

Dashboard V2

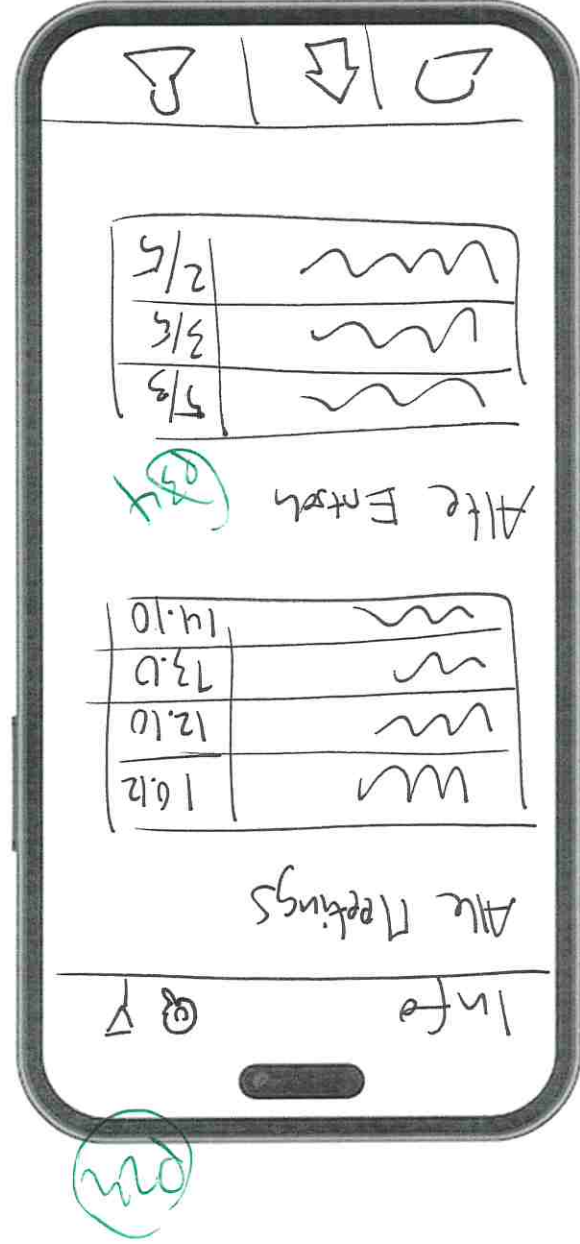
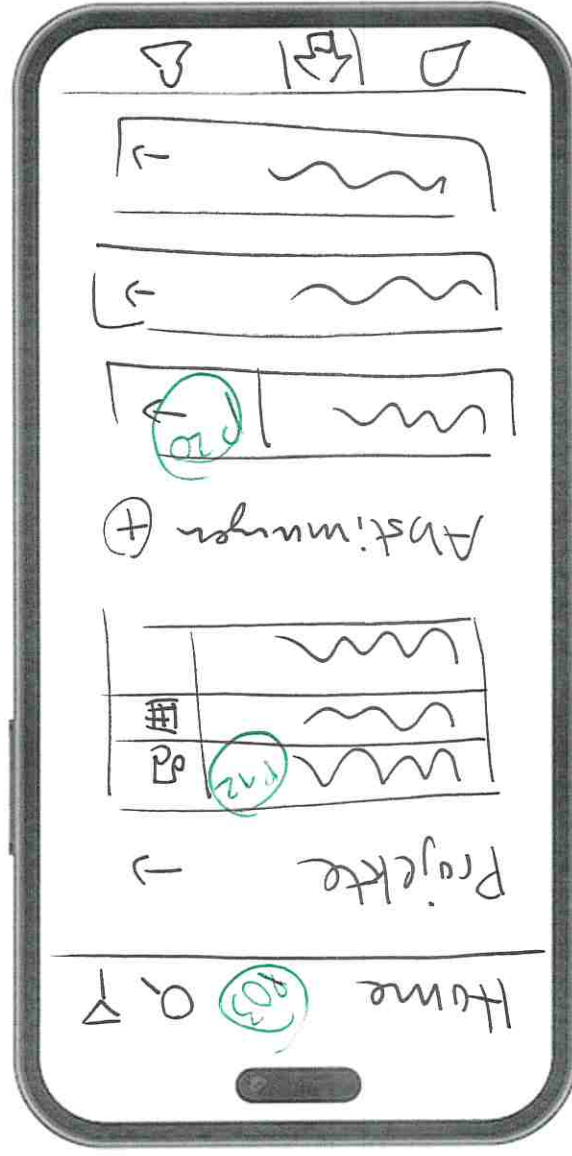


