

*Student Name:* 

*Student ID:* 

*PSS*  
*Room/Demonstrator:* 



School of Mechanical and Manufacturing Engineering

## **MMAN1300 – ENGINEERING MECHANICS 1**

### **2018 S1 Block Test 2**

#### **Instructions:**

- Time allowed: 45 minutes
- Total number of questions: 3
- Answer all the questions in the test
- Answer all questions in the spaces provided
- The 6 marks allocations shown are worth 6% of the course overall
- Candidates may bring drawing instruments, rulers and UNSW approved calculators to the test
- Print your name, student ID and all other requested details above
- Record your answers (with appropriate units) in the **ANSWER BOXES** provided

#### **Notes:**

*Your work must be complete, clear and logical*

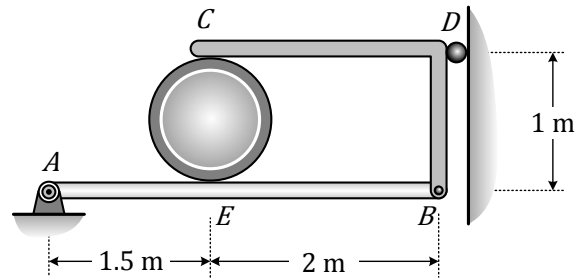
*Do not skip steps, sign conventions, units and relevant diagrams and clearly state the final answers*

*No part of this paper is to be retained by candidates until handed back after marking*

### Question I:

(2 Marks)

The smooth 20 kg cylinder is supported between members  $AB$  and  $CDB$  as shown. Determine the following:



### Solution:

(a) Determine the support reactions ( $A_x$  and  $A_y$ ) at joint A – (Include the free body diagram of your chosen system)

*Continue your solution to part (a) here:*

*(b) Determine the force ( $F_{CDB}$ ) exerted by the cylinder on member CDB – (Include the free body diagram of your chosen system)*

*(c) Determine the force ( $F_{AB}$ ) exerted by the cylinder on member AB – (Include the free body diagram of your chosen system)*

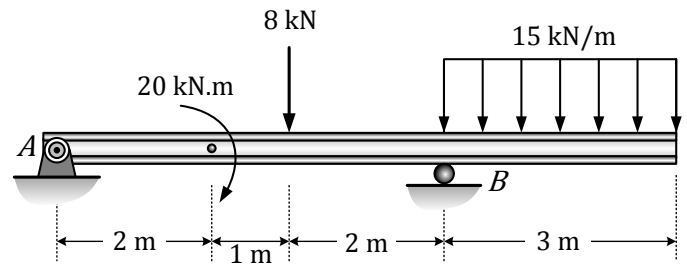
|                 |         |         |             |            |
|-----------------|---------|---------|-------------|------------|
| <b>Answers:</b> | $A_X =$ | $A_Y =$ | $F_{CDB} =$ | $F_{AB} =$ |
|-----------------|---------|---------|-------------|------------|

## Question 2:

(2 Marks)

Draw the shear force and bending moment diagrams for the loaded beam shown below.

Determine the location ( $x_{M_{max}}$ ) and value of the maximum bending moment ( $M_{max}$ ).



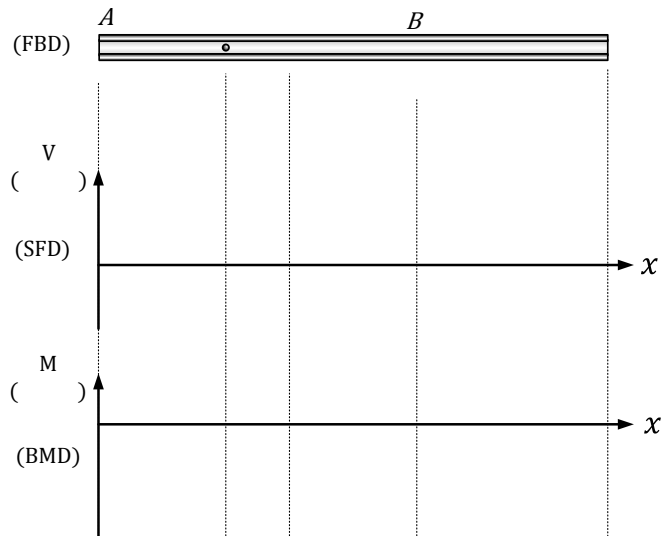
## Solution:

