

y'' + 2y' + 5y = 0  $y'' = -\frac{1}{5} \left[ y'' + 2y' \right]$ Sydn = -5 ((y"+2y') dr = - \frac{1}{5} \left[ y' + 2y \right] + C Je punzkoln - -! [ e (2 ws za - punza) + 2e punza + c  $= \frac{-e^{-\kappa}}{5} \left[ 2 \cos 2\kappa + \sin 2\kappa \right] + c \qquad (1)$ y = -5,2° + 30,2 sunt 4(9)(1) x= 30x cont  $t = \frac{\pi}{30 \cosh}$   $y = -5 \left(\frac{\kappa}{30 \cosh}\right)^2 + \frac{30 \sinh \kappa}{30 \cosh}$   $y = \frac{\pi}{180} \text{ Ale } k + \kappa \text{ Tank}$  $y = \frac{-\kappa^2}{180} \left[ 1 + 7 \cos^2 L \right] + \kappa T \cos L$  (1) i) d=45 y=8 k= d+15 in 8 = - 12 , (141) 4 20  $x^{2} - 90x + 720 = 0$   $x = 20 \pm \sqrt{90^{2} - 4x770}$ d = 66'12m Firthest distance.

3 4 (20,8) 8 = -400 [1+ tan 2] + 20 Tand 72 = -20 [14 Tan 2] + 180 Tand 20 Tau 2 - 180 Tand + 92 = 0 5 Tan 2 - 45 Tand + 23=0 7 and - 45 = 45 - 4x5x23 Angle  $L = 28^{\circ}33'$  as  $0 < 2 < 45^{\circ}$ . (2)  $\int \frac{4\pi^{-7}}{2n^2+1} dn = \int \left(\frac{4\pi}{2n^2+1} - \frac{7}{2n^2+1}\right) dn$  $= \int \left(\frac{4\kappa}{2\kappa^2+1} - \frac{7}{2} \frac{1}{\kappa^2+\frac{1}{2}}\right) d\kappa$  $= \ln\left(2n^2+1\right) - \frac{7}{2} \cdot \frac{1}{\sqrt{2}} + 2n^2 \sqrt{\frac{1}{\sqrt{2}}} + c$  $= \ln(2n^2+1) - \frac{7}{\sqrt{2}} \tan^2(n\sqrt{2}) + C.$ (i)  $e^{it}$   $+ e^{2t}$   $+ e^{-3t}$   $= \frac{e^{-t}}{1-e^{-t}}$  as  $\left(e^{-t}\right) \leq 1$  for  $t \neq 0$ . Now  $d = \underbrace{e^{\pm} + e^{2t} + e^{3t} + \dots}_{dt} = \underbrace{d = \underbrace{e^{\pm} - 1}_{dt}}_{= -\underbrace{e^{\pm} - 2e^{-2t} - 3e^{-3t}}} = -\underbrace{(e^{\pm} - 1)^{2}}_{= -\underbrace{e^{\pm} - 1}_{= -1}} e^{\pm}$  $\frac{1}{12} + 2e^{-2xt} + 3e^{-3xt} = \frac{e^{xt}}{1 + 2e^{-xt}}$ 

7 (b)(i) Let LAOB= d am [DOC= p Are length= rd+rp = r(dxp)

But (ADE = 2 (Angle at centre is two curse ut some standing on the Siminary (DIRC = 2) Arme are

But I DEC = LCAD + LADE 8 = 2 + f

: Are length AB + CD = + x20 or stp = 28.

BC = sin 1 1800 [ An Internal drawn perpladeche ] BC = 21 x Min 73 = 2r, 1/3

1A00 = 27 -28 1400 + dep + 2047 NOW 1400 + LAUB+ 1500 = 1800 1 (3 1

AD = 2+ sin ( 2-0) 1 AD = Dui 2/ADD

: Permite ABCD = 2 r 8 + 13 r + 2 r pri ( 2 - 8) = r [ 28 + 13 + 2 pri ( 13 - 6)]

der = 21 Sin (13-0)

For maximum Permeter all =0  $\sqrt{2-2} \cos(\frac{y_2}{3-0}) = 0$ 12 (13-8) = 1

For matter lest of  $P_3 - P_6 = 0$  for 0.00.2  $P_6 = P_5$  consulty do: at 8=13 at = 7 x0

Fest gradients:

gradients being sing 1 1 1 2 1.1

gradients being sing 1 2 2 1.1

c. Inflexion point at 8 = 1 and monobour increasing inthisous

for 0 < 0 < 0 < 0 &

". Maximum permete out each points of demonstration