

## 第二章

### **P-36-6**

(1) L(G) 是 0~9 组成的数字串；

(2) 最左推导：

$$N \Rightarrow ND \Rightarrow NDD \Rightarrow NDDD \Rightarrow DDDD \Rightarrow 0DDD \Rightarrow 01DD \Rightarrow 012D \Rightarrow 0127$$

$$N \Rightarrow ND \Rightarrow DD \Rightarrow 3D \Rightarrow 34$$

$$N \Rightarrow ND \Rightarrow NDD \Rightarrow DDD \Rightarrow 5DD \Rightarrow 56D \Rightarrow 568$$

最右推导：

$$N \Rightarrow ND \Rightarrow N7 \Rightarrow ND7 \Rightarrow N27 \Rightarrow ND27 \Rightarrow N127 \Rightarrow D127 \Rightarrow 0127$$

$$N \Rightarrow ND \Rightarrow N4 \Rightarrow D4 \Rightarrow 34$$

$$N \Rightarrow ND \Rightarrow N8 \Rightarrow ND8 \Rightarrow N68 \Rightarrow D68 \Rightarrow 568$$

### **P-36-7**

G(S)：(没有考虑正负符号问题)

$$S \rightarrow P|AP$$

$$P \rightarrow 1|3|5|7|9$$

$$A \rightarrow AD|N$$

$$N \rightarrow 2|4|6|8|P$$

$$D \rightarrow 0|N$$

或者：(1)  $S \rightarrow A B C | C$

$$A \rightarrow 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9$$

$$B \rightarrow B A | B 0 | \epsilon$$

$$C \rightarrow 1 | 3 | 5 | 7 | 9$$

### **P-36-8**

G(E)：  $E \rightarrow T|E+T|E-T$

$$T \rightarrow F|T*F|T/F$$

$$F \rightarrow (E) | i$$

最左推导：

$$E \Rightarrow E+T \Rightarrow T+T \Rightarrow F+T \Rightarrow i+T \Rightarrow i+T*F \Rightarrow i+F*F \Rightarrow i+i*F \Rightarrow i+i*i$$

$$E \Rightarrow T \Rightarrow T*F \Rightarrow F*F \Rightarrow i*F \Rightarrow i*(E) \Rightarrow i*(E+T) \Rightarrow i*(T+T) \Rightarrow i*(F+T) \Rightarrow i*(i+T) \Rightarrow i*(i+F) \Rightarrow i*(i+i)$$

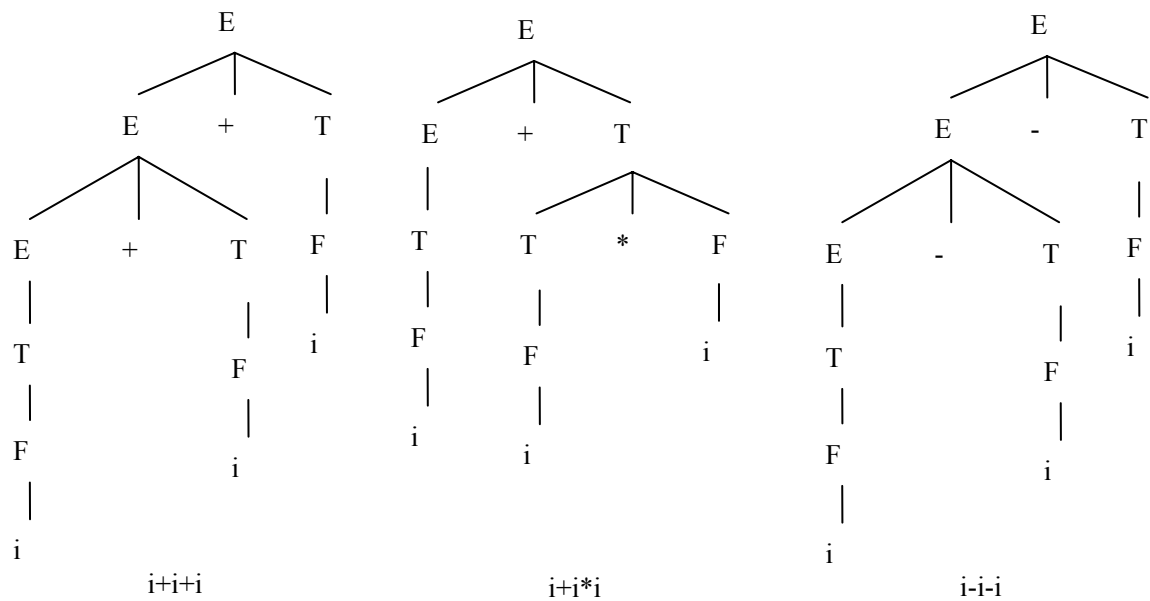
最右推导：

$$E \Rightarrow E+T \Rightarrow E+T*F \Rightarrow E+T*i \Rightarrow E+F*i \Rightarrow E+i*i \Rightarrow T+i*i \Rightarrow F+i*i \Rightarrow i+i*i$$

$$E \Rightarrow T \Rightarrow T*F \Rightarrow T*(E) \Rightarrow T*(E+T) \Rightarrow T*(E+F) \Rightarrow T*(E+i) \Rightarrow T*(T+i) \Rightarrow T*(F+i) \Rightarrow T*(i+i)$$

$$\Rightarrow F*(i+i) \Rightarrow i*(i+i)$$

语法树：



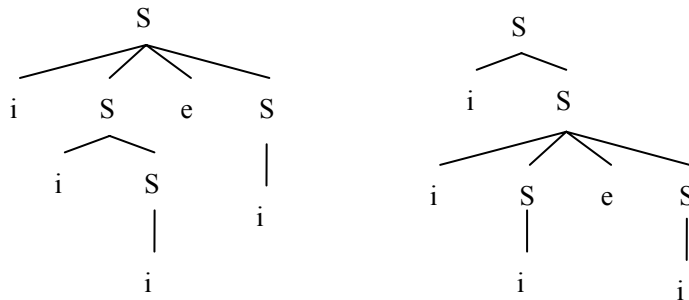
### P-36-9

句子:  $iiiei$  有两个语法树:

$S \Rightarrow iSeS \Rightarrow iSei \Rightarrow iiSei \Rightarrow iiiei$

$S \Rightarrow iS \Rightarrow iiSeS \Rightarrow iiSei \Rightarrow iiiei$

因此  $iiiei$  是二义性句子，因此该文法是二义性的。



### P-36-10

$S \rightarrow TS | T$

$T \rightarrow (S) | ()$

### P-36-11

L1:  $G(S): S \rightarrow AC$

$A \rightarrow aAb | ab$

$C \rightarrow cC | \epsilon$

L2:  $G(S): S \rightarrow AB$

$A \rightarrow aA | \epsilon$

$B \rightarrow bBc | bc$

L3:  $G(S): S \rightarrow AB$

$A \rightarrow aAb | \epsilon$

$B \rightarrow aAb | \epsilon$

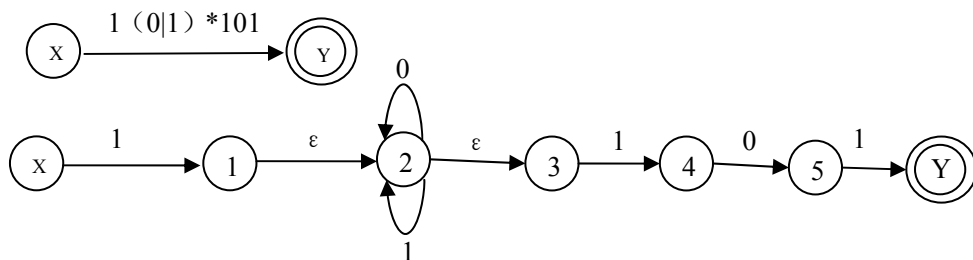
L4:  $G(S): S \rightarrow 1S0 | A$

$A \rightarrow 0A1 | \epsilon$

或者:  $S \rightarrow A | B \quad A \rightarrow 0A1 | \epsilon \quad B \rightarrow 1B0 | A$

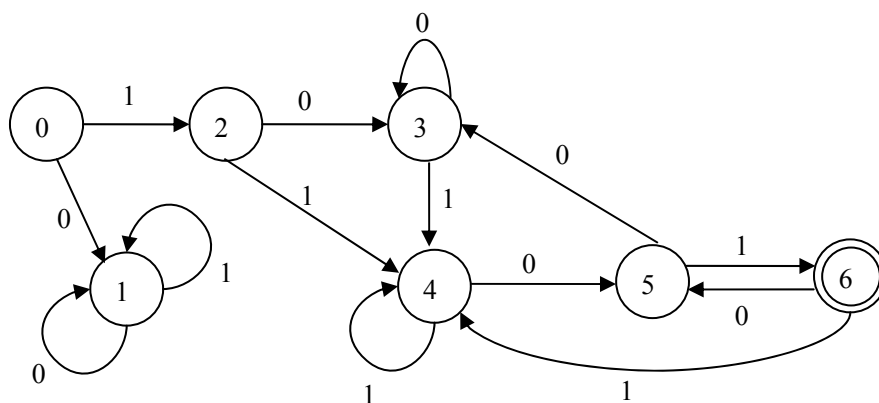
### 第三章

(1)



确定化:

	0	1
{X}	$\Phi$	{1, 2, 3}
$\Phi$	$\Phi$	$\Phi$
{1, 2, 3}	{2, 3}	{2, 3, 4}
{2, 3}	{2, 3}	{2, 3, 4}
{2, 3, 4}	{2, 3, 5}	{2, 3, 4}
{2, 3, 5}	{2, 3}	{2, 3, 4, Y}
{2, 3, 4, Y}	{2, 3, 5}	{2, 3, 4}



最小化: {0, 1, 2, 3, 4, 5}, {6}

$\{0, 1, 2, 3, 4, 5\}_0 = \{1, 3, 5\}$        $\{0, 1, 2, 3, 4, 5\}_1 = \{1, 2, 4, 6\}$

