editing an open sentence
		Menu Buttons: PRIMARY VIEW     Edit: copies the selected definition to the entry line and activates the cursor

opics 1	Tree 13217	Help Text
		• ✓: selects or deselects the highlighted definition. (Only selected definitions are plotted.)
		X: a typing aid for entering an X
		Y: a typing aid for entering a Y
		Show: displays the selected definition in full-screen mode with horizontal and vertical scrolling enabled
		Eval: resolves references when one definition is defined in terms of another
		Choose: select a color for the graph
		Menu Buttons: EDIT VIEW
		• =: inserts the equal sign
		• ≤,≥,≠: opens a palette of relational operators
		• X: a typing aid for entering an X
		Y: a typing aid for entering a Y
		Cancel: closes the edit line without making changes
		OK: saves the changes and closes the edit line
		Example:
		SIN((1+SIN(X+Y))*ASIN(.5*(SIN(X)+SIN(Y)))+(1+SIN(X-Y))*ASIN(.5*(COS(X)+COS(Y))))=0
Adv	vanced Graphing Plot View	The Plot View is used to display and explore the graphs of the open sentences defined in the Symbolic View. Note that only those definitions selected (checked) in Symbolic view are plotted.
		Tap Menu to show or hide the other menu buttons.  Menu Buttons:
		Zoom: opens the Zoom menu, with options to zoom in or out, etc.
		Trace: provides various tracing options
		Go To: moves the cursor to the location you specify
		Defn: displays the definition of the selected open sentence (which you can then edit without needing)
		go back to Symbolic view)
		Menu: shows or hides the other menu buttons
		The tracer can be customized to trace along the edge of the graph, or to just trace to points of interest such as x-intercepts, y-intercepts, extrema, or inflection points.
		The gestures common to the Plot views are supported here as well. See Plot View for more details.
	Advanced Graphing Plot Tracing	The tracer in the Plot view of the Advanced Graphing App can be set to trace any of the following
		configurations:  • Edge values
		Points of Interest, such as:
		• X-intercepts
		• Y-intercepts
		Horizontal extrema
		Vertical extrema
		Inflection points
		In Plot view, tap the Trace menu key and make a selection. For example, if you are tracing on the graph
		Y=sin(X) and choose to trace X-intercepts, the tracer will jump from one X-intercept to the next. If the tracer is on the point $(0,0)$ and you press rocker wheel right, the tracer will move to $(\pi,0)$ .
		The same trace options are available in Numeric view so that you can set up the table to show the same values that you traced in Plot view.
	Advanced Graphing Plot Defn	You can edit the open sentence shown when you tap Defn (that is, edit it without having to go to Symbol view). The Edit and a surger appears at the end of the definition. Make your shapers and the OK (or pro-
		view). Tap Edit and a cursor appears at the end of the definition. Make your changes and tap OK (or presenter). The graph will change to reflect the new definition. (The original definition in Symbolic view will also be changed.)
		To close the definition pane, tap the down-arrow menu button.
	Advanced Graphing Plot Gallery	The Plot Gallery is a gallery of plots each of which you can save as a new instance of the Advanced
		Graphing app. While you are in Plot view, press the Menu key and select Visit Plot Gallery.
		Press the rocker wheel left/right to move from plot to plot. Note that the definitions that generated the current plot are shown at the bottom of the screen.
		To save a plot for your own exploration, tap Save and enter a name for a new customized app. You can
		then explore that new app as you would explore the built-in Advanced Graphing app.
Adv	vanced Graphing Plot Setup	The Plot Setup view of the Advanced Graphing app enables you to control the appearance of Plot view, including the appearance of the cursor, whether or not the axes are drawn, etc. This view has two pages
		Page 1
		X Rng: the horizontal graphing range
		Y Rng: the vertical graphing range
		X Tick: horizontal tick-mark spacing
		Y Tick: vertical tick-mark spacing
		Page 2
		Axes: toggles axes on and off
		Labels: toggles axis labels on and off
		Labels: toggles axis labels on and off     Grid Dots: toggles grid dots on and off
		Grid Dots: toggles grid dots on and off

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Adv	vanced Graphing Numeric View	Unlike many of the other HP apps, the Numeric view in the Advanced Graphing app does not give a ta of values of the dependent variable as generated by the definitions selected in Symbolic view. Instead both x and y are seen as independent and Numeric view shows whether or not each selected open sentence is satisfied for a set of (x, y) ordered pairs. If it is satisfied, True appears beside that combination; otherwise False appears.
		You can enter your own values in the X and Y columns. The app will automatically re-assess whether t values are satisfied by each open sentence that is represented in Numeric view.
		You can customize the table using the Trace menu key. Instead of showing x- and y-values and wheth not they satisfy the sentence, you can choose to fill the table with the coordinates of points of interest that appear in Plot view. For example, you can select to create a table of the current set of x-intercep inflection points, or intersection points visible in Plot view.
		Menu Buttons:  • Zoom: opens the Zoom menu, with options to zoom in or out on the selected row of the table
		More: opens a menu with editing options
		Trace: provides various options for what to show in the table:  Edge values
		Points of Interest (POI)
		Defn: displays the definition of the selected open sentence
		The More menu
		The More menu contains the following options:
		• Select
		Row: selects the row that contains the currently selected cell; the row can then be copied to past electrons.
		<ul> <li>elsewhere</li> <li>• Swap Ends: this option is available once a multi-cell selection has been made. Swaps the beginni and ending cells of the current selection.</li> </ul>
		Include Headers: the same as Select Row, except that the row headers are selected as well
		Selection: toggles selection mode on and off
	Advanced Graphing: Numeric View: Trace	Advanced Graphing: Numeric View: Trace Options
		The Trace options give you a way of seeing the numerical values of various of the graphs plotted in P view. You can choose to see the:  • Edge values
		• various Points of Interest, such as:
		• X-intercepts
		• Y-intercepts
		Horizontal extrema
		Vertical extrema
		• Inflection points
		Note that the values shown in Numeric view while tracing is on represent features that fall within the plotting domain (that is, between Xmin and Xmax, and Ymin and Ymax). Thus if you have chosen to d the Y-intercepts of open sentence S3 and there are no Y-intercepts within the plotting domain, no va will appear in the S3 column.
		To return Numeric view to its standard presentation, tap Trace > Off.
Adv	vanced Graphing Numeric Setup	The Numeric Setup view of the Advanced Graphing app enables you to configure what is displayed in Numeric view. Fields:
		Num X Start: the starting value for the displayed X range
		Num Y Start: the starting value for the displayed Y range
		Num X Step: the increment between consecutive X-values
		Num Y Step: the increment between consecutive Y-values
		Num Type: Automatic = displayed values generated by Numeric Setup values; BuildYourOwn = you specify the values for X and Y in Numeric view      Num Y Zoom the hardward poor factor for a constitute.
		Num X Zoom: the horizontal zoom factor for zooming operations     Num Y Zoom: the vertical zoom factor for zooming operations
		Menu Buttons:
		Edit: modify the selected value
		Choose: make a choice from a menu
		Plot ->: Set the Numeric Setup values to match the current Plot view
Adv	vanced Graphing App Variables	To display the variables relating to the Advanced Graphic app, press Vars, tap App and select Advanc Graphing.
		The Advanced Graphing app has the following variables:
		• Symbolic
		Plot     Numeric
		Numeric     Modes
	Advanced Graphing Symbolic Variables	The Advanced Graphing app symbolic variables are V1 through V9 and V0.
	9,	These variables contain open sentences (in X, Y, both, or neither).
		Example:
		Example.
		V1:='( $X^2/3$ ) -( $Y^2/5$ )=1' $\rightarrow$ '( $X^2/3$ ) -( $Y^2/5$ )=1'

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		This section lists the variables used in the Numeric view of the Advanced Graphing app.
	NumXStart	NumXStart App Variable
		NumXStart sets the starting value for the X variable in Numeric view when Automatic is the Num Type.
		NumXStart := n, where n is a real number
	NumYStart	NumYStart App Variable
		NumYStart sets the starting value for the Y variable in Numeric view when Automatic is the Num Type.
		NumYStart := n, where n is a real number
	NumXStep	NumXStep App Variable
		NumXStep sets the step size (that is, increment value) for the X variable in Numeric view when Automatic is the Num Type.
		NumXStep := n, where n>0
	NumYStep	NumYStep App Variable  NumYStep sets the step size (that is, increment value) for the Y variable in Numeric view when Automatic is the Num Type.
		NumYStep := n, where n>0
	NumType	NumType App Variable  NumType determines how the independent variable values in Numeric view are generated:
		Automatic: uses the NumStart and NumStep values to create the independent variable values.
		Build Your Own: you enter the independent variable values one by one.
		NumType := 0 for Automatic (default)
		NumType := 1 for Build Your Own
	NumXZoom	NumXZoom App Variable  NumXZoom sets the default zoom factor for zooming in on the X values.
		NumXZoom := n, where n is a real number greater than 1
	NumYZoom	NumYZoom App Variable
		NumYZoom sets the default zoom factor for zooming in on the Y values.
	Normalizada in	NumYZoom := n, where n is a real number greater than 1
	NumIndep	NumIndep App Variable  NumIndep contains a list of values you have entered in Numeric view when you have chosen
		BuildYourOwn mode.
Graph 3D		Graph 3D app  The Graph 3D app allows you to explore the graphical representations of functions that define Z in terms
		of X and Y. In Symbolic View, you can define up to ten functions, FZ1(X,Y) through FZ9(X,Y) and FZ0(X,Y). Highlight one of the function fields and begin entering an expression dependent on X and Y, or tap the Edimenu key to edit an existing expression.
		Once you have defined a function, you can view a table of its values or plot its graph.  To launch the Graph 3D app, go to the Application Library and tap the Graph 3D app icon. You can also us the rocker wheel to select the Graph 3D app icon, then tap Start or press Enter to launch the app.
Graph 3D Sym	bolic View	The Graph 3D Symbolic view contains fields to define up to ten functions, each one defining Z in terms of X and Y. Press the Symb key to return to this view at any time.  The menu buttons are:
		• Edit/Choose: opens an input line to edit the selected function definition or opens a choose box to make
		<ul> <li>a selection</li> <li>✓: toggles the selected definition on or off for plotting and table-building</li> </ul>
		X: a typing aid for entering definitions in X
		Y: a typing aid for entering definitions in Y
		Show: displays the selected definition in full-screen mode with horizontal and vertical scrolling enabled
		• Eval: resolves references to other functions, such as FZ2(X,Y)=FZ1(X,Y)+1
		Highlight one of the definition fields and begin entering an expression in X and Y, or tap Edit to open an edit line to edit an existing expression.
Graph 3D Plot	View	Press the Plot key to enter the Graph 3D Plot view. This view displays the graphs of functions defined in Symbolic view. Tap the Menu soft key to open the Plot View menu.
		The menu buttons are:
		Zoom: opens the Zoom menu, with options to zoom in or out
		Trace: toggles the tracing cursor off and on  Co Touthles the pursor to the point with given X and X values.
		<ul> <li>Go To: takes the cursor to the point with given X- and Y-values</li> <li>FCN: opens the FCN menu with the following options:</li> </ul>
		Defn: displays the symbolic definition of the current graph; you can edit the expression directly in Plo
		view
		Menu: toggles the Plot view menu off and on     Tap to move the tracer to a location. Press + to zoom in on the current cursor location and press - to
		zoom out. The Zoom menu has many of the options found in the Zoom menu of the Function app. The options unique to the Graph 3D app are described here. All the zoom operations use the current zoom factors. These factors are set using Zoom Factors in the Zoom menu. All the zooms described below use the current cursor location to center the zoom.
		Option Result
		In Zooms in on all three dimensions

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1101		Out Zooms out on all three dimensions
		Z In Zooms in on the Z-dimension
		Z Out Zooms out on the Z-dimension
		Square XY Makes the Y-range the same as the X-range
		Square Makes the Y-range and the Z-range the same as the X-range
		Decimal Makes the steps between values of both independent variables 0.1
	Graph 3D Plot Setup	Press Shift Plot to enter the Graph 3D Plot setup. This view enables you to control the appearance of the
	Graph 3D Flot Setup	graph and Plot view. The Setup has five pages.
		On the first page, the fields are:
		Field Description
		X Rng The minimum and maximum visible values of X in Plot view
		Y Rng The minimum and maximum visible values of Y in Plot view
		Z Rng The minimum and maximum visible values of Z in Plot view
		X Tick The spacing between tick marks on the X-axis
		Y Tick The spacing between tick marks on the Y-axis
		Z Tick The spacing between tick marks on the Z-axis
		The menu buttons on the first page are:
		Edit: opens an edit line to edit the value of the selected field
		<ul> <li>Page 1/5 ▼: displays the second page of Plot Setup (tap on the right side of the menu key)</li> </ul>
		- rage 1/3 v. aspiays the second page of rior secup (tap on the right side of the mend key)
		On the second page, the fields are:
		Field Option Description
		Grid The number of steps used in computing X- and Y-values for each plot
		Surface The Surface field controls the coloring schema for the plots. The options are:
		Top/Bottom Uses one color for the top (positive Z, looking down) and another
		color for the bottom (negative Z, looking up)
		Checkerboard Uses a checkerboard pattern to color both the top and bottom of each plot. You can set
		the checker size as well.
		Elevation Color changes depending on the Z-value of each point plotted
		Slope Color changes depending on the gradient at each point plotted
		Key Axes Determines whether or not the orientation of the 3 axes is shown in the top left of Plot view. If
		checked, you can set the colors for the axes as well.
		The menu keys are:
		• Edit/Choose: opens an input line to edit the selected field or opens a choose box to make a selection
		. A taggles the colection on or off
		• ✓: toggles the selection on or off
		On the third page of Plot Setup, the fields are:
		Field Option Description
		Box Sides None Do not color any of the box frame faces
		Rear Color each of the X-Y, Y-Z, and X-Z faces of the box frame that sit behind the plots
		Zmin Color the X-Y face at Zmin
		Box Frame None Do not draw the box frame around the plots
		Rear Draw only the 9 segments of the box frame that are behind the plots
		Front and Rear Draw the entire box frame
		Box Axes None Do not draw the axes
		Rear Draw the axes behind the plots
		Front and Rear Draw axes in front of and behind the plots
		Box Lines None Do not draw tick mark grid lines
		Rear Draw the tick mark grid lines that sit behind the plots
		Front and Rear Draw tick mark grid lines both behind and in front of the plots
		Box Dots None Do not draw tick mark grid dots
		Rear Draw the tick mark grid dots that sit behind the plots
		Front and Rear Draw tick mark grid dots both behind and in front of the plots
		Labels Check to label the axes
		The menu keys here are the same as on Page 2.
		The Plot Setup Page 4 options are:
		Field Option Description
		Cursor Standard Steady white cursor
		Inverting
		Blinking Blinking white cursor
		Box Scale 0.5-2 The scale factor for the box frame. The default is 1.
		Pose X Axis A real number The X-coordinate of the endpoint of the rotation vector
		Pose Y Axis A real number The Y-coordinate of the endpoint of the rotation vector
		Pose Z Axis A real number The Z-coordinate of the endpoint of the rotation vector
		Pose Turn A real number The angle of rotation (in radians) of the rotation vector
		The menu keys are the same as Pages 2 and 3.
		The last page of Plot Setup is the same as Page 3 of Plot Setup for the Function, Polar, and Parametric apps. Here you select an image to be used as a background in Plot view.
		, 5

Hel	p Topics Tree 13217	Help Text	
	Graph 3D Numeric View	Press the Num key to enter Numeric view. The Graph 3D Numeric View is designed to create and explore a table of X/Y/Z values, based on the function(s) defined in Symbolic View.	
		Tap any row of the X or Y-columns, enter any real value, and tap OK. The table will reconfigure. You can also scroll the table by dragging or flicking with a finger.  The menu buttons are:	
		• Zoom: opens the Zoom menu. Note that in Numeric view, zooming changes the increment between consecutive X- and Y-values. Zooming in decreases the increment; zooming out increases the increment. The values in the row you zoom in or out on remain the same.	
		More: opens the More menu, identical to the one in the Function or Advanced Graphing app	
		Go To: jumps to specified values of the independent variables X and Y	
		Defn: displays the definition of the selected column	
		The Zoom menu in Numeric view has many of the same options in the Zoom menu in Numeric view of the other graphing apps. Here are the zoom operations unique to the Graph 3D app. All the zoom operations use the current zoom factors. These factors are set in Numeric Setup.	
		Option Result	
		In Zooms in on the current row of the table in both the X- and Y-columns	
		Out Zooms out on the current row in both the X- and Y-columns	
		Y In Zooms in on the current row in just the Y-column	
		Y Out Zooms out on the current row in just the Y-column  Decimal Makes the steps between values of both independent variables 0.1	
		Integer Makes the steps between values of both independent variables 1	
,		Trig Makes the step between values of both independent variables $\pi/24$ (radians)	
,		Un-Zoom Undoes the last zoom	
	Graph 3D Numeric Setup	The Graph 3D Numeric Setup extends the Function Numeric Setup to cover both independent variables X and Y instead of just X. The Graph 3D Numeric Setup lets you set start- and step-values for both X and Y, as well as set the zoom factors for both X and Y.	
	Graph 3D App Variables	To display the variables relating to the 3D Graphing app, press Vars, tap App and select 3D Graphing.	
	Symbolic Variables	Symbolic View Variables	
	Plot Variables	The symbolic variables in the Graph 3D app are FZ1(X, Y) through FZ9(X, Y) and FZ0(X, Y). Each of the variables contains an expression that defines Z in terms of X and Y.  Plot View Variables	
	Plot variables	The Graph 3D Plot variables include many of the Plot variables from the other graphing apps such as Function and Advanced Graphing. This section includes only those Plot variables unique to the Graph 3D app.	
	Page 1 Variables	Plot Setup Page 1 Variables	
		The unique Plot view app variables on Page 1 of Plot Setup are:	
		• Zmin: the minimum Z-value	
		Zmax: the maximum Z-value	
		Ztick: the tick mark spacing on the Z-axis	
	Page 2 Variables	Plot Setup Page 2 Variables	
		The unique Plot view app variables on Page 2 of Plot Setup are:  • GridX: the number of steps used from Xmin to Xmax for plotting points	
		GridY: the number of steps used from Ymin to Ymax for plotting points     GridY: the number of steps used from Ymin to Ymax for plotting points	
		Surface: contains a list that defines the coloring schema	
		• {0}: Top/Bottom	
		• {1, c, c}: Checkerboard; each square is c by c	
		• {2}: Elevation	
		• {3}: Slope	
		KeyAxes: contains 0 if Key Axes is unchecked and 1 if it is checked	
	Page 3 Variables	Plot Setup Page 3 Variables	
		The unique Plot view app variables on Page 3 of Plot Setup are:	
		BoxSides: Which of the faces of the box frame are colored     O: None - do not color any of the box frame faces	
		1: Rear - color the three faces of the box frame that lie behind the plot(s)	
		2: Zmin - color the face that lies at Zmin	
		BoxFrame: How the box frame is drawn	
		O: None - do not display the box frame	
		• 1: Rear - display the three faces of the box frame that lie behind the plot(s)	
		• 2: Front and Rear - display all 6 faces of the box frame	
		BoxAxes: How the three axes are drawn	
		O: None - do not display the axes	
		• 1: Rear - display the three axes that lie behind the plot(s)	
		2: Front and Rear - display axes in front of and behind the plot(s)      Doublings How grid lines are drawn on the box from:	
		BoxLines: How grid lines are drawn on the box frame     O: None - do not draw grid lines on the box frame	
		1: Rear - draw grid lines on the three faces of the box frame that lie behind the plot(s)	
		2: Front and Rear - draw grid lines on all of the box frame faces	
	I I I	2. Front and field and braining off an orthopoxitatine races	

lp Topics	Tree 13217	Help Text
ib robics	1321/	BoxDots: How grid dots are drawn on the box frame
		O: None - do not draw grid dots on the box frame
		• 1: Rear - draw grid dots on the three faces of the box frame that lie behind the plot(s)
		2: Front and Rear - draw grid dots on all of the box frame faces
		BoxScale: A real number from 0.5 to 2 that determines the scale factor used to draw the box frame
	Page 4 Variables	Plot Setup Page 4 Variables
		The unique Plot view app variables on Page 4 of Plot Setup are:
		BoxScale: a real number between 0.5 and 2 that determines the scale for the box frame
		PoseXaxis: the X-coordinate of the endpoint of the rotation vector
		PoseYaxis: the Y-coordinate of the endpoint of the rotation vector
		PoseZaxis: the Z-coordinate of the endpoint of the rotation vector
	Dana E Veriable	PoseTurn: the angle of rotation (in radians) of the pose axis    Plot Setup Page 5 Variables   Plot Setup Page 5 Variable
	Page 5 Variables	Plot Setup Page 5 Variables  There are no Plot view app variables unique to the Graph 3D app on Page 5 of Plot Setup. Only the thr
		common Plot view app variables ImageName, ImageDisplay, and ImageOpacity are used here.
	Numeric Variables	Numeric View App Variables
		There are three Numeric view app variables unique to the Graph 3D app:
		NumYStart: the starting value for Y in Numeric view
		NumYStep: the step-value for Y in Numeric view
		NumYZoom: the zoom-value for Y in Numeric view
Geometr	у арр	The Geometry app enables you to create, edit, and explore geometric constructions. A geometric construction can be composed of any number of geometric objects, such as points, lines, polygons, curves, tangents, and so on. You can take measurements (such as areas and distances), manipulate objects, and note how measurements change as you manipulate the construction.
		Tap Start or press Enter to launch the app. The app opens in Plot view.
Ge	ometry Plot View	In Plot view you can directly draw objects on the screen using various drawing tools. For example, to d
		a circle, tap Cmds, tap Curve and select Circle. Now tap where you want the center of the circle to be a press Enter. Next, tap a point that is to be on the circumference and press Enter. A circle is drawn with center at the location of your first tap, and with a radius equal to the distance between your first tap a second tap.
		Selecting an object usually involves two steps: tap to select a location or object and then press Enter. Often there will be multiple objects near where you tap the screen; a pop-up menu will appear to allor you to select the object(s) you want. Check the ones you want to select and tap OK. Otherwise, just pr Enter to confirm your intention to create the point or select the object. When creating a point, you ca tap on the screen and then use the rocker wheel to accurately position the point before pressing Ente
		The bottom of the screen always contains help to guide you. You may see any or all of the following:
		• If a tool is active, you will see help at the bottom left (above the Cmds menu key)
		<ul> <li>If a tool is active, you will see the current command as it will be recorded in Symbolic view to the rig of the help text</li> </ul>
		• the current pointer coordinates are displayed at the bottom left
		<ul> <li>the objects recognized as being at the pointer coordinates are displayed at the bottom right; if you press Enter, these objects will appear in the pop-up menu</li> <li>Menu Button:</li> </ul>
		Cmds: The Commands menu has the following categories:
		Zoom: displays a menu of zoom options for you to zoom in or out in Plot view
		Point: displays a menu for creating various types of points
		Line: displays a menu for creating various types of straight objects (segments, lines, tangents, etc.)
		Polygon: displays a menu for creating various types of polygons
		Curve: displays a menu for drawing conic sections and so on
		Plot: displays a menu for plotting functions and so on
		Transform: displays a menu offering various types of transformations (reflection, rotation, etc.)
		Cartesian: displays a menu for displaying coordinates of points, Cartesian equations and so forth
		Measure: displays a menu of various measurements, such as distance, slope, and so forth
		Tests: displays a menu of various tests you can perform, such as is_collinear (tests whether or not set of points is collinear)  PROCESS
		Choose a tool from one of the menus listed above and follow the on-screen prompts. Press Enter after following each prompt, and then press Esc to de-activate the drawing tool.
		Each geometric object you create in the Plot view has its own entry or entries in the Symbolic view. In fact, you can create objects directly in the Symbolic view and they will appear in the Plot view. For mo geometric objects, you can create them in either view. The Cmds menu appears in both views.

Holp Tor	pics Tree 13217	Help Text
Help Top	13217	Calculations (measurements, tests, and so on) created from the Cartesian, Measure, or Tests menus appear at the top left of the display and are docked there; that is, they remain in place even if you scroll or zoom the display. You can edit the default labels for these objects. Tap and hold and an edit line will appear for you to enter your own descriptive label. Tap OK when you are done. You can select and move these objects, effectively undocking them. Once undocked, they move as you scroll and zoom in Plot view. To re-dock one of these objects, tap and hold. The edit line will re-appear; note the Dock menu key on the left. Tap Dock and the object will return to its docked position. Each calculation you create has its own entry in Numeric view, just as each geometric object you create has its own entry in Symbolic view. You can also create calculations and their labels in Numeric view.
		Once you have created objects in Plot view, you can select and move them, either one at a time or as a group. To select a group of objects, tap and hold, then drag to create a selection rectangle. Everything within the rectangle is selected. Drag to move the selected objects and press Esc or Enter when you are done.  OPTIONS MENU  When an object is selected, a new Options menu key appears. Tap this key to select among the options for the object selected, including color and fill options. The options vary, depending on the type of object selected, but include the following:  • Choose Color: opens the color picker to select a color for the object  • Fill: toggles between filling the object with its current color and no fill  • Trace: toggles between tracing and not tracing for a selected point  • Animate: starts and stops an animation based on the selected object  • Point Style: opens a choose box to select a style for the selected point  You can pinch (put two fingers on the screen and move them together or apart) to zoom out or in. You can drag to scroll the Plot view. Of course, + and - work to zoom in and out, respectively, on the pointer.
	Keyboard Shortcuts	Geometry: Keyboard Shortcuts  The keyboard shortcuts operate in Plot view only. The keyboard shortcuts are arranged by alphabetical letter; however, you do not have to press the Alpha key first - just press the key on which the corresponding letter appears.  The keyboard shortcuts are:  • A: toggles axes off and on (press Vars)  • C: create a new circle (press the Template key)  • I: finds an intersection of two objects (press TAN)  • L: creates a new line (press x²)  • P: creates a new point (press EEX)  • S: creates a new segment (press 9)  • T: creates a new triangle (press ÷)
	Geometry Plot Setup	The Plot Setup of the Geometry app enables you to control the appearance of Plot view, including the range of values shown, whether or not the axes are drawn, etc. FIELDS:  ** X Rng: the horizontal range  ** Y Rng: the vertical range  ** Pixel Size: the size of each square pixel in Cartesian units  ** Axes: show or hide the axes  ** Labels: show or hide the labels for each axis  ** Grid Dots: shows or hide grid dots  ** Grid Lines: show or hide grid lines  ** Scroll Text: auto-scroll the current command text in the help area  The Plot view of the Geometry app always maintains a square window; that is, one in which the horizontal and vertical units remain the same. For this reason, you cannot modify the X-range and Y-range as freely as you can in the other apps.  You can set the minimum X-value and minimum Y-value and then set the size of a pixel. Setting the Pixel size to 0.1 will change the pointer coordinates by 0.1 for each press of the rocker wheel (up, down, left, or right). As you make choices in these three fields, the other two are calculated and displayed automatically.
	ScrollText	ScrollText Variable ScrollText controls the Scroll Text property in the Geometry Plot Setup screen. ScrollText := 0 Scroll Text check box cleared. (Default) ScrollText := 1 Scroll Text check box set. When ScrollText=1, long text in the menu in the Geometry plot view will scroll.
	Geometry Symbolic View	Every object—whether a point, segment, line, polygon, or curve—is given a name, and its definition is displayed in Symbolic view. The name is the name for it you see in Plot view, but prefixed by "G". Thus a point labeled A in Plot view is given the name GA in Symbolic view.  In Symbolic view, you can modify existing objects and create new objects. Each object definition appears in its own line and has the following parts:  • Check Box: the check box determines whether the object defined is shown or hidden in Plot view; check to show and uncheck to hide the object  • Color Box: tap the color box to open the color picker; tap a color to select a color and close the picker  • Name Field: the name field determines a unique name for the object; usually, the name will be set automatically.  • Definition Field: the definition field is where the command is entered to define the object symbolically. Open the Cmds menu and choose a command You can flick up or down to kinetically scroll the display.  Menu Buttons: PRIMARY VIEW

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Note that the Geometry app uses lower-case x and y for defining plots and making calculations.		Definition Field: the definition field is where the command is entered to define your calculation. Open the Cmds menu and choose a command; you can also enter functions directly from the keyboard.
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Geometry Variables  Apart from the modes and Plot view variables (which are common to all apps), the Geometry app if following additional Plot view variables:  • PixSize: determines the size of each square pixel in Cartesian units	Geometry Variables	

Heln 1	Topics Tree	13217	Help Text
Пер	Topics Tree	13217	ScrollText: determines whether or not the current command text in Plot view scrolls manually or
			automatically.
			ScrollText := 0 manual scrolling (default)
			ScrollText := 1 automatic scrolling
			The other Geometry app vars are explained in HP Apps > Common App Variables > Common Plot View
			Variables.  The Geometry app also lists as app vars each object in the Symbolic view.
	Coometry Funct	ions	This menu contains all the geometry-specific functions and commands.
	Geometry Funct	lions	Geometry Point Functions
	Forne		This menu contains options commands for creating points, midpoints, and so forth.
		point	Syntax:
		point	point(Real1, Real2)
			point(Expr1, Expr2)
			Creates a point, given the coordinates of the point. Each coordinate may be a value or an expression
			involving variables or measurements on other objects in the geometric construction.
			Examples:
			point(3,4) creates a point whose coordinates are (3,4). This point may be selected and moved later.
			point(abscissa(GA), ordinate(GB)) creates a point whose x-coordinate is the same as that of a point A and
			whose y-coordinate is the same as that of a point B. This point will change to reflect the movements of point A or point B.
		element	Point On
			Syntax:
			element(Object, Real) or
			element(Real1Real2)
			Creates a point on a geometric object whose abscissa is a given value or creates a real value on a given
			interval as a slider bar.  The value you set using element(Real1Real2) can be used as a coefficient in a function you subsequently
			define in Symbolic view and plot in Plot view. In addition, it can be used in a measurement or calculation
			in Numeric view.
			Examples:
			element(plotfunc( $x^2$ ), $-2$ ) creates a point on the graph of $y = x^2$ . Initially, this point will appear at ( $-2$ ,4). You can move the point, but it will always remain on the graph of its function.
			element(05) creates a slider bar with a value of 2.5 initially.
			Tap and hold on the slider name to open the slider bar and manipulate it. There is an Edit menu key that you can tap to define the slider more accurately, create animations, and so forth. Press Esc to close the
			slider bar at the new value or tap anywhere else on the screen.
			· ·
		midpoint	Syntax:
			midpoint(Segment) or midpoint(Point1, Point2)
			Returns the midpoint of a segment. The argument can be either the name of a segment or two points that
			define a segment. In the latter case, the segment need not actually be drawn.
			Example:
			$midpoint(0,6+6i) \rightarrow point(3,3)$
		center	Syntax: center(Circle)
			Returns the center of a circle. The circle can be defined by the circle command or by name (e.g., GC).
			rectards the center of a circle. The circle can be defined by the circle command of by hame (e.g., do).
			Examples:
			center(circle( $x^2+y^2-x-y$ )) $\rightarrow$ point(1/2,1/2)
			center(circumcircle(0,1,1+i)) $\rightarrow$ point(1/2,1/2)
		single_inter	Single Intersection
			Syntax:
			single_inter(Curve1, Curve2, [Point])
			Returns the intersection of Curve1 and Curve2 that is closest to Point.  In Plot view, this command will prompt for two curves. After that, a point will appear; move this point to
			the intersection desired and press Enter. You can move the point later to change intersections if you wish.
			Example: circle interflips $(y^2 + y^2 + 1)$ point $(1, 1)$ $\Rightarrow$ point $(1, 1)$ $\Rightarrow$ $(1, 1)$
		Pandom Doint	single_inter(line(y=x),circle( $x^2+y^2=1$ ), point((1,1)) $\rightarrow$ point((1+i)*V2/2)  Creates a random point in Plot view.
		Random Point	Activate this command and press Enter to create a random point in the Plot view. Keep pressing Enter to
			create more random points or press Esc to quit.
		inter	Intersections
			Syntax:
			inter(Curve1, Curve2)
			Returns the intersections of two curves as a vector.
			Example: inter(8, $v^2/6$ , $v/2$ , 1) $\rightarrow$ [16, 2] [-9, -11/2]], indicating that there are two intersections one at (6, 2) and the
			inter(8- $x^2$ /6, $x$ /2-1) $\rightarrow$ [[6, 2] [-9, -11/2]], indicating that there are two intersections-one at (6,2) and the other at (-9,-11/2).
		Trace	Syntax:
			trace(point)
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			Trace is an option found in the Options menu of the Plot view of the Geometry app. It is a toggle for turning tracing off and on for the selected point. There is also an option to clear an existing trace from Plot view.  Example:
			trace(GA)
		Clear Trace	Clear Trace erases the current trace in Plot view. It does not stop further tracing.
	Line	Cicai Trace	Geometry Line Functions
			This menu contains all the geometrical functions specific to straight objects (segments, lines, etc.).
		segment	Syntax:
			segment(Point1, Point2)
			Draws a segment defined by its endpoints.
			Examples:
			segment(1+2*i, 4) draws the segment defined by the points with coordinates (1, 2) and (4, 0).
		Late Para	segment(GA,GB) draws segment AB. draws segment AB.
		half_line	Ray Syntax:
			half_line(Point1, Point2)
			Given 2 points, draws a ray from the first point through the second point.
			Example:
			half_line(0,1+i) draws a ray starting at the origin and passing through the point at (1,1)
		line	Syntax:
			line(Point1, Point2) or
			line(a*x+b*y+c) or
			line(point1, slope=realm)
			Draws a line in the Plot view of the Geometry app or returns the equation of a line in CAS view. The arguments can be two points, a linear expression of the form a*x+b*y+c, or a point and a slope.
			Examples:
			line(2+i,3+2*i) draws the line whose equation is y=x-1; that is, the line through the points (2,1) and (3,
			line(2x-3y-8) draws the line whose equation is 2x-3y=8
			line(3-2i,slope=1/2) draws the line whose equation is x-2y=7; that is, the line through (3, -2) with slope
			m=1/2
		parallel	Syntax:
			parallel(Point, Line)  Given a point and a line, returns the equation of the line through the point that is parallel to the given
			Examples:
			parallel(GA,GB) draws the line through point A that is parallel to line B.
			parallel(point(3,-2),line(x+y=5)) draws the line through the point (3, $-2$ ) that is parallel to the line who equation is x+y=5; that is, the line whose equation is y= $-x+1$ .
		perpendicular	Syntax:
			perpendicular(Point, Line) or
			perpendicular(Point1, Point2, Point3)
			Draws a line through a given point that is perpendicular to a given line. The line may be defined by its name, two points, or an expression in x and y.
			Examples:
			perpendicular(GA,GD) draws a line perpendicular to line D through point A.  perpendicular(3+2i,GB,GC) draws a line through the point whose coordinates are (3, 2) that is
			perpendicular (3+21,GB,GC) draws a line through the point whose coordinates are (3, 2) that is perpendicular to line BC.
			perpendicular(3+2*i,line(x-y=1)) draws a line through the point whose coordinates are (3, 2) that is perpendicular to the line whose equation is $x - y = 1$ ; that is, the line whose equation is $y=-x+5$ .
		tangent	Syntax:
			tangent(Curve, Point)
			Draws the tangent(s) to a given curve through a given point. The point does not have to be a point on
			curve. Examples:
			tangent(plotfunc(x²), point(1,1)) draws the tangent to the graph y=x² through the point (1,1); that is, t
			line whose equation is y=2*x-1.
			tangent(plotfunc(x²), GA) draws the tangent to the graph of y=x² through point A. Point A can then be
			moved and the tangent will move with it.  tangent(circle(GB,GC-GB),GA) draws one or more tangent lines through point A to the circle whose ce
		median_line	is at point B and whose radius is defined by segment BC.  Median
			Syntax:
			median_line(Point1, Point2, Point3)
			Given three points that define a triangle, draws the median of the triangle that passes through the first point and contains the midpoint of the segment defined by the other two points. In CAS view, returns
			equation of the median line.

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			median_line(0,8*i,4) draws the line whose equation is y=2x; that is, the line through the first vertex of the triangle at (0,0) and the point at (2,4), the midpoint of the segment with endpoints (0, 8) and (4, 0).
		altitude	Syntax: altitude(Point1, Point2, Point3)
			Given three non-collinear points, draws the altitude of the triangle defined by the three points that passes through the first point. The triangle does not have to be drawn.
			Example:
		bisector	altitude(point(6,6), point(-2,3), point(5,1)) draws a line passing through point (6,6) that is perpendicular to the line passing through both points (-2,3) and (5,1).  Syntax:
			bisector(Point1, Point2, Point3)  Given three points, creates the bisector of the angle defined by the three points whose vertex is at the
			first point. The angle does not have to be drawn in the Plot view.
			Examples: bisector(0,-4*i,4)
			bisector(0,1,i) bisector(GA,GB,GC) draws the bisector of 4BAC.
	Polygon		bisector(0,-4i,4) draws the line given by y=-x  Geometry Polygon Functions
			This menu contains all the geometrical functions specific to polygons.
		triangle	Syntax: triangle(Point1, Point2, Point3)
			Draws a triangle, given its three vertices.  Example: triangle(GA,GB,GC) draws \( \Delta ABC \)
		isosceles_triangle	Isosceles Triangle Syntax:
			isosceles_triangle(Point1, Point2, Angle, [Var])
			Draws an isosceles triangle defined by two of its vertices and an angle. The vertices define one of the two sides equal in length and the angle defines the angle between the two sides of equal length. Like equilateral_triangle, you have the option of storing the coordinates of the third point into a CAS variable.
			Example:  isosceles_triangle(GA,GB,angle(GC,GA,GB)) defines an isosceles triangle such that one of the two sides of equal length is AB, and the angle between the two sides of equal length has a measure equal to that
		right_triangle	of∡ACB. Right Triangle
			Syntax: right_triangle(Point1, Point2, Realk)
			Draws a right triangle given two points and a scale factor. One leg of the right triangle is defined by the two points, the vertex of the right angle is at the first point, and the scale factor multiplies the length of the first leg to determine the length of the second leg.
			Example: right_triangle(GA,GB,1) draws an isosceles right triangle with its right angle at point A, and with both legs equal in length to segment AB.
		quadrilateral	Syntax: quadrilateral(Point1, Point2, Point3, Point4)
			Draws a quadrilateral from a set of four points.  Example:
		caupro	quadrilateral(GA,GB,GC,GD) draws quadrilateral ABCD.
		square	Syntax: square(Point1, Point2)
			Draws a square, given two consecutive vertices as points.  Example: square(0,3+2i,p,q) draws a square with vertices at (0, 0), (3, 2), (1, 5), and (-2, 3). The last two vertices are computed automatically and are saved into the CAS variables p and q.
		parallelogram	Syntax: parallelogram(Point1, Point2, Point3)
			Draws a parallelogram given three of its vertices. The fourth point is calculated automatically but is not defined symbolically. As with most of the other polygon commands, you can store the fourth point's coordinates into a CAS variable. The orientation of the parallelogram is counterclockwise from the first point.
			Example:  parallelogram(0,6,9+5i) draws a parallelogram whose vertices are at (0, 0), (6, 0), (9, 5), and (3,5). The coordinates of the last point are calculated automatically.
		rhombus	Syntax: rhombus(Point1, Point2, Angle)
			Draws a rhombus, given two points and an angle. As with many of the other polygon commands, you can specify optional CAS variable names for storing the coordinates of the other two vertices as points.
			Example rhombus(GA,GB,angle(GC,GD,GE)) draws a rhombus on segment AB such that the angle at vertex A has the same measure as 4DCE
		rectangle	Syntax:

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			rectangle(Point1, Point2, Point3) or
			rectangle(Point1, Point2, Realk)
			Draws a rectangle given two consecutive vertices and a point on the side opposite the side defined by the
			first two vertices or a scale factor for the sides perpendicular to the first side. As with many of the other
			polygon commands, you can specify optional CAS variable names for storing the coordinates of the other
			two vertices as points.
			Examples:
			rectangle(GA,GB,GE) draws a rectangle whose first two vertices are points A and B (one side is segment
			AB). Point E is on the line that contains the side of the rectangle opposite segment AB.
			rectangle(GA,GB,3,p,q) draws a rectangle whose first two vertices are points A and B (one side is segment
			AB). The sides perpendicular to segment AB have length 3*AB. The third and fourth points are stored into
			the CAS variables p and q, respectively.
		polygon	Syntax:
			polygon(Point1, Point2,, Pointn)
			Draws a polygon from a set of vertices.
			Example:
			polygon(GA,GB,GD) draws ΔABD
		isopolygon	Regular Polygon
			Syntax:
			isopolygon(Point1, Point2, Realn)
			Draws a regular polygon given the first two vertices and the number of sides, where the number of sides
			is greater than 1. If the number of sides is 2, then the segment is drawn.
			You can provide CAS variable names for storing the coordinates of the calculated points in the order they
			were created. The orientation of the polygon is counterclockwise.
			Examples:
			isopolygon(point(0,0,0),point(3,3,3),point(0,0,3),-5)
			isopolygon(GA,GB,6) draws a regular hexagon whose first two vertices are the points A and B.
	Curve		Geometry Curve Functions
	Curve		This menu contains all the geometrical functions specific to curves.
		sinala	Syntax:
		circle	
			circle(Point1, Point2) or
			circle(Point1, Point2-Point1) or
			circle(equation)
			Draws a circle, given the endpoints of the diameter, or a center and radius, or an equation in x and y.
			Examples:
			circle(GA,GB) draws the circle with diameter AB.
			circle(GA,GB-GA) draws the circle with center at point A and radius AB.
			circle(x²+y²=1) draws the unit circle.
			This command can also be used to draw a clockwise arc.
			circle(GA,GB,0, $\pi$ /2) draws a quarter-circle with diameter AB.
		circumcircle	Syntax:
			circumcircle(Point1, Point2, Point3)
			Draws the circumcircle of a triangle; that is, the circle circumscribed about a triangle.
			Example:
			circumcircle(GA,GB,GC) draws the circle circumscribed about ΔABC
		eveirele	Syntax:
		excircle	'
			excircle(Point1, Point2, Point3)  Given three points that define a triangle draws the excircles of the triangle that is tangent to the side.
			Given three points that define a triangle, draws the excircles of the triangle that is tangent to the side defined by the last two points and also tangent to the extensions of the two sides whose common vertex
			is the first point.
			Example:
			excircle(GA,GB,GC) draws the circle tangent to segment BC and to the rays AB and AC.
		incircle	Syntax:
			incircle(Point1, Point2, Point3)
			Draws the incircle of a triangle, the circle tangent to all three sides of the triangle.
			Examples:
			' I
			incircle(0,4,4+4*i)
		<u></u>	incircle(GA,GB,GC) draws the incircle of ΔABC.
		ellipse	Syntax:
			ellipse(Point1, Point2, Point3) or
			ellipse(Point1, Point2, Realk)
			Draws an ellipse, given the foci and either a point on the ellipse or a scalar that is one half the constant
			sum of the distances from a point on the ellipse to each of the foci.
			Examples:
			· ·
			ellipse(GA,GB,GC) draws the ellipse whose foci are points A and B and which passes through point C.
			ellipse(GA,GB,3) draws an ellipse whose foci are points A and B. For any point P on the ellipse, AP+BP=6.

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	hyperbola	Syntax:
		hyperbola(Point1, Point2, Point3) or
		hyperbola(Point1, Point2, Realk)
		Draws a hyperbola, given the foci and either a point on the hyperbola or a scalar that is one half the constant difference of the distances from a point on the hyperbola to each of the foci.
		Examples:  hyperbola(GA,GB,GC) draws the hyperbola whose foci are points A and B and which passes through po
		C.  hyperbola(GA,GB,3) draws a hyperbola whose foci are points A and B and which passes through po  C.
	parabola	AP-BP  =6.   Syntax:
	parasora	parabola(Point, Line) or
		parabola(Point, Realk) or
		parabola(Expr)  Draws a parabola, given a focus point and a directrix line, or the vertex of the parabola and a real num that represents the focal length  Examples:
		parabola(GA,GB) draws a parabola whose focus is point A and whose directrix is line B.
		parabola(GA,1) draws a parabola whose vertex is point A and whose focal length is 1.
		parabola(x-y²+y-2) draws the graph of the parabolic equation x=y²-y+2
	conic	Syntax: conic(Expr)
		Plots the graph of a conic section defined by an expression in x and y.
		Example: conic(x²+y²-81) draws a circle with center at (0,0) and radius of 9
	locus	Syntax: locus(Point,Element, [tstep=Value]))
		Given a first point and a second point that is an element of (a point on) a geometric object, draws the
		locus of the first point as the second point traverses its object. The optional tstep statement can be us to control the default level of detail.
Plot	<u> </u>	Geometry Plot Functions
		This menu contains a set of commands for plotting graphs in Plot view of the Geometry app.
	plotfunc	Plot Function
		Syntax: plotfunc(Expr)
		Used in the Geometry app Plot or Symbolic views, or in CAS view. Draws the plot of a function, given a expression in the independent variable x. Note the use of lowercase x.
		Example:  plotfunc(3*sin(x)) draws the graph of y=3*sin(x).
	plotparam	Plot Parametric
	piotparam	Syntax:
		plotparam(f(Var)+i*g(Var), Var= Interval, [tstep=Value])
		Used in the Geometry app Symbolic view. Takes a complex expression in one variable and an interval that variable as arguments. Interprets the complex expression f(t)+i*g(t) as x=f(t) and y=g(t) and plots parametric equation over the interval specified in the second argument.
		Examples:
		plotparam( $cos(t)+i*sin(t),t=02*\pi$ ) plots the unit circle
		plotparam(cos(t)+i*sin(t),t=02* $\pi$ ,tstep= $\pi$ /3) plots a regular hexagon inscribed in the unit circle (note tstep value)
	plotpolar	Plot Polar
		Syntax:
		plotpolar(Expr,Var=Interval, [Step]) or
		plotpolar(Expr, Var, Min, Max, [Step])
		Used in the Geometry app to draw a polar graph in Plot view.
		Examples:
		plotpolar(sin(2*x),x,0, $\pi$ ,tstep=0.1)
		plotpolar(f(x),x,a,b) draws the polar curve r=f(x) for x in [a,b]
	plotseq	Plot Sequence Syntax:
		Syntax:  plotseq(f(Var), Var={Start, Xmin, Xmax}, Integern)
		Used in the Geometry app Symbolic view. Given an expression in x and a list containing three values,
		draws the line y=x, the plot of the function defined by the expression over the domain defined by the interval between the last two values, and draws the cobweb plot for the first n terms of the sequence defined recursively by the expression (starting at the first value).
		Example: $ A  = \frac{1}{2}  A  $
		plotseq(1-x/2,x={3,-1,6},5) plots y=x and y=1-x/2 (from x=-1 to x=6), then draws the first 5 terms of th
		cobweb plot for $u(n)=1-(u(n-1)/2)$ , starting at $u(0)=3$

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			Syntax: plotimplicit(Expr, [XIntrvl, YIntrvl])
			Used in the Geometry app Plot or Symbolic views, or CAS view. Plots an implicitly defined curved from
			Expr (in x and y). Specifically, plots Expr=0. Note the use of lowercase x and y. With the optional x-interval and y-interval, plots only within those intervals.
			Examples:
			plotimplicit((x+5)²+(y+4)²-1,[x=-64,y=-53])
			plotimplicit((x+5)²+(y+4)²-1) plots a circle, centered at the point (-5, -4), with a radius of 1
		plotinequation	Plot Inequation
			Syntax:
			plotinequation(Expr,[x=xrange,y=yrange],[xstep],[ystep])
			Plots the graph of the solution of inequations with two variables.  Example:
			plotinequation([x+y>3,x² <y],[x,y],xstep=0.2,ystep=0.2)< td=""></y],[x,y],xstep=0.2,ystep=0.2)<>
		plotfield	Plot Slopefield Syntax:
			plotfield(Expr, VectorVar, [xstep=Val, ystep=Val, Option])
			Used in the Geometry app or CAS view. Plots the graph of the slopefield for the differential equation
			y'=f(x,y), where f(x,y) is contained in Expr. VectorVar is a vector containing the variables. If VectorVar is of the form [x=Interval, y=Interval], then the slopefield is plotted over the specified x-range and y-range. Given xstep and ystep values, plots the slopefield segments using these steps. If Option is 'normalize', then the slopefield segments drawn are equal in length.
			Example:
			plotfield(x*sin(y),[x=-66,y=-66],normalize) draws the slopefield for y'=x*sin(y), from -6 to 6 in both
			directions, with segments that are all of the same length.  Plot ODE
		plotode	Syntax:
			plotode(Expr, [Var1, Var2,], [Val1, Val2], [tstep=Value])
			Used in the Symbolic or Plot views of the Geometry app or in CAS view. Draws the solution of the
			differential equation y'=f(Va1, Var2,) that contains as initial condition for the variables Val1, Val2, The
			first argument is the expression f(Var1, Var2,), the second argument is the vector of variables, and the third argument is the vector of initial conditions. The optional tstep can be used to control the level of detail of the plot.
			Examples:
			plotode( $x*sin(y),[x,y],[-2,2]$ ) draws the graph of the solution to $y'=x*sin(y)$ that passes through the point $(-2, 2)$ as its initial condition.
			plotode(5*[-y,x],[t=01,x,y],[0,0.3,0.7],tstep=0.5,plan)
		plotlist	Plot List Syntax:
			plotlist(Matrix)
			Used in the Plot or Symbolic views of the Geometry app, or CAS view, this command plots a set of n point and connects them with segments. The points are defined by a m x 2 matrix, with the abscissas in the first row and the ordinates in the second row.
			Example: plotlist([[0,3],[2,1],[4,4],[0,3]]) draws a triangle
	Transform		Geometry Transform Functions  This menu contains all the geometrical functions specific to transformations.
		translation	Syntax:
			translation(Vector, Object)
			Translates a geometric object along a given vector. The vector is given as the difference of two points (head-tail).
			Examples:
			translation(0-i,GA) translates object A down one unit.
		- Contract	translation(GB-GA,GC) translates object C along the vector AB.
		reflection	Syntax: reflection(Line, Object) or
			reflection(Point, Object)
			Reflects a geometric object over a line or through a point. The latter is sometimes referred to as a half-
			turn.
			Examples: reflection(line(x=3),point(1,1)) reflects the point at (1,1) over the vertical line x=3 to create a point at (5,1)
			reflection(1+i, 3-2i) reflects the point at (3,-2) through the point at (1, 1) to create a point at (-1,4).
		rotation	Syntax:
			rotate(Point, Angle, Object)
			Rotates a geometric object, about a given center point, through a given angle.
			Example:  rotate(GA,angle(GB,GC,GD),GK) rotates the geometric object labeled K, about point A, through an angle equal to 4CBD.
		homothety	Dilation
			Syntax:
			Page <b>25</b> of <b>2</b> 5

lelp Topics	Tree	13217	Help Text homothety(Point, Realk, Object)
			Dilates a geometric object, with respect to a center point, by a scale factor.
			Examples:
			homothety(GA,2,GB) creates a dilation centered at point A that has a scale factor of 2. Each point P on
			geometric object B has its image P' on ray AP such that AP'=2AP.
			homothety(point(0,0),1/3,point(9,9)) creates an image point at (3,3).
		similarity	Syntax:
			similarity(Point, Realk, Angle, Object)
			Dilates and rotates a geometric object about the same center point.
			Example:
			similarity(0,3,angle(0,1,i),point(2,0)) dilates the point at (2,0) by a scale factor of 3 (a point at (6,0)), then rotates the result 90° counterclockwise to create a point at (0, 6)
		projection	Syntax:
		p. 5,555.55.	projection(Curve, Point)
			Draws the orthogonal projection of a point onto a curve.
			Example:
			projection(circle(x²+y²=4),point(6,6)) creates a point on the circle at (√2,√2)
		inversion	Syntax:
			inversion(Point1, Realk, Point2)
			Draws the inversion of a point, with respect to another point, by a scale factor.
			Example:
			inversion(GA,3,GB) draws point C on line AB such that AB*AC=3. In this case, point A is the center of the
			inversion and the scale factor is 3. Point B is the point whose inversion is created.
			In general, the inversion of point A through center C, with scale factor k, maps A onto A', such that A' is o
			line CA and CA*CA'=k, where CA and CA' denote the lengths of the corresponding segments. If k=1, then
			the lengths CA and CA' are reciprocals.
		reciprocation	Syntax:
			reciprocation(Circle, [Obj1, Obj2,Objn])
			Given a circle and a vector of objects that are either points or lines, returns a vector where each point is
			replaced with its polar line and each line is replaced with its pole, with respect to the circle.
			Example:
			reciprocation(circle(0,1),[line(1+i,2),point(1+i*2)]) returns [point(1/2, 1/2) line(y=-x/2+1/2)]
	Cartesian		Geometry Cartesian Functions
			This menu contains commands that are essentially Cartesian in nature. These include the coordinates of points, the equations of lines and curves, and slider bars among others.
			points) the equations of intestants and res) and since such such such such such such such such
		abscissa	Syntax:
			abscissa(Point) or abscissa(Vector)
			Returns the x coordinate of a point or the x length of a vector.
			Example:
			abscissa(GA) the x-coordinate of the point A.
		affix	Syntax:
		affix	Syntax: affix(Point) or affix(Vector)
		affix	Syntax:
		affix	Syntax: affix(Point) or affix(Vector)
		affix	Syntax:  affix(Point) or affix(Vector)  Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.
		affix	Syntax:  affix(Point) or affix(Vector)  Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.  Examples:
		affix	Syntax:  affix(Point) or affix(Vector)  Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.  Examples:  affix(point(3,2)) returns 3+2*i
			Syntax:  affix(Point) or affix(Vector)  Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.  Examples:  affix(point(3,2)) returns 3+2*i  If GA is a point at (1, -2), then affix(GA) returns 1-2*i.
			Syntax:  affix(Point) or affix(Vector)  Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.  Examples:  affix(point(3,2)) returns 3+2*i  If GA is a point at (1, -2), then affix(GA) returns 1-2*i.  Syntax:  coordinates(Point) or coordinates(Vector)
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		coordinates	Syntax:  affix(Point) or affix(Vector)  Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.  Examples:  affix(point(3,2)) returns 3+2*i  If GA is a point at (1, -2), then affix(GA) returns 1-2*i.  Syntax:  coordinates(Point) or coordinates(Vector)  Given a point, returns a vector with its coordinates. Given a vector of points, returns a matrix containing the x- and y-coordinates of those points. Each row of the matrix defines one point; the first column gives the x-coordinates and the second column contains the y-coordinates.  Example:  coordinates(point(1+2*i)) → [1,2]  Syntax:  ordinate(Point) or  ordinate(Vector)  Returns the ordinate of a point or the y-length of a vector.  Example:  ordinate(point(1+2*i)) → 2  Polar Coordinates  Syntax:  polar_coordinates(Point)  Returns a vector containing the polar coordinates of a point.
		coordinates	Syntax:  affix(Point) or affix(Vector)  Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.  Examples:  affix(point(3,2)) returns 3+2*i  If GA is a point at (1, -2), then affix(GA) returns 1-2*i.  Syntax:  coordinates(Point) or coordinates(Vector)  Given a point, returns a vector with its coordinates. Given a vector of points, returns a matrix containing the x- and y-coordinates of those points. Each row of the matrix defines one point; the first column gives the x-coordinates and the second column contains the y-coordinates.  Example:  coordinates(point(1+2*i)) → [1,2]  Syntax:  ordinate(Point) or  ordinate(Point) or  ordinate(Point) or  ordinate(point(1+2*i)) → 2  Polar Coordinates  Syntax:  polar_coordinates(Point)  Returns a vector containing the polar coordinates of a point.  Example:

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			equation(Curve) or equation(Point)
			Returns the Cartesian equation of a curve in x and y, or the Cartesian coordinates of a point.
			Examples:
			equation(line(1-i,i)) $\rightarrow$ y=-2*x+1
			If GA is the point at (0, 0), GB is the point at (1, 0), and GC is defined as circle(GA, GB-GA), then
			equation(GC) returns x <sup>2</sup> + y <sup>2</sup> =1.
		parameq	Parametric Syntax:
			parameq(Obj)
			Returns a parametric equation for a geometric object. The parametric equation is true for all complex
			numbers that represent points on the object.  Examples:
			$parameq(circle(0,1)) \rightarrow e^{(i*t)}$
			parameq(line(i,1-i))
	Measure		Geometry Measure Functions
			This menu contains all the geometrical measurement specific functions
		distance	Syntax:
			distance(Point1, Point2) or
			distance(Point, Curve)
			Returns the distance between two points or between a point and a curve.
			Examples:
			$distance(1+i,3+3i) \rightarrow 2V2$
			if GA is the point at (0,0) and GB is defined as plotfunc(4-x²/4), then distance (GA,GB) returns 2v3.
		radius	Syntax:
		laulus	radius(Circle)
			Returns the radius of a circle.
			Examples:
			radius(circle(-1,1-i)) $\rightarrow \sqrt{2}$
			If GA is the point at (0,0), GB is the point at (1,0), and GC is defined as circle(GA,GB-GA), then radius(GC)
			returns 1.
		perimeter	Syntax:
			perimeter(Polygon) or
			perimeter(Circle)
			Returns the perimeter of a polygon or the circumference of a circle.
			Examples:
			perimeter(0,1,i) $\rightarrow$ V2+2
			If GA is the point at $(0, 0)$ , GB is the point at $(1, 0)$ , and GC is defined as circle(GA, GB-GA), then perimeter(GC) returns $2\pi$ .
			If GA is the point at (0, 0), GB is the point at (1, 0), and GC is defined as square(GA, GB-GA), then
			perimeter(GC) returns 4.
		area	Syntax:
			area(Circle) or
			area(Polygon) or
			area(Function, Value1, Value2)
			Returns the area of a circle or polygon. Can also return the area under a function between two x-values.
			Examples:
			If GA is defined to be the unit circle, then area(GA) returns $\pi$ .
			If GA is defined to be plotfunc(4-x²/4), then area(GA,-4,4) returns 64/3 or 21.333
			In CAS view, area(4-x²/4,x=-44) returns 64/3 as well.
		angle	Syntax:
			angle(Vertex, Point2, Point3)
			Returns the measure of a directed angle. The first point is taken as the vertex of the angle and the next
			two points in order give the measure and orientation.
			Examples: angle(i,1,1+i,"b") returns the measure of 4BAC
		slone	Syntax:
		slope	slope(Line) or slope(Point1, Point2)
			Given a line or two points that define a line, returns the slope of the line.
			Example: slope(line(1,2*i)) $\rightarrow$ -2
		arcLen	Arc Length
		a. 52511	Syntax:
			arcLen(Expr, Real1, Real2)
			Returns the length of the arc of a curve between two points on the curve. The curve is an expression, the independent variable is declared, and the two points are defined by values of the independent variable.
			This command can also accept a parametric definition of a curve. In this case, the expression is a list of 2 expressions (the first for x and the second for y) in terms of a third independent variable.
			Examples:
			$\operatorname{arcLen}(x^2, x, -2, 2) \to 9.29$
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			$arcLen(\{sin(t),cos(t)\},t,0,\pi/2) \rightarrow 1.57$
	Test		Geometry Test Functions
			This menu contains all the geometrical test specific functions
		is_collinear	is_collinear Function
			Syntax:
			is_collinear(Point1, Point2,, Pointn)
			Takes a set of points as argument and tests whether or not they are collinear. Returns 1 if the points are
			collinear and 0 otherwise.
			Example:
			is_collinear(point(0,0), point(5,0), point(6,1)) $\rightarrow$ 0
		is_concyclic	is_concyclic Function
			Syntax:
			is_concyclic(Point1, Point2, Point3, Point4))
			Takes a set of 4 points as argument and tests if they are all on the same circle. Returns 1 if the points are
			all on the same circle and 0 otherwise.  Example:
			is_concyclic(point(-4,-2), point(-4,2), point(4,-2), point(4,2)) $\rightarrow$ 1
		is alament	is_element Function
		is_element	Syntax:
			is_element(Point, Object)
			Tests if a point is on a geometric object. Returns a number (1 to number of sides) representing the
			segment containing the point and 0 otherwise.
			Examples:
			is_element(point(( $V(2)/2$ ),( $V(2)/2$ )),circle(0,1)) $\rightarrow$ 1
			is_element(point(0,0.5),square(0,1)) $\rightarrow$ 4
		is_parallel	is_parallel Function
			Syntax:
			is_parallel(Line1, Line2)
			Tests whether or not two lines are parallel. Returns 1 if they are and 0 otherwise.
			Example:
			is_parallel(line(2x+3y=7),line(2x+3y=9) $\rightarrow$ 1
		is_perpendicular	is_perpendicular Function
		-   -   -   -   -   -   -   -   -   -	Syntax:
			is_perpendicular(Line1, Line2)
			Similar to is_orthogonal. Tests whether or not two lines are perpendicular. Returns 1 if they are or 0 if
			they are not.
			Example:
			is_perpendicular(line(y=x),line(y=-x)) $\rightarrow$ 1
		is_isosceles	is_isosceles Function
			Syntax:
			is_isosceles(Point1, Point2, Point3)
			Takes three points and tests whether or not they are vertices of a single isosceles triangle. Returns 0 if
			they are not. If they are, returns the number order of the common point of the two sides of equal length (1, 2, or 3). Returns 4 if the three points form an equilateral triangle.
			(1, 2, 0) 3). Retains 4 if the three points form an equilibrial thangle.
			Examples:
			is_isosceles(point(0,0), point(4,0), point(2,4)) $\rightarrow$ 3
			is_isosceles(triangle(0,i,1+i)) $\rightarrow$ 2
		is_equilateral	is_equilateral Function
			Syntax:
			is_equilateral(Point1, Point2, Point3)
			Takes three points and tests whether or not they are vertices of a single equilateral triangle. Returns 1 if
			they are and 0 otherwise.
			Example:
			is_equilateral(triangle(0,2,1+i* $V3$ )) $\rightarrow$ 1
		is_parallelogram	is_parallelogram Function
			Syntax:
			is_parallelogram(Point1, Point2, Point3, Point4)
			Tests whether or not a set of four points are vertices of a parallelogram. Returns 0 if they are not. If they
			are, then returns 1 if they form only a parallelogram, 2 if they form a rhombus, 3 if they form a rectangle, and 4 if they form a square.
			Example:
			is_parallelogram(point(0,0), point(2,4), point(0,8), point(-2,4)) $\rightarrow$ 2
		is_conjugate	is_conjugate Function
			Syntax:
			is_conjugate(Circle, Point1, Point2, [Point3]) or
			is_conjugate(Line1, Line2, Line3, [Line4])
			Tests whether or not two points or two lines are conjugates for the given circle. Returns 1 if they are and
	l l	1	
			0 otherwise.
	Zoom		Geometry Zoom Functions

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Help Topics T		Help Text  There are two symbolic functions in the Geometry app. These were designed to allow the user to edit and
	Geometry Symbolic Functions	delete symbolic definitions of geometric objects. These commands are Instruction and DelInstruction.
	Instruction	The Instruction command provides access to the list of symbolic definitions in the Symbolic view of the Geometry App. Each Symbolic view definition is numbered, with 1 being the first definition.
		Instruction(n) returns the value of instruction n (equivalent to typing its name).
		Instruction(n,0) returns a textual representation of instruction n.
		Instruction(n,1) returns a list containing all the information for instruction n: {name, definition, value,
		color, visible(0/1), plotDetail (0-7), filled (0/1), traced (0/1), legend visible (0/1), {} or {font, dpi, x, y} text position for sliders and measures, animation data: {} or {animation type (0-3), steps per sec (0-15), pause (0-15), start (real), stop(real), steps(real)}}
		Instruction(n, k) returns the kth-1 element from the meta data list, where k is between 2 and 12 inclusive (see above).
		Instruction(n):= Sets the value of instruction n from a string.
		Instruction(n,1):= sets all instruction data using the same list format as described above.
		Instruction(n, k):= sets meta data object k-1 to a specific value, where k is between 2 and 12 inclusive (see above).
		if n=0 or if n is greater than the number of current instructions, adds an instruction at the end of the instruction list.
		if n<0, inserts an instruction at position -n.
		n can also be the variable name, either using 'name' or "name"
	DelInstruction	Delete Instruction
		The DelInstruction command allows you to delete one or more symbolic definitions of geometric objects in Symbolic view. Each Symbolic view definition is numbered, with 1 being he first definition.
		DelInstruction erases ALL instructions.
		Delinstruction(n) erases instruction n.
6		Delinstruction(a,b) erases instructions a to b.  The Spreadchest and provides a grid of calls for you to enter content (such as numbers, text, expressions.
Spreadshe	еет арр	The Spreadsheet app provides a grid of cells for you to enter content (such as numbers, text, expressions, and so on) and to perform certain operations on that content.
		Tap Start or press Enter to launch the app.
		The app opens in Numeric view. The menu keys are:
		Format: opens the Format menu     Co To i imposite a specific cell
		Go To: jumps to a specific cell     Select: toggles selection mode on and off
		Go: determines where the selection goes after Enter is pressed. Toggles between the options of right
		and down.
		The following gestures are supported in Numeric view:  • tap to select a cell
		• tap and hold, the drag to select a rectangular array of cells
		• drag to scroll the window
		flick to initiate kinetic scrolling of the window in the desired direction
		open/close pinch vertically to increase the height of the row that contains the currently selected cell
	161	open/close pinch horizontally to increase/decrease the width of the column that contains the currently selected cell
Nav	rigation and Selection	You can move about a spreadsheet by using the rocker wheel, tapping or dragging, or by tapping Go To and specifying the cell you want to move to.
		You select a cell simply by moving to it. You can also select an entire column—by tapping the column letter—and select an entire row (by tapping the row number). You can also select the entire spreadsheet: just tap on the unnumbered cell at the top-left corner of the spreadsheet (it has the HP logo in it.).
		A block of cells can be selected by pressing down on a cell that will be a corner cell of the selection and, after a second, dragging your finger to the diagonally opposite cell. You can also select a block of cells by moving to a corner cell, tapping Select and using the rocker wheel to move to the diagonally opposite cell. Tapping on Sel or another cell deselects the selection.
Cell	Referencing	You can refer to the value of a cell in formulas as if it were a variable. A cell is referenced by its column and row coordinates, and references can be absolute or relative. An absolute reference is written as \$C\$R (where C is the column letter and R the row number). Thus \$B\$7 is an absolute reference. In a formula it will always refer to the data in cell B7 wherever that formula, or a copy of it, is placed. On the other hand, B7 is a relative reference. It is based on the relative position of cells. Thus a formula in, say, B8 that references B7 will reference C7 instead of B7 if it is copied to C8.
		Ranges of cells can also be specified, as in C6:E12, as can entire columns (E:E) or entire rows (\$3:\$5). Note that the alphabetic component of column names can be uppercase or lowercase except for columns g, I, m, and z. These must be in lowercase. Thus cell B1 can be referred to as B1,b1,\$B\$1 or \$b\$1 whereas M1 can only be referred to as m1 or \$m\$1. (G, L, M, and Z are names reserved for graphic objects, lists, matrices, and complex numbers.)
		Row, Col, and Cell are also variables that can be used for referencing. See Spreadsheet Variables for more information.
Nan	ning Cells	Cells, rows, and columns can be named. The name can then be used in a formula. A named cell is displayed with a blue border.  To name a cell, row, or column:

pics Tree 13217	Help Text
13217	1. Select the cell, row, or column.
	Method 1:
	2. Enter a name
	3. Tap Name in the menu
	Method 2:
	2. Tap Format and select Name.
	3. Enter a name and tap OK.
	Using Names In Calculations
	The name you give a cell, row, or column can be used in a formula. For example, if you name a cell TOT, you could enter in another cell the formula =TOTAL*11.
Entering Content	Syntax:
Zintering content	Row
	Cell
	A cell can contain any valid calculator object: a real number (3.14), a complex number (a + b*i), an
	integer (#1Ah), a list ({1, 2}), a matrix or vector([1, 2]), a string ("text"), a unit (2_m) or an expression (the
	is, a formula).
	Move to the cell you want to set content into and start entering the content as you would in Home view
	Press Enter when you have finished. You can also enter content into a number of cells with a single ent
	Just select the cells, enter the content—for example, =Row*3—and press Enter.
	What you enter on the entry line is evaluated as soon as you press Enter, with the result placed in the c
	or cells. However, if you want to retain the underlying formula, precede it with =. For example, suppose
	that you want to add cell A1 (which contains 7) to cell B2 (which contains 12). Entering A1+ B2 in, say,
	yields 19, as does entering Shift = A1+ B2 in A5. However, if the value in A1 (or B2) changes, the value in
	A5 changes but not the value in A4. This is because the expression (or formula) was retained in A5.
	To see if a cell contains just the value shown in it or also an underlying formula that generates the value
	move your cursor to the cell. The entry line shows a formula if there is one.
	When entering a formula using =, you have the option to have the result evaluated numerically or usin
	the CAS to generate exact or symbolic results. Once you enter =, you will notice that there is a CAS me
	button. If you activate this button by tapping on it (a dot will indicate it is active), then when you press
	Enter key, the results will be evaluated using the CAS. When you select a cell, row, or column that has CAS-active formula in it, you will see "CAS" in red letters above the equal sign.
	CAS-active formula first, you will see CAS firsted letters above the equal sign.
	A single formula can be used to generate a value for every cell in a column or row. For example, move
	C (the heading cell for column C), enter Shift = SIN(Row) and press Enter. Each cell in the column will
	display the sine of the cell's row number. A similar process enables you to populate every cell in a row
	with the same formula. Note that no content was placed in these cells.
	For example, set A1 to 1 and A to -Call/Day 1.1) Call/Day 2.1) to display a Fibencesi cogrange in call
	For example, set A1 to 1 and A to =Cell(Row-1,1)+Cell(Row-2,1) to display a Fibonacci sequence in colu A.
	You can also add a formula once and have it apply to every cell in the spreadsheet. You do this by placi
	the formula in the cell at the top left (the cell with the HP logo in it).
	for example: =COMB(Row, Cell) will create a sheet with Pascal's triangle
Importing from a Statistics App	You can import data from the Statistics 1Var and Statistics 2Var apps (and from any app customized from a statistics app). The procedure below imports dataset D1 from the Statistics 1Var App.
	a statistics apply the procedure select imports addiscrete 2 not the statistics 2 not reprint
	1. Select a cell
	2. Enter Statistics_1Var.D1
	3. Press Enter
	The column is filled with the data from the statistics app, starting with the cell selected at step 1. Any of
	in that column will be overwritten by the data being imported.
	On the other hand, if you start the formula in Step 2 with =, then the entire list D1 of the Statistics 2Va
Court Collin	app will be pasted into the selected cell.
Sort Cells	To sort a group of cells:
	1. Select cells to be sorted.
	2. Tap Sort. A menu appears giving you the option of choosing what column to sort by.
	3. Choose the column. A sub-menu appears given you two sort options: ascending (个) and descending
	<ul><li>(↓).</li><li>4. Choose a sort option. The values in the selected cells are sorted accordingly.</li></ul>
Carry and Party	
Copy and Paste	To copy one or more cells, select them and press Shift View (Copy).      Move to the desired leasting and press Shift Many (Pages).
	2. Move to the desired location and press Shift Menu (Paste).
	3. The Paste choose box opens with your selections displayed as a list and selected. Tap on the selection
	(or press rocker wheel right) to see a list of paste options. You can choose to paste either the value, formula, format, both value and format, or both formula and format.
	Tormula, Tormula, Doctri Value and Tormula, Or Doctri Tormula and Tormula.
	4. Tap on a paste option or use the rocker wheel to select an option and press Enter (or tap OK). The p
	operation is completed.
External References	You can refer to data in a spreadsheet from outside the Spreadsheet app by using the reference CR. For
	example, in Home view you can refer to cell A6 in the built-in spreadsheet by entering A6. Thus the
	formula 6*A6 would multiply whatever value is currently in cell A6 by 6.
	If Spreadsheet is not the current app, you can still use Cell content by fully qualifying the cell name usin
	in opteaustieet is not the current app, you can still use cell content by fully qualifying the cell name using
	AppName.CellName. For example, Spreadsheet.A6 or Savings.A6 if you have saved your spreadsheet a

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		In the same way, you can also enter references to spreadsheet cells in the CAS.
		Note that a reference to a spreadsheet name is case-sensitive.
	Expressions in Spreadsheet	Any expression valid in Home or CAS can be used in the Spreadsheet app. This includes use of Home, CAS,
	ZAPI COSIONO III OPI CUUDINOCI	user and App variables.
	Name a Cell, Row or Column	Enter a name for the cell, row, or column and tap OK.
	Go То	You can go to any cell in the spreadsheet directly by tapping Go To. Enter the definition of the cell you
		want to go to then tap OK.  The definition can be a cell reference (such as B7) or the given name of a cell.
		The definition can also be a selection such as A1:F7 in which case all the cells are selected.
	Spreadsheet Choose	Syntax:
		=CHOOSE(Variable_or_number, "title", list)
		The CHOOSE function has a special application in the spreadsheet.
		Placing a CHOOSE function as a cell formula will do 4 things:
		- The cell value (result of the evaluation of CHOOSE) will be the selected item in the choose box
		- The cell display will show a dropdown menu
		- Tapping on the cell will open the choose and let you change the selection
		- When the user changes the selected item in the choose through the UI, the title_Changed function of
		the app program will be called.
		Note that the 'list' can be hard-coded {"up", "down"}, calculated MAKELIST(X^2, X, 1, 10), or extracted
		from the spreadsheet (A1:A5).  The first parameter of the choose can be either a variable name or a cell reference.
		Examples:
		If the formula in B1 is
		=CHOOSE(1, "Direct", {"Up", "Down"})
		Creates a choose box that let the user choose Up or Down
		If the formula in B2 is
		=CHOOSE(C2, "VarBased", {"Up", "Down"})
		Creates a choose box similar to the previous example, except that the selected item is stored in C2
		If the formula in B3 is
		=CHOOSE(1, "Calculated", MAKELIST(X^2, X, 1, 10))
		Allows the user to choose between the first 10 square integers  And finally, assuming that the spreadsheet has data in cells A1 to A5
		If the formula in B4 is
		=CHOOSE(C3, "SheetData", A1:A3)
		Allows the user to choose between the first 5 squares in Column A
	Formatting Options	The formatting options appear when you tap Format. They apply to whatever is currently selected: a cell,
		block, column, row, or the entire spreadsheet.
		The options will depend on what is selected. The full list of options is:
		Name: displays an input form for you to give a name to whatever is selected
		Number Format: Auto, Standard, Fixed, Scientific, Engineering, Floating or Rounded
		Font Size: Auto or from 10 to 22 point      Colory solar factors contact (tout number sto.) in the solarted calls, the groundated entire represents.
		Color: color for the content (text, number, etc.) in the selected cells; the gray-dotted option represents  Auto
		Fill: background color that fills the selected cells; the gray-dotted option represents Auto
		Align ↔: horizontal alignment—Auto, Left, Center, Right
		Align \(\tau\): vertical alignment—Auto, Top, Center, Bottom
		Column ↔: displays an input form for you to specify the required width of the selected columns; only
		available if you have selected the entire spreadsheet or one or more entire columns.
		<ul> <li>Row \$\Delta\$: displays an input form for you to specify the required height of the selected rows; only available if you have selected the entire spreadsheet or one or more entire rows.</li> </ul>
		,
		show " ": show quote marks around strings in the body of the spreadsheet—Auto, Yes, No
		Textbook: display formulas in textbook format—Auto, Yes, No
		Caching: turn this option on to speed up calculations in spreadsheets with many formulas; only
		available if you have selected the entire spreadsheet
	Spreadsheet Variables	Syntax:
		ColWidth RowHeight Row Col Cell
		Apart from the modes variables (which are common to all apps), the Spreadsheet app has the following  Numeric variables:
		• ColWidth
		RowHeight
		• Row
		• Col
		• Cell
	ColWidth	ColWidth Variable
		ColWidth(Integer) allows you to set and get the width of columns.
		Integer1 ► ColWidth(Integer2) sets the width of column Integer2 (A=1, B=2, etc.) to Integer1 pixels. Here,
		both Integer1 and Integer2 are positive.  If Integer2 is not specified, sets the default width for columns in the spreadsheet to Integer1 pixels.

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			ColWidth(Integer) returns the width of the column specified by Integer (A=1, B=2, etc.).
			You can also set the column width from the Format menu.
	RowHeigl	ht	RowHeight Variable
			RowHeight(Integer) allows you to set and get the height of rows.
			Integer1 ► RowHeight(Integer2) sets the height of row Integer2 to Integer1 pixels.
			If Integer2 is not specified, sets the default height for rows in the spreadsheet to Integer1 pixels.
			RowHeight(Integer) returns the height of the row specified by Integer.
			You can also set the column width from the Format menu.
	Row		Row Variable
			Row is a variable that indicates currently calculated cell row number.
			This is mostly used when creating generic expression that need to work anywhere in the spreadsheet or for columns or full spreadsheet expressions.  Example steps:
			1. Select column A
			2. Type =expand((x+1)^Row)
			3. Tap the CAS menu button
			4. Tap the OK menu button
			Column A will now contain the expansions of (x+1) <sup>1</sup> , (x+1) <sup>2</sup> , (x+1) <sup>3</sup> , etc.
	Col		Col Variable  Col is a variable that indicates currently calculated cell column number (A=1, B=2, etc.).
			This is mostly used when creating generic expression that need to work anywhere in the spreadsheet or
			for rows or full spreadsheet expressions.  Example steps:
			1. Tap on the upper left corner of the spreadsheet (where the HP logo is) to select the entire spreadsheet
			2. Type =COMB(Row-1,Col-1)
			3. Tap the OK menu button
			The spreadsheet will now be filled with Pascal's triangle.
	Cell Refer	rences and Cell	In most cases, you will be referencing cells directly by their Row-Column (RC) names as in A1 or D6 just like in your usual spreadsheet. Only advanced formulas creators or users that need access to spreadsheet data from outside of the spreadsheet numerical view will need to understand the full complexity of cell references.  Examples:
			A1:= 100 stores the value 100 in cell A1.
			A1:= A2+A3 stores value of A2+A3 in A1 using the current values of A2 and A3.
			A1:= 'A2+A3' sets A1 to the formula A2+A3.
			Syntax: Cell(RowNumber, ColNumber, [n])
			For slightly more complex formulas, Cell( $r$ , $c$ ) where $r$ is a row number and $c$ a column number (A=1, B=2) is equivalent to ColNameRowNumber. For example, Cell(1,1) is equivalent to A1.
			Valid references are:
			[\$]R[\$]C[(n)] or
			[\$]CellName[(n)] or
			[\$]R1[\$]C1:[\$]R2[\$]C2:[(n)] or
			[\$]CellName1:[\$]CellName2[(n)] or a mix of both name and RC syntaxes
			[\$]R:[\$]R[(n)] or
			RowName[(n)] or
			[\$]C:[\$]C[(n)] or
			ColName[(n)]  Where $R(1/2)$ is a Row name or number and $C(1/2)$ is a Column name or number gives full access to a cell
			or selection definition or to the cell's attributes.  For the Cell access method, note that Cell(0, Col) gives access to the specified column, Cell(Row, 0) gives access to the specified row and Cell(0,0) gives access to the sheet definition itself.
			GETTING THE CONTENT OF CELLS AND SELECTIONS:
			If n is not specified and the reference is not used as a Sto destination, the value of the cell/selection is
			returned.
			If the reference is to a single cell, the cell value/content/attributes will be returned.
			If the reference is to a single row or column, a list of value/content/attributes will be returned, one for each cell.
			If the reference is to a selection, a list of list of value/content/attributes will be retuned, one for each
			column.
			Note: a cell with no associated value is considered as having a value of 0.  If n is specified, the table hellow indicates what attribute of the cell will be returned.
			If n is specified, the table bellow indicates what attribute of the cell will be returned.
			MODIFYING THE CONTENT OF CELLS AND SELECTIONS:
			If n is not specified and the reference is used as a Sto destination, the expression associated with the cell/selection is modified.
			If a single input is used as the source for more than one destination, the input is duplicated for all
			destinations. If the input is an expression, relative cell references are updated as needed.
			For example: A1:=1; A2:A10:='A1+1';

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neip i	13217	If n is specified, the table below indicates what attribute of the cell will be modified.
		CELL ATTRIBUTES (a)
		CELL ATTRIBUTES (n)  -1: all attributes. If the cell has nothing defined, returns -1, else return a list of 11 objects.
		-1. an attributes. If the termos houring defined, returns -1, else return a list of 11 objects.
		0: value (read only, you can not set the cell value)
		1: formula
		2: name
		3: number format: Standard 0, Fixed 1, Scientific 2, Engineering 3, Floating 4, Rounded 5, unspecified –1
		4: number of decimal places: 1 to 11, or unspecified = −1
		5: font: 0 to 6, unspecified = -1
		6: foreground color: contents color (color, or -1 if unspecified)
		7: background color: cell fill color (color, or -1 if unspecified)
		8: horizontal alignment: Left = 0, Center = 1, Right = 2, unspecified = -1
		9: vertical alignment: Top = 0, Center = 1, Bottom = 2, unspecified = -1  10: show strings in quotes: Yes = 0, No = 1, unspecified = -1
		11: textbook mode (as opposed to algebraic mode): Yes = 0, No = 1, unspecified = -1
		Note: As a general rule, -1 means unspecified or auto.
	Cursor	Cursor Variable
		Syntax:
		Cursor
		Cursor(n)
		Cursor returns a list representing the cursor position and selection stop location.
		Cursor(n) returns the nth object of the list that Cursor would have returned
		Cursor:= {row, col, [selectionRow, selectionCol]}
		Sets the cursor position  If a selection is specified when setting Cursor, then the selection is activated else it is deactivated
		in a selection is specified when setting earson, then the selection is activated ease it is activated
		Example:
		Cursor → {row, col, [selectionRow, SelectionCol]}
	CellName	CellName Variable
		Syntax: CellName
		CellName("name")
		CellName returns the list of all the named cells in the spreadsheet
		CellName("name") returns a list with the row and column of the named cell if it exists. Else returns 0.
		Examples:
		CellName → { "name1", "name2"}
		CellName("name") → { row, column }
	Spreadsheet App Functions	The Spreadsheet app has a set of spreadsheet specific functions.
		These functions can be categorized in 2 groups.
		1. Functions that need to pay special attention to cell that are empty (but still return a 0, for example
		AVERAGE)  2. Functions designed to speed up calculations by returning more than 1 result at once.
	SUM	SUM Function
		Syntax: SUM([Input])
		Calculates the sum of a range of numbers.
		For example, SUM(B7:B23) returns the sum of the numbers in the range B7 to B23. You can also specify a
		block of cells, as in SUM(B7:C23).
	AVERACE	An error is returned if a cell in the specified range contains a non-numeric object.  AVERAGE Function
	AVERAGE	Syntax:
		AVERAGE([Input])
		Calculates the arithmetic mean of a range of numbers.
		For example, AVERAGE(B7:B23) returns the arithmetic mean of the numbers in the range B7 to B23. You
		can also specify a block of cells, as in AVERAGE(B7:C23).  An error is returned if a cell in the specified range contains a non-numeric object. Empty cells are ignored.
		c. or to recurred in a cent in the specimen range contains a non-finitele object. Empty cents die ignored.
	AMORT	AMORT Function
		Syntax:
		AMORT(Range, n, i, pv, pmt[, ppyr=12, cpyr=ppyr, Grouping=ppyr, Beg=false, Fix=current],  "Configuration"])
		Range is the cell range where the results are placed. If only one cell is specified, then the range is
		automatically calculated.  Configuration is a string that defines if a header row needs to be created (starts with H) and what result to
		place in which column.
		h: This column contains the row headers
		S: This column contains the start of the period
		E: This column contains the end of the period
		P: This column contains the Principal paid this period

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	,			B: This column contains the balance at the end of the period
				I-: his column contains the interest paid this period
				For example:
				"H h E P" means Put headers and compute End and Principal only.
				n, i, pv, pmt are the number of periods for the loan, the interest rate, the present value, and the per
				period payment.
				ppyr and cpyr are the number of payments per year and the number of compounding periods per year.
				Grouping is the number of periods that need to be grouped together in the amortization table.
				beg is 1 when payment is at the beginning of each period; otherwise it is 0.
				fix is the number of decimal places displayed in the result of calculations.
		СТ	AT1	STAT1 Function
		31	AII	Syntax:
				STAT1(Input_Range, [Mode], ["Configuration"])
				The STAT1 function provides a range of one-variable statistics.
				Input_Range is the data source (such as A1:D8).
				Mode: Defines how to treat the input. The valid values are:
				1 = Single data. Each column is treated as an independent dataset.
				2 = Frequency data. Columns are used in pairs and the second column is treated as the frequency of appearance of the first column.
				If more than one column is specified, they are each treated as a different input data set. If only one row is
				selected, it is treated as one data set. If two columns are selected, the mode defaults to frequency.
				Configuration: Indicates which values you want to place in which row and if you want row or columns headers. Place the symbol for each value in the order that you want to see the values appear in the
				spreadsheet.
				The valid values for Configuration are:
				H (Place column headers)
				h (Place row headers)
				MeanX
				Σ
				$\Sigma^2$
				s
				s <sup>2</sup>
				σ
				$\sigma^2$
				serr
				SS
				n
				min
				q1
				med
				q3
				max
				For example, if you specify "h n o" the first column will contain row headers, the first row will be the
				number of items in the input data and the second will be the standard deviation.
				Examples:
				STAT1(A25:A37)
				STAT1(A25:A37,"h n σ")
		ST	AT2	STAT2 Function
				Syntax:
				STAT2(Input_Range, [Mode], ["Configuration"])
				The STAT2 function provides a range of two-variable statistics.
				Input_Range is the data source (such as A1:D8).
				Mode: Defines how to treat the input. The valid values are:
				1 = Single data. Each column pair is treated as a paired dataset.
				2 = Frequency data. Columns are used in groups of 3 and the third column is treated as the frequency of
				appearance of the paired columns.
				If more than two columns are specified, each additional pair is treated as a different input data set. If only one pair is selected, it is treated as one data set. If three columns are selected, the mode defaults to
				frequency.
				Configuration: Indicates which values you want to place in which row and if you want row or columns
				headers. Place the symbol for each value in the order that you want to see the values appear in the
				spreadsheet.
				The valid values for Configuration are:
				H (Place column headers)
				h (Place row headers)
				MeanX
				Σχ
				$\Sigma x^2$
				SX

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		SX <sup>2</sup>
		σx
		$\sigma x^2$
		serrx
		SSX
		n
		ÿ
		Σγ
		Σγ²
		sy
		sγ²
		σγ
		σy²
		serry
		ssy
		Σχγ
		For example, if you specify "h n ② σy" the first column will contain row headers, the first row will be the
		number of items in the input data, the second will be the x mean, and the third will be the y standard
		deviation.
		Examples:
		STAT2(A25:B37)
		STAT2(A25:B37,"h n σy")
	REGRS	REGRS Function
		Syntax:
		REGRS(Input_range, [model], ["configuration"])
		Attempts to fit the input data to a function specified by model (default is linear).
		Input_range: specifies the data source; for example, A1:D8. It must contain an even number of column
		Each pair will be treated as a distinct set of data points.  model: specifies the model to be used for the regression.
		1: y= sl*x+int
		2: y= sl*ln(x)+int
		3: y= int*exp(sl*x)
		4: y= int*x^sl
		5: y= int*sl^x
		6: y= sl/x+int
		7: $y = L/(1 + a*exp(b*x))$
		8: $y = a^* \sin(b^* x + c) + d$
		9: y= cx²+bx+a
		10: y= dx³+cx²+bx+a
		11: y= ex <sup>4</sup> +dx <sup>3</sup> +cx <sup>2</sup> +bx+a
		configuration: a string which indicates which values you want to place in which row and if you want row and columns headers. Place each parameter in the order that you want to see them appear in the spreadsheet. (If you do not provide a configuration string, a default one will be provided.)
		The valid parameters are:
		- H (Place column headers)
		- h (Place row headers)
		- sl (slope, only valid for modes 1-6)
		- int (intercept, only valid for modes 1-6)
		- cor (correlation, only valid for modes 1-6)
		- cd (Coefficient of determination, only valid for modes 1-6, 8-10)
		- sCov (Sample covariance, only valid for modes 1-6)
		- pCov (Population covariance, only valid for modes 1-6)
		- L (L parameter for mode 7)
		- a (a parameter for modes 7-11)
		- b (b parameter for modes 7-11)
		- c (c parameter for modes 8-11)
		- d (d parameter for modes 8, 10-11)
		- e (e parameter for mode 11)
		- e (e parameter for mode 11)
	PredY	- e (e parameter for mode 11) - py (place 2 cells, one for user input and the other to display the predicted y for the input)
	PredY	<ul> <li>- e (e parameter for mode 11)</li> <li>- py (place 2 cells, one for user input and the other to display the predicted y for the input)</li> <li>- px (place 2 cells, one for user input and the other to display the predicted x for the input)</li> </ul>
	PredY	- e (e parameter for mode 11) - py (place 2 cells, one for user input and the other to display the predicted y for the input) - px (place 2 cells, one for user input and the other to display the predicted x for the input)  PredY Function
	PredY	<ul> <li>e (e parameter for mode 11)</li> <li>py (place 2 cells, one for user input and the other to display the predicted y for the input)</li> <li>px (place 2 cells, one for user input and the other to display the predicted x for the input)</li> <li>PredY Function</li> <li>Syntax:</li> </ul>
	PredY	<ul> <li>e (e parameter for mode 11)</li> <li>py (place 2 cells, one for user input and the other to display the predicted y for the input)</li> <li>px (place 2 cells, one for user input and the other to display the predicted x for the input)</li> <li>PredY Function</li> <li>Syntax:</li> <li>PredY(mode, x, parameters)</li> </ul>
	PredY	- e (e parameter for mode 11) - py (place 2 cells, one for user input and the other to display the predicted y for the input) - px (place 2 cells, one for user input and the other to display the predicted x for the input)  PredY Function Syntax: PredY(mode, x, parameters) Returns the predicted y value for a given x value.
	PredY	- e (e parameter for mode 11) - py (place 2 cells, one for user input and the other to display the predicted y for the input) - px (place 2 cells, one for user input and the other to display the predicted x for the input)  PredY Function Syntax: PredY(mode, x, parameters) Returns the predicted y value for a given x value. mode governs the regression model used:

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			4: y= int*x^sl
			5: y= int*sl^x
			6: y= sl/x+int
			7: y= L/(1 + a*exp(b*x))
			8: y= a*sin(b*x+c)+d
			9: y= cx²+bx+a
			10: y= dx³+cx²+bx+a
			11: y= ex <sup>4</sup> +dx <sup>3</sup> +cx <sup>2</sup> +bx+a
			parameters is either one argument (a list of the coefficients of the regression line), or the n coefficients
			one after another.
		PredX	PredX Function
			Syntax:
			PredX(mode, y, parameters)
			Returns the predicted x value for a given y value.
			mode governs the regression model used:
			1: y= sl*x+int
			2: y= sl*ln(x)+int
			3: y= int*exp(sI*x)
			4: y= int*x^sl
			5: y= int*sl^x
			6: y= sl/x+int
			7: y= L/(1 + a*exp(b*x))
			8: y= a*sin(b*x+c)+d
			9: y= cx²+bx+a
			10: y= dx³+cx²+bx+a
			11: y= ex+dx³+cx²+bx+a
			parameters is either one argument (a list of the coefficients of the regression line), or the n coefficients
			one after another.
		HypZ1mean	HypZ1mean Function
			Syntax:
			HypZ1mean(input_list, ["configuration"])
			HypZ1mean(SampMean, SampSize, NullPopMean, PopStdDev, SigLevel, Mode, ["configuration"])
			The one-sample Z-test for a mean.
			input_list:
			A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
			references, or a simple list of values. Input Parameters:
			SampMean
			SampSize
			NullPopMean
			PopStdDev
			SigLevel
			Mode:
			Specifies how to calculate the statistic:
			1 = Less than
			2 = Greater than
			3 = Not equal
			configuration:
			A string that controls what results are shown and the order in which they appear. An empty string ""
			displays the default: all results (including headers).  h: Create header cells
			acc: 0 or 1 to reject or fail to reject the null hypothesis
			tZ : Test Z-value
			tM: Test Mean
			prob : lower-tail probability
			cZ : Critical Z
			cx1 : Critical 2
			cx1: Critical @2
			std : Standard deviation
		Hun72maan	HypZ2mean Function
		HypZ2mean	
			Syntax:  Hun72man/input_list ["configuration"])
			HypZ2mean(input_list, ["configuration"])
			HypZ2mean(SampMean, SampMean2, SampSize, SampSize2, PopStdDev, PopStdDev2, SigLevel, Mode, ["configuration"])
			The two-sample Z-test for the difference of two means.
			input_list:
			A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
			references, or a simple list of values.
			Input Parameters:
			SampMean
-			· · · · · · · · · · · · · · · · · · ·

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		SampMean2
		SampSize
		SampSize2
		PopStdDev
		PopStdDev2
		SigLevel
		Mode:
		Specifies how to calculate the statistics:
		1 = Less than
		2 = Greater than
		3 = Not equal
		Configuration:
		A string that controls what results are shown and the order in which they appear. An empty string "" displays the default: all results (including headers) .  h: Create header cells
		acc: 0 or 1 to reject or fail to reject the null hypothesis
		tZ: Test Z
		tM : Test Mean
		prob : Probability
		cZ : Critical Z
		cx1: Critical 11
		cx2 : Critical 🗈2
	HypZ1prop	HypZ1prop Function
		Syntax:
		HypZ1prop(input_list, ["configuration"])
		HypZ1prop(SuccCount, SampSize, NullPopProp, SigLevel, Mode, ["configuration"])
		The one-sample Z-test for a proportion.
		input_list:
		A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
		references, or a simple list of values. Input Parameters:
		SuccCount
		SampSize
		NullPopProp
		SigLevel
		Mode:
		Specifies how to calculate the statistics:
		1 = Less than
		2 = Greater than
		3 = Not equal
		configuration:
		A string that controls what results are shown and the order in which they appear. An empty string "" displays the default: all results (including headers).  h: Create header cells
		acc: 0 or 1 to reject or fail to reject the null hypothesis
		tZ : Test Z-value
		tP: Test proportion of successes
		prob : Lower-tail probability
		cZ : Critical Z-value
		cp1 : Lower critical proportion of successes associated with the critical Z-value
		cp2 : Upper critical proportion of successes associated with the critical Z-value
		std : Standard deviation
	HypZ2prop	HypZ2prop Function
	, p==p: 0p	Syntax:
		HypZ2prop(Input_List, ["configuration"])
		HypZ2prop(SuccCount1, SuccCount2, SampSize1, SampSize2, SigLevel, Mode, ["configuration"])
		The two-sample Z-test for comparing two proportions.  Input_List:
		A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
		references, or a simple list of values.  Input Parameters:
		SuccCount1
		SuccCount2
		SampSize1
		SampSize2
		Mode:
		Specifies how to calculate the statistics:
		1 = Less than
		2 = Greater than
		3 = Not equal
		Page <b>37</b> of <b>23</b>

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Systiac.  HypT2mean(fourList, ["configuration"])  HypT2mean(fourDist, ["configuration"])  The one-sample T-text for a mean.  iiput, ILI:  A list of iipset variables (see Input Parameters below). This can be a range reference, a list of cell reference, or a simple list of values.  Input Branneters:  Samphista  Sampista  Null*popMean  Sigteet  Mode:  Specifies how to calculate the statistics:  1 = Insis shan  2 - Orester than 3 = Not equal  configuration.  A string that controls what results are shown and the order in which they appear. An empty string "" displays the defaults: all results funduling broaders).  In Create that this including broaders.  In Create that the defaults all results are shown and the order in which they appear. An empty string "" displays the defaults all results funduling broaders).  In Create header cells  acc: 10 = 10 reject or all to reject the rural hypothesis  IT : Inst T-value  14   Text T-value  45   Text T-value  45   Critical 1-value  45   Critical 1-value  45   Critical 1-value  46   Critical 1-value  47   Critical 1-value  47   Critical 1-value  48   Critical 1-value  49   PhyDT2mean Firsticion  Systiac  HypT2mean(input, jut. ["configuration"))  HypT2mean(input, jut. ["configuration"))  HypT2mean(input, jut. ["configuration"))  The two-sample T-text for the difference of two means.  Input, jut.  A list of imput variables (see Input Parameters below). This can be a range reference, a list of exil references, or a simple list of values.  Sampistabous  Sampi				Liver T4 management	
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tT: Test T-value tM: Test mean prob: Lower-fall probability df: Degrees of freedom CT: Critical T-value ex: Critical T-value of the mean associated with the critical T-value  HypT2mean HypT2mean Function Syntax: HypT2mean(SampMean1, SampMean2, SampStdDev2, SampSize1, SampSize2, pooled, SigLevel, Mode, ['configuration"]) The two-sample T-test for the difference of two means. input_list: A list of input variables (see Input Parameters below). This can be a range reference, a list of cell references, or a simple list of values. input Parameters: SampMean1 SampMean2 SampStdDev1 SampStdDev2 SampSize1 SampStdDev2 SampSize2 pooled: 0 (not pooled) or 1 (pooled) SigLevel Mode: Specifies how to calculate the statistics: 1 = Less than 2 = Greater than 3 = Not equal configuration: A string that controls what results are shown and the order in which they appear. An empty string "" displays the default: all results (including headers).					
tM : Test mean prob : Lower-tail probability df : Degrees of freedom CT : Critical T-value CX : Critical T-value (X : Critical T-value) TypTzmean Function Syntax: HypTzmean function Syntax: HypTzmean(input_list_["configuration"]) HypTzmean(input_list_["configuration"]) HypTzmean(input_list_"configuration"]) The two-sample T-test for the difference of two means. Input_list: A list of input variables (see input Parameters below). This can be a range reference, a list of cell references, or a simple list of values. Input Parameters: SampMean1 SampMean2 SampStdDev1 SampStdDev1 SampStdDev2 SampStdDev2 SampStdDev1 SampStdDev2 SampStdDev3 SampStdDev3 SampStdDev4 SampStdDev4 SampStdDev3 SampStdDev3 SampStdDev3 SampStdDev3 SampStdDev3 SampStdDev4 SampStdDev3 SampStdDev3 SampStdDev3 SampStdDev4 SampStdDev3 SampStdDev3 SampStdDev4 SampStdDev3 SampStdDev4 SampStdDev3 SampStdDev4 Sa					
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Tricritical T-value  CX: Critical value of the mean associated with the critical T-value  HypT2mean  HypT2mean Function Syntax: HypT2mean(input_list, ["configuration"]) HypT2mean(sampMean1, SampMean2, SampStdDev1, SampStdDev2, SampSize1, SampSize2, pooled, SigLevel, Mode, ["configuration"]) The two-sample T-test for the difference of two means. input_list: A list of input variables (see Input Parameters below). This can be a range reference, a list of cell references, or a simple list of values. Input Parameters: SampMean1 SampMean2 SampStdDev1 SampStdDev2 SampSize2 sampSize2 pooled: 0 (not pooled) or 1 (pooled) SigLevel Mode: Specifies how to calculate the statistics: 1 = Less than 2 = Greater than 3 = Not equal configuration: A string that controls what results are shown and the order in which they appear. An empty string "" displays the default: all results (including headers).					
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Input Parameters:  SampMean1  SampMean2  SampStdDev1  SampStdDev2  SampSize1  SampSize2  pooled: 0 (not pooled) or 1 (pooled)  SigLevel  Mode:  Specifies how to calculate the statistics:  1 = Less than  2 = Greater than  3 = Not equal  configuration:  A string that controls what results are shown and the order in which they appear. An empty string "" displays the default: all results (including headers).					A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
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displays the default: all results (including headers).					
					h : Create header cells
acc : 0 or 1 to reject or fail to reject the null hypothesis					acc: 0 or 1 to reject or fail to reject the null hypothesis

Help Topic	cs Tree 13217	Help Text
		tT : Test T-value
		tM : Test mean
		prob : Lower-tail probability
		df : Degrees of freedom
		cT : Critical T-value
		cdx : Critical value of the delta mean associated with the critical T-value
	ConfZ1mean	ConfZ1mean Function
		Syntax:
		ConfZ1mean(input_list, ["configuration"])
		ConfZ1mean(SampMean, SampSize, PopStdDevm, ConfLevel, ["configuration"])
		The one-sample Normal confidence interval for a mean.
		input_list:
		A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
		references, or a simple list of values.
		Input Parameters:
		SampMean
		SampSize
		PopStdDevm
		ConfLevel
		configuration:
		A string that controls what results are shown and the order in which they appear. An empty string ""
		displays the default: all results (including headers).
		h : Create header cells
		Z : Critical Z-value
		low : Lower bound of the confidence interval
		up : Upper bound of the confidence interval
	ConfZ2mean	ConfZ2mean Function
		Syntax:
		ConfZ2mean(input_list, ["configuration"])
		ConfZ2mean(SampMean1, SampMean2, SampSize1, SampSize2, PopStdDev1, PopStdDev2, ConfLevel,
		["configuration"])
		The two-sample Normal confidence interval for the difference of two means.
		input_list:
		A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
		references, or a simple list of values.
		Input Parameters:
		SampMean1
		SampMean2
		SampSize1
		SampSize2
		PopStdDev1
		PopStdDev2
		ConfLevel
		configuration:
		A string that controls what results are shown and the order in which they appear. An empty string ""
		displays the default: all results (including headers).  h: Create header cells
		Z : Critical Z-value
		low: Lower bound of the confidence interval
	C	up : Upper bound of the confidence interval
	ConfZ1prop	ConfZ1prop Function
		Syntax:
		ConfZ1prop(input_list, ["configuration"])
		ConfZ1prop(SuccCount, SampSize, ConfLevel, ["configuration"])
		The one-sample Normal confidence interval for a proportion.
		input_list:
		A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
		references, or a simple list of values. Input Parameters:
		SuccCount
		SampSize
		Conflevel
		configuration:
		A string that controls what results are shown and the order in which they appear. An empty string "" displays the default: all results (including headers).
		h : Create header cells
		Z : Critical Z-value
		low : Lower bound of the confidence interval
		up : Upper bound of the confidence interval
	Conf72nron	ConfZ2prop Function
	ConfZ2prop	Syntax:
1	I	Symun.

Hel	р Тор	oics Tre	e 13217	Help Text
				ConfZ2prop(input_list, ["configuration"])
				ConfZ2prop(SuccCount1, SuccCount2, SampSize1, SampSize2, ConfLevel, ["configuration"])
				The two-sample Normal confidence interval for the difference of two proportions.
				input_list:
				A list of input variables (see Input Parameters below). This can be a range reference, a list of cell references, or a simple list of values.
				Input Parameters:
				SuccCount1
				SuccCount2
				SampSize1
				SampSize2
				ConfLevel
				configuration:
				A string that controls what results are shown and the order in which they appear. An empty string ""
				displays the default: all results (including headers).
				h : Create header cells
				Z : Critical Z-value
				low : Lower bound of the confidence interval
				up : Upper bound of the confidence interval
			ConfT1mean	ConfT1mean Function
				Syntax:
				ConfT1mean(input_list, ["configuration"])
				ConfT1mean(SampMean, SampStdDev, SampSize, ConfLevel, ["configuration"])
				The one-sample Student's T confidence interval for a mean.
				input_list:
				A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
				references, or a simple list of values. Input Parameters:
				SampMean
				SampStdDev
				SampSize
				ConfLevel
				configuration:
				A string that controls what results are shown and the order in which they appear. An empty string ""
				displays the default: all results (including headers).
				h : Create header cells
				df: Degrees of freedom
				T : Critical T-value
				low: Lower bound of the confidence interval
		-	ConfT2	up : Upper bound of the confidence interval  ConfT2mean Function
			ConfT2mean	Syntax:
				ConfT2mean(input_list, ["configuration"])
				ConfT2mean(SampMean1, SampMean2, SampStdDev1, SampStdDev2, SampSize1, SampSize2, pooled,
				Conflevel, ["configuration"])
				The two-sample Student's T confidence interval for the difference of two means.
				input_list:
				A list of input variables (see Input Parameters below). This can be a range reference, a list of cell
				references, or a simple list of values. Input Parameters:
				SampMean1
				SampMean2
				SampStdDev1
				SampStdDev2
				SampSize1
				SampSize2
				pooled: 0 (not pooled) or 1 (pooled)
				ConfLevel
				configuration:
				A string that controls what results are shown and the order in which they appear. An empty string ""
				displays the default: all results (including headers).
				h : Create header cells
				df: Degrees of freedom
				T : Critical T-value
				low: Lower bound of the confidence interval
		-	Calli Iaa Data	up : Upper bound of the confidence interval
			CellHasData	Syntax: CellHacData()
				CellHasData() CellHasData(Row,Column)
				CellHasData(Row 1, Column 1,Row 2, Column 2)
1		1 1		

Help Topics	Tree 13217	Help Text
		CellHasData returns the number of cells containing data in the designated set of cells.
		If the command is given no parameters, all calls containing data will be counted
		If the command is given no parameters, all cells containing data will be counted.  If a single Row and Column is specified, only the cell at that location will be counted.
		if a single now and column is specified, only the cen at that location will be counted.
		If either Row or Column is -1, all cells containing data in the specified column or row will be counted.
		If a second Row and Column is specified, all cells will be counted in a rectangular area where the upper left corner is the cell at Row_1, Column_1 and the lower right corner is the cell at Row_2, Column_2.
		Examples:
		CellHasData() counts all cells containing data in the entire spreadsheet.
		CellHasData(3,4) counts only the cell at row 3, column 4.
		CellHasData(-1,7)counts all cells containing data in column 7.
		CellHasData(4,-1) counts all cells containing data in row 4.
		CellHasData(3,4,6,8) counts all cells containing data from row 3, column 4 to row 6, column 8.
	ClearCell	Syntax:
		ClearCell()
		ClearCell(Row,Column)
		ClearCell(Row_1, Column_1,Row_2, Column_2)
		ClearCell clears each spreadsheet cell designated by pairs of Row and Column, including all elements of a list of lists of Row and Column pairs.
		CellHasData clears each cell in the designated set of cells.
		If the command is given no parameters, all cells will be cleared.
		If a single Row and Column is specified, only the cell at that location will be cleared.
		If either Row or Column is -1, all cells in the specified column or row will be cleared.
		If a second Row and Column is specified, all cells will be cleared in a rectangular area where the upper left corner is the cell at Row_1, Column_1 and the lower right corner is the cell at Row_2, Column_2.
		Examples:
		ClearCell() clears the entire spreadsheet.
		ClearCell(3,4) clears the cell at row 3, column 4.
		ClearCell(-1,7)clears all cells in column 7.
		ClearCell(4,-1) clears all cells in row 4.
		ClearCell(3,4,6,8) clears all cells from row 3, column 4 to row 6, column 8.
Statistics	: 1Var app	The 1-Variable Statistics app can store up to ten data sets at one time. It can perform one-variable statistical analysis of one or more sets of data.  The 1-Variable Statistics app starts with the Numeric view, which is used to enter data. The Symbolic view is used to define an analysis by specifying which column contains data and which column (if any) contains frequencies.  The Plot view is used to display statistical plots of 1-variable data, including histograms, box-and-whisker plots, normal quantile plots and other types of plots.  To launch the Statistics 1Var app, go to the Application Library and tap the Statistics 1Var app icon. You
		can also use the rocker wheel to select the Statistics 1Var app icon, then tap Start or press Enter to launc the app.
Sta	ats 1Var Symbolic View	Statistics 1Var Symbolic View  Press Symb to enter the Symbolic view. You can define up to 5 1-variable analyses (H1-H5), choosing for each analysis a data column and an optional frequency column. For the data column, you can enter eithe the name of a column (D0-D9) or a mathematical expression involving the name of a column (e.g. D1-9.8 There is also a Plot field for each analysis where you choose the graphical representation most fitting for your purposes. The plot options include:
		Histograms
		Box-and-whisker plots, with and without outliers
		Normal probability plots
		• Line plots
		Bar graphs
		Pareto charts
		Control charts
		• Dot plots
		• Stem and Leaf plots, with either single stems (10's) or split stems (5's)
		• Pie charts
		The menu buttons are:
		Edit: enables you to edit the selected value
		Choose: select the plot type or graph color
		• : toggles between making an analysis active or inactive
		Column: select the name of a column from Numeric view     Show: displays the fit equation in full-screen mode with horizontal and vertical scrolling enabled
		Eval: evaluates the highlighted expression, resolving any references to other definitions
		Each active data set (H1-H5) will be used for graphing purposes in Plot view and also for displaying summary statistics in Numeric view when Stats is tapped.
Sta	its 1Var Plot View	Statistics 1Var Plot View

Help T	opics Tree 13217	Help Text
		Press Plot to enter the Plot view. This view displays the selected 1-variable statistical plots for the active analyses (H1-H5). The menu is similar to the Function Plot view, with options for zooming and tracing. Tap Menu to toggle the menu on and off.
		The menu buttons are:
		• Zoom: opens the Zoom menu, with options to zoom in or out, etc.
		Trace: toggles the tracing cursor on and off
		Defn: displays the definition of the function being traced
		Menu: toggles the menu on and off
		Use the rocker wheel left/right to trace along a statistical plot. Use the rocker wheel up/down to switch
		from one plot to another. Press + to zoom in on the current cursor location and press - to zoom out. Set
		the zoom factor under the Zoom menu.  All of the gestures common to the Plot views are supported here as well. See Plot View for more details.
		· ·
	Stats 1Var Plot Setup	Statistics 1Var Plot Setup  Press Shift Plot to enter the Statistics 1-Var Plot Setup. Page 1 of the Plot Setup contains settings that control the appearance of 1-variable statistical plots.  The fields are:
		H Width: the bin width for histograms
		H Rng: the range for the data to plot
		X Rng: the horizontal range of the graph window
		Y Rng: the vertical range of the graph window
		X Tick: horizontal tick mark spacing
		Y Tick: vertical tick mark spacing
		The menu buttons on the first page are:
		Edit: opens an edit box to edit the value of the selected field
		Page 1/2 ▼: displays the second page of the setup
		Tap Page 1/2 ▼ to view the second page of the setup. Here the fields are:
		Axes: toggles axes on and off
		Labels: toggles axis labels on and off
		Grid Dots: toggles grid dots on and off
		Grid Lines: toggles grid lines on and off
		Cursor: choose between Standard, Inverting, and Blinking cursors
		The menu buttons on the second page are:
		• ✓: toggles the current setting on or off
		Choose: make a choice from a choose box
		• A Page 2/2: returns to the first page of the setup
	Stats 1Var Numeric View	Statistics 1Var Numeric View  Press Num to return to this view at any time. This view contains a table with up to ten columns of data, named D1 through D9 and D0.
		The menu buttons are:
		Edit: opens an input line to edit the chosen value      More: opens a manu with options for editing the list.
		More: opens a menu with options for editing the list     Go To: jumps to a specific element in the list. Useful for your large lists.
		Go To: jumps to a specific element in the list. Useful for very large lists.      Sort: sorts the current column in either ascending or descending order
		Make: generates a column of data based on an algebraic formula
		Stats: provides summary statistics on the currently defined analyses (see Symbolic view)
		Enter your data manually or store list data in D1, D2, etc. Use the Make feature to create data based on an algebraic formula. You can also paste data copied from another app or from the List and Matrix Editors.
		You can name each data column as well. Tap on the column header and then either edit the name or start typing to enter a new name.  The More Menu
		The More menu contains the following options for editing a list:
		• Insert
		o Row: Inserts a new row in the current list. The new row contains 0 as its element.
		• Delete
		o Column: Deletes the contents of the current list. To delete a single element, select it and press the Delete key.  • Select
		o Row: Selects the current row. Once selected, the row can be copied.
		o Column: Selects the current list. Once selected, the list can be copied.
		o Box: Opens a dialog box to select a rectangular array defined by a starting location and a final location. You can also tap and hold on a cell to start selection, then drag to select a rectangular array of elements. Once selected, the array can be copied.
		o Swap Ends: Swaps the starting and ending cells for the selected rectangular array of cells.
		• Selection: Toggles selection mode on and off. You can also tap and hold on a cell, then drag to select.
		• Swap
		o Column: Swaps the contents of two columns (lists).

Help Topics	Tree 13217	Help Text
Tielp Topics	Make Column	The Make Column Data wizard is basically a shortcut to using the MAKELIST command and storing the
		results in Numeric view. The fields in this wizard are:  • Expression: enter the generating expression for your list of real numbers
		<ul> <li>Var: declare the independent variable from your expression. All other variables in your expression will be taken as constants. Note that your variable may be a dummy; that is, it may not appear in your expression at all.</li> </ul>
		Start: enter the starting vale for your variable
		Stop: enter the final value for your variable     Step: enter the step-value for your variable
		Col: a drop-down list to choose the destination for your list of real numbers
		Fill in the fields and tap OK to generate the column of numbers and save them to the list you specified, or
		tap Cancel to return to Numeric view without creating a list. Use this wizard to easily create a list of random integers, a sample distribution, and so on.
Sta	atistics 1Var Variables	To display the variables relating to the Statistics 1Var app, press Vars, tap App and select Statistics 1Var.
		The Statistics 1Var app has the following variables:
		Results (see below)     Symbolic (see below)
		Symbolic (see below)     Plot (see (see below)
		Numeric (see below)
		Modes (see Common App Variables above)
	Results Variables	Statistics 1Var Results Variables
		The Statistics 1Var app variables store results from the calculations performed when the Stats button is tapped in the Numeric view of the app or when the Do1VStats command is executed.
	NbItem	NbItem App Variable
		Nbltem: The number of data points in the current 1-variable analysis (H1-H5).
	MinVal	MinVal App Variable  MinVal : The minimum value of the data set in the current 1-variable analysis (H1-H5).
	Q <sub>1</sub>	Q <sub>1</sub> App Variable
		Q <sub>1</sub> : The value of the first quartile in the current 1-variable analysis (H1-H5).
	MedVal	MedVal App Variable
		MedVal: The median in the current 1-variable analysis (H1-H5).
	$Q_3$	$Q_3$ App Variable $Q_3$ : The value of the third quartile in the current 1-variable analysis (H1-H5).
	MaxVal	MaxVal App Variable
		MaxVal: The maximum value in the current 1-variable analysis (H1-H5).
	ΣΧ	ΣΧ App Variable  ΣΧ : The sum of the data set in the current 1-variable analysis (H1-H5).
	ΣΧ2	ΣΧ2 App Variable
		ΣΧ2 : The sum of the squares of the data set in the current 1-variable analysis (H1-H5).
	MeanX	MeanX App Variable  MeanX : The mean of the data set in the current 1-variable analysis (H1-H5).
	sX	sX App Variable
		sX : The sample standard deviation of the data set in the current 1-variable analysis (H1-H5).
	σΧ	σX : The population standard deviation of the data set in the current 1-variable analysis (H1-H5).
	serrX	serrX App Variable serrX : The standard error of the data set in the current 1-variable analysis (H1-H5).
	ssX	ssX App Variable
		ssX : The sum of the squared deviations of x from the mean of x of the data set in the current 1-variable
	Symbolic Variables	analysis (H1-H5). Statistics 1Var Symbolic Variables
		The Statistics 1Var symbolic variables are H1 to H5. These variables contain the data values for a 1-
		variable statistical analysis. For example, H1(n) returns the nth value in the data set for the H1 analysis.  With no argument, H1 returns a list of the objects that define H1. These objects are as follows, in the order given:
		A string or expression (in single quotes) that defines the data list  A string or expression (in single quotes) that defines the frequencies for each of the unless in
		• A string or expression (in single quotes) that optionally defines the frequencies for each of the values in the data list
		The plot type number
		• The option number
		The color for the plot     The plot type number is an integer from 1-9 that controls which statistical plot type is used with each of
		the variables H1-H5. The correspondence is shown below.  1 Histogram (default)
		2 Box and Whisker
		3 Normal Probability
		4 Line 5 Bar
		6 Pareto
1 1 1	I	Page <b>43</b> of <b>23</b> 9

Hel	р Торі	cs Tree	13217	Help Text
				7 Control
				8 Dot
				9 Stem and Leaf
				The option number is an integer from 0-2 which controls any option available for the plot type. The correspondence is shown below.  O No option
				1 Do not show outliers for the Box and Whisker plot
				2 Show outliers for the Box and Whisker plot
				Example:
				H3:={"D1", "", 2, 1, #FF:24h} defines H3 to use D1 for its data list, no frequencies, and draw a Box and
		Numeric Varia	ables	Whisker plot without outliers using a blue color. Statistics 1Var Numeric Variables
				The Statistics1Var Numeric variables are D1 through D9 and D0. They each represent a single dataset and
				contain the values in that dataset. These are all list variables and are compatible with the Statistics 2Var list variables C0-C9 as well as the Home variables L0-L9.
		Plot Variables		Statistics 1Var Plot Variables
				In addition to the common Plot view variables (see Common App Variables above), the Statistics 1Var app
				has three app-specific variables:
				Hmin – minimum value to be included in the histogram
				Hmax – maximum value to be included in the histogram
			11:	Hwidth – width of a histogram bar (bin width)  Hwidth Variable
			Hwidth	Hwidth Variable  Hwidth : The width of a har for histogram plots (hip width)
			l l mai m	Hwidth : The width of a bar for histogram plots (bin width).  Hmin Variable
			Hmin	Hmin variable  Hmin : The minimum value to be included in the histogram.
			Hmax	Hmax Variable
			HIIIdX	Hmax : The maximum value to be included in the histogram.
	-	Statistics 1Var App I	Functions	The Statistics 1Var app has a 3 functions designed to work together to calculate summary statistics based
			dictions	on one of the statistical analyses (H1-H5) defined in the Symbolic view of the Statistics 1Var app.
		Do1VStats		Do1VStats App Function
				Syntax:
				Do1VStats(Hn)  Performs the same calculations as pressing the Stats menu key in the Statistics 1Var app's Numeric view
				and stores the results in the appropriate Statistics 1Var app results variables. Hn must be one of the Statistics 1Var app Symbolic view variables H1-H5.
		SetFreq		SetFreq App Function
				Syntax:
				SetFreq(Hn, Dn) or
				SetFreq(Hn, Num)
				Set frequency. The syntax may be either SetFreq(Hn, Dn) or SetFreq(Hn, Num). Sets the frequency for one of the statistical analyses (H1-H5) defined in the Symbolic view of the Statistics 1Var app. The frequency
				can be either one of the column variables D0-D9, or any positive integer. Hn must be one of the Statistics
				1Var app Symbolic view variables H1-H5. If used, Dn must be one of the column variables D0-D9;
				otherwise, value must be a positive integer.
				Examples:
				SetFreg(H1, 7) sets the frequency for each value in the data set for analysis H1 to be 7.
				SetFreq(H3, D3) sets the frequencies for the data set in H3 to be column D3.
		SetSample		SetSample App Function
				Syntax: SetSample(Hn, Dn)
				Set sample data. Sets the sample data for one of the statistical analyses (H1-H5) defined in the Symbolic
				view of the Statistics 1Var app to one of the column variables D0-D9.
				Example:
		2		SetSample(H2,D4) sets analysis H2 to use column D4 for its data.
		CHECK		CHECK App Function
				Syntax: CHECK(n)
				Checks (selects) the corresponding definition in Symbolic view. The integer n must be between 0 and 5.
		UNCHECK		UNCHECK App Function
				Syntax:
				UNCHECK(n)
				Unchecks (deselects) the corresponding definition in Symbolic view. The integer n must be between 0 and 5.
		ISCHECK		ISCHECK App Function
				Syntax:
				ISCHECK(n)
				Returns 1 or 0 depending if the corresponding definition in Symbolic view is selected or not. The integer n
1 [				must be between 0 and 5.

