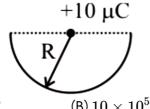
Parishram (2025)

Physics

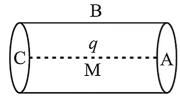
DPP:9

Electric Charges and Fields

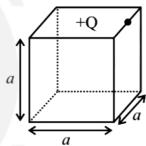
Q1 A charge $10\mu\mathrm{C}$ is placed at the centre of a hemisphere of radius $R=10\,\mathrm{cm}$ as shown. The electric flux through the hemisphere (in MKS units) is



- (A) $20 imes 10^5$
- (B) $10 imes 10^5$
- (C) 5.6×10^5
- (D) 2×10^5
- Q2 The total electric flux through a cube when a charge 8q is placed at one corner of the cube is
 - (A) $\varepsilon_0 q$
 - (B) $\frac{q}{\varepsilon_0}$
 - (C) $4\pi\varepsilon_0 q$
 - (D) $\frac{q}{4\pi\varepsilon_0}$
- **Q3** A hollow cylinder has a charge q coulomb placed at the midpoint of the axis CA. If ϕ is the electric flux in units of volt-meter associated with the curved surface B, the flux linked with the plane surface A in units of volt-meter will be



- **Q4** A charge q is placed at one corner of a cube. The electric flux through any of the three faces adjacent to the charge is zero. The flux through any one of the other three faces is
- **Q5** In figure +Q charge is located at one of the edge of the cube, then electric flux through cube due to +Q charge is



- **Q6** A charge Q is enclosed by a Gaussian spherical surface of radius R. If the radius is doubled, then the outward electric flux will
 - (A) Be doubled
 - (B) Increase four times
 - (C) Be reduced to half
 - (D) Remain the same

Answer Key

(C) Q1 (D) Q4

(c) Q2 (B) Q5

Q3 (A) (D) Q6



Hints & Solutions

Note: scan the QR code to watch video solution

Q1 Text Solution:

According to Gauss's theorem

The electric flux through the sphere $= \frac{q}{arepsilon_0}$

Electric flux through the hemisphere

$$egin{array}{l} = rac{1}{2}rac{q}{arepsilon_0} \ = rac{10 imes 10^{-6}}{2 imes 8.854 imes 10^{-12}} \ = 0.56 imes 10^6 Nm^2C^{-1} \ = 5.6 imes 10^5 Nm^2C^{-1} \end{array}$$

Video Solution:

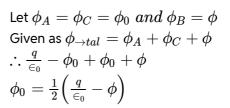


Q2 Video Solution:



Q3 Text Solution:

According to Gauss's theorem $\phi_{ o tal} = rac{q}{\epsilon_0}$



Video Solution:



Q5 Video Solution:



Q6 Video Solution:



