

計節 HW6

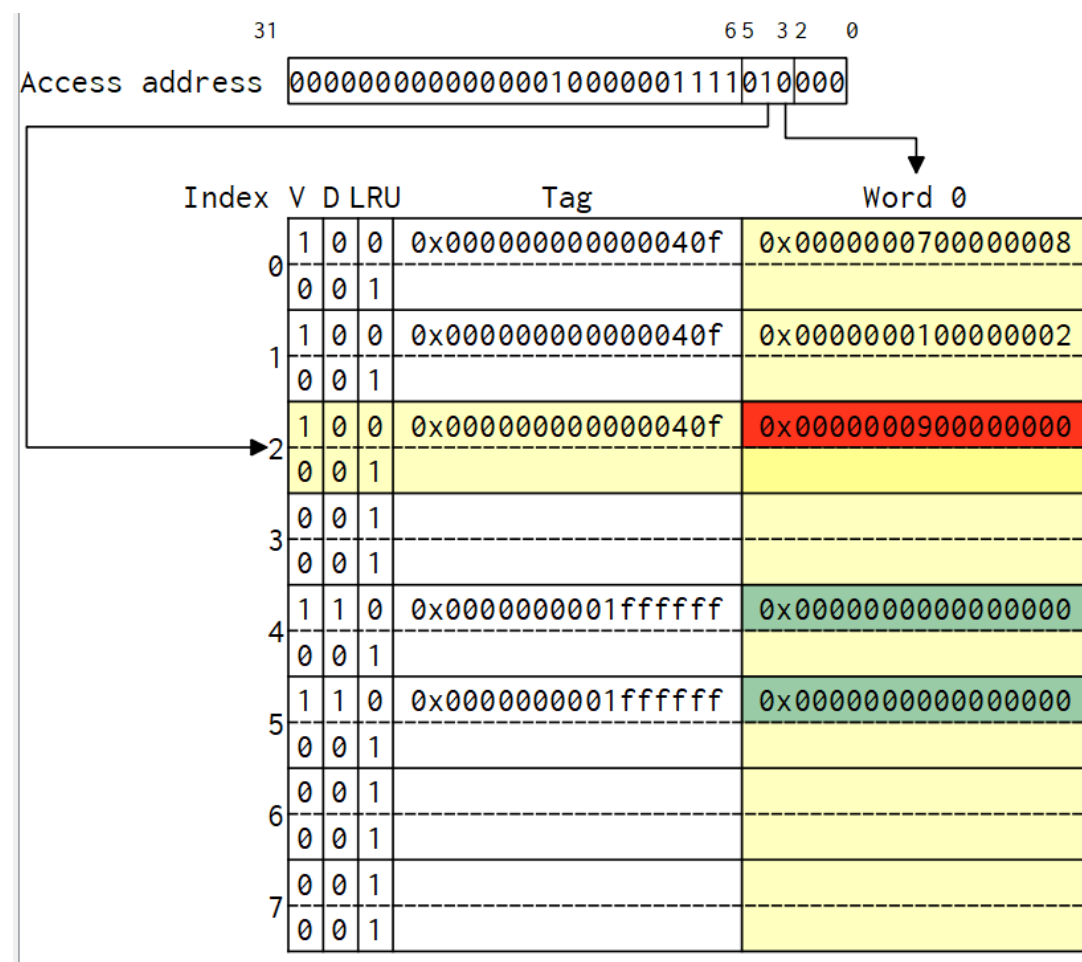
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1.

