## Computer Project 3

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## MATH 324 Computer Project 3

Exercise 1. Here, we look at how t critical values behave as their df (degrees of freedom) increases:

```
A) First, what is z_{.05}?
a \leftarrow qnorm(0.05) * (-1)
roundA <- round(a, 5)</pre>
paste0("Z(0.05): ", roundA)
## [1] "Z(0.05): 1.64485"
  B) Second, if you look at t_{.05,df} (t critical values for \alpha = .05) with df = 20, 40, 60, etc (continuing up by
     20 each time), for what df does the t critical value first fall strictly within (e.g. < )
   i. .05 of z_{.05}?
count1 <- 20
b1 \leftarrow qt(0.05, count1) * (-1)
roundB1 <- round(b1, 5)</pre>
while (roundB1 > roundA){
  count1 = count1 + 20
  b1 \leftarrow (qt(0.05, count1) * (-1))
  roundB1 <- round(b1, 5)</pre>
paste0("DF: ", count1)
## [1] "DF: 1109780"
  ii. .02 	ext{ of } z_{.05}?
aii <-qnorm(0.02) * (-1)
roundAii <- round(aii, 5)</pre>
count2 <- 20
b2 \leftarrow qt(0.02, count2) * (-1)
roundB2 <- round(b2, 5)
while (roundB2 > roundAii){
  count2 = count2 + 20
  b2 \leftarrow (qt(0.02, count2) * (-1))
  roundB2 <- round(b2, 5)</pre>
paste0("DF: ", count2)
## [1] "DF: 439960"
  iii. .01 of z_{.05}?
```

```
aiii <- qnorm(0.01) * (-1)
roundAiii <- round(aiii, 5)

count3 <- 20
b3 <- qt(0.01, count3) * (- 1)
roundB3 <- round(b3, 5)

while (roundB3 > roundAiii){
   count3 = count3 + 20
   b3 <- (qt(0.01, count3) * (-1))
   roundB3 <- round(b3, 5)
}
pasteO("DF: ", count3)</pre>
```

## [1] "DF: 523320"

C) What do you think the difference will be between  $z_{.05}$  and  $t_{.05,df}$  as df  $\rightarrow \infty$ ?

By the data shown in Exercise 1B, it is displayed that as df approaches infinity, the  $Z_{0.05}$  and  $T_{0.05,df}$  will equal.

Exercise 2) A company with a large fleet of cars want to study the gasoline usage. They check the gasoline usage for 50 company trips chosen at random, finding a mean of 25.02 mpg and sample standard deviation is 4.83 mpg.

A) Which kind of confidence interval is appropriate to use here, z-interval or t-interval?

Null hypothesis:  $H_0: \mu >= 26$ 

Alternative hypothesis:  $H_a: \mu < 26$