Topics Tree 13217	Help Text
ratistics 2Var app	The 2-Variable Statistics app can store up to ten data sets at one time. It can perform two-variable
	statistical analysis of one or more sets of data.  The 2-Variable Statistics app starts with the Numeric view which is used to enter data. The Symbolic
	is used to specify which columns contain data.
	To launch the Statistics 2Var app, go to the Application Library and tap the Statistics 2Var app icon. Y
	can also use the rocker wheel to select the Statistics 2Var app icon, then tap Start or press Enter to I
	the app.
Stats 2Var Symbolic View	Statistics 2Var Symbolic View
	Press Symb to enter the Statistics 2-Var Symbolic view. You can define up to 5 2-variable analyses, n
	\$1-\$5.
	Each data set definition has the following fields:
	<ul> <li>Sn: defines the independent and dependent columns as well as an optional frequency column for the data in the dependent column. You can also select a point type and a color for the scatter plot.</li> </ul>
	Type: chooses a function type to fit to your data
	• Fit: contains the equation of your fit as well as a color picker to the left of Fit so you can choose a
	for the graph of the fit.
	For the independent and dependent columns, you can enter mathematical expressions in terms of a
	column name (e.g. 2-C1).
	Each active data set (S1-S5) will be used for graphing purposes in Plot view and also for displaying
	summary statistics in Numeric view when Stats is tapped.
	The menu buttons are:
	Edit: enables you to edit the selected value
	Choose: select the plot type or graph color
	<ul> <li>✓: toggles between making an analysis active or inactive</li> </ul>
	Column: a choose box for selecting the name of a column
	Fit: toggles the fit on and off in Plot view
	Show: displays the fit equation in full-screen mode with horizontal and vertical scrolling enabled
	Eval: evaluates the highlighted expression, resolving any references to other definitions
Stats 2Var Plot View	Statistics 2Var Plot View
Stats 2 var Plot view	
	Press Plot to enter the Stats 2-Var Plot view. This view displays the scatter plots for the active analys  Tap Menu to toggle the menu on and off.
	The menu buttons are:
	Zoom: zooms in or out on the graph(s)
	• Trace: toggles tracing on and off
	Go To: opens an input form to jump the tracer to a specific x-value
	Fit: toggles displaying a fit for each scatter plot
	FCN: opens the Functions menu
	Fit: this is a duplicate of the Fit menu key described above
	<ul> <li>Sketch: sketch your own fit with your finger (see below)</li> </ul>
	Defn: shows the definition of the current graph being traced
	Menu: toggles the menu on and off
	Sketch, Transform, and Definition
	Selecting the Sketch option returns you to Plot view, with a message at the bottom of the display to
	sketch a function fit with your finger. Sketch your fit with your finger; tap OK if you like your sketch,
	sketch a new fit if you do not like your original sketch. When you get the fit you want, tap OK. The fit
	for the current dataset in Symbolic view (S1-S5) will be changed to User-Defined and the expression
	of your fit will be saved as the user-defined fit.
	Salact Transform to translate and dilate the current function area. Deep to translate and dilate the current
	Select Transform to translate and dilate the current function graph. Drag to translate and pinch verti or horizontally to dilate the graph. The expression will respond accordingly. Tap Simplify to simplify to
	current expression. Tap Form to select an alternate form for your function equation.
	- San Language - San Co Societi di Bitani dei your function equationi
	Select Definition to view the expression for the current graph. In the Definition Box, you can tap Edit
	edit the expression; when you are done editing, tap OK to see the change in the graph. You can also
	Transform to manipulate the current graph. Tap OK when you are done to return to the Definition B
	Tap the down-arrow menu button again to close the box.
	Use the rocker wheel left/right to trace along a scatter plot or a fit. Use the rocker wheel up/down to
	move from one scatter plot to the next, or from the scatter plot to the fit.
	,
	Press + to zoom in on the current cursor location and press - to zoom out. Set the zoom factor under
	Zoom menu.
	All of the gestures common to the Plot views are supported here as well. See Plot View for more det
State 2 Var Blot Satura	Statistics 2Var Plot Setup
Stats 2Var Plot Setup	Statistics 2Var Plot Setup
	Press Shift Plot to enter page 1 of the Stats 2-Var Plot Setup. This view is similar to page 1 of the State
	Var Plot Setup, except that you can choose different marks for each scatter plot.
	On the first page, the fields are:
	S1Mark-S5Mark: choose a style for the data point marks for each scatter plot
	X Rng: the horizontal graphing range
	Y Rng: the vertical graphing range
	X Tick: horizontal tick mark spacing
	A rick. Horizontal tick mark spacing
	Y Tick: vertical tick mark spacing

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Help To	ppics Tree 13217	Help Text
		• Edit: opens an edit box to edit the value of the selected field
		• Page 1/2 ▼: displays the second page of the setup
		Tap Page 1/2 ▼ to view the second page of the setup. Here the fields are:
		Axes: toggles axes on and off
		Labels: toggles axis labels on and off
		Grid Dots: toggles grid dots on and off
		Grid Lines: toggles grid lines on and off
		Cursor: choose between Standard, Inverting, and Blinking cursors
		Method: choose the method used to plot the fit
		· ·
		Connect: connect the scatter plot points with segment (this is not a fit)  The second of the se
		Fit: toggle the fit plotting off and on in Plot view
		The menu buttons on the second page are:
		• ✓: toggles the current setting on or off
		Choose: make a choice from a choose box
		• ▲ Page 2/2: returns to the first page of the setup
	Stats 2Var Numeric View	Statistics 2Var Numeric View
	Stats 2 var Numeric view	Press Num to return to this view at any time. This view contains a table with up to ten columns of data, named C1 through C9 and C0.  The menu buttons are:
		Edit: opens an input line to edit the chosen value
		More: opens a menu with options for editing the list
		Go To: jumps to a specific element in the list. Useful for very large lists.
		Sort: sorts the current column in either ascending or descending order      Make a secretary and the based or as placeholds for solds.
		Make: generates a column of data based on an algebraic formula
		Stats: provides summary statistics on the currently defined analyses (see Symbolic view)
		Enter your data manually or store list data in C1, C2, etc. Use the Make feature to create data based on an algebraic formula. You can also paste data copied from another app or from the List and Matrix Editors.
		You can name each data column as well. Tap on the column header and then either edit the name or start typing to enter a new name.  The More Menu
		The More menu contains the following options for editing a list:
		• Insert
		o Row: Inserts a new row in the current list. The new row contains 0 as its element.
		o now. inserts a new row in the eartern list. The new row contains o as its clement.
		Delete     o Column: Deletes the contents of the current list. To delete a single element, select it and press the Delete key.
		• Select
		o Row: Selects the current row. Once selected, the row can be copied.
		o Column: Selects the current list. Once selected, the list can be copied.
		o Box: Opens a dialog box to select a rectangular array defined by a starting location and a final location. You can also tap and hold on a cell to start selection, then drag to select a rectangular array of elements. Once selected, the array can be copied.
		o Swap Ends: Swaps the starting and ending cells for the selected rectangular array of cells.
		Selection: Toggles selection mode on and off. You can also tap and hold on a cell, then drag to select.
		• Swap
		o Column: Swaps the contents of two columns (lists).
	Make Column	The Make Column Data wizard is basically a shortcut to using the MAKELIST command and storing the results in Numeric view. The fields in this wizard are:  • Expression: enter the generating expression for your list of real numbers
		Var: declare the independent variable from your expression. All other variables in your expression will be taken as constants. Note that your variable may be a dummy; that is, it may not appear in your
		expression at all.  • Start: enter the starting vale for your variable
		Stop: enter the final value for your variable
		Step: enter the step-value for your variable
		Col: a drop-down list to choose the destination for your list of real numbers
		Fill in the fields and tap OK to generate the column of numbers and save them to the list you specified, or tap Cancel to return to Numeric view without creating a list. Use this wizard to easily create a list of random integers, a sample distribution, and so on.
	Statistics 2Var Stats View	In the Statistics 2Var app Numeric view, tap Stats to see summary statistics for all active analyses displayed in the Stats view. By default, the usual 2-variable statistics are displayed and the Stats menu key has the active white dot in it. The menu keys in this view are:
		<ul> <li>More: opens a menu that lets you select and copy multiple cells. You can then paste the contents of these cells elsewhere.</li> <li>Stats: displays common 2-variable summary statistics, such as the correlation coefficient and the sample and population covariances.</li> </ul>
		• X: displays summary statistics for the independent variable, such as the mean of x and its standard deviation.

Haln Tanics Tree	13217	Help Text
Help Topics Tree	13217	Y: displays summary statistics for the dependent variable, such as the mean of Y and its standard
		deviation.
		OK: returns to Numeric view
		Use the More menu to select one or more of the statistics on a page and then press Shift View (Copy) to
		copy the array to the clipboard. You can then press Shift Menu (Paste) to open the clipboard and paste
		the array anywhere in the system, such as the List or Matrix editors or the Spreadsheet app Numeric view.
		When you are done examining summary statistics, press OK to return to Numeric view.
Statistics 2Var Variable	<u> </u>	To display the variables relating to the Statistics 2Var app, press Vars, tap App and select Statistics 2Var.
		The Statistics 2Var app has the following variables:
		• Results (see below)
		Symbolic (see below)
		Plot (see (see Common App Variables above)
		Numeric (see below)     Numeric (see Common Ann Veriables about)
		Modes (see Common App Variables above)  Continue 2 Variables 2 Variables
Results Variables	5	Statistics 2Var Results Variables
		The Statistics 2Var app variables store results from the calculations performed when the Stats button is tapped in the Numeric view of the app or when the Do2VStats command is executed.
		tapped in the Numeric view of the app of when the Dozvotats command is executed.
	bltem	NbItem App Variable
	-	Nbltem contains the number of data points in the current 2-variable analysis (S1-S5).
	orr	Corr App Variable
	511	Corr contains the correlation coefficient from the latest calculation of summary statistics.
	pefDet	CoefDet App Variable
	50.500	CoefDet contains the coefficient of determination from the latest calculation of summary statistics. This
		value is based on the fit type chosen.
sC	Cov	sCov App Variable
		sCov contains the sample covariance of the current 2-variable statistical analysis (S1-S5).
σ	Cov	σCov App Variable
		σCov contains the population covariance of the current 2-variable statistical analysis (S1-S5).
ΣΧ	(Υ	ΣΧΥ App Variable
		ΣΧΥ contains the sum of the X·Y products for the current 2-variable statistical analysis (S1-S5).
M	leanX	MeanX App Variable
		MeanX contains the mean of the independent values (X) of the current 2-variable statistical analysis (S1-S5).
Σχ	(	ΣX App Variable
	•	ΣX contains the sum of the independent values (X) of the current 2-variable statistical analysis (S1-S5).
Σχ	(2	ΣX2 App Variable
		ΣΧ2 contains the sum of the squares of the independent values (X) of the current 2-variable statistical
		analysis (S1-S5).
sX	(	sX App Variable
		sX contains the sample standard deviation of the independent values (X) of the current 2-variable statistical analysis (S1-S5).
ΣΧ	(	ΣΧ App Variable
		ΣX contains the population standard deviation of the independent values (X) of the current 2-variable statistical analysis (S1-S5).
se	errX	serrX App Variable
		serrX contains the standard error of the independent values (X) of the current 2-variable statistical
	.,	analysis (S1-S5).
ss	Х	ssX App Variable
		ssX contains the sum of the squared deviations of x from the mean of x of the independent values (X) of the current 2-variable statistical analysis (S1-S5).
	leanY	MeanY App Variable
		MeanY contains the mean of the dependent values (Y) of the current 2-variable statistical analysis (S1-S5).
ΣΥ	/	ΣΥ App Variable
		ΣΥ contains the sum of the dependent values (Y) of the current 2-variable statistical analysis (S1-S5).
ΣΥ	/2	ΣΥ2 App Variable
		ΣΥ2 contains the sum of the squares of the dependent values (Y) of the current 2-variable statistical
		analysis (S1-S5).
sY	•	sy App Variable
		sY contains the sample standard deviation of the dependent values (Y) of the current 2-variable statistical
σ\	/	analysis (S1-S5).  σY App Variable
	•	σY contains the population standard deviation of the dependent values (Y) of the current 2-variable
		statistical analysis (S1-S5).
se	errY	serrY App Variable
		serrY contains the standard error of the dependent values (Y) of the current 2-variable statistical analysis
	.,	(S1-S5).
ss	Υ	ssY App Variable

opics Tr	ree 13217	Help Text  ssY contains the sum of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations of y from the mean of y of the dependent values (Y) of the squared deviations (Y) of the squ
	Symbolic Variables	current 2-variable statistical analysis (S1-S5).  Statistics 2Var Symbolic Variables
	Symbolic variables	The Statistics 2Var app variables are S1-S5. These variables contain the data that define a 2-variable statistical analysis. S1 returns a list of the objects that define S1. Each list contains the following items, in
		order: • A string or expression (in single quotes) that defines the independent variable data list
		A string or expression (in single quotes) that defines the dependent variable data list
		A string or expression that optionally defines the frequencies for the dependent data list
		• The fit type number (see below)
		• The fit expression
		The scatter plot color
		The scatter plot point mark type number  The fit plot color
		The fit type number is an integer from 1 to 13 that controls which statistical plot type is used with each of the variables S1-S5. The correspondence is shown below.  1 Linear
		2 Logarithmic
		3 Exponential
		4 Power
		5 Exponent
		6 Inverse
		7 Logistic
		8 Quadratic
		9 Cubic
		10 Quartic
		11 Trigonometric
		12 Median-Median Line
		13 User Defined
		The scatter plot point mark type number is an integer from 1 to 9 that controls which graphic is used to represent each point in a scatter plot. The correspondence is shown below.
		1 small hollow dot
		2 small hollow square
		3 thin x
		4 hollow cross
		5 small hollow diamond
		6 thick x
		7 small solid dot
		8 thin diamond
		9 large hollow dot
		Example:
		S1:={"C1", "C2", "", 1, "", #FF:24h, 1, #FF:24h} sets C1 as the independent data, C2 as the dependent dat
		no frequencies for the dependent data, a linear fit, no specific equation for that linear fit yet, a blue
		scatter plot with mark type 1, and a blue fit plot.
	Numeric Variables	Statistics 2Var Numeric Variables
		The Statistics 2Var Numeric app variables are C1 through C9 and C0. They each represent a single datase
		and contain the values in that dataset. These are all list variables and are compatible with the Statistics 1Var list variables D0-D9 as well as the Home variables L0-L9.
Statis	stics 2Var Ann Functions	The Statistics 2Var app has a number of functions. Some are designed to calculate summary statistics
Statis	stics 2Var App Functions	The Statistics 2Var app has a number of functions. Some are designed to calculate summary statistics based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.
Statis	stics 2Var App Functions  PredX	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app.  Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function
Statis		based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.
Statis		based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app.  Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function
Statis		based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app.  Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function  Syntax:
Statis		based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value  PredY App Function
Statis	PredX	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value
Statis	PredX	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value  PredY App Function Syntax: PredY(X_value)
Statis	PredX PredY	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value  PredY App Function Syntax: PredY(X_value) Predict Y. Uses the fit from the first active analysis (S1-S5) found to predict a y-value given the x-value.
Stati	PredX	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value  PredY App Function Syntax: PredY(X_value) Predict Y. Uses the fit from the first active analysis (S1-S5) found to predict a y-value given the x-value.  Resid App Function
Statis	PredX PredY	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value  PredY App Function Syntax: PredY(X_value) Predict Y. Uses the fit from the first active analysis (S1-S5) found to predict a y-value given the x-value.  Resid App Function Syntax:
Statis	PredX PredY	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value  PredY App Function Syntax: PredY(X_value) Predict Y. Uses the fit from the first active analysis (S1-S5) found to predict a y-value given the x-value.  Resid App Function Syntax: Resid(Sn) or
Statis	PredX PredY	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app.  Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function  Syntax:  PredX(Y_value)  Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value  PredY App Function  Syntax:  PredY(X_value)  Predict Y. Uses the fit from the first active analysis (S1-S5) found to predict a y-value given the x-value.  Resid App Function  Syntax:  Resid(Sn) or  Resid()
Statis	PredX	based on one of the statistical analyses (S1-S5) defined in the Symbolic view of the Statistics 2Var app. Others predict X- and Y-values based on the fit specified in one of the analyses.  PredX App Function Syntax: PredX(Y_value) Predict X. Uses the fit from the first active analysis (S1-S5) found to predict an x-value given the Y-value.  PredY App Function Syntax: PredY(X_value) Predict Y. Uses the fit from the first active analysis (S1-S5) found to predict a y-value given the x-value.  Resid App Function Syntax: Resid(Sn) or

Help Top	ics Tree 13217	Help Text
пер гор	13217	Resid() looks for the first active, defined analysis in the Symbolic view (S1-S5).
		Resid(S3) uses analysis S3
	Do2VStats	Do2VStats App Function
	DOZVStats	Syntax:
		Do2VStats(Sn)
		Performs the same calculations as pressing the Stats menu key in the Statistics 2Var app's Numeric view and stores the results in the appropriate Statistics 2Var app results variables. Sn must be one of the
		Statistics 2Var app Symbolic view variables S1-S5.
	SetDepend	SetDepend App Function
		Syntax:
		SetDepend(Sn, Cn)
		Set dependent column. Sets the dependent column for one of the statistical analyses S1-S5 to one of the
		column variables C0-C9.
		Example:
		SetDepend(S1, C3) sets the dependent column for analysis S1 to column C3.
	SetIndep	SetIndep App Function
		Syntax:
		SetIndep(Sn, Cn)
		Set independent column. Sets the independent column for one of the statistical analyses S1-S5 to one of
		the column variables CO-C9.
		Example:
	CUECK	SetIndep(S1, C2) sets the independent column for analysis S1 to column C2.
	CHECK	CHECK App Function
		Syntax:
		CHECK(n)
		Checks (selects) the corresponding definition in Symbolic view. The integer n must be between 0 and 5.
	UNCHECK	UNCHECK App Function
	ONCHECK	Syntax:
		UNCHECK(n)
		Unchecks (deselects) the corresponding definition in Symbolic view. The integer n must be between 0 and
		5.
	ISCHECK	ISCHECK App Function
		Syntax:
		ISCHECK(n)
		Returns 1 or 0 depending if the corresponding definition in Symbolic view is selected or not. The integer n
		must be between 0 and 5.
Intere	ence app	The Inference app contains tools for inferential statistics, including creating confidence intervals and hypothesis testing. This app can import summary statistics from any column of the Statistics 1-Var or 2-
		Var apps. Confidence intervals and hypothesis tests are based on the Normal Z-distribution or Students T-
		distribution. Results can be displayed both numerically and graphically.
		To launch the Inference app, go to the Application Library and tap the Inference app icon. You can also use the rocker wheel to select the Inference app icon, then tap Start or press Enter to launch the app.
		Although the intervals and tests in this app are limited to the Normal and Student's-t distributions, HP
		Prime has a full set of probability density functions. Press the Toolbox key, tap Math and select
		Probability. You will see categories for Density, Cumulative, and Inverse (Cumulative). Under each you will
		find Normal, T, Chi-Square, F, Binomial, and Poisson.
		The left control of the control of t
	Inference Symbolic View	The Inference Symbolic view contains settings to define a confidence interval or hypothesis test. This view also allows you to select a Chi-Square test or perform inference for linear regression.
		The fields are:
		Method: chooses between hypothesis test, confidence interval, Chi-Square, Inference for regression, or
		ANOVA     Type: chooses a specific calculation within the selected Method, where available
		Alt Hypoth: chooses one of three alternative hypotheses (hypothesis test only)      Expected: chooses between entering expected probabilities and expected counts for the Chi-Square.
		<ul> <li>Expected: chooses between entering expected probabilities and expected counts for the Chi-Square</li> <li>Goodness of Fit (GoF) test</li> </ul>
		The only menu button is:
		Choose: make a choice from a choose box
		Once you have selected a specific calculation, press the Num key to go to Numeric view and enter the
		data for the calculation.
	Inference Plot View	The Inference Plot view displays graphically the results you see when you tap Calc from the Numeric view.
	Inference Plot Setup	Not all calculations include a Plot view.  Press Shift Plot to enter the Inference Plot Setup. Page 1 of the Plot Setup contains settings that control
	innerence Flot Setup	the appearance of inference plots.
		The fields are:
		H Width: the bin width for histograms
		H Rng: the range for the data to plot
		X Rng: the horizontal range of the graph window
		Y Rng: the vertical range of the graph window
		X Tick: horizontal tick mark spacing
		Y Tick: vertical tick mark spacing
1 1	1	

Hala	Tonics Tree	13217	Help Text
пеір	Topics Tree Inference Num		The Inference app Numeric view is designed for you to enter data required for the calculation selected in
	interested Humi		Symbolic view.
			Hypothesis Tests and Confidence Intervals
			For hypothesis tests and confidence intervals, this view contains fields for the sample statistics (e.g. sample mean and sample size), the population parameters (e.g. null hypothesis mean, and standard
			deviation, $\sigma$ ), and the significance level.
			For hypothesis tests and confidence intervals, the menu buttons are:
			Edit: opens an input box to edit the chosen value
			• Import: imports statistics (such as n, mean, etc.) from any column in the Statistics 1Var or Statistics
			2Var apps (or any app based on these two)  • Calc: computes and displays the results numerically in a table
			Enter values in the fields and then tap Calc to see the results.
			Chi-Square Tests
			For the Chi-Square GoF test, Numeric view presents two lists. The first list, ObsList, is for the observed
			counts. The second list is either ProbList for the expected probabilities or ExpList for the expected counts,
			depending on the choice you made in Symbolic view for the Expected field. Enter the observed counts in
			the first list and either the expected probabilities or counts in the second list. Tap Calc to see the results.
			The menu buttons here are:
			Edit: opens an input line to edit the chosen value
			More: opens a menu with options for editing the list
			Go To: jumps to a specific element in the list. Useful for very large lists.
			Make: generates a column of data based on an algebraic formula
			Calc: displays the test results
			For the Chi-Square 2-way test, Numeric view presents a matrix named ObsMat, in which you enter the matrix of observed counts. When you are done, tap Calc to see the results. The top of the screen will
			display the Chi-Square statistic value, the probability, and the degrees of freedom.
			The menu buttons are the same as for the GoF test, except that there is no Make option. There is also a Go menu key that toggles between moving the cursor right, down, or not at all after Enter is pressed.
			Inference for Linear Regression  For all linear regression antique. Numeric view presents two lists: Vliet for the vivalues (the explanatory)
			For all linear regression options, Numeric view presents two lists; Xlist for the x-values (the explanatory variable) and Ylist for the y-values (the response variable). Enter your data in these two variables. Press
			the Plot key to view a scatter plot of your data. Use the rocker wheel up/down to view a scatter plot of
			the residuals and a normal probability plot of the residuals. These plots will help you assess whether or
			not your data meet the criteria for the linear t-test, etc. When you are ready, tap Calc. A wizard will open to guide you through the rest of the steps, such as entering a confidence level or an x-value, depending on
			the calculation you chose in Symbolic view.
			The menu buttons here are the same as for the Chi-Square GoF test Numeric view.
			ANOVA
			For analysis of variance, Numeric view presents a set of columns. Enter each data set involved in the analysis into its own column and then tap Calc. The results of the analysis of variance will be displayed.
			analysis into its own column and then tap calc. The results of the analysis of variance will be displayed.
			The menu buttons here are the same as for the Chi-Square GoF test Numeric view.
	Inference Calc \	/iew	Tap Calc to see the calculation results. The Inference Results screen is displayed. This view varies
			depending on the specific calculation results being displayed.  In general, results are displayed in a table whenever possible. Each value is labeled and help text is
			provided to describe each value.
			Hypothesis Tests
			For hypothesis tests, Calc displays the test result, the test values, the probability, and the critical values.
			The menu keys here include the More menu to assist you in copying results to paste elsewhere. Tap the OK menu key to return to Numeric view when you are done.
			Confidence Intervals
			For confidence intervals, Calc displays the C-value, the degrees of freedom, the critical value, and the
			lower and upper bounds of the confidence interval. The menu keys here are the same as for Hypothesis
			Tests.
			Chi-Square GoF
			For the goodness of fit test, Calc displays the Chi-Square value and its probability, along with the degrees of freedom. The menu keys are:
			More: opens the More menu
			Stats: displays the default results described above
			• Exp: switches to display the expected counts
			Cont: switches to display the Chi-Square contributions by category
			OK: returns to Numeric view
			Chi-Square Two-Way Test
			For the two-way test, Calc displays the Chi-Square value and its probability, along with the degrees of freedom. The menu keys are the same as for the goodness of fit test.
			ANOVA
			For the 1-way analysis of variance, Calc displays the degrees of freedom, the f-distribution value, etc. The
			menu keys are More (to select multiple cells to copy and paste elsewhere) and OK (to return to Numeric
			view). See the individual help pages for:
			See the individual nerp pages for:

• Hypothesis Tests

Hel	p Topics Tree	13217	Help Text
			Confidence Intervals
			Chi-Square Goodness of Fit Test
			• Chi-Square 2-Way Test
			• Linear Regression T-Test
			Confidence Interval for Slope
			Confidence Interval for Intercept
			Confidence Interval for Mean Response
			Prediction Interval for Future Response
			• ANOVA
	Hypot	hesis Test Results	Once you tap Calc in Numeric view, the results of your hypothesis test are displayed in a table. Generally,
			these results include the following values:
			Result: 0 to reject or 1 to fail to reject the null hypothesis
			Test value: the Z- or t-value calculated for the test
			Test statistic value: the value of the statistic under scrutiny associated with the Test value
			P: the probability
			Critical test value: the boundary test value(s) for your test
			Critical statistic value: the boundary value(s) for the statistic under scrutiny
			The menu buttons are:
			More: opens the More menu, with options for selecting multiple cells to copy and then paste elsewhere
			OK: return to the Numeric view of the app
			Use the rocker wheel or tap to move about the table. Tap the More menu key to open a menu for options
			to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a
			cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
			Tap the OK menu key to return to Numeric view. Now you can press the Plot key to see the results
			graphically as well.
	Confid	dence Intervals Results	Once you tap Calc in Numeric view, the results of your confidence interval calculation are displayed in a table. Generally, these results include the following values:
			C: the confidence level you entered
			Critical test values: the boundary test values associated with your confidence level
			Lower: the lower bound of the confidence interval
			Upper: the upper bound of the confidence interval
			The menu buttons are:
			More: opens the More menu, with options for selecting multiple cells to copy and then paste elsewhere
			OK: return to the Numeric view of the app
			Use the rocker wheel or tap to move about the table. Tap the More menu key to open a menu for options
			to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a
			cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
			Tap the OK menu key to return to Numeric view. Now you can press the Plot key to see the results
	Chi-So	juare GoF Results	graphically as well.  Once you tap Calc in Numeric view, the results of your Chi-Square goodness of fit calculation are displayed
	CIII-30	quale GOF Results	in a table containing the following values:
			• χ²: the Chi-Square statistic value
			• P: the probability
			DF: the degrees of freedom
			The menu keys are:
			More: opens the More menu, with options for selecting multiple cells to copy and then paste elsewhere
			<b>6</b> ,
			Stats: tap to display the test results (on by default)
			Exp: tap to display the list of the expected counts
			Cont: tap to display the list of Chi-Square contributions
			OK: tap to return to Numeric view
			Use the rocker wheel or tap to scroll about the table. Use the More menu to select multiple cells to copy
			and paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells.
			Tap the OK menu key to return to Numeric view.
	Chi-Sq	quare 2-Way Test Results	Once you tap Calc in Numeric view, the results of your Chi-Square 2-way test are displayed in a table
			containing the following values: • χ²: the Chi-Square statistic value
			P: the probability
			DF: the degrees of freedom  The many keys are:
			The menu keys are:
			More: opens the More menu, with options for selecting multiple cells to copy and then paste elsewhere
			Exp: tap to display the matrix of the expected counts (tap OK to exit)
			Cont: tap to display the matrix of Chi-Square contributions (tap OK to exit)
			OK: tap to return to Numeric view  Use the recker wheel or tap to scroll about the table. Use the More many to select multiple cells to sony.
			Use the rocker wheel or tap to scroll about the table. Use the More menu to select multiple cells to copy and paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells.
			tap and note of a confirm of the confirmation
			Tap the OK menu key to return to Numeric view.

Help Topics	Tree 13217	Help Text
	Linear Regression T-Test Results	Once you tap Calc in Numeric view, the linear regression t-test results are displayed in a table containing the following values:  • Test T: the calculated test t-value
		P: the probability  DF: the degrees of freedom
		• β0: the linear regression equation intercept  • β1: the degrees of recedent  • β2: the linear regression equation intercept
		• β1: the linear regression equation slope
		• serrLine: the standard error about the line
		serrSlope: the standard error about the slope
		serrint: the standard error about the intercept
		<ul> <li>r: the correlation value</li> <li>R<sup>2</sup>: the coefficient of determination</li> </ul>
		Use the rocker wheel or tap to scroll about the table. Tap the More menu key to open a menu for options
		to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
		Tap the OK menu key to return to Numeric view.
	CI for Slope Results	Once you tap Calc in Numeric view, the results of the confidence interval calculation are displayed in a table containing the following values:  • C: the confidence level you entered in the wizard
		Crit. T: the critical t-value associated with your confidence level
		DF: the degrees of freedom
		• β1: the linear regression equation slope
		serrLine: the standard error about the line     Lower: the lower bound of the confidence interval for the slope
		Upper: the upper bound of the confidence interval for the slope     Upper: the upper bound of the confidence interval for the slope
		Use the rocker wheel or tap to move about the table. Tap the More menu key to open a menu for options to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
		Tap the OK menu key to return to Numeric view.
	CI for Intercept Results	Once you tap Calc in Numeric view, the results of the confidence interval calculation are displayed in a
		table containing the following values:  • C: the confidence level you entered in the wizard
		Crit. T: the critical test t-value associated with your confidence level
		DF: the degrees of freedom
		• β0: the linear regression equation intercept
		serrLine: the standard error about the line     Lower: the lower bound of the confidence interval for the intercept
		Upper: the upper bound of the confidence interval for the intercept
		Use the rocker wheel or tap to move about the table. Tap the More menu key to open a menu for options to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
		Tap the OK menu key to return to Numeric view.
	CI for Mean Response Results	Once you tap Calc in Numeric view, the results of the confidence interval calculation are displayed in a
		table containing the following values:  • C: the confidence level you entered in the wizard
		• ŷ: the mean response value for the x-value you entered in the wizard
		DF: the degrees of freedom
		• serr ŷ: the standard error about the mean response
		Lower: the lower bound of the confidence interval for the mean response
		<ul> <li>Upper: the upper bound of the confidence interval for the mean response</li> <li>Use the rocker wheel or tap to move about the table. Tap the More menu key to open a menu for options</li> </ul>
		to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
		Tap the OK menu key to return to Numeric view.
	Prediction Interval Results	Once you tap Calc in Numeric view, the results of the prediction interval calculation are displayed in a table containing the following values:  • C: the confidence level you entered in the wizard
		• ŷ: the mean response value for the future x-value you entered in the wizard
		DF: the degrees of freedom
		• serr ŷ: the standard error about the mean response
		Lower: the lower bound of the confidence interval for the mean response
		Upper: the upper bound of the confidence interval for the mean response  Upper: the upper bound of the confidence interval for the mean response  Upper: the upper bound of the confidence interval for the Mars means to appear a manufact entires.
		Use the rocker wheel or tap to move about the table. Tap the More menu key to open a menu for options to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
		Tap the OK menu key to return to Numeric view.
	ANOVA results	Once you tap Calc in Numeric view, the results of your 1-way analysis of variance are displayed in a table containing the following values:  • F: the F-value
		P: the probability associated with the F-value  Page 53 of 33

Hel	p Topi	cs Tree	13217	Help Text
- 1101				DF: the degrees of freedom of the treatments
				• SS: the sum of the squares of the treatments
				MS: the mean square of the treatments
				DFerr: the degrees of freedom of the errors
				SSerr: the sum of the squares of the errors
				MSerr: the mean square of the errors
				Use the rocker wheel or tap to move about the table. Tap the More menu key to open a menu for options
				to assist you in selecting multiple cells to copy and the paste elsewhere. You can also tap and hold on a cell, then drag to select a rectangular array of cells to copy and paste elsewhere.
				Tap the OK menu key to return to Numeric view.
		Inference App Var	iables	Besides the common app vars, the Inference app has Symbolic, Numeric, and Results app vars. Each of
				these categories contains the app vars used in the corresponding view of the app.
		Results Varia	ables	Inference App Results Variables
				The Inference App Results variables store calculations performed when the Calc menu button is tapped in the Inference Numeric view or when the DoInference command is executed.
			Result	Result App Var
				For hypothesis tests, contains 0 or 1 to indicate rejection of or failure to reject the null hypothesis.
			TestScore	TestScore App Var
				TestScore contains the Z- or t-distribution value calculated from the hypothesis test or confidence interval
			TestValue	inputs.  TestValue App Var
			restvalue	TestValue contains the value of the experimental variable associated with the current value in the app variable TestScore.
			CritScore	CritScore App Var
			Critiscore	CritScore contains the value of the Z- or t-distribution associated with the input $\alpha$ -value
			CritVal1	CritVal1 App Var
				CritVal1 contains the lower critical value of the experimental variable associated with the negative TestScore value which was calculated from the input $\alpha$ -level.
			CritVal2	CritVal2 App Var
				CritVal2 contains the upper critical value of the experimental variable associated with the positive
			D I	TestScore value which was calculated from the input α-level.
			Prob	Prob App Var  Prob contains the probability associated with the TestScore value.
			DF	DF App Var
				DF contains the degrees of freedom for the t-tests.
			ContribList	ContribList App Var
				ContribList is a list that contains the Chi-Square contributions for the last Chi-Square goodness of fit (GoF) test.
			ExpMat	ExpMat App Var  ExpMat is a matrix that contains the expected count data from the last Chi-Square 2-Way test calculation.
			ContribMat	ContribMat App Var
				ContribMat is a matrix that contains the Chi-Square contributions for the last Chi-Square 2-way test.
			Slope	Slope App Var
				Slope contains the value of the slope from the last linear regression t-test.
			Inter	Inter App Var
				Inter contains the value of the intercept from the last linear regression t-test.
			corr	corr App Var
				corr contains the value of the correlation from the last linear regression t-test.
			coefDet	coefDet App Var  coefDet contains the value of the coefficient of determination from the last linear regression t-test.
			serrLine	serrLine App Var serrLine contains the value of the standard error of the line from the last linear regression t-test.
			serrSlope	serrSlope App Var serrSlope contains the value of the standard error of the slope from the last linear regression t-test or
				confidence interval for slope.
			serrInter	serrInter App Var serrInter contains the value of the standard error of the intercept from the last linear regression t-test or
				confidence interval for the intercept.
			Yval	Yval App Var  Yval contains the value of ŷ from the last prediction interval or mean response interval calculation.
				sorry Ann Var
			serrY	serrY App Var  serrY contains the value of the standard error of ŷ from the last prediction interval or mean response interval calculation.
			Xval	Xval App Var
				Xval contains the value of the explanatory variable (X) from the last mean response interval or prediction interval calculation.
			SS	SS App Var

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Help Topics Tre	ee 13217	Help Text SS contains the value of the sum of squares of the treatments from the last ANOVA 1-way calculation.
	SSerr	SSerr App Var  SSerr contains the value of the sum of squares of the errors from the last ANOVA 1-way calculation.
	MS	MS App Var MS contains the value of the mean squares for the treatments from the last ANOVA 1-way calculation.
	MSerr	MSerr App Var  MSerr contains the value of the mean squares for the errors from the last ANOVA 1-way calculation.
	Fval	Fval App Var  Fval contains the value of the mean squares for the treatments from the last ANOVA 1-way calculation.
	DFerr	DFerr App Var  DFerr contains the value of the degrees of freedom of the errors from the last ANOVA 1-way calculation.
	Numeric Variables	Inference App Numeric Variables
		The Inference app Numeric Variables correspond to the fields in the Numeric view for the various tests and confidence intervals.
	Alpha	Alpha App Var  Sets the alpha level for the hypothesis test.  Alpha appropriate the alpha level to p
		Alpha:=n, where 0 <n<1, alpha-level="" n.<="" sets="" td="" the="" to=""></n<1,>
	Conf	Conf App Var  Sets the confidence level for the confidence interval.  Confirm where 0 co.1. cots the confidence level to p
		Conf:=n, where 0 <n<1, confidence="" level="" n.<="" sets="" td="" the="" to=""></n<1,>
	Mean <sub>1</sub>	Mean₁ App Var  Sets the value of the mean of a sample for a 1-mean hypothesis test or confidence interval. For a 2-mean test or interval, sets the value of the mean of the first sample.  n ► Mean₁ sets the value of Mean₁ to n.
	Mean <sub>2</sub>	Mean₂ App Var  For a 2-mean test or interval, sets the value of the mean of the second sample.  n ► Mean₂ sets the value of Mean₂ to n.
	$\sigma_1$	σ <sub>1</sub> App Var  Sets the population standard deviation for a hypothesis test or confidence interval involving 1 or 2 means and the Normal distribution. For a test or interval involving the difference of two means, sets the population standard deviation of the first sample.
		$n \triangleright \sigma_1$ sets the value of $\sigma_1$ to $n$ .
	$\sigma_2$	$\sigma_2$ App Var  For a test or interval involving the difference of two means and the Normal distribution, sets the population standard deviation of the second sample. $n \triangleright \sigma_2$ sets the value of $\sigma_2$ to $n$ .
	S <sub>1</sub>	s <sub>1</sub> App Var  Sets the sample standard deviation for a hypothesis test or confidence interval. For a test or interval involving the difference of two means, sets the sample standard deviation of the first sample.
		$n \triangleright s_1$ sets the value of $s_1$ to $n$ .
	S <sub>2</sub>	<ul> <li>s₂ App Var</li> <li>For a test or interval involving the difference of two means, sets the sample standard deviation of the second sample.</li> <li>n ► s₂ sets the value of s₂ to n.</li> </ul>
	X <sub>1</sub>	x <sub>1</sub> App Var  Sets the number of successes for a one-proportion hypothesis test or confidence interval. For a test or interval involving the difference of two proportions, sets the number of successes of the first sample.
		$n \triangleright x_1$ sets the value of $x_1$ to $n$ . $x_2$ App Var
	X <sub>2</sub>	For a test or interval involving the difference of two proportions, sets the number of successes of the second sample.  n > x <sub>2</sub> sets the value of x <sub>2</sub> to n.
	n <sub>1</sub>	n <sub>1</sub> App Var  Sets the size of the sample for a hypothesis test or confidence interval. For a test or interval involving the difference of two means or two proportions, sets the size of the first sample.
		$n \triangleright n_1$ sets the value of $n_1$ to $n$ .
	n <sub>2</sub>	n₂ App Var  For a test or interval involving the difference of two means or two proportions, sets the size of the second sample.
	μο	n ► n₂ sets the value of n₂ to n.  μ₀ App Var  Sets the assumed value of the population mean for a hypothesis test
		Sets the assumed value of the population mean for a hypothesis test. $n \blacktriangleright \mu_0 \text{ sets the value of } \mu_0 \text{ to n.}$
	$\pi_{o}$	$\pi_0$ App Var Sets the assumed proportion of successes for the one-proportion Z-test. $n  mathbb{r}_0$ sets the value of $\pi_0$ to $n$ .
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Help Topics Tr	ree 13217	Help Text
	Pooled	Pooled App Var
		Determine whether or not the samples are pooled for tests or intervals using the Student's T-distribution
		involving two means.  0 ▶ Pooled for not pooled (default)
		1 ▶ Pooled for pooled
	ObsList	ObsList App Var
	Obstist	ObsList is a list that contains the observed counts for each category from the last Chi-Square goodness of
		fit (GoF) test.
	ProbList	ProbList App Var
		ProbList is a list that contains the probabilities for each category from the last Chi-Square goodness of fi
		(GoF) test.
	ExpList	ExpList App Var
		ExpList is a list that contains the expected counts for each category from the last Chi-Square goodness of
	ObsMat	fit (GoF) test.  ObsMat App Var
	Obsiviat	ObsMat is a matrix that contains the observed count data from the last Chi-Square 2-Way test calculation
	Xlist	Xlist App Var
		Xlist is a list that contains the data for the explanatory (X) variable from the last inference for regression calculation.
	Ylist	Ylist App Var
		Ylist is a list that contains the data for the response (Y) variable from the last inference for regression
	Symbolic Variables	calculation. Inference App Symbolic Variables
		There are four Inference App Symbolic Variables, each of which corresponds to one of the four possible
		fields in the Symbolic view of the Inference app:
		• Method
		• Type
		• AltHyp
		• DataType
	InfType	InfType App Var
		InfType determines the type of hypothesis test, confidence interval, Chi-Square test, or inference for regression calculation. Their function depends upon the value of the variable Method.
		With Method=0 for hypothesis tests, the constant values and their meanings are as follows:
		• InfType:= 0 for Z-Test: 1 mean
		• InfType:= 1 for Z-Test: 2 means
		InfType:= 2 for Z-Test: 1 proportion
		InfType:= 3 for Z-Test: 2 proportions
		• InfType:= 4 for T-Test: 1 mean
		• InfType:= 5 for T-Test: 2 means
		With Method=1 for confidence intervals, the constant values and their meanings are as follows:
		• InfType:= 0 for Z-Int: 1 mean
		• InfType:= 1 for Z-Int: 2 means
		• InfType:= 2 for Z-Int: 1 proportion
		• InfType:= 3 for Z-Int: 2 proportions
		• InfType:= 4 for T-Int: 1 mean
		• InfType:= 5 for T-Int: 2 means
		With Method=2 for Chi-Square tests, the constant values and their meanings are as follows:
		• InfType:= 0 for Chi-Square GoF
		• InfType:= 1 for Chi-Square 2-Way test
		With Method=3 for inference for regression, the constant values and their meanings are as follows:
		• InfType:= 0 for Linear regression t-test
		InfType:= 1 for confidence interval for slope
		InfType:= 2 for confidence interval for intercept
		InfType:= 3 for confidence interval for mean response
		InfType:= 4 for prediction interval for a future response
	Method	Method App Var
		Method determines whether the Inference app is set to calculate hypothesis test results, confidence intervals, Chi-Square tests, or inference for regression calculations.
		Method := 0 for Hypothesis Tests
		Method := 1 for Confidence Intervals
		Method := 2 for Chi-Square Tests
		Method := 3 for Inference for regression
	Alettiva	AltHyp App Var
	AltHyp	
		AltHyp determines the alternative hypothesis used for hypothesis testing.
		• Althyp:= 0 for µ<µ0
		• AltHyp := 1 for $\mu > \mu 0$
		• AltHyp := 2 for μ≠μ0

Hel	p Topics Tre		13217	Help Text
1161	p ropies me		DataType	DataType App Var
			Butarype	For the Chi-Square goodness of fit (GoF) test, DataType determines whether the expected list contains
				probabilities or counts.
				DataType:= 0 for count data
				DataType:= 1 for probabilities
	Infere	ence App Func	tions	The functions specific to the Inference app are listed in this section.
		DoInference		DoInference App Function
				Syntax:
				DoInference()
				Calculate confidence interval or test hypothesis.
				Performs the same calculations as tapping Calc in the Inference app's Numeric view, and stores the results
				in the appropriate Inference app Results variables. The results depend on the contents of the Inference
				app Symbolic view variables Method, Type, and Alt Hypoth.
				One comple 7 test for Many
		HypZ1mean		One-sample Z-test for Mean
				Syntax:
				HypZ1mean(SampMean, SampSize, NullPopMean, PopStdDev, SigLevel, Mode)
				Mode: Specifies which alternative hypothesis to use.
				1: Less than
				2: Greater than
				3: Not equal
				Returns a list containing (in order):
				Reject (0) or fail to reject (1) the null hypothesis
				• Test Z-value
				• Input sample mean value
				Upper-tail probability
				Upper critical Z-value associated with the input α-level
				Critical value of the statistic associated with the critical Z-value
				Example:
				HypZ1mean(0.461368,50,0.5,0.2887,0.05,1) →
				{1,-0.946205374811,0.461368,0.172021922639,-1.64485362695,0.432843347747,0.432843347747}
				Tue comple 7 test for Manage
		HypZ2mean		Two-sample Z-test for Means
				Syntax:
				HypZ2mean(SampMean, SampMean2, SampSize, SampSize2, PopStdDev, PopStdDev2, SigLevel, Mode)
				Mode: Specifies which alternative hypothesis to use:
				1: Less than
				2: Greater than
				3: Not equal
				Returns a list containing (in order):
				Reject (0) or fail to reject (1) the null hypothesis
				• Test Z-value
				Test Δ☑ value
				Upper-tail probability
				Upper critical Z-value associated with the input α-level
				• Critical value of ∆② associated with the critical Z-value
				Example:
				HypZ2mean(0.461368,0.522851,50,50,0.2887,0.2887,0.05,1) →
				{1,-1.06482507793,-0.061483,0.1434775472,-1.64485362695,-0.156456848420,-0.156456848420}
		HypZ1prop		One-sample Z-test for Proportion
				Syntax:
				HypZ1prop(SuccCount, SampSize, NullPopProp, SigLevel, Mode)
				Mode: Specifies which alternative hypothesis to use.
				1: Less than
				2: Greater than
				3: Not equal
				Returns a list containing (in order):
				Reject (0) or fail to reject (1) the null hypothesis
				• Test Z-value
				• Test π value
				Upper-tail probability
				Upper critical Z-value associated with the input α-level
				Critical value of π associated with the critical Z-value
				Example:
				HypZ1prop(21,50,0.5,0.05,1) →
				{1,-1.13137084989,0.42,0.128949517646,-1.64485362695,0.385189688145,0.385189688145}
		HypZ2prop		Two-sample Z-test for Proportions
				Syntax:
				HypZ2prop(SuccCount1, SuccCount2, SampSize1, SampSize2, SigLevel, Mode)
				Mode: Specifies which alternative hypothesis to use.

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	1: Less than
	2: Greater than
	3: Not equal
	Returns a list containing (in order):
	Reject (0) or fail to reject (1) the null hypothesis
	• Test Z-value
	• Test Δπ value
	Upper-tail probability
	Upper critical Z-value associated with the input α-level
	$ullet$ Critical value of $\Delta\pi$ associated with the critical Z-value
	Example:
	HypZ2prop(21,26,50,50,0.05,1) →
	{1,-1.00180487462,-0.1,0.42,0.52,0.158218921229,-1.64485362695,-0.263363033245,-0.263363033
	(2) 2103200 107 1027 012701 127012701200220020000000000
HypT1mean	One-sample t-test for Mean
	Syntax:
	HypT1mean(SampMean, SampStdDev, SampSize, NullPopProp, SigLevel, Mode)
	Mode: Specifies which alternative hypothesis to use.
	1: Less than
	2: Greater than
	3: Not equal
	Returns a list containing (in order):
	Reject (0) or fail to reject (1) the null hypothesis  That Turkly
	• Test T-value
	• Input 🛽 value
	Upper-tail probability
	Degrees of freedom
	• Upper critical T-value associated with the input α-level
	Critical value of the statistic associated with the critical T-value
	Example:
	HypT1mean(0.461368,0.2776,50,0.5,0.05,1) →
	{1,-0.984039955720,0.461368,0.16496500389,49,-1.67655089261,0.434181011953,0.434181011953}
HypT2mean	Two-sample t-test for Means
	Syntax:
	HypT2mean(SampMean1, SampMean2, SampStdDev1, SampStdDev2, SampSize1, SampSize2, SigLeve
	Pooled, Mode)
	Pooled: Specifies whether or not the samples are pooled
	0: not pooled
	1: pooled
	Mode: Specifies which alternative hypothesis to use.
	1: Less than
	2: Greater than
	3: Not equal
	Returns a list containing (in order):
	Reject (0) or fail to reject (1) the null hypothesis
	• Test T-value
	• Test Δ② value
	Upper-tail probability
	The degrees of freedom
	$\bullet$ Upper critical T-value associated with the input $\alpha\text{-level}$
	• Critical value of Δ <sup>®</sup> associated with the critical T-value
	Example:
	HypT2mean(0.461368,0.522851,0.2776,0.2943,50,50,0.05,0,1) →
	{1,-1.07460751332,-0.061483,0.142599075544,97.6674459454,-1.66060517920,-0.156493491707,-
	6493491707}
ConfZ1mean	One-sample Normal CI for Mean
	Syntax:
	ConfZ1mean(SampMean, SampSize, PopStdDevm, ConfLevel)
	One-sample Normal confidence interval for a mean
	Returns a list containing (in order):
	• Lower critical 7-value
	Lower critical Z-value
	Lower bound of the confidence interval
	Lower bound of the confidence interval
	Lower bound of the confidence interval     Upper bound of the confidence interval
ConfZ2mean	Lower bound of the confidence interval     Upper bound of the confidence interval     Example:     ConfZ1mean(0.461368,50,0.2887,0.95) → {-1.95996398454,0.381345913182,0.541390086818}  Two-sample Normal CI for Mean
ConfZ2mean	Lower bound of the confidence interval     Upper bound of the confidence interval     Example:     ConfZ1mean(0.461368,50,0.2887,0.95) → {-1.95996398454,0.381345913182,0.541390086818}  Two-sample Normal CI for Mean Syntax:
ConfZ2mean	Lower bound of the confidence interval     Upper bound of the confidence interval     Example:     ConfZ1mean(0.461368,50,0.2887,0.95) → {-1.95996398454,0.381345913182,0.541390086818}  Two-sample Normal CI for Mean

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		Returns a list containing (in order):
		Lower critical Z-value
		Lower bound of the confidence interval
		Upper bound of the confidence interval
		Example:
		Conf22mean(0.461368,0.522851,50,50,0.2887,0.2887,0.95) →
	ConfZ1prop	{-1.95996398454,-0.174651320467,5.16853204673ε-2} One-sample Normal CI for Proportion
	Comzipiop	Syntax:
		ConfZ1prop(SuccCount, SampSize, ConfLevel)
		One-sample Normal confidence interval for a proportion
		Returns a list containing (in order):
		Lower critical Z-value
		Lower bound of the confidence interval
		Upper bound of the confidence interval
		Example:
		ConfZ1prop(21,50,0.95) → {-1.95996398454,0.283195075475,0.556804924525,0.42}
	ConfZ2prop	Two-sample Normal CI for Proportions
		Syntax:
		ConfZ2prop(SuccCount1, SuccCount2, SampSize1, SampSize2, ConfLevel)
		Two-sample Normal confidence interval for the difference of two proportions
		Returns a list containing (in order):  • Lower critical Z-value
		Lower Critical Z-value     Lower bound of the confidence interval
		Upper bound of the confidence interval
		Example:
		$ConfZ2prop(21,26,50,50,0.95) \rightarrow \{-1.95996398454,-0.294659060430,9.46590604295\epsilon - 2,0.42,0.52\}$
		COE.P. Op(1-7)-030303037 / { 253330030 (87) (812) (833000 (80)37) (833000 (2532) 2301 (2532)
	ConfT1mean	One-sample t-test for Mean
		Syntax:
		ConfT1mean(SampMean, SampStdDev, SampSize, ConfLevel)
		One-sample Student's T confidence interval for a mean
		Returns a list containing (in order):
		Degrees of freedom
		Lower critical t-value  A lawar bound of the confidence interval
		Lower bound of the confidence interval     Upper bound of the confidence interval
		Example:
		ConfT1mean(0.461368,0.2776,50,0.95) $\rightarrow$ {49,-2.00957523712,0.382474952915,0.540261047085}
		,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
	ConfT2mean	Two-sample t-test for Means
		Syntax:
		ConfT2mean(SampMean, SampMean2, SampStdDev, SampStdDev2, SampSize, SampSize2, Pooled, ConfLevel)
		Two-sample Student's T confidence interval for the difference of two means
		Pooled: Specifies whether or not the samples are pooled
		0: not pooled
		1: pooled
		Returns a list containing (in order):
		• The degrees of freedom
		The lower critical t-value
		The lower bound of the confidence interval
		The upper bound of the confidence interval
		The midpoint of the interval
		Example:
		ConfT2mean(0.461368,0.522851,0.2887,0.2887,50,50,0.95,0) → {98.000000000,−1.98446745450,−0.176066150823,5.31001508231ε−2,−0.061483}
	Chi2GOF	χ <sup>2</sup> Goodness of Fit
		Syntax:
		Chi2GOF(List1, List2, Value)
		Takes as arguments a list of observed count data, a second list, and a value of 0 or 1.
		If Value=0, the second list is taken as a list of expected probabilities.
		If Value=1, then the second list is taken as a list of expected counts.
		Returns a list containing:
		• $\chi^2$ statistic value
		Probability     Degrees of freedom
		Degrees of freedom  Frample:
		Example: Chi2GOF( $\{10,10,12,15,10,6\},\{0.24,0.2,0.16,0.14,0.13,0.13\},0\} \rightarrow \{7.95179952323,0.158912133127,5\}$
		CIII-2001 [[10,10,12,13,10,0],[0.24,0.2,0.10,0.14,0.13,0.13],0] → [1.331/3322323,0.130312133121,5]
	Chi2TwoWay	χ² Two-Way Test

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			Syntax:
			Chi2TwoWay(Matrix)
			Given a matrix of count data, returns a list containing:
			• $\chi^2$ statistic value
			Probability
			Degrees of freedom
			Example:
			Chi2TwoWay([[30,35,30],[11,2,19],[43,35,35]]) → {14.4302681482,6.04117951525ε-3,4}
		LinRegrTTest	Linear Regression t-test
			Syntax:
			LinRegrTTest(List1, List2, AltHyp)  Given a list of explanatory (X) variable data, a list of response (Y) variable data, and an integer (0, 1, or 2),
			performs a linear regression t-test using the given bivariate data sets.
			The last argument determines the nature of the alternative hypothesis used for the test, as shown in the following list:
			• AltHyp := 0 for μ<μ0
			• AltHyp := 1 for μ>μ0
			• AltHyp := 2 for µ≠µ0
			The test returns a list containing the following values in the order shown:
			Test t-value: the t-value associated with the test
			P: the probability associated with the test result
			DF: the degrees of freedom
			• β0: the intercept of the linear regression equation
			• β1: the slope of the linear regression equation
			serrLine: the standard error about the line
			• serrSlope: the standard error of the slope
			serrInter: the standard error of the intercept
			• r: the correlation coefficient
			R <sup>2</sup> : the coefficient of determination
			Example:
			LinRegrTTest({1,2,3,4},{3,2,0,-2},0) → {-9.81495457622,5.11086672135ε-3,2,5,-1.7,0.387298334621,0.173205080757,0.474341649025,-0.9897 78266557,0.979661016949}
		LinRegrTConfSlope	Linear Regression CI for Slope
			Syntax:
			LinRegrTConfSlope(List1, List2, C-value)
			Linear regression confidence interval for the slope
			Given a list of explanatory (X) variable data, a list of response (Y) variable data, a value for AltHyp and a confidence level, returns a list containing the following values in the order shown:
			C: the given confidence level
			Critical T: the value of t associated with the given confidence level
			DF: the degrees of freedom
			• β1: the slope of the linear regression equation
			• serrSlope: the standard error of the slope
			Lower: the lower bound of the confidence interval for the slope
			Upper: the upper bound of the confidence interval for the slope
			Example:
			LinRegrTConfSlope({1,2,3,4},{3,2,0,-2},0.95) →
		LinRegrTConfInt	{0.95,4.30265272974,2,-1.7,0.173205080757,-2.44524131352,-0.954758686475} Linear Regression CI for Intercept
		Linkey reomine	Syntax:
			LinRegrTConfInt(List1, List2, C-value)
			Linear regression confidence interval for the intercept
			Given a list of explanatory (X) variable data, a list of response (Y) variable data, and a confidence level,
			returns a list containing the following values in the order shown:
			C: the given confidence level
			Critical T: the value of t associated with the given confidence level
			DF: the degrees of freedom
			• β0: the intercept of the linear regression equation • sortlator: the standard error of the intercept
			serrInter: the standard error of the intercept      lower: the lower bound of the confidence interval for the intercent.
			Lower: the lower bound of the confidence interval for the intercept      Lipper: the upper bound of the confidence interval for the intercept.
			Upper: the upper bound of the confidence interval for the intercept  Example:
			Example: LinRegrTConfInt({1,2,3,4},{3,2,0,-2},0.95) →
			\[ \text{Linkegr1Contint\{\1,2,3,4\},\3,2,0,-2\}\.0.95\] \rightarrow \[ \{0.95,4.30265272974,2,5,0.474341649025,2.95907260898,7.04092739101\} \]
		LinRegrTMeanResp	Linear Regression CI for Mean Resp.
			Syntax:
			LinRegrTMeanResp(List1, List2, X_value, C-value)
			Linear regression confidence interval for a mean response

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		Given a list of explanatory (X) variable data, a list of response (Y) variable data, an X-value, and a confidence level, returns a list containing the following values in the order shown:
		• X: the given X-value
		C: the given confidence level
		• T: the t-value associated with the confidence level
		DF: the degrees of freedom
		• Ŷ: the mean response for the given X-value
		• serr Ŷ: the standard error of the mean response
		Lower: the lower bound of the confidence interval for the mean response
		Upper: the upper bound of the confidence interval for the mean response
		Example:
		$LinRegrTMeanResp(\{1,2,3,4\},\{3,2,0,-2\},2.5,0.95) \rightarrow$
	Line To the	{2.5,0.95,4.30265272974,2,0.75,0.193649167310,-8.32051183415ε-2,1.58320511834}
	LinRegrTPredInt	Linear Regression Prediction Interval Syntax:
		LinRegrTPredInt(List1, List2, X-value, C-value)
		Linear regression prediction interval for a future response
		Given a list of explanatory (X) variable data, a list of response (Y) variable data, a future X-value, and a
		confidence level, returns a list containing the following values in the order shown:
		X: the given future X-value     C: the given confidence level
		C: the given confidence level      T: the tivalue associated with the confidence level.
		T: the t-value associated with the confidence level     DE: the dogrees of freedom.
		DF: the degrees of freedom     Ŷ: the mean response for the given future X-value.
		<ul> <li>Ŷ: the mean response for the given future X-value</li> <li>serr Ŷ: the standard error of the mean response</li> </ul>
		Lower: the lower bound of the prediction interval for the mean response
		Upper: the upper bound of the prediction interval for the mean response
		Example:
		LinRegrTPredInt({1,2,3,4},{3,2,0,-2},2.5,0.95) →
		{2.5,0.95,4.30265272974,2,0.75,0.433012701892,-1.11310328381,2.61310328381}+Q350
	AnovaOneWay	ANOVA One-Way
		Syntax:
		AnovaOneWay({list1},{list2},[{list3}] [{List14}])
		Calculates a one-way analysis of variance using up to 14 treatment groups. Returns a list of results containing:  • F: the F-value
		P: the probability associated with the F-value
		DF: the degrees of freedom of the treatments
		SS: the sum of the squares of the treatments
		MS: the mean square of the treatments
		DFerr: the degrees of freedom of the errors
		• SSerr: the sum of the squares of the errors
		MSerr: the mean square of the errors
		Example:
		AnovaOneWay({7,4,6,8,6,6,2,9},{5,5,3,4,4,7,2,2},{2,4,7,1,2,1,5,5}) →
		{3.59459459459,0.045439700366,2,30.0833333333,15.0416666666,21,87.875,4.18452380952}
Data Stre	eamer app	The Data Streamer app simplifies the collection of data from sensors via the HP StreamSmart 410 data streamer. The Data Streamer app collects the data, then lets you identify the exact data set you wish to
		send to the Statistics 1Var or 2Var apps for analysis and modeling.
		Tap Start or press Enter to launch the app.  Please refer to the HP StreamSmart 410 User Guide for more information.
Da	ita Streamer Plot View	Press Plot to return to this view at any time. The Plot view is the default view for this app. The Plot view
Da	ita Streamer Flot view	displays up to four data streams, one for each of the active channels on the HP StreamSmart 410.
		The menu keys are:
		CHAN: select a channel (stream) to trace, etc.
		PAN/ZOOM: toggle between panning (scrolling) and zooming with direction keys
		• PAN: scroll up, down, left, and right
		ZOOM: zoom in or out vertically or horizontally
		SCOPE: switch to oscilloscope mode
		START/STOP: stop stream flow or start a new stream
		With the PAN menu key active, use the rocker wheel up/down to center the active stream in the graphing
		window.  Press the PAN/ZOOM menu key to toggle to ZOOM. Now use the rocker wheel left/right to slow down or
		speed up the streams, respectively.
		Both panning and zooming can be done while data is streaming for an interactive experience.
		Press the STOP menu key and then the EXPORT menu key to isolate the data you want and export it to the
		Statistics 1Var or 2Var apps for analysis.  Press Num to enter the Numeric view of the app.
		riess with to enter the withert view of the app.

Data Streamer Numeric View  Press New Section to disk vew damy since. The Numeric view deplays the increasing data numeric increased of press placelly. This numerical view is deplayed in section or section of the sec	Help Topics Tree 13217	Help Text
Solve app  Assistance to reportment type and contraction for data  Assistance of the restor of refers here \$5, p. of 1.5 second 1.5 second 15 the default)  Assistance of precision of the term of the term of the statistics appricate the aspectical of security or over and enalysis the current set.  To produce to default of the statistics applicate the aspectication is aspected and security or over and enalysis the current application of the statistics applicated on aspectication of the statistics application of the statistic		Press Num to return to this view at any time. The Numeric view displays the incoming data numerically instead of graphically. This numerical view is useful for monitoring data numerically, such as during selected events experiments.
- 12 select the sensor enfront rece (S. J., or 15 second it second an defended) - 15 sets, per denty in the Statesters application (as specified an State) to sever and analyze the current set.  Tap Setup to define the type of a deceded events openiment you wish to perform and to select the as columning destination for your find data select, in this Select were, there are fields and menul battern defining you be selected events experiments, a Selfmed below.  Fields: - Appropriate Statesters 2 var or Statistics 2 var or Statistics 2 var as the destination for your data (other apps will appear you have seved version in the matrix with the propriet of a defended where you have been developed to destination of the statistics apply in your select events with or event of the statistics apply and data returned where you will appear you have developed to destination and the statistics apply and data selectly in the statistics apply for your data selectly in the statistics apply and data selectly in the statistics apply for your data selectly apply and statistics apply and data selectly in the statistics apply for your data selectly in the statistics apply for your data selectly in the statistics apply for your data selectly apply and statistics apply for your data selectly apply ap		
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only)  - CHI-C-Mit select columns in your chosen statistics app for your data set(s)  Mens Buttons: - Choose: choose an app, method, column, etc / stelect or deselect a channel for export - Cancel return to Numeric view without method any changes - OK; save the changes and return to Numeric view  The Solve app mables you to elifine up to ten expressions each with as many variables as you like. You can also solve a syst exposure from one equation to the other.  To launch the Solve app, go to the Application Library and tap the Solve app inch variables are carried over a you move from one equation to the other.  To launch the Solve app, go to the Application Library and tap the Solve app icon. You can also use the rocker wheel to select the Solve app (not the tap Start or press Enter to launch the app.  Solve Symbolic View  Use this view to enter and eath up to ten equations for expressions), named E0 to E2. Each equation or use any ediffered variable localising it in 2 and 0; relighility the or the ten firetis and begin entering an equation or expressions or plant to real an explant generation.  The menu battors are:  - If its open an input bas to edit the selected definition - I ye selects a definition for solving - I show display the highlighted equation in full screen mode, with horizontal and vertical scrolling enabled Router select a color for the graph - Pross Natura to display the full menuric even. This is where the solving occurs.  The Prot View  The Prot View yes you a graphical representation of the selected expression in the Symbolic view.  The Prot View yes you a graphical representation of the selected appression in the Symbolic view.  The rout of superior is the Prot of the current consolon in the Symbolic view.  The route buttons are:  - Menu: this toggle reveals and hides the Prot menu, with options for zooming and tracing - Yours: that you go a graphical representation of the selected depression in the Gapta of the sequence of the graph vindow, including the appearance of the current of		App: select Statistics 1Var or Statistics 2Var as the destination for your data (other apps will appear if
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Solve Symbolic View  Use this view to enter and edit up to ten equations (or expressions), named 60 to 69. Each equation use any defined variable (including 14 to 2 and 6), Helphight one of the ten fields and begin entering an equation or expression, or tap Edit to edit an existing expression.  The menu buttons are:  • Edit opens an input box to edit the selected definition  • 1/2 selects a definition for solving  • 1 a typing aid for entering the equal sign  • Show displays the highlighted equation in full-screen mode, with horizontal and vertical scrolling enabled.  • Eval resolves references when one equation is defined in terms of another  • Choose: Select a color for the graph  Press Num to display the Numeric view. This is where the solving occurs.  **Plot View**  Solve Plot View**  The Plot View** gives you a graphical representation of the selected expression in the Symbolic view, if one expression is selected. The left and right sides of the current expression are plotted as two separ graphs. The variable that is highlighted in the Numeric View is taken as the independent variable for graphing proposes. The pointity where these two graphs intersect are solutions to the equation. If the no 'right side,', 'a') is used as an implied right side.  The menu buttons are:  • Neme: this toggle reveals and hides the Plot menu, with options for zooming and tracing  • Zoom: enters the Zoom menu, with options to zoom in or out  • Trace: toggles tracing cursor off and on  • Go To: takes the tracing cursor to the point on the function with a given x-value  • Defin: displays the symbolic definition of the current function  If more than one equation is selected in Symbolic view, then Plot view is not available.  The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.  On the first page of the setup, the fields are:  • X Ring the horizontal tick mark spacing  The menu buttons on the first pag		If two or more of your equations share one or more variables, then the current or solved values of those variables are carried over as you move from one equation to the other.
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Edit: opens an input box to edit the selected definition  ✓: selects a definition for solving  =: a typing aid for entering the equal sign  Show: displays the highlighted equation in full-screen mode, with horizontal and vertical scrolling enabled.  Eval: resolves references when one equation is defined in terms of another  Choose: select a color for the graph Press Num to display the Numeric view. This is where the solving occurs.  The Plot View gives you a graphical representation of the selected expression in the Symbolic view, if one expression is selected. The left and right sides of the current expression are plotted as two separ graphs. The variable that is highlighted in the Numeric View is taken as the independent variable for graphing purposes. The point(s) where these two graphs intersect are solutions to the equation. If the no 'right side', '=0' is used as an implied right side.  The menu buttons are:  • Menu: this toggle reveals and hides the Plot menu, with options for zooming and tracing  • Zoom: enters the Zoom menu, with options to zoom in or out  • Trace: toggles tracing cursor off and on  • Go To: takes the tracing cursor to the point on the function with a given x-value  • Defin: displays the symbolic definition of the current function  If more than one equation is selected in Symbolic view, then Plot view is not available.  Solve Plot Setup  The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.  On the first page of the setup, the fields are:  • X Rn; the horizontal graphing range  • X Tick: horizontal graphing range  • X Tick: horizontal tick mark spacing  The menu buttons on the first page are:  • Edit: delt the value of the selected field  • PAGE 1/2 ▼; go to the second page of the setup	Solve Symbolic View	Use this view to enter and edit up to ten equations (or expressions), named E0 to E9. Each equation can use any defined variable (including A to Z and θ). Highlight one of the ten fields and begin entering an equation or expression, or tap Edit to edit an existing expression.
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Press Num to display the Numeric view. This is where the solving occurs.  Solve Plot View  The Plot View gives you a graphical representation of the selected expression in the Symbolic view, if one expression is selected. The left and right sides of the current expression are plotted as two separa graphs. The variable that is highlighted in the Numeric View is taken as the independent variable for graphing purposes. The point(s) where these two graphs intersect are solutions to the equation. If the no 'right side', '=0' is used as an implied right side.  The menu buttons are:  • Menu: this toggle reveals and hides the Plot menu, with options for zooming and tracing  • Zoom: enters the Zoom menu, with options to zoom in or out  • Trace: toggles tracing cursor of fand on  • Go To: takes the tracing cursor to the point on the function with a given x-value  • Defin: displays the symbolic definition of the current function  If more than one equation is selected in Symbolic view, then Plot view is not available.  Solve Plot Setup  The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.  On the first page of the setup, the fields are:  • X Rng: the horizontal graphing range  • Y Rng: the vertical graphing range  • Y Rick: horizontal tick mark spacing  The menu buttons on the first page are:  • Edit: edit the value of the selected field  • PAGE 1/2 ▼: go to the second page of the setup		Eval: resolves references when one equation is defined in terms of another
The Plot View gives you a graphical representation of the selected expression in the Symbolic view, if one expression is selected. The left and right sides of the current expression are plotted as two separ graphs. The variable that is highlighted in the Numeric View is taken as the independent variable for graphing purposes. The point(s) where these two graphs intersect are solutions to the equation. If the no 'right side', '=o' is used as an implied right side.  The menu buttons are:  • Menu: this toggle reveals and hides the Plot menu, with options for zooming and tracing  • Zoom: enters the Zoom menu, with options to zoom in or out  • Trace: toggles tracing cursor off and on  • Go To: takes the tracing cursor off and on  • Go To: takes the symbolic definition of the current function if more than one equation is selected in Symbolic view, then Plot view is not available.  Solve Plot Setup  The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.  On the first page of the setup, the fields are:  • X Rng: the horizontal graphing range  • Y Rng: the vertical graphing range  • Y Rick: horizontal tick mark spacing  The menu buttons on the first page are:  • Edit: edit the value of the selected field  • PAGE 1/2 ▼: go to the second page of the setup		Choose: select a color for the graph
one expression is selected. The left and right sides of the current expression are plotted as two separ graphs. The variable that is highlighted in the Numeric View is taken as the independent variable for graphing purposes. The point(s) where these two graphs intersect are solutions to the equation. If the no 'right side', '=0' is used as an implied right side.  The menu buttons are:  • Menu: this toggle reveals and hides the Plot menu, with options for zooming and tracing  • Zoom: enters the Zoom menu, with options to zoom in or out  • Trace: toggles tracing cursor off and on  • Go To: takes the tracing cursor of the point on the function with a given x-value  • Defn: displays the symbolic definition of the current function  If more than one equation is selected in Symbolic view, then Plot view is not available.  Solve Plot Setup  The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.  On the first page of the setup, the fields are:  • X Rng: the horizontal graphing range  • Y Rng: the vertical graphing range  • Y Rng: the vertical graphing range  • Y Tick: horizontal tick mark spacing  The menu buttons on the first page are:  • Edit: edit the value of the selected field  • PAGE 1/2 ▼: go to the second page of the setup		Press Num to display the Numeric view. This is where the solving occurs.
• Menu: this toggle reveals and hides the Plot menu, with options for zooming and tracing     • Zoom: enters the Zoom menu, with options to zoom in or out     • Trace: toggles tracing cursor off and on     • Go To: takes the tracing cursor to the point on the function with a given x-value     • Defn: displays the symbolic definition of the current function     If more than one equation is selected in Symbolic view, then Plot view is not available.  Solve Plot Setup  The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.  On the first page of the setup, the fields are:     • X Rng: the horizontal graphing range     • Y Rng: the vertical graphing range     • X Tick: horizontal tick mark spacing     • Y Tick: vertical tick mark spacing     The menu buttons on the first page are:     • Edit: edit the value of the selected field     • PAGE 1/2 ▼: go to the second page of the setup	Solve Plot View	graphing purposes. The point(s) where these two graphs intersect are solutions to the equation. If there is
Zoom: enters the Zoom menu, with options to zoom in or out     Trace: toggles tracing cursor off and on     Go To: takes the tracing cursor to the point on the function with a given x-value     Defn: displays the symbolic definition of the current function     If more than one equation is selected in Symbolic view, then Plot view is not available.    The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.    On the first page of the setup, the fields are:   X Rng: the horizontal graphing range   Y Rng: the vertical graphing range   X Tick: horizontal tick mark spacing   The menu buttons on the first page are:   Edit: edit the value of the selected field   PAGE 1/2 ▼: go to the second page of the setup		The menu buttons are:
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The Solve Plot Setup enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup has two pages.  On the first page of the setup, the fields are:  • X Rng: the horizontal graphing range  • Y Rng: the vertical graphing range  • X Tick: horizontal tick mark spacing  • Y Tick: vertical tick mark spacing  The menu buttons on the first page are:  • Edit: edit the value of the selected field  • PAGE 1/2 ▼: go to the second page of the setup		
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<ul> <li>X Rng: the horizontal graphing range</li> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: edit the value of the selected field</li> <li>PAGE 1/2 ▼: go to the second page of the setup</li> </ul>	Solve Plot Setup	
<ul> <li>Y Rng: the vertical graphing range</li> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: edit the value of the selected field</li> <li>PAGE 1/2 ▼: go to the second page of the setup</li> </ul>		On the first page of the setup, the fields are:
<ul> <li>X Tick: horizontal tick mark spacing</li> <li>Y Tick: vertical tick mark spacing</li> <li>The menu buttons on the first page are:</li> <li>Edit: edit the value of the selected field</li> <li>PAGE 1/2 ▼: go to the second page of the setup</li> </ul>		
• Y Tick: vertical tick mark spacing  The menu buttons on the first page are:  • Edit: edit the value of the selected field  • PAGE 1/2 ▼: go to the second page of the setup		Y Rng: the vertical graphing range
The menu buttons on the first page are:  • Edit: edit the value of the selected field  • PAGE 1/2 ▼: go to the second page of the setup		X Tick: horizontal tick mark spacing
• Edit: edit the value of the selected field     • PAGE 1/2 ▼: go to the second page of the setup		Y Tick: vertical tick mark spacing
• PAGE 1/2 ▼: go to the second page of the setup		
On the second page of the setup, the fields are:		On the second page of the setup, the fields are:

lp Tor	pics Tree 13217	Help Text
	13217	Axes: toggle axes on and off
		Labels: toggle axis labels on and off
		Grid Dots: toggle grid dots on and off
		Grid Lines: toggle grid lines on and off
		Cursor: choose between Standard, Inverting, and Blinking cursors
		Method: choose between Adaptive, Fixed-Step Segments, and Fixed-Step Dots
		The menu buttons on the second page are:
		• ✓: toggle the current setting on or off
		Choose: make a choice from a choose box
		• A PAGE 2/2 : return to the first page of the setup
		The Method field requires an explanation. By default, the HP Prime uses the Adaptive method, an advanced method that gives very accurate results. You can choose the more traditional method, called
		Fixed-Step Segments, which samples x-values, computes their corresponding y-values, and then plots and
		connects the points. Or you can choose Fixed-Step Dots, which works like Fixed-Step Segments but does
		not connect the points.
	Solve Numeric View	The Solve Numeric view is used to enter values for all known variable(s) and then to solve for the
		unknown(s).  If only one equation is checked in the numerical view, enter the values of the known variables, then selec
		the unknown variable and tap Solve.
		If more than one equation is checked in the numerical view, enter the values of the known variables,
		check the variables to solve for and tap Solve.
		Note that the current values for the unknown variable can be used as a seed for the solving algorithm.
		The many hythere are
		The menu buttons are:
		Edit: edit the current variable's value
		Info: get information about a solution
		Defn: view the expression that is being solved
		Solve: solve for the currently selected variable
		Note: if Info contains the message Extremum, this indicates that it is highly probable that there is no
		solution to the equation or system.
	Solve App Variables	To display the variables relating to the Solve app, press Vars, tap App and select Solve.
		The Solve app has variables in the following categories:
		Plot (see Common App Variables)
		Modes (see Common App Variables)
		Symbolic View Variables
		The Solve Symbolic app variables are E1 through E9 and E0. They can contain any expression. The
		independent variable is selected by highlighting it in the Numeric View.
		En := expression, where n is an integer between 0 and 9 inclusive
		Example:
		E3:='A+2*X=3*B'
		Example:
		A+2*X=3*B
	SOLVE	Solve App Function
	SOLVE	Syntax:
		SOLVE(En,Var[,Guess])
		Solves an equation for one of its variables. The argument En may be an equation or expression or it may be the name of one of the Solve Symbolic variables E0-E9. Solves the equation En for the variable Var,
		using the value of Guess as a seed for the solving algorithm. If En is an expression, then the value of the
		variable Var that makes the expression equal to zero is returned.
		· '
		Example:
		$SOLVE(X^2-X-2,X,3) \rightarrow 2$ with the Solve app running
		This function can also return a list containing an information message and one or more numbers.
		Example:
		SOLVE(SIN(X)+2, X) returns {Error: Extremum found,-1.57079487496} because sin(x)+2 cannot be equal t
		zero.
Linea	ar Solver app	The Linear Solver app solves linear systems of 2 equations in 2 variables or 3 equations in 3 variables.
		To launch the Linear Solver app, go to the Application Library and tap the Linear Solver app icon. You can
		also use the rocker wheel to select the Linear Solver app icon, then tap Start or press Enter to launch the
		арр.
	Linear Solver Numeric View	The Linear Solver opens in the Numeric view, the only view for this app. By default, the app opens ready
		to solve 3×3 systems of linear equations. Note the dot on the 3×3 menu button to indicate it is active. Ta
		the 2×2 menu button to switch to solving 2x2 systems of linear equations.
		Enter the coefficients of each variable in each equation as well as the coestant term. The colution to the
		Enter the coefficients of each variable in each equation as well as the constant term. The solution to the system appears in real time at the bottom of the screen.
		The menu buttons are:
		Edit: opens a line to edit the chosen value
		• 2×2: solves a 2×2 system of 2 linear equations with 2 variables
1	Line College Westell	• 3×3: solves a 3×3 system of 3 linear equations with 3 variables
1	Linear Solver Variables	Apart from the modes variables (which are common to all apps), the Linear Solver app has two variables:
1	I	l

p Topics Tree	13217	Help Text  • LSystem
		• LSolution
I Systom		LSystem App Var
LSystem		Contains a 2x3 or 3x4 matrix which represents a 2x2 or 3x3 linear system.
		matrix > LSystem, where matrix is either a matrix or the name of one of the matrix variables M0-M9.
LSolution		LSolution App Var  Contains a vector with the last solution found by either the Linear Solver app or the LSolve app functi
		contains a rector with the last social rectains and any cities are already on the above app and
Linear Solver App Fun	ctions	This section lists the functions specific to the Linear Solver app.
Solve2×2		Solve2×2 App Function
		Syntax:
		Solve2x2(a,b,c,d,e,f)
		Solves the 2x2 linear system represented by:
		ax+by=c dx+ey=f
		Example:
		Solve2x2(2,-1,5,5,2,8) $\rightarrow$ {2,-1}
Solve3×3		Solve3×3 App Function
		Syntax:
		Solve3x3(a,b,c,d,e,f,g,h,i,j,k,l)
		Solves the 3x3 linear system represented by:
		ax+by+cz=d
		ex+fy+gz=h
		ix+jy+kz=l
		Example:
LinCalua		Solve3x3(2,1,2,1,4,0,3,-5,0,5,4,13) → {1,5,-3}
LinSolve		LinSolve App Function Syntax:
		LinSolve(matrix)
		Solve linear system. Solves the NxN linear system represented by an Nx(N+1) matrix.
		LinSolve([[a,b,c],[d,e,f]]) solves the linear system:
		ax+by=c
		dx+ey=f
		Examples:
		LinSolve( $[[2,-1,5],[5,2,8]]$ ) $\rightarrow$ {2,-1} M2:= $[[1,-3,5,-14],[2,1,-6,20],[3,-2,1,0]]$ ; LinSolve(M2) $\rightarrow$ {1,0,-3}
Triangle Solver app		A triangle has 3 sides, each of a specific length, as well as 3 angles, each of a specific measure. Specific
		3 of these 6 values fully defines the triangle, as long as one of these is the length of a side. In the ambiguous case, specifying three of the values (including one side length) defines the triangle in term two alternatives. The Triangle Solver app allows you to enter 3 known values (one of which must always be a side length) and to calculate the 3 others-or the two alternatives for the 3 others.
		To launch the Triangle Solver app, go to the Application Library and tap the Triangle Solver app icon. can also use the rocker wheel to select the Triangle Solver app icon, then tap Start or press Enter to launch the app. The Triangle Solver app opens in the Numeric view, which is the only view this app has
Triangle Solver Numer	ic View	Make sure that your angle measure mode is appropriate. If the angle information you have is in degr and your current angle measure mode is radians or grads, change the mode to degrees by pressing the Radians menu key to toggle it to Degrees.
		The fields are:
		• a: the length of one side of the triangle
		• b: the length of another side
		• c: the length of the third side
		A: the measure of the angle opposite Side a     B: the measure of the angle opposite Side b
		<ul> <li>B: the measure of the angle opposite Side b</li> <li>C: the measure of the angle opposite Side c</li> </ul>
		The menu buttons in the main Numeric view are:
		Edit: opens an edit line to edit the current value of a field
		Degrees/Radians: toggles between degrees and radians angle measure
		Rect: toggles between a simple solver for right triangles and the general solver
		Solve: use the current values to solve for the other unknowns
		Using the rocker wheel, move to a field whose value you know, enter the value and press Enter. Repe for each known value. Note that one of the values must be the length of a side. Tap Solve and the ap display the remaining lengths and angle measures. If the Alt menu button appears, it means that ther two possible solutions. Tap Alt to toggle between the two solutions.
		If you are determining the properties of a right triangle, a simpler input form is available by tapping the
		menu button with a triangle symbol.
Triangle Solver Variab	les	Apart from the modes variables (which are common to all apps), the Triangle Solver app variables correspond to the fields in the app's Numeric view.

Help Topi	cs Tree 13217	Help Text
пер тор	13217	SideA - The length of the side opposite the angle A.
		n ► SideA, where n>0, sets the value of SideA to n.
	SideB	SideB App Variable
		SideB - The length of the side opposite the angle B.
		n ► SideB, where n>0, sets the value of SideB to n.
	SideC	SideC App Variable
		SideC - The length of the side opposite the angle C.
		n ► SideC, where n>0, sets the value of SideC to n.
	AngleA	AngleA App Variable
		AngleA - The measure of angle A.
		The value of this variable will be interpreted according to the angle mode setting (Degrees or Radians).
		n ► AngleA, where n>0, sets the value of AngleA to n.
	AngleB	AngleB App Variable
	, ingres	Angle B- The measure of angle B.
		The value of this variable will be interpreted according to the angle mode setting (Degrees or Radians).
		n ► AngleB, where n>0, sets the value of AngleB to n.
	AngleC	AngleC App Variable
		AngleC - The measure of angle C.
		The value of this variable will be interpreted according to the angle mode setting (Degrees or Radians).
		n ► AngleC, where n>0, sets the value of AngleC to n.
	TriType	Triangle Type Variable
	,,	Corresponds to the status of the TriType menu key in the Numeric view of the Triangle Solver app. It
		determines whether a general triangle solver or a right triangle solver is used.
		0 ► TriType for the general triangle solver (default)
		1 ► TriType for the right triangle solver
	Triangle Solver App Functions	The Triangle Solver app has a group of functions which allow solving a complete triangle from the input of
	Triangle Solver App Functions	3 measures of the triangle. The names of these commands use A to signify an angle, and S to signify a side
		length. To use these commands, enter 3 inputs in the specified order given by the command name. These
		commands all return a list of 6 items consisting of the three arguments entered with the command and the three unknown values (lengths of sides and measures of angles).
		the three diknown values (lengths of sides and measures of angles).
	AAS	AAS App Function
		Syntax:
		AAS(angle,angle,side)
		Takes as arguments the measures of two angles and the length of the side opposite the first angle and
		returns a list containing the length of the side opposite the second angle, the length of the third side, and the measure of the third angle (in that order).
		the measure of the third angle (in that of der).
		Example:
		AAngle:=2; AAS(30,60,1) → {1.73205080757,2,90} (Degrees mode)
	ASA	ASA App Function
		Syntax:
		ASA(angle,side,angle)
		Takes as arguments the measure of two angles and the length of the included side and returns a list
		containing the length of the side opposite the first angle, the length of the side opposite the second angle, and the measure of the third angle (in that order).
		and the measure of the time angle (in that order).
		Example:
		AAngle:=2; ASA(30,2,60) → {1,1.73205080757,90} (Degrees mode)
	SAS	SAS App Function
		Syntax:
		SAS(side,angle,side)
		Takes as arguments the length of two sides and the measure of the included angle and returns a list
		containing the length of the third side, the measure of the angle opposite the third side and the measure of the angle opposite the second side.
		Example:
		AAngle:=2; SAS(2,60,1) → {1.73205080757,30,90} (Degrees mode)
	SSA	SSA App Function
		Syntax:
		SSA(side,side,angle)
		Takes as arguments the lengths of two sides and the measure of a non-included angle and returns a list
		containing the length of the third side, the measure of the angle opposite the second side, and the
		measure of the angle opposite the third side.
		Note: In an ambiguous case, this command will only give you one of the two possible solutions.
		Formula
		Example:
	200	AAngle:=2; SSA(1,2,30) → {1.73205080757,90,60} (Degrees mode)
	SSS	SSS App Function
		Syntax:
		SSS(side,side,side)

p Topics Tree 13217	Help Text
	Takes as arguments the lengths of the three sides of a triangle and returns the measures of the angles opposite them, in order.
	Example:
DeCelve	AAngle:=2; SSS(3,4,5)  \$\gamma\{ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \
DoSolve	DoSolve App Function
	Syntax:
	DoSolve()
	Solves the current problem in the Triangle Solver app.
	The Triangle Solver app must have enough data entered to ensure a successful solution; that is, there must be at least three values entered, one of which must be a side length. Returns a list containing the unknown values in the Numeric view, in their order of appearance in that view (left to right and top to bottom).
Finance app	The Finance App solves a set of common financial problems. In Symbolic view you can select from a lis common financial problems. You can then enter Numeric view to solve your selected problem. Some of the problems also have a plot view.
	To launch the Finance app, go to the Application Library and tap the Finance app icon. You can also use the rocker wheel to select the Finance app icon, then tap Start or press Enter to launch the app.
Finance Symbolic View	The Finance Symbolic View allows you to choose which financial calculation you would like to perform the Finance App. These include:
	<ul> <li>TVM (Time Value of Money): Used for compound interest calculations that involve regular, uniform flows</li> </ul>
	Interest conversion: Converts between nominal and effective interest rates
	Date calculation: Calculates the difference between two dates
	Cash flow: Calculates the return on investment and value of cash flows
	Depreciation: Calculates the decrease in asset value over time
	Break-even: Used to find the break even point between number of units sold, fixed costs, manufacture
	costs, sales price, and a desired profit  • Percent change: Calculates a new price, cost, or value based on margin, markup, total percentage or percent change
	Bond: Calculates bond yield or bond price
	Black-Scholes: Uses the Black-Scholes mathematical model to value European call and put options
	First select your desired calculation from the drop down menu. Then press Num to enter the Finance
	Numeric View and solve the chosen equation.  For a more complete description of how to use each of the finance options see the help text for the
	Finance Numeric View group.
Finance Amortization Graph	The Finance Amortization Graph displays the amortization schedule graphically. Use the rocker wheel left/right to move from payment group to payment group. For each payment group, the principal and
	interest paid during the interval are displayed numerically at the bottom of the display.
Finance Plot Setup	Press Shift Plot to enter the Finance Plot Setup. Page 1 of the Plot Setup contains settings that control appearance of finance plots.  On the first page, the fields are:
	X Rng: the horizontal range of the graph window
	Y Rng: the vertical range of the graph window
	X Tick: horizontal tick mark spacing     X Tick: worthing thick worthing to the spacing.
	Y Tick: vertical tick mark spacing
	The menu buttons on the first page are:
	• Edit: opens an edit box to edit the value of the selected field
	Page 1/2 ▼: displays the second page of the setup
	On the second page, the fields are:
	Axes: toggles axes on and off
	Labels: toggles axis labels on and off
	Grid Dots: toggles grid dots on and off
	Grid Lines: toggles grid lines on and off
	Cursor: choose between Standard, Inverting, and Blinking cursors
	The menu buttons on the second page are:
	• ✓: toggles the current setting on or off
	Choose: make a choice from a choose box
	• ▲ Page 2/2: returns to the first page of the setup
Finance Numeric View	The Finance Numeric View is where you can find solutions to financial problems in the Finance App.
TVM View	Time Value of Money
	Time Value of Money (TVM) allows you to solve TVM and amortization problems. You can perform
	compound interest calculations and create amortization tables.
	Compound interest is accumulative interest, that is, interest on interest already earned. The interest earned on a given principal is added to the principal at specified compounding periods, and then the
	combined amount earns interest at a certain rate. Financial calculations involving compound interest include savings accounts, mortgages, pension funds, leases, and annuities.
	TVM calculations make use of the notion that a dollar today will be worth more than a dollar sometim the future. A dollar today can be invested at a certain interest rate and generate a return that the sam dollar in the future cannot. This TVM principle underlies the notion of interest rates, compound intere and rates of return.
	N: The total number of compounding periods or payments.

Holp Topics Tree	12217	Heln Text
Help Topics Tree	13217	<ul> <li>Help Text</li> <li>1%/Yr: The nominal annual interest rate (or investment rate). This rate is divided by the number of payments per year (P/Yr) to compute the nominal interest rate per compounding period. This is the interest rate actually used in TVM calculations.</li> <li>PV: The present value of the initial cash flow. To a lender or borrower, PV is the amount of the loan; to an investor, PV is the initial investment. PV always occurs at the beginning of the first period.</li> </ul>
		<ul> <li>P/Yr: The number of payments made in a year.</li> <li>PMT: The periodic payment amount. The payments are the same amount each period and the TVM calculation assumes that no payments are skipped. Payments can occur at the beginning or the end of each compounding period—an option you control by selecting or clearing the End option.</li> </ul>
		<ul> <li>C/Yr: The number of compounding periods in a year.</li> <li>FV: The future value of the transaction: the amount of the final cash flow or the compounded value of the series of previous cash flows. For a loan, this is the size of the final balloon payment (beyond any regular payment due). For an investment, this is its value at the end of the investment period.</li> </ul>
		Enter the values you know, select the quantity that you want to solve for and tap Solve. Tap Amort to display and explore the amortization table for your cash flow. Press Plot to see the amortization graph.
	Finance Amortization Table	The Finance Amortization Table displays the amortization schedule.  The schedule is a table displaying, for each payment group, the principal and interest paid during the group as well as the balance remaining at the end of the group.
		Size: choose between small, medium, and large font size     TVM: returns to the TVM view
Into	rest Conversion View	Use the rocker wheel or drag to scroll through the table.  Press the TVM menu key to return to the TVM page when you are done.  Interest Conversion allows you to convert between the nominal interest rate (a rate that is compounded)
inte	rest conversion view	after a given period that must be specified) and the effective interest rate (the amount of interest effectively charged over a year).  Nom I%: Nominal interest rate: the stated annual interest rate compounded as represented by P/Yr, such as 18% compounded monthly (P/Yr=12).  Eff I%: Effective annual interest rate taking compounding into account.  P/YR: Number of periods per year that the nominal interest rate is compounded.
Date	e Calculation View	Date calculations allows you to calculate the difference between two dates or calculate a date some number of days from another date.  • Date 1: The first date in YYYY.MMDD format. This must be a Gregorian date and may not exceed 9999.1231.  • Date 2: The second date in YYYY.MMDD format. This must be a Gregorian date and may not exceed 9999.1231.  • Difference: The difference between the two dates in number of days (limited to plus or minus 1,000,000 days ~2700years).  • Cal. 360: Specifies a 30 day per month, 360 day per year calendar should be used for calculations. The 360 day calendar is useful for measuring durations in financial markets.
Cash	n Flow View	Enter data in any two of the fields, highlight the remaining field, and tap Solve.  Cash Flow is used to solve problems where cash flows occur over regular intervals. Problems with regular equal, periodic cash flows are handled more easily using the TVM function.
		In the numeric screen you will see a table where you can enter the Cash Flow data. The top of the table has fields to enter these three items:  Invest I%: Investment or discount interest rate. The rate for cash flows that do not need to be liquid and highly available, so this rate reflects a higher return commensurate with increased risk.
		Safe I%: Safe investment interest rate. This rate assumes that funds required to cover negative cash flows are placed in investments that are highly liquid and easy to withdraw at will, making them "safely" available with minimum risk and therefore a lower return.
		<ul> <li>#CF/Yr: The number of cash flows per year</li> <li>On the lower part of the table you will enter your cash flow data.</li> <li>CF#: A number that represents the position of the cash flow in the list, where 0 is the initial investment. This number is automatically created as you enter data.</li> <li>Nb CF: The number of consecutive occurrences of the cash flow.</li> </ul>
		Cash Flow: The amount of the cash flow. Once you have completed your list tap Calc to see the analysis of your cash flow data.  Internal Rate of Return (IRR): The discount rate that returns a Net Present Value of 0 for the entered cash flows, by discounting all cash flows with Invest I%.  Modified IRR (MIRR): Modified Internal Rate of Return. An improved IRR calculation discounting negative cash flows with Safe I% and positive cash flows with Invest I%.  Financial MRR: (FMRR) Financial Management Rate of Return. A more complicated IRR calculation that MIRR, where negative cash flows are removed by prior positive cash flows before discounting with Safe I% and then subsequent positive cash flows are discounted with Invest I%.
		<ul> <li>Total: The sum of all the cash flows, equivalent to NPV if Invest 1% is 0.</li> <li>Net Present Value (NPV): Value of cash flows at the time of the initial cash flow, discounting future cash flows by Invest 1%.</li> <li>Net Future Value (NFV): Value of the cash flows at the time of the last cash flow, discounting earlier cash flows by Invest 1%.</li> <li>Net Uniform Series (NUS): Per-period payment of a regular periodic cash flow of equivalent present value to the cash flow list.</li> <li>Discounted PayBack: The number of periods required for the investment to return value if the cash flows are discounted by Invest 1%.</li> </ul>

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			PayBack: The number of periods required for the investment to return value.
		Depreciation View	Depreciation allows you to calculate the loss in value of assets over time.
			The Type field in the Finance Symbolic view allows you to choose between the following methods for calculating depreciation:
			• Straight line: Calculates depreciation presuming an asset loses a certain percentage of its value annually
			at an amount evenly distributed throughout its useful life.
			• Sum-of-the-years digits: An accelerated depreciation method where the depreciation in year y is (Life-y +1)/SOY of the asset, where SOY is the sum-of-the-years of asset life. For an asset with a 5-year life,
			SOY=5+4+3+2+1=15. • Declining balance: An accelerated depreciation method that presumes an asset will lose the majority of
			its value during the first few years of its useful life.  • DB with SL cross over: Declining balance with Straight Line cross over is an accelerated depreciation
			method that presumes an asset will lose the majority of its value in the first few years of its useful life and then revert to a consistent depreciation during the latter part of its life, calculated with the straight line method.
			• French straight line: Similar to the straight line method, using the actual calendar date the asset was first placed into service.
			<ul> <li>French amortization: An accelerated depreciation method with a cross over to the French straight line type.</li> </ul>
			Once you have selected the depreciation type you will enter information into the following fields in the Finance Numeric view:  • Cost: The starting cost of the asset to be depreciated.
			Salvage: The salvage value of the asset at the end of its useful life.
			Life: The expected useful life of the asset in years.
			• First Use: The month (or date for French depreciation types) the asset is first placed into service. Note: month can be entered with a decimal to indicate first use after the first of the month. For example, if the asset was placed into service in the middle of March, enter 3.5.
			Factor: The declining balance factor as a percentage. Used for Declining balance and DB with SL cross over types only.
			After entering data into all of the fields, press Calc to view a calculated table of results beginning with the first year and ending with the last year of useful life.
			Depreciation: Depreciation amount for the year.
			Depr Value: Remaining depreciable value at the end of the year.      Dear Value: Remaining to back value at the end of the year.
		Break-even View	Book Value: Remaining book value at the end of the year.  The break-even function allows you to study problems involving a profit when a quantity of items with a
		Dieda-eveli view	cost to manufacture and a fixed price to develop and market is sold at a given price. This tool solves the equation Fixed + Quantity * Cost = Quantity * Sales + Profit.
			Fixed: Fixed cost to develop and market a product.
			Quantity: Quantity of units sold.     Cost: Manufacturing or production cost per unit sold.
			Price: Price per unit sold.
			Profit: Expected profit.
			Enter the known information into any four of the fields, move the cursor to the value you wish to calculate, and tap Solve.
		Percent Change View	Percent change provides two types of percentage calculation tools: Markup / Margin or Percent Total / Percent Change.
			The Type field in the Finance Symbolic View allows you to choose between the following methods for calculating business percentages:
			Markup / Margin: Calculates markup as a percent of cost or margin as a percent of price.
			Total / Change: Calculates new value based on total percent of old value or based on percent change from old value
			Markup / Margin uses the following inputs:
			Cost: Total cost to purchase or manufacture the item     Price: Sales price for the item
			Markup: A percentage of Cost: ((Price - Cost)/Cost)*100
			Margin: A percentage of Price: ((Price - Cost)/Price)*100
			Total / Change uses the following inputs:
			Old: The old value for a percent change calculation or the total amount for a part/total calculation.
			New: The new value for a percent change calculation or the part of the total for a part/total calculation.
			Total: Total Percentage: (New/Old)*100     Classification (New Old)*100
			<ul> <li>Change: Percent Change: ((New-Old)/Old)*100</li> <li>Enter information into two of the fields, move the cursor to the value you wish to calculate, and tap Solve.</li> </ul>
		Bond View	Bond allows you to calculate the price or yield of a bond.
		Boliu view	• Set. Date: Settlement date. The day on which transfer of cash or assets is completed and is usually a few days after the trade was done. Uses format YYYY.MMDD.
			• Mat. Date: Maturity date or call date. This date always coincides with a coupon date and is the date the bond will be redeemed. Uses format YYYY.MMDD.
			Coupon: Coupon rate as an annual percentage. The coupon rate is the fixed annual interest rate paid by the issuer to a bondholder.
			the issuer to a bondholder. • Call: Call value. Default is call price per 100.00 face value. A bond at maturity has a call value of 100% of its face value

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Help Topics	Tree 13217	<ul> <li>Help Text</li> <li>• Cal. 360: Specifies a 30 day per month, 360 day per year calendar should be used for calculations. The</li> </ul>
		360 day calendar is useful for measuring durations in financial markets.
		Semi-annual: Sets payment frequency to be semi-annual instead of annual.
		Enter in all of the known information into all the above fields. Select either Yield or Price and tap Solve.
		Yield: Yield percent to maturity (or call) date for a given price.
		Price: Price per 100.00 face value for a given yield percentage.
		The following Results fields are displayed on tapping Solve.
		Accrued Interest: Interest accrued from the last coupon or payment date until the settlement date for
		given yield.
		Modified Duration: A measure of bond price sensitivity to yield changes, derived from Macaulay
		duration.
		Macaulay Duration: A measure of bond price sensitivity to yield changes.
	Black-Scholes View	Black-Scholes is a mathematical model useful for valuing European call and put options. Options give th holder the right to buy or sell units of an underlying asset for a period of time at a specified price. A call
		option is the right to buy and a put option is the right to sell. Specifically, a call option gives the holder of
		the option the ability to buy a specified number of shares of a stock at a specified price before a certain
		date, regardless of the actual price of the stock on that date. A put option gives the holder of the optio
		the ability to sell a specified number of shares of a stock at a specified price before a certain date, also
		regardless of the actual price of the stock on that date.
		For example, assume a call option allows the purchase of 100 shares of a stock at 40.00 per share six
		months from now. At that six month point, if the stock is worth 50.00, the holder of the option can buy for 40.00 and earn 10.00 per share immediately. If the stock is worth only 38.00 at that six month point
		the option to buy at 40.00 would not be exercised, as it would lose 2.00 per share.
		· · · · · · · · · · · · · · · · · · ·
		The Black-Scholes computations assume a European option. This differs from an American option in the
		European option can only be exercised at the end of its life, or at its maturity. All other things being equ
		the price for an American option will usually be higher than for a European option, since the American option can be traded at any time until its expiration.
		option can be traced at any time and its expiration.
		Stock price: Current underlying asset price, also known as spot price.
		Strike price: Predetermined price at which the option agrees to buy or sell the underlying asset at
		maturity, also known as exercise price.
		Time to maturity: Time remaining until maturity/expiration of the option in years.
		Risk free%: Current risk-free interest rate (for example, the current US Treasury Bond rate).
		Volatility %: Degree of unpredictable change of the stock price. This is usually approximated by the
		standard deviation of the variation of the stock price.
		Dividend %: Estimation of the average dividend yield of the stock as a percentage of its price.
		Enter in values for all of the fields. Once they are all entered, tap Solve to calculate Call price and Put pr
		Effect in values for all of the fields. Once they are all effected, tap solve to calculate call price and r at pr
		Call price: Estimated fair market value for a call option at expiration (a call option is the right to
		purchase the asset at a given price).
		<ul> <li>Put price: Estimated fair market value for a put option at expiration (a put option is the right to sell the asset at a given price).</li> </ul>
	Finance Numeric View	The Finance Symbolic View allows you to choose which financial calculation you would like to perform
	I mande i tamene i i e i	the Finance App. These include:
		• TVM (Time Value of Money): Used for compound interest calculations that involve regular, uniform of
		flows  • Interest conversion: Converts between nominal and effective interest rates
		Date calculation: Calculates the difference between two dates
		Cash flow: Calculates the return on investment and value of cash flows
		Depreciation: Calculates the loss in value of assets over time
		Break-even: Used to find the break-even point between number of units sold, fixed costs, manufactu
		costs, sales price, and a desired profit
		Percent change: Calculates a change based on a percentage
		Bond: Calculates the yield or price of a bond
		Black-Scholes: Uses the Black-Scholes equation to value investments
		First select your desired calculation from the drop down menu. Then press Num to enter the Finance
		Numeric View and solve the chosen equation.
		For a more complete description of how to use each of the finance options, see the help text for the Finance Numeric View group.
Fir	nance App Variables	Apart from the modes variables (which are common to all apps), the Finance app variables correspond
'"		the fields in the Finance app Numeric view.
	Symbolic Variables	There are two Finance App Symbolic Variables, each of which corresponds to one of the two possible
		fields in the Symbolic view of the Finance app:  • Method
		• FinType
	Mathad	Method determines the current calculation type in the Finance app.
	Method	Method := 0 for TVM
		Method := 1 for interest conversion      Method := 2 for date calculation
		Method := 2 for date calculation      Method := 3 for cash flow
		Method := 3 for cash flow      Method := 4 for depresiation
		Method := 4 for depreciation      Method := 5 for brook given
		Method := 5 for preact shapes     Method := 6 for preact shapes
		Method := 6 for percent change

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				• Method := 7 for bond
				Method := 8 for Black-Scholes
			FinType	FinType determines the type of calculation for depreciation or percent calculations.
				With Method=4 for depreciation, the constant values and their meanings are as follows:
				• FinType:= 0 for straight line
				• FinType:= 1 for sum-of-the-years digits
				• FinType:= 2 for declining balance
				• FinType:= 3 for declining balance with crossover
				FinType:= 4 for French straight line
				• FinType:= 5 for French amortization
				With Method=6 for percent calculations, the constant values and their meanings are as follows:
				<ul><li>FinType:= 0 for margin/markup</li><li>FinType:= 1 for percent/change</li></ul>
		TVM Variables	5	After a TVM (Time Value of Money) calculation is performed in the Finance app, the values are stored in
			NbPmt	the TVM Variables.  NbPmt App Variable
				NbPmt - The number of payments in an investment or loan.
				n ► NbPmt, where n>0, sets the value of NbPmt to n.
			IPYR	IPYR App Variable
				IPYR - The interest rate per year of an investment or loan.
				n ► IPYR sets the value of IPYR to n.
			PV	PV App Variable
				PV - The present value of an investment or loan.
				n ► PV sets the value of PV to n.
			PMT	PMT App Variable
				PMT - The value of a payment for an investment or loan.
				n ► PMT sets the value of PMT to n.
			FV	FV App Variable
				FV - The future value of an investment or loan.  n ► FV sets the value of FV to n.
			DDVD	
			PPYR	PPYR App Variable PPYR - The number of payments made per year for an investment or loan.
				n ► PPYR, where n>0, sets the value of PPYR to n.
			CPYR	CPYR App Variable
			CFTN	CPYR - The number of compounding periods per year for an investment or loan. The default value is 12.
				n ► CPYR, where n>0, sets the value of CPYR to n.
			BEG	BEG App Variable
				BEG determines whether interest is compounded at the beginning or end of the compounding period.
				0 ► BEG for compounding at the end of the period (default)
				1 ► BEG for compounding at the beginning of the period
			GSize	GSize App Variable
				GSize - The size of each group for the amortization table. The default value is 12.
		Interest Carr	vrsion Variables	n ► GSize, where n>0, sets the value of GSize to n.  After an Interest Conversion calculation is performed in the Finance app, the values are stored in the
		interest Conve	ersion Variables	Interest Conversion Variables.
			NomInt	NomInt - The nominal interest rate.
				n ► Nomint , where 0≤n≤100, sets the value of Nomint to n
			EffInt	EffInt - The effective interest rate.
				n ▶ EffInt , where $0 \le n \le 100$ , sets the value of EffInt to n
			IntCPYR	IntCPYR The number of times interest compounds per year
				n ► IntCPYR, where n>0, sets the value of IntCPYR to n.
		Date Calculation	on Variables	After a Date Calculation is performed, the data is stored in the Date Calculation variables.
			DateOne	DateOne - The first date used in a date calculation. Uses the format YYYY.MMDD.
				n ► DateOne, where n is YYYY.MMDD, sets the value of DateOne to n
			DateTwo	DateTwo - The second date used in a date calculation. Uses the format YYYY.MMDD
				n ► DateTwo, where n is YYYY.MMDD, sets the value of DateTwo to n
			DateDiff	DateDiff - The difference between the two dates.
				n ► DateDiff, where n>0, sets the value of DateDiff to n
			Date360	Date360 - Determines whether to use a standard Gregorian or 360-day year when doing a date calculation.
				0 ► Date360 for standard 365-day year
				1 ► Date360 for 360-day year
		Cash Flow Var	iables	When Cash Flow calculations are performed, the data is stored in the Cash Flow Variables.
		Cash How val	IGNICS	
			CFData	Syntax:
				CFData
				CFData(n)

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		CFData(n,option)
		CFData:={cash_flow1, cash_flow2, cash_flowN}
		CFData:=[cash_flow1, cash_flow2, cash_flowN]
		CFData:={{cash_flow1, count1},{cash_flow2,count2}, {cash_flowN,countN}}
		CFData:=[[cash_flow1, count1],[cash_flow2,count2], [cash_flowN,countN]]
		CFData(n):=cash_flow
		CFData(n):={cash_flow, count}
		CFData(n):=[cash flow, count]
		CFData provides access to the cash flow information and is a list of lists. Each sublist contains cash flow
		and count. Count defaults to 1 if not specified.  CFData(n) references the cashflow and count pair numbered n. The initial cashflow is number 0.
		CFData(n,option) references either the cash flow or the count of the nth pair, depending on the value of option. 1 is cash flow, 2 is count.
		An entire list of lists or matrix representing the cash flow information can be stored in a single operation.
		Examples:
		CFData:={-100,60,60}
		CFData:=[-100,60,60]
		CFData:={{-100,1},{60,2}}
		CFData:=[[-100,1],[60,2]]
		CFData(0)
		CFData(0,1)
	InvestInt	InvestInt - The cash flow investment interest rate.
	IIIVESUIIL	n ► Investint , where 0 ≤ n ≤100, sets the value of investint to n
	6.5.1.	
	SafeInt	SafeInt - The cash flow safe interest rate.
		n ► SafeInt , where 0 ≤ n ≤100, sets the value of SafeInt to n
	CFPYR	CFPYR - The number of cash flows per year.
		n ► CFPYR , where 1 ≤ n ≤ 12, sets the value of CFPYR to n
	IRR	IRR - The Internal Rate of Return of a cash flow.
	MIRR	MIRR - The Modified Internal Rate of Return of a cash flow.
	FMRR	FMRR stores Financial Management Rate of Return of a cash flow.
	TotalCF	TotalCF - The cash flow total
	NPV	NPV - Net Present Value of a cash flow.
		NFV - Net Present Value of a cash flow.  NFV - Net Future Value of a cash flow.
	NFV	
	NUS	NUS - Net Uniform Series of a cash flow.
	DiscPayback	DiscPayback - The Discounted Payback period of a cash flow.
	Payback	Payback - The Payback period of a cash flow.
De	epreciation Variables	After a Depreciation calculation is performed in the Finance App, the values are stored in the Depreciation Variables.  CostAsset - The depreciable cost of an asset at time of purchase.
	CostAsset	
		n ► CostAsset, where n>0, sets the value of CostAsset to n
	SalvageAsset	SalvageAsset - The amount of money an asset can be sold or salvaged for at the end of its life.  n > SalvageAsset, where n>0, sets the value of SalvageAsset to n
	FirstAsset	FirstAsset - The month the asset is first placed into service. Normally, this will be 1. A decimal amount
	וויזנאייינו	inidicates a partial month.  n ► FirstAsset, where n≥1, sets the value of FirstAsset to n
	LifeAsset	LifeAsset - The expected useful life of a product.
		n ► LifeAsset, where n≥1, sets the value of LifeAsset to n.
	FactorDepr	FactorDepr - The depreciation factor as a percentage, used with the declining balance method.
		n ► FactorDepr, where n>0, sets the value of FactorDepr to n
	FirstDateAsset	FirstDateAsset - The date of first use for French style Depreciation, entered as YYYY.MMDD
		n ► FirstDateAsset, where n is YYYY.MMDD, sets the value of FirstDateAsset to n
Br	eak-even Variables	After a Break-even calculation is performed in the Finance App, the values are stored in the Break-even
	FixedCost	Variables.  FixedCost - The fixed cost of developing and marketing a product.  □ ► FixedCost where p>0 sets the value of FixedCost to p.
		n ► FixedCost, where n>0, sets the value of FixedCost to n.
	VariableCost	VariableCost - The manufacturing cost per unit.
		n ► VariableCost, where n>0, sets the value of VariableCost to n
	SalePrice	SalePrice - The sales price per unit.  n ▶ SalePrice, where n>0, sets the value of SalePrice to n.
	Profit	Profit - The expected profit.  n > Profit, where n>0, sets the value of Profit to n.
	Quantity	Quantity - The number of units sold.
Pe	ercent Change Variables	n ► Quantity, where n>0, sets the value of Quantity to n.  After Percent Change calculations are performed, the data is stored in the Percent Change variables.
	Price	Price - The sales price in markup calculations.
		n ► Price sets the value of Price to n
1 1	Cost	Cost - The cost of an item in markup calculations.