(a)

Before

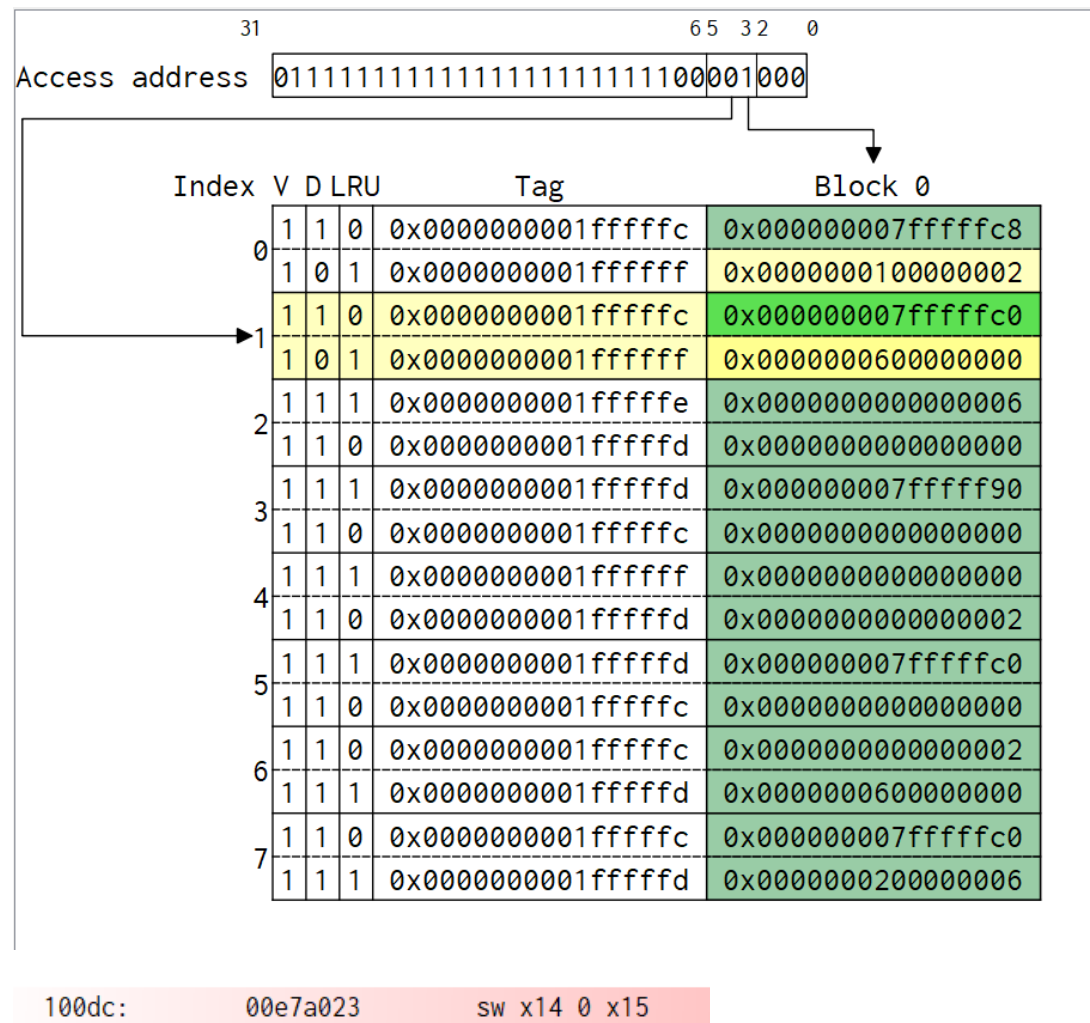


```
10344:      fcc43823      sd x12, -48(x8) MEM
```

After

(b)

Before



After

Before





Explanation

There's a new data for index 3, but index 3 has no space for that data , we need to replace the block which LRU bit is 1 (least recently used).

