

TIME COMPLEXITY BIG O NOTATION

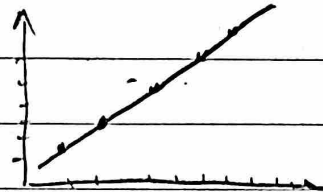
TIME COMPLEXITY = a way of showing how the runtime of the function increases as the size of the input increases.

- LINEAR TIME $O(n)$

$$T = an + b = O(n)$$

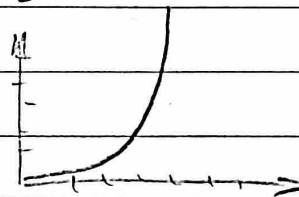
1) FIND THE FASTEST GROWING TERM

2) TAKE OUT THE COEFFICIENT



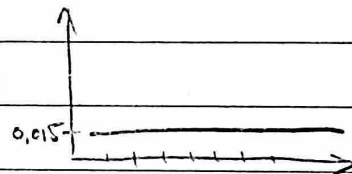
- QUADRATIC TIME $O(n^2)$

$$T = \underset{\substack{\uparrow \\ \text{OUT}}}{cn^2} + dn + e = O(n^2)$$



- CONSTANT TIME $O(1)$

$$T = c = 0.015 = 0.015 \times 1 = O(1)$$



CONSTANT

```
FUNCTION FUNC() {
  TOTAL = 0; → O(1)
  RETURN TOTAL; → O(1)
}
```

$$T = O(1) + O(1) = c_1 + c_2 = c_3 = c_3 \times 1 = O(1)$$

LINEAR

```
FUNCTION FUNC(ARRAY) {
  TOTAL = 0; → O(1)
  FOR EACH (EL IN ARRAY) {
    TOTAL = + EL; → O(1)
  }
  RETURN TOTAL → O(1)
}
```

$$T = O(1) + O(1) \times n + O(1) = c_4 + c_5 \times n = O(n)$$

QUADRATIC

ARRAY_2D =
[[1, 2, 3],
[4, 5, 6],
[7, 8, 9]]

```
FUNCTION FUNC(ARRAY_2D) {
  TOTAL = 0; → O(1)
  FOR EACH (ROW IN ARRAY_2D) {
    FOR EACH (EL IN ROW) {
      TOTAL = + EL; → O(1)
    }
  }
  RETURN TOTAL; → O(1)
}
```

$$T = O(1) + O(1) \times n^2 + O(1) = c_6 + c_7 \times n^2 = O(n^2)$$