$\{0, 1, 2, 3, 4\}, \{5\}, \{6\}$

$\{0, 1, 2, 3, 4\}_0 = \{1, 3, 5\}$

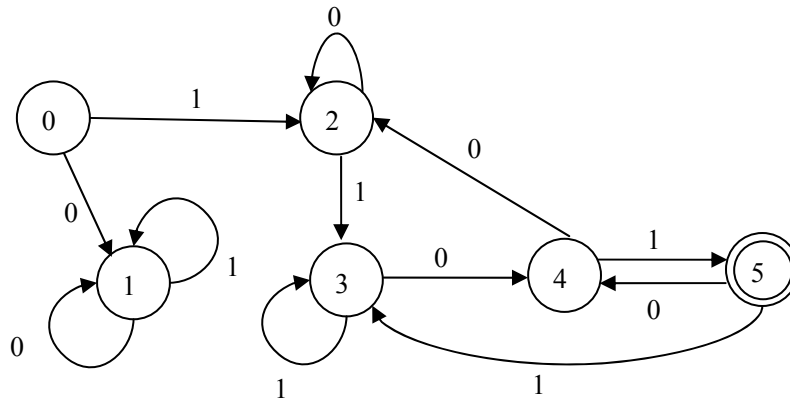
$\{0, 1, 2, 3\}, \{4\}, \{5\}, \{6\}$

$\{0, 1, 2, 3\}_0 = \{1, 3\}$        $\{0, 1, 2, 3\}_1 = \{1, 2, 4\}$

$\{0, 1\}, \{2, 3\}, \{4\}, \{5\}, \{6\}$

$\{0, 1\}_0 = \{1\}$        $\{0, 1\}_1 = \{1, 2\}$        $\{2, 3\}_0 = \{3\}$        $\{2, 3\}_1 = \{4\}$

$\{0\}, \{1\}, \{2, 3\}, \{4\}, \{5\}, \{6\}$



P64-8

(1)

$(0|1)^*01$

(2)

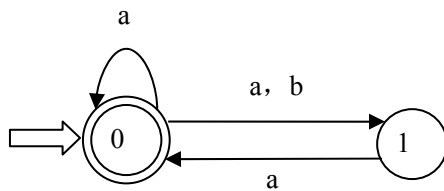
$(1|2|3|4|5|6|7|8|9)(0|1|2|3|4|5|6|7|8|9)^*(0|5) \mid (0|5)$

(3)

$0^*1(0|10^*1)^*|1^*0(1|01^*0)^*$

P84-12

(a)

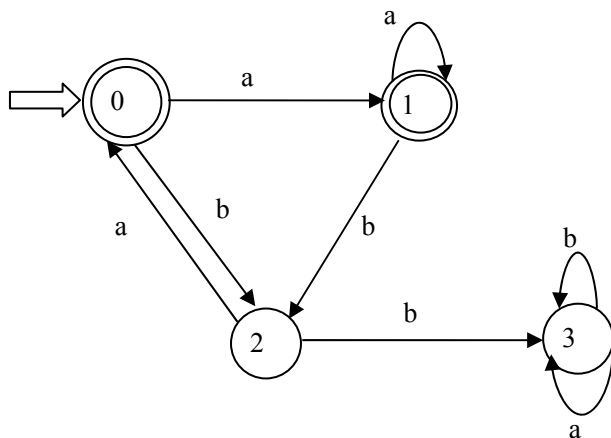


确定化:

	a	b
{0}	{0,1}	{1}
{0,1}	{0,1}	{1}
{1}	{0}	$\Phi$
$\Phi$	$\Phi$	$\Phi$

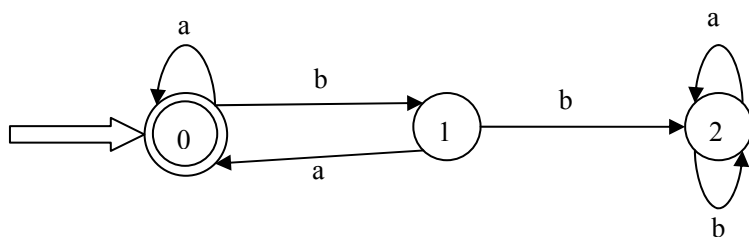
给状态编号:

	a	B
0	1	2
1	1	2
2	0	3
3	3	3



最小化:

$\{0, 1\}$      $\{2, 3\}$   
 $\{0, 1\}_a = \{1\}$ ,  $\{0, 1\}_b = \{2\}$   
 $\{2, 3\}_a = \{0, 3\}$ ,  $\{2, 3\}_b = \{3\}$   
 $\{0, 1\}$ ,  $\{2\}$ ,  $\{3\}$

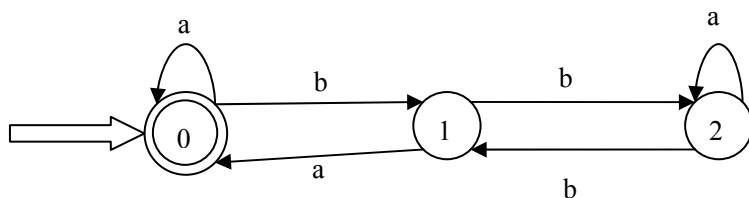


(b)

已经确定化，只需最小化:

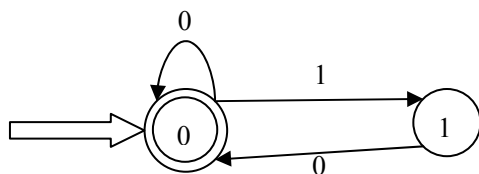
$\{0, 1\}$ ,  $\{2, 3, 4, 5\}$   
 $\{0, 1\}_a = \{1\}$      $\{0, 1\}_b = \{2, 4\}$   
 $\{2, 3, 4, 5\}_a = \{1, 3, 0, 5\}$      $\{2, 3, 4, 5\}_b = \{2, 3, 4, 5\}$   
 又:  $\{2, 4\}_a = \{1, 0\}$      $\{2, 4\}_b = \{3, 5\}$      $\{3, 5\}_a = \{3, 5\}$      $\{3, 5\}_b = \{2, 4\}$   
 分划为:  $\{0, 1\}$ ,  $\{2, 4\}$ ,  $\{3, 5\}$   
 $\{0, 1\}_a = \{1\}$      $\{0, 1\}_b = \{2, 4\}$   
 $\{2, 4\}_a = \{1, 0\}$      $\{2, 4\}_b = \{3, 5\}$   
 $\{3, 5\}_a = \{3, 5\}$      $\{3, 5\}_b = \{2, 4\}$