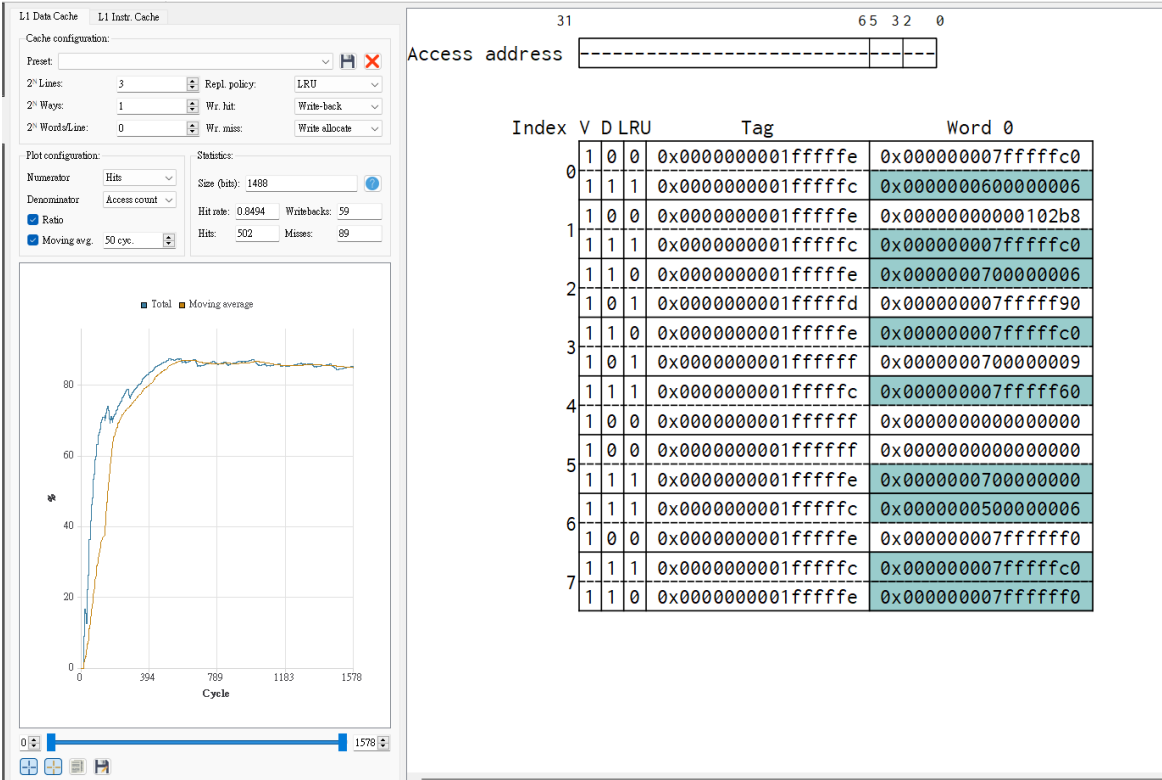
Also we need to check the dirty bit, if it's 1 , we need to write back to memory then replace it with the new one.

The valid bit (V) and dirty bit (D) will be 1, and the LRU bit will become 0 to represent that the block is the most recently used.

(d)

