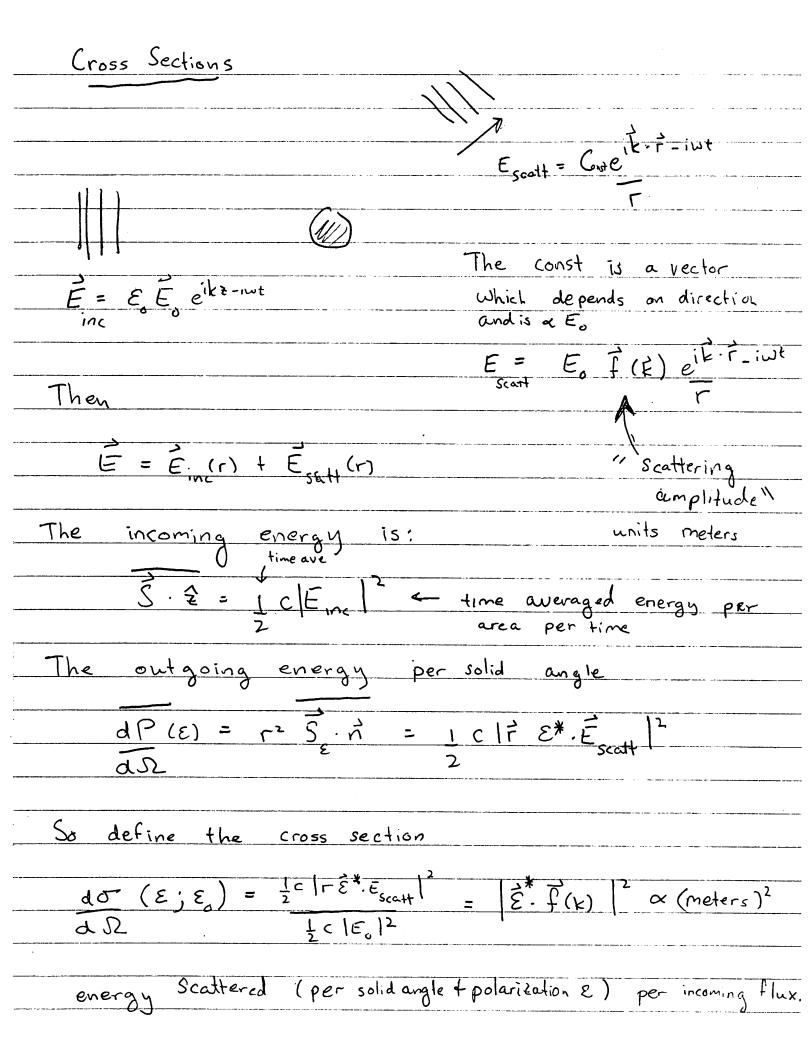


- 33		Approximat	<u> </u>					· · · · · · · · · · · · · · · · · · ·
(1)	Smal	l object:	s. λ λ)	a.	The	field	Can	
	be co	object:	Constant	over	the	extent	of ob	ject
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(2)	Weak	scattering Compared	ng, The	induc	ed fie	elds	Escatt /	are
	Small	Compared	l to E	inc			······································	
								
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				Total Administration of the second				



$$= 8\pi \left(\frac{g^2}{3}\right) = 8\pi re^2$$

this is known as the classical electron radius

Note

$$r_e = \left(\frac{q^2}{4\pi hc}\right) \left(\frac{h}{mc}\right) = \propto \chi \left(\frac{compton wavelength}{by 2\pi}\right)$$