所以不能再分

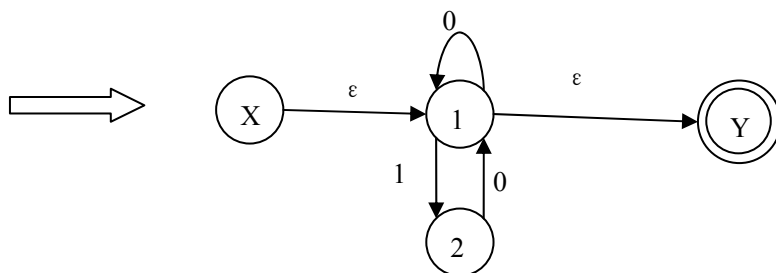


P64-14

正规式： $(0|10)^*$



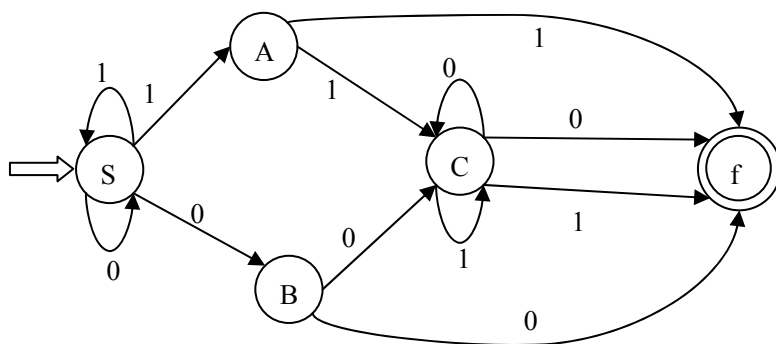
还可以：



然后再确定化，最小化，结果应该一样。

P65-15

首先构造 NFA：



则有：G(f)  $f \rightarrow A1 | B0 | C1 | C0$

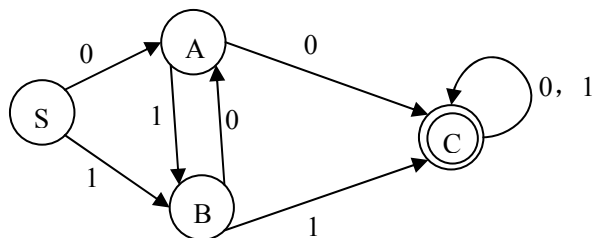
$C \rightarrow C0 | C1 | A1 | B0$

$A \rightarrow S1 | 1$

$B \rightarrow S0 | 0$

$S \rightarrow S0 | S1 | 0 | 1$

或者是确定化，然后最小化：



G(C)  $C \rightarrow C0 | C1 | A0 | B1$

$A \rightarrow 0 | B0$

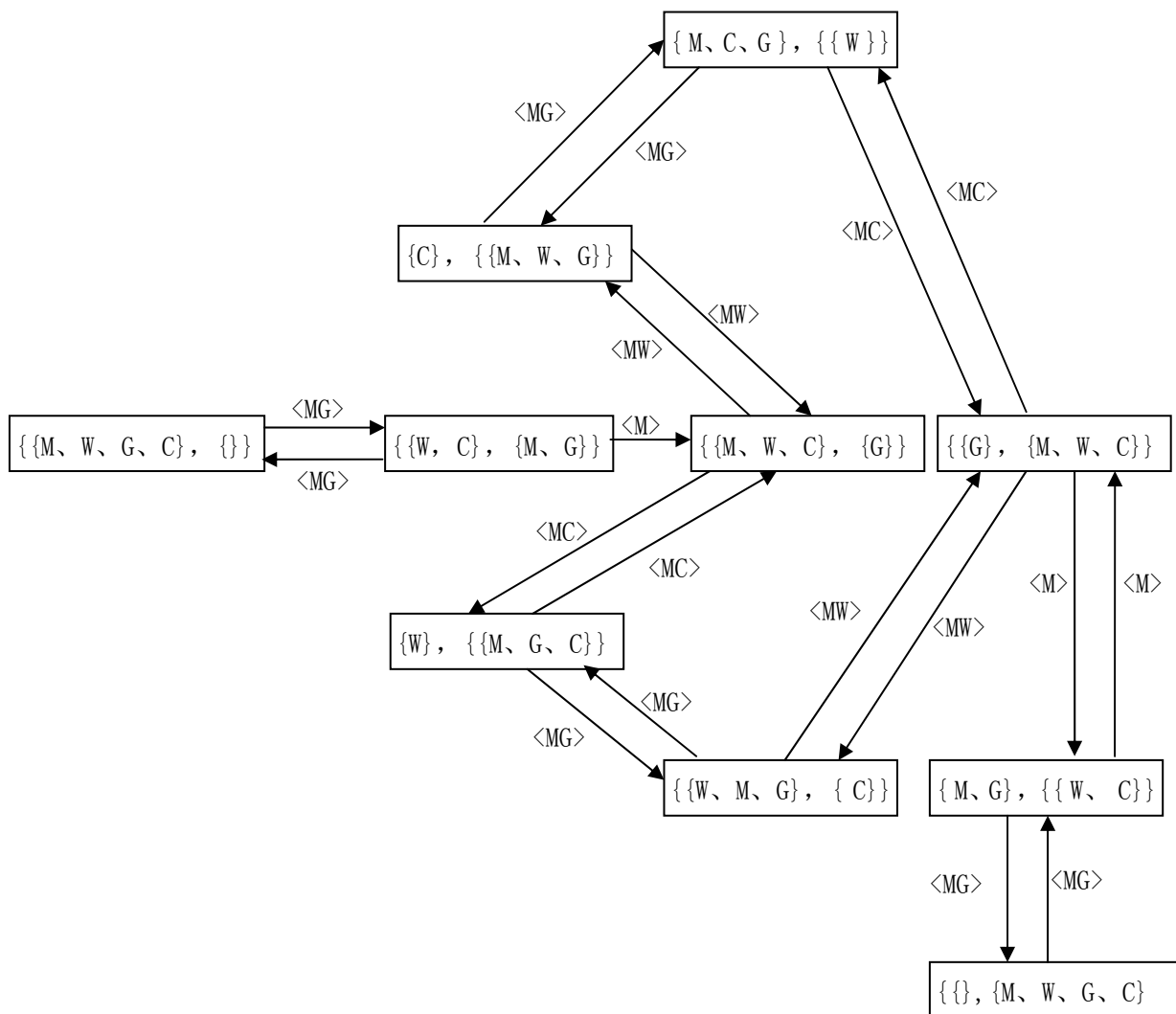
$B \rightarrow 1 | A1$

人、狼、羊、白菜：

$\{\{M, W, G, C\}, \{\}\}$  表示在左岸， $\{\{\}, \{M, W, G, C\}\}$  在右岸，将可能存在的状态中去掉不安全状态，剩下：

$\{\{M, W, G, C\}, \{\}\}$ ， $\{\{\}, \{M, W, G, C\}\}$ ， $\{\{M, W, G\}, \{C\}\}$ ， $\{\{M, W, C\}, \{G\}\}$ ，  
 $\{\{M, G, C\}, \{W\}\}$ ， $\{\{C\}, \{M, W, G\}\}$ ， $\{\{G\}, \{M, W, C\}\}$ ， $\{\{W\}, \{M, G, C\}\}$ ，  
 $\{\{M, G\}, \{W, C\}\}$ ， $\{\{W, C\}, \{M, G\}\}$

箭弧上的标记符：<M>：表示人单独过河、<MG>：表示人和羊过河、<MW>：表示人和狼过河、<MC>：表示人和白菜过河



#### 第四章

P81-1

(1) 按照 T, S 的顺序消除左递归

$G' (S): S \rightarrow a | \wedge | (T)$

$T \rightarrow ST'$

$T' \rightarrow , ST' | \epsilon$

递归下降子程序:

procedure S:

begin

    if sym = 'a' or sym = ' $\wedge$ '

        then advance

    else if sym = '('

        then begin

            advance; T;

            if sym = ')' then advance;

            else error;

        end

    else error

end

procedure T;

begin

    S;T'

End

Procedure T' ;

Begin

    If sym = ','

        Then begin

            Advance;

            S;T'

        End

End

其中: sym 为输入串指针所指的符号; advance 是把输入指针调至下一输入符号。

(2) 求 First 和 Follow 集合:

First (S) = {a,  $\wedge$ , (}      First (T) = {a,  $\wedge$ , (}      First (T') = {, ,  $\epsilon$ }

Follow (S) = {, , ), #}      Follow(T) = { ) }      Follow(T') = { ) }

	a	$\wedge$	(	)	,	#
S	$S \rightarrow a$	$S \rightarrow \wedge$	$S \rightarrow (T)$			
T	$T \rightarrow ST'$	$T \rightarrow ST'$	$T \rightarrow ST'$			
T'				$T' \rightarrow \epsilon$	$T' \rightarrow , ST'$	



P81-2

文法:  $E \rightarrow TE'$      $E' \rightarrow +E \mid \varepsilon$      $T \rightarrow FT'$      $T' \rightarrow T \mid \varepsilon$      $F \rightarrow PF'$      $F' \rightarrow *F' \mid \varepsilon$      $P \rightarrow (E) \mid a \mid b \mid \wedge$   
(1)

$\text{First}(E) = \{ (, a, b, \wedge \}$      $\text{First}(E') = \{ +, \varepsilon \}$      $\text{First}(T) = \{ (, a, b, \wedge \}$   
 $\text{First}(T') = \{ (, a, b, \wedge, \varepsilon \}$      $\text{First}(F) = \{ (, a, b, \wedge \}$      $\text{First}(F') = \{ *, \varepsilon \}$   
 $\text{First}(P) = \{ (, a, b, \wedge \}$   
 $\text{Follow}(E) = \{ \#, ) \}$      $\text{Follow}(E') = \{ \#, ) \}$      $\text{Follow}(T) = \{ +, ), \# \}$   
 $\text{Follow}(T') = \{ +, ), \# \}$      $\text{Follow}(F) = \{ +, (, a, b, \wedge, ), \# \}$      $\text{Follow}(F') = \{ +, (, a, b, \wedge, ), \# \}$   
 $\text{Follow}(P) = \{ *, +, (, a, b, \wedge, ), \# \}$

(2) 文法无左递归，考察  $E' \rightarrow +E \mid \varepsilon$      $T' \rightarrow T \mid \varepsilon$      $F' \rightarrow *F' \mid \varepsilon$      $P \rightarrow (E) \mid a \mid b \mid \wedge$

$E' \rightarrow +E \mid \varepsilon$ :  $\text{First}(E') = \{ +, \varepsilon \} \cap \text{Follow}(E') = \{ \#, ) \} = \Phi$

$T' \rightarrow T \mid \varepsilon$ :  $\text{First}(T') = \{ (, a, b, \wedge, \varepsilon \} \cap \text{Follow}(T') = \{ +, ), \# \} = \Phi$

$F' \rightarrow *F' \mid \varepsilon$ :  $\text{First}(F') = \{ *, \varepsilon \} \cap \text{Follow}(F') = \{ (, a, b, \wedge, ), \# \} = \Phi$

$P \rightarrow (E) \mid a \mid b \mid \wedge$ : 候选式终结首符集两两不相交

所以该文法为 LL(1) 文法。

(3) LL(1) 分析表

	+	*	(	)	a	b	$\wedge$	#
E			$E \rightarrow TE'$		$E \rightarrow TE'$	$E \rightarrow TE'$	$E \rightarrow TE'$	
E'	$E' \rightarrow +E$			$E' \rightarrow \varepsilon$				$E' \rightarrow \varepsilon$
T			$T \rightarrow FT'$		$T \rightarrow FT'$	$T \rightarrow FT'$	$T \rightarrow FT'$	
T'	$T' \rightarrow \varepsilon$		$T' \rightarrow T$	$T' \rightarrow \varepsilon$	$T' \rightarrow T$	$T' \rightarrow T$	$T' \rightarrow T$	$T' \rightarrow \varepsilon$
F			$F \rightarrow PF'$		$F \rightarrow PF'$	$F \rightarrow PF'$	$F \rightarrow PF'$	
F'	$F' \rightarrow \varepsilon$	$F' \rightarrow *F'$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$
P			$P \rightarrow (E)$		$P \rightarrow a$	$P \rightarrow b$	$P \rightarrow \wedge$	

(4) 构造递归下降程序

Procedure E;

Begin

    If sym = '(' or sym = 'a' or sym = 'b' or sym = ' $\wedge$ '

        Then begin T; E' end

    Else error

End

Procedure E' ;

Begin

    If sym = '+'

        Then begin advance ; E end

    Else if sym <> ')' and sym <> '#' then error

End

Procedure T;

Begin

    If sym = '(' or sym = 'a' or sym = 'b' or sym = ' $\wedge$ '

        Then begin F; T' end

    Else error

End

```
Procedure T';
Begin if sym = '(' or sym = 'a' or sym = 'b' or sym = '^'
      Then begin T;
      Else if sym = '*' then error
End
```

```
Procedure F;
Begin
  if sym = '(' or sym = 'a' or sym = 'b' or sym = '^'
  Then begin P;F' end
  Else error
End
```

```
Procedure F'
Begin
  If sym = '*'
  Then begin advance ; F' end
End
```

```
Procedure P;
Begin
  If sym = 'a' or sym = 'b' or sym = '^'
  Then advance
  Else if sym = '(' then
    Begin advance; E ;
    If sym = ')' then advance
    Else error
  End
  Else error
End
```

end

P81-3

解答：(1) 该文法不含左递归，计算 First 集合和 Follow 集合

$Fisrt(S) = \{a, b, c\}$        $First(A) = \{a, \epsilon\}$        $First(B) = \{b, \epsilon\}$