Dashboard v1



Dashboard V3

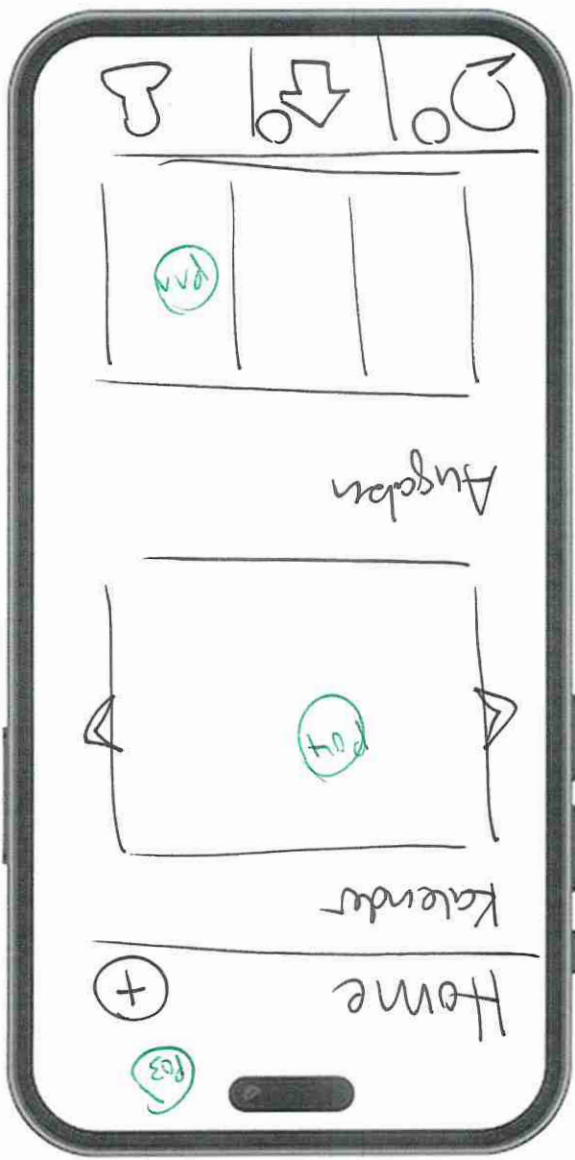




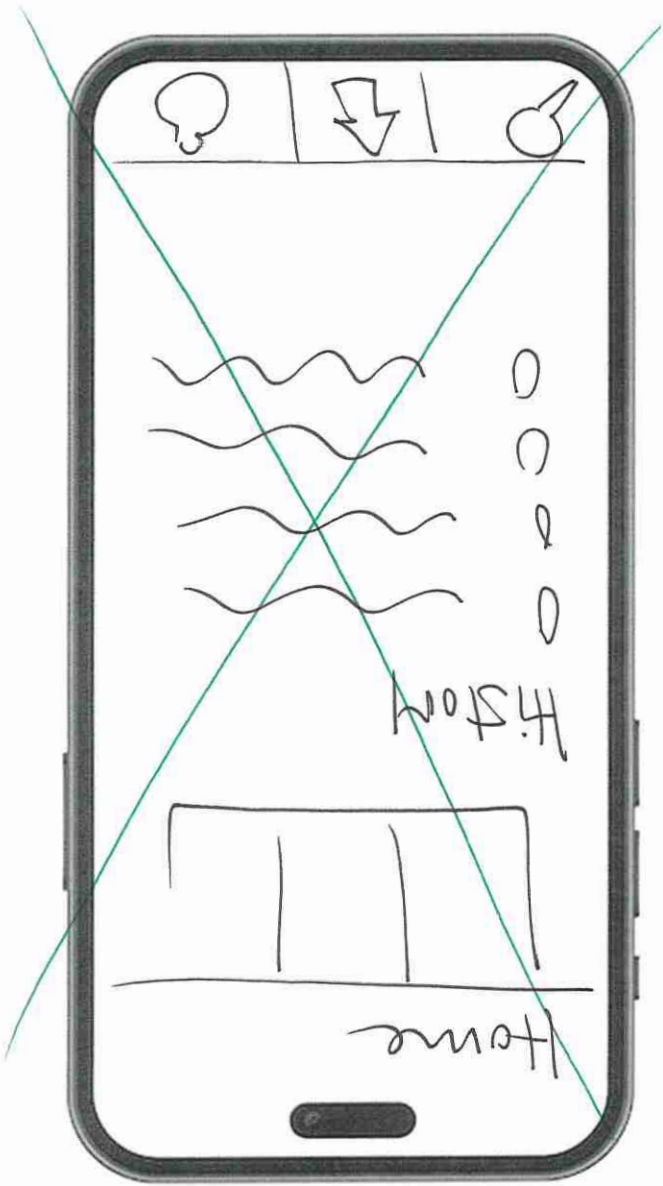
Dashboard V4

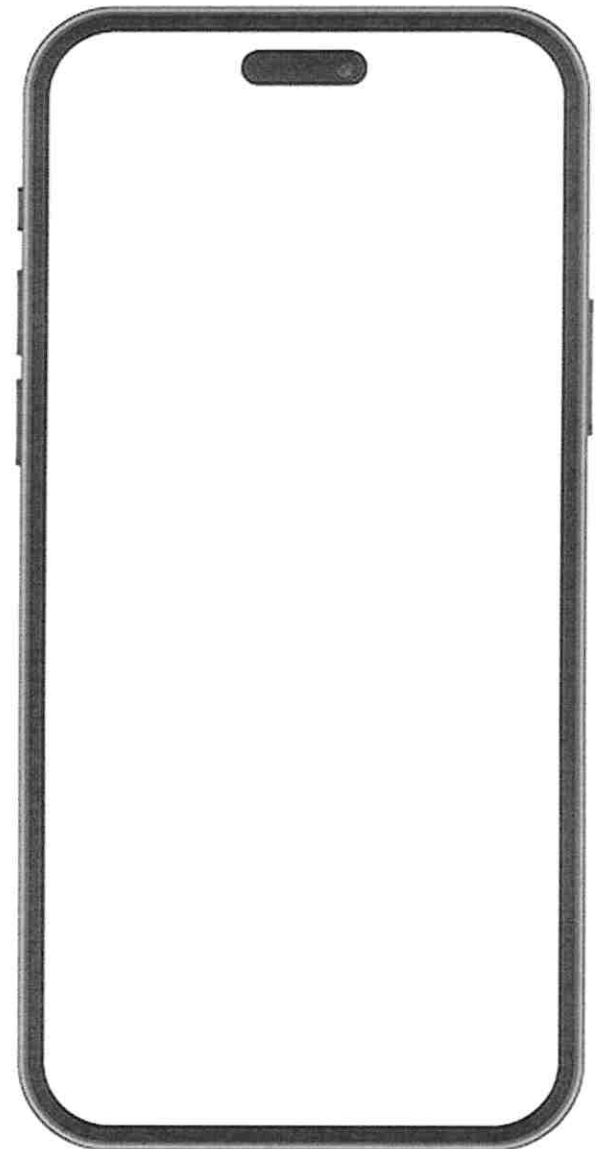
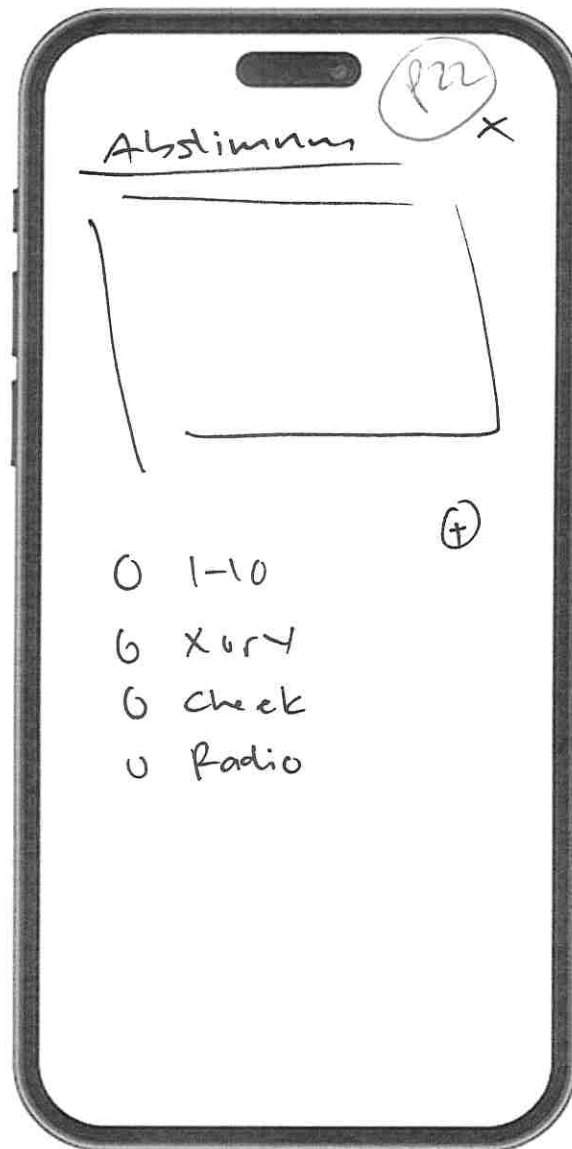
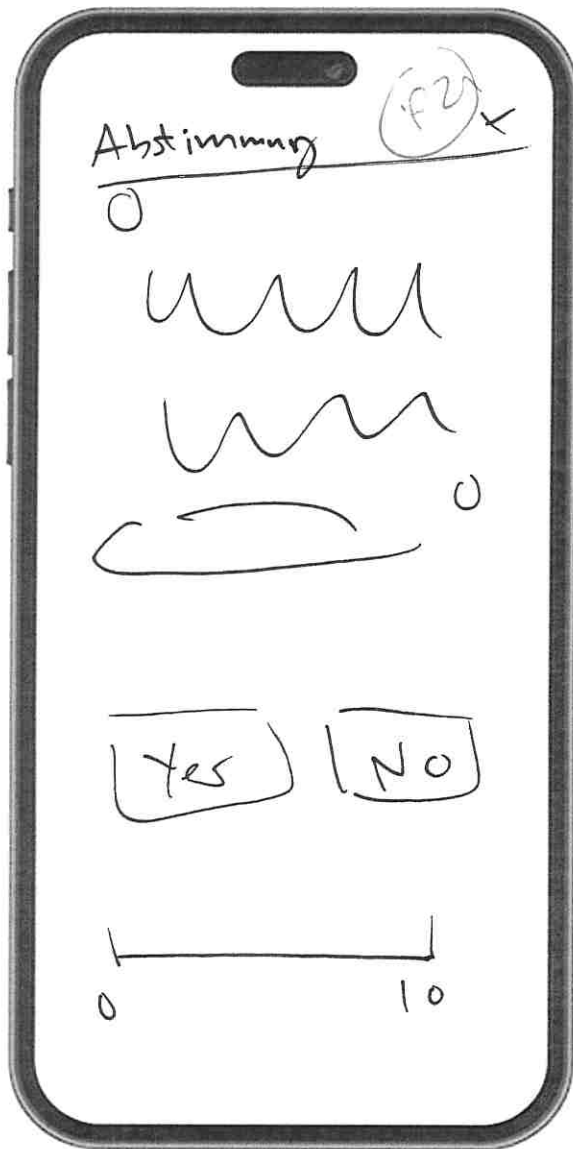


