a Outcomes Assessed: PE5, HE4

Marking Guidelines	
Criteria	Marks
• Applies the product rule with correct derivative of tan -1x	1
Simplifies resulting expression	1

Answer

$$\frac{d'}{dx}(1+x^2)\tan^{-1}x = 2x\tan^{-1}x + (1+x^2)\frac{1}{1+x^2} = 1 + 2x\tan^{-1}x$$

b. Outcomes Assessed: PE3

Marking Guidelines

Criteria	Marks
• uses the remainder theorem to obtain an equation for a	
• solves the equation to evaluate a.	1 1

Answer

$$P(1) = P(2) \Rightarrow a+2 = 2a+9$$
 : $a = -7$

c. Outcomes Assessed: (1) H5 (ii) P4

Marking Guidelines

1741 Ming Outderfiles	
Criteria	Marks
i. • writes the expression for tan 45° in terms of the gradients of the lines	1
 obtains the required equation by putting tan 45° ≈ 1 and rearranging 	. 1
ii. • finds one of the values of m with the corresponding line	
• finds the second value of m and the equation of the second line	li
· · · · · · · · · · · · · · · · · · ·	1

.. ∡swer

i.
$$\left| \frac{m-2}{1+2m} \right| = \tan 45^\circ = 1$$

 $\left| \frac{m-2}{1+2m} \right| = |1+2m|$

ii.
$$m-2=1+2m$$
 or $m-2=-(1+2m)$
 $-3=m$ $m-2=-1-2m$

$$\therefore m = -3 \text{ or } m = \frac{1}{3}$$

The required lines are y = -3x and $y = \frac{1}{3}x$

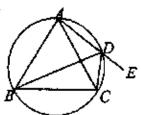
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d. Outcomes Assessed: (i) PE3 (ii) PE2, PE3

Marking Guidelines

Criteria	Marks
1. "	0
ii. • gives suitable reason referring to appropriate property of cyclic quadrilateral	1 3
iii. • explains why $\angle BDC = \angle RAC$	1
• explains why $\angle BAC = \angle ABC$	1
 uses these facts to make final deduction about DC 	1

Answer



ii. \(\angle CDE = \angle ABC\) (exterior angle of cyclic quadrilateral ABCD) is equal to the opposite interior angle).

iii. \(\mathbb{L}BDC = \mathbb{L}BAC\) (\(\mathbb{L}\) s subtended at circumference by same arc BC are equal)

∠BAC = ∠ABC (L s opposite equal sides BC and AC in △ABC are equal)

 $\therefore \angle BDC = \angle ABC$

 $\therefore \angle BDC = \angle CDE$ (both equal to $\angle ABC$)

∴ DC bisects ∠BDE.

Question 2

a. Outcomes Assessed: P4

Marking Guidelines

- Caronics	
Criteria	Marks
applies an appropriate formula or pattern for external division	1 :
• evaluates the coordinates of P.	lil

Answer

b. Outcomes Assessed: PE3

Markino Guidelines

THE BIR Guidenies	
Criteria	Marks
• expresses $\sum \frac{1}{\alpha}$ in terms of $\sum \alpha \beta$ and $\alpha \beta \gamma$.	3
• reads correct values of $\sum \alpha \beta$ and $\alpha \beta \gamma$ from coefficients to evaluate $\sum \frac{1}{\alpha}$	1 1
<u> </u>	L

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Answer

$$2x^{2} + 2x^{2} + 4x + 1 = 0 \text{ has roots } \alpha, \beta, \gamma. \qquad \therefore \frac{1}{\alpha} + \frac{1}{\beta} + \frac{1}{\gamma} = \frac{\beta\gamma + \gamma\alpha + \alpha\beta}{\alpha\beta\gamma} = \frac{\left(\frac{4}{2}\right)}{\left(-\frac{1}{2}\right)} = -4$$

c. Outcomes Assessed: (i) H5 (ii) H5

Marking	Guidelines
	- MIG-1

Criteria	Marks
i. • identifies common ratio as cos2x	1
applies condition for existence of limiting sum	}
ii. • writes expression for S in terms of $\sin 2x$ and $\cos 2x$	1 1
 uses appropriate trig. identities to simplify expression for S.]]

