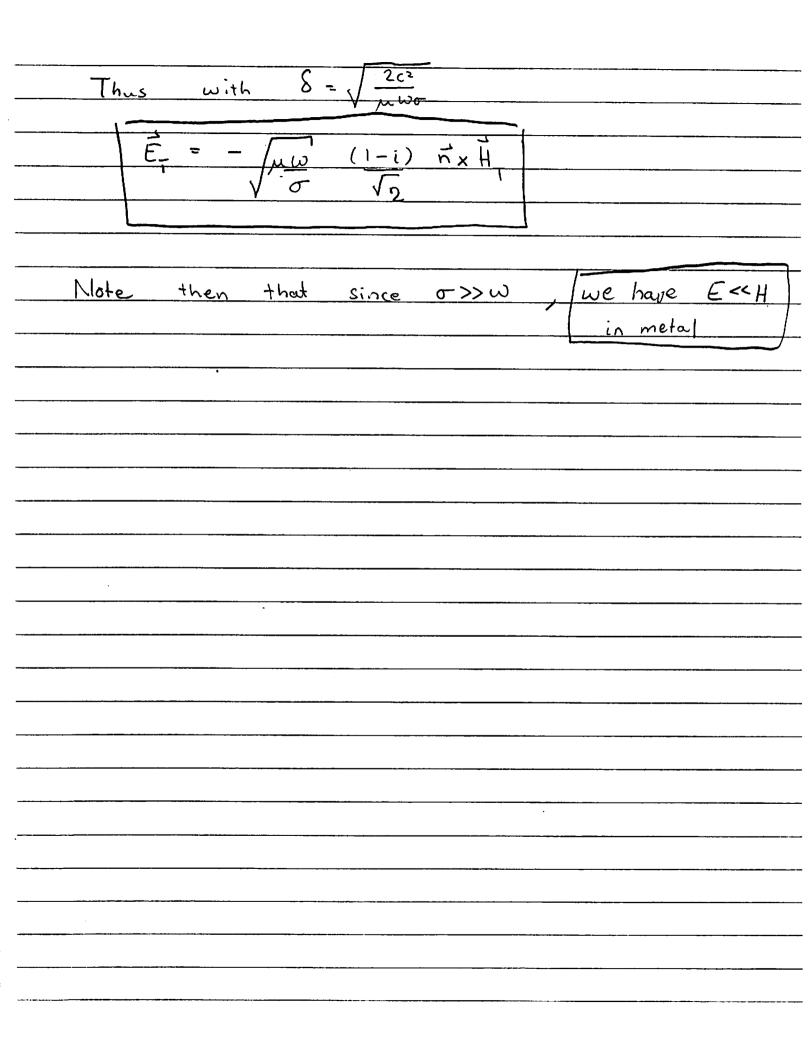
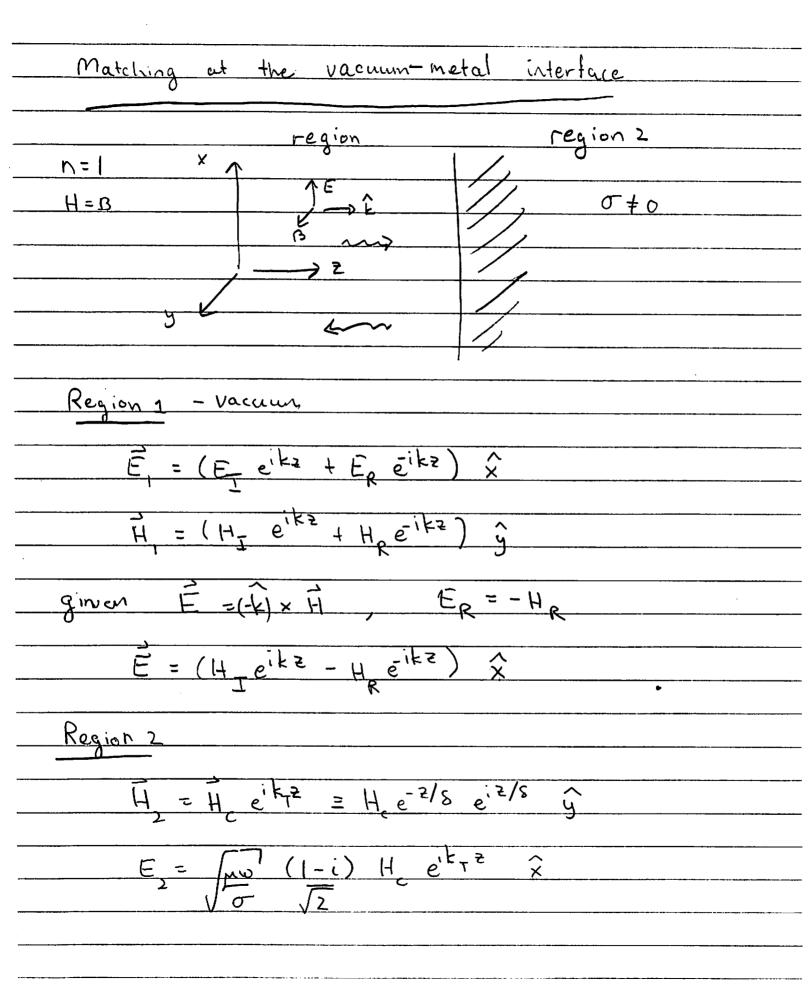