Dashboard V5

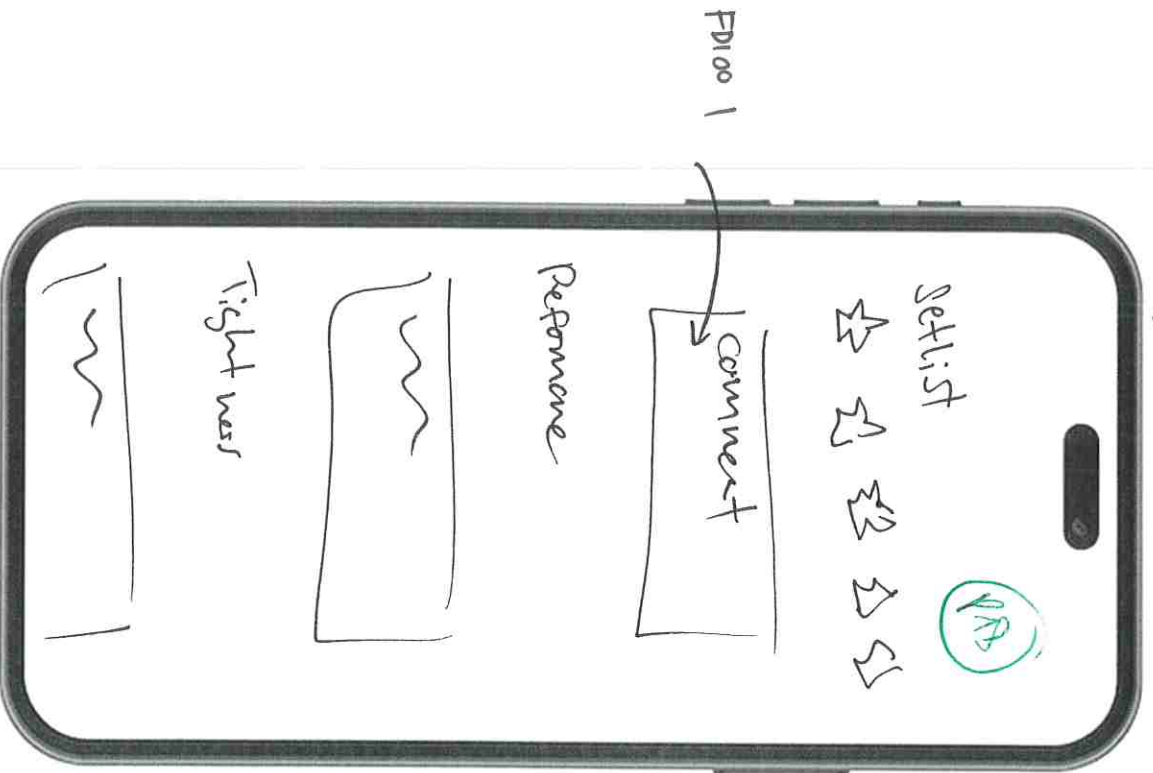


Dashboard V5

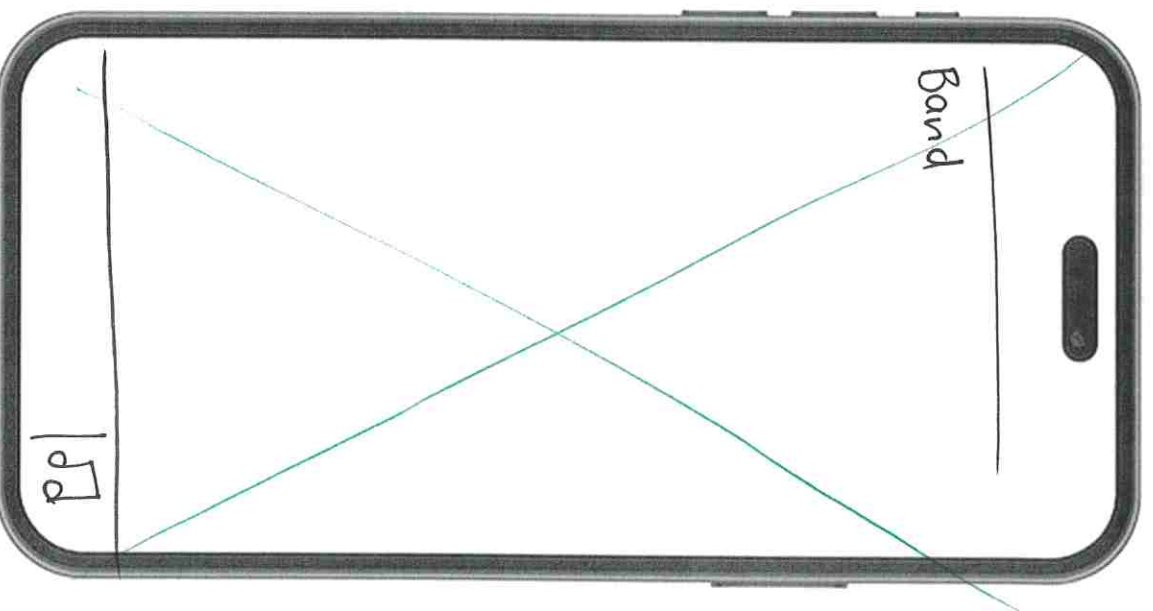
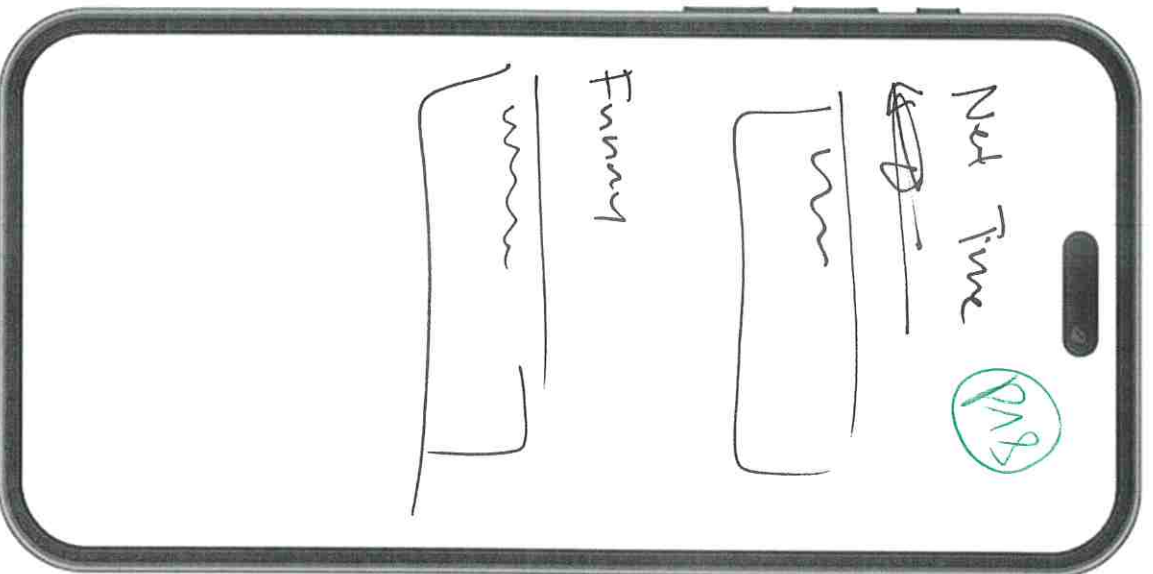


