

Robust and interpretable unsupervised machine learning techniques for analyzing the climate system

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└ Introduction

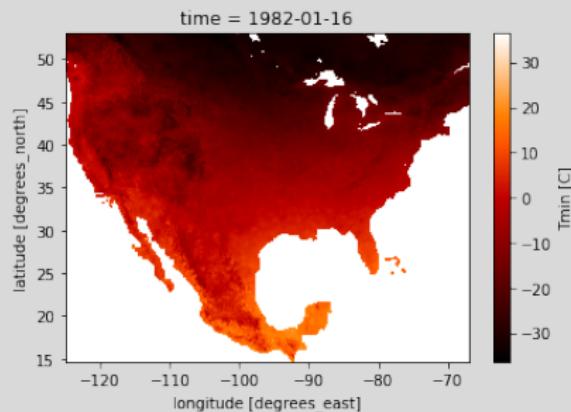
└ Difficulties with Machine Learning - ML Safety



Figure: OpenAI CoastRunners misspecified reward function

└ Climate Biome Clustering

└ L15 Gridded Climate Dataset - Livneh et. al.



- Gridded climate data set of North America.
- Grid cell is monthly data from 1950-2013, six kilometers across.
- Available variables used: precipitation, maximum temperature, minimum temperature.

└ Climate Biome Clustering

└ Difficulties with Machine Learning - ML Safety

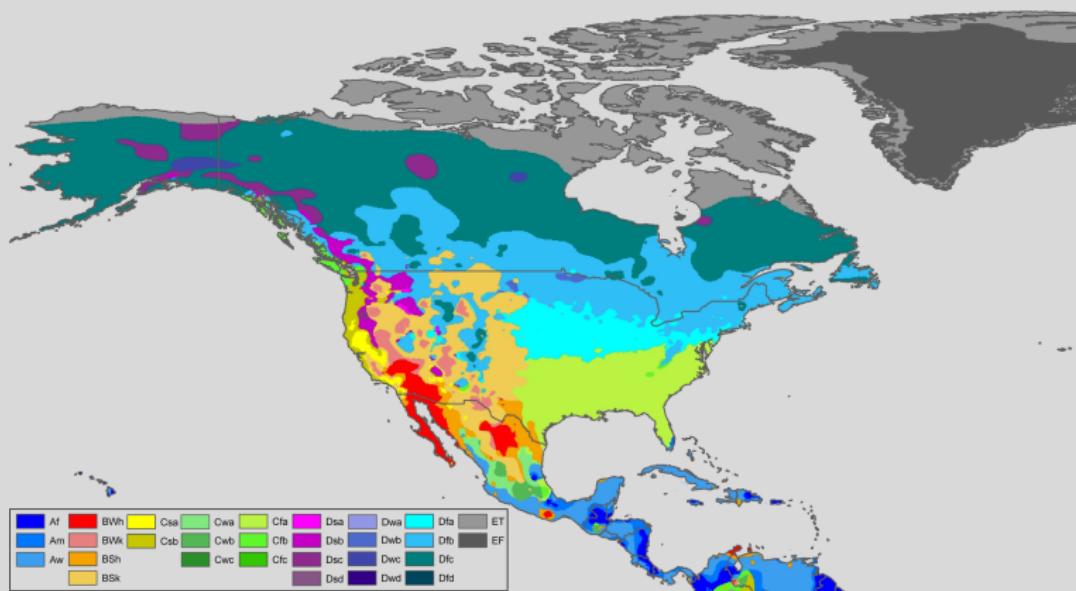


Figure: Köppen-Geiger map of North America (Peel et. al.)

└ Climate Biome Clustering

 └ Problems with Köppen-Geiger

Problem

- Climate depends on more than temperature and precipitation.

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- Does not adapt to changing climate.
- The cut-offs in model are, to some extent, arbitrary.

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 └ Problems with Köppen-Geiger

Problem

- Climate depends on more than temperature and precipitation.
- Can only resolve land.
- Does not adapt to changing climate.
- The cut-offs in model are, to some extent, arbitrary.
- No universal agreement to how many classes there should be.