Answer

i. $r = \cos 2x$, $0 < x < \frac{\pi}{2} \Rightarrow |x| < 1$.

Hence limiting sum S exists.

ii.
$$S = \frac{\sin 2x}{1 - \cos 2x}$$
$$= \frac{2\sin x \cos x}{2\sin^2 x}$$

$$\therefore S = \frac{\cos x}{\sin x} = \cot x$$

- d. Outcomes Assessed: (i) PE3, PE4 (ii) PE3

Marking Cuidelines

Maj Aug Outdening	
Criteria	Marks
i. • finds $\frac{dy}{dt}$ to show that the tangent has gradient t	1
• finds the equation of the tangent	1
ii. • finds x and y coordinates of M in terms of t	1
finds Cartesian equation of locus of M	1

i.
$$x = 2t \Rightarrow \frac{dx}{dt} = 2$$

$$y = t^{2} \Rightarrow \frac{dy}{dt} = 2t$$
$$\therefore \frac{dy}{dt} = \frac{2t}{2} = t$$

Tangent has gradient t and equation

$$y-t^2=t(x-2t)$$

$$y-t^2 = tx-2t^2$$

$$ix + y - t^2 = 0$$

ii. at M,
$$\alpha - y - t^2 = 0$$
 and $y = -tx$

$$\therefore 2tx - t^2 = 0$$

$$2t\left(x-\frac{1}{2}t\right)=0$$

If l = 0, P and M both lie at the origin.

Otherwise at
$$M = x = \frac{1}{2}I$$
, $y = -\frac{1}{2}I^2$,

giving
$$y = -\frac{1}{2}(2x)^2$$
.

 \therefore locus of M has equation $y \approx -2x^2$.

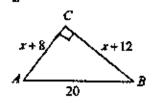
a. Outcomes Assessed:

Marking Guidelines

THE MANY CONTROL	
Criteria	Marks
i. • uses Pythagoras to obtain an equation for x	1 1
• simplifies this equation by expanding squares and collecting like terms	
ii. • factors this quadratic (or applies an alternative method)	
• finds the radius of the circle with centre C.	;
	1 1

Answer

When circles touch, the line joining centres passes through the point of contact, giving the sides of right triangle ABC as shown below



$$(x+8)^{2} + (x+12)^{2} = 20^{2}$$
$$2x^{2} + 40x + 64 + 144 = 400$$
$$2x^{2} + 40x - 192 = 0$$
$$x^{2} + 20x - 96 = 0$$

ii.

$$(x+24)(x-4)=0$$

 $\therefore x>0 \Rightarrow x=4$
Circle with centre C has radius 4 cm.

b. Outcomes Assessed: (i) P3 (ii) HE6

<u>.</u>	 Marking	Guidelines
	 Cı	riteria

- Guidelines	·
Criteria	Marks
i. • rearranges either LHS or RHS to establish result	1
ii. • transforms integral into form $2\int \frac{u}{1+u} du$	
• finds primitive in terms of u	1 :
• finds primitive in terms of x	

i.
$$\frac{u}{1+u} = \frac{(1+u)-1}{1+u}$$

= $1 - \frac{1}{1+u}$

ii.
$$u \ge 0$$

 $x = u^2$
 $dx = 2u du$

$$\int \frac{1}{1+\sqrt{x}} dx = \int \frac{1}{1+u} 2u du$$

$$= 2\int \frac{u}{1+u} du$$

$$= 2\int \left(1 - \frac{1}{1+u}\right) du$$

$$= 2\left\{u - \ln(1+u)\right\} + c$$

$$= 2\sqrt{x} - 2\ln(1+\sqrt{x}) + c$$

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c. Outcomes Assessed: HE2

Marking Guidelines

Criteria Criteria	Mark
• shows the statement is true for $n=3$. 1
• shows that $5^{k+1} > 5(4^k + 3^k)$ if $S(k)$ is true	I
- completes the explanation that $S(k)$ true implies $S(k+1)$ true	1
makes final statements to complete the Mathematical Induction	1

