# **Machine Discovery Homework 1-2**

## **Student Name and ID**

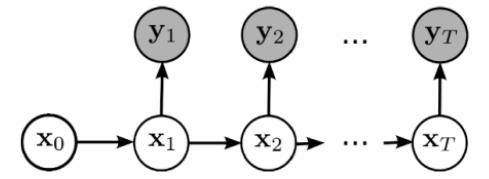
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# **Description**

• Given some constraint about encoding probabilities, design a model to decode a text file.

# **Framework**

- Architecture
  - Select a random seed and initialize the parameters of Bigram Language Model and Probabilistic Encoding Function
  - Use the test data (observations) to optimize the parameters, using Forward-backward Algorithm
  - Repeat the optimization until convergence or for specific rounds
  - Constuct the best prediction with the final parameters, using Viterbi Algorithm
  - It's reasonable to try another random seed and restart
- Assumption
  - Bigram Language Model:  $P(w_1, w_2, ..., w_n) = P(w_1)P(w_2|w_1)P(w_3|w_2)...P(w_n|w_{n-1})$
  - Probabilistic Encoding Function
  - MAX\_ITERATION = 50, NUM\_OF\_SEEDS = 3
- Probalilistic Graphical Model



- $\circ \ \ \forall x_t,y_t\in X$ , where X consists of some symbols representing the characters (numbers 0 to N-1) and the space (number N)
- $x_0$  is the random variable denoting the symbol in front of the word (assumed to be space), and  $x_1, x_2, ..., x_T$  are the random variables of predicted symbols within a word
- $\circ y_1, y_2, ..., y_T$  are the random variables of observed symbols within a word
- Forward-backward Algorithm
  - Alpha Table
    - $\alpha(t,i)$  denotes  $P(y_1,y_2,..,y_t,x_t=i|B,E)$ , where B,E is the parameters of Bigram Language Model and Probabilistic Encoding Function
    - $\alpha$  table can be implemented by
      - ullet  $lpha(1,i)=B(N,i) imes E(i,y_1)$  , for  $0\leq i\leq N$
      - ullet  $lpha(t+1,j)=[\sum_{i=0}^N lpha(t,i) imes B(i,j)] imes E(j,y_{t+1}),$  for every t and  $0\leq j\leq N$
  - Beta Table
    - $\beta(t,i)$  denotes  $P(y_{t+1},y_{t+2},..,y_T|x_t=i,B,E)$ , where B,E is the parameters of Bigram Language Model and Probabilistic Encoding Function
    - $\beta$  table can be implemented by
      - eta(T,i)=1, for  $0\leq i\leq N$
      - $m{f B}(t,i) = \sum_{j=1}^N B(i,j) imes E(j,y_{t+1}) imes eta(t+1,j),$  for every t and  $0 \leq i \leq N$
  - Updating the Count Table
    - For Encoding Function

$$E \Rightarrow P(x_t = i | y_1, y_2, ..., y_T, B, E) = rac{P(y_1, y_2, ..., y_T, x_t = i | B, E)}{P(y_1, y_2, ..., y_T | B, E)} \propto P(y_1, y_2, ..., y_T, x_t = i | B, E) = lpha(t, i) imes eta(t, i)$$

For Bigram

$$B \Rightarrow P(x_t = i, x_{t+1} = j | y_1, y_2, ..., y_T, B, E) \propto P(y_1, y_2, ..., y_T, x_t = i, x_{t+1} = j | B, E) = \alpha(t, i) \times B(i, j) \times E(j, y_{t+1}) \times \beta(t, i)$$

- Add the occruance with probability to the count table and do the normolization
- Computational Issues
  - Underflow

- Sice  $p_1p_2...p_n$  tends to underflow, we compute the probabilities under log space
- $\log(p_1p_2) = \log(p_1) + \log(p_2)$
- $\log(p_1 + p_2) = \log(p_2)$  if  $\log(p_1) = -\infty$ , otherwise,  $\log(1 + e^{\log(p_2) \log(p_1)})$
- Zero Probabilities
  - In Java, Double.NEGATIVE\_INFINITY is usefull
  - For example, Math.log(0.0) is equal to Double.NEGATIVE\_INFINITY, and Math.exp(Double.NEGATIVE\_INFINITY) is equal to 0.0
  - Moreover, Double.NEGATIVE\_INFINITY + Double.NEGATIVE\_INFINITY is still Double.NEGATIVE\_INFINITY, so we do not need to deal with overflow.
  - However, it's still need to deal with Division by Zero if necessary
- Parallel
  - Since Alpha table and Beta table can be calculated simultaneously, multi-threads is a solution to speed up the process
  - In Java, I simply use the instance ExecutorService and Runnable interface to calculate the tables

