7. (1p) Make a plot of the estimated distances (according to your map of individuals) versus the observed distances. Regress estimated distances on observed distances and report the coefficient of determination of the regression.

6. (1p) What is the goodness-of-fit of a two-dimensional approximation to your distance matrix? ...

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8. (1p) Try now non-metric multidimensional scaling with your distance matrix. Use both a random initial configuration as well as the classical metric solution as an initial solution. Make a plot of

	the two-dimensional solution. Do the results support that the data come from one homogeneous
	population?
9.	(1p) Make again a plot of the estimated distances (according to your map of individuals) versus the
	observed distances, now for the two-dimensional solution of non-metric MDS. Regress estimated
	distances on observed distances and report the coefficient of determination of the regression. Is the
	fit better or worse than with metric MDS?
10.	(1p) Compute the stress for a $1,2,3,4,\ldots,n$ -dimensional solution, always using the classical MDS
	solution as an initial configuration. How many dimensions are necessary to obtain a good repre-
	sentation? Make a plot of the stress against the number of dimensions
11.	(1p) Compute the correlation matrix between the first two dimensions of a metric MDS and the two-
	dimensional solution of a non-metric MDS. Make a scatter plot matrix of the 4 variables. Comment
	on your findings