

## APTITUDE NOTES – SECTION 1: QUANTITATIVE APTITUDE

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### 1. Number System

#### Key Concepts:

- Every number can be classified as **Natural, Whole, Integer, Rational**, or **Irrational**.
- **Prime Number**: A number divisible only by 1 and itself.
- **Composite Number**: Non-prime, positive integers greater than 1.
- **Even & Odd**: Even  $\rightarrow$  divisible by 2; Odd  $\rightarrow$  not divisible by 2.
- **Divisibility Rules**:
  - 2  $\rightarrow$  Last digit even
  - 3  $\rightarrow$  Sum of digits divisible by 3
  - 4  $\rightarrow$  Last two digits divisible by 4
  - 5  $\rightarrow$  Ends in 0 or 5
  - 6  $\rightarrow$  Divisible by both 2 and 3
  - 8  $\rightarrow$  Last three digits divisible by 8
  - 9  $\rightarrow$  Sum of digits divisible by 9
  - 11  $\rightarrow$  (Sum of odd-position digits – Sum of even-position digits) divisible by 11

#### Examples:

- Check if 918 is divisible by 6  $\rightarrow$  divisible by 2 and 3  $\rightarrow$  ☒ Yes.
- Largest 3-digit number divisible by 7 =  $(999 \div 7 = 142.7) \rightarrow 142 \times 7 = 994$ .

#### Tips:

- Always reduce fractions to simplest form.
- When dividing large numbers, look for divisibility patterns.

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### 2. HCF & LCM

#### Key Concepts:

- **HCF (Highest Common Factor)** = greatest number dividing all.
- **LCM (Least Common Multiple)** = smallest number divisible by all.
- Relation:  **$HCF \times LCM = \text{Product of numbers (for 2 numbers)}$** .

#### Example:

Find HCF and LCM of 12, 15.

Prime factors:

$$12 = 2^2 \times 3$$

$$15 = 3 \times 5$$

$$\rightarrow \text{HCF} = 3, \text{LCM} = 2^2 \times 3 \times 5 = 60.$$

**Tip:**

For large numbers, use the **Euclidean method** for HCF.

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### 3. Ratio & Proportion

**Key Concepts:**

- **Ratio (a : b)** =  $a/b$
- **Proportion**  $\rightarrow a : b = c : d \Rightarrow ad = bc$
- **Continued Proportion:**  $a : b = b : c$
- **Compound Ratio:**  $(a : b) \times (c : d) = ac : bd$

**Example:**

If 3 pens cost ₹24, what will 7 pens cost?

$$\rightarrow 3 : 7 = 24 : x \rightarrow 3x = 168 \rightarrow x = 56$$

**Tips:**

- Always keep ratios in **same units**.
  - Inverse proportion  $\rightarrow$  product constant (e.g. speed  $\propto$  1/time).
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### 4. Percentages

**Key Concepts:**

- Percentage =  $(\text{Value} / \text{Total}) \times 100$
- To convert %  $\rightarrow$  fraction: divide by 100
- Successive % change formula:
- Net % change =  $A + B + (A \times B)/100$

**Example:**

If price increases by 20% and then decreases by 10%,

$$\text{Net} = 20 + (-10) + (20 \times -10)/100 = 10 - 2 = 8\% \text{ increase.}$$

**Tips:**

- % increase/decrease problems can be solved quickly using ratios.

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## 5. Profit, Loss & Discount

### Key Concepts:

- **Cost Price (CP), Selling Price (SP), Marked Price (MP).**
- **Profit/Loss %** = (Profit or Loss / CP)  $\times$  100
- **Discount %** = (MP – SP) / MP  $\times$  100

### Example:

A shopkeeper buys at ₹200, sells at ₹240  $\rightarrow$  Profit = ₹40  $\rightarrow$  Profit% =  $40/200 \times 100 = 20\%$ .