Answer

Let
$$S(n)$$
 be the statement $5^n > 4^n + 3^n$, $n = 3, 4, 5, ...$
Consider $S(3)$: $5^3 = 125$, $4^3 + 3^3 = 64 + 27 = 91$. Hence $S(3)$ is true.
If $S(k)$ is true: $5^k > 4^k + 3^{k-k+1}$
Consider $S(k+1)$: $5^{k+1} = 5..5^k$
 $> 5(4^k + 3^k)$ if $S(k)$ is true, using **
 $= 5..4^k + 5..3^k$
 $> 4..4^k + 3..3^k$
 $= 4^{k+1} + 3^{k+1}$

Hence if S(k) is true, then S(k+1) is true. But S(3) is true, hence S(4) is true and then S(5) is true and so on. Hence by Mathematical Induction $5^n > 4^n + 3^n$ for all integers $n \ge 3$.

Ouestion 4

Outcomes Assessed; PE3

Marking Guidelines

Criteria	Marks
writes an expression for the general term in the expansion	1
• identifies the term independent of x	1 1
• calculates the term independent of x	1 1

Answer

General term is
$${}^{15}C_r \left(-\frac{2}{x^2}\right)^r x^{15-r} = {}^{15}C_r (-2)^r x^{15-3r}, \quad r = 0, 1, 2, ..., 15$$

Constant term has $15-3r=0 \Rightarrow r=5$

 \therefore term independent of x is $^{15}C_5(-2)^5 = -96096$.

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b. Outcomes Assessed: (i) HE3 (ii) H3

Marking Guidelines

The state of the s	
Criteria	Marks
i. • uses given information to show one of $A = 100$ or $A + B = 500$	1
• shows the second result about A, B and deduces the values of A and B	1 1
ii. • obtains / ≥ 2 in 40	l
calculates the time to nearest month	1

Answer

i.
$$N = A + Be^{-65}$$
,
 $t = 0$, $N = 500 \implies A + B = 500$
 $t \to \infty$, $N = 100 \implies A + 0 = 100$
 $\therefore A = 100$, $B = 400$

ii.
$$N \le 110 \Rightarrow 100 + 400 e^{-0.57} \le 110$$

$$400 e^{-0.57} \le 10$$

$$e^{-0.57} \le \frac{1}{40}$$

$$e^{0.57} \ge 40$$

$$\frac{1}{2}7 \ge \ln 40$$

 $7 \ge 2 \ln 40$ Population falls within 10 of limiting size after $7.38 \, \text{yrs} = 7 \, \text{yrs} \, 5 \, \text{months}$.

c. Outcomes Assessed: (i) PE3 (ii) PE3

Marking Guidelines

ANNIANE Outdennes	
Criteria	Marks
i. * shows $f(0)$, $f(1)$ have opposite signs	l
• notes continuity of f to justify deduction.	1
ii. • obtains expression for α by substitution into Newton's formula	1
• calculates at least one of $f(0.7)$, $f'(0.7)$ correctly	1
• approximates α to 2 decimal places	I

Answer

i.
$$f(x) = x + \cos x$$

f is a continuous function and
 $f(0) = 0 - 1 < 0$
 $f(1) = 1 - \cos 1 > 0$
 $f(\alpha) = 0$ for some α such that $0 < \alpha < 1$.

ii.
$$f'(x) = 1 + \sin x$$

$$\alpha = 0.7 - \frac{0.7 - \cos 0.7}{1 + \sin 0.7}$$

$$\approx 0.7 - \frac{-0.065}{1.644}$$

$$\approx 0.74$$

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a Outcomes Assessed (i) HE3 (ii) HE3:

. Markino Guidelines

174-1 Mile Oddectipes	
Criteria	Marks
i. • writes appropriate expression for binomial probability	ī
ii. • interprets at most as either sum or complement of appropriate binomial probabilities	1 1
calculates the probability in fraction or decimal form	1 1

Answer

Binomial distribution: n = 4, $p = \frac{2}{5}$, $q = \frac{3}{5}$

i.
$${}^{4}C_{3}\left(\frac{2}{3}\right)^{3}\left(\frac{3}{5}\right) = \frac{96}{625}$$

ii.
$$1 - {}^4C_4 \left(\frac{2}{5}\right)^4 = 1 - \frac{16}{625} = \frac{609}{625}$$

b. Outcomes Assessed: (i) P3 (ii) HE 5

Marking Guidelines

Criteria	Marks
i. • obtains required expression for S in terms of h	l l
ii. • writes expression for $\frac{dS}{dt}$ in terms of $\frac{dh}{dt}$	
$\frac{dl}{dt}$	1
• evaluates $\frac{dS}{ds}$ when $h=2$	•
$\frac{1}{dI}$ when $N=2$	1
• interprets negative value and provides appropriate units	1