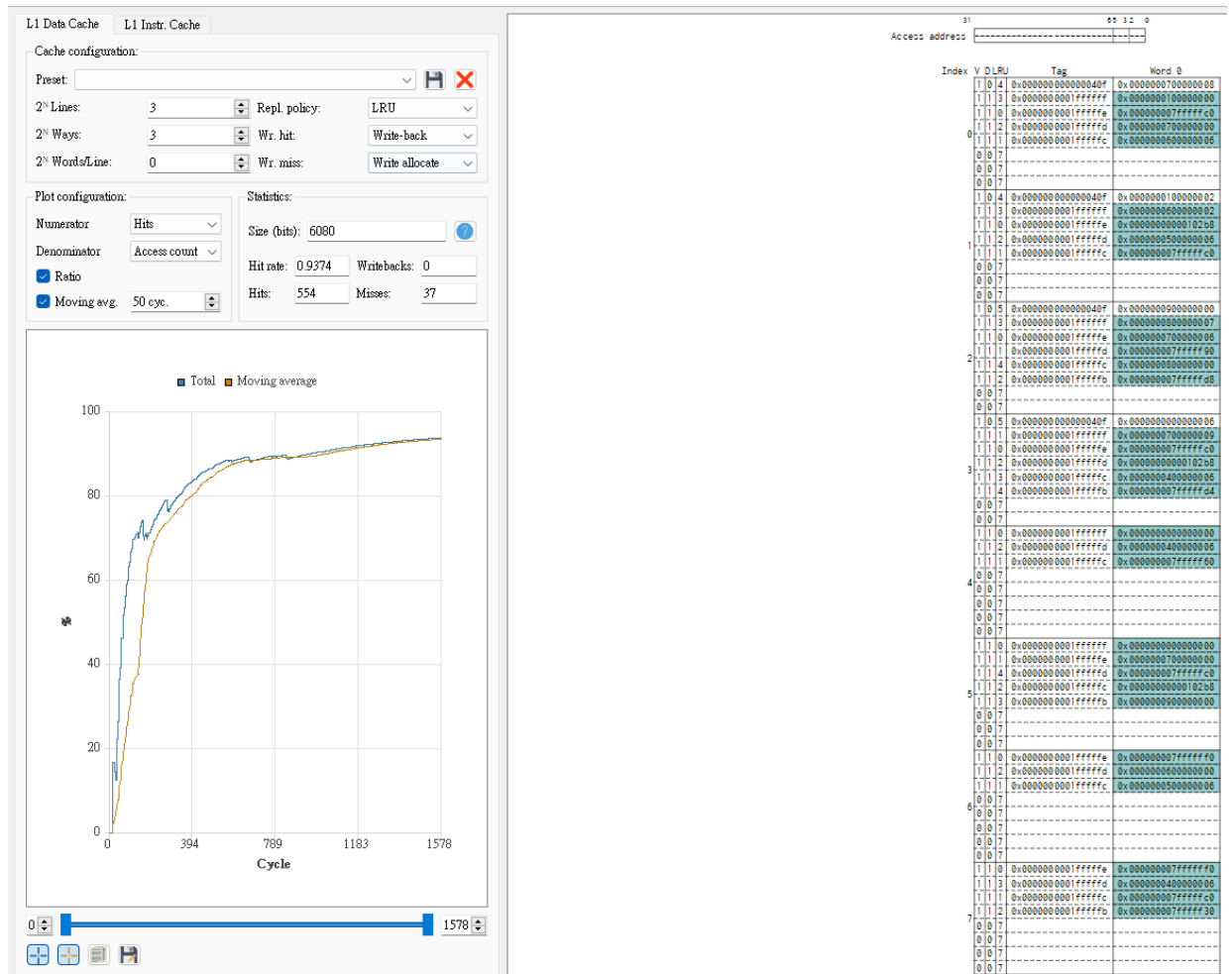
Before

Hit rate : 0.8494



After

Hit rate : 0.9374



I let it becomes 8 way.

Because this program does not need too many memory,so if we adjust it to 8 ways, the main miss is then becomes compulsory miss.

2.

(a)

Bit position	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
Encoded data bits	p1	p2	d1	p4	d2	d3	d4	p8	d5	d6	d7	d8	d9	d10	d11	p16
Parity bit coverage	p1	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
	p2	✓	✓		✓	✓	✓		✓	✓	✓	✓	✓	✓	✓	✓
	p4			✓	✓	✓	✓					✓	✓	✓	✓	✓
	p8							✓	✓	✓	✓	✓	✓	✓	✓	✓
	p16															✓

$$P_1 \Rightarrow P_1, 1, 0, 1, 0, 1, 0$$

$$\Rightarrow P_1 = 1$$

$$P_2 \Rightarrow P_2, 1, 0, 1, 1, 1, 1$$

$$\Rightarrow P_2 = 1$$

$$P_4 \Rightarrow P_4, 0, 0, 1, 0, 0, 1$$

$$\Rightarrow P_4 = 0$$

$$P_8 \Rightarrow P_8, 0, 1, 1, 0, 0, 1$$

$$\Rightarrow P_8 = 1$$

$$\therefore C = \underline{1 \ 1 \ 1 \ 0 \ 0 \ 0 \ 1 \ 0 \ 1 \ 1 \ 0 \ 0 \ 1 \ 0} \quad \text{even}$$

(b)

$h_1 \Rightarrow$ check the the position of 1, 3, 5, 7, 9, 11, 13 bit positions of C

\Rightarrow the number of 1 in these positions is 4 which is even.

