

Advanced Optimization Techniques

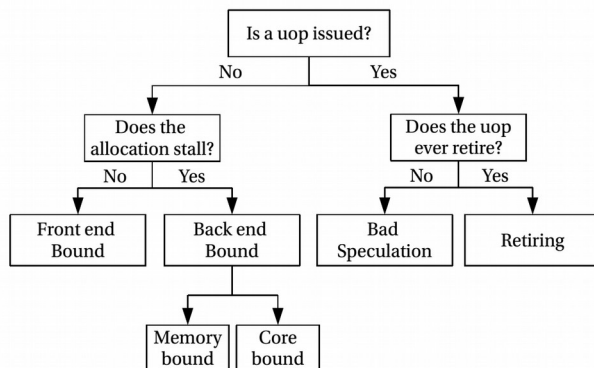
ICTP Trieste 2014

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Outline

Method



Code

```

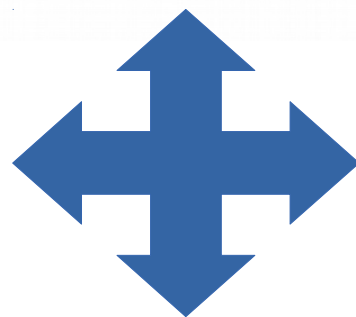
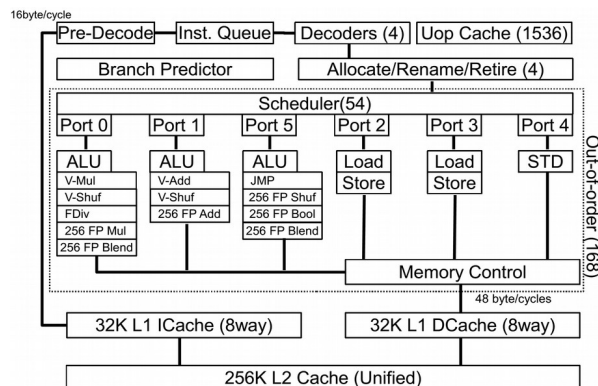
!$OMP SECTION
! tsend=dclock()
if(iblock.lt(nblocks)) then
  nexti=m_of_i(iblock+1)
  nextj=n_of_i(iblock+1)
  nextk=k_of_i(iblock+1)

  next_buffsize_m=bufferize(ms,bm,nexti)
  next_index_m=(nexti-1)*bm+1

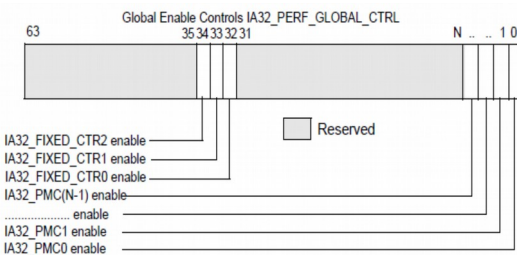
  next_buffsize_n=bufferize(ns,bn,nextj)
  next_index_n=(nextj-1)*bn+1

  next_buffsize_k=bufferize(ks,bk,nextk)
  next_index_k=(nextk-1)*bk+1
  
```

CPU



Measurement



Vectorization: AVX Programming Exercises

Problem 1 – Cyclic Rotate (medium)