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- Dependence on algorithm of choice and hyperparameters.

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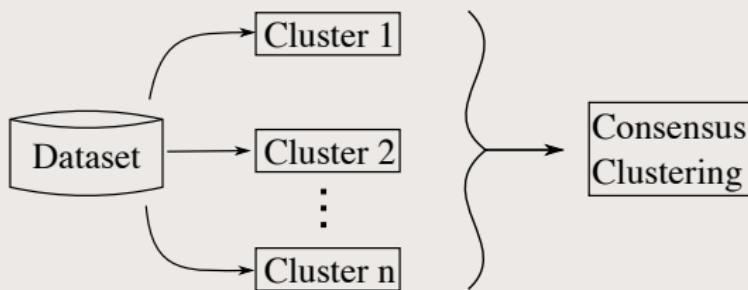


Figure: Many clusterings combined into a single **consensus clustering**.

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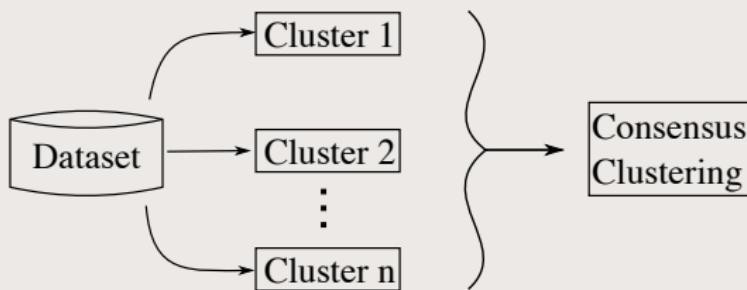


Figure: Many clusterings combined into a single **consensus clustering**.

- Clustering ill-posed - lack measurement of “trust”.

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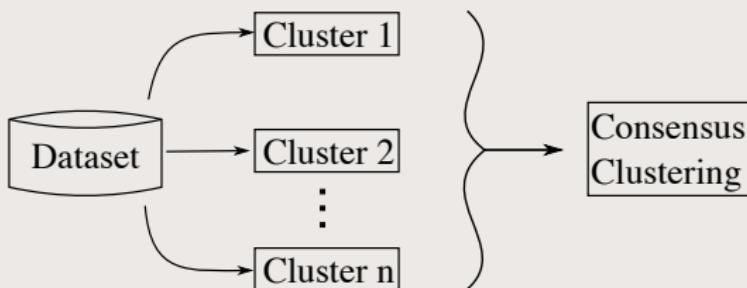


Figure: Many clusterings combined into a single **consensus clustering**.

- Clustering ill-posed - lack measurement of “trust”.
- Dependence on “hidden parameters” - **scale of data**.

└ Climate Biome Clustering

 └ Proposed Solution

Solution

- 1 Leverage discrete wavelet transform to classify across a multitude of scales.

└ Climate Biome Clustering

 └ Proposed Solution

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- 2 Use information theory to discover most important scales to classify on.

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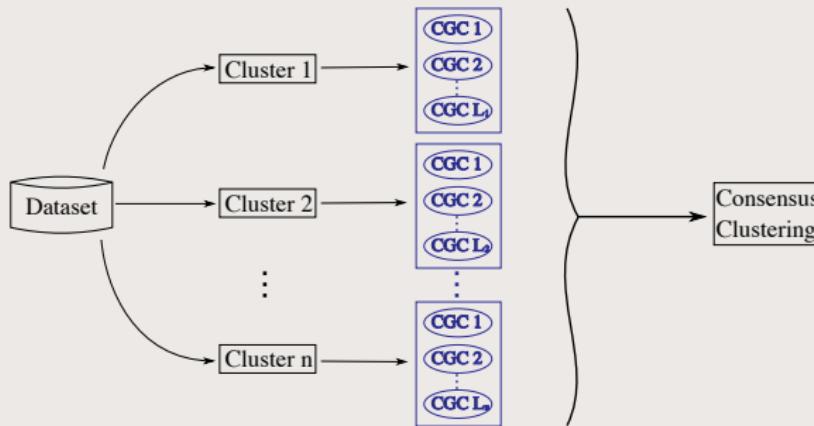
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- 1 Leverage discrete wavelet transform to classify across a multitude of scales.
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- 3 Taking these scales, combine classifications to produce a **fuzzy** clustering that assess the trust at each point.