$Follow(S) = \{\#\}$        $Follow(A) = \{b, c\}$        $Follow(B) = \{c\}$

满足 LL(1) 文法的 3 个条件，所以是 LL(1) 文法；

(2) 该文法不含左递归，计算 First 集合和 Follow 集合

$Fisrt(S) = \{a, b\}$        $First(A) = \{a, b, \epsilon\}$        $First(B) = \{b, \epsilon\}$

$Follow(S) = \{\#\}$        $Follow(A) = \{b\}$        $Follow(B) = \{b\}$

考虑  $A \rightarrow a|B|\epsilon$ ,  $Fisrt(A)$  中含有  $\epsilon$ ，而  $Fisrt(A) \cap Follow(A) = \{b\}$ ，所以不是 LL(1) 文法；

(3) 该文法不含左递归，计算 First 集合和 Follow 集合

$Fisrt(S) = \{a, b, \epsilon\}$        $First(A) = \{a, \epsilon\}$        $First(B) = \{b, \epsilon\}$

$Follow(S) = \{\#\}$        $Follow(A) = \{a, b, \#\}$        $Follow(B) = \{a, b, \#\}$

考虑  $A \rightarrow a|\epsilon$ ,  $Fisrt(A)$  中含有  $\epsilon$ ，而  $Fisrt(A) \cap Follow(A) = \{a\}$ ，所以不是 LL(1) 文法；

(4) 是 LL(1) 文法

P82-4

文法:  $\text{Expr} \rightarrow -\text{Expr}$

$\text{Expr} \rightarrow (\text{Expr}) \mid \text{Var ExprTail}$

$\text{ExprTail} \rightarrow -\text{Expr} \mid \epsilon$

$\text{Var} \rightarrow \text{id VarTail}$

$\text{VarTail} \rightarrow (\text{Expr}) \mid \epsilon$

解答:  $\text{First}(\text{Expr}) = \{-, (, \text{id}\}$        $\text{First}(\text{Var}) = \{\text{id}\}$   
 $\text{First}(\text{ExprTail}) = \{-, \epsilon\}$        $\text{First}(\text{VarTail}) = \{ (, \epsilon \}$   
 $\text{Follow}(\text{Expr}) = \{ \#, ) \}$        $\text{Follow}(\text{Var}) = \{-, \#, ) \}$   
 $\text{Follow}(\text{ExprTail}) = \{ \#, ) \}$        $\text{Follow}(\text{VarTail}) = \{-, \#, ) \}$

所以 LL(1) 分析表:

	-	id	(	)	#
Expr	$\text{Expr} \rightarrow -\text{Expr}$	$\text{Expr} \rightarrow \text{Var ExprTail}$	$\text{Expr} \rightarrow (\text{Expr})$		
ExprTail	$\text{ExprTail} \rightarrow -\text{Expr}$			$\text{ExprTail} \rightarrow \epsilon$	$\text{ExprTail} \rightarrow \epsilon$
Var		$\text{Var} \rightarrow \text{id VarTail}$			
VarTail	$\text{VarTail} \rightarrow \epsilon$		$\text{VarTail} \rightarrow (\text{Expr})$	$\text{VarTail} \rightarrow \epsilon$	$\text{VarTail} \rightarrow \epsilon$

分析 id—id((id))

分析栈	输入	所用产生式
#Expr	id—id((id)) #	
#ExprTail Var	id—id((id)) #	$\text{Expr} \rightarrow \text{Var ExprTail}$
#ExprTail VarTail id	id—id((id)) #	$\text{Var} \rightarrow \text{id VarTail}$
#ExprTail VarTail	--id((id)) #	
#ExprTail	--id((id)) #	$\text{VarTail} \rightarrow \epsilon$
#Expr-	--id((id)) #	$\text{ExprTail} \rightarrow -\text{Expr}$
#Expr	-id((id)) #	
#Expr-	-id((id)) #	$\text{Expr} \rightarrow -\text{Expr}$
#Expr	id((id)) #	
#ExprTail Var	id((id)) #	$\text{Expr} \rightarrow \text{Var ExprTail}$
#ExprTail VarTail id	id((id)) #	$\text{Var} \rightarrow \text{id VarTail}$
#ExprTail VarTail	((id)) #	
#ExprTail )Expr(	((id)) #	$\text{VarTail} \rightarrow (\text{Expr})$
#ExprTail )Expr	(id)) #	
#ExprTail ))Expr(	(id)) #	$\text{Expr} \rightarrow (\text{Expr})$
#ExprTail ))Expr	id)) #	
#ExprTail ))ExprTail Var	id)) #	$\text{Expr} \rightarrow \text{Var ExprTail}$
#ExprTail ))ExprTail VarTail id	id)) #	$\text{Var} \rightarrow \text{id VarTail}$
#ExprTail )) ExprTail VarTail	)) #	
#ExprTail )) ExprTail	)) #	$\text{VarTail} \rightarrow \epsilon$
#ExprTail ))	)) #	$\text{ExprTail} \rightarrow \epsilon$
#ExprTail )	) #	
#ExprTail	#	
#	#	$\text{ExprTail} \rightarrow \epsilon$

## 第五章

P133-1

$E \Rightarrow E+T \Rightarrow E+T^*F$

短语： $E+T^*F$ ,  $T^*F$

直接短语： $T^*F$

句柄： $T^*F$

P133-2

文法： $S \rightarrow a \mid \Lambda \mid (T)$

$T \rightarrow T, S \mid S$

(1) 最左推导：

$S \Rightarrow (T) \Rightarrow (T, S) \Rightarrow (S, S) \Rightarrow (a, S) \Rightarrow (a, (T)) \Rightarrow (a, (T, S)) \Rightarrow (a, (S, S)) \Rightarrow (a, (a, S)) \Rightarrow (a, (a, a))$

$S \Rightarrow (T, S) \Rightarrow (S, S) \Rightarrow ((T), S) \Rightarrow ((T, S), S) \Rightarrow ((T, S, S), S) \Rightarrow ((S, S, S), S) \Rightarrow (((T), S, S), S)$

$\Rightarrow (((T, S), S, S), S) \Rightarrow (((S, S), S, S), S) \Rightarrow (((a, S), S, S), S) \Rightarrow (((a, a), S, S), S) \Rightarrow (((a, a), \Lambda, S), S)$

$\Rightarrow (((a, a), \Lambda, (T)), S) \Rightarrow (((a, a), \Lambda, (S)), S) \Rightarrow (((a, a), \Lambda, (a)), S) \Rightarrow (((a, a), \Lambda, (T)), a)$

最右推导： $S \Rightarrow (T) \Rightarrow (T, S) \Rightarrow (T, (T)) \Rightarrow (T, (T, S)) \Rightarrow (T, (T, a)) \Rightarrow (T, (S, a))$

$\Rightarrow (T, (a, a)) \Rightarrow (S, (a, a)) \Rightarrow (a, (a, a))$

$S \Rightarrow (T, S) \Rightarrow (T, a) \Rightarrow (S, a) \Rightarrow ((T), a) \Rightarrow ((T, S), a) \Rightarrow ((T, (T)), a) \Rightarrow ((T, (S)), a)$

$\Rightarrow ((T, (a)), a) \Rightarrow ((T, S, (a)), a) \Rightarrow ((T, \Lambda, (a)), a) \Rightarrow ((S, \Lambda, (a)), a) \Rightarrow ((T), \Lambda, (a)), a)$

$\Rightarrow (((T, S), \Lambda, (a)), a) \Rightarrow (((T, a), \Lambda, (a)), a) \Rightarrow (((S, a), \Lambda, (a)), a) \Rightarrow (((a, a), \Lambda, (a)), a)$

(2)

$((\underline{(a)}, \Lambda, (a)), a)$

$((\underline{(S)}, a), \Lambda, (a)), a)$

$((\underline{(T)}, a), \Lambda, (a)), a)$

$((\underline{(T, S)}, \Lambda, (a)), a)$

$((\underline{(T)}, \Lambda, (a)), a)$

$((\underline{(S)}, \Lambda, (a)), a)$

$((T, \Lambda, (a)), a)$

$((\underline{T}, S, (a)), a)$

$((T, (\underline{a})), a)$

$((T, (\underline{S})), a)$

$((T, (\underline{(T)})), a)$

$((\underline{(T, S)}), a)$

$((\underline{(T)}), a)$

$(\underline{S}, a)$   
 $(T, \underline{a})$   
 $(T, \underline{S})$   
 $\underline{(T)}$   
 $S$

移进归约过程：

步骤	栈	输入串	动作
0	#	$((a, a), \wedge, (a)), a) \#$	初始
1	# (	$((a, a), \wedge, (a)), a) \#$	移进
2	# ((	$(a, a), \wedge, (a)), a) \#$	移进
3	# (((	$A, a), \wedge, (a)), a) \#$	移进
4	# ((a	$, a), \wedge, (a)), a) \#$	移进
5	# (((S	$, a), \wedge, (a)), a) \#$	归约
6	# (((T	$, a), \wedge, (a)), a) \#$	归约
7	# (((T,	$A), \wedge, (a)), a) \#$	移进
8	# (((T, a	$), \wedge, (a)), a) \#$	移进
9	# (((T, S	$), \wedge, (a)), a) \#$	归约
10	# (((T	$), \wedge, (a)), a) \#$	归约
11	# (((T)	$, \wedge, (a)), a) \#$	移进
12	# ((S	$, \wedge, (a)), a) \#$	归约
13	# ((T	$, \wedge, (a)), a) \#$	归约
14	# ((T,	$\wedge, (a)), a) \#$	移进
15	# ((T, $\wedge$	$, (a)), a) \#$	移进
16	# ((T, S	$, (a)), a) \#$	归约
17	# ((T	$, (a)), a) \#$	归约
18	# ((T,	$(a)), a) \#$	移进
19	# ((T, (	$a)), a) \#$	移进
20	# ((T, (a	$)), a) \#$	移进
21	# ((T, (S	$)), a) \#$	归约
22	# ((T, (T	$)), a) \#$	归约
23	# ((T, (T)	$), a) \#$	移进
24	# ((T, S	$), a) \#$	归约
25	# ((T	$), a) \#$	归约
26	# ((T)	$, a) \#$	移进
27	# (S	$, a) \#$	归约
28	# (T	$, a) \#$	归约
29	# (T,	$a) \#$	移进
30	# (T, a	$) \#$	移进
31	# (T, S	$) \#$	归约
32	# (T	$) \#$	归约
33	# (T)	$\#$	移进
34	#S	$\#$	归约