$$\Rightarrow h_1 = 0$$

$h_2 \Rightarrow$ check 2, 3, 6, 7, 10, 11, 14

\Rightarrow number of 1 is 6

$$\Rightarrow h_2 = 0$$

$h_4 \Rightarrow$ check 4, 5, 6, 7, 12, 13, 14

\Rightarrow number of 1 is 2

$$\Rightarrow h_4 = 0$$

• Decoding: let $H = h_8 h_4 h_2 h_1$ and $h_n =$ parity check of whole word

◆ $H = 0000$, h_n even \rightarrow no error

◆ $H = 0000$, h_n odd \rightarrow error in p_n bit

◆ $H \neq 0000$, h_n odd \rightarrow correctable single bit error (as in SEC)

◆ $H \neq 0000$, h_n even \rightarrow double error occurred

$h_8 \Rightarrow$ check 8, 9, 10, 11, 12, 13, 14

\Rightarrow number of 1 is 4

$$\Rightarrow h_8 = 0$$

$$\therefore H = h_8 h_4 h_2 h_1 = 0000_2 = 0_{10} \Rightarrow \text{we can know there's no error}$$

$$h_n = 0 \Rightarrow h_n \text{ even}$$

#

$$d_5 \Rightarrow \text{position } 9 \quad 0 \rightarrow 1$$

(c) $h_1 \Rightarrow$ check the the position of 1, 3, 5, 7, 9, 11, 13 bit positions of C
 \Rightarrow the number of 1 in these positions is ~~4~~ 5 which is even.
 $\Rightarrow h_1 = 0$

$h_2 \Rightarrow$ check 2, 3, 6, 7, 10, 11, 14

\Rightarrow number of 1 is 6

$\Rightarrow h_2 = 0$

$h_4 \Rightarrow$ check 4, 5, 6, 7, 12, 13, 14

\Rightarrow number of 1 is 2

$\Rightarrow h_4 = 0$

$h_8 \Rightarrow$ check 8, 9, 10, 11, 12, 13, 14

\Rightarrow number of 1 is ~~4~~ 5

$\Rightarrow h_8 = 1$

position 9

$\therefore H = h_8 h_4 h_2 h_1 = 1001_2 = 9_{10} \neq 0_{10} \Rightarrow$ correctable single bit error #
 $h_n = 0 \Rightarrow h_n$ even
 1 odd

(d) $p_1, d_8 \Rightarrow$ position 1, 12 of C $p_1 \Rightarrow 1 \rightarrow 0 \quad d_8 \Rightarrow 0 \rightarrow 1$

$h_1 \Rightarrow$ check the the position of 1, 3, 5, 7, 9, 11, 13 bit positions of C

\Rightarrow the number of 1 in these positions is ~~4~~ 3 which is even.

$\Rightarrow h_1 = 0$

$h_2 \Rightarrow$ check 2, 3, 6, 7, 10, 11, 14

\Rightarrow number of 1 is 6

$\Rightarrow h_2 = 0$

$h_4 \Rightarrow$ check 4, 5, 6, 7, 12, 13, 14

\Rightarrow number of 1 is ~~2~~ 3

$\Rightarrow h_4 = 1$

$h_8 \Rightarrow$ check 8, 9, 10, 11, 12, 13, 14

\Rightarrow number of 1 is ~~4~~ 5

$\Rightarrow h_8 = 1$

$\therefore H = h_8 h_4 h_2 h_1 = 1101_2 \neq 0_{10} \Rightarrow$ double error occurred #
 $h_n = 0 \Rightarrow h_n$ even

$P_1, d_8, P_{11} \Rightarrow \text{position } 1, 12, 15$
 $1 \rightarrow 0 \quad 0 \rightarrow 1 \quad 0 \rightarrow 1$

e.

$h_1 \Rightarrow$ check the the position of $(1, 3, 5, 7, 9, 11, 13)$ bit positions of C

\Rightarrow the number of 1 in these positions is ~~4~~ 3 which is even.