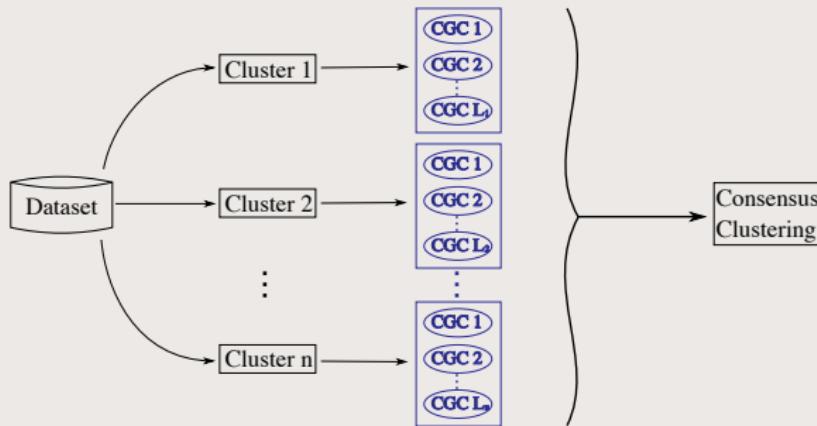
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└ Coarse-Grain Clustering (CGC)

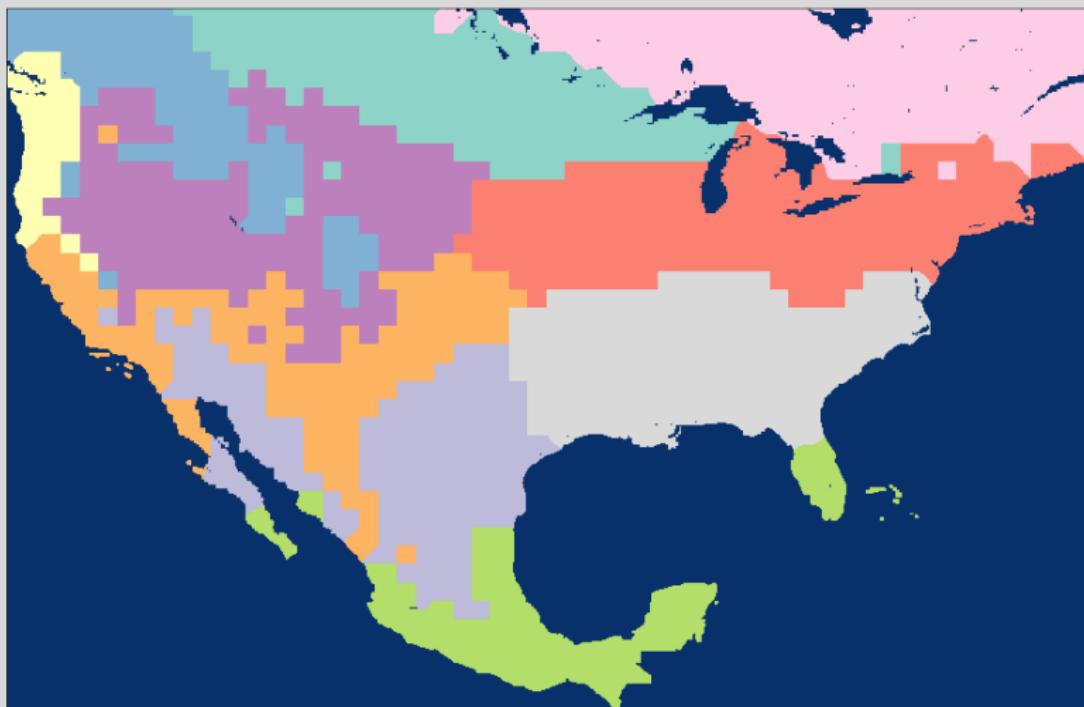
└ Results - Effect of Coarse-Graining



Figure: CGC: K-means $k = 10$, $(\ell_s, \ell_t) = (1, 1)$

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Figure: CGC: K-means $k = 10$, $(\ell_s, \ell_t) = (4, 1)$