$$\chi_c = \frac{h}{mc} \quad \chi_c = \frac{h}{mc}$$

Numerically

$$\frac{\chi}{m_e c^2} = \frac{197 \text{ eV}}{0.5 \text{ MeV}}$$

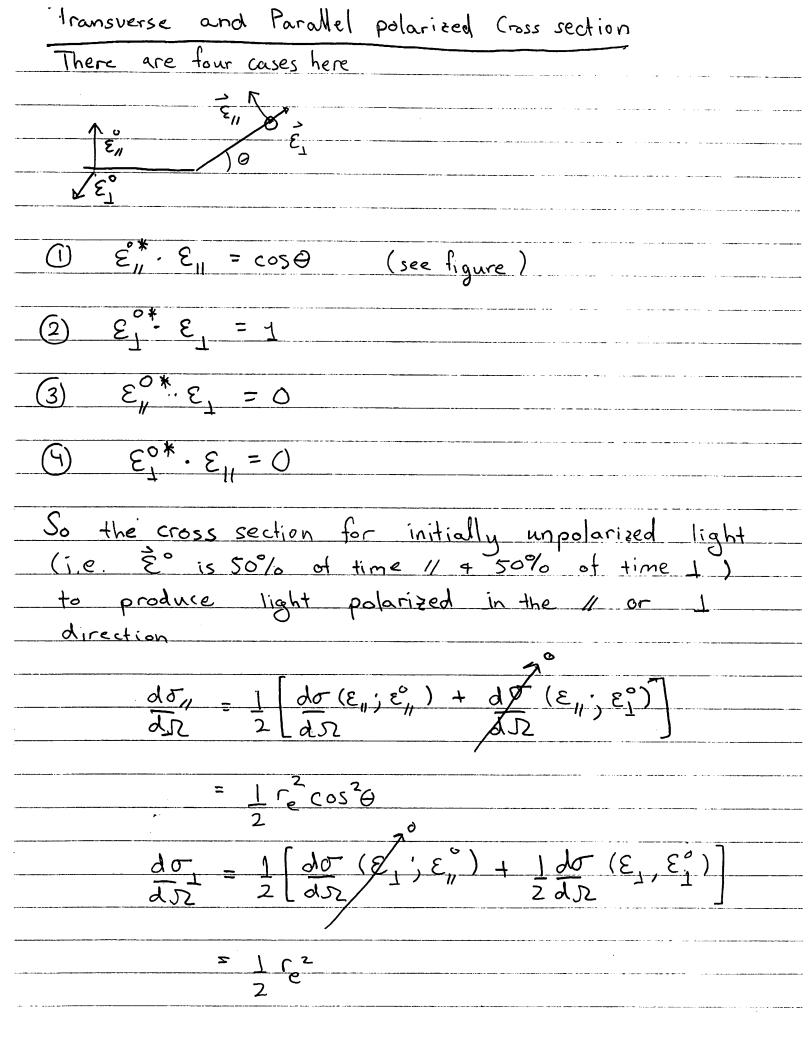
The cross section is o = 811 re2 = 66 fm2 I fm=10 millibarn 1 barn = 10-24 cm2 = 0.66 barns & units of cross section Polarization Want to show that the polarized cross section is $d\sigma(\vec{\epsilon}; \hat{\epsilon}_0) = r^2 |\epsilon^* \cdot \epsilon_0|^2$

Polarization Pg. 2
First Recall
$\frac{E_{rad} = n \times n \times 1 \frac{\partial A}{\partial t}}{c \frac{\partial t}{\partial t}} = \frac{q}{n \times n \times a(t_e)}$
Lets Rederive this result, by approximating Lienard-Wiecher
$A_{rad} = \frac{q}{r} \frac{V(\tau)/c}{V(\tau)/c} \qquad T = \frac{d}{r} + \frac{r}{r} + \frac{r}{r} \cdot $
~ t - r = t
The non- replaces
$T \simeq t_e = t - r$, and expands $V \ll 1$
Δ , ~
$A_{rod} \simeq Q V(t_e)/c$
And so
7 110x 30
Erad = g nxnxa(te)
411 rc2
The acceleration is along &
- int
$\vec{a} = \vec{\epsilon}$ $q = \vec{\epsilon}$
Then we want to come to
Then we want to compute
$\left \underbrace{\mathcal{E} \cdot \mathcal{E}_{rad}}^{*} \right ^{2} \propto \left \underbrace{\mathcal{E} \cdot (n \times n \times \vec{a})}^{2} \right ^{2}$
Γασ 1
final polarization

```
Polarization Pg.3
                                 Using b(ac) - (ab) c

\vec{\epsilon}^* \cdot (n \times n \times a) = \epsilon^* \cdot (-\vec{a} + \vec{n} (\vec{n} \cdot \vec{a}))

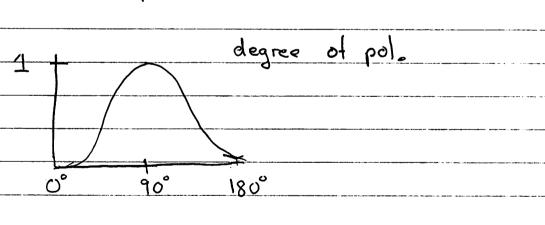
                                                                                                                                                                                                                                                                                                                                                                                       = - Ex. à (since Ex is transverse
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                    to n'it projectso out
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                               the longitudinal pieces)
                                                                                                               |\mathcal{E} \cdot n \times n \times a|^2 = q^2 |\mathcal{E} \cdot |
So we compute:
                                                          d\sigma(\tilde{\epsilon},\tilde{\epsilon}_{o}) = dP/dR = \frac{1}{2}r^{2}(l\epsilon^{*}\cdot E_{rad})^{2}
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                       |\varepsilon^* \cdot \varepsilon_o|^2
                                                                                                                                                                                                                                                                                                             r2 1εx. ε /2
```



$$\frac{d\sigma}{ds} = \frac{d\sigma_{11}}{ds} + \frac{d\sigma_{12}}{ds}$$

$$= \Gamma_e^2 \left(\frac{1 + \cos^2 \Theta}{2} \right)$$

The degree of polarization depends on the angle



Question: Why is the light 100% transversely polarized at 900?

Ans.: At 90% the current is up and down for the parallel case. Thus there is no component of the current transverse

Ans: continued								
ANS !	Continued							
	to the observation. Thus the cross section							
	for this case vanishes							
	The this case vanishes							
	. 6							
	$\Theta = 40^{\circ}$							
	tempand down acceleration							
B-0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00 - 0.00	'							