$\Rightarrow h_1 = \cancel{0} 1$

$h_2 \Rightarrow$ check $2, 3, 6, 7, 10, 11, 14$

\Rightarrow number of 1 is 6

$\Rightarrow h_2 = 0$

$h_4 \Rightarrow$ check $4, 5, 6, 7, (12), 13, 14$

\Rightarrow number of 1 is ~~2~~ 3

$\Rightarrow h_4 = \cancel{0} 1$

$h_8 \Rightarrow$ check $8, 9, 10, 11, (12), 13, 14$

\Rightarrow number of 1 is ~~4~~ 5

$\Rightarrow h_8 = \cancel{0} 1$

$\therefore H = h_8 h_4 h_2 h_1 = 1101_2 = 13_{10} \Rightarrow$ We think that this is correctable single bit error at position 13, but actually 3 [^] errors. _{bit}

f.

$$2^p \geq p + d + 1$$

$$p \geq \log(p + d + 1)$$

parity : $p = 8$

data : $d = 128$

$$\Rightarrow p \geq \log(p + 129)$$

$$p \geq 8$$

parity bit = 8

but we need 1 more bit for SECDED.

so 9 bits #

3. (a) 16 bytes # (block offset + byte offset)

(b) 32 blocks # (index field)

(c) $16 \times 32 = 512$ bytes #

(d)

Valid	dirty	tag	data
(1-bit)	(1-bit)	(5-bit)	(16 x 8-bit)
			16 bytes

$$32 \times (1+1+5+128) = 4320 \text{ bits} = 540 \text{ bytes} \#$$

(e)

Tag	Index	Block offset	Byte offset
13:8	7:4	3:2	1:0

(f)

Valid	dirty	Tag	data	reference
(1-bit)	(1-bit)	(6-bit)	(128-bit)	(1-bit)

$$2 \text{ blocks} + 1 \text{ reference} = 2 \times (136) + 1 = 273$$

$$16 \times 273 = 4368 \text{ bits} = 546 \text{ bytes} \#$$

4.

(a) $L2 - DM \Rightarrow 1 + 5\% \times 16 + 5\% \times 4\% \times 200 = 2.2$

$$L2 - 4WAY \Rightarrow 1 + 5\% \times 20 + 5\% \times 3.5\% \times 200 = 2.35$$

this provides the best

$L2 - DM + L3$

	0.1	0.008
--	-----	-------

$$\Rightarrow 1 + 5\% \times 16 + 5\% \times 4\% \times 50 + 5\% \times 4\% \times 2\% \times 200 = 1.908$$

$L2 - 4WAY + L3$

	0.0895	0.007
--	--------	-------

$$\Rightarrow 1 + 5\% \times 20 + 5\% \times 3.5\% \times 50 + 5\% \times 3.5\% \times 2\% \times 200 = 2.0945$$

$L1 - L2DM - L3 8WAY$ provides the best performance.

(b) Let X be the new $L2$ access cycles

$L2 - DM$

	0.1	0.008	1.108
--	-----	-------	-------

$$\Rightarrow 1 + 5\% \times X + 5\% \times 4\% \times 50 + 5\% \times 4\% \times 2\% \times 200 \leq 1.8$$

$$0.05 X \leq 0.692$$

$$X \leq 13.84 \quad \therefore X \text{ 取 } 13 \#$$

5.

No1 Read 0x340

00110100 0000₂

Miss/hit : Miss

block replacement : No

write allocate : No

write back : No

	Way 0					Way 1				
	R	V	D	Tag	Data	R	V	D	Tag	Data
Set 0	0	1	0	000000 ₂	Mem[0x000-00f]	1	0	001101 ₂	MEM[0x340-34f]	
Set 1										
Set 2										
Set 3										

No2 Read 0x000

0000 0000 0000₂

Miss/hit : hit

block replacement : No

write allocate : No

write back : No

	Way 0					Way 1				
	R	V	D	Tag	Data	V	D	Tag	Data	
Set 0	1	1	0	000000 ₂	Mem[0x000-00f]	1	0	00 1 0 ₂	Mem [0x340 - 34f]	
Set 1										
Set 2										
Set 3										

