

GRM - WORKSHOP 1: R SESSION

1.1 January flows on the Kootenai river

```
> riverflow <- read.table('Riverflow.txt',head=T)
> plot(riverflow$Flow_at_Libby,riverflow$Flow_at_Newgate)
> title("River flow")
> riverflow.lm <- lm(Flow_at_Newgate ~ Flow_at_Libby, data
= riverflow)
> summary(riverflow.lm)
```

Call:
lm(formula = Flow_at_Newgate ~ Flow_at_Libby, data = riverflow)

Residuals:

	Min	1Q	Median	3Q	Max
	-2.6796	-1.4361	0.1316	1.0881	3.4132

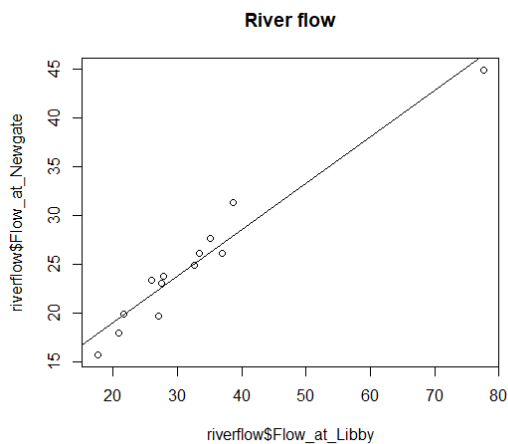
Coefficients:

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	9.5137	1.2239	7.773	8.58e-06	***
Flow_at_Libby	0.4748	0.0344	13.802	2.73e-08	***

Signif. codes:
0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 1.785 on 11 degrees of freedom
Multiple R-squared: 0.9454, Adjusted R-squared: 0.9404
F-statistic: 190.5 on 1 and 11 DF, p-value: 2.729e-08

```
> abline(riverflow.lm)
```



QUIZ 1.1a:

State an odd looking feature of the data set!

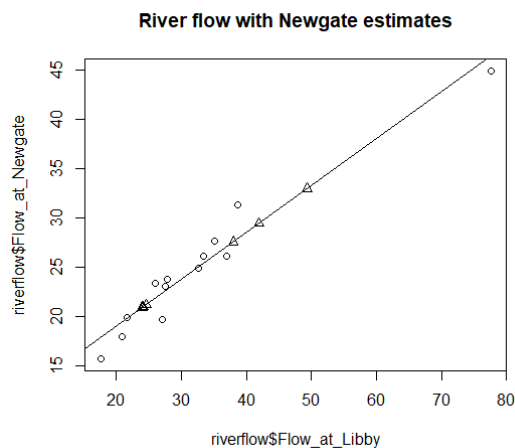
The point at the top right is an outlier.

State the model being fitted

$$E(\text{Flow_at_Newgate}) = \alpha + \beta \text{Flow_at_Libby}$$

```
> # predict missing values at Newgate:
> Flow_at_Libby_with_missing_Newgate <- c(42.0,24.0,38.0,49
.4,24.6,24.2)
> new <- data.frame(Flow_at_Libby= Flow_at_Libby_with_missi
ng_Newgate)
> predict(riverflow.lm,newdata=new,interval = "confidence")
      fit      lwr      upr
1 29.45346 28.14939 30.75753
2 20.90785 19.64082 22.17488
3 27.55444 26.38891 28.71996
4 32.96665 31.28822 34.64509
5 21.19271 19.94824 22.43717
6 21.00280 19.74343 22.26218

> Newgate.ests <- predict(riverflow.lm,newdata=new)
> plot(riverflow$Flow_at_Libby,riverflow$Flow_at_Newgate)
> points(Flow_at_Libby_with_missing_Newgate,Newgate.ests,pc
h=2)
> title("River flow with Newgate estimates")
> abline(riverflow.lm)
```



QUIZ 1.1b:

What are the predicted values at Newgate for the missing values in the data set?