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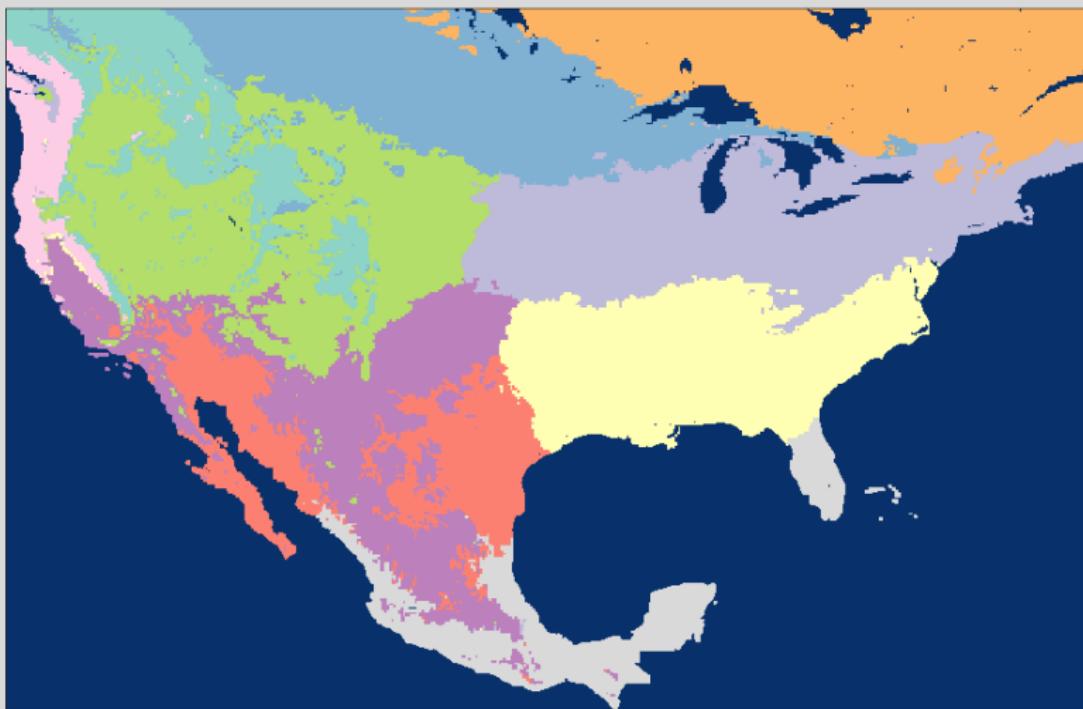