ü.

i. The surface of the water is a circle with radius x when the depth is y, where $x^2 = 4 - y$. When the depth is h, $S = \pi x^2 = \pi (4 - h)$

$$h, \quad S = \pi \times = \pi (4 - h)$$

$$\therefore \frac{dS}{dt} = -\pi \frac{dh}{dt} = -\pi \frac{10}{\pi (4-h)} = -5 \text{ when } h = 2$$

When depth is 2 cm, surface area of the water is decreasing at a rate of 5 cm²s⁻¹.

c. Outcomes Assessed: (i) H5 (ii) H5 (iii) PE3

Markino Guidelines

Marking Guidenties	
Criteria	Marks
i. • finds $f''(x)$ and notes $f''(x) > 0$ for all x	1
ii. • finds coordinates of stationary point	1
states nature of stationary point	1
iii. • deduces that $f(x) \ge 1$ for all x	1 1
• uses this result to deduce $e^x \ge x+1$ for all x	1

$$i. f(x) = e^x - x$$

$$f''(x) = e^x - 1$$

$$f''(x) = e^x$$

$$f''(x) > 0$$
 for all x, hence curve is concave up for all x.

ii.
$$f'(x) = 0 \Rightarrow e^x = 1$$
 : stationary point is (0,1)

Since curve is concave up, (0,1) is a minimum turning point

iii.
$$f(x) \ge 1$$
 for all $x \Rightarrow e^x - x \ge 1$ for all x

 $\therefore e^x \ge x + 1$ for all x.

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a. Outcomes Assessed: (i) HE4 (ii) HE4 (iii) H8 Marking Guidelines

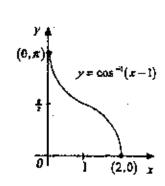
Mai King Quidelines	
Criteria	Marks
i. • states domain of function	1
ii. • sketches curve with correct shape and position	i
shows endpoints with correct coordinates	1
iii. • writes integral for V in terms of y	1
finds primitive function	1
• evaluates V by substitution of correct limits	1

Answer

i.
$$f(x) = \cos^{-1}(x-1) \implies -1 \le x-1 \le 1$$

$$\therefore$$
 Domain is $\{x: 0 \le x \le 2\}$

ii.



iii.
$$V = \pi \int_{0}^{\pi} x^{2} dy$$
,
where $\cos y = x - 1 \implies x = 1 + \cos y$.

$$\therefore V = \pi \int_{0}^{\pi} (1 + \cos y)^{2} dy$$

$$= \pi \int_{0}^{\pi} (1 + 2\cos y + \cos^{2} y) dy$$

$$= \pi \int_{0}^{\pi} (1 + 2\cos y + \frac{1}{2}(1 + \cos 2y)) dy$$

$$= \pi \int_{0}^{\pi} (\frac{3}{2} + 2\cos y + \frac{1}{2}\cos 2y) dy$$

$$= \pi \left[\frac{3}{2}y + 2\sin y + \frac{1}{4}\sin 2y\right]_{0}^{\pi}$$

$$= \pi \left(\frac{3}{2}\pi + 0 + 0\right)$$

b. Outcomes Assessed: (i) HE3 (ii) HE3 (iii) HE3 Marking Guidelines

The state of the s	
Criteria Criteria	Mari
i. • expresses x in terms of cos2/	1
expresses \hat{x} in required form	. 1
ii. • finds possible values for x	li
• states period of motion	l i
iii. • finds smallest t for which $x = 0$	1 1
• finds initial x and deduces distance travelled	1 1

Volume is $\frac{3}{2}\pi^2$ cubic units.

