

# CS 575

# Software Testing and Analysis



Ozyegin University  
Graduate School of Engineering



## Potential Project Topics and Examples

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# Review of Potential Project Topics

- Methods, tools, techniques related to Software Testing and Analysis
- Also a short **overview** of the subject material
- Towards determining a project topic and scope
  - ... and preparing a **project proposal**





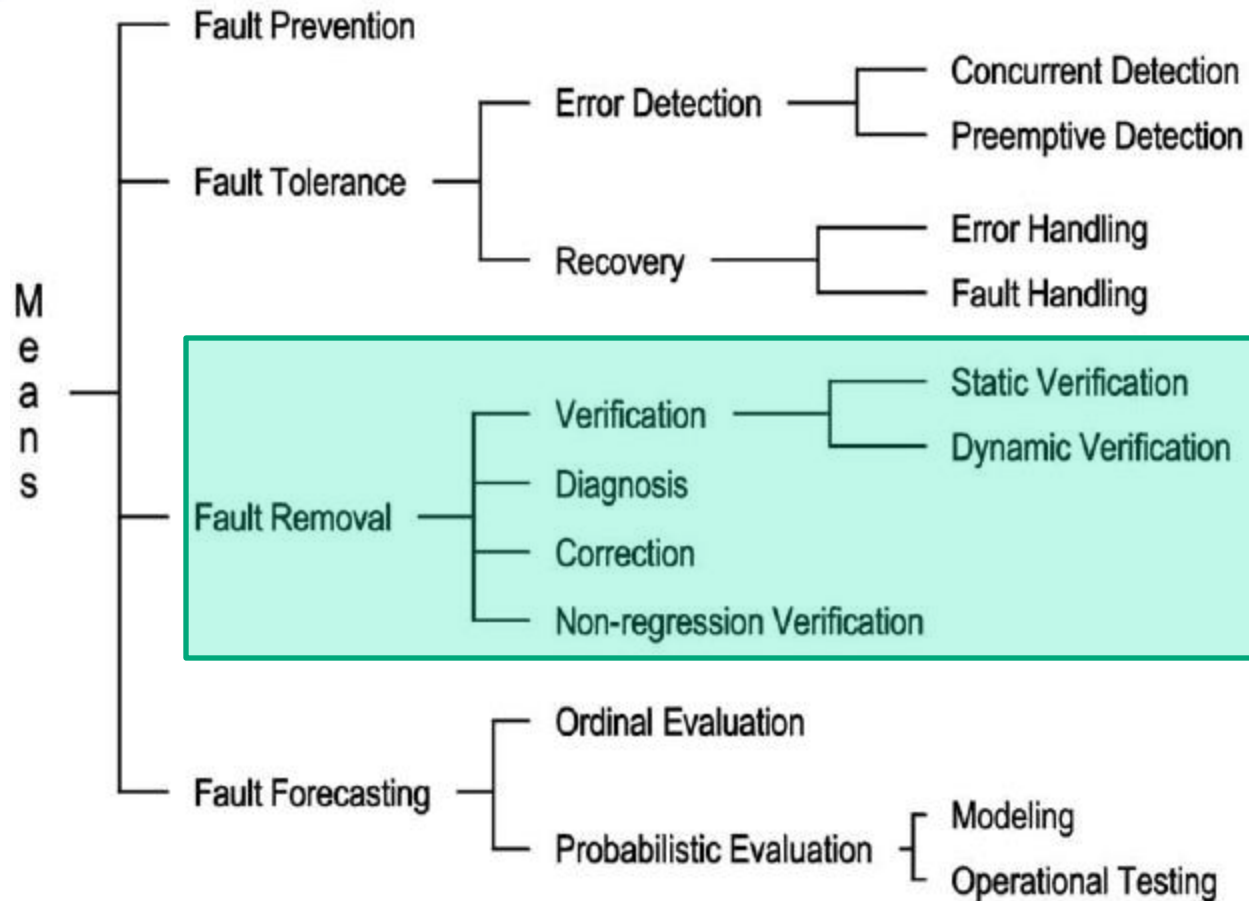
# Proposal Contents

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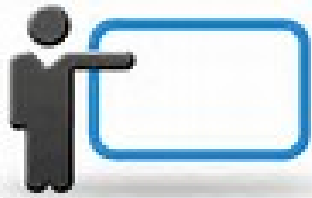


- Group members
  - if teamwork is considered
- Application domain
  - embedded, Web, mobile, stand-alone application, etc.
- The problem being addressed
  - measuring reliability, detecting errors, diagnosing faults, etc.
- The proposed solution approach
  - type of methods, techniques, tools considered
- Deliverables
  - a framework, integrated tool-set, evaluation report, etc.

# Scope



[Avizienis 2004]



# Outline

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- Static Code Analysis
- Model-Based Testing
- Combinatorial Testing
- Concolic Testing
- Spectrum-based Fault Localization
- Mutation Testing
- Test Automation
  - Mobile Applications
  - Web Applications



# New Ideas Welcome!

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- A new application domain
- Specific types of faults, errors, failures
- Different concerns
  - Maintenance of test cases, focus on user-perceived failures, etc.
- Our discussion is just to inspire you
- Possible topics are not limited to the discussed examples



# Static Code Analysis

- Analyzing source code without executing it
- Finding potential faults
- Bug Patterns
- Programming Rules
- Scalable but subject to false positives
- Extending tools with custom rules?
- Automatically filtering out false positives?





# Static Code Analysis Tools

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- Findbugs
- PMD
- Klocwork (commercial)
- CppCheck
- Frama-C
- Clang

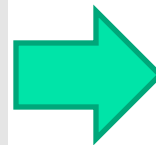




# Analysis for Program Slicing

- Focus on a variable that causes the failure
- Slice the program to filter out the irrelevant parts
- Makes it easier to debug the program

```
Pass = 0 ;
Fail = 0 ;
Count = 0 ;
while (!eof()) {
    TotalMarks=0;
    scanf("%d",Marks);
    if (Marks >= 40)
        Pass = Pass + 1;
    if (Marks < 40)
        Fail = Fail + 1;
    Count = Count + 1;
    TotalMarks = TotalMarks+Marks ;
}
printf("Out of %d, %d passed and %d failed\n",Count,Pass,Fail) ;
average = TotalMarks/Count;
/* This is the point of interest */
printf("The average was %d\n",average) ;
PassRate = Pass/Count*100 ;
printf("This is a pass rate of %d\n",PassRate) ;
```



```
while (!eof()) {
    TotalMarks=0;
    scanf("%d",Marks);
    Count = Count + 1;
    TotalMarks = TotalMarks+Marks;
}
average = TotalMarks/Count;
printf("The average was %d\n",average) ;
```

Example by Mark Harman



# Backward vs. Forward Slicing

- Forward Slicing: include lines that are affected by the variable in the rest of the program
- Makes it easier to maintain the program

```
x = 1; /* considering changing this line */  
y = 3;  
p = x + y ;  
z = y - 2 ;  
if (p==0)  
  r++ ;
```



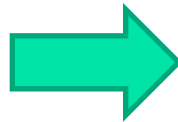
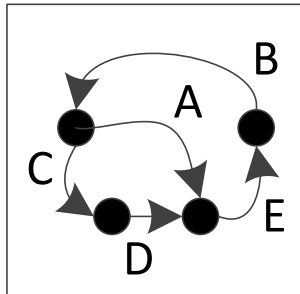
```
/* Change to first line will affect */  
p = x + y ;  
if (p==0)  
  r++ ;
```

Example by Mark Harman

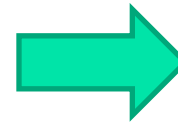
# Model-Based Testing

- Automatically generating test cases based on a model of the system

System Model



MBT  
Tool

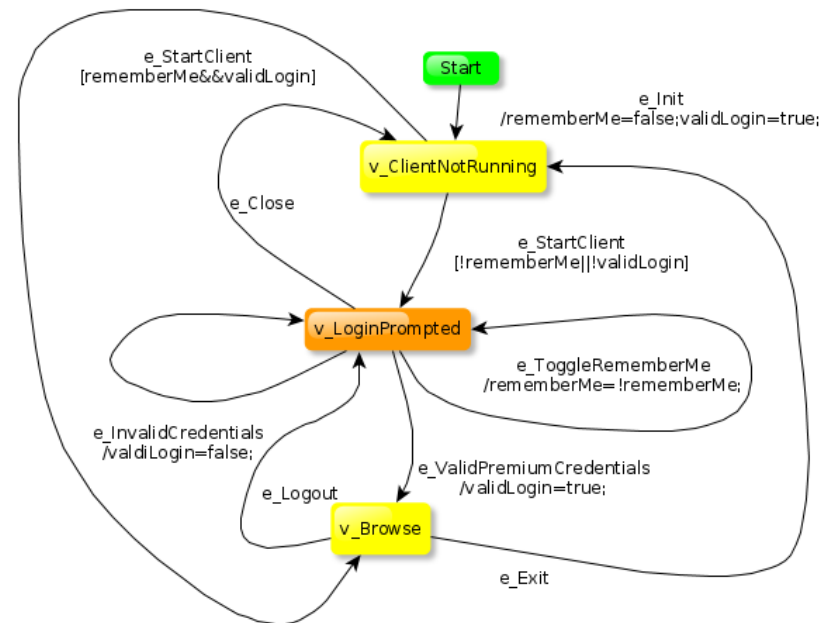


Test Cases

A,E,B,A,E  
A,E,B,C,D  
C,D,E,B,A  
C,A,E,B,A  
...