From `predict` we get:

```
1 29.45346
2 20.90785
3 27.55444
4 32.96665
5 21.19271
6 21.00280
```

1.2 Calibration of a flame photometer

```
> flame <- read.table('Flame.txt',head=T)
> plot(flame$Sodium_concentration,flame$Photometer_reading)
> title("Flame photometer")
> flame.lm <- lm(Photometer_reading ~ Sodium_concentration,
data = flame)
> summary(flame.lm)
```

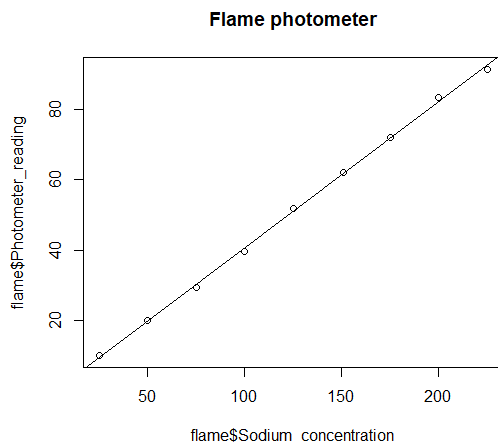
```
Call:
lm(formula = Photometer_reading ~ Sodium_concentration, data = flame)
```

```
Residuals:
    Min       1Q   Median       3Q      Max
-1.1718 -0.7786  0.1262  0.5077  1.2556
```

```
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept)  -0.900858   0.674560  -1.335   0.224
Sodium_concentration  0.415726   0.004791  86.775 7.11e-12 ***
---
Signif. codes:
0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 0.9284 on 7 degrees of freedom
Multiple R-squared:  0.9991, Adjusted R-squared:  0.9989
F-statistic: 7530 on 1 and 7 DF, p-value: 7.108e-12
```

```
> abline(flame.lm)
```



QUIZ 1.2:

State the model being fitted

$$E(\text{Photometer_reading}) = \alpha + \beta \text{Sodium_concentration}$$

Is the slope parameter significantly different from zero?

Yes – significance probability is very low (and has three stars)

Is the intercept parameter significantly different from zero?

No - significance probability is high (0.224) so we can remove the intercept (no stars!)

1.3 Comparison of two methods for measuring the bitterness of beer

```
> beer <- read.table('Beer.txt', head=T)
> plot(beer$OD_concentration, beer$HPLC_concentration)
> title("Bitterness of beer")
> beer.lm <- lm(HPLC_concentration ~ OD_concentration, data = beer)
> summary(beer.lm)
```

```
Call:
lm(formula = HPLC_concentration ~ OD_concentration, data =
beer)
```

```
Residuals:
    Min       1Q   Median       3Q      Max
-50.021 -11.605  -2.997  12.197  54.456
```

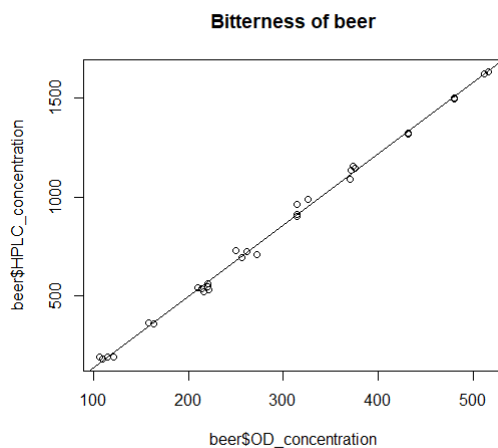
```
Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)   -221.07924    12.05987   -18.33  <2e-16
OD_concentration    3.59816     0.03828    93.98  <2e-16
```

```
(Intercept) ***
OD_concentration ***
```

```
---
Signif. codes:
0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 25.36 on 28 degrees of freedom
Multiple R-squared:  0.9968, Adjusted R-squared:  0.9967
F-statistic: 8833 on 1 and 28 DF, p-value: < 2.2e-16
```

```
> abline(beer.lm)
```



QUIZ 1.3:

State the model being fitted

$$E(\text{HPLC_concentration}) = \alpha + \beta \text{OD_concentration}$$

Is the slope parameter significantly different from zero?

Yes – significance probability is very low (and has three stars)

Is the intercept parameter significantly different from zero?

Yes – significance probability is very low (and has three stars)