P133-3: 文法:  $G(S): S \rightarrow a \mid \wedge \mid (T) \quad T \rightarrow T, S \mid S$

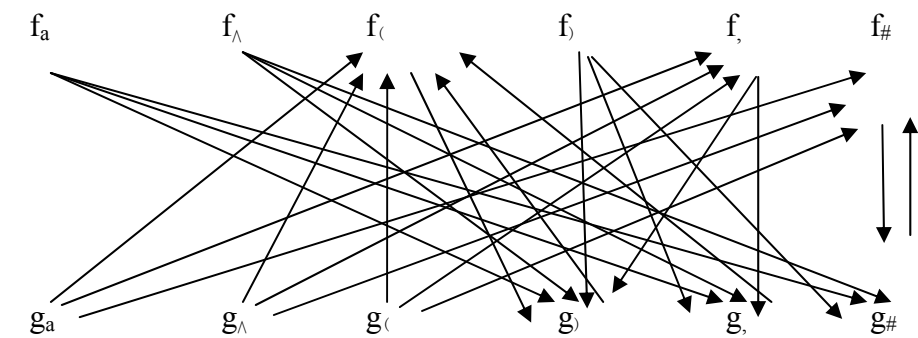
- (1)  $FIRSTVT(S) = \{ a, \wedge, ( \}$       $FIRSTVT(T) = \{ ,, a, \wedge, ( \}$   
 $LASTVT(S) = \{ a, \wedge, ) \}$       $LASTVT(T) = \{ ,, a, \wedge, ) \}$

(2) 算符优先分析表

	a	$\wedge$	(	)	,	#
a				$\triangleright$	$\triangleright$	$\triangleright$
$\wedge$				$\triangleright$	$\triangleright$	$\triangleright$
(	$\triangleleft$	$\triangleleft$	$\triangleleft$	=	$\triangleleft$	
)				$\triangleright$	$\triangleright$	$\triangleright$
,	$\triangleleft$	$\triangleleft$	$\triangleleft$	$\triangleright$	$\triangleright$	
#	$\triangleleft$	$\triangleleft$	$\triangleleft$			=

(3) 优先函数:

	a	$\wedge$	(	)	,	#
f	6	6	2	6	4	2
g	7	7	7	2	3	2



如果不考虑#, 则: 优先函数:

	a	$\wedge$	(	)	,
f	4	4	2	4	4
g	5	5	5	2	3

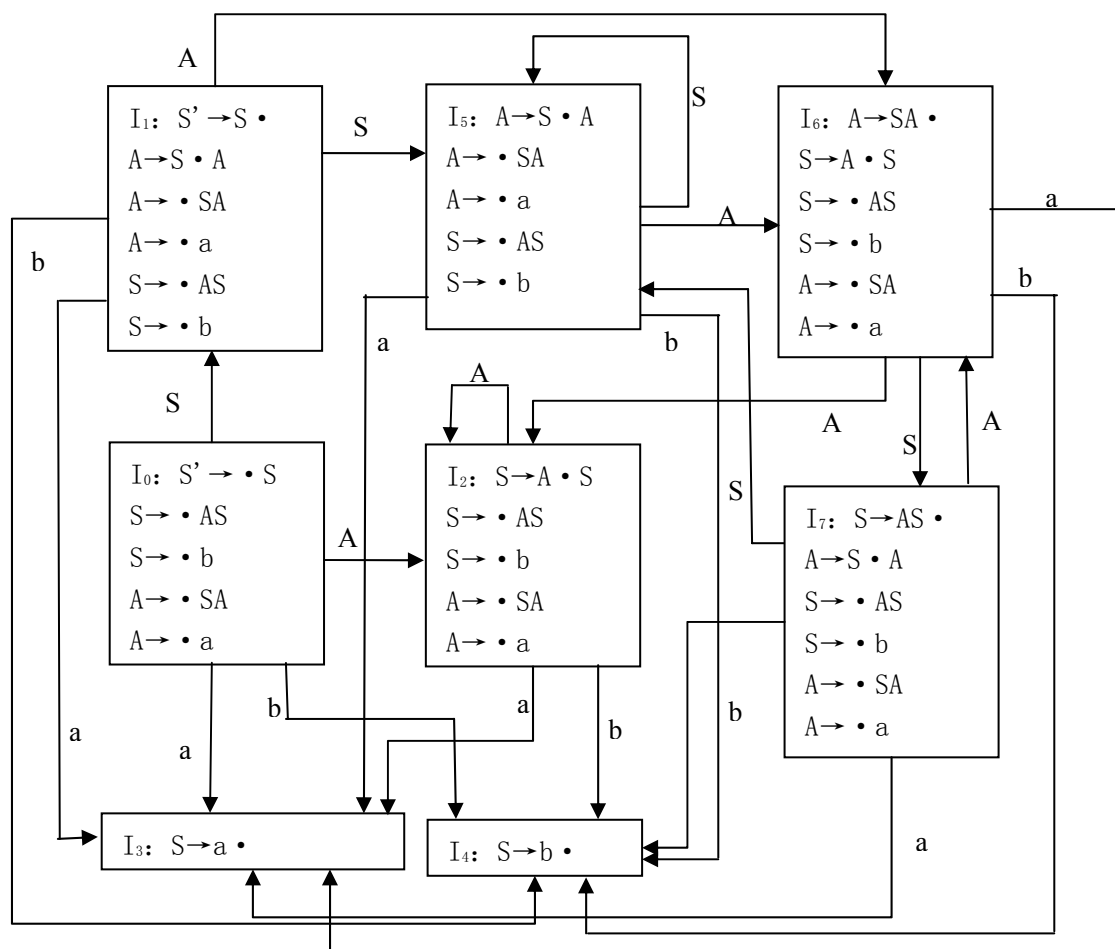
分析过程:

栈	输入	
#	(a, (a, a)) #	初始
#(	a, (a, a)) #	移进
#(a	, (a, a)) #	移进
#(S	, (a, a)) #	归约
#(S,	(a, a)) #	移进
#(S, (	a, a)) #	移进
#(S, (a	, a)) #	移进
#(S, (S	, a)) #	归约
#(S, (S,	a)) #	移进

#(S, (S, a	) ) #	移进
#(S, (S, S	) ) #	归约
#(S, (T	) ) #	归约
#(S, (T)	) #	移进
#(S, S	) #	归约
#(T	) #	归约
#(T)	#	移进
#S	#	归约

P134-5

(1)



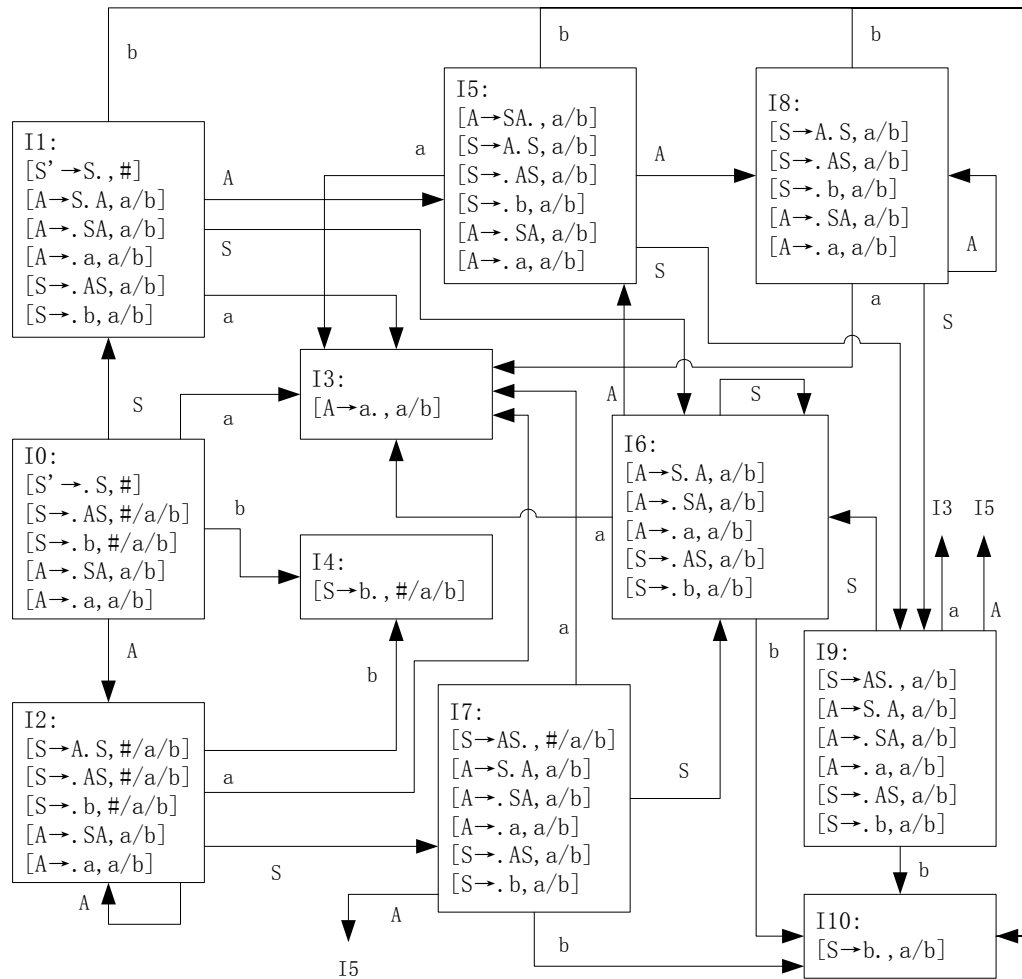
考察 I1、I6、I7:

I1: 存在移进-归约冲突，因为  $\text{Follow}(S') = \{\#\}$ ，不包含 a 或 b，因此冲突可以使用 SLR 解决方法解决。

I6: 存在移进-归约冲突，因为  $\text{Follow}(A) = \{a, b\}$ ，因此无法使用 SLR 方法解决移进-归约冲突

I7: 存在移进-归约冲突，因为  $\text{Follow}(S) = \{\#, a, b\}$ ，因此无法解决移进-归约冲突所以不是 SLR(1) 文法。

构造 LR(1) 项目集规范族:



检查 I5,  $[A \rightarrow SA. , a/b]$ , 要求输入为 a 或者 b 使用  $A \rightarrow SA$  归约, 而  $[S \rightarrow . b, a/b]$  及  $[A \rightarrow . a, a/b]$  要求移进, 因此存在移进-归约冲突, 所以不是 LR(1) 文法。

P135-8

解答:

不存在左递归;

因为  $\text{First}(AaAb) = \{a\}$ ,  $\text{First}(BbBa) = \{b\}$  所以交集为空

所以该文法是 LL(1) 文法。

$I_0 = \{S \rightarrow . AaAb, S \rightarrow . BbBa, A \rightarrow ., B \rightarrow .\}$

$I_1 = G_0(I_0, A) = \{S \rightarrow A. aAb\}$

$I_2 = G_0(I_0, B) = \{S \rightarrow B. bBa\}$

$I_3 = G_0(I_1, a) = \{S \rightarrow Aa. Ab, A \rightarrow .\}$

$I_4 = G_0(I_2, b) = \{S \rightarrow Bb. Ba, B \rightarrow .\}$

$I_5 = G_0(I_3, A) = \{S \rightarrow AaA. b\}$

$I_6 = G_0(I_4, B) = \{S \rightarrow BbB. a\}$

$I_7 = G_0(I_5, b) = \{S \rightarrow AaAb.\}$

$I_8 = G_0(I_6, a) = \{S \rightarrow BbBa.\}$

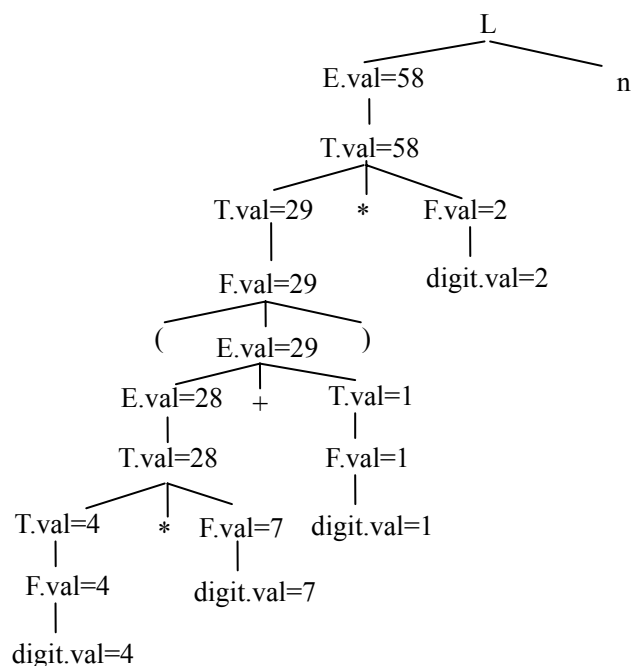
考虑:  $I_0$ : 存在两个归约项目,  $A \rightarrow ., B \rightarrow ., \text{Follow}(A) = \{a, b\}, \text{Follow}(B) = \{a, b\}$ , 所以冲突不能解决, 不是 SLR(1) 文法。



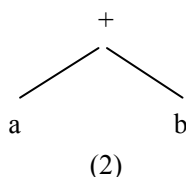
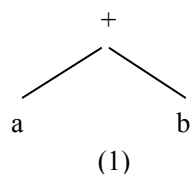
## 第六章

P164-1

解答：表达式  $(4*7+1)*2$  的附注语法树：



P164-2



p165-5

(1)

$E \rightarrow E_1 + T$       { if ( $E_1.type = int$ ) and ( $T.type = int$ ) then  $E.type = int$   
                                 Else  $E.type = real$  }

$E \rightarrow T$               {  $E.type = T.type$  }

$T \rightarrow num. num$       {  $T.type = real$  }

$T \rightarrow num$             {  $T.type = int$  }

(2)

$E \rightarrow E_1 + T$       { if ( $E_1.type = int$ ) and ( $T.type = int$ ) then  
                                  $E.type = int$   
                                  $E.code = E_1.code \parallel T.code \parallel +$   
         Else if ( $E_1.type = real$ ) and ( $T.type = real$ )  
                  $E.type = real$   
                  $E.code = E_1.code \parallel T.code \parallel +$   
         Else if  $E_1.type = int$  then  
                  $E.type = real$   
                  $E.code = E_1.code \parallel intto real \parallel T.code \parallel +$

```

        Else
            E.type = real
            E.code = E1.code || T.code || inttoreal || +
        End if
E → T      { E.type = T.type
             E.code = T.code }
T → num. num { T.type = real
             E.code = num.num }
T → num     { T.type = int
             E.code = num }
    
```

P164-7

```

S → L1.L2    { S.val = L1.val + L2.val / 2L2.length }
S → L         { S.val = L.val }
L → L1B       { L.val = 2*L1.val + B.c
               L.length = L1.length + 1 }
L → B         { L.val = B.c
               L.length = 1 }
B → 0         { B.c = 0 }
B → 1         { B.c = 1 }
    
```

P165-11

对 D, L, T 设置综合属性 type。过程 addtype (id.entry, type) 用来将标识符 id 的类型 type 填入到符号表中。

(1) 翻译模式：

```

D → id L      { addtype (id.entry, L.type) }
L → , id L1   { L.type = L1.type ; addtype (id.entry, L1.type) }
L → :T        { L.type = T.type }
T → integer   { T.type = integer }
T → real      { T.type = real }
    
```

(2) 假设 Ttype 为已定义的表示“类型”的数据结构，预测翻译器如下：

procedure D;

```

    var l_type: Ttype
    begin
        if sym = "id" then
            begin
                advance ;
                l_type = L ;
                addtype(id.entry , l_type)
            end
        else error
    end;
    
```

end;

```
procedure L;  
  var l_type:Ttype;  
  begin  
    if sym = “,” then  
      begin  
        advance;  
        if sym = “id” then  
          begin  
            advance ;  
            l_type = L ;  
            adddtype(id.entry, l_type)  
          end  
        else error ;  
      end  
    else if sym = “:” then  
      begin  
        advance ;  
        l_type = T ;  
      end  
    else error ;  
  return (l_type) ;  
end;
```

```
procedure T ;  
  var t_type: Ttype ;  
  begin  
    if sym = “integer” then  
      begin  
        advance ;  
        t_type = integer ;  
      end  
    else if sym = “real” then  
      begin  
        advance ;  
        t_type = real ;  
      end  
    else error  
  return(t_type);  
end;
```

## 第七章

P217-1

$a * (-b + c)$  后缀式:  $ab - c + *$

$a + b * (c + d / e)$  后缀式:  $abcde / + * +$

$-a + b * (-c + d)$  后缀式:  $a - bc - d + * +$

not A or not (C or not D) 后缀式: A not C D not or not or

(A and B) or (not C or D) 后缀式: A B and C not D or or

(A or B) and (C or not D and E) 后缀式: A B or C D not E and or and

if (x + y) \* z = 0 then (a + b) ↑ c else a ↑ b ↑ c 后缀式:  $xy + z * 0 = ab + c \uparrow abc \uparrow \uparrow$  if-then-else

P217-3

$-(a + b) * (c + d) - (a + b + c)$

三元式:

(1) +, a, b

(2) -, (1), -

(3) +, c, d

(4) \*, (2), (3)

(5) +, a, b

(6) +, (5), c

(7) -, (4), (6)

间接三元式:

三元式表:

(1) +, a, b

(2) -, (1), -

(3) +, c, d

(4) \*, (2), (3)

(5) +, (1), c

(6) -, (4), (5)

间接码表: (1), (2), (3), (4), (1), (5), (6)

四元式序列:

(1) +, a, b, T1

(2) -, T1, -, T2

(3) +, c, d, T3

(4) \*, T2, T3, T4

(5) +, a, b, T5

(6) +, T5, c, T6

(7) -, T4, T6, T7

P218-8

自下而上分析过程中把赋值语句  $A := B * (-C + D)$  翻译成四元式的步骤：

步骤	输入串	栈	PLACE	四元式
(1)	$A := B * (-C + D)$			
(2)	$:= B * (-C + D)$	i	A	
(3)	$B * (-C + D)$	i :=	A-	
(4)	$* (-C + D)$	i := i	A-B	
(5)	$* (-C + D)$	i := E	A-B	
(6)	$(-C + D)$	i := E*	A-B-	
(7)	$-C + D)$	i := E* (	A-B--	
(8)	$C + D)$	i := E* (-	A-B---	
(9)	$+ D)$	i := E* (-i	A-B---C	
(10)	$+ D)$	i := E* (-E	A-B---C	(-, C, -, T1)
(11)	$+ D)$	i := E* (E	A-B--T1	
(12)	$D)$	i := E* (E+	A-B--T1-	
(13)	$)$	i := E* (E+i	A-B--T1-D	
(14)	$)$	i := E* (E+E	A-B--T1-D	(+, T1, D, T2)
(15)	$)$	i := E* (E	A-B--T2	
(16)		i := E* (E)	A-B--T2-	
(17)		i := E*E	A-B-T2	(*, B, T2, T3)
(18)		i := E	A-T3	(:=, T3, -, A)
(19)		A		

P218-5

设 A、B 为  $10 \times 20$  的数组，C、D 大小为 10 的数组，数组每维下届为 1，每个数据项宽度为 4，则：

$A[i, j] := B[i, j] + C[A[k, 1]] + D[i+j]$

$T1 := i * 20$

$T1 := T1 + j$

$T2 := A - 84$

$T3 := 4 * T1$

$T4 := i * 20$

$T4 := T4 + j$

$T5 := B - 84$

$T6 := 4 * T4$

$T7 := T5[T6]$

$T8 := k * 20$

$T8 = T8 + 1$

$T9 := A - 84$

$T10 := 4 * T8$

$T11 := T9[T10]$

$T12 := C - 4$

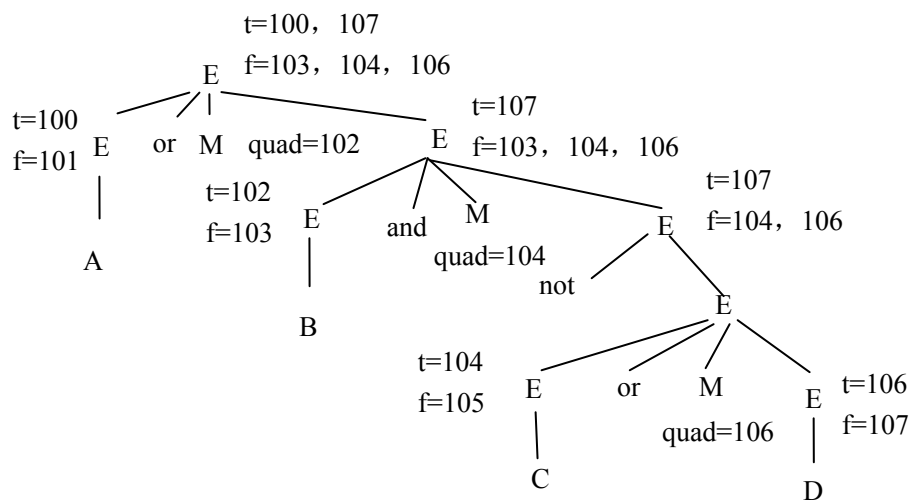
$T13 := 4 * T11$

$T14 := T12[T13]$

T15 := T7 + T14  
 T16 := i + j  
 T17 := D - 4  
 T18 := 4 \* T16  
 T19 := T17[T18]  
 T20 := T15 + T19  
 T2[T3] := T20

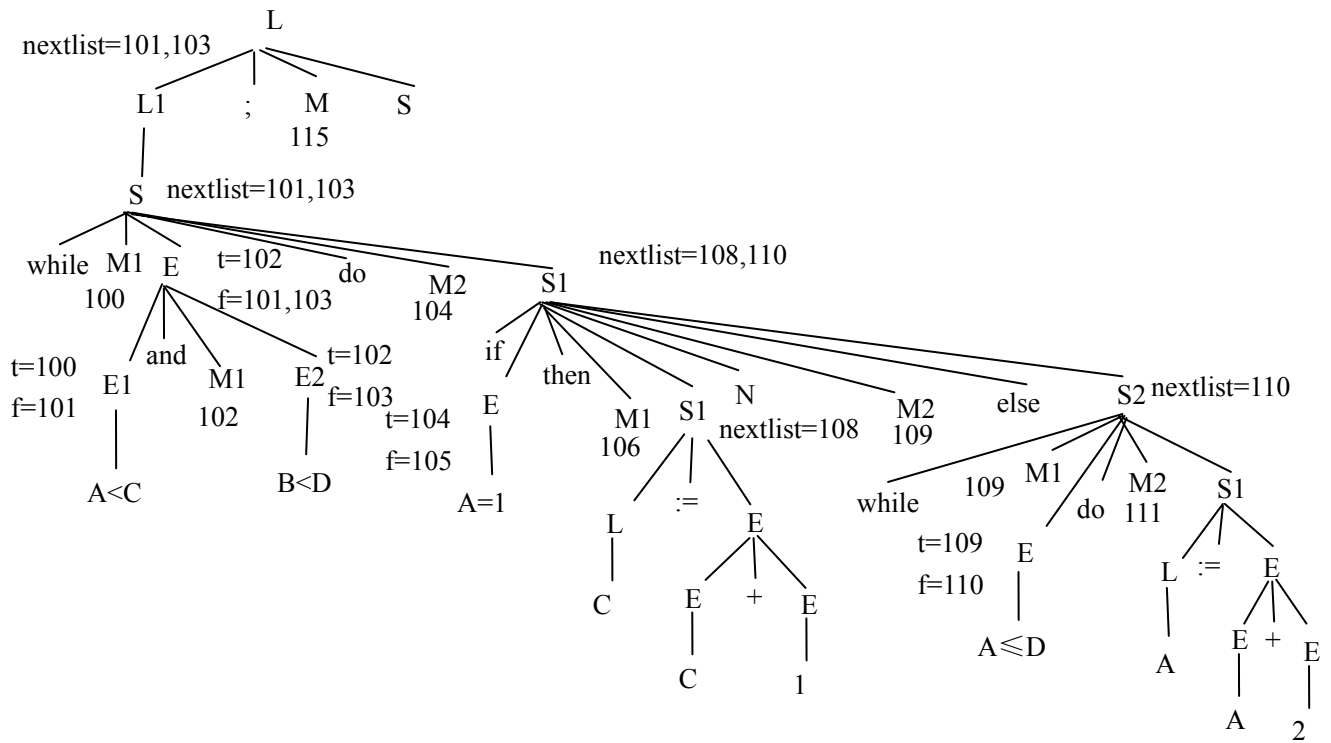
P218-6

A or (B and not (C or D)):



100: (jnz, A, -, 0)  
 101: (j, -, -, 102)  
 102: (jnz, B, -, 104)  
 103: (j, -, -, 0)  
 104: (jnz, C, -, 0)  
 105: (j, -, -, 106)  
 106: (jnz, D, -, 0)  
 107: (j, -, -, 0)

P218-7



- 100: (j<, A, C, 102)
- 101: (j, -, -, 115)
- 102: (j<, B, D, 104)
- 103: (j, -, -, 115)
- 104: (j=, A, '1', 106)
- 105: (j, -, -, 109)
- 106: (+, C, '1', T1)
- 107: (: =, T1, -, C)
- 108: (j, -, -, 100)
- 109: (j<=, A, D, 111)
- 110: (j, -, -, 100)
- 111: (+, A, '2', T2)
- 112: (: =, T2, -, A)
- 113: (j, -, -, 109)
- 114: (j, -, -, 100)
- 115:

P219-12

(1) 如果该程序执行，则先会打印出：

MAXINT-5

MAXINT-4

MAXINT-3

MAXINT-2

MAXINT-1

MAXINT

然后对于有些可能出现的整型数溢出而出现运行时的异常。

(2) 根据其语义，先确定 PASCAL 语言 for 语句的中间代码结构如下：

t1 := initial

t2 := final

if t1 > t2 goto L2

v := t1

L1: S 的代码

if v = t2 goto L2

v := v + 1

goto L1

L2:

为了便于语法制导的翻译，将 PASCAL 语言的 for 语句：

$S \rightarrow \text{for } V := E1 \text{ to } E2 \text{ do } S1$

改写成如下产生式：

$S \rightarrow F \text{ do } S1$

$F \rightarrow \text{for } v := E1 \text{ to } E2$

翻译模式如下：

$F \rightarrow \text{for } v := E1 \text{ to } E2$

```
{ F.nextlist := makelist(nextquad);  
  emit (j>, E1.place, E2.place, 0);  
  emit (:=, E1.place, -, v.place);  
  F.quad := nextquad;  
  F.place1 := E2.place;  
  F.place2 := entry (v); }
```

$S \rightarrow F \text{ do } S1$

```
{ backpatch (S1.nextlist, F.quad);  
  S.nextlist := merge (F.nextlist, makelist (nextquad));  
  emit (j=, F.place1, F.place2, 0);  
  emit (+, F.place2, 1, F.place2);  
  emit (j, -, -, F.quad) }
```



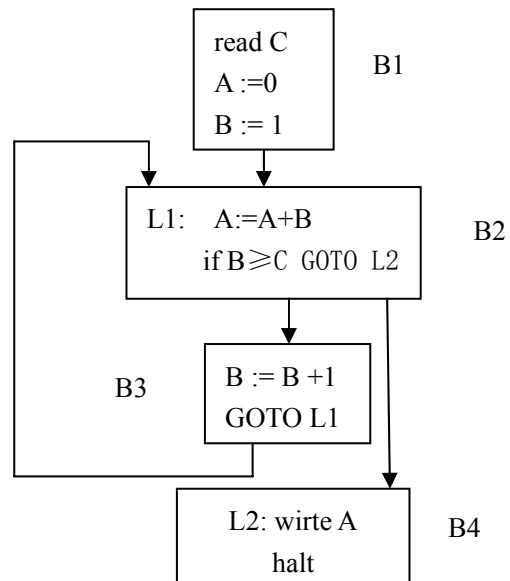
## 第十章

P306-1:

```

read C
A := 0
B := 1
L1: A := A + B
    if B ≥ C GOTO L2

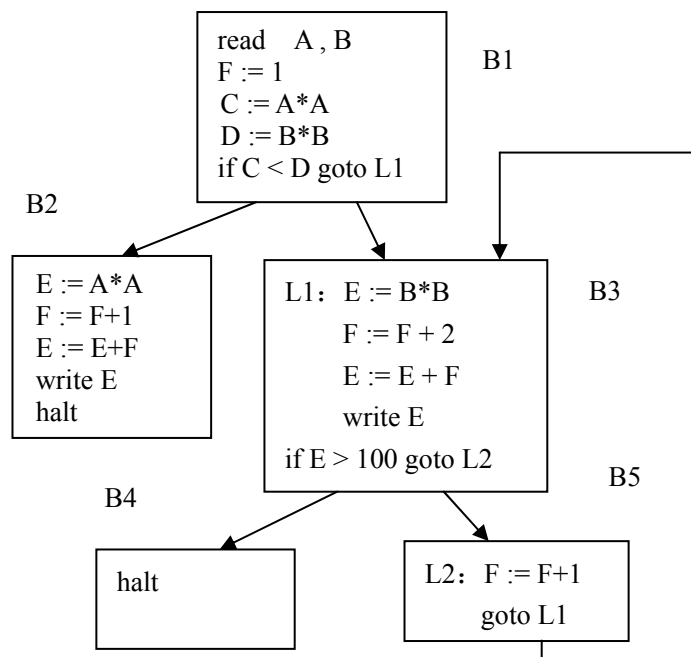
    B := B + 1
    GOTO L1
L2: write A
    halt
    
```