# Model-Based Testing Tools

- GraphWalker: Generates Junit test cases
- MaTeLo (commercial)
- Learning the usage model
- Reflecting usage profile
- Analyze coverage



- [http://mit.bme.hu/~micskeiz/pages/modelbased\\_testing.html](http://mit.bme.hu/~micskeiz/pages/modelbased_testing.html)
- <http://robertvbinder.com/open-source-tools-for-model-based-testing/>



# Combinatorial Testing

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- Exploring different combinations of parameters and configuration parameters
- Systematically generate combinations to be tested
  - e.g., IE on Vista, IE on XP, Firefox on Vista, ...
- Rationale: Test cases should be varied and include possible “corner cases”



# Pairwise testing

---

- Generate combinations that efficiently **cover all pairs (triples,...) of classes**
- Rationale: most failures are triggered by single values or combinations of a few values. Covering pairs (triples,...) reduces the number of test cases, but reveals most faults



# Example for Pairwise testing

*based on the slides of M. Pezze and M. Young*

- 432 (3x4x3x4x3) test cases if we consider all combinations

Display Mode	Language	Fonts	Color	Screen size
full-graphics	English	Minimal	Monochrome	Hand-held
text-only	French	Standard	Color-map	Laptop
limited-bandwidth	Spanish	Document-loaded	16-bit	Full-size
	Portuguese		True-color	

# Pairwise combinations: 17 test cases

Language	Color	Display Mode	Fonts	Screen Size
English	Monochrome	Full-graphics	Minimal	Hand-held
English	Color-map	Text-only	Standard	Full-size
English	16-bit	Limited-bandwidth	-	Full-size
English	True-color	Text-only	Document-loaded	Laptop
French	Monochrome	Limited-bandwidth	Standard	Laptop
French	Color-map	Full-graphics	Document-loaded	Full-size
French	16-bit	Text-only	Minimal	-
French	True-color	-	-	Hand-held
Spanish	Monochrome	-	Document-loaded	Full-size
Spanish	Color-map	Limited-bandwidth	Minimal	Hand-held
Spanish	16-bit	Full-graphics	Standard	Laptop
Spanish	True-color	Text-only	-	Hand-held
Portuguese	-	-	Monochrome	Text-only
Portuguese	Color-map	-	Minimal	Laptop
Portuguese	16-bit	Limited-bandwidth	Document-loaded	Hand-held
Portuguese	True-color	Full-graphics	Minimal	Full-size
Portuguese	True-color	Limited-bandwidth	Standard	Hand-held





# Combinatorial Testing Tools

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- <http://www.pairwise.org/tools.asp>
- Tcase
- Pict
- ...



# Concolic Testing

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- Combining **concrete** execution with **symbolic** execution
- Concrete Execution
  - Based on a specification or random values
- Symbolic Execution
  - Use symbolic values for inputs and variables
  - Calculate path constraints
  - Use a theorem prover to check if a code block is reachable



# Example: CUTE

(slides by Darko Marinov and Gul Agha)

```
typedef struct cell {  
    int v;  
    struct cell *next;  
} cell;  
  
int f(int v) {  
    return 2*v + 1;  
}  
  
int testme(cell *p, int x) {  
    if (x > 0)  
        if (p != NULL)  
            if (f(x) == p->v)  
                if (p->next == p)  
                    abort();  
    return 0;  
}
```

Probability of  
reaching **abort( )**  
is extremely low  
by testing with  
random x values

```

typedef struct cell {
    int v;
    struct cell *next;
} cell;

int f(int v) {
    return 2*v + 1;
}

int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```

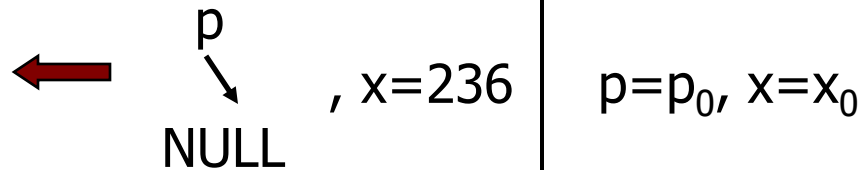
Concrete  
Execution

Symbolic  
Execution

concrete  
state

symbolic  
state

constraints



```
typedef struct cell {
    int v;
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} cell;
```

```
int f(int v) {
    return 2*v + 1;
}
```

```
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

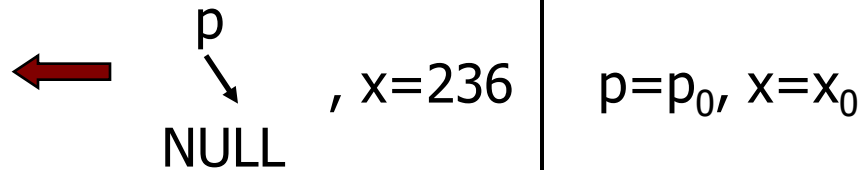
Concrete  
Execution

Symbolic  
Execution

concrete  
state

symbolic  
state

constraints



## Concrete Execution

# Symbolic Execution

```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
```

```
int f(int v) {
    return 2*v + 1;
}
```

```
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

concrete  
state

symbolic  
state

## constraints

$$x_0 > 0$$

**, x=236**

$$p=p_0, \quad x=x_0$$

p  
↓  
NULL

```

typedef struct cell {
    int v;
    struct cell *next;
} cell;

int f(int v) {
    return 2*v + 1;
}

int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```

Concrete  
Execution

Symbolic  
Execution

concrete  
state

symbolic  
state

constraints



p  
↓  
NULL

, x=236

p=p<sub>0</sub>, x=x<sub>0</sub>

x<sub>0</sub>>0  
!(p<sub>0</sub>!=NULL)

Concrete  
Execution

Symbolic  
Execution

```
typedef struct cell {  
    int v;  
    struct cell *next;  
} cell;
```

```
int f(int v) {  
    return 2*v + 1;  
}
```

```
int testme(cell *p, int x) {  
    if (x > 0)  
        if (p != NULL)  
            if (f(x) == p->v)  
                if (p->next == p)  
                    abort();  
    return 0;  
}
```

concrete

symbolic

constraints

solve:  $x_0 > 0$  and  $p_0 \neq \text{NULL}$

$x_0 > 0$

$p_0 = \text{NULL}$

,  $x = 236$

$p = p_0, x = x_0$

p  
↓  
NULL



```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
```

```
int f(int v) {
    return 2*v + 1;
}
```

```
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

Concrete  
Execution

Symbolic  
Execution

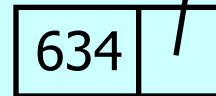
concrete

symbolic

constraints

solve:  $x_0 > 0$  and  $p_0 \neq \text{NULL}$

$x_0 = 236$ ,  $p_0$  → NULL



$x_0 > 0$   
 $p_0 = \text{NULL}$



$p$  →  
NULL

,  $x = 236$

$p = p_0$ ,  $x = x_0$