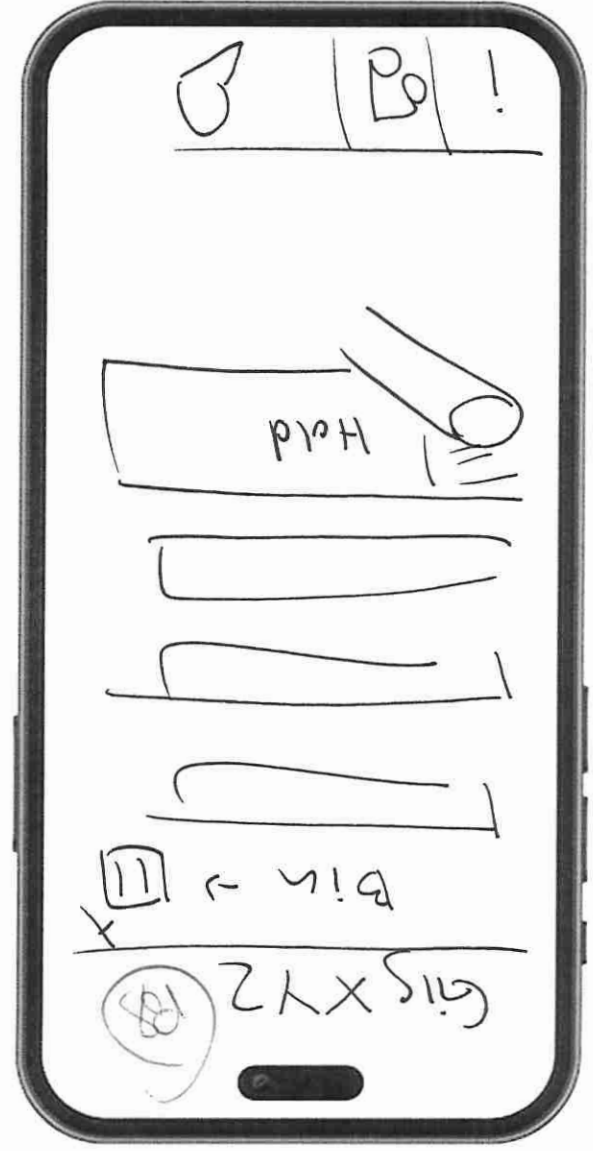
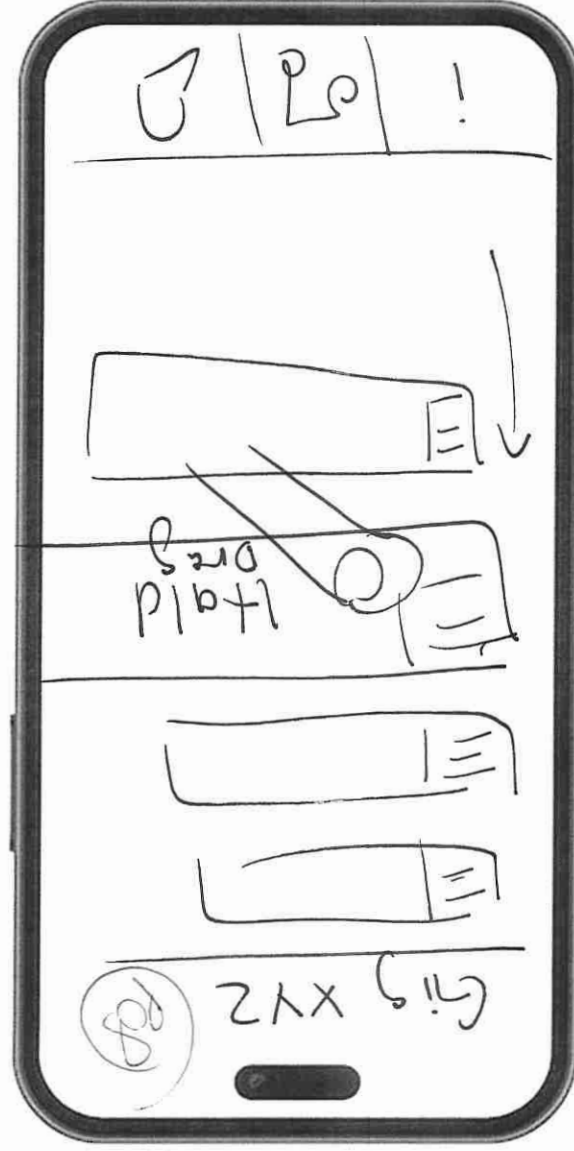
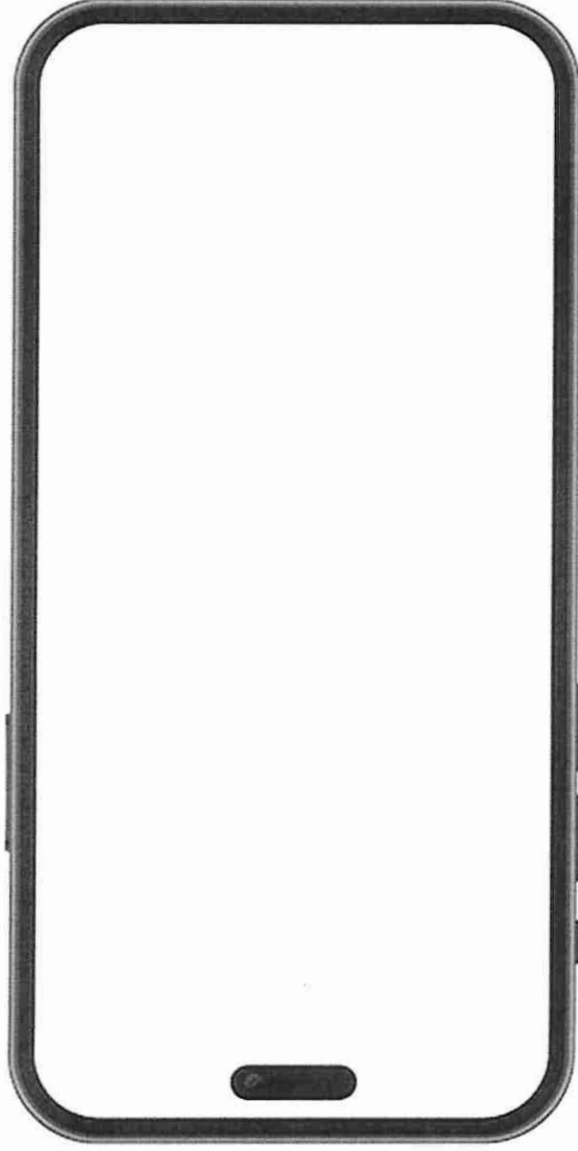