No3 Read 0x1d8

000 | 110 | 1000

Miss/hit : Miss

block replacement : No

write allocate : No

write back : No

	Way 0				Way 1			
R	V	D	Tag	Data	V	D	Tag	Data
Set 0	1	1	0	000000 ₂ Mem[0x000-00f]	1	0	00 0 0 ₂	Mem [0x340 - 34f]
Set 1			0	000 ₂ Mem[0x d0 - df]				
Set 2								
Set 3								

№4 Write 0x354

0011 0101 0100

Miss/hit : Miss

block replacement : No

write allocate : Yes

write back : No

[illegible]

1010 0110 0001

Miss/hit : Miss

block replacement : No

write allocate : No

write back : No

[illegible]

No6 Write 0xab |

1010 0110 0001

Miss/hit : Hit

block replacement : No

write allocate : No

write back : No

[illegible]

No7 Read 0x3ec

0011 1110 1100

Miss/hit : Miss

block replacement : No

write allocate : No

write back : No

[illegible]

No8 Read 0xab2

10/0 01/0 00/0

Miss/hit : Hit

block replacement : No

write allocate : No

write back : No

[illegible]

block replacement : No

write allocate : No

write back : No

	Way 0					Way 1				
R	V	D	Tag	Data	V	D	Tag	Data		
Set 0	1	1	0	000000 ₂ Mem[0x000-00f]	1	0	001101 ₂	Mem[0x340-34f]		
Set 1	0	1	0	000111 ₂ Mem[0x1d0-1df]	1	1	001101 ₂	Mem[0x350-35f]		
Set 2	0	1	1	101001 ₂ Mem[0xab0-abf]	1	0	001111 ₂	Mem[0x3e0-3ef]		
Set 3										

No /o Read 0x 422

0/00 00/0 00/0

Miss/hit : Miss

block replacement : Yes

write allocate : No

write back : Yes (set 2 way 0)

[illegible]

6.

$$(a) \ 512 = 2^9 \quad \therefore 9 \text{ bits}$$

$$(b) \ 16 - 9 = 7$$

$$\therefore 2^7 = 128 \text{ (pages)} \#$$

$$(c) \ 14 - 9 = 5$$

$$\therefore 2^5 = 32 \text{ (pages)} \#$$

(d) since it could have 2^7 pages and each page is 4 bytes,

$$\text{so } 2^7 \times 4 = 512 \text{ bytes} \#$$

$$(e) \begin{array}{ccccccc} | & + & | & + & | & + & (1-4) + 5 \\ \text{valid} & & \text{reference} & & \text{dirty} & & \text{tag} \end{array} = 11$$

bit number of
physical page number

$$\Rightarrow 16 \times 11 = 176 \text{ bits} \#$$

7.

0x5368

tag: 0x5

Hit/Miss: Miss
TLBpage
fault: No

Valid	Tag	Physical Page Number	Reference (Used)
1	0x4	6	1
1	0x1	2	0
1	0xa	3	1
1	0x5	11	1

←

0x02c3

tag: 0x0

H/M: Miss
TLBpage
fault: Yes

Valid	Tag	Physical Page Number	Reference (Used)
1	0x4	6	X 0
1	0x0	20	X 1
1	0xa	3	1
1	0x5	11	1

←

0x434b

tag: 0x4

H/M: Hit
TLBpage
fault: No

Valid	Tag	Physical Page Number	Reference (Used)
1	0x4	6	X 1
1	0x0	20	1
1	0xa	3	1
1	0x5	11	1

←

0x6812

0x6

H/M: Miss
TLBpage
fault: No

Valid	Tag	Physical Page Number	Reference (Used)
1	0x4	6	0
1	0x0	20	0
1	0x6	7	1
1	0x5	11	0

←

0xaf50

0xa

H/M: Miss
TLBpage
fault: No

Valid	Tag	Physical Page Number	Reference (Used)
1	0x4	6	0
1	0x0	20	0
1	0x6	7	1
1	0xa	3	1

←