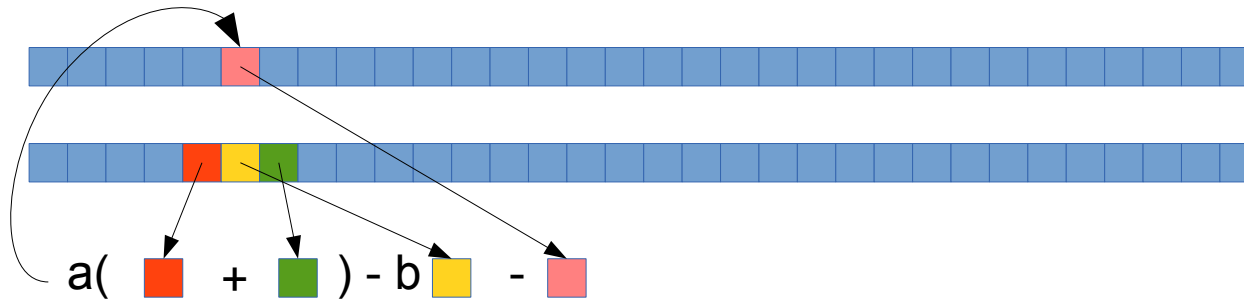
- Write a cyclic rotate in intrinsics. The function should perform the following vector operation:
- `__m256d cyclic_rotate_right(__m256d a)`
- Source a: (a3,a2,a1,a0)
- Result: (a0,a3,a2,a1)

Problem 2 - Wave Equation

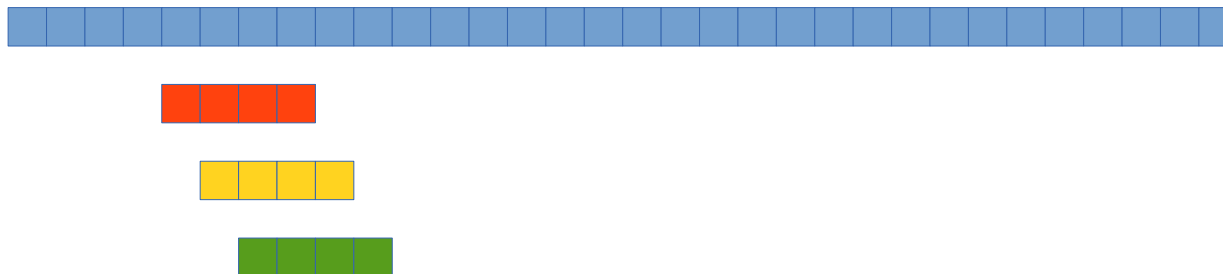
- You considered the second order finite difference solution to a 1D acoustic wave equation earlier.
- Port the C-code to AVX intrinsics
- How do you compare vs Array Notations?
- How do you compare vs normal c-code?

Problem 2 - Wave Equation

$$\varphi_x^{t+1} = a(\varphi_{x+1}^t + \varphi_{x-1}^t) - b\varphi_x^t - \varphi_x^{t-1}$$



Can you implement this so that 4 points are updated at the same time? E.g:



Problem 3 - Matrix multiplication (hard)

- Consider again a 4x4 matrix multiplication

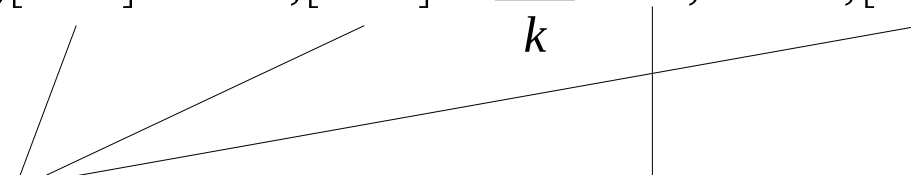
$$\mathbf{C} = \mathbf{C} + \mathbf{A} \cdot \mathbf{B}$$

for a large number of matrices

- Code for a C version is supplied
- Write the matrix multiplication in AVX intrinsics
- How do you compare to compiler and AN?

Problem 3 - Matrix multiplication (hard)

- Tip: Consider the following:

$$C_{i,[0-3]} = C_{i,[0-3]} + \sum_k A_{i,k} \cdot B_{k,[0-3]}$$
The diagram consists of several thin black lines. One line starts from the first $C_{i,[0-3]}$ and points down to the text 'j turns into a range'. Another line starts from the second $C_{i,[0-3]}$ and points down to the same text. A third line starts from the $B_{k,[0-3]}$ and points down to the text 'No j here – this is a vector containing four times the same element'. A fourth line starts from the summation symbol \sum_k and points down to the same text.

j turns into a range

No j here – this is a vector
containing four times the same
element