```

typedef struct cell {
    int v;
    struct cell *next;
} cell;

int f(int v) {
    return 2*v + 1;
}

int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```

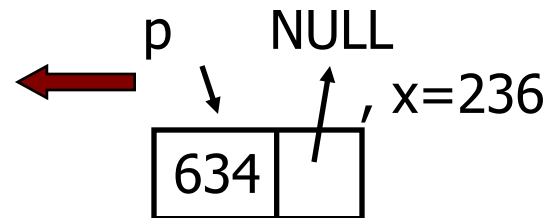
Concrete  
Execution

Symbolic  
Execution

concrete  
state

symbolic  
state

constraints



$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow next = n_0$

Concrete  
Execution

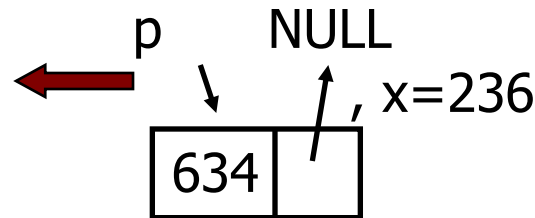
Symbolic  
Execution

```
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    return 0;  
}
```

concrete  
state



symbolic  
state

$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow next = n_0$

constraints

$x_0 > 0$

## Concrete Execution

## Symbolic Execution

```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
```

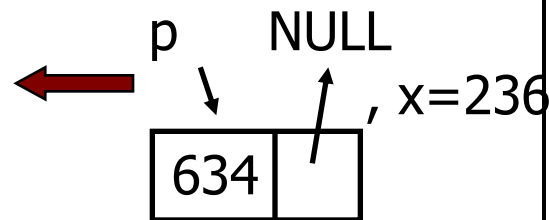
```
int f(int v) {
    return 2*v + 1;
}
```

```
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

concrete  
state

symbolic  
state

constraints



$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow next = n_0$

$x_0 > 0$   
 $p_0 \neq \text{NULL}$

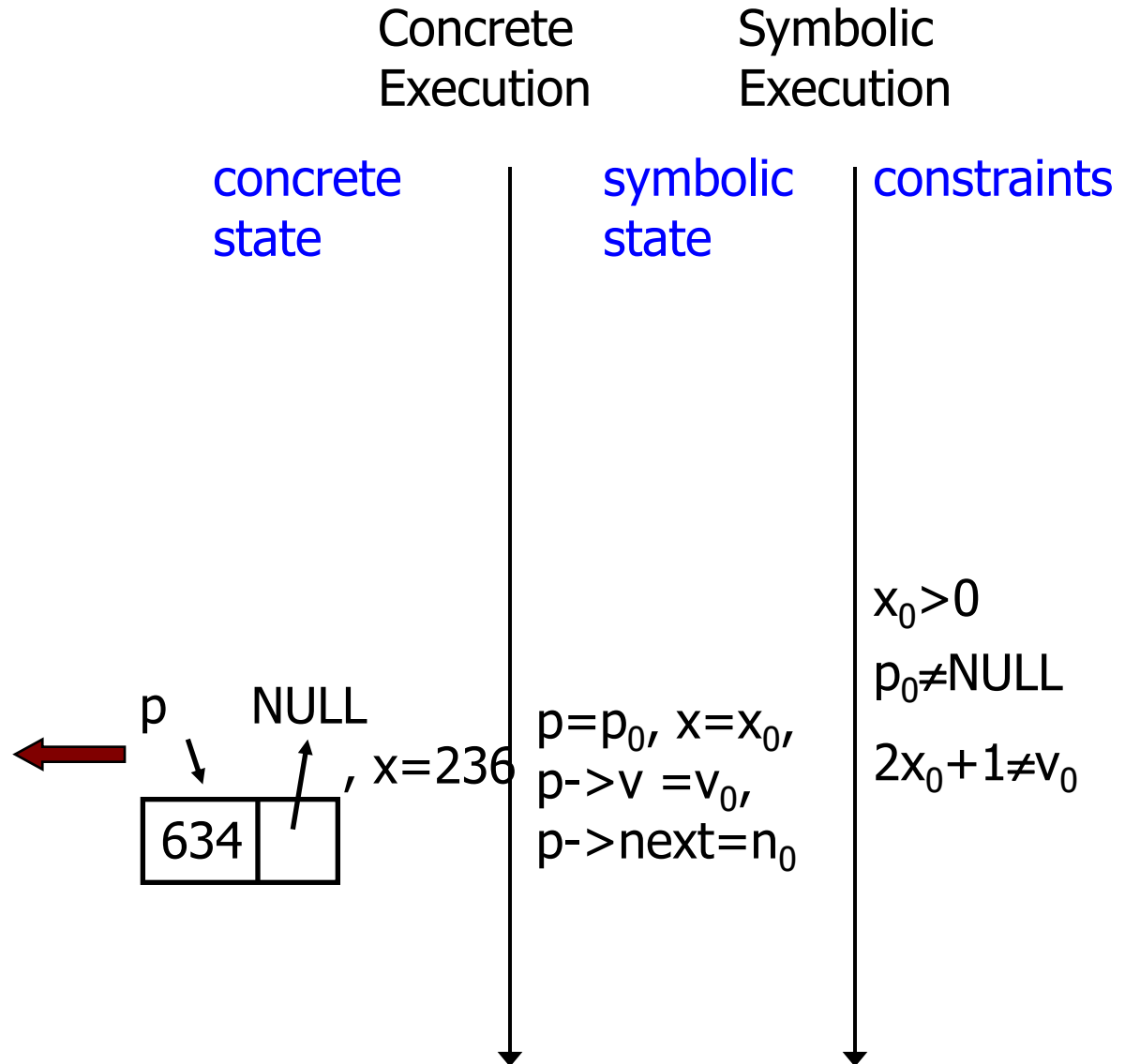
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            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```



```

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int testme(cell *p, int x) {
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            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```

Concrete  
Execution

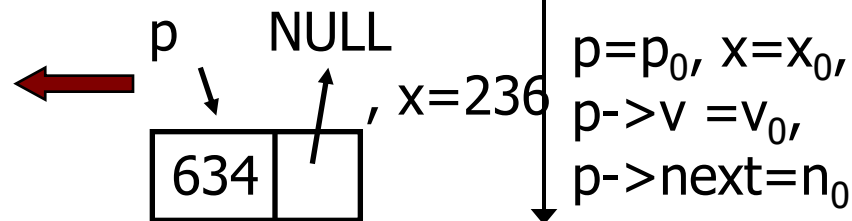
Symbolic  
Execution

concrete  
state

symbolic  
state

constraints

$x_0 > 0$   
 $p_0 \neq \text{NULL}$   
 $2x_0 + 1 \neq v_0$



Concrete  
Execution

Symbolic  
Execution

```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
```

```
int f(int v) {
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}
```

```
int testme(cell *p, int x) {
    if (x > 0)
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                if (p->next == p)
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    return 0;
}
```

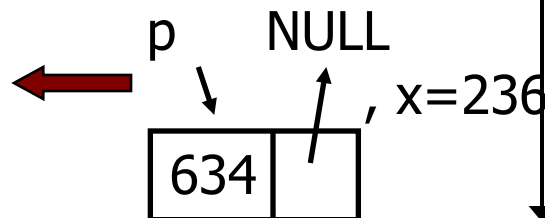
concrete

symbolic

constraints

solve:  $x_0 > 0$  and  $p_0 \neq \text{NULL}$   
and  $2x_0 + 1 = v_0$

$x_0 > 0$   
 $p_0 \neq \text{NULL}$   
 $2x_0 + 1 \neq v_0$



$p = p_0$ ,  $x = x_0$ ,  
 $p \rightarrow v = v_0$ ,  
 $p \rightarrow \text{next} = n_0$

```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
```

```
int f(int v) {
    return 2*v + 1;
}
```

```
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
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                    abort();
    return 0;
}
```

Concrete  
Execution

Symbolic  
Execution

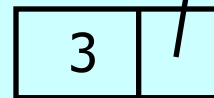
concrete

symbolic

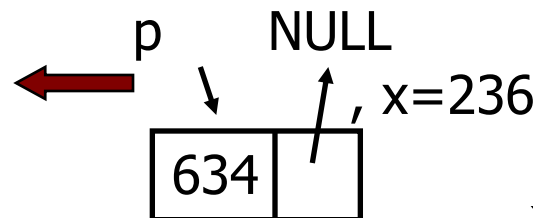
constraints

solve:  $x_0 > 0$  and  $p_0 \neq \text{NULL}$   
and  $2x_0 + 1 = v_0$

$x_0 = 1$ ,  $p_0$  → NULL



$x_0 > 0$   
 $p_0 \neq \text{NULL}$   
 $2x_0 + 1 \neq v_0$



$p = p_0$ ,  $x = x_0$ ,  
 $p \rightarrow v = v_0$ ,  
 $p \rightarrow \text{next} = n_0$



```

typedef struct cell {
    int v;
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int testme(cell *p, int x) {
    if (x > 0)
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                if (p->next == p)
                    abort();
    return 0;
}

```

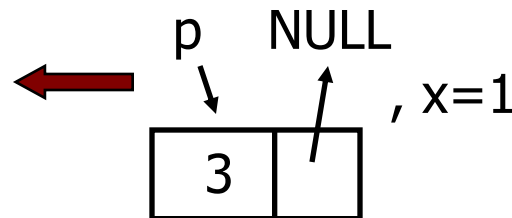
Concrete  
Execution

Symbolic  
Execution

concrete  
state

symbolic  
state

constraints



$p=p_0, x=x_0,$   
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Concrete  
Execution

