Quesnow (

(a)
$$x = 3x + 1x(-5)$$

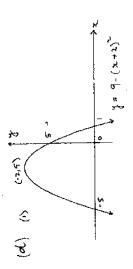
 $= \frac{7}{4}$
 $y = \frac{3x(-3) + 1x}{4}$

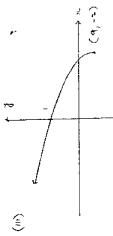
He point is
$$(\frac{7}{4}, -\frac{2}{4})$$

(6) $m_1 = -\frac{1}{2}$, $m_2 = \frac{1}{3}$
Let 0 be the actual angle to 0 = $\left| \frac{-\frac{1}{2} - \frac{1}{2}}{1 + (\frac{1}{2})(\frac{1}{2})} \right|$

(b) (c)
$$x^{2} + 4x^{2} \le (x^{2} + 1)^{2} + 1$$

(n) $\int \frac{dx}{x^{2} + 4x^{2}} = \int \frac{dx}{1 + (x^{2})^{2}}$
 $= \int \frac{dx}{1 + (x^{2})^{2}}$





(3) ストーの

(4) 1/20 Sintx lim Sintx //m Brex 2.

(4) 1/20 tensx = 2/20 tens x 1/20 tensx 2.

 $(J_{r}) = (J_{r} \times J_{r})^{q}$ $= (J_{r} \times J_{r} \times J_{r})^{q-r}$ $= (J_{r} \times J_{r} \times J_{r})^{q-r}$ $= (J_{r} \times J_{r} \times J_{r})^{q-r}$ $= (J_{r} \times J_{r} \times J_{r})^{q}$ $= (J_{r} \times J_{r} \times J_{r})^{q}$

Have the term is

(c) $\frac{dV}{dE} = 72$ $V = \frac{4}{3} \pi x^3$ $S = 4\pi x^2$ $\frac{dV}{dE} = 4\pi x^2$ $\frac{dS}{dE} = \frac{4}{4\pi} x \times 72$ $\frac{8\pi x \times 72}{4\pi x^2}$ $\frac{8\pi x \times 72}{4\pi x^2}$ $\frac{3x \cdot 72}{4\pi x^2}$ $\frac{3x \cdot 72}{4\pi x^2}$

(d)(i) (guaide $f(x) = \sin x - x + 1$) f(-s) > 0f(1/8) < 0

so, there is a root detween x=0.5 and x=1.6(i) f'(x) = corn = 1 $x = x_1 - f'(x_1)$ $= 1.2 - f'(x_1)$ = 1.5 (2 decimal place)

QUESTION

(a) 3 sow x + 13 cos x = R sow (x+x)

= R sow x cos x + R cos x sow x

R sow a = 3

A cos x = 3

+ a x = 13

R = 13

R = 13 + 13 + 13

= 3 + 33 + 13

= 3 + 33

3 on $x + 13 corn = a (3 on (x + \frac{\pi}{6}))$ (b) (1) $\angle 13 D c = \alpha$ (Leave angles of 15 cs color 1.) $\angle 10 C R = 2 \alpha$ (so the rior angle of $\Delta S c D$) (1) L8AD= 2 a (exterior angle of upthe gread ABCD) . LOAD= a (OA bisects L8AD)

(11) OA LAT (reduin is perpendicular to the starget at the point of controls)

50, LTAD=90°-8

LABD= LTAD (alternate regress theorem) (so, LABC= (90°-14) + 14

(c)(1) 1 LMP: far 10° = 1m PM = 50 cot 20° netres

(1) PQ"= PM" + BM" - 2, PM. RM, corpus (comin tuck) = 50"cot 20" + 50cot 12" - 2.50 cot 20" cot 12" cor 65" /

so, PB = 50 /cot 20° + cot 12° - 3 cot 20° cot 12° coss° v

(m) Space = 10x60 = 0.36 m/s (2 ny. fry.)

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so the specter conflicent is ag = 20 Cg 3128
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                       (a) (b) (3+2x)^{2.0} = \sum_{\tau=0}^{20} \frac{30}{20} (x - 3^{20-17} (3x))^{\tau}
                                                                                                                                                              art 20(41 300(41) 3441
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                          40-25 > 32+3
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                             40-24 V
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                          21796
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                                                                                                                                                                                                                                                                                                                                                                                                                                                                                           (m) let arti > 1
QUESTION G
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                      (1+x)^{2m} = (1+x)^{m} \{ (1+x)^{m} + (x)^{m} + (x)^{m} \} [(1+x)^{2m} = (1+x)^{m} + (x)^{m} + (x)^{m} + (x)^{m} \} [(1+x)^{m} + (x)^{m} + (x)^{m}
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                He coefficient of x^n := \binom{n}{2}\binom{n}{m} + \binom{n}{1}\binom{n}{m-1} + \binom{n}{2}\binom{n}{m-1} + \cdots + \binom{n}{m}\binom{n}{0} since \binom{n}{n} = \binom{n-1}{m-1} then the coefficient of x^n := \binom{n}{m-1}
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                               Equating the co-officients of an gives (n)^{2} + (n)^{2} + (n)^{2} + (n)^{2} + \dots + (n)^{2}
(n)^{2} + (n)^{2} + (n)^{2} + \dots + (n)^{2} = (an)
                                                                                                                                 = 60 x - 122x = -122x
                                                                                                                                                                                                                                                                     (11) [w-12 dr = [26 wo 12 - 51-25]
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                            ( 52-2) - (2×+1,52-4) =
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                  = [24"x- 13 4"x].
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                         (c) for (1+11) 2m (2)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                           n=1=12 (x x-1=1)
                                                       a) (i) \frac{d}{dx} \left( x \cos^{-1} x - \sqrt{1-x^{2}} \right)
                                                                                                                                                                                                                        بر رمه <u>.</u> د
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          Ruesmon S
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(ii) If $S \in PQ = \frac{1}{2}$ Equation of $PQ : y - ap^{-2} = \frac{1}{2}(x - 3ap)$ (ii) If $S \in PQ + pa = \frac{1}{2}(x - app)$ So, $y = \frac{p+p}{2}x - app$ So, pq = -1(iii) His $(a(p+q)), ap^{+} = a^{-}$ The become of T is $(a(p+q)), ap^{+} = a^{-}$ The become of T is $(a(p+q)), ap^{+} = a^{-}$ Fig. $(a(p+q)), ap^{+} = a^{-}$ $(a(p+q)), ap^{+} = a^{-}$ Four (i) $pq = -1, y = a^{-}$ $pq = a^{-}$

(a)(i) 180 km/h = 50 m/s

Merid -

QUESTION 1

x = 50t wolletc,

x = 50 cm2

when the , x = 0 ye, x = 50t con 12° y = -10 t + Cr sole t=0 y = -50 sin 12° \$0, y = -5t - -50 t sin 12° + Cs Sol, y = -5t - 50 t sin 12° + 2.5 (1) when x = 6 t = 50 cost2° So the ball clean the net by 15cm. 50 it lands 7.35 metres from the bone his

(ii) the sums/min = 8π and/min so, $\frac{d\theta}{dk} = 8\pi$ (iii) then $\theta = \frac{\pi}{3}$ $x = 3 then \theta$ $\frac{dx}{dk} = 3 anx \theta$ $\frac{dx}{dk} = \frac{3}{3} anx \theta$ (iii) $a \ln x = 2$, $co = \theta = \frac{3}{3}$ $\frac{dx}{dk} = \frac{3}{3} anx \theta$ $\frac{dx}{dk} = \frac{3}$