Retire 00



↘





POS

New Entries X

Typ Gis TV

0 Gis

0 Video Dreh

0 Reaktiv

0 Reaktiv

Datum 16.10

Gis Information

POS

PM

< Aufgaben

Projekt - 1

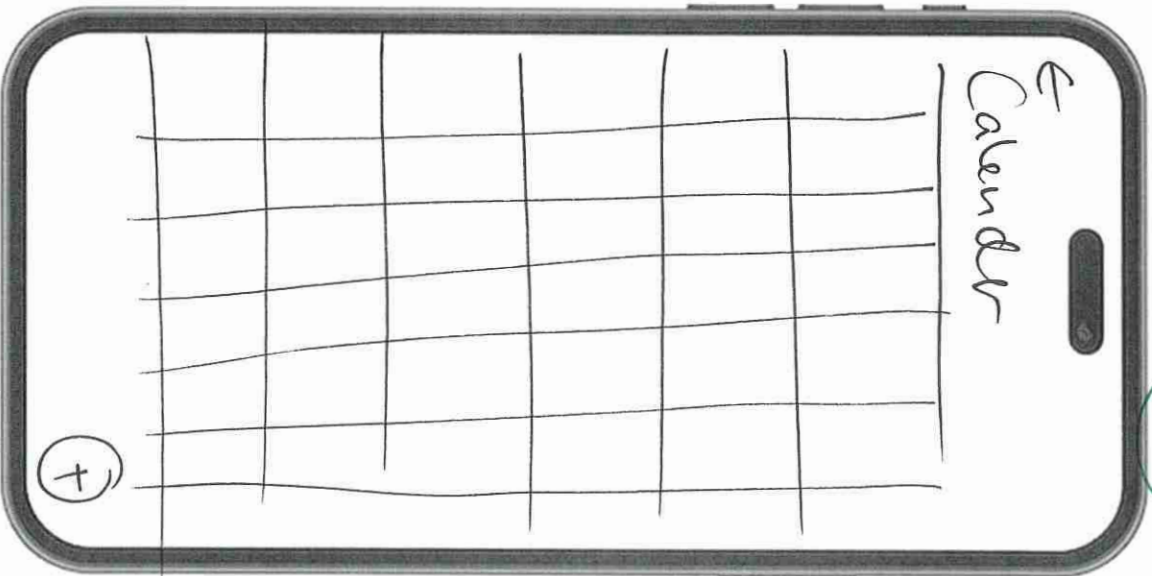
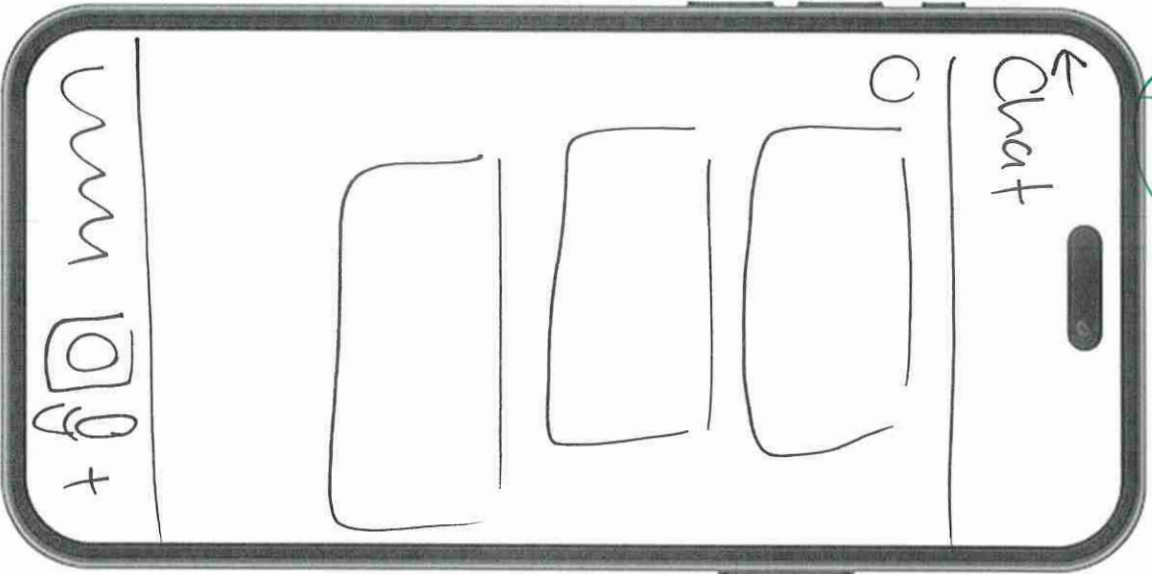
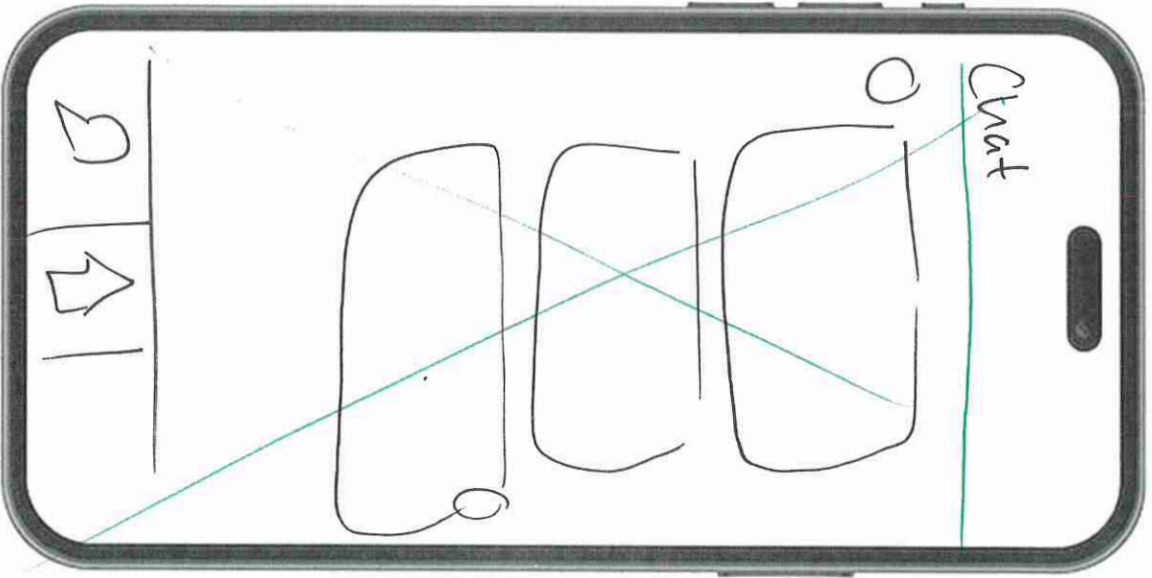
PM