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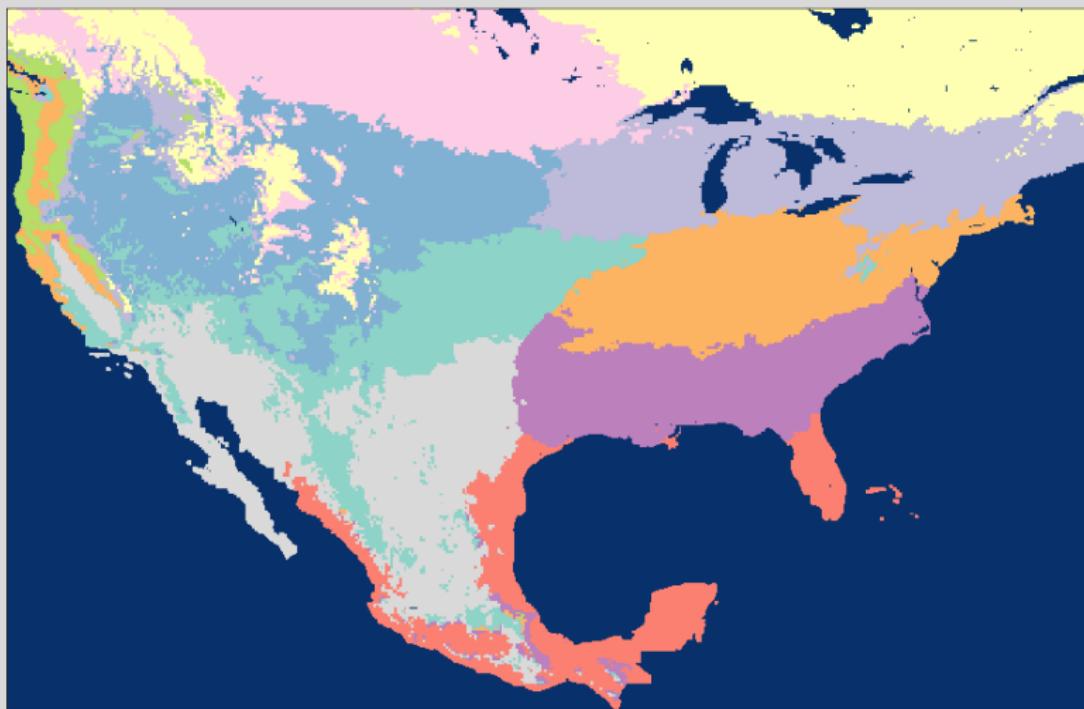


Figure: CGC: K-means $k = 10$, $(\ell_s, \ell_t) = (1, 6)$

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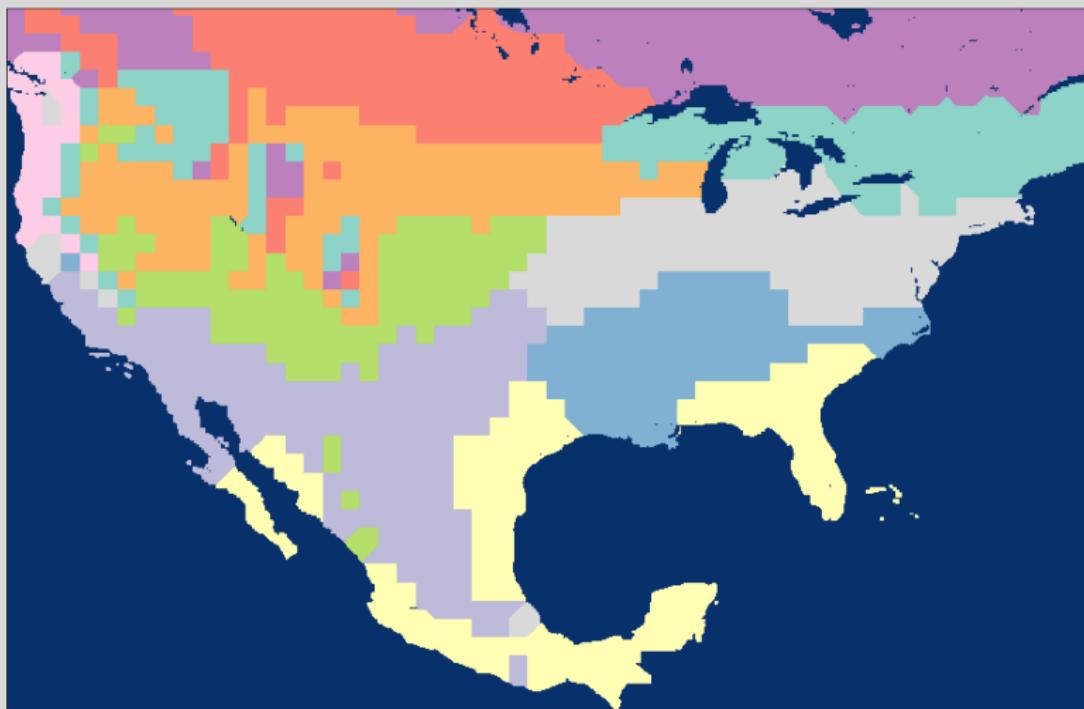
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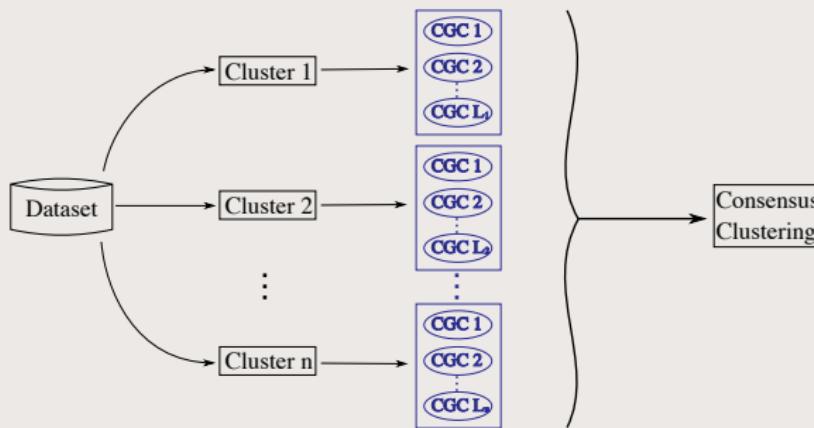
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Figure: CGC: K-means $k = 10$, $(\ell_s, \ell_t) = (4, 6)$