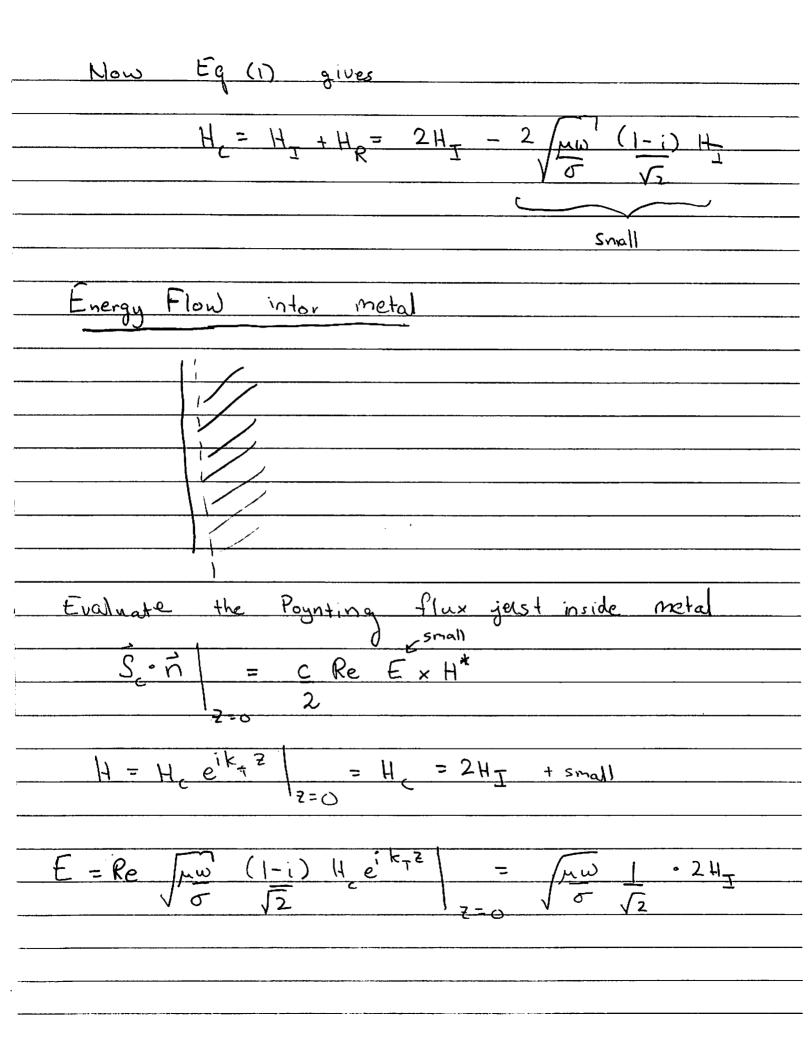
Maxwell Egs in Metal VxB= jmal + 1 2+ E charges or currents Vx E = -12,B I = OE + & DE + CXB VXB $\frac{j(\omega,\vec{x}) = \sigma \vec{E}(\omega,x) + -i\omega \vec{z} \vec{E} + c x^{B} \nabla x \vec{B}}{= (i\sigma/\omega + x_{E}) (-i\omega\vec{E}) + c x^{B} \nabla x \vec{B}}$ $\partial_{t} \rho = -\nabla \vec{j} \implies -i\omega \rho(\omega, x) = -\nabla \cdot \vec{j}$ Find $\rho(\omega, x) = -\left(\frac{i\sigma}{\omega} + x\right) \nabla \cdot E + \frac{cx^{B}}{-i\omega} \nabla \cdot (9xB)$

Thus conclude
The maxwell egs are the same with the
replacement
1 Spire service 1
$\mathcal{E} \longrightarrow \hat{\mathcal{E}}(\omega) = \mathcal{E} + i\sigma/\omega$
$c \rightarrow c c c c c c c c c c c c c c c c c c$
i.e
ê ∇·E =0
DxB=me (-iwe)
΄ τ
V.B =0
VXE = iwB
<u> </u>
Note: that 0~ 1018 1/s w~ 6Hz so
Mote: that o~ 1018 1/s w~ 6Hz so
$\frac{\sigma}{\omega} > 1$, while $\varepsilon \sim 1$ thus
to a good approximation $\widehat{\mathcal{E}}(\omega) \simeq i\sigma$
ω

```
Wave - Solutions in Metal
    · Try a solution \vec{H}(\vec{x}) = \vec{H} e^{i\vec{k}\vec{x}} in
        Helmholtz egn
                   ( \(\frac{1}{2} + \omega^2 n\hat{\epsilon}\) \(\frac{1}{2} + \omega^2 n\hat{\epsilon}\) \(\frac{1}{2} + \omega^2 n\hat{\epsilon}\)
                 \frac{c}{-k_{5}+m_{5}w}\left(\frac{n}{10}\right)=0
   Find
                k = \pm \int \underbrace{\omega \mu \sigma} \int i = \int \underbrace{\omega \mu \sigma} (1+i)
  ine
                                                     S = \left(\frac{2c^2}{\omega_{\mu\sigma}}\right)^{\frac{1}{2}}
               k = \mp \left(\frac{z}{1+i}\right)
          find then (selecting + sign for decreasing exponent)
             H(x) = 94 e-2/8 ei2/8 = Re 94 eik.x
              lets look at | \( \vec{E} = \vec{E} \vec{e} \vec{k} \cdot \)
 Now
               V×H = OE
              ik×H= o/ E => i(1+i) n×H = oE
910
```







W