### Tips:

- Use **Successive Discounts formula**:
  - Net discount =  $a + b - (ab)/100$
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## 6. Simple & Compound Interest

### Formulas:

- **SI** =  $(P \times R \times T) / 100$
- **CI** =  $P \times [(1 + R/100)^T - 1]$

### Example:

₹5000 at 10% for 2 years

$\rightarrow$  SI =  $5000 \times 10 \times 2 / 100 = ₹1000$

$\rightarrow$  CI =  $5000 \times (1.1^2 - 1) = 5000 \times 0.21 = ₹1050$

### Tips:

- Difference between CI & SI (for 2 years) =  $P \times (R^2/100^2)$ .
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## 7. Time, Speed & Distance

### Formulas:

- **Speed** = Distance / Time
- **Distance** = Speed  $\times$  Time
- **Time** = Distance / Speed
- Conversion: 1 km/hr =  $5/18$  m/s

**Example:**

A train covers 120 km in 2 hrs  $\rightarrow$  Speed = 60 km/hr

**Tips:**

- Opposite direction: relative speed = sum of speeds
  - Same direction: relative speed = difference
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**8. Time & Work****Key Concepts:**

- **Work = Rate  $\times$  Time**
- If A can do a work in x days  $\rightarrow$  A's 1-day work =  $1/x$
- Combined work: (A + B)'s 1-day work =  $1/x + 1/y$

**Example:**

A can do a job in 10 days, B in 15  $\rightarrow$  Together =  $(1/10 + 1/15) = 1/6 \rightarrow$  6 days.

**Tips:**

- For alternate day problems, find total work as LCM of denominators.
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**9. Averages****Formula:**

- **Average = (Sum of all terms) / (Number of terms)**

**Example:**

Find average of 10, 15, 25  $\rightarrow (10+15+25)/3 = 16.67$

**Tips:**

- When equal numbers are added/removed, difference is adjusted by  $(\pm x/n)$ .
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**10 Mixtures & Alligations****Formula:**

- **Rule of Alligation:**
- Mean – Cheaper : Dearer – Mean = Ratio of quantities

**Example:**

Mix 2 varieties of rice at ₹20/kg and ₹30/kg to get ₹26/kg mixture.

$$\rightarrow 26-20 : 30-26 = 6 : 4 = 3 : 2$$

**Tip:**

Used in questions mixing cost, concentration, or price.

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## 11. Permutations & Combinations

**Formula:**

- **Permutations (nPr)** =  $n! / (n-r)!$
- **Combinations (nCr)** =  $n! / [r! \times (n-r)!]$

**Example:**

Number of ways to select 3 from 5  $\rightarrow {}^5C_3 = 10$

**Tip:**

Order matters  $\rightarrow$  use permutation; order doesn't  $\rightarrow$  combination.

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## 12. Probability

**Formula:**

$$P(E) = \text{Favourable outcomes} / \text{Total outcomes}$$

**Example:**

Tossing a coin  $\rightarrow P(\text{Head}) = 1/2$

**Tips:**

- Mutually exclusive events  $\rightarrow P(A \text{ or } B) = P(A) + P(B)$
  - Independent events  $\rightarrow P(A \text{ and } B) = P(A) \times P(B)$
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### 13. Geometry & Mensuration

#### Key Formulas:

- Area of triangle =  $\frac{1}{2} \times \text{base} \times \text{height}$
- Circle:
  - Area =  $\pi r^2$
  - Circumference =  $2\pi r$
- Rectangle: Area =  $l \times b$ , Perimeter =  $2(l+b)$
- Volume of Cylinder =  $\pi r^2 h$
- Volume of Sphere =  $(4/3)\pi r^3$

#### Tip:

Always keep units consistent ( $\text{cm}^2$ ,  $\text{m}^3$ , etc.)

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### 14. Algebra & Equations

#### Key Concepts:

- **Linear Equation:**  $ax + b = 0 \Rightarrow x = -b/a$
- **Quadratic:**  $ax^2 + bx + c = 0 \Rightarrow$
- $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$
- **Sum & Product of roots:**
  - $\alpha + \beta = -b/a$
  - $\alpha\beta = c/a$

#### Example:

Solve  $x^2 - 5x + 6 = 0 \rightarrow (x-2)(x-3)=0 \rightarrow x=2,3$

#### Tips:

Factorization helps in saving time.