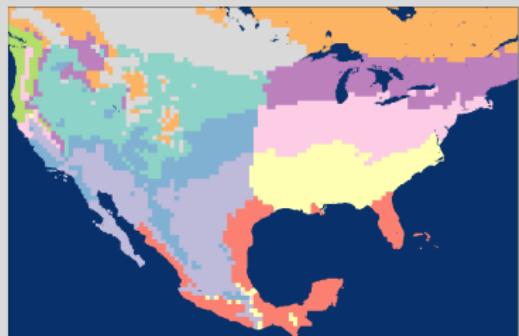
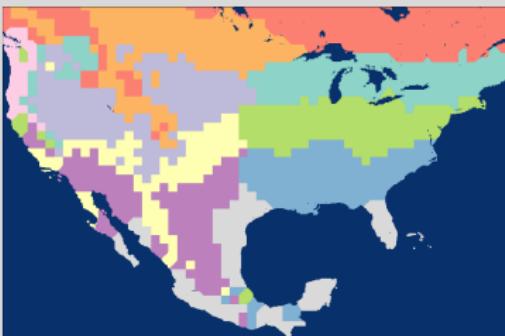
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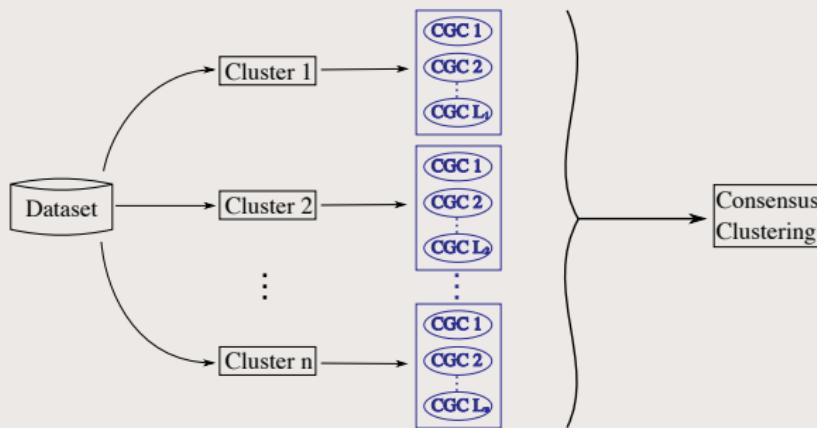