→

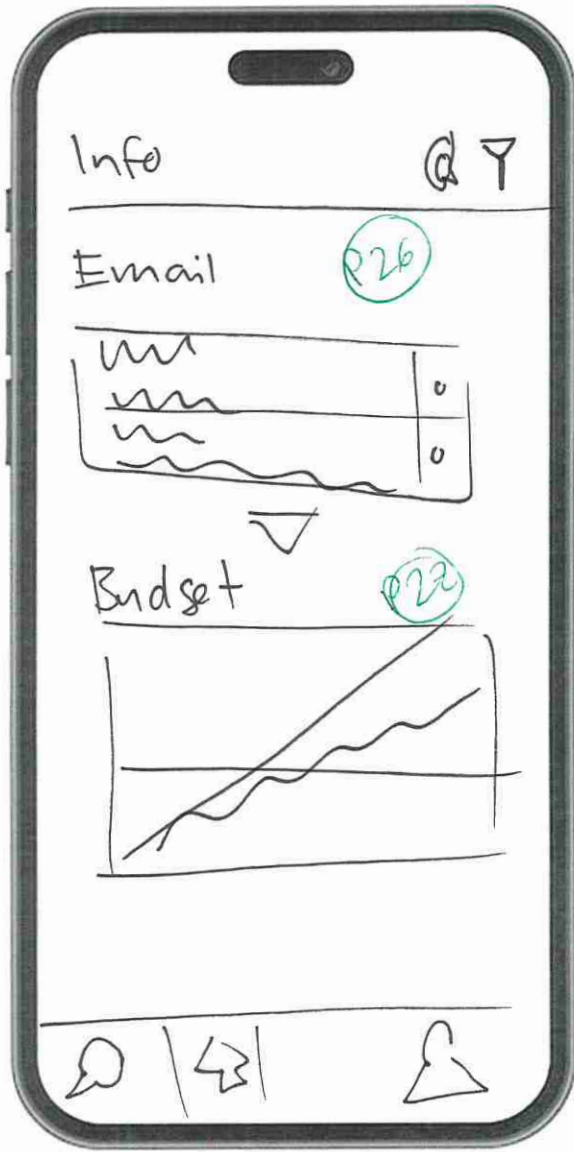
Projekt →

PM

→



P23



P23

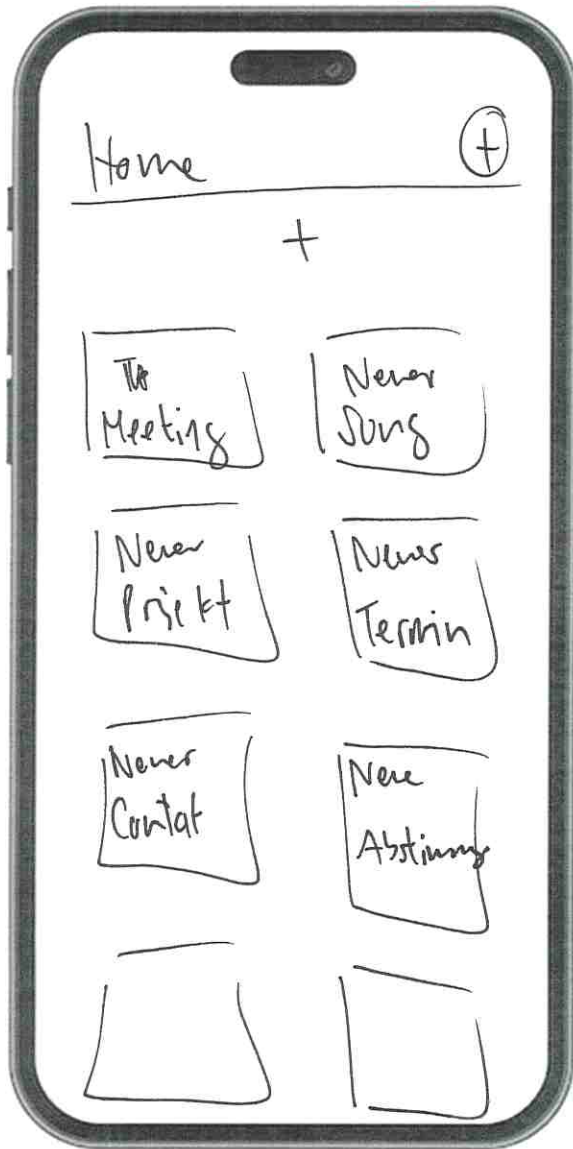


P23



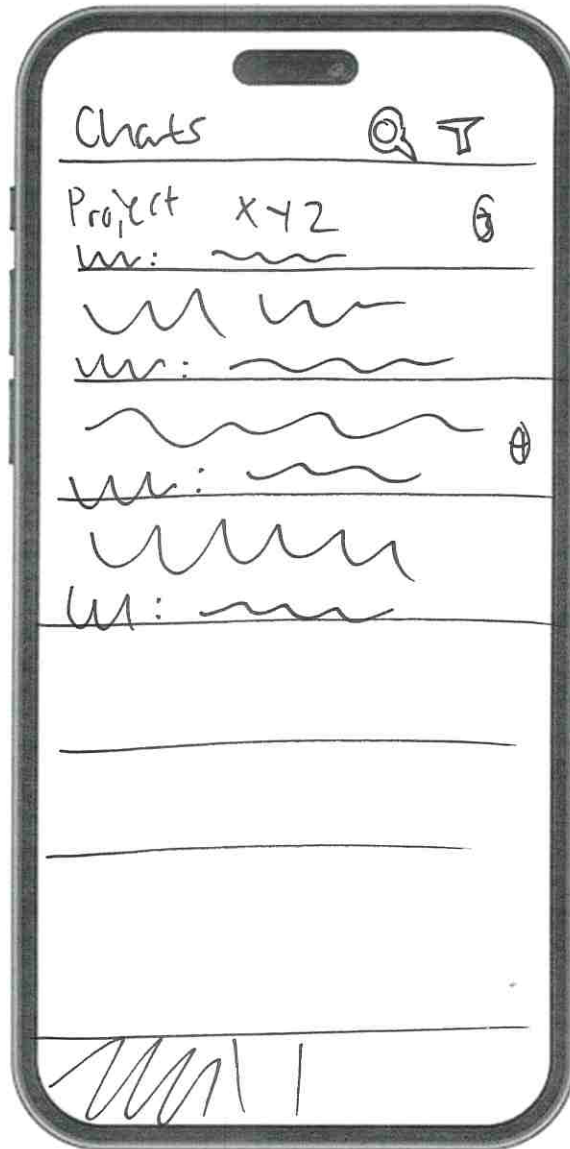
Home

03



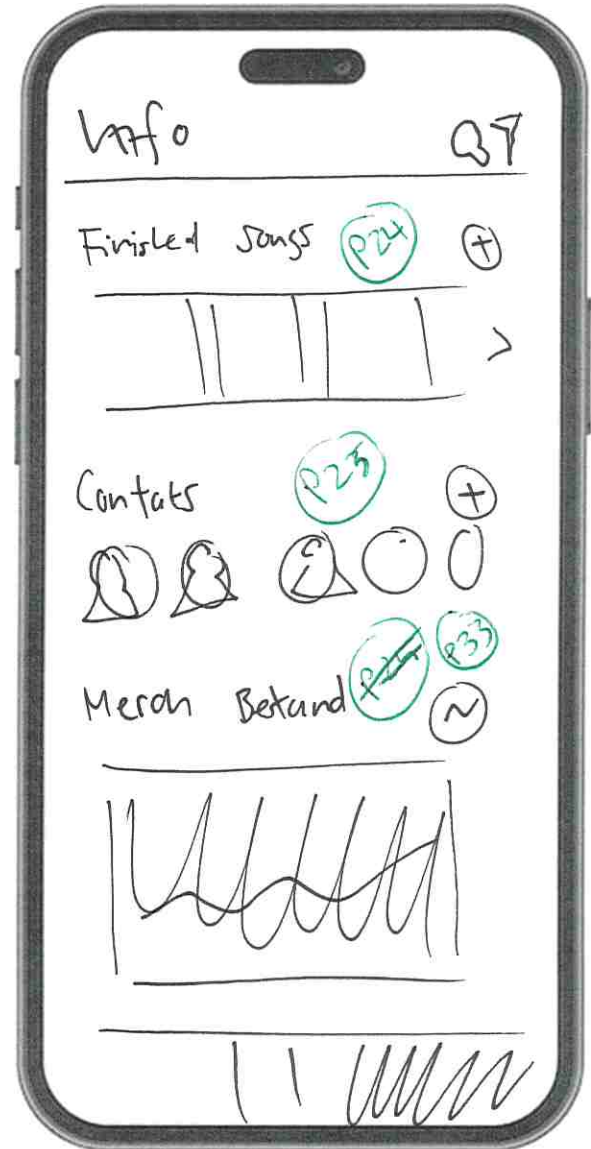
Chat

PO1



Info

03



SONG X42

uplod	5%
Cover	2%