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		n ► Cost sets the value of Cost to n
	Margin	Margin - The margin in markup calculations based on cost.
		n ► Margin sets the value of Margin to n
	Markup	Markup - The markup percentage in markup calculations.
		n ► Markup sets the value of Markup to n
	OldValue	OldValue - The old value in percent-change calculations and the total in part-total calculations.
		n ► OldValue sets the value of OldValue to n
	NewValue	NewValue - The new value in percent-change calculations and the part number in part-total calculations
		n ► NewValue sets the value of NewValue to n
	Total	Total - The percentage of the total in part-total calculations.  n ► Total sets the value of Total to n
	Change	Change - The percent change in percent-change calculations.
Bond Var	winhlos	n ► Change sets the value of Change to n  After a Bond calculation is performed in the Finance App, the values are stored in the Bond Variables.
Bolla val		
	SetDate	SetDate - The settlement date of a bond. Dates should be entered as YYYY.MMDD  n ► SetDate, where n is YYYY.MMDD, sets the value of SetDate to n
	MatDate	MatDate - The maturity date or call date of a bond. Dates should be entered as YYYY.MMDD
	MatDate	
		n ► MatDate, where n is YYYY.MMDD, sets the value of MatDate to n
	CpnPer	CpnPer - The coupon percentage.
		n ► CpnPer sets the value of CpnPer to n
	CallPrice	CallPrice - The call price or value.
		n ► CallPrice sets the value of CallPrice to n
	YieldBond	YieldBond - The yield percent to maturity of a bond.
		n ▶ YieldBond sets the value of YieldBond to n
	PriceBond	PriceBond - The price per 100.00 value of a bond.
		n ▶ PriceBond sets the value of PriceBond to n
	Accrued	Accrued - The accrued interest of a bond.
		n ► Accrued sets the value of Accrued to n
	Modified	Modified - The modified duration of a bond.
		n ► Modified sets the value of Modified to n
	Macaulay	Macaulay - The Macaulay duration of a bond.
		n ► Macaulay sets the value of Macaulay to n
	Bond360	Bond360 - Determines whether to use a standard Gregorian or a 360-day calendar .
		0 ► Bond360 for standard 365-day year
		1 ▶ Bond360 for 360-day year
	SemiAnnual	SemiAnnual - Determines whether payments are made on an annual or semi-annual basis.
		0 ► SemiAnnual indicates annual payments
Plack Sch	holes Variables	1 ► SemiAnnual indicates semi-annual payments After a Black-Scholes calculation is performed, the values are stored in the Black-Scholes variables.
Black-Sci		
	StockPrice	StockPrice - The stock price. This is the current underlying asset price, also known as spot price.
	Christo Dailea	n ► StockPrice sets the value of StockPrice to n  StrikePrice. The strike price. This is the predetermined price at which the option agrees to have or sell the
	StrikePrice	StrikePrice - The strike price. This is the predetermined price at which the option agrees to buy or sell the underlying asset at maturity, also known as exercise price.  n > StrikePrice sets the value of StrikePrice to n
		11. Strikel free Sets the value of Strikel free to fi
	TimeMarket	TimeMarket - The time to market of an option.
		TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n
	TimeMarket RiskFree	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.
	RiskFree	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n
		TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.
	RiskFree	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.
	RiskFree Volatility	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n
	RiskFree Volatility	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.
	RiskFree  Volatility  Dividend	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n
	RiskFree  Volatility  Dividend	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.
	RiskFree  Volatility  Dividend  BSCall	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.  n ► BSPut sets the value of BSPut to n
Finan <u>ce</u> App Fu	RiskFree  Volatility  Dividend  BSCall  BSPut	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.
Finance App Fu	RiskFree  Volatility  Dividend  BSCall  BSPut	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.  n ► BSPut sets the value of BSPut to n
	RiskFree  Volatility  Dividend  BSCall  BSPut	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.  n ► BSPut sets the value of BSPut to n  The functions specific to the Finance app are listed in this section.  TymNbPmt App Function
	RiskFree  Volatility  Dividend  BSCall  BSPut  unctions nctions	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.  n ► BSPut sets the value of BSPut to n  The functions specific to the Finance app are listed in this section.  TymNbPmt App Function  Syntax:
	RiskFree  Volatility  Dividend  BSCall  BSPut  unctions nctions	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.  n ► BSPut sets the value of BSPut to n  The functions specific to the Finance app are listed in this section.  The functions specific to time value of money are listed in this section.  TymNbPmt App Function Syntax:  TymNbPmt(IPYR, PV, PMT, FV, [PPYR], [CPYR], [BEG])
	RiskFree  Volatility  Dividend  BSCall  BSPut  unctions nctions	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.  n ► BSPut sets the value of BSPut to n  The functions specific to the Finance app are listed in this section.  The functions specific to time value of money are listed in this section.  TvmNbPmt App Function  Syntax:  TvmNbPmt(IPYR, PV, PMT, FV, [PPYR], [CPYR], [BEG])  Solves for the number of payments in an investment or loan.
	RiskFree  Volatility  Dividend  BSCall  BSPut  unctions nctions	TimeMarket - The time to market of an option.  n ► TimeMarket sets the value of TimeMarket to n  RiskFree - The risk free interest rate.  n ► RiskFree sets the value of RiskFree to n  Volatility - The volatility of an asset.  n ► Volatility sets the value of Volatility to n  Dividend - The dividend percentage.  n ► Dividend sets the value of Dividend to n  BSCall - The call price of an option.  n ► BSCall sets the value of BSCall to n  BSPut - The put price of an option.  n ► BSPut sets the value of BSPut to n  The functions specific to the Finance app are listed in this section.  The functions specific to time value of money are listed in this section.  TymNbPmt App Function Syntax:  TymNbPmt(IPYR, PV, PMT, FV, [PPYR], [CPYR], [BEG])

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			• FV: the future value of the investment or loan
			PPYR: the number of payments per year
			CPYR: the number of compounding periods per year
			BEG: payments made at the beginning (1) or end (0) of the period
			The arguments PPYR, CPYR, and BEG are optional; if not supplied, PPYR=12, CPYR=PPYR, and BEG=0.
			Example:
			TvmNbPmt(6.5,150000,-948.10,-2.25) → 360
		TvmIPYR	TvmIPYR App Function
			Syntax:
			TvmIPYR(NbPmt, PV, PMT, FV, [PPYR], [CPYR], [BEG])
			Solves for the interest rate per year of an investment or loan.
			NbPmt: the number of payments
			PV: the present value of the investment or loan
			PMT: the payment value
			FV: the future value of the investment or loan
			PPYR: the number of payments per year
			CPYR: the number of compounding periods per year
			BEG: payments made at the beginning (1) or end (0) of the period
			The arguments PPYR, CPYR, and BEG are optional; if not supplied, PPYR=12, CPYR=PPYR, and BEG=0.
			Example:
			TvmIPYR(360,150000,-948.10,-2.25) → 6.50
		TvmPV	TvmPV App Function
			Syntax:
			TvmPV(NbPmt, IPYR, PMT, FV, [PPYR], [CPYR], [BEG])
			Solves for the present value of an investment or loan.
			NbPmt: the number of payments
			IPYR: the annual interest rate
			PMTV: the payment value
			FV: the future value of the investment or loan
			PPYR: the number of payments per year
			CPYR: the number of compounding periods per year
			BEG: payments made at the beginning (1) or end (0) of the period
			The arguments PPYR, CPYR, and BEG are optional; if not supplied, PPYR=12, CPYR=PPYR, and BEG=0.
			Example:
			TvmPV(360,6.5,-948.10,-2.25) → 150000.00
		TvmPMT	TvmPMT App Function
			Syntax:
			TvmPMT(NbPmt, IPYR, PV, FV, [PPYR], [CPYR], [BEG])
			Solves for the value of a payment for an investment or loan.
			NbPmt: the number of payments
			IPYR: the annual interest rate
			PV: the present value of the investment or loan
			FV: the future value of the investment or loan
			PPYR: the number of payments per year
			CPYR: the number of compounding periods per year
			BEG: payments made at the beginning (1) or end (0) of the period
			The arguments PPYR, CPYR, and BEG are optional; if not supplied, PPYR=12, CPYR=PPYR, and BEG=0.
			Example:
			TvmPMT(360,6.5,150000,-2.25) → -948.10
		TvmFV	TvmFV App Function
			Syntax:
			TvmFV(NbPmt, IPYR, PV, PMT, [PPYR], [CPYR], [BEG])
			Solves for the future value of an investment or loan.
			NbPmt: the number of payments
			· ·
			• IPYR: the annual interest rate
			PV: the present value of the investment or loan
			PMT: the payment value
			PPYR: the number of payments per year
			CPYR: the number of compounding periods per year
			BEG: payments made at the beginning (1) or end (0) of the period
			The arguments PPYR, CPYR, and BEG are optional; if not supplied, PPYR=12, CPYR=PPYR, and BEG=0.
			Example:
			TvmFV(360,6.5,150000,-948.10) → -2.25
	Interest Conve	ersion Functions	The functions specific to interest conversion are listed in this section.
		IntConvNom	Syntax:
			IntConvNom(effective_rate,compounds_per_year)
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		1921/	IntConvNom returns the nominal interest rate in an Interest Conversion calculation when given the
			effective_rate and the number of compounds_per_year.
			Example:
			IntConvNom(6.86,12) $\rightarrow$ 6.65
		IntConvEff	Syntax:
		IIICOIIVEII	IntConvEff(nominal_rate,compounds_per_year)
			IntConvEff returns the effective interest rate in an Interest Conversion calculation when given the
			nominal_rate and the number of compounds_per_year.
			Example:
			IntConvEff(6.65,12) → 6.86
		IntConvCPYR	Syntax:
		IIICOIIVCPTK	IntConvCPYR(nominal rate,effective rate)
			IntConvCPYR returns the number of compounding periods in a year in an Interest Conversion calculation when given the nominal_rate and the effective_rate.
			Example:
			IntConvCPYR(6.65,6.86) → 14.64
	DataDavia		Syntax:
	DateDays		
			DateDays(first_date,second_date,[cal_360])
			DateDays returns the difference between two days when given two dates (first_date and second_date as
			YYYY.MMDD). Optionally, a 1 in the third field, cal_360, will specify that a 360-day calendar (twelve 30 day months) should be used.
			Examples:
			DateDays(2013.1213,2016.0202) → 781
			DateDays(2013.1213,2016.0202,1) $\rightarrow$ 769
		Cash Flow Functions	The functions specific to cash flow are listed in this section.
		Cash Flow Functions	
		CashFlowIRR	Syntax:
			CashFlowIRR(cash_flow_data,(cashflows_per_year])
			CashFlowIRR returns the Internal Rate of Return for cash_flow_data. cashflows_per_year specifies the
			number of cash flows per year. If cashflows_per_year is not provided, then it is assumed to be 1.
			Enter cash_flow_data as a list or matrix. These are examples of valid input forms:
			{cash_flow1, cash_flow2, cash_flowN}
			[cash_flow1, cash_flow2, cash_flowN]
			If you wish to specify the count of a cash flow, the cash flow should come first followed by the count. If you do not specify a count, then count will be assumed to be 1. These are examples of valid input forms:
			{cash_flow1,{cash_flow2,count2}, {cash_flowN,countN}}
			[[cash flow1, count1],cash flow2, [cash flowN,countN]]
			Example:
			CashFlowIRR({-1250000, -300000, {200000, 3}, -200000, 700000, 300000, 500000}}) → 3.72
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		CashFlowMIRR	Syntax:  CashFlowMIRR(cash_flow_data, investment_rate, safe_investment_rate, [cashflows_per_year])
			CashFlowMIRR returns the Modified Internal Rate of Return for cash_flow_data, investment_rate and safe_investment_rate. If cashflows_per_year is not provided, then it is assumed to be 1.
			Enter cash_flow_data as a list or matrix. To indicate the same cash flow repeats more than once, enter the cash flow as list or matrix with the cash flow followed by the count. If you do not specify a count, then count will be assumed to be 1. These are examples of valid input forms:
			{cash_flow1, {cash_flow2, count2}, {cash_flowN, countN}}
			[[cash_flow1, count1], cash_flow2, [cash_flowN, countN]]
			[[cash_now1, count1], cash_now2, [cash_nown, country]]
			CashFlowMIRR( $\{-1250000, -300000, \{200000, 3\}, -200000, 700000, 300000, 500000\}, 8, 5, 1\} \rightarrow 5.12$
		CashFlowFMRR	Syntax:  CashFlowFMRR(cash_flow_data, investment_rate, safe_investment_rate, [cashflows_per_year])
			CashFlowFMRR returns the Financial Management Rate of Return for cash_flow_data, investment_rate and safe_investment_rate. If cashflows_per_year is not provided, then it is assumed to be 1.
			and sare_investment_rate. It cashinows_per_year is not provided, then it is assumed to be 1.
			Enter cash_flow_data as a list or matrix. To indicate the same cash flow repeats more than once, enter the cash flow as list or matrix with the cash flow followed by the count. If you do not specify a count, then count will be assumed to be 1. These are examples of valid input forms:
			{cash_flow1, {cash_flow2, count2}, {cash_flowN, countN}} [[cash_flow1, count1], cash_flow2, [cash_flowN, countN]]
			Example:  CashFlowFMRR({-1250000, -300000, {200000, 3}, -200000, 700000, 300000, 500000}, 8, 5, 1) → 4.98
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		CashFlowTotal	Syntax:
			CashFlowTotal(cash_flow_data)
			CashFlowTotal calculates the total of all inputs for for cash_flow_data.
			Enter cash_flow_data as a list or matrix. To indicate the same cash flow repeats more than once, enter the cash flow as list or matrix with the cash flow followed by the count. If you do not specify a count, then
			count will be assumed to be 1. These are examples of valid input forms:

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				{cash_flow1, {cash_flow2, count2}, {cash_flowN, countN}}
				[[cash_flow1, count1], cash_flow2, [cash_flowN, countN]]
				Example:
				$CashFlowTotal(\{-1250000, -300000, \{200000, 3\}, -200000, 700000, 300000, 500000\}) \rightarrow 350000$
			CashFlowNPV	Syntax:
				CashFlowNPV(cash_flow_data, investment_rate, [cashflows_per_year])
				CashFlowNPV calculates the Net Present Value for cash_flow_data and investment_rate.
				cashflows_per_year specifies the number of cash flows per year. If cashflows_per_year is not provided, then it is assumed to be 1.
				Enter cash_flow_data as a list or matrix. To indicate the same cash flow repeats more than once, enter
				the cash flow as list or matrix with the cash flow followed by the count. If you do not specify a count, then count will be assumed to be 1. These are examples of valid input forms:
				{cash_flow1, {cash_flow2, count2}, {cash_flowN, countN}}
				[[cash_flow1, count1], cash_flow2, [cash_flowN, countN]]
				Example: CashFlowNPV( $\{-1250000, -300000, \{200000, 3\}, -200000, 700000, 300000, 500000\}, 8, 1\} \rightarrow -300353.93$
				Casili lownr v((-1230000, -300000, {200000, 3}, -200000, 700000, 300000, 300000, 8, 1] -7 -300333.93
			CashFlowNFV	Syntax:
				CashFlowNFV(cash_flow_data, investment_rate, [cashflows_per_year])
				CashFlowNFV calculates the Net Future Value for cash_flow_data and investment_rate.
				cashflows_per_year specifies the number of cash flows per year. If cashflows_per_year is not provided, then it is assumed to be 1.
				Enter cash_flow_data as a list or matrix. To indicate the same cash flow repeats more than once, enter
				the cash flow as list or matrix with the cash flow followed by the count. If you do not specify a count, then count will be assumed to be 1. These are examples of valid input forms:
				{cash_flow1, {cash_flow2, count2}, {cash_flowN, countN}}
				[[cash_flow1, count1], cash_flow2, [cash_flowN, countN]]
				Example:
				$CashFlowNFV(\{-1250000, -300000, \{200000, 3\}, -200000, 700000, 300000, 500000\}, 8, 1) \rightarrow -555934.17$
			CashFlowNUS	Syntax:
				CashFlowNUS(cash_flow_data, investment_rate, [cashflows_per_year])
				CashFlowNUS calculates the Net Uniform Series for cash_flow_data and investment_rate.
				cashflows_per_year specifies the number of cash flows per year. If cashflows_per_year is not provided, then it is assumed to be 1.
				Enter cash_flow_data as a list or matrix. To indicate the same cash flow repeats more than once, enter
				the cash flow as list or matrix with the cash flow followed by the count. If you do not specify a count, then count will be assumed to be 1. These are examples of valid input forms:
				{cash_flow1, {cash_flow2, count2}, {cash_flowN, countN}}
				[[cash_flow1, count1], cash_flow2, [cash_flowN, countN]]
				Example:
				CashFlowNUS{ $\{-1250000, -300000, \{200000, 3\}, -200000, 700000, 300000, 500000\}, 8, 1\} \rightarrow -52266.02$
			CashFlowPB	Syntax:
				CashFlowPB(cash_flow_data, [investment_rate])
				CashFlowPB(cash_flow_data, [investment_rate, cashflows_per_year])  CashFlowPB calculates the Discounted Pay Back period for cash flow data and investment rate.
				investment_rate specifies the investment rate for the discounting. A value of 0 for investment_rate will calculate the Pay Back with no discounting, cashflows_per_year specifies the number of cash flows per year. If cashflows_per_year is not provided, then it is assumed to be 1.
				Enter cash_flow_data as a list or matrix. To indicate the same cash flow repeats more than once, enter
				the cash flow as list or matrix with the cash flow followed by the count. If you do not specify a count, then count will be assumed to be 1. These are examples of valid input forms:
				{cash_flow1, {cash_flow2, count2}, {cash_flowN, countN}}
				[[cash_flow1, count1], cash_flow2, [cash_flowN, countN]]
				Examples:
				CashFlowPB({-1250000, -300000, {200000, 3}, -200000, 700000, 300000, 500000}, 8) → Error: No payback
				CashFlowPB({-1250000, -300000, {200000, 3}, -200000, 700000, 300000, 500000}, 0, 1) → 7.30
		Depreciate		Syntax:  Depreciate/method cost calvage life [first] [factor])
				Depreciate(method, cost, salvage, life, [first], [factor])  Depreciate returns the depreciation schedule when given the method of calculation, the depreciable cost
				at the time of purchase, the expected return amount from the salvage sale of the asset, the expected life in years, the moment of first use, and the factor of depreciation as a percentage.
				The moment of first use is expressed as a number corresponding to the month and fractional part of the month (example: 2.5 = 1/2 of the month of February) for methods 0 to 3 and as an actual date (in yyyy.mmdd format) for the methods 4 and 5.  To input the method use the following numbers:
				0: Straight Line
				1: Sum Of Year Digits 2: Declining Balance
	1			2 200.000

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1 1			3: Declining Balance with Straight line crossover
			4: French Straight Line
			5: French Amortization
			The depreciation schedule is returned as a list of lists, where the list number corresponds to the
			depreciation year.
			{{Depreciation_Year_1,Depreciable_Value_Year_1,Book_Value_Year_1},
			{Depreciation_Year_2,Depreciable_Value_Year_2,Book_Value_Year_2},
			{Depreciation_Year_n,Depreciable_Value_Year_n,Book_Value_Year_n}}
			Example:
			Depreciate(0,10000,500,2) → {{4750,4750,5250},{4750,0,500}}
	Break-Even Fu	nctions	The functions specific to break-even are listed in this section.
		BrkEvFixed	Syntax:
		J. 1.201 J. 1.00	BrkEvFixed(quantity, cost, price, profit)
			BrkEvFixed returns the fixed cost to develop and market a product in a break-even calculation when given
			the cost per unit sold, the sales price per unit, the expected profit, and the quantity of units sold.
			Example:
			BrkEvFixed(3200,250,300,10000) → 150000
		BrkEvCost	Syntax:
			BrkEvCost (fixed_cost, quantity, price, profit)
			BrkEvCost returns the cost per unit in a break-even calculation when given the fixed cost of marketing
			and development, the sales price per unit, the expected profit, and the quantity of units sold.
			Example:
			BrkEvCost(150000,3200,300,10000) → 250
		BrkEvPrice	Syntax:
			BrkEvPrice(fixed_cost, quantity, cost, profit)
			BrkEvPrice returns the unit price in a break-even calculation when given the fixed_cost of marketing and
			development, the manufacturing cost per unit, the expected profit, and the quantity of units sold.
			Example:
			BrkEvPrice(150000,3200,250,10000) → 300
		BrkEvProfit	Syntax:
			BrkEvProfit(fixed_cost, quantity, cost, price)
			BrkEvProfit returns the profit in a break-even calculation when given the fixed_cost, cost of
			manufacturing for each unit, price of each unit, and the quantity of units sold.
			Example:
			BrkEvProfit(150000,3200,250,300) → 10000
		BrkEvQuant	Syntax:
			BrkEvQuant(fixed_cost,cost,price,profit)
			BrkEvQuant returns the quantity of units sold in a break-even calculation when given the fixed_cost of
			marketing and development, the manufacturing cost per unit, the sales price per unit, and the expected
			profit.
			Example:
			BrkEvQuant(150000,250,300,10000) → 3200
	Percent Chang	e Functions	The functions specific to percent change are listed in this section.
		ChangePrice	Syntax:
			ChangePrice(cost,percentage,option)
			ChangePrice returns the sales price of an item in a markup calculation when given the cost and
			percentage. If percentage is a markup, use 0 for option. For margin percentage, set option to 1.
			Examples:
			ChangePrice(35,14.29,0) → 40
			ChangePrice(35,12.5,1) $\rightarrow$ 40
		ChangeCost	Syntax:
			ChangeCost(price,percentage,option)
			ChangeCost returns the cost of an item in a markup calculation when given the sales price and
			percentage. If percentage is a markup, use 0 for option. For margin percentage, set option to 1.
			- Formulas
			Examples:
			ChangeCost(40,14.29,0) → 35
			$ChangeCost(40,12.5,1) \rightarrow 35$
		PercentMargin	Syntax:
			PercentMargin(cost,price)
			PercentMargin returns the markup percentage as a percentage of cost, or the margin, in markup
			calculations when given the sales price and the cost of the item.
			Example:
			PercentMargin(100,125) → 25
		PercentMarkup	Syntax:
			PercentMarkup(cost,price)
			PercentMarkup returns the markup as a percentage of price in markup calculations when given the sales
			price and cost of an item.
			Example:
			$PercentMarkup(100,125) \rightarrow 20$

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		ChangeOld	Syntax:
			ChangeOld(new,percentage,option)
			ChangeOld returns the old number in a percent change calculation when given the new number and percentage.
			When option is 0, percentage is a total percentage value and ChangeOld will use a part-total calculation
			(new / (percentage / 100))
			When option is 1, percentage is a percent change value and Change Old will use a percent change
			calculation. (new / (1 + percentage / 100))  Examples:
			· ·
			ChangeOld(50,25,0) → 200
			ChangeOld(50,25,1) $\rightarrow$ 40
		ChangeNew	Syntax:
			ChangeNew(old,percentage,option)
			ChangeNew returns the new number in a percent change calculation when given the old number and
			percentage, When option is 0, percentage is a total percentage value andChangeNew will perform a part-total
			calculation. (old * (percentage/100))
			When option is 1, percentage is a percent change value and ChangeNew will perform a percent change
			calculation. (old * (1 + percentage/100))  Examples:
			· ·
			ChangeNew(120,25,0) → 30
			ChangeNew(120,25,1) → 150
		PercentTotal	Syntax:
			PercentTotal(old,new)
			PercentTotal calculates the part-total percentage when given the old and new numbers.
			Example:
			PercentTotal(65,25) → 38.46
		PercentChange	Syntax:
		referrendinge	PercentChange(old,new)
			PercentChange calcuates the percent change when given the old and new number.
			Example:
			PercentChange(65,25) → -61.54
	Bond Functio	ns .	The functions specific to bonds are listed in this section.
	Bona i anctio	BondYield	Syntax:
		Bollatiela	BondYield(settlement_date,maturity_date,price,coupon_percent,call_value,semi_annual,cal360)
			BondYield returns the yield percent to maturity (or call) date when given settlement_date (YYYY.MMD maturity date (YYYY.MMDD), price per 100.00 face value, coupon percent, and call value. The last tw
			parameters specify whether the payments are made on an annual or semi_annual basis (enter 0 for annual and 1 for semi_annual) and whether to use an actual or cal360 calendar (0 for actual and 1 for cal360).
			Example: BondYield(2010.0428,2020.0604,6.75,100,115.74,1,0) → 4.77
		BondPrice	Syntax:
			BondPrice(settlement_date,maturity_date,coupon_percent,call_value,yield_percent,semi_annual,cal3
			BondPrice returns the price per 100.00 face value when given the settlement_date (YYYY.MMDD), the maturity_date (YYYY.MMDD) or call date, the yield_percent, the coupon_percent, and the call_value. I last two numbers specify whether the payments are made on an annual or semi_annual basis (enter 0).
			annual and 1 for semi_annual) and whether to use an actual or cal360 calendar (0 for actual and 1 for cal360).
			Example:
	<u> </u>		BondPrice(2010.0428,2020.0604,6.75,100,4.77,1,0) → 115.72
	BlackScholes		Syntax:  BlackScholes(stock_price,strike_price,time_to_maturity,risk_free_interest_rate,stock_volatility,stock_dend)
			BlackScholes returns the Call price and Put price for options when given the stock_price, the strike_pri the time_to_maturity, the risk_free_interest_rate, the stock_volatility, and the stock_dividend percen
			Example:  BlackScholes(74,72,5,0.3,8.21,2.73) → {2.40,8.77}
Explore	app		The Explorer app is designed to explore the relationships between the parameters of a function and the
			shape of the graph of the function.
			There are two ways of exploring in Plot view. You manipulate a graph and note the corresponding cha
			in its equation, or you can edit the parameters in an equation and note the corresponding changes in i graphical representation. The app also has a test mode. In test mode, you test your skill at matching equations to graphs.
			Press the Apps key to open the Apps library, and then select Explorer.
	plorer Symbolic \	/iew	The app opens in Symbolic view, where you select the function family you would like to explore. The
Ex	piorer symbolic v		explorer app supports the following function families:  • Linear
Ex	piorei symbolie v		

Hel	Topics Tree 13217	Help Text
		• Exponential
		Logarithmic
		• Sinusoidal
		Tap on the field and tap Choose to select a function family to explore.
	Explorer Plot View	Plot view displays an equation along with its graph. The equation and graph depend on the choice of function family made in Symbolic view. Depending on the function family, Plot view may also display numerical values associated with the graph, such as the intercepts, etc. There are often multiple types (or levels) of equation available for you to explore. You choose between them by tapping the menu key
		labeled Lev 1 or Lev 2, and so on.  Tap and drag the graph to translate it. The equation updates automatically. Pinch to dilate vertically or
		horizontally. Again, the equation updates automatically. The original graph is shown dotted for comparison purposes. The form of the equation is shown at the top right of the display, with the current equation that matches the graph just below it. As you manipulate the graph, the equation updates to reflect the changes. You can also tap on the equation and edit the equation parameters directly. Press Enter or tap OK to see the graph update.
		In Plot view, the common menu keys are:
		Lev n: toggles between various forms of the selected function family
		• Test: enters Test mode
	Explorer App Functions	The functions specific to the Eplorer app are listed in this section.
	LinearSlope	Solve For Slope
		Syntax:
		LinearSlope(x1,y1,x2,y2)  Solve for slope. Takes as input the coordinates of two points (x1,y1) and (x2,y2) and returns the slope of
		the line containing those two points.  Example:
		LinearSlope(3,4,2,2) → 2
	LinearYIntercept	Solve for Y Intercept Syntax:
		LinearYIntercept(x, y, m)
		Takes as input the coordinates of a point (x, y), and a slope m, and returns the y-intercept of the line with the given slope that contains the given point.  Example:
		LinearYIntercept(2,3,-1) → 5
	QuadSolve	Solve quadratic
		Syntax:  QuadSolve(a, b, c)
		Given the coefficients of a quadratic equation a*x^2+b*x+c=0, returns the real solutions.
		Example:  QuadSolve $\{1,0,-4\} \rightarrow \{-2,2\}$
	QuadDelta	Solve discriminant Syntax:
		QuadDelta(a, b, c)
		Given the coefficients of a quadratic equation a*x^2+b*x+c=0, returns the value of the discriminant in the Quadratic Formula.  Example:
		$QuadDelta(1,0,-4) \rightarrow 16$
	Parametric app	The Parametric app allows you to explore the simultaneous variation of two variables, each of which depends on a parameter T. The values of these two equations when T varies are treated as the x and y coordinates of a point which is displayed in the Cartesian plane. These equations are displayed in the symbolic view in the form X=f(T) and Y=g(T).
		Once you have defined a pair of parametric equations, you can plot the graph or explore a table of values for the equations.
		To launch the Parametric app, go to the Application Library and tap the Parametric app icon. You can also use the rocker wheel to select the Parametric app icon, then tap Start or press Enter to launch the app.
	Parametric Symbolic View	The Parametric Symbolic view contains definitions for up to ten parametric equations, each one defining X=f(T) and Y=g(T). The menu buttons are:
		Edit: opens an input box to edit the selected parametric definition
		• ✓ : toggles the selected definition on or off for plotting and table-building
		• T: a typing aid for entering definitions in terms of T
		Show: displays the selected definition in full-screen mode with horizontal and vertical scrolling enabled      Firstly resolves references to other equations, such as X2(T)=X1(T)/F.
		Eval: resolves references to other equations, such as X2(T)=X1(T)/5      Chapter select a solar for the graph
		Choose: select a color for the graph     Highlight one of the definition fields and begin entering an expression in T, or tap Edit to open an edit line
		to edit an existing expression.
	Parametric Plot View	Press Plot to enter the Parametric Plot view. This view displays the graphs of parametric equations defined and checked in Symbolic view. The functionality here is the same as in the Function Plot view, except that the Fcn functions do not apply here. Tap Menu to open the menu.
		The menu buttons are:
		Zoom: enters the Zoom menu, with options to zoom in or out, etc.

р Тор	pics Tree 13217	Help Text
		Trace: toggles the tracing cursor off and on
		Go To: takes the tracing cursor to the point on the graph with a given value of T.
		Defn: displays the symbolic definition of the current graph
		Menu: toggles the menu off and on
		Use the rocker wheel left/right or tap to trace along a graph. Use the rocker wheel up/down to switch
		from one graph to another. Press + to zoom in on the current cursor location and press - to zoom out.
		the zoom factor under the Zoom menu.
		You can also use all the gestures common to the Plot views. See Plot View for more details.
	Parametric Plot Setup	Press Shift Plot to enter the Parametric Plot setup. This view enables you to control the appearance of graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Set has two pages.
		On the first page, the fields are:
		• T Rng: the range of values for the parameter T
		T Step: the step value for the parameter T
		X Rng: the horizontal graphing range
		Y Rng: the vertical graphing range
		X Tick: horizontal tick mark spacing
		Y Tick: vertical tick mark spacing
		The menu buttons on the first page are:
		Edit: opens an edit line to edit the value of the selected field
		Page 1/2 ▼: displays the second page of the setup
		Tap Page 1/2 ▼ to view the second page of the setup. Here the fields are:
		Axes: toggles axes on and off
		Labels: toggles axis labels on and off
		Grid Dots: toggles grid dots on and off
		Grid Lines: toggles grid lines on and off
		Cursor: choose between Standard, Inverting, and Blinking cursors
		Method: choose between Adaptive, Fixed-Step Segments, and Fixed-Step Dots
		The menu buttons on the second page are:
		• ✓: toggles the current setting on or off
		Choose: make a choice from a choose box
		• ▲ Page 2/2: returns to the first page of the setup
		The Method field requires an explanation. By default, the Prime uses the Adaptive method, an advance
		method that gives very accurate results. You can choose the more traditional method, called Fixed-Ste
		Segments, which samples x-values, computes their corresponding y-values, and then plots and connec the points. Or you can choose Fixed-Step Dots, which works like Fixed-Step Segments but does not
		connect the points.
	Parametric Numeric View	Press Num to enter the Parametric Numeric View. The Parametric Numeric View is designed to create explore a table of X/Y/T values, based on the function(s) defined in the Symbolic View.
		Place the highlight bar in any row of the T-column, enter any real value, and tap OK. The table will reconfigure. You can also zoom in or out on any row in the table. Press + to zoom in on a row of the ta and - to zoom out.
		The menu buttons are:
		• Zoom: zooms in or out on a highlighted row of the table. Note that in Numeric view, zooming change
		the increment between consecutive x-values. Zooming in decreases the increment; zooming out incre the increment. The values in the row you zoom in or out on remain the same.
		More: opens a menu with editing options
		Go To: jumps to a specified value of the independent variable
		Defn: displays the definition of the selected column
		The More menu
		The More menu contains the following options:
		• Select
		Row: selects the row that contains the currently selected cell; the row can then be copied to past
		elsewhere  • Swan Ends: this ontion is available once a multi-cell selection has been made. Swans the beginnin
		<ul> <li>Swap Ends: this option is available once a multi-cell selection has been made. Swaps the beginnin and ending cells of the current selection.</li> </ul>
		Include Headers: the same as Select Row, except that the row headers are selected as well
		• Salaction: taggles salaction made on and off
		Selection: toggles selection mode on and off      Contains select from a small modelium or large fact size.
		Font size: select from a small, medium, or large font size
		You can also use any of the gestures common to the Numeric views. See Numeric View for more deta
	Parametric Numeric Setup	Press Shift Num to enter the Parametric Numeric setup. This view enables you to control the appearance of the table in the Numeric View, including which T-value is at the top of the table, the step between a values, and the zoom factor is for zooming in and out on a row of the table.
		The fields are:
		The fields are:
		Num Start: the first value of T shown in the table
		<ul><li>Num Start: the first value of T shown in the table</li><li>Num Step: the table step value (increment) for T</li></ul>
		<ul> <li>Num Start: the first value of T shown in the table</li> <li>Num Step: the table step value (increment) for T</li> <li>Num Zoom: the zoom factor for zooming</li> </ul>
		<ul><li>Num Start: the first value of T shown in the table</li><li>Num Step: the table step value (increment) for T</li></ul>

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	13211	Build Your Own: you supply T-values; the app provides the corresponding X- and Y-values for each
		checked definition in Symbolic view
		The menu buttons are:
		Edit: opens an edit line to edit the current value in a field
		Choose: select table type
		• Plot→: sets Num Start and Num Step so that the Numeric view table independent variable values ma
		the independent variable values while tracing in Plot view
Parametric Vari	ables	To display the variables relating to the Parametric app, press Vars, tap App and select Parametric.
		The Parametric app has variables in the following categories:
		Symbolic (see immediately below)
		Plot (see Common App Variables)
		Numeric (see Common App Variables)
		Modes (see Common App Variables)
		Symbolic View Variables
		The Parametric app variables are X0-X9 and Y0-Y9. These variables are always defined in pairs and con algebraic expressions dependent on the variable T.  'Xn := f(T)'
		'Yn := g(T)'
		where n is an integer between 0 and 9 inclusive and f(T) and g(T) are algebraic expressions dependent
		T.
		Example:
		X1 := '4*COS(6*T)'
		Y1 := '4*SIN(T)'
Common		·
Sequence app		Sequences are expressions depending on an integer parameter N>0. Sequences can be defined explici or recursively in terms of the previous one or two terms.
		The Sequence app allows you to explore up to 10 sequences, named U1 to U9.
		Some of the most famous sequences are the recursive definitions of factorial:
		U1(1)=1
		U1(N)=N*U1(N-1)
		and the Fibonacci sequence:
		U1(1)=1
		U1(2)=1
		U1(N)=U1(N-1)+U1(N-2)
		Once you have defined a sequence, you can view a table of its values or plot its graph.
		To launch the Sequence app, go to the Application Library and tap the Sequence app icon. You can also
		use the rocker wheel to select the Sequence app icon, then tap Start or press Enter to launch the app.
		Examples:
		N*U1(N-1)
		U1(N-1)+U1(N-2)
Sequence Symb	volic View	The HP Prime Sequence app allows you to define sequences explicitly or recursively. Use this view to
Sequence symb	one view	enter and manage up to ten sequence definitions. Explicit definitions define U(N) in terms of N. Backw recursive definitions can define U(N) in terms of U(N-1) or both U(N-1) and U(N-2). Similarly, forward recursive definitions can define U(N+1) in terms of U(N) or U(N+2) in terms of both U(N+1) and U(N+2 Finally, N can start at 1 (the default value), 0, or any positive integer.
		The first two fields in Symbolic view contain the first two numerical values in the sequence. For an explicitly-defined sequence, these can both be left blank. For a recursively-defined sequence, you mus supply at least one of these two, depending on the nature of your definition. Note that the labels for these values change, depending on the starting value for N that you choose in the Option field.
		The third field is for your symbolic definition. The Option field contains the starting value for N. After t field is a check box. If left unchecked (the default) then your symbolic definition is for U(N). If the box checked, then your symbolic definition is for U(N+1) if you entered a single starting value for your sequence, or U(N+2) if you entered two numerical values to start your sequence.
		The menu buttons are:
		Edit: opens an edit line to edit the chosen definition
		• ✓: toggles the current item on or off
		Choose: select graph color
		Show: displays the selected sequence definition in full-screen mode with horizontal and vertical scro
		enabled
		• Eval: resolves references to other symbolic definitions, e.g. U2(N-1)+U1(N).
		When the symbolic definition of a sequence is being entered or edited, the additional menu items are
		• (N-2), (N-1), N, (N+1), U1: typing aids for entering your sequence definitions
		Cancel: cancels the current edit
		OK: accepts the current edit
		Highlight one of the definition fields and begin entering an expression, or tap Edit to open an edit line
		edit an existing expression.
Sequence Plot \	/iew	Press Plot to enter the Plot view and explore the sequence graphs. Tap Menu to open the menu.
		The menu buttons are:
		Zoom: enters the zoom menu, with options to zoom in or out
		Trace: toggles the tracing cursor off and on
		- made, toggies the trading cursor on and on

p Topics Tree	13217 Help Text
	• Go To: takes the tracing cursor to the point on the graph with a given value of n.
	Defn: displays the symbolic definition of the current sequence
	Menu: toggles the menu off and on
	Use the rocker wheel left/right or tap to trace along a function. Use the rocker wheel up/down to switch
	from one function to another. Press + to zoom in on the current cursor location and press - to zoom ou Set the zoom factor under the Zoom menu.
	You can also use all the gestures common to the Plot views. See Plot View for more details.
Sequence Plot Setup	Press Shift Plot to enter the Plot Setup. Here you can manually set up the graphing window and the
	appearance of the sequence graphs. This setup has two pages.
	The fields on the first page are:
	Seq Plot: chooses between Stairstep and Cobweb plots of each sequence
	N Rng: the range of terms to plot for each sequence
	X Rng: the horizontal graphing range
	Y Rng: the vertical graphing range
	X Tick: horizontal tick mark spacing
	Y Tick: vertical tick mark spacing
	The menu buttons on the first page are:
	Choose: opens the Seq Plot choose box
	Edit: opens an edit line to edit the value of the selected field
	<ul> <li>Page 1/2 ▼: enters the second page of the view</li> </ul>
	Tap Page 1/2 ▼ to view the second page of the setup. Here the fields are:
	Axes: toggles axes on and off
	Labels: toggles axis labels on and off
	Grid Dots: toggles grid dots on and off
	Grid Lines: toggles grid lines on and off
	Cursor: choose between Standard, Inverting, and Blinking cursors
	The menu buttons on the second page are:
	• ✓: toggles the current setting on or off
	Choose: make a choice from a choose box
	• ▲ Page 2/2: returns to the first page of the setup
Sequence Numeric View	Press Num to enter the Numeric View. The Numeric View is designed to create and explore a table of term and sequence values, based on the sequence(s) defined in the Symbolic View.
	The menu buttons are:
	• Zoom: zooms in or out on a highlighted row of the table. Note that in Numeric view, zooming change
	the increment between consecutive x-values. Zooming in decreases the increment; zooming out increating the increment. The values in the row you zoom in or out on remain the same.
	More: opens a menu with editing options
	Go To: jumps to a specified value of the independent variable
	Defn: displays the definition of the selected column
	The More menu
	The More menu contains the following options:
	• Select
	Row: selects the row that contains the currently selected cell; the row can then be copied to past.
	elsewhere
	Swap Ends: this option is available once a multi-cell selection has been made. Swaps the beginning
	<ul> <li>and ending cells of the current selection.</li> <li>Include Headers: the same as Select Row, except that the row headers are selected as well</li> </ul>
	a Colections taggles colection made on and off
	<ul> <li>Selection: toggles selection mode on and off</li> <li>Font size: select from a small, medium, or large font size</li> </ul>
	Highlight any value in the N-column and enter any counting number greater than or equal to the starting
	value for N. The table will reconfigure to show your value.
	You can also use any of the gestures common to the Numeric views. See Numeric View for more detail
Sequence Numeric Setup	Press Shift Num to enter the Numeric setup. This view enables you to control the appearance of the ta
Soquence numeric courp	in Numeric View, including which N-value is at the top of the table, the step between N-values, and the zoom factor is for zooming in and out on a row of the table.
	Num Step must be a positive integer (any other values will be ignored).
	The fields are:
	• Num Start: the first value of N shown in the table
	Num Step: the positive integer step between consecutive N-values
	Num Zoom: the positive integer zoom factor for zooming
	Num Type: choose between table types
	Automatic: provides N- and sequence-values
	BuildYourOwn: you supply N-values; the App provides the corresponding sequence-values
	The many butters are:
	The menu buttons are:
	Edit: opens an edit line to edit the current value in a field

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11016	Sequence Variables	To display the variables relating to the Sequence app, press Vars, tap App and select Sequence.
	Sequence variables	
		The Sequence app has variables in the following categories:
		Symbolic (see immediately below)
		Plot (see Common App Variables)
		Numeric (see Common App Variables)
		Modes (see Common App Variables)
		Symbolic View Variables
		The Sequence app symbolic variables are U1 through U9 and U0. These variables contain lists that define
		a sequence. The number of members in the list depends on the type of sequence defined.
		Ux := '{expression'[, Ux(1), Ux(2)[, StartIndex [,Forward definition]]]}, where x is an integer between 0 and 9 inclusive and expression is an algebraic expression in terms of any combination of the following:
		• N
		• Un(N-1)
		• Un(N-2)
		Examples:
		U3 := {'N!'} defines U3 to be a sequence of factorials
		U5 := {'U5(N-1)+1,1'} defines U5 as the sequence of counting numbers
		U7 := ('U7(N-2)+U7(N-1),1,1'} defines U7 as the Fibonacci sequence
Po	olar app	The Polar app allows you to explore the graphical representation of equations using polar coordinates.
	3.3.1	Each equation takes the form R= $f(\theta)$ and its graphical representation is the set of points whose polar coordinates satisfies the R= $f(\theta)$ relationship.
		Once you have defined a polar equation, you can view a table of its values or plot its graph.
		To launch the Polar app, go to the Application Library and tap the Polar app icon. You can also use the rocker wheel to select the Polar app icon, then tap Start or press Enter to launch the app.
	Polar Symbolic View	Press Symb to return to this view at any time. The Polar Symbolic view contains fields to define up to ten polar equations, each one defining R in terms of $\theta$ .
		The menu buttons are:
		Edit: opens an input line to edit the selected polar definition
		• ✓: toggles the selected definition on or off for plotting and table-building
		• $\theta$ : a typing aid for entering definitions in $\theta$
		Show: displays the selected definition in full-screen mode with horizontal and vertical scrolling enabled
		• Eval: resolves references to other polar equations, such as R2( $\theta$ )=2-R1( $\theta$ )
		Choose: select a color for the graph
		Highlight one of the definition fields and begin entering an expression in $\theta$ , or tap Edit to open an edit line
		to edit an existing expression.
		Example:
		6*SIN(6*θ)
	Polar Plot View	Press Plot to enter the Polar Plot view. This view displays the graphs of Polar equations defined in the Symbolic view. The functionality here is the same as in the Function Plot view, except that the Fcn functions do not apply here. Tap Menu to open the menu.
		The menu buttons are:
		• Zoom: enters the Zoom menu, with options to zoom in or out
		Trace: toggles the tracing cursor off and on
		$\bullet$ Go To: takes the tracing cursor to the point on the graph with a given value of $\theta$ .
		Defn: displays the symbolic definition of the current graph
		Menu: toggles the menu off and on
		Use the rocker wheel left/right or tap to trace along a function. Use the rocker wheel up/down to switch
		from one function to another. Press + to zoom in on the current cursor location and press - to zoom out.
		Set the zoom factor under the Zoom menu. You can also use all the gestures common to the Plot views. See Plot View for more details.
	Polar Plot Setup	Press Shift Plot to enter the Polar Plot setup. This view enables you to control the appearance of the graph window, including the appearance of the cursor, whether or not the axes are drawn, etc. The Setup
		has two pages.
		On the first page, the fields are:
		$\bullet$ 0 Rng: the range of values for the independent variable 0
		$\bullet$ $\theta$ Step: the step value for the independent variable $\theta$
		X Rng: the horizontal graphing range
		• Y Rng: the vertical graphing range
		• X Tick: horizontal tick mark spacing
		Y Tick: vertical tick mark spacing
		The menu buttons on the first page are:
		Edit: opens an edit line to edit the value of the selected field
		• Page 1/2 ▼: displays the second page of the setup
		Tap Page 1/2 ▼ to view the second page of the setup. Here the fields are:
		Axes: toggles axes on and off
		Labels: toggles axis labels on and off
. '	•	

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		Grid Dots: toggles grid dots on and off
		Grid Lines: toggles grid lines on and off
		Cursor: choose between Standard, Inverting, and Blinking cursors
		Method: choose between Adaptive, Fixed-Step Segments, and Fixed-Step Dots
		The menu buttons on the second page are:
		• ✓ : toggles the current setting on or off
		Choose: make a choice from a choose box
		• ▲ Page 2/2: returns to the first page of the setup
		The Method field requires an explanation. By default, the HP Prime uses the Adaptive method, an
		advanced method that gives very accurate results. You can choose the more traditional method, calls Fixed-Step Segments, which samples x-values, computes their corresponding y-values, and then plots connects the points. Or you can choose Fixed-Step Dots, which works like Fixed-Step Segments but d not connect the points.
Polar Numerio	:View	Press Num to enter the Polar Numeric View. The Polar Numeric View is designed to create and explo table of θ/R values, based on the definitions in Symbolic View.  Place the highlight bar in any row of the θ-column and enter any real value. The table will reconfigure can also zoom in or out on any row in the table. Press + to zoom in on a row of the table and - to zoo out.  The menu buttons are:  • Zoom: zooms in or out on a highlighted row of the table. Note that in Numeric view, zooming changes.
		the increment between consecutive x-values. Zooming in decreases the increment; zooming out increment. The values in the row you zoom in or out on remain the same.
		More: opens a menu with editing options
		Go To: jumps to a specified value of the independent variable
		Defn: displays the definition of the selected column
		The More menu
		The More menu contains the following options:
		• Select
		Row: selects the row that contains the currently selected cell; the row can then be copied to pas
		elsewhere
		Swap Ends: this option is available once a multi-cell selection has been made. Swaps the beginning
		and ending cells of the current selection.
		• Include Headers: the same as Select Row, except that the row headers are selected as well
		Selection: toggles selection mode on and off
		Font size: select from a small, medium, or large font size
		You can also use any of the gestures common to the Numeric views. See Numeric View for more details
Polar Numerio	Cotup	Press Shift Num to enter the Polar Numeric setup. This view enables you to control the appearance of
Polar Numeric	Setup	table in Numeric View, including which $\theta$ -value is at the top of the table, the step between $\theta$ -values, the zoom factor is for zooming in and out on a row of the table.
		The fields are:
		• Num Start: the first value of θ shown in the table
		Num Step: the common difference between consecutive θ-values  • Num Step: the common difference between consecutive θ-values
		Num Type: choose between table types
		• Automatic: provides θ- and R-values
		<ul> <li>BuildYourOwn: you supply θ-values; the app provides the corresponding R-values</li> </ul>
		Num Zoom: the zoom factor for zooming
		The menu buttons are:
		The menu buttons are:  • Edit: opens an edit box to edit the current value in a field
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	You can select an option by tapping it, or by using the rocker wheel to highlight it and then pressing Enter.  In a menu of options, you can also select an entry by its number or by typing in the first letter or two of its name and pressing the Enter key.  You can also enter a function or command letter-by-letter.  Menu Display Mode:  The default menu display mode is to display the descriptive names for the Math and CAS functions. For example, "ifactors" is presented as "Factors List". If you prefer the functions to be presented by their command name, deselect the Menu Display option on Home Settings Page 2.
Math Menu	Toolbox Math Menu
	The Toolbox Math menu lists the most commonly used math functions.
Numbers	This menu lists the basic real number functions
CEILING	Syntax:  CEILING(value)  Least integer greater than or equal to value.  Examples:  CEILING(3.2) $\rightarrow$ 4  CEILING(-3.2) $\rightarrow$ -3  CEILING( $\{3.2,-3.2\}$ ) $\rightarrow$ $\{4,-3\}$
FLOOR	
FLOOR	Syntax:  FLOOR(value)  Greatest integer less than or equal to value.  Examples:  FLOOR(3.2) $\rightarrow$ 3  FLOOR(-3.2) $\rightarrow$ -4  FLOOR(\(3.2, -3.2\)\) $\rightarrow$ \{3,-4\}
	Integer Part
IP	Syntax: IP(value) Returns the Integer part of value. Examples: IP(23.2) $\Rightarrow$ 23 IP(-23.2) $\Rightarrow$ -23
	IP({23.2,15+1/4,51/2,10-4/5}) → {23,15,25,9}
FP FP	Fractional Part  Syntax:  FP(value)  Returns the Fractional part of value.  Examples:  FP(23.2) $\Rightarrow$ 0.2  FP(-23.2) $\Rightarrow$ -0.2  FP( $\{23.2,15+1/4,51/2,10-4/5\}\}$ $\Rightarrow$ $\{0.2,0.25,0.5,0.2\}$
ROUND	Syntax:
	ROUND(value, [places]) Rounds value to system display settings. If optional places is given, rounds value to places decimal places. If places is negative, rounds to significant digits instead. Examples:  ROUND(7.8676,2) $\rightarrow$ 7.87 ROUND(7.8676,-2) $\rightarrow$ 7.9 ROUND((2-3*i)^(2+3*i),4) $\rightarrow$ -75.8927+236.0767*i ROUND((22/6,7/6,13/6),{-3,3,4}) $\rightarrow$ {3.67,1.167,2.1667}
TRUNCATE	Syntax:  TRUNCATE(value, [places])  Truncates value to system display settings. If optional places is given, truncates value to places decimal places. If places is negative, truncates to significant digits instead.  Examples:  TRUNCATE(2.3678,2) → 2.36  TRUNCATE(2.3678,-2) → 2.3  TRUNCATE((2-3*i)^(2+3*i),2) → -75.89+236.07*i  TRUNCATE({22/6,7/6,13/6},{-3,3,4}) → {3.66,1.166,2.1666}
MANT	Mantissa Syntax: MANT(Value) Returns the significant digits of Value. Examples: $  MANT(21.2E34) \rightarrow 2.12 $ $  MANT(\{2.12E35,5302.00000123\}) \rightarrow \{2.12,5.30200000123\} $
XPON	Exponent Syntax: XPON(value)

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110.610	1		1921,	Exponent. Returns the exponent of value.
				Examples:
				XPON(123.4) → 2
				$XPON(\{0.001234,56789.0123\}) \rightarrow \{-3,4\}$
	Arithmetic			Arithmetic Menu
				This menu lists the basic arithmetic functions
	N	IAX		Maximum
				Syntax:
				MAX(value1,[value2],[value16]) or
				MAX(list)
				Returns the greatest of the values given, or the greatest value of a list.
				Examples:
				MAX(210,25) $\rightarrow$ 210 MAX({1,8,2}) $\rightarrow$ 8
				$MAX(8/3,11/4) \rightarrow 2.75$
				$MAX(\{1,8,2\},\{2,4,6\}) \to \{2,8,6\}$
		IIN		Minimum
		III V		Syntax:
				MIN(value1,[value2],[value16]) or
				MIN(list)
				Returns the least of the values given, or the least value of a list.
				Examples:
				MIN(210,25) → 25
				$MIN(\{1,8,2\}) \rightarrow 1$
				MIN(8/3,11/4) → 2.6667
				$MIN(\{1,8,2\},\{2,4,6\}) \to \{1,4,2\}$
	N	IOD		Modulo
				Syntax:
				value1 MOD value2
				Returns the remainder of the Euclidean division value1/value2.
				Examples:
				9 MOD 4 $\rightarrow$ 1 #270 MOD 12 $\rightarrow$ 11
				$ [[1,3],[13,14]] \text{ MOD } 4 \rightarrow [[1,3],[1,2]] $
				$\{11,12,13,15,17\} \text{ MOD } 4 \rightarrow \{3,0,3,1,3\}$
	FI	NROOT		Find Root
	''	VINOOT		Syntax:
				FNROOT(Expr, Var, [guess], [guess2])
				Function root-finder (like the Solve app).
				Finds the value for variable at which an expression most nearly evaluates to zero. Uses guess as initial
				estimate.
				Examples: FNROOT(A*9.8/600-1,A,1) $\rightarrow$ 61.2244897959
				FNROOT( $X^2$ -3, $X$ ,-2) $\rightarrow$ -1.73205080757
				FNROOT( $X^2$ -3,X,2) $\rightarrow$ 1.73205080757
				FNROOT( $(X^2-3,X,2,-2) \rightarrow -1.73205080757$
				FNROOT({'X^2-3', 'T^3+4'}, {'X', 'T'}, {-2,-1}, {2,1}} $\rightarrow$ {-1.73205080757,-1.58740105197}
	%			Percentage
				Syntax:
				%(х, у)
				x percent of y.
				Returns (x/100)*y.
				Examples:
				%(20,50) → 10
				%(1.5,7.5) → 0.1125
				%({10,20,30},{75,75,75}) → {7.5,15,22.5}
	C	omplex	ARC	This menu lists the basic complex number functions
			ARG	Argument
				Syntax: ARG(x+yi)
				Finds the angle determined by a complex number.
				Example:
				ARG(3+3i) → 45 (degrees mode)
			CONJ	Complex Conjugate
				Syntax:
				CONJ(x+yi)
				Reverses the sign of the imaginary part of a complex number.
				Examples:
				$CONJ(3+4*i) \rightarrow 3-4*i$

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				$(CONJ({3+4*i,6-6*i}) \rightarrow {3-4*i,6+6*i}$
			IM	Imaginary Part
				Syntax:
				IM(x+yi)
				Returns the imaginary part of a complex number.
				Examples:
				$IM(3+4i) \rightarrow 4$ $IM(3+4i) \rightarrow 4$
			25	$IM({3+4*i,6-6*i}) \to {4,-6}$
			RE	Real Part Syntax:
				RE(x+yi)
				Returns the real part of a complex number.
				Examples:
				$RE(3+4i) \rightarrow 3$
				$RE({3+4*i,6-6*i}) \rightarrow {3,6}$
			SIGN	Sign or Unit Vector
			J. S. G. Y	Syntax:
				SIGN(value)
				SIGN(x+yi)
				Returns the sign of value.
				If positive, the result is 1; if negative, -1. If zero, the result is zero.
				For complex inputs returns the unit vector.
				Examples:
				$SIGN(2) \rightarrow 1$
				SIGN(3+4i) → 0.6+0.8i
				$SIGN({3-v13,6+8*i}) \rightarrow {-1,0.6+0.8*i}$
		Exp and Ln		This menu lists the basic exponential and log functions
			ALOG	Common Antilogarithm
				Syntax:
				ALOG(value)
				Common exponential: 10^x (antilogarithm)
				Returns the result of raising 10 to the power of value.
				Examples:
				$ALOG(2) \rightarrow 100$ $ALOG(2) : 2*1 \rightarrow 21 \cdot 121 AGE 29 A : E9 \cdot A7 A9 A 9 19 A 2 * :$
				$ALOG(2+3*i) \rightarrow 81.121465284+58.4748481843*i$ $ALOG(\{2,4\}) \rightarrow \{100,10000\}$
			EXPM1	Exponent Minus 1
			EXPIVIT	Syntax:
				EXPM1(value)
				Exponential minus 1: (e^x)-1
				This is more accurate than EXP when x is close to zero.
				Examples:
				EXPM1(0.23) → 0.258600009929
				$EXPM1(0.02 + 0.03 * i) \to 1.97422838545 \epsilon - 2 + 3.06014495014 \epsilon - 2 * i$
			LNP1	Natural Log Plus 1
				Syntax:
				LNP1(value)
				Natural log plus 1: LN(X+1)
				This is more accurate than the natural logarithm function for values close to zero.
				Examples:
				LNP1(0.23) → 0.207014169384
	- :			LNP1(0.02+0.03*i) → 2.02349662769ε-2+0.029403288204*i
	Trigo	nometry		This menu lists the basic trigonometric functions  Cosecant
		CSC		Syntax:
				CSC(value)
				Cosecant: 1/SIN(X)
				Example:
				$CSC(90) \rightarrow 1$ (Degrees mode)
				CSC(1+i) → 0.621518017169-0.303931001627*i
				$CSC({30,90}) \rightarrow {2,1} (Degrees mode)$
				$CSC((\pi/6)_{rad}) \rightarrow 2$
		ACSC		Arc Cosecant
				Syntax:
				ACSC(value)
				Inverse Cosecant: CSC^-1 (X)
				Example:
				$ACSC(1) \rightarrow 90$ (Degrees mode)
				ACSC(0.621518017169-0.303931001627*i) $\rightarrow$ 1+i

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				$ACSC(\{2,1\}) \rightarrow \{30,90\} \text{ (Degrees mode)}$
		SEC		Secant
				Syntax:
				SEC(value)
				Secant: 1/COS(X).
				Example: $SEC(0) \rightarrow 1$ (Degrees mode)
				SEC(1+i) → 0.498337030555+0.591083841721*i
				$SEC(\{60,0\}) \rightarrow \{2,1\} \text{ (Degrees mode)}$
				$SEC((\pi/3)_{rad}) \rightarrow 2.0000000001$
		ASEC		Arc Secant
				Syntax:
				ASEC(value)
				Inverse Secant: SEC^-1 (X)
				Example:
				$ASEC(1) \rightarrow 0 \text{ (Degrees mode)}$
				ASEC(0.498337030555+0.591083841721*i) → 1+i
		СОТ		ASEC( $\{2,1\}$ ) $\rightarrow$ $\{60,0\}$ (Degrees mode)  Cotangent
		COI		Syntax:
				COT(value)
				Cotangent: COS(X)/SIN(X)
				Example:
				COT(45) → 1 (Degrees mode)
				$COT(1+i) \rightarrow 0.217621561854-0.868014142896*i$
				$COT(\{45,90\}) \rightarrow \{1,0\} \text{ (Degrees mode)}$
				$COT((\pi/4)_{rad}) \rightarrow 1$
		ACOT		Arc Cotangent
				Syntax:
				ACOT(value) Inverse Cotangent: COT^-1 (X)
				Example:
				ACOT(1) → 45 (Degrees mode)
				ACOT(0.217621561854-0.868014142896*i) → 1+i
				$ACOT(\{1,0\}) \rightarrow \{45,90\}$ (Degrees mode)
	Н	yperbolic		This menu lists the basic hyperbolic functions
		SINH		Hyperbolic Sine
				Syntax:
				SINH(value)
				Hyperbolic Sine  Examples:
				SINH(1) $\rightarrow$ 1.17520119364
				SINH(1+i) → 0.634963914785+1.29845758142*i
				$SINH(\{0,1\}) \rightarrow \{0,1.17520119364\}$
		ASINH		Inverse Hyperbolic Sine
				Syntax:
				ASINH(value)
				Inverse Hyperbolic Sine: SINH^-1 (X)
				Examples:
				ASINH(1.17520119365) → 1
				ASINH(0.634963914785+1.29845758142*i) $\rightarrow$ 1+i ASINH({0,1.17520119365}) $\rightarrow$ {0,1}
		COSH		Hyperbolic Cosine
				Syntax:
				COSH(value)
				Hyperbolic Cosine
				Examples:
				COSH(1) → 1.54308063482
				COSH(1+i) → 0.833730025131+0.988897705763*i
		ACOS!!		COSH({0,1}) → {1,1.54308063482}
		ACOSH		Inverse Hyperbolic Cosine Syntax:
				Syntax: ACOSH(value)
				Inverse Hyperbolic Cosine: COSH^-1 (X)
				Examples:
				ACOSH(1.54308063482) → 1
				ACOSH(0.833730025131+0.988897705763*i) → 1+i
				$ACOSH(\{1,1.54308063482\}) \rightarrow \{0,1\}$
		TANH		Hyperbolic Tangent
				Page <b>86</b> of <b>23</b> 9

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1101	J TOPICS II	13217	Syntax:	
			TANH(value)	
			Hyperbolic Tangent	
			Examples:	
			TANH(1) → 0.761594155956	
			TANH(1+i) → 1.08392332734+0.27175258532*i	
			$TANH(\{0,0.5\}) \to \{0,0.46211715726\}$	
		ATANH	Inverse Hyperbolic Tangent	
			Syntax:	
			ATANH(value)	
			Inverse Hyperbolic Tangent: TANH^-1 (X)	
			Examples:	
			ATANH(.761594155956) → 1	
			ATANH(1.08392332734+0.27175258532*i) → 1+i	
			ATANH({0,0.46211715726}) → {0,0.5}	
	Proh	ability	This menu lists the basic probability functions	
	1100	I	Factorial	
		<u>'</u>	Syntax:	
			,	
			value!	
			For Whole numbers, calculates the Factorial of value.	
			For Negative Integer, Real, or Complex numbers, calculates the Gamma function: $x! = \Gamma(x + 1)$ .	
			Examples:	
			6! → 720	
			3.45! → 10.8547765843	
			(2.+3.*i)! → -0.440113407637-6.36372431263e-2*i	
			$([[2,3,4],[4,5,6]])! \rightarrow [[2,6,24],[24,120,720]]$	
			$(3!)$ _miles $\rightarrow$ 6_miles	
			{6,5,4}! → {720,120,24}	
		СОМВ	Combinations	
			Syntax:	
			COMB(n, r)	
			Returns the number of combinations (without regard to order) of n things taken r at a time: n!/(r!(n-r)!)	
			Examples:	
			COMB(5,2) → 10	
			$COMB({5,10,15},{1,2,3}) \rightarrow {5,45,455}$	
		PERM	Permutations	
			Syntax:	
			PERM(n, r)	
			Returns the number of permutations (with regard to order) of n things taken r at a time: n!/(n-r)!	
			Examples:	
			PERM(5,2) → 20	
			PERM({5,10,15},{1,2,3}) → {5,90,2730}	
		Random	Random Number Functions	
			This menu contains random number functions.	
		RANDOM	Random Number	
		KANDOW		
			Syntax:	
			RANDOM([a],[b],[c])	
			Returns a pseudo-random number generated using a seed value, and updates the seed value.	
			With no argument, this function returns a random number x with 0 ≤ x < 1.	
			With one argument, it returns a random number x with 0 ≤ x < a.	
			With two arguments, it returns a random number with $a \le x < b$ .	
			With three arguments, this returns a list of size a with each element being a random number x with b ≤ x < c.	
			Examples:	
			RANDOM	
			RANDOM(5)	
			RANDOM(3,5)	
		DAMPINE.	RANDOM(3,0,10)	
		RANDINT	Random Integer	
			Syntax:	
			RANDINT([a],[b],[c])	
			Returns a pseudo-random integer generated using a seed value, and updates the seed value.	
			With no argument this function returns a random integer vifrom 0 to 1	
			With no argument, this function returns a random integer x from 0 to 1.	
			With one argument, it returns a random integer x from 0 to a.	
			With two arguments, it returns a random integer x from a to b.	

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пер тор	les free	13217	With three arguments, it returns a list of size a with each element being a random integer x from b to c.
			Examples:
			RANDINT
			RANDINT(6)
			RANDINT(1,6)
		241212224	RANDINT(3,1,6) → { random1, random2, random3 }
		RANDNORM	Random Normal
			Syntax:  RANDNORM([μ],[σ]) or
			RANDNORM(n,μ,σ)
			Return a random number from the normal distribution with the specified mean μ and standard deviation
			σ. Default values are 0 and 1.
			With three arguments, returns a list of size n with each element being a random number from the normal distribution with the specified mean $\mu$ and standard deviation $\sigma$ .
			Examples:
			RANDNORM(1.23)
			RANDNORM(1.2,2.3)
			RANDNORM(3,0,1) $\rightarrow$ { random1, random2, random3 }
		RANDSEED	Random Seed
			Syntax:
			RANDSEED([value])
			Sets the random number generator seed. With no input, it uses the current time value as seed.
			Examples:
			RANDSEED(3.14)
			RANDSEED(3.14); RANDOM(5) $\rightarrow$ 3.34681220106
			RANDSEED(3.14); RANDINT(3,1,6) $\rightarrow$ {5,5,3}
	Density	I	This menu lists the density distributions functions
	Bensity	NORMALD	Normal Density
		1.0	Syntax:
			NORMALD([ $\mu$ , $\sigma$ ,] x)
			Normal probability density function.
			Computes the probability density at the value $x$ , given the mean, $\mu$ , and standard deviation, $\sigma$ , of a normal
			distribution.
			With one argument, x, it returns the probability density for the standard normal distribution at x, assuming a mean of zero and standard deviation of 1.
			Examples:
			$NORMALD(0.5) \rightarrow 0.352065326764$
			$NORMALD(0,2,0.5) \rightarrow 0.193334058401$
		STUDENT	Student's t Density
			Syntax:
			STUDENT(d, x)
			Student's t probability density function
			Computes the probability density of the Student's-t distribution at x, given d degrees of freedom.
			Example:
			STUDENT(3,5.2) → 0.00366574413491
		CHISQUARE	χ² Density
		ernsgo/itte	Syntax:
			CHISQUARE(d, x)
			χ² (Chi-squared) probability density function
			Computes the probability density of the $\chi^2$ distribution at x, given d degrees of freedom.
			Example:
		FIGUES	CHISQUARE(2,3.2) → 0.100948258997
		FISHER	Fisher Density
			Syntax:
			FISHER(n, d, x)  F (Fisher or Fisher-Snedecor) probability density function.
			Computes the probability density at the value x, given numerator n and denominator d degrees of
			freedom.
			Example:
			FISHER(5,5,2) → 0.158080231095
		BINOMIAL	Binomial Probability Density
			Syntax:
			BINOMIAL(n, p, k)
			Binomial probability density function.
			Computes the probability of k successes out of n trials, each with a probability of success of p. Note that n
			and k are integers with k≤n.  Example:
			BINOMIAL(4,0.5,2) $\rightarrow$ 0.375
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1161	י באוקטיי קי		GEOMETRIC	Geometric Density
			GLOWLTKIC	Syntax:
				GEOMETRIC(p,x)
				Geometric probability density function
				Computes the probability density of the geometric distribution at x, given probability p.
				Example:
				GEOMETRIC(0.3,4) $\rightarrow$ 0.1029
			DOICCON	Poisson Density
			POISSON	
				Syntax:
				POISSON(μ, k)
				Poisson probability mass function
				Computes the probability of k occurrences of an event in a time interval, given μ expected (or mean)
				occurrences of the event in that interval. For this function, $k$ is a non-negative integer and $\mu$ is a real number.
				Example:
				POISSON(4, 2) $\rightarrow$ 0.14652511111
		Cumulative		This menu lists the cumulative distributions functions
		Cultiviative	NORMALD, CDE	Cumulative Normal
			NORMALD_CDF	
				Syntax:
				NORMALD_CDF([ $\mu$ , $\sigma$ ,] $x$ , [ $x$ 2])
				Cumulative normal distribution function.
				With three values ( $\mu$ , $\sigma$ , and $x$ ), returns the lower-tail probability of the normal probability density function
				for the value x, given the mean, μ, and standard deviation, σ, of a normal distribution. With the optional
				fourth value x2, returns the area under the normal probability density function between the two x-values.
				With one argument x, returns the lower-tail probability of the standard normal probability density
				function for the value x, assuming a mean of zero and standard deviation of 1.
				Examples:
				NORMALD_CDF(2)→0.977249868052
				NORMALD_CDF(-1,1)→0.682689492138
				NORMALD_CDF(0,1,2) $\rightarrow$ 0.977249868052
				NORMALD_CDF(0,1,0,2) $\rightarrow$ 0.477249868052
			STUDENT_CDF	Cumulative Student's t
				Syntax:
				STUDENT_CDF(d, x, [x2])
				Cumulative Student's t distribution function
				With two values (n and x), returns the lower-tail probability of the Student's t probability density function
				at x, given d degrees of freedom. With the optional third argument x2, returns the area under the
				Student's t probability density function between the two x-values.
				Examples:
				STUDENT_CDF(3,-3.2) $\rightarrow$ 0.0246659214813
			0.000.000	STUDENT_CDF(3,-3.2,1) → 0.779832969041  Consulation $x^2$
			CHISQUARE_CDF	Cumulative χ <sup>2</sup>
				Syntax:
				CHISQUARE_CDF(d, x, [x2])
				Cumulative χ² (Chi-squared) distribution function
				With two values (n and x) returns the lower-tail probability of the $\chi^2$ probability density function for the
				value x, given d degrees of freedom. With the optional third argument x2, returns the area under the $\chi^2$ probability density function between the two x-values.
				p. Saudincy definity function between the two x values.
				Examples:
				CHISQUARE_CDF(2,6.3) → 0.957147873133
				CHISQUARE_CDF(2,2,6.3) $\rightarrow$ 0.325027314304
			FISHER_CDF	Cumulative Fisher
			65.	Syntax:
				FISHER_CDF(n, d, x, [x2])
				Cumulative F (Fisher or Fisher-Snedecor) distribution function
				Returns the lower-tail probability of the F probability density function for the value x, given numerator n
				and denominator d degrees of freedom. With the optional fourth argument x2, returns the area under the
				F probability density function between the two x-values.
				Examples:
				FISHER_CDF(5,5,2) → 0.76748868087
				FISHER_CDF(5,5,0.5,2) → 0.53497736174
			BINOMIAL_CDF	Cumulative Binomial
				Syntax:
				BINOMIAL_CDF(n, p, k, [k2])
				Cumulative binomial distribution function

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		Returns the probability of k or fewer successes out of n trials, with a probability of success, p for each trial. Note that n and k are integers with k≤n. With the optional fourth argument k2, returns the
		cumulative probability for the two k-values; that is, the probability of between k and k2 successes.  Examples:
		BINOMIAL_CDF(20,0.5,6) → 0.05765914917
	goometric edf	BINOMIAL_CDF(20,0.5,6,12) → 0.847717285156  Cumulative Geometric
	geometric_cdf	Syntax:
		geometric_cdf(p,x,[x2])  Cumulative Geometric distribution function
		With two values (p and x), returns the lower-tail probability of the geometric probability density function for the value x, given probability p. With three values (p, x1, and x2), returns the area under the geome probability density function defined by the probability p, between x1 and x2.
		Examples: geometric_cdf(0.3,4) $\rightarrow$ 0.7599
		geometric_cdf(0.5,1,3) $\rightarrow$ 0.875
	POISSON_CDF	Cumulative Poisson Syntax:
		POISSON_CDF(μ, k, [k2])  Cumulative Poisson distribution function
		Returns the probability of k or fewer occurrences of an event in a given time interval, given $\mu$ expected mean) occurrences. With the optional third argument k2, returns the probability of between k and k2 occurrences.  Examples:
		POISSON_CDF(4,2) $\rightarrow$ 0.238103305554 POISSON_CDF(4,2,3) $\rightarrow$ 0.341891925923
Inverse		This menu lists the inverse cumulative distributions functions
	NORMALD_ICDF	Inverse Cumulative Normal  Syntax:  NORMALD_ICDF([μ, σ,] p)
		Inverse cumulative normal distribution function.  Returns the cumulative normal distribution x-value associated with the lower-tail probability p, given t mean $\mu$ , and standard deviation $\sigma$ , of a normal distribution.  With one argument, p, assumes a mean of 0 and a standard deviation of 1.
		Examples: NORMALD_ICDF(0.977249868052) $\rightarrow$ 2 NORMALD_ICDF(0,1,0.841344746069) $\rightarrow$ 1
	STUDENT_ICDF	Inverse Cumulative Student's t Syntax:
		STUDENT_ICDF(d, p) Inverse cumulative Student's t distribution function Returns the value x such that the Student's-t lower-tail probability of x, with d degrees of freedom, is p
		Example: STUDENT_ICDF(3,0.0246659214813) $\rightarrow$ -3.2
	CHISQUARE_ICDF	Inverse Cumulative χ²  Syntax:
		CHISQUARE_ICDF(d, p)
		Inverse cumulative $\chi^2$ (Chi-squared) distribution function Returns the value x such that the $\chi^2$ lower-tail probability of x, with d degrees of freedom, is p.
		Example: CHISQUARE_ICDF(2,0.957147873133) $\rightarrow$ 6.3
	FISHER_ICDF	Inverse Cumulative Fisher Syntax:
		FISHER_ICDF(n, d, p)  Inverse cumulative F (Fisher or Fisher-Snedecor) distribution function.  Returns the value x such that the F lower-tail probability of x, with numerator n, and denominator d
		degrees of freedom, is p. Example:
	BINOMIAL_ICDF	FISHER_ICDF(5,5,0.76748868087) → 2  Inverse Cumulative Binomial
		Syntax:  BINOMIAL_ICDF(n, p, q)
		Inverse cumulative binomial distribution function  Returns the number of successes, k, out of n trials, each with a probability of p, such that the probabil of k or fewer successes is q.  Example:
	1	
	geometric icdf	BINOMIAL_ICDF(4,0.5,0.6875) → 2  Inverse Cumulative Geometric

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1101	, ropic		1921/	geometric_icdf(p,k)
				Inverse cumulative geometric distribution function
				Returns the value x that has the lower-tail probability value k, given the probability p.
				Example:
			DOISSON ICDE	geometric_icdf(0.3,0.95) → 9  Inverse Cumulative Poisson
			POISSON_ICDF	Syntax:
				POISSON_ICDF(μ, p)
				Inverse cumulative Poisson distribution function.
				Returns the value k such that the probability of k or fewer occurrences of an event in a time interval, with
				$\boldsymbol{\mu}$ expected (or mean) occurrences of the event in the interval, is p.
				Evample:
				Example: POISSON_ICDF(4,0.238103305554) → 3
	-	ist		This menu lists the basic lists functions
		MAKELIST		Make List
				Syntax:
				MAKELIST(expression, variable, begin, end, [increment])
				Calculates a sequence of elements for a new list.
				Evaluates expression, incrementing variable from begin to end values, using increment steps (default is 1).
				Evample:
				Example: $MAKELIST(2*X-1,X,1,5,1) \rightarrow \{1,3,5,7,9\}$
		SORT		Sort List
		301(1		Syntax:
				SORT(list,[sort_by])
				Sorts the elements of a list in ascending order. For compound lists (lists of lists or lists containing strings),
				sort_by identifies the element number within each object in the list to be used for sorting.
				The list must be in the format {object_1,object_2,,object_n}.  Examples:
				$SORT(\{2,9,5,3\}) \rightarrow \{2,3,5,9\}$
				SORT({"foo","bar","bra"}) → {"bar","foo"}
				$SORT(\{"foo","bar","bra"\},2) \rightarrow \{"bar","foo","bra"\} \ (sort the list by the 2nd element of each object)$
				SORT[[[10 2 7 6 0] [5 0 8 6 0] [M 10 3 1 6] [7 6 1 9 6]] 2] \( \( \) [7 6 1 9 6] [M 10 2 7 6 0] [7 0 9 6 0]]
				$SORT(\{\{10,2,7,6,9\},\{5,9,8,6,9\},\{4,10,3,1,6\},\{7,6,1,8,6\}\},3) \rightarrow \{\{7,6,1,8,6\},\{4,10,3,1,6\},\{10,2,7,6,9\},\{5,9,8,6,9\}\}$ (sort the list by the 3nd element of each object)
				$SORT(\{\{10,2,"CMABA",6,9\},\{5,9,"EOGJI",6,9\},\{4,10,"DOFEB",1,6\},\{7,6,"IHLCP",8,6\},(0,0,"ONAED"\},\{\{3,2\}\})\\ \rightarrow \{\{7,6,"IHLCP",8,6\},\{10,2,"CMABA",6,9\},\{0,0,"ONAED"\},\{4,10,"DOFEB",1,6\},\{5,9,"EOGJI",6,9\}\} \ (sort each list by the 2nd element of the 3rd object)$
		DEVENCE		SORT({"DACCI","GCIFA","GBCHA","AJEGE","BDCCA"},{3,1}) →  {"BDCCA","DACCI","GBCHA","AJEGE","GCIFA"} (sort the list by the 3rd element followed by the 2nd element of each object)  Reverse List
		REVERSE		Syntax:
				REVERSE(list)
				Creates a list by reversing the order of the elements in list.
				Example:
				REVERSE( $\{2,3,4,5\}$ ) $\rightarrow \{5,4,3,2\}$
		CONCAT		Concatenate
				Syntax:
				CONCAT(value1, value2, [value16]) or
				CONCAT(List1, List2) or
				CONCAT(List, Item)
				Concatenates (joins) items into a list or concatenates two lists.
				Examples: $CONCAT(I12314) \rightarrow I1234$
				CONCAT( $\{1,2,3,4\} \rightarrow \{1,2,3,4\}$ CONCAT( $\{1,2,3,4\} \rightarrow \{1,2,3,4\}$
				CONCAT $\{(1,2),3,4\} \rightarrow \{1,2,3,4\}$ CONCAT $\{(1,2),3,\{(4,5),6,\{7,8\}\}\} \rightarrow \{1,2,3,\{4,5\},6,\{7,8\}\}$
		SUPPRESS		Remove Items
				Syntax:
				SUPPRESS(object, index)
				SUPPRESS(object, start, end)
				SUPPRESS(object, {index1, index2, indexN})
				SUPPRESS(string1, string2)
				Remove items from object using a single position index, a start and end index range, or a list of indices.
				object may be a list, vector, or string.  In the case of string1 and string2, every instance of each character in string2 will be removed from string1.
				5 - 1 - 5 - 1 - 5 - 1 - 1 - 1 - 1 - 1 -
				Examples:
				SUPPRESS( $\{1,2,3,4\},3$ ) $\rightarrow \{1,2,4\}$
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		SUPPRESS( $\{1,2,3,4\},2,3$ ) $\rightarrow \{1,4\}$
		SUPPRESS( $\{1,2,3,4\},\{1,3\}$ ) $\to \{2,4\}$
		SUPPRESS([1,2,3,4],3) → [1,2,4]
		SUPPRESS([1,2,3,4],2,3) $\rightarrow$ [1,4]
		SUPPRESS([1,2,3,4],{1,3}) $\rightarrow$ [2,4] SUPPRESS("1,234" 2) $\rightarrow$ "1,24"
		SUPPRESS("1234",3) → "124" SUPPRESS("1234",2,3) → "14"
		SUPPRESS("1234",(1,3}) → "24"
		SUPPRESS("FizzBuzz","zu") → "FiB"
	INSERT	Insert Items
		Syntax:
		INSERT(object1, index, object2)
		Insert object2 into object1 immediately prior to position specified by index. If index is one greater than
		the size of object1, object2 will be appended to object1.
		object1 may be a list, vector, or string. object2 may be anything if object1 is a list. object2 must be a real or complex number if object1 is a vector. object2 must be a single character string if object1 is a string.
		January Company of the Company of th
	POS	Position
		Syntax:
		POS(list, element)
		Returns the position of element within list. If there is more than one instance of element, the position of the first occurrence is returned. Returns 0 if there is no occurrence of the specified element.
		Example:
		$POS(\{0,1,3,5\},1) \to 2$
	SIZE	List Size
		Syntax: SIZE(list)
		Returns the number of elements in a list. With a matrix, returns the dimensions of the matrix.
		Returns the number of elements in a list. With a matrix, returns the universions of the matrix.
		Example:
		SIZE({0,1,2,3}) → 4
	ΔLIST	Δ List
		Syntax:
		ΔLIST(list)
		Creates a new list composed of the first differences of a given list; that is, the differences between the sequential elements in a list. The new list has one fewer elements than the original list.
		Example:
		$\Delta$ LIST({1,2,3,5,8}) → {1,1,2,3}
	ΣLIST	Σ List Syntax:
		ΣLIST(list)
		Calculates the sum of all elements in a list. If the list contains a string, the result will be a single string with
		all elements concatenated together.
		Examples:
		$\Sigma LIST(\{2,3,4\}) \rightarrow 9$
		ΣLIST(("A", "B", "CE")) > "ABCE"  ΣLIST(("A", 1, "D", 2, "CC", 2)) \ "A4D2CC2"
	пист	$\Sigma LIST({"A",1,"B",2,"CE",3}) \rightarrow "A1B2CE3"$ $\sqcap List$
		Syntax:
		TLIST(list)
		Calculates the product of all elements in a list.
		Example:
		$\Pi LIST(\{2,3,4\}) \rightarrow 24$
	DIFFERENCE	List Difference
		Syntax:
		DIFFERENCE({list1},{listN})
		Returns a list of the elements that are not common between two or more lists.
		Examples:
		DIFFERENCE( $\{1,2,3\},\{2,4,8\}$ ) $\rightarrow \{1,3,4,8\}$
	INTERSECT	DIFFERENCE({1,2,3},{2,4,8},{1,2},{3,5,8}) → {4,5}  List Intersect
	INTERSECT	Syntax:
		INTERSECT({list1},(listN})
		Returns a list of common elements in two or more lists.
		Examples:
		INTERSECT( $\{1,2,3\},\{2,4,8\}$ ) $\rightarrow \{2\}$
		INTERSECT( $\{1,2,4\},\{2,4,8\}$ ) $\rightarrow \{2,4\}$
		$INTERSECT(\{1,2,3\},\{2,4,8\},\{1,3,5,8\}) \to \{\}$
	UNION	List Union
		Syntax:
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Пертор			19117	UNION(list1 or object1, list n or object n)	
				UNION concatenates the inputs, removing all duplicates.	
				Example:	
				UNION( $\{1,2,3\}, \{2,4,8\}, 10$ ) $\rightarrow \{1, 2, 3, 4, 8, 10\}$	
		EQ		Syntax:	
				EQ(object_1, object2)	
				Returns 1 if the two objects are the same.	
				This function is equivalent to the = and == function with one exception - if the two objects are lists, it returns 1 if the two lists are the same while the = and == functions return a list containing 0 or 1 for each	
				pair of items.	
				Examples:	
				$EQ(\{1,2,3\},\{1,2,3\}) \to 1$	
				$EQ(\{1,2,3\},\{0,1,2,3\}) \to 0$	
	Matri	x		This menu lists the basic matrix functions	
		TRN		Transpose	
				Syntax:	
				TRN(matrix)	
				Transposes matrix. If Complex mode is on and the matrix contains complex elements, then TRN finds the	
				conjugate transpose.	
				Examples:	
				$TRN([[1,2],[3,4]]) \to [[1,3],[2,4]]$ $TRN([[1,2],[3,4]]) \to [[1,3],[2,4]]$	
				$TRN([[1+2^*i,2+4^*i],[3+i,4-5^*i]]) \to [[1+2^*i,3+i],[2+4^*i,4-5^*i]]$	
				$TRN(\{[[5,2],[1,3]],[[2,9],[7,8]]\}) \to \{[[5,1],[2,3]],[[2,7],[9,8]]\}$	
		DET		Square Matrix Determinant	
				Syntax:	
				DET(matrix)	
				Determinant of a square matrix.	
				Examples:	
				$DET([[1,2],[3,4]]) \rightarrow -2$	
				$DET([[1+2*i,2+4*i],[3+i,4-5*i]]) \rightarrow 12-11*i$	
				$DET(\{[[1,2],[5,6]],[[3,4],[-6,-2]]\}) \rightarrow \{-4,18\}$	
		RREF		Reduced-Row Echelon Form	
		KKEF			
				Syntax:	
				RREF(matrix)	
				Changes a rectangular matrix to its reduced row-echelon form.	
				Examples:	
				$RREF([[1,-2,1],[3,4,-1]]) \rightarrow [[1,0,0.2],[0,1,-0.4]]$	
				RREF([[1+2*i,2+4*i,1+i],[3+i,4-5*i,2-i]]) $\rightarrow$ [[1,0,0.335849056604-	
				0.275471698113*i],[0,1,0.132075471698+3.77358490566E-2*i]]	
				$RREF(\{[[-2,2,1],[1,4,0]],[[1,3,1],[3,6,9]]\}) \rightarrow \{[[1,0,-0.4],[0,1,0.1]],[[1,0,7],[0,1,-2]]\}$	
		Create		This menu lists the matrix creation functions	
		Cicate	MAKEMAT	Make Matrix	
			IVIAKLIVIAT		
				Syntax:	
				MAKEMAT(Expr, Rows, Columns) or	
				MAKEMAT(Expr, Elements)	
				Creates a matrix of dimension Rows × Columns, using Expr to calculate each element. If Expr contains the	
				variables I and J, then the calculation for each element substitutes the current row number for I and the	
				current column number for J. You can also create a vector using the number of Elements instead of the	
				number of rows and columns.	
				Examples:	
				$MAKEMAT(0,3,3) \rightarrow [[0,0,0],[0,0,0]]$	
				$MAKEMAT(V2,2,3) \rightarrow [[V2,V2,V2],[V2,V2,V2]] \text{ in CAS view}$	
				MAKEMAT(I+J-1,2,3) $\rightarrow$ [[1,2,3],[2,3,4]] in Home view	
			IDENMAT	Identity Matrix	
				Syntax:	
				IDENMAT(n)	
				Creates a square matrix of dimension n x n whose diagonal elements are 1 and off-diagonal elements are	
				Zero.	
				Examples:	
				$ IDENMAT(2) \rightarrow [[1,0],[0,1]]$	
				$IDENMAT({2,3}) \rightarrow \{[[1,0],[0,1]],[[1,0,0],[0,1,0],[0,0,1]]\}$	
			RANDMAT	Random Matrix	
				Syntax:	
				RANDMAT([MatrixName], rows, [columns, [integer or real1, real2 or 'generation_function']])	
				Creates a random matrix with the specified number of rows and columns. If MatrixName is provided, the	
				result is stored there.	
				If no additional inputs are provided, the entries will be integers ranging from –99 to 99.	
				If one integer is provided, the entries will be integers ranging from 0 to that integer.	
				If two reals are provided, the entries will be reals from real1 to real2.	

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			If one generation_function is provided, it will be used to generate each entry in the matrix.
			Example:
			RANDMAT(2,2) → $[[n1,n2],[n3,n4]]$
		JordanBlock	Jordan Block
		Jordanbioek	Syntax:
			JordanBlock(Expr, n)
			Returns a square n x n matrix with Expr on the diagonal, 1 above and 0 everywhere else.
			μ
			Examples:
			JordanBlock $(7,3) \rightarrow [[7,1,0],[0,7,1],[0,0,7]]$
			$JordanBlock(x+1,3) \rightarrow [[x+1,1,0],[0,x+1,1],[0,0,x+1]]$
		hilbert	Hilbert Matrix
			Syntax:
			hilbert(n)
			Given a positive integer n, returns the nth order Hilbert matrix. Each element of the matrix is given by the
			formula 1/(j+k-1) where j is the row number and k is the column number.
			Example:
			hilbert(3) $\rightarrow$ [[1,1/2,1/3],[1/2,1/3,1/4],[1/3,1/4,1/5]]
		mkisom	Isometry
			Syntax:
			mkisom(Vect,(Sign(1) or -1))
			Returns the matrix of an isometry given by its proper elements.
			Examples:
			$mkisom(\pi,1) \to [[-1,0],[0,-1]]$ (in radians mode)
		vandermonde	Vandermonde Matrix
			Syntax:
			vandermonde(vector)
			Given a vector [n1, n2, nj], returns a matrix whose first row is [(n1)°,
			$(n1)^1$ , $(n1)^2$ ,, $(n1)^2$ (j-1)]. The second row is $[(n2)^0$ , $(n2)^1$ , $(n2)^2$ ,, $(n2)^2$ (j-1)], etc.
			Examples:
			vandermonde([1,2,3]) $\rightarrow$ [[1,1,1],[1,2,4],[1,3,9]]
			vandermonde([a,b,c]) $\rightarrow$ [[1,a,a <sup>2</sup> ],[1,b,b <sup>2</sup> ],[1,b,b <sup>2</sup> ]]
	Basic		This menu lists the basic matrix functions
		ABS	Absolute Value
			Syntax:
			ABS(expr) or
			ABS(matrix)
			For numerical arguments, returns the absolute value of the expression.
			For matrix arguments, returns the Frobenius (Euclidean) norm of the array.
			Examples:
			$ABS(-3.14) \rightarrow 3.14$ $ASS((4.2) (2.41)) \rightarrow 5.47722557725$
			ABS([[1,2],[3,4]]) → 5.47722557505
			$ABS(2-3*i) \rightarrow 3.60555127546$
		DOWALODA 4	$CAS(ABS([[1,2],[3,4]])) \rightarrow \sqrt{30}$
		ROWNORM	Row Norm
			Syntax:  POWNORM(matrix)
			ROWNORM(matrix)  Finds the maximum value (over all rows) for the sums of the absolute values of all elements in a row.
			Example:
			$ROWNORM([[1,2],[3,4]]) \rightarrow 7$
		COLNORM	Column Norm
			Syntax:
			COLNORM(matrix)
			Finds the maximum value (over all columns) of the sums of the absolute values of all elements in a matrix.
			Example:
			$COLNORM([[1,2],[3,4]]) \rightarrow 6$
		SPECNORM	Spectral Norm
		OI ECINOTATE	Syntax:
			SPECNORM(matrix)
			Returns the spectral Norm of a square matrix.
			Example:
			SPECNORM([[1,2],[3,4]]) $\rightarrow$ 5.4650
		SPECRAD	Spectral Radius
			Syntax:
			SPECRAD(matrix)
			Returns the spectral radius of a square matrix.
			Example:
			•

lp Topics Tree	13217	Help Text   SPECRAD([[1,2],[3,4]]) → 5.3723
	COND	Condition Number
	66112	Syntax:
		COND(matrix)
		Finds the 1-norm (column norm) of a square matrix.
		Example:
		$COND([[1,2],[3,4]]) \rightarrow 21$
	RANK	Rank of Rect. Matrix
	IVAIVI	Syntax:
		RANK(matrix)
		Returns the rank of a rectangular matrix.
		Examples:
		$RANK([[1,2],[3,4]]) \rightarrow 2$
		$RANK([[1,2,3],[3,2,1],[2,1,3]]) \rightarrow 3$
		$RANK([[1+2*i,2+4*i],[3*i,4-5*i]]) \rightarrow 2$
		RANK({[[1,2],[3,4],[5,6]],[[1,2,3],[6,5,4]]}) $\rightarrow$ {2,2}
	pivot	Syntax:
		pivot(matrix,n,m)
		Given a matrix, a row number n, and a column number m, uses Gaussian elimination to return a matrix with zeroes in column m, except that the element in column m and row n is kept as a pivot.
		Example: $pivot([[1,2],[3,4],[5,6]],1,1) \rightarrow [[1,2],[0,-2],[0,-4]]$
	TRACE	Syntax:
		TRACE(matrix)
		Finds the trace of a square matrix. The trace is equal to the sum of the diagonal elements. (It is also eq
		to the sum of the eigenvalues.)
		Examples:
		$TRACE([[1,2],[3,4]]) \to 5$
		TRACE([[1+2*i,2+4*i],[3+i,4-5*i]]) $\rightarrow$ 5-3*i
		TRACE({[[2,1],[6,3]],[[3,8],[5,7]]}) $\rightarrow$ {5,10}
Ac	dvanced	This menu lists the advanced matrix functions
	EIGENVAL	Eigenvalues
		Syntax:
		EIGENVAL(matrix)
		Displays the eigenvalues in vector form for matrix.
		Example:
		$EIGENVAL([[1,2],[3,4]]) \rightarrow [5.3723, -0.3723]$
	EIGENVV	Eigenvectors and Values
		Syntax:
		EIGENVV(matrix)
		Eigenvectors and Eigenvalues for a square matrix
		Displays a list of two arrays. The first contains the eigenvectors and the second contains the eigenvalu
		Example:
		$EIGENVV([[1,2],[3,4]]) \to \{  [[0.4160,-0.8370],[0.9094,0.5743]],  [[5.3723,0],  [0,-0.3723]] \}$
	jordan	Syntax:
		jordan(Matrix)
		Returns the list made by the matrix of passage and the Jordan form of a matrix.
		Examples:
		$jordan([[0,2],[1,0]]) \rightarrow [[V2,-V2],[1,1]],[[V2,0],[0,-V2]]$
1 1 1		jordan([[-2,-2,1],[-2,1,-2],[1,-2,-2]])
	I	
	diag	Diagonal
	diag	Diagonal Syntax:
	diag	
	diag	Syntax:
	diag	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.
	diag	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.
	diag	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples:
	diag	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.
	diag	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples:
	cholesky	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]]
		Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) \rightarrow [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) \rightarrow [1,4]
		Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) → [1,4]  Syntax:
		Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) → [1,4]  Syntax: cholesky(matrix)
		Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) → [1,4]  Syntax: cholesky(matrix)  For a numerical symmetric matrix A, returns the matrix L such that A=L*tran(L).
	cholesky	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) → [1,4]  Syntax: cholesky(matrix)  For a numerical symmetric matrix A, returns the matrix L such that A=L*tran(L).  Example:
		Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) → [1,4]  Syntax: cholesky(matrix)  For a numerical symmetric matrix A, returns the matrix L such that A=L*tran(L).  Example: cholesky([[3,1],[1,4]]) → [[3/√(3),0],[1/√(3),(1/3)*√(33)]]
	cholesky	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) → [1,4]  Syntax: cholesky(matrix)  For a numerical symmetric matrix A, returns the matrix L such that A=L*tran(L).  Example: cholesky([[3,1],[1,4]]) → [[3/√(3),0],[1/√(3),(1/3)*√(33)]]  Hermite Normal
	cholesky	Syntax: diag(list) or diag(matrix) Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.  Given a matrix, returns a vector of the elements along its diagonal.  Examples: diag({1,2,3}) → [[1,0,0],[0,2,0],[0,0,3]] diag([[1,2],[3,4]]) → [1,4]  Syntax: cholesky(matrix)  For a numerical symmetric matrix A, returns the matrix L such that A=L*tran(L).  Example: cholesky([[3,1],[1,4]]) → [[3/√(3),0],[1/√(3),(1/3)*√(33)]]  Hermite Normal Syntax:

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- 1101				Example:
				$ihermite([[1,2,3],[4,5,6],[7,8,9]]) \rightarrow [[-3,1,0],[4,-1,0],[-1,2,-1]],[[1,-1,-3],[0,3,6],[0,0,0]]$
			hessenberg	Syntax:
			l l	hessenberg(Matrix_A)
				Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(P)*A*P.
				Example:
				$hessenberg([[1,2,3],[4,5,6],[7,8,1]]) \rightarrow [[[1,0,0],[0,4/7,1],[0,1,0]],[[1,29/7,2],[7,39/7,8],[0,278/49,3/7]]]$
			ismith	Smith Normal
			Isilitti	Syntax:
				ismith(Matrix_A)
				Given Matrix_A, returns the Smith normal form of a matrix with coefficients in Z. Returns [U V B] such that
				U and V are invertible in Z, B is the diagonal, B[i,i] divides B[i+1,i+1] and B=U*A*V.
				Example:
				ismith([[1,2,3],[4,5,6],[7,8,9]]) $\rightarrow$ [[1,0,0],[4,-1,0],[-1,2,-1]],[[1,0,0],[0,3,0],[0,0,0]],[[1,-2,1],[0,1,-2],[0,0,1]]
		Factorize		This menu lists the factorization matrix functions
			LQ	LQ Factorization
				Syntax:
				LQ(matrix)
				Factorizes a m × n matrix into three matrices: L, Q, and P, where L is an m × n lower trapezoidal, Q is an n
				× n orthogonal, and P is an m × m permutation; and P*A=L*Q.
				Example:
				$LQ([[1,2],[3,4]]) \rightarrow \{[[2.2360,0],[4.9193,0.8944]],[[0.4472,0.8944],[0.8944,-0.4472]],[[1,0],[0,1]]\}$
			LSQ	Least Squares
				Syntax:
				LSQ(matrix1, matrix2)
				Returns the minimum norm least squares matrix (or vector) corresponding to the system
				matrix1*X=matrix2
				Examples:
				LSQ([[1,2],[3,4]],[[5],[11]]) $\rightarrow$ [[1],[2]]
				LSQ([[1,2],[3,4]],[[5,-1],[11,-1]]) → [[1,1],[2,-1]]
			LU	LU Decomposition Syntax:
				LU(matrix)
				Factorizes a square matrix into three matrices L, U, and P, where L is a lowertriangular, U is an
				uppertriangular, and P is the permutation; and P*A=L*U.
				Example:
				$LU([[1,2],[3,4]]) \rightarrow \{[[1,0],[0.3333,1]],[[3,4],[0,0.6666],[0,1],[1,0]]\}$
			QR	QR Factorization
				Syntax:
				QR(matrix)
				Factors an m x n matrix into three matrices: {[[m x m orthogonal]],[[m x n uppertrapezoidal]],[[n x n
				permutation]]}. Example:
				QR([[1,2],[3,4]]) $\rightarrow$ {[[0.3612,0.9486],[0.9486,-0.3162]],[[3.1622,4.4217],[0,0.6324]],[[1,0],[0,1]]}
				Qn[[[1,2],[3,4]]] / [[[0.3012,0.3400],[0.3400], 0.3102]],[[3.1022,4.4217],[0,0.0324]],[[1,0],[0,1]]]
			SCHUR	Schur Decomposition
				Syntax:
				SCHUR(matrix)
				Factors a square matrix into two matrices.
				If matrix is real, then the result is {[[orthogonal]],[[upper-quasi triangular]]}.
				If Complex mode is on and the matrix is complex, then the result is {[[unitary]],[[upper-triangular]]}.
				Evample:
				Example: $SCHUR([[7,-2],[12,-3]]) \rightarrow \{[[0.4472,0.8944],[0.8944,-0.4472]],[[3,14],[0,1]]\}$
			SVD	Singular Value Decomposition
			340	Syntax:
				SVD(matrix)
				Factorizes an $m \times n$ matrix into two orthogonal matrices U (m x m) and V (n x n) and a vector S such that
				matrix = U*S'*trn(V). (S' is the diagonalization of S.)
				Example:
				SVD([[1,2],[3,4]]) → {[[0.9145,-0.4046],[-0.4046,0.9145]],[0.3660,5.4650],[[-0.4046,0.9145]]
			SVL	0.8174,0.5760],[0.5760,0.8174]]} Singular Values
			JVL	Syntax:
				SVL(matrix)
				Returns a vector containing the singular values of matrix.
				Example:
				SVL([[1,2],[3,4]]) → [0.3660,5.4650]
		Vector	1	This menu lists the vector functions
1 1	1	1		,

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11017 107		CROSS	Cross Product
			Syntax:
			CROSS(Vector1, Vector2)
			Returns the cross product two vectors.
			Examples:
			$CROSS([1,2,3],[4,3,2]) \rightarrow [-5,10,-5]$
			$CROSS([1+2^*i,2-4^*i,3+i],[-4+i,1-3^*i,2+0.5^*i]) \to [i,-14-5.5^*i,11-19^*i]$
			$CROSS(\{[1,2,3],[4,3,2]\},\{[7,2,8],[9,1,6]\}) \to \{[10,13,-12],[16,-6,-23]\}$
		DOT	Dot Product
			Syntax:
			DOT(Vector1, Vector2)
			Returns the dot product of two vectors.
			Examples:
			$DOT([1,2],[3,4]) \rightarrow 11$
			$DOT(\{[1,2],[5,6]\},\{[3,4],[-6,-2]\}) \to \{11,-42\}$
		maxnorm	Max Norm
			Syntax:
			maxnorm(Vector) or
			maxnorm(Matrix)  Returns the l∞ norm (the maximum of the absolute values of the coordinates) of a vector or matrix.
			Returns the 1991 norm (the maximum of the absolute values of the coordinates) of a vector of matrix.
			Examples:
			$maxnorm([1,2]) \to 2$
			$maxnorm([[1,2],[3,-4]]) \rightarrow 4$
		l1norm	L¹ Norm
			Syntax:
			l1norm(Vector)
			Returns the L <sup>1</sup> norm (sum of the absolute values of the coordinates) of a vector.
			Example:
			I1norm([3,-4,2]) → 9
		l2norm	L <sup>2</sup> Norm
			Syntax:
			l2norm(Vector)
			Returns the L <sup>2</sup> norm (sqrt(x1 <sup>2</sup> +x2 <sup>2</sup> +xn <sup>2</sup> )) of a vector.
			Example:
	Canadal		
	Special Beta		Syntax:
	Beta		Beta(x, y)
			Returns the value of the Beta function for two values, x and y, defined as
			Gamma(x)*Gamma(y)/Gamma(x+y).
			Example:
			$Beta(3,2) \rightarrow 1/12$
	erf		Error Function
			Syntax: erf(x)
			For a real value x, returns the approximate value of $2/\sqrt{\pi^*}$ int( $e^{-(-t^2)}$ , t, 0, x)
			Example:
			$erf(1) \rightarrow 0.84270079295$
	erfc		Complementary Error Function
			Syntax:
			erfc(x)
			For a real value x, returns the approximate value of $2/\sqrt{\pi^*}$ int(exp(-t²),t,x, $\infty$ ).
			Example:
			erfc(1) → 0.15729920705
	Gamma		Gamma Function
			Syntax:
			Gamma(Real)
			Returns the value of the gamma function (Γ) for a real number.
			Gamma(n)=(n-1)! if n is an integer.  Examples:
			Gamma(5) → 24
			Gamma(1/2)
	Psi		Syntax:
			Psi(Real(a),Intg(n))
			Returns the value of the nth derivative of the digamma function at x=a, where the digamma function is
			the first derivative of $ln(\Gamma(x))$ .
			Example:
	70+0		$Psi(3,1) \rightarrow \pi^2/6-5/4$ Syntax:
1 1	Zeta		Jinan.

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		Zeta(x)
		Returns the value of the zeta function (Z) for a real x.
		Example:
		$Zeta(2) \to \pi^{2}/6$
	Ci	Cosine Integral
		Syntax:
		Ci(Expr)
		Returns the cosine integral of an expression. $int(cos(t)/t,t=-\inftyx)$ .
		Example:
		$Ci(1.0) \rightarrow 0.337403922901$
	Ei	Exponential Integral
		Syntax:
		Ei(x)
		For a real value x, returns the approximate value of $int(e^{(t)}/t, -\infty, x)$
		Example:
		Ei(1.0) → 1.89511781636
	Si	Sine Integral
		Syntax:
		Si(Expr)
		Returns the sine integral of an expression, int(sin(t)/t,t=0x)
		Example:
		$Si(1.0) \rightarrow 0.946083070367$
CAS Mer	nu	Toolbox CAS Menu
		The Toolbox CAS menu lists all the most useful Computer Algebra System (CAS) functions.
AL	gebra	Algebra Menu
	6001 a	The Algebra menu contains common symbolic algebra commands, such as collect, expand, and factor
		The rigesta mena contains common symbolic algebra communas, sacin as concet, expand, and factor
	simplify	Simplify Expression
		Syntax:
		simplify(Expr)
		Simplifies an expression.
		Example:
		simplify(4*atan(1/5)-atan(1/239)) $\rightarrow$ (1/4)* $\pi$
	collect	Collect Like Terms
		Syntax:
		collect(Poly) or
		collect(Poly, Var) or
		collect({Poly1, Poly2,, Polyn})
		Collects like terms in a polynomial expression (or of a list of polynomial expressions). Factorizes the
		results, depending on the CAS settings.
		If specified, will collect with respect to Var.
		Examples:
		$collect(x+2*x+1-4) \rightarrow 3*x-3$
		collect( $x^2-9*x+5*x+3+1$ ) $\rightarrow (x-2)^2$
		$collect(a^*(b-c)+d^*(b-c)) \rightarrow (-c+b)^*(a+d)$
		$collect(a^*(b-c)+d^*(b-c),a) \rightarrow b^*d-c^*d+(b-c)^*a$
	expand	Expand Expression
		Syntax:
		expand(Expr)
		Returns an expression expanded.
		Example:
		$expand((x+y)^*(z+1)) \rightarrow y^*z+x^*z+y+x$
	factor	Factorize Polynomial
		Syntax:
		The second secon
1		factor(Expr)
		factor(Expr)  Returns a polynomial factorized.
		Returns a polynomial factorized.
		Returns a polynomial factorized.  Similar to collect, but will factor using square roots.
		Returns a polynomial factorized.  Similar to collect, but will factor using square roots.  Examples:
	partfrac	Returns a polynomial factorized.  Similar to collect, but will factor using square roots.  Examples: $factor(x^4+12^*x^3+54^*x^2+108^*x+81) \rightarrow (x+3)^4$
	partfrac	Returns a polynomial factorized. Similar to collect, but will factor using square roots. Examples: $factor(x^4+12^*x^3+54^*x^2+108^*x+81) \rightarrow (x+3)^4$ $factor(x^4-1) \rightarrow (x-1)^*(x+1)^*(x^2+1)$
	partfrac	Returns a polynomial factorized. Similar to collect, but will factor using square roots. Examples: $factor(x^4+12^*x^3+54^*x^2+108^*x+81) \rightarrow (x+3)^4$ $factor(x^4-1) \rightarrow (x-1)^*(x+1)^*(x^2+1)$ Partial Fraction Decomposition
	partfrac	Returns a polynomial factorized. Similar to collect, but will factor using square roots. Examples: $factor(x^4+12*x^3+54*x^2+108*x+81) \rightarrow (x+3)^4$ $factor(x^4-1) \rightarrow (x-1)*(x+1)*(x^2+1)$ $Partial\ Fraction\ Decomposition$ $Syntax:$
	partfrac	Returns a polynomial factorized. Similar to collect, but will factor using square roots. Examples: $ factor(x^4+12*x^3+54*x^2+108*x+81) \rightarrow (x+3)^4 $ $ factor(x^4-1) \rightarrow (x-1)*(x+1)*(x^2+1) $ Partial Fraction Decomposition Syntax: $ partfrac(RatFrac) $
	partfrac	Returns a polynomial factorized.  Similar to collect, but will factor using square roots.  Examples:  factor(x^4+12*x^3+54*x²+108*x+81) → (x+3)^4  factor(x^4-1) → (x-1)*(x+1)*(x^2+1)  Partial Fraction Decomposition  Syntax:  partfrac(RatFrac)  Performs partial fraction decomposition on a fraction.
	partfrac	Returns a polynomial factorized.  Similar to collect, but will factor using square roots.  Examples:  factor(x^4+12*x^3+54*x²+108*x+81) → (x+3)^4 factor(x^4-1) → (x-1)*(x+1)*(x^2+1)  Partial Fraction Decomposition  Syntax: partfrac(RatFrac)  Performs partial fraction decomposition on a fraction.  Example:
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			Substitutes a value for a variable in an expression.
			Examples:
			$subst(x/(4-x^2), x=3) \rightarrow -3/5$
			$subst(\int (sin(x^2)*x,x),x=V(t))$
	Extract		This menu contains commands that allow you to extract one side of an equation or one part of a fraction.
		donom	Simplified Denominator
		denom	Syntax:
			denom(a/b)
			For integers a and b, returns the denominator of the fraction a/b after simplification.
			Example:
			denom(10/12) → 6
		numer	Simplified Numerator
		1.2	Syntax:
			numer(a/b)
			For integers a and b, returns the numerator of the fraction a/b after simplification.
			Example:
			numer(10/12) → 5
		left	Left Side of Equation
			Syntax:
			left(Expr1=Expr2) or
			left(Real1Real2)
			Returns the left side of an equation or the left end of an interval.
			Example: $left(x^2-1=2*x+3) \rightarrow x^2-1$
		windh 4	
		right	Right Side of Equation Syntax:
			right(Expr1=Expr2) or
			right(Real1Real2)
			Right Side
			Returns the right side of an equation or the right end of an interval.
			Example:
			$right(x^2-1=2*x+3) \rightarrow 2*x+3$
	Calculus		Calculus Menu
			The Calculus menu contains operations pertaining to limits, differentiation, and integration.
	diff		Differentiate
			Syntax:
			diff(Expr,[Var,[Order]])
			diff(Expr,[{Var1,Var2,},[Order]])
			Returns the derivative of an expression with respect to a given variable or list of variables. You can use the
			differentiation template in the Template menu as well.
			If Var or a list of variables is defined, a final parameter, Order, designates the order of the derivative to be found. Order defaults to 1.
			Examples:
			$diff(x^3-x) \rightarrow 3^*x^2-1$
			$diff(x^3-x,x,2) \rightarrow 6^*x$
			$diff(sin(x)-cos(y),x) \rightarrow cos(x)$
			$diff(sin(x)-cos(y),y) \rightarrow sin(y)$
			$diff(\sin(x)-\cos(y),\{x,y\}) \rightarrow [\cos(x)\sin(y)]$
			$diff(\sin(x)-\cos(y),\{x,y\},2) \rightarrow [[-\sin(x),0],[0,\cos(y)]]$
	limit		Syntax:
			limit(Expr,Var,Val, [Dir])  Petures the limit (2-sided or 1-sided) of the given expression as the given variable approaches a value
			Returns the limit (2-sided or 1-sided) of the given expression as the given variable approaches a value.
			The optional argument Dir indicates a two sided limit if 0, one sided from below if -1, and one sided from above if 1. If the fourth argument is not provided, the limit returned is bidirectional.
			Examples:
			$limit((n*tan(x)-tan(n*x))/(sin(n*x)-n*sin(x)),x,0) \rightarrow 2$
			$limit(sin(x)/(x^2-3*x),x,0) \rightarrow -1/3$
			$limit(exp(1/x),x,0,1) \rightarrow +\infty$
	int		Integrate
			Syntax:
			int(Expr,[Var],[Real1,Real2])
			Returns the integral of an expression.
			With one expression as argument, returns the indefinite integral with respect to x. With the optional second, third and fourth arguments you can specify the variable of integration and the bounds for a
			definite integral.
			Examples:
			$\inf(1/x) \to \ln(abs(x))$
			$\inf(\sin(x),x,0,\pi) \to 2$

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			$int(1/(1-x^4),x,2,3)) \rightarrow -1/4*(2*atan(2)+ln(3))+1/4*(2*atan(3)-ln(2)+ln(4))$
	series		Series Expansion
			Syntax:
			series(Expr,Var=Val,[Order],[Dir])
			Returns the series expansion of an expression in the vicinity of a given variable value. With the optional
			third and fourth arguments you can specify the order and direction of the series expansion. If no order is
			specified, the series returned is fifth order. The optional argument Dir is bidirectional if 0, one sided from below if -1, and one sided from above if 1. If no direction is specified, the series is bidirectional.
			Example:
			series( $(x^4+x+2)/(x^2+1), x=0,5$ ) $\rightarrow 2+x-2x^2-x^3+3x^4+x^5+x^6*$ order_size(x)
	sum		Summation
			Syntax:
			sum(Expr,Var,Real1,Real2,[Step])
			Returns the discrete sum of Expr with respect to the variable Var from Real1 to Real2.
			With only the first two arguments, returns the discrete antiderivative of the expression with respect to the variable.
			Examples:
			sum(n²,n,1,5) → 55
			sum(cos(n*x),n)
	Differential		Differential Menu
			This sub-menu contains specialized vector operations based on differentiation, such as curl and grad, as
			well as the Laplace and inverse Laplace transforms.
		curl	Rotational Curl
			Syntax:  curl([Expr1, Expr2, ExprN], [Var1, Var2, VarN])
			Returns the rotational curl of a vector field.
			curl([A,B,C],[x,y,z]) is defined to be [dC/dy-dB/dz,dA/dz-dC/dx,dB/dx-dA/dy].
			Example:
			$\operatorname{curl}([2^*x^*y,x^*z,y^*z],[x,y,z]) \to [z-x,0,z-2^*x]$
		divergence	Syntax:
		divergence	divergence([Expr1, Expr2, ExprN],[Var1, Var2, VarN])
			Returns the divergence of a vector field, defined by divergence([A,B,C],[x,y,z])=dA/dx+dB/dy+dC/dz.
			Example:
			$divergence([x^2+y,x+z+y,z^3+x^2],[x,y,z]) \rightarrow 2^*x+3^*z^2+1$
		grad	Gradient
			Syntax:
			grad(Expr, ListVars)  Returns the gradient of an expression.
			With a list of variables as second argument, returns the vector of partial derivatives.
			Example:
			grad( $2^{x}x^{2}y-x^{2}A_{3}[x,y,z]$ ) $\rightarrow [-z^{3}+4^{x}x^{4}y \ 2^{x}x^{2} \ -3^{x}x^{2}z^{2}]$
		hessian	Hessian Matrix
		The solution	Syntax:
			hessian(Expr,ListVar)
			Returns the Hessian matrix of an expression.
			Example:
			hessian( $2*x^2*y-x*z$ ,[x,y,z]) $\rightarrow$ [[ $4*y$ , $4*x$ ,-1],[ $4*x$ ,0,0],[-1,0,0]]
	Integral		Integral Menu
			This menu contains specialized operations based on integration, such as integration by parts.
		ibpdv	Integration By Parts v
		ιωράν	Syntax:
			ibpdv(f(Var), v(Var), [Var], [Real1], [Real2])
			Performs integration by parts of the expression $f(x)=u(x)*v'(x)$ , with $f(x)$ as the first argument and $v(x)$ (or
			0) as the second argument.
			Specifically, returns a vector whose first element is u(x)*v(x) and whose second element is v(x)*u'(x). With the optional third, fourth and fifth arguments you can specify a variable of integration and bounds of the
			integration. If no variable of integration is provided, it is taken as x.
			Examples:
			$ibpdv(ln(x),1) \rightarrow x*ln(x)-x$
		11	$ibpdv(ln(x),x) \rightarrow [x^*ln(x), -1]$
		ibpu	Integration By Parts u
			Syntax:
			ibpu(f(Var), u(Var), [Var], [Real1], [Real2])  Performs integration by parts of the expression f(v)=u(v)*v'(v), with f(v) as the first argument and u(v) (or
			Performs integration by parts of the expression $f(x)=u(x)*v'(x)$ , with $f(x)$ as the first argument and $u(x)$ (or 0) as the second argument.
			Specifically, it returns a vector whose first element is $u(x)*v(x)$ and whose second element is $v(x)*u'(x)$ .
			With the optional third, fourth and fifth arguments you can specify a variable of integration and bounds of
			the integration. If no variable of integration is provided, it is taken as x.
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	_		Example:
			$ibpu(x*In(x), x) \rightarrow [x*(x*In(x)-x), -x*In(x)+x]$
		preval	Syntax:
			preval(F(var),Real(a),Real(b),[Var])
			Returns F(b) – F(a).
			Examples:
			$\operatorname{preval}(x^2+x,2,3) \to 6$
			$preval(y^2-2,2,3,y) \rightarrow 5$
	Limits		Limits Menu
	Lillies		This sub-menu contains specialized operations involving limits, such as Taylor polynomials.
		taylor	Taylor Series Expansion
			Syntax:
			taylor(Expr,[Var=Value],[Order])
			Returns the Taylor series expansion of an expression at a point or at infinity (by default, at x=0 and with relative order=5).
			Examples:
			taylor( $\sin(x)/x, x=0$ ) $\rightarrow 1-(1/6)*x^2+(1/120)*x^4+x^6*$ order_size(x)
			taylor((x^4+x+2)/(x^2+1),x,5)
		divpc	Taylor of Quotient
		F :	Syntax:
			divpc(Poly1, Poly2, Integer)
			Returns the n-degree Taylor polynomial for the quotient of 2 polynomials.
			Example:
			divpc(x^4+x+2,x^2+1,5) $\rightarrow$ x <sup>5</sup> +3*x <sup>4</sup> -x <sup>3</sup> -2*x <sup>2</sup> +x+2, the 5th-degree polynomial
		sum_riemann	Riemann Sum
		Sum_nemann	Syntax:
			sum_riemann(Expr(Xpr),Lst(var1,var2))
			Returns in the neighborhood of n=+∞ an equivalent of the sum of Xpr(var1,var2) for var2 from var2=1 to
			var2=var1 when the sum is looked at as a Riemann sum associated with a continuous function defined on
			[0,1].
			Examples:
			$sum\_riemann(1/(n+k),[n,k]) \rightarrow ln(2)$
			sum_riemann(n/( $n^2+k^2$ ),[n,k]) $\rightarrow \pi/4$
	Transform		Transform Menu
			This menu contains Laplace and Fourier Transform commands.
		laplace	Laplace Transform
			Syntax:
			laplace(Expr,[Var],[LapVar])
			Returns the Laplace transform of an expression.
			Examples:
			$laplace(e^{\Lambda}(x)*sin(x)) \rightarrow 1/(x^2-2*x+2)$
			$laplace(sin(x)^2,x,s) \rightarrow 2/(s^3+4^*s)$
		invlaplace	Inverse Laplace Transform
			Syntax:
			invlaplace(Expr,[Var],[IlapVar])
			Returns the inverse Laplace transform of an expression.
			Example:
			invlaplace $(1/(x^2+1)^2) \rightarrow (-x/2)^*\cos(x)+(1/2)^*\sin(x)$
		fft	Fast Fourier Transform
			Syntax:
			fft(Vector) or
			fft(Vector, a, p)
			With one argument (a vector), returns the discrete Fourier transform in R.
			With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/pZ,
			with a primitive nth root of 1 (n=size(Vector)).
			Example:
			$fft([1,2,3,4,0,0,0,0]) \rightarrow [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.0*i,2.41421356237-1.01261868712*(i),-2.0+2.0*i,2.0*$
		:ttr	1.24264068712*i,-2.0,2.41421356237+1.24264068712*i,-2.0-2.0*i] Inverse Fast Fourier Transform
		ifft	Syntax:
			ifft(Vect)
			Returns the inverse discrete Fourier transform.
			Example:
			ifft([100.0,-52.2842712475+6*i,-8.0*i,4.28427124746-6*i,4.0,4.28427124746+6*i,8*i,-52.2842712475-6*i]) $\rightarrow$ [0.99999999999,3.999999999,10.0,20.0,25.0,24.0,16.0,-6.39843733552e-12]
Solve	·	•	Solve Menu
			The Solve menu contains the various commands for solving equations.
	solve		CAS solve
			Syntax:
' '			

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				solve(Expr,[Var] ) or solve({Eq1, Eq2,}, [Var]) or solve(Expr, Var=Guess) or solve(Expr, Var=Val1Val2)
				Returns a list of the solutions (real and complex) to a polynomial equation or a set of polynomial equations.
				The user is advised to supply a guess or define an interval in which to search for a solution to get the best results in cases where the solution is known to be approximate. To supply a guess, use the syntax Var=Guess. To supply an interval, use the syntax Var=Val1Val2. In the latter case, the search is confined to the closed interval [Val1, Val2].
				Examples:
				solve( $x^2-3=1$ ) $\rightarrow \{-2,2\}$
				$solve([x^2-y^2=0,x^2-z^2=0],[x,y,z]) \rightarrow \{[x,x,x],[x,-x,-x],[x,x,-x],[x,-x,x]\}$ $solve(x^2-(LN(x)+5)=0, x=2) \rightarrow 2.42617293082$
				solve(x^2-(LN(x)+5)=0, x=23) $\rightarrow$ 2.42617293082
		zeros		Syntax:
				zeros(Expr,[Var]) or zeros([Expr1, Expr2, Exprn}, {Var1, Var2, Varn})
				Returns the zeros (real or complex according to the CAS settings) of the expression Expr for the variable Var (or the matrix where the lines are the solutions of the system: Expr1=0, Expr2=0).
				Examples:
				$zeros([x^2-1,x^2-y^2],[x,y]) \to [[1,1],[1,-1],[-1,1]]$
		cSolve		zeros(x²+4) → [-2*i,2*i] if Use i is checked in CAS Settings and [] otherwise.  Complex Solve
				Syntax:
				cSolve(Expr,[Var])  Returns the solutions, including complex solutions, of Expr, for Var.
				If Expr is an expression, solves the equation Expr=0.
				Examples:
				cSolve( $x^4=1,x$ ) $\rightarrow$ {-1,i,1,-i} cSolve( $u^*v$ - $u$ = $v$ and $v^2$ = $u$ ,[ $u$ , $v$ ]) $\rightarrow$ {[0,0],[(1/2*( $v$ 5+1))^2,1/2*( $v$ 5+1)],[(1/2*( $v$ 5+1))^2,1/2*( $v$ 5+1)]}
		cZeros		Complex Zeros Syntax:
				cZeros(Expr,[Var]) or
				cZeros({Expr1, Expr2, ExprN}, {Vr1, Var2, VarN})  Returns the roots, including complex roots, of Expr (that is, the solution of Expr=0) or the matrix where
				the lines are the solutions of the system: Expr1=0, Expr2=0ExprN=0.  Examples:
				cZeros(x^4-1) $\rightarrow$ [1,-1, i, -i] cZeros([x²-1,x²-y²],[x,y])
		fsolve		Numerical Solve
				Syntax: fsolve(Expr,Var,[Guess or Interval],[Method])
				fsolve(Expr/var), [Guess or Interval], [Method])
				Returns the numerical solution of an equation or a system of equations.
				With the optional third argument you can specify a guess for the solution or an interval within which it is expected that the solution will occur.
				With the optional fourth argument you can name the iterative algorithm to be used by the solver. If you are solving for a single variable, your options are bisection_solver, newton_solver, or newtonj_solver. If
				solving for 2 variables, your only option is newton_solver.
				Examples:
				fsolve(cos(x)=x,x,-11) $\rightarrow$ [0.739085133215]
		desolve		$fsolve([x^2+y-2,x+y^2-2],[x,y],[0,0]) \rightarrow [1.,1.]$ Solve Differential Equation
				Syntax:
				desolve(Eq,[TimeVar],Var)  Returns the solution to a differential equation.
				Examples:
				$desolve(y''+y=0,y) \rightarrow G_0^*cos(x)+G_1^*sin(x)$ $desolve(y'''+y=0,y) \rightarrow G_0^*cos(x)+G_1^*sin(x)$
		odesolve		desolve((y"+y=sin(x)) and (y(0)=1) and (y'(0)=2),y)  ODE Solver
				Syntax:
				odesolve(Expr, VectVar, VectInit, FinalVal, [tstep=Val, curve])  Ordinary Differential Equation solver
				Solves an ordinary differential equation given by Expr, with variables declared in VectVar and initial
				conditions for those variables declared in VectInit. For example, odesolve( $f(t,y)$ ,[ $t,y$ ],[ $t,y$ ],[ $t,y$ ],[ $t,y$ ],[ $t,y$ ],[ $t,y$ ], for the variables t and y with initial conditions t=t0 and y=y0.
				Example: odesolve(sin(t*y),[t,y],[0,1],2) $\rightarrow$ [1.82241255674]
		linsolve		Linear System Solver
				Syntax:
				Page <b>102</b> of <b>239</b>

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			Given a vector of linear equations and a corresponding vector of variables, returns the solution to the
			system of linear equations.
			Example:
			linsolve([x+y+z=1,x-y=2,2*x-z=3],[x,y,z]) $\rightarrow$ [3/2,-1/2,0]
Rev	vrite		Rewrite Menu
			The Rewrite menu contains commands for rewriting or simplifying expressions by using a variety of means, including trigonometric identities, etc.
	Incollect		Collect Logarithms
			Syntax:
			Incollect(Expr)
			Rewrites an expression with the logarithms collected. Applies ln(a)+n*ln(b)=ln(a*b^n) where n is an
			integer.
			Example: $ \operatorname{Incollect}(\operatorname{In}(x)+2^*\operatorname{In}(y)) \rightarrow \operatorname{In}(x^*y^2)$
	nowownand		Power Expand
	powexpand		Syntax:
			powexpand(Expr)
			Rewrites an expression containing a power that is a sum or product as a product of powers. Applies
			a^(b+c)=(a^b)*(a^c).
			Example:
			$powexpand(2^{(x+y)}) \rightarrow (2^{x})^{*}(2^{y})$
	texpand		Transcendental Expand
			Syntax:
			texpand(Expr)
			Expands a transcendental expression; that is, an expression containing trigonometric, logarithmic, or exponential functions.
			texpand develops the expression in terms of sin(), cos(), ln(), and exp().
			Examples:
			$texpand(sin(2*x)+exp(x+y)) \rightarrow 2*cos(x)*sin(x)+e^{(x)}*e^{(y)}$
			texpand(cos(3*x))
	Exp and Log		This menu contains commands for converting expressions into equivalent expressions using various
		2	identities involving powers, logarithms, and exponents.  Syntax:
		exp2pow	exp2pow(Expr)
			Transforms an expression of the form $e^{(n*ln(x))}$ rewritten as a power of x. Applies $e^{(n*ln(x))=x^n}$ .
			Transforms an expression of the former (in max), rewritten as a power of x. Applies e (in max), -x.
			Example:
			$exp2pow(e^{\Lambda}(3*In(x))) \rightarrow x^3$
		pow2exp	Syntax:
			pow2exp(Expr)
			Returns an expression with powers rewritten as an exponential. Essentially the inverse of exp2pow.
			Example:
			$pow2exp(a^b) \rightarrow e^h(b^*ln(a))$
		exp2trig	Syntax:
			exp2trig(Expr)
			Returns an expression with complex exponentials rewritten in terms of sine and cosine.
			5.complex
			Example:
		avnavnas -l	exp2trig(exp(-i*x)) → cos(x)+ i*sin(x)  Expand Exponentials
		expexpand	Syntax:
			expexpand(Expr)
			Expands exponentials using the identity $e^{(a*f(x))}=e^{(f(x))^a}$ .
			Example:
			expexpand( $e^{(3*x)}$ ) $\rightarrow$ $(e^{x})^3$
	Sin to	l	This menu contains commands for converting expressions containing the inverse sine function into
			equivalent expressions containing other inverse trigonometric functions.
		asin2asas	Syntax:
		asin2acos	asin2acos(Expr)
			Replaces $arcsin(x)$ by $\pi/2$ - $arccos(x)$ in Expr.
			Example:
			$asin2acos(acos(x)+asin(x)) \rightarrow \pi/2-acos(x)+acos(x)$
		asin2atan	Syntax:
			asin2atan(Expr)
			Replaces $\arcsin(x)$ by $\arctan(x/V(1-x^2))$ in Expr.
			Examples:
		T. Control of the Con	10 10 10 10 10 10 10 10 10 10 10 10 10 1
			$asin2atan(2*asin(x)) \rightarrow 2*atan(x/(\sqrt{(1-x^2))})$
			$asin2atan(2^*asin(x)) \rightarrow 2^*atan(x/(v(1-x^*)))$ $asin2atan(asin(v(1-x^2))+asin(x))$
		sin2costan	

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			Rewrites Expr so that sin(x) is replaced by cos(x)*tan(x)	
			Example: $sin2costan(sin(x)) \rightarrow tan(x)*cos(x)$	
	Cos to		This menu contains commands for converting expressions containing the inverse cosine function into	
	C03 to		equivalent expressions containing other inverse trigonometric functions.	
		acos2asin	Syntax:	
			acos2asin(Expr)	
			Replaces $arccos(x)$ by $\pi/2$ - $arcsin(x)$ in the argument Expr.	
			Examples: $acos2asin(acos(x)+asin(x)) \rightarrow \pi/2-asin(x)+asin(x)$	
			acos2asin(2*acos(x))	
		acos2atan	Syntax:	
			acos2atan(Expr)	
			Replaces $\arccos(x)$ by $\pi/2$ - $\arctan(x/V(1-x^2))$ in the argument.	
			Examples:	
			$a\cos 2a tan(2*a\cos(x)) \rightarrow 2*(\pi/2-a tan(x/(V(1-x^2))))$	
		cos2sintan	acos2atan(acos(v(1-x²))+acos(x))  Syntax:	
		COSZSIIItaii	cos2sintan(Expr)	
			Replaces cos(x) by sin(x)/tan(x) in the argument.	
			Example:	
			$cos2sintan(cos(x)) \rightarrow sin(x)/tan(x)$	
	Tan to		This menu contains commands for converting expressions containing the inverse tangent function into	
			equivalent expressions containing other inverse trigonometric functions.	
		atan2asin	Syntax:	
			atan2asin(Expr)  Replaces arctan(x) by arcsin(x/V(1+x²)) in the argument Expr.	
			Example:	
			$atan2asin(atan(y/x) \rightarrow asin((y/x)/V(1+(y/x)^2))$	
		atan2acos	Syntax:	
			atan2acos(Expr)	
			Replaces arctan(x) by $\pi/2$ -arccos(x/V(1+x <sup>2</sup> )) in the argument.	
			Example: atan2acos(atan( $2*x$ ) $\rightarrow \pi/2$ -acos( $(2*x)/\sqrt{(1+(2*x)^2)}$ )	
		tanx → sinx/cosx	Syntax:	
		talix 7 silix/cosx	tan2sincos(Expr)	
			Rewrites Expr with tan(x) using sin(x)/cos(x)	
			Example:	
			$tan2sincos(tan(x)) \rightarrow sin(x)/cos(x)$	
		halftan	Syntax:	
			halftan(Expr)  Transforms sin(x), cos(x) and tan(x) as a function of tan(x/2).	
			Examples:	
			$halftan(sin(x)) \rightarrow (2*TAN(x/2))/((TAN(x/2))^2+1)$	
			$halftan(tan(x)) \rightarrow (2*TAN(x/2))/(-(TAN(x/2))^2+1)$	
	Trigonometry	y to	This menu contains commands for converting expressions containing the various transcendental functions into equivalent expressions containing other transcendental functions.	
		trigx → sinx	Syntax:	
			trigsin(Expr)	
			Returns an expression simplified using the formulas $\sin(x)^2 + \cos(x)^2 = 1$ and $\tan(x) = \sin(x)/\cos(x)$ . $\sin(x)$ is given precedence over $\cos(x)$ and $\tan(x)$ in the result.	
			Example:	
			$trigsin(cos(x)^4 + sin(x)^2) \rightarrow sin(x)^4 - sin(x)^2 + 1$	
		trigx → cosx	Syntax:	
			trigcos(Expr)  Potume an everyosian simplified using the formulas sin(v)2 and (v)2-1 and ton(v)-sin(v) (and v) and v).	
			Returns an expression simplified using the formulas $\sin(x)^2 + \cos(x)^2 = 1$ and $\tan(x) = \sin(x)/\cos(x)$ . $\cos(x)$ is given precedence over $\sin(x)$ and $\tan(x)$ in the result.	
			Example:	
			trigcos(sin(x)^4+sin(x)^2) $\rightarrow$ cos(x) <sup>4</sup> -3*cos(x) <sup>2</sup> +2	
		trigx → tanx	Syntax:	
			trigtan(Expr)  Returns an expression simplified using the formulas $\sin(x)^2 + \cos(x)^2 = 1$ and $\tan(x) = \sin(x)/\cos(x)$ . $\tan(x)$ is	
			given precedence over sin(x) and cos(x) in the result.	
			Example:	
		atrig 2 lp	trigtan(cos(x)^4+sin(x)^2) $\rightarrow$ (tan(x) <sup>4</sup> +tan(x) <sup>2</sup> +1)/(tan(x) <sup>4</sup> +2*tan(x) <sup>2</sup> +1) Syntax:	
		atrig2ln	atrig2ln(Expr)	
			Returns an expression with inverse trigonometric functions rewritten using the natural logarithm function.	