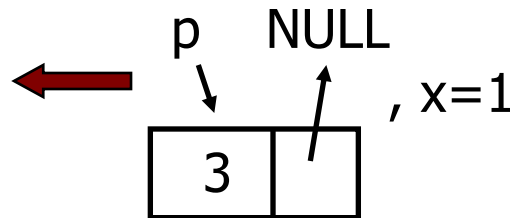
Symbolic  
Execution

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} cell;
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```
int testme(cell *p, int x) {  
    if (x > 0)  
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            if (f(x) == p->v)  
                if (p->next == p)  
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    return 0;  
}
```

concrete  
state



symbolic  
state

$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow next = n_0$

constraints

$x_0 > 0$

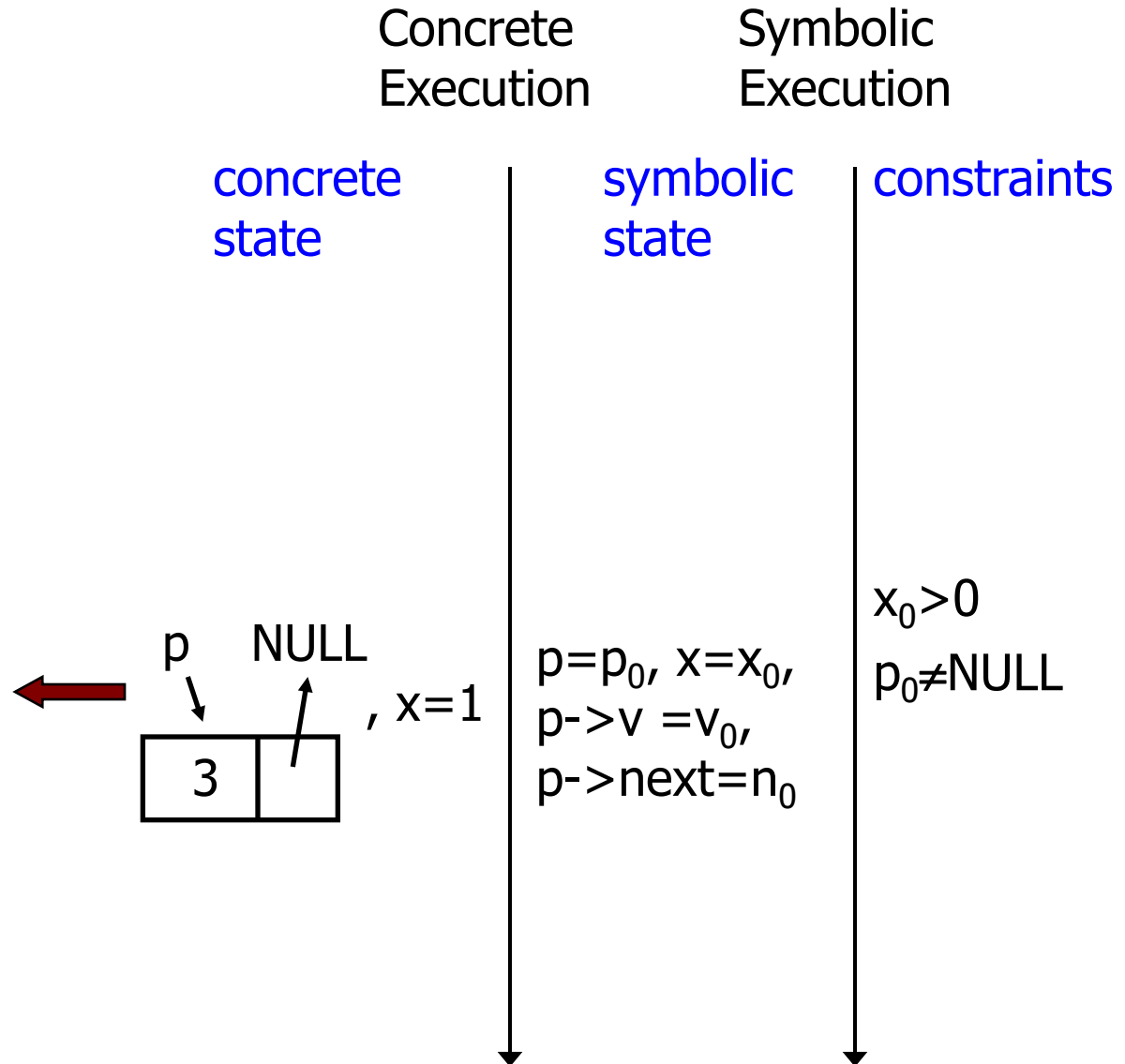
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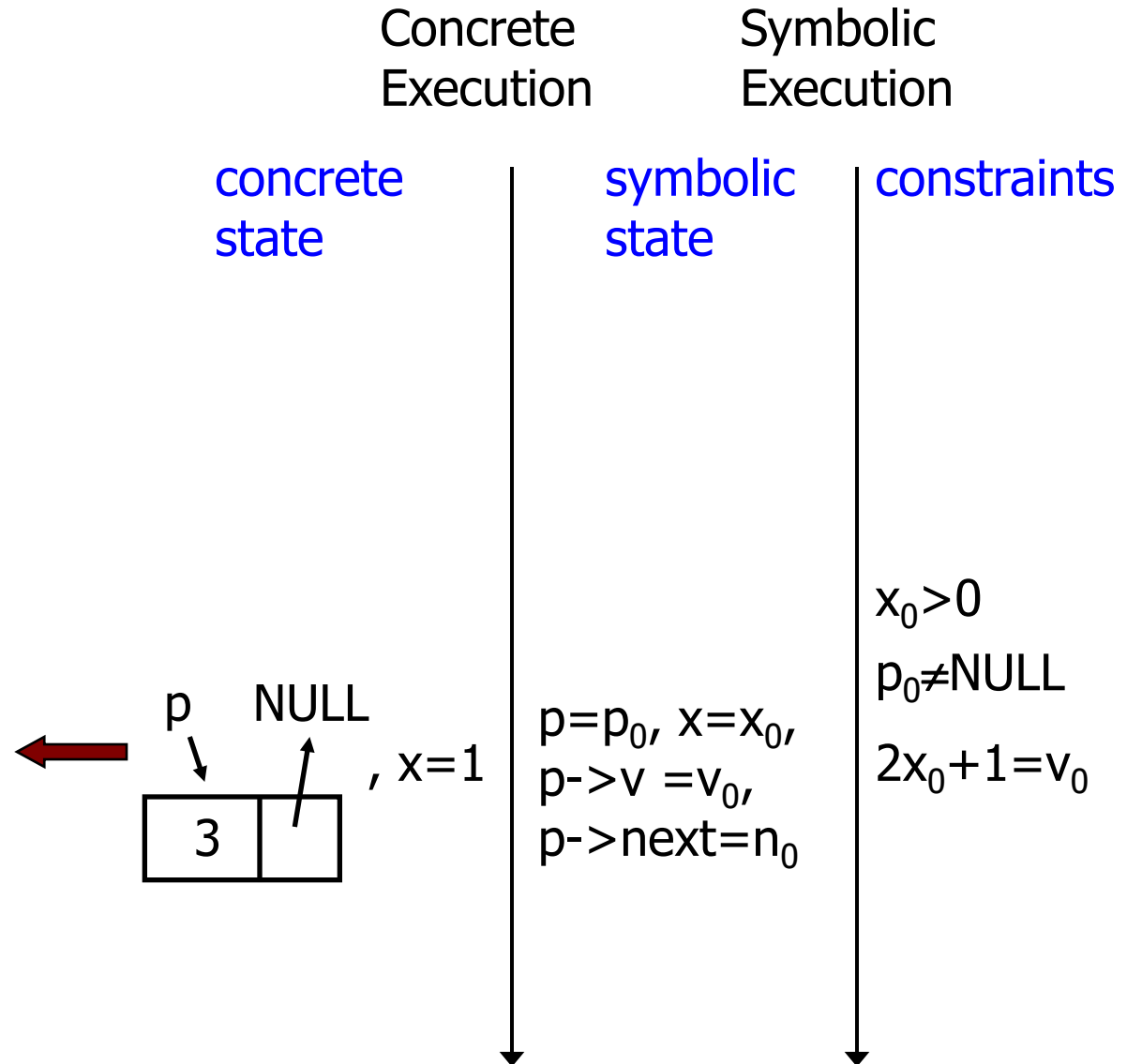
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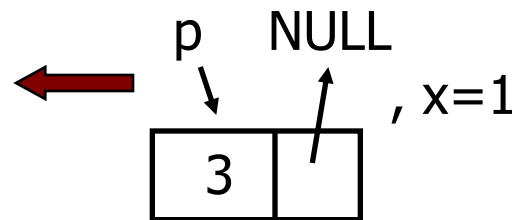
Concrete  
Execution

Symbolic  
Execution

concrete  
state

symbolic  
state

constraints



$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow next = n_0$

$x_0 > 0$   
 $p_0 \neq \text{NULL}$   
 $2x_0 + 1 = v_0$   
 $n_0 \neq p_0$

