

**Bit manipulation
important
concepts!**

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#1 Some basic steps

Left shift (\ll)

$N = 10101$

After left shift : $N \ll 1$ will shift bit by 1 : $N \rightarrow 101010$

Right shift (\gg)

$N = 10101$

After right shift : $N \gg 1$ will shift bit by 1 : $N \rightarrow 10101$

XOR (\wedge)

$A = 10, B = 01$

XOR flips all the bits of 2 numbers i.e. $A \wedge B \rightarrow 00$

#2 Count the number of set bits in a number.

// How to count number of set bits in a number?

```
int countSetBits(int n) {  
    if (n == 0)  
        return 0;  
    else  
        return (n & 1) + countSetBits(n >> 1);  
}
```

// Explanation :

// We check if a bit is 1 and add it to our answer.

// After this we are right shifting the bits i.e. removing the

// rightmost bit and then checking it again. It will take only 32

// steps to check the number of set bits in a number!

#3 How to check if a number is a power of 2?

```
// How to check if a number is a  
// power of 2?
```

```
bool isPowerOfTwo(int x) {  
    return (x && !(x & (x - 1)));  
}
```

```
// Explanation :
```

```
// Bits of  $2^n$  are of the form : 1000...n zeroes
```

```
// Bits of  $2^n - 1$  looks like : 0111...n ones
```

```
// The AND of these 2 will return "0" if the number is  $2^n$ .
```

#4 Find a unique number when others are in pairs.

```
// Find a unique number when others are in pairs
```

```
void count_unique(int A[], int N) {  
    int ans = 0;  
    for (int i = 0; i < N; i++) {  
        ans = ans ^ A[i];  
    }  
    cout << ans;  
}
```

```
// Explanation :
```

```
// consider we have an array A = [1,2,2,3,3,3,3]
```

```
// When we do XOR, same values are removed as  $[1 \wedge 1 = 0]$  ans  $[0 \wedge 0 = 0]$ 
```

```
// So , when we do XOR of all the values, we are only left with the number
```

```
// which appears once in the array.
```


#5 Generate all subsets

```
// Generate all subsets of an array
```

```
void possibleSubsets(char A[], int N) {  
    for(int i = 0; i < (1 << N); ++i) {  
        for(int j = 0; j < N; ++j) {  
            if(i & (1 << j))  
                cout << A[j] << ' ';  
        }  
        cout << endl;  
    }  
}
```

```
// Explanation :
```

```
// When we traverse from 0 to  $2^N - 1$ , we cover all
```

```
// possible combinations from 00..0 to 11..1
```

```
// Hence, we can just traverse the numbers from 0 to  $2^N - 1$ 
```

```
// and select the numbers from the list with bit set to 1 and ignore
```

```
// with bit set to 0.
```

#5 Generate all subsets (contd)

For ex.

`A = ['A', 'B', 'C']`

`N = 3`

Let's say we are at `i == 5` (`i : 0 --> 7 (2^3 - 1)`)

Bits of `5` are : `101`, hence, we only choose values
'A' and 'C' and not 'B'!

This way we can make a power set of all possible combinations of the array!