Mixin	1%

Termin

Task	10.10
~	5.10
~	2.10
~	1.10
! X27	

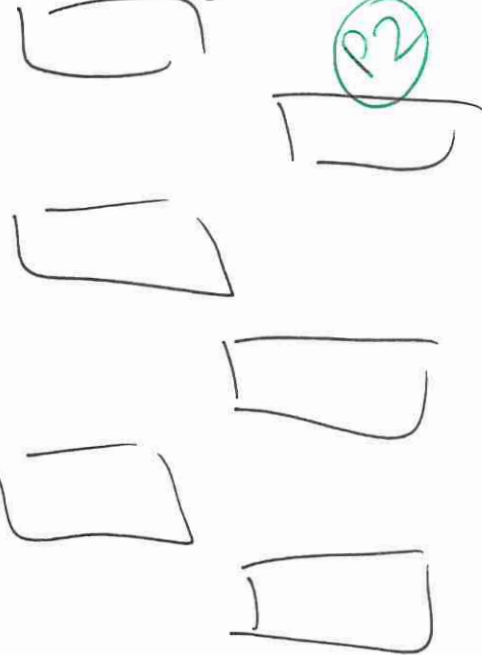
SONG X42

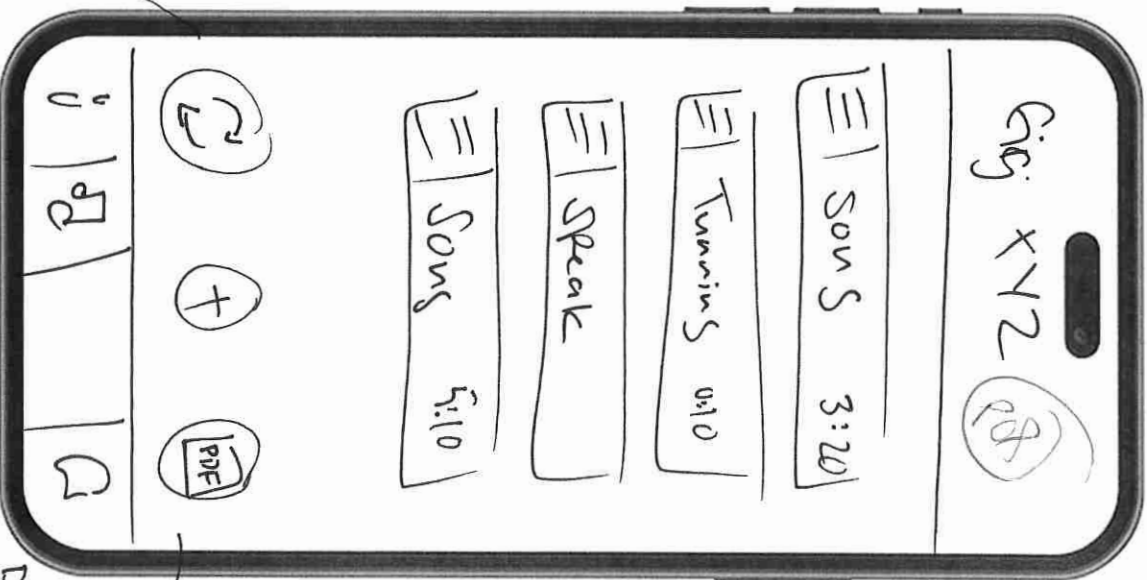
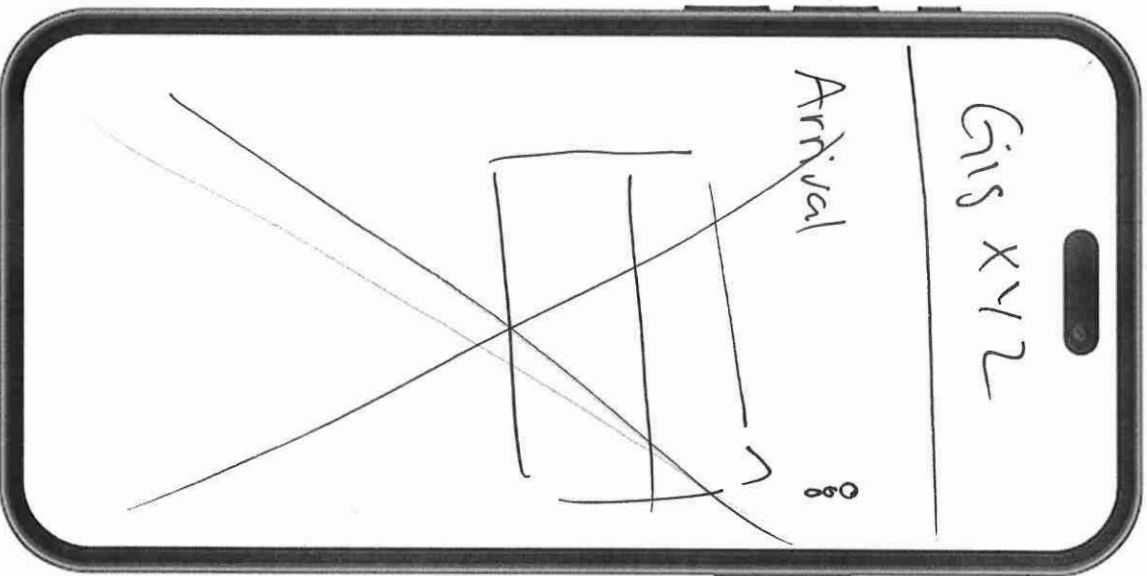
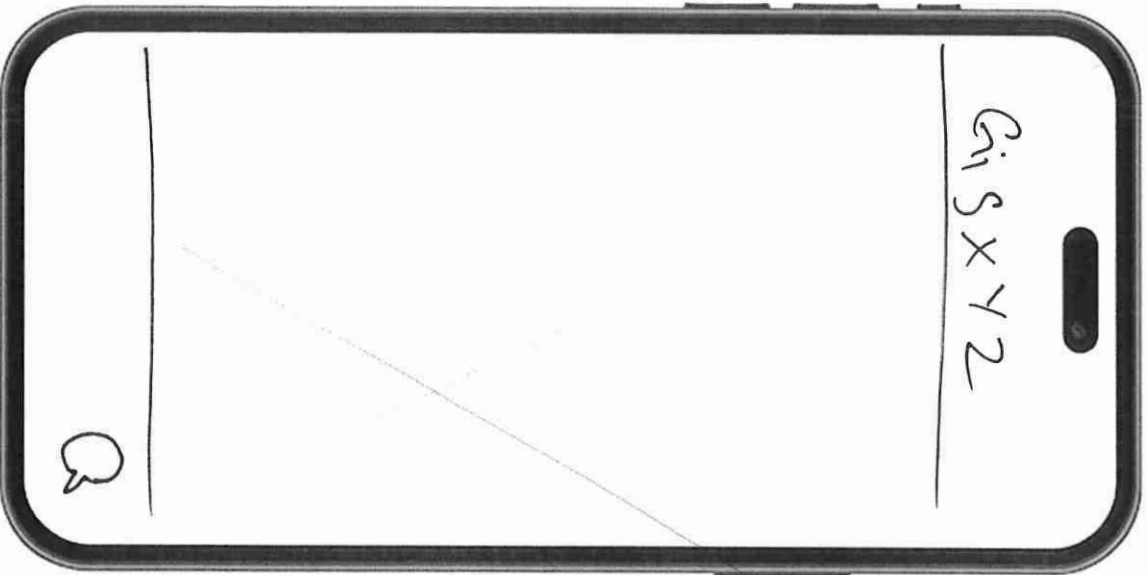
TAK added
MB checked
TAK change to