```

typedef struct cell {
    int v;
    struct cell *next;
} cell;

int f(int v) {
    return 2*v + 1;
}

int testme(cell *p, int x) {
    if (x > 0)
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                    abort();
    return 0;
}

```

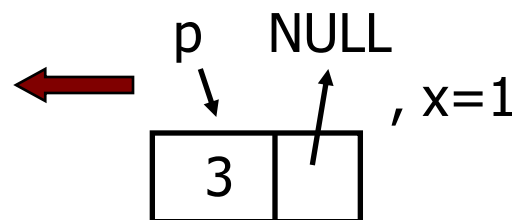
Concrete  
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concrete  
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state

constraints



$p = p_0$ ,  $x = x_0$ ,  
 $p \rightarrow v = v_0$ ,  
 $p \rightarrow next = n_0$

$x_0 > 0$   
 $p_0 \neq \text{NULL}$   
 $2x_0 + 1 = v_0$   
 $n_0 \neq p_0$

Concrete  
Execution

Symbolic  
Execution

```
typedef struct cell {  
    int v;  
    struct cell *next;  
} cell;
```

```
int f(int v) {  
    return 2*v + 1;  
}
```

```
int testme(cell *p, int x) {  
    if (x > 0)  
        if (p != NULL)  
            if (f(x) == p->v)  
                if (p->next == p)  
                    abort();  
    return 0;  
}
```

concrete  
state

symbolic  
state

constraints

solve:  $x_0 > 0$  and  $p_0 \neq \text{NULL}$   
and  $2x_0 + 1 = v_0$  and  $n_0 = p_0$

.

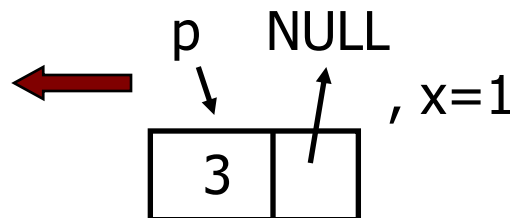
$x_0 > 0$

$p_0 \neq \text{NULL}$

$2x_0 + 1 = v_0$

$n_0 \neq p_0$

$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow \text{next} = n_0$



```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
```

```
int f(int v) {
    return 2*v + 1;
}
```

```
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

Concrete  
Execution

Symbolic  
Execution

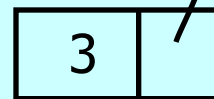
concrete  
state

symbolic  
state

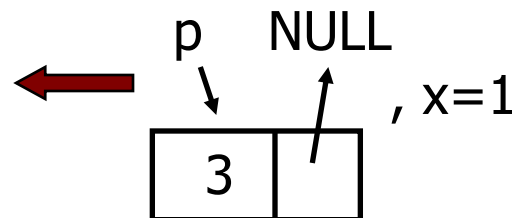
constraints

solve:  $x_0 > 0$  and  $p_0 \neq \text{NULL}$   
and  $2x_0 + 1 = v_0$  and  $n_0 = p_0$

$x_0 = 1, p_0$



$x_0 > 0$   
 $p_0 \neq \text{NULL}$   
 $2x_0 + 1 = v_0$   
 $n_0 \neq p_0$



$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow \text{next} = n_0$



Concrete  
Execution

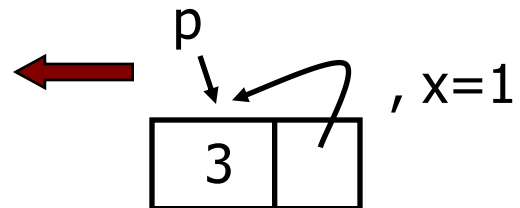
Symbolic  
Execution

```
typedef struct cell {  
    int v;  
    struct cell *next;  
} cell;
```

```
int f(int v) {  
    return 2*v + 1;  
}
```

```
int testme(cell *p, int x) {  
    if (x > 0)  
        if (p != NULL)  
            if (f(x) == p->v)  
                if (p->next == p)  
                    abort();  
    return 0;  
}
```

concrete  
state



symbolic  
state

$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow next = n_0$

constraints

## Concrete Execution

## Symbolic Execution

```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
```

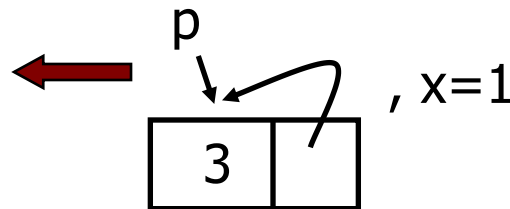
```
int f(int v) {
    return 2*v + 1;
}
```

```
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

concrete  
state

symbolic  
state

constraints



$p = p_0, x = x_0,$   
 $p \rightarrow v = v_0,$   
 $p \rightarrow next = n_0$

$x_0 > 0$

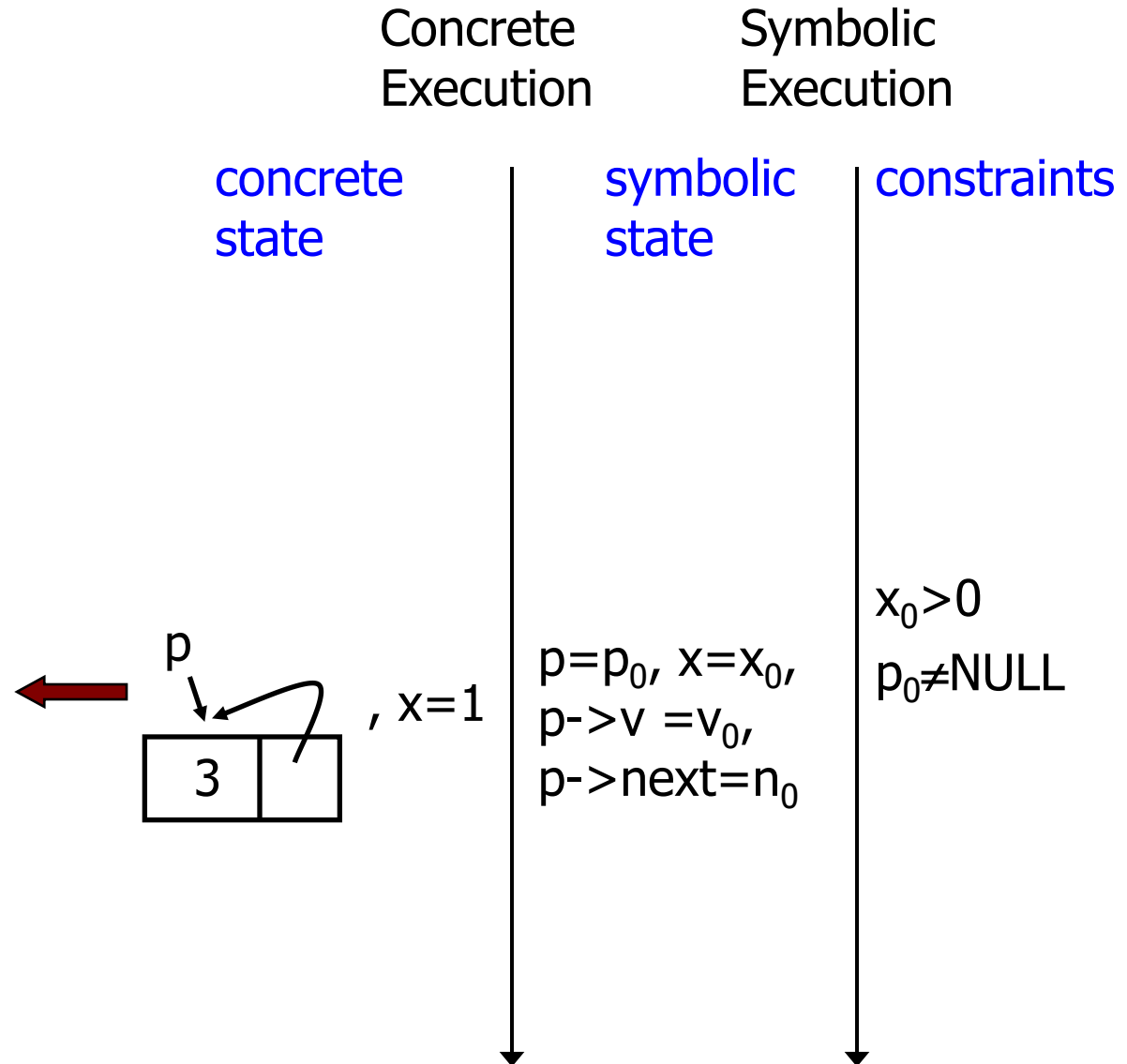
```