P306-2

```

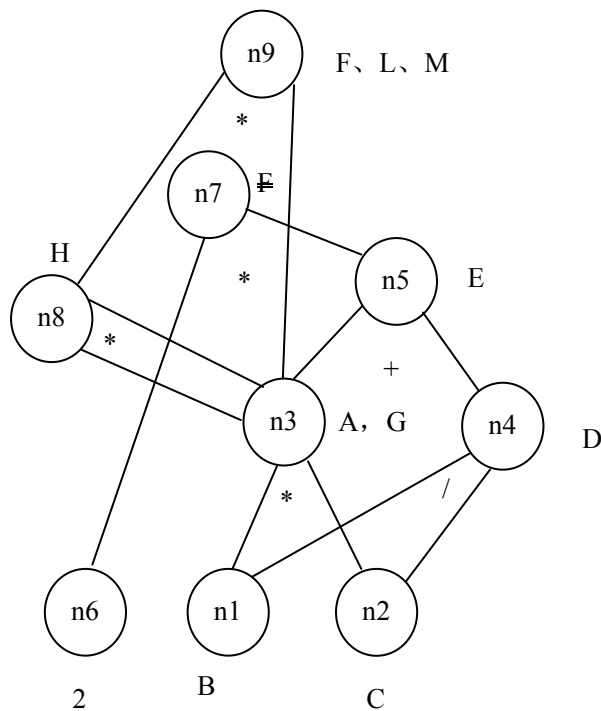
read A, B
F := 1
C := A * A
D := B * B
if C < D goto L1
E := A * A
F := F + 1
E := E + F
write E
halt
L1: E := B * B
    F := F + 2
    E := E + F
    write E
    if E > 100 goto L2
    halt
L2: F := F + 1
    goto L1
    
```



P306-3 基本块：

B1: A := B\*C  
D := B/C  
E := A+D  
F := 2\*E  
G := B\*C  
H := G\*G  
F := H\*G  
L := F  
M := L

B2: B := 3  
D := A+C  
E := A\*C  
G := B\*F  
H := A+C  
I := A\*C  
J := H+I  
K := B\*5  
L := K+J  
M := L

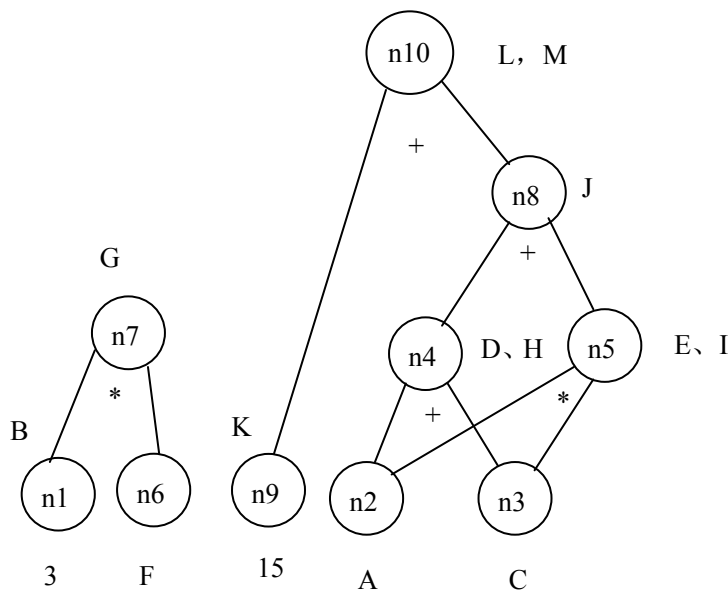


如果只有 G、L、M 在基本块后还要被引用，则优化为：

G := B\*C  
S1 := G\*G  
L := S1\*G  
M := L  
(S1 为临时变量)

如果只有 L 在基本块后还要被引用，则优化为：

S1 := B\*C  
S2 := S1\*S1  
L := S2\*S1  
(S1、S2 为临时变量)



如果只有 G、L、M 在基本块后还要被引用，则优化为：

G := 3\*F  
S1 := A+C  
S2 := A\*C  
S3 := S1+S2  
L := 15 + S3  
(S1、S2、S3 为临时变量)

如果只有 L 在基本块后还要被引用，则优化为：

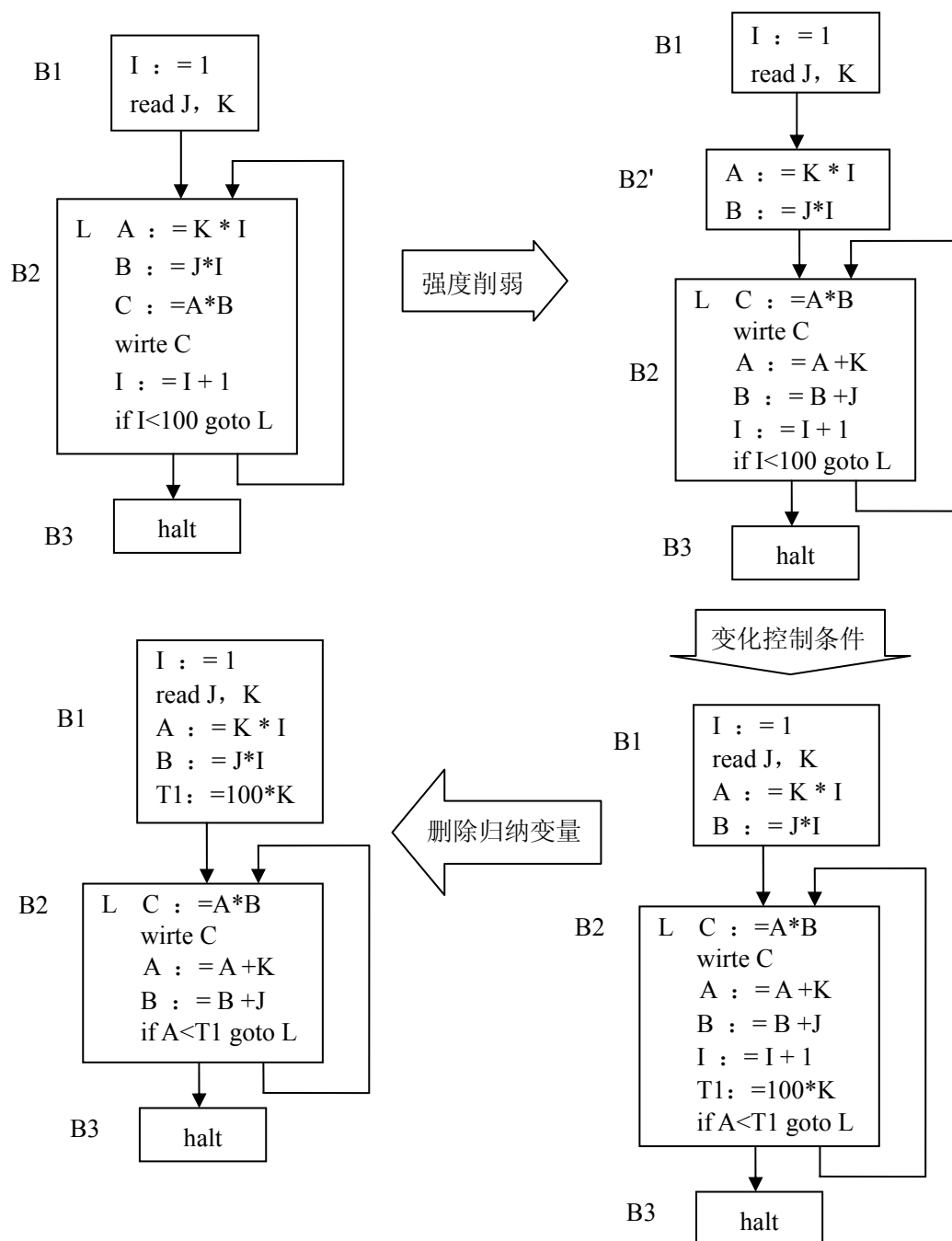
S1 := A+C  
S2 := A\*C  
S3 := S1+S2  
L := 15 + S3  
(S1、S2、S3 为临时变量)

P307-4 对一下四元式程序，对其中循环进行循环优化：

```

I := 1
read J, K
L:  A := K * I
    B := J * I
    C := A * B
    write C
    I := I + 1
    if I < 100 goto L
halt
    
```

解答：首先进行基本块划分，画出程序流图：从图中可以看出需要优化的循环块为 B2



P307-5 以下是某程序的最内循环模式对其进行循环优化。

```
A := 0
I := 1
L1:  B := J + 1
     C := B + I
     A := C + A
     if I = 100 goto L2
     I := I + 1
     goto L1
L2:
```

解答：首先做出程序流图，然后进行优化：