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1 1			Examples:
			$atrig2ln(atan(x)) \rightarrow 0.5*i*ln((x+i)/(-x+i))$
			$atrig2ln(acos(x)) \rightarrow -i*ln(x+V(x^2-1))$
		tlin	Syntax:
			tlin(Expr)
			Returns a trigonometric expression with the products and integer powers linearized
			Examples:
			$tlin(sin(x)^3) \rightarrow 3/4*sin(x)-1/4*sin(3.*x)$
			$tlin(cos(x)*cos(y)) \rightarrow 1/2*cos(x+y)+1/2*cos(x-y)$
		tcollect	Syntax:
			tcollect(Expr)
			Returns a trigonometric expression linearized and with any sine and cosine terms of the same angle collected together.
			Example: $tcollect(sin(x)+cos(x)) \rightarrow \sqrt{2*cos(x-1/4*\pi)}$
		trigexpand	Syntax:
			trigexpand(Expr)
			Returns a trigonometric expression in expanded form.
			Example:
			$trigexpand(sin(3*x)) \rightarrow (4*cos(x)^2-1)*sin(x)$
		trig2exp	Syntax:
			trig2exp(Expr)
			Returns an expression with trigonometric functions rewritten as complex exponentials (without
			linearization).
			Example:
-	1		$trig2exp(sin(x)) \rightarrow (e^{(i*x)-(1/e^{(i*x))})/(2*i)}$
In	iteger		Integer Menu  The Integer menu contains operations on integers
			The Integer menu contains operations on integers.
	idivis		Integer Divisors
			Syntax:
			idivis(Integer) or
			idivis({Intgr1, Intgr2, Intgrn})  Returns a list of all the factors of an integer or of a list of integers.
			Example:
			idivis(12) $\rightarrow$ [1, 2, 3, 4, 6, 12]
	ifactor		Integer Factors
	liactor		Syntax:
			ifactor(Integer)
			Returns the prime factorization of an integer as a product.
			Can be used with STO.
			Note: in some cases, factorization may fail. In these cases, the command will return the product of -1 and
			the opposite of the original input. The -1 indicates that factorization failed.
			Example:
			ifactor(150) $\rightarrow$ 2*3*5 <sup>2</sup>
	ifactors		Integer Factors List
	liactors		Syntax:
			ifactors(Integer)
			Similar to ifactor, but returns a list of the factors of the integer with their multiplicities.
			Example:
			ifactors(150) → [2, 1, 3, 1, 5, 2]
	igcd		Integer GCD
			Syntax:
			igcd(Intgr1, Intgr2, Intgrn))
			Returns the integer that is the greatest common divisor of two or more integers.
			Example:
	1		igcd(24,36) → 12
	lcm		Lowest Common Multiple Syntax:
			lcm(Intgr1, Intgr2,) or lcm(Poly1, Poly2,) or
			lcm(Rational1, Rational2,)
			Returns the lowest common multiple of two or more polynomials of several variables, or of two or more
			integers, or of two or more rationals.
			Examples:
			lcm(6,4) → 12
			$lcm(x^2-2*x+1,x^3-1) \rightarrow (x-1)*(x^3-1)$
	Prime		The Prime sub-menu contains operations related to prime numbers.
		isprime	Primality Test
			Syntax:
			D 40F - 65

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			isprime(Integer)
			Returns true if the integer is prime; otherwise, returns false.
			Examples:
			isprime(1999) $\rightarrow$ 1
			isprime(42) $\rightarrow$ 0
		ithprime	Ith Prime
			Syntax:
			ithprime(Integer)
			Given an integer n, returns the nth prime number, where n is between 1 and 200,000.
			Example:
			ithprime(5) $\rightarrow$ 11
		nextprime	Next Prime
			Syntax:
			nextprime(Integer)
			Returns the smallest prime number greater than the argument.
			Example:
			$nextprime(12) \to 13$
		prevprime	Previous Prime
			Syntax:
			prevprime(Integer)
			Returns the greatest prime number less than the argument.
			Example:
			$prevprime(11) \to 7$
		euler	Euler's Totient
			Syntax:
			euler(Integer);
			Euler's phi (or totient) function
			Takes a positive integer and returns the number of positive integers less than or equal to it that are
			coprime to it. Example:
			euler(6) $\rightarrow$ 2
	Division		The Division sub-menu contains operations related to integer division.
	Division	iquo	Integer Euclidian Quotient
		lquo	Syntax:
			iquo(Intgr1, Intgr2)
			Returns the integer quotient of the Euclidean division of two integers.
			Examples:
			iquo(148,5) → 29
			$iquo(25+12*i,5+7*i) \rightarrow 3-2*i$
		irem	Integer Euclidian Remainder
		l. c	Syntax:
			irem(Intgr1, Intgr2)
			Returns the integer remainder from the Euclidean division of two integers.
			Examples:
			irem(148,5) → 3
			$irem(25+12*i,5+7*i) \rightarrow -4+i$
		powmod	Integer Power and Modulo
			Syntax:
			powmod(a, n, p, [Expr, Var])
			For the integers a, n, and p, returns a <sup>n</sup> mod p.
			Examples:
			$powmod(5,2,13) \rightarrow 12$
			powmod(x+1,452,19,x^4+x+1,x) $\rightarrow$ 6*x^3+5*x^2-7*x-7
		ichinrem	Integer Chinese Remainder
			Syntax:
			ichinrem([a,p],[b,q]))
			Integer Chinese Remainder Theorem for two equations. Takes two lists [a, p] and [b, q] and returns a list
			of two integers, [r, n], such that x≡r mod n. In this case, x is such that x≡a mod p and x≡b mod q; also,
			n=p*q.
			Example:
Del	vnomial		ichinrem([2,7],[3,5]) → [23,35]  Polynomial Menu
	ynomial		The Polynomial sub-menu contains commands related to polynomials.
	prost		Polynomial Roots
	proot		Syntax:
			proot(Poly) or proot(Vector)
			Returns all computed roots of a polynomial given by its coefficients (may not work if roots are not simple).
			Examples:
			$proot([1,0,-2]) \rightarrow [-1.41421356237,1.41421356237]$
	•		Page <b>106</b> of <b>2</b> 3

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11276 1361631	1		proot([1,2,-25,-26,120]) → [-5.,-3.,2.,4.]
	coeff		Coefficients of Polynomial
	COGII		Syntax:
			coeff(Expr, [Var], [Integer])
			Returns the list of coefficients of a polynomial with respect to the second argument or the coefficient of the term whose degree is Integer.
			Examples:
			$coeff(x^3+2) \rightarrow [1,0,0,2]$
			coeff(2*y²-3,y,0) → -3
	divis		Polynomial Divisors
			Syntax:
			divis(Poly) or
			divis({Poly1, Poly2,Polyn})
			Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.
			Example:
			$divis(x^2-1) \to [1,x-1,x+1,(x+1)^*(x-1)]$
	factors		Polynomial Factor List
			Syntax:
			factors(Poly) or
			factors({Poly1, Poly2,, Polyn})
			Returns the list of prime factors of a polynomial; each factor followed by its multiplicity.
			Examples:
			factors( $x^4-1$ ) $\rightarrow$ [ $x-1,1,x+1,1,x^2+1,1$ ]
			factors( $[x^2, x^2-1]$ )
	gcd		Greatest Common Divisor
			Syntax:
			gcd(Poly1, Poly2,Polyn) or
			gcd(Intgr1, Intgr2,Intgrn)
			Returns the greatest common divisor of two or more polynomials or the greatest common divisor of two
			or more integers.
			Examples:
			$gcd(x^2-4,x^2-5*x+6) \to x-2$
			gcd(45,30) → 15
	Create		This sub-menu contains commands for creating polynomials, either randomly or with specific properties.
		symb2poly	Polynomial to Coefficients
			Syntax:
			symb2poly(Expr,[Var]) or
			symb2poly(Expr, {Var1, Var2, Varn})
			Given a polynomial, returns a vector containing the coefficients of the polynomial. With a variable as
			second argument, returns the coefficients of a polynomial with respect to the variable. With a list of
			variables as the second argument, returns the internal format of the polynomial. Essentially the inverse of
			poly2symb().
			Examples:
			$symb2poly((x+2)*x+3) \rightarrow [1,2,3]$
			symb2poly $(3*x*y+2*y+1,x,y) \rightarrow [[3,0],[2,1]]$
			symb2poly( $3*x*y+2*y+1,y,x$ ) $\rightarrow$ [[3,2],1]
			symb2poly( $3*x*y+2*y+1,(y,x)$ ) $\rightarrow$ %%%{3,[1,1]%%}+%%%{2,[1,0]%%%}+%%%{1,[0,0]%%%}
		poly2symb	Coefficients to Polynomial
		Polyzayillo	Syntax:
			poly2symb(Vector,[Var])  With an exercise as a returns a polynomial in whith an efficients (in degreesing order) obtained
			With one vector as argument, returns a polynomial in x with coefficients (in decreasing order) obtained from the argument vector. With a variable as second argument, returns a similar polynomial in that
			from the argument vector. With a variable as second argument, returns a similar polynomial in that variable.
			Examples:
			$poly2symb([1,2,3]) \rightarrow x^*(x+2)+3$
			poly2symb([1,2,-1], $\gamma$ ) $\rightarrow$ $\chi$ ( $\chi$ +2)-1
			$poly2symb([1,2,3],x=2) \rightarrow x^*(x+2)+3=11$
		pcoeff	Roots to Coefficients
			Syntax:
			pcoeff(Vector) or pcoeff(List)
			Given a list or vector containing the roots of a polynomial, returns a vector containing the coefficients (in
			decreasing order) of the univariate polynomial having those roots.
			Evamples
			Examples:
			$pcoeff(\{1,0,0,0,1\}) \to [1,-2,1,0,0,0]$
			$pcoeff([1,0,-2]) \rightarrow [1,1,-2,0]$
		fcoeff	Roots to Polynomial
			Syntax:
			fcoeff([Root1, Order1, Root2, Order2,, Rootn, Ordern])
	*	•	•

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			Returns the polynomial described by a list of roots, each followed by its order.
			Example:
			fcoeff([1,2,0,1,3,-1]) $\rightarrow x^*(x-1)^2/(x-3)$
		randpoly	Random Polynomial
			Syntax:
			randpoly([Var], Integer, [Interval, Dist])
			Returns a vector of coefficients of a polynomial of variable Var (or x), of degree Integer and where the coefficients are random integers in the range -99 through 99 with uniform distribution or in an interval
			specified by Interval.
			Example:
			randpoly(t,8,-11) returns a vector of 9 random integers, all of them between -1 and 1.
		pmin	Minimal Polynomial
			Syntax:
			pmin(Matrix,[Var])
			With only a matrix as argument, returns the minimal polynomial in x of a matrix written as a list of its
			coefficients. With a matrix and a variable as arguments, returns the minimum polynomial of the matrix written in symbolic form with respect to the variable.
			Example:
			pmin([[1,0],[0,1]],x) → x-1
	Algebra		Among other operations, this menu contains the polynomial equivalents of some of the commands found in the Integer menu.
		quo	Quotient
		l'	Syntax:
			quo(List1, List2, [Var]) or quo(Poly1, Poly2, [Var])
			Returns a vector containing the coefficients of the Euclidean quotient of two polynomials. The
			polynomials may be written as a list of coefficients or in symbolic form.
			Examples:
			$quo([1,2,3,4],[-1,2]) \rightarrow poly1[-1,-4,-11]$
			quo(t^3+2t^2+3t+4,-t+2,t)
		rem	Remainder
			Syntax:
			rem(Poly1, Poly2, [Var]) or
			rem(List1, List2, [Var])
			Returns a vector containing the coefficients of the remainder of the Euclidean quotient of two polynomials. The polynomials may be written as a list of coefficients or in symbolic form.
			Examples:
			$rem(x^3+2x^2+3x+4,-x+2) \rightarrow 26$
			$rem([1,2,3,4],[-1,2]) \rightarrow [26]$
		degree	Degree of Polynomial
			Syntax:
			degree(Poly)
			Returns the degree of a polynomial.  Examples:
			$degree(x^3+x) \rightarrow 3$
			$degree([1,0,1,0]) \rightarrow 3$
		factor_xn	Factor by Degree
			Syntax:
			factor_xn(Poly)
			For a given polynomial in x of degree n, factors out x <sup>n</sup> and returns the resulting product.
			Examples:
			$factor_xn(x^4-1) \rightarrow x^4*(1-x^4)$
			factor_xn(x^4+12*x^3+54*x^2+108*x+81)
		content	Coefficient GCD
			Syntax:
			content(Poly,[Var])
			Returns the greatest common divisor (GCD) of the coefficients of a polynomial.
			Example:
		atoma at	$content(2*x^2+10*x+6) \rightarrow 2$
		sturmab	Zero Count Syntax:
			sturmab(Poly,[Var,Interval)
			If Interval real, this returns the number of sign changes in the specified polynomial in the interval. If the
			interval is complex, it returns the number of complex roots in the rectangle bounded by the interval. If Var
			is omitted, it is assumed to be x.
			Examples: $sturmab(x^3-1,x,-2-i,5+3i) \rightarrow 3$
			$sturmab(x^{-3}-1,x,-2-1,3+31) \rightarrow 3$ $sturmab(x^{-3}-1,x,-2,5) \rightarrow 1$
		chinrem	Chinese Remainder
			Syntax:
1 1	1	1	Page 108 of 2:

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Given a vector of polynomials and a vector of variables, returns the Groebner basis of the ideal spanned by the set of polynomials.  Example: ghavior(***)*********************************				,
by the set of polynomials. Eample: gbasis[is**y=3;x*y=1]s(pl) > [s*y+x*2;y*2*x]  greduce  Greeber Remainder  Greeber Remainder  Greeber Remainder  Syrtax: greduce(Polv1, [Polv2, Polv3,], [Var1, Var2,])  Give a polynomial and both a vector of polynomials and a vector of variables, returns the remainder of the division of the polynomial both a vector of polynomials.  Example: greduce(**y=1, [s*y+7, **y**, *y*, *y*, *y*, *y*, *y*, *y*,				
greduce  Groebner Remainder Syntiac: greduce(Pay-I, [Pay-2, Pay-3,], [Vav1, Var2,]) Given a polynomial but both a vector of polynomials and a vector of variables, returns the remainder of the division of the polynomial by the Groebner basis of the vector of polynomials.  Examples: greduce(a***y-1,0***y**2***x**y**y**31,0*x ) - 1/2/2**y*-1 greduce(a***y-1,0***y**2**x**y**y**31,0*x ) - 1/2/2**y*-1 greduce(a***y-1,0***y**2**x**y**y**33,0*x ) - 1/2/2**y*-1 greduce(a***y-1,0***y**2**x**y**y**33,0*x ) - 1/2/2**y*-1 greduce(a***y**1,0***y**2**x**y**y**33,0*x ) - 1/2/2**y*-1 greduce(a***y**1,0***y**2**x**y**y**33,0*x ) - 1/2/2**y*-1 greduce(a***y**1,0***y**2**x**y**y**33,0*x ) - 1/2/2**y*-1 greduce(a***y**1,0***y**1,0*x ) - 1/2/2**x**x**y**1,0*x -1/2**x**x**y**1,0*x -1/2**x**x**y**x**x**y**x**x**x**x**x**x**x*				by the set of polynomials.
greduce    Growborn's feminister   Syntax:   greduce(Polys, [Poly2, Poly3,], [Vars, Vars2,]]   Given a polynomial and both a vector of polynomials and a vector of polynomials.   Grown a polynomial public relation basis of the vector of polynomials.   Examples:   greduce(x1*x2*), [x3*x2*, x3*x3*, x1*x2*x3], [x1,x2,x3]] → x2   hermite   Internite Polynomial   Syntax:   hermite   Internite Polynomial   Syntax:   hermite   Polynomial   Syntax:   hermite   Internite   Polynomial   Syntax:   hermite   Internite   Polynomial   Syntax:   lagrange   Lagrange   L				Example:
Syntax: greduce(n/v)-1, [no/v, Poly3,], [var., var2,]) Given a polynomial and both a vector of polynomials and a vector of variables, returns the remainder of the deviation of the polynomial but the Greebere basis of the vector of polynomials.  Examples: greduce(n*v-1, [x**, *2**, ***, ***, ***, ***, ***, ***,				gbasis([ $x^2$ - $y^3$ , $x$ + $y^2$ ],[ $x$ , $y$ ]) $\rightarrow$ [ $x^*y$ + $x^2$ 2, $y^2$ 2+ $x$ ]
greduce(Poly_I_(Poly_Poly_Poly_Poly_Poly_I_Var_I_Var_I_Var_I_I)  Given a polynomial and both a vector of polynomials and a vector of variables, returns the remainder of the division of the working of the polynomials of the Greener basis of the vector of polynomials.  Example: greduce(x\frac{1}{2}\frac{1}{2			greduce	
Given a polynomial and both a vector of polynomials and avector of variables, returns the remainder of the division of the polynomial by the Groebone basis of the vector of polynomials.  Examples:  greduce(a**\p-1;\k^2*\p^2*\p^4*\p^4;\hat*\p^4;\hat*\p^3;\lambda(\kappa) \rightarrow \limbda(\kappa) \rightarrow \rightarrow \rightarrow \limbda(\kappa) \rightarrow \rightar				
the division of the polynomial by the Groebner basis of the vector of polynomials.  Examples: greduce(x**\tan\tan\tan\tan\tan\tan\tan\tan\tan\tan				
Examples: greduce(x*y-1,(x**y*2*x*y*3*y*3),(xy)) → (1/2)*y*-1 greduce(x*y-1,(x**y*2*x*y*3*y*3),(xy)) → (1/2)*y*-1 greduce(x*x-1,(x**y*2*x*y*3*x*1*x2*x3),(x1,x2,x3)) → x2  hermite  Hermite Polynomial Syntax: hermite(integer) Returns the Hermite polynomial of degree n, where n is an integer less than 1558. Example: hermite(3) → 8*x*-12*x  Iagrange Polynomial Syntax: lagrange(Natris) Given a vector of abscissos and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors. This function can also take a marker as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n 1 such that P(Al)=yk, for k=0, 1, 2xmple: lagrange([1,3],[0,1]) → (1/2)*(x, 1)  Laguerre Polynomial Syntax: lagrange([1,3],[0,1]) → (1/2)*(x, 1)  laguerre  Laguerre polynomial Syntax: lagrange([1,3],[0,3]) → (1/2)*(x, 1)  legendre (lenger) Given an integer n, returns the Laguerre polynomial of degree n. Example: lagrange([1,3],[0,3]) → (1/2)*(x, 1)  legendre([nteger) Given an integer n, returns the legendre polynomial of degree n. Example: legendre([1,3] → (3/2*x*2*1/2*x*2*3/2**2*x*1  legendre([1,4] → (3/4*x*2*3/8)  III_reduce  LLR exclution Syntax: lig-reduce(Matrix) Implementation of the Lenstra-Lenstra-Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable north with integer coefficients. Returns (S, A, L, O) such that:  1 the rows of S is a short basis to the basis defined by the rows of M (A*M=5)				
greduce(x**y-1,1x**q**z*x**pv*y*y*3)(x;y) → (1/2**q**1 greduce(x**x*1,2*q**2*x*2*x*2*x*2*x*2*x*3)(x,1;2,2;3) → x2  hermite  Hermite Polynomial Syntax: hermite(integer) Returns the Hermite polynomial of degree n, where n is an integer less than 1556. Example: hermite(3) → 5**-12*x  lagrange  Lagrange Polynomial Syntax: lagrange(Natrix) Given a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors. This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1, -y n-1. Example: lagrange([[1,3],0,1]] → (1/2)*(**1)  laguerre  Laguerre Polynomial Syntax: laguerre([1,3],0,1]] → (1/2)*(**1)  Laguerre Polynomial Syntax: laguerre([1,3],0,3] → (1/2)*(**1)  Laguerre Polynomial Syntax: laguerre([2,3],0,3] → (1/2)*(**1)  Legendre Polynomial Syntax: legendre([nteger]) Given an integer n, returns the Laguerre polynomial of degree n. Example: laguerre([3,3],0,3] → (1/2)*(**1)  Legendre Polynomial Syntax: legendre([nteger]) Given an integer n, returns the Legendre polynomial of degree n. Example: laguerre([3,3],0,3] → (1/2)*(**1)  Legendre Polynomial Syntax: lil_reduce  Lil_Reduction Syntax: lil_reduce([4] → 35/8*x^4-15/4*x^2+3/8  Iil_reduce Suntax Syntax S				the division of the polynomial by the dioestici basis of the vector of polynomials.
preduce(x1*x3*[x3-3-x3-x2*x2*x3-x3*;x1+x2+x3][x1,x2,x3]] → x2     hermite				Examples:
Hermite				greduce(x*y-1,{x²-y²,2*x*y-y²,y^3},{x,y}) $\rightarrow$ (1/2)*y²-1
Syntax:  hermite[integer]  Returns the Hermite polynomial of degree n, where n is an integer less than 1556.  Esample: hermite[3] > 8**-12*x  lagrange   Lagrange Polynomial Syntax: lagrange[Matrix]   Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors.  This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1, n-1.  Example: lagrange([[1,3],[0,1]]) > (1/2)*(x-1)  Laguerre Polynomial Syntax: laguerre(integer) Given an integer n, returns the Laguerre polynomial of degree n. Example: laguerre(2) > -3 **1/2* a^2+1/2* a^2+3/2* a-2* x+1  legendre   Legendre Polynomial Syntax: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, re				greduce( $x1^{2*}x3^{2}$ ,[ $x3^{3-1}$ ,- $x2^{2-x}2^{2}x3^{2}$ , $x1+x2+x3$ ],[ $x1,x2,x3$ ]) $\rightarrow x2$
hermite(Integer) Returns the Hermite polynomial of degree n, where n is an integer less than 1556. Example: hermite(3) => 8**-1.2**x  lagrange  Lagrange Polynomial Syntax: lagrange([X1, X2, Xn], [Y1, Y2, Yn]) or lagrange we will be a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors. This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(M)=yK, for k=0, 1,, n-1. Example: laguerre laguerre polynomial Syntax: laguerre(niteger) Given an integer n, returns the Laguerre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the tegendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the tegendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the tegendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the tegendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the tegendre polynomial of degree n. Example: legendre(Integer) Given an integer n, returns the tegendre polynomial of degr			hermite	Hermite Polynomial
Returns the Hermite polynomial of degree n, where n is an integer less than 1556.  Example: hermite(3) = 8**-12**x  lagrange  Lagrange Polynomial Syntax: lagrange([N1, X2,, Xn], [Y1, Y2,, Yn]) or lagrange(Matrix) Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors. This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,, n-1. Example: lagrange([[1,3],[0,1]]) ÷ (1/2)*(x-1)  laguerre  Laguerre Polynomial Syntax: laguerre(niteger) Given an integer n, returns the Laguerre polynomial of degree n. Example: laguerre(2) ÷ -a*x+1/2*a*2*1/2*x^2*3/2*a-2*x+1  legendre  Legendre Polynomial Syntax: legendre(integer) Given an integer n, returns the Laguerre polynomial of degree n. Example: legendre(14) ÷ 35/8*x^4-15/4*x^2*3/8  III_reduce  III_reduce  LILR Reduction Syntax: III_reduce(Matrix) Implementation of the Lenstra—Loxász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients. Returns (S, A, L, O) such that: • the rows of S is a short basis to the basis defined by the rows of M(A*M=5)				Syntax:
Example: hermite(3) → 8*x³-12*x  Lagrange Polynomial Syntax: lagrange([X1, X2,, Xn], [Y1, Y2,, Yn]) or lagrange([Matrix) Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors. This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,, n-1. Example: lagrange([[1,3],[0,1]]) → (1/2)*(x-1)  laguerre  Laguerre Polynomial Syntax: laguerre(integer) Given an integer n, returns the Laguerre polynomial of degree n. Example: laguerre(2) → a*x+1/2*a*a*2+1/2*x*a*2+3/2*a*a*2*x+1  legendre  Legendre Polynomial Syntax: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(nteger) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(a) → 35/8*x*4-15/4*x*2+3/8  III_reduce  III_reduce  III_reduce(Matrix) Implementation of the Lenstra-Lenstra-Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients. Returns (S, A, L, O) such that:  • the rows of S is a short basis of the Z-module generated by the rows of M(A*M=S)				hermite(Integer)
lagrange  Lagrange Polynomial Syntax:  lagrange([Matrix))  Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors.  This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,, n-1.  Example:  lagrange([[1,3],[0,1]]) → {1/2}*(x-1)  Laguerre Polynomial Syntax:  laguerre(integer) Given an integer n, returns the Laguerre polynomial of degree n.  Example:  laguerre(2) → a*x+1/2*a*2+1/2*x*2+3/2*a*2*x+1  legendre  Legendre Polynomial Syntax:  legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n.  Example:  legendre(1) → 35/8*x*4-15/4*x*2+3/8  III_reduce  III_reduce Matrix)  Implementation of the Lenstra—Lonstra—Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.  Returns (S, A, L, O) such that:  • the rows of 5 is a short basis of the Z-module generated by the rows of M(A*M=5)				
Lagrange   Lagrange Polynomial   Syntax:   lagrange([X1, X2, Xn], [Y1, Y2, Yn]) or   lagrange([X1, X2, Xn], [Y1, Y2, Yn]) or   lagrange([Matrix)   Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors.   This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0,1,,n-1   Example:   laguerre Polynomial   Syntax:   laguerre Polynomial   Syntax:   laguerre([1,3],[0,1]]) -> (1/2)*(x-1)     (i) =				
Syntax:  lagrange[(X1, X2, Xn], [Y1, V2, Yn]) or lagrange[(Matrix)  Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors.  This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,,n-1. Example: lagrange[([1,3],0,1]]) -> (1/2)*(x-1)  laguerre  Laguerre Polynomial Syntax: laguerre(lnteger) Given an integer n, returns the Laguerre polynomial of degree n. Example: laguerre(2) -> -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1  legendre  Legendre Polynomial Syntax: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(4) -> 35/8*x^4-15/4*x^2+3/8  III_reduce  LLL Reduction Syntax: III_reduce(Matrix) III_reduce(Matrix				• •
lagrange([X1, X2, Xn], [Y1, Y2, Yn]) or   lagrange([Matrix)     Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors.   This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,, n-1.   Example:   lagrange([[1,3],[0,1]]) → (1/2)*(x-1)     Laguerre Polynomial Syntax:   laguerre(integer)     Given an integer n, returns the Laguerre polynomial of degree n.   Example:   laguerre(2) → -a*x+1/2*a*2±1/2*a*2±x+1     Legendre Polynomial Syntax:   legendre([nteger)     Given an integer n, returns the Legendre polynomial of degree n.   Example:   legendre( nteger)     Given an integer n, returns the Legendre polynomial of degree n.   Example:   legendre( a) ⇒ 35/8*x^4-15/4*x^2±3/8     III_reduce( Matrix)     Implementation of the Lenstra-Lenstra-Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.   Returns (S, A, L) of such that:     • the rows of 5 is a short basis of the Z-module generated by the rows of M (A*M=5)			lagrange	
lagrange(Matrix)   Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors. This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,, n-1.   Example:   lagrange([[1,3,],0,1]]) > (1/2)*(x-1)   laguerre   laguerre Polynomial Syntax:   laguerre(integer)   Given an integer n, returns the Laguerre polynomial of degree n.   Example:   laguerre(2) > -a*x+1/2*a*a*2+1/2*x*2+3/2*a-2*x+1   legendre   Legendre Polynomial   Syntax:   legendre(Integer)   Given an integer n, returns the Legendre polynomial of degree n.   Example:   legendre(Integer)   Given an integer n, returns the Legendre polynomial of degree n.   Example:   legendre(Integer)   Given an integer n, returns the Legendre polynomial of degree n.   Example:   legendre(4) > 35/8*x^4-15/4*x^2+3/8   III_reduce   LLL Reduction   Syntax:   II_reduce(Matrix)   Implementation of the Lenstra-Lenstra-Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer conficiency.   Returns (5, A, L, O) such that:   the rows of Si a a short basis of the Z-module generated by the rows of M   A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				i i
Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points specified in the two vectors.  This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,, n-1.  Example:  lagrange([[1,3],[0,1]]) > (1/2)*(x-1)  laguerre  Laguerre Polynomial Syntax:  laguerre(integer) Given an integer n, returns the Laguerre polynomial of degree n.  Example:  laguerre(2) → a*x+1/2*a*2+1/2*x*2+3/2*a-2*x+1  legendre  Legendre Polynomial Syntax:  legendre(integer) Given an integer n, returns the Legendre polynomial of degree n.  Example:  legendre(integer) Given an integer n, returns the Legendre polynomial of degree n.  Example:  legendre(integer) Given an integer n, returns the Legendre polynomial of degree n.  Example:  legendre(a) → 35/8*x*4-15/4*x*2+3/8  III_reduce  LLL Reduction Syntax:  III_reduce  LLL Reduction Syntax:  III_reduce(Matrix) Implementation of the Lenstra—Lenstra—Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.  Returns (S, A, L, O) such that:  * the rows of S is a short basis of the Z-module generated by the rows of M  * A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
specified in the two vectors.  This function can also take a matrix as argument, with the first row containing the abscissas and the second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,, n-1.  Example:  lagrange([[1,3],[0,1]]) → (1/2)*(x-1)  laguerre  Laguerre Polynomial  Syntax:  laguerre(lnteger)  Given an integer n, returns the Laguerre polynomial of degree n.  Example:  laguerre(2) → -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1  legendre  Legendre Polynomial  Syntax:  legendre(integer)  Given an integer n, returns the Legendre polynomial of degree n.  Example:  legendre(integer)  Given an integer n, returns the Legendre polynomial of degree n.  Example:  legendre(4) → 35/8*x^4-15/4*x^2+3/8  III_reduce  III_reduce  III_reduce(Matrix)  Implementation of the Lenstra—Lenstra—Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.  Returns (S, A, L, O) such that:  • the rows of S is a short basis of the 2-module generated by the rows of M  • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0,1,,n-1. Example: lagrange([[1,3],[0,1]]) \rightarrow (1/2)*(x-1)  laguerre  Laguerre Polynomial Syntax: laguerre(Integer) Given an integer n, returns the Laguerre polynomial of degree n. Example: laguerre(2) \rightarrow -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1  legendre  Legendre Polynomial Syntax: legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(1) \rightarrow 35/8*x^4-15/4*x^2+3/8  III_reduce  III_reduce  III_reduce(Matrix) Implementation of the Lenstra-Lenstra-Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients. Returns (S, A, L, O) such that: • the rows of S is a short basis of the Z-module generated by the rows of M • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
Laguerre				
Example:  agrange([[1,3],[0,1]]) → (1/2)*(x-1)  aguerre				
laguerre  Laguerre Polynomial Syntax: laguerre(Integer) Given an integer n, returns the Laguerre polynomial of degree n. Example: laguerre(2) → -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1  legendre  Legendre Polynomial Syntax: legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n. Example: legendre(4) → 35/8*x^4-15/4*x^2+3/8  III_reduce  LLL Reduction Syntax: III_reduce(Matrix) Implementation of the Lenstra—Lenstra—Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients. Returns (S, A, L, O) such that: • the rows of S is a short basis of the Z-module generated by the rows of M • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				· ·
Syntax:   laguerre(Integer)   Given an integer n, returns the Laguerre polynomial of degree n.   Example:   laguerre(2) → -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1   legendre				lagrange([[1,3],[0,1]]) $\rightarrow$ (1/2)*(x-1)
laguerre(Integer)   Given an integer n, returns the Laguerre polynomial of degree n.     Example:   laguerre(2) → -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1     Legendre			laguerre	Laguerre Polynomial
Given an integer n, returns the Laguerre polynomial of degree n.  Example:   laguerre(2) → -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1   legendre				Syntax:
Example:  laguerre(2) → -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1  legendre     Legendre Polynomial     Syntax:     legendre(Integer)     Given an integer n, returns the Legendre polynomial of degree n.   Example:     legendre(4) → 35/8*x^4-15/4*x^2+3/8   III_reduce     LLL Reduction     Syntax:     III_reduce(Matrix)     Implementation of the Lenstra-Lenstra-Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.   Returns (S, A, L, O) such that:   • the rows of S is a short basis of the Z-module generated by the rows of M     • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				laguerre(Integer)
laguerre(2) → -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1     legendre				Given an integer n, returns the Laguerre polynomial of degree n.
Legendre   Legendre Polynomial   Syntax:   legendre(Integer)   Given an integer n, returns the Legendre polynomial of degree n.   Example:   legendre(4) → 35/8*x^4-15/4*x^2+3/8     III_reduce   LLL Reduction   Syntax:   III_reduce(Matrix)   Implementation of the Lenstra—Lenstra—Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.   Returns (S, A, L, O) such that:   • the rows of S is a short basis of the Z-module generated by the rows of M   • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				· ·
Syntax:  legendre(Integer)   Given an integer n, returns the Legendre polynomial of degree n.   Example:  legendre(4) → 35/8*x^4-15/4*x^2+3/8    III_reduce				
legendre(Integer) Given an integer n, returns the Legendre polynomial of degree n.  Example: legendre(4) → 35/8*x^4-15/4*x^2+3/8  III_reduce  LLL Reduction Syntax: III_reduce(Matrix) Implementation of the Lenstra-Lenstra-Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients. Returns (S, A, L, O) such that:  • the rows of S is a short basis of the Z-module generated by the rows of M • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)			legendre	
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legendre(4) → 35/8*x^4-15/4*x^2+3/8  III_reduce  LLL Reduction  Syntax:  III_reduce(Matrix)  Implementation of the Lenstra–Lenstra–Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.  Returns (S, A, L, O) such that:  • the rows of S is a short basis of the Z-module generated by the rows of M  • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
LLL Reduction  Syntax:  III_reduce(Matrix)  Implementation of the Lenstra–Lenstra–Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.  Returns (S, A, L, O) such that:  • the rows of S is a short basis of the Z-module generated by the rows of M  • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
Syntax:			III. roduco	
Ill_reduce(Matrix) Implementation of the Lenstra—Lenstra—Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients. Returns (S, A, L, O) such that:  • the rows of S is a short basis of the Z-module generated by the rows of M  • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)			m_reduce	
Implementation of the Lenstra–Lenstra–Lovász (LLL) lattice basis reduction algorithm. Takes as argument an invertable matrix with integer coefficients.  Returns (S, A, L, O) such that:  • the rows of S is a short basis of the Z-module generated by the rows of M  • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
Returns (S, A, L, O) such that:  • the rows of S is a short basis of the Z-module generated by the rows of M  • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
• the rows of S is a short basis of the Z-module generated by the rows of M     • A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				an invertable matrix with integer coefficients.
• A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)				
• L is a lower triangular matrix and the modulus of it's non diagonal coefficients are less than 1/2				• A is the change-or-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)
				• L is a lower triangular matrix and the modulus of it's non diagonal coefficients are less than 1/2

Help To	nice Tr	PP	13217	Help Text
Help 10	וו באוקי		1521/	O is a matrix with orthogonal rows such that L * O = S
				Example:
				III_reduce([[1234,3452,4521],[3425,2241,1543],[5643,3425,8721]])
			non	No Operation
			nop	The no-operation CAS function. On evaluation, no operation will happen.
				This function can be useful for some advanced use cases in CAS function programming.
				This falled on carrier a social for some advanced ase states in one falled on programming.
			tchebyshev1	Chebyshev Tn
				Syntax:
				tchebyshev1(Integer)
				Returns the nth Tchebyshev polynomial of the first kind.
				Example:
				$tchebyshev1(3) \rightarrow 4*x^3-3*x$
			tchebyshev2	Chebyshev Un
				Syntax:
				tchebyshev2(Integer)
				Returns the nth Tchebyshev polynomial of the second kind.
				Example:
				tchebyshev2(3) $\rightarrow$ 8*x <sup>3</sup> -4*x
		gcd		Greatest Common Divisor
				Syntax:
				gcd(Poly1, Poly2) or
				gcd(Integer1, Integer2)
				Returns the greatest common divisor of 2 polynomials of several variables. Can also be used as integer
				gcd. Examples:
				gcd( $x^2$ -4, $x^2$ -5* $x$ +6) $\rightarrow$ $x$ -2
				$gcd(x^{-4}, x^{-5}, x+6) \rightarrow x-2$ $gcd(45,30) \rightarrow 15$
		ic cycle		is_cycle Function
		is_cycle		Syntax:
				is_cycle(list)
				Tests whether or not list is a cycle. Returns 1 if it is, and 0 otherwise.
				Examples:
				is_cycle([2,1,3,5]) $\rightarrow$ 1
				$is\_cycle([2,0,3,2]) \rightarrow 0$
		ic normu		is_permu Function
		is_permu		Syntax:
				is_permu(list)
				Tests whether or not list is a permutation. Returns 1 if it is, and 0 otherwise.
				Examples:
				is_permu([3,1,5,4,2]) $\rightarrow$ 1
				$is_permu([3,1,5,4]) \rightarrow 0$
		groupormu		Syntax:
		groupermu		groupermu(permutation1,permutation2)
				Returns the group of permutations generated by permutation1 and permutation2.
				Example:
				groupermu([2,1],[2,3,1])
		Icm		Lowest Common Multiple
		10111		Syntax:
				lcm(Intgr1, Intgr2,) or
				lcm(Poly1, Poly2,) or
				lcm(Rational1, Rational2,)
				Returns the lowest common multiple of two or more polynomials of several variables, or of two or more
				integers, or of two or more rationals.
				Examples:
				$lcm(6,4) \rightarrow 12$
				$ cm(x^2-2^*x+1,x^3-1) \rightarrow (x-1)^*(x^3-1)$
	Plot			Plot Menu
				The Plot menu contains operations that allow drawing plots in the CAS.
		plotcontour		Plot Contour
				Syntax:
				plotcontour(Expr,[LstVar],[LstVal])
				Draws contour-lines z=z_min,z=z_max of the surface z=Expr, where the contour-lines are defined by the 3rd argument. Used in the Geometry app Plot or Symbolic views or CAS view.
				the sta argument, osed in the decimenty app riot of symbolic views of CAS view.
				Example:
				plotcontour(x²+2*y²-2,[x,y],[1.0,2.0,3.0]) draws three contour-lines for the given expression
		1.5		Plot Function
		plotfunc		Plot Function
				Syntax:
				plotfunc(Expr)

Used in the Geometry app Plot or Symbolic views, or in CAS view. Draws the plot of a function, given an expression in the independent variable x. Note the use of lowercase x.  Example: plotfunc(3*sin(x)) draws the graph of y=3*sin(x).  Plot Implicit Syntax: plotimplicit(Expr, [XIntrvl, YIntrvl]) Used in the Geometry app Plot or Symbolic views, or CAS view. Plots an implicitly defined curved from Expr (in x and y). Specifically, plots Expr=0. Note the use of lowercase x and y. With the optional x-inter and y-interval, plots only within those intervals.  Examples: plotimplicit((x+5)²+(y+4)²-1,[x=-64,y=-53]) plotimplicit((x+5)²+(y+4)²-1) plots a circle, centered at the point (-5, -4), with a radius of 1  Plot Slopefield Syntax: plotfield(Expr, VectorVar, [xstep=Val, ystep=Val, Option])
plotfunc(3*sin(x)) draws the graph of y=3*sin(x).  Plot Implicit Syntax: plotimplicit(Expr, [XIntrvl, YIntrvl])  Used in the Geometry app Plot or Symbolic views, or CAS view. Plots an implicitly defined curved from Expr (in x and y). Specifically, plots Expr=0. Note the use of lowercase x and y. With the optional x-inter and y-interval, plots only within those intervals.  Examples: plotimplicit((x+5)²+(y+4)²-1,[x=-64,y=-53]) plotimplicit((x+5)²+(y+4)²-1) plots a circle, centered at the point (-5, -4), with a radius of 1  Plot Slopefield Syntax:
Syntax: plotimplicit(Expr, [XIntrvl, YIntrvl])  Used in the Geometry app Plot or Symbolic views, or CAS view. Plots an implicitly defined curved from Expr (in x and y). Specifically, plots Expr=0. Note the use of lowercase x and y. With the optional x-inter and y-interval, plots only within those intervals.  Examples: plotimplicit((x+5)²+(y+4)²-1,[x=-64,y=-53]) plotimplicit((x+5)²+(y+4)²-1) plots a circle, centered at the point (-5, -4), with a radius of 1  Plot Slopefield Syntax:
and y-interval, plots only within those intervals.  Examples: plotimplicit((x+5)²+(y+4)²-1,[x=-64,y=-53]) plotimplicit((x+5)²+(y+4)²-1) plots a circle, centered at the point (-5, -4), with a radius of 1  Plot Slopefield Syntax:
plotimplicit((x+5)²+(y+4)²-1,[x=-64,y=-53]) plotimplicit((x+5)²+(y+4)²-1) plots a circle, centered at the point (-5, -4), with a radius of 1  Plot Slopefield Syntax:
Syntax:
piotifeia(Lxpi, vector var, [xstep-var, ystep-var, Option])
Used in the Geometry app or CAS view. Plots the graph of the slopefield for the differential equation y'=f(x,y), where f(x,y) is contained in Expr. VectorVar is a vector containing the variables. If VectorVar is the form [x=Interval, y=Interval], then the slopefield is plotted over the specified x-range and y-range. Given xstep and ystep values, plots the slopefield segments using these steps. If Option is 'normalize', then the slopefield segments drawn are equal in length.
Example:  plotfield(x*sin(y),[x=-66,y=-66],normalize) draws the slopefield for y'=x*sin(y), from -6 to 6 in both directions, with segments that are all of the same length.
Plot ODE  Syntax:  plotode(Expr, [Var1, Var2,], [Val1, Val2], [tstep=Value])  Used in the Symbolic or Plot views of the Geometry app or in CAS view. Draws the solution of the
differential equation y'=f(Va1, Var2,) that contains as initial condition for the variables Val1, Val2, first argument is the expression f(Var1, Var2,), the second argument is the vector of variables, and the third argument is the vector of initial conditions. The optional tstep can be used to control the level of detail of the plot.
Examples: plotode( $x*sin(y)$ ,[ $x$ , $y$ ],[ $-2$ , $2$ ]) draws the graph of the solution to $y'=x*sin(y)$ that passes through the poir ( $-2$ , $2$ ) as its initial condition. plotode( $5*[-y,x]$ ,[ $t=01,x,y$ ],[ $0,0.3,0.7$ ],tstep= $0.5$ ,plan)
Plot List Syntax: plotlist(Matrix)  Used in the Plot or Symbolic views of the Geometry app, or CAS view, this command plots a set of n po and connects them with segments. The points are defined by a m x 2 matrix, with the abscissas in the f row and the ordinates in the second row.
Example: plotlist([[0,3],[2,1],[4,4],[0,3]]) draws a triangle
Toolbox App Menu The Toolbox App menu lists the app-specific functions.  Toolbox User Menu
The Toolbox User menu lists all the functions and programs you have created yourself. These will be grouped together under the name of the source file that contains the exported variables or functions.
Toolbox Catalog Menu The Toolbox Catalog menu lists all the functions and commands in the system. On the right side of the Catalog header is a small information icon (i). Tap the icon to see the number of each type of function currently defined on your HP Prime (CAS, App, User, and so on).
Function Catalog A-E Toolbox function catalog A-E
Assign Syntax: variable := object
Assigns object to variable.  Examples:  A := 3 stores the value 3 in the variable A  F1 := 3-X makes F1(X)=3-X
M5 := [1, 2] stores a vector in M5
Syntax:  a2q(Matrix, [Var1, Var2])  Given a symmetric matrix and a vector of variables, returns the quadratic form of the matrix using the variables in the vector.  Example:

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abcuv	Syntax:
	abcuv(Poly_A,Poly_B,Poly_C,[Var])
	Given three polynomials A, B, and C, returns U and V such that A*U+B*V=C. With a variable as the final
	argument, U and V are expressed in terms of that variable (if needed); otherwise, x is used.
	Example:
	$abcuv(x^2+2*x+1,x^2-1,x+1) \to [1/2,-1/2]$
about	Syntax:
usout	about(Var)
	Returns the hypothesis made with the assume and additionally commands on the variable Var.
	Example
	about(n) returns any conditions imposed on the variable n.
ABS	Absolute Value
	Syntax:
	ABS(expr) or
	ABS(matrix)
	For numerical arguments, returns the absolute value of the expression.
	For matrix arguments, returns the Frobenius (Euclidean) norm of the array.  Examples:
	ABS(-3.14) $\rightarrow$ 3.14
	ABS([3.14]) $\rightarrow$ 5.14  ABS([[1,2],[3,4]]) $\rightarrow$ 5.47722557505
	ABS([1,2],[3,4]) $\rightarrow$ 3.47722337303 ABS(2-3*i) $\rightarrow$ 3.60555127546
	CAS(ABS([[1,2],[3,4]])) $\rightarrow$ v30
abscissa	Syntax:
abaciaa	abscissa(Point) or
	abscissa(Vector)
	Returns the abscissa of a point or a vector.
	Examples:
	abscissa(point(1+2*i)) $\rightarrow$ 1
	abscissa(point(1,2,3))
ACOS	Inverse Cosine
	Syntax:
	ACOS(Value)
	Returns the inverse cosine of Value.
	The output depends on the Angle Measure setting in Home Settings, CAS Settings, or Symbolic Setup.
	Example:
	$ACOS(0.5) \rightarrow 60$ (Degrees mode)
	$ACOS(0.833730025131-0.988897705763*i) \rightarrow 1+i$
	$ACOS(\{0.5,1\}) \rightarrow \{60,0\} \text{ (Degrees mode)}$
acos2asin	Syntax:
	acos2asin(Expr)
	Replaces $\arccos(x)$ by $\pi/2$ - $\arcsin(x)$ in the argument Expr.
	Examples:
	$acos2asin(acos(x)+asin(x)) \rightarrow \pi/2-asin(x)+asin(x)$
	acos2asin(2*acos(x))
acos2atan	Syntax:
	acos2atan(Expr)
	Replaces arccos(x) by $\pi/2$ -arctan(x/V(1-x <sup>2</sup> )) in the argument.
	Examples: $acos2atan(2*acos(x)) \rightarrow 2*(\pi/2-atan(x/(\sqrt{1-x^2}))))$
	$\frac{\operatorname{acos}(2\pi \operatorname{acos}(x)) \to 2^{-}(\pi/2 - \operatorname{atan}(x/(\sqrt{(1-x^{-}))))}}{\operatorname{acos}(2\pi \operatorname{acos}(\sqrt{(1-x^{2})}) + \operatorname{acos}(x))}$
ACOSH	Inverse Hyperbolic Cosine
ACOSH	Syntax:
	ACOSH(value)
	Inverse Hyperbolic Cosine: COSH^-1 (X)
	Examples:
	ACOSH(1.54308063482) → 1
	ACOSH(0.833730025131+0.988897705763*i) → 1+i
	$ACOSH(\{1,1.54308063482\}) \rightarrow \{0,1\}$
ACOT	Arc Cotangent
	Syntax:
	ACOT(value)
	Inverse Cotangent: COT^-1 (X)
	Example:
	ACOT(1) → 45 (Degrees mode)
	ACOT(0.217621561854-0.868014142896*i) → 1+i
ACSC	

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	Syntax:
	ACSC(value)
	Inverse Cosecant: CSC^-1 (X)
	Example:
	$ACSC(1) \rightarrow 90$ (Degrees mode)
	$ACSC(0.621518017169-0.303931001627*i) \rightarrow 1+i$
	$ACSC(\{2,1\}) \rightarrow \{30,90\} (Degrees mode)$
ADDCOL	Add Column
	Syntax:
	ADDCOL(matrixname, vector, column_number)
	Inserts values from vector into a column before column_number in the specified matrix. The size of ve
	must be the same as the number of rows in the matrix matrixname.
	Framelage
	Examples:
	ADDCOL([[1,3],[4,6]],[2,5],2) $\rightarrow$ [[1,2,3],[4,5,6]]
	ADDCOL([[1,3],[4,6]],{[2,5],[3,4]},{2,1}) \rightarrow \{[[1,2,3],[4,5,6]],[[3,1,3],[4,4,6]]\}
	ADDCOL({[[1,3],[4,6]],[[1,9],[5,6]]},[2,5],2) $\rightarrow$ {[[1,2,3],[4,5,6]],[[1,2,9],[5,5,6]]}
	$ADDCOL(\{[[1,3],[4,6]],[[1,9],[5,6]]\},\{[2,5],[3,4]\},\{2,1\}) \rightarrow \{[[1,2,3],[4,5,6]],[[3,1,9],[4,5,6]]\}$
additionally	Syntax:
	additionally(Expr)
	Used in programming with assume() to state an additional assumption about a variable.
	Example:
	$assume(n,integer); additionally(n>5); \rightarrow [DOM\_INT, n]$
ADDROW	Add Row
	Syntax:
	ADDROW(matrixname, vector, row_number)
	Inserts values from vector into a row before row_number in the specified matrix.
	The size of vector must be the same as the number of columns in the matrix matrixname.
	Examples:
	ADDROW([[1,2],[5,6]],[3,4],2) $\rightarrow$ [[1,2],[3,4],[5,6]]
	$ADDROW([[1,2],[5,6]],\{[3,4],[2,5]\},2) \rightarrow \{[[1,2],[3,4],[5,6]],[[1,2],[2,5],[5,6]]\}$
	ADDROW({[[1,3],[4,6]],[[1,9],[5,6]]},[2,5],2) $\rightarrow$ {[[1,3],[2,5],[4,6]],[[1,9],[2,5],[5,6]]}
	$ADDROW(\{[[1,3],[4,6]],[[1,9],[5,6]]\},\{[2,5],[3,4]\},\{2,1\}) \rightarrow \{[[1,3],[2,5],[4,6]],[[3,4],[1,9],[5,6]]\}$
adjoint_matrix	Adjoint Matrix
	Syntax:
	adjoint_matrix(matrix)
	Returns the characteristic polynomial of A and the comatrix of A-xI.
	Example:
	adjoint_matrix([[1,i],[2,3]])
affix	Syntax:
	affix(Point) or affix(Vector)
	Returns the coordinates of a point or both the x- and y-lengths of a vector as a complex number.
	Examples:
	affix(point(3,2)) returns 3+2*i
	If GA is a point at (1, -2), then affix(GA) returns 1-2*i.
algvar	Syntax:
	algvar(Expr)
	Returns a matrix of the symbolic variable names used in an expression. The list is ordered by the algeb
	extensions required to build the original expression.
	Example:
	$algvar(\forall x+y) \rightarrow [[y],[x]]$
	aigvai (vx+y) - > [[y],[x]]
ALOG	Common Antilogarithm
ALOG	
ALOG	Common Antilogarithm
ALOG	Common Antilogarithm Syntax:
ALOG	Common Antilogarithm Syntax: ALOG(value)
ALOG	Common Antilogarithm Syntax: ALOG(value) Common exponential: 10^x (antilogarithm)
ALOG	Common Antilogarithm Syntax: ALOG(value) Common exponential: 10^x (antilogarithm) Returns the result of raising 10 to the power of value. Examples:
ALOG	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: 10^x (antilogarithm)  Returns the result of raising 10 to the power of value.  Examples:  ALOG(2) → 100
ALOG	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: 10^x (antilogarithm)  Returns the result of raising 10 to the power of value.  Examples:  ALOG(2) → 100  ALOG(2+3*i) → 81.121465284+58.4748481843*i
	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: $10^x$ (antilogarithm)  Returns the result of raising 10 to the power of value.  Examples:  ALOG(2) $\Rightarrow$ 100  ALOG(2+3*i) $\Rightarrow$ 81.121465284+58.4748481843*i  ALOG({2,4}) $\Rightarrow$ {100,10000}
ALOG	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: $10^{n}x$ (antilogarithm)  Returns the result of raising 10 to the power of value.  Examples:  ALOG(2) $\rightarrow$ 100  ALOG(2+3*i) $\rightarrow$ 81.121465284+58.4748481843*i  ALOG({2,4}) $\rightarrow$ {100,10000}  Syntax:
	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: $10^x$ (antilogarithm)  Returns the result of raising $10$ to the power of value.  Examples:  ALOG(2) $\rightarrow 100$ ALOG( $2+3^*i$ ) $\rightarrow 81.121465284+58.4748481843^*i$ ALOG( $\{2,4\}$ ) $\rightarrow \{100,10000\}$ Syntax:  alog10(Expr)
	Common Antilogarithm Syntax:   ALOG(value)   Common exponential: $10^{x}$ (antilogarithm)   Returns the result of raising $10$ to the power of value.   Examples:   ALOG(2) $\rightarrow$ 100   ALOG(2+3*i) $\rightarrow$ 81.121465284+58.4748481843*i   ALOG({2,4}) $\rightarrow$ {100,10000}   Syntax:   alog10(Expr)   Function x->10^x.
	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: $10^x$ (antilogarithm)  Returns the result of raising $10$ to the power of value.  Examples:  ALOG(2) $\rightarrow 100$ ALOG( $2+3^*i$ ) $\rightarrow 81.121465284+58.4748481843^*i$ ALOG( $\{2,4\}$ ) $\rightarrow \{100,10000\}$ Syntax:  alog10(Expr)
	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: $10^{x}$ (antilogarithm)  Returns the result of raising 10 to the power of value.  Examples:  ALOG(2) $\Rightarrow$ 100  ALOG(2+3*i) $\Rightarrow$ 81.121465284+58.4748481843*i  ALOG({2,4}) $\Rightarrow$ {100,10000}  Syntax:  alog10(Expr)  Function x->10^x.
	Common Antilogarithm  Syntax:  ALOG(value)  Common exponential: $10^{4}$ x (antilogarithm)  Returns the result of raising 10 to the power of value.  Examples:  ALOG(2) $\rightarrow$ 100  ALOG(2+3*i) $\rightarrow$ 81.121465284+58.4748481843*i  ALOG({2,4}) $\rightarrow$ {100,10000}  Syntax:  alog10(Expr)  Function x->10^x.  Example:

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	Given three non-collinear points, draws the altitude of the triangle defined by the three points that past through the first point. The triangle does not have to be drawn.
	Examples:
	altitude(point(6,6), point(-2,3), point(5,1)) draws a line passing through point (6,6) that is perpendicula
AND	the line passing through both points (-2,3) and (5,1).  Logical AND
AND	Syntax:
	Value1 AND Value2
	For Real numbers, returns 1 if both Value1 and Value2 are non-zero; otherwise returns 0.
	For Integers and Strings, AND is performed bitwise, returning 1 if corresponding bits are both 1, other 0.
	Examples:
	3 AND 2 → 1
	$\begin{array}{c} 0 \text{ AND } 1 \rightarrow 0 \\ 0 \text{ AND } 0 \rightarrow 0 \end{array}$
	$\{3,0,0\}$ AND $\{2,1,0\} \rightarrow \{1,0,0\}$
	$75\_mph > 120\_kph AND 180\_deg \neq 3.14159\_rad \rightarrow 1$
	#CC44h AND #44CCh → #4444h
	"a" AND "b" → "`"
	$X:=0; 1 \text{ AND } (X:=3); 0 \text{ AND } (X:=5); X \rightarrow 3$
	7 > 3 AND 5 < 9 AND 3 $\neq$ 2 $\rightarrow$ 1
angle	Syntax:
	angle(Vertex, Point2, Point3)  Returns the measure of a directed angle. The first point is taken as the vertex of the angle and the next
	two points in order give the measure and orientation.
	Examples:
	angle(i,1,1+i,"b") returns the measure of ≰BAC
angleat	Syntax:
	angleat(point1, point2, point3, point4)  Used in Symbolic view of the Geometry app.
	Given the three points of an angle and a fourth point as a location, displays the measure of the angle
	defined by the first three points. The measure is displayed, with a label, at the location in the Plot view
	given by the fourth point. The first point is the vertex of the angle.
	Example:
	(in degree mode)
	angleat(point(0, 0), point(2*v3, 0), point(2*v3, 3), point(-6, 6)) displays "appoint(0,0)=40.9" at point (-
Ans	Last Answer
	Syntax: Ans
	In Home view, Ans returns the result of the last calculation made in Home view to its full precision. The
	variable Ans is different from the numbers in Home's history. A value in Ans is stored internally with t
	full precision of the calculated result, whereas the displayed numbers match the display mode. Ans(n returns the nth entry in the Home view history.
	In CAS view, Ans returns the last result in the CAS history and Ans(n) does not recall the nth item in
	history. Here, Ans(n) will attempt to substitute n for x (or the default variable) in the last item in histo
	and return the result. In CAS view, if Ans is a matrix, Ans(m,n)returns the element in row m and colum
append	Syntax:
	append((List, Element) or
	append (Vector, Element)
	Append an element to a list or vector.  Example:
	append( $[1,2,3],4$ ) $\rightarrow$ [1,2,3,4]
apply	Syntax:
	apply(Var→f(Var), Vector) or
	apply(Var→f(Var), Matrix)
	Returns a vector or matrix containing the results of applying the function f to the elements in the vector matrix.
	Examples:
	apply(x->x^3,[1,2,3]) $\rightarrow$ [1,8,27]
	apply(x->x+1,[[1,2,3],[1,2,3]],matrix)
approx	Syntax:
approx	Syntax: approx(Expr, [Int])
approx	Syntax: approx(Expr, [Int]) Used in the CAS to return the numerical evaluation of the first argument with the number of digits as
approx	Syntax: approx(Expr, [Int])
approx	Syntax: approx(Expr, [Int]) Used in the CAS to return the numerical evaluation of the first argument with the number of digits as second argument.

Example: arc(0,1,π/4,C,r)  Draw Arc Syntax: ARC_P(G, x, y, r or {rx, ry}, [±1, ±2], [border_color, [fill_color]]) Draws a circle on GROB G, centered at {x,y}, with radius r (in pixels). If r is replaced by a list {rx, the Arc becomes an ellipse centered at {x,y} with radius in the x dimension of rx and in the y dir ry.  If ±1 and ±2 are specified, draws an arc from ±1 to ±2 using the current angle mode. Example: Demo_ARC_P  arcLen  Arc Length Syntax: arcLen(Expr, Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an exprindependent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples: arcLen(x³,x,-2,2) → 9.29 arcLen(f[sin(t)cos(t)],t,0,π/2) → 1.57  Syntax: area(Function, Value1, Value2)	ARC(G, x, y, r or {rx, ry}, [41, 42], [border_color, [fill_color]])
Orava a circle on GROB G, contered at (xyl, with radius if in pubels, if in explaced by a list fix. the Arc becomes an eligipac centered (xyl, with radius in the x dimension of rix and in the y din ry.  11 A1 and x2 are specified, draws an arc from x1 to x2 using the current angle mode.  Example:  Demo_ARC  3yritizs arc(Pet_P. Real_[Var(C)][Var(r)]] Orava a circle arc given by 2 vertices and the angle at center. Center will be stored in C and the Example:  arc(pet_P. Real_Var(C), Var(r)] Draws a circle arc given by 2 vertices and the angle at center. Center will be stored in C and the Example:  arc(pet_P. Real_Var(c), Var(r)] Draws a circle arc given by 2 vertices and the angle at center. Center will be stored in C and the Example:  arc(pet_P. S. v.y. r) or (x.v. v.), [41, 4.2], (border_color, [fill_color,]]) Draws a circle and ROB G, centered at (x.v.) with radius in the x dimension of rix and in the y din ry.  18 41 and x2 are specified, draws an arc from x1 to x2 using the current angle mode.  Example: Demo_ARC_P  Arc Length Symtax arct.on(Stor, Real_), Real(2) Beturns the length of the arc of a curve between two points on the curve. The curve is an experiment of the curve of the	
the Arc becomes an ellipsic existence at (x,y) with radius in the x dimension of ix and in the y dir. Y.  If 4.1 and 4.2 are specified, draws an arc from 4.1 to 4.2 using the current angle mode. Example: Demo_ARC  Syntax arc(Pnt_Pnt_Real_[VarCL][Varfq1]) Draws a circle arc given by 2 vertices and the angle at center. Center will be stored in C and the Example: arc(D_L,VA/CL) Draw Arc Syntax ARC_P(S_X, Y, ror (n, n); (4.4, 42), (border_color, (fill_color))) Draws a circle are of RODIG C, centered at (x,y); with radius in places, if it is replaced by a list (x, to be becomes an ellipsic centered at (x,y) with radius in the x dimension of ix and in the y dill if 4.1 and 2.4 are specified, draws an arc from 4.1 to 4.2 using the current angle mode. Example: Demo_ARC_P  Arc Length Syntax arcter([spr_Real_1, Real_2]) Returns the length of the arc of a curve between two points on the curve. The curve is an experimely experiment of the properties of the stored and the second for y) in terms of a third independent variable.  Example:  Branches:  arcter((spr_Real_1, Real_2)) Returns the length of the arc of a curve between two points on the curve. The curve is an experimely experiment of the stored and the second for y) in terms of a third independent variable.  Example:  Branches:  arcter((spr_Real_1, Real_2)) Returns the arcter of a stored an approximation definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Example:  Branches:  arcter((spr_Real_1, Real_2)) Returns the area of a circle or polygon. Can also return the area under a function between two expressions of the stored and the second and the sec	
If 41 and 42 are specified, draws an arc from 41 to 42 using the current angle mode. Example:  Demo, ARC  Syntax: arc(PM, PM, Real,(Var(C)),(Var(r))) Draws a circle are given by 2 vertices and the angle at center. Center will be stored in C and the Example: arc(0.11x4,Cr)) Draw Arc Syntax: ARC, PO  Draw Arc Syntax: ARC, P(x, x, y, r or (x, y), [41, 42], [border, color, [fill, color]]) Draws a circle on GROB G, centered at (x, y), with radius r (in pixels), if r is replaced by a list (in, the Arc becomes an ellipsic centered it (x, y) with radius in the dimension of rx and in the y diliv, y, r. (r, 41 and 42 are specified, draws an arc from 41 to 42 using the current angle mode. Example: Draw ARC, P  Arc Length Syntax: arccan(Exp. Real.), Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an export independent workable in declared, and the two points are defined by values of the independent variable. Example: Draw Arc Command crash occurs a parametric definition of a curve. In this case, the expression is expressions the first for x and the second for y) in terms of a third independent variable. Examples: arccan(ref(x)x, x, 2, 2) = 9, 2, 2, 3, 4, 4, 4, 4, 4, 4, 4, 4, 4, 4, 4, 4, 4,	
If a 1 and a2 are specified, draws an air from 41 to 42 using the current angle mode. Example: Demo_ASC  Syntax: arc(Pint, Pint, Real, [Var(c)], [Var(c)]) Draws a circle are given by 2 vertices and the angle at center. Center will be stored in C and the Example: arc(D,1,Pilt,C,r)  Draw Airc Syntax: ASC_PQ Syntax: ASC_P(x, x, r, or (x, r), [d,1,42], [border_color, [fill_color]]) Draws a circle are follows. Acc Syntax: ASC_P(x, x, r, or (x, r), [d,1,42], [border_color, [fill_color]]) Draws a circle are specified, draws an airc from 4.1 to 42 using the current angle mode. Example: Demo_ASC_P  Arc Length Syntax: arcten(Expr, Real1, Real2) Returns the length of the airc of a curve between two points on the curve. The curve is an expr independent variable in declared, and the two points on the curve. The curve is an expr independent variable in declared, and the two points are defined by values of the independent independent variable in declared. This command can allow accept a parametric definition for acruve. In this case, the agreesion is expressions (the first for x and the second for y) in terms of a third independent variable. Examples: arcten(Expr, X-2) → 9.39. arcten(Gircl) or area(Function, Values), Value2) Returns the area of a circle or polygon. Can also return the area under a function between two Examples: If GA is defined to be the unit circle, then area(GA), returns n. If GA is defined to be plottun(x+x+y+y+y+y+y+y+y+y+y+y+y+y+y+y+y+y+y+y	
Demo_ARC  Syntax: art(Pnt, Pnt, Real,Var(C)],I/var(r)]) Draws a circle arc given by 2 vertices and the angle at center. Center will be stored in C and the Example: art(0,1n/4,C,r)  Draw Arc Syntax: ARC_PP  Draw Arc Syntax: ARC_P(S, x, r) or (x, ry), [±1, ±2], [border_color, [fill_color]]) Draws a circle on GRDIG G, centered at (xy), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (xy), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (xy), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (xy), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (xy), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (xy), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (xy), with radius r (in pixels). If r is replaced by a list (x, x, x	
Symbox   S	Example:
Syntax: arc[pen, pent, Real,[Var(c)],[Var(r)]	
arc(Pnt, Pnt, Real,Dard(C),DVrr(T)) Draws a circle are given by 2 vertices and the angle at center. Center will be stored in C and the Example: art(0,1,rt/4,C,r)  Draw Arc Syntax: ARC_P(S, x, y, r or (rx, ry), [41, 42], (border_color, fill_color)) Draws a circle on GROB G, centered at (x,t), with radius r (in pixels). If r is replaced by a list (rx, the Arc becomes an ellipse centered at (x,t) with radius in the x dimension of rx and in the y dir y.  If 41 and 42 are specified, draws an arc from 41 to 42 using the current angle mode. Example: Demo_ARC_P  Arc Length Syntax: arcten(Expr, Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an expr independent variable is declared, and the two points are defined by values of the independent variable is declared, and the two points are defined by values of the independent variable is declared, and the two points are defined by values of the independent variable.  Examples: arcten(Expr, Real1, Real2) Arcten(milor(Cot)(1),10,71/2) + 1.57  3rea  area (Circle) or area	_
Example:  arc(0,1,7/4,C/r)  Draw Arc  Syntax:  ARC_P(S, x, y, r or (x, ry), [41, 42], [border_color, [fill_color]])  Draws a riccide on GROB G, centered at (x,y), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (x,y) with radius in the x dimension of rx and in they dir. Y.  If x1 and x2 are specified, draws an arc from x1 to x2 using the current angle mode.  Example:  Demo_ARC_P  Arc Length  Syntax:  arcten(Expr, Real1, Real2)  Returns the length of the arc of a curve between two points on the curve. The curve is an exprint independent variable is declared, and the two points are defined by values of the independent this command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples:  arcten(x, x, 2, 2) \(\frac{3}{2}\), 3,23.  arcten(fix)(x, x2, 2) \(\frac{3}{2}\), 2,33.  arcten(fix)(x, x2, 2) \(\frac{3}{2}\), 3,23.  arcten(fix)(x, x2, 2) \(\frac{3}{2}\), 2,33.  arcten(fix)(x, x2, 2) \(\frac{3}{2}\), 3,23.  arcten(fix)(x, x2, 2) \(	
Example:  arc(0,1,n/4,C,r)  Draw Arc  Syntax:  ARC_P(S, x, y, r or (x, ry), [41, 42], [border_color, [fill_color]])  Draws arc circle on 6R08 6, centered at (x,y), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (x,y) with radius in the x dimension of rx and in they din y.  If a1 and 42 are specified, draws an arc from 41 to 42 using the current angle mode.  Example:  Demo_ARC_P  Arc Length  Syntax:  arc-Len(Epr, Real1, Real2)  Returns the length of the arc of a curve between two points on the curve. The curve is an exprised independent variable is declared, and the two points are defined by values of the independent  This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples:  arc-Len(r(x, x, 2, 2) > 9, 29.  arc-Len(r(x, x, 2	Draws a circle arc given by 2 vertices and the angle at center. Center will be stored in C and the radius in
arcio,1,n/4,c/r)  Draw Arc Syntax:  ARC_P(C, x, y, r or (x, y), [41, 42], [border_color, [fill_color]])  Draw arc circle on GROB G, enhered at (x,y), with radius r (in pixels). If r is replaced by a list (x, the Arc becomes an ellipse centered at (x,y) with radius in the x dimension of rx and in the y direction of the Arc becomes an ellipse centered at (x,y) with radius in the x dimension of rx and in the y direction of the Arc Bength of the arc of a curve between two points on the curve. The curve is an expression of the curve of the independent variable is declared, and the two points are defined by values of the independent variable is declared, and the two points are defined by values of the independent variable.  Examples:  arcten(Synt), 22,1) > 9.29.  arcten(Sint), (x, x, 2) > 9.29.  arcten(Sint), (x, x, 2) > 9.29.  arcten(Sint), (x, x, 2) > 9.29.  arca(Circle) or area(Polygon) or area (Polygon) or ar	
ARC_P    Draw Arc	Example:
Syntax:  ARC_P(G, x, y, r or (rx, ry), [41, 42], [border_color, [fill_color]])  Draws a circle on GROB G, centered at [x,y], with radius r (in pixels). If r is replaced by a list (rx, the Arc becomes an ellipse centered at [x,y] with radius r (in pixels). If r is replaced by a list (rx, the Arc becomes an ellipse centered at [x,y] with radius in the x dimension of rx and in they diry.  If a1 and 42 are specified, draws an arc from 41 to 42 using the current angle mode.  Example:  Demo_ARC_P  Arc Length Syntax:  arcten(Expr. Real), Real2)  Returns the length of the arc of a curve between two points on the curve. The curve is an expression (the first for x and the second for y) in terms of a third independent variable is declared, and the two points are defined by values of the independent variable is declared, and the two points are defined by values of the independent variable is declared, and the second for y) in terms of a third independent variable.  Examples:  arcten(Syntax):  arcal(In(I)(x,osyl)),X,0,r/2) → 1.57  Syntax:  area(Circle) or  area(Function, Value1, Value2)  Returns the area of a circle or polygon. Can also return the area under a function between two Examples:  If GA is defined to be the unit circle, then area(GA) returns x.  If GA is defined to be pictfunc(Ax <sup>2</sup> /A), then area(GA), 4,4) returns 64/3 or 21.333  In CAS view, area(Ax <sup>2</sup> /A,x=4.4) returns 64/3 as well.  3yntax:  areaat(Polygon, Point) or  areaat(Polygon, Point) or  areaat(Polygon, Point) or  areaat(Polygon, Point) or  areaat(Circle, Point)  Used in the Symbolic view of the Geometry app.  Displays the algebraic area of a polygon or circle. The measure is displayed, with a label, at the in Pol view.  Example:  ARG(X+y)  Finds the angle determined by a complex number.  Example:  ARG(X+y)  Finds the angle determined by a complex number.  Example:  ARG(X+y)  ASC	arc(0,1,π/4,C,r)
ARC_P(G, x, y, r or (x, y), L41, 42J, lborder_color, [fill_color]]  Draws a circle on GROB G, centered at (xy), with radius r (in pixels). If r is replaced by a list (rx, the Arx becomes an ellipse centered at (xy) with radius r het a dimension of rx and in the y din y.  If a1 and 42 are specified, draws an arc from 41 to 42 using the current angle mode.  Example:  Demo_ARC_P  Arc Length Syntax:  arcten(Expr, Real1, Real2)  Returns the length of the arc of a curve between two points on the curve. The curve is an expr independent variable is declared, and the two points are defined by values of the independent responsible is declared, and the two points are defined by values of the independent variable is declared, and the two points are defined by values of the independent variable is declared, and the two points are defined by values of the independent variable.  Examples:  arcten(sin(t)cos(t)),1,0,n/2) → 1.57  Syntax:  area(Circle) or  are	
Draws a circle on GROBG, centered at (xy), with radius (in pixels). If r is replaced by a list (r, the Airc becomes an ellipse centered at (xy) with radius in the x dimension of rx and in the y dir yy (if x1 and x2 are specified, draws an arc from x1 to x2 using the current angle mode. Example:  Demo_ARC_P  arcLen  Arc Length  Syntax:     arclen(tExpr, Real1, Real2)     Returns the length of the air of a curve between two points on the curve. The curve is an expre independent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable. Examples:     arclen(x²,x²,2,2) → 9.29     arcten(x²,x²,2,2) → 0.29     arcten(x²,x²,2,2) → 0.29     arcten(x²,x²,2,2) → 0.29     arcten(x²,x²,2,2) → 0.29	
the Arc becomes an ellipse centered at (x,y) with radius in the x dimension of rx and in the y dir. Y.  If 41 and 42 are specified, draws an arc from 4.1 to 42 using the current angle mode. Example:  Demo, ARC, P  Arc Length Syntax:  arciaen(Expr, Real), Real2)  Returns the length of the arc of a curve between two points on the curve. The curve is an expression is declared, and the two points are defined by values of the independent ariable is declared, and the two points are defined by values of the independent trainable is declared, and the two points are defined by values of the independent trainable. Examples:  arcten(x,x,2,3) = 9.29  arclaen((sin(1),cos(1)),1,0,n/2) => 1.57  area  Syntax:  area((risn(1),cos(1)),1,0,n/2) => 1.57  area  (If GA is defined to be the unit circle, then area(GA), 44,0 returns rc. If GA is defined to be plotfunc(a-x²/4), then area(GA), 44,0 returns 64/3 or 21.333  In CAS view, area(a-x²/4,e-e-4,a) returns 64/3 as well.  Syntax:  areaat(Circle, Point)  Used in the Symbolic view of the Geometry app.  Displays the algebraic area of a polygon or circle. The measure is displayed, with a label, at the in Plot view.  Example:  areaat(circle, x²-y²-1), point(-4,4)) displays "acircle(x²-y²-1)= rc" at point (-4,4))  Argument  Syntax:  ARG(3+31) > 45 (degrees mode)  Syntax:  ARG(3+31) > 45 (degrees mode)	<b>■</b>
If £1 and £2 are specified, draws an arc from £1 to £2 using the current angle mode. Example:  Demo_ARC_P  Arc Length Syntax: arciten(Expr, Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an expr independent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples: arcten(sin(t),cos(t)),t.o,rt/2) → 1.57  Syntax: area(Circle) or area[Polygon] or area[Polygon] or area[Function, Value1, Value2) Returns the area of a circle or polygon. Can also return the area under a function between two Examples: If 6A is defined to be plotfunc(4-x²/4), then area(GA) returns π. If 6A is defined to be plotfunc(4-x²/4), then area(GA,-4.4) returns 64/3 or 21:333 In CAS view, area(4-x²/4,x=-44) returns 64/3 as well.  Syntax: areaat(Cricle, Point) Used in the Symbolic view of the Geometry app. Displays the algebraic area of a polygon or circle. The measure is displayed, with a label, at the in Plot view. Example: areaat(icricle, **y*=1), point(-4,4)) displays "acircle(x²+y*=1) = π² at point (-4,4)) Argument Syntax: ARG(**y*) Finds the angle determined by a complex number. Example: ARG(3+3) → 45 (degrees mode) Syntax: ASC(String)	
If a1 and a2 are specified, draws an arc from 41 to 42 using the current angle mode. Example: Demo_ARC_P Demo_ARC_P  Arc Length Syntax: arcten(Expr, Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an exprindependent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples: arcten(ex/x, 2, 2) → 9.29 arcten(ex/x, 2,	
arcLen  Arc Length Syntax: arcLen(Expr, Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an expression independent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples: arcLen(x²,x²,2,2) → 9.29 arcLen([sin(t),cos(t)]),0,rt/2) → 1.57  Syntax: area([clor]) or area([clor]	
arcLen  Arc Length Syntax: arcLen(Expr, Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an exprindependent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples: arcLen(x²,x,-2,2) → 9.29 arcLen(sin(t),cos(t))x,0,t/2) → 1.57  Syntax: area(Girde) or area(Fonction, Value1, Value2) Returns the area of a circle or polygon. Can also return the area under a function between two Examples: If GA is defined to be plotfunc(4-x²/4), then area(GA) returns π. If GA is defined to be plotfunc(4-x²/4), then area(GA), afterurns G4/3 or 21.333 In CAS view, area(4-x²/4,x=-4.4) returns 64/3 as well.  areaat  Syntax: areaat(Fonction, Point) or areaat(Circle, Point) Used in the Symbolic view of the Geometry app. Displays the algebraic area of a polygon or circle. The measure is displayed, with a label, at the in Plot view. Example: areaat(circle(x²+y²=1),point(-4,4)) displays "acircle(x²+y²=1)=π" at point (-4,4)) Argument Syntax: ARG(x*y1) Finds the angle determined by a complex number. Example: ARG(3*31) → 45 (degrees mode) Syntax: ASC(String)	Example:
Syntax:  arcten(Expr., Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an expresion independent variable is declared, and the two points are defined by values of the independent.  This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples:  arcten(x²,x-,2,2) → 9.29  arcten([sin(t),cos(t)],t,0,π/2) → 1.57  Syntax:  area([ricrle] or area([role]) or area([ro	Demo_ARC_P
Syntax:  arcLen(Expr., Real1, Real2) Returns the length of the arc of a curve between two points on the curve. The curve is an expression independent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples:  arcLen(x²,x_,2,2) → 9.29  arcLen((sin(t),cos(t)),1,0,π/2) → 1.57  Syntax:  area([circle) or area(Polygon) or	Arc Length Arc Length
Returns the length of the arc of a curve between two points on the curve. The curve is an exprindependent variable is declared, and the two points are defined by values of the independent This command can also accept a parametric definition of a curve. In this case, the expression is expressions (the first for x and the second for y) in terms of a third independent variable.  Examples:  arcten(x²,x,-2,2) → 9.29  arcten(sin(t),cos(t)),t,0,π/2) → 1.57  Syntax:  area(Circle) or area(Polygon) or area(Function, Value1, Value2)  Returns the area of a circle or polygon. Can also return the area under a function between two Examples:  If GA is defined to be the unit circle, then area(GA) returns π.  If GA is defined to be plotfunc(4-x²/4), then area(GA) returns 64/3 or 21.333  In CAS view, area(4-x²/4,x=-44) returns 64/3 as well.  Syntax:  areaat(Polygon, Point) or areaat(Circle, Point)  Used in the Symbolic view of the Geometry app.  Displays the algebraic area of a polygon or circle. The measure is displayed, with a label, at the in Plot view.  Example:  areaat(circle, Point)  Argument  Syntax:  ARG(x+yi)  Finds the angle determined by a complex number.  Example:  ARG(3+3i) → 45 (degrees mode)  Syntax:  ASC(String)	Syntax:
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$Syntax: \\ ARG(x+yi) \\ Finds the angle determined by a complex number. \\ Example: \\ ARG(3+3i) \rightarrow 45 \ (degrees \ mode) \\ Syntax: \\ ASC(String)$	areaat(circle( $x^2+y^2=1$ ),point(-4,4)) displays "acircle( $x^2+y^2=1$ )= $\pi$ " at point (-4,4))
$\begin{tabular}{lll} Syntax: & & & & \\ ARG(x+yi) & & & & \\ Finds the angle determined by a complex number. & & \\ Example: & & & \\ ARG(3+3i) \rightarrow 45 \mbox{ (degrees mode)} & & \\ Syntax: & & & \\ ASC(String) & & \\ \end{tabular}$	Argument
Finds the angle determined by a complex number. Example: $ARG(3+3i) \rightarrow 45 \text{ (degrees mode)}$ ASC $Syntax: \\ ASC(String)$	Syntax:
ASC  Example: $ARG(3+3i) \rightarrow 45 \text{ (degrees mode)}$ Syntax: $ASC(String)$	ARG(x+yi)
ASC $ARG(3+3i) \rightarrow 45$ (degrees mode)  Syntax: $ASC(String)$	Finds the angle determined by a complex number.
ASC Syntax: ASC(String)	Example:
ASC(String)	ARG(3+3i) → 45 (degrees mode)
ASC(String)	Syntax:
Examples:	
ASC("AB") → {65,66}	
ASC("ta' இ இ ◆ ◆ 17") → {677,9816,9813,9828,9830,9742}	
ASC({"HE","LLO"}) \( \{72,69\{76,76,79\}\\ \)	
ASEC Arc Secant	
Syntax:	
ASEC(value)	
Inverse Secant: SEC^-1 (X)	
	Example:
Example:	ASEC(1) $\rightarrow$ 0 (Degrees mode)

pics Tree 13217	Help Text
	ASEC(0.498337030555+0.591083841721*i) → 1+i
	$ASEC(\{2,1\}) \rightarrow \{60,0\} \text{ (Degrees mode)}$
ASIN	Inverse Sine
	Syntax:
	ASIN(Value)
	Returns the inverse sine of Value.
	The output depends on the Angle Measure setting in Home Settings, CAS Settings, or Symbolic Setu
	Example:
	ASIN(1) → 90 (Degrees mode)
	ASIN(1.29845758142+0.634963914785*i) → 1+i
	$ASIN(\{0.5,1\}) \rightarrow \{30,90\} (Degrees mode)$
asin2acos	Syntax:
	asin2acos(Expr)
	Replaces $\arcsin(x)$ by $\pi/2$ - $\arccos(x)$ in Expr.
	Example:
	$asin2acos(acos(x)+asin(x)) \rightarrow \pi/2-acos(x)+acos(x)$
asin2atan	Syntax:
	asin2atan(Expr)
	Replaces arcsin(x) by arctan(x/v(1-x²)) in Expr.
	Examples:
	$asin2atan(2*asin(x)) \rightarrow 2*atan(x/(\sqrt{(1-x^2))})$
	asin2atan(asin( $\sqrt{(1-x^2)}$ )+asin( $x$ ))
ASINH	Inverse Hyperbolic Sine
ASINIT	Syntax:
	ASINH(value)
	Inverse Hyperbolic Sine: SINH^-1 (X)
	Examples:
	ASINH(1.17520119365) → 1
	ASINH(0.634963914785+1.29845758142*i) → 1+i
	ASINH( $\{0,1.17520119365\}$ ) $\rightarrow \{0,1\}$
assume	Syntax:
	assume(Expr)
	Make an assumption on a variable.
	Example:
	assume(a>0) → a . Now solve(a²=9,a) will return {3} instead of {-3,3}.
ATAN	Inverse Tangent
	Syntax:
	ATAN(Value)
	Returns the inverse tangent of Value.
	The output depends on the Angle Measure setting in Home Settings, CAS Settings, or Symbolic Setu
	Example:
	ATAN(1) → 45 (Degrees mode)
	ATAN(0.27175258532+1.08392332734*i) $\rightarrow$ 1+i
	$ATAN(\{1,0\}) \rightarrow \{45,0\} (Degrees mode)$
atan2acos	Syntax:
444.124000	atan2acos(Expr)
	Replaces arctan(x) by $\pi/2$ -arccos(x/V(1+x <sup>2</sup> )) in the argument.
	Example:
	atan2acos(atan(2*x) $\rightarrow \pi/2$ -acos((2*x)/V(1+(2*x)²))
ATANH	Inverse Hyperbolic Tangent
ATANT	Syntax:
	ATANH(value)
	Inverse Hyperbolic Tangent: TANH^-1 (X)
	Examples:
	ATANH(.761594155956) → 1  ATANH(1.0920222774.0.27175259522*;) → 1.;
	ATANH(1.08392332734+0.27175258532*i) $\rightarrow$ 1+i
	ATANH({0,0.46211715726}) → {0,0.5}
atrig2In	Syntax:
	atrig2ln(Expr)
	Returns an expression with inverse trigonometric functions rewritten using the natural logarithm fu
	Examples:
	$atrig2ln(atan(x)) \rightarrow 0.5*i*ln((x+i)/(-x+i))$
	$atrig2ln(acos(x)) \rightarrow -i*ln(x+v(x^2-1))$
barycenter	barycenter Function
I MULT VICE TILL	· · · · · · · · · · · · · · · · · · ·
	Syntax:

opics Tree 13217	Help Text
13217	Calculates the hypothetical center of mass of a set of points, each with a given weight (a real number).
	Each point, weight pair is enclosed in square brackets as a vector.
	Examples:
	$barycenter([0,1],[1,1],[4,2]) \to point(9/4,0)$
	barycenter([point(-1),1],[point(1+i),2],[point(1-i),1] $\rightarrow$ point(1/2,1/4)
basis	Syntax:
	basis(Lst(vector1,,vectorn))
	Extract a basis from a spanning set of vectors.
	Example:
	basis([[1,2,3],[4,5,6],[7,8,9],[10,11,12]]) $\rightarrow$ [[-3,0,3],[0,-3,-6]]
BEGIN END	BEGIN END Block
	Syntax:
	BEGIN commands; END;
	Defines a set of commands to be executed in a block.
	Example:
	EXPORT SQM1(X)
	BEGIN
	RETURN X^2-1;
	END;
	This program defines a user function named SQM1(X). Entering SQM1(8) returns 63.
bernoulli	Bernoulli Number
	Syntax:
	bernoulli(n,[variable])
	Returns Bernoulli number n, or Bernoulli polynomial n using variable.
	Examples:
	bernoulli(6) → 1/42
	bernoulli(2,x) $\rightarrow$ x^2-x+1/6
Beta	Syntax:
	Beta(x, y)
	Returns the value of the Beta function for two values, x and y, defined as
	Gamma(x)*Gamma(y)/Gamma(x+y).
	Example:
	Beta(3,2) → 1/12
betad	Discrete Beta
	Syntax:
	$betad(\alpha,\beta,x)$
	Beta probability density function
	Computes the probability density of the beta distribution at x given parameters $\alpha$ and $\beta$ .
	Example:
	$betad(2.2,1.5,.8) \rightarrow 1.46143068876$
betad_cdf	Cumulative beta
_	Syntax:
	betad_cdf(a,b,x,[x2])
	Returns the lower-tail probability of the beta probability density function for the value x, given parame
	a and b.
	Examples:
	$betad\_cdf(2,1,.2) \to 0.04$
	$betad\_cdf(2,1,2,.5) \to 0.21$
betad_icdf	Inverse cumulative beta
_	Syntax:
	betad_icdf(a,b,p)
	Returns the value x such that the beta lower-tail probability of x, given parameters a and b, is p.
	or ny green parameters and by to pe
	Example:
	betad_icdf(2,1,0.95) $\rightarrow$ 0.974679434481
BINOMIAL	Binomial Probability Density
	Syntax:
	BINOMIAL(n, p, k)
	Binomial probability density function.
	Computes the probability of k successes out of n trials, each with a probability of success of p. Note th
	and k are integers with k≤n.
	Example:
	BINOMIAL(4,0.5,2) $\rightarrow$ 0.375
DINION WALL CO. 5	Cumulative Binomial
IBINOMIAL CDF	
BINOMIAL_CDF	Syntax:
BINOMIAL_CDF	Syntax: BINOMIAL CDF(n. p. k. [k2])
BINOMIAL_CDF	Syntax:  BINOMIAL_CDF(n, p, k, [k2])  Cumulative binomial distribution function

p Topics Tree 13217	Help Text
	Returns the probability of k or fewer successes out of n trials, with a probability of success, p for each trial. Note that n and k are integers with k≤n. With the optional fourth argument k2, returns the cumulative probability for the two k-values; that is, the probability of between k and k2 successes.
	Examples: BINOMIAL_CDF(20,0.5,6) → 0.05765914917
	BINOMIAL_CDF(20,0.5,6,12) $\rightarrow$ 0.847717285156
DINOMIAL ICDE	Inverse Cumulative Binomial
BINOMIAL_ICDF	Syntax:
	BINOMIAL_ICDF(n, p, q)
	Inverse cumulative binomial distribution function
	Returns the number of successes, k, out of n trials, each with a probability of p, such that the probability
	of k or fewer successes is q.
	Example:
	BINOMIAL_ICDF(4,0.5,0.6875) $\rightarrow$ 2
bisector	Syntax:
	bisector(Point1, Point2, Point3)
	Given three points, creates the bisector of the angle defined by the three points whose vertex is at the first point. The angle does not have to be drawn in the Plot view.
	Examples:
	bisector(0,-4*i,4)
	bisector(0,1,i)
	bisector(GA,GB,GC) draws the bisector of 4BAC.
	bisector(0,-4i,4) draws the line given by y=-x
BITAND	Bitwise AND
	Syntax:
	BITAND(int1, int2, intn)
	Returns the bitwise logical AND of the specified integers.
	Example:
DITMOT	BITAND(20,13) → 4  Bitwise NOT
BITNOT	Syntax:
	BITNOT(int)
	Returns the bitwise logical NOT of the specified integer.
	Example:
	BITNOT(47) → 549755813840
BITOR	Bitwise OR
	Syntax:
	BITOR(int1, int2, intn)
	Returns the bitwise logical OR of the specified integers.
	Example:
	BITOR(9,26) → 27
BITSL	Bitwise Shift Left
	Syntax:
	BITSL(int1 [, int2])
	Takes one or two integers as input and returns the result of shifting the bits in the first integer to the le
	by the number of places indicated by the second integer. If there is no second integer, then the bits in first integer are shifted to the left one place.
	Examples:
	BITSL(28,2) → 112
	BITSL(5) → 10
BITSR	Bitwise Shift Right
	Syntax:
	BITSR(int1 [, int2])
	Takes one or two integers as input and returns the result of shifting the bits in the first integer to the result of shifting the bits in the first integer to the result of shifting the number of places indicated by the second integer. If there is no second integer, then the bits in
	first integer are shifted to the right one place.  Examples:
	BITSR(112,2) → 28
	BITSR(10) → 5
BITXOR	Bitwise XOR
	Syntax:
	BITXOR(int1, int2, intn)
	Returns the bitwise logical exclusive OR of the specified integers.
	Example:
	BITXOR(9,26) → 19
BLIT	Copy GROB
	Syntax:
	BLIT([trgtG], [dx1, dy1], [dx2, dy2], srcG, [sx1, sy1], [sx2, sy2], [c], [alpha])

opics Tree	13217 Help Text	
Jpics Tree	·	raphic srcG between point (sx1, sy1) and (sx2, sy2) into the region of trgtG between
		dx2, dy2). Pixels from srcG that are color c are not copied. alpha is a number from 0
		paque) which represent the transparency (alpha channel) of the source bitmap.
	The defaults for the o	otional arguments are:
	trgtG = G0	
	srcG = G0	
	sx1, sy1 = srcGRB to	left corner
	sx2, sy2 = srcGRB bc	
	dx1, dy1 = trgtGRB t	
	dx2, dy2 = calculated	so destination area is the same as source area
	c = all pixel colors	
	alpha= 255 (fully opa	que)
	Note: when using the	c and alpha options, it is highly recommended to specify the source x/y coordinates
		that the system can distinguish what each parameter is.
		,
	Example:	
	Demo BLIT	
DLIT D	Copy GROB	
BLIT_P	, ,	
	Syntax:	
	BLIT_P([trgtG], [dx1, c	y1], [dx2, dy2], srcG, [sx1, sy1], [sx2, sy2], [c], [alpha])
		raphic srcG between point (sx1, sy1) and (sx2, sy2) into the region of trgtG between
		dx2, dy2). Pixels from srcG that are color c are not copied. alpha is a number from ( paque) which represent the transparency (alpha channel) of the source bitmap.
	The defaults for the a	otional arguments are:
		אניטיומי מי צעוווכוונג מיכ.
	trgtG = G0	
	srcG = G0	
	sx1, sy1 = srcGRB to	left corner
	sx2, sy2 = srcGRB bo	ttom right corner
	dx1, dy1 = trgtGRB t	on left corner
		so destination area is the same as source area
		so destination area is the same as source area
	c = all pixel colors	
	alpha= 255 (fully opa	que)
	Note: when using the	and alpha options, it is highly recommended to specify the source x/y coordinates
	in order to make sure	that the system can distinguish what each parameter is.
	Example:	
	Demo_BLIT_P	
blockmatrix	Block Matrix	
	Syntax:	
	blockmatrix(m,n,{mat	ix_blocks})
	Returns the matrix of	size m*n created from a vector of matrix_blocks of count m*n.
	Example:	
		(4.2.2)   (4.2.2)   (4.2.2)
		mat(1,2,2),makemat(2,2,2),makemat(3,2,2),makemat(4,2,2)}) →
haratat faratar	[[1,1,2,2],[1,1,2,2],[3,3	[,4,4],[3,3,4,4]] returned by a limit function thereby indicating that the function is bounded.
bounded_function	Neturns the argument	returned by a limit function thereby indicating that the function is bounded.
BREAK	Break Loop	
	Syntax:	
	BREAK [n];	
	Exits from expression	ocal loop structure.
	Example:	
	FOR A FROM 1 TO 10	00
	B:= (A+3) MOD 5	
The state of the s	IF B==1 THEN BREAK	
	END;	
	END; END;	o exit n loop structures.
	END; END;	
	END; END; If n is specified, allow Example:	
hreaknoint	END; END; If n is specified, allow Example: Demo_BREAK	
breakpoint	END; END; If n is specified, allow Example: Demo_BREAK Syntax:	
breakpoint	END; END; If n is specified, allow Example: Demo_BREAK Syntax: breakpoint(Intg)	
breakpoint	END; END; If n is specified, allow Example: Demo_BREAK Syntax: breakpoint(Intg) Adds a breakpoint.	
breakpoint	END; END; If n is specified, allow Example: Demo_BREAK Syntax: breakpoint(Intg)	
breakpoint	END; END; If n is specified, allow Example: Demo_BREAK Syntax: breakpoint(Intg) Adds a breakpoint.	
	END; END; If n is specified, allow Example: Demo_BREAK Syntax: breakpoint(Intg) Adds a breakpoint. Example:	
breakpoint B→R	END; END; If n is specified, allow Example: Demo_BREAK Syntax: breakpoint(Intg) Adds a breakpoint. Example: breakpoint(1) Base to Real	
	END; END; If n is specified, allow Example: Demo_BREAK Syntax: breakpoint(Intg) Adds a breakpoint. Example: breakpoint(1) Base to Real Syntax:	
	END; END; If n is specified, allow Example: Demo_BREAK  Syntax: breakpoint(Intg) Adds a breakpoint. Example: breakpoint(1) Base to Real Syntax: B→R(#integer[m])	to exit n loop structures.
	END; END; If n is specified, allow Example: Demo_BREAK  Syntax: breakpoint(Intg) Adds a breakpoint. Example: breakpoint(1) Base to Real Syntax: B→R(#integer[m])	
	END; END; If n is specified, allow Example: Demo_BREAK  Syntax: breakpoint(Intg) Adds a breakpoint. Example: breakpoint(1) Base to Real Syntax: B→R(#integer[m]) Converts an integer in	to exit n loop structures.

Camples   B-HRITIODD   31   B-HRITIODD   32   Syntax   Cloc2[cycle_Locycle_Cycle_Demutation product of cycle 1 and cycle 2.   Beample: Cloc2[[1,2,1],13] > [3,4,2,1]   Clop2   Syntax   Clop2[cycle_Demutation   Returns the permutation product of cycle and permutation.   Clop2	nia Tua	Hala Taut
### ##################################	pics Tree 13217	Help Text
B = P(B) (B) 1) 4 - 455 (If system base in headedcone) B = P(B(B) (B) 1, 455 (If system base in headedcone) B = P(B) (B) 1, 455 (If system base in headedcone) B = P(B) (B) 1, 455 (If system base in headedcone) System Cook(System base in headedcone) System Cook(System base in headedcone) Cook(System base in headedcone) System Control of from System System Control of from System System Cook(System base in headedcone) System Cook(System base in h		
B-94[(a001)(10.04-10.0])   2 (57.65.5)     Systex   ColoCity(viet, Cyrel2)     Returns the permutation product of cyclet and cycle2.     Returns the permutation product of cyclet and cycle2.     Returns the permutation product of cyclet and cycle2.     Systex   ColoCity(viet, Cyrel2)     Colombia   Colomb		
CODE  Syntax  Concilis 12 (12 (13) % 10 x 2.2 (1)  Syntax  Concilis 2 (12 (13) % 10 x 2.2 (1)  Syntax  Concilis 2 (12 (13) % 10 x 2.2 (1)  Syntax  Concilis 2 (12 (13) % 10 x 2.2 (1)  Syntax  Concilis 3 (12 (13) % 10 x 2.2 (1)  Syntax  Concilis 4 (12 (13) % 10 x 2.2 (1)  Concilis 4 (12 (13) % 10 x 2.2 (1)  Concilis 5 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (12 (13) % 10 x 2.2 (1)  Concilis 6 (13) % 10 x 2.2 (1)  Concilis 7 (13) % 10 x 2.2		B→R(#1101) $\rightarrow$ 4353 (If system base is hexadecimal)
clock/special-capical/ Returns the permutation product of cycle and cycle 2. Example: clocx/[6/12/[1,3]] = {4,42-3}  Syntax: Canonical_form Syntax: canonical_form Syntax: canonical_form Syntax: canonical_form Syntax: canonical_form   Syntax: canonical_form   Syntax: canonical_form   Syntax: canonical_form   Syntax: canonical_form   Syntax: canonical_form(\(Pire in July 2/Px   3\) - 37. canonical_form(\(\text{Pire in July 2/Px   3\) - 37. canonica		$B \rightarrow R(\{\#101h,\#101o,\#101b\}) \rightarrow \{257,65,5\}$
Returns the permutation product of cycles and cycle2. Committe: clacx[(4,3)[1,3]) = (3,4,2,3]  Syntax: ClosQ((cycle permutation) Returns the permutation product of cycle and permutation. Example: classification product of cycle and permutation. Example: classification product of cycle and permutation. Example: classification product of cycle and permutation. Example: cannot committed product product of cycle and permutation. Example: cannot committed product product of cycle and permutation. Example: cannot committed product pro	c1oc2	Syntax:
Carpille		c1oc2(cycle1,cycle2)
Carpille		Returns the permutation product of cycle1 and cycle2.
clocal [4,2,1], [3,1] = [5,4,2,2]  clop[volume]  clop[volu		
Systax:  Canonical_form  Canonical_form  Canonical_form  Canonical_form  Canonical_form  Canonical_form  Canonical_form  Canonical_form  Systax:  canonical_form(Princinal_Vair))  Calonical_form(Princinal_Vair))  Calonical_form(Prin		
clap2[cpick_germutation] Returns the permutation product of cycle and permutation. Example: clap2[cpick_12][g3,2A,1]] > [g4,1,2]  Canonical_form Syntax: canonical_form(7 monal_form)  Canonical_form(7 monal_form(7 monal_form)  Canonical_form(7 mon		
Returns the permutation product of cycle and permutation. Example:	c1op2	
Example:		c1op2(cycle,permutation)
cioselfa.2.  3.2.4.   >  3.4.1.2      Canonical form   Systax:   caronical_form[Trinomial_form]     Canonical form   Systax:   caronical_form[2**12**+1] → 2*(s.3)*.17     canonical_form(2**12**+1) → 2*(s.3)*.17     canonical_form(2**+1) → 2*(s.3)*.17     canonical		Returns the permutation product of cycle and permutation.
Canonical form    Canonical form   Syntax:   Caronical form of a second degree polymornial.   Examples:   Canonical form of a second degree polymornial.   Examples:   Canonical form(2**12**12**1.2*) = 2*(*.53**1.7*)   Canonical form(2**12**1.2*) = 2*(*.53**1.7*)   Canonical form(2**12**1.2*) = 2*(*.53**1.7*)   Canonical form(2**12**1.2*) = 2*(*.53**1.7*)   Canonical form(2**12**1.2*)   CAS form(2001		Example:
Canonical form    Canonical form   Syntax		$c1op2([4,1,2],[3,2,4,1]) \rightarrow [3,4,1,2]$
Systax canonical form (Finomial, IVari) Canonical form of a second degree polynomial. Samples: canonical form (2**12**a1) ~ 2*(xa)*17 c	canonical form	
canonical, form (Triormalls,(Var)) Camonical (Interm2**-12**+1) + 2*(x-3)*-17 canonical (Interm2**-12**-14*-14)  CAS CAS Evaluation Syntax CAS (expression) or CAS (variable(()) CAS (variable(())) Evaluate an expression or variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol metrices.  CASE  Sinta s **CASE = END** branch structure. Syntax CASE  (ASE If test) THEN commands 1 END If test) THEN commands 2 END If test) THEN commands 5 END If the CASE Command 5 END If the C	canonical_lorini	
CASE		
Examples: canonical_form(2**4.12**x1) → 2*[x.3]*-17 canonical_form(2**4.		
canonical_form(2**12**+13) = 2*(x*)3*-17 canonical_form(2**12**+12**+13)  CAS  CAS related for Spring for CAS function() or CAS function() or CAS function() or CAS function() or CAS variable()    Evaluate an expression or variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol matrices.  CASE  Sarra 3**CASE		Canonical form of a second degree polynomial.
CAS  CAS Evaluation Syntax: CAS(expression) or CAS function—I or CAS function—I or CAS function—I or CAS function—I or CAS variable (I) Evaluate an expression or variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol motives.  Solution—I or CASE  Solution—I or CASE  Solution—I or CASE  First ITHEN commands I END If text ITHEN commands I END If text ITHEN commands END If the command		Examples:
CAS  CAS Evaluation Syntax: CAS(sunction() or CAS function() or CAS function() or CAS function() or CAS valuable() Evaluate an expression or variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol notices.  Starts a "CASE _ END" branch structure. Syntax: CASE  If test1 THEN commands1 END IF test2 THEN commands2 END IF test1 THEN commands2 END IF test1 THEN commands4 END IDEFAULT [commands5] END END END END Finances test1. If true, executes commands1 and ends the CASE Otherwise, evaluates test2. If the executes commands2 commands2 exists and the executes commands3 and ends the CASE Otherwise, evaluates test2. If the executes commands4. Commands0, if provided. Example: Demo_CASE  Concatenate Syntax: Cat(Obj1, Obj2,, Objn) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: cat(ty) Example: cat(ty) Syntax: cat(ty)(0,1,0,1,2) Cauchy probability density function Computes the probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. 8 y det is 0 and a is 1. Examples: cauchy_Coff(x0,2,x,(x2)) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_Coff(x0,2,1,1) → 0.757762116818 cauchy_Coff(x0,2,2,1,1) → 0.757762116818 cauchy_Coff(x0,2,2,1,1) → 0.059870954516		canonical_form( $2*x^2-12*x+1$ ) $\rightarrow 2*(x-3)^2-17$
CAS Featuation Syntox: CAS function() or CAS variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for syntom motivities.  Syntox: CASE  Starts a "COSE END" branch structure. Syntox: CASE If test1 THEN commands1 END IF test2 THEN commands2 END IF test2 THEN commands4 END IDEFAULTI (commands4) IPD Follows Follow		canonical_form(2*a²-12*a+1,a)
Syntax:  CAS(expression) or  CAS function() or  CAS variable([])  Evaluate an expression or variable using the CAS.  Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol motitices.  CASE  Starts at "CASE. END" branch structure.  Syntax:  CASE  If test1 THEN commands1 END  IF test2 THEN commands2 END  IF test2 THEN commands2 END  IF test3 THEN commands2 END  IF test3 THEN commands4 END  IF test4 THEN commands4 END  IF test4 THEN commands4 END  IF test4 THEN commands4 END  IF test5 THEN commands4 END  IF test5 THEN commands4 END  IF test6 THEN commands4 END  IF test6 THEN commands4 END  IF test7 THEN commands4 END  IF test8 THEN commands4 END  IF test8 THEN commands4 END  IF test8 THEN commands5 END  IF test8 THEN commands5 END  IF test8 THEN commands4 END  IF test8 THEN commands5 END  IF test8 THEN commands4 END  IF test8 THEN commands5 END  IF test8 THEN commands5 END  IF test8 THEN commands5 END  IF test8 THEN commands6 END  IF test8 T	CVZ	
CAS(expression) or CAS function() or CAS variable(   ) Evaluate an expression or variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol matrices.  CASE  Starts as "CASE END" branch structure. Syntax: CASE  If test1 THEN commands1 END If feet2 THEN commands2 END  IF testN THEN commands0 END [DEFAULT] (commands0) END  EValuates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Or commands0, if provided. Example: Demo_CASE  Cat  Concatenate Syntax: cat(Db)1, Ob)2,, Ob)n) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: cat("aaa",(.12"3) ⇒ "aaac36"  Cauchy Orenstly Syntax: cauchy(n)(a,  a,  a,  a,  a,  a,  a,  a,  a,  a,	CA3	
CAS.function() or CAS.variable([]) Evaluates an expression or variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol matrices.  Slarts a "CASE END" branch structure. Syntax: CASE  If test1.THEN commands I END If test2.THEN commands I END If test3.THEN commands I END IDEFAULT [Commands I END I		
CAS-variable([]) Evaluate an expression or variable using the CAS. Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol matrices. Syntax: CASE  Starts a "CASE RND" branch structure. Syntax: CASE  If test1 THEN commands1 END If test2 THEN commands2 END —— If test1 THEN commands2 END —— If test3 THEN commands3 END  (DEFAUT) [commands0] END; END; Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, execuments of the case		
Evaluate an expression or variable using the CAS.  Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol matrices.  Sartrs a "CASE — END" branch structure.  Syntox:  CASE  If test1 THEN commands1 END  If test2 THEN commands2 END  ""  If test3 THEN commands2 END  "Body Case of the End		CAS.function() or
Note that outputs in numerical mode are transformed into strings or lists of expressions for symbol matrices.  Starts a "CASE END" branch structure.  Syntax:  CASE  If test1 THEN commands1 END  If test2 THEN commands2 END   If test3 THEN commands1 END  [DEFAULT] [commands0]  END;  Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, executed executes commands0, if provided.  Example:  Demo_CASE  Cat  Concatenate  Demo_CASE  Concatenate  Syntax:  Cat(Dbj.) Obj2,, Objn)  Evaluates the objects in a sequence, then returns them concatenated as a string.  Example:  Cat("maa", (1.2"3) → "mac36"  Cauchy Density  Syntax:  Cauchy (1.3") = "mac36"  Cauchy pensity  Syntax:  Cauchy(1.3") = "mac36"  Cauchy probability density function  Computes the probability of the Cauchy probability density function for the value x, given parameters so and a. Examples:  cauchy_cdf(0.2.2.1.3.) → 0.0598579954516  Inverse Cumulative Cauchy  Syntax:  cauchy_icdf(0.2.2.1.3.) → 0.0598579954516		CAS.variable[()]
CASE  Sarts a "CASE END" branch structure.  Syntax:  CASE  IF test1 THEN commands1 END  IF test2 THEN commands2 END   IF testN THEN commands1 END  [DEFAULT] [commands0 END  [DEFAULT] [commands1 END  [DEFAULT] [commands		Evaluate an expression or variable using the CAS.
Sarts as "CASE END" branch structure.  Syntax:  CASE    Fitest1 THEN commands1 END   IF test2 THEN commands2 END   Fitest3 THEN commands2 END   IF test3 THEN commands5 END   DEFAULT] [commandsD]   END;   Evaluates test4. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. In for outside the commands2. In the executes commands2. In for outside the executes commands2. In for outside the executes commands4. In the executes commands5. If provided.   Example: Demo_CASE   Demo_CASE		
Syntax:  CASE  IF test1. THEN commands1 END  IF test2. THEN commands2 END   IF test8. THEN commands2 END   IF test8. THEN commands4 END  [DEFAULT] [commandsD]  END;  Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, execommands2. Continues evaluating tests until a true is found. If no true test is found, executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commands2. Continues evaluating tests until a true is found. If no true test is found, executed executes commands2. Continues evaluating tests until a true is found. If no true test is found, executed executes execu		
Syntax:  CASE  IF test1 THEN commands1 END  IF test2 THEN commands2 END   IF testN THEN commands2 END   IF testN THEN commands0 END  [DEFAULT] [commandsD]  END;  Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commands0, if provided.  Example:  Demo_CASE  Concatenate  Syntax:  cat(Obj1, Obj2,, Objn)  Evaluates the objects in a sequence, then returns them concatenated as a string.  Example:  cat("asa", 1,2*3) ⇒ "asac36"  Cauchy Density  Syntax:  cauchy([s0],  a ,x)  Cauchy probability density function  Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By del is 0 and a is 1.  Examples:  cauchy(1) ⇒ 1/2/π  cauchy(0,1,1) → 1/2/π  cauchy(0,1,1) → 1/2/π  cauchy_cdf(x0,a,x,(x2))  Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a.  Examples:  cauchy_cdf(x0,2,2,1,3,1) → 0.757762116818  cauchy_cdf(0,2,2,1,3,1) + 0.0598570954516  Inverse Cumulative Cauchy  Syntax:  cauchy_icdf(x0,a,p)	CASE	Starts a "CASE END" branch structure.
CASE  If test1 THEN commands1 END  IF test8 THEN commands2 END   IF test8 THEN commands2 END   IF test8 THEN commands8 END  [DEFAULT] [commandsD]  END;  Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands0. Continues evaluating tests until a true is found. If no true test is found, executes commands0. If provided.  Example:  Demo_CASE  Cat  Concatenate  Syntax:  cat(Obj1, Obj2,, Objn)  Evaluates the objects in a sequence, then returns them concatenated as a string.  Example:  cat' "aaa",c,12*3] → "aaac36"  Cauchy Density  Syntax:  cauchy([s0],ia],x)  Cauchy pensity density function  Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By det is 0 and a is 1.  Examples:  cauchy(11) → 1/2/π  cauchy(0,1,1) → 1/2/π  cauchy(0,1,1) → 1/2/π  cauchy_cdf(0,2,2,1,3) → (aachy)  Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a.  Examples:  cauchy_cdf(0,2,2,1,3,1) → 0.757762116818  cauchy_icdf(x0,a,p)		Syntax:
IF test1 THEN commands1 END  IF test2 THEN commands2 END   IF test3 THEN commands2 END   IF test3 THEN commands3 END  (DEFAULT] [commandsD]  END;  Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commands2. Continues evaluating tests until a true is found. If no true test is found, executed executes commands2. Continues evaluating tests until a true is found. If no true test is found, executed executes executes commands2. Continues evaluating tests until a true is found. If no true test is found, executed executes executed. Example:  cat(105)1, 05)2,, 05)jn)  Evaluates the objects in a sequence, then returns them concatenated as a string. Example:  cat(1)**ab**[c.12**] > "aaac36"  Cauchy (Dal)**ab**[c.2**] > "aaac36"  Cauchy (Dal)**[d.3]**ab**[c.2**] > "aaac36"  Cauchy (Jal)**[d.3]**(d.3)*[d.3]**(d.3)*[d.3]*(d.3)*[d.3)*(d.3)*[d.3)*(d.3)*[d.3]*(d.3)*[d.3)*(d.3)*[d.3)*(d.3)*[d.3)*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3]*(d.3)*[d.3)*[d.3)*[d.3]*(d.3)*[d.		
IF test2 THEN commands2 END  IF testN THEN commandsD END  [DEFAULT] [commandsD]  END;  Evaluates test1. If true, executes commands1 and ends the CASE, Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, execommandsD, if provided.  Example:  Demo_CASE  Cat  Concatenate  Syntax:  cat(Obj1, Obj2,, Objn)  Evaluates the objects in a sequence, then returns them concatenated as a string.  Example:  cat("aaa",c,12*3) ⇒ "aaac36"  Cauchy  Cauchy Density  Syntax:  cauchy([x0],[a],x)  Cauchy probability density function  Computes the probability density function  Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By det is 0 and a is 1.  Examples:  cauchy(1) ⇒ 1/2/π  cauchy(0,1,1) ⇒ 1/2/π  cauchy(0,1,1) ⇒ 1/2/π  cauchy(0,1,1) ⇒ 1/2/π  cauchy(0,1,1) ⇒ 1/2/π  cauchy(0,2,1) ⇒ 0.757762116818  cauchy_cdf(0,2,2,1,3-1) ⇒ 0.0598570954516  Inverse Cumulative Cauchy  Syntax:  cauchy_cdf(0,2,2,1,3-1) ⇒ 0.0598570954516		
If testN THEN commands N END  [DEFAULT] [commandsD]  END;  Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true, executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commandsD, if provided.  Example:  Demo_CASE  Cat  Concatenate  Syntax:  cat(Ob)1, Ob)2,, Ob n)  Evaluates the objects in a sequence, then returns them concatenated as a string.  Example:  cat("aaa", c,12*3) ⇒ "aaac36"  Cauchy  Cauchy Density  Syntax:  cauchy([So],[a],x)  Cauchy probability density function  Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By deficit of the cauchy of the cauchy distribution at x given parameters x0 and a. By deficit of the cauchy continued to the cauchy cauchy cauchy (Syntax):  cauchy_Cdf(x0,a,x,[x2])  Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a.  Examples:  cauchy_cdf(x0,a,x,[x2])  Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a.  Examples:  cauchy_cdf(x0,2,1) → 0.757762116818  cauchy_cdf(x0,2,1) → 0.757762116818  cauchy_cdf(x0,2,1) → 0.0598570954516  Inverse cumulative Cauchy  Syntax:  cauchy_icdf(x0,a,p)		
[DEFAULT] [commandsD]   END;   Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, executes commands0, if provided.   Example: Demo_CASE		IF test2 THEN commands2 END
[DEFAULT] [commandsD] END; Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, execommands0, if provided. Example: Demo_CASE  Cat  Concatenate Syntax: cat(Obj1, Obj2, Objn) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: catt*aaa**[c.12*3] → "aaac36**  Cauchy Density Syntax: cauchy([X0],[a],X) Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By defix of a single parameters and a si		
END; Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true, executes commands2. Continues evaluating tests until a true is found. If no true test is found, execommandsD, if provided. Example: Demo_CASE  Concatenate Syntax: cat(Obj1, Obj2,, Objn) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: cat("asa",c.12"3) → "asaca56"  Cauchy  Cauchy Density Syntax: cauchy([x0],[a],x) Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By deficit is 0 and a is 1. Examples: cauchy(1) → 1/2/π cauchy(0,1,1) → 1/2/π cauchy(0,1,1) → 1/2/π cauchy(0,1,1) → 1/2/π cauchy(cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(x0,2,1,3,1) → 0.0598570954516  Inverse Cumulative Cauchy Syntax: cauchy_icdf(x0,a,p)		IF testN THEN commandsN END
Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, execommands0, if provided. Example:  Demo_CASE  Concatenate Syntax: cat(Ob)1, Ob)2,, Ob)n) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: cat("aaa",c,12*3) → "aaac36"  Cauchy Density Syntax: cauchy([x0],[a],x) Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By del is 0 and a is 1. Examples: cauchy(1) → 1/2/π cauchy(1,1) → 1/2/π Cauchy_cdf(x0,a,x,(x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(x0,2,1,3) → 0.757762116818 cauchy_cdf(0,2,2,1,3,1) → 0.0598570954516  Inverse Cumulative Cauchy Syntax: cauchy_icdf(x0,a,p)		[DEFAULT] [commandsD]
Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true executes commands2. Continues evaluating tests until a true is found. If no true test is found, executed commands0. If provided. Example:  Demo_CASE  Concatenate Syntax: cat(Ob)1, Ob)2,, Ob)n) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: cat("aaa",c,12*3) \rightarrow "aaac36"  Cauchy Density Syntax: cauchy([x0],[a],x) Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By del is 0 and a is 1. Examples: cauchy(1) \rightarrow 1/2/\pi cauchy(1,1) \rightarrow 1/2/\pi cauchy(0,1,1) \rightarrow 1/2/\pi cauchy_cdf(0,2,2,1,3) \rightarrow 0.0598570954516  Inverse Cumulative Cauchy Syntax: cauchy_cdf(0,2,2,1,3,1) \rightarrow 0.0598570954516  Inverse Cumulative Cauchy Syntax: cauchy_icdf(x0,2,p)		END;
executes commands2. Continues evaluating tests until a true is found. If no true test is found, execommandsD, if provided. Example: Demo_CASE  Concatenate Syntax: cat(Ob)1, Ob)2,, Ob)n) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: cat("aaa",c,12*3) → "aaac36"  Cauchy Cauchy Density Syntax: cauchy([x0],[a],x) Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By definity of a single parameters x0 and a. By definity of the Cauchy distribution at x given parameters x0 and a. By definity of the Cauchy distribution at x given parameters x0 and a. By definity of the Cauchy distribution at x given parameters x0 and a. By definity of the Cauchy distribution at x given parameters x0 and a. By definity of the Cauchy distribution at x given parameters x0 and a. By definity of the Cauchy distribution at x given parameters x0 and a. By definity of the Cauchy distribution at x given parameters x0 and a. By definity of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(x0,2,2.1) → 0.757762116818 cauchy_cdf(x0,2,2.1) → 0.757762116818 cauchy_cdf(x0,2,2.1,3.1) → 0.0598570954516  Inverse Cumulative Cauchy Syntax: cauchy_icdf(x0,2,p)		
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Demo_CASE  Concatenate Syntax: cat(Obj.1, Obj2,, Objn) Evaluates the objects in a sequence, then returns them concatenated as a string. Example: cat("aaa",c,12*3) → "aaac36"  Cauchy  Cauchy Density Syntax: cauchy([80],[a],x) Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By define a la 1. Examples: cauchy(1) → 1/2/π cauchy(0,1,1) → 1/2/π  Cauchy_cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(x0,2,2,1) → 0.757762116818 cauchy_cdf(0,2,2,1) → 0.757762116818 cauchy_cdf(0,2,2,1,3 → 0.0598570954516  Cauchy_icdf Inverse Cumulative Cauchy Syntax: cauchy_icdf(x0,a,p)		
$ \begin{array}{c} \text{Cat} \\ \text{Syntax:} \\ \text{cat}(\text{Obj1, Obj2,, Objn)} \\ \text{Evaluates the objects in a sequence, then returns them concatenated as a string.} \\ \text{Example:} \\ \text{cat}(\text{"aaa",c,12*3)} \Rightarrow \text{"aaac36"} \\ \text{Cauchy} \\ \text{Cauchy} \\ \text{Syntax:} \\ \text{cauchy}([x0], [a], x) \\ \text{Cauch probability density function} \\ \text{Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By defix 0 and a is 1.} \\ \text{Examples:} \\ \text{cauchy}(1) \Rightarrow 1/2/\pi \\ \text{cauchy}(0,1,1) \Rightarrow 1/2/\pi \\ \text{cauchy}(0,1,$		Example:
Cat  Concatenate Syntax: $cat(0b 1,0b 2,,0b n)$ Evaluates the objects in a sequence, then returns them concatenated as a string. Example: $cat(^aaa^a,c,12^*a) \Rightarrow ^aaac36^a$ Cauchy  Cauchy Density Syntax: $cauchy([s0],[a],x)$ Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By del is 0 and a is 1. Examples: $cauchy(1) \Rightarrow 1/2/\pi$ $cauchy(0,1,1) \Rightarrow 1/2/\pi$ $cauchy(0,1,1) \Rightarrow 1/2/\pi$ Cauchy—Cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: $cauchy\_cdf(x0,a,x,[x2])$ Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: $cauchy\_cdf(x0,2,1) \Rightarrow 0.757762116818$ $cauchy\_cdf(0,2,2,1) \Rightarrow 0.757762116818$ $cauchy\_cdf(0,2,2,1,3,1) \Rightarrow 0.0598570954516$ Cauchy_icdf Inverse Cumulative Cauchy Syntax: $cauchy\_cdf(x0,a,p)$		Demo CASE
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cat(Obj1, Obj2,, Objn)  Evaluates the objects in a sequence, then returns them concatenated as a string.  Example: cat("aaa",c,12*3) → "aaac36"  Cauchy Density Syntax: cauchy([x0],[a],x) Cauchy probability density function Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By def is 0 and a is 1. Examples: cauchy(1) → 1/2/π cauchy(0,1,1) → 1/2/π cauchy(0,1,1) → 1/2/π cauchy_cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(0,2,2.1) → 0.757762116818 cauchy_cdf(0,2,2.1,3.1) → 0.0598570954516  Cauchy_icdf(x0,a,p)	cat	
Evaluates the objects in a sequence, then returns them concatenated as a string.  Example:		
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Cauchy Density $Syntax: \\ cauchy([x0],[a],x) \\ Cauchy probability density function \\ Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By define the substitution of the Cauchy distribution at x given parameters x0 and a. By define the cauchy distribution at x given parameters x0 and a. By define the cauchy density of the Cauchy distribution at x given parameters x0 and a. By define the cauchy density function at x given parameters x0 and a. By define the cauchy distribution at x given parameters x0 and a. By define the cauchy cauchy for the cauchy probability density function for the value x, given parameters x0 and a. By define the cauchy probability density function for the value x, given parameters x0 and a. By define the cauchy probability density function for the value x, given parameters x0 and a. By define the cauchy probability density function for the value x, given parameters x0 and a. By define the cauchy probability density function at x given parameters x0 and a. By define the cauchy cauc$		Example:
Syntax:		cat("aaa",c,12*3) → "aaac36"
Syntax:	cauchy	Cauchy Density
$ \begin{array}{c} cauchy([x0],[a],x) \\ Cauchy \ probability \ density \ function \\ Computes \ the \ probability \ density \ of \ the \ Cauchy \ distribution \ at \ x \ given \ parameters \ x0 \ and \ a \ . \ By \ def \ is \ 0 \ and \ a \ is \ 1 \\ Examples \ cauchy(1) \to 1/2/\pi \\ cauchy(0,1,1) \to 1/2/\pi \\ cauchy\_cdf \ & Cumulative \ Cauchy \\ Syntax \ cauchy\_cdf(x0,a,x,[x2]) \\ Returns \ the \ lower-tail \ probability \ of \ the \ Cauchy \ probability \ density \ function \ for \ the \ value \ x, \ given \\ parameters \ x0 \ and \ a \ . \\ Examples \ cauchy\_cdf(0,2,2,1) \to 0.0.757762116818 \\ cauchy\_cdf(0,2,2,1,3,1) \to 0.0.0598570954516 \\ Cauchy\_icdf \ & Inverse \ Cumulative \ Cauchy \\ Syntax \ cauchy\_icdf(x0,a,p) \end{array}$	cadeny	
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Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By defis 0 and a is 1.  Examples: cauchy(1) → 1/2/π cauchy(0,1,1) → 1/2/π  Cauchy_cdf  Cumulative Cauchy Syntax: cauchy_cdf(x0,a,x,[x2]) Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples: cauchy_cdf(0,2,2.1) → 0.757762116818 cauchy_cdf(0,2,2.1,3.1) → 0.0598570954516  Cauchy_icdf  Inverse Cumulative Cauchy Syntax: cauchy_icdf(x0,a,p)		
$ \begin{tabular}{ll} is 0 and a is 1. \\ Examples: \\ cauchy(1) & $1/2/\pi$ \\ cauchy(0,1,1) & $1/2/\pi$ \\ \\ \hline \begin{tabular}{ll} \hline cauchy\_cdf \\ \hline \begin{tabular}{ll} Cauchy \\ Syntax: \\ cauchy\_cdf(x0,a,x,[x2]) \\ Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. \\ Examples: \\ cauchy\_cdf(0,2,2.1) & $0.757762116818$ \\ cauchy\_cdf(0,2,2.1,3.1) & $0.0598570954516$ \\ \\ \hline \begin{tabular}{ll} Cauchy\_icdf \\ Syntax: \\ cauchy\_icdf(x0,a,p) \\ \hline \end{tabular} $		
$ \begin{array}{c} \text{Examples:} \\ \text{cauchy}(1) \rightarrow 1/2/\pi \\ \text{cauchy}(0,1,1) \rightarrow 1/2/\pi \\ \\ \text{Cauchy\_cdf} \\ \\ \text{Cauchy\_cdf} \\ \\ \text{Cauchy\_cdf}(x_0,a,x,[x_2]) \\ \text{Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a.} \\ \text{Examples:} \\ \text{cauchy\_cdf}(0,2,2.1) \rightarrow 0.757762116818 \\ \text{cauchy\_cdf}(0,2,2.1,3.1) \rightarrow 0.0598570954516} \\ \\ \text{Cauchy\_icdf} \\ \text{Inverse Cumulative Cauchy} \\ \text{Syntax:} \\ \text{cauchy\_icdf}(x_0,a,p) \\ \\ \end{array} $		Computes the probability density of the Cauchy distribution at x given parameters x0 and a. By default,
$ \begin{array}{c} {\sf cauchy(1)} \to 1/2/\pi \\ {\sf cauchy(0,1,1)} \to 1/2/\pi \\ \\ {\sf Cauchy\_cdf} \end{array} $		
$ \begin{array}{c} cauchy(0,1,1) \rightarrow 1/2/\pi \\ \\ cauchy\_cdf & Cumulative Cauchy \\ \\ Syntax: \\ cauchy\_cdf(x,0,a,x,[x2]) \\ \\ Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. \\ \\ Examples: \\ cauchy\_cdf(0,2,2.1) \rightarrow 0.757762116818 \\ \\ cauchy\_cdf(0,2,2.1,3.1) \rightarrow 0.0598570954516 \\ \\ \\ cauchy\_icdf & Inverse Cumulative Cauchy \\ \\ Syntax: \\ \\ cauchy\_icdf(x,0,a,p) \\ \\ \end{array} $		Examples:
$\begin{tabular}{cccccccccccccccccccccccccccccccccccc$		cauchy(1) $ ightarrow$ 1/2/ $\pi$
$\label{eq:syntax:} Syntax: \\ cauchy\_cdf(x0,a,x,[x2]) \\ Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. \\ Examples: \\ cauchy\_cdf(0,2,2.1) \rightarrow 0.757762116818 \\ cauchy\_cdf(0,2,2.1,3.1) \rightarrow 0.0598570954516 \\ \\ Cauchy\_icdf \\ Syntax: \\ cauchy\_icdf(x0,a,p) \\$		$cauchy(0,1,1) \to 1/2/\pi$
$\label{eq:syntax:} Syntax: \\ cauchy\_cdf(x0,a,x,[x2]) \\ Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. \\ Examples: \\ cauchy\_cdf(0,2,2.1) \rightarrow 0.757762116818 \\ cauchy\_cdf(0,2,2.1,3.1) \rightarrow 0.0598570954516 \\ \\ Cauchy\_icdf \\ Syntax: \\ cauchy\_icdf(x0,a,p) \\$	cauchy cdf	Cumulative Cauchy
$ \begin{array}{c} \text{cauchy\_cdf(x0,a,x,[x2])} \\ \text{Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a.} \\ \text{Examples:} \\ \text{cauchy\_cdf(0,2,2.1)} \rightarrow 0.757762116818 \\ \text{cauchy\_cdf(0,2,2.1,3.1)} \rightarrow 0.0598570954516 \\ \\ \text{Cauchy\_icdf} \\ \text{Inverse Cumulative Cauchy} \\ \text{Syntax:} \\ \text{cauchy\_icdf(x0,a,p)} \\ \end{array} $	,	
Returns the lower-tail probability of the Cauchy probability density function for the value x, given parameters x0 and a. Examples:		
$\begin{array}{c} \text{parameters x0 and a.} \\ \text{Examples:} \\ \text{cauchy\_cdf(0,2,2.1)} \rightarrow 0.757762116818 \\ \text{cauchy\_cdf(0,2,2.1,3.1)} \rightarrow 0.0598570954516 \\ \\ \text{Cauchy\_icdf} \\ \text{Inverse Cumulative Cauchy} \\ \text{Syntax:} \\ \text{cauchy\_icdf(x0,a,p)} \end{array}$		
Examples:		
$ \begin{array}{c} cauchy\_cdf(0,2,2.1) \to 0.757762116818 \\ cauchy\_cdf(0,2,2.1,3.1) \to 0.0598570954516 \\ \\ cauchy\_icdf & Inverse Cumulative Cauchy \\ Syntax: \\ cauchy\_icdf(x0,a,p) \end{array} $		
$ \begin{array}{c}                                   $		
cauchy_icdf  Inverse Cumulative Cauchy Syntax: cauchy_icdf(x0,a,p)		cauchy_cdf(0,2,2.1) $\rightarrow$ 0.757762116818
Syntax: cauchy_icdf(x0,a,p)		cauchy_cdf(0,2,2.1,3.1) $\rightarrow$ 0.0598570954516
Syntax: cauchy_icdf(x0,a,p)	cauchy icdf	Inverse Cumulative Cauchy
cauchy_icdf(x0,a,p)		
Returns the value x such that the Cauchy lower-tall probability of x, given parameters x0 and a, is a		
		Returns the value x such that the Cauchy lower-tail probability of x, given parameters x0 and a, is p.