typedef struct cell {
    int v;
    struct cell *next;
} cell;

int f(int v) {
    return 2*v + 1;
}

int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```



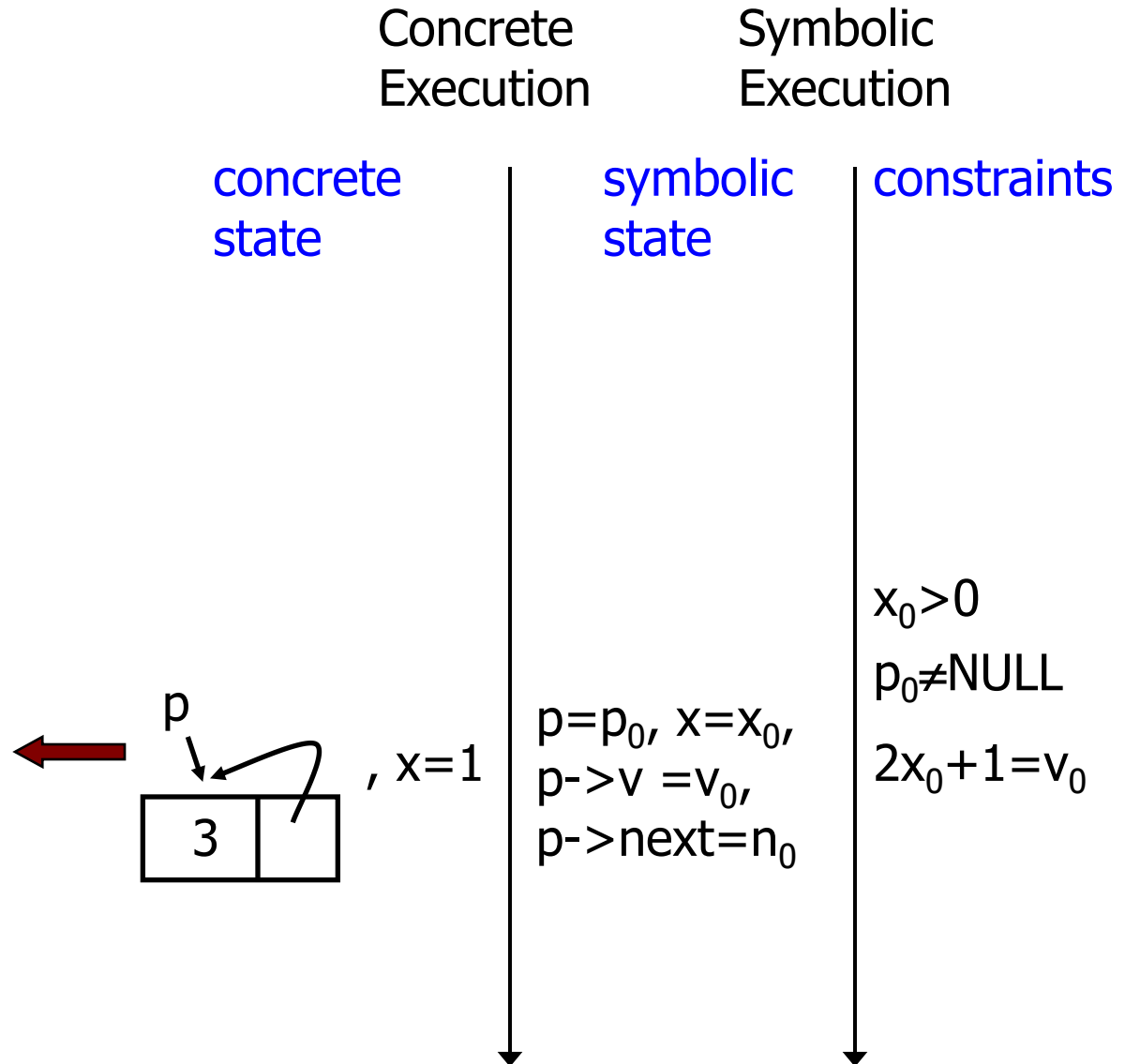
```

typedef struct cell {
    int v;
    struct cell *next;
} cell;

int f(int v) {
    return 2*v + 1;
}

int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```



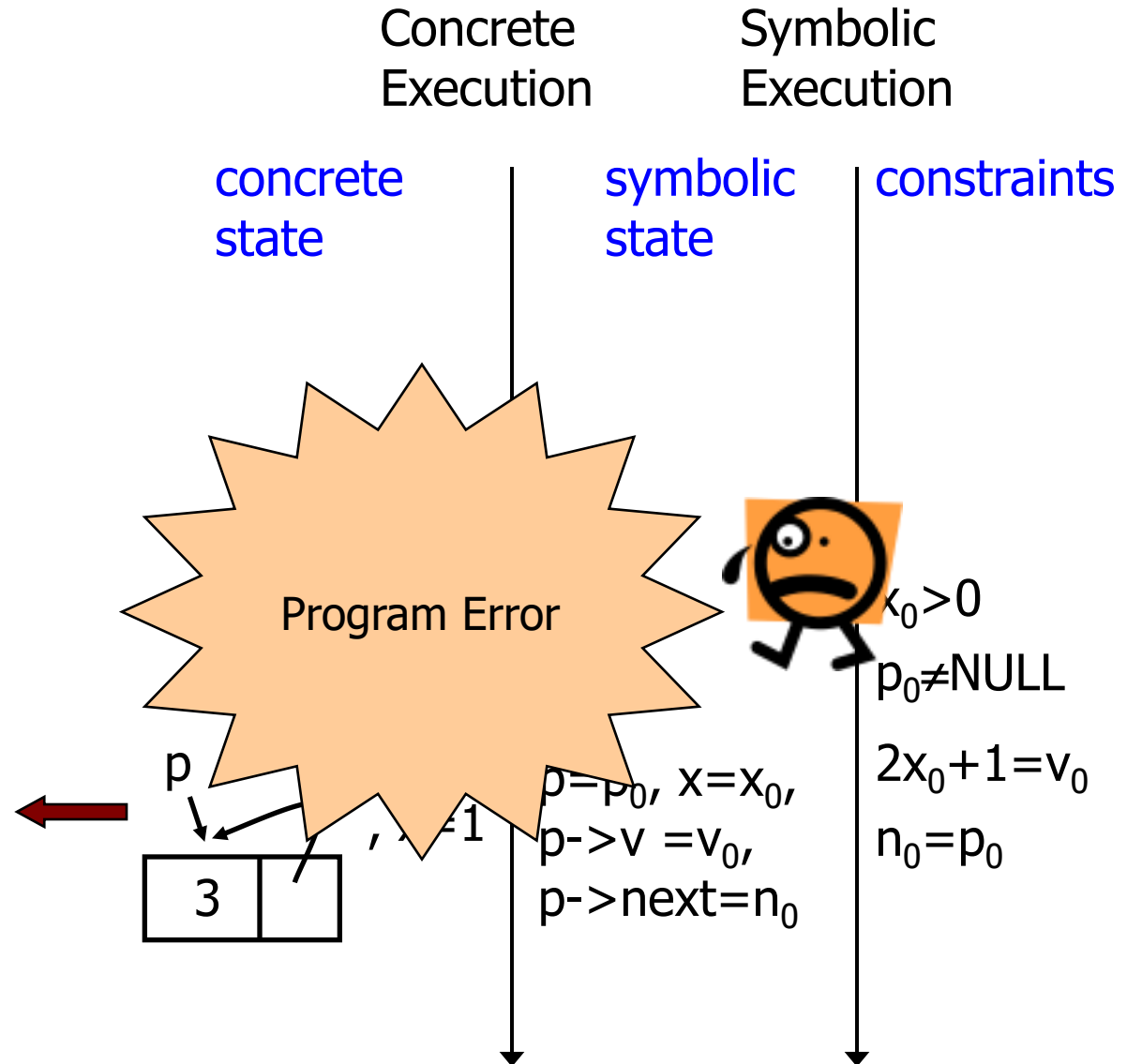
```

typedef struct cell {
    int v;
    struct cell *next;
} cell;

int f(int v) {
    return 2*v + 1;
}

int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```





# Concolic Testing Tools

---

- KLEE for C
  - CUTE for C
  - DART for C
  - Jcute for Java
- 
- Paper: CUTE: A Concolic Unit Testing Engine for C, Koushik Sen, Darko Marinov, and Gul Agha. In CAV, volume 4144 of Lecture Notes in Computer Science, 419–423. Springer, 2006.