9

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Answer

i.
$$x = 4\cos^2 t - 2\sin^2 t$$

 $= 2(1 + \cos 2t) - (1 - \cos 2t)$
 $= 1 + 3\cos 2t$
 $\dot{x} = -6\sin 2t$
 $\ddot{x} = -12\cos 2t$
 $= -4(x-1)$
 $\ddot{x} = -2^2(x-1)$

n. -1 ≤ $\cos 2t$ ≤ 1 -3 ≤ $3\cos 2t$ ≤ 3 -2 ≤ 1 + $3\cos 2t$ ≤ 4 ∴ -2 ≤ x ≤ 4

Period if the motion is $\frac{2\pi}{n} = \pi$ s

iii. $x = 0 \Rightarrow \cos 2t = -\frac{1}{3}$ Smallest such t is $\frac{1}{2}\cos^{-1}(-\frac{1}{3}) = 1 \cdot 0$ Initially particle is at x = 4.

Hence particle first passes through O after 1.0s when particle has travelled a distance of 4m.

Question 7

a Outcomes Assessed: (i) HE5 (ii) HE5 (iii) HE5, HE7

Marking Guidelines

Criteria	Marks
i. • uses chain rule then simplifies using trig. identities	1
ii. • writes expression for $\frac{dt}{dx}$	1
• finds expression for t in terms of x, evaluating the constant of integration	1
• finds expression for x in terms of t	1
iii. • states limiting position	1 .
 sketches graph of x against t with correct shape, endpoint and asymptote 	1

Answer

i.
$$\frac{d}{dx}\ln(\tan x) = \frac{\sec^2 x}{\tan x}$$

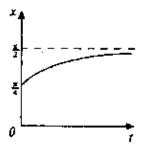
$$= \frac{1}{\cos^2 x} \frac{\cos x}{\sin x}$$

$$= \frac{1}{\sin x \cos x}$$

ii. $v = \sin x \cos x$ $\frac{dx}{dt} = \sin x \cos x$ $\frac{dt}{dx} = \frac{1}{\sin x \cos x}$ $t = \ln(\tan x) + c$ $t = 0, \quad x = \frac{x}{4} \Rightarrow c = 0$ $\therefore t = \ln(\tan x)$ $e' = \tan x$

 $x = \tan^{-1}(e^t)$

iii. as t→∞, x→ π/2
 ∴ limiting position is π/2 metres to the right of O.



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b. Outcomes Assessed: (i) HE3 (ii) HE3 (iii) HE3

Marking Guidelines

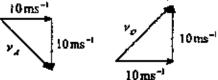
TOTAL - MILES	
Criteria	Marks
i. • writes horizontal and vertical displacements for particle projected from A	1
• writes horizontal and vertical displacements for particle projected from O	1 :
ii. • equates expressions for x and y to obtain equations (1) and (2) if particles collide	1
• solves simultaneously to find $\cos \theta$, $\sin \theta$ and r if collision occurs	1
iii. • obtains values for \dot{x} , \dot{y} for each particle for $t=1$ and $\theta=\tan^{-1}2$	1 1
deduces that if particles collide, their velocities are perpendicular at that time	1

Answer

- i. Partical projected from A: horizontal displacement x=10tvertical displacement $y=20-5t^2$
- ii. If the particles collide at some time t $10t = 10\sqrt{5} t \cos \theta \qquad (1) \text{ and}$ $20 - 5t^2 = 10\sqrt{5} t \sin \theta - 5t^2$ $20 = 10\sqrt{5} t \sin \theta \qquad (2)$ From (1), $\cos \theta = \frac{1}{\sqrt{5}}$. $\sin \theta = \frac{2}{\sqrt{5}}$ Substituting in (2) gives t = 1Hence the particles collide if $\theta = \tan^{-1} 2$, and in this case they collide after 1 s.

Particle projected from O: horizontal displacement $x = 10\sqrt{5} / \cos\theta$ vertical displacement $y = 10\sqrt{5} / \sin\theta - 5t^2$

iii. If $\theta = \tan^{-1} 2$, when t = 1the particle from A has $\dot{x} = 10$ and $\dot{y} = -10$ the particle from O has $\dot{x} = 10$ and $\dot{y} = 20 - 10 = 10$ Hence the particles have velocities v_A and v_O as shown in the diagrams below:



Hence if the particles collide, when they do so the particle from A is travelling in a direction 45° below the horizontal while the particle from O is travelling in a direction 45° above the horizontal, and their paths of motion are perpendicular to each other.

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