(a) Calculate the Support Reactions at A and B

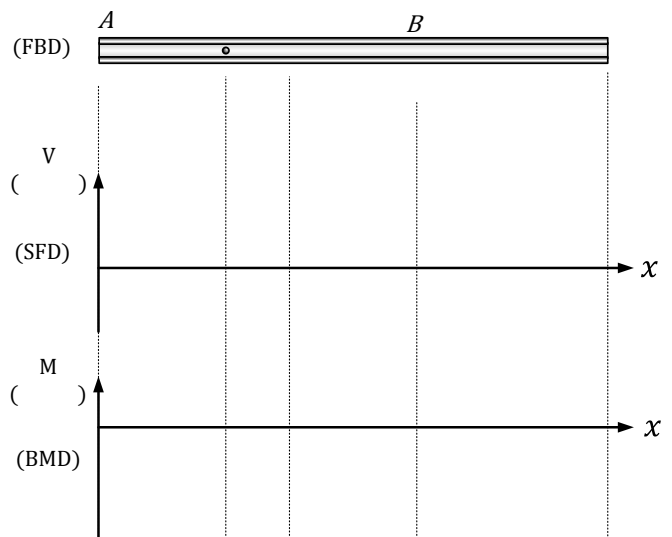
(b) Sketch the complete free body diagram, shear force diagram and bending moment diagram, on the axes provided **on the next page** (cross the attempt you do not want to be marked):

(Use this space for relevant working if needed)

(Use this space for relevant working if needed)



**Attempt 1**



**Attempt 2**

(c) Find the location and magnitude of the maximum bending moment

**Answers:**

$x_{M_{max}} =$

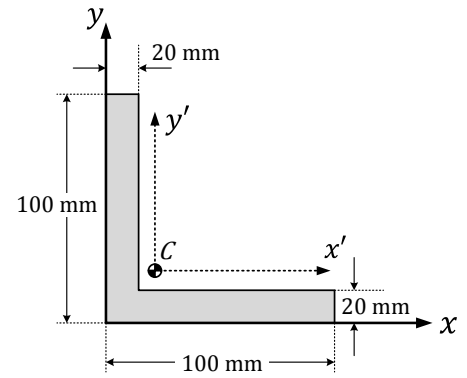
$M_{max} =$

### Question 3:

(2 Marks)

For the cross-section shown, determine the following: (Proceed according to the steps in solution boxes).

**Solution:**



(a) Determine the coordinates  $\bar{x}$  and  $\bar{y}$  to the centroid  $C$

(b) Calculate the moment of inertia ( $I_{x'x'}$ ) and ( $I_{y'y'}$ ) about the neutral axis:

*Continue your working for part (b) here:*

*(c) Calculate the product of inertia ( $I_{x'y'}$ ) about C*

*(d) Draw the Mohr's circle and determine the maximum principle moment of inertia  $I_{11}$  and  $I_{22}$*

|                 |             |             |              |              |
|-----------------|-------------|-------------|--------------|--------------|
| <b>Answers:</b> | $\bar{x} =$ | $\bar{y} =$ | $I_{x'x'} =$ | $I_{y'y'} =$ |
|                 | $I_{xy} =$  | $I_{11} =$  | $I_{22} =$   |              |

## Useful Formulas

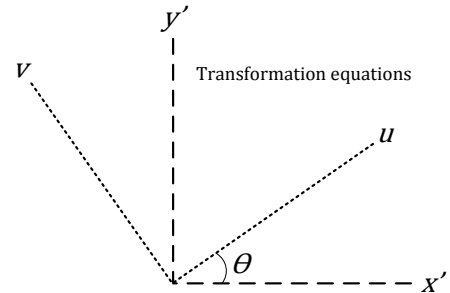
### Transformation Equations

$$I_{uu} = \frac{I_{x'x'} + I_{y'y'}}{2} + \frac{I_{x'x'} - I_{y'y'}}{2} \cos 2\theta - I_{x'y'} \sin 2\theta$$

$$I_{vv} = \frac{I_{x'x'} + I_{y'y'}}{2} - \frac{I_{x'x'} - I_{y'y'}}{2} \cos 2\theta + I_{x'y'} \sin 2\theta$$

$$I_{uv} = \frac{I_{x'x'} - I_{y'y'}}{2} \sin 2\theta + I_{x'y'} \cos 2\theta$$

$$I_{11,22} = \frac{I_{x'x'} + I_{y'y'}}{2} \pm \sqrt{\left(\frac{I_{x'x'} - I_{y'y'}}{2}\right)^2 + I_{x'y'}^2}$$



### Parallel Axis Theorem

$$I_{xx} = I_{x'x'} + Ad_y^2$$

$$I_{yy} = I_{y'y'} + Ad_x^2$$

$$I_{xy} = I_{x'y'} + Ad_x d_y$$

### Rough work

(Note: No working on this section will be marked)