# Spectrum-based Fault Localization

---

- Helping developers for debugging
- Correlating execution traces with test results
  - Which program locations are executed?
  - Which components are involved?
  - Which branches are taken?
  - ...
- Example slides follow for so called **block-hit spectra**
  - Adopted slides of Rui Abreu, Peter Zoetewij and Arjan van Gemund

# Block / function hit spectra

Function hit spectrum

1: function  $i$  called  
0: function  $i$  not called

$x_1$	$x_2$	...	$x_i$	...	$x_n$
-------	-------	-----	-------	-----	-------

Block hit spectrum

1: block  $i$  executed  
0: block  $i$  not executed

Block:

- C statement (compound stmt)
- cases of a switch statement





# Collected Data

$n$  blocks

$m$  cases

$x_{11}$	$x_{12}$	...	$x_{1n}$
$x_{21}$	$x_{22}$	...	$x_{2n}$
...	...	...	...
$x_{m1}$	$x_{m2}$	...	$x_{mn}$

$e_1$
$e_2$
...
$e_m$

# Collected Data



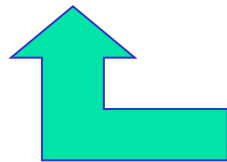
$x_{11}$	$x_{12}$	...	$x_{1n}$
$x_{21}$	$x_{22}$	...	$x_{2n}$
...	...	...	...
$x_{m1}$	$x_{m2}$	...	$x_{mn}$

$e_1$
$e_2$
...
$e_m$

Row  $i$ : the blocks that are executed in case  $i$

# Collected Data

$x_{11}$	$x_{12}$	...	$x_{1n}$	$e_1$
$x_{21}$	$x_{22}$	...	$x_{2n}$	$e_2$
...	...	...	...	...
$x_{m1}$	$x_{m2}$	...	$x_{mn}$	$e_m$

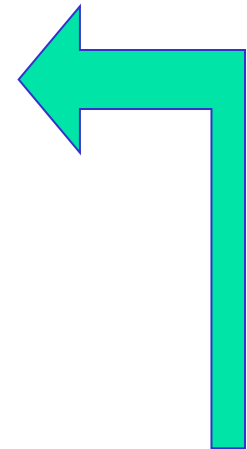


Column  $j$ : the test cases in which block  $j$  was executed

# Collected Data

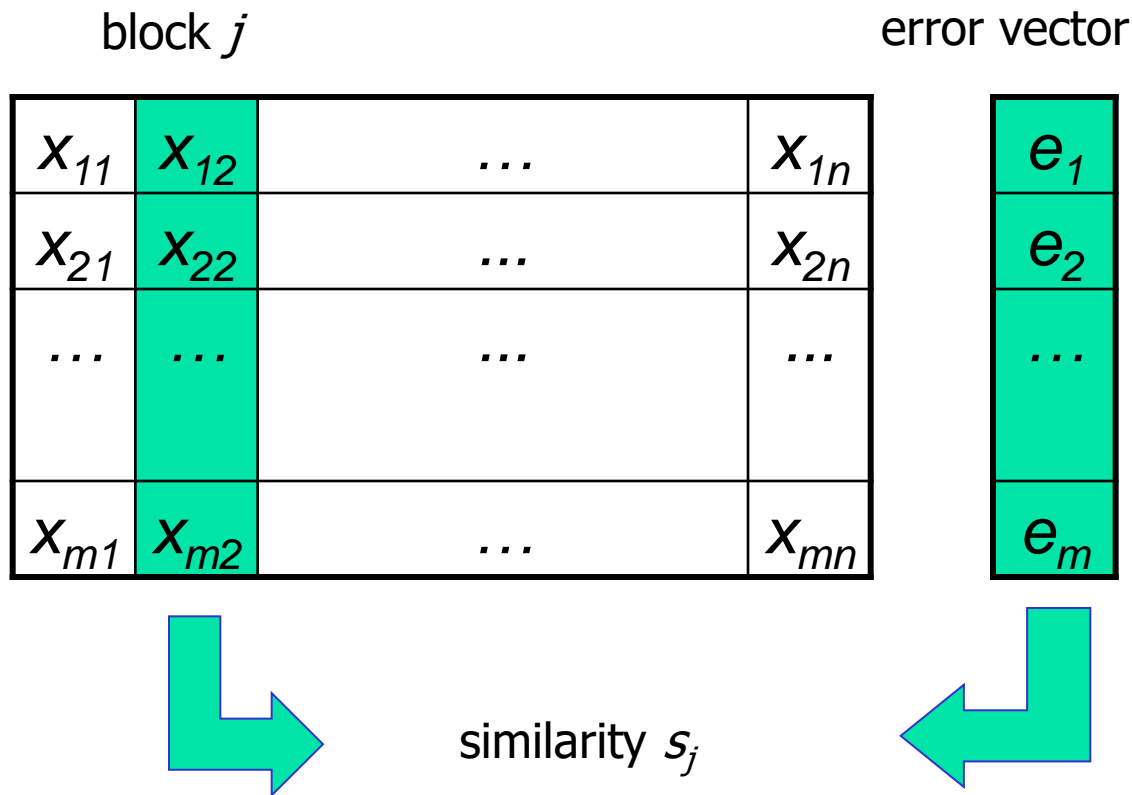
$x_{11}$	$x_{12}$	...	$x_{1n}$
$x_{21}$	$x_{22}$	...	$x_{2n}$
...	...	...	...
$x_{m1}$	$x_{m2}$	...	$x_{mn}$

$e_1$
$e_2$
...
$e_m$



$e_i=1$  : error in the  $i$ th test  
 $e_i=0$  : no error in the  $i$ th test

# Calculation of Similarity



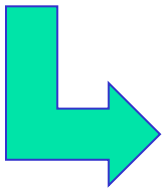
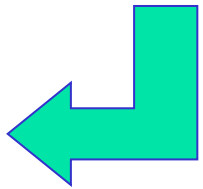
# Jaccard Similarity Coefficient

block  $j$

1
0
1
0
1

error vector

0
1
1
0
1


$$s_j = \frac{a_{11}}{a_{11} + a_{10} + a_{01}}$$


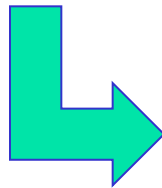
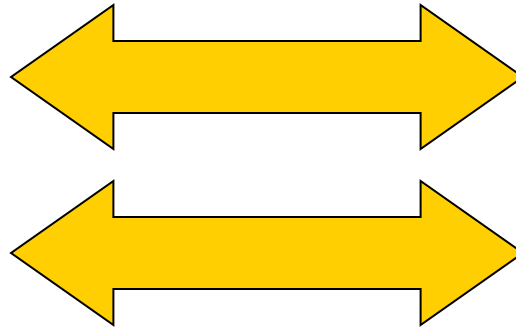
# Jaccard Similarity Coefficient

block  $j$

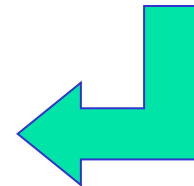
1
0
1
0
1

error vector

0
1
1
0
1



$$s_j = \frac{a_{11}}{a_{11} + a_{10} + a_{01}}$$



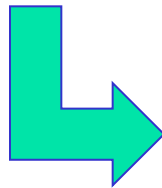
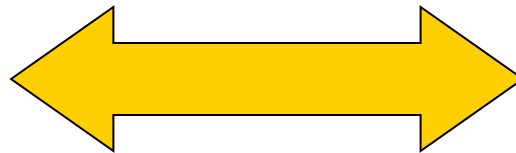
# Jaccard Similarity Coefficient

block  $j$

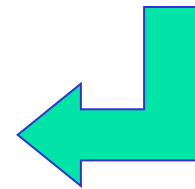
1
0
1
0
1

error vector

0
1
1
0
1



$$s_j = \frac{2}{2 + a_{10} + a_{01}}$$





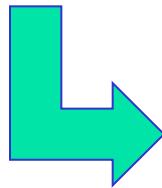
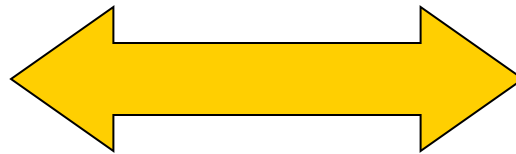
# Jaccard Similarity Coefficient

block  $j$

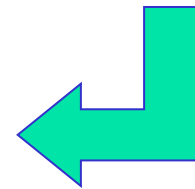
1
0
1
0
1

error vector

0
1
1
0
1



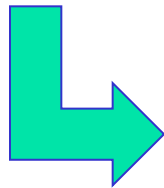
$$s_j = \frac{2}{2 + 1 + a_{01}}$$



# Jaccard Similarity Coefficient

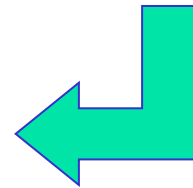
block  $j$

1
0
1
0
1



error vector

0
1
1
0
1



$$s_j = \frac{2}{2 + 1 + 1}$$

# Similarity for Each Block

$n$  blocks

error vector

$m$  cases

$x_{11}$	$x_{12}$	$\dots$	$x_{1n}$	$e_1$
$x_{21}$	$x_{22}$	$\dots$	$x_{2n}$	$e_2$
$\dots$	$\dots$	$\dots$	$\dots$	$\dots$
$x_{m1}$	$x_{m2}$	$\dots$	$x_{mn}$	$e_m$
$s_1$	$s_2$	$\dots$	$s_n$	

The block with the highest  $s_i$  most likely contains the fault.