Add Comment



SONG X42

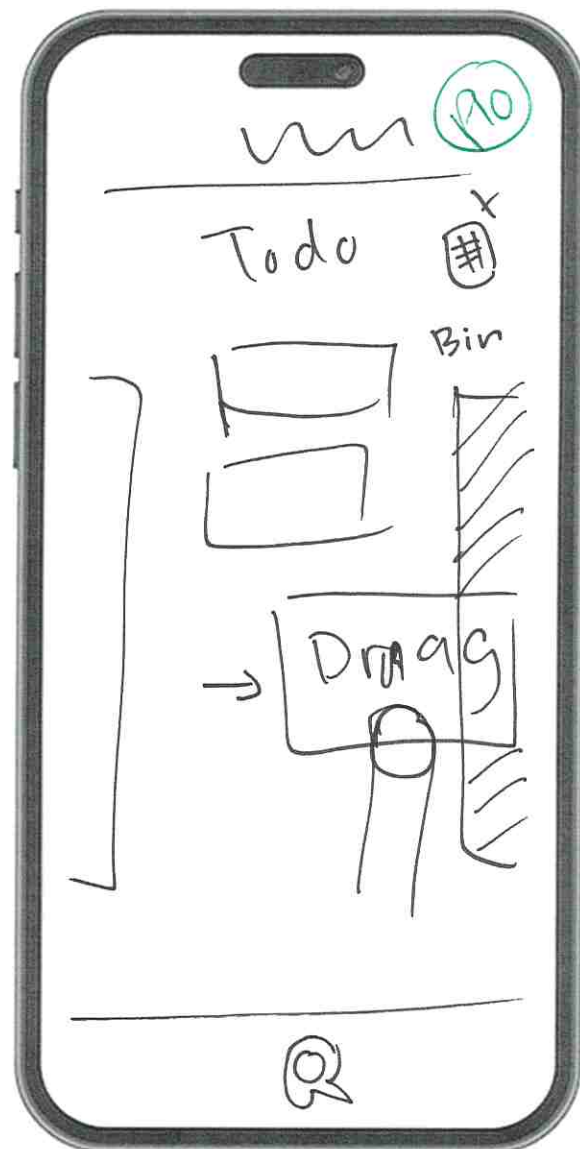
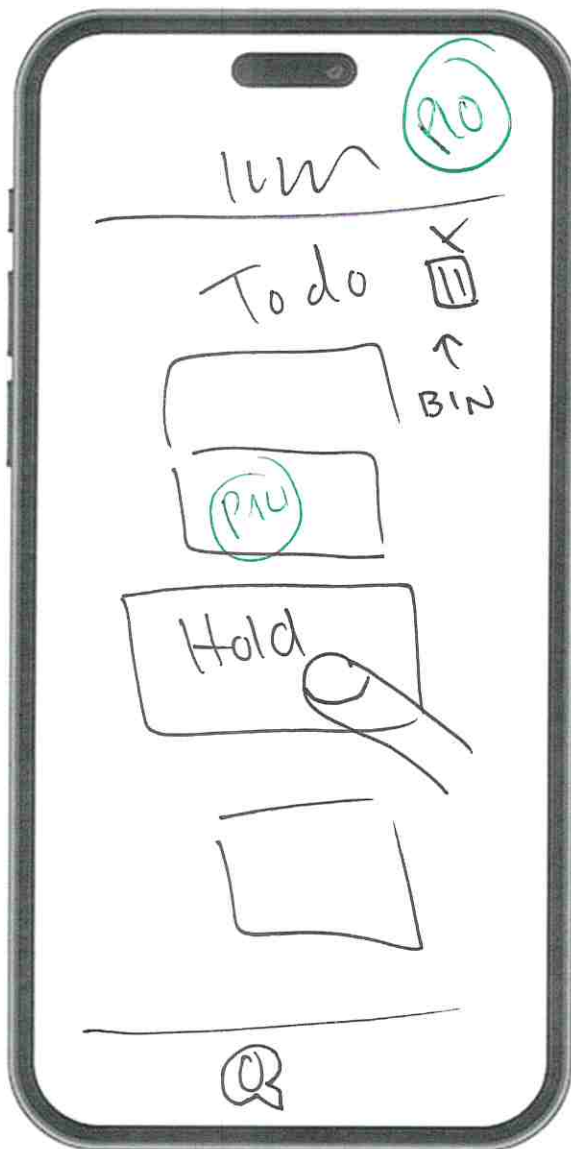
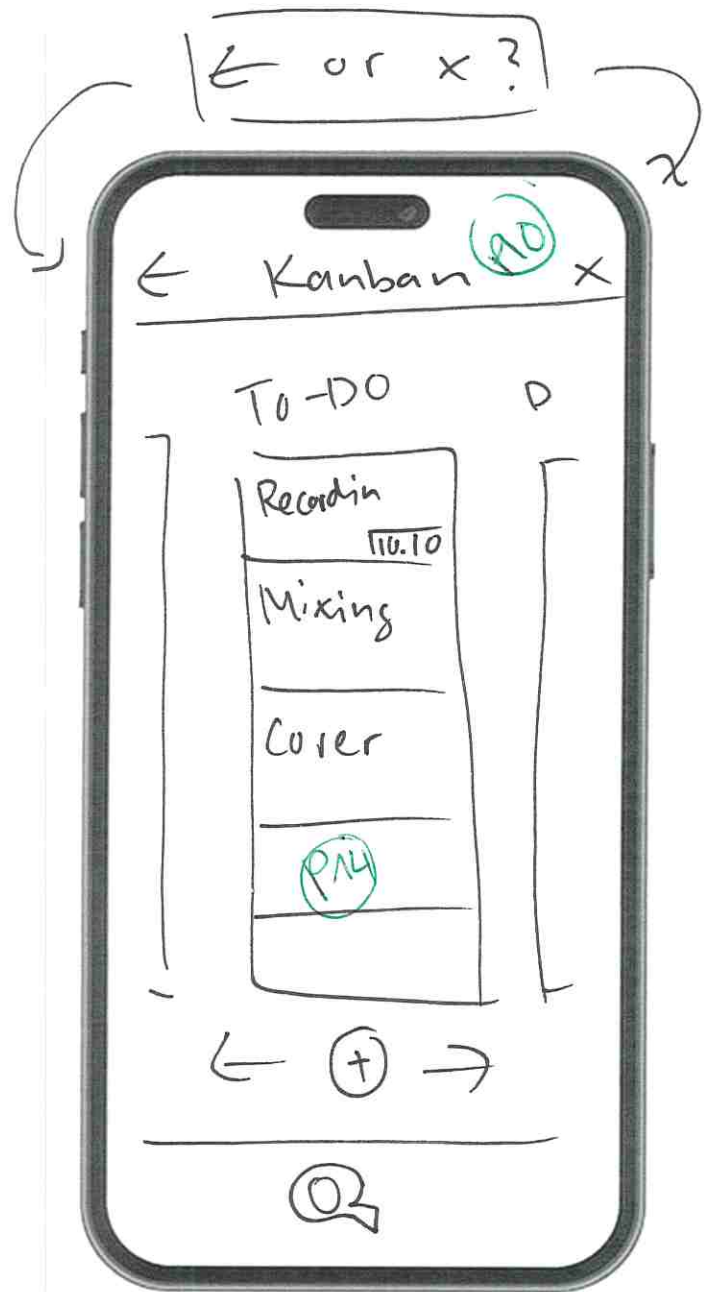





Aus anderen Konzerten
importieren
(Änderungen als Draft speichern)
(Bis Konzert gespielt)

Drucken


Senden an





Gig XYZ 006


Unlock \rightarrow  :


Load in 14:30 ~~X~~

Arrive 15:30 


Setup 16:30 

Soundcheck 17:00 

Playtime 22:00 


Load out 01:00 


Location:

XYZ 23, 3024 pen 

MAPS

i





Gig X22 007


Mail \wedge

Mail

Mail

~~Var A~~

Var \wedge




Gig X22 006


MAP

Attached Emails

Var 2

i





Braucht es
ein E-Mail Knopf?

1. The first part of the paper is devoted to a general discussion of the problem of the existence of solutions of the system of equations (1) and (2) for arbitrary values of the parameters α and β . It is shown that the system has solutions for arbitrary values of the parameters α and β if and only if the condition $\alpha + \beta = 1$ is satisfied. In this case the solutions are given by the formulas

$$x = \frac{1}{\alpha} \ln \frac{1}{1 - e^{-\alpha t}}, \quad y = \frac{1}{\beta} \ln \frac{1}{1 - e^{-\beta t}}.$$

2. In the second part of the paper the problem of the stability of the solutions of the system (1) and (2) is considered. It is shown that the solutions are stable with respect to the initial conditions if and only if the condition $\alpha + \beta = 1$ is satisfied. In this case the solutions are given by the formulas

$$x = \frac{1}{\alpha} \ln \frac{1}{1 - e^{-\alpha t}}, \quad y = \frac{1}{\beta} \ln \frac{1}{1 - e^{-\beta t}}.$$