## **Settings and Configuration**

- used-tools.txt: A list of third-part tools
- report.pdf: The report of the homework
- README.txt: Instructions to execute the program
- src/: Source codes
- bin/: Java compiled class files
- valid/ and valid2/: Test data with answer
  - encode.bin: Text file of the encoding table
  - test.num: File of the test data
  - ans.num: The answer of the text data
  - pred.txt: The prediction of the test data, generated by the model
- test1/ and test2/: Test data without answer
  - encode.bin: Text file of the encoding table
  - test.num : File of the test data
  - pred.txt: The prediction of the test data, generated by the model
- Makefile: Makefile for Linux
- Compile and Run:
  - Prerequisite
    - JDK/JRE-1.8
  - Makefile is available
    - B03902015\$ make
      - Compile the source code in src/ to bin/
    - B03902015\$ make run\_valid1
      - Input: ./valid/encode.bin and ./valid/test.num
      - Ouptut: ./pred.num and the accuracy dumped by standard-out
    - B03902015\$ make run\_valid2
      - Input: ./valid2/encode.bin and ./valid2/test.num
      - Ouptut: ./pred.num and the accuracy dumped by standard-out
    - B03902015\$ make run\_test1
      - Input: ./test1/encode.bin and ./test1/test.num
      - Ouptut: ./pred.num
    - B03902015\$ make run\_test2
      - Input: ./test2/encode.bin and ./test2/test.num
      - Ouptut: ./pred.num
  - $\circ$  Commands
    - B03902015\$ javac -d bin -sourcepath src src/launch/Main.java
    - B03902015\$ java -Xmx4096M -cp bin launch.Main train ./valid/encode.bin ./valid/test.num
      - Input: ./valid/encode.bin and ./valid/test.num
      - Ouptut: ./pred.num

- It's avaliable to modify the input arguments when testing different data sets
- B03902015\$ java -Xmx4096M -cp bin launch.Main valid ./pred.num ./valid/ans.num
  - Input: ./pred.num and ./valid/ans.num
  - Output: The accuracy dumped by standard-out
  - Optional, since there milgt not be an answer file
- The process will generate ./pred.txt according to the given test data and it takes about 3 hours and at most 4G RAM
- Screenshot

```
10:39:31 - | b03902015 @ linux1 - | ~/tmp/MachineDiscovery/B03902015 - (git) - (master) - 2
   uname -a
java -version
openJDK Runtime Environment (build 1.8.0_102-b14)
OpenJDK 64-Bit Server VM (build 25.102-b14, mixed mode)
               10:40:22 - - | b03902015 @ linux1 - - | ~/tmp/MachineDiscovery/B03902015 - (git) - (master) - 2
Compiling Source Codes From src/ Into bin/
make run_test2
java -Xmx4096M -cp bin launch.Main train ./test2/encode.bin ./test2/test.num
[Training] Seed No.1, Round No.1
[Calc] Calculating the alpha/beta table
Processing [3000007/3000007]
[E] Updating the counts
[M] Updating the model
[Training] Seed No.1, Round No.2
[Calc] Calculating the alpha/beta table
Processing [376361/3000007]
                                                        After a lot of calculation...
Processing [3000007/3000007]
[Complete] maxSeed = 1, perdiction file = "./pred.num"
      • | - | 13:55:11 | - | b03902015 @ linux1 | - | ~/tmp/MachineDiscovery/B03902015 | - (git) - (master *) - 2
   wc ./pred.num ./test2/test.num
       1 3000007 8270563 ./pred.num
1 3000007 8102040 ./test2/test.num
2 6000014 16372603 總計
| - - | 13:56:02 - - | b03902015 @ linux1 - - | ~/tmp/MachineDiscovery/B03902015 - (git) - (master *) - 图
```

# References

- Forward-backward Algorithm
- <u>Viterbi Algorithm</u>