# Example

$n$  blocks

error vector

$m$  cases

0	1	1	1	1	0	0
0	0	0	1	0	1	1
1	1	1	1	0	0	0
0	0	0	0	0	0	0
1	1	0	1	1	0	1

0
1
1
0
1

# Example

$n$  blocks

error vector

$m$  cases

0	1	1	1	1	0	0
0	0	0	1	0	1	1
1	1	1	1	0	0	0
0	0	0	0	0	0	0
1	1	0	1	1	0	1
$\frac{2}{3}$	$\frac{1}{2}$	$\frac{1}{4}$	$\frac{3}{4}$	$\frac{1}{4}$	$\frac{1}{3}$	$\frac{2}{3}$

0
1
1
0
1

# Example

$n$  blocks

error vector

$m$  cases

0	1	1	1	1	0	0
0	0	0	1	0	1	1
1	1	1	1	0	0	0
0	0	0	0	0	0	0
1	1	0	1	1	0	1

$\frac{2}{3}$

$\frac{1}{2}$

$\frac{1}{4}$

$\frac{3}{4}$

$\frac{1}{4}$

$\frac{1}{3}$

$\frac{2}{3}$

0
1
1
0
1



# Fault Localization Tools

---

- Zoltar
- Gzoltar: Eclipse plug-in for Java Applications
  - Paper: W. E. Wong, R. Gao, Y. Li, R. Abreu and F. Wotawa, "A Survey on Software Fault Localization," in *IEEE Transactions on Software Engineering*, vol. 42, no. 8, pp. 707-740, Aug. 1 2016.
- Application to new case studies?
- New type of applications?
- A comparison of tools? Similarity metrics?



# Mutation Testing

---

- Testing your tests by injecting faults to your program
- Assume, we have a program P
- Makes 100 different copies of P
- A bug is injected to each copy
- Run all the tests on each of the 100 copies with bugs
- Let's say, all the tests passed for 80 of them
- What would you think about your tests then?





# Mutants

---



- A **mutant** is a copy of a program with a mutation
- A **mutation** is a syntactic change (a seeded bug)
  - e.g., change  $(i < 0)$  to  $(i \leq 0)$
- A mutant is **killed** if it fails on at least one test case
- If many mutants are killed, infer that the test suite is also effective at finding real bugs



# Mutation Testing Assumptions

---

- Competent programmer hypothesis:
  - Programs are nearly correct
    - Real faults are small variations from the correct program
    - => Mutants are reasonable models of real buggy programs
- Coupling effect hypothesis:
  - Tests that find simple faults also find more complex faults
    - Even if mutants are not perfect representatives of real faults, a test suite that kills mutants is good at finding real faults too



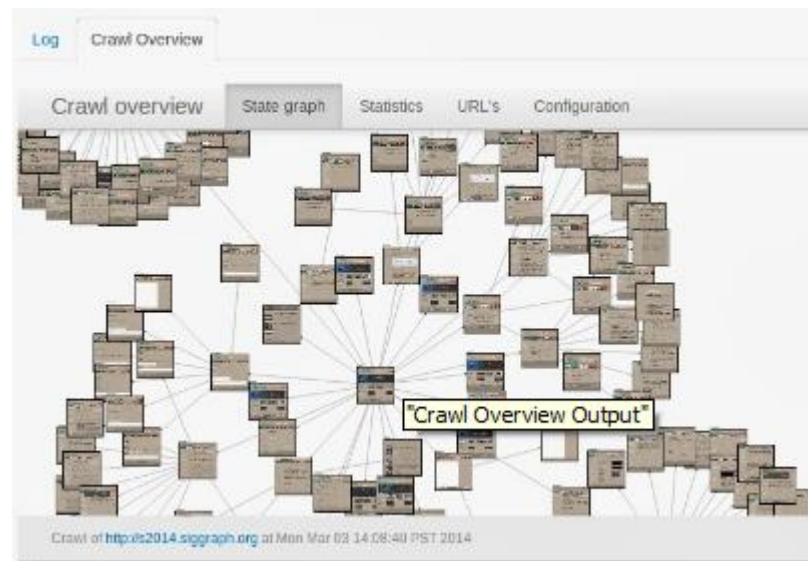
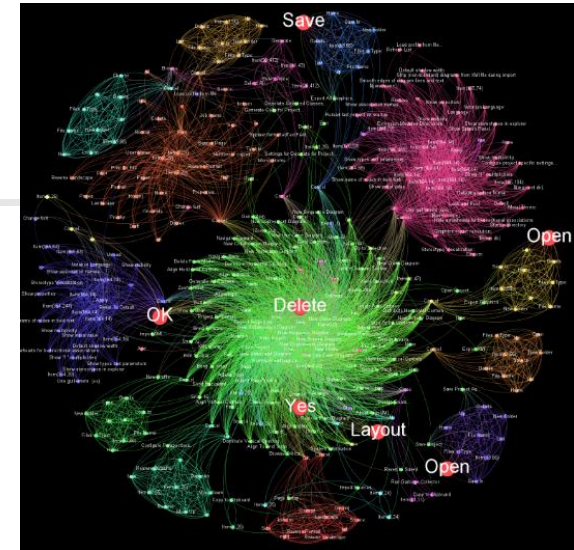
# Mutation Testing Tools

---

- MuClipse: open-source tool for Java
- Judy
- PIT
- Paper: Yue Jia and Mark Harman. 2011. An Analysis and Survey of the Development of Mutation Testing. IEEE Trans. Softw. Eng. 37, 5 (September 2011), 649-678
- Application to new case studies?
- A comparison of tools?
- A new mutation testing tool with new type of operators?

# Test Automation

- Exploring user interfaces
- Automated Execution of test cases
- GUI
  - Abbot for Java
  - Eggplant
  - Ranorex for .NET
  - Sikuli
- Web
  - Crawljax
- Mobile
  - Android GUITAR
  - Calabash





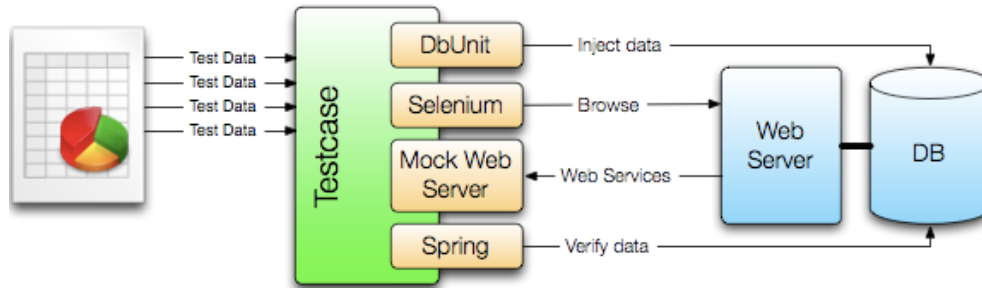
# Test Automation Tools for Mobile Applications

---

- <https://github.com/RobotiumTech/robotium>
- <https://google.github.io/android-testing-support-library/docs/uiautomator/>
- <https://google.github.io/android-testing-support-library/docs/espresso/>
- <https://robotium.com/products/robotium-recorder>
- <https://developer.android.com/studio/test/espresso-test-recorder.html>
- <http://www.ranorex.com/mobile-automation-testing/android-test-automation.html>
- <http://developer.android.com/tools/help/monkey.html>

# Data Driven Acceptance Tests

- DDSteps (<http://ddsteps.sourceforge.net/>)



- FitNesse



fit.ActionFixture		
start	eg.Page	
enter	location	<a href="http://google.com">http://google.com</a>
check	title	Google
enter	link	Jobs
check	title	About Google
enter	link	Press
enter	link	Review
check	title	Google Press Room



Questions so far..

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