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		Example:
		$cauchy\_icdf(0,2,.95) \rightarrow 12.6275030293$
CEILING		Syntax:
		CEILING(value)
		Least integer greater than or equal to value.
		Examples:
		$CEILING(3.2) \rightarrow 4$
		CEILING(-3.2) → -3
		CEILING( $\{3.2, -3.2\}$ ) $\rightarrow \{4, -3\}$
center		Syntax:
		center(Circle)
		Returns the center of a circle. The circle can be defined by the circle command or by name (e.g., GC).
		Examples:
		$center(circle(x^2+y^2-x-y)) \rightarrow point(1/2,1/2)$
		$center(circumcircle(0,1,1+i)) \rightarrow point(1/2,1/2)$
cFactor		Complex Factor
		Syntax:
		cFactor(Expr)
		Returns an expression factorized over the complex field (on Gaussian integers if there are more than two
		Examples:
		$cFactor(x^{2*}y+y) \rightarrow y^{*}(x+i)^{*}(x-i)$
		cFactor( $x^2 + y^2 + y^2 + 2 + x^2 + 2$ ) $\rightarrow$ ( $x+i$ )*( $y+v2*i$ )*( $y+v2*i$ )*( $y+v2*i$ ))
changebase		Equivalent Matrix
- -		Syntax:
		changebase(A,P)
		changebase takes as argument a matrix A and a change-of-basis matrix P and creates an equivalent
		matrix, B, by multiplying them
		changebase returns the matrix B such that B=inv(P)*A*P.
		Example:
		changebase([[1,1],[0,1]],[[1,2],[3,4]]) $\rightarrow$ [[-5,-8],[9/2,7]]
CHAR		Syntax:
		CHAR(List) or CHAR(Vector) or CHAR(Integer)
		Returns the string corresponding to the numerical Unicode character codes in List or Vector, or the numerical Unicode character code of Integer.
		Examples:
		CHAR(65) → "A"
		CHAR({82,77,72}) → "RMH"
		CHAR({#261Eh,#265Eh,#266Ch,#266Dh,#2680h,#2685h}) → "☞ <b>2</b>
charpoly		Characteristic polynomial
po.,		Syntax:
		charpoly(Matrix,[Var])
		Returns the coefficients of the characteristic polynomial of a matrix. With only one argument, the variab
		used in the polynomial is x. With a variable as second argument, the polynomial returned is in terms of
		that variable.
		Examples:
		charpoly([[1,2],[3,4]], z) $\rightarrow$ z <sup>2</sup> -5*z-2
		charpoly([[1,2,3],[1,3,6],[2,5,7]],z)
chinrem		Chinese Remainder
		Syntax:
		chinrem(Matrix_2xn)
		Given a matrix whose 2 rows each contain the coefficients of a polynomial, returns the Chinese remaind of those polynomials, also written as a matrix.
		Example:
		chinrem([[1,2,0],[1,0,1]],[[1,1,0],[1,1,1]]) $\rightarrow$ [[2,2,1] [1,1,2,1,1]]
CHISQUARE		$\chi^2$ Density
CHISQUARE		Syntax:
		CHISQUARE(d, x)
		$\chi^2$ (Chi-squared) probability density function
		Computes the probability density of the $\chi^2$ distribution at x, given d degrees of freedom.
		Evample
		Example: CHISQUARE(2,3.2) → 0.100948258997
CHICOHARE COE		
CHISQUARE_CDF		Cumulative $\chi^2$
CHISQUARE_CDF		Syntax:
CHISQUARE_CDF		Syntax: CHISQUARE_CDF(d, x, [x2])
CHISQUARE_CDF		Syntax: $ CHISQUARE\_CDF(d,x,[x2])        $ Cumulative $\chi^2$ (Chi-squared) distribution function
CHISQUARE_CDF		Syntax: $ CHISQUARE\_CDF(d,x,[x2]) $ $ Cumulative ~\chi^2~(Chi-squared)~distribution~function $ $ With two values~(n~and~x)~returns~the~lower-tail~probability~of~the~\chi^2~probability~density~function~for~the $
CHISQUARE_CDF		Syntax: $ CHISQUARE\_CDF(d,x,[x2])        $ Cumulative $\chi^2$ (Chi-squared) distribution function

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13217	Examples:
	CHISQUARE_CDF(2,6.3) → 0.957147873133
	CHISQUARE_CDF(2,2,6.3) $\rightarrow$ 0.325027314304
CHISQUARE ICDF	Inverse Cumulative $\chi^2$
CHISQUARE_ICDI	Syntax:
	CHISQUARE_ICDF(d, p)
	Inverse cumulative $\chi^2$ (Chi-squared) distribution function
	Returns the value x such that the $\chi^2$ lower-tail probability of x, with d degrees of freedom, is p.
	Returns the value x such that the χ Tower-tail probability of x, with a degrees of freedom, is p.
	Example:
	CHISQUARE_ICDF(2,0.957147873133) → 6.3
chisquaret	χ² Test of Equality
	Syntax:
	chisquaret(Data,[distribution_law],[distribution_paramaters])
	$\chi^2$ test of equality between 2 (or n) samples, or between 1 sample and distribution_law.
	Examples:
	chisquaret([57,54])
	chisquaret([1,1,1,1,1,0,0,1,0,0,1,1,1,0,1,1,0,0,0,0
	chisquaret([57,30],[.6,.4])
	chisquaret([17,15,12,15],[15,13,13,14])
	chisquaret(randvector(1000,binomial,10,.5),binomial)
	chisquaret(randvector(1000,binomial,10,.5),binomial,11,.5)
	chisquaret(randvector(1000,normald,0,-2),normald)
	chisquaret([11,16,17,22,14,10],[1/6,1/6,1/6,1/6,1/6,1/6])
cholesky	Syntax:
one cont	cholesky(matrix)
	For a numerical symmetric matrix A, returns the matrix L such that A=L*tran(L).
	Example:
	$cholesky([[3,1],[1,4]]) \to [[3/V(3),0],[1/V(3),(1/3)^*V(33)]]$
CHOOSE	Choose Box
CHOOSE	Syntax:
	CHOOSE(var, "title", "item1", "item2",["item14"]) or
	CHOOSE(var, "title", ("item1""itemN"})
	Displays a choose box with the given "title" and containing items with the strings "item1", etc.
	Displays a choose box with the given title and containing items with the strings item1, etc.
	If the user chooses an object, var is updated to contain the number of the selected object (an integer, 1, 2
	3,) and CHOOSE returns true (non zero).
	If the user exits without choosing, var is not changed and CHOOSE returns false (0).
	Examples:
	CHOOSE(A, "Pick a Number",1,2,3,4)
	CHOOSE(B, "Direction", {"Up", "Left", "Right", "Down"})
CHOOSEDATE	Date Chooser
	Syntax:
	CHOOSEDATE(var, ["title"], [min_date], [max_date])
	Displays a calendar date chooser with the optional title displayed. An optional date range may be
	specified between min_date and max_date. If min_date or max_date is not given, any valid date for the
	system is allowed to be chosen. The existing date stored in var will be selected if valid and within
	min_date and max_date, else the first date within the specified range, or the current system date will be selected.
	If the user chooses a date, var is updated to contain the selected date in form YYYY.MMDD and
	CHOOSEDATE returns true (non zero).
	If the user exits without choosing, var is not changed and CHOOSEDATE returns false (0).
	Examples:
	CHOOSEDATE(A)
	CHOOSEDATE(A, "My Date")
	CHOOSEDATE(A, "My Date", 2017.1201)
	CHOOSEDATE(A, "My Date", 2017.1201, 2017.1231)
	CHOOSEDATE(A,2017.1201,2017.1231)
chrem	Chinese Remainders
	Syntax:
	chrem(List1, List2) or
	chrem(Vector1, Vector2)
	Returns a vector containing the Chinese remainders for two sets of integers, contained in either two
	vectors or two lists.
	Examples:
	$chrem([2,3],[7,5]) \rightarrow [-12,35]$ $chrem([2*,1.4*,1.2*,1.3*,1.1]) = [-7,11]$
	chrem([2*x+1,4*x+2,6*x-1,x+1],[3,5,7,11])
circle	chrem([2*x+1,4*x+2,6*x-1,x+1],[3,5,7,11])  Syntax:
circle	chrem([2*x+1,4*x+2,6*x-1,x+1],[3,5,7,11])

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	circle(equation)  Draws a circle given the endocints of the diameter, or a center and radius, or an equation in y and
	Draws a circle, given the endpoints of the diameter, or a center and radius, or an equation in x and
	Examples:
	circle(GA,GB) draws the circle with diameter AB.
	circle(GA,GB-GA) draws the circle with center at point A and radius AB.
	$circle(x^2+y^2=1)$ draws the unit circle.
	This command can also be used to draw a clockwise arc.
	$circle(GA,GB,0,\pi/2)$ draws a quarter-circle with diameter AB.
circumcircle	Syntax:
	circumcircle(Point1, Point2, Point3)
	Draws the circumcircle of a triangle; that is, the circle circumscribed about a triangle.
	Example:
	circumcircle(GA,GB,GC) draws the circle circumscribed about ΔABC
coeff	Coefficients of Polynomial
	Syntax:
	coeff(Expr, [Var], [Integer])
	Returns the list of coefficients of a polynomial with respect to the second argument or the coefficients the term whose degree is Integer.
	Examples:
	$coeff(x^3+2) \rightarrow [1,0,0,2]$
	$coeff(2*y^2-3,y,0) \rightarrow -3$
col	Column of Matrix
	Syntax:
	col(Matrix, Integer) or
	col(Matrix, Interval)
	Returns the column n or the sequence of the columns n1 n2 of the matrix A.
	Example:
	$col([[1,2,3],[4,5,6],[7,8,9]],2) \rightarrow [2,5,8]$
colDim	Column Dimension
Coldini	Syntax:
	colDim(Matrix)
	Returns the number of columns of a matrix.
	Examples:
	colDim([[1,2,3],[4,5,6]]) $\rightarrow$ 3
	colDim([[1,2],[3,4],[5,6]]) $\rightarrow$ 2
collect	Collect Like Terms
Concet	Syntax:
	collect(Poly) or
	collect(Poly, Var) or
	collect({Poly1, Poly2,, Polyn})
	Collects like terms in a polynomial expression (or of a list of polynomial expressions). Factorizes the
	results, depending on the CAS settings.
	If specified, will collect with respect to Var.
	Examples:
	$collect(x+2*x+1-4) \rightarrow 3*x-3$
	$collect(x^2-9*x+5*x+3+1) \rightarrow (x-2)^2$
	$collect(a^*(b-c)+d^*(b-c)) \rightarrow (-c+b)^*(a+d)$
	$collect(a^*(b-c)+d^*(b-c),a) \rightarrow b^*d-c^*d+(b-c)^*a$
COLNORM	Column Norm
	Syntax:
	COLNORM(matrix)
	Finds the maximum value (over all columns) of the sums of the absolute values of all elements in a
	Evample
	Example:
a a INI a was	COLNORM([[1,2],[3,4]]) → 6  Column Norm
colNorm	
	Syntax:
	COLNORM(Matrix)
	Finds the maximum value (over all columns) of the sums of the absolute values of all elements in column.
	Examples:
	$COLNORM([[1,2],[3,-4]]) \rightarrow 6$
	COLNORM([[1,2,3,-4],[-5,3,2,1]])
	Column Subspace
colspace	Syntax:
colspace	
colspace	
colspace	colspace(matrix,[variable])
colspace	

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	colspace([[1,2,3],[1,2,4],[1,2,5]])
	colspace([[1,2,3],[1,3,6],[2,5,9]],d)
COMB	Combinations
	Syntax:
	COMB(n, r)
	Returns the number of combinations (without regard to order) of n things taken r at a time: n!/(r!
	Examples:
	COMB(5,2) → 10
	$COMB({5,10,15},{1,2,3}) \rightarrow {5,45,455}$
COMB	Combinations
	Syntax:
	COMB(n, r)
	The number of combinations (without regard to order) of n things taken r at a time.
	Example:
	Suppose you want to know how many ways five things can be combined two at a time.
	COMB(5,2) → 10
comDenom	Common Denominator
Compension	Syntax:
	comDenom(Expr,[Var])
	Rewrites a sum of rational fractions as a one rational fraction. The denominator of the one rational
	fraction is the common denominator of the rational fractions in the original expression. With a val
	second argument, the numerator and denominator are developed according to it.
	Example:
	comDenom $(1/x+1/y^2+1) \rightarrow (x^*y^2+x+y^2)/(x^*y^2)$
common normandicular	Common Perpendicular
common_perpendicular	Syntax:
	common_perpendicular(Line(D1),Line(D2))
	Draws the common perpendicular of the lines D1 and D2.
	Example:
	common_perpendicular(line([0,0,0],[0,5,5]),line([5,0,0],[0,0,5]))
companion	Companion Matrix
	Syntax:
	companion(Poly,Var)
	Companion matrix of a polynomial (an=1).
	Example:
	companion( $x^2+5x-7,x$ ) $\rightarrow$ [[0,7],[1,-5]]
	Compare Objects
compare	
	Syntax:
	compare(Obj1, Obj2)
	Compares two objects and returns 1 if type(Obj1) <type(obj2) and<="" if="" or="" td="" type(obj1)="=type(Obj2)"></type(obj2)>
	Obj1 <obj2; 0.<="" otherwise="" returns="" td=""></obj2;>
	Examples:
	$compare(1,2) \rightarrow 1$
	compare("ab","cd") $\rightarrow$ 1
complexroot	Complex Root
	Syntax:
	complexroot(Poly, Real, [Complx1, Complx2])
	With a polynomial and a real as its two arguments, returns a matrix. Each row of the matrix contain
	either a complex root of the polynomial with its multiplicity or an interval containing such a root a
	multiplicity. The interval defines a (possibly) rectangular region in the complex plane where a com
	root lies.
	With two additional complex numbers as third and fourth arguments, returns a matrix as describe
	two arguments, but only for those roots lying in the rectangular region defined by the diagonal cre
	the two complex numbers.  Examples:
	complexroot(x^3+1,0.1) $\rightarrow$ [[-1,1],[[(262144-454047*i)/524288,(524288-
	908093*i)/1048576],1],[[(524288+908093*i)/1048576,(262144+454047*i)/524288],1]]
	complexroot(x^3+1,0.1,-1,1+2*i) $\rightarrow$ [[-1,1],[[(524288+908093*i)/1048576,(262144+454047*i)/524
	, , , , , , , , , , , , , , , , , , ,
CONCAT	Concatenate
	Syntax:
	CONCAT(value1, value2, [value16]) or
and the second s	CONCAT(List1, List2) or
	CONCAT(List, Item)
	CONCAT(List, Item) Concatenates (injus) items into a list or concatenates two lists
	Concatenates (joins) items into a list or concatenates two lists.
	Concatenates (joins) items into a list or concatenates two lists.  Examples:
	Concatenates (joins) items into a list or concatenates two lists. Examples: $ \text{CONCAT}(\{1,2,3\},4) \to \{1,2,3,4\} $
	Concatenates (joins) items into a list or concatenates two lists. Examples: $ \text{CONCAT}(\{1,2,3\},4) \rightarrow \{1,2,3,4\} $ $ \text{CONCAT}(1,2,3,4) \rightarrow \{1,2,3,4\} $
	Concatenates (joins) items into a list or concatenates two lists. Examples: $ {\sf CONCAT}(\{1,2,3\},4) \to \{1,2,3,4\} $

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	Syntax: CONCAT(Obj1, Obj2)
	Concatenates two lists or two strings or two sequences or 2 matrices.
	Examples:
	CONCAT( $\{1,2,3\},\{4,5,6\}$ ) $\rightarrow \{1,2,3,4,5,6\}$
	$CONCAT([[1,2],[3,4]],[1,2],[3,4]]) \rightarrow [[1,2,1,2],[3,4,3,4]]$
COND	Condition Number
	Syntax:
	COND(matrix)
	Finds the 1-norm (column norm) of a square matrix.
	Example:
	$COND([[1,2],[3,4]]) \rightarrow 21$
conic	Syntax:
	conic(Expr)
	Plots the graph of a conic section defined by an expression in x and y.
	Example:
	conic(x²+y²-81) draws a circle with center at (0,0) and radius of 9
CONJ	Complex Conjugate
	Syntax:
	CONJ(x+yi)
	Reverses the sign of the imaginary part of a complex number.
	Examples:
	$CONJ(3+4*i) \rightarrow 3-4*i$
	(CONJ({3+4*i,6-6*i}) → {3-4*i,6+6*i}
CONJ	Complex Conjugate
	Syntax:
	CONJ(Complex) or
	CONJ(List) or CONJ(Matrix)
	For a list or matrix, returns a list or matrix containing the complex conjugates of all complex elem
	Totalist of matrix, returns a list of matrix containing the complex conjugates of all complex elem
	Conjugation is the negation (sign reversal) of the imaginary part of a complex number.
	Evamples
	Examples: CONJ(3+4*i) $\rightarrow$ 3-4*i
	CONJ([[1+i,2,3],[1,3,6],[2,5,9-i]]))
contains	Syntax:
Contains	contains(List, Element) or
	contains(Vector, Element)
	Given a list or vector and an element, returns the index of the first occurrence of the element in t
	vector. If the element does not appear in the list or vector, returns 0.
	Evample
	Example: contains $\{\{0,1,2,3\},2\} \rightarrow 3$
Contont	Coefficient GCD
content	Syntax:
	content(Poly,[Var])
	Returns the greatest common divisor (GCD) of the coefficients of a polynomial.
	Example:
	content( $2*x^2+10*x+6$ ) $\rightarrow 2$
CONTINUE	Syntax:
CONTINUE	CONTINUE [n];
	Transfers execution in a loop to the start of the next iteration of the nth upper loop (default curre
	2.2.2. 2.2. 2.2. 2.2. 2.2. 2.2. 2.2. 2
	Example:
	Demo_CONTINUE
CONVERT	Syntax:
	CONVERT(Value Unit1, 1_Unit2)
	Converts Value Unit1 to the corresponding value in compatible Unit2.
	Example:
	CONVERT(20_m,1_ft) $\rightarrow$ 65.6167979003_ft
	Alternative: 20_m ▶_ft
convexhull	Convex Hull
	Syntax:
	convexhull(Point1, Point2,, PointN)
	Returns a vector containing the points that serve as the convex hull for a given set of points.
	I .
	Evample:
	Example:
coordinates	Example: $ convexhull([0,1,1+i,1+2i,-1-i,1-3i,-2+i]) \rightarrow [1-3*i\ 1+2*i\ -2+i\ -1-i\ ] $ Syntax:

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pies free	13217	coordinates(Vector)
		Given a point or a vector of points, returns a matrix containing the x- and y-coordinates of those points.
		Each row of the matrix defines one point; the first column gives the x-coordinates and the second column
		contains the y-coordinates.
		Examples:
		$coordinates(point(1+2*i)) \rightarrow [1,2]$
		$GA:=point(3,-4)$ ; $coordinates(GA) \rightarrow [3,-4]$
CopyVar		Copy Variable
		Syntax:
		CopyVar(Var1, Var2)
		Copies the first variable into the second variable without evaluation.
		Example:
		CopyVar(A,B)
correlation		Syntax:
Correlation		correlation(List) or
		correlation(Matrix)
		Returns the correlation of the elements of a list or matrix.
		Example:
		correlation([[1,2],[1,1],[4,7]]) $\rightarrow$ 33/(6*V31)
COS		Cosine Function
		Syntax:
		COS(Value)
		Returns the cosine of Value.
		Value is interpreted as radians, degrees or gradians, depending on the setting of Angle Measure in Hom
		Settings, CAS Settings, or Symbolic Setup.
		Example:
		$COS(60) \rightarrow 0.5$ (Degrees mode)
		COS(1+i) → 0.833730025131-0.988897705763*i
		$COS(\{60,0\}) \rightarrow \{0.5,1\} $ (Degrees mode)
		$COS((\pi/3)_{rad}) \rightarrow 0.499999999997$
cos2sintan		Syntax:
CO323IIItaii		cos2sintan(Expr)
		Replaces cos(x) by sin(x)/tan(x) in the argument.
		-
		Example:
		$\cos 2 \sin \tan(\cos(x)) \rightarrow \sin(x)/\tan(x)$
COSH		Hyperbolic Cosine
		Syntax:
		COSH(value)
		Hyperbolic Cosine
		Examples:
		COSH(1) → 1.54308063482
		$COSH(1+i) \rightarrow 0.833730025131+0.988897705763*i$
		$COSH(\{0,1\}) \to \{1,1.54308063482\}$
СОТ		Cotangent
(60)		Syntax:
		COT(value)
		Cotangent: COS(X)/SIN(X)
		Example:
		$COT(45) \rightarrow 1$ (Degrees mode)
		$COT(1+i) \rightarrow 0.217621561854-0.868014142896*i$
		$COT({45,90}) \rightarrow {1,0} (Degrees mode)$
		$COT((\pi/4)\_rad) \rightarrow 1$
count		Syntax:
		count(Var→Function, List) or
		count(Var→Function, Matrix) or
		count(Var→Test, List) or
		count(Var → Test, Matrix)
		There are two uses for this function, whose first argument is always a mapping of a variable onto an
		expression.
		If the expression is a function of the variable, then the function is applied to each element in a list or
		matrix (the second argument) and the sum of the results is returned.
		matrix (the second argument) and the sum of the results is returned.
		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of
		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of elements that pass the test is returned.
		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of elements that pass the test is returned.  Examples:
		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of elements that pass the test is returned. Examples: $count(x-x^2,\{1,2,3\}) \rightarrow 14$
		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of elements that pass the test is returned.  Examples:
count_eq		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of elements that pass the test is returned. Examples: $count(x-x^2,\{1,2,3\}) \rightarrow 14$
count_eq		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of elements that pass the test is returned. Examples:
count_eq		If the expression is a Boolean test, then each element in a list or matrix is tested and the number of elements that pass the test is returned. Examples:

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	Returns the count of items from list or matrix that are equal to item.
	This is equivalent to count( $x \rightarrow x = item$ , list or matrix)
	Examples:
	$count_{eq}(2,\{1,2,3,2,3,2\}) \rightarrow 3$
	$count_{eq}(x,[x,x+1,x,x^2]) \rightarrow 2$
count_inf	Count Items Less Than
count_iiii	Syntax:
	count_inf(item, list)
	count_inf(item, matrix)
	Returns the count of items from list or matrix that are less than item.
	This is equivalent to count( $x\rightarrow x$ <item,list matrix)<="" or="" td=""></item,list>
	Examples:
	count_inf(2,{1,2,3,2,3,2}) $\rightarrow$ 1
	count_inf(3,[1,2,3,2,3,2]) $\rightarrow$ 4
count_sup	Count Items Greater Than
	Syntax:
	count_sup(item, list)
	count_sup(item, matrix)
	Returns the count of items from list or matrix that are greater than item.
	This is equivalent to count( $x\rightarrow x$ >item,list or matrix)
	Examples:
	count_sup(2,{1,2,3,2,3,2}) $\rightarrow$ 2
	count_sup(1,[1,2,3,2,3,2]) $\rightarrow$ 5
covariance	Covariance of Elements
	Syntax:
	covariance(List) or covariance(Matrix)
	Returns the covariance of the elements in a list or matrix.
	Example:
	covariance( $([1,2],[1,1],[4,7]) \rightarrow 11/3$
covariance_correlation	Covariance and Correlation
	Syntax:
	covariance_correlation(List) or
	covariance_correlation(Matrix)
	Returns a vector containing both the covariance and the correlation of the elements of a list or ve
	Example:
	covariance_correlation([[1,2],[1,1],[4,7]]) $\rightarrow$ [11/3 33/(6*V31)]
cpartfrac	Complex Partial Fraction
	Syntax:
	cpartfrac(RatFrac)
	Returns the result of partial fraction decomposition of a rational fraction in the Complex field.
	Examples:
	cpartfrac(x/(4-x <sup>2</sup> )) $\rightarrow$ 1/((x-2)*-2)+1/((x+2)*-2)
	cpartfrac(a/(z*(z-b)),z)
crationalroot	Complex Rational Roots
	Syntax:
	crationalroot(Poly)
	Returns the list of complex rational roots of a polynomial without indicating the multiplicity.
	Example:
	crationalroot( $2*x^3+(-5-7*i)*x^2+(-4+14*i)*x+8-4*i$ ) $\rightarrow$ [(3+i)/2 2*i 1+i]
0000	
CROSS	Cross Product
	Syntax:
	CROSS(Vector1, Vector2)
	Returns the cross product two vectors.
	Examples:
	$CROSS([1,2,3],[4,3,2]) \rightarrow [-5,10,-5]$
	$CROSS([1+2^*i,2-4^*i,3+i],[-4+i,1-3^*i,2+0.5^*i]) \to [i,-14-5.5^*i,11-19^*i]$
	CROSS( $\{[1,2,3],[4,3,2]\},\{[7,2,8],[9,1,6]\}\}$ ) $\rightarrow$ { $[10,13,-12],[16,-6,-23]\}$
CCC	Cosecant Cosecant
CSC	
	Syntax:
	CSC(value)
	Cosecant: 1/SIN(X)
	Example:
	CSC(90) → 1 (Degrees mode)
	CSC(1+i) → 0.621518017169-0.303931001627*i
	$CSC(\{30,90\}) \rightarrow \{2,1\} (Degrees mode)$
	$CSC((\pi/6) \text{ rad}) \rightarrow 2$
cSolve	$CSC((\pi/6)\_rad) \rightarrow 2$ $Complex Solve$

ics Tree 13217	Help Text Syntax:
	cSolve(Expr,[Var])
	Returns the solutions, including complex solutions, of Expr, for Var.
	If Expr is an expression, solves the equation Expr=0.
	Examples:
	$cSolve(x^4=1,x) \rightarrow \{-1,i,1,-i\}$
	cSolve(u*v-u=v and v²=u,[u,v]) $\rightarrow$ {[0,0],[(1/2*(v5+1))^2,1/2*(v5+1)],[(1/2*(-v5+1))^2,1/2*(-v5+1)]}
	6301VC(u v u-v anu v -u,[u,v]) / [[u,0],[(1/2 (v3.1)) 2,1/2 (v3.1)],[(1/2 (v3.1)) 2,1/2 (v3.1)]
cumSum	Cumulative Sums
	Syntax:
	cumSum(List) or
	cumSum(Vector)
	Accepts as argument either a list or a vector and returns a list or vector whose elements are the cumulative sums of the original argument.  Examples:
	cumSum([0,1,2,3,4]) $\rightarrow$ [0,1,3,6,10]
	cumSum("a","b","c","d")
curve	Syntax:
	curve(Expr)
	Reserved word. Do not use for anything.
cycle2perm	Syntax:
-,p	cycle2perm(cycle)
	Converts cycle to a permutation.
	Example:
	$cycle2perm([1,3,5]) \rightarrow [3,2,5,4,1]$
cycleinv	Syntax:
cycle.iiv	cycleinv(cycle)
	Returns the inverse cycle of cycle.
	Example:
	$cycleinv([1,3,2]) \rightarrow [2,3,1]$
audoc?normu	Syntax:
cycles2permu	cycles2permu(list)
	Convert a product of cycles into a permutation.
	Example:
	cycles2permu({[1,3,5],[3,4]}) $\rightarrow$ [3,2,4,5,1]
270400	Complex Zeros
cZeros	
	Syntax:
	cZeros(Expr,[Var]) or
	cZeros({Expr1, Expr2, ExprN}, {Vr1, Var2, VarN})  Returns the roots, including complex roots, of Expr (that is, the solution of Expr=0) or the matrix
	the lines are the solutions of the system: Expr1=0, Expr2=0 ExprN=0.
	Examples:
	$cZeros(x^4-1) \rightarrow [1,-1,i,-i]$
	cZeros([x²-1,x²-y²],[x,y])
C→PX	Syntax:
	$C \rightarrow PX(x, y)$ or
	$C \rightarrow PX(\{x, y\})$
	Converts from Cartesian coordinates to screen coordinates.
	Examples:
	$C \rightarrow PX(0,0) \rightarrow \{160,110\}$ (assuming current app Plot Settings are set to default)
	$C \rightarrow PX(\{15.9,10.9\}) \rightarrow \{319,0\}$ (assuming current app Plot Settings are set to default)
DATEADD	Date Addition
DATEAUU	Syntax:
	DATEADD(Date, NbDays)
	Adds NbDays to Date, returning the resulting date in YYYY.MMDD format.
	Examples:
	DATEADD(2008.1228, 559) → 2010.0710
DAVOEWEEK	DATEADD({2008.1228,2017.012},{559,1383}} → {2010.071,2020.1103}
DAYOFWEEK	Syntax:
	DAYOFWEEK(Date)  Day of the week, Given a date in VVVV MMDD format, returns a number between 1 (Monday) an
	Day of the week. Given a date in YYYY.MMDD format, returns a number between 1 (Monday) an (Sunday) which represents the day of the week associated with the date.
	, and the second
	Examples:
	DAYOFWEEK(2006.1228) $\rightarrow$ 4 (Thursday)
	$DAYOFWEEK(\{2008.1228,2017.012,2020.1103\}) \to \{7,5,2\}$
DDAYS	Date Difference
	Syntax:
	DDAYS(Date1, Date2)

pics Tree 13217	Help Text
	Examples:
	DDAYS(2008.1228,2010.0710) → 559
	$DDAYS(\{2008.1228,2017.012\},\{2010.071,2020.1103\}) \rightarrow \{559,1383\}$
DEBUG	Debug Command
	Syntax:
	DEBUG(ProgramName(arguments))
	DEBUG
	Inserts a breakpoint in a program, calling the Debugging Environment. When the DEBUG; line in a p
	is found, the Debugger opens at the following line of code.
	You can also use this command in Home view to debug a program. DEBUG(name) opens the Debug
	with the program name.  Degree of Polynomial
degree	
	Syntax:
	degree(Poly)
	Returns the degree of a polynomial.
	Examples:
	$degree(x^3+x) \rightarrow 3$
	$degree([1,0,1,0]) \rightarrow 3$
DELCOL	Delete Column
	Syntax:
	DELCOL(name, column_number)
	Deletes column column_number from matrix name.
	Example:
	$DELCOL([[1,2,3],[4,5,6]],2) \rightarrow [[1,3],[4,6]]$
delcols	Delete Columns
deicois	
	Syntax:
	delcols(Matrix, Integer) or
	delcols(Matrix, Intg1Intg2)
	Given a matrix and an integer n, deletes the nth column from the matrix and returns the result. If a
	interval of two integers is used instead of a single integer, deletes all columns in the interval and re the result.
	Example:
	$delcols([[1,2,3],[4,5,6],[7,8,9]],1) \rightarrow [[2,3],[5,6],[8,9]]$
DELBOW	Delete Row
DELROW	
	Syntax:
	DELROW(name, row_number)
	Deletes row row_number from matrix name.
	Example:
	$DELROW([[1,2][3,4][5,6]],2) \rightarrow [[1,3],[4,6]]$
delrows	Delete Rows
	Syntax:
	delrows(Matrix, Integer) or
	delrows(Matrix, Intg1Intg2)
	Given a matrix and an integer n, deletes the nth row from the matrix and returns the result. If an in
	of two integers is used instead of a single integer, deletes all rows in the interval and returns the re
	Example:
	$delrows([[1,2,3],[4,5,6],[7,8,9]],2) \rightarrow [[1,2,3],[7,8,9]]$
deltalist	Delta List
	Syntax:
	deltalist(List)
	deltalist(Vector)
	Creates a new list or vector composed of the first differences of a list or vector; that is, the differen
	between consecutive elements in the list. The new list has one less element than the original list.
	Example:
	$deltalist([1,4,8,9]) \rightarrow [3,4,1]$
denom	Simplified Denominator
	Syntax:
	denom(a/b)
	For integers a and b, returns the denominator of the fraction a/b after simplification.
	Example:
	$denom(10/12) \rightarrow 6$
dosalva	Solve Differential Equation
desolve	
	Syntax:
	desolve(Eq,[TimeVar],Var)
	Returns the solution to a differential equation.
	Examples:
	1
	$desolve(y''+y=0,y) \rightarrow G_0^*cos(x)+G_1^*sin(x)$
	$\begin{aligned} & desolve(y''+y=0,y) \to G_0^*cos(x)+G_1^*sin(x) \\ & desolve((y''+y=sin(x)) \text{ and } (y(0)=1) \text{ and } (y'(0)=2),y) \end{aligned}$

pics Tree 13217	Help Text
1921/	Syntax:
	DET(matrix)
	Determinant of a square matrix.
	Examples:
	DET([[1,2],[3,4]]) → -2
	DET([[1+2*i,2+4*i],[3+i,4-5*i]]) $\rightarrow$ 12-11*i
	DET({[[1,2],[5,6]],[[3,4],[-6,-2]]}) → {-4,18}
dfc	Number to Continued Fraction
uic	Syntax:
	dfc(real,[integer])
	dfc(real,[epsilon])
	Returns the continued fraction representation of real with order integer using the CAS setting epsilon
	value, or with specified epsilon.
	Examples:
	$dfc(sqrt(2)) \rightarrow [1,2,2,2,2,2,2,2,2,2,2,2,2]$
	$dfc(sqrt(2),5) \rightarrow [1,2,[2]]$
	$dfc(\pi,1e-7) \rightarrow [3,7,15,1,292]$
dfc2f	Continued Fraction to Number
	Syntax:
	dfc2c(continued_fraction)
	Transforms continued_fraction vector back into a real number, fraction, or value.
	Examples:
	$dfc2f([1,1,1]) \rightarrow 3/2$
	$normal(dfc2f([1,2,[2]])) \rightarrow sqrt(2)$
diag	Diagonal
uiug	Syntax:
	diag(list) or diag(matrix)
	Given a list, returns a matrix with the list elements along its diagonal and zeroes elsewhere.
	Given a list, returns a matrix with the list elements along its diagonal and zeroes eisewhere.
	Given a matrix, returns a vector of the elements along its diagonal.
	Examples:
	$diag(\{1,2,3\}) \rightarrow [[1,0,0],[0,2,0],[0,0,3]]$
	$diag([[1,2],[3,4]]) \rightarrow [1,4]$
diff	Differentiate
	Syntax:
	diff(Expr,[Var,[Order]])
	diff(Expr,[{Var1,Var2,},[Order]])
	Returns the derivative of an expression with respect to a given variable or list of variables. You can use the
	differentiation template in the Template menu as well.
	If Var or a list of variables is defined, a final parameter, Order, designates the order of the derivative to be
	found. Order defaults to 1.
	Examples:
	$diff(x^3-x) \rightarrow 3^*x^2-1$
	$diff(x^3-x,x,2) \to 6^*x$
	$diff(\sin(x)-\cos(y),x) \to \cos(x)$
	$diff(sin(x)-cos(y),y) \rightarrow sin(y)$
	$diff(sin(x)-cos(y),\{x,y\}) \rightarrow [cos(x) sin(y)]$
	$diff(sin(x)-cos(y),\{x,y\},2) \rightarrow [[-sin(x),0],[0,cos(y)]]$
DIM	String Dimensions
	Syntax:
	DIM(String) or
	DIM(Matrix)
	Returns the number of characters in String or the dimensions of Matrix.
	Examples:
	DIM("12345") → 5
	$DIM([[1,2],[4,5],[7,8]]) \rightarrow \{3,2\}$
	DIM({"12345","HP Prime"}) → {5,8}
DIMGROB	Size GROB
	Syntax:
	DIMGROB(G, w, h, [color]) or
	DIMGROB(G, w, h, list)
	Sets the dimensions of GROB G to w*h. Initializes the graphic G with color or with the graphic data
	provided in list. If the graphic is initialized using graphic data, then list is a list of integers. Each integer, as
	seen in base 16, describes one color every 16 bits.
	L Colors are in A1DECEDE format /1 bit for alpha shannal and E bits for D. C and D.
	Colors are in A1R5G5B5 format (1 bit for alpha channel and 5 bits for R, G and B).
	Example:
	Example: Demo_DIMGROB
DIMGROB_P	Example: Demo_DIMGROB Size GROB
DIMGROB_P	Example: Demo_DIMGROB

ics Tree 1321	·
	DIMGROB_P(G, w, h, list)  Sets the dimensions of GROB G to w*h. Initializes the graphic G with color or with the graphic data provided in list. If the graphic is initialized using graphic data, then list is a list of integers. Each integers.
	seen in base 16, describes one color every 16 bits.
	Colors are in A1R5G5B5 format (1 bit for alpha channel and 5 bits for R, G and B).  Example:
	Demo_DIMGROB_P
Dirac	Dirac Delta Function
	Syntax: Dirac(Real)
	Returns the value of the Dirac delta function for a real number.
	Example:
	$Dirac(-1) \rightarrow 0$
distance	Syntax:
	distance(Point1, Point2) or
	distance(Point, Curve)
	Returns the distance between two points or between a point and a curve.
	Example: distance $(0,1+i) \rightarrow \sqrt{2}$
distance2	Distance Squared
distancez	Syntax:
	distance2(Point1, Point2) or
	distance2(Point, Curve)
	Returns the square of the distance between two points or between a point and a curve.
	Examples:
	distance $2(1+i,3+3i) \rightarrow 8$
	If GA is the point at (0,0) and GB is defined as plotfunc(4-x <sup>2</sup> /4), then distance (GA, GB) returns 12.
distanceat	Distance At
	Syntax:
	distanceat(Point1, Point2, Point3) or distanceat(Point1, Curve, Point3)
	Similar to the distance command, but used in Symbolic view of the Geometry app. Displays the dista
	between two points or between a point and a curve and places that measurement at the location o
	Point3 in the Plot view. The distance is labeled.
	Examples:
	distanceat(1+i,3+3i,point(0,0)) returns 2.828 or 2V2 and places that measure, with a label, at the c in Plot view.
	If GA is the point at (0,0) and GB is defined as plotfunc(4-x²/4), then distanceat(GA,GB,GA) returns is
	or 2v3 and places this measure in Plot view at (0,0).
	Define A:=point(0) and B:=point(1+i); then distanceat(A,B,(1+i)/2)) returns V2 and places this
	measurement at (1/2, 1/2) with a label.
divergence	Syntax:
	divergence([Expr1, Expr2, ExprN],[Var1, Var2, VarN])
	Paturns the divergence of a vector field, defined by divergence([A, B, C] [v, v, z])-dA/dv+dB/dv+dB/dz
	Returns the divergence of a vector field, defined by divergence([A,B,C],[x,y,z])=dA/dx+dB/dy+dC/dz.
	Example:
	Example: divergence([ $x^2+y,x+z+y,z^3+x^2$ ],[ $x,y,z$ ]) $\rightarrow 2^*x+3^*z^2+1$
divis	Example: divergence([ $x^2+y$ , $x+z+y$ , $z^3+x^2$ ],[ $x,y,z$ ]) $\rightarrow 2^*x+3^*z^2+1$ Polynomial Divisors
divis	Example: divergence( $[x^2+y,x+z+y,z^3+x^2],[x,y,z]$ ) $\rightarrow 2^*x+3^*z^2+1$ Polynomial Divisors Syntax:
divis	Example: divergence( $[x^2+y,x+z+y,z^3+x^2],[x,y,z]$ ) $\rightarrow 2^*x+3^*z^2+1$ Polynomial Divisors Syntax: divis(Poly) or
divis	Example: divergence( $[x^2+y,x+z+y,z^3+x^2],[x,y,z]$ ) $\rightarrow 2^*x+3^*z^2+1$ Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})
divis	Example: divergence([x²+y,x+z+y,z^3+x²],[x,y,z]) → 2*x+3*z²+1  Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.
divis	Example: divergence([x²+y,x+z+y,z^3+x²],[x,y,z]) → 2*x+3*z²+1  Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example:
	Example: divergence([x²+y,x+z+y,z^3+x²],[x,y,z]) → 2*x+3*z²+1  Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis(x²-1) → [1,x-1,x+1,(x+1)*(x-1)]
divis division_point	Example: divergence( $[x^2+y,x+z+y,z^3+x^2],[x,y,z]$ ) $\rightarrow 2*x+3*z^2+1$ Polynomial Divisors  Syntax: divis(Poly) or divis( $\{Poly1, Poly2,Polyn\}$ )  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis( $x^2-1$ ) $\rightarrow \{1,x-1,x+1,(x+1)*(x-1)\}$ Division Point
	Example: divergence( $[x^2+y,x+z+y,z^3+x^2]$ , $[x,y,z]$ ) $\rightarrow 2*x+3*z^2+1$ Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis( $x^2-1$ ) $\rightarrow [1,x-1,x+1,(x+1)*(x-1)]$ Division Point  Syntax:
	Example: divergence( $[x^2+y,x+z+y,z^3+x^2]$ , $[x,y,z]$ ) $\rightarrow 2*x+3*z^2+1$ Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis( $x^2-1$ ) $\rightarrow [1,x-1,x+1,(x+1)*(x-1)]$ Division Point  Syntax: division_point(PointA, PointB, Realk) or
	Example: divergence( $[x^2+y,x+z+y,z^3+x^2]$ , $[x,y,z]$ ) $\rightarrow 2*x+3*z^2+1$ Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial Example: divis( $x^2-1$ ) $\rightarrow [1,x-1,x+1,(x+1)*(x-1)]$ Division Point  Syntax: division_point(PointA, PointB, Realk) or division_point(CplxA, CplxB, Cplxk)
	Example: divergence( $[x^2+y,x+z+y,z^3+x^2]$ , $[x,y,z]$ ) $\rightarrow 2*x+3*z^2+1$ Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis( $x^2-1$ ) $\rightarrow [1,x-1,x+1,(x+1)*(x-1)]$ Division Point  Syntax: division_point(PointA, PointB, Realk) or division_point(CplxA, CplxB, Cplxk)
	Example: divergence([x²+y,x+z+y,z^3+x²],[x,y,z]) → 2*x+3*z²+1  Polynomial Divisors Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn}) Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis(x²-1) → [1,x-1,x+1,(x+1)*(x-1)]  Division Point Syntax: division_point(PointA, PointB, Realk) or division_point(CplxA, CplxB, Cplxk)  For two points A and B, and a numerical factor k, returns a point C such that C - B = k*(C - A). The two points may be referenced by name or represented by complex numbers.  Examples:
	Example: divergence([x²+y,x+z+y,z^3+x²],[x,y,z]) → 2*x+3*z²+1  Polynomial Divisors Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn}) Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis(x²-1) → [1,x-1,x+1,(x+1)*(x-1)]  Division Point Syntax: division_point(PointA, PointB, Realk) or division_point(CplxA, CplxB, Cplxk)  For two points A and B, and a numerical factor k, returns a point C such that C - B = k*(C - A). The tw points may be referenced by name or represented by complex numbers.  Examples: division_point(0,6+6*i,4) → point (8,8)
division_point	divergence([x²+y,x+z+y,z^3+x²],[x,y,z]) → 2*x+3*z²+1  Polynomial Divisors  Syntax: divis(Poly) or divis({Poly1, Poly2,Polyn})  Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis(x²-1) → [1,x-1,x+1,(x+1)*(x-1)]  Division Point  Syntax: division_point(PointA, PointB, Realk) or division_point(CplxA, CplxB, Cplxk)  For two points A and B, and a numerical factor k, returns a point C such that C - B = k*(C - A). The tw points may be referenced by name or represented by complex numbers.  Examples: division_point(0,6+6*i,4) → point (8,8) division_point(1,2+i,3)
	Example: divergence([x²+y,x+z+y,z^3+x²],[x,y,z]) → 2*x+3*z²+1  Polynomial Divisors Syntax: divis(Poly1) or divis({Poly1, Poly2,Polyn}) Given a polynomial or list of polynomials, returns a vector containing the divisors of the polynomial.  Example: divis(x²-1) → [1,x-1,x+1,(x+1)*(x-1)]  Division Point Syntax: division_point(PointA, PointB, Realk) or division_point(CplxA, CplxB, Cplxk)  For two points A and B, and a numerical factor k, returns a point C such that C - B = k*(C - A). The tw points may be referenced by name or represented by complex numbers.  Examples: division_point(0,6+6*i,4) → point (8,8)

vics Tree 13217	Help Text  Peture the address Taylor polynomial for the questions of 3 polynomials
	Returns the n-degree Taylor polynomial for the quotient of 2 polynomials.
	Example:
4	divpc(x^4+x+2,x^2+1,5) $\rightarrow$ x <sup>5</sup> +3*x <sup>4</sup> -x <sup>3</sup> -2*x <sup>2</sup> +x+2, the 5th-degree polynomial  Function Domain
domain	
	Syntax:
	domain(function,[variable])
	Returns the domain of variable in function. If not given, variable is assumed to be x.
	Examples:
	$domain((1/x)) \rightarrow x \neq 0$
	$domain(ln(x),x) \rightarrow x>0$
DOT	Dot Product
	Syntax:
	DOT(Vector1, Vector2)
	Returns the dot product of two vectors.
	Examples:
	$DOT([1,2],[3,4]) \to 11$
	$DOT(\{[1,2],[5,6]\},\{[3,4],[-6,-2]\}) \to \{11,-42\}$
DRAWMENU	Draw Button Menu
	Syntax:
	DRAWMENU(string1 or graphic, string2 or graphic, string6 or graphic)
	Draws a six-button menu at the bottom of the display, with labels string1, string2,, string6, or u
	provided graphic (G0-G9 or "icon name").
	Example:
	DRAWMENU("ABC","","DEF"); FREEZE creates a menu with the first and third buttons labeled AB
DrowCla	DEF, respectively. The other four menu keys are blank.  Draw Slope
DrawSlp	
	Syntax:
	DrawSlp(a, b, m)
	Given three real numbers a, b, and m, draws a line with slope m that passes through the point (a,
	Examples:
	$DrawSlp(2,1,3) \rightarrow line(y=3*x-5)$
	$DrawSlp(2,1,-1) \rightarrow line(y=-x+3)$
e	Natural Algorithm Base
	Syntax:
	e e
	The mathematical constant e (Euler's number), internally represented as 2.71828182846
	Example:
	e → 2.71828182846
EDITLIST	Edit List
	Syntax:
	EDITLIST(listvar or list, [title], [read only])
	Allows the user to edit the specified list.
	If a list variable is used (e.g., L0-L9), updates the variable if OK is clicked.
	The title can be either "title" or { "title", {"row names"}, {"column names"}}
	"title" will be displayed above the editor as a "title" or "name".
	if "row names" and "column names" are specified, they will be used as row and column headers.
	If read only is non 0, the user will not be able to modify the object.
	Returns the edited list upon completion.
	Example:
	L1:={"123","456"};EDITLIST(L1) edits list L1
	EDITLIST({1,2,3},"My List",1) displays a list but does not allow editing
EDITMAT	Edit Matrix
	Syntax:
	EDITMAT(matrixvar, [title], [read only])
	EDITMAT(matrix, [title], [read only]
	Allows the user to edit or view a specified matrix. If a matrix variable is used (e.g., M0-M9), update
	variable when the user taps the OK menu key.
	The optional title can be either "title" or { "title", {"row names"}, {"column names"}}
	If supplied, "title" will be displayed at the top of the editor. If "row names" and "column names" a
	specified, they will be used as row and column headers in the editor.
	If read only is not 0, the user will not be able to modify the matrix, but can only view it.
	EDITMAT returns the edited matrix upon completion. If used in programming, returns to the prog when the user taps the OK menu key.
	Example:
	EDITMAT(M1) edits matrix M1.
EDITMAT	Edit Matrix

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opics free	EDITMAT(matrixvar, [title], [read only])
	EDITMAT(matrix, [title], [read only]
	Allows the user to edit or view a specified matrix. If a matrix variable is used (e.g., M0-M9), updates the
	variable when the user taps the OK menu key.
	The optional title can be either "title" or { "title", {"row names"}, {"column names"}}
	If supplied, "title" will be displayed at the top of the editor. If "row names" and "column names" are specified, they will be used as row and column headers in the editor.
	If read only is not 0, the user will not be able to modify the matrix, but can only view it.
	EDITMAT returns the edited matrix upon completion. If used in programming, returns to the program when the user taps the OK menu key.  Example:
	EDITMAT(M1) edits matrix M1.
egcd	Syntax:
	egcd((PolyA, PolyB, [Var]) or
	egcd(ListA, ListB, [Var])
	Given two polynomials, A and B, returns three polynomials U, V and D such that: $U(x)*A(x)+V(x)*B(x)=D(x)$ , where $D(x)=GCD(A(x),B(x))$ , the greatest common divisor of polynomials A and
	B. The polynomials can be provided in symbolic form or as lists of coefficients in descending order.
	Without a third argument, it is assumed that the polynomials are expressions of x. With a variable as third argument, the polynomials are expressions of that variable.  Examples:
	$egcd((x-1)^2,x^3-1) \rightarrow [-x-2\ 1\ 3*x-3]$
	egcd([1,-2,1],[1,-1,2])
Ei	Exponential Integral
	Syntax:
	Ei(x)
	For a real value x, returns the approximate value of $\operatorname{int}(e^{(t)}/t, -\infty, x)$
	Example:
	Ei(1.0) → 1.89511781636
EIGENVAL	Eigenvalues
	Syntax:
	EIGENVAL(matrix)
	Displays the eigenvalues in vector form for matrix.
	Example:
aiganyala	EIGENVAL([[1,2],[3,4]]) → [5.3723, -0.3723]  Matrix Eigenvalues
eigenvals	Syntax:
	eigenvals(Matrix)
	Returns the sequence of the eigenvalues of a matrix.
	Example:
	eigenvals([[-2,-2,1],[-2,1,-2],[1,-2,-2]]) → [3 -3 -3]
eigenvects	Matrix Eigenvectors
	Syntax:
	eigenvects(Matrix)
	Computes the eigenvectors of a diagonalizable matrix.
	Example:
	eigenvects([[-2,-2,1],[-2,1,-2],[1,-2,-2]]) → [[1 -3 -3],[-2 0 -3],[1 3 -3]]
EIGENVV	Eigenvectors and Values
	Syntax:
	EIGENVV(matrix)
	Eigenvectors and Eigenvalues for a square matrix  Displays a list of two arrays. The first contains the eigenvectors and the second contains the eigenvalues.
	Displays a list of two arrays. The first contains the eigenvectors and the second contains the eigenvalues.
	Example:
	$EIGENVV([[1,2],[3,4]]) \to \{[[0.4160,-0.8370],[0.9094,0.5743]],[[5.3723,0],[0,-0.3723]]\}$
eigVc	Syntax:
	eigVc(Matrix)
	Computes the eigenvectors of a diagonalizable matrix.
	Example:
- i - 1 (I	eigVc([[-2,-2,1],[-2,1,-2],[1,-2,-2]]) $\rightarrow$ [[1 -3 -3],[-2 0 -3],[1 3 -3]]
eigVl	Syntax:
	eigVI(Matrix)
	Returns the Jordan matrix associated with a matrix when the eigenvalues are calculable.
	Example:
	$eigVI([[4,1],[-4,0]]) \rightarrow [[2,1],[0,2]]$
element	Point On
	Syntax:

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	element(Object, Real) or
	element(Real1Real2)
	Creates a point on a geometric object whose abscissa is a given value or creates a real value on a give
	interval as a slider bar.  The value you set using element(Real1Real2) can be used as a coefficient in a function you subseque
	define in Symbolic view and plot in Plot view. In addition, it can be used in a measurement or calculat
	in Numeric view.
	Examples:
	element(plotfunc( $x^2$ ), $-2$ ) creates a point on the graph of $y = x^2$ . Initially, this point will appear at ( $-2$ ,4 You can move the point, but it will always remain on the graph of its function.
	element(05) creates a slider bar with a value of 2.5 initially.
	Tap and hold on the slider name to open the slider bar and manipulate it. There is an Edit menu key the
	you can tap to define the slider more accurately, create animations, and so forth. Press Esc to close t slider bar at the new value or tap anywhere else on the screen.
ellipse	Syntax:
·	ellipse(Point1, Point2, Point3) or
	ellipse(Point1, Point2, Realk)
	Draws an ellipse, given the foci and either a point on the ellipse or a scalar that is one half the consta
	sum of the distances from a point on the ellipse to each of the foci.
	Examples:
	ellipse(GA,GB,GC) draws the ellipse whose foci are points A and B and which passes through point C.
	empse(GA,GB,GC) draws the empse whose roct are points A and B and which passes through point C.
	ellipse(GA,GB,3) draws an ellipse whose foci are points A and B. For any point P on the ellipse, AP+BF
END	Ends a structure, either a block, a test, a loop or a branch.
equilateral_triangle	Equilateral Triangle
	Syntax:
	equilateral_triangle(Point1, Point2, [Var])
	Draws an equilateral triangle defined by one of its sides; that is, by two consecutive vertices. The thir
	point is calculated automatically, but is not defined symbolically. If a lowercase variable is added as a
	argument, then the third point is labeled with the variable name and the coordinates of the third poir stored in that variable. The orientation of the triangle is counterclockwise from the first point.
	Stored in that variable. The orientation of the thangle is counterclockwise from the first point.
	Example:
	equilateral_triangle(point(0,0),point(1,0)) draws the equilateral triangle through the points at (0,0), (1
	and (1/2, √3/2).
erf	Error Function
	Syntax:
	erf(x)
	For a real value x, returns the approximate value of $2/\sqrt{\pi^*}$ int(e^(-t²),t,0,x)
	Example:
	erf(1) → 0.84270079295
erfc	Complementary Error Function
	Syntax:
	erfc(x)
	For a real value x, returns the approximate value of $2/\sqrt{\pi^*}$ int(exp(-t <sup>2</sup> ),t,x, $\infty$ ).
	Example:
	erfc(1) → 0.15729920705
error	Syntax:
	error(String)
	Generates the display of an error message containing String in a CAS program.
	Example:
	error("Error")
euler	Euler's Totient
	Syntax:
	euler(Integer);
	Euler's phi (or totient) function
	Takes a positive integer and returns the number of positive integers less than or equal to it that are
	coprime to it.
	Example:
	$euler(6) \rightarrow 2$
EVAL	Evaluate Expression
	Syntax:
	EVAL(Expr)
	Useful in programs where parameters are passed unevaluated with the command QUOTE.
	Example:
	EVAL('2+3') → 5
I .	
eval	Syntax:
eval	eval(Expr)

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	Example:
	$eval(2*sin(\pi)) \rightarrow 0$
evalb	Evaluate Boolean
	Syntax:
	evalb(expression)
	This function will evaluate expression down to a true or false value if possible.
	Examples:
	evalb(5=5) → true
	evalb(5=-5) → false
evalc	Evaluate Complex Expression
	Syntax:
	evalb(expression)
	Returns a complex expression written in the form real + i*imag.
	Example:
	evalc(1/(x+y*i)) $\rightarrow$ (x/(x²+y²))-(i)*y/(x²+y²)
evalf	Evaluate Expression Numerically
	Syntax:
	evalf(Expr,[Integer])
	Given an expression and a number of significant digits, returns the numerical evaluation of the ex
	to the given number of significant digits. With just an expression, returns the numerical evaluation
	on the CAS settings.
	Examples:
	evalf( $1/3,4$ ) $\rightarrow 0.3333$
	evalf(2/3) → 0.66666666667
EVALLIST	Evaluate List
	Syntax:
	EVALLIST({list})
	Evaluates the content of each element in the list and returns the resulting list.
	Example:
	EVALLIST( $\{'1+1', '4/2*(6-3)'\}$ ) $\rightarrow \{2,6\}$
even	Evenness Test
	Syntax:
	even(Integer)
	Tests whether or not an integer is even. Returns 1 if it is and 0 if it is not.
	Examples:
	even(1251) → 0
	even(8) → 1
exact	Exact Conversion
	Syntax:
	exact(Expr)
	Converts a decimal expression to a rational or real expression within the Epsilon tolerance specif
	CAS settings.
	Examples:
	exact(1.4141) $\rightarrow$ 14141/10000
	exact(0.156381102937) → 2572/16447
exbisector	exbisector Function
	Syntax:
	exbisector(Point1, Point2, Point3)
	Given three points that define a triangle, creates the bisector of the exterior angles of the triangle
	common vertex is at the first point. The triangle does not have to be drawn in the Plot view.
	Fyamples
	Examples:
	exbisector(GA,GB,GC) draws the bisector of the exterior angles of ΔABC whose common vertex i A.
	exbisector(0,-4i,4) draws the line given by y=x
excircle	Syntax:
CACH CIE	excircle(Point1, Point2, Point3)
	Given three points that define a triangle, draws the excircles of the triangle that is tangent to the
	defined by the last two points and also tangent to the extensions of the two sides whose commo
	is the first point.
	Example:
	excircle(GA,GB,GC) draws the circle tangent to segment BC and to the rays AB and AC.
EXECON	Execute On Element
	Syntax:
	EXECON("&Expr", List1, [List2,])
	Creates a new list based on the elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more lists by iteratively modifying each elements in one or more elements.
	according to an expression that contains the ampersand character (&).
	Examples:
	EXECON("&1+1", $\{1,2,3\}$ ) $\rightarrow \{2,3,4\}$

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		Where the & is followed directly by a number, the relative position in the list is indicated. For example:
		EVECON///02 04// (4.4.2.E.)\ \ (2.4.2)
		EXECON("82-81", $\{1,4,3,5\}$ ) $\rightarrow \{3,-1,2\}$
		In the example above, &2 indicates the second element and &1 the first element in each pair of elements.  The minus operator between them subtracts the first from the second in each pair until there are no more pairs. In this case (with just a single list), the numbers appended to &
		can only be from 1 to 9 inclusive.
		EXECON can also operate on more than one list. For example:
		EXECON("&1+&2", $\{1,2,3\},\{4,5,6\}$ ) $\rightarrow \{5,7,9\}$
		In the example above, &1 indicates an element in the first list and &2 indicates the corresponding elemen in the second list. These element pairs are added until there are no more pairs. With two lists, the
		numbers appended to & can have two digits; in this case, the first digit refers to the list number (in order
		from left to right) and the second digit refers to the element in the list; the second digit can still only be
		from 1 to 9, inclusive.
		EXECON can also begin operating on a specified element in a specified list. For example:
		EXECON("&23+&1",{1,5,16},{4,5,6,7}) $\rightarrow$ {7,12}
		In the example above, &23 indicates that operations are to begin on the second list and with the third
		element. To that element is added the first element in the first list. The process continues until there are no more pairs.
		EXECON can also operate on matrices in the same way as lists:
		EXECON("&1+&2",[[1,2],[3,4]],[[5,6],[6,7]]) $\rightarrow$ [[6,8],[9,11]]
		In the example above, the result is the sum of the two matrices.
EXP		Natural Exponential
		Syntax:
		EXP(value)
		Natural exponential: e^x (natural antilogarithm)
		Returns the result of raising e (Euler's number) to the power value.
		Examples:
		$EXP(5) \rightarrow 148.413159103$ $EXP(2+3*i) \rightarrow -7.3151100949+1.04274365624*i$
		$EXP(2+3,0) \rightarrow \{0.100258843723,1\}$
exp2pow		Syntax:
ехриром		exp2pow(Expr)
		Transforms an expression of the form e^(n*ln(x)) rewritten as a power of x. Applies e^(n*ln(x))=x^n.
		Example:
exp2trig		exp2pow(e^(3*ln(x))) $\rightarrow$ x <sup>3</sup> Syntax:
expztrig		exp2trig(Expr)
		Returns an expression with complex exponentials rewritten in terms of sine and cosine.
		Example:
		exp2trig(exp(-i*x)) → cos(x)+ i*sin(x)
expand		Expand Expression
		Syntax: expand(Expr)
		Returns an expression expanded.
		Example:
		expand( $(x+y)^*(z+1)$ ) $\rightarrow y^*z+x^*z+y+x$
expexpand		Expand Exponentials
		Syntax:
		expexpand(Expr)
		Expands exponentials using the identity $e^{(a*f(x))}=e^{(f(x))^a}$ .
		Example:
		expexpand( $e^{(3*x)}$ ) $\rightarrow$ $(e^{x})^3$
EXPM1		Exponent Minus 1
		Syntax:
		EXPM1(value)
		Exponential minus 1: (e^x)-1
		This is more accurate than EXP when x is close to zero.
		Examples:
		EXPM1(0.23) $\rightarrow$ 0.258600009929  FYDM1(0.02±0.03*i) $\rightarrow$ 1.97422838545e=2±3.06014495014e=2*i
ovnonciatial		EXPM1(0.02+0.03*i) → 1.97422838545ε-2+3.06014495014ε-2*i  Discrete Exponential
exponential		Syntax:
		exponential(k,x)
		Exponential (robability density function
		Computes the probability density of the exponential distribution at x given parameter k.
		Example:

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avec montial adf	exponential(2.1,0.5) $\rightarrow$ 0.734869273133  Cumulative Exponential
exponential_cdf	
	Syntax:
	exponential_cdf(k,x,[x2])
	Cumulative exponential distribution function
	Returns the lower-tail probability of the exponential probability density function for the value x, parameter k.
	Examples:
	exponential_cdf(4.2,.5) $\rightarrow$ 0.877543571747
	exponential_cdf(4.2,.5,3) $\rightarrow$ 0.122453056238
exponential_icdf	Inverse Cumulative Exponential
	Syntax:
	exponential_icdf(k,p)
	Inverse cumulative exponential distribution function
	Returns the value x such that the exponential lower-tail probability of x, given parameter k, is p.
	Example:
	exponential_icdf(4.2,0.95) → 0.713269588941
exponential_regression	Exponential Regression
	Syntax:
	exponential_regression(Matrix) or
	exponential_regression(List1, List2) or
	exponential_regression(Vector1, Vector2)
	Given a set of points, returns a vector containing the coefficients a and b of y=b*a^x, the expone which best fits the set of points. The points may be the elements in two lists or the rows of a 2 x
	which best his the set of points. The points may be the elements in two lists of the rows of a 2 x
	Example:
	exponential_regression([1.0,0.0,4.0],[2.0,1.0,7.0]) $\rightarrow$ [1.60092225473 1.10008339351]
EXPORT	EXPORT function or variables
	Syntax:
	EXPORT FunctionName(Parameters)
	EXPORT Var1[,Var2, ,Var8];
	EXPORT Var1[:=Val1, Var2:=Val2, Var8:=Val8];
	In a program, declares functions or variables to export globally. Exported functions appear in the
	User menu; exported variables appear in the Vars CAS, App, or User menus.
	For an exported function:
	Forward function declaration:
	EXPORT function(params);
	Normal function declaration:
	EXPORT function[(params)]
	BEGIN
	//Function definition goes here
	END;
	Examples:
	EXPORT X2m1(X);
	EXPORT ratio:=0.15;
	EXPORT X2M1(X)
	BEGIN
	RETURN X^2-1;
	END;
	Examples:
	Demo_EXPORT
EXPR	Evaluate String
	Syntax:
	EXPR(String)
	Parses a string into a number or expression and returns the result evaluated.
	Examples:
	EXPR("2+3") → 5
	$X:=90; EXPR("X+10") \rightarrow 100$
	$X:=90; Y:=3; EXPR({"X/2","2^Y"}) \rightarrow {45,8}$
extract_measure	Extract Measure
	Syntax:
	extract_measure(Var)
	Returns the definition of a geometric object. For a point, that definition consists of the coordinate
	point. For other objects, the definition mirrors their definition in Symbolic view, with the coordin
	their defining points supplied.
	Examples:
	extract measure(anglestrawl0.1.1+i.1) $\rightarrow \pi/4$
	extract_measure(angleatraw(0,1,1+i,1) $\rightarrow \pi/4$ extract_measure(distanceatraw(0,1+i,(1+i)/2)) $\rightarrow \sqrt{2}$

Topics Tree	13217	Help Text ezgcd(Poly1, Poly2)
		Uses the EZ GCD algorithm to return the greatest common divisor of two polynomials with at least tw
		variables.
		Example:
		$ezgcd(x^2-2^*x-x^*y+2^*y,x^2-y^2) \rightarrow x-y$
:-J		Function Catalog F-J
		Toolbox function catalog F-J
f2nd		Fraction → Numerator/Denominator
		Syntax:
		f2nd(Frac) or f2nd(RatFrac)
		Returns a vector consisting of the numerator and denominator of an irreducible form of a rational
		fraction.
		Examples:
		$f2nd(42/12) \rightarrow [7,2]$
		$f2nd((x^2+2^*x+1)/(x^2-1)) \rightarrow [x^2+2^*x+1.,x^2-1.]$
factor		Factorize Polynomial
		Syntax:
		factor(Expr)
		Returns a polynomial factorized.
		Similar to collect, but will factor using square roots.
		Examples:
		factor( $x^4+12*x^3+54*x^2+108*x+81$ ) $\rightarrow (x+3)^4$
		$factor(x^{4}-1) \to (x-1)^{*}(x+1)^{*}(x^{2}+1)$
factor_xn		Factor by Degree
		Syntax:
		factor_xn(Poly)
		For a given polynomial in x of degree n, factors out x <sup>n</sup> and returns the resulting product.
		Formulas
		Examples:
		$factor\_xn(x^4-1) \rightarrow x^4*(1-x^4)$
		factor_xn(x^4+12*x^3+54*x^2+108*x+81)
factorial		Syntax:
		factorial(Integer) or factorial(Real)
		Returns the factorial of an integer or the solution to the gamma function for a non-integer. For an in
		n, factorial(n)=n! . For a non-integer real number a, factorial(a)=a! = Gamma(a + 1).
		Evamples
		Examples:
		factorial(4) → 24
		factorial(1.2) → 1.10180249088
factors		Polynomial Factor List
		Syntax:
		factors(Poly) or
		factors({Poly1, Poly2,, Polyn})
		Returns the list of prime factors of a polynomial; each factor followed by its multiplicity.
		Examples:
		factors( $x^4-1$ ) $\rightarrow$ [x-1,1,x+1,1,x^2+1,1]
		factors([x²,x²-1])
fcoeff		Roots to Polynomial
		Syntax:
		fcoeff([Root1, Order1, Root2, Order2,, Rootn, Ordern])
		Returns the polynomial described by a list of roots, each followed by its order.
		Example:
		fcoeff([1,2,0,1,3,-1]) $\rightarrow x^*(x-1)^2/(x-3)$
ff.		Fast Fourier Transform
		Syntax:
fft		
III		fft(Vector) or
int.		fft(Vector, a, p)
int.		fft(Vector) or fft(Vector, a, p) With one argument (a vector), returns the discrete Fourier transform in R.
nt e		fft(Vector) or fft(Vector, a, p) With one argument (a vector), returns the discrete Fourier transform in R. With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/
int.		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/with a primitive nth root of 1 (n=size(Vector)).
int.		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/with a primitive nth root of 1 (n=size(Vector)).  Example:
int.		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/with a primitive nth root of 1 (n=size(Vector)).  Example:  fft([1,2,3,4,0,0,0,0]) → [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-
		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/with a primitive nth root of 1 (n=size(Vector)).  Example:  fft([1,2,3,4,0,0,0,0]) → [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-1.24264068712*i,-2.0,2.41421356237+1.24264068712*i,-2.0-2.0*i]
FILLPOLY		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/with a primitive nth root of 1 (n=size(Vector)).  Example:  fft([1,2,3,4,0,0,0,0]) → [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-1.24264068712*i,-2.0,2.41421356237+1.24264068712*i,-2.0-2.0*i]  Draw Filled Polygon
		fft(Vector) or fft(Vector, a, p) With one argument (a vector), returns the discrete Fourier transform in R. With two additional integer arguments a and p, returns the discrete Fourier transform in the field $\mathbb{Z}/\mathbb{I}$ with a primitive nth root of 1 (n=size(Vector)). Example: $ ftt([1,2,3,4,0,0,0,0]) \rightarrow [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-1.24264068712*i,-2.0,2.41421356237+1.24264068712*i,-2.0-2.0*i] $ Draw Filled Polygon Syntax:
		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/with a primitive nth root of 1 (n=size(Vector)).  Example:  fft([1,2,3,4,0,0,0,0]) → [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-1.24264068712*i,-2.0,2.41421356237+1.24264068712*i,-2.0-2.0*i]  Draw Filled Polygon  Syntax:  FILLPOLY([G], {Coordinates}, Color, [Alpha])
		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/i with a primitive nth root of 1 (n=size(Vector)).  Example:  fft([1,2,3,4,0,0,0,0]) → [10.0,-0.414213562373-7.24264068712*i,-2.0+2.0*i,2.41421356237-1.24264068712*i,-2.0,2.41421356237+1.24264068712*i,-2.0-2.0*i]  Draw Filled Polygon  Syntax:  FILLPOLY([G], {Coordinates}, Color, [Alpha])  FILLPOLY([G], [Coordinates], Color, [Alpha])
		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/i with a primitive nth root of 1 (n=size(Vector)).  Example:  fft([1,2,3,4,0,0,0,0]) → [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-1.24264068712*i,-2.0,2.41421356237+1.24264068712*i,-2.0-2.0*i]  Draw Filled Polygon  Syntax:  FILLPOLY([G], {Coordinates}, Color, [Alpha])
		fft(Vector) or  fft(Vector, a, p)  With one argument (a vector), returns the discrete Fourier transform in R.  With two additional integer arguments a and p, returns the discrete Fourier transform in the field Z/ş with a primitive nth root of 1 (n=size(Vector)).  Example:  fft([1,2,3,4,0,0,0,0]) → [10.0,-0.414213562373-7.24264068712*(i),-2.0+2.0*i,2.41421356237-1.24264068712*i,-2.0-2.0*i]  Draw Filled Polygon  Syntax:  FILLPOLY([G], {Coordinates}, Color, [Alpha])  FILLPOLY([G], [Coordinates], Color, [Alpha])

pics Tree 13217	Help Text
pics free 13217	FILLPOLY([(0,0),(1,1),(2,0),(3,-1),(2,-2)],#FF,128)
	Demo_FILLPOLY
SULPOLY P	_
FILLPOLY_P	Draw Filled Polygon
	Syntax:
	FILLPOLY_P([G], {Coordinates}, Color, [Alpha])
	FILLPOLY_P([G], [Coordinates], Color, [Alpha])
	Fills the polygon specified by the provided pixel coordinates using the color provided.
	If Alaba (AA- 255) is associated the salvane is decreased the transfer
	If Alpha (0 to 255) is provided, the polygon is drawn with transparency.
	Examples:
	FILLPOLY_P([(20,20),(120,120),(150,20),(180,150),(50,100)],#FF,128)
	Demo_FILLPOLY_P
FISHER	Fisher Density
	Syntax:
	FISHER(n, d, x)
	F (Fisher or Fisher-Snedecor) probability density function.
	Computes the probability density at the value x, given numerator n and denominator d degrees of
	freedom.
	Example:
	FISHER(5,5,2) → 0.158080231095
FISHER_CDF	Cumulative Fisher
	Syntax:
	FISHER_CDF(n, d, x, [x2])
	Cumulative F (Fisher or Fisher-Snedecor) distribution function
	Returns the lower-tail probability of the F probability density function for the value x, given numerator in
	and denominator d degrees of freedom. With the optional fourth argument x2, returns the area under t
	F probability density function between the two x-values.
	Examples:
	FISHER_CDF(5,5,2) → 0.76748868087
	FISHER_CDF(5,5,0.5,2) → 0.53497736174
FISHER_ICDF	Inverse Cumulative Fisher
_	Syntax:
	FISHER_ICDF(n, d, p)
	Inverse cumulative F (Fisher or Fisher-Snedecor) distribution function.
	Returns the value x such that the F lower-tail probability of x, with numerator n, and denominator d
	degrees of freedom, is p.
	Example:
	FISHER_ICDF(5,5,0.76748868087) → 2
FLOOR	Syntax:
	FLOOR(value)
	Greatest integer less than or equal to value.
	Examples:
	$FLOOR(3.2) \rightarrow 3$
	$FLOOR(3.2.3) \to 4$
	$FLOOR({3.2,-3.2}) \rightarrow {3,-4}$
fMax	Function Maximum
	Syntax:
	fMax(Expr,[Var])
	Given an expression in x, returns the value of x for which the expression has its maximum value. Given
	expression and a variable, returns the value of that variable for which the expression has its maximum
	value.
	Example:
	$fMax(-x^2+2*x+1,x) \rightarrow 1$
fMin	Function Minimum
	Syntax:
	fMin(Expr,[Var])
	Given an expression in x, returns the value of x for which the expression has its minimum value. Given a
	expression and a variable, returns the value of that variable for which the expression has its minimum
	value.
	Example:
	$fMin(x^2-2*x+1,x) \rightarrow 1$
FNROOT	Find Root
	Syntax:
	FNROOT(Expr, Var, [guess], [guess2])
	Function root-finder (like the Solve app).
	Tunction root initial (like the solve app).
	Finds the value for variable at which an expression most nearly evaluates to zero. Uses guess as initial
	Finds the value for variable at which an expression most nearly evaluates to zero. Uses guess as initial
	Finds the value for variable at which an expression most nearly evaluates to zero. Uses guess as initial estimate.
	Finds the value for variable at which an expression most nearly evaluates to zero. Uses guess as initial estimate.  Examples:

pics Tree 1	3217 Help Text
	FNROOT(X^2-3,X,2,-2) $\rightarrow$ -1.73205080757
	FNROOT( $\{X^2-3', T^3+4'\}, \{X', T'\}, \{-2,-1\}, \{2,1\}\} \rightarrow \{-1.73205080757, -1.58740105197\}$
FOR FROM TO DO END	For Loop Structure
	Syntax:
	FOR var FROM start TO (or DOWNTO) finish [STEP increment] DO commands END;
	Sets variable var to start; then, for as long as this variable's value is less than or equal to (or more the
	a DOWNTO) finish, executes commands and adds (or subtracts for DOWNTO) 1 (or increment) to va
	Examples:
	//print 13579
	FOR A FROM 1 TO 10 STEP 2
	DO
	PRINT(A);
	END;
	//print 10 8 6 4 2
	FOR A FROM 10 DOWNTO 1 STEP 2
	DO
	PRINT(A);
	END;
	Example:
	Demo_FOR
format	Format Number
	Syntax:
	format(real, format))
	Returns real number as a string in the indicated format (f=float, s=scientific, e=engineering,
	a=hexadecimal).
	Examples:
	format(9.3456,"s3") → "9.35"
	format(pi,"a12") $\rightarrow$ "0x1.921fb54442d0p+1"
fourier_an	Syntax:
	fourier_an(Expr,Var,T,n,a)
	Returns the nth Fourier coefficient an= $2/T*\int (f(x)*cos(2*pi*n*x/T),a,a+T)$ .
	Example:
	fourier_an( $x^2, x, 2, 0, -1$ ) $\rightarrow 1/3$
fourier_bn	Syntax:
	fourier_bn(Expr,Var,T,n,a)
	Returns the nth Fourier coefficient $bn=2/T*\int (f(x)*sin(2*pi*n*x/T),a,a+T)$ .
	Example:
	fourier_bn( $x^2, x, 2, 0, -1$ ) $\rightarrow 0$
<b>f</b>	
fourier_cn	Syntax:
	fourier_cn(Expr,Var,T,n,a)
	Returns the nth Fourier coefficient cn=1/T* $\int (f(x)*exp(-2*i*pi*n*x/T),a,a+T)$ .
	Example:
	fourier_cn( $x^2,x,2,0,-1$ ) $\rightarrow 1/3$
FP	Fractional Part
	Syntax:
	FP(value)
	Returns the Fractional part of value.
	Examples:
	FP(23.2) → 0.2
	FP(-23.2) → -0.2
	$FP(\{23.2,15+1/4,51/2,10-4/5\}) \rightarrow \{0.2,0.25,0.5,0.2\}$
fPart	Fractional Part
in art	Syntax:
	fPart(Real) or
	fPart(List)
	Returns the fractional part of a real number or the fractional parts of a list of real numbers.
	neturns the mactional part of a real number of the mactional parts of a list of real numbers.
	Examples:
	fPart(1.2) → 0.2
	fPart([3.4,V2])
fracmod	Syntax:
fracmod	fracmod(Expr,Integer))
	For a given expression and an integer n, returns the fraction a/b such that a/b=Expr mod n, where - \u2014
	Vn/2 <asvn 2="" and="" example:<="" td="" usb<vn=""></asvn>
	fracmod(41,121) $\rightarrow$ 2/3
	114U11U4(T1,141) / 4/3
FDFF7F	
FREEZE	Freeze Screen Syntax:

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		Prevents the screen from being redrawn after the program ends. Leaves the modified display on the screen for the user to see.  This command does not pause and wait for input. Rather, it prevents a redraw until any other operation.
		(key press, screen touch, or data communication, or command) triggers the screen to be drawn.  Example:
		FREEZE
froot		Numerical Roots & Poles
11000		Syntax:
		froot(RatPoly)
		Returns the list of roots and poles of a rational polynomial with their multiplicities.
		Example:
		froot( $(x^5-2*x^4+x^3)/(x-1)$ ) $\rightarrow$ [0,3,1,2,3,-1]
fsolve		Numerical Solve
		Syntax:
		fsolve(Expr,Var,[Guess or Interval],[Method])
		fsolve(ExprVector, [Guess or Interval], [Method})
		Returns the numerical solution of an equation or a system of equations.
		With the optional third argument you can specify a guess for the solution or an interval within which it expected that the solution will occur.
		With the optional fourth argument you can name the iterative algorithm to be used by the solver. If yo
		are solving for a single variable, your options are bisection_solver, newton_solver, or newtonj_solver.
		solving for 2 variables, your only option is newton_solver.
		Examples:
		fsolve( $\cos(x)=x,x,-11$ ) $\rightarrow$ [0.739085133215]
		fsolve([ $x^2+y-2,x+y^2-2$ ],[ $x,y$ ],[0,0]) $\rightarrow$ [1.,1.]
function_diff		Functional Derivative
_		Syntax:
		function_diff(FunctionName)
		Returns the derivative function as a mapping of x onto the derivative of the given function.
		Examples:
		function_diff(sin) $\rightarrow$ (x)->cos(x) function_diff(sin²+id) $\rightarrow$ (x)->2*cos(x)*sin(x)+1
Gamma		Gamma Function
Gaillilla		Syntax:
		Gamma(Real)
		Returns the value of the gamma function (Γ) for a real number.
		Gamma(n)=(n-1)! if n is an integer.
		Examples:
		Gamma(5) → 24
		Gamma(1/2)
gammad		Gamma Density
		Syntax:
		gammad(a,t,x)
		Gamma probability density function
		Computes the probability density of the gamma distribution at x given parameters a and t.
		Example:
		gammad(2.2,1.5,.8) → 0.510330619114
gammad_cdf		Cumulative Gamma
		Syntax:
		gammad_cdf(a,t,x,[x2])
		Cumulative gamma distribution function
		Returns the lower-tail probability of the gamma probability density function for the value x, given parameters a and t. With the optional fourth argument x2, returns the area between the two x-values.
		Examples: gammad_cdf(2,1,2.96) $\rightarrow$ 0.794797087996
		gammad_cdf(2,1,2,96,4) → 0.11362471756
gammad_icdf		Inverse Cumulative Gamma
3		Syntax:
		gammad_icdf(a,t,p)
		Inverse cumulative gamma distribution function
		Returns the value x such that the gamma lower-tail probability of x, given parameters a and t, is p.
		Example:
gauss		gammad_icdf(2,1,0.95) $\rightarrow$ 4.74386451839  Syntax:

Help Top	pics Tree 13217	Help Text
ПСБТО	13217	Given an expression followed by a vector of variables, uses the Gauss algorithm to return the quadratic form of the expression written as a sum or difference of squares of the variables given in the vector.
		Example:
	the state of the s	$gauss(x^2+2*a*x*y,[x,y]) \rightarrow -a^{2*}y^2+(a*y+x)^2$
	gbasis	Groebner Basis
		Syntax:
		gbasis([Poly1, Poly2,], [Var1, Var2,])  Given a vector of polynomials and a vector of variables, returns the Groebner basis of the ideal spanned
		by the set of polynomials.
		Example:
		gbasis([ $x^2$ - $y^3$ , $x+y^2$ ],[ $x,y$ ]) $\rightarrow$ [ $x^*y+x^2$ , $y^2+x$ ]
	gcd	Greatest Common Divisor
		Syntax:
		gcd(Poly1, Poly2) or
		gcd(Integer1, Integer2)
		Returns the greatest common divisor of 2 polynomials of several variables. Can also be used as integer gcd.
		Examples:
		$gcd(x^2-4,x^2-5*x+6) \rightarrow x-2$
		gcd(45,30) → 15
	GETBASE	Get Base
		Syntax:
		GETBASE(#integer[m])  Returns the base number for integer with base marker m. The base number is used by the SETBASE
		Returns the base number for integer with base marker m. The base number is used by the SETBASE function.
		0 = System
		1 = Binary
		2 = Octal
		3 = Decimal
		4 = Hexadecimal
		The base marker m can be b (for binary), o (for octal), d (for decimal), or h (for hexadecimal). If m is omitted, the current system base is assumed.
		Examples:
		GETBASE(#1101b) → #1h
		GETBASE(#1101) → #0h (if default base is hexadecimal)
		GETBASE({#100h,#100d,#100o,#100b}} → {#4h,#3h,#2h,#1h}
	GETBITS	Get Bits
		Syntax:  GETBITS(#integer)
		Returns the number of bits used for encoding an integer. If not specified, then the value in the Integers
		field of Page 1 of Home Settings is used.
		Examples:
		GETBITS(#22122) → 32 (If Home Settings Integers is set to 32 bits)
		GETBITS(#1:45h) → 45
		GETBITS(#153:-16o) → -16  GETBITS({#FFF:16h,#777:-23o}) → {16,-23}
	GETKEY	Get Key
	GETRET	Syntax:
		GETKEY
		Returns the ID of the first key in the keyboard buffer, or -1 if no key was pressed since the last call to
		GETKEY. Key IDs are integers from 0 to 50, numbered from top left (key 0) to bottom right (key 50).
		0 = Apps
		1 = Symb
		2 = Up
		3 = Help
		4 = Esc
		5 = Home
		6 = Plot
		7 = Left 8 = Right
		8 = Right 9 = View
		10 = CAS
		11 = Num
		12 = Down
		13 = Menu
		After that, the keys are numbered from top left (14 = Vars) to bottom right (50 = +)
	GETPIX	Get Pixel Color
		Syntax:
		GETPIX([G], x, y)
		Returns the color of the pixel of G with Cartesian coordinates (x, y).

pics Tree 13217	Help Text
	Examples:
	Demo_GETPIX
GETPIX_P	Get Pixel Color Syntax:
	GETPIX_P([G], x, y)
	Returns the color of the pixel of G with pixel coordinates (x, y).
	Examples:
<u> </u>	Demo_GETPIX_P  Create Galois Field
GF	
	Syntax:
	GF(Integerp, Integern)
	Creates a Galois Field of characteristic p with p^n elements.
	Example:
	$GF(5,9) \rightarrow GF(5,k^9-k^8+2*k^7+2*k^5-k^2+2*k-2,[k,K,g],undef)$
grad	Gradient
	Syntax:
	grad(Expr, ListVars)
	Returns the gradient of an expression.
	With a list of variables as second argument, returns the vector of partial derivatives.
	Example:
	grad( $2*x^2*y-x*z^3$ ,[x,y,z]) $\rightarrow$ [-z <sup>3</sup> +4*x*y 2*x <sup>2</sup> -3*x*z <sup>2</sup> ]
gramschmidt	Gramschmidt Orthonormalization
	Syntax:
	gramschmidt(Vector, Function)
	Given a basis of a vector subspace, and a function that defines a scalar product on this vector subspace.
	returns an orthonormal basis for that function.
	Example:
	gramschmidt([1,1+x],(p,q)->integrate(p*q,x,-1,1)) $\rightarrow$ [1/(V2),(1+x-1)/(V6)/3]
greduce	Groebner Remainder
	Syntax:
	greduce(Poly1, [Poly2, Poly3,], [Var1, Var2,])
	Given a polynomial and both a vector of polynomials and a vector of variables, returns the remai
	the division of the polynomial by the Groebner basis of the vector of polynomials.
	Examples:
	greduce( $x^*y-1,\{x^2-y^2,2^*x^*y-y^2,y^3\},\{x,y\}$ ) $\rightarrow (1/2)^*y^2-1$
	greduce( $x1^{2*}x3^{2},[x3^{3}-1,-x2^{2}-x2^{*}x3-x3^{2},x1+x2+x3],[x1,x2,x3]$ ) $\rightarrow x2$
GROBH	GROB Height
	Syntax:
	GROBH(G)
	Returns the height of the graphic object G.
	Example:
	GROBH(G0) $\rightarrow$ 24
CDODIL D	GROB Height
GROBH_P	Syntax:
	GROBH_P(G)
	Returns the height of the graphic object G in pixels.
	Example:
	GROBH(G0) → 240
GROBW	GROB Width
	Syntax:
	GROBW(G)
	Returns the width of the graphic object G.
	Example:
	GROBW(G0) → 32
GROBW_P	GROB Width
	Syntax:
	GROBW_P(G)
	Returns the width of the graphic object G in pixels.
	Example:
	GROBW_P(G0) → 320
groupermu	Syntax:
·	groupermu(permutation1,permutation2)
	Returns the group of permutations generated by permutation1 and permutation2.
	Example:
	groupermu([2,1],[2,3,1])
hadamard	Syntax:
	hadamard(Matrix,[Matrix])
	Hadamard bound of a matrix or element by element multiplication of 2 matrices.
	· · · · · · · · · · · · · · · · · · ·
	Examples:

ics Tree 13217	Help Text   hadamard([[1,2],[3,4]]) → 5*V5
	hadamard([[1,2],[3,4]],[5,6]]) $\rightarrow$ [[3,8],[15,24]]
half line	Ray
half_line	Syntax:
	half_line(Point1, Point2)
	Given 2 points, draws a ray from the first point through the second point.
	Example:
	half line(0,1+i) draws a ray starting at the origin and passing through the point at (1,1)
	man_me(e)= 1, arans a ray statung at the origin and passing through the point at (2)=/
halftan	Syntax:
	halftan(Expr)
	Transforms $sin(x)$ , $cos(x)$ and $tan(x)$ as a function of $tan(x/2)$ .
	Examples:
	halftan(sin(x)) $\rightarrow$ (2*TAN(x/2))/((TAN(x/2)) <sup>2</sup> +1) halftan(tan(x)) $\rightarrow$ (2*TAN(x/2))/(-(TAN(x/2)) <sup>2</sup> +1)
halftan hun2ava	Syntax:
halftan_hyp2exp	halftan_hyp2exp(Expr)
	Transforms the trigonometric functions in tan(x/2) and hyperbolic functions into exponentials.
	Tallot the digenoment of the district of the d
	Example:
	halftan_hyp2exp(sin(x)+sinh(x)) $\rightarrow$ (1/2)*((-1/e^x)+e^x)+2*tan((1/2)*x)/((tan((1/2)*x))^2+1)
halt	Syntax:
	halt
	Puts a program in step-by-step debug mode.
	Example:
	halt()
hamdist	Hamming Distance
	Syntax:
	hamdist(Intgr1, Intgr2)
	Returns the Hamming distance between two integers.
	Example:
	hamdist(0x12,0x38) → 3
harmonic_conjugate	Harmonic Conjugate Syntax:
	harmonic_conjugate(Point1, Point2, Point3) or
	harmonic_conjugate(Fonti, Fontis) of
	Returns the harmonic conjugate of 3 points. Specifically, returns the harmonic conjugate of Point
	respect to Point1 and Point2. Also accepts three parallel or concurrent lines; in this case, it return
	equation of the harmonic conjugate line.
	Examples:
	harmonic_conjugate(point(0,0),point(3,0),point(4,0))
	harmonic_conjugate(line(0,1+i),line(0,3+i),point(3/2+i))
harmonic division	harmonic_conjugate(point(0, 0), point(3, 0), point(4, 0)) $\rightarrow$ point(12/5, 0)  Harmonic Division
harmonic_division	Syntax:
	harmonic division(point1, point2, point3, var) or
	harmonic_division(line1, line2, line3, var)
	Returns the 4 points (resp lines) and affects the last argument, such as the 4 points (resp lines) and
	harmonic division.
	Examples:
	harmonic_division(point(0, 0),point(3, 0),point(4, 0), p) $\rightarrow$ point(12/5,0)
	harmonic_division(line(0,1+i),line(0,3+i),line(0,i),D)
has	Has Variable
	Syntax:
	has(Expr,Var)  Checks if a variable is in an expression.
	Returns 1 if the variable is in the expression, and returns 0 otherwise.
	Examples:
	has $(x+y,x) \rightarrow 1$
	$has(x+y,n) \rightarrow 0$
head	Head Element
	Syntax:
	head(Vector) or
	head(String) or
	head(Obj1, Obj2,)
	Returns the first element of a vector or a string or a set of objects.
	Examples:
	$head(1,2,3) \rightarrow 1$
	head("bonjour") → "b"

hermite hessenberg hessian	Heaviside(Real)  Returns the value of the Heaviside function for a given real number.  The Heaviside function is equal to 0 if x<0 and 1 if x≥0.  Example:  Heaviside(1) → 1  Hermite Polynomial  Syntax:  hermite(Integer)  Returns the Hermite polynomial of degree n, where n is an integer less than 1556.  Example:  hermite(3) → 8*x³-12*x  Syntax:  hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(f)  Example:  hessenberg([[1,2,3],[4,5,6],[7,8,1]]) → [[[1,0,0],[0,4/7,1],[0,1,0]],[[1,29/7,2],[7,39/7,8],[0,278/49,3])
hessenberg	The Heaviside function is equal to 0 if x<0 and 1 if x≥0.  Example:  Heaviside(1) → 1  Hermite Polynomial  Syntax:  hermite(Integer)  Returns the Hermite polynomial of degree n, where n is an integer less than 1556.  Example:  hermite(3) → 8*x³-12*x  Syntax:  hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(F)  Example:
hessenberg	Example: Heaviside(1) \( \neq 1 \)  Hermite Polynomial  Syntax: hermite(Integer)  Returns the Hermite polynomial of degree n, where n is an integer less than 1556.  Example: hermite(3) \( \neq 8 \times x^3 - 12 \times x \)  Syntax: hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(F)  Example:
hessenberg	Heaviside(1) → 1  Hermite Polynomial  Syntax: hermite(Integer)  Returns the Hermite polynomial of degree n, where n is an integer less than 1556.  Example: hermite(3) → 8*x³-12*x  Syntax: hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(1)  Example:
hessenberg	Hermite Polynomial Syntax: hermite(Integer) Returns the Hermite polynomial of degree n, where n is an integer less than 1556. Example: hermite(3) → 8*x³-12*x  Syntax: hessenberg(Matrix_A) Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(I
hessenberg	Syntax: hermite(Integer) Returns the Hermite polynomial of degree n, where n is an integer less than 1556. Example: hermite(3) → 8*x³-12*x  Syntax: hessenberg(Matrix_A) Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(I)  Example:
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	Returns the Hermite polynomial of degree n, where n is an integer less than 1556.  Example: hermite(3) \(\to 8*x^3-12*x\)  Syntax: hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(  Example:
	Example: hermite(3) → 8*x³-12*x  Syntax: hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(  Example:
	hermite(3) → 8*x³-12*x  Syntax: hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(I
	Syntax: hessenberg(Matrix_A) Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(I
	hessenberg(Matrix_A)  Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(i
	Given Matrix_A, returns the matrix reduction to Hessenberg form. Returns [P,B] such that B=inv(I Example:
hessian	Example:
hessian	
hessian	
hessian	hessenberg([[1,2,3],[4,5,6],[7,8,1]]) $\rightarrow$ [[[1,0,0],[0,4/7,1],[0,1,0]],[[1,29/7,2],[7,39/7,8],[0,278/49,3
hessian	
nessian	Hessian Matrix
	Syntax:
	hessian(Expr,ListVar)
	Returns the Hessian matrix of an expression.
	Example:
	hessian( $2*x^2*y-x*z,[x,y,z]$ ) $\rightarrow$ [[ $4*y,4*x,-1$ ],[ $4*x,0,0$ ],[-1,0,0]]
hexagon	Syntax:
	hexagon(Point1, Point2, [Var1, Var2, Var3, Var4])
	Draws a regular hexagon defined by one of its sides; that is, by two consecutive vertices. The rem
	points are calculated automatically, but are not defined symbolically. The orientation of the hexa
	counterclockwise from the first point.
	Examples:
	hexagon(0,6) draws a regular hexagon whose first two vertices are at (0, 0) and (6, 0).
	hexagon(0,6,a,b,c,d) draws a regular hexagon whose first two vertices are at (0, 0) and (6, 0)l labe
	other four vertices a, b, c, and d, and stores the coordinates into the CAS variables a, b, c, and d.
	You do not have to define variables for all four remaining points, but the coordinates are stored in
	For example, hexagon(0,6, a) stores just the third point into the CAS variable a.
Letter a	Hilbert Matrix
hilbert	
	Syntax:
	hilbert(n)
	Given a positive integer n, returns the nth order Hilbert matrix. Each element of the matrix is give formula 1/(j+k-1) where j is the row number and k is the column number.
	Torniala 1/(j/k 1) where j is the row humber and k is the column number.
	Example:
	$hilbert(3) \rightarrow [[1,1/2,1/3],[1/2,1/3,1/4],[1/3,1/4,1/5]]$
HMS→	Syntax:
	HMS→(value)
	Displays a sexagesimal value in decimal format.
	Examples:
	HMS→(8°30) → 8.5
I a second and a second a second and a second a second and a second a second and a second and a second and a	HMS→({8°30′00″,286°15′00″}) → {8.5,286.25}
homothety	Dilation
	Syntax:
	homothety(Point, Realk, Object)
	Dilates a geometric object, with respect to a center point, by a scale factor.
	Examples:
	homothety(GA,2,GB) creates a dilation centered at point A that has a scale factor of 2. Each point
	geometric object B has its image P' on ray AP such that AP'=2AP. homothety(point(0,0),1/3,point(9,9)) creates an image point at (3,3).
	Syntax:
hornor	horner(Polynomial,Real)
horner	normal (i dignormal) incar
horner	Returns the value of a polynomial P(a) calculated with Hornor's method. The polynomial may be
horner	
horner	a symbolic expression or as a vector of coefficients.
horner	a symbolic expression or as a vector of coefficients.  Examples:
horner	a symbolic expression or as a vector of coefficients.  Examples:  horner(x^2+1,2) → 5
	a symbolic expression or as a vector of coefficients. Examples: $horner(x^2+1,2) \to 5$ $horner([1,0,1],2) \to 5$
horner hyp2exp	a symbolic expression or as a vector of coefficients.  Examples: horner(x^2+1,2) → 5 horner([1,0,1],2) → 5  Syntax:
	a symbolic expression or as a vector of coefficients.  Examples: horner(x^2+1,2) → 5 horner([1,0,1],2) → 5  Syntax: hyp2exp(Expr)
	a symbolic expression or as a vector of coefficients.  Examples: horner(x^2+1,2) → 5 horner([1,0,1],2) → 5  Syntax: hyp2exp(Expr)  Returns an expression with hyperbolic terms rewritten as exponentials.
	a symbolic expression or as a vector of coefficients.  Examples: horner(x^2+1,2) → 5 horner([1,0,1],2) → 5  Syntax: hyp2exp(Expr)  Returns an expression with hyperbolic terms rewritten as exponentials.  Example:
	Examples: horner(x^2+1,2) → 5 horner([1,0,1],2) → 5  Syntax: hyp2exp(Expr)  Returns an expression with hyperbolic terms rewritten as exponentials.

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	hyperbola(Point1, Point2, Realk)  Draws a hyperbola, given the foci and either a point on the hyperbola or a scalar that is one half the constant difference of the distances from a point on the hyperbola to each of the foci.
	Examples:
	hyperbola(GA,GB,GC) draws the hyperbola whose foci are points A and B and which passes through point C. hyperbola(GA,GB,3) draws a hyperbola whose foci are points A and B. For any point P on the hyperbola,
iabcuv	AP-BP =6.   Syntax:
	iabcuv(Intg(a),Intg(b),Intg(c))  Returns [u,v] such as au+bv=c for 3 integers a,b,c
	Example:
ibasis	iabcuv(21,28,7) → [-1,1]  Intersection Basis
	Syntax: ibasis(Matrix1, Matrix2))
	Given two matrices, interprets them as two vector spaces and returns the vector basis of their intersection.  Example:
there does	ibasis([[1,0,0],[0,1,0]],[[1,1,1],[0,0,1]]) → [-1 -1 0]
ibpdv	Integration By Parts v Syntax:
	ibpdv(f(Var), $v(Var)$ , [Var], [Real1], [Real2])  Performs integration by parts of the expression $f(x)=u(x)*v'(x)$ , with $f(x)$ as the first argument and $v(x)$ (or
	0) as the second argument.  Specifically, returns a vector whose first element is u(x)*v(x) and whose second element is v(x)*u'(x). With the optional third, fourth and fifth arguments you can specify a variable of integration and bounds of the integration. If no variable of integration is provided, it is taken as x.
	Examples: $ibpdv(ln(x),1) \rightarrow x*ln(x)-x$
ibpu	ibpdv(In(x),x) $\rightarrow$ [x*In(x), -1]  Integration By Parts u
•	Syntax: ibpu(f(Var), u(Var), [Var], [Real1], [Real2])
	Performs integration by parts of the expression $f(x)=u(x)*v'(x)$ , with $f(x)$ as the first argument and $u(x)$ (or
	0) as the second argument. Specifically, it returns a vector whose first element is u(x)*v(x) and whose second element is v(x)*u'(x). With the optional third, fourth and fifth arguments you can specify a variable of integration and bounds o the integration. If no variable of integration is provided, it is taken as x.
	Example: $ibpu(x*ln(x), x) \rightarrow [x*(x*ln(x)-x), -x*ln(x)+x]$
ichinrem	Integer Chinese Remainder
	Syntax: ichinrem([a,p],[b,q]))
	Integer Chinese Remainder Theorem for two equations. Takes two lists $[a, p]$ and $[b, q]$ and returns a list of two integers, $[r, n]$ , such that $x \equiv r \mod n$ . In this case, $x$ is such that $x \equiv a \mod p$ and $x \equiv b \mod q$ ; also, $n = p * q$ .
	Example: ichinrem([2,7],[3,5]) $\rightarrow$ [23,35]
icontent	GCD of Integer Coefficients Syntax:
	icontent(Poly,[Var])
	Returns the greatest common divisor of the integer coefficients of a polynomial.  Example:
id	icontent( $24x^3+6x^2-12x+18$ ) $\rightarrow 6$ Identity Function
iu 	Syntax:
	id(Expr)  The id entity function: x→x. Returns a set containing the original argument.
	Example: $id(1,2,3) \rightarrow [1\ 2\ 3]$
IDENMAT	Identity Matrix
	Syntax: IDENMAT(n)
	Creates a square matrix of dimension n x n whose diagonal elements are 1 and off-diagonal elements are zero.
	Examples: $IDENMAT(2) \rightarrow [[1,0],[0,1]]$
	$IDENMAT(\{2,3\}) \to \{[[1,0],[0,1]],[[1,0,0],[0,1,0],[0,0,1]]\}$
identity	Identity Matrix Syntax:

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	identity(Integer)
	Given an integer n, returns the identity matrix of dimension n.
	Example:
	$identity(3) \rightarrow [[1,0,0],[0,1,0],[0,0,1]]$
idivis	Integer Divisors
	Syntax:
	idivis(Integer) or
	idivis({Intgr1, Intgr2, Intgrn})
	Returns a list of all the factors of an integer or of a list of integers.
	Example:
	$idivis(12) \rightarrow [1, 2, 3, 4, 6, 12]$
iegcd	Integer Extended GCD
	Syntax:
	iegcd(Integer1, Integer2)
	Given two integers a and b, returns the extended greatest common divisor for two integers. Returns
	[u,v,igcd(a,b)] such that a*u+b*v=igcd(a,b).
	Example:
	$iegcd(14, 21) \rightarrow [-1, 1, 7]$
IF THEN ELSE END	IF Branch Structure
	Syntax:
	IF test THEN commands1 [ELSE commands2] END;
	Starts an "IF THEN END" or "IF THEN ELSE END" branch structure.
	Evaluate test. If test is true (non 0), executes commands1, otherwise, executes commands2
	Example:
	IF A<1
	THEN PRINT("A<1");
	ELSE PRINT("A>1");
	END;
	Examples:
	Demo_IF
ifactor	Integer Factors
	Syntax:
	ifactor(Integer)
	Returns the prime factorization of an integer as a product.
	Can be used with STO►.
	Note: in some cases, factorization may fail. In these cases, the command will return the product of -
	the opposite of the original input. The -1 indicates that factorization failed.
	Example:
	ifactor(150) $\rightarrow$ 2*3*5 <sup>2</sup>
· · · · · ·	
ifactors	Integer Factors List
	Syntax:
	ifactors(Integer)
	Similar to ifactor, but returns a list of the factors of the integer with their multiplicities.
	Example:
	ifactors(150) → [2, 1, 3, 1, 5, 2]
IFERR	Error Trapping Structure
III LIM	Syntax:
	IFERR commands1 THEN commands2 [ELSE commands3] END;
	Executes sequence of commands1. If an error occurs during execution of commands1, executes seq
	of commands2. Otherwise, execute sequence of commands3.
	Many conditions are automatically recognized by the HP Prime as error conditions and are automatic
	treated as errors in programs. This command facilitates error-trapping of such errors.
	Note: the error number will be stored in the Ans variable. So you can access it and use it in the THEN clause of the IFERR.
	Example:
	IFERR 1/0
	THEN PRINT("1/0 Error");
	END;
	Example:
::::	Demo_IFERR
ifft	Inverse Fast Fourier Transform
	Syntax:
I	ifft(Vect)
	Returns the inverse discrete Fourier transform.
	Example:

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IFTE	If Then Else structure
2	Syntax:
	IFTE(Expr, TrueClause, FalseClause)
	If Expr evaluates true (1), evaluates TrueClause; if not, evaluates FalseClause.
	If Expr returns a list, then TrueClause and FalseClause each have to be either a single object, or a list of the
	same size as the result of Expr. The result will be a list of that size with elements picked from TrueClause
	and FalseClause according to the Boolean value of each element of the result of Expr.
	Examples:
	IFTE(2<3, 5-1, 2+7) $\rightarrow$ 4
	IFTE( $\{2<3, v(6*\pi)≤3\}, 5-1, \{2+7,7*6\}$ ) → $\{4,7*6\}$
igcd	Integer GCD
	Syntax:
	igcd(Intgr1, Intgr2, Intgrn))
	Returns the integer that is the greatest common divisor of two or more integers.
	Example:
	igcd(24,36) → 12
ihermite	Hermite Normal
	Syntax:
	ihermite(Matrix_A)
	Given Matrix_A, returns the Hermite normal form of a matrix with coefficients in Z: returns U, B such the
	U is invertible in Z, B is upper triangular and B=U*A
	Example:
	ihermite([[1,2,3],[4,5,6],[7,8,9]]) $\rightarrow$ [[-3,1,0],[4,-1,0],[-1,2,-1]],[[1,-1,-3],[0,3,6],[0,0,0]]
ilaplace	Inverse Laplace Transform
	Syntax:
	ilaplace(Expr,[Var],[IlapVar])
	Returns the inverse Laplace transform of a rational fraction.
	Examples:
	ilaplace(1/(x^2+1)^2) $\rightarrow$ (1/2)*sin(x)-(1/2)*x*cos(x)
	ilaplace(s/(s^4-1),s,x)
IM	Imaginary Part
	Syntax:
	IM(x+yi)
	Returns the imaginary part of a complex number.
	Examples:
	IM(3+4i) → 4
	$IM(\{3+4^*i,6-6^*i\}) \to \{4,-6\}$
image	Syntax:
image	image(Matrix)
	Image of a linear application of a matrix.
	Example:
	$image([[1,2],[3,6]]) \rightarrow [1,3]$
implicit_diff	Implicit derivative
	Syntax:
	implicit_diff(expression, var1, var2, [Order])
	Returns the implicit derivative of expression with respect to var1, var2. The result is an expression that
	defines d(var2)/d(var1), so the order of the variables is important. expression is usually an equation; if there is no equal sign, expression=0 is assumed. The optional parameter, Order, designates the order o
	the derivative to be found. Order defaults to 1.
	Examples:
	implicit_diff(y^5=x,x,y) $\rightarrow 1/(5*y^4)$
	implicit_diff(y^5=x,y,x) $\rightarrow$ 5*y^4
	implicit_diff(x^2+y^2-5,x,y) $\rightarrow$ -x/y
	implicit_diff(x^2+y^2-5,x,y,2) $\rightarrow$ (-x^2-y^2)/y^3
incircle	Syntax:
	incircle(Point1, Point2, Point3)
	Draws the incircle of a triangle, the circle tangent to all three sides of the triangle.
	Examples:
	incircle(0,4,4+4*i)
	incircle(GA,GB,GC) draws the incircle of ΔABC.
INDIT	Input Form
INPUT	
	Syntax:
	INPUT(var,["title"], ["label"], ["help"], [reset_value], [initial_value])
	INPUT({vars},["titles"], [{"labels"}], [{"helps"}], [{reset_values}], [{initial_values}])
	var -> {var_name, real, [{pos}]}

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	The simpler form of this command opens a dialog box with the given title and one field named label, displaying help at the bottom. The dialog box includes Cancel and OK menu keys. The user can enter a value in the labeled field. If the user presses the OK menu key, the variable var is updated with the entered value and 1 is returned. If the user presses the Cancel menu key, var is not updated and 0 is returned.
	In the more complex form of the command, lists are used to create a multi-field dialog box. If var is a list, each element can be either a variable name or a list using the following format:
	{var_name, real, [{pos}]} to create a checkbox control. If real is >1, then this checkbox gets pooled with the next n -1 checkboxes in a radio group (i.e., only one of the n checkboxes can be checked at any time)
	{var_name, [allowed_types_matrix], [{pos}]} to create an edit field. allowed_types_matrix lists all the allowed types ([-1] stands for all types allowed). If the only allowed type is a string, then the edition will hide the double quotes.
	{var_name, {choose_items}, {{pos}}} to create a choose field. If pos is specified, it is a list of the form {field start in screen percentage, field width in screen percentage, line (starts at 0) }. This allows you to control precisely the position and size of your fields. Note that you have to specify pos for either none or all fields in the dialog box.
	There is a maximum of 7 lines of controls per page. Controls with more than 7 lines will be placed in subsequent pages. If more than one page is created, titles can be a list of titles.
INSTRING	In String Syntax:
	INSTRING(String1, String2)  Returns the index of the first occurrence of String2 in String1. Returns 0 if String2 is not present in String1  Note that the first character in a string is position 1.  Examples:
	INSTRING("vanilla", "van") $ ightarrow$ 1 INSTRING("banana","na") $ ightarrow$ 3
	INSTRING("ab", "abc") $\rightarrow$ 0
int	$\label{eq:instring} INSTRING(\{"vanilla","banana","ab"\}, \{"van","ana","abc"\}) \rightarrow \{1,2,0\}$ $\label{eq:instring} Integrate$
int	Syntax:
	int(Expr,[Var],[Real1,Real2])
	Returns the integral of an expression.  With one expression as argument, returns the indefinite integral with respect to x. With the optional
	second, third and fourth arguments you can specify the variable of integration and the bounds for a definite integral.  Examples:
	$int(1/x) \rightarrow ln(abs(x))$
	$\inf(\sin(x), x, 0, \pi) \to 2$ $\inf(1/(1-x^4), x, 2, 3)) \to -1/4^*(2^* \operatorname{atan}(2) + \ln(3)) + 1/4^*(2^* \operatorname{atan}(3) - \ln(2) + \ln(4))$
inter	Intersections
	Syntax:
	inter(Curve1, Curve2)  Returns the intersections of two curves as a vector.
	Example:
	inter(8- $x^2$ /6, $x$ /2-1) $\rightarrow$ [[6, 2] [-9, -11/2]], indicating that there are two intersections-one at (6,2) and the other at (-9,-11/2).
interval2center	Syntax:
	interval2center(Interval) or interval2center(Object)
	Returns the center of an interval or object.
	Example:
inv	interval2center(25) → 7/2 Inverse
	Syntax:
	inv(Expr) or inv(Matrix)
	Returns the inverse of an expression or matrix.  Examples:
	$inv(9/5) \rightarrow 5/9$
	$inv([[1,2],[3,4]]) \rightarrow [[-2\ 1],[3/2\ -1/2]]$
INVERSE	Square matrix Inverse Syntax:
	Matrix^(-1)
	Inverts a square matrix.
inausto	If Complex mode is on, the matrix may contain complex elements.
inversion	Syntax: inversion(Point1, Realk, Point2)
	Draws the inversion of a point, with respect to another point, by a scale factor.

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	inversion(GA,3,GB) draws point C on line AB such that AB*AC=3. In this case, point A is the center of th inversion and the scale factor is 3. Point B is the point whose inversion is created.
	In general, the inversion of point A through center C, with scale factor k, maps A onto A', such that A' is line CA and CA*CA'=k, where CA and CA' denote the lengths of the corresponding segments. If k=1, the the lengths CA and CA' are reciprocals.
INVERT	Invert GROB
	Syntax:
	INVERT([G, x1, y1, x2, y2]) Inverts the rectangle on G defined by the diagonal points (x1, y1) and (x2, y2). The effect is reverse vide
	The following values are optional and their defaults are listed: x1, y1=top left corner of G
	x2, y2=bottom right corner of G
	If only one (x,y) pair is specified, it refers to the top left corner of G.
	Example:
	Demo_INVERT
INVERT_P	Invert GROB
	Syntax:
	INVERT_P([G, x1, y1, x2, y2])
	Inverts the rectangle on G defined by the diagonal points (x1, y1) and (x2, y2). The effect is reverse vid
	The following values are optional and their defaults are listed:
	x1, y1=top left corner of G
	x2, y2=bottom right corner of G
	If only one (x,y) pair is specified, it refers to the top left corner of G.
	Example:
	Demo_INVERT_P
invlaplace	Inverse Laplace Transform Syntax:
	invlaplace(Expr,[Var],[IlapVar])
	Returns the inverse Laplace transform of an expression.
	Example:
	invlaplace $(1/(x^2+1)^2) \rightarrow (-x/2)*\cos(x)+(1/2)*\sin(x)$
invztrans	Inverse Z Transform
	Syntax:
	invztrans(Expr,[Var],[InvZtransVar])
	Returns the inverse z transform of a rational fraction.
	Examples:
	invztrans(1/(x^2+1)^2) $\rightarrow$ (1/4)*(x*e^((i/2)* $\pi$ *x)+x*e^((-i/2)* $\pi$ *x)-2*e^((i/2)* $\pi$ *x)-2*e^((i/2)* $\pi$ *x)+Heaviside(x-1) invztrans(z/(z^4-1),z,n)
IP	Integer Part
	Syntax:
	IP(value)
	Returns the Integer part of value.  Examples:
	$IP(23.2) \rightarrow 23$
	IP(-23.2) → -23
	$IP(\{23.2,15+1/4,51/2,10-4/5\}) \rightarrow \{23,15,25,9\}$
iPart	Integer Part
	Syntax:
	iPart(Real) or
	iPart(List)
	Returns a real number without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part or a list of real numbers each without its fractional part of the list of real numbers each without its fractional part of the list of real numbers each without its fractional part of the list of the list of the list of real numbers each without its fractional part of the list of the
	Examples:
	$iPart(4.3) \rightarrow 4$ $iPart(4.3/2)$
igue	iPart(4.3,v2)  Integer Euclidian Quotient
iquo	Syntax:
	iquo(Intgr1, Intgr2)
	Returns the integer quotient of the Euclidean division of two integers.
	Examples:
	iquo(148,5) → 29
	$iquo(25+12*i,5+7*i) \rightarrow 3-2*i$
iquorem	Integer Quotient and Remainder
	Syntax:
	iquorem(Integer1, Integer2))
	Returns the Euclidean quotient and remainder of two integers.
I .	Example:

ics Tree 13217	Help Text   iquorem(63,23) → [2,17]
irone.	
irem	Integer Euclidian Remainder
	Syntax: irem(Intgr1, Intgr2)
	Returns the integer remainder from the Euclidean division of two integers.
	Examples:
	$irem(148,5) \rightarrow 3$
	irem(25+12*i,5+7*i) → -4+i
is_collinear	is_collinear Function
	Syntax:
	is_collinear(Point1, Point2,, Pointn)
	Takes a set of points as argument and tests whether or not they are collinear. Returns 1 if the po
	collinear and 0 otherwise.  Example:
	is_collinear(point(0,0), point(5,0), point(6,1)) $\rightarrow$ 0
is conquelis	is_concyclic Function
is_concyclic	Syntax:
	is_concyclic(Point1, Point2, Point3, Point4))
	Takes a set of 4 points as argument and tests if they are all on the same circle. Returns 1 if the po
	all on the same circle and 0 otherwise.
	Example:
	is_concyclic(point(-4,-2), point(-4,-2), point(4,-2), point(4,2)) $\rightarrow$ 1
is_conjugate	is_conjugate Function
	Syntax:
	is_conjugate(Circle, Point1, Point2, [Point3]) or
	is_conjugate(Line1, Line2, Line3, [Line4])
	Tests whether or not two points or two lines are conjugates for the given circle. Returns 1 if they
	0 otherwise.
is_coplanar	is_coplanar Function
	Syntax:
	is_coplanar(Point1, Point2, Point3, Point4)
	Tests if four points are in the same plane.
	Returns 1 if true or 0 if false.
is_cycle	is_cycle Function
_ ,	Syntax:
	is_cycle(list)
	Tests whether or not list is a cycle. Returns 1 if it is, and 0 otherwise.
	Examples:
	is_cycle([2,1,3,5]) $\rightarrow$ 1
	$ s\_cycle([2,0,3,2]) \rightarrow 0$
is_element	is element Function
is_ciement	Syntax:
	is_element(Point, Object)
	Tests if a point is on a geometric object. Returns a number (1 to number of sides) representing the
	segment containing the point and 0 otherwise.
	Examples:
	is_element(point(( $V(2)/2$ ),( $V(2)/2$ )),circle(0,1)) $\rightarrow$ 1
	is_element(point(0,0.5),square(0,1)) $\rightarrow$ 4
is_equilateral	is_equilateral Function
_ 1	Syntax:
	is_equilateral(Point1, Point2, Point3)
	Takes three points and tests whether or not they are vertices of a single equilateral triangle. Retu
	they are and 0 otherwise.
	Example:
	is_equilateral(triangle(0,2,1+i* $\sqrt{3}$ )) $\rightarrow$ 1
is_harmonic	Syntax:
	is_harmonic(Point1, Point2, Point3, Point4)
	Tests whether or not four points are in a harmonic division or range.
	Returns 1 if they are or 0 otherwise.
	Example:
	is_harmonic(0,1+i,1,i) $\rightarrow$ 0
is_harmonic_circle_bundle	Syntax:
	is_harmonic_circle_bundle(Circle1, Circle2,, Circlen)
	Returns
	1 if the circles have a common external tangent
	2 if they have the same center
	3 if they are all the same circle
	0 if none of the above
	Example: is_harmonic_circle_bundle([circle(0,1+i),circle(2,1+i),circle(1+i,point(1-i))]) → 1

elp Top	pics Tree 13217	Help Text
		is_harmonic_line_bundle(Line1, Line2,, Linen)
		Returns:
		1 if the lines have a common point
		2 if they are all parallel
		3 if they are all the same line
		0 otherwise
		Example:
		is_harmonic_line_bundle(line(x+2*y=3), line(2*x+4*y=6)) $\rightarrow$ 3
	is_isosceles	is_isosceles Function
		Syntax:
		is_isosceles(Point1, Point2, Point3)
		Takes three points and tests whether or not they are vertices of a single isosceles triangle. Returns 0 if they are not. If they are, returns the number order of the common point of the two sides of equal length (1, 2, or 3). Returns 4 if the three points form an equilateral triangle.
		Examples:
		is_isosceles(point(0,0), point(4,0), point(2,4)) $\rightarrow$ 3
		is_isosceles(triangle(0,i,1+i)) $\rightarrow$ 2
	is_orthogonal	is_orthogonal Function
	is_orthogonal	Syntax:
		is_orthogonal(Line1, Line2) or
		is_orthogonal(Circle1, Circle2)
		Tests whether or not two lines or two circles are orthogonal (perpendicular). In the case of two circles,
		tests whether or not the tangent lines at a point of intersection are orthogonal. Returns 1 if they are and
		otherwise.
		Example:
		is_orthogonal(line(y=x),line(y=-x)) $\rightarrow$ 1
	is_parallel	is_parallel Function
		Syntax:
		is_parallel(Line1, Line2)
		Tests whether or not two lines are parallel. Returns 1 if they are and 0 otherwise.
		Example:
		is_parallel(line(2x+3y=7),line(2x+3y=9) $\rightarrow$ 1
	is_parallelogram	is_parallelogram Function
	S_parametegram	Syntax:
		is_parallelogram(Point1, Point2, Point4)
		Tests whether or not a set of four points are vertices of a parallelogram. Returns 0 if they are not. If they
		are, then returns 1 if they form only a parallelogram, 2 if they form a rhombus, 3 if they form a rectangle
		and 4 if they form a square.
		Example:
		is_parallelogram(point(0,0), point(2,4), point(0,8), point(-2,4)) $\rightarrow$ 2
	is_permu	is_permu Function
		Syntax:
		is_permu(list)
		Tests whether or not list is a permutation. Returns 1 if it is, and 0 otherwise.
		Examples:
		is_permu([3,1,5,4,2]) → 1
		is_permu([3,1,5,4]) → 0
	is_perpendicular	is_perpendicular Function
		Syntax:
		is_perpendicular(Line1, Line2)
		Similar to is_orthogonal. Tests whether or not two lines are perpendicular. Returns 1 if they are or 0 if
		they are not.
		Example:
		is_perpendicular(line(y=x),line(y=-x)) $\rightarrow$ 1
	is_rectangle	is_rectangle Function
		Syntax:
		is_rectangle(Point1, Point2, Point3, Point4)
		Tests whether or not a set of four points are vertices of a rectangle.
		Returns 0 if they are not, 1 if they are, and 2 if they are vertices of a square.
		Example:
		is_rectangle(point(0,0), point(4,2), point(2,6), point(-2,4)) $\rightarrow$ 2
		With a set of only three points as argument, tests whether or not they are vertices of a right triangle.
		Returns 0 if they are not. If they are, returns the number order of the common point of the two
	is who make us	perpendicular sides (1, 2, or 3).
	is_rhombus	Syntax:
		is_rhombus(Point1, Point2, Point3, Point4)
		Tests whether or not a set of four points are vertices of a rhombus.
		Returns
		0 if they are not
		1 if they are
	I and the second	2 if they are vertices of a square

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	Example:
	is_rhombus(point(0,3), point(3,0), point(0,-3), point(-3,0)) $\rightarrow$ 2
is_square	is_square Function
	Syntax: is square(Point1, Point2, Point3, Point4)
	Tests whether or not a set of four points are vertices of a square.
	Returns 1 if they are and 0 otherwise.
	Example:
	is_square(point(0,0),point(4,2), point(2,6),point(-2,4)) $\rightarrow$ 1
ISKEYDOWN	Is Key Pressed
ISKET BOWN	Syntax:
	ISKEYDOWN(Keyldentifier)
	Returns true (non-zero) if the key whose Keyldentifier is provided is currently pressed, and false (0) if it is
	not.
ismith	Smith Normal
	Syntax:
	ismith(Matrix_A)
	Given Matrix_A, returns the Smith normal form of a matrix with coefficients in Z. Returns [U V B] such the U and V are invertible in Z, B is the diagonal, B[i,i] divides B[i+1,i+1] and B=U*A*V.
	O and V are invertible in 2, B is the diagonal, b[i,i] divides b[i+1,i+1] and B-O A V.
	Example:
	$ismith([[1,2,3],[4,5,6],[7,8,9]]) \rightarrow [[1,0,0],[4,-1,0],[-1,2,-1]],[[1,0,0],[0,3,0],[0,0,0]],[[1,-2,1],[0,1,-2],[0,0,1]]$
isobarycenter	isobarycenter Function
	Syntax:
	isobarycenter(Point1, Point2,, Pointn)
	Returns the hypothetical center of mass of a set of points. Works like barycenter but assumes all points
	have equal weight. Example:
	isobarycenter(-1,1-i,i) $\rightarrow$ point(0,0)
isopolygon	Regular Polygon
Тэорогудогг	Syntax:
	isopolygon(Point1, Point2, Realn)
	Draws a regular polygon given the first two vertices and the number of sides, where the number of sides
	is greater than 1. If the number of sides is 2, then the segment is drawn.
	You can provide CAS variable names for storing the coordinates of the calculated points in the order they
	were created. The orientation of the polygon is counterclockwise.
	Examples:
	isopolygon(point(0,0,0),point(3,3,3),point(0,0,3),-5)
	isopolygon(GA,GB,6) draws a regular hexagon whose first two vertices are the points A and B.
icaccalas triangla	Isosceles Triangle
isosceles_triangle	Syntax:
	isosceles_triangle(Point1, Point2, Angle, [Var])
	Draws an isosceles triangle defined by two of its vertices and an angle. The vertices define one of the tw
	sides equal in length and the angle defines the angle between the two sides of equal length. Like
	equilateral_triangle, you have the option of storing the coordinates of the third point into a CAS variable
	Example:
	isosceles_triangle(GA,GB,angle(GC,GA,GB)) defines an isosceles triangle such that one of the two sides of equal length is AB, and the angle between the two sides of equal length has a measure equal to that
	of ACB.
isprime	Primality Test
	Syntax:
	isprime(Integer)
	Returns true if the integer is prime; otherwise, returns false.
	Examples:
	Examples.
	isprime(1999) $\rightarrow$ 1
ITERATE	isprime(1999) → 1
ITERATE	isprime(1999) $\rightarrow$ 1 isprime(42) $\rightarrow$ 0
ITERATE	isprime(1999) $\rightarrow$ 1 isprime(42) $\rightarrow$ 0  Iterate Expression
ITERATE	isprime(1999) → 1 isprime(42) → 0  Iterate Expression Syntax:
ITERATE	isprime(1999) → 1 isprime(42) → 0  Iterate Expression  Syntax:  ITERATE(expr, var, ivalue, times)
ITERATE	isprime(1999) → 1 isprime(42) → 0  Iterate Expression  Syntax:  ITERATE(expr, var, ivalue, times)  For times, recursively evaluates expr in terms of var, beginning with var = ivalue.
ITERATE	isprime(1999) → 1 isprime(42) → 0  Iterate Expression  Syntax:  ITERATE(expr, var, ivalue, times)  For times, recursively evaluates expr in terms of var, beginning with var = ivalue.  Examples:
	isprime(1999) → 1 isprime(42) → 0  Iterate Expression  Syntax:  ITERATE(expr, var, ivalue, times)  For times, recursively evaluates expr in terms of var, beginning with var = ivalue.  Examples:  ITERATE(X^2, X, 2, 3) → 256
ITERATE	<pre>isprime(1999) → 1 isprime(42) → 0  Iterate Expression Syntax: ITERATE(expr, var, ivalue, times) For times, recursively evaluates expr in terms of var, beginning with var = ivalue. Examples: ITERATE(X^2, X, 2, 3) → 256 ITERATE({'X^2', 'Y^3', 'Z+1'}, {'X', 'Y', 'Z'}, {2,3,4}, {3,2,3}) → {256,19683,7}</pre>
	<pre>isprime(1999) → 1 isprime(42) → 0  Iterate Expression Syntax: ITERATE(expr, var, ivalue, times) For times, recursively evaluates expr in terms of var, beginning with var = ivalue. Examples: ITERATE(X^2, X, 2, 3) → 256 ITERATE({'X^2', 'Y^3', 'Z+1'}, {'X', 'Y', 'Z'}, {2,3,4}, {3,2,3}) → {256,19683,7} Ith Prime</pre>
	<pre>isprime(1999) → 1 isprime(42) → 0  Iterate Expression Syntax: ITERATE(expr, var, ivalue, times) For times, recursively evaluates expr in terms of var, beginning with var = ivalue. Examples: ITERATE(X^2, X, 2, 3) → 256 ITERATE({'X^2', 'Y^3', 'Z+1'}, {'X', 'Y', 'Z'}, {2,3,4}, {3,2,3}) → {256,19683,7} Ith Prime Syntax:</pre>

	pics free 13217	ithprime(5) $\rightarrow$ 11
	jacobi_symbol	Jacobi Symbol
		Syntax:
		jacobi_symbol(Integer1, Integer2)
		Returns the Jacobi symbol of the two given integers.
		Example:
		jacobi_symbol(132,5) → -1
	jordan	Syntax:
		jordan(Matrix)
		Returns the list made by the matrix of passage and the Jordan form of a matrix.
		Examples:
		$jordan([[0,2],[1,0]]) \rightarrow [[v2,-v2],[1,1]],[[v2,0],[0,-v2]]$
		jordan([[-2,-2,1],[-2,1,-2],[1,-2,-2]])
	JordanBlock	Jordan Block
	Jordanbiock	Syntax:
		JordanBlock(Expr, n)
		Returns a square n x n matrix with Expr on the diagonal, 1 above and 0 everywhere else.
		Examples:
		$JordanBlock(7,3) \rightarrow [[7,1,0],[0,7,1],[0,0,7]]$
		JordanBlock(x+1,3) $\rightarrow$ [[x+1,1,0],[0,x+1,1],[0,0,x+1]]
	limit	Syntax:
	iiiiiit.	
		limit(Expr,Var,Val, [Dir])
		Returns the limit (2-sided or 1-sided) of the given expression as the given variable approaches a value.
		The optional argument Dir indicates a two sided limit if 0, one sided from below if -1, and one sided fr
		above if 1. If the fourth argument is not provided, the limit returned is bidirectional.
		Examples:
		$limit((n*tan(x)-tan(n*x))/(sin(n*x)-n*sin(x)),x,0) \rightarrow 2$
		$limit(sin(x)/(x^2-3*x),x,0) \rightarrow -1/3$
		$limit(exp(1/x),x,0,1) \rightarrow +\infty$
	> 110.4C	
	→HMS	Syntax:
		→HMS(value)
		Displays a decimal value in sexagesimal format; that is, in units subdivided into groups of 60. This inclu
		degrees, minutes, and seconds as well as hours, minutes, and seconds.
		Examples:
		$\rightarrow$ HMS(8.5) $\rightarrow$ 8°30'
		→HMS{{8.5,37.7539}} → {8°30′00″,37°45′14.04″}
K-O		Function Catalog K-O
		Toolbox function catalog K-O
	+/-	Negative
		Syntax:
		- Value or - Expression
		Unary minus.
		Changes the sign of Value or Expression. Used to enter negative numbers.
	ker	Kernel of Matrix
	I .	Syntax:
		Sylicax.
		ker(Mtrx(M))
		ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.
		ker(Mtrx(M))
		ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.
	KILL	ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:
	KILL	ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution
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	KILL	ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax:  KILL;
	KILL	ker(Mtrx(M)) Returns the kernel of a linear application of a matrix.  Example: $\ker([[1,2],[3,6]]) \rightarrow [2,-1]$ Stop Execution  Syntax:
	KILL	ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax:  KILL;
	KILL	ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example: ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax: KILL; Stops the execution of a program. Example:
		ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example: ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax: KILL; Stops the execution of a program.  Example: Demo_KILL
	KILL	ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax:  KILL;  Stops the execution of a program.  Example:  Demo_KILL  Kolmogorov-Smirnov distribution
		ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax:  KILL;  Stops the execution of a program.  Example:  Demo_KILL  Kolmogorov-Smirnov distribution  Returns the Kolmogorov-Smirnov distribution value.
		ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax:  KILL;  Stops the execution of a program.  Example:  Demo_KILL  Kolmogorov-Smirnov distribution
		ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax:  KILL;  Stops the execution of a program.  Example:  Demo_KILL  Kolmogorov-Smirnov distribution  Returns the Kolmogorov-Smirnov distribution value.
		ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example:  ker([[1,2],[3,6]]) → [2,-1]  Stop Execution  Syntax:  KILL;  Stops the execution of a program.  Example:  Demo_KILL  Kolmogorov-Smirnov distribution  Returns the Kolmogorov-Smirnov distribution value.  1-2*sum((-1)^(k-1)*exp(-k^2*x^2),k,1,∞)  Example:
	kolmogorovd	ker(Mtrx(M)) Returns the kernel of a linear application of a matrix.  Example: ker([[1,2],[3,6]]) $\rightarrow$ [2,-1]  Stop Execution Syntax: KILL; Stops the execution of a program. Example: Demo_KILL  Kolmogorov-Smirnov distribution Returns the Kolmogorov-Smirnov distribution value. 1-2*sum((-1)^(k-1)*exp(-k^2*x^2),k,1, $\infty$ ) Example: kolmogorovd(1.36) $\rightarrow$ 0.950514123245
		ker(Mtrx(M)) Returns the kernel of a linear application of a matrix.  Example: $\ker([[1,2],[3,6]]) \rightarrow [2,-1]$ Stop Execution Syntax: $KILL;$ Stops the execution of a program. $Example:$ $Demo_KILL$ $Kolmogorov-Smirnov distribution$ $Returns the Kolmogorov-Smirnov distribution value.$ $1-2*sum((-1)^{\Lambda}(k-1)*exp(-k^{\Lambda}2*x^{\Lambda}2),k,1,\infty)$ $Example:$ $kolmogorovd(1.36) \rightarrow 0.950514123245$ $Kolmogorov-Smirnov test$
	kolmogorovd	ker(Mtrx(M)) Returns the kernel of a linear application of a matrix.  Example: ker([[1,2],[3,6]]) $\rightarrow$ [2,-1]  Stop Execution Syntax: KILL; Stops the execution of a program. Example: Demo_KILL  Kolmogorov-Smirnov distribution Returns the Kolmogorov-Smirnov distribution value. 1-2*sum((-1)^(k-1)*exp(-k^2*x^2),k,1, $\infty$ ) Example: kolmogorovd(1.36) $\rightarrow$ 0.950514123245
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	kolmogorovd	ker(Mtrx(M)) Returns the kernel of a linear application of a matrix.  Example: $\ker([[1,2],[3,6]]) \rightarrow [2,-1]$ Stop Execution Syntax: KILL; Stops the execution of a program.  Example: $Demo_KILL$ Kolmogorov-Smirnov distribution Returns the Kolmogorov-Smirnov distribution value. $1-2*sum((-1)^{k-1}*exp(-k^2*x^2),k,1,\infty)$ Example: $\ker([-1)^{k-1}*exp(-k^2*x^2),k,1,\infty)$ Example: $\ker([-1)^{$
	kolmogorovd	ker(Mtrx(M)) Returns the kernel of a linear application of a matrix.  Example: $\ker([[1,2],[3,6]]) \rightarrow [2,-1]$ Stop Execution Syntax: $KILL;$ Stops the execution of a program. $Example:$ $Demo_KILL$ $Kolmogorov\text{-Smirnov} \ distribution$ $Returns \ the \ Kolmogorov\text{-Smirnov} \ distribution \ value.$ $1\text{-}2\text{+sum}((-1)^{\wedge}(k\text{-}1)\text{+exp}(-k^{\wedge}2\text{+x}^{\wedge}2),k,1,\infty)}$ $Example:$ $kolmogorovd(1.36) \rightarrow 0.950514123245$ $Kolmogorov-Smirnov \ test$ $Syntax:$ $kolmogorovt(list1,list2)$ $kolmogorovt(list1,list2)$ $kolmogorovt(list1,distribution_law)$
	kolmogorovd	ker(Mtrx(M))  Returns the kernel of a linear application of a matrix.  Example: ker([[1,2],[3,6]]) → [2,-1]  Stop Execution Syntax: KILL; Stops the execution of a program. Example: Demo_KILL  Kolmogorov-Smirnov distribution Returns the Kolmogorov-Smirnov distribution value. 1-2*sum((-1)^(k-1)*exp(-k^2*x^2),k,1,∞) Example: kolmogorovd(1.36) → 0.950514123245  Kolmogorov-Smirnov test Syntax: kolmogorovt(list1,list2) kolmogorovt(list1,distribution_law) Kolmogorov-Smirnov equality test to a continuous distribution law - either between two samples list1
	kolmogorovd	ker(Mtrx(M)) Returns the kernel of a linear application of a matrix.  Example: $\ker([[1,2],[3,6]]) \rightarrow [2,-1]$ Stop Execution Syntax: KILL; Stops the execution of a program.  Example: $Demo_KILL$ Kolmogorov-Smirnov distribution Returns the Kolmogorov-Smirnov distribution value. $1-2*sum((-1)^{k-1}*exp(-k^2*x^2),k,1,\infty)$ Example: $\ker([-1)^{k-1}*exp(-k^2*x^2),k,1,\infty)$ Example: $\ker([-1)^{$

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**Help Text** 

opics Tree	13217	Help Text
opies rice		Examples:
		kolmogorovt(randvector(100,normald,0,1),randvector(100,normald,0,1))
		kolmogorovt(randvector(100,normald,0,1),randvector(100,normald,3,1))
		kolmogorovt(randvector(100,normald,0,1),normald(0,1))
		kolmogorovt(randvector(100,normald,0,1),student(2))
l1norm		L <sup>1</sup> Norm
		Syntax:
		l1norm(Vector)
		Returns the L <sup>1</sup> norm (sum of the absolute values of the coordinates) of a vector.
		Example:
		$ 1norm([3,-4,2]) \rightarrow 9$
l2norm		L <sup>2</sup> Norm
.2		Syntax:
		I2norm(Vector)
		Returns the L <sup>2</sup> norm (sqrt(x1 <sup>2</sup> +x2 <sup>2</sup> +xn <sup>2</sup> )) of a vector.
		Example:
lagrange		Lagrange Polynomial
		Syntax:
		lagrange([X1, X2, Xn], [Y1, Y2, Yn]) or
		lagrange(Matrix)
		Given a vector of abscissas and a vector of ordinates, returns the Lagrange polynomial for the points
		specified in the two vectors.
		This function can also take a matrix as argument, with the first row containing the abscissas and the
		second row containing the ordinates. Returns the polynomial of degree n-1 such that P(xk)=yk, for k=0, 1,
		, n-1. Example:
		lagrange([[1,3],[0,1]]) $\rightarrow$ (1/2)*(x-1)
1		
laguerre		Laguerre Polynomial
		Syntax:
		laguerre(Integer)
		Given an integer n, returns the Laguerre polynomial of degree n.
		Example:
		laguerre(2) $\rightarrow$ -a*x+1/2*a^2+1/2*x^2+3/2*a-2*x+1
laplace		Laplace Transform
		Syntax:
		laplace(Expr,[Var],[LapVar])
		Returns the Laplace transform of an expression.
		Examples:
		$laplace(e^{(x)*sin(x))} \rightarrow 1/(x^2-2*x+2)$
		laplace(sin(x)/2,x,s) $\rightarrow 2/(s^3+4^*s)$
laplacian		Syntax:
		laplacian(Expr, Vector)
		Returns the Laplacian of an expression with respect to a vector of variables.
		Example:
		$laplacian(e^{(z)*cos(x*y),[x,y,z]}) \rightarrow e^{(z)*cos(x*y)-x^2*}e^{(z)*cos(x*y)-y^2*}e^{(z)*cos(x*y)}$
latex		Generate Latex Text
		Syntax:
		latex(Expr)
		Returns the evaluated CAS expression written in Latex format.
		Examples:
		$ atex(1/2) \rightarrow "\{frac\{1\}\{2\}" \} $
		$ atex((x^4-1)/(x^2+3)) \rightarrow "\{rac\{(x^4-1)\}\{(x^2+3)\}"\} $
Icm		Lowest Common Multiple
		Syntax:
		lcm(Intgr1, Intgr2,) or
		lcm(Poly1, Poly2,) or
		lcm(Rational1, Rational2,)
		Returns the lowest common multiple of two or more polynomials of several variables, or of two or more
		integers, or of two or more rationals.
		Examples:
1		
		lcm(6,4) → 12
Ispeff		$lcm(x^2-2*x+1,x^3-1) \to (x-1)*(x^3-1)$
Icoeff		$lcm(x^2-2*x+1,x^3-1) \rightarrow (x-1)*(x^3-1)$ Syntax:
Icoeff		$ cm(x^2-2^*x+1,x^3-1) \rightarrow (x-1)^*(x^3-1)$ Syntax: $ coeff(Poly) $
Icoeff		$ cm(x^2-2^*x+1,x^3-1) \rightarrow (x-1)^*(x^3-1)$ Syntax: $ coeff(Poly) $ $ coeff(Vector) $
Icoeff		$ cm(x^2-2^*x+1,x^3-1) \rightarrow (x-1)^*(x^3-1)$ Syntax: $ coeff(Poly) $ $ coeff(Vector) $ $ coeff(List) $
Icoeff		lcm(x²-2*x+1,x^3-1) → (x-1)*(x³-1)
Icoeff		$ cm(x^2-2^*x+1,x^3-1) \rightarrow (x-1)^*(x^3-1)$ Syntax: $ coeff(Poly) $ $ coeff(Vector) $ $ coeff(List) $

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	$lcoeff(1-2*x^3+x^2+7*x) \rightarrow -2$
	$ lcoeff([-2,1,7,0]) \rightarrow -2$
left	Left Side of Equation
	Syntax:
	left(Expr1=Expr2) or
	left(Real1Real2)
	Returns the left side of an equation or the left end of an interval.
	Example:
	$left(x^2-1=2*x+3) \rightarrow x^2-1$
LEFT	Left Part
	Syntax:
	LEFT(String, Integer)
	Given a string and an integer n, return the first n characters of the string. If n ≥ DIM(str) or n ≤ 0, returns
	the entire string.
	Example:
	LEFT("MOMOGUMBO",3) → "MOM"
legendre	Legendre Polynomial
legendre	Syntax:
	legendre(Integer)
	Given an integer n, returns the Legendre polynomial of degree n.
	Example:
L	legendre(4) → 35/8*x^4-15/4*x^2+3/8
legendre_symbol	Legendre symbol
	Syntax:
	legendre_symbol(Integer1, [Integer2])
	Given two integers, returns the Legendre symbol of the second integer, using the Legendre polynomial
	whose degree is the first integer.
	Example:
	legendre_symbol(132,5) → -1
length	Syntax:
	length(List) or
	length(String) or
	length(Object1)
	Returns the length of a list, a string or a set of objects.
	Examples:
	$length([1,2,3]) \rightarrow 3$
	length("12345") → 5
	$length(x^2+5*x-1) \rightarrow 3$
Igcd	Greatest Common Divisor
	Syntax:
	lgcd(List) or
	lgcd(Vector) or
	lgcd(Integer1, Integer2,) or
	lgcd(Poly1, Poly2,)
	Returns the greatest common divisor of a set of integers or polynomials, contained in a list, a vector, or just entered directly as arguments.
	Examples:
	lgcd({45,75,20,15}} → 5
	$ gcd(x^2-2^*x+1,x^3-1,x-1) \to x-1$
lin	Syntax:
lin	lin(Expr )
	Linearization of exponentials. Returns an expression with the exponentials linearized.
	Example:
	$lin((e^{x})^3+e^{x})^2) \rightarrow e^{x}(2^{x})^3+2^{x}e^{x}(x^3+x)+e^{x}(2^{x})$
LINE	Line Drawing
LIIVE	Syntax:
	LINE([G], x1, y1, x2, y2, [color])
	LINE([G], x1, y1, x2, y2, [color])  LINE([G],points_definition, lines_definitions, rotation_matrix or {rotation_matrix or -1, ["N"], [{eye_x,
	eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
	-,,, -,-,-, -, -,, -,, -,, -,, -,, -,,
	LINE([G],pre_rotated_points, line_definitions, [zstring])
	The basic form of LINE draws one line between specified coordinates in the graphic using the specified
	color.
	The advanced form of LINE allows the rendering of multiple lines at a time with a potential 3D
	transformation of the points that define the line. This is mostly used if you have a set of vertices and lines
	and want to display them all at once (faster).  points_definition is either a list or a matrix of point definitions. Each point is defined by 2 to 4 numbers: x,
	y, z and color. A valid point definition can have multiple forms. Here are some examples: [x, y, z, c], {x, y, z, c}
	c}, {x, y, #c}, {(x, y), c}, (x,y).
•	

	40047	Halla Tara
Help To	pics Tree 13217	Help Text
		lines_definitions is either a list or a matrix of line definitions. Each line is defined by 2 to 4 numbers. p1,
		p2, color and alpha. p1 and p2 are the index in the points_definition of the 2 points that define the line.
		Color is used to override the per point color definition. If you need to provide an Alpha, but not a color,
		use -1 for the color.
		Note, that {Color, [Alpha], line 1,, line n} is also a valid form to avoid re-specifying the same color for
		each line.
		rotation_matrix is a matrix of sizes 2*2 to 3*4 which specifies the rotation and translation of the points
		using the usual 3D or 4D geometry.
		{eye_x, eye_y, eye_z} defines the eye position (projection).
		{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D} is used to perform 3D clipping on the pre- transformed objects.
		Each point is rotated and translated through a multiplication by rotation_matrix. It is then projected on
		the view plane using the eye position according to the following equation: x=eye_z/z*x-eye_x and
		y=eye_z/z*y-eye_y.
		Each line is clipped in 3D if 3D clipping data is provided.
		If "N" is specified, the Z coordinates are Normalized between 0 and 255 after rotation provided easier
		zClipping.
		If zstring is provided, per pixel z clipping will happen using the z value string (see below).
		LINE returns a string which contains all the transformed points. If you plan to call TRIANGLE or LINE
		multiple times in a row using the same points and transformation, you can do so by replacing the
		points_definition by this string and omitting the transformation definition in subsequent calls to TRIANGLE
		and LINE.
		About ZString
		TRIANGLE([G]) returns a string adapted for z clipping.
		To use Z clipping, call TRIANGLE to create a Z clipping string (initialized at 255 for each pixels). You can
		then call LINE with appropriate z (0-255) values for each of the triangle vertexes and LINE will not draw
		pixels further than the already drawn pixels. ZString is automatically updated as appropriate.
		piness to their the directly drawn piness. 23thing is dutofillationly updated as appropriate.
		Example:
		Demo_LINE
		_
	line	Syntax:
		line(Point1, Point2) or
		line(a*x+b*y+c) or
		line(point1, slope=realm)
		Draws a line in the Plot view of the Geometry app or returns the equation of a line in CAS view. The
		arguments can be two points, a linear expression of the form a*x+b*y+c, or a point and a slope.
		Examples:
		line(2+i,3+2*i) draws the line whose equation is y=x-1; that is, the line through the points (2,1) and (3,2).
		line(2x-3y-8) draws the line whose equation is 2x-3y=8
		line(3-2i,slope=1/2) draws the line whose equation is x-2y=7; that is, the line through (3, -2) with slope
		m=1/2
	LINE_P	Line Drawing
		Syntax:
		LINE_P([G], x1, y1, x2, y2, [color])
		LINE P([G],points definition, lines definitions, rotation matrix or {rotation matrix or -1, ["N"], [{eye x,
		eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
		cyc_y, cyc_z, or _1, [(Allinios, Allianos, yllianos, yllianos, zllianos, zllianos), zllianos, zllianos, zllianos
		LINE_P([G],pre_rotated_points, line_definitions, [zstring])
		The basic form of LINE_P draws one line between specified coordinates in the graphic using the specified
		color.
		The advanced form of LINE_P allows the rendering of multiple lines at a time with a potential 3D
		transformation of the points that define the line. This is mostly used if you have a set of vertices and lines
		and want to display them all at once (faster).
		points_definition is either a list or a matrix of point definitions. Each point is defined by 2 to 4 numbers: x,
		y, z and color. A valid point definition can have multiple forms. Here are some examples: [x, y, z, c], {x, y, z,
		c}, {x, y, #c}, {(x, y), c}, (x,y).
	p2, color and alpha. p1 and p2 are the index in the p	lines_definitions is either a list or a matrix of line definitions. Each line is defined by 2 to 4 numbers. p1,
		p2, color and alpha. p1 and p2 are the index in the points_definition of the 2 points that define the line.
		Color is used to override the per point color definition. If you need to provide an Alpha, but not a color,
		use -1 for the color.
		Note, that {Color, [Alpha], line_1,, line_n} is also a valid form to avoid re-specifying the same color for
		each line.
		rotation_matrix is a matrix of sizes 2*2 to 3*4 which specifies the rotation and translation of the points
		using the usual 3D or 4D geometry.
		{eye_x, eye_y, eye_z} defines the eye position (projection).
		{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D} is used to perform 3D clipping on the pre-
		transformed objects.
		Each point is rotated and translated through a multiplication by rotation_matrix. It is then projected on
		the view plane using the eye position using the following equation: x=eye_z/z*x-eye_x and y=eye_z/z*y-
		eye_y.
		Each line is clipped in 3D if 3D clipping data is provided.
		If "N" is specified, the Z coordinates are Normalized between 0 and 255 after rotation provided easier
		zClipping.
		If zstring is provided, per pixel z clipping will happen using the z value string (see below).

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13217	LINE_P returns a string which contains all the transformed points. If you plan to call TRIANGLE_P or LINE_P multiple times in a row using the same points and transformation, you can do so by replacing the points_definition by this string and omitting the transformation definition in subsequent calls to TRIANGLE_P and LINE_P.
	About ZString  TRIANGLE_P([G]) returns a string adapted for z clipping.  To use Z clipping, call TRIANGLE_P to create a Z clipping string (initialized at 255 for each pixels). You car then call LINE_P with appropriate z (0-255) values for each of the triangle vertexes and LINE_P will not draw pixels further than the already drawn pixels. ZString is automatically updated as appropriate.
	Example: Demo_LINE_P
linear_interpolate	Syntax: linear_interpolate(Matrix,Xmin,Xmax,Xstep)
	Makes a regular sample from a polygonal line defined by a two row matrix.  Example:
linear garagian	linear_interpolate([[1,2,6,9],[3,4,6,7]],1,9,1) → [[1. 2. 3. 4. 5. 6. 7. 8. 9.],[3 4 4.5 5 5.5 6 6.333333333333333333333333333
linear_regression	Linear Regression Syntax:
	linear_regression(Matrix) or linear_regression(List1, List2)
	Given a set of points, returns a vector containing the coefficients a and b of y=a*x+b, the line which bes fits the set of points. The points may be the elements in two lists or the rows of a matrix.
	Example: linear_regression([0.0,1.0,2.0,3.0,4.0],[0.0,1.0,4.0,9.0,16.0]) $\rightarrow$ [42]
LineHorz	Horizontal Line Syntax:
	LineHorz(Exp) or
	LineHorz(Real)  Used in the Symbolic view of the Geometry app. Given a real number a or an expression that evaluates a real number a, draws the horizontal line y=a.  Example:
LineTan	LineHorz(-1) draws the line whose equation is y=-1  LineTan Function
Lineran	Syntax:  LineTan(f(x), [Var], Value)  Draws the tangent to y=f(Var) at Var=Value.
	Example:  LineTan( $x^2$ - $x$ ,1) returns line( $y$ = $x$ -1); that is, the line tangent to the graph of $y$ = $x^2$ - $x$ at $x$ =1
LineVert	Vertical Line
	Syntax: LineVert(Expr) or
	LineVert(Real)  Used in the Symbolic view of the Geometry app. Given a real number a or an expression that evaluates a real number a, draws the vertical line x=a.
	Example:  LineVert(2) draws the line whose equation is x=2
linsolve	Linear System Solver Syntax:
	Given a vector of linear equations and a corresponding vector of variables, returns the solution to the system of linear equations.  Example:
	linsolve([x+y+z=1,x-y=2,2*x-z=3],[x,y,z]) $\rightarrow$ [3/2,-1/2,0]
list2mat	Syntax: list2mat(List, Integer)
	Given a list and an integer n, returns a matrix of n columns made by splitting a list into rows, each containing n terms. If the number of elements in the list is not divisible by n, then the matrix is complet with zeros.  Example:
	$list2mat([1,8,4,9],2) \rightarrow [[1,8],[4,9]]$
III_reduce	LLL Reduction Syntax:
	Ill_reduce(Matrix) Implementation of the Lenstra–Lenstra–Lovász (LLL) lattice basis reduction algorithm. Takes as argume an invertable matrix with integer coefficients. Returns (S, A, L, O) such that:
	<ul> <li>the rows of S is a short basis of the Z-module generated by the rows of M</li> <li>A is the change-of-basis matrix from the short basis to the basis defined by the rows of M(A*M=S)</li> </ul>
	7.13 the change of busis mutah from the short busis to the busis defined by the rows of M(A MI-3)

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	• L is a lower triangular matrix and the modulus of it's non diagonal coefficients are less than 1/2
	• O is a matrix with orthogonal rows such that L*O = S
	Example:
	III_reduce([[1234,3452,4521],[3425,2241,1543],[5643,3425,8721]])
LN	Natural Logarithm
	Syntax:
	LN(value)
	Natural Logarithmic function
	Returns the logarithm of value in base e, Euler's number.
	Examples:
	LN(1) → 0
	$LN(2+3^*i) \rightarrow 1.28247467873+0.982793723247^*i$ $LN(0.1.1) > 1.2.20279700200.01$
In a second	LN( $\{0.1,1\}$ ) → $\{-2.30258509299,0\}$ List Variable Names
Iname	Syntax:
	Iname('Expr')
	Returns a list of the variables in an expression, which must be contained in single quotation marks (').
	included in Strategic and Stra
	In CAS, this command and all variables must be in lower case. In Home, the command and variables m
	be in upper case. Examples:
	Iname('e^(x)*2*sin(y)') $\rightarrow$ [x y]
	Iname( $\{e'(x)^2 : 3in(y)\} / [x/y]$ ] $[x,y,z,q,t]$
	LNAME( $(e^{\chi} \times 2^* SIN(Y))' \rightarrow \{X,Y\}$
Incollect	Collect Logarithms
inconcet	Syntax:
	Incollect(Expr)
	Rewrites an expression with the logarithms collected. Applies ln(a)+n*ln(b)=ln(a*b^n) where n is an
	integer.
	Example:
	$lncollect(ln(x)+2*ln(y)) \rightarrow ln(x*y^2)$
Inexpand	Expand Logarithm
	Syntax:
	Inexpand(Expr)
	Returns the expanded form of a logarithmic expression.  Example:
	Inexpand( $\ln(3*x)$ ) $\rightarrow \ln(3)+\ln(x)$
LNP1	Natural Log Plus 1
LIVET	Syntax:
	LNP1(value)
	Natural log plus 1: LN(X+1)
	This is more accurate than the natural logarithm function for values close to zero.
	Examples:
	$LNP1(0.23) \rightarrow 0.207014169384$
	$LNP1(0.02+0.03*i) \rightarrow 2.02349662769e-2+0.029403288204*i$
LOCAL	LOCAL keyword
	Syntax:
	LOCAL Var1[:=Val1, Var2:=Val2, Var8:=Val8];
	Declares one or more local variables. Each variable can be assigned an optional initial value as well. If t
	declaration is in a function block, these variables will be local to the function. If the declaration is in the
	main program body, the variables are local to the program.
	There can only be 8 variables per LOCAL keyword. To create more variables, you must add another LOCAL
	keyword.
	Examples:
	Demo_LOCAL
locus	Syntax:    locus(Point Element (tsten=Value)))
	locus(Point,Element, [tstep=Value]))  Given a first point and a second point that is an element of (a point on) a geometric object, draws the
	Given a first point and a second point that is an element of (a point on) a geometric object, draws the locus of the first point as the second point traverses its object. The optional tstep statement can be us
	to control the default level of detail.
LOG	General Logarithm
	Syntax:
	LOG(value, [base])
	General logarithmic function
	Returns the logarithm of value in base. By default, base=10.
	Examples:
	LOG(8) → 0.903089986992
	$LOG(8) \rightarrow 0.903089986992$ $LOG(8,2) \rightarrow 3$
	LOG(8) → 0.903089986992

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	LOG({100,10}) → {2,1}
	LOG({8,27,10000},{2,3,10}) → {3,3,4}
log10	Common Logarithm
	Syntax:
	log10(Expr)
	Common logarithm (base 10). Returns the common logarithm of an expression.
	Example:
	$\log 10(10) \rightarrow 1$
logarithmic_regression	Logarithmic Regression
	Syntax:
	logarithmic_regression(Matrix) or
	logarithmic_regression(List1, List2)
	Given a set of points, returns a vector containing the coefficients a and b of y=a*ln(x)+b, the natur
	logarithmic function which best fits the set of points. The points may be the elements in two lists of
	rows of a matrix. Example:
	logarithmic regression([[1.0,1.0],[2.0,4.0],[3.0,9.0],[4.0,16.0]]) $\rightarrow$ 10.1506450002,-0.56482405581
	logantinnic_regression([[1.0,1.0],[2.0,4.0],[3.0,5.0],[4.0,10.0]]) → 10.1300430002,-0.30462403361
logb	Syntax:
	logb(a,b)
	Given a real number a and an integer b, returns the logarithm of a in the base b.
	Example:
	$logb(5, 2) \rightarrow ln(5)/ln(2), \sim 2.32192809489$
logistic_regression	Logistic Regression
	Syntax:
	logistic_regression(Lst(L),Real(x0),Real(y0))
	Returns [y,y',C,y'max,xmax,R] where y is a logistic function (solution of y'/y=a*y+b), such that y(x0
	and where [y'(x0),y'(x0+1)] is the best approximation of L.
	Example:
	logistic_regression([0.0,1.0,2.0,3.0,4.0],0.0,1.0) $\rightarrow$ [-17.77/(1+exp(-0.4009020313945+1.2022324498+3.144503051358+1)] $\rightarrow$ 486.42227450/(1+exp(-0.4009020313945+1.202232458))
	0.496893925384*x+2.82232341488+3.14159265359*i)),-2.48542227469/(1+cosh(- 0.496893925384*x+2.82232341488+3.14159265359*i))]
LOWER	Lowercase
	Syntax:
	LOWER(string)
	Returns string with uppercase characters converted to lowercase.
	Examples:
	LOWER("ABC") → "abc"
	LOWER("ABΓ") $\rightarrow$ " $\alpha\beta\gamma$ "
LQ	LQ Factorization
	Syntax:
	LQ(matrix)
	Factorizes a m × n matrix into three matrices: L, Q, and P, where L is an m × n lower trapezoidal, Q
	$\times$ n orthogonal, and P is an m $\times$ m permutation; and P*A=L*Q.
	Example:
	$LQ([[1,2],[3,4]]) \rightarrow \{[[2.2360,0],[4.9193,0.8944]],[[0.4472,0.8944],[0.8944,-0.4472]],[[1,0],[0,1]]\}$
LSQ	Least Squares
	Syntax:
	LSQ(matrix1, matrix2)
	Returns the minimum norm least squares matrix (or vector) corresponding to the system
	matrix1*X=matrix2
	Examples:
	$LSQ([[1,2],[3,4]],[[5],[11]]) \rightarrow [[1],[2]]$
	$LSQ([[1,2],[3,4]],[[5,-1],[11,-1]]) \rightarrow [[1,1],[2,-1]]$
LU	LU Decomposition
	Syntax:
	LU(matrix)
	Factorizes a square matrix into three matrices L, U, and P, where L is a lowertriangular, U is an
	uppertriangular, and P is the permutation; and P*A=L*U.
	Example:
	$LU([[1,2],[3,4]]) \rightarrow \{[[1,0],[0.3333,1]],[[3,4],[0,0.6666],[0,1],[1,0]]\}$
lvar	List of Variables & Expressions
	Syntax:
	lvar(Expr)
I .	Given an expression, returns a list of the functions of the expression which utilize variables, includi
	occurrences of the variables themselves.
	Evample:
	Example: $ v_{\text{AP}}(x) ^{2/4} \sin(v) + \ln(v) \rightarrow [a_{\text{AP}}(x) \sin(v)] \ln(v)$
DAAKELICT	$ var(e^{(x)}*2*sin(y)+ln(x)) \rightarrow [e^{(x)}sin(y) ln(x)]$
MAKELIST	

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	Calculates a sequence of elements for a new list.
	Evaluates expression, incrementing variable from begin to end values, using increment steps (default is
	Example:
	MAKELIST(2*X-1,X,1,5,1) → $\{1,3,5,7,9\}$
MAKEMAT	Make Matrix
IVIAKLIVIAI	Syntax:
	MAKEMAT(Expr, Rows, Columns) or
	MAKEMAT(Expr, Flements)
	Creates a matrix of dimension Rows × Columns, using Expr to calculate each element. If Expr contains
	variables I and J, then the calculation for each element substitutes the current row number for I and the
	current column number for J. You can also create a vector using the number of Elements instead of th
	number of rows and columns.
	Examples:
	$MAKEMAT(0,3,3) \rightarrow [[0,0,0],[0,0,0],[0,0,0]]$
	$MAKEMAT(v2,2,3) \rightarrow [[v2,v2,v2],[v2,v2,v2]] \text{ in CAS view}$
	$MAKEMAT(I+J-1,2,3) \to [[1,2,3],[2,3,4]] \text{ in Home view}$
MANT	Mantissa
IVIAIVI	Syntax:
	MANT(Value)
	Returns the significant digits of Value.
	Examples:
	MANT(21.2E34) → 2.12
	$ \begin{array}{l} \text{MANT}(2.1.2E34) \rightarrow 2.12 \\ \text{MANT}(\{2.12E35,5302.00000123\}\} \rightarrow \{2.12,5.30200000123\} \end{array} $
map	map Function
	Syntax:
	map(Matrix, Var → Function) or
	map(Matrix, Var→Test)
	There are two uses for this function, whose second argument is always a mapping of a variable onto a expression.
	Examples:
	$\max_{\text{map}([1,2,3], x \to x^3)} \rightarrow [1,8,27]$
	If the expression is a function of the variable, then the function is applied to each element in the vector
	matrix (the first argument) and the resulting vector or matrix is returned.
	$map([1,2,3], x \rightarrow x > 1) \rightarrow [0,1,1]$
	If the expression is a Boolean test, then each element in the vector or matrix is tested and the results
	returned as a vector or matrix. Each test returns either 0 (fail) or 1 (pass).
mat2list	Syntax:
	mat2list(Matrix)
	Returns a list containing the elements of the given matrix.
	Example:
	$mat2list([[1,8],[4,9]]) \rightarrow [1,8,4,9]$
matpow	Syntax:
	matpow(Matrix,Int(n))
	Calculates the n power of a matrix by use of the Jordan normal form.
	Example:
	$matpow([[1,2],[3,4]],n) \to [[(\forall 33-3)^*((\forall 33+5)/2)^n^*-6/(-12^*\forall 33)+(-(\forall 33)-3)^*((-(\forall 33)+5)/2)^n^*6/(-12^*\forall 33)+(-(\forall 33)-3)^*((-(\forall 33)+5)/2)^n^*6/(-12^*\forall 33)+(-(\forall 33)-3)^*((-(\forall 33)-3)^*((-(\forall 33)-3)^*)))]$
	12*v33),(v33-3)*((v33+5)/2)^n*(-(v33)-3)/(-12*v33)+(-(v33)+5)/2)^n*(-(v33)+3)/(-
	12*V33)],[6*((V33+5)/2)^n*-6/(-12*V33)+6*((-{V33}+5)/2)^n*6/(-12*V33),6*((V33+5)/2)^n*(-(V33)-3) 12*V33)+6*((-{V33}+5)/2)^n*(-{V33}+3)/(-12*V33)]]
	12 vəəytu ((-(vəə)+ə)/(2-(vəə)+ə)/(-12-vəə)[]
MAX	Maximum
	Syntax:
	MAX(value1,[value2],[value16]) or
	MAX(list)
	Returns the greatest of the values given, or the greatest value of a list.
	Examples:
	MAX(210,25) → 210
	$MAX(\{1,8,2\}) \rightarrow 8$
	$MAX(8/3,11/4) \rightarrow 2.75$
	$MAX(\{1,8,2\},\{2,4,6\}) \to \{2,8,6\}$
maxnorm	Max Norm
III GALIOTTII	Syntax:
	maxnorm(Vector) or
	maxnorm(Matrix)
	Returns the l∞ norm (the maximum of the absolute values of the coordinates) of a vector or matrix.
	nectaring the importing the maximum of the absolute values of the coordinates) of a vector or matrix.
	Examples:
	Examples: $maxnorm([1,2]) \rightarrow 2$

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MAXREAL	Maximum Real
	Syntax:
	MAXREAL
	Returns the maximum real number that the HP Prime is capable of representing in Home and CAS views.
	In CAS view, MAXREAL=1.79769313486ε308
	In Home view, MAXREAL=1.79709919400E308
	Example:
	MAXREAL
mean	Syntax:
mean	mean(List1, [List2]) or mean(Matrix)
	Returns the arithmetic mean of a list (with an optional list as a list of weights).
	With a matrix as argument, returns the mean of the columns.
	Examples:
	mean([1,2,3],[1,2,3]) $\rightarrow$ 7/3
	mean([[1,2,3],[4,5,6]]) $\rightarrow$ [5/2,7/2,9/2]
median	Syntax:
	median(List1, [List2]) or
	median(Matrix)
	Returns the median of a list or vector (with an optional list as a list of weights).
	With a matrix as argument, returns the medians of the columns.
	Example:
	median([0,1,3,4,2,5,6]) $\rightarrow$ 3
median_line	Median
	Syntax:
	median_line(Point1, Point2, Point3)
	Given three points that define a triangle, draws the median of the triangle that passes through the first point and contains the midpoint of the segment defined by the other two points. In CAS view, returns the
	equation of the median line.
	Example:
	median_line(0,8*i,4) draws the line whose equation is y=2x; that is, the line through the first vertex of t
	triangle at (0,0) and the point at (2,4), the midpoint of the segment with endpoints (0, 8) and (4, 0).
member	Syntax:
	member(Element, List) or
	member(Element, Vector)
	Given a list or vector and an element, returns the index of the first occurrence of the element in the list
	vector. If the element does not appear in the list or vector, returns 0. Similar to contains, except that the element comes first in the argument order.
	element comes hist in the argument order.
	Example:
	member $(1,[4,3,1,2]) \rightarrow 3$
MEMORY	System Memory
	Syntax:
	MEMORY
	MEMORY(n)
	Returns a list containing integers representing memory and storage space, or the individual integer at
	position n. Examples:
	MEMORY()
	MEMORY(1)
MID	Middle
	Syntax:
	MID(String, Position, [n])
	Extracts n characters from String starting at Position. If n is not specified, then MID extracts the remaind
	of String from Position.
	Examples:
	MID("MOMOGUMBO",3,5) → "MOGUM"
	MID("PUDGE",4) → "GE"
midpoint	Syntax:
	midpoint(Segment) or
	midpoint(Point1, Point2)
	Returns the midpoint of a segment. The argument can be either the name of a segment or two points the define a segment. In the latter case, the segment need not actually be drawn.
	Example:
	Example: midpoint(0,6+6i) $\rightarrow$ point(3,3)
MIN	
MIN	$midpoint(0,6+6i) \rightarrow point(3,3)$
MIN	midpoint(0,6+6i) → point(3,3)  Minimum
MIN	midpoint(0,6+6i) → point(3,3)  Minimum  Syntax:

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	Examples:
	MIN(210,25) → 25
	$MIN(\{1,8,2\}) \rightarrow 1$
	$MIN(8/3,11/4) \rightarrow 2.6667$
	$MIN(\{1,8,2\},\{2,4,6\}) \to \{1,4,2\}$
MINREAL	Minimum Real
MINICAL	Syntax:
	MINREAL
	Returns the minimum real number (closest to zero) that the HP Prime is capable of representing in Hom
	and CAS views.
	In CAS view, MINREAL=2.22507385851E-308
	In Home view, MINREAL=1ε-499
	Example:
	MINREAL
mkisom	Isometry
	Syntax:
	mkisom(Vect,(Sign(1) or -1))
	Returns the matrix of an isometry given by its proper elements.
	Examples:
	$mkisom(\pi,1) \to [[-1,0],[0,-1]] \text{ (in radians mode)}$
MKSA	Convert to Metric System
	Syntax:
	MKSA(Value_Unit)
	Converts the measurement Value_Unit to its corresponding value and unit in Unit's MKSA equivalent.
	converts the measurement value_onit to its corresponding value and unit in onit s witosa equivalent.
	MKSA stands for the Meter-Kilogram-Second-Ampere system.
	Examples:
	MKSA(32_yd) → 29.2608_m
	MKSA(75_mph) →33.528_m/s
	$MKSA({33\_(cm),4\_(yd^3)}) \rightarrow {0.33\_m,3.05821943194\_(m^3)}$
MOD	Modulo
	Syntax:
	value1 MOD value2
	Returns the remainder of the Euclidean division value1/value2.
	Examples:
	9 MOD 4 → 1
	#27o MOD 12 → 11
	$[[1,3],[13,14]] \text{ MOD } 4 \rightarrow [[1,3],[1,2]]$
	$\{11,12,13,15,17\} \text{ MOD } 4 \rightarrow \{3,0,3,1,3\}$
modgcd	Syntax:
	modgcd(Poly1, Poly2)
	Uses the modular algorithm to return the greatest common divisor of two polynomials.
	Example:
	$modgcd(x^4-1,(x-1)^2) \rightarrow x-1$
MOUSE	Get Touch Event
	Syntax:
	MOUSE[(index)]
	Returns two lists describing the current location of each potential pointer (or empty lists if the pointers
	are not used). The output is {x , y, original z, original y, type} where type is 0 (for new), 1 (for completed
	(for drag), 3 (for stretch), 4 (for rotate), and 5 (for long click).
	The optional parameter index is the nth element that would have been returned—x, y, original x,
mRow	The optional parameter index is the nth element that would have been returned—x, y, original x,
mRow	The optional parameter index is the nth element that would have been returned—x, y, original x, etc.—had the parameter been omitted (or –1 if no pointer activity had occurred).  Multiply Row
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pics Tree 13217	Help Text
mult c conjugate	Syntax:
1_1_1_1	mult_c_conjugate(Expr)
	If the given complex expression has a complex denominator, returns the expression after both the
	numerator and the denominator have been multiplied by the complex conjugate of the denominator. If
	the given complex expression does not have a complex denominator, returns the expression after both
	the numerator and the denominator have been multiplied by the complex conjugate of the numerator.
	Example:
	$mult_c\_conjugate(1/(3+i*2)) \rightarrow (3-i*2)/((3+i*2)*(3-i*2))$
mult_conjugate	Syntax:
	mult_conjugate(Expr)
	Takes an expression in which the numerator or the denominator contains a square root. If the
	denominator contains a square root, returns the expression after both the numerator and the
	denominator have been multiplied by the conjugate of the denominator. If the denominator does not
	contain a square root, returns the expression after both the numerator and the denominator have been
	multiplied by the conjugate of the numerator.
	Example:
	mult_conjugate( $1/(\sqrt{3}-\sqrt{2})$ ) $\rightarrow$ ( $(\sqrt{3}+\sqrt{2})/((\sqrt{3}-(\sqrt{2})^*(\sqrt{3}+\sqrt{2}))$ )
	Multinomial Distribution
multinomial	
	Syntax:
	multinomial(Integern, VectorP, VectorK)
	Computes the probability of VectorK successes out of Integern trials, each with a probability of success of VectorB
	VectorP.  The multinomial distribution is a more general form of the Binomial Distribution where each outcome ca
	have two or more possible outcomes.
	Examples:
	multinomial(10,[0.5,0.5],[3,7])
	multinomial(10,[0.2,0.3,0.5],[1,3,6])
	randvector(3,multinomial,[1/2,1/3,1/6])
	ranm(4,3,multinomial,[1/2,1/3,1/6])
nDeriv	Numerical Derivative
	Syntax:
	nDeriv(Expr, Var, Real) or
	nDeriv(Expr, Var1, Var2)
	Given an expression, a variable of differentiation, and a real number h, returns an approximate value of
	the derivative of the expression, using $f'(x)=(f(x+h)-f(x+h))/(2*h)$ .
	Without a third argument, the value of h is set to 0.001; with a real as third argument, it is the value of h With a variable as the third argument, returns the expression above with that variable in place of h.
	with a variable as the third argument, returns the expression above with that variable in place of it.
	Examples:
	$nDeriv(f(x),x,h) \rightarrow (f(x+h)-(f(x-h)))*0.5/h$
	nDeriv(x^2,x)
n a ghin a maial	Discrete Negative Binomial
negbinomial	
	Syntax:
	negbinomial(n,k,x)
	Negative binomial probability density function
	Computes the probability density of the negative binomial distribution at x given parameters n and k.
	Framala
	Example:
	negbinomial(4,2,.6) $\rightarrow$ 0.20736
negbinomial_cdf	Cumulative Negative Binomial
	Syntax:
	negbinomial_cdf(n,k,x,[x2])
	Cumulative negative binomial distribution function
	Returns the lower-tail probability of the negative binomial probability density function for the value x,
	given parameters n and k.
	Examples:
	negbinomial_cdf(4,.5,2) $\rightarrow$ 0.34375
	negbinomial_cdf(4,.5,2,3) $\rightarrow$ 0.15625
negbinomial_icdf	Inverse Cumulative Negative Binomial
-0	Syntax:
	negbinomial_icdf(n,k,p)
	Inverse cumulative negative binomial distribution function
	Returns the value x such that the negative binomial lower-tail probability of x, given parameters n and k
	p. Example:
	Exemple.
	neghinomial icdf( $4.0.5.0.7$ ) $\rightarrow 5$
	negbinomial_icdf(4,0.5,0.7) → 5
newton	Newton's Method
newton	Newton's Method Syntax:
newton	Newton's Method
newton	Newton's Method Syntax:

opics Tree	13217	Help Text
ppics riee	13217	Example:
		newton(3-x^2,x,2) $\rightarrow$ 1.73205080757
nextprime		Next Prime
nextprime		Syntax:
		nextprime(Integer)
		Returns the smallest prime number greater than the argument.
		Example:
		nextprime(12) $\rightarrow$ 13
nop		No Operation
		The no-operation CAS function. On evaluation, no operation will happen.
		This function can be useful for some advanced use cases in CAS function programming.
normal		Syntax:
		normal(Expr)
		Returns the expanded irreducible form of an expression.
		Examples:
		$normal(2*x*2) \rightarrow 4*x$
		$normal((2^*x+1)^2) \to 4^*x^2+4^*x+1$
NORMALD		Normal Density
NORMALD		
		Syntax:
		NORMALD( $[\mu, \sigma,] x$ )
		Normal probability density function.
		Computes the probability density at the value x, given the mean, $\mu$ , and standard deviation, $\sigma$ , of a normal
		distribution.  With one argument, x, it returns the probability density for the standard normal distribution at x,
		assuming a mean of zero and standard deviation of 1.
		Examples:
		$NORMALD(0.5) \rightarrow 0.352065326764$
		NORMALD(0,2,0.5) $\rightarrow$ 0.193334058401
NORMALD_CDF		Cumulative Normal
NONNED_CDI		Syntax:
		NORMALD_CDF([μ, σ,] x, [x2])
		Cumulative normal distribution function.
		With three values ( $\mu$ , $\sigma$ , and $x$ ), returns the lower-tail probability of the normal probability density function
		for the value x, given the mean, $\mu$ , and standard deviation, $\sigma$ , of a normal distribution. With the optional
		fourth value x2, returns the area under the normal probability density function between the two x-values.
		With one argument x, returns the lower-tail probability of the standard normal probability density
		function for the value x, assuming a mean of zero and standard deviation of 1.
		Examples:
		NORMALD CDF(2)→0.977249868052
		NORMALD_CDF(-1,1)→0.682689492138
		NORMALD_CDF(0,1,2) → 0.977249868052
110011110 1005		NORMALD_CDF(0,1,0,2) → 0.477249868052  Inverse Cumulative Normal
NORMALD_ICDF		
		Syntax:
		NORMALD_ICDF([ $\mu$ , $\sigma$ ,] p)
		Inverse cumulative normal distribution function.
		Returns the cumulative normal distribution x-value associated with the lower-tail probability p, given the
		mean μ, and standard deviation σ, of a normal distribution.  With one argument, p. assumes a mean of 0 and a standard deviation of 1.
		With one argument, p, assumes a mean of 0 and a standard deviation of 1.
		Examples:
		NORMALD_ICDF(0.977249868052)→2
		NORMALD_ICDF(0,1,0.841344746069) → 1
normalize		Syntax:
		normalize(Vector) or
		normalize(Complex)
		Given a vector, returns it divided by its I2 norm (where the I2 norm is the square root of the sum of the
		squares of the vector's coordinates).
		Given a complex number, returns it divided by its modulus.
		It is also an option for plotfield. In this case, the term comes last in the set of arguments and the result is
		the slopefield segments are given equal length.  Examples:
		normalize(3+4*i) $\rightarrow$ (3+4*i)/5
		$normalize([3,4]) \rightarrow [3/5,4/5]$
NOT		Logical NOT
		Syntax:
		NOT Value
		For Real numbers, returns 1 if Value is zero; otherwise returns 0.
		For Integers and Strings, NOT is performed bitwise, flipping all 1's to 0's and all 0's to 1's.
		Examples:

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15217	NOT 3 → 0
	NOT 0 → 1
	A:=32; B:=2^5; NOT (A=B) $\rightarrow$ 0
	NOT #DFCA:16h → #2035:16h
	NOT #1776:16o → #176001:16o
	NOT "abcdefg" <del>→</del> " * ンプロレルリ"
	NOT {"ab","cd"} → {"* '>","7ロ"}
numer	Simplified Numerator
	Syntax:
	numer(a/b)
	For integers a and b, returns the numerator of the fraction a/b after simplification.
	Example:
	$numer(10/12) \to 5$
odd	Oddness Test
oud	Syntax:
	odd(Integer)
	Returns 1 if the given integer is odd, otherwise returns 0.
	Examples:
	odd(6) → 0
	$odd(1251) \to 1$
odesolve	ODE Solver
	Syntax:
	odesolve(Expr, VectVar, VectInit, FinalVal, [tstep=Val, curve])
	Ordinary Differential Equation solver
	Solves an ordinary differential equation given by Expr, with variables declared in VectVar and initial
	conditions for those variables declared in VectInit. For example, odesolve(f(t,y),[t,y],[t0,y0],t1) returns the
	approximate solution of y'=f(t,y) for the variables t and y with initial conditions t=t0 and y=y0.
	Example:
	odesolve(sin(t*y),[t,y],[0,1],2) $\rightarrow$ [1.82241255674]
open_polygon	Syntax:
	open_polygon(point1, point2,, point1) or
	open_polygon(point1, point2,, pointn)
	Connects a set of points with line segments, in the given order, to produce a polygon. If the last point is
	the same as the first point, then the polygon is closed; otherwise, it is open.
	Example:
	open_polygon(point(0,0),point(3,3),point(0,3),point(0,0)) draws a right triangle
OR	Logical OR
	Syntax:
	Value1 OR Value2
	For Real numbers, returns 1 if either Value1 or Value2 is non-zero; otherwise returns 0.
	For Integers and Strings, OR is performed bitwise, returning 1 if either corresponding bit is 1, otherwise 0.
	Evamples
	Examples:
	3 OR 2 → 1
	0 OR 2 → 1
	0 OR 0 → 0
	$\{3,0,0\} \text{ OR } \{2,1,0\} \rightarrow \{1,1,0\}$
	3_inch==7.62_cm OR 9_(inch <sup>2</sup> )==58.0644_(cm <sup>2</sup> ) $\rightarrow$ 1
	#CC44h OR #44CCh → #CCCCh
	"c" OR "d" $\rightarrow$ "g"
	$X:=0; 0 \text{ OR } (X:=7); 1 \text{ OR } (X:=9); X \rightarrow 7$
	$7 \le 3 \text{ OR } 5 < 9 \text{ OR } 3 \neq 2.9 + 0.1 \rightarrow 1$
order_size	Syntax:
5.451_5/26	order_size(Expr)
	Returns the remainder (O term) of a series expansion:
	limit(x^a*order_size(x),x=0)=0 if a>0
ordinate	Syntax:
	ordinate(Point) or
	ordinate(Vector)
I	Returns the ordinate of a point or the y-length of a vector.
	Example:
	Example.
	ordinate(point(1+2*i)) $\rightarrow$ 2
orthocenter	
orthocenter	ordinate(point(1+2*i)) $\rightarrow$ 2
orthocenter	ordinate(point(1+2*i)) $\rightarrow$ 2 orthocenter Function
orthocenter	ordinate(point(1+2*i)) → 2  orthocenter Function  Syntax:

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10p		Returns the orthocenter of a triangle; that is, the intersection of the three altitudes of a triangle. The argument can be either the name of a triangle or three non-collinear points that define a triangle. In the latter case, the triangle does not need to be drawn.	
		Examples: orthocenter(0,4*i,4) $\rightarrow$ point(0,0)	
		orthocenter(triangle(0,1,1+i)) $\rightarrow$ point(1,0)	
	orthogonal	Syntax:	
	or triogonal	orthogonal(Point, Line) or	
		orthogonal(Point, Plane)	
		orthogonal(A,line(B,C)) draws the orthogonal plane of line BC through point A.  Example:	
		orthogonal(point(0,0,0),plane(point(1,0,0),point(0,1,0),point(0,0,1)))	
	ΔLIST	Δ List	
		Syntax:  ΔLIST(list)	
		Creates a new list composed of the first differences of a given list; that is, the differences between the sequential elements in a list. The new list has one fewer elements than the original list.	
		Example:	
	   Inlist	$\Delta$ LIST({1,2,3,5,8}) → {1,1,2,3}  ☐ List	
		Syntax:	
		ILIST(list)   Calculates the product of all elements in a list.	
		Example:	
		ПLIST({2,3,4}) → 24	
	ΣLIST	Σ List	
		Syntax:  \$\SIJST(\list)\$	
		Calculates the sum of all elements in a list. If the list contains a string, the result will be a single string with	
		all elements concatenated together.  Examples:	
		$\Sigma LIST(\{2,3,4\}) \rightarrow 9$	
		$\Sigma LIST({"A","B","CE"}) \rightarrow "ABCE"$	
	D. I	ΣLIST(("A",1,"B",2,"CE",3}) → "A1B2CE3"	
	"V	Nth Root Key Syntax:	
		Value1 v Value2	
		NTHROOT: the nth root function	
		This Shift-key combination brings up a template for the NTHROOT function. It returns the primary Value1 root of Value2. On the keyboard, NTHROOT is represented by "V .  Examples:	
		3 NTHROOT 8 → 2	
		3 NTHROOT 79.507 → 4.3	
		2.3 NTHROOT 5413.44050218 → 42	
		2.1 NTHROOT $3+2*i \rightarrow 1.76999848019+0.508973095403*i$ (1.2-0.5*i) NTHROOT (0.2+4*i) $\rightarrow$ 0.137162958212+1.70241905473*i	
		$3 \text{ NTHROOT } \{27,8,64\} \rightarrow \{3,2,4\}$	
P-T		Function Catalog P-T	
		Toolbox function catalog P-T	
	p1oc2	Syntax: p1oc2(permutation,cycle)	
		Returns the permutation product of permutation and cycle.	
		Example:	
		p1oc2([3,2,4,1],[4,1,2]) → [2,1,4,3]	
	p1op2	Syntax: p1op2(permutation1,permutation2)	
		Returns the permutation product of permutation1 and permutation2.	
		Example:	
		p1op2([1,3,2],[2,1,4,3]) → [3,1,4,2]	
	pa2b2	Syntax: pa2b2(Integer)	
		Takes a prime integer n congruent to 1 modulo 4 and returns [a,b] such that a <sup>2</sup> +b <sup>2</sup> =n.	
		Examples:	
		$pa2b2(17) \rightarrow [4,1]$ $pa2b2(97) \rightarrow [9,4]$	
	pade	pa2b2(97) → [9,4]  Pade Approximation	
		Syntax:	
		pade(Expr, Var, Integern, Integerp)	
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	Returns the Pade approximation of an expression; that is, a rational fraction P/Q such that P/Q=Exp x^(n+1) or mod n with degree <p.< th=""></p.<>
	Example:
	pade(e <sup><math>\Lambda</math></sup> (x),x,5,3) $\rightarrow$ (-3*x <sup>2</sup> -24*x-60)/(x <sup>3</sup> -9*x <sup>2</sup> +36*x-60)
nada	Pade Approximation
pade	Syntax:
	pade(Expr, Var, Integern, Integerp)
	Returns the Pade approximation of an expression; that is, a rational fraction P/Q such that P/Q=Exp x^(n+1) or mod n with degree <p.< td=""></p.<>
	Example:
	pade( $e^{(x)}, x, 5, 3$ ) $\rightarrow (-3*x^2-24*x-60)/(x^3-9*x^2+36*x-60)$
parabola	Syntax:
Parabola	parabola(Point, Line) or
	parabola(Point, Realk) or
	parabola(Expr)
	Draws a parabola, given a focus point and a directrix line, or the vertex of the parabola and a real new parabola.
	that represents the focal length
	Examples:
	parabola(GA,GB) draws a parabola whose focus is point A and whose directrix is line B.
	parabola(GA,1) draws a parabola whose vertex is point A and whose focal length is 1.
	parabola(x-y²+y-2) draws the graph of the parabolic equation x=y²-y+2
parallel	Syntax:
	parallel(Point, Line)
	Given a point and a line, returns the equation of the line through the point that is parallel to the give
	Examples:
	parallel(GA,GB) draws the line through point A that is parallel to line B.
	parallel(point(3,-2),line(x+y=5)) draws the line through the point (3, -2) that is parallel to the line when the parallel than the point (3, -2) that is parallel to the line when the point (3, -2) that is parallel to the line when the parallel than t
	equation is x+y=5; that is, the line whose equation is y=-x+1.
parallelogram	Syntax:
paranetogram	parallelogram(Point1, Point2, Point3)
	Draws a parallelogram given three of its vertices. The fourth point is calculated automatically but is
	defined symbolically. As with most of the other polygon commands, you can store the fourth point'
	coordinates into a CAS variable. The orientation of the parallelogram is counterclockwise from the f
	point.
	Example:
	parallelogram(0,6,9+5i) draws a parallelogram whose vertices are at (0, 0), (6, 0), (9, 5), and (3,5). The parallelogram (0,6,9+5i) draws a parallelogram whose vertices are at (0, 0), (6, 0), (9, 5), and (3,5).
	coordinates of the last point are calculated automatically.  Parametric
parameq	
	Syntax:
	parameq(Obj)
	Returns a parametric equation for a geometric object. The parametric equation is true for all complete that represent points on the abject.
	numbers that represent points on the object.  Examples:
	parameq(circle(0,1)) $\rightarrow$ e^(i*t)
	parameq(line(i,1-i))
part	Part of Expression
	Syntax:
	part(Expr, Integer)
	Returns the nth sub expression of an expression.
	Examples:
	$part(sin(x)+cos(x),1) \rightarrow sin(x)$
	$part(sin(x)+cos(x),2) \rightarrow cos(x)$
	$part(part(exp(x)*sin(x)+cos(x),1),2) \rightarrow sin(x)$
partfrac	Partial Fraction Decomposition
	Syntax:
	partfrac(RatFrac)
	Performs partial fraction decomposition on a fraction.
	Example:
	partfrac( $x/(4-x^2)$ ) $\rightarrow$ (-1/2)/( $x-2$ )-(1/2)/(( $x+2$ )
ncoeff	Roots to Coefficients
pcoeff	
	Syntax:
	pcoeff(Vector) or pcoeff(List)
	Given a list or vector containing the roots of a polynomial, returns a vector containing the coefficier
	Given a list or vector containing the roots of a polynomial, returns a vector containing the coefficien decreasing order) of the univariate polynomial having those roots.  Examples:
	Given a list or vector containing the roots of a polynomial, returns a vector containing the coefficien decreasing order) of the univariate polynomial having those roots.  Examples:  pcoeff({1,0,0,0,1}) → [1,-2,1,0,0,0]
perimeterat	Given a list or vector containing the roots of a polynomial, returns a vector containing the coefficien decreasing order) of the univariate polynomial having those roots.  Examples:

opics Tree 13217	Help Text
	perimeterat(circle, point)
	Used in Symbolic view of the Geometry app. Displays the perimeter of a polygon or the circumference a circle. The measure is displayed, with a label, at the given point in Plot view.
	Example:
	perimeterat(circle(x^2+y^2=1), point(-4,4))
	displays "pcircle(x^2+y^2=1)= $2*\pi$ " at point (-4, 4)
perminv	Permutation Inverse
	Syntax:
	perminv(permutation)
	Returns the inverse permutation of permutation.
	Example:
	perminv([2,4,3,1]) → [4,1,3,2]  Syntax:
permu2cycles	permu2cycles(permutation)
	Converts permutation to a product of disjoined cycles.
	Example:
	permu2cycles([1,3,2,4,6,5]) $\rightarrow$ [[2,3],[5,6]]
permu2mat	Syntax:
permazmac	permu2mat(permutation)
	Returns the matrix where the rows of the identity matrix are permuted with permutation.
	Example:
	$permu2mat([2,3,1]) \rightarrow [[0,1,0],[0,0,1],[1,0,0]]$
permuorder	Permutation Order
	Syntax:
	permuorder(permutation)
	Returns the order of permutation.
	Example:
	permuorder([2,4,3,5,1]) → 5  Perpendicular Bisector
perpen_bisector	Syntax:
	perpen_bisector(Segment) or
	perpen_bisector(Point1, Point2)
	Draws the perpendicular bisector of a segment. The segment is defined either by its name or by its tw
	endpoints.
	Examples:
	perpen_bisector(3+2*i, i) draws the perpendicular bisector of segment C.
	perpen_bisector(GC) draws the perpendicular bisector of segment AB.
	perpen_bisector(GA, GB) draws the perpendicular bisector of a segment whose endpoints have
	coordinates (3, 2) and (0, 1); that is, the line whose equation is y=x/3+1.
PIECEWISE	Piecewise Function
	Syntax:
	PIECEWISE(test1, case1,[, test8], case8)
	Used with Home settings Entry set to Algebraic to enter a piecewise-defined function in the Function
	Symbolic view (among other uses). Takes as arguments pairs, each of which consists of a condition the defines a sub-function domain and an expression that defines the sub-function. Each of these pairs defines a sub-function of the piecewise
	function and the domain over which it is active.
	If used with Home settings Entry set to Textbook or if accessed via the Template menu, then the synta varies slightly and is restricted to two pieces.
	Syntax:
	{case1 if test1
	{case8 [if test8]
	Example:
	PIECEWISE(X<-4,X,-4≤X AND X<2, X+1, X≥2,X+2) as F1(X) in the Symbolic view of the Function app app
	as:
	X if X<-4
	F1(X)= X+1 if -4≤X AND X<2
	X+2 if X≥2
	In Plot view, the graph of two rays and a segment is drawn.
PIXOFF	Pixel Off
	Syntax:
	PIXOFF([G], x, y)
	Sets the color of the pixel of GROB G with coordinates (x, y) to white.
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PIXOFF_P	Pixel Off
PIXOFF_P	Pixel Off Syntax:
PIXOFF_P	Pixel Off

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неір То	opics Tree 13217	Help Text
	PIXON	Pixel On
		Syntax:
		PIXON([G], x, y, [color])
		Sets the color of the pixel of GROB G with coordinates (x, y). If supplied, color is a hexadecimal integer of
		the form aaRRGGBB. This is an RGB color with the Alpha Channel in the high order byte. The Alpha
		Channel number runs from 0 (opaque) to 255 (transparent). If no color is specified, black is used.
		Examples:
		PIXON(0,0,RGB(255,0,0))
		PIXON(0,0,RGB(255,0,0,128))
	DWON D	Pixel On
	PIXON_P	
		Syntax:
		PIXON_P([G], x, y, [color])
		Sets the color of the pixel of GROB G with coordinates (x, y). If supplied, color is a hexadecimal integer of
		the form aaRRGGBB. This is an RGB color with the Alpha Channel in the high order byte. The Alpha
		Channel number runs from 0 (opaque) to 255 (transparent). If no color is specified, black is used.
		Examples:
		PIXON_P(50,50,RGB(255,0,0))
		PIXON_P(50,50,RGB(255,0,0,128))
	plotinequation	Plot Inequation
	F	Syntax:
		plotinequation(Expr,[x=xrange,y=yrange],[xstep],[ystep])
		Plots the graph of the solution of inequations with two variables.
		Example:
		plotinequation([x+y>3,x² <y],[x,y],xstep=0.2,ystep=0.2)< td=""></y],[x,y],xstep=0.2,ystep=0.2)<>
	plotparam	Plot Parametric
	hkaa	Syntax:
		plotparam(f(Var)+i*g(Var), Var= Interval, [tstep=Value])
		Used in the Geometry app Symbolic view. Takes a complex expression in one variable and an interval for
		that variable as arguments. Interprets the complex expression f(t)+i*g(t) as x=f(t) and y=g(t) and plots the
		parametric equation over the interval specified in the second argument.
		Examples:
		plotparam(cos(t)+i*sin(t),t=02* $\pi$ ) plots the unit circle
		plotparam(cos(t)+i*sin(t),t=02* $\pi$ ,tstep= $\pi$ /3) plots a regular hexagon inscribed in the unit circle (note the
		tstep value)
	plotpolar	Plot Polar
		Syntax:
		plotpolar(Expr,Var=Interval, [Step]) or
		plotpolar(Expr, Var, Min, Max, [Step])
		Used in the Geometry app to draw a polar graph in Plot view.
		Examples:
		plotpolar( $\sin(2*x), x, 0, \pi, t$ step=0.1)
		plotpolar(f(x),x,a,b) draws the polar curve r=f(x) for x in [a,b]
	plotseq	Plot Sequence
		Syntax:
		plotseq(f(Var), Var={Start, Xmin, Xmax}, Integern)
		Used in the Geometry app Symbolic view. Given an expression in x and a list containing three values,
		draws the line y=x, the plot of the function defined by the expression over the domain defined by the
		interval between the last two values, and draws the cobweb plot for the first n terms of the sequence
		defined recursively by the expression (starting at the first value).
		Example:
		plotseq(1-x/2,x={3,-1,6},5) plots y=x and y=1-x/2 (from x=-1 to x=6), then draws the first 5 terms of the
		cobweb plot for $u(n)=1-(u(n-1)/2)$ , starting at $u(0)=3$
	point	Syntax:
		point(Real1, Real2)
		point(Expr1, Expr2)
		Creates a point, given the coordinates of the point. Each coordinate may be a value or an expression
		involving variables or measurements on other objects in the geometric construction.
		Examples:
		point(3,4) creates a point whose coordinates are (3,4). This point may be selected and moved later.
		point(abscissa(GA), ordinate(GB)) creates a point whose x-coordinate is the same as that of a point A and
		whose y-coordinate is the same as that of a point B. This point will change to reflect the movements of
		point A or point B.
	point2d	point2d Function
		Syntax:
		point2d(point1, point2,, pointn)
		Randomly re-distributes a set of points such that, for each point, x is in the interval [-5, 5] and y is in the
		interval [-5, 5]. Any further movement of one of the points will randomly re-distribute all of the points.
		Example:
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	point2d(GA,GB,GC,GD)
polar	Syntax:
	polar(Circle, Point) or
	polar(Circle, Complex)
	Returns the polar line of the given point as pole with respect to the given circle.
	Example:
	$polar(circle(x^2+y^2=1),point(1/3,0)) \rightarrow line(x=3)$
polar_coordinates	Polar Coordinates
point_coordinates	Syntax:
	polar_coordinates(Point)
	Returns a vector containing the polar coordinates of a point.
	Example:
	polar_coordinates(point(1+2*i)) → V5 atan(2)
polar_point	Polar Point
	Syntax:
	polar_point(Radius, Angle)
	Given the radius and angle of a point in polar form, returns the point with rectangular coordinates in
	complex form.
	Example:
	$polar\_point(2,\pi/3) \rightarrow point(2^*(1/2+i^*V3/2))$
pole	Syntax:
	pole(Circle, Line)
	Returns the pole of the given line with respect to the given circle.
	Examples:
	pole(circle( $x^2+y^2=1$ ), line( $x=3$ )) $\rightarrow$ point(1/3, 0)
	pole(circle(0,1),line((1+i),2))
POLYCOEF	Polynomial coefficients
	Syntax:
	POLYCOEF(Vector) or
	POLYCOEFF(List)
	Returns the coefficients of the polynomial with the roots specified in a vector or list.
	Example:
	$POLYCOEF(\{-1,1\}) \rightarrow [1,0,-1]$
DOLVEVAL	Polynomial Evaluation
POLYEVAL	
	Syntax:
	POLYEVAL(Vector, Value) or
	POLYEVAL(List, Value)
	Given a vector or list of coefficients and a value, evaluates the polynomial given by those coefficients
	the given value.
	Example:
	$POLYEVAL(\{1,0,-1\},3) \rightarrow 8$
polyEval	Polynomial Evaluation
	Syntax:
	polyEval(Vector, Real)
	Given a polynomial defined by a vector of coefficients, and a real value n, evaluates the polynomial a
	value.
	Examples:
	$polyEval([1,0,-2],1) \rightarrow -1$
	polyEval([1,2,-25,-26,120],8) → 3432
polygonplot	Syntax:
F1001.P101	polygonplot(Mtrx)
	Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk,
	where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix
	for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m-1 figures.
	2 180103
I	Example:
	· ·
	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen
polygonscatterplot	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segments.  Syntax:
polygonscatterplot	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen
polygonscatterplot	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segments.  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, y
polygonscatterplot	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix
polygonscatterplot	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, y
polygonscatterplot	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen Syntax:  polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.
polygonscatterplot	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segment.
	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segments.
polygonscatterplot  polynomial_regression	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points conne by segments.  Polynomial Regression
	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points conne by segments.  Polynomial Regression  Syntax:
	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segment Syntax:  polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, y where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points conne by segments.  Polynomial Regression  Syntax:  polynomial_regression(List1, List2, Integer) or
	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segment  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, y where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fixe for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points conne by segments.  Polynomial Regression  Syntax:
	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segment  Syntax: polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, y where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fixe for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points conne by segments.  Polynomial Regression  Syntax: polynomial_regression(List1, List2, Integer) or polynomial_regression(Matrix, Integer)  Given a set of points defined by two lists or a matrix, and a positive integer n, returns a vector contain
	polygonplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points connected by segmen  Syntax:  polygonscatterplot(Matrix)  Used in the Geometry app Symbolic view. Given an n × m matrix, draws and connects the points (xk, where xk is the element in row k and column 1, and yk is the element in row k and column j (with j fix for k=1 to n rows). Thus, each column pairing generates its own figure, resulting in m—1 figures.  Example: polygonscatterplot([[1,2,3],[2,0,1],[-1,2,3]]) draws two figures, each with three points conn by segments.  Polynomial Regression  Syntax:  polynomial_regression(List1, List2, Integer) or polynomial_regression(Matrix, Integer)

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	Example:
	polynomial_regression([[1.0,1.0],[2.0,4.0],[3.0,9.0],[4.0,16.0]],3) $\rightarrow$ [0 1 0 0]
POLYROOT	Polynomial roots
	Syntax:
	POLYROOT(Poly) or
	POLYROOT(Vector)
	Returns the zeros of the polynomial given as argument (either as a symbolic expression or as a vector of
	coefficients).
	Example:
	$POLYROOT([1,0,-1]) \to \{-1,1\}$
potential	Syntax:
	potential(Vector1, Vector2)
	Returns a function whose gradient is the vector field defined by a vector and a vector of variables.
	Example:
	potential( $(2*x*y+3,x^2-4*z,-4*y),(x,y,z)$ ) $\rightarrow x^2*y+3*x-4*y*z$
power_regression	Power Regression
	Syntax:
	power_regression(List1, List2) or
	power_regression(Vector1, Vector2) or
	power_regression(Matrix)
	Given a set of points defined by two lists, returns a vector containing the coefficients m and b of y=b*x
	the monomial which best approximates the given points.
	Examples:
	power_regression( $\{1, 2, 3, 4\}, \{1, 4, 9, 16\}$ ) $\rightarrow$ [2. 1.]
	power_regression([[1.0,1.0],[2.0,4.0],[3.0,9.0],[4.0,16.0]]) $\rightarrow$ [2.,1.]
powerpc	Syntax:
	powerpc(Circle, Point)
	Given a circle and a point, returns the difference between the square of the distance from the point to
	circle's center and the square of the circle's radius.
	Examples:
	$powerpc(circle(0,1+i),3+i) \rightarrow 8$
	powerpc(circle(0,point(1+i)),3+i)
prepend	Syntax:
	prepend(List, Element) or
	prepend(Vector, Element)
	Adds an element to the beginning of a list or vector.
	Example:
	$prepend([1,2],3) \rightarrow [3,1,2]$
primpart	Syntax:
primpart	primpart(Poly,[Var])
	Returns a polynomial divided by the greatest common divisor of its coefficients.
	Example:
	$primpart(2x^2+10x+6) \rightarrow x^2+5*x+3$
PRINT	Syntax:
	PRINT(expr) or
	PRINT(string)
	PRINT()
	Prints either the result of expr or string to the terminal.
	The terminal is a program text output viewing mechanism which is displayed only when PRINT comma
	are executed. When visible, you can use the up/down keys to view the text, Backspace to erase the text
	and any other key to hide the terminal.
	You can show the terminal at anytime using the ON+T combination (press and hold the On key, press t key, then release both keys). Pressing On stops the interaction with the terminal.
	key, then release both keys). Fressing on stops the interaction with the terminal.
	PRINT with no argument clears the terminal.
product	Syntax:
product	
product	product(Expr, [Var], [Min], [Max], [Step]) or
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(Matrix)
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.  With a list as the first argument, returns the product of the values in the list.
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.  With a list as the first argument, returns the product of the values in the list.
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.  With a list as the first argument, returns the product of the values in the list.  With a matrix as the first argument, returns the element-by-element product of the matrix.
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.  With a list as the first argument, returns the product of the values in the list.  With a matrix as the first argument, returns the element-by-element product of the matrix.
	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.  With a list as the first argument, returns the product of the values in the list.  With a matrix as the first argument, returns the element-by-element product of the matrix.  Examples: product(n,n,1,10,2) → 945
product	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.  With a list as the first argument, returns the product of the values in the list.  With a matrix as the first argument, returns the element-by-element product of the matrix.  Examples: product(n,n,1,10,2)→945 product([2,3,4],[5,6,7]],[2,3,4],[5,6,7]])  Proper Fraction
	product(Expr, [Var], [Min], [Max], [Step]) or product(List) or product(List) or product(Matrix)  With an expression as the first argument, returns the product of solutions when the variable in the expression goes from a minimum value to a maximum value by a given step. If no step is provided, it is taken as 1.  With a list as the first argument, returns the product of the values in the list.  With a matrix as the first argument, returns the element-by-element product of the matrix.  Examples:  product(n,n,1,10,2)→ 945  product([[2,3,4],[5,6,7]],[[2,3,4],[5,6,7]])

Help Topics	Tree 13217	Help Text
Tielp Topics	13217	propfrac(RatFrac)
		Returns a fraction or rational fraction A/B simplified to Q+R/B with R <b (or="" b).<="" degree="" less="" of="" r="" td="" than="" the="" with=""></b>
		Examples:
		propfrac(28/12) $\rightarrow$ 2+1/3 propfrac((x²+2*x-1)/(x+1)) $\rightarrow$ x+1-2/(x+1)
pta	ayl	Syntax:
		ptayl(Poly, Value, [Var])  Given a polynomial P and a value a, returns the Taylor polynomial Q such as P(x)=Q(x-a)
		Examples:
		$ptayl(x^2+2^*x+1,1) \to x^2+4^*x+4$
		$ptayl(y^2+2^*y+1,1.1,y) \to y^2+4.2^*y+4.41$
pu	rge	Purge Variable Syntax:
		purge(Var)
		Unassigns a variable name in CAS view. For example, if f is defined, then purge(f) deletes that definition and returns f to its symbolic state.
q2	a	Syntax: q2a(QuadExpr, Vector)
		Given a quadratic form and a vector of variables, returns the symmetric matrix of the quadratic form with
		respect to the given variables.  Example:
		$q2a(x^2+2^*x^*y+2^*y^2,[x,y]) \to [[1,1],[1,2]]$
qu	antile	Syntax: quantile(List, Value) or
		quantile(Vector, Value)
		Given a list or vector, and a quantile value between 0 and 1, returns the corresponding quantile of the elements of the list or vector.
		Examples:
		quantile([0,1,3,4,2,5,6],0.25) $\rightarrow$ 1 quantile([0,1,3,4,2,5,6],0.75) $\rightarrow$ 5
qu	artile1	Syntax:
		quartile1(List) or quartile1(Vector) or
		quartile1(Matrix)
		Given a list or vector, returns the first quartile of the elements of the list or vector. Given a matrix, returns the first quartile of the columns of the matrix.
		Examples:
		quartile1([1,2,3,5,10,4]) $\rightarrow$ 2 quartile1([[1,2],[5,4],[3,6],[7,8]])
qu	artile3	Syntax:
		quartile3(List) or quartile3(Vector) or
		quartile3(Matrix)
		Given a list or vector, returns the third quartile of the elements of the list or vector. Given a matrix, returns the third quartile of the columns of the matrix.
		Examples: quartile3([1,2,3,5,10,4]) → 5
		quartile3([[1,2],[5,4],[3,6],[7,8]])
qu	artiles	Syntax: quartiles(List) or
		quartiles(Vector) or
		quartiles(Matrix)  Returns a matrix containing the minimum, first quartile, median, third quartile, and maximum of the
		elements of a list or vector. With a matrix as argument, returns the 5-number summary of the columns of the matrix.
		Examples:
		quartiles([1,2,3,5,10,4]) → [[1],[2],[3],[5],[10]] quartiles([[1,2],[5,4],[3,6],[7,8]])
qu qu	orem	Quotient and Remainder
		Syntax: quorem(Poly1, Poly2) or
		quorem(Vector1, Vector2)
		Returns the Euclidean quotient and remainder of the quotient of 2 polynomials, each expressed either in symbolic form directly or as a vector of coefficients. If the polynomials are expressed as vectors of their
		coefficients, then this command returns a similar vector of the quotient and a vector of the remainder.
		Examples:
		quorem(x^3+2*x^2+3*x+4,-x+2) $\rightarrow$ [-x²-4*x-11,26] quorem([1,2,3,4],[-1,2]) $\rightarrow$ [[-1, -4, -11] [26]]
qu	ote	Quote Argument
		Syntax:

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		quote(Expr)
		Returns the argument unevaluated.
		Example:
		$quote(3+2*x) \rightarrow 3+2*x$
		You can also use this command to purge a variable.
		a:=quote(a) purges the variable a
radical_axis		Syntax:
		radical_axis(Circle1, Circle2)
		Returns the line whose points all have the same powerpc values for the two given circles.
		Examples:
		radical_axis(circle(((x+2) <sup>2</sup> +y <sup>2</sup> )=8),circle(((x-2) <sup>2</sup> +y <sup>2</sup> ) = 8)) $\rightarrow$ line(x=0)
		radical_axis(circle(0,point(1+i)),circle(1,point(1+i)))
randbinomial		Random Binomial
		Syntax:
		randbinomial(n,p)
		Returns a random integer with binomial distribution given n trials, each with a probability of success of
		Example:
		randbinomial(10,.4)
randchisquare		Random χ²
		Syntax:
		randchisquare(n)
		Returns a random number with $\chi^2$ distribution given n degrees of freedom.
		Example:
		randchisquare(5)
randexp		Random Exponential
Γαπαεχρ		Syntax:
		randexp(Real)
		Given a positive real number, returns a random real according to an exponential distribution with real a
		Example:
		randexp(2)
randfisher		Random F
ranunsner		Syntax:
		randfisher(n,d)
		Returns a random number with F distribution given numerator n and denominator d degrees of freedom
		Example:
		randfisher(5,2)
randgeometric		Random Geometric
ranageometric		Syntax:
		randgeometric(p)
		Returns a random integer with geometric distribution given given probability p.
		Example:
		randgeometric(.4)
randnorm		Random Normal
		Syntax:
		randnorm(mu, sigma)
		Returns a random real number from the normal distribution N(mu, sigma).
		Example:
		RANDNORM(2,1)
randperm		Random Permutation
		Syntax:
		randperm(Integer)
		Given a positive integer, returns a random permutation of [1,2,,n].
		Example:
		randperm(4) returns a random permutation of the elements of the vector [1, 2, 3, 4]
randnoissan		Random Poisson
randpoisson		
		Syntax:
		randpoisson(k)
		Returns a random integer with Poisson distribution given k.
		Example:
		randpoisson(5.4)
randstudent		randpoisson(5.4)  Random T
randstudent		
randstudent		Random T
randstudent		Random T Syntax:
randstudent		Random T Syntax: randstudent(n)

Heli	Topics Tree	13217	Help Text
1.61	randvector		Random Vector
	landvector		Syntax:
			randvector(Integern, Integerm)
			randvector(Integern, Interval)
			randvector(Integern, distribution_law)
			Returns a vector of size Integern that contains random integers in the range -99 through 99 (or in
			0Integerm-1) with uniform
			distribution, integers in the given Interval, or contains random numbers according to distribution_law.
			Examples:
			randvector(3)
			randvector(3,6)
			randvector(3,normald,0,1)
			randvector(3,poisson,1.2)
			randvector(3,exponentiald,1.2)
			randvector(3,multinomial,[1/2,1/3,1/6])
			randvector(3,multinomial,[1/2,1/3,1/6],[a,b,c])
			randvector(3,'rand(3)')
			randvector(3,12)
	ranm		Syntax:
	ranm		
			ranm(Integern, [Integerm], [Interval or Distribution])
			Returns a vector of size n or a n*m matrix that contains random integers in the range -99 through 99 with
			uniform distribution or contains random numbers in a given interval or according to the given Distribution.
			Example:
			ranm(3) returns a vector with three elements, each of which is an integer between -100 and 100.
			Taining), returns a vector with three elements, each or which is an integer between -100 and 100.
	ratnormal		Syntax:
	rationiai		ratnormal(Expr)
			Rewrites an expression as an irreducible rational fraction.
			Examples:
			$ratnormal((x^2-1)/(x^3-1)) \rightarrow (x+1)/(x^2+x+1)$
			ratnormal((x^2-1)/(x^3-1)+(x-1)/(x^3-1)+1)
	reciprocation		Syntax:
			reciprocation(Circle, [Obj1, Obj2,Objn])
			Given a circle and a vector of objects that are either points or lines, returns a vector where each point is
			replaced with its polar line and each line is replaced with its pole, with respect to the circle.
			Example:
			reciprocation(circle(0,1),[line(1+i,2),point(1+i*2)]) returns [point(1/2, 1/2) line(y=-x/2+1/2)]
	RECT		Draw Rectangle
			Syntax:
			RECT([G], [x1, y1], [x2, y2], [Color])
			RECT([G], [x1, y1], [x2, y2], [edgeColor],[fillColor])
			Draws a rectangle on G, with diagonal defined by points (x1,y1) and (x2,y2), using edgeColor for the
			perimeter and fillColor for the inside.
			The following values are optional and their defaults are listed:
			x1, y1=top left corner of G
			x2, y2=bottom right corner of G
			edgeColor=white
			fillColor=edgeColor
			To erase a GROB, execute RECT_P(G). To clear the screen, execute RECT_P().
			Note: semi-transparent rectangles can be drawn by using the Alpha channel in the color (0 is opaque, 255 is transparent). The color can also be expressed as / color, alpha \
			is transparent). The color can also be expressed as { color, alpha }.
			Examples:
			Demo_RECT
	DECT D		Rectangle
	RECT_P		
			Syntax:
			RECT_P([G], [x1, y1], [x2, y2], [Color])
			RECT_P([G], [x1, y1], [x2, y2], [edgeColor],[fillColor])
			Draws a rectangle on G, with diagonal defined by points (x1,y1) and (x2,y2), using edgeColor for the
			perimeter and fillColor for the inside.
			The following values are optional and their defaults are listed:
			x1, y1=top left corner of G
			x2, y2=bottom right corner of G
			edgeColor=white
			fillColor=edgeColor
			Note: To erase a GROB, execute RECT_P(G). To clear the screen, execute RECT_P().
			Note: semi-transparent rectangles can be drawn by using the Alpha channel in the color (0 is opaque, 255
			is transparent). The color can also be expressed as { color, alpha }.
			, ,
'	•		

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	Example:
	Demo_RECT_P
rectangular_coordinates	Rectangular Coordinates
	Syntax:
	rectangular_coordinates(Vector)
	Given a vector containing the polar coordinates of a point, returns a vector containing the rectan coordinates of the point.
	Example:
	rectangular_coordinates $(1,\pi/4) \rightarrow [1/\sqrt{2} \ 1/\sqrt{2}]$
REDIM	Redimension
REDIIVI	Syntax:
	REDIM(matrixname, size)
	Redimensions the specified matrix or vector to size. For a matrix, size is a list of two integers {n1,
	a vector, size is a list containing one integer {n}. Existing values in the matrix are preserved. Fill va
	be zeros.
reduced_conic	Syntax:
	reduced_conic(Expr,[Vector])
	Takes a conic expression and returns a vector with the following items:
	The origin of the conic
	The matrix of a basis in which the conic is reduced
	• 0 or 1 (0 if the conic is degenerate)
	The reduced equation of the conic
	A vector of the conic's parametric equations
	Examples:
	reduced_conic( $x^2+2*x-2*y+1$ ) $\rightarrow$ [[-1,0],[[0,1],[-1,0]],1, $y^2+2*x$ ,[[-1-i*(t*t/-2+i*t),t,-4,4,0.1]]]
	reduced_conic((x+y)²-2*x+1,x,y)
ref	Gaussian Reduction
	Syntax:
	ref(Matrix)
	Performs Gaussian reduction of a matrix.
	Examples:
	ref([[3,1,-2],[3,2,2]]) \rightarrow [[1,1/3,-2/3],[0,1,4]]
	$ref([[2,1,1,-1],[1,1,2,-1],[1,2,1,-4]]) \rightarrow [[1,1,2,-1],[0,1,-1,-3],[0,0,1,0.5]]$
regroup	Regroup expression
	Syntax:
	regroup(expr)
	Collect terms in an expression. This is equivalent to the auto simplication setting of "Minimum" in
	Setup screen.  Example:
	regroup(x+3*x+(5*4/x)) $\rightarrow$ 4*x+20/x
W0 W0 01/0	Syntax:
remove	remove(Value, List) or
	remove(Test, List)
	Given a vector or list, removes the occurrences of Value or removes the values that make Test tr returns the resulting vector or list.
	Examples:
	remove(5,[1,2,5,6,7,5]) $\rightarrow$ [1,2,6,7]
	remove(x->x>=5,[1,2,6,7]) $\rightarrow$ [1,2]
reorder	Syntax:
ICOIGEI	reorder(Expr, Vector)
	Given an expression and a vector of variables, reorders the variables in the expression according
	order given in the vector.
	Example:
	reorder( $x^2+2^*x+y^2,[y,x]$ ) $\to y^2+x^2+2^*x$
residue	Syntax:
	residue(Expr, Var, Value)
	Returns the residue of an expression at a value.
	Examples:
	residue $(1/z,z,0) \rightarrow 1$
	residue(c/(z*(z-b)),z=b) $\rightarrow$ c/b
restart	Syntax:
i Catai t	restart
	Purges all CAS variables and resets CAS settings.
	Example:
Design	restart
resultant	Syntax:
	resultant(Poly1,Poly2,Var)
	Returns the resultant (the determinant of the Sylvester matrix) of two polynomials.
	Example:
	resultant(x^3+x+1,x^2-x-2,x)

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Ť			Syntax:
			RETURN expression;
			Exits from a function and returns the value of expression (optional).
			Example:
			EXPORT FACTORIAL(N)
			BEGIN
			IF N==1 THEN
			RETURN 1;
			ELSE
			RETURN N*FACTORIAL(N-1);
			END;
			END;
			Example:
			\$Demo_RETURN  Reverse List
	revlist		Syntax:
			revlist(List) or revlist(Vector)
			Reverses the order of the elements in a list or vector.
			Example:
			$revlist([1,2,3]) \rightarrow [3,2,1]$
	rhombus		Syntax:
			rhombus(point1, point2, angle)
			Used in the Geometry app. Draws a rhombus, given two points and an angle. As with many of the other
			polygon commands, you can specify optional CAS variable names for storing the coordinates of the other
			two vertices as points.  Example:
			rhombus(point(0,0),point(2,2), $\pi$ /4) draws the rhombus whose first two vertices are given by (0, 0) and (2,
			2). The angle at (0, 0) has a measure in radians of $\pi/4$ .
	RIGHT		Right Part
			Syntax:
			RIGHT(String, n)
			Returns the last n characters of the string.
			Example: RIGHT("MOMOGUMBO",5) → "GUMBO"
	romborg		Syntax:
	romberg		romberg(Expr, Var, Val1, Val2)
			Uses Romberg's method to return the approximate value of a definite integral.
			Example:
			romberg( $e^{(x^2)}$ ,x,0,1) $\rightarrow$ 1.46265174591
	ROTATE		Syntax:
			ROTATE(String, n)
			ROTATE(grob, angle, [bg_color])
			ROTATE([DestGrob], angle, SrcGrob, [dest_point])
			ROTATE([DestGrob], SrcGrob, dest_point_1, dest_point_2, dest_point_3, dest_point_4, [src_point_1,
			src_point_2, src_point_3, src_point_4])  The string form of ROTATE moves n characters from the beginning or end of String to the opposite end of
			String, depending on the sign of n.
			If n is positive, takes the first in characters of String and put them on the right of String.
			If n is negative, takes the last in characters and put them on the left of String.
			If ABS(n)>dim(string), returns String.
			The graphical forms of ROTATE use an angle or sets of points to rotate a graphic object (grob).
			ROTATE(grob, angle, [bg_color])
			Rotate grob around its center by angle. grob will be resized to accommodate the extra space needed and that extra space will be filled by bg_color.
			If bg_color is not specified, the current background color is used.
			ROTATE([DestGrob], angle, SrcGrob, [dest_point])
			Draw SrcGrob, rotated by angle, on DestGrob with the center of SrcGrob at position dest_point (specified
			in pixels as a list of 2 numbers or a single complex number).  If DestGrob is not specified, G0 is used. If dest_point is not specified, the center of DestGrob is used.
			Section to the experiment, do to document and experiment, the center of pestolog is used.
			ROTATE([DestGrob], SrcGrob, dest_point_1, dest_point_2, dest_point_3, dest_point_4, [src_point_1,
			src_point_2, src_point_3, src_point_4])  Note: src_points and dest_points are specified in pixels as lists of 2 numbers or as complex numbers.
			note. 3rd_points and dest_points are specified in pixels as lists of 2 numbers of as complex numbers.
			If src_points are not specified, then src_point_1 is set to to the top left corner of SrcGrob, src_point_2 is
			set to to the top right corner of SrcGrob, src_point_3 is set to to the bottom right corner of SrcGrob, and
			src_point_4 is set to to the bottom left corner of SrcGrob.
			Draws the part of SrcGrob specified by the 4 src_points in the area of DestGrob specified by the 4
	I		dest_points.

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	This is done internally by subdividing the work into 2 triangles (points1, 2 and 3 and points 1, 3 and 4).  Therefore non homogenous coordinates can yield to different stretching on both triangles. It is possible have point_1=point_2 to only work with triangles.
	Examples:
	ROTATE("12345",2) → "34512"
	ROTATE("12345",-1) → "51234"
	ROTATE("12345",6) → "12345"
	Demo_ROTATE
row	Syntax:
	row(Matrix, Integer) or
	row(Matrix, Interval)
	Given a matrix and an integer n, returns the row n of the matrix. Given a matrix and an interval, returns vector containing the rows of the matrix indicated by the interval.
	Example: $row([[1,2,3],[4,5,6],[7,8,9]],2) \rightarrow [4,5,6]$
rowAdd	Row Add
	Syntax:
	rowAdd(Matrix, Integer1, Integer2)
	Given a matrix and two integers, returns the matrix obtained from the given matrix after the row indicated by the second integer is replaced by the sum of the rows indicated by the two integers.
	Example: $rowAdd([[1,2],[3,4],[5,6]],1,2) \rightarrow [[1,2],[4,6],[5,6]]$
rowDim	Row Dimension
	Syntax:
	rowDim(Matrix)
	Returns the number of rows of a matrix
	Examples:
	$rowDim([[1,2,3],[4,5,6]]) \rightarrow 2$
	rowDim([[1,2],[3,4],[5,6]]) $\rightarrow$ 3
rowNorm	Row Norm
	Syntax:
	ROWNORM(Matrix)  Finds the maximum value (over all rows of the matrix) for the sums of the absolute values of all elemen
	in a row.
	Examples:
	ROWNORM([[1,2],[3,-4]]) $\rightarrow$ 7
	ROWNORM([[1,2,3,-4],[-5,3,2,1]]) $\rightarrow$ 11
rowspace	Row Subspace
	Syntax:
	rowspace(matrix,[variable])  Returns a matrix where the rows are a basis of the vector space generated by the rows of matrix. If give
	the dimension of this space will be stored into variable.  Examples:
	rowspace([[1,2,3],[1,2,4],[1,2,5]])
	rowspace([[1,2,3],[1,3,6],[2,5,9]],d)
rowSwap	Row Swap
	Syntax:
	rowSwap(Matrix,Integer1,Integer2)
	Given a matrix and two integers, returns the matrix obtained from the given matrix after swapping the
	two rows indicated by the two integers.  Example:
	rowSwap([[1,2],[3,4],[5,6]],1,2) $\rightarrow$ [[3,4],[1,2],[5,6]]
rref	Syntax:
	RREF(Matrix) or
	RREF(Matrix, [Integer, Option])
	Reduced Row-Echelon Form. Changes a rectangular matrix to its reduced row-echelon form.
	Examples:
	rref([[2,1,1,-1],[1,1,2,-1],[1,2,1,-4]])
	rref([[1,1,0,0,-a1],[0,1,1,0,-a2],[0,0,1,1,-a3],[1,0,0,1,-a4]],keep_pivot)
	·=· /
rsolve	Recurrance Solve
rsolve	Recurrance Solve Syntax:
rsolve	
rsolve	Syntax:
rsolve	Syntax: rsolve(Expr, Var, Condition) or rsolve(List1, List2, List3) Given an expression defining a recurrence relation, a variable, and an initial condition, returns the close
rsolve	Syntax: rsolve(Expr, Var, Condition) or rsolve(List1, List2, List3) Given an expression defining a recurrence relation, a variable, and an initial condition, returns the close
rsolve	Syntax: rsolve(Expr, Var, Condition) or rsolve(List1, List2, List3) Given an expression defining a recurrence relation, a variable, and an initial condition, returns the close form solution (if possible) of the recurrent sequence. Given three lists, each containing multiple items o

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	rsolve([u(n+1)=3*v(n)+u(n),v(n+1)=v(n)+u(n)],[u(n),v(n)],[u(0)=1,v(0)=2])
R→B	Real to Base
	Syntax:
	R→B(Real [, bits [,base]])
	Converts a decimal integer (base 10) to an integer.
	Optionally specify bits and base.
	1 ≤ bits ≤ 64 (Unsigned integer)
	-1 ≥ bits ≥ -63 (Signed integer)
	base = 0 System
	base = 1 Binary
	base = 2 Octal
	base = 3 Decimal
	base = 4 Hexadecimal
	Examples:
	$R \rightarrow B(13) \rightarrow \#Dh$ (If system base is hexadecimal)
	R→B(1800,64,2) → #3410:64o
	$R \rightarrow B(\{50,50,50\},\{64,32,16\},\{1,2,4\}) \rightarrow \{\#110010:64b,\#62o,\#32:16h\}$
SCALE	Syntax:
	SCALE(matrixname, value, row_number)
	Multiplies the specified row_number of the specified matrix by value.
	Examples:
	$SCALE([1,2],3,1) \rightarrow [3,6]$
	$SCALE([1,2],3,1) \rightarrow [3,0]$ $SCALE([[1,2],[3,4]],3,2) \rightarrow [[1,2],[9,12]]$
	$SCALE([[1,2],[3,4]],\{3,2\},\{2,1\}) \rightarrow \{[[1,2],[9,12]],[[2,4],[3,4]]\}$
SCALEADD	Syntax:
	SCALEADD(matrixname, value, row1, row2)
	Multiplies the specified row1 of the matrix name by value, then adds this result to the second specified
	row2 of the matrix matrixname.
	Examples:
	$SCALEADD([[1,2],[3,4]],3,2,1) \rightarrow [[10,14],[3,4]]$
	$SCALEADD([[1,2],[3,4]],\{3,2\},\{2,1\},\{1,1\}) \rightarrow \{[[10,14],[3,4]],[[3,6],[3,4]]\}$
select	Syntax:
	select(Test, List) or select(Test, Vector)
	Given a test expression in a single variable and a list or vector, tests each element in the list or vector
	returns a list or vector containing the elements that satisfy the test.
	Example:
	select(x->x>=5,[1,2,6,7]) $\rightarrow$ [6,7]
seq	Sequence
	Syntax:
	seq(Expr, Var=Interval, [Step]) or
	seq(Expr, Integer)
	Given an expression, a variable defined over an interval, and an Optional step value, returns a vector
	containing the sequence obtained when the expression is evaluated within the given interval using th
	given step. If no step is provided, the step used is 1.
	Given an expression and an integer n, returns a list with the expression repeated n times.
	Formula
	Example:
	$seq(2^{k},k=08) \rightarrow [1,2,4,8,16,32,64,128,256]$
seqsolve	Sequence Solve
	Syntax:
	seqsolve(Expr, Vector, Condition) or
	seqsolve(List1, List2, List3)
	Similar to rsolve. Given an expression defining a recurrence relation in terms of n and/or the previous
	term (x), followed by a vector of variables and an initial condition for x (the 0th term), returns the clo
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples:
SERIAL	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples:  seqsolve(2x+n,[x,n],1) → -n-1+2*2^n
SERIAL	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples:  seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])
SERIAL	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples:  seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])  Syntax:
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples: seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])  Syntax: SERIAL Returns the calculator serial number
SETBASE	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples:  seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])  Syntax:  SERIAL  Returns the calculator serial number  Set Base
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples: seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])  Syntax: SERIAL Returns the calculator serial number  Set Base Syntax:
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples: seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])  Syntax: SERIAL Returns the calculator serial number  Set Base Syntax: SETBASE(#integer[m] [,c])
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples: seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])  Syntax: SERIAL Returns the calculator serial number  Set Base Syntax: SETBASE(#integer[m] [,c]) Displays integer expressed in base m in whatever base is indicated by c.
	form solution (if possible) for the recurrent sequence. Given three lists, each containing multiple item the above nature, solves the system of recurrent sequences.  Examples: seqsolve(2x+n,[x,n],1) → -n-1+2*2^n seqsolve([x+y,x],[x,y,n],[1,1])  Syntax: SERIAL Returns the calculator serial number  Set Base Syntax: SETBASE(#integer[m] [,c])

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	c = 1 Binary
	c = 2 Octal
	c = 3 Decimal
	c = 4 Hexadecimal
	If c is omitted, the output is displayed in the default base.
	Examples:
	SETBASE (#340,1) → #11100b
	SETBASE (#1101b) → #Dh (if the default base is hexadecimal)
	$SETBASE\{ \{\#100d,\#100d,\#100d,\#100d,\#100d\}, \{0,1,2,3,4\} \} \rightarrow \{\#64h,\#1100100b,\#144o,\#100d,\#64h\}$
SETBITS	Set Bits
SEIBIIS	Syntax:
	SETBITS(#integer[m] [,bits])
	Sets the number of bits to represent integer.
	The value of bits must be in the range –63 to 64. Base marker m can be b (for binary), d (for decimal), o (for octal), d (for decimal), or h (for hexadecimal). If base marker m or bits is omitted, the default value
	used.
	Examples:
	SETBITS(#1111b, 15) → #1111:15b
	SETBITS({#FFFFh,#777o},{15,7}) → {#7FFF:15h,#177:7o}
shift	Syntax:
Sillit	shift(List, Integer) or
	shift(Vector, [Integer]) or
	shift(Integer1, Integer2)
	Given a list or vector and an integer n, shifts the elements of the list or vector n places to the left if n>0 c to the right if n<0. Elements leaving the list from one side are replaced by 0 on the other side. If no integ
	is provided, the value 1 is used, shifting the elements one place to the left.
	is provided, the value 1 is used, similing the elements one place to the left.
	Given an integer and a second integer n, performs a bitwise shift on the first integer; the shift is left if n
	and right if n<0.
	Examples:
	$shift([0,1,2,3],2) \rightarrow [2,3,0,0]$
	$shift([0,1,2,3,4]) \rightarrow [0,0,1,2,3]$
shift_phase	Shift Phase
	Syntax:
	shift_phase(Expr)
	Returns the result of applying a phase shift of $\pi/2$ to a trigonometric expression.
	Example:
	shift_phase(sin(x)) $\rightarrow$ -cos(( $\pi$ +2*x)/2) with CAS setting Simplify set to None
Si	Sine Integral
31	Syntax:
	Si(Expr)
	Returns the sine integral of an expression, int(sin(t)/t,t=0x)
	Example:
	Si(1.0) → 0.946083070367
signature	Syntax:
	signature(Vector)
	Returns the signature of a permutation given as a vector.
	Example:
	$signature([2,1,4,5,3]) \rightarrow -1$
simplex_reduce	Simplex Reduction
	Syntax:
	simplex_reduce(Matrix_A, Vector_B, Vector_C)
	Reduction by simplex algorithm to find max(c.x) under A.x<=b and x>=0, b>=0. Returns the maximum, the
	The state of the s
	augmented solution x and the reduced matrix. Accepts also [[A I b],[-c * 0]] as argument.
	Examples:
	simplex_reduce([[3,2,2],[1,1,1]],[3,4],[1,2,3])
	simplex_reduce([[2,1,1,1,0,0,2],[1,2,3,0,1,0,5],[2,2,1,0,0,1,6],[-3,-1,-3,1,-1,2,0]])
simult	Syntax:
	simult(Matrix1, Matrix2)
	Returns the solution to a system of linear equations or several systems of linear equations presented in
	matrix form. In the case of one system of linear equations, takes a matrix of coefficients and a column
	matrix of constants, and returns the column matrix of the solution.
	Example: simult([[3,1],[3,2]],[[-2],[2]]) returns [[-2],[4]]
	Examples:
	$simult([[3,1],[3,2]],[[-2],[2]]) \rightarrow [[-2],[4]]$
	I control of the cont
	$simult([[3,1],[3,2]],[[-2,1],[2,-1]]) \rightarrow [[-2,1],[4,-2]]$
SIN	$simult([[3,1],[3,2]],[[-2,1],[2,-1]]) \rightarrow [[-2,1],[4,-2]]$ $Sine$

	SIN(Value)  Returns the sine of Value.  Value is interpreted as radians, degrees or gradians, depending on the setting of Angle Measure in Ho
	Settings, CAS Settings, or Symbolic Setup.  Example:
	SIN(30) → 0.5 (Degrees mode)
	SIN(1+i) → 1.29845758142+0.634963914785*i
T. Control of the Con	$SIN({30,90}) \rightarrow {0.5,1}$ (Degrees mode)
	$SIN((\pi/6)_{rad}) \rightarrow 0.5$
sincos	Syntax:
	sincos(Expr)
	Returns an expression with the complex exponentials rewritten in terms of sine and cosine.
	Example: $sincos(exp(-i*x)) \rightarrow cos(x)-i*sin(x)$
single_inter	Single Intersection
	Syntax:
	single_inter(Curve1, Curve2, [Point])
	Returns the intersection of Curve1 and Curve2 that is closest to Point.
	In Plot view, this command will prompt for two curves. After that, a point will appear; move this point
	the intersection desired and press Enter. You can move the point later to change intersections if you
	Example: single_inter(line(y=x),circle( $x^2+y^2=1$ ), point(1,1)) $\rightarrow$ point((1+i)* $\sqrt{2}$ /2)
SIZE	Size of a matrix
	Syntax:
	SIZE(matrix)
	Size of a list or matrix. Returns the size of a list or the dimensions of matrix as a list: {Rows, Columns}.
	Evamples
	Examples:
	$SIZE(\{1,2,3,4,5\}) \rightarrow 5$
	SIZE([[1,2,3], [4,5,6]]) → [2 3]
slope	Syntax:
	slope(Line) or slope(Point1, Point2)
	Given a line or two points that define a line, returns the slope of the line.
danast	Example: slope(line(1,2*i)) $\rightarrow$ -2  Syntax:
slopeat	
	slopeat(Segment, Point) or
	slopeat(Line, Point) or slopeat(Ray, Point)
	Used in Symbolic view of the Geometry app. Displays the slope of a straight object (segment, line, etc
	The measure is displayed, with a label, at the given point in Plot view.
	Example:
	In Symbolic view, slopeat(line(point(0,0), point(2,3)), point(-8,8)) displays "sline(point(0,0),
	point(2,3))=3/2" at point (–8, 8) in Plot view.  Example:
	slopeat(line(point(0,1),point(3,2)),point(-10,4))
sort	Syntax:
3010	sort(List) or sort(Obj1, Obj2,)
	Sorts a list of a sequence of objects. If the list or sequence contains numbers, then sorting is done in
	increasing order. If the list or sequence contains expressions, then the sorting is done in increasing or
	of numerical values, sums, and products, in increasing exponential order.
	Examples:
	$sort([3,2,2,4,1,0]) \rightarrow [0,1,2,2,3,4]$
	$sort(x,3*x,4*x^2,5,7,x^2+1) \rightarrow [5 \ 7 \ x \ x^2+1 \ 3*x \ 4*x^2]$
spline	Syntax:
	spline(ListX, ListY, Var, Integer) or
	spline(VectorX, VectorY, Var, Integer)
	Given two lists or vectors (one for the x-values and one for the y-values), as well as a variable and an
	integer degree, returns the natural spline through the points given by the two lists. The polynomials in spline are in terms of the given variable and are of the given degree.
	Evample:
	Example: spline([0,1,2],[1,3,0],x,3) $\rightarrow$ [(-5/4)*x^3+(13/4)*x+1, (5/4)*(x-1)^3/4-(15/4)*(x-1)^2-(1/2)(x-1)+3]
sqrfree	
sqrfree	$spline([0,1,2],[1,3,0],x,3) \rightarrow [(-5/4)*x^3+(13/4)*x+1, (5/4)*(x-1)^3/4-(15/4)*(x-1)^2-(1/2)(x-1)+3]$
sqrfree	$spline([0,1,2],[1,3,0],x,3) \rightarrow [(-5/4)*x^3+(13/4)*x+1, (5/4)*(x-1)^3/4-(15/4)*(x-1)^2-(1/2)(x-1)+3]$ $Syntax:$ $sqrfree(Expr)$ $Returns a polynomial factorized as a product of powers of coprime factors where each factor has roo$
sqrfree	spline([0,1,2],[1,3,0],x,3) → [(-5/4)*x^3+(13/4)*x+1, (5/4)*(x-1)^3/4-(15/4)*(x-1)^2-(1/2)(x-1)+3]  Syntax: sqrfree(Expr) Returns a polynomial factorized as a product of powers of coprime factors where each factor has roo multiplicity 1
sqrfree	spline([0,1,2],[1,3,0],x,3) → [(-5/4)*x^3+(13/4)*x+1, (5/4)*(x-1)^3/4-(15/4)*(x-1)^2-(1/2)(x-1)+3]  Syntax: sqrfree(Expr) Returns a polynomial factorized as a product of powers of coprime factors where each factor has roomultiplicity 1 Examples:
sqrfree	spline([0,1,2],[1,3,0],x,3) → [(-5/4)*x^3+(13/4)*x+1, (5/4)*(x-1)^3/4-(15/4)*(x-1)^2-(1/2)(x-1)+3]  Syntax: sqrfree(Expr) Returns a polynomial factorized as a product of powers of coprime factors where each factor has root multiplicity 1

opics Tree	13217	Help Text
sqrt		Square Root
		Syntax:
		sqrt(Expr)
		Returns the square root of Expr
		Example:
		sqrt(50) → 5*V2 (7.07106781178)
STARTVIEW		Start View
		Syntax:
		STARTVIEW(ViewNumber[,Redraw])
		Starts a view of the current app. Redraw, is optional; if Redraw, is true (non 0), it will force a refresh fo the view.
		The view numbers are as follows:
		0=Symbolic
		1=Plot
		2=Numeric
		3=Symbolic Setup
		4=Plot Setup
		5=Numeric Setup
		6=App Info
		7=Views key
		If the current app has views defined under the Views menu, then the following view numbers are used
		8=First special view (Split Screen Plot Detail)
		9=Second special view (Split Screen Plot Table)
		10=Third special view (Autoscale)
		11=Fourth special view (Decimal)
		12=Fifth special view (Integer)
		13=Sixth special view (Trig)
		If ViewNumber is negative, the following global views are used:  -1=Home Screen
		-2=Modes
		-3=Memory Manager
		-4=App Library
		-5=Matrix Catalog
		-6=List Catalog
		-7=Program Catalog
		-8=Note Catalog
		Example:
		STARTVIEW(-3)
stddev		Sample Standard Deviation
Stade		Syntax:
		stddev(List1, [List2]) or
		stddev(Vector1, [Vector2]) or
		stddev(Matrix)
		Returns the standard deviation of the elements of a list or vector, or a list
		of the standard deviations of the columns of a matrix. The optional second list is a list of weights.
		Examples:
		$stddev([[1,2,3],[5,6,7]]) \rightarrow [2,2,2]$
		stddev([1,2,3]) $\rightarrow$ (V6)/3
stddevp		Population Standard Deviation
		Syntax: stddevp(List1, [List2]) or
		stddvp(Vector 1, Vector2) or
		stddvp(Matrix)
		Returns the population standard deviation of the elements of a list or vector, or a list of the population
		standard deviations of the columns of a matrix. The optional second list is a list of weights.
		Examples:
		$stddevp([1,2,3]) \rightarrow 1$
		stddevp([[1,2,3],[5,6,7]])
sto		Store
		Syntax:
		sto(Obj, Var)
		Stores the object given as first argument in the variable given as second argument.
		Example:
I		sto("hello",b)
STRING		Syntax:
STRING		Syntax:  STRING(Expression, [Mode], [Precision], [Separator or {Separator, ["[DecimalPoint[Exponent[NegativeSign]]]"], [DotZero]}], [SizeLimit or {SizeLimit, [FontSize], [Bold],

Help To	pics Tree 13217	Help Text
110.15.10		Evaluates Expression and returns the result as a string.
		The Mode, Precision, and Separator parameters specify how numbers are displayed.
		If Mode is specified, it is:
		0: Use current setting
		1: Standard
		2: Fixed
		3: Scientific
		4: Engineering
		5: Floating
		6: Rounded
		Add 7 to this value to specify proper fraction mode and 14 for mixed fraction mode.
		Precision is either -1 for current settings or 0 to 12.
		Separator can be a number1 means use default, 0 to 10 correspond to the 11 built-in digit grouping
		choices available in home settings.
		OR
		Separator can be a string containing a set of digits and separators. The last digit is assumed to be the one
		just before the decimal point.
		"[DecimalPoint[Exponent[NegativeSign]]]" is a string of 0 to 3 characters. The first one will be used for the
		decimal point, the second for the exponent and the last one for the negative sign.
		If DotZero is non-zero, then numbers between 1 and 1 are displayed without a leading sero (for according
		If DotZero is non-zero, then numbers between -1 and 1 are displayed without a leading zero (for example,
		.1 instead of 0.1)  If SizeLimit is specified, the command will attempt to generate a string that fits in the given number of
		pixels. FontSize is used along with Bold, Italic, and Monospaced (if their value is non-zero) to estimate the
		maximum string length that will fit.
		The values for FontSize are:
		0=current font (default)
		1=font 10
		2=font 12 (Small)
		3=font 14 (Medium)
		4=font 16 (Large)
		5=font 18
		6=font 20
		7=font 22
		Examples:
		Current number format setting Standard:
		STRING(3* $\pi$ ) → "9.42477796077"
		Number format Fixed, 4 decimal places:
		$STRING(3*\pi,2,4) \rightarrow "9.4248"$
	STRINGFROMID	String From Identifier
	31 KINGI KOMID	Syntax:
		STRINGFROMID(Integer)
		Returns the built-in string associated with the ID of the current language.
		Example:
		STRINGFROMID(1)
	sturm	Syntax:
	Starrii	sturm(Poly,[Var, Complexa, Complexb])
		Returns the Sturm sequence corresponding to a polynomial or the number of sign changes of this
		polynomial for the variable in the interval (a,b].  Examples:
		sturm( $x^3-1,x$ ) $\rightarrow [1,[[1,0,0,-1],[3,0,0],9],1]$
		$sturm(x^3-1,x,-2-i,5+3i) \rightarrow 3$
	sturmseq	Syntax:
		sturmseq(Poly,[Var]) or sturmseq(RatFrac, [Var])
		Returns the Sturm sequence corresponding to a polynomial or to a rational fraction.
		Examples:
		sturmseq( $x^3-1,x$ ) $\rightarrow [1,[[1,0,0,-1],[3,0,0],9],1]$
		sturmseq((x^5-x^3)/(x+2),x)
	SUB	Extract Portion
		Syntax:
		SUB(object, start, end)
		Extracts a portion, of a list or matrix.
		For a matrix, start and end are two lists of two numbers ({row, col}) specifying the top left and bottom
		right of the portion to extract.
		For a vector or list, start and end are two numbers specifying the indexes of the first and last objects of
		the portion to extract.
		Examples:
		$SUB([[1,2,1],[2,1,3],[4,2,3]],\{2,1\},\{3,2\}) \rightarrow [[2,1],[4,2]]$
		$SUB(\{5,2,9,4\},2,3) \rightarrow \{2,9\}$
	SUBGROB	Copy GROB to Target
	מטחטמטכן	
		Syntax:

pics Tree 13217	Help Text
13217	SUBGROB(srcG, [x1, y1], [x2, y2], trgtG)
	Sets graphic trgtG to be a copy of the area of srcG between points (x1,y1) and (x2,y2). If both (x1, y1) are
	(x2, y2) are not specified, then the entire graphic srcG is used. If $(x1, y1)$ is not specified, then the top le
	corner of srcG is used; if (x2, y2) is not specified, then the bottom right corner of srcG is used.
	trgtGRB can be any of the graphic variables except G0.
	SUBGROB(G1, G4) will copy G1 in G4.
	Example:
	Demo_SUBGROB
SUBGROB_P	Copy GROB to Target
Sebaneb_i	Syntax:
	SUBGROB P(srcG, [x1, y1], [x2, y2], trgtG)
	Sets graphic trgtG to be a copy of the area of srcG between points (x1,y1) and (x2,y2). If both (x1, y1) are
	(x2, y2) are not specified, then the entire graphic srcG is used. If (x1, y1) is not specified, then the top le
	corner of srcG is used; if (x2, y2) is not specified, then the bottom right corner of srcG is used.
	trgtGRB can be any of the graphic variables except G0.
	SUBGROB_P(G1, G4) will copy G1 in G4.
	Example:
	Demo_SUBGROB_P
cubMat	Sub Matrix
subMat	
	Syntax:
	subMat(Matrix, Int1, Int2, Int3, Int4)
	Extracts from a matrix a sub matrix whose diagonal is defined by four integers. The first two integers
	define the row and column of the first element and the last two integers define the row and column of
	the last element of the sub matrix.  Example:
	subMat([[1,2],[3,4],[5,6]],1,1,2,1) → [[1],[3]]
suppress	Syntax:
	suppress(List, Integer)
	Given a list and a counting number n, deletes the nth element in the list and returns the result.
	Example:
	suppress( $[0,1,2,3],2$ ) $\rightarrow$ $[0,2,3]$
surd	Syntax:
	surd(Expr, Integer)
	Given an expression and an integer n, returns the expression raised to the power 1/n.
	Example:
	surd(-8,3) → -2
SWAPCOL	Swap Columns
	Syntax:
	SWAPCOL(matrixname, column1, column2)
	Exchanges column1 and column2 in the specified matrix matrixname.
	·
	Examples:
	SWAPCOL([[1,2,1],[2,1,3],[4,2,3]],2,3) $\rightarrow$ [[1,1,2],[2,3,1],[4,3,2]]
	$SWAPCOL([[1,2,1],[2,1,3],[4,2,3]],\{1,2\},\{3,3\}) \to \{[[1,2,1],[3,1,2],[3,2,4]],[[1,1,2],[2,3,1],[4,3,2]]\}$
	$SWAPCOL(\{[[1,2,1],[2,1,3],[4,2,3]],[[9,8,7],[9,8,7]]\},\{1,2\},\{3,3\}\} \to \{[[1,2,1],[3,1,2],[3,2,4]],[[9,7,8],[9,7,8]]\}$
CMADDOM	Swap Rows
SWAPROW	
	Syntax:
	SWAPROW(matrixname, row1, row2)
	Exchanges row1 and row2 in the specified matrix matrixname.
	Examples:
	SWAPROW([[1,2,1],[2,1,3],[4,2,3]],2,3) $\rightarrow$ [[1,2,1],[4,2,3],[2,1,3]]
	$SWAPROW([[1,2,1],[2,1,3],[4,2,3]],\{1,2\},\{3,3\}) \to \{[[4,2,3],[2,1,3],[1,2,1]],[[1,2,1],[4,2,3],[2,1,3]]\}$
	SWAPROW( $\{[[1,2,1],[2,1,3],[4,2,3]\},[[9,9],[6,6],[5,5],[8,8]\},\{1,2\},\{3,3\}\}) \rightarrow$
	{[[4,2,3],[2,1,3],[1,2,1]],[[9,9],[5,5],[6,6],[8,8]]}
sylvester	Sylvester Matrix
	Syntax:
	sylvester(Poly,Poly,Var)
	Returns the Sylvester matrix of two polynomials
	Examples:
	sylvester( $x^2-1,x^3-1,x$ ) $\rightarrow$ [[1,0,-1,0,0],[0,1,0,-1,0],[0,0,1,0,-1],[1,0,0,-1,0],[0,1,0,0,-1]]
	sylvester(x^3-p*x+q,3*x^2-p,x)
4-1-1-	
table	CAS Table
table	Syntax:
table	Syntax: table(SeqEqual(index=value))
table	Syntax:
table	Syntax: table(SeqEqual(index=value))

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İ	tabvar		Table of Variation
			Syntax:
			tabvar(function,[variable, minimum, maximum])
			Creates a table of variation for function. If variable is not given, a default variable is assumed. If minimum
			or maximum is not specified, they are also assumed.
			Examples:
			tabvar(sin(x))
			tabvar(x^2+x+1,x)
			tabvar(a^2,a,-3,5)
	tail		Syntax:
	Can		tail(Vector) or
			tail(List) or
			tail(String) or
			tail(Obj1, Obj2,)
			Given a vector, list, string, or sequence of objects, returns a vector with the first element deleted.
			Examples:
			$tail([3,2,4,1,0]) \rightarrow [2,4,1,0]$
			tail("bonjour") → "onjour"
	tan2cossin2		Syntax:
	CalleCossille		tan2cossin2(Expr)
			Returns an expression with tan(x) rewritten as (1–cos(2*x))/sin(2*x).
			Example:
			$tan2cossin2(tan(x/2)) \rightarrow (1-cos(x))/sin(x)$
	tan2sincos2		Syntax:
			tan2sincos2(Expr)
			Returns an expression with tan(x) rewritten as sin(2*x)/(1+cos(2*x)).
			Example:
			$tan2sincos2(tan(x/2)) \rightarrow sin(x)/(1+cos(x))$
	tcoeff		Syntax:
			tcoeff(Poly)
			tcoeff(Vector)
			tcoeff(List)
			Returns the coefficient of the term of lowest degree of a polynomial. The polynomial can be expressed in
			symbolic form or as a vector or list of coefficients.
			Examples:
			$tcoeff(1\text{-}2^*x^3 + x^2 + 7^*x) \to 7$
			$tcoeff([-2,1,7,0]) \to 7$
	TEVAL		Time Evaluation
			Syntax:
			TEVAL(Param)
			Returns the time it takes to evaluate the parameter.
			Example:
			$TEVAL(WAIT(5)) \rightarrow \sim 5.095\_s$
			Note: actual result will vary but should be close to 5.00_s
	TEXTOUT		Draw Text
			Syntax:
			TEXTOUT(text, [G], x, y, [font], [textColor], [width], [backgroundColor])
			Draws text on graphic G at position (x, y) using font and textColor. Paints the background before drawing
			the text using color backgroundColor. If width is specified, does not draw text more than width pixels
			wide. If backgroundColor is not specified, the background is not erased.
			The sizes for font are:
			0=current font (default)
			1=font 10
			2=font 12 (Small)
			3=font 14 (Medium)
			4=font 16 (Large)
			5=font 18
			6=font 20
			7=font 22
			Returns the X (in pixels, not Cartesian) coordinate at which the next character of the string should be
			drawn if the string had more characters
			Examples:
			TEXTOUT("Hello HP Prime",-5,0,4,RGB(128,0,128),200,RGB(255,255,0)); FREEZE
			Demo_PISERIES
	TEXTOUT_P		Draw Text
			Syntax:
			TEXTOUT_P(text, [G], x, y, [font], [textColor], [width], [backgroundColor])
. '	•	ı	· · · · · · · · · · · · · · · · · · ·

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			Draws text on graphic G at position (x, y) using font and textColor. Paints the background before drawing
			the text using color backgroundColor. If width is specified, does not draw text more than width pixels
			wide. If backgroundColor is not specified, the background is not erased.
			The sizes for font are:
			0=current font (default)
			1=font 10
			2=font 12 (Small)
			3=font 14 (Medium)
			4=font 16 (Large)
			5=font 18
			6=font 20
			7=font 22
			Returns the X coordinate at which the next character of the string should be drawn if the string had more
			characters
			Examples:
			TEXTOUT_P("Hello HP Prime",100,100,4,RGB(255,0,0),200,RGB(0,255,255)); FREEZE
			Demo_PISERIES_P
	TICKS		Internal Ticks Value
			Syntax:
			TICKS()
			Returns the internal millisecond clock value.
			Example:
			TICKS
	transpose		Transpose Matrix
	· ·		Syntax:
			transpose(Matrix)
			Transposes a matrix (without conjugation).
			Examples:
			transpose([[1,2,3],[1,3,6],[2,5,7]]) $\rightarrow$ [[1,1,2],[2,3,5],[3,6,7]]
			transpose(conj([[1+i,2,3],[1,3,6],[2,5,9-i]]))
	TRIANGLE_P		Draw Triangle
	TMANGEL_I		Syntax:
			TRIANGLE_P([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha])
			TRIANGLE P([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha], ["ZString", z1, z2, z3])
			TRIANGLE_P([G], {x1, y1, [c1], [z1]}, {x2, y2, [c2], [z2]},{x3, y3, [c3], [z3]}, ["ZString"])
			TRIANGLE P([G], points definition, triangle definitions, rotation matrix or {rotation matrix or -1, ["N"],
			[{eye_x, eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
			TRIANGLE_P([G], pre_rotated_points, triangle_definitions, [zstring])
			TRIANGLE_P([G])
			The basic form of TRIANGLE_P draws one triangle between specified pixel coordinates in the graphic using
			the specified color and transparency (0 ≤ Alpha ≤ 255). If 3 colors are specified, blends the colors in
			between the vertexes.  The advanced form of TRIANGLE_P allows the rendering of multiple triangles at a time with a potential 3D
			transformation of the triangles vertices. This is mostly used if you have a set of vertices and triangles and
			want to display them all at once (faster).
			points_definition is either a list or a matrix of point definition. Each point is defined by 2 to 4 numbers: x, y, z and color. A valid point definition can have multiple forms. Here are a couple of example: [x, y, z, c],
			(x, y, z, c), (x, y, #c), {(x, y), c}, (x,y)
			triangle_definitions is either a list or a matrix of triangle definition. Each triangle is defined by 3 to 5
			numbers. p1, p2, p3, color and alpha. p1, p2 and p3 are the index in the points_definition of the 3 points
			that define the triangle. Color is used to override the per point color definition. If you need to provide an
			Alpha, but not a color, use -1 for the color.
			Note, that {Color, [Alpha], triangle_1,, triangle_n} is also a valid form to avoid re-specifying the same
			color for each triangle.
			rotation_matrix is a matrix of sizes 2*2 to 3*4 which specifies the rotation and translation of the point
			using usual 3/4D geometry.
			{eye_x, eye_y, eye_z} defines the eye position (projection).
			{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D} is used to perform 3D clipping on the pre- transformed objects.
			Each point is rotated and translated through a multiplication by the rotation_matrix. It is then projected
			on the view plan using the eye position using the following equation: x=eye_z/z*x-eye_x and y=eye_z/z*y-
			eye_y.
			Each triangle is clipped in 3D if 3D clipping data is provided.
			If "N" is specified, the Z coordinates are Normalized between 0 and 255 after rotation provided easier z
			clipping.  If acting is provided, per pixel a clipping will happen using the avalue string (see helow)
			If zstring is provided, per pixel z clipping will happen using the z value string (see below).
			TRIANGLE_P returns a string which contains all the transformed points. If you plan to call TRIANGLE_P or
			LINE_P multiple times in a row using the same points and transformation, you can do so by replacing the
			points_definition by this string and omitting the transformation definition in subsequent calls to
			TRIANGLE_P and LINE_P.
			About zstring
- 1	I		

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			TRIANGLE_P([G]) returns a string adapted for z clipping.
			To use Z clipping, call TRIANGLE_P to create a Z clipping string (initialized at 255 for each pixels). You can then call TRIANGLE_P with appropriate z (0-255) values for each of the triangle vertexes and TRIANGLE_P
			will not draw pixels further than the already drawn pixels. zstring is automatically updated as appropriate.
			Examples:
			TRIANGLE_P(0,20,150,50,100,100,#FFh,#FF000h,#FF0000h,128); FREEZE
			Demo_TRIANGLE_P
			Demo_Tetrahedron_P
		trunc	Syntax:
			TRIANGLE_P([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha])
			TRIANGLE_P([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha], ["ZString", z1, z2, z3])  TRIANGLE_P([G], {x1, y1, [c1], [z1]}, {x2, y2, [c2], [z2]},{x3, y3, [c3], [z3]}, ["ZString"])
			TRIANGLE_P([G], points_definition, triangle_definitions, rotation_matrix or {rotation_matrix or -1, ["N"],
			[{eye_x, eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
			TRIANGLE_P([G], pre_rotated_points, triangle_definitions, [zstring]) TRIANGLE_P([G])
			The basic form of TRIANGLE_P draws one triangle between specified pixel coordinates in the graphic using the specified color and transparency (0 ≤ Alpha ≤ 255). If 3 colors are specified, blends the colors in
			between the vertexes.
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			want to display them all at once (faster).
			points_definition is either a list or a matrix of point definition. Each point is defined by 2 to 4 numbers: x,
			y, z and color. A valid point definition can have multiple forms. Here are a couple of example: [x, y, z, c], {x, y, z, c}, {x, y, #c}, {(x, y), c}, (x, y)
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			numbers. p1, p2, p3, color and alpha. p1, p2 and p3 are the index in the points_definition of the 3 points
			that define the triangle. Color is used to override the per point color definition. If you need to provide an Alpha, but not a color, use -1 for the color.
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			using usual 3/4D geometry.
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			transformed objects.
			Each point is rotated and translated through a multiplication by the rotation_matrix. It is then projected
			on the view plan using the eye position using the following equation: x=eye_z/z*x-eye_x and y=eye_z/z*y-eye_y.
			Each triangle is clipped in 3D if 3D clipping data is provided.
			If "N" is specified, the Z coordinates are Normalized between 0 and 255 after rotation provided easier z
			clipping. If zstring is provided, per pixel z clipping will happen using the z value string (see below).
			TRIANGLE_P returns a string which contains all the transformed points. If you plan to call TRIANGLE_P or
			LINE_P multiple times in a row using the same points and transformation, you can do so by replacing the
			points_definition by this string and omitting the transformation definition in subsequent calls to TRIANGLE_P and LINE_P.
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			Examples:
			TRIANGLE_P(0,20,150,50,100,100,#FFh,#FF00h,#FF000h,128); FREEZE
			Demo_TRIANGLE_P
			Demo_Tetrahedron_P
		truncate	Syntax:
			truncate(Poly, Integer)  Given a polynomial and an integer n, truncates the polynomial at order n.
			Example:
			truncate( $(x^2+x)^2,3$ ) $\rightarrow 2^*x^3+x^2$
		tsimplify	Transcendental Simplify
			Syntax:
			tsimplify(Expr)
			Returns an expression with transcendental rewritten as complex exponentials
			Example: $tsimplift(aA/2*v)+aA(v)) \rightarrow aA(v)^2+aA(v)$
		TYPE	tsimplify( $e^{(2*x)}+e^{(x)} \rightarrow e^{(x)^2}+e^{(x)}$ Object Type
			Syntax:
			TYPE(object)
'		·	

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	Returns the type of the object:
	0: Real
	1: Integer
	2: String
	3: Complex
	4: Matrix
	5: Error
	6: List
	8: Function
	9: Unit
	14.?: CAS object. the fractional part is the CAS type
tuno	Syntax:
type	
	type(Object)
	Returns the type of an object.
	Examples:
	type("abc") → DOM_STRING
	$type([1,2,3]) \to DOM\_LIST$
QPI	Real to Quotient Approximation
	Syntax:
	QPI(expr,[digits])
	QPI attempts to approximate expr into one of the following forms using digits of precision: $p/q$ ,
	$(a/b)*V(p/q), (p/q)*\pi, ln(p/q) or e^(p/q)$
	expr may be a number, complex, list, vector or matrix.
	Examples:
	$QPI(1.23) \rightarrow 123/100$
	QPI(2.2360679775) → √(5)
	QPI(1.46633706879) $\rightarrow$ LNI((13/3))
	$QPI(4.71238898038) \rightarrow (3/2)^*\pi$
	QPI({-0.714285714286,-1.41421356237,-0.405465108108,1.11751906874,-
	$2.44346095279,0.657047293577\}) \rightarrow \{-(5/7), \neg V(2), LN((2/3)), e^{(1/9), \neg ((7/9)*\pi), (5/7)*} \lor V(11/13)\}$
<b>&gt;</b>	Store
	Syntax:
	value ▶ variable
	Stores value in variable.
	Example:
	3►A stores the value 3 in the variable A.
U-Z	Function Catalog U-Z
<b>-</b>	Toolbox function catalog U-Z
UFACTOR	Unit factor conversion
UFACTOR	
	Syntax:
	UFACTOR(Value_Unit1, 1_Unit2)
	Converts a measurement using a compound unit into a measurement expressed in constituent unit:
	Example: A Coulomb—a measure of electric charge—is a compound unit derived from the SI base u
	Ampere and second: 1 C = 1 A * 1 s. Using UFACTOR, you can express a measurement in Coulombs
	product of Amperes and time.
	Examples:
	$UFACTOR(100\_C,1\_A) \rightarrow 100\_A*s$
	UFACTOR(100_C,1_min) → 1.6666666667_min*A
unapply	Syntax:
	unapply(Expr,Var)
	Returns the function defined by an expression and a variable.
	Example:
	unapply( $2*x^2$ ,x) $\rightarrow$ (x)-> $2*x^2$
uniform	Discrete Uniform
	Syntax:
	uniform(a,b,x)
	Uniform probability density function
	Computes the probability density of the uniform distribution at x given parameters a and b.
	Example:
	uniform(1.2,3.5,3) → 0.434782608696
	Cumulative Uniform
uniform cdf	Summarie Simorni
uniform_cdf	Custom
uniform_cdf	Syntax:
uniform_cdf	Syntax: uniform_cdf(a,b,x,[x2])
uniform_cdf	
uniform_cdf	uniform_cdf(a,b,x,[x2])  Cumulative uniform distribution function
uniform_cdf	uniform_cdf(a,b,x,[x2])  Cumulative uniform distribution function  Returns the lower-tail probability of the uniform probability density function for the value x, given
uniform_cdf	uniform_cdf(a,b,x,[x2])  Cumulative uniform distribution function  Returns the lower-tail probability of the uniform probability density function for the value x, given parameters a and b.
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**Help Topics Tree** 

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**Help Text** 

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	uniform_cdf(1.2,3.5,2,3) → 0.434782608696  Inverse Cumulative Uniform
uniform_icdf	
	Syntax:
	uniform_icdf(a,b,p)
	Inverse cumulative uniform distribution function
	Returns the value x such that the uniform lower-tail probability of x, given parameters a and b, is p.
	Example:
	uniform_icdf(3.2,5.7,0.48) → 4.4
UPPER	Uppercase
0.1.2.1	Syntax:
	UPPER(string)
	Returns string with lowercase characters converted to uppercase.
	Examples:
	UPPER("abc") → "ABC"
	UPPER(" $\alpha\beta\gamma$ ") $\rightarrow$ "ABF"
LICIMADLIEV	Unit Simplification
USIMPLIFY	
	Syntax:
	USIMPLIFY(Value_Unitsexpr)
	Simplifies Value in a complex unit expression Unitsexpr to an equivalent value in a simpler unit expr
	Example: a Joule is defined as 1 kg*m²/s².
	USIMPLIFY(5_kg*1_m²/1_s²) $\rightarrow$ 5_J
LITEC	Upper-Tail Chi-Square Probability
UTPC	Syntax:
	UTPC(Degrees, Value)
	Upper-Tail Chi-Squared probability distribution function. Returns the Upper-Tail Chi-Squared probal given degrees of freedom, evaluated at the given value. Returns the probability that a Chi-Squared
	random variable is greater than the given value.
	Example:
	$UTPC(5,1.1) \rightarrow 0.954103676028$
UTPF	Upper-Tail F Probability
	Syntax:
	UTPF(Numerator, Denominator, Value)
	Upper-Tail Snedecor's F Probability distribution function. Returns the Upper-Tail Snedecor's F proba
	given Numerator degrees of freedom and Denominator degrees of freedom, evaluated at the given
	Returns the probability that a Snedecor's F random variable is greater than the given value.
	Example:
LITER I	UTPF(3,2,1.1) → 0.508688301183
UTPN	Upper-Tail Normal Probability
	Syntax:
	LITONIA According to Mariana Maluca
	UTPN(Mean, Variance, Value)
	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, give
	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, give Mean and Variance, evaluated at Value. Returns the probability that a normal random variable is gr
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UTPT	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, give Mean and Variance, evaluated at Value. Returns the probability that a normal random variable is gr than the given value. Note: The variance is the square of the standard deviation.  Example:
UТРТ	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, give Mean and Variance, evaluated at Value. Returns the probability that a normal random variable is gr than the given value. Note: The variance is the square of the standard deviation.
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valuation	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, give Mean and Variance, evaluated at Value. Returns the probability that a normal random variable is gr than the given value. Note: The variance is the square of the standard deviation.  Example:  UTPN(0,1,1.1) → 0.13566060946  Upper-Tail t Probability  Syntax:  UTPT(Degrees, Value)  Upper-Tail Student's t probability distribution function. Returns the Upper-Tail Students t probability given degrees of freedom, evaluated at Value. Returns the probability that the Student's t random variable is greater than the given value.  Example:  UTPT(5,1) → 0.181608733825  Syntax:  valuation(Poly,[Var])  Returns the valuation (degree of the term of lowest degree) of a polynomial. With only a polynomia argument, the valuation returned is for x. With a variable as second argument, the valuation is perfor it.  Examples:  valuation(x^4+x^3) → 3  valuation([5,0,0,3,0,0])  Syntax:  variance(List1, [List2]) or  variance(Matrix)
valuation	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, give Mean and Variance, evaluated at Value. Returns the probability that a normal random variable is gr than the given value. Note: The variance is the square of the standard deviation.  Example:  UTPN(0,1,1.1) → 0.135666060946  Upper-Tail t Probability Syntax:  UTPT(Degrees, Value) Upper-Tail Student's t probability distribution function. Returns the Upper-Tail Students t probability given degrees of freedom, evaluated at Value. Returns the probability that the Student's t random variable is greater than the given value.  Example:  UTPT(5,1) → 0.181608733825  Syntax:  valuation(Poly,[Var]) Returns the valuation (degree of the term of lowest degree) of a polynomial. With only a polynomia argument, the valuation returned is for x. With a variable as second argument, the valuation is perfor it.  Examples:  valuation(x^4+x^3) → 3  valuation([5,0,0,3,0,0])  Syntax:  variance(List1, [List2]) or  variance(Matrix) Returns the variance of a list or the list of variances of the columns of a matrix. The optional second
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valuation	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, give Mean and Variance, evaluated at Value. Returns the probability that a normal random variable is greater than the given value. Note: The variance is the square of the standard deviation.  Example:  UTPN(0,1,1.1) → 0.135666060946  Upper-Tail t Probability Syntax:  UTPT(Degrees, Value)  Upper-Tail Student's t probability distribution function. Returns the Upper-Tail Students t probability given degrees of freedom, evaluated at Value. Returns the probability that the Student's t random variable is greater than the given value.  Example:  UTPT(5,1) → 0.181608733825  Syntax:  valuation(Poly,[Var])  Returns the valuation (degree of the term of lowest degree) of a polynomial. With only a polynomial argument, the valuation returned is for x. With a variable as second argument, the valuation is perfer for it.  Examples:  valuation(x^4+x^3) → 3  valuation([5,0,0,3,0,0])  Syntax:  variance(List1, [List2]) or  variance(Matrix)  Returns the variance of a list or the list of variances of the columns of a matrix. The optional second a list of weights.  Examples:
valuation	Upper-Tail Normal Probability distribution function. Returns the Upper-Tail Normal probability, given Mean and Variance, evaluated at Value. Returns the probability that a normal random variable is greated than the given value. Note: The variance is the square of the standard deviation.  Example:  UTPN(0,1,1.1) → 0.135666060946  Upper-Tail t Probability Syntax:  UTPT(Degrees, Value)  Upper-Tail Student's t probability distribution function. Returns the Upper-Tail Students t probability given degrees of freedom, evaluated at Value. Returns the probability that the Student's t random variable is greater than the given value.  Example:  UTPT(5,1) → 0.181608733825  Syntax:  valuation(Poly,[Var])  Returns the valuation (degree of the term of lowest degree) of a polynomial. With only a polynomial argument, the valuation returned is for x. With a variable as second argument, the valuation is perform for it.  Examples:  valuation(x^4+x^3) → 3  valuation([5,0,0,3,0,0])  Syntax:  variance(List1, [List2]) or  variance(Matrix)  Returns the variance of a list or the list of variances of the columns of a matrix. The optional second a list of weights.

Help	elp Topics Tree 13217		Help Text
1101	vector		Syntax:
			vector(Point1, [Point2])
			Given one point, defines a vector from the origin to the given point. With two points, defines the vector
			from the first point to the second.
			Example:
	VEDCION		vector(point(1,1),point(3,0)) creates a vector from (1,1) to (3,0).  Syntax:
	VERSION		VERSION([n])
			Returns a string that contains the version numbers for the various components of the system. This is
			equivalent to the About Prime help page
			If given integer n, returns that specific part of the version string.
			Examples:
			VERSION
			VERSION(1)
			VERSION(5)
	vertices		Syntax:
			vertices(Polygon)  Returns a vector containing the list of the vertices of a polygon.
			Examples:
			vertices(isoceles_triangle(0,1, $\pi$ /4))[2]
			vertices(isopolygon(0,1,4) $\rightarrow$ [point(0,0) point(1,0) point(1,1) point(0,1)]
	vertices_abca		Closed Vertices
	vertices_abea		Syntax:
			vertices_abca(Polygon)
			Returns a vector containing the closed list of the vertices of a polygon.
			Example:
			$vertices\_abca(isopolygon(0,1,4) \rightarrow [point(0,0)\ point(1,0)\ point(1,1)\ point(0,1)\ point(0,0)]$
	vpotential		Syntax:
			vpotential(Vector1, Vector2)
			Given a vector V and a vector of variables, returns the vector U such that curl(U)=V.  Example:
			vpotential( $(2*x*y+3,x^2-4*z,-2*y*z),(x,y,z)$ ) $\rightarrow (0,-2*x*y*z,(-1/3)*x^3+4*x*z+3*y)$
	WAIT		Syntax:
	VVAII		WAIT(n)
			Pauses program execution.
			If n≥1:
			Execution paused for the specified number (n) seconds.
			Returns the value of n.
			If n = 0 or omitted:
			Execution paused until a key is pressed.
			If a key is pressed, the key code is returned.
			After a 1-minute timeout, returns -1
			If n = -1:
			Execution paused until a key is pressed or there is a mouse event.
			If a key is pressed, the key code is returned.
			If a mouse event happens, a list of the form { type, [x, y], [dx, dy] } is returned. Normally x/y is the event position unless otherwise indicated.
			After a 1-minute timeout, returns -1
			Event type can be:
			0: Mouse Down
			1: Mouse Move
			2: Mouse Up (x/y is not provided)
			3: Mouse Click (if a click is detected, there is no Mouse Up)
			5: Mouse Stretch. x/y is the delta since the last event. dx/dy is the delta since the original mouse down.
			6: Mouse Rotate, x is original angle, y is new angle in 32nd of a circle.
			7: Mouse Long Click, indicates the mouse stayed down for 1 second.
			Example:
			WAIT(3)
	weibull		Discrete Weibull
			Syntax:
			weibull(k,n,[t],x)
			Weibull probability density function
			Computes the probability density of the Weibull distribution at x given parameters k, n and t. By default, t
			is 0.
			Examples: weibull(2.1,1.2,1.3) $\rightarrow$ 0.58544681204
			weibull(2.1,1.2,1.3) $\rightarrow$ 0.58544681204 weibull(2.1,1.2, 0,1.3) $\rightarrow$ 0.58544681204
	weibull_cdf		Cumulative Weibull
	**Cibali_cal		Syntax:
- 1	I		

vics Tree 13217	Help Text
	weibull_cdf(k,n,[t],x,[x2])  Cumulative Weibull distribution function
	Returns the lower-tail probability of the Weibull probability density function for the value x, given
	parameters k, n and t. By default, t is 0.
	Examples:
	weibull_cdf(2.1,1.2,1.9) $\rightarrow$ 0.927548261801
	weibull_cdf(2.1,1.2,0,1.9) $\rightarrow$ 0.927548261801
	weibull_cdf(2.1,1.2,1,1.9) → 0.421055367782
weibull_icdf	Inverse Cumulative Cauchy
	Syntax:
	weibull_icdf(k,n,[t],x)
	Inverse cumulative Weibull distribution function
	Returns the value x such that the Weibull lower-tail probability of x, given parameters k , n and t
	Examples:
	weibull_icdf(4.2,1.3,.95) $\rightarrow$ 1.68809330364
	weibull_icdf(4.2,1.3,0,.95) $\rightarrow$ 1.68809330364
when	When Conditional
	Syntax:
	when(Cond,Expr1,Expr2)
	If condition is true, returns Expr1; otherwise, returns Expr2.
	Example:
	when(n,1,0)
WHILE	While Loop Structure
	Syntax:
	WHILE test DO commands END;
	Executes commands WHILE test is true.
	Example:
	A:=5;
	WHILE A>0 DO
	PRINT(A);
	A:= A-1; END;
	will print 5 4 3 2 1
	Examples:
	Demo_WHILE
	ISPERFECT
	PERFECTNUMS
wilcoxonp	Wilcoxon Distribution
Wilcoxoffp	Syntax:
	wilcoxonp(Integer1,[Integer2])
	Distribution of the Wilcoxon or Mann-Whitney test for one or two samples.
	Examples:
	wilcoxonp(4)
	wilcoxonp(7,5)
wilcoxons	Wilcoxon statistic
	Syntax:
	wilcoxons(List1,Median)
	wilcoxons(List1,List2)
	Rank statistic of Wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples
	(List1,List2).
	Examples:
	Examples: wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])
	Examples: wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20]) wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)
wilcoxont	Examples: wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20]) wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10) Wilcoxon test
wilcoxont	Examples: wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20]) wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10) Wilcoxon test Syntax:
wilcoxont	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])
wilcoxont	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])  wilcoxons(List1,List2)
wilcoxont	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])  wilcoxons(List1,List2)  wilcoxont(List,List     Real,[Func],[Real])
wilcoxont	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])  wilcoxons(List1,List2)  wilcoxont(List,List   Real,[Func],[Real])  Wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples (List1,List2). Optic
wilcoxont	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])  wilcoxons(List1,List2)  wilcoxont(List,List     Real,[Func],[Real])
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wilcoxont	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])  wilcoxons(List1,List2)  wilcoxont(List,List     Real,[Func],[Real])  Wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples (List1,List2). Optic specify Method to be '<' or '>', and Significance.  Examples:
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	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])  wilcoxons(List1,List2)  wilcoxont(List,List    Real,[Func],[Real])  Wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples (List1,List2). Optic specify Method to be '<' or '>', and Significance.  Examples:  wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20],0.01)  wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10,'>')
wilcoxont	Examples:  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test  Syntax:  wilcoxons(List1,Median, [Method],[Significance])  wilcoxons(List1,List2)  wilcoxont(List,List    Real,[Func],[Real])  Wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples (List1,List2). Optic specify Method to be '<' or '>', and Significance.  Examples:  wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])  wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20],0.01)  wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10,'>')  wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10,'>').005)
	Examples: wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20]) wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10)  Wilcoxon test Syntax: wilcoxons(List1,Median, [Method],[Significance]) wilcoxons(List1,List2) wilcoxont(List1,List2) wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples (List1,List2). Optic specify Method to be '<' or '>', and Significance. Examples: wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20]) wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20],0.01) wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10,'>') wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10,'>',0.05) Logical XOR

Help To	pics Tree	13217 Help Text
110.6 10		For Integers and Strings, XOR is performed bitwise, returning 1 if exactly one bit is 1 and the
		corresponding bit is 0, otherwise 0.
		Examples:
		3 XOR 2 → 0
		0 XOR 2 → 1
		0 XOR 0 → 0
		${3,0,0} \times \mathbb{C} = {0,1,0}$
		$3_{\text{inch}=7.62_{\text{cm}} \text{XOR 9}_{\text{(inch}^2)=58.0644_{\text{(cm}^2)}} \rightarrow 0$
		#CC44h XOR #44CCh → #8888h
		"C" XOR "b" $\rightarrow$ "!"
		$X:=0; 0 \text{ XOR } (X:=7); 1 \text{ XOR } (X:=9); X \rightarrow 9$
		$7 \le 3 \text{ XOR } 5 < 9 \text{ XOR } 3 ≠ 2.9 + 0.2 → 0$
	zip	Syntax:
		zip('Function', List1, List2, Default) or
		zip('Function', Vector1, Vector2, Default)
		Applies a bivariate function to the elements of two lists or vectors and returns the results in a vector.
		Without the default value the length of the vector is the minimum of the lengths of the two lists; with the
		default value, the shorter list is padded with the default value.
		Examples:
		$zip('+',[a,b,c,d],[1,2,3,4]) \rightarrow [a+1,b+2,c+3,d+4]$
		$zip(sum,[a,b,c,d],[1,2,3,4]) \rightarrow [a+1,b+2,c+3,d+4]$
	ztrans	Z Transform
		Syntax:
		ztrans(Expr,[Var],[ZtransVar])
		Returns the Z transform of a sequence.
		Examples:
		$ztrans(a^x) \rightarrow -x/(a-x)$
<u> </u>		$ztrans(a^n,n,z) \rightarrow -z/(a-z)$
Othe	er	Function Catalog - Other
		Toolbox function catalog - Other
	%CHANGE	Percent Change
		Syntax:
		%CHANGE(x, y)
		Percent change from x to y. Returns 100*(y-x)/x.
		Examples:
		%CHANGE(20,50) → 150
		%CHANGE(4.5,8.3) → 84.444444444
		$(10,20,30), (75,75,75,75) \rightarrow (650,275,150)$
	%TOTAL	Percent Total
	MIOTAL	Syntax:
		%TOTAL(x, y)
		Percent total; the percentage of x that is y. Returns 100*y/x.
		Examples:
		%TOTAL(20,50) → 250
		%TOTAL(1.5,7.5) → 500
		%TOTAL({10,20,30},{75,75,75}) → {750,375,250}
	*	W
	.*	Syntax:
		List1.* List2 or
		Matrix1.* Matrix2
		Performs an element-by-element multiplication of 2 lists or 2 matrices.
		Examples:
		$[[1,2],[3,4]] \cdot * [[3,4],[5,6]] \rightarrow [[3,8],[15,24]]$
		$[[1+2*i,3+2*i],[1+2*i,2+i]] \cdot [[1,2],[3,4]] \rightarrow [[1+2*i,6+4*i],[3+6*i,8+4*i]]$
		$\{1,2,3\} \cdot \{4,5,6\} \to \{4,10,18\}$
	.+	Syntax:
		Matrix .+ Value or
		Value <space> .+ Matrix or</space>
		List .+ Value or
		Value <space> .+ List</space>
		Adds a value (real or complex) to each element of a list or matrix.
		Note that when the value precedes the operator, you must put a space between the value and the
		operator; otherwise, the point in the operator is read as a (possible extraneous) decimal point in the value
		Examples:
		$[1,2] + 3 \rightarrow [4,5]$
		2.5.+ [[1,2],[3,4]] → [[3.5,4.5],[5.5,6.5]]
		$[[1,2],[3,4]] + (2+5i) \rightarrow [[3+5*i,4+5*i],[5+5*i,6+5*i]]$
		$2_{\text{slug}} + [[1,2],[3,4]]_{\text{slug}} \rightarrow [[3,4],[5,6]]_{\text{slug}}$
		$\left\{ \{[6,6],[3,1]\},[[1,2],[8,7]]\} . + 3 \rightarrow \{[9,9],[6,4]\},[[4,5],[11,10]] \right\}$

Syntax:   Matrix - Value or   Value < Space - Matrix or   Ust - Value   Value < Space - Matrix or   Ust - Value or   Value < Space - Ist   Subtracts a value (real or complet) from each element of a list or vector. When the value precedes the operator, then each element in the list or matrix is subtracted from the value. In this latter case, you must a space between the value and the operator; otherwise, the point in the operator is read as a (possible extraneous) decimal point in the value.   Examples:   3 - 2 + 1	Help To	pics Tree 13217	Help Text
Value Spices - Matter or  Value Spices - Its  Substitude value feature completificant coch observer of a last or vector. When the value procedes the operating from each element in the last on decides substitude to the value and the operating of the each element in the last or machine, and the process of the operating of a laborate broad value and the operating of the each.  Lamples:  3 - 2 + 1  3 - 2 + 2  1 (2-2) [1-20] 9 + 12  1 (2-2) (2-2) [4] (2-2) 9 + 12  2 (2-2) (2-2) (2-2) 9 + 12  2 (2-2) (2-2) (2-2) 9 + 12  2 (2-2) (2-2) (2-2) 9 + 12  2 (2-2) (2-2) (2-2) 9 + 12  2 (2-2) (2-2) (2-2) 9 + 12  2 (2-2) (2-2) (2-2) 9 + 12  2 (2-2	<u> </u>	-	·
Value of Spece - List   Substancts a value preal or company from each element of a list or votace. When the value precedes the operation is ensured the content of the list con matrix is substanced from the value. In this letter case, you must preal a source between the value in list content on your source of the present of the value. In this letter case, you must put a source between the value and the operators of the operators in the operators in read on a (possible externoso) described point in the value.			Matrix Value or
Value displaces   List   Sold total and vice clearly completed from each element of a list or vector. When the value precedes the operator, there acad element in the list or matrix is subtracted from the callus, in this latter case, you murp in a spice abrives the value and not pervated, otherwise, the paint in the operator in read as a (positive extravels) (section print in the value.    Paragraphs			Value <space> Matrix or</space>
Value displaces   List   Sold total and vice clearly completed from each element of a list or vector. When the value precedes the operator, there acad element in the list or matrix is subtracted from the callus, in this latter case, you murp in a spice abrives the value and not pervated, otherwise, the paint in the operator in read as a (positive extravels) (section print in the value.    Paragraphs			
Subtracts a volue freath or complex from each telement of all size version. When the volue promotes the consensation, these and the coperation is not what is all shorted from the volue for the coperation is need as a (package) are stronged prices and the coperation of the volue.			
operation, there active elements in the list or matrix is subtracted from the value. In this latter case, you murp put a super between the value and the operator, otherwise, the paint in the operator is read as a (people certamonal) decembal point in the value.  Paragraphs:  3 - 2 - 2 - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - 3 - (2-5) - (3-2) - 3 - (3-2) - (			
puts a space between the veals and the operator, the point in the operator is read as a logisositive extension (decimal point in the value.  Europies: 3-7-9-1 23-27-9-22 125-13-93-9-13 10-215-91 [III.53-92] 5-13 10-215-91 [III.53-92] 5-13 10-215-91 [III.53-92] 5-13 10-215-91 [III.53-92] 5-13 10-215-91 [III.53-94] [III.53-92] [III.54-12] [III.54-21] [III.54] 10-215-91 [III.54] [III.55-92] [III.54] [III.54			
(prosoble extraneous) decimal good in the value.   Examples:   3 - 7 + 1     0.5 - 27 + 3.2     (2-23 - (2-24) - 2+3)     (117,54,4] - (150,56,6)   (3.54 + 1)] + (10.54,4)   (3.54 - 1), (3.11 + 1)     (11,54,4] - (150,56,6)   (3.54 + 1)] + (10.54,4)   (3.54 - 1), (3.11 + 1)     (11,54,4] - (150,56,6)   (3.54 + 1)] + (10.54,5,6) + (0.581,00,685,17,17,2)     (11,54,4) - (13,54 + 1)   (3.54 + 1), (3			
Framples   3 - 2 + 3			
3 - 2 - 9 1			(possible extraneous) desimal point in the fallet
0.5 - 3.7 9 - 3.2     2(551 - 1242) ÷ 3-13     113_2(13.41 - 10.5.6.6.15.5.4.1] ÷ 10.5.1.4(1.50.1)     113_2(13.41 - 10.5.6.6.15.4.4) ÷ 10.5.1.4(1.50.1)     113_2(13.41 - 10.5.6.6.15.4.4) ÷ 10.5.1.4(1.50.1)     113_2(13.41 - 12.2.1) ÷ 10.5.1.4(1.50.1)     113_2(13.41 - 13.2.1)     113_2(13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 + 13.41     114_2(13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 + 13.41     114_2(13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41     114_2(13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41     114_2(13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41     114_2(13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41     114_2(13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41 - 13.41     114_2(13.41 - 13.4			Examples:
[2.5]   [3.2]   3.13			3 - 2 → 1
[2.5]   [3.2]   3.13			0.5 - 3.7 → -3.2
1, 120_cm.3_pk]=14_cm15_pk] → (0.88270588275_1.7.3_cm.0.73203815_pk]			
your substitute of the state o			
Ust 1 / Ust 2 or Marris / Memoris Stement-by-element division. Returns the term-by-term division of two lists or two matrices.  Examples:    3.9.01/(5.2.5.] ~ (1.3.2)   [1.3.1/2].[15.3.2/3]    [11.2*(1.6.4**]] / [1.2*(1.5.4**]]			
Matrics, J Matrics, 2  General by element divisions. Returns the term by term division of two lists or two matrices.  Examples:  38.6.10/18.2.9.3 + (1.8.2)  [13.2]5.1.5.1.1.5.1.6.1.3.1.7.5.1.5.1.5.1.5.1.5.2.2.1.5.2.2.3.1  [13.1.2]5.1.5.1.1.5.1.5.1.5.1.5.1.5.1.5.1.5.2.2.1.5.2.2.3.1  [13.1.2]5.1.5.1.1.5.1.5.1.5.1.5.1.5.1.5.1.5.2.2.3.1.5.2.2.3.1  [13.1.2]5.1.5.1.5.1.5.1.5.1.5.1.5.1.5.1.5.1.5.1		./	
Element-by-element division. Returns the term-by-term division of two lists or two matrices.  Examples:  (3.6.10/18,2.5) ÷ (1.3.2) ((1.2.18.41),7(3.41,5.81) ÷ (1/3.1/21,87.2.29)] ((1.2.18.41),7(3.41,5.81) ÷ (1/3.1/21,87.2.29)] ((1.2.18.41),7(3.41,5.81) ÷ (1/3.2.1.21,87.2.29)] ((1.2.18.41),7(3.41,5.81) ÷ (1/3.2.1.2.21)] ÷ ((1.2.1,3.41)  Another the result of raising Object1 to the Object2 power. One or both objects are typically lists or matrices. The objects may be numerical values or expressions that return numerical results. Examples: ((1.2.18,14),1 → 3 → ((1.8.1,27.541)) ((3.3.7) ∧ 4 → (8.8.1,63.2.5401) ((1.3.2.2.11,13.11) ∧ ⇒ ((1.2.2.2.11) ∧ ⇒ ((1.2.2.2.11) ∧ ⇒ ((1.2.2.2.11) ∧ ⇒ ((1.2.2.2.11) ∧ ⇒ ((1.2.2.2.11) ∧ ⇒ ((1.2.2.2.2.11) ∧ ⇒ ((1.2.2.2.2.11) ∧ ⇒ ((1.2.2.2.2.11) ∧ ⇒ ((1.2.2.2.2.2.11) ∧ ⇒ ((1.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.			List1 ./ List2 or
Example:			Matrix1 ./ Matrix2
Example:			Element-by-element division. Returns the term-by-term division of two lists or two matrices.
II.2. 2.9   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.2)   (1,3.4)			
[12.2][5.4][.][3.4][.5.6]] → [[3.4][.2.2][.3.2]] → [[1.2][.3.4]]  [12.2][.5.4][.][.3.4][.5.6]] → [[1.2][.2.2][.3.4]] → [[1.2][.3.4]]  [12.2][.5.4][.3.4][.			Examples:
[12.2][5.4][.][3.4][.5.6]] → [[3.4][.2.2][.3.2]] → [[1.2][.3.4]]  [12.2][.5.4][.][.3.4][.5.6]] → [[1.2][.2.2][.3.4]] → [[1.2][.3.4]]  [12.2][.5.4][.3.4][.			${3,6,10}./{3,2,5} \rightarrow {1,3,2}$
(II + 2* [6+4*] , 3+6* [6+4*]  / (II + 2* [4+2*], 1+2* [2+1]) → (II, 2, II, 3, II)			
Syntax: Object1. ^ Object2 Returns the result of raising Object1 to the Object2 power. One or both objects are typically lists or matrices. The objects may be numerical values or expressions that return numerical results. Examples: [II.2],[3,4], → } → [18,1],[27,64] [3,57], ^ 4 → {81,675,2401} [II.4;2-2],[3,7], → → {81,675,2401} [II.4;2-2],[3,7], → } ⊕ [10,200,200,204-01,0200,214,000,55-0.3931385059*],[0,207879576351,9.455037136-0.4831379312*]]  QUOTE			
Object. 3 ~ Object. 2 Returns the result of raising Object 11 to the Objects power. One or both objects are typically lists or matrices. The objects may be numerical values or expressions that return numerical results.  Examples:  [[1,2,1],4,1] ~ 3 ~ [1,8],127,64] [(3,5,7) ~ 4 ~ 4,8], 6,75, 2,401] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ 3 ~ [(-2+2*],-16*16*1],[-1,-2**1]] [(1+1,2+2*[1,1,3*1]] ~ (-2+2*[1,1,3*1],[-1,10*16*1],[-1,2*1]] [(1+1,2+2*[1,1,3*1]] ~ (-2+2*[1,1,3*1],[-1,10*1],[-1,2*1]] [(1+1,2+2*[1,1,3*1],[-1,10*1],			
Returns the result of raining Object1 to the Object2 power.  One or both objects are typically lists or matrices. The objects may be numerical values or expressions that return numerical results.  Examples:    [12,13,41], ^3 → [12,81], 27,641]   (3,57), ^4 → [81,625,2,401]   (11,42,2**[1],3**]], → → [(12,81], 27,641]   (3,57), ^4 → [81,625,2,401]   (11,42,2**[1],3**]], → → [(12,81), -16+16*[1], (1,-27**]]   [11,42,2**[1],3**]], → [(12,81), -16+16*[1], (1,-27**]]   (11,42,2**[1],3**]], → [(12,81), -16+16*[1], (1,-27**]]   (11,42,2**[1],3**]], → [(12,81), -16+16*[1], (1,-27**]]   (11,42,2**[1],3**]], → [(12,81), -16+16*[1], (1,-27**]]   (11,42,2**[1],3**]], → [(12,81), -16+16*[1], (1,-27**]]   (11,42,2**[1],3**]], → [(12,81), -16+16*[1], (12,27**]], (12,07879576351,9.455037136 8-2-0.3931385059*1], [0,207879576		·"	
One or both objects are typically lists or matrices. The objects may be numerical values or expressions that return numerical results. Examples:  [[1,2],[4,4], ^3 → [1,8],[2,7,64]] [3,5,7], ^4 → [81,65,2,401] [[14],22*],[1,3*]],[3*],[1,2*],[-2*],[1,-2**]]  [[14],22*],[1,3*],[1,3*],[-2*],[-2*],[-1,-2**]]  [[14],22*],[1,3*],[1,3*],[-2*],[-2*],[-1,-2**]]  [[14],22*],[1,3*],[-3*],[-2*],[-2*],[-3*],[-2*],[-3*],[-2*],[-3*],[-2*],[-3			
that return numerical results.   Examples: [11,2][3,4]].^3 → [11,8][27,64]]     (3,5,7).^4 → 3   (81,632,7,001)     ([11+1/2-27][3,37]].^4 → [16,632,7,001)     ([11+1/2-27][3,37]].^4 → [10,4328]2000249+0.154971752464*(.0.230914901055+0.3931385059*],[0.207879976351,9.455037136     (10,4328)2000249+0.154971752464*(.0.230914901055+0.3931385059*],[0.207879976351,9.455037136     (2,007E or)**   (2,007E or)**   (2,007E or)**   (2,007E or)**   (3,007E)   (3,007E)   (3,007E)     (4,007E)   (4,007E)   (4,007E)     (4,007E)   (4,007E)   (4,007E)   (4,007E)     (4,007E)   (4,007E)   (4,007E)   (4,007E)   (4,007E)   (4,007E)     (4,007E)   (4,007E)   (4,007E)   (4,007E)   (4,007E)   (4,007E)   (4,007E)     (5,007E)   (4,007E)			Returns the result of raising Object1 to the Object2 power.
Examples:  [[1,2,[3,4]].^3 → [[1,8],[27,64]] [3,5,7].^4 → [81,65,2,401]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,-27*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,2-2*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,2-2*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,2-2*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,2-2*]]  [[1+1,2-2*],[1,3*]].^3 → [[-2,2**]-16+16*],[-1,2-2*]]  [[1,2,2*],[1,3*]].^3 → [[-2,2*]-16+16*],[-1,2-2*]]  [[1,2,2*],[1,3*],[-1,2			
[1,2],[3,4]], ^3 → [11,8],[27,64]    (3,5,7) ^ 4 → [48, 65, 2,401]    (1,4) + 2 + (1,6) + (1,6) + (1,4) +			
(3,5,7). ^ 4 → (81, 625, 2,401)    [[±1;2+2*][,[3*]][,4*] → [[-3+2-2*],-16+16*][,4;-27*]]     [[±1;2+2*][,[3*]][,4*] → [[0.4288290054-0.15487±752464*i,0.230914901055+0.3931385059*i],[0.207879576351,9.455037138 88-2-0.1851277813*i]]  QUOTE    QUOTE or ''   Syntax:   QUOTE(expression)   Returns the expression unchanged and un-evaluated.   This function is used mainly with Sto▶ in order to store a function in a function variable.   For example, if you want to store SIN(X) in F1, you cannot do SIN(X) ► F1 as SIN(X) would be evaluated at a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ► F1 to store SIN(X) in F1.    Where Function   Syntax:   Expr  Var-Value   Expr  (Varia-Valu, Varia-Valu,)   Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables.   Examples: SIN(X)  Nen/6 → 0.5 (X+Y)  Re-2/Y=6) → 8   Mathematical Constant π     The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265399.   Example: π → 3.14159265359   Σ - Summation     Syntax: Σ(expr, var, Nalue, Nalue)     Finds the sum of expr with respect to var as var goes from ivalue to fivalue in steps of 1.   Examples: Σ(X-X, X, S) + S - Σ((X-2)^2, Y-3)   (X-2)^2, Y-3   (X-2)			
[[1+i,2+2*i],[i,3*i]], -3 → [[-2+2*i,-25+i],[i,3*i]], (1) → 2 [[0.42892006294+0.194871752464*i,0.230914901055+0.3931385059*i],[0.207879576351,9.455037136 8-2+0.18513277813*i]]  QUOTE  Pre example, if you want to store SIN(X) in F1, you cannot do SIN(X) ► 12 as SIN(X) would be evaluated at a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ► F1 to store SIN(X) in F1.  Where Function Syntax:  Expr  Vara-Value  Expr  (Var1-avalu, Var2-Val2,) Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables.  Examples:  SIN(X) X-m/G→0.5  (X-Y) (X-2,Y-6)→9  Adathermatical Constant π  The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example:  π → 3.14159265359  Σ  2 Substitution Syntax:  Σ(expr, var, ivalue, fivalue) Finds the sum of expr with respect to var as var goes from ivalue to fivalue in steps of 1.  Examples:  Σ(X <sup>2</sup> , X, 1,5) → 55  Σ((X-2 <sup>2</sup> , Y-3 <sup>2</sup> ), (X <sup>2</sup> , Y <sup>2</sup> ), (1,1,3), (5,10)) → (55,28)  d - Numerical Derivative Syntax:			$[[1,2],[3,4]] .^3 \rightarrow [[1,8],[27,64]]$
[[1+i,2-2*],[i,3*]],   →			${3,5,7}.^4 \rightarrow {81,625,2,401}$
[I0.428829006294-0.154871752464*i,0.230914901055+0.3931385059*i],[0.207879576351,9.455037136 Re 2-0.18513277813*i]]   QUOTE     QUOTE or''     Syntax:   QUOTE(expression)     Returns the expression unchanged and un-evaluated.   This function is used mainly with 50° in order to store a function variable.   For example, if you want to store SIN(X) in F1, you cannot do SIN(X) ► F1 as SIN(X) would be evaluated an anumerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ► F1 to store SIN(X) in F1.   Where Function     Syntax:     Expr  Vara-Value     Expr  Vara-Value     Expr  (Var1-Val1, Var2-Val2,)     Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables.     Examples:     SIN(X)  Xem/6 → 0.5     (X+Y)  (X=2,Y=6) → 8     Mathematical Constant π     The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.     Examples:     π → 3.14159265359     Σ - Summation     Syntax:     Z(expr, var, Ivalue, Ivalue)     Finds the sum of expr with respect to var as var goes from Ivalue to fivalue in steps of 1.     Examples:     Z(x^2, X, 1, 5) → 55     Z((x^2, Y-2, Y-3), X(x, Y), Y(1, 3, 1, 5, 10)) → (55, 28)     O - Numerical Derivative     Syntax:			$[[1+i,2+2*i],[i,3*i]].^3 \rightarrow [[-2+2*i,-16+16*i],[-i,-27*i]]$
QUOTE  QUOTE  QUOTE (Syrtax: QUOTE(expression) Returns the expression unchanged and un-evaluated. This function is used mainly with 5to* in order to store a function in a function variable.  For example, if you want to store SIN(X) in F1, you cannot do SIN(X) ► F1 as SIN(X) would be evaluated at a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ► F1 to store SIN(X) in F1.  Where Function Syntax: Expr   Var-Value Expr   (Var1-Val1, Var2-Val2,} Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples: SIN(X)   X-π/6 → 0.5   X(Y+1)  (X-2,Y-6) → 8   Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Σ  Σ - Summation Syntax: Σ(expr, var, ivalue, Ivalue) Finds the sum of expr with respect to var as var goes from ivalue to Ivalue in steps of 1.  Examples: Σ(X²,X,15) → 55 Σ((X²,X,15) → 55,28)  ∂ - Numerical Derivative Syntax:			[[1+i,2+2*i],[i,3*i]].^i →
QUOTE Syntax: QUOTE(expression) Returns the expression unchanged and un-evaluated. This function is used mainly with Stor in order to store a function in a function variable. For example, if you want to store SIN(X) in F1, you cannot do SIN(X) ► F1 as SIN(X) would be evaluated an a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ► F1 to store SIN(X) in F1.  Where Function Syntax: Expr   Var-Value Expr   (Var1-Val12, Var2-Val2,} Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples: SIN(X) X=π/6 → 0.5 (X+Y)   (X=2,Y=6) → 8  Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example: π → 3.14159265359 Σ Summation Syntax: Σ(Expr, var, ivalue, fyalue) Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.  Examples: Σ(X*X,1,5) → 55 Σ((X*2,Y*3),(X*,Y*),(1,3),(5,10)) → (55,28)  ∂ Numerical Derivative Syntax:			[[0.428829006294+0.154871752464*i,0.230914901055+0.3931385059*i],[0.207879576351,9.4550371367
Syntax:  QUOTE(expression) Returns the expression unchanged and un-evaluated. This function is used mainly with Sto≯ in order to store a function in a function variable.  For example, if you want to store SIN(X) in £1, you cannot do SIN(X) ▶ £1 as SIN(X) would be evaluated an a numerical result would be stored into £1. Instead, use QUOTE(SIN(X)) ▶ £1 to store SIN(X) in £1.  Where Function Syntax: Expr  Var=Value Expr  {Var=Value Expr  {Var=Va			8€−2+0.18513277813*i]]
QUOTE(expression) Returns the expression unchanged and un-evaluated. This function is used mainly with Sto► in order to store a function in a function variable. For example, if you want to store SIN(X) in F1, you cannot do SIN(X)►F1 as SIN(X) would be evaluated an a numerical result would be stored into F1. Instead, use QUOTE(SIN(X))►F1 to store SIN(X) in F1.  Where Function Syntax: Expr  Vara-Value Expr  (Var1-Val1, Var2-Val2,) Substitutions for multiple variables. Examples: SIN(X)  X=π/6 → 0.5 ( X+γ )  X=2/x=6  → 8  Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example: π → 3.14159265359  Σ  Substitutes Value Expr  (Var1-Val1, Var2-Val2,) Examples: Σ(expr, var, ivalue, fivalue) Finds the sum of expr with respect to var as var goes from Ivalue to fivalue in steps of 1.  Examples: Σ(expr, var, ivalue, fivalue) Finds the sum of expr with respect to var as var goes from Ivalue to fivalue in steps of 1.  Examples: Σ(expr, var, ivalue, fivalue) Finds the sum of expr with respect to var as var goes from Ivalue to Fivalue in steps of 1.  Examples: Σ(expr, var, ivalue, fivalue) Finds the sum of expr with respect to var as var goes from Ivalue to Fivalue in Steps of 1.  Examples: Σ(expr, var, ivalue, ivalue) Finds the sum of expr with respect to var as var goes from Ivalue to Fivalue in Steps of 1.		QUOTE	QUOTE or ' '
Returns the expression unchanged and un-evaluated.  This function is used mainly with Sto▶ in order to store a function in a function variable.  For example, if you want to store SIN(X) in F1, you cannot do SIN(X)▶F1 as SIN(X) would be evaluated an a numerical result would be stored into F1. Instead, use QUOTE(SIN(X))▶F1 to store SIN(X) in F1.  Where Function Syntax:  Expr   Var=Value Expr   (Var1=Val1, Var2=Val2,) Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables.  Examples: SIN(X)   X=N(x) → 0.5 (X+Y)   (X=2,Y=6) → 8  Mathematical Constant π  The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example: π → 3.14159265359  Σ - Summation Syntax: Σ(expr, var, ivalue, fivalue) Finds the sum of expr with respect to var as var goes from ivalue to fivalue in steps of 1.  Examples: Σ(X*2,X,15) → 55 Σ((X*2,*Y*3),*(X*,Y*),1,1,3,(5,10)) → (55,28)  ∂ - Numerical Derivative Syntax:			Syntax:
This function is used mainly with Sto≯ in order to store a function in a function variable.  For example, if you want to store SIN(X) in F1, you cannot do SIN(X)₱F1 as SIN(X) would be evaluated at a numerical result would be stored into F1. Instead, use QUOTE(SIN(X))₱F1 to store SIN(X) in F1.  Where Function Syntax:  Expr  Var=Value Expr  (Var1=Vallu Expr  (Var1=Vallu, Var2=Val2,} Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples:  SIN(X)   X=0, Y=0.5 (X+Y)   (X=2, Y=6) → 8  Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example:  π → 3.14159265359  Σ - Summation Syntax:  Z(expr, var, Ivalue, fivalue) Finds the sum of expr with respect to var as var goes from ivalue to fivalue in steps of 1.  Examples:  Z(X*2, X, 15) → 55  Z(X*3, X, 15) → 55  Z((X*3, X, 3, X, Y, Y, Y, 1, 1, 3, (5, 10)) → (55, 28)  ∂ - Numerical Derivative Syntax:			QUOTE(expression)
For example, if you want to store SIN(X) in F1, you cannot do SIN(X) ►F1 as SIN(X) would be evaluated an a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ►F1 to store SIN(X) in F1.  Where Function Syntax: Expr   Var=Value Expr   (Var=Val1, Var2=Val2,) Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples: SIN(X)   X=R/6 → 0.5 (X+Y)   (X=2,Y=6) → 8  Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example: π → 3.14159265359  Σ - Summation Syntax: Σ(expr, var, Ivalue, fvalue) Finds the sum of expr with respect to var as var goes from Ivalue to fvalue in steps of 1.  Examples: Σ(X'A, 1,5) → 55 Σ(('X-2', Y-3'), (X', Y'), (1,3), (5,10)) → (55,28)  ∂ - Numerical Derivative Syntax:			Returns the expression unchanged and un-evaluated.
For example, if you want to store SIN(X) in F1, you cannot do SIN(X) ►F1 as SIN(X) would be evaluated an a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ►F1 to store SIN(X) in F1.  Where Function Syntax: Expr  VareValue Expr  (Vart=Val1, Var2=Val2,) Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples: SIN(X)   X=I/6 → 0.5 (X+Y)   (X=2,Y=6) → 8  Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example: π → 3.14159265359  Σ - Summation Syntax: Z(expr, var, ivalue, fvalue) Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.  Examples: Z(X'A, Z, Y=3, I(X',Y'), I(1,3), I(5,10)) → (55,28) ∂ - Numerical Derivative Syntax:			This function is used mainly with Sto▶ in order to store a function in a function variable.
a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ►F1 to store SIN(X) in F1.  Where Function Syntax: Expr   Var=Value Expr   Var2=Val2,} Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples: SIN(X)   X=π/6 → 0.5 (X+Y)   (X=2,Y=6) → 8  Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example: π → 3.14159265359 Σ - Summation Syntax: Σ(expr, var, ivalue, fvalue) Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.  Examples: Σ(x², X, 1,5) → 55 Σ((x²-2², y²-3², (x², y²-)), (1,3), (5,10)) → (55,28)  δ - Numerical Derivative Syntax:			
Where Function Syntax:  Expr   Var=Value Expr   Var=Value Expr   Var=Val1, Var2=Val2,} Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples: SIN(X) X=π/6 > 0.5 (X+Y) (X=2,Y=6) > 8  Mathematical Constant π The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.  Example: π > 3.14159265359  Σ - Summation Syntax: Σ(expr, var, ivalue, fvalue) Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.  Examples: Σ(X*2,X,1,5) > 55 Σ(X*2*2**-Y*3*),(X*,Y*1),(1,3),(5,10)) → (55,28) δ - Numerical Derivative Syntax:			For example, if you want to store SIN(X) in F1, you cannot do SIN(X) ►F1 as SIN(X) would be evaluated and
$\begin{aligned} & \text{Syntax:} \\ & \text{Expr} \mid \text{Var=Value} \\ & \text{Expr} \mid \text{Var=Valu}, \text{Var2=Val2}, \ldots \} \\ & \text{Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables.} \\ & \text{Examples:} \\ & \text{SIN(X)} \mid X=\pi/6 \to 0.5 \\ & (X+Y) \mid (X=2,Y=6) \to 8 \end{aligned} \\ & \text{Mathematical Constant } \pi \\ & \text{The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.} \\ & \text{Example:} \\ & \pi \to 3.14159265359 \end{aligned}$ $& \Sigma = \text{Summation} \\ & \text{Syntax:} \\ & \Sigma(\text{expr, var, ivalue, fvalue}) \\ & \text{Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.} \\ & \text{Examples:} \\ & \Sigma(x^3, X, 1, 5) \to 55 \\ & \Sigma(x^3, X, 1, 5) \to 55 \\ & \Sigma(x^3, X^2, Y, Y^3, Y^2, Y^2, Y^2, Y^2, Y^2, Y^2, Y^2, Y^2$			a numerical result would be stored into F1. Instead, use QUOTE(SIN(X)) ▶ F1 to store SIN(X) in F1.
Expr  Var=Value   Expr  $Var=Value   Expr  Var=Val1, Var2=Val2, $ Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables.   Examples: $SIN(X) X=\pi/6 \rightarrow 0.5$ $(X+Y) X=2,Y=6\} \rightarrow 8$ Mathematical Constant $\pi$ The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.    Example: $\pi \rightarrow 3.14159265359$ $\Sigma$ Summation   Syntax: $\Sigma(\exp r, var, ivalue, fvalue)$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.    Examples: $\Sigma(X^2,X,1,5) \rightarrow 55$ $\Sigma(X^2,Y,2,3),(X^2,Y,3),(X,1,Y),(1,3),(5,10)) \rightarrow \{55,28\}$ $\delta$ - Numerical Derivative   Syntax:			Where Function
			Syntax:
Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of substitutions for multiple variables. Examples: $ SIN(X)    X = \pi/6 \to 0.5$ $ X+Y     X=2,Y=6 \to 8$ $ X+Y     X=2,Y=6 \to 8$ $ X+Y     X$			Expr  Var=Value
substitutions for multiple variables. Examples: $SIN(X) X=\pi/6 \to 0.5$ $(X+Y) \{X=2,Y=6\} \to 8$ $\pi$ Mathematical Constant $\pi$ The ratio of the circumference to the diameter of any circle. Internally represented as $3.14159265359$ . $Example: \pi \to 3.14159265359$ $\Sigma - Summation$ Syntax: $Z(expr, var, ivalue, fvalue)$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of $1.166666666666666666666666666666666666$			Expr  {Var1=Val1, Var2=Val2,}
substitutions for multiple variables. Examples: $SIN(X) X=\pi/6 \to 0.5$ $(X+Y) \{X=2,Y=6\} \to 8$ $\pi$ Mathematical Constant $\pi$ The ratio of the circumference to the diameter of any circle. Internally represented as $3.14159265359$ . $Example: \pi \to 3.14159265359$ $\Sigma = Summation $ Syntax: $\Sigma(\exp r, var, ivalue, fvalue)$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of $1.166666666666666666666666666666666666$			Substitutes Value for Var in Expr and evaluates the result. This command can also take a list of
Examples: $SIN(X) X=\pi/6 \to 0.5$ $(X+Y) \{X=2,Y=6\} \to 8$ $\pi$ Mathematical Constant $\pi$ The ratio of the circumference to the diameter of any circle. Internally represented as $3.14159265359$ .  Example: $\pi \to 3.14159265359$ $\Sigma - Summation$ Syntax: $\Sigma(\exp r, var, ivalue, fvalue)$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of $1$ .  Examples: $\Sigma(X^2, X, 1, 5) \to 55$ $\Sigma(\{X^2, Y, 2^2, Y, 3^2\}, \{X', Y'\}, \{1, 3\}, \{5, 10\}) \to \{55, 28\}$ $\delta - Numerical Derivative$ Syntax:			· ·
$(X+Y) \{X=2,Y=6\}\rightarrow 8$ $\pi$ $Mathematical Constant \pi$ $The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.   Example: \\ \pi \rightarrow 3.14159265359 \Sigma - Summation \\ Syntax: \\ \Sigma(expr, var, ivalue, fvalue) \\ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.   Examples: \\ \Sigma(X^2,X,1,5) \rightarrow 55 \\ \Sigma(\{X^2,X',Y',S'\},\{X',Y'\},\{1,3\},\{5,10\}) \rightarrow \{55,28\}  \delta - Numerical Derivative \\ Syntax:$			
$(X+Y) \{X=2,Y=6\}\rightarrow 8$ $\pi$ $Mathematical Constant \pi$ $The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.   Example: \\ \pi \rightarrow 3.14159265359 \Sigma - Summation \\ Syntax: \\ \Sigma(expr, var, ivalue, fvalue) \\ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.   Examples: \\ \Sigma(X^2,X,1,5) \rightarrow 55 \\ \Sigma(\{X^2,X',Y',S'\},\{X',Y'\},\{1,3\},\{5,10\}) \rightarrow \{55,28\}  \delta - Numerical Derivative \\ Syntax:$			$SIN(X) X=\pi/6 \rightarrow 0.5$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$			
The ratio of the circumference to the diameter of any circle. Internally represented as 3.14159265359.    Example: $\pi \to 3.14159265359$ $\Sigma - \text{Summation}$ Syntax: $\Sigma(\text{expr, var, ivalue, fvalue})$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.    Examples: $\Sigma(X^2, X, 1, 5) \to 55$ $\Sigma(X^2, X, 1, 5) \to $		<del></del>	
$\Sigma = \frac{\sum \text{Sumple:}}{\pi \to 3.14159265359}$ $\Sigma = \frac{\sum \text{Summation}}{\sum \text{Syntax:}}$ $\Sigma(\exp p, \text{ var, ivalue, fvalue})$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1. $E \times \exp S = \frac{\sum (X^2, X, 1, 5) \to 55}{\sum (X^2, X^2, Y, Y^2, Y^2, Y^2, Y^2, Y^2, Y^2, Y^2$		The state of the s	
$\begin{array}{c} \pi \to 3.14159265359 \\ \Sigma \\ $			The ratio of the cheanine ence to the diameter of any circle. Internally represented as 3.14139205359.
$\begin{array}{c} \pi \to 3.14159265359 \\ \Sigma \\ $			Example:
$\Sigma - \text{Summation}$ Syntax: $\Sigma(\text{expr, var, ivalue, fvalue})$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1. $\text{Examples:}$ $\Sigma(X^2, X, 1, 5) \to 55$ $\Sigma(\{X^2', Y, 2'', Y, 2''\}, \{X', Y''\}, \{1, 3\}, \{5, 10\}\}) \to \{55, 28\}$ $\delta - \text{Numerical Derivative}$ Syntax:			
$\begin{array}{c} Syntax: \\ \Sigma(expr,  var,  ivalue,  fvalue) \\ Finds  the  sum  of  expr  with  respect  to  var  as  var  goes  from  ivalue  to  fvalue  in  steps  of  1. \\ \\ Examples: \\ \Sigma(X^2, X, 1, 5) \rightarrow 55 \\ \Sigma(\{^{*}X^2, ^{*}, ^{*}Y^2, ^{*}\}, \{^{*}X^{, }Y^{, }\}, \{1, 3\}, \{5, 10\}\} \rightarrow \{55, 28\} \\ \\ \eth \qquad \qquad \qquad \eth  \text{O - Numerical Derivative} \\ Syntax: \\ \\ \end{array}$		7	
$\Sigma(\text{expr, var, ivalue, fvalue})$ Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1. $\Sigma(\text{xamples:} \\ \Sigma(\text{xamples:} \\ \Sigma(\text{yamples:}		\ <sup>2</sup>	
Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.			
$ \begin{array}{c} \text{Examples:} \\ \Sigma(X^2, X, 1, 5) \to 55 \\ \Sigma(\{\{X^2, Y, 2^1\}, \{\{Y, Y^1\}, \{1, 3\}, \{5, 10\}\}\} \to \{55, 28\} \\ \partial  & \text{$\partial$ - Numerical Derivative} \\ \text{Syntax:} \end{array} $			
$\Sigma(X^{2},X,1,5) \to 55$ $\Sigma(\{[X^{2},Y,2],\{[X',Y']\},\{[1,3],\{[5,10]\}\}) \to \{[55,28]\}$ $\delta - \text{Numerical Derivative}$ Syntax:			Finds the sum of expr with respect to var as var goes from ivalue to fvalue in steps of 1.
$\Sigma(X^{2},X,1,5) \to 55$ $\Sigma(\{[X^{2},Y,2],\{[X',Y']\},\{1,3\},\{5,10\}]) \to \{55,28\}$ $\delta - \text{Numerical Derivative}$ Syntax:			
$\Sigma\{(\{'X^2,',Y^3\},\{'X,',Y'\},\{1,3\},\{5,10\}) \to \{55,28\}$ $\frac{1}{\delta} \qquad \frac{1}{\delta} - \text{Numerical Derivative}$ Syntax:			
δ - Numerical Derivative Syntax:			$\Sigma(X^2,X,1,5) \to 55$
Syntax:			$\Sigma(\{'X^2', 'Y-3'\}, \{'X', 'Y'\}, \{1,3\}, \{5,10\}) \to \{55,28\}$
Syntax:		9	ð - Numerical Derivative
			Syntax:
(5,5,7,5,7,5,6,7,5,6,7,5,7,5,7,5,7,5,7,5,			
	I	I	1

Ilp Topics  j	Tree 13217	Help Text  Numerical derivative. Returns the numerical derivative of an expression, with respect to a variable, at a given value.  Example: ∂(1/X-X,X=5) returns -1.04 in Home view and -26/25 in CAS view  This command can be used in the Symbolic view of the Function app to plot the graph of a function defined as a derivative.  F1(X)=∂(1/X-X, X=X) will plot the graph of the derivative of f(X)=1/X-X.  ∫ - Numerical Integral
j i		Example: $\partial(1/X-X,X=5)$ returns -1.04 in Home view and -26/25 in CAS view  This command can be used in the Symbolic view of the Function app to plot the graph of a function defined as a derivative.  F1(X)= $\partial(1/X-X, X=X)$ will plot the graph of the derivative of f(X)=1/X-X.
Į.		This command can be used in the Symbolic view of the Function app to plot the graph of a function defined as a derivative. F1(X)= $\partial(1/X-X, X=X)$ will plot the graph of the derivative of f(X)=1/X-X.
j j		defined as a derivative. F1(X)= $\partial(1/X-X, X=X)$ will plot the graph of the derivative of f(X)=1/X-X.
i i		F1(X)= $\partial(1/X-X, X=X)$ will plot the graph of the derivative of f(X)=1/X-X.
i		
j i		J - Numericai Integrai
i		Comptension
i		Syntax:
i		ʃ(Expr, Var, Val1, Val2)
i		Returns the integral of an expression.
i		With one expression as argument, returns the indefinite integral with respect to x. With the optional
i		second, third and fourth arguments you can specify the variable of integration and the bounds for a definite integral.
$\frac{1}{i}$		Example:
i		∫(2*X,X,0,3) → 9
		Imaginary Value
		Syntax:
		i i
		The square root of -1.
S		You can add units to numbers to make them measurements. You can also retrieve the values of many
		common physical constants. These features are available by pressing Shift Units. The following menu buttons appear:
		Menu Buttons:
		Tools: for performing certain operations on measurements
		Units: opens a menu with 18 sub-menus, each offering units from a particular domain (area, volume,
		electricity, etc.).
		Const: opens a menu with 4 sub-menus, each offering constants from a particular domain (chemistry)
		physics, quantum mechanics, etc.).
		Value: choose whether to retrieve the value of a constant or its name.
		OK: copies the selected command to the entry line
		Press the Esc key to close the menu without making a selection.
Unit Too	ols	Four tools are available for you to manipulate measurements:
		CONVERT: convert between units
		MKSA: meter, kilogram, second, ampere system
		UFACTOR: factor units
		USIMPLIFY: simplify units
CC	DNVERT	Syntax:
	DIVLEKT	CONVERT(Value Unit1, 1_Unit2)
		Converts Value Unit1 to the corresponding value in compatible Unit2.
		Example:
		CONVERT(20_m,1_ft) → 65.6167979003_ft
		Alternative: 20_m ▶_ft
MI	KSA	Convert to Metric System
		Syntax:
		MKSA(Value_Unit)
		Converts the measurement Value_Unit to its corresponding value and unit in Unit's MKSA equivalent.
		MAKEA stands for the Mater Kilogram Cocond Amnore system
		MKSA stands for the Meter-Kilogram-Second-Ampere system.
		Examples:
		MKSA(32_yd) → 29.2608_m
		MKSA(75_mph) →33.528_m/s
		$MKSA({33\_(cm),4\_(yd^3)}) \rightarrow {0.33\_m,3.05821943194\_(m^3)}$
UF	FACTOR	Unit factor conversion
		Syntax:
		UFACTOR(Value_Unit1, 1_Unit2)
		Converts a measurement using a compound unit into a measurement expressed in constituent units.
		Franchis A Coulomb Constraint Control of Con
		Example: A Coulomb—a measure of electric charge—is a compound unit derived from the SI base units  Ampere and second: 1.C = 1.A * 1.s. Using UEACTOR, you can express a measurement in Coulombs as a
		Ampere and second: 1 C = 1 A * 1 s. Using UFACTOR, you can express a measurement in Coulombs as a product of Amperes and time.
		Examples:
		UFACTOR(100_C,1_A) → 100_A*s
		UFACTOR(100_C,1_min) → 1.6666666667_min*A
110	SIMPLIFY	Unit Simplification
	JUAN EU I	Syntax:
		USIMPLIFY(Value_Unitsexpr)
		Simplifies Value in a complex unit expression Unitsexpr to an equivalent value in a simpler unit expressi
		Example: a Joule is defined as 1 kg*m²/s².
		USIMPLIFY(5_kg*1_m²/1_s²) $\rightarrow$ 5_J
1		Units Menu
Linita		
Units		Press Shift Units to open the Units menu and then tap on the Units menu button. The menu has 18 sub-

Help Top	pics Tree 13217	Help Text
TICIP TO	13217	By adding a unit to a number you turn that number into a measurement.
		Certain arithmetic operations can be performed on measurements, even if the measurements have
		different units. (However, the units must all be consistent: all length, all volume, etc.) For example, to add
		5 cm to 2 inches:  1. Enter 5 on the entry line.
		2. Press Shift Units.
		With the Units menu open, tap Length and select cm.
		5_cm appears on the entry line. Note the underscore character.
		4. Enter + 2.
		5. Press Shift Units.
		6. With the Units menu open, tap Length and select in.
		7. Press Enter. The result is 10.08_cm.
		Note that the unit of the first entered measurement is used for the result.
		PREFIXES
		Note that the very first item on the Units menu is Prefix. Prefixes are not units, but multipliers. Choose the
	D. C	prefix you want before choosing the unit.
	Prefix	Unit Prefixes  The Units menu includes an entry that is not a unit category, namely, Prefix. Selecting this option displays a palette of prefixes.
		Y: yotta 10 <sup>24</sup>
		Z: zetta 10 <sup>21</sup> E: exa 10 <sup>18</sup>
		P: peta 10 <sup>15</sup>
		7: peta 10 <sup>12</sup>
		G: giga 10 <sup>9</sup>
		M: mega 10 <sup>6</sup>
		k: kilo 10 <sup>3</sup>
		h: hecto 10 <sup>2</sup>
		D: deca 10
		d: deci 10 <sup>-1</sup>
		c: centi 10 <sup>-2</sup>
		m: milli 10 <sup>-3</sup>
		μ: micro 10 <sup>-6</sup>
		n: nano 10 <sup>-9</sup>
		p: pico 10 <sup>-12</sup>
		f: femto 10 <sup>-15</sup>
		a: atto 10 <sup>-18</sup>
		z: zepto 10 <sup>-21</sup>
		y: yocto 10 <sup>-24</sup>
		Note: D stands for deca (more commonly abbreviated as da).
	Length	Length Units m: meter *
		m : meter * cm : centimeter (1/100 m)
		mm : millimeter (1/100 m)
		km : kilometer (1,000 m)
		au : astronomical unit (149,597,870,700 m)
		lyr : light-year (9.46052840488£15 m)
		pc : parsec (3.261563407982 lyr)
		Å : angstrom (10ε-10 m)
		fermi : fermi (10ε-15 m)
		yd : yard (3 ft)
		ft : foot (12 in)
		in : inch (2.54 cm)
		mile : mile (5,280 ft)
		fath : fathom (6 ft)
		ftUS: US survey foot (1200/3937 m)
		miUS: US survey mile (5,280 ftUS)
		rod : rod (16.5 ft)
		chain : chain (66 ft)
		nmi : nautical mile (1,852 m) mil : (1/1000 in)
		* = SI base unit
	Area	Area Units
	Ai Cu	m²: square meter
		km² : square kilometer
		cm² : square centimeter
		yd² : square yard
		ft <sup>2</sup> : square foot
		in <sup>2</sup> : square inch
		mile <sup>2</sup> : square mile
	·	

		U.L. T
Help To	pics Tree 13217	Help Text
		ha : hectare (10,000 m²)
		a : are (100 m²)
		acre : acre (43,560 ft²)
		b : barn (10ɛ-28 m²)
		miUS <sup>2</sup> : square US survey mile
	Volume	Volume Units
		m³: cubic meter
		cm³ : cubic centimeter (1E-6 m³)
		: liter (1,000 cm³)
		ml : milliliter (1 cm³)
		yd : cubic yard
		ft <sup>3</sup> : cubic foot
		in <sup>3</sup> : cubic inch
		ozfl : US fluid ounce (1/128 galUS)
		ozUK : UK fluid ounce (1/160 galUK)
		qt : US liquid quart (1/4 galUS)
		liqpt : US liquid pint (1/8 galUS)
		ptUK : UK liquid pint (1/8 galUK)
		galUS: US liquid gallon (3.785411784 l)
		galUK : UK liquid gallon (4.54609 l)
		tbsp: US tablespoon (1/2 ozfl)
		tsp: US teaspoon (1/6 ozfl)
		bu : UK bushel (≈ 2,219.36 in³)
		pk: US peck (1/4 buUS)
		bbl : Oil barrel (42 galUS)
		st: stère (1 m³)
		buUS : US bushel (≈ 2150.42 in³)
		cu : US cup (1/16 galUS)
		fbm: board foot (1/12 ft <sup>3</sup> )
	Time	Units of Time
		s:second*
		min: minute (60 s)
		h : hour (60 min)
		d : day (24 hrs.)
		yr : year (≈ 365.2422 d)
		Hz : hertz (Cycles per Second)
		* = SI base unit
	Const	
	Speed	Units of Speed
		m/s : meters per second
		cm/s : centimeters per second
		ft/s: feet per second
		kph : kilometers per hour
		km/h: kilometers per hour
		mph : miles per hour (1.609344 km/h)
		mile/h : miles per hour
		knot : knot (1 nmi/h or 1.852 km/h)
		rad/s: radians per second
		tr/min : turns per minute
		tr/s : turns per second
	Mass	Units of Mass
		kg: kilogram *
		g: gram (1/1000 kg)
		slug: slug (≈ 32.174 lb)
		lb : pound (0.45359237 kg)
		oz : ounce (1/16 lb)
		tonUK : long ton or imperial ton (2,240 lb)
		tonUS: ton or short ton (2,000 lb)
		ozt : troy ounce (31.1034768 g)
		grain : grain (1/7,000 lb)
		lbt: troy pound (≈ 373.24 g)
		u : unified atomic mass unit (1.660538921E-27 kg)
		t : tonne or metric ton (1,000 kg)
		ct : carat (0.2 g)
		mol : mole (6.0221412927E23) *
		* = SI base unit
	Acceleration	Units of Acceleration
		m/s <sup>2</sup> : meters per second per second
		ft/s²: feet per second per second
		grav : acceleration of gravity ( $\approx 32.174 \text{ ft/s}^2 \text{ or } \approx 9.81 \text{ m/s}^2$ )
1 1	T. Control of the Con	Page 100 of 2

-la Taulia Tua	Hala Taut
elp Topics Tree 13217	Help Text  Gal : galileo (1 cm/s²)
	rad/sec²: radians per second per second
Force	Units of Force
Force	kg*m/s² : kilogram meter per second per second
	N : newton (1 kg m/s²)
	dyn: dyne (1 g cm/s²)
	lbf : pound-force (4.4482216 N)
	kip : kip (1,000 lbf)
	gf : gram-force (9.80665 mN)
	pdl : poundal (1 lb ft/s²)
Energy	Units of Energy
	kg*m²/s² : (1 Joule)
	J: joule (1 kg m²/s²)
	Wh : watt Hour (3,600 J)
	kWh : kilowatt hour (3.6E6 J)
	ft*lbf: foot-pound force (≈ 1.355818 J)
	kcal : kilocalorie (4186.8 J)
	cal : calorie (4.1868 J)
	eV : electron volt (1.602177733E-19 J)
	MeV : mega-electron volt (1,000,000 eV)
	Btu : British thermal unit (1,055.05585262 J)
	erg:erg(1E-7J)
	thermEC : therm(EC) (1.05506±+8 J)
	thermUS : therm(US) (1.054804E+8 J)
	thermUK : therm(UK) (≈ 105,505,585.257 J)
	toe : tonne of oil equivalent (41,868,000,000 J)
	tec : tonne of coal equivalent (2.784£10 J)
	lep: liter of oil equivalent (35,788,320 J)
	boe : barrel of oil equivalent (6.1178632ε9 J)
Power	Units of Power
	kg*m²/s³ : (1 Watt)
	W: watt (1 kg m²/s³)
	MW : megawatt (1,000,000 W)
	hp : horsepower (745.699871582 W)
	ft*lbf/s: foot-pound-force per second (1.35581794833 W)
Pressure	Units of Pressure
	kg/m*s²: (1 Pascal)
	Pa: pascal (1 kg/m·s²)
	bar : bar (100,000 Pa)
	atm: atmosphere (101,325 Pa)
	psi: pound-force per square inch (6,894.75729317 Pa)
	torr : torr (133.322368421 Pa)
	mmHg: millimeter of mercury (133.322368421 Pa)
	inHg: inch of mercury (3,386.38815789 Pa)
The state of the s	inH20 : inch of water (248.84 Pa @ 60 °F)
Temperature	inH20 : inch of water (248.84 Pa @ 60 °F)  Temperature Scales
Temperature	
Temperature	Temperature Scales
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit
Temperature	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A: ampere (electric current) *
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A: ampere (electric current) *  V: volt (electric potential)
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A: ampere (electric current) *  V: volt (electric potential)  C: coulomb (electric charge)
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A: ampere (electric current) *  V: volt (electric potential)  C: coulomb (electric charge)  Ohm: ohm Ω (resistance)
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A: ampere (electric current) *  V: volt (electric potential)  C: coulomb (electric charge)  Ohm: ohm Ω (resistance)  F: farad (capacitance)
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A: ampere (electric current) *  V: volt (electric potential)  C: coulomb (electric charge)  Ohm: ohm Ω (resistance)  F: farad (capacitance)  Fdy: faraday (96,485.3365 C)
	Temperature Scales  °C : Celsius scale  (Freezing point of water 0 °C)  °F : Fahrenheit scale  (Freezing point of water 32 °F)  K : Kelvin scale *  (Freezing point of water 273.15 K)  °R : Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A : ampere (electric current) *  V : volt (electric potential)  C : coulomb (electric charge)  Ohm : ohm Ω (resistance)  F : farad (capacitance)  Fdy : faraday (96,485.3365 C)  Wb : weber (magnetic flux)
	Temperature Scales  °C : Celsius scale  (Freezing point of water 0 °C)  °F : Fahrenheit scale  (Freezing point of water 32 °F)  K : Kelvin scale *  (Freezing point of water 273.15 K)  °R : Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A : ampere (electric current) *  V : volt (electric potential)  C : coulomb (electric charge)  Ohm : ohm Ω (resistance)  F : farad (capacitance)  Fdy : faraday (96,485.3365 C)
	Temperature Scales  °C : Celsius scale  (Freezing point of water 0 °C)  °F : Fahrenheit scale  (Freezing point of water 32 °F)  K : Kelvin scale *  (Freezing point of water 273.15 K)  °R : Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A : ampere (electric current) *  V : volt (electric potential)  C : coulomb (electric charge)  Ohm : ohm Ω (resistance)  F : farad (capacitance)  Fdy : faraday (96,485.3365 C)  Wb : weber (magnetic flux)
	Temperature Scales  °C : Celsius scale  (Freezing point of water 0 °C)  °F : Fahrenheit scale  (Freezing point of water 32 °F)  K : Kelvin scale *  (Freezing point of water 273.15 K)  °R : Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A : ampere (electric current) *  V : volt (electric potential)  C : coulomb (electric charge)  Ohm : ohm Ω (resistance)  F : farad (capacitance)  Fdy : faraday (96,485.3365 C)  Wb : weber (magnetic flux)  H : henry (inductance)
	Temperature Scales  °C : Celsius scale  (Freezing point of water 0 °C)  °F : Fahrenheit scale  (Freezing point of water 32 °F)  K : Kelvin scale *  (Freezing point of water 273.15 K)  °R : Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A : ampere (electric current) *  V : volt (electric potential)  C : coulomb (electric charge)  Ohm : ohm Ω (resistance)  F : farad (capacitance)  Fdy : faraday (96,485.3365 C)  Wb : weber (magnetic flux)  H : henry (inductance)  mho : mho ℧ (conductance)
	Temperature Scales  °C: Celsius scale  (Freezing point of water 0 °C)  °F: Fahrenheit scale  (Freezing point of water 32 °F)  K: Kelvin scale *  (Freezing point of water 273.15 K)  °R: Rankine scale  (Freezing point of water 459.67 °R)  * = SI base unit  Electrical Units  A: ampere (electric current) *  V: volt (electric potential)  C: coulomb (electric charge)  Ohm: ohm Ω (resistance)  F: farad (capacitance)  Fdy: faraday (96,485.3365 C)  Wb: weber (magnetic flux)  H: henry (inductance)  mho: mho ℧ (conductance)  S: siemens (conductance)

Help To	pics Tree 13217	Help Text
İ	Light	Photometric Units
		cd : candela (lm/sr) *
		flam : footlambart (cd/m²)
		* = SI base unit
	Angle	Angle Units
		rad : radian (180/π degrees)
		deg : degree (π/180 radian)
		grad : gradient (1/400 turn)
		gon : gon (1/400 turn)
		arcmin : arc minute (1/60 degree)
		arcs : arc second (1/3600 degree)
		tr : turn (360 degrees)
	Viscosity	Viscosity Units
	Viscosity	m <sup>2</sup> /s : SI unit of kinematic viscosity
		P: poise dynamic viscosity (0.1 kg/m·s)
		St: stokes kinematic viscosity (1 cm²/s)
	Radiation	Radiation Units
	Natiation	Activity
		Bq : becquerel
		Ci : curie (3.7€10 Bg)
		Absorbed Dose
		Gy : gray (1 J/kg)
		rd : rad (0.1 J/kg) Equivalent Dose
		rem : roentgen equivalent man (0.01 J/kg)
		Sv: sievert (1 J/kg)
		Exposure
		R : roentgen (2.58ɛ-4 C/kg)
Cons	stants	Physical Constants
		There are 29 physical constants from the fields of math, chemistry, physics and quantum mechanics that
		you can use in calculations. Press Shift Units and tap Const to display a menu of these constants.
		Tap Value • to retrieve the value of a constant with its units.
		Tap OK or press Enter to copy the constant into the entry line.
	Math	Math Constants
	IVIACII	Euler's number
		e = 2.71828182846
		Maximum real number HP Prime is capable of representing
		MAXREAL=1.79769313486E308 (CAS View)
		MAXREAL=9.999999999£499 (Home View)
		Minimum real number (closest to zero) HP Prime is capable of representing
		MINREAL=2.22507385851E-308 (CAS View)
		MINREAL=1E-499 (Home View)
		pi π = 3.14159265359
		Imaginary value
		i = √-1
	Chemistry	Chemistry Constants
		NA : Avogadro (6.02214129E23 1/mol)
		k : Boltzmann (1.3806488ε-3 J/K)
		Vm : molar volume of ideal gas (22.413968 l/mol)
		R : molar gas (8.3144621 J/(mol K))
		StdT : standard temperature (273.15 K)
		StdP : standard pressure (101.325 kPa)
	Physics	Physics Constants
		σ : Stefan–Boltzmann (5.670373ε-8 W/(m² K⁴)
		c : speed of light (299,792,458 m/s)
		ε0 : vacuum permittivity (8.8541878176ε-12 F/m)
		μ0 : vacuum permeability (1.25663706144ε-6 H/m)
		g : acceleration of gravity (9.80665 m/s²)
		G : gravitation (6.67384ε-11 m3/(s² kg))
	Quantum	Quantum Constants
		h : Planck (6.62606957e-34 J s)
		ћ : Dirac (1.054571729ε-34 J s)
		q : electronic charge (1.602176565ε-19 C)
		me : electron mass (9.10938291E-31 kg)
		qme : q/me ratio (175,882,008,800 C/kg)
		mp : proton mass (1.672621777ε-27 kg)
		mpme : mp/me ratio (1,836.15267245)
I	T	

He	Help Topics Tree 13217		13217	Help Text
				α : fine-structure (7.2973525698ε-3)
				φ : magnetic flux quantum (2.067833758ε-15 Wb)
				F : Faraday (96,485.3365 C/mol)
				R∞: Rydberg (10,973,731.5685 1/m)
				α <sub>o</sub> : Bohr radius (5.2917721092ε-11 m)
				μB : Bohr magneton (9.27400968ε-24)
				μN : nuclear magneton (5.05078353ε-27 J/T)
				$λ_0$ : photon wavelength (1.2398419292ε-6 m)
				f <sub>o</sub> : photon frequency (2.41798934961£14 Hz)
				λc : Compton wavelength (2.4263102389ε-12 m)
Varia	bles			Variables are named references to objects (such as function definitions, numbers, matrices, the results of
				calculations, and the like). Some are built-in and cannot be deleted. But you can also create your own.
				Using a variable name in a formula returns the variable content (or value).
				Using a variable name as a destination in a STO (or :=) operation modifies its content (or value).
				Press the Vars key to access the variables menus. These menus are:
				• Home
				• CAS
				• App
				• User
				Catalog
				The CAS menu appears only if you have created your own variables in CAS view, or created objects in the
				Geometry app.
				The User menu appears only if you have created your own variables in Home view, or created global
				variables in a program.
				The Catalog menu opens an integrated menu of all variables currently defined on your HP Prime.
				, , , , , , , , , , , , , , , , , , , ,
				Tap the OK menu key to copy the selected variable name to the entry line or press the Esc key to back out
				of the Vars menu. In a menu of options, you can also select an entry by its number or by typing in the first
				letter or two of its name and pressing the Enter key.
	Home	e Variables		The Home variables menu lists those variables that are commonly accessed in the Home view or that
				affect the working of Home view.
		Real Variables		This menu contains the names of the real variables: A through Z and $\theta$ .
		Complex Variables		This menu contains the names of the ten complex variables: Z0 through Z9.
		List Variables		This menu contains the names of the ten list variables: L0 through L9.
		Matrix Variables		This menu contains the names of the ten matrices: M0 through M9.
		Graphics Variables		This menu contains the names of the ten graphic variables: G0 through G9.
		Home Settings Variables		Variables for Home Settings
		Home Settings variables		This menu lists the names of the variables used to control the Home settings. They are:
				This menu lists the names of the variables used to control the nome settings. They are:
				• HAngle
				HFormat
				• HDigits
				HComplex
				• Entry
				• Integer: Base
				• Integer: Bits
				• Integer: Signed
		HAngle		The Home variable HAngle is used to set the Home view angle mode.
				HAngle := 0 for Radians (default)
				HAngle := 1 for Degrees
				HAngle := 2 for Gradians
		HFormat		The Home variable HFormat controls how numbers are displayed in Home view. This variable may contain
				any integer from 0 through 5, each value having the following meaning:
				, 5
				HFormat :=0 for Standard
				HFormat :=1 for Fixed
				HFormat := 2 for Scientific
				HFormat :=3 for Engineering
				HFormat :=4 for Floating
				HFormat :=5 for Rounded
		HDigits		The Home variable HDigits controls the number of digits displayed after the decimal point when the
				number format is not Standard.
				HDigits := n, where n is an integer such that $0 \le n \le 11$ .
		HSeparator		The Home variable HSeparator is used to control the separators used in number display.
				HSeparator may contain any integer from 0 through 10 corresponding to the selected Digit Grouping on
				Home Settings Page 1.
		HComplex		The Home variable HComplex is used to control the Complex settings.
				This variable contains a two-digit integer. The units digit of HComplex controls the complex result from
				real input (1: enabled, 0: disabled)
				The tens digit controls the display of complex numbers (0: a+bi, 1: (a,b))

Help To	opics Tree 13217	Help Text
İ		Thus HComplex := 10; sets the display of complex numbers as (a,b) and blocks complex results from real
		inputs.  With the units digit of HComplex set to 0, ASIN(2) returns an error; set to 1, ASIN(2) returns
		1.57079632679-1.31695789692*i.
	Entry	Entry Variable
		Returns or sets the entry mode.
		Entry := 0 for Textbook (default)  Entry := 1 for Algebraic
		Entry := 2 for RPN
	Base	Base Variable
		Returns or sets the integer base format.
		Base := 0 for binary
		Base := 1 for octal
		Base := 2 for decimal
		Base := 3 for hexadecimal (default)
	Signed	Signed Variable
		Returns or sets the integer signed format.
		Signed := 0 for unsigned (default)
	Dita	Signed := 1 for signed  Bits Variable
	Bits	Returns or sets the integer bit size.
		Bits := x, where 1≤x≤64
	System Variables	This menu lists the names of the variables used to control the system settings or objects. They are:
	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	
		• Date
		• Time
		Notes
		• Programs
		• TOff
	Date	Date Variables
		Returns the system date in YYYY.MMDD format.
		Date:= YYYY.MMDD changes the date.
	Time	System Time Variable
		Returns the system time in DMS format. DMS format is HH°MM'SS" where HH = hours, MM = minutes,
		and SS = seconds.  Time:= HH°MM'SS" sets the time.
	Language	Language Variable
	Language	The Home variable Language controls which language is used in Home view.
		Language:= 1 for English (Default)
		Language:= 2 for Chinese
		Language:= 3 for French
		Language:= 4 for German
		Language:= 5 for Spanish
		Language:= 6 for Dutch
		Language:= 7 for Portuguese
	Netes	Language:= 8 for Japanese  Notes Variable
	Notes	The Notes variable gives access to the notes saved in the calculator.
		With no argument, Notes returns a list of the names of all the notes in the calculator.
		and the survey of the survey o
		Notes(n) returns the contents of the nth note in the calculator (1 to number of notes).
		Notes("name") returns the contents of the note called name.
		This command can also be used to define, redefine, or clear a note.
		Notes(n):="string" sets the value of note n. If the string is empty, the note is erased.
		Similarly, Notes("name"):="string" sets the value of note "name". If string is empty, the note is erased. If there is no note called "name", creates it with string as content.
		•
	Programs	Programs Variable
		The Programs variable gives access to the programs saved in the calculator.  Programs returns the list of the pames of all the programs in the calculator.
		Programs returns the list of the names of all the programs in the calculator.  Programs(n) returns the content of the nth program in the calculator (1 to number of programs)
		Trograms(n) returns the content of the nth program in the calculator (1 to number of programs)
		Programs(n):="string" sets the program source code for program n. If String is empty, erases the program
		Programs("name") returns the source of program "name".
		Programs("name"):="string" sets program "name" source code to string. If string is empty, erases the
		program. If there is no program called "name", creates it.
	TOff	Time Off Variable
		TOff contains an integer that defines the number of milliseconds until the next calculator auto shutoff.  The default is 5 minutes or #493E0h (5*50*1000 milliseconds)
		The default is 5 minutes, or #493E0h. (5*60*1000 milliseconds)
		Valid ranges are from #1388h to #3FFFFFFFh.

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	Theme	Theme Variable  Theme variable contains a list representing the current theme and the color shade as defined on Home Settings Page 2. May take a single number as input to return the indexed item from the list.
		Examples: Theme() Theme(1)
	HVars	Home Variables
		Gives access to user defined home variables.  HVars returns a list of the names of all the defined home user variables.
		HVars(n) returns the nth user-defined home variable.
		HVars("name") returns the user defined home variable with the given name.
		HVars(n or "name", 2) if the variable is a user function, returns the list of the parameters for that function; else returns 0.  HVars(n):=value stores value in the nth home user variable.
		HVars("name"):=object stores object in the home user variable called "name". If no such variable exists,
		creates it.  HVars(n or "name", 2):= {"Param1Name",, "ParamNName"} assumes that the specified user variable contains a function. Specifies what the parameters of that function are.
		HVars("name", {"param",}):='function' creates a user function called name with params as the inputs and function defined in terms of those inputs.
		Examples  HVars("Current",("V","R"}):=QUOTE(V/R) creates a user function called Current to use Ohm's Law to
	Doll-Ware	calculate the value of I (current) given the input variables V (voltage) and R (resistance).  Delete Home Variables
	DelHVars	DelHVars(n) or DelHVars("name") deletes the specified home user variable.
CAS Varia	ables	The CAS menu appears only if you have created your own variables in CAS view or created objects in the Geometry app. Objects created in the Geometry app are given a "G" prefix (such as GA, GB, etc.).
App Vari	ables	App Variables Menu App variables are variables for settings and results within a specific app. The variables are arranged by app
		For apps that yield results, each RESULTS variable can be used in an expression. For example, the Function app enables you to calculate various critical points, such as intersections, roots, extrema, and the like. If, for example, you have used the Function app to calculate the roots of a function, you could select the Root variable and press Enter. The value of the variable is retrieved. You could also include Root in an expression, such as X²-2*X+Root.
		Note that variable names are case-sensitive.
User Var Vars Cata		The User menu appears only if you have created your own variables in Home view, or created global variables in a program using the EXPORT command.  The Variables Catalog
		The Vars Catalog contains a comprehensive listing of all variables currently defined on your HP Prime.  On the right side of the Vars Catalog header is a small information icon (i). Tap the icon to see the number
		of each type of variable currently defined on your HP Prime.
Memory Mana	nger er  The Shift of the Toolbox key (Mem) takes you to the Memory Manager, which is a catalog of catalogs. All the catalogs are listed here. Tap the View menu button or press Enter to enter a selected catalog and delete objects you no longer need.  Menu Buttons:	
		Info: displays memory and storage space
		Clone: clones the current HP Prime to an attached HP Prime     Send: sends all the data of a certain category (Lists, Matrices, etc.) to an attached HP Prime
		View: opens the selected catalog
Backups		This screen lets you save, restore, or create new complete backups of your calculator.  Menu Buttons
		Restore: replace the current content of your calculator with the files from the selected backup archive
		Delete: delete the currently selected backup archive     New: open a dialog to create a new backup. By default, the word "Backup" and the current date are
Bao	ckup	provided.  Backup Calculator Memory  Syntax:
		Backup("name")  Backs up all the calculator memory under "name".
		Example:
	at a	Backup("name")
Re	store	Restore Calculator Memory  Syntax:  Restore("name")
		Restore("name")  Restore() Returns the list of all the available backups.
		Restore("name") Restores the calculator memory to the state saved under "name". The current calculator memory will be erased.
De	lBackup	Delete Calculator Backup

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	Syntax:
	DelBackup("name")
	Deletes the backup "name".
	Example:
	DelBackup("name")
Characters Menu	The Shift of the Vars key (Char) takes you to the Characters menu, which contains the extended character
	set of the HP Prime. Use the rocker wheel to select a character from the current set. Double-tap the
	character or tap Echo to add it to your current string in the input area. Add as many characters as you like
	Tap OK to enter them at the current cursor location or press Esc to drop all characters and return to the edit line.
	Menu Buttons:
	Echo: add the highlighted character to a string of one or more characters to be inserted into the current
	edit line
	More: choose from a selection of character sets, each with multiple pages of characters
	<ul> <li>▲ Page ▼: move up and down through the various pages of the current character set</li> </ul>
	OK: exit the Chars menu and paste the current string of characters into the edit line
Shortcut Palettes	Many operations and characters can be entered simply by selecting them from palettes. There is a:
	<ul> <li>Math Template palette – the Math Template key displays a palette of pre-formatted templates representing common mathematical operations and expressions, such as nth root, differentiation, and</li> </ul>
	integration (as well as vectors, matrices, and sexagesimal numbers).
	Relations palette – (Shift 6) displays Boolean and relational operators useful in mathematics and
	programming (such as greater than, not equal to, and OR).
	Special characters palette – (Shift 9) displays a palette of characters common in mathematics and     statistics (such as infinity, many and standard deviation), as well as Graph phase tars.
	statistics (such as infinity, mean, and standard deviation), as well as Greek characters
Math Template	The Math Template key displays a palette of pre-formatted templates representing common
	mathematical operations and expressions, such as nth root, differentiation, and integration (as well as
	vectors, matrices, and sexagesimal numbers).
	Either tan on the template you want, or you the recker wheel to highlight the template and proce Enter
	Either tap on the template you want, or user the rocker wheel to highlight the template and press Enter.  The template is copied to the entry line ready for you to add in the values.
	The template is copied to the entry line ready for you to dud in the values.
	Press Esc to close the palette without making a selection.
Math Template	The Math Template key displays a palette of pre-formatted templates representing common
·	mathematical operations and expressions, such as nth root, differentiation, and integration (as well as
	vectors, matrices, and sexagesimal numbers).
	Either tap on the template you want, or user the rocker wheel to highlight the template and press Enter.
	The template is copied to the entry line ready for you to add in the values.
	Press Esc to close the palette without making a selection.
Special Characters Palette	Press Shift 9 ( $!, \infty, \rightarrow$ ) to display the Special Characters palette. This palette displays many common
	mathematical symbols (such as infinity, mean, and standard deviation), as well as Greek characters.
	Press Esc to close the palette without making a selection.
	Note that a full list of characters can be displayed by pressing Shift Vars (Chars).
Relations Palette	Press Shift 6 ( $\leq$ , $\geq$ , $\neq$ ) to display the relations palette. This palette displays Boolean and relational operators
Relations Falette	useful in mathematics and programming (such as <, ==, >, AND, and OR).
	, J ( ) ( ) ( ) ( ) ( ) ( ) ( ) ( ) ( ) (
	Press Esc to close the palette without making a selection.
Keyboard	Here you can get help on any key on the keyboard and any Shift-key combination.
a_b/c	Decimal Conversions: a_b/c
	Decimal to fraction conversion
	In Home view, toggles the last entry between decimal, fraction, and mixed number forms. If a result from
	the History is selected, then it toggles the selection through these forms. Also works with lists and
	matrices.
	In CAS view, it only toggles between decimal and fractional equivalents, and adds them as new entries to
Directional Pad	the History.  The directional pad moves the cursor around the display.
	Press the Shift key first to move to the beginning, end, top, or bottom of a list or the display.
	,
	Press the ALPHA key first to jump 1 screen at a time.
	In the Plot view, with TRACE on, the rocker wheel left/right move the tracer left and right along the
	current graph. Use the rocker wheel up/down to switch to the previous or next active graph.
VION	Y T A N Kov
X,T,θ,N	X,T,θ,N Key  The X T θ N key is a tuning sid that enters the appropriate independent variable for the surrent app
	The X,T,0,N key is a typing aid that enters the appropriate independent variable for the current app.
	In the Parametric app, it enters T.
	In the Polar app, it enters $\theta$ .
	In the Sequence app, it enters N.
	In the Solve app, it enters the first variable found in the checked equation.  In all other apps, it enters X.
	I III GII VIIIEI GIVIS, II EIREIS A.
Backspace	Backspace Key

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	The Backspace key deletes the character to the left of the cursor.
	In a setup screen, such as Plot Setup, press this key to reset any field to its default value.
	In the hictory proceeding leaves delete the highlighted entry or recult
TAN	In the history, press this key to delete the highlighted entry or result.
TAN	Tangent
	Syntax:
	TAN(Value)
	Returns the tangent of Value.
	Value is interpreted as radians, degrees or gradians, depending on the setting of Angle Measure in Home Settings, CAS Settings, or Symbolic Setup.
	Example:
	TAN(45) → 1 (Degrees mode)
	TAN(1+i) → 0.27175258532+1.08392332734*i
	$TAN(\{45,0\}) \rightarrow \{1,0\} \text{ (Degrees mode)}$
	$TAN((\pi/4)_{rad}) \rightarrow 1$
x <sup>2</sup>	Square Function
	Syntax:
	Value <sup>2</sup>
	Returns the square of Value.
	Examples:
	3^2 →9
	2.4^2 → 5.76
	(2+3i)^2 →-5+12i
	$[[2,2],[3,3]]^2 \to [[10,10],[15,15]]$
	(5_m)^2 → 25_(m²)
	$\{2,4,6,8\}^2 \rightarrow \{4,16,36,64\}$
x^y	Power Function
^ '	Syntax:
	, x^y
	Returns the result of raising x to the power of y. Also accepts complex numbers.
	Examples:
	2^3 → 8
	4.5^3.2 → 123.10623351
	(2+3i)^3 → −46+9*i
	(1-2*i)^i → 2.09777264942+2.18044142399*i
	$[[1,2],[3,4]]^3 \rightarrow [[37,54],[81,118]]$
	$(10_{\text{km}})^3 \rightarrow 1000_{\text{km}}$
	{1,2,3}^4 → {1,16,81}
÷	Divide
	Syntax:
	Object1 ÷ Object2
	Returns the result of dividing Object1 by Object2.
	The objects may be numerical values or expressions that return numerical results. The objects may also
	be lists or matrices of appropriate dimensions.
	Examples:
	3/2 → 1.5
	4.6 / 2.5 → 1.84
	$(3+2*i) / (1-2*i) \rightarrow -0.2+1.6*i$
	$[[1,2,3],[4,5,6],[7,8,9]] / 4 \rightarrow [[0.25,0.5],[0.75,1]]$
	$[[1,2],[3,4]] / [[5,6],[7,8]] \rightarrow [[5,4],[-4,-3]]$
	$[[1,2],[3,4]] / \{1,2,4\} \rightarrow \{[[1,2],[3,4]],[[0.5,1],[1.5,2]],[[0.25,0.5],[0.75,1]]\}$
	$12_{((kg*m)/s^2)/4_{(m/s^2)}} \rightarrow 3_{kg}$
	$\{12,9,8\} / \{6,3,2\} \rightarrow \{2,3,4\}$
	Comma
,	Enters a separator character. The character entered depends on the selected Digit Grouping on Home
	Settings Page 1.
Numerals	Enters the numerals 0 through 9.
×	Multiply
	Syntax:
	Object1×Object2
	Returns the result of multiplying Object1 and Object2.
	The objects may be numerical values or expressions that return numerical results. The objects may also
	be lists or matrices of appropriate dimensions.
	Examples:
	$3*2 \rightarrow 6$
	$4.1*2.4 \rightarrow 9.84$
	$(3+2*i)*(1-2*i) \rightarrow 7-4i$ $(3+2*i)*(1-2*i) \rightarrow 7-4i$
	$[[1,2,3],[4,5,6],[7,8,9]] * 3 \rightarrow [[3,6,9],[12,15,18],[21,24,27]]$
	$(3+2^*i) \cdot * [[1,2],[3,4]] \rightarrow [[3+2^*i,6+4^*i],[9+6^*i,12+8^*i]]$
	$[[1,2],[3,4]] * [[5,6],[7,8]] \rightarrow [[19,22],[43,50]]$ $[[4,2],[3,4]] * [[5,6],[7,8]] \rightarrow [[19,22],[43,50]]$
	$[[1,2],[3,4]] * \{1,2,3\} \rightarrow \{[[1,2],[3,4]],[[2,4],[6,8]],[[3,6],[9,12]]\}$

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	$3_{kg^*4_{m/s^2}} \rightarrow 12_{(kg^*m)/s^2}$
	$\{1,2,3\} * \{4,5,6\} \rightarrow \{4,10,18\}$
_	Subtract
	Syntax:
	Object1 - Object2
	Returns the result of subtracting Object2 from Object1. The objects may be numerical values or
	expressions that return numerical results. The objects may also be lists or matrices of appropriate
	dimensions.
	Examples:
	3 - 2 → 1
	0.5 - 3.7 → -3.2
	$(2+5i) - (3+2i) \Rightarrow 1+3i$
	$[[1,2],[3,4]] - [[0.5,0.6],[1.5,4.1]] \rightarrow [[0.5,1.4],[1.5,-0.1]]$
	$[[1,2],[3,4]] - \{1,2,3\} \rightarrow \{[[0,1],[2,3]],[[-1,0],[1,2]],[[-2,-1],[0,1]]\}$
	$\{1\_I,20\_cm,3\_kg\}-\{4\_ozfI,5\_inch,5\_lb\} \rightarrow \{0.88170588175\_I,7.3\_cm,0.73203815\_kg\}$
+	Add
	Syntax:
	Object1 + Object2
	Returns the result of adding Object2 to Object1. The objects may be numerical values or expressions that
	return numerical results. The objects may also be lists or matrices of appropriate dimensions.
	Examples:
	3+2→5
	$0.5 + 3.7 \rightarrow 4.2$
	$(2+5i) + (3+2i) \rightarrow 5+7i$
	$[[1,2],[3,4]] + [[0.5,0.6],[1.5,4.1]] \rightarrow [[1.5,2.6],[4.5,8.1]]$
	$[[1,2],[3,4]] + \{1,2,3\} \rightarrow \{[[2,3],[4,5]],[[3,4],[5,6]],[[4,5],[6,7]]\}$
	32_tonUS+3_t → 35.3069339328_tonUS
	$\{1,2,\{1,0,1\}\}+\{5,4,3\} \to \{6,6,\{4,3,4\}\}$
	Decimal Point
	Pressing the decimal point (.) key enters the decimal mark character. The character entered depends on
	the selected Digit Grouping on Home Settings Page 1.
	If the selected Digit Grouping uses the comma as the decimal mark, press ALPHA before pressing this key
	to enter a period.
Enter	Enter Key
	Executes the expression in the entry line. Also works like the OK menu button to accept the current state
	of an input field.
Define	Create a user-defined function
	The Define dialog box allows you to define a user function without having to create a program. Simply
	enter the name of the function in the Name field and the function in the Function field.
	When you tap OK, you will be presented with a list of the variables used in the function. Check each
	variable that is an INPUT to your function, press OK and you are done. You can now use your function in
	the system.
	Example: To create the function SINCOS(A,B) = SIN(A)+COS(B)+C
	Enter SINCOS as the name, SIN(A)+COS(B)+C as the function, tap OK, check A and B and uncheck C. Now
	tap OK.  Now, on the entry line, you can type SINCOS(1,2) to calculate SIN(1)+COS(2)+C.
	If you enter the name of an existing function in the Name field, the Function field will be filled
	automatically with the function associated with that name. This will allow you to easily modify the
	definition.
	In the Define dialog box, tap Choose to see a list of all the user-defined functions. To delete a function,
	use the rocker wheel to highlight it in the list and then press the backspace key. To edit a function, just
0 1 11	select it from the list.  Degrees Minutes Seconds
	Degrees Minutes Seconds
	Decimal to sexagesimal conversion
	This Shift-key combination toggles a numerical result between decimal and sexagesimal representations.
	Any decimal result can de displayed in sexagesimal; that is, in units subdivided into groups of 60. This
	includes degrees, minutes, and seconds as well as hours, minutes, and seconds. Enter your expression in
	the Home view and then press the Shift key, followed by this key, to convert the result to sexagesimal;
	repeat to return to a decimal representation.
	During entry of any expression, this Shift key combination inserts the decree minute, and
	During entry of any expression, this Shift-key combination inserts the degree, minute, and seconds symbols (°, ', ").
EEX	EEX Key
^	The EEX key is used to enter numbers in 'exponential' notation, also known as scientific notation, scientifi
	form, standard form or standard index form.
	For HP Prime, a number in exponential notation is represented by 2 parts separated by the E character
	(corresponding to the EEX key).
	The first part, usually referred to as the mantissa, is a real number.
	The second part, usually referred to as the exponent, is an integer.
	The number represented by this notation is mantissa*10^exponent.
	Thus typing 3 EEX 5 generates 3£5 on the command line, which returns the number 300000.
	Example:
	3ε5 → 300000
	553 / 500000

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Clear		Clear Key
		The Shift-Esc (Clear) key combination clears the edit line, if active. In a field in a view, such as Plot Setu press this key to reset all fields in the view to their default values. In the display history, press this key
		delete all entries and results in the history.
		delete an entres and results in the motor y
e^x		Exponential Function
		Syntax:
		e^Value
		e^(Expr)
		The Shift LN (e^x) key combination is the exponential function; it returns e raised to the power of Value
		Example:
		e^1 → 2.71828182846
V		Square Root
		Syntax:
		vValue or v(Expr)
		The Shift x <sup>2</sup> (v) key combination is the square root function and returns the positive square root of Va
		or the positive square root of the numerical result of Expr.
		Examples:
		√9 → 3
		√3 → 1.73205080757
		$\sqrt{(2+3i)} \rightarrow 1.67414922804+0.89597747613*i$
		√[[10,10],[15,15]] → [[2,2],[3,3]]
		$\sqrt{(9_{(km^2)})} \rightarrow 3_{km}$
		$\vee \{9,4,36,81\} \to \{3,2,6,9\}$
Conv		Press Shift View (Copy) to copy the highlighted value, expression, text, or object to the clipboard.
Сору		
Paste		Press Shift Menu (Paste) to open the Paste clipboard.
		Once the clipboard is open, you can scroll to highlight an object. Tap the OK menu key or press Enter t
		paste the highlighted object into the edit line at the cursor position or into a selected field in an input
		form.
		Press the Esc key to close the clipboard without pasting anything.
		Menu Buttons:
		Show: displays the selected item full-screen using textbook format
		Clear: clears all items in the clipboard
		Delete: deletes the selected item from the clipboard
		OK: pastes the selected item into the edit line at the cursor position or into a selected field in an inp
		form
x <sup>-1</sup>		Inverse
		Syntax:
		Object <sup>-1</sup>
		Returns the inverse of Object. The object may be a number, an expression that results in a numerical
		value, a list or a square matrix.
		Examples:
		2^-1 → 0.5
		4.5 <sup>-1</sup> → 0.222222222222
		$(2+4*i)^{-1} \rightarrow 0.1-0.2*i$
		$[[1,2,3],[2,0,1],[3,1,2]]^{-1} \rightarrow [[-1/3,-1/3,2/3],[-1/3,-7/3,5/3],[2/3,5/3,-4/3]]$
		$(42.3\_(m/s^2))^{-1} \rightarrow 2.36406619385\epsilon - 2\_(s^2/m)$
		$\{1/3,4/5,1/6\}^{-1} \to \{3,5/4,6\}$
4		Angle
		Syntax:
		Value1 ₄ Value2
		≰: Angle of a complex number in polar mode.
		Enters the angle symbol. Used to enter complex numbers in polar form. With a complex number in An
		and in the display as the last result, press this key to toggle between polar and rectangular forms of the
		complex number.
Base		Base Key
		The Base key enters the character # in the edit field, unless the currently selected item (or most recen
		result) is an integer, in which case the Edit Integer screen is displayed.
		In the Edit Integer dialog box, the Was field at the top shows the original integer you selected in Home
		view. The Out field shows the edited integer. Both integers are initially displayed in the default base as
		specified in Home Settings Page 1.

p Topics Tree	
i e e e e e e e e e e e e e e e e e e e	13217 Help Text
	The 16 field is the hexadecimal representation of Out.
	The 10 field is the decimal representation of Out.
	The box below the decimal value shows the 64 bit binary (bit) representation of Out.
	Changing the value by any of the following methods updates the value of Out and all representations:
	• Shift the integer left or right. Bits shifted off either end are lost.
	- Drag the screen left or right to shift by 1 bit in the corresponding direction
	- Rocker wheel left/right to shift 1 bit
	- Alpha rocker wheel right/left to shift by 4 bits (1 nibble)
	- Shift rocker wheel right/left shifts by 8 bits (one byte)
	Change word size (number of bits) of the integer
	- Drag the screen down/up to increase/decrease by 1
	- Press rocker wheel up/down to increase/decrease by 1
	- Alpha rocker wheel up/down to increase/decrease by 4 (1 nibble)
	- Shift rocker wheel up/down to increase/decrease by 8 (one byte)
	• Change sign of the integer: Press +/- key
	• Cycle through base settings (system, hex, decimal, octal and binary): + and – keys
	Menu Buttons:
	Reset: returns all changes to their original state
	Base: cycles through the bases; same as pressing +      Signal, translate the years signal and unsigned.
	Signed: toggles the word size between signed and unsigned
	NOT: returns the ones' complement (that is, each bit in the specified word size is inverted: 0s are
	replaced by 1s and vice versa)  • Edit: toggles edit mode. Edit mode is active if a bullet character appears on the Edit button. When Edi
	mode is active, a digit selector highlightes a single digit and you can move abut the dialog using the rock
	wheel. The hex and decimal fields can be modified, as can the bit representation, one digit at a time. A
	change in any field automatically modifies the other fields.
	OK: closes the dialog and saves your changes. If you don't want to save your changes, press Esc instea
	Validate the change in the number using OK or cancel using the Esc key.
=	Equal Key
	Syntax:
	Expr1=Expr2
	Enters the equal sign. Used to enter equations in the Solve or Advanced Graphing apps as well as in the
	CAS.
	Other uses of the equal sign:
	• The Boolean (logical) operator for equivalence is ==
	<ul> <li>The operator for greater-than-or-equal-to can be entered as &gt;=</li> </ul>
	• The operator for less-than-or-equal-to can be entered as <=
	• The assignment operator is :=
CAS	CAS Key
	Opens the Computer Algebra System (CAS).
Vars	Vars Key
1	The Vars key opens menus for you to choose variables. Home, CAS, App, and User variables can be
1	selected from these menus.
Apps	Apps Key
	FF1
	Pressing Apps opens the Application Library from where you can select an app to reset, open, or send.
Symb	
Symb	Pressing Apps opens the Application Library from where you can select an app to reset, open, or send.
Symb	Pressing Apps opens the Application Library from where you can select an app to reset, open, or send.  Symbolic View Symb Key
Symb	Pressing Apps opens the Application Library from where you can select an app to reset, open, or send.  Symbolic View Symb Key
Symb	Pressing Apps opens the Application Library from where you can select an app to reset, open, or send.  Symbolic View Symb Key Opens the Symbolic View for the active app. What you do in this view depends on the app. For instance you can define functions and open sentences, create geometric objects, set up a hypothesis test, and define statistical analyses.
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p Topics Tree	13217 Help Text
	view messages you have received via the Connectivity Kit
	The Menu key also may give you access to functions specific to your current app. For example, in
	Spreadsheet app, the menu includes such functions as SUM, AVERAGE, AMORT, etc.
Esc	Escape Key
230	Esc: Escape
	Clears the entry line or closes a menu.
	Closes a menu or pop-up window
	Closes most views and input forms
	Cancels changes in an input field being edited
( )	Parentheses
	Press ( ) to insert a pair of parentheses.
ALPHA	ALPHA Key
	Press the ALPHA key to access the text character printed in orange on the bottom right of a key.
	example, to type Z in Home view, press Alpha 2.
	When you press ALPHA, the annunciator AZ is displayed in the title bar. This indicates the next
	pressed will insert uppercase text. However, in CAS view, the annunciator az will be displayed,
	the next key will insert lowercase text.  Press Shift to change the case: the annunciator will change to indicate the case of the next chara
	Press shift to change the case: the annunctator will change to indicate the case of the next chara-
	Press ALPHA ALPHA to put the keyboard into lock mode where you can type more than one lett
	consecutively. The title bar annunciator changes to AZ indicating uppercase lock (or az in CAS).
	, , , , , , , , , , , , , , , , , , , ,
	Press Shift before the key to change case; the annunciator changes to az indicating next charac
	lowercase (AZ in CAS).
	Press Shift ALPHA to change the case of the lock; the annunciator will change from AZ to az or from a company to the company to the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the annunciator will change from AZ to az or from the case of the lock; the case of the lock is the case of the lock is the case of the lock is the case of the lock is the case of the lock is
	AZ.  Press ALPHA to leave alpha-lock. The text annunciator is cleared.
al 16:	· · · · · · · · · · · · · · · · · · ·
Shift	Shift Key
	Press Shift once to insert a blue-colored key character.
	Used in conjunction with ALPHA to enter lowercase characters.
On	On Key
	Turns on the calculator.
	Once on, the key works as an alternative Esc key. You can use it to clear the entry line or close a
	Press and hold the On key then press a second key to perform the following.
	Clear Memory : On & Apps & Esc
	Reboot : On & Symb
	• Terminal screen : On & T (÷)
	Decrease display brightness: On & -
	• Increase display brightness : On & +
	• Exam Mode screen : On & Esc or On & E (a b/c)
	· · · · ·
	Space Key
	Space: alphabetical space
	Enters a space
Sto ►	Sto ► Key
	Stores a value in a variable (that is, assigns a value to a variable). Then when you want to use that
	a calculation, you can refer to it by the variable's name.
	Example: 3 ► A stores the value 3 in the variable A
	You can access the store command by pressing Shift EEX.
Symb Setup	Symbolic Setup View
	Displays the Symbolic Setup view. This view is the same for each app. It enables you to override
	system-wide settings for angle measure, number format, and complex-number entry. The setting
	"System" indicates the system setting for that field will be used.
	The second of th
	The override applies to every function as long as the modified app is active. Switching to another
	changes the settings to match that app. Switching back to the modified app restores the settings
	Some apps have some overrides pre-set due to the nature of calculations primarily performed in
	For example, the Finance app has number format set to Fixed, 2 decimals.
Plot Setup	Plot Setup View
	Displays the Plot Setup view. This view is used primarily to modify the appearance of graphs and
	plotting environment. It is not used in apps which have no Plot view.
Num Setup	Numeric Setup View
	Displays the Numeric Setup view. This view is used primarily to specify the appearance of Numer
1 1	and to set the zoom factor.
' <b>□</b> '	Single Quotes
	Press the '\( '\) key to insert a pair of single quotation marks. Single quotes are used to enter algebrances
( )	expressions.
{ }	Braces
	{ }: Braces
	Inserts a pair of braces. Braces are used to enclose lists.
[]	Square Brackets

elp Topics Tree	13217	Help Text
		Inserts a pair of square brackets. These are used to enclose vectors and matrices.
Eval		Eval Key
		Syntax:
		EVAL(Expr)
		Evaluates the expression Expr.
		Example:
		EVAL(2+3) → 5
!,∞,→		Special Characters Palette
		Press Shift 9 ( $!,\infty,\rightarrow$ ) to display the Special Characters palette. This palette displays many common
		mathematical symbols (such as infinity, mean, and standard deviation), as well as Greek characters.
		Press Esc to close the palette without making a selection.
		Note that a full list of characters can be displayed by pressing Shift Vars (Chars).
		Relations Palette
≤,≥,≠		Press Shift 6 (≤,≥,≠) to display the relations palette. This palette displays Boolean and relational operator
		useful in mathematics and programming (such as $\leq$ , ==, $>$ , AND, and OR).
		Press Esc to close the palette without making a selection.
		Less Than
		Syntax:
		Value1 < Value2
		Tests whether or not Value1 is less than Value2. Returns 1 if true, 0 if false.
		Examples:
		2<1→0
		1.999999999999999999999999999999999999
		$75\_mph < 120\_kph \rightarrow 0$
		{5<9<18,-2<0<9<122<3} → {1,0}
		$((x+1)^*(x-2))<(x^2-x-2) \rightarrow false$
≤		Less Than or Equal To
		Syntax:
		Value1 ≤ Value2
		Tests whether or not Value1 is less than or equal to Value2. Returns 1 if true, 0 if false.
		Example: $2 \le 1 \rightarrow 0$
		Alternative: <=
>		Greater Than
		Syntax:
		Value1 > Value2
		Tests whether or not Value1 is greater than Value2. Returns 1 if true, 0 if false.
		Examples:
		2>1 → 1
		2.00000000001 > 1.9999999999 → 0
		75_mph > 120_kph → 1
		{4>2,5>3>1>0} → {1,1}
		$((x+1)^*(x-2))<(x^2-x+2) \to 1$
2		Greater Than or Equal To
-		Syntax:
		Value1 ≥ Value2
		≥ Greater than or equal to
		Tests whether or not Value1 is either greater than or equal to Value2. Returns 1 if true, 0 if false.
		Example: 3 ≥ 4 → 0
		Alternative: >=
==		Equivalence
		Syntax:
		Value1 == Value2
		Tests if Value1is equal toValue2. Returns 1 if true, 0 if false. If Value1 and Value2 are listes, returns a list
		containing 0 or 1 for each pair of items.  If two expressions are tested for equivalence, the test results are sensitive to the CAS Settings.
		and the construction of th
		If the setting Simplify is set to None, a==b checks that a and b have the same tree representation.
		If Simplify is set Maximum, the auto simplification function is called on a hand the system returns two
		If Simplify is set Maximum, the auto simplification function is called on a-b and the system returns true the result of the Simplify function on a-b is 0.
		Note: when the calculator evaluates an expression containing a test, each test is evaluated as it is
		encountered before processing rest of the expression. Therefore a compound expression such as
		A==B==C will evaluate A==B first and then compare the result of that evaluation (either 0 or 1) to C. In
		other words, there are implied parentheses around each successive argrument, so A==B==C==D is evaulated as ((A==B)==C)==D.
		Examples:
		3 == 2 → 0
		2.375 == 2+0.375 → 1
•		

Hala Ta	42247	Hale Taut
Help To	opics Tree 13217	Help Text
		$(2+5i) = = (3,2) + (-1,3) \rightarrow 1$
		$[[1,2],[3,4]] == [[3,4],[5,6]]-2 \rightarrow 1$
		${\text{"red","white","blue"}} == {\text{"red","white","black"}} \rightarrow {1,1,0}$
		$(((x+1)^*(x-2)) == (x^2-x-2)) \rightarrow 1$
		3==3==3 → 0
		(3==3)==(3==3) → 1
	≠	Not Equal To
		Syntax:
		Value1 ≠ Value2
		Tests if Value1 is not equal to Value2. Returns 1 if true, 0 if false.
		Alternative: <>
		Note: when the calculator evaluates an expression containing a test, each test is evaluated as it is
		encountered before processing rest of the expression. Therefore a compound expression such as A≠B≠C
		will evaluate A $\neq$ B first and then compare the result of that evaluation (either 0 or 1) to C. In other words, there are implied parentheses around each successive argrument, so A $\neq$ B $\neq$ C $\neq$ D is evaulated as $((A\neq B)\neq C)\neq D$ .
		Examples:
		3≠5→13≠5>1
		√25 ≠ 4 NTHROOT 625 → 0
		$(2+5i) \neq (3+2*i)*(16/13,11/13) \rightarrow 0$
		$[[1,2],[3,4]] \neq [[3,4],[5,6]] - [[2,1],[0,2]] \rightarrow 1$
		${\text{"red","white","blue"}} \neq {\text{"red","white","black"}} \rightarrow {0,0,1}$
		$180_{\text{deg}} \neq 3.14159_{\text{rad}} \rightarrow 1$
		$((x+1)*(x-2))\neq(x^2-x-2) \rightarrow \text{false}$
		$3 \neq 4 \neq 0 \neq 2 \Rightarrow 1$
		$(3 \neq 4) \neq (0 \neq 2) \rightarrow 0$
	AND	Logical AND
		Syntax:
		Value1 AND Value2
		For Real numbers, returns 1 if both Value1 and Value2 are non-zero; otherwise returns 0.
		For Integers and Strings, AND is performed bitwise, returning 1 if corresponding bits are both 1, otherwise 0.
		Examples:
		$3 \text{ AND } 2 \rightarrow 1$
		$0 \text{ AND } 1 \rightarrow 0$
		$0 \text{ AND } 0 \rightarrow 0$
		$\{3,0,0\}$ AND $\{2,1,0\} \rightarrow \{1,0,0\}$
		75 mph > 120 kph AND 180 deg $\neq$ 3.14159 rad $\rightarrow$ 1
		#CC44h AND #44CCh → #4444h
		"a" AND "b" → "`"
		$X:=0; 1 \text{ AND } (X:=3); 0 \text{ AND } (X:=5); X \rightarrow 3$
		7 > 3 AND 5 < 9 AND 3 $\neq$ 2 $\rightarrow$ 1
	NOT	
	NOT	Logical NOT
		Syntax:
		NOT Value
		For Real numbers, returns 1 if Value is zero; otherwise returns 0.  For Integers and Strings, NOT is performed bitwise, flipping all 1's to 0's and all 0's to 1's.
		Examples:
		NOT 3 → 0
		NOT 0 → 1
		A:=32; B:=2^5; NOT (A=B) $\rightarrow$ 0
		NOT #DFCA:16h $\rightarrow$ #2035:16h
		NOT #1776:160 → #176001:160
		NOT "abcdefg" → "^ ンプロレルリ" NOT ("ab" "ed") → ("^ ')" "□□")
		NOT {"ab","cd"} → {"゚ン","ワロ"}
	OR	Logical OR
		Syntax:
		Value1 OR Value2
		For Real numbers, returns 1 if either Value1 or Value2 is non-zero; otherwise returns 0.  For Integers and Strings, OR is performed bitwise, returning 1 if either corresponding bit is 1, otherwise 0.
		Examples:
		3 OR 2 → 1
		0 OR 2 → 1
		0 OR 0 → 0
		$\{3,0,0\} \text{ OR } \{2,1,0\} \to \{1,1,0\}$
		3_inch==7.62_cm OR 9_(inch <sup>2</sup> )==58.0644_(cm <sup>2</sup> ) $\rightarrow$ 1
		#CC44h OR #44CCh → #CCCCh
		Page <b>209</b> of <b>23</b> 9

lp Topics Tree	13217	Help Text
	-	"c" OR "d" $\rightarrow$ "g"
		$X:=0; 0 \text{ OR } (X:=7); 1 \text{ OR } (X:=9); X \rightarrow 7$
		$7 \le 3 \text{ OR } 5 < 9 \text{ OR } 3 \ne 2.9 + 0.1 \rightarrow 1$
XOR		Logical XOR
		Syntax:
		Value1 XOR Value2
		For Real numbers, returns 1 if either Value1 or Value2 is non-zero but not both; otherwise, returns 0.
		For Integers and Strings, XOR is performed bitwise, returning 1 if exactly one bit is 1 and the
		corresponding bit is 0, otherwise 0.
		Examples:
		3 XOR 2 → 0
		0 XOR 2 → 1
		$0 \times 0 \times 0 \rightarrow 0$
		${3,0,0} \text{ XOR } {2,1,0} \rightarrow {0,1,0}$
		$3_{\text{inch}}=7.62_{\text{cm XOR 9}_{\text{(inch}^2)}=58.0644_{\text{(cm}^2)} \rightarrow 0$
		#CC44h XOR #44CCh → #8888h
		"C" XOR "b" → "!"
		$X:=0; 0 \text{ XOR } (X:=7); 1 \text{ XOR } (X:=9); X \rightarrow 9$
		7 ≤ 3 XOR 5 < 9 XOR 3 ≠ 2.9 + 0.2 → 0
_		Underscore
		_: Underscore
		Enters the underscore character ( _ ).
CAS Settings		Displays the CAS Settings screen with various settings for you to configure how the computer algebra system works.
Del		Delete Key
		Press Shift Backspace (Del) to delete the character to the right of the cursor.
Help		Help Key
		Displays the online help. The help provided will be relevant to the screen that is open at the time you
		press this key.
		The online help also gives you help on all the keys on the keyboard. It also provides a tree of help topic
		that you can browse.  Menu Buttons:
		Tree: displays the full help tree
		Keys: puts the help system into Key mode; once in Key mode, press any keyboard key to get help on
		that key
		• ▲ Page ▼: Page up and down; press the right side to go down a page and the left side to go up a page.
		in a multi-page help script  OK: leave the help system
User		User Keyboard
Osei		Press Shift Help (User) to activate the user keyboard.
		You can assign alternative functionality to any key on the keyboard, including the functionality provide
		by the Shift and ALPHA keys. This enables you to customize the keyboard to your particular needs. Wh
		the user keyboard is active, the keyboard works as you have defined it.
		Press User once (1U appears in the title bar) to activate the user keyboard for just the next key press.
		Tress osci once (10 appears in the title bar) to detivate the aser reyboard for just the flext key press.
		Press User twice ( TU appears in the title bar) to keep the user keyboard active (locked on). Press it on
		more to deactivate it.
≈		Approximate
		≈: Numerical approximation
		Provides a numerical approximation to the selected item in the CAS history.
		Example: In CAS 1 ÷ 4 ≈ returns 0.25
ARC		
ABS		Absolute Value
		Syntax: ABS(expr) or
		ABS(matrix)
		For numerical arguments, returns the absolute value of the expression.
		For matrix arguments, returns the Frobenius (Euclidean) norm of the array.
		Examples:
		ABS(-3.14) → 3.14
		ABS([[1,2],[3,4]]) → 5.47722557505
		ABS(2-3*i) → 3.60555127546
		CAS(ABS([[1,2],[3,4]])) $\rightarrow$ V30
		Inverse Cosine
ACOS		inverse cosine
ACOS		Syntax:
ACOS		
ACOS		Syntax:
ACOS		Syntax: ACOS(Value)
ACOS		Syntax:  ACOS(Value)  Returns the inverse cosine of Value.  The output depends on the Angle Measure setting in Home Settings, CAS Settings, or Symbolic Setup.
ACOS		Syntax: ACOS(Value) Returns the inverse cosine of Value.

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		ACOS(0.833730025131-0.988897705763*i) $\rightarrow$ 1+i
		$ACOS(\{0.5,1\}) \rightarrow \{60,0\} \text{ (Degrees mode)}$
Ans		Last Answer
		Syntax:
		Ans
		In Home view, Ans returns the result of the last calculation made in Home view to its full precision. The
		variable Ans is different from the numbers in Home's history. A value in Ans is stored internally with the full precision of the calculated result, whereas the displayed numbers match the display mode. Ans(n)
		returns the nth entry in the Home view history.
		In CAS view, Ans returns the last result in the CAS history and Ans(n) does not recall the nth item in history. Here, Ans(n) will attempt to substitute n for x (or the default variable) in the last item in history
		and return the result. In CAS view, if Ans is a matrix, Ans(m,n) returns the element in row m and column
		,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
ASIN		Inverse Sine
		Syntax:
		ASIN(Value)
		Returns the inverse sine of Value.
		The output depends on the Angle Measure setting in Home Settings, CAS Settings, or Symbolic Setup.
		Example:
		ASIN(1) $\rightarrow$ 90 (Degrees mode)
		ASIN(1.29845758142+0.634963914785*i) $\rightarrow$ 1+i
		$ASIN({0.5,1}) \rightarrow {30,90} (Degrees mode)$
ATAN		Inverse Tangent
		Syntax:
		ATAN(Value)
		Returns the inverse tangent of Value.
		The output depends on the Angle Measure setting in Home Settings, CAS Settings, or Symbolic Setup.
		Example:
		ATAN(1) → 45 (Degrees mode)
		ATAN(0.27175258532+1.08392332734*i) $\rightarrow$ 1+i
		$ATAN(\{1,0\}) \rightarrow \{45,0\} (Degrees mode)$
cos		Cosine Function
		Syntax:
		COS(Value)
		Returns the cosine of Value.
		Value is interpreted as radians, degrees or gradians, depending on the setting of Angle Measure in Hom
		Settings, CAS Settings, or Symbolic Setup.
		Example:
		COS(60) → 0.5 (Degrees mode)
		$COS(1+i) \rightarrow 0.833730025131-0.988897705763*i$
		$COS(\{60,0\}) \rightarrow \{0.5,1\} \text{ (Degrees mode)}$
1.51		$COS((\pi/3)_rad) \rightarrow 0.4999999999999999999999999999999999999$
LN		Natural Logarithm Syntax:
		LN(value)
		Natural Logarithmic function
		Returns the logarithm of value in base e, Euler's number.
		Examples:
		$LN(1) \rightarrow 0$
		LN(2+3*i) → 1.28247467873+0.982793723247*i
		LN({0.1,1}} → {-2.30258509299,0}
LOG		General Logarithm
		Syntax:
		LOG(value, [base])
		General logarithmic function
		Returns the logarithm of value in base. By default, base=10.
		Examples:
		LOG(8) → 0.903089986992
		LOG(8,2) → 3
		LOG(2+3*i) → 0.556971676153+0.426821890855*i
		$LOG(2+3*i,2) \rightarrow 1.85021985907+1.41787163075*i$
		$LOG(\{100,10\}) \rightarrow \{2,1\}$
		$LOG(\{8,27,10000\},\{2,3,10\}) \rightarrow \{3,3,4\}$
+/-		Negative
		Syntax:
		- Value or - Expression
		Unary minus.

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n√	Nth Root Key
-	Syntax:
	Value1 v Value2
	NTHROOT: the nth root function
	This Shift-key combination brings up a template for the NTHROOT function. It returns the primary Value1
	root of Value2. On the keyboard, NTHROOT is represented by "V .
	Examples:
	3 NTHROOT 8 → 2
	3 NTHROOT 79.507 → 4.3
	2.3 NTHROOT 5413.44050218 → 42
	2.1 NTHROOT 3+2*i → 1.76999848019+0.508973095403*i
	$(1.2-0.5*i)$ NTHROOT $(0.2+4*i) \rightarrow 0.137162958212+1.70241905473*i$
	3 NTHROOT $\{27,8,64\} \rightarrow \{3,2,4\}$
CINI	Sine
SIN	
	Syntax:
	SIN(Value)
	Returns the sine of Value.
	Value is interpreted as radians, degrees or gradians, depending on the setting of Angle Measure in Home
	Settings, CAS Settings, or Symbolic Setup. Example:
	$SIN(30) \rightarrow 0.5$ (Degrees mode)
	$SIN(1+i) \rightarrow 1.29845758142+0.634963914785*i$
	$SIN({30,90}) \rightarrow {0.5,1} (Degrees mode)$
	$SIN((\pi/6)_{rad}) \rightarrow 0.5$
Math Template	The Math Template key displays a palette of pre-formatted templates representing common
	mathematical operations and expressions, such as nth root, differentiation, and integration (as well as
	vectors, matrices, and sexagesimal numbers).
	Either tap on the template you want, or user the rocker wheel to highlight the template and press Enter.
	The template is copied to the entry line ready for you to add in the values.
	Press Esc to close the palette without making a selection.
Math Chars	Press Shift 9 to open a menu of commonly used mathematical symbols and Greek characters. All of these
	characters can also be found by pressing Shift Vars (Chars).
iteger Arithmetic	You can perform integer arithmetic in four bases: decimal (base 10), binary (base 2), octal (base 8), and
	hexadecimal (base 16). For example, you could multiply 4 in base 16 by 71 in base 8 and the answer is E4 in base 16. This is equivalent in base 10 to multiplying 4 by 57 to get 228.
	in base 16. This is equivalent in base 19 to multiplying 4 by 57 to get 220.
	Indicate that you are about to engage in integer arithmetic by preceding the number with the pound
	symbol: # (press Alpha 3). Then indicate what base to use for the number by appending the appropriate
	base marker.
	d: decimal
	b: binary
	o: octal
	h: hexadecimal
	[blank]: default base
	Examples:
	#423:d
	#01101010:b
	#6537:o
	#CFF0:h
	#CFF0.II #B1D4
Change Interes B	
Change Integer Base	The calculator's default base for integer arithmetic is 16 (hexadecimal).
	To change the default base:
	1. Press Shift Home (Home settings).
	2. Choose the base you want from the Integers menu: Binary, Octal, Decimal, or Hex.
	3. The field to the right of the Integers menu is the word size field. This is the maximum number of bits
	that can represent an integer. The default value is 32, but you can change it any value between 1 and 64.
	4. If you want to allow for signed integers, select the ± option to the right of the word size field. Choosing
	this option reduces the maximum size of an integer to one bit less than the word size.
Manipulate Integers	The Base key enters the character # in the edit field, unless the currently selected item (or most recent
, ,	result) is an integer, in which case the Edit Integer screen is displayed.
	In the Edit Integer dialog box, the Was field at the top shows the original integer you selected in Home
	view. The Out field shows the edited integer. Both integers are initially displayed in the default base as specified in Home Settings Page 1.
	The 16 field is the hexadecimal representation of Out.
	The 10 field is the decimal representation of Out.
	The box below the decimal value shows the 64 bit binary (bit) representation of Out.
	Changing the value by any of the following methods updates the value of Out and all representations:
	Shift the integer left or right. Bits shifted off either end are lost.
	- Drag the screen left or right to shift by 1 bit in the corresponding direction
	Drag the server of right to shift by 1 bit in the corresponding direction

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		- Rocker wheel left/right to shift 1 bit
		- Alpha rocker wheel right/left to shift by 4 bits (1 nibble)
		- Shift rocker wheel right/left shifts by 8 bits (one byte)
		Change word size (number of bits) of the integer
		- Drag the screen down/up to increase/decrease by 1
		- Press rocker wheel up/down to increase/decrease by 1
		- Alpha rocker wheel up/down to increase/decrease by 4 (1 nibble)
		- Shift rocker wheel up/down to increase/decrease by 8 (one byte)
		Change sign of the integer: Press +/- key
		<ul> <li>Cycle through base settings (system, hex, decimal, octal and binary): + and – keys</li> </ul>
		Menu Buttons:
		Reset: returns all changes to their original state
		Base: cycles through the bases; same as pressing +
		Signed: toggles the word size between signed and unsigned
		• NOT: returns the one's complement (that is, each bit in the specified word size is inverted: a 0 is
		replaced by 1 and a 1 by 0.
		Edit: toggles edit mode. Edit mode is active if a bullet character appears on the Edit button. When Edit
		mode is active, a digit selector highlightes a single digit and you can move abut the dialog using the rocker
		wheel. The hex and decimal fields can be modified, as can the bit representation, one digit at a time. A
		change in any field automatically modifies the other fields.
		OK: closes the dialog and saves your changes. If you don't want to save your changes, press Esc instead.
		Validate the change in the number using OK or cancel using the Esc key.
List Catalog		Press Shift 7 (List) to see the List Catalog. There are ten lists available, named L1-L9 and L0.
		Healtha racker wheel up (down to calcat a list name
		Use the rocker wheel up/down to select a list name.
		Tap Edit or press Enter to edit the selected list.
		Menu Buttons:
		Edit: opens the selected list for editing in the List Editor
		Delete: deletes the contents of the highlighted list
		Send: when present, sends a list to another HP Prime
List Editor		The List Editor is designed to help you create and edit any of the lists available on the HP Prime. The
		default lists are named L1-L9 and L0.
		When you select a list, the List Editor opens. This is where you add elements to, or change elements in, a
		list. When you first open a list, it will be blank. To enter an element, just start keying it. The menu items in
		the List Editor are:
		Edit: copies the selected element to the entry line where it can be edited. This item is only visible when
		an element in the list is selected.
		More: opens a menu with options for editing the list
		Go To: jumps to a specific element in the list. Useful for very large lists.
		Go: toggles how the cursor moves when you press Enter. The options are Down, Right, and None.
		The Link Felian Mann Mann
		The List Editor More Menu
		The List Editor More menu contains the following options for editing a list:
		• Insert
		Row: Inserts a new row in the current list. The new row contains 0 as its element.
		• Delete
		Column: Deletes the contents of the current list. To delete a single element, select it and press the
		Delete key.
		• Select
		Row: Selects the current row. Once selected, the row can be copied.
		Column: Selects the current list. Once selected, the list can be copied.
		Box: Opens a dialog box to select a rectangular array defined by a starting location and a final
		location. You can also tap and hold on a cell to start selection, then drag to select a rectangular array of
		elements. Once selected, the array can be copied.
		Swap Ends: Swaps the starting and ending cells for the selected rectangular array of cells.
		Selection: Toggles selection mode on and off. You can also tap and hold on a cell, then drag to select.
		• Swap
		Column: Swaps the contents of two columns (lists).
		Type in the first entry in the list and press the Enter key. Continue until you have completed the list. When
		you have completed the list you can return to the List Catalog.
		In programs or Home view, you can reference your list by name (L1, L2, etc.) to perform operations on your new list. Use the rocker wheel left/right to scroll through all ten lists once you are in the List Editor.
Matrix Catalog		Press Shift 4 (Matrix) to enter the Matrix Catalog.
I Catalog		
		There are ten matrices available, named M1-M9 and M0.
		Menu Buttons:
		Edit: opens the selected matrix for editing in the Matrix Editor
		Delete: deletes the contents of the selected matrix
		Vect: changes a matrix into a vector
		Send: when present, sends a matrix to another HP Prime

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Matrix Editor		When you select a matrix, the Matrix Editor opens. The menu items in the Matrix Editor are:
		• Edit: copies the selected element to the entry line where it can be edited. This item is only visible when an element in the matrix or vector is selected.
		More: opens a menu with options for editing the matrix
		Go To: jumps to a specific element in the matrix. Useful for large matrices.
		Go: toggles how the cursor moves when you press Enter. The options are Down, Right, and None.
		The Matrix Editor More Menu
		The Matrix Editor More menu contains options similar to those in the List Editor More menu, but with an expanded offering appropriate to editing matrices. The options are as follows:
		expanded one mig appropriate to enting matrices. The options are as follows:
		• Insert
		• Row: Inserts a new row in the current matrix, above the current row. The new row contains zeroes.
		Column: Inserts a new column in the matrix, to the left of the current column. The new column
		contains zeroes.
		• Delete
		Row: Deletes the current row of the matrix.
		Column: Deletes the current column of the matrix.
		All: Deletes the contents of the matrix.
		• Select
		Row: Selects the current row. Once selected, the row can be copied.
		Column: Selects the current column. Once selected, the column can be copied.
		Box: Opens a dialog box to select a rectangular array defined by a starting location and a final
		location. You can also tap and hold on a cell to start selection, then drag to select a rectangular array of elements. Once selected, the array can be copied.
		Swap Ends: Swaps the beginning and ending cells for the selected array of cells.
		Selection: Toggles selection mode on and off. You can also tap and hold on a cell, then drag to select.
		• Swap
		Row: Swaps the contents of two rows.
		Column: Swaps the contents of two columns.
		You do not have to define the dimensions of a matrix first; just start typing in values. You can enter values
		row by row, or column by column; the Go button toggles through the options.
		As with a list you can sand a matrix to another LID Drive as reasing and from another LID Drive In
		As with a list, you can send a matrix to another HP Prime or receive one from another HP Prime. In programs or the Home view, you can reference these matrices by name to perform operations on them.
		F6
Program Catalog		Press Shift 1 (Program) to enter the Program Catalog.
		In the Program Catalog, you can view the list of existing programs, edit or run any of them, or send them
		to another HP Prime. You can also create a new program. An HP Prime program can be as simple as a single user-defined function, or it can contain a set of related functions that are exported to show up as a
		submenu in the User menu of the Toolbox menus. These functions can have their variables exported to
		show up in the User menu under the Vars key or kept local. An HP Prime program could also be a full-
		blown application in its own right. The choice is up to you.
		Menu Buttons:
		Edit: opens the highlighted program for editing in the Program Editor
		New: prompts for a new program name, then opens the Program Editor
		More: opens more menu options (Save, Rename, Sort, Delete, and Clear) for the highlighted program
		• Condi conde a program to another UD Drime that supports unit to unittime.
		Send: sends a program to another HP Prime that supports unit-to-unit connectivity     Debug: debugs the highlighted program.
		Debug: debugs the highlighted program     Run: runs the highlighted program
		Run: runs the highlighted program  Tap New to create a new program and enter a name for the program. Use the rocker wheel up/down to
		select an existing program. Tap Edit to start the Program Editor and edit an existing program.
		A program name can contain only alphanumeric characters (letters and numbers) and the underscore
		character. The first character must be a letter. For example, GOOD_NAME, RollDice, and Spin2 are valid program names.
Program Editor		Once you enter your program name and tap OK, you enter the Program Editor. Here, a template for your
		program is created. The template consists of a heading for a function with the same name as the
		program, and a BEGIN–END pair that blocks off the statements for the function.
		Menu Buttons:
		Cmds: opens a menu from which you can choose from common programming commands
		• Timple angue a manu from which you can choose from tomplates for common areasonming
		Tmplt: opens a menu from which you can choose from templates for common programming control structures
		• ▲ Page ▼: moves from page to page in a multi-page program
		Check: checks the program for syntax errors
		If you press the Menu key while in the Program Editor, you will see two new options:
		Create user key: tap this option and then press any key to paste a template into your program for
		redefining that key as a user key.
		Insert pragma: tap this option to paste a #pragma mode definition into your program. The #pragma     mode definition is of the following form:
		mode definition is of the following form:  #pragma mode( separator(), integer())
1 1		1 0 · · · · · · · · · · · · · · · · · ·

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Topics free	17617	Use the #pragma mode definition to define the set of separators used for digit grouping and the integer type. The #pragma mode definition will force the program to compile using these settings. This capability is useful for adapting a program written for a culture that uses different grouping symbols (. vs. ,) than your own.  You can type in your program letter-by-letter if you know the command names, or use the Cmds or Tmplt menus. You can also press the Toolbox key see the Toolbox menus to see more functions and commands. Once you have finished your program, you can return to the Program Catalog by pressing Shift 1 (Program). From the catalog, you can send your program to another HP Prime or receive a program from another HP Prime. Enter your program name in the Home view and press Enter to run your program.
Commands Menu		Note: the Editor saves your changes automatically when you exit the editor. If you want to save the original version of your program before you make changes, be sure to use the More button in the Program Catalog and select Save.  The Commands (Cmds) menu contains the programming commands for the HP Prime. This main menu contains the command categories, and the sub-menus contain the specific commands within each
		category. Use the rocker wheel to select a category in the main menu and then right rocker wheel to the sub-menu of commands within that category. Use the rocker wheel left/right to select the command you want within a category.
		An HP Prime program contains a sequence of commands that execute automatically to perform a task.
		Commands are separated by a semicolon (;). Commands that take multiple arguments have those arguments enclosed in parentheses and separated by a comma(,). For example,
		PIXON (xposition , yposition);
		Sometimes, command arguments are optional. If an optional argument is omitted, a default value is used in its place. Optional command arguments appear inside [square brackets]. Note that square brackets are also used for vectors, which are usually not optional!
		Programs can contain any number of subroutines (each of which is a function or procedure). Subroutines start with a heading consisting of the name, followed by parentheses and a list of parameters or arguments, separated by commas. The body of a subroutine is a sequence of statements enclosed within a BEGIN END; pair. A function can return a value using the RETURN command.
String		String Commands  This menu contains all the string manipulation commands. A string is a set of characters enclosed in double quotes; for example, "ABC", "12A", and "3-A" are all strings.
		The \ character starts an escape sequence, and the character(s) immediately following are interpreted specially, as described below.  • "": "  • \": "  • \\: \  • \0: 0  • \n" new line
		• \r: carriage return
		• \t: tab
		• \nnn: octal, as in \115 for character 77
		\xnn: hex, as in \x45 for character 69    \underline{\text{vnnnn: Unicode for character nnnn}}
		To put a new line into a string, you can also press Enter to wrap the text at that point.
REPLACE		Syntax:
		REPLACE(Object1,Start,Object2)  Replaces portion of a matrix, vector or string (Object1) starting at Start with Object2.
		For a matrix, Start is a list containing two numbers; for a vector or string it is a single number.
		Note: for strings, you can do: REPLACE("string", "sub_string", "replace_string")  Examples:
		REPLACE([[1,2,3],[4,5,6]],{1,2},[[8,8],[9,9]]) $\rightarrow$ [[1,8,8],[4,9,9]]
		$\begin{aligned} & REPLACE([10,12,23],3,[9,8,7,6]) \to [10,12,9,8,7,6] \\ & & REPLACE("Replacement","place","configure") \to "Reconfigurement" \end{aligned}$
		L1:= $\{8,9,7,3,4,6,6,8,0\}$ ; REPLACE(L1,5, $\{1,2,3,4,5\}$ ) $\rightarrow \{8,9,7,3,1,2,3,4,5\}$
ASC		Syntax: ASC(String) Returns a list containing the numerical Unicode values of String.
		Examples:
		ASC("AB") → {65,66}
		ASC("ぬ 曾 **◆ <b>3</b> ") → {677,9816,9813,9828,9830,9742}  ASC({"HE","LLO"}) → {72,69},{76,76,79}}
CHAR		Syntax:
		CHAR(List) or CHAR(Vector) or CHAR(Integer)
		Returns the string corresponding to the numerical Unicode character codes in List or Vector, or the numerical Unicode character code of Integer.
		Examples:
		CHAR(65) → "A"

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		CHAR({82,77,72}) → "RMH"
		CHAR({#261Eh,#265Eh,#266Ch,#266Dh,#2680h,#2685h}} → "☞ 🏝 ♭ 🖸 🖽"
	DIM	String Dimensions
		Syntax:
		DIM(String) or
		DIM(Matrix)
		Returns the number of characters in String or the dimensions of Matrix.
		Examples:
		DIM("12345") → 5
		$DIM([[1,2],[4,5],[7,8]]) \rightarrow \{3,2\}$
		$DIM({"12345","HP Prime"}) \rightarrow {5,8}$
	EXPR	Evaluate String
	LATE	Syntax:
		EXPR(String)
		Parses a string into a number or expression and returns the result evaluated.
		Examples:
		EXPR("2+3") → 5
		X:=90; EXPR("X+10") → 100
		$X:=90; Y:=3; EXPR(\{"X/2","2^Y"\}) \rightarrow \{45,8\}$
	INSTRING	In String
		Syntax:
		INSTRING(String1, String2)
		Returns the index of the first occurrence of String2 in String1. Returns 0 if String2 is not present in String1.
		Note that the first character in a string is position 1.
		Examples:
		INSTRING("vanilla", "van") $\rightarrow$ 1
		INSTRING("banana","na") → 3
		INSTRING("ab","abc") → 0
		INSTRING({"vanilla", "banana", "ab"},{"van", "ana", "abc"}) $\rightarrow$ {1,2,0}
	LEFT	Left Part
		Syntax:
		LEFT(String, Integer)
		Given a string and an integer n, return the first n characters of the string. If $n \ge DIM(str)$ or $n \le 0$ , returns
		the entire string.
		Example:  LEFT("MOMOGUMBO",3) → "MOM"
	LOWER	Lowercase
	LOWER	Syntax:
		LOWER(string)
		Returns string with uppercase characters converted to lowercase.
		Examples:
		LOWER("ABC") → "abc"
		LOWER("ABF") $\rightarrow$ " $\alpha\beta\gamma$ "
	MID	Middle
	IVIID	Syntax:
		MID(String, Position, [n])
		Extracts n characters from String starting at Position. If n is not specified, then MID extracts the remainder
		of String from Position.
		Examples:
		MID("MOMOGUMBO",3,5) → "MOGUM"
		MID("PUDGE",4) → "GE"
	STRINGFROMID	String From Identifier
		Syntax:
		STRINGFROMID(Integer)
		Returns the built-in string associated with the ID of the current language.
		Example:
		STRINGFROMID(1)
	ROTATE	Syntax:
		ROTATE(String, n)
		ROTATE(grob, angle, [bg_color])
		ROTATE([DestGrob], angle, SrcGrob, [dest_point])
		ROTATE([DestGrob], SrcGrob, dest_point_1, dest_point_2, dest_point_3, dest_point_4, [src_point_1,
		src_point_2, src_point_3, src_point_4]) The string form of ROTATE moves n characters from the beginning or end of String to the opposite end of
		String, depending on the sign of n.
		If n is positive, takes the first n characters of String and put them on the right of String.
		If n is negative, takes the last in characters and put them on the left of String.
		If ABS(n)>dim(string), returns String.
		The graphical forms of ROTATE use an angle or sets of points to rotate a graphic object (grob).
1 1 1	I .	

Help Top	ics Tree 13217	Help Text
пер тор		ROTATE(grob, angle, [bg_color])
		Rotate grob around its center by angle, grob will be resized to accommodate the extra space needed and
		that extra space will be filled by bg_color.
		If bg_color is not specified, the current background color is used.
		ROTATE([DestGrob], angle, SrcGrob, [dest_point])
		Draw SrcGrob, rotated by angle, on DestGrob with the center of SrcGrob at position dest_point (specified
		in pixels as a list of 2 numbers or a single complex number).  If DestGrob is not specified, G0 is used. If dest_point is not specified, the center of DestGrob is used.
		ROTATE([DestGrob], SrcGrob, dest_point_1, dest_point_2, dest_point_3, dest_point_4, [src_point_1,
		src_point_2, src_point_3, src_point_4])  Note: src_points and dest_points are specified in pixels as lists of 2 numbers or as complex numbers.
		If src_points are not specified, then src_point_1 is set to to the top left corner of SrcGrob, src_point_2 is set to to the top right corner of SrcGrob, src_point_3 is set to to the bottom right corner of SrcGrob, and src_point_4 is set to to the bottom left corner of SrcGrob.
		Draws the part of SrcGrob specified by the 4 src_points in the area of DestGrob specified by the 4 dest_points.
		This is done internally by subdividing the work into 2 triangles (points1, 2 and 3 and points 1, 3 and 4).  Therefore non homogenous coordinates can yield to different stretching on both triangles. It is possible to have point_1=point_2 to only work with triangles.
		Examples:
		ROTATE("12345",2) → "34512"
		ROTATE("12345",-1) → "51234"
		ROTATE("12345",6) → "12345"
		Demo_ROTATE
	RIGHT	Right Part
		Syntax:
		RIGHT(String, n)
		Returns the last n characters of the string.
		Example:
		RIGHT("MOMOGUMBO",5) → "GUMBO"
	STRING	Syntax:
		STRING(Expression, [Mode], [Precision], [Separator or {Separator, ["[DecimalPoint[Exponent[NegativeSign]]]"], [DotZero]}], [SizeLimit or {SizeLimit, [FontSize], [Bold], [Italic], [Monospaced]}]) Evaluates Expression and returns the result as a string.
		The Mode, Precision, and Separator parameters specify how numbers are displayed.
		If Mode is specified, it is:
		0: Use current setting
		1: Standard
		2: Fixed
		3: Scientific
		4: Engineering
		5: Floating
		6: Rounded
		Add 7 to this value to specify proper fraction mode and 14 for mixed fraction mode.
		Precision is either -1 for current settings or 0 to 12.
		Separator can be a number1 means use default, 0 to 10 correspond to the 11 built-in digit grouping
		choices available in home settings. OR
		Separator can be a string containing a set of digits and separators. The last digit is assumed to be the one
		just before the decimal point.  "[DecimalPoint[Exponent[NegativeSign]]]" is a string of 0 to 3 characters. The first one will be used for the
		decimal point, the second for the exponent and the last one for the negative sign.
		If DotZero is non-zero, then numbers between -1 and 1 are displayed without a leading zero (for example, .1 instead of 0.1)
		If SizeLimit is specified, the command will attempt to generate a string that fits in the given number of pixels. FontSize is used along with Bold, Italic, and Monospaced (if their value is non-zero) to estimate the maximum string length that will fit.
		The values for FontSize are:
		0=current font (default)
		1=font 10
		2=font 12 (Small)
		3=font 14 (Medium)
		4=font 16 (Large)
		5=font 18
		6=font 20
		7=font 22
		Examples:
		Current number format setting Standard:
		$STRING(3*\pi) \rightarrow "9.42477796077"$
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			Number format Fixed, 4 decimal places:
			STRING(3* $\pi$ ,2,4) → "9.4248"
	UPPER		Uppercase
			Syntax:
			UPPER(string)
			Returns string with lowercase characters converted to uppercase.
			Examples:
			UPPER("abc") → "ABC"
			UPPER("αβγ") → "ABΓ"
	Drawing		Drawing Commands
			This menu contains commands for creating simple graphic objects, such as line segments, in graphic variables. There are 10 graphic variables in the HP Prime, called G0 to G9. G0 is always the current screen graphic and is used by default if no GROB is specified for any of the drawing commands.
			G1 to G9 can be used to store temporary graphic objects (called GROBs for short) when programming applications that use graphics. Variables G1 to G9 are temporary and are cleared when the calculator turns OFF.
			There are two identical sets of functions that can be used to modify graphic variables. The first set of them work based on Cartesian coordinates using the Cartesian plane defined in the current app by the variables Xmin, Xmax, Ymin, and Ymax in the Plot setup. The rest work on absolute pixel references based on the physical display of the HP Prime. For these functions, (0,0) is the top left pixel of the GROB, and (320,1240) is the bottom right. This second set of functions—those that work with pixels—have a _P suffix
			attached to their name, as in ARC_P and LINE_P.  In many of the commands, the color used can be specified as well. Unless otherwise specified, colors are
			defined in #A8R8G8B8 format (8 bits for R, G, B and A). It is highly recommended to use the RGB function when defining colors to provide compatibility for future devices in your programs.
			If color is not specified for a drawing command, it will default to black unless otherwise specified.
	PX→C		Syntax:
			$PX \rightarrow C(x, y)$ or
			PX→C({x, y})  Transform pixel coordinates into Cartesian coordinates. Returns a list.
			Examples:
			$PX \rightarrow C(319,219) \rightarrow \{15.9,-10.9\}$ (assuming current app Plot Settings are set to default)
			$PX \rightarrow C(\{320,0\}) \rightarrow \{16,10.9\}$ (assuming current app Plot Settings are set to default)
	RGB		Syntax:
			RGB(R, G, B, [A])
			Returns an integer number that can be used as the color parameter for a drawing function. Based on Red,
			Green and Blue components values (0 to 255).
			The Alpha Channel number A runs from 0 (opaque) to 255 (transparent).
	Pixels		Pixel Commands  The commands for drawing using pixel coordinates are listed in this section.
		ARC_P	Draw Arc
		ANC_F	Syntax:
			ARC_P(G, x, y, r or {rx, ry}, [ \( \pm 1, \) 42], [border_color, [fill_color]])
			Draws a circle on GROB G, centered at (x,y), with radius r (in pixels). If r is replaced by a list {rx, ry} then
			the Arc becomes an ellipse centered at (x,y) with radius in the x dimension of rx and in the y dimension of
			ry.  If \$1 and \$2 are specified, draws an arc from \$1 to \$2 using the current angle mode.
			Example:
			Demo_ARC_P
		BLIT_P	Copy GROB
			Syntax:
			BLIT_P([trgtG], [dx1, dy1], [dx2, dy2], srcG, [sx1, sy1], [sx2, sy2], [c], [alpha])
			Copies the region of graphic srcG between point (sx1, sy1) and (sx2, sy2) into the region of trgtG between points (dx1, dy1) and (dx2, dy2). Pixels from srcG that are color c are not copied. alpha is a number from 0 (transparent) to 255 (opaque) which represent the transparency (alpha channel) of the source bitmap.
			The defaults for the optional arguments are:
			trgtG = G0
			srcG = G0
			sx1, sy1 = srcGRB top left corner
			sx2, sy2 = srcGRB bottom right corner
			dx1, dy1 = trgtGRB top left corner
			dx2, dy2 = calculated so destination area is the same as source area
			c = all pixel colors
			alpha= 255 (fully opaque)  Note: when using the c and alpha options, it is highly recommended to specify the source x/y coordinates
			in order to make sure that the system can distinguish what each parameter is.
			Example:
		DIMCDOD D	Demo_BLIT_P Size GROB
	1 1	DIMGROB_P	Size GROB

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		Syntax:
		DIMGROB_P(G, w, h, [color]) or
		DIMGROB_P(G, w, h, list)
		Sets the dimensions of GROB G to w*h. Initializes the graphic G with color or with the graphic data
		provided in list. If the graphic is initialized using graphic data, then list is a list of integers. Each integer, as seen in base 16, describes one color every 16 bits.
		Section base 16, describes one color every 16 sits.
		Colors are in A1R5G5B5 format (1 bit for alpha channel and 5 bits for R, G and B).
		Example:
		Demo_DIMGROB_P
	GETPIX_P	Get Pixel Color
		Syntax:
		GETPIX_P([G], x, y)
		Returns the color of the pixel of G with pixel coordinates (x, y).
		Examples:
		Demo_GETPIX_P
	GROBH_P	GROB Height
		Syntax:
		GROBH_P(G)
		Returns the height of the graphic object G in pixels.
		Example:
		GROBH(G0) → 240
	GROBW_P	GROB Width
		Syntax:
		GROBW_P(G)
		Returns the width of the graphic object G in pixels.
		Example:
		$GROBW\_P(G0) \to 320$
	INVERT_P	Invert GROB
	_	Syntax:
		INVERT_P([G, x1, y1, x2, y2])
		Inverts the rectangle on G defined by the diagonal points (x1, y1) and (x2, y2). The effect is reverse video.
		The following values are optional and their defaults are listed:
		x1, y1=top left corner of G
		x2, y2=bottom right corner of G
		If only one (x,y) pair is specified, it refers to the top left corner of G.
		Example:
		Demo_INVERT_P
	FILLPOLY	Draw Filled Polygon
		Syntax:
		FILLPOLY([G], {Coordinates}, Color, [Alpha])
		FILLPOLY([G], [Coordinates], Color, [Alpha])
		Fills the polygon specified by the provided Cartesian coordinates using the color provided.
		If Alpha (0 to 255) is provided, the polygon is drawn with transparency.
		Examples:
		FILLPOLY([(0,0),(1,1),(2,0),(3,-1),(2,-2)],#FF,128)
		Demo_FILLPOLY
	FILLPOLY_P	Draw Filled Polygon
	ILLFOLT_F	Syntax:
		FILLPOLY_P([G], {Coordinates}, Color, [Alpha])
		FILLPOLY_P([G], [Coordinates], Color, [Alpha])
		Fills the polygon specified by the provided pixel coordinates using the color provided.
		This the polygon specified by the provided pixer cool and test doing the cool provided.
		If Alpha (0 to 255) is provided, the polygon is drawn with transparency.
		Examples:
		FILLPOLY_P([(20,20),(120,120),(150,20),(180,150),(50,100)],#FF,128)
		Demo_FILLPOLY_P
	LINE_P	Line Drawing
		Syntax:
		LINE_P([G], x1, y1, x2, y2, [color])
		LINE_P([G],points_definition, lines_definitions, rotation_matrix or {rotation_matrix or -1, ["N"], [{eye_x,
		eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
		LINE P(G) are rotated points line definitions (actring)
		LINE_P([G],pre_rotated_points, line_definitions, [zstring])  The basic form of LINE_P draws one line between specified coordinates in the graphic using the specified
		The basic form of LINE_P draws one line between specified coordinates in the graphic using the specified
		color
		color.  The advanced form of LINE_P allows the rendering of multiple lines at a time with a potential 3D

Help Text  points_definition is either a list or a matrix of point definitions. Each p y, z and color. A valid point definition can have multiple forms. Here a c}, (x, y, #c), (x, y). lines_definitions is either a list or a matrix of line definitions. Each line p2, color and alpha. p1 and p2 are the index in the points_definition o Color is used to override the per point color definition. If you need to use -1 for the color.  Note, that {Color, [Alpha], line_1,, line_n} is also a valid form to avo	ere some examples: [x, y, z, c], {x, y, z, e is defined by 2 to 4 numbers. p1,
	provide an Alpha, but not a color,
each line. rotation_matrix is a matrix of sizes 2*2 to 3*4 which specifies the rota	
using the usual 3D or 4D geometry. {eye_x, eye_y, eye_z} defines the eye position (projection).	
{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D} is used to perform transformed objects.  Each point is rotated and translated through a multiplication by rotation the view plane using the eye position using the following equation: x=	ion_matrix. It is then projected on
eye_y.  Each line is clipped in 3D if 3D clipping data is provided.  If "N" is specified, the Z coordinates are Normalized between 0 and 25	55 after rotation provided easier
zClipping.  If zstring is provided, per pixel z clipping will happen using the z value s	string (see below).
LINE_P returns a string which contains all the transformed points. If you LINE_P multiple times in a row using the same points and transformat points_definition by this string and omitting the transformation definited transformation definition by the transformation definition by this string and the transformation definition by this string and the transformation definition by this string and the transformation definition by this string and the transformation definition by the transformation definition by this string and the transformation definition by the transformation definition by this string and the transformation definition by this string and the transformation definition by the transformation definition definit	tion, you can do so by replacing the
About ZString  TRIANGLE_P([G]) returns a string adapted for z clipping.  To use Z clipping, call TRIANGLE_P to create a Z clipping string (initialize)	zed at 255 for each pixels). You can
then call LINE_P with appropriate z (0-255) values for each of the triar draw pixels further than the already drawn pixels. ZString is automatic	ngle vertexes and LINE_P will not
Example: Demo_LINE_P	
PIXOFF_P Pixel Off Syntax:	
PIXOFF_P([G], x, y)	
Sets the color of the pixel of GROB G with coordinates (x, y) to white.  PIXON P Pixel On	
Sets the color of the pixel of GROB G with coordinates (x, y). If supplie the form aaRRGGBB. This is an RGB color with the Alpha Channel in the Channel number runs from 0 (opaque) to 255 (transparent). If no colo	he high order byte. The Alpha
Examples: PIXON_P(50,50,RGB(255,0,0))	
PIXON_P(50,50,RGB(255,0,0,128))	
RECT_P Rectangle Syntax:	
RECT_P([G], [x1, y1], [x2, y2], [Color])	
RECT_P([G], [x1, y1], [x2, y2], [edgeColor], [fillColor])	
Draws a rectangle on G, with diagonal defined by points (x1,y1) and (x perimeter and fillColor for the inside.	xz,yz), using eageColor for the
The following values are optional and their defaults are listed:  x1, y1=top left corner of G	
x2, y2=bottom right corner of G	
edgeColor=white	
fillColor=edgeColor  Note: To erase a GROB, execute RECT_P(G). To clear the screen, execute RECT_P(G).	cute RECT P().
Note: semi-transparent rectangles can be drawn by using the Alpha ch is transparent). The color can also be expressed as { color, alpha }.	hannel in the color (0 is opaque, 255
Example:	
Demo_RECT_P SUBGROB_P Copy GROB to Target	
SUBGROB_P Copy GROB to Target Syntax:	
SUBGROB_P(srcG, [x1, y1], [x2, y2], trgtG)	
Sets graphic trgtG to be a copy of the area of srcG between points (x1 (x2, y2) are not specified, then the entire graphic srcG is used. If (x1, y corner of srcG is used; if (x2, y2) is not specified, then the bottom righ	y1) is not specified, then the top left
trgtGRB can be any of the graphic variables except G0.  SUBGROB P(G1, G4) will copy G1 in G4.	
SUBGROB_P(G1, G4) WIII COPY G1 III G4.  Example:	

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	TEVTOUT D	Demo_SUBGROB_P  Draw Text
	TEXTOUT_P	Syntax:
		TEXTOUT_P(text, [G], x, y, [font], [textColor], [width], [backgroundColor])
		Draws text on graphic G at position (x, y) using font and textColor. Paints the background before drawi
		the text using color backgroundColor. If width is specified, does not draw text more than width pixels
		wide. If backgroundColor is not specified, the background is not erased.
		The sizes for font are:
		0=current font (default)
		1=font 10
		2=font 12 (Small)
		3=font 14 (Medium)
		4=font 16 (Large)
		5=font 18
		6=font 20
		7=font 22
		Returns the X coordinate at which the next character of the string should be drawn if the string had m characters
		Examples:
		TEXTOUT_P("Hello HP Prime",100,100,4,RGB(255,0,0),200,RGB(0,255,255)); FREEZE
		Demo PISERIES P
	TRIANGLE_P	Draw Triangle
	11	Syntax:
		TRIANGLE_P([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha])
		TRIANGLE_P([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha], ["ZString", z1, z2, z3])
		TRIANGLE_P([G], {x1, y1, [c1], [z1]}, {x2, y2, [c2], [z2]},{x3, y3, [c3], [z3]}, ["ZString"])
		TRIANGLE_P([G], points_definition, triangle_definitions, rotation_matrix or -1, ["N
		[{eye_x, eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
		TRIANGLE_P([G], pre_rotated_points, triangle_definitions, [zstring])
		TRIANGLE_P([G])
		The basic form of TRIANGLE_P draws one triangle between specified pixel coordinates in the graphic the specified color and transparency (0 ≤ Alpha ≤ 255). If 3 colors are specified, blends the colors in
		between the vertexes.
		The advanced form of TRIANGLE_P allows the rendering of multiple triangles at a time with a potential
		transformation of the triangles vertices. This is mostly used if you have a set of vertices and triangles a want to display them all at once (faster).
		points_definition is either a list or a matrix of point definition. Each point is defined by 2 to 4 numbers y, z and color. A valid point definition can have multiple forms. Here are a couple of example: [x, y, z, c]
		{x, y, z, c}, {x, y, #c}, {(x, y), c}, (x,y)
		triangle_definitions is either a list or a matrix of triangle definition. Each triangle is defined by 3 to 5
		numbers. p1, p2, p3, color and alpha. p1, p2 and p3 are the index in the points_definition of the 3 points.
		that define the triangle. Color is used to override the per point color definition. If you need to provide Alpha, but not a color, use -1 for the color.
		Note, that {Color, [Alpha], triangle_1,, triangle_n} is also a valid form to avoid re-specifying the sam
		color for each triangle.
		rotation_matrix is a matrix of sizes 2*2 to 3*4 which specifies the rotation and translation of the poin using usual 3/4D geometry.
		{eye_x, eye_y, eye_z} defines the eye position (projection).
		{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D} is used to perform 3D clipping on the pre-
		transformed objects.
		Each point is rotated and translated through a multiplication by the rotation_matrix. It is then project
		on the view plan using the eye position using the following equation: x=eye_z/z*x-eye_x and y=eye_z, eye_y.
		Each triangle is clipped in 3D if 3D clipping data is provided.
		If "N" is specified, the Z coordinates are Normalized between 0 and 255 after rotation provided easier
		clipping.
		If zstring is provided, per pixel z clipping will happen using the z value string (see below).
		TRIANGLE_P returns a string which contains all the transformed points. If you plan to call TRIANGLE_P
		LINE_P multiple times in a row using the same points and transformation, you can do so by replacing points_definition by this string and omitting the transformation definition in subsequent calls to
		TRIANGLE_P and LINE_P.
		About zstring
		TRIANGLE_P([G]) returns a string adapted for z clipping.
		To use Z clipping, call TRIANGLE_P to create a Z clipping string (initialized at 255 for each pixels). You c
		then call TRIANGLE_P with appropriate z (0-255) values for each of the triangle vertexes and TRIANGL will not draw pixels further than the already drawn pixels. zstring is automatically updated as appropri
		Examples:
		TRIANGLE_P(0,20,150,50,100,100,#FFh,#FF00h,#FF0000h,128); FREEZE
		Demo_TRIANGLE_P
		Demo_Tetrahedron_P
	1	

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		The commands for drawing using Cartesian coordinates are listed in this section.
	TRIANGLE	Draw Triangle
		Syntax:
		TRIANGLE([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha])
		TRIANGLE([G], x1, y1, x2, y2, x3, y3, c1, [c2, c3], [Alpha], ["ZString", z1, z2, z3])
		TRIANGLE([G], {x1, y1, [c1], [z1]}, {x2, y2, [c2], [z2]},{x3, y3, [c3], [z3]}, ["ZString"])
		TRIANGLE([G], points_definition, triangle_definitions, rotation_matrix or {rotation_matrix or -1, ["N"], [{eye_x, eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
		TRIANGLE([G], pre_rotated_points, triangle_definitions, [zstring]) TRIANGLE([G])
		The basic form of TRIANGLE draws one triangle between specified pixel coordinates in the graphic using the specified color and transparency (0 ≤ Alpha ≤ 255). If 3 colors are specified, blends the colors in between the vertexes.
		The advanced form of TRIANGLE allows the rendering of multiple triangles at a time with a potential 3D transformation of the triangles vertices. This is mostly used if you have a set of vertices and triangles and want to display them all at once (faster).
		points_definition is either a list or a matrix of point definition. Each point is defined by 2 to 4 numbers: x, y, z and color. A valid point definition can have multiple forms. Here are a couple of example: [x, y, z, c],
		{x, y, z, c}, {x, y, #c}, {(x, y), c}, (x,y)
		triangle_definitions is either a list or a matrix of triangle definition. Each triangle is defined by 3 to 5 numbers. p1, p2, p3, color and alpha. p1, p2 and p3 are the index in the points_definition of the 3 points that define the triangle. Color is used to override the per point color definition. If you need to provide an Alpha, but not a color, use -1 for the color.
		Note, that {Color, [Alpha], triangle_1,, triangle_n} is also a valid form to avoid re-specifying the same color for each triangle.
		rotation_matrix is a matrix of sizes 2*2 to 3*4 which specifies the rotation and translation of the point using usual 3/4D geometry.
		{eye_x, eye_y, eye_z} defines the eye position (projection). {xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D} is used to perform 3D clipping on the pretransformed objects.
		Each point is rotated and translated through a multiplication by the rotation_matrix. It is then projected on the view plan using the eye position using the following equation: x=eye_z/z*x-eye_x and y=eye_z/z*y-
		eye_y.  Each triangle is clipped in 3D if 3D clipping data is provided.
		If "N" is specified, the Z coordinates are Normalized between 0 and 255 after rotation provided easier z clipping.  If zstring is provided, per pixel z clipping will happen using the z value string (see below).
		TRIANGLE returns a string which contains all the transformed points. If you plan to call TRIANGLE or LINE multiple times in a row using the same points and transformation, you can do so by replacing the points_definition by this string and omitting the transformation definition in subsequent calls to TRIANGLE and LINE.
		About zstring
		TRIANGLE([G]) returns a string adapted for z clipping.  To use Z clipping, call TRIANGLE to create a Z clipping string (initialized at 255 for each pixels). You can then call TRIANGLE with appropriate z (0-255) values for each of the triangle vertexes and TRIANGLE will not draw pixels further than the already drawn pixels. zstring is automatically updated as appropriate.
		Examples: TRIANGLE(0,0,5,5,5,-5,#FFh,#FF00h,#FF0000h,128); FREEZE
		Demo_TRIANGLE
	ADC	Demo_Tetrahedron  Draw Arc
	ARC	Syntax:
		ARC(G, x, y, r or {rx, ry}, [ 41, 42], [border color, [fill color]])
		Draws a circle on GROB G, centered at (x,y), with radius r (in pixels). If r is replaced by a list {rx, ry} then the Arc becomes an ellipse centered at (x,y) with radius in the x dimension of rx and in the y dimension of
		ry.  If \$1 and \$2 are specified, draws an arc from \$1 to \$2 using the current angle mode.
		Example: Demo_ARC
	BLIT	Copy GROB
	DLII	Syntax:
		BLIT([trgtG], [dx1, dy1], [dx2, dy2], srcG, [sx1, sy1], [sx2, sy2], [c], [alpha])
		Copies the region of graphic srcG between point (sx1, sy1) and (sx2, sy2) into the region of trgtG between points (dx1, dy1) and (dx2, dy2). Pixels from srcG that are color c are not copied. alpha is a number from 0 (transparent) to 255 (opaque) which represent the transparency (alpha channel) of the source bitmap.
		The defaults for the optional arguments are:
		trgtG = G0 srcG = G0
		sx1, sy1 = srcGRB top left corner
		sx2, sy2 = srcGRB bottom right corner
		dx1, dy1 = trgtGRB top left corner
		dx2, dy2 = calculated so destination area is the same as source area
1 1 1	1	

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		c = all pixel colors
		alpha= 255 (fully opaque)
		Note: when using the c and alpha options, it is highly recommended to specify the source x/y coordinates
		in order to make sure that the system can distinguish what each parameter is.
		Example:
		Demo_BLIT
	DIMGROB	Size GROB
	DIMIGROB	Syntax:
		DIMGROB(G, w, h, [color]) or
		DIMGROB(G, w, h, list)
		Sets the dimensions of GROB G to w*h. Initializes the graphic G with color or with the graphic data provided in list. If the graphic is initialized using graphic data, then list is a list of integers. Each integer, as
		seen in base 16, describes one color every 16 bits.
		Colors are in A1R5G5B5 format (1 bit for alpha channel and 5 bits for R, G and B).
		Example:
		Demo_DIMGROB
	GETPIX	Get Pixel Color
		Syntax:
		GETPIX([G], x, y)
		Returns the color of the pixel of G with Cartesian coordinates (x, y).
		Examples:
		Demo_GETPIX
	GROBH	GROB Height
	0.10211	Syntax:
		GROBH(G)
		Returns the height of the graphic object G.
		Example:
		GROBH(G0) $\rightarrow$ 24
	CRODW	GROB Width
	GROBW	Syntax:
		GROBW(G)
		Returns the width of the graphic object G.
		Example:  GROBW(G0) → 32
	IND/FDT	Invert GROB
	INVERT	
		Syntax:
		INVERT([G, x1, y1, x2, y2])
		Inverts the rectangle on G defined by the diagonal points (x1, y1) and (x2, y2). The effect is reverse video.
		The following values are optional and their defaults are listed:
		x1, y1=top left corner of G
		x2, y2=bottom right corner of G
		If only one (x,y) pair is specified, it refers to the top left corner of G.
		Example:
		Demo_INVERT
	LINE	Line Drawing
		Syntax:
		LINE([G], x1, y1, x2, y2, [color])
		LINE([G], points_definition, lines_definitions, rotation_matrix or {rotation_matrix or -1, ["N"], [{eye_x,
		eye_y, eye_z} or -1], [{xmin3D, xmax3D, ymin3D, ymax3D, zmin3D, zmax3D}]}, [zstring])
		LINE([G],pre_rotated_points, line_definitions, [zstring])
		The basic form of LINE draws one line between specified coordinates in the graphic using the specified
		color.
		The advanced form of LINE allows the rendering of multiple lines at a time with a potential 3D transformation of the points that define the line. This is mostly used if you have a set of vertices and lines
		and want to display them all at once (faster).
		points_definition is either a list or a matrix of point definitions. Each point is defined by 2 to 4 numbers: x,
		y, z and color. A valid point definition can have multiple forms. Here are some examples: [x, y, z, c], {x, y, z
		c}, {x, y, #c}, {(x, y), c}, (x,y). lines_definitions is either a list or a matrix of line definitions. Each line is defined by 2 to 4 numbers. p1,
		p2, color and alpha. p1 and p2 are the index in the points_definition of the 2 points that define the line.
		Color is used to override the per point color definition. If you need to provide an Alpha, but not a color,
		use -1 for the color.
		Note, that {Color, [Alpha], line_1,, line_n} is also a valid form to avoid re-specifying the same color for
	1	each line.
		rotation matrix is a matrix of sizes 2*2 to 3*4 which specifies the rotation and translation of the points
		rotation_matrix is a matrix of sizes 2*2 to 3*4 which specifies the rotation and translation of the points using the usual 3D or 4D geometry.
		using the usual 3D or 4D geometry.

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		Each point is rotated and translated through a multiplication by rotation_matrix. It is then projected on the view plane using the eye position according to the following equation: x=eye_z/z*x-eye_x and y=eye_z/z*y-eye_y.  Each line is clipped in 3D if 3D clipping data is provided.
		If "N" is specified, the Z coordinates are Normalized between 0 and 255 after rotation provided easier zClipping.
		If zstring is provided, per pixel z clipping will happen using the z value string (see below).  LINE returns a string which contains all the transformed points. If you plan to call TRIANGLE or LINE multiple times in a row using the same points and transformation, you can do so by replacing the points_definition by this string and omitting the transformation definition in subsequent calls to TRIANGLE and LINE.  About ZString
		TRIANGLE([G]) returns a string adapted for z clipping.  To use Z clipping, call TRIANGLE to create a Z clipping string (initialized at 255 for each pixels). You can then call LINE with appropriate z (0-255) values for each of the triangle vertexes and LINE will not draw pixels further than the already drawn pixels. ZString is automatically updated as appropriate.  Example:
	PIXOFF	Demo_LINE Pixel Off Syntax:
		PIXOFF([G], x, y)  Sets the color of the pixel of GROB G with coordinates (x, y) to white.
	PIXON	Pixel On  Syntax:  PIXON([G], x, y, [color])  Sets the color of the pixel of GROB G with coordinates (x, y). If supplied, color is a hexadecimal integer of the form aaRRGGBB. This is an RGB color with the Alpha Channel in the high order byte. The Alpha Channel number runs from 0 (opaque) to 255 (transparent). If no color is specified, black is used.
		Examples: PIXON(0,0,RGB(255,0,0)) PIXON(0,0,RGB(255,0,0,128))
	RECT	Draw Rectangle  Syntax:  RECT([G], [x1, y1], [x2, y2], [Color])
		RECT([G], [x1, y1], [x2, y2], [edgeColor],[fillColor])  Draws a rectangle on G, with diagonal defined by points (x1,y1) and (x2,y2), using edgeColor for the perimeter and fillColor for the inside.  The following values are optional and their defaults are listed:
		x1, y1=top left corner of G x2, y2=bottom right corner of G edgeColor=white fillColor=edgeColor
		To erase a GROB, execute RECT_P(G). To clear the screen, execute RECT_P().  Note: semi-transparent rectangles can be drawn by using the Alpha channel in the color (0 is opaque, 255 is transparent). The color can also be expressed as { color, alpha }.  Examples:
	SUBGROB	Demo_RECT  Copy GROB to Target  Syntax:
		SUBGROB(srcG, [x1, y1], [x2, y2], trgtG)  Sets graphic trgtG to be a copy of the area of srcG between points (x1,y1) and (x2,y2). If both (x1, y1) and (x2, y2) are not specified, then the entire graphic srcG is used. If (x1, y1) is not specified, then the top left corner of srcG is used; if (x2, y2) is not specified, then the bottom right corner of srcG is used.
		trgtGRB can be any of the graphic variables except G0.  SUBGROB(G1, G4) will copy G1 in G4.  Example:  Demo_SUBGROB
	TEXTOUT	Draw Text Syntax:  TEXTOUT(text, [G], x, y, [font], [textColor], [width], [backgroundColor])  Draws text on graphic G at position (x, y) using font and textColor. Paints the background before drawing the text using color backgroundColor. If width is specified, does not draw text more than width pixels wide. If backgroundColor is not specified, the background is not erased.
		The sizes for font are:  0=current font (default)  1=font 10  2=font 12 (Small)  3=font 14 (Medium)
		2=font 12 (Small) 3=font 14 (Medium) 4=font 16 (Large)

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				5=font 18
				6=font 20
				7=font 22
				Returns the X (in pixels, not Cartesian) coordinate at which the next character of the string should be drawn if the string had more characters  Examples:
				TEXTOUT("Hello HP Prime",-5,0,4,RGB(128,0,128),200,RGB(255,255,0)); FREEZE
				Demo_PISERIES
		ICON		ICON keyword
				Insert "ICON name hexPngFile;" in the core of a program (i.e., not in a function) to create a Named graphic to use in subsequent graphic functions such as BLIT_P(G0, "name").
				Although ICONs can be modified the intent is more as a source object.  Size of icons cannot be changed. Therefore, ICONs can not be the target of SUB and DIMGROB functions.
				ICON are recreated each time a program is reloaded from storage, so any changes made will not be permanent unlike changes in EXPORT variables.
		C→PX		Syntax:
				$C \rightarrow PX(x, y)$ or
				$C \rightarrow PX(\{x, y\})$
				Converts from Cartesian coordinates to screen coordinates.
				Examples:
				C→PX(0,0) → {160,110} (assuming current app Plot Settings are set to default)
		DD A14/A 151//		C→PX({15.9,10.9}) → {319,0} (assuming current app Plot Settings are set to default)
		DRAWMENU		Draw Button Menu Syntax
				Syntax:  DRAWMENU(string1 or graphic, string2 or graphic, string6 or graphic)
				Draws a six-button menu at the bottom of the display, with labels string1, string2,, string6, or using the
				provided graphic (G0-G9 or "icon name").  Example:
				DRAWMENU("ABC","","DEF"); FREEZE creates a menu with the first and third buttons labeled ABC and
		FREEZE		DEF, respectively. The other four menu keys are blank.  Freeze Screen
		FREEZE		Syntax:
				FREEZE
				Prevents the screen from being redrawn after the program ends. Leaves the modified display on the
				screen for the user to see.
				This command does not pause and wait for input. Rather, it prevents a redraw until any other operation (key press, screen touch, or data communication, or command) triggers the screen to be drawn.
				Example:
				FREEZE
	Mat	rix		Matrix Commands  The Matrix commands allow matrices to be manipulated from within a program. In this help section,
				matrixname refers to the name of a matrix and must be M0, M1, M2,, M9.
		ADDCOL		Add Column
				Syntax:
				ADDCOL(matrixname, vector, column_number)
				Inserts values from vector into a column before column_number in the specified matrix. The size of vector must be the same as the number of rows in the matrix matrixname.
				Examples:
				ADDCOL([[1,3],[4,6]],[2,5],2) $\rightarrow$ [[1,2,3],[4,5,6]]
				$ADDCOL([[1,3],[4,6]],\{[2,5],[3,4]\},\{2,1\}) \rightarrow \{[[1,2,3],[4,5,6]],[[3,1,3],[4,4,6]]\}$
				ADDCOL({[[1,3],[4,6]],[5,6]]},[2,5],2) $\rightarrow$ {[[1,2,3],[4,5,6]],[[1,2,9],[5,5,6]]}
		1000000		ADDCOL({[[1,3],[4,6]],[[1,9],[5,6]]},{[2,5],[3,4]},{2,1}) $\rightarrow$ {[[1,2,3],[4,5,6]],[[3,1,9],[4,5,6]]}
		ADDROW		Add Row
				Syntax: ADDROW(matrixname, vector, row_number)
				Inserts values from vector into a row before row_number in the specified matrix.
				The size of vector must be the same as the number of columns in the matrix matrixname.
				Examples:
				ADDROW([[1,2],[5,6]],[3,4],2) $\rightarrow$ [[1,2],[3,4],[5,6]]
				ADDROW([[1,2],[5,6]],{[3,4],[2,5]},2) \rightarrow \{[[1,2],[3,4],[5,6]],[[1,2],[2,5],[5,6]]\}
				ADDROW({[[1,3],[4,6]],[1,9],[5,6]]},[2,5],2) → {[[1,3],[2,5],[4,6]],[[1,9],[2,5],[5,6]]}
		DEL 05:		ADDROW({[[1,3],[4,6]],[[1,9],[5,6]]},{[2,5],[3,4]},{2,1}} $\rightarrow$ {[[1,3],[2,5],[4,6]],[[3,4],[1,9],[5,6]]}
		DELCOL		Delete Column
				Syntax:
				DELCOL(name, column_number)  Deletes column_column_number from_matrix_name
				Deletes column column_number from matrix name.  Example:
				Example: DELCOL([[1,2,3],[4,5,6]],2) → [[1,3],[4,6]]
				>=====[[[±/=/y],[±/y/y]]]+  / [[±/y],[±/y]]

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ПСБТОР	DELROW	Delete Row
	BELITOW	Syntax:
		DELROW(name, row_number)
		Deletes row row_number from matrix name.
		Example:
		DELROW([[1,2][3,4][5,6]],2) → [[1,3],[4,6]]
	EDITMAT	Edit Matrix
	EDITIVIAT	Syntax:
		EDITMAT(matrixvar, [title], [read only])
		EDITMAT(matrix, [title], [read only]
		Allows the user to edit or view a specified matrix. If a matrix variable is used (e.g., M0-M9), updates the
		variable when the user taps the OK menu key.
		The optional title can be either "title" or { "title", {"row names"}, {"column names"}}
		If supplied, "title" will be displayed at the top of the editor. If "row names" and "column names" are
		specified, they will be used as row and column headers in the editor.
		If read only is not 0, the user will not be able to modify the matrix, but can only view it.
		EDITMAT returns the edited matrix upon completion. If used in programming, returns to the program
		when the user taps the OK menu key.
		Example:
		EDITMAT(M1) edits matrix M1.
	REDIM	Redimension
		Syntax:
		REDIM(matrixname, size)
		Redimensions the specified matrix or vector to size. For a matrix, size is a list of two integers {n1, n2}. For
		a vector, size is a list containing one integer {n}. Existing values in the matrix are preserved. Fill values will
	CCALFARR	be zeros.
	SCALEADD	Syntax:
		SCALEADD(matrixname, value, row1, row2)
		Multiplies the specified row1 of the matrix name by value, then adds this result to the second specified row2 of the matrix matrixname.
		Examples:
		$SCALEADD([[1,2],[3,4]],3,2,1) \rightarrow [[10,14],[3,4]]$
		$SCALEADD([[1,2],[3,4]],\{3,2\},\{2,1\},\{1,1\}) \rightarrow \{[[10,14],[3,4]],[[3,6],[3,4]]\}$
	SUB	Extract Portion
		Syntax:
		SUB(object, start, end)
		Extracts a portion, of a list or matrix.
		For a matrix, start and end are two lists of two numbers ({row, col}) specifying the top left and bottom
		right of the portion to extract.
		For a vector or list, start and end are two numbers specifying the indexes of the first and last objects of the portion to extract.
		Examples:
		SUB([[1,2,1],[2,1,3],[4,2,3]],{2,1},{3,2}) → [[2,1],[4,2]]
		SUB({5,2,9,4},2,3) → {2,9}
	SWAPCOL	Swap Columns
	34741 602	Syntax:
		SWAPCOL(matrixname, column1, column2)
		Exchanges column1 and column2 in the specified matrix matrixname.
		Examples:
		$SWAPCOL([[1,2,1],[2,1,3],[4,2,3]],2,3) \rightarrow [[1,1,2],[2,3,1],[4,3,2]]$
		$SWAPCOL([[1,2,1],[2,1,3],[4,2,3]],\{1,2\},\{3,3\}) \rightarrow \{[[1,2,1],[3,1,2],[3,2,4]],[[1,1,2],[2,3,1],[4,3,2]]\}$
		$SWAPCOL\{\{[[1,2,1],[2,1,3],[4,2,3]],[[9,8,7],[9,8,7]]\},\{1,2\},\{3,3\}\} \rightarrow \{[[1,2,1],[3,1,2],[3,2,4]],[[9,7,8],[9,7,8]]\}$
	SWAPROW	Swap Rows
	SVVAF NO VV	Syntax:
		SWAPROW(matrixname, row1, row2)
		Exchanges row1 and row2 in the specified matrix matrixname.
		Examples:
		SWAPROW([[1,2,1],[2,1,3],[4,2,3]],2,3) -→ [[1,2,1],[4,2,3],[2,1,3]]
		$SWAPROW([[1,2,1],[2,1,3],[4,2,3]),\{1,2\},\{3,3\}) \rightarrow \{[[4,2,3],[2,1,3],[1,2,1]],[[1,2,1],[4,2,3],[2,1,3]]\}$
		SWAPROW({[[1,2,1],[2,1,3],[4,2,3]],[[9,9],[6,6],[5,5],[8,8]]},{1,2},{3,3}) →
	CCALE	{[[4,2,3],[2,1,3],[1,2,1]],[[9,9],[5,5],[6,6],[8,8]]}
	SCALE	Syntax: SCALE(matriyname value row number)
		SCALE(matrixname, value, row_number)  Multiplies the specified row_number of the specified matrix by value
		Multiplies the specified row_number of the specified matrix by value.
		Examples:
		$SCALE([1,2],3,1) \rightarrow [3,6]$ $SCALE([1,2],3,1) \rightarrow [3,6]$
		SCALE([[1,2],[3,4]],3,2) → [[1,2],[9,12]]  SCALE([[1,2],[3,4]],3,2) → [[1,2],[9,12]]  SCALE([[1,2],[3,4]],3,2) → [[1,2],[9,12]]
1		$SCALE([[1,2],[3,4]],[3,2],[2,1]) \rightarrow \{[[1,2],[9,12]],[[2,4],[3,4]]\}$

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		REPLACE	Syntax:
			REPLACE(Object1,Start,Object2)
			Replaces portion of a matrix, vector or string (Object1) starting at Start with Object2.
			For a matrix, Start is a list containing two numbers; for a vector or string it is a single number.
			Note: for strings, you can do: REPLACE("string", "sub_string", "replace_string")
			Examples:
			$REPLACE([10,12,23],[4,3,0]],[1,2],[[0,0],[3,3]] \rightarrow [[1,0,0],[4,3,3]]$ $REPLACE([10,12,23],3,[9,8,7,6]) \rightarrow [10,12,9,8,7,6]$
			REPLACE("Replacement", "place", "configure") $\rightarrow$ "Reconfigurement"
			L1:={8,9,7,3,4,6,6,8,0}; REPLACE(L1,5,{1,2,3,4,5}) → {8,9,7,3,1,2,3,4,5}
	Δnn	Functions	This menu contains commands for configuring Apps from within a program.
	App	CHECK	Check (Select) Definition
		CHECK	Syntax:
			CHECK(n)
			Checks (selects) the corresponding symbolic definition field in the current app. The integer n must be between 0 and 9 for most apps. For Statistics 1-Var and Statistics 2-Var apps, n must be between 1 and 5.
			For example, CHECK(3) would check F3 if the current app is Function. Then a checkmark would appear next to F3 in Symbolic view, F3 would be plotted in Plot view, and evaluated in Numeric view.
		ISCHECK	Is Checked (Selected)
			Syntax:
			ISCHECK(n)
			Returns 1 or 0 depending if the corresponding symbolic definition field in the current app is checked or not. The integer n must be between 0 and 9 for most apps. For Statistics 1-Var and Statistics 2-Var apps, n must be between 1 and 5.
		STARTAPP	Start Application
			Syntax:
			STARTAPP("AppName")
			Starts the app AppName. The App's START function will run if present. The App's default view will be
			started. Note that the START function is always executed when the user presses the START menu key in the App Library. Also works for apps saved in the App Library.
		UNCHECK	Uncheck (Deselect) Definition Syntax:
			UNCHECK(n)
			Unchecks (deselects) the corresponding symbolic definition field in the current app. The integer n must be between 0 and 9 for most apps. For Statistics 1-Var and Statistics 2-Var apps, n must be between 1 and 5.
		VIEW	For example, UNCHECK(3) would uncheck F3 if the current app is Function.  View Keyword
		VIEW	Syntax:
			VIEW "Text" Function()
			BEGIN
			END;
			Only works in an app program.
			Allows a programmer to customize the View menu. Causes "Text" to appear when the View is pressed and
			Function to be executed when the OK menu key (or ENTER key) is pressed.
			Note that a view function can also be exported.
	Integ	ger	Integer Commands
			This menu contains commands working with integers.
		BITAND	Bitwise AND
			Syntax: BITAND(int1, int2, intn)
			Returns the bitwise logical AND of the specified integers.
			Example:
			BITAND(20,13) → 4
		BITNOT	Bitwise NOT
			Syntax:
			BITNOT(int)
			Returns the bitwise logical NOT of the specified integer.
			Example:
			BITNOT(47) → 549755813840
		BITOR	Bitwise OR
			Syntax:
			BITOR(int1, int2, intn)
			Returns the bitwise logical OR of the specified integers.
			Example:
			BITOR(9,26) → 27
		BITSL	Bitwise Shift Left
			Syntax:
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			BITSL(int1 [, int2])
			Takes one or two integers as input and returns the result of shifting the bits in the first integer to the left
			by the number of places indicated by the second integer. If there is no second integer, then the bits in the
			first integer are shifted to the left one place.
			Examples:
			BITSL(28,2) → 112
			BITSL(5) → 10
	BI <sup>-</sup>	rsr	Bitwise Shift Right
			Syntax:
			BITSR(int1 [, int2])
			Takes one or two integers as input and returns the result of shifting the bits in the first integer to the right by the number of places indicated by the second integer. If there is no second integer, then the bits in the
			first integer are shifted to the right one place.
			Examples:
			$BITSR(112,2) \rightarrow 28$ $DITSR(40) \rightarrow 5$
		FVOR	BITSR(10) → 5  Bitwise XOR
		TXOR	Syntax:
			BITXOR(int1, int2, intn)
			Returns the bitwise logical exclusive OR of the specified integers.
			Example:
			BITXOR(9,26) → 19
	B-	≻R	Base to Real
			Syntax:
			B→R(#integer[m])
			Converts an integer in base m to a decimal integer (base10).
			The base marker m can be b (for binary), o (for octal), or h (for hexadecimal). If m is omitted, the current
			system base is assumed.  Examples:
			B→R(#1101b) → 13
			B→R(#1101) $\rightarrow$ 4353 (If system base is hexadecimal)
			B→R({#101h,#101o,#101b}) → {257,65,5}
	GE	TBASE	Get Base
			Syntax:
			GETBASE(#integer[m])
			Returns the base number for integer with base marker m. The base number is used by the SETBASE function.
			0 = System
			1 = Binary
			2 = Octal
			3 = Decimal
			4 = Hexadecimal
			The base marker m can be b (for binary), o (for octal), d (for decimal), or h (for hexadecimal). If m is
			omitted, the current system base is assumed.  Examples:
			GETBASE(#1101b) → #1h
			GETBASE(#1101) → #0h (if default base is hexadecimal)
			GETBASE({#100h,#100d,#100o,#100b}) → {#4h,#3h,#2h,#1h}
	GE	TBITS	Get Bits
			Syntax:
			GETBITS(#integer)
			Returns the number of bits used for encoding an integer. If not specified, then the value in the Integers field of Page 1 of Home Settings is used.
			Examples:
			GETBITS(#22122) → 32 (If Home Settings Integers is set to 32 bits)
			GETBITS(#1:45h) → 45
			GETBITS(#153:-16o) → -16
			GETBITS({#FFFF:16h,#777:-23o}) → {16,-23}
	R-	<b>&gt;</b> B	Real to Base
			Syntax:
			R→B(Real [, bits [,base]])  Converts a decimal integer (base 10) to an integer.
			Optionally specify bits and base.
			1 ≤ bits ≤ 64 (Unsigned integer)
			-1 ≥ bits ≥ -63 (Signed integer)
			base = 0 System
			base = 1 Binary
			base = 2 Octal
			base = 3 Decimal
			base = 4 Hexadecimal

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1			Examples:
			$R \rightarrow B(13) \rightarrow \#Dh$ (If system base is hexadecimal)
			R→B(1800,64,2) → #3410:64o
			R→B({50,50,50},{64,32,16},{1,2,4}) → {#110010:64b,#62o,#32:16h}
		SETBASE	Set Base
			Syntax:
			SETBASE(#integer[m] [,c])
			Displays integer expressed in base m in whatever base is indicated by c.
			Base marker m can be b (for binary), d (for decimal), o (for octal), d (for decimal), or h (for hexadecimal).
			If m is omitted, the input is assumed to be in the default base.
			c = 0 System
			c = 1 Binary
			c = 2 Octal
			c = 3 Decimal
			c = 4 Hexadecimal
			If c is omitted, the output is displayed in the default base.
			Examples:
			SETBASE (#34o,1) → #11100b
			SETBASE (#1101b) → #Dh (if the default base is hexadecimal)
			SETBASE({#100d,#100d,#100d,#100d,#100d},{0,1,2,3,4}) → {#64h,#1100100b,#144o,#100d,#64h}
		SETBITS	Set Bits
			Syntax:
			SETBITS(#integer[m] [,bits])
			Sets the number of bits to represent integer.
			The value of bits must be in the range –63 to 64. Base marker m can be b (for binary), d (for decimal), o
			(for octal), d (for decimal), or h (for hexadecimal). If base marker m or bits is omitted, the default value is used.
			Examples:
			SETBITS(#1111b, 15) → #1111:15b
			SETBITS({#FFFFh,#7770},{15,7}) → {#7FFF:15h,#177:70}
	1/0	I.	Input/Output Commands
	,,0		The Input/output commands allow users to interact with programs.
		CHOOSE	Choose Box
		CHOOSE	Syntax:
			CHOOSE(var, "title", "item1", "item2",["item14"]) or
			CHOOSE(var, "title", {"item1""itemN"})
			Displays a choose box with the given "title" and containing items with the strings "item1", etc.
			If the user chooses an object, var is updated to contain the number of the selected object (an integer, 1, 2,
			3,) and CHOOSE returns true (non zero).
			If the user exits without choosing, var is not changed and CHOOSE returns false (0).
			Examples:
			CHOOSE(A, "Pick a Number",1,2,3,4)
			CHOOSE(B, "Direction", {"Up", "Left", "Right", "Down"})
		EDITLIST	Edit List
			Syntax:
			EDITLIST(listvar or list, [title], [read only])
			Allows the user to edit the specified list.
			If a list variable is used (e.g., L0-L9), updates the variable if OK is clicked.
			The title can be either "title" or { "title", {"row names"}, {"column names"}}
			"title" will be displayed above the editor as a "title" or "name".
			if "row names" and "column names" are specified, they will be used as row and column headers.
			If read only is non 0, the user will not be able to modify the object.
			Returns the edited list upon completion.
			Example:
			L1:={"123","456"};EDITLIST(L1) edits list L1
			EDITLIST({1,2,3},"My List",1) displays a list but does not allow editing
		EDITMAT	Edit Matrix
		EDITATA	Syntax:
			EDITMAT(matrixvar, [title], [read only])
			EDITMAT(matrix, [title], [read only])
			Allows the user to edit or view a specified matrix. If a matrix variable is used (e.g., M0-M9), updates the
			variable when the user taps the OK menu key.
			The optional title can be either "title" or { "title", {"row names"}, {"column names"}}
			If supplied, "title" will be displayed at the top of the editor. If "row names" and "column names" are
			specified, they will be used as row and column headers in the editor.
			If read only is not 0, the user will not be able to modify the matrix, but can only view it.

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		EDITMAT returns the edited matrix upon completion. If used in programming, returns to the program when the user taps the OK menu key.  Example:
		EDITMAT(M1) edits matrix M1.
	GETKEY	Get Key
		Syntax:
		GETKEY
		Returns the ID of the first key in the keyboard buffer, or -1 if no key was pressed since the last call to GETKEY. Key IDs are integers from 0 to 50, numbered from top left (key 0) to bottom right (key 50).
		0 = Apps 1 = Symb
		2 = Up
		3 = Help
		4 = Esc
		5 = Home
		6 = Plot
		7 = Left
		8 = Right
		9 = View
		10 = CAS
		11 = Num
		12 = Down
		13 = Menu
	INDUT	After that, the keys are numbered from top left (14 = Vars) to bottom right (50 = +)
	INPUT	Input Form Syntax:
		Syntax:  INPUT(var,["title"], ["label"], ["help"], [reset_value], [initial_value])
		INPUT([vars],["titles"], ["labels"]], [{"helps"]], [{reset_values}], [{initial_values}])
		var -> {var_name, real, [{pos}]}
		var -> {var_name, [allowed_types_matrix], [{pos}]}
		var -> {var_name, {choose_items}, [{pos}]}
		The simpler form of this command opens a dialog box with the given title and one field named label,
		displaying help at the bottom. The dialog box includes Cancel and OK menu keys. The user can enter a value in the labeled field. If the user presses the OK menu key, the variable var is updated with the entered value and 1 is returned. If the user presses the Cancel menu key, var is not updated and 0 is returned.
		In the more complex form of the command, lists are used to create a multi-field dialog box. If var is a list, each element can be either a variable name or a list using the following format:
		{var_name, real, [{pos}]} to create a checkbox control. If real is >1, then this checkbox gets pooled with the next n -1 checkboxes in a radio group (i.e., only one of the n checkboxes can be checked at any time)
		{var_name, [allowed_types_matrix], [{pos}]} to create an edit field. allowed_types_matrix lists all the allowed types ([-1] stands for all types allowed). If the only allowed type is a string, then the edition will hide the double quotes.
		{var_name, {choose_items}, [{pos}]} to create a choose field.
		If pos is specified, it is a list of the form {field start in screen percentage, field width in screen percentage, line (starts at 0) }. This allows you to control precisely the position and size of your fields. Note that you have to specify pos for either none or all fields in the dialog box.
		There is a maximum of 7 lines of controls per page. Controls with more than 7 lines will be placed in subsequent pages. If more than one page is created, titles can be a list of titles.
	ISKEYDOWN	Is Key Pressed Syntax:
		ISKEYDOWN(Keyldentifier)
		Returns true (non-zero) if the key whose Keyldentifier is provided is currently pressed, and false (0) if it is
	MOUSE	not.  Get Touch Event
	IVIOUSE	Syntax:
		MOUSE[(index)]
		Returns two lists describing the current location of each potential pointer (or empty lists if the pointers are not used). The output is {x , y, original z, original y, type} where type is 0 (for new), 1 (for completed), 2 (for drag), 3 (for stretch), 4 (for rotate), and 5 (for long click).
		The optional parameter index is the nth element that would have been returned—x, y, original x, etc.—had the parameter been omitted (or –1 if no pointer activity had occurred).
	MSGBOX	Message Box
		Syntax:
		MSGBOX(expr,[OK_Cancel]) or
		MSGBOX(string,[OK_Cancel])
		Displays a message box with either the value of expr or string.

lp Topic	cs Tree 13217	Help Text  If OK_Cancel is true, displays OK and CANCEL menu keys, otherwise only displays the OK menu key.
		Default value for OK_Cancel is false.
		Returns true (non-zero) if the user presses OK, false (0) if the user presses CANCEL.
		Example:
		MSGBOX("Click OK to continue")
	STARTVIEW	Start View
		Syntax:
		STARTVIEW(ViewNumber[,Redraw])
		Starts a view of the current app. Redraw, is optional; if Redraw, is true (non 0), it will force a refresh for
		the view.
		The view numbers are as follows:
		0=Symbolic
		1=Plot
		2=Numeric
		3=Symbolic Setup
		4=Plot Setup
		5=Numeric Setup
		6=App Info
		7=Views key
		If the current app has views defined under the Views menu, then the following view numbers are use:
		,
		8=First special view (Split Screen Plot Detail)
		9=Second special view (Split Screen Plot Table)
		10=Third special view (Autoscale)
		11=Fourth special view (Decimal)
		12=Fifth special view (Integer)
		13=Sixth special view (Trig)
		If ViewNumber is negative, the following global views are used:
		-1=Home Screen
		-2=Modes
		-3=Memory Manager
		-4=App Library
		-5=Matrix Catalog
		-6=List Catalog
		-7=Program Catalog
		-8=Note Catalog
		Example:
		STARTVIEW(-3)
	PRINT	Syntax:
		PRINT(expr) or
		PRINT(string)
		PRINT( )
		Prints either the result of expr or string to the terminal.
		The terminal is a program text output viewing mechanism which is displayed only when PRINT commo
		are executed. When visible, you can use the up/down keys to view the text, Backspace to erase the te
		and any other key to hide the terminal.  You can show the terminal at anytime using the ON+T combination (press and hold the On key, press
		key, then release both keys). Pressing On stops the interaction with the terminal.
		PRINT with no argument clears the terminal.
	wilcoxonp	Wilcoxon Distribution
		Syntax:
		wilcoxonp(Integer1,[Integer2])
		Distribution of the Wilcoxon or Mann-Whitney test for one or two samples.
		Examples:
		wilcoxonp(4)
		wilcoxonp(7,5)
	wilcoxons	Wilcoxon statistic
		Syntax:
		wilcoxons(List1,Median)
		wilcoxons(List1,List2)
		Rank statistic of Wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples
		(List1,List2).
		Examples:
		wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])
		wilcoxons([1, 3, 4, 5, 7, 8, 8, 12, 15, 17] , 10)
	wilcoxont	Wilcoxon test
		Syntax:
		wilcoxons(List1,Median, [Method],[Significance])
		wilcoxons(List1,Median, [Method],[Significance]) wilcoxons(List1,List2)

Help Topics T	ree 13217	Help Text
		Wilcoxon or Mann-Whitney test for 1 sample (List1) and Median, or 2 samples (List1,List2). Optionally, specify Method to be '<' or '>', and Significance. Examples:
		wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17] , [2, 6, 10, 11, 13, 14, 15, 18, 19, 20])
		wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], [2, 6, 10, 11, 13, 14, 15, 18, 19, 20],0.01)
		wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17], 10,'>')
	WAIT	wilcoxont([1, 3, 4, 5, 7, 8, 8, 12, 15, 17] , 10,'>',0.05)  Syntax:
		WAIT(n)
		Pauses program execution.
		If n ≥ 1:  Execution paused for the specified number (n) seconds.
		Returns the value of n.
		If n = 0 or omitted :
		Execution paused until a key is pressed.
		If a key is pressed, the key code is returned.  After a 1-minute timeout, returns -1
		If n = -1:
		Execution paused until a key is pressed or there is a mouse event.
		If a key is pressed, the key code is returned.
		If a mouse event happens, a list of the form { type, [x, y], [dx, dy] } is returned. Normally x/y is the event position unless otherwise indicated.  After a 1-minute timeout, returns -1
		Event type can be:
		0: Mouse Down 1: Mouse Move
		2: Mouse Wove 2: Mouse Up (x/y is not provided)
		3: Mouse Click (if a click is detected, there is no Mouse Up)
		5: Mouse Stretch. x/y is the delta since the last event. dx/dy is the delta since the original mouse down.
		6: Mouse Rotate, x is original angle, y is new angle in 32nd of a circle.
		7: Mouse Long Click, indicates the mouse stayed down for 1 second.
		Example:
Mor	re	WAIT(3)  This menu contains additional programming commands.
	CAS	CAS Evaluation
		Syntax:
		CAS(expression) or CAS.function() or
		CAS.variable[()]
		Evaluate an expression or variable using the CAS.
		Note that outputs in numerical mode are transformed into strings or lists of expressions for symbolic matrices.
	EXECON	Execute On Element
		Syntax:
		EXECON("&Expr", List1, [List2,])  Creates a new list based on the elements in one or more lists by iteratively modifying each element
		according to an expression that contains the ampersand character (&).
		Examples:
		EXECON("&1+1", $\{1,2,3\}$ ) $\rightarrow \{2,3,4\}$
		In the example above, &1 indicates an element in the list. &1+1 means to add 1 to each element of the list.
		Where the & is followed directly by a number, the relative position in the list is indicated. For example:
		EXECON("&2-&1", $\{1,4,3,5\}$ ) $\rightarrow \{3,-1,2\}$ In the example above, &2 indicates the second element and &1 the first element in each pair of elements.
		The minus operator between them subtracts the first from the second in each pair until there are no more pairs. In this case (with just a single list), the numbers appended to &
		can only be from 1 to 9 inclusive.
		EXECON can also operate on more than one list. For example:
		EXECON("&1+&2", $\{1,2,3\},\{4,5,6\}$ ) $\rightarrow$ {5,7,9} In the example above, &1 indicates an element in the first list and &2 indicates the corresponding element
		in the second list. These element pairs are added until there are no more pairs. With two lists, the numbers appended to & can have two digits; in this case, the first digit refers to the list number (in order from left to right) and the second digit refers to the element in the list; the second digit can still only be from 1 to 9, inclusive.
		EXECON can also begin operating on a specified element in a specified list. For example:
		EXECON("&23+&1",{1,5,16},{4,5,6,7}) $\rightarrow$ {7,12}

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		In the example above, &23 indicates that operations are to begin on the second list and with the third
		element. To that element is added the first element in the first list. The process continues until there are no more pairs.
		EXECON can also operate on matrices in the same way as lists:
		EXECON("&1+&2",[[1,2],[3,4]],[[5,6],[6,7]]) $\rightarrow$ [[6,8],[9,11]]
		In the example above, the result is the sum of the two matrices.
	EVALLIST	Evaluate List
		Syntax:
		EVALLIST({list})
		Evaluates the content of each element in the list and returns the resulting list.
		Example:
		EVALLIST( $\{'1+1', '4/2*(6-3)'\}$ ) $\rightarrow \{2,6\}$
	→HMS	Syntax:
		→HMS(value)
		Displays a decimal value in sexagesimal format; that is, in units subdivided into groups of 60. This includes
		degrees, minutes, and seconds as well as hours, minutes, and seconds.
		Examples:
		→HMS(8.5) → 8°30'
		→HMS({8.5,37.7539}) → {8°30′00″,37°45′14.04″}
	HMS→	Syntax:
		HMS→(value)
		Displays a sexagesimal value in decimal format.
		Examples:
		HMS→(8°30) → 8.5
		HMS→({8°30′00″,286°15′00″}) → {8.5,286.25}
	ITERATE	Iterate Expression
	TEIVILE	Syntax:
		ITERATE(expr, var, ivalue, times)
		For times, recursively evaluates expr in terms of var, beginning with var = ivalue.
		Examples:
		ITERATE(X^2, X, 2, 3) → 256
	TEVAL	Time Evaluation
	1.27.12	Syntax:
		TEVAL(Param)
		Returns the time it takes to evaluate the parameter.
		Example:
		$TEVAL(WAIT(5)) \rightarrow \sim 5.095\_s$
		Note: actual result will vary but should be close to 5.00_s
	TICKS	Internal Ticks Value
		Syntax:
		TICKS()
		Returns the internal millisecond clock value.
		Example:
		TICKS
	ТҮРЕ	Object Type
		Syntax:
		TYPE(object)
		Returns the type of the object:
		0: Real
		1: Integer
		2: String
		3: Complex
		4: Matrix
		5: Error
		6: List
		8: Function
		9: Unit
	NOUN NOT	14.?: CAS object. the fractional part is the CAS type
	%CHANGE	Percent Change
		Syntax:
		%CHANGE(x, y)
		Percent change from x to y. Returns 100*(y-x)/x.
		Examples:
		%CHANGE(20,50) → 150
		%CHANGE(4.5,8.3) → 84.4444444444  %CHANGE(110.20.20) 175. 75. 75. 15.0\
	0/TOTAL	%CHANGE({10,20,30},{75,75,75}) → {650,275,150}
	%TOTAL	Percent Total

p Topics Tre	ee 13217	Help Text Syntax:
		%TOTAL(x, y)
		Percent total; the percentage of x that is y. Returns 100*y/x.
		Examples:
		%TOTAL(20,50) → 250
		%TOTAL(1.5,7.5) → 500
		%TOTAL({10,20,30},{75,75,75}} → {750,375,250}
Template N	∣ ∕lenu	This menu contains all the programing structure and templates that are useful when editing a progr
Block		Block Menu
	[··	This menu contains commands for entering block structures in programs.
	BEGIN END	BEGIN END Block
		Syntax:
		BEGIN commands; END;
		Defines a set of commands to be executed in a block.
		Example:  EXPORT SQM1(X)
		BEGIN
		RETURN X^2-1;
		END;
		This program defines a user function named SQM1(X). Entering SQM1(8) returns 63.
	KILL	Stop Execution
	NILL	Syntax:
		KILL;
		Stops the execution of a program.
		Example:
		Demo_KILL
	RETURN	Return Command
	RETORIN	Syntax:
		RETURN expression;
		Exits from a function and returns the value of expression (optional).
		Example:
		EXPORT FACTORIAL(N)
		BEGIN
		IF N==1 THEN
		RETURN 1;
		ELSE
		RETURN N*FACTORIAL(N-1);
		END;
		END;
		Example:
		\$Demo_RETURN
Branc	ch	Branch Commands
		This menu contains common branch commands such as IF THEN.
	CASE	Starts a "CASE END" branch structure.
		Syntax:
		CASE
		IF test1 THEN commands1 END
		IF test2 THEN commands2 END
		IF testN THEN commandsN END
		[DEFAULT] [commandsD]
		END;
		Evaluates test1. If true, executes commands1 and ends the CASE. Otherwise, evaluates test2. If true
		executes commands2. Continues evaluating tests until a true is found. If no true test is found, execution commandsD, if provided.
		Example:
		Demo_CASE
	IF THEN ELSE END	IF Branch Structure
		Syntax:
		IF test THEN commands1 [ELSE commands2] END;
		Starts an "IF THEN END" or "IF THEN ELSE END" branch structure.
		Evaluate test. If test is true (non 0), executes commands1, otherwise, executes commands2
		Formula
		Example:
		IF A<1
		THEN PRINT("A<1");
		ELSE PRINT("A>1");

ics Tree	13217	Help Text
		Demo_IF
IFERR		Error Trapping Structure
		Syntax:
		IFERR commands1 THEN commands2 [ELSE commands3] END;  Executes sequence of commands1. If an error occurs during execution of commands1, executes seque
		of commands2. Otherwise, execute sequence of commands3.
		Many conditions are automatically recognized by the HP Prime as error conditions and are automatical treated as errors in programs. This command facilitates error-trapping of such errors.
		Note: the error number will be stored in the Ans variable. So you can access it and use it in the THEN clause of the IFERR.
		Example:
		IFERR 1/0
		THEN PRINT("1/0 Error"); END;
		Example:
		Demo_IFERR
Variable		Variable Menu
variable		This menu contains options relating to the variables you can create in programs.
EXPORT		EXPORT function or variables
		Syntax:
		EXPORT FunctionName(Parameters)
		EXPORT Var1[,Var2, ,Var8];
		EXPORT Var1[:=Val1, Var2:=Val2, Var8:=Val8];
		In a program, declares functions or variables to export globally. Exported functions appear in the Tooll
		User menu; exported variables appear in the Vars CAS, App, or User menus.
		For an exported function:
		Forward function declaration:
		EXPORT function(params);
		Normal function declaration:
		EXPORT function[(params)]
		BEGIN
		//Function definition goes here
		END;
		Examples:
		EXPORT X2m1(X);
		EXPORT ratio:=0.15;
		EXPORT X2M1(X)
		BEGIN
		RETURN X^2-1;
		END;
		Examples:
		Demo_EXPORT
:=		Assign
		Syntax:
		variable := object
		Assigns object to variable.
		Examples:
		A := 3 stores the value 3 in the variable A
		F1 := 3-X makes F1(X)=3-X
		M5 := [1, 2] stores a vector in M5
LOCAL		LOCAL keyword
		Syntax:
		LOCAL Var1[:=Val1, Var2:=Val2, Var8:=Val8];
		Declares one or more local variables. Each variable can be assigned an optional initial value as well. If
		declaration is in a function block, these variables will be local to the function. If the declaration is in th main program body, the variables are local to the program.
		main program body, the variables are local to the program.
		There can only be 8 variables per LOCAL keyword. To create more variables, you must add another LO
		keyword.
		Examples:
<b>&gt;</b>		Demo_LOCAL Store
		Syntax:
		value ▶ variable
		Stores value in variable.
		Example:
		3>A stores the value 3 in the variable A.
Loon		Loop Commands
Loop		This menu contains loop commands such as FOR NEXT.
DEDEAT		·
REPEAT		Repeat Loop Structure

Help

elp Topics	s Tree 13217	Help Text
		Syntax:
		REPEAT commands UNTIL test;
		Executes commands UNTIL test is true.
		A:=5;
		REPEAT
		PRINT(A);
		A:= A-1;
		UNTIL A<1;
		will print 54321
		Examples:
		Demo_REPEAT
		GETSIDES
	BREAK	Break Loop
		Syntax:
		BREAK [n];
		Exits from expression local loop structure.
		Example:
		FOR A FROM 1 TO 10 DO
		B:= (A+3) MOD 5
		IF B==1 THEN BREAK;
		END;
		END;
		If n is specified, allow to exit n loop structures.
		Example:
		Demo_BREAK
	CONTINUE	Syntax:
	CONTINUE	CONTINUE [n];
		Transfers execution in a loop to the start of the next iteration of the nth upper loop (default current le
		Example:
		Demo_CONTINUE
	FOR FROM TO DO END	For Loop Structure
		Syntax:
		FOR var FROM start TO (or DOWNTO) finish [STEP increment] DO commands END;
		Sets variable var to start; then, for as long as this variable's value is less than or equal to (or more tha
		a DOWNTO) finish, executes commands and adds (or subtracts for DOWNTO) 1 (or increment) to var
		Furnished
		Examples:
		//print 13579
		FOR A FROM 1 TO 10 STEP 2
		DO
		PRINT(A);
		END;
		//print 10 8 6 4 2
		FOR A FROM 10 DOWNTO 1 STEP 2
		DO
		PRINT(A);
		END;
		Example:
		Demo_FOR
	WHILE	While Loop Structure
		Syntax:
		WHILE test DO commands END;
		Executes commands WHILE test is true.
		Example:
		A:=5;
		WHILE A>0 DO
		PRINT(A);
		A:= A-1;
		END;
		will print 5 4 3 2 1
		Examples:
		Demo_WHILE
		ISPERFECT
		PERFECTNUMS  You Knowledd
	ΕΥ	Key Keyword
KE		
KE		Syntax:
KE		KEY name
KE		

Help	Help Topics Tree 13217		Help Text
			Declaring a function with the KEY keyword allows to redefine the appropriate key in the keyboard.
			The name of the function specifies the key.
			See user manual for the complete list.
			Note that a key function can also be exported and be a view.
	VIEW		View Keyword
			Syntax:
			VIEW "Text" Function()
			BEGIN
			END; Only works in an app program.
			Allows a programmer to customize the View menu. Causes "Text" to appear when the View is pressed and
			Function to be executed when the OK menu key (or ENTER key) is pressed.
			Note that a view function can also be exported.
D	ebugging Environment		Once you tap the Debug menu key with a program selected, if a program hits a Debug statement or if you debug a program using the debug command, the debugging environment starts. This environment has three parts:  • A title bar at the top, with the current name of the program and/or routine being debugged
			The listing of the program being debugged (if available, else it displays the current and next instructions)
			A variable watch listing in a two-column table
			In the variable list, type the names of the variables you want to observe during debugging in the left
			column. Their current values will be displayed in the right column. By typing a new value in the right column, you can change the value of a variable.
			The menu keys are:
			Skip: executes a subroutine but does not debug it
			• Step: moves to the next step in the program; if the next step is a subroutine, then steps down into it and
			<ul> <li>begins to debug it</li> <li>Swap: switches to view the calculator display so you can see your program output (press any key to</li> </ul>
			return to the debugger)
			Stop: quits the debugging environment and returns to the Program Catalog
			Cont: continues execution of the program without debugging  If the variable list has the force Falt are beyond to phage the variable listed on a row as to shape the
			If the variable list has the focus, Edit can be used to change the variable listed on a row or to change the variable value.
			If the program listing has the control, Edit will stop the program evaluation and jump to the program editor to allow you to modify the program.
			You can drag the program source code.
			You can drag the variable list header to see more or less of the program as needed.
Note Ca	atalog		Press Shift 0 (Notes) to open the Note Catalog.
			Menu Buttons:
			Edit: opens the highlighted note for editing in the Notes Editor     New: creates a new note
			More: opens more menu options (Save, Rename, Sort, Delete, and Clear) for the highlighted note
			Send: sends the highlighted note to another HP Prime
			Note: the Editor saves your changes automatically when you exit the editor. If you want to save the
			original version of your note before you make changes, be sure to use the More button in the Note
NI NI	ote Editor		Catalog and select Save.  The Note Editor is where you create or modify a note.
	oto Editor		Menu Buttons:
			Format: displays a menu of formatting options
			Style: displays a menu of style options
			• ▲ Page ▼: moves from page to page in a multi-page note
			• •: cycles through bullet styles
			Insert: tap to display a menu of items that can be inserted  Proce ALPILA twice to look the plane shift. Proce it again to release the plane shift.
			Press ALPHA twice to lock the alpha shift. Press it again to release the alpha shift.  You can copy and paste text using Shift View (Copy) and Shift Menu (Paste) respectively.
			Tod can copy and paste text asing simit view (copy) and simit wiend (raste) respectively.
Messag	ing		When connected to a PC either wirelessly or via USB, the PC can send messages to the calculator. You can also send a message back to the PC. See the HP Prime Connectivity Kit User Guide for more details.
			Either dismiss the message by tapping OK, or tap Reply, enter your message, and tap OK to send it.
Poll and	l Quiz		Poll and Quiz functionality enables communication between a computer and any number of other
			calculators. It enables teachers to wirelessly communicate with students' calculators, send them questions, and receive responses. The responses are aggregated and displayed. These features enable
			formative assessment as well as active participation of the students in classroom activities.
			Poll and Quiz functionality requires the HP Prime Connectivity Kit. See the User Guide that accompanies the HP Prime Connectivity Kit for instructions.

elp Topics Tree 13217	Help Text
n Mode	The HP Prime calculator can be precisely configured for an examination, with any number of features or
	functions disabled for a set period of time. Configuring a HP Prime calculator for an examination is called
	exam mode configuration. You can create and save multiple exam mode configurations, each with its ov subset of functionality disabled. You can set each configuration for its own time period, with or without
	password.
	Exam mode configuration will be of interest primarily to teachers, proctors, and invigilators who want to
	ensure that the calculator is used appropriately by students sitting for an examination.
	Exam Mode can be configured, and activated, on Home Settings Page 3. You can quickly access this page
	by holding down the ON key and pressing Esc.
	Basic and Custom Mode
	You can create your own exam mode configurations using the Custom Mode as a basis. Or you can use the Basic Mode. To use the Basic Mode, simply tap on the Configuration field and select Basic Mode. Th tap the Start menu key. The Basic Mode configuration is as follows:
	The HP Prime memory is hidden and restored when the exam mode exits
	The first fille inclinity is finded and restored when the examinate exits     The green LED at the top of the calculator is set to blink
	The Basic Mode will end when the calculator is connected to either a PC or another HP Prime via the
	micro-USB cable Fields
	Configuration: choose Basic Mode or create your own Custom Mode (see below)
	Timeout: choose a duration for Exam Mode (that is, how long the disabled features will be disabled).
	Default Angle: sets the angle measure (degrees or radians) that all client calculators must use, or allow
	the current calculator settings to be used
	Password: a code that will deactivate Exam Mode before the time-out period.
	Memory: Keep, Erase, Hide, or Keep and delete memory changes that occurred during exam mode
	Blink LED: forces the LED on all client calculators to maintain a fixed sequential pattern
	Security code: check to prompt for a security code to enter at the start of exam mode that drives the LED blink pattern  Many Potters  **The Company of the Company of
	Menu Buttons:  • Config: view and edit the selected exam configuration (not available in Basic Mode)
	Choose: select an option from the currently selected menu
	▶ Page ▼: return to the previous page (left side of button) or go to the next page (right side of button).
	More: display options to copy the configuration or reset it (not available in Basic Mode)
	Start or Send: activate exam mode or send it to another HP Prime
	Note that Send only appears if the HP Prime is connected to another HP Prime via the USB cable on HP
	Prime calculators that support unit-to-unit connectivity.
Configuring Exam Mode	On the Exam Mode settings screen (Home Settings Page 3), tap Config. The Exam Mode Configuration screen appears with a tree depicting the sets of features that can be disabled. Each entry has a check be to its left. Tap an entry to select it and then either tap its check box to disable it or tap on the ✓ menu
	button.
	Some of the entries have a plus sign (+) to the left of their check boxes. These entries represent categories; you can check it to disable all the features in the category or tap on the plus sign (+) to expa
	the category and disable certain features within the category.
	<ol> <li>Select those features you want disabled, and make sure that those features you don't want disabled a not selected.</li> </ol>
	2. Tap OK to return to Exam Mode Settings.
Creating New Configurations	As well as modifying Custom Exam Mode configuration, you can create new configurations. You can the select the particular configuration you want before activating Exam Mode.
	On Home Settings Page 3, choose the configuration you want to be the base for a new configuration.     you haven't yet created a new configuration, the only configuration available will be Custom Mode.)
	2. Tap More and select Copy
	The New Exam Mode Configuration screen appears.
	S. Enter a name for the new configuration.
	4. Tap OK twice.
	5. Tap Config.
	6. Select those functions you want disabled, and make sure that those functions you don't want disabled
	are not selected.
	7. Tap OK.  The new configuration has now been added to the Configuration field drop-down box.
Activating Exam Mode	Exam Mode can be activated on Home Settings Page 3. You can quickly access this page by holding dow
, terrating Exam Word	the On key and pressing Esc.
	On Home Settings Page 3, choose the configuration you want to activate.
	<ol> <li>Tap Start. A summary screen will appear notifying you that you are about to enter an exam mode.</li> <li>Swipe the lock to start exam mode, or tap Cancel to exit and return to Home Settings Page 3.</li> </ol>
	Swipe the lock to start exam mode, or tap cancer to exit and return to nome settings rage s.
	3, Depending on the exam mode configuration, you may be prompted to enter a security code provided

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		Depending on the exam mode configuration, you may also be able to exit exam mode by:
		entering the password on the Exam Mode settings screen and tapping OK
		waiting for the timeout period to expire
		You can also activate the current Exam Mode configuration on an HP Prime attached to yours via the USB cable, if both units support unit-to-unit connectivity. In this case, the Start menu button is replaced with a Send menu button once the HP Primes are connected. Tap the Send menu button to install and start the current Exam Mode configuration on the attached HP Prime.
		Finally, you can install and start an Exam Mode configuration on one or more HP Prime calculators using the Connectivity Kit. The HP Prime calculators can communicate with the Connectivity Kit either via USB cable or using the optional wireless module(s) if your HP Prime supports wireless connectivity. Please see the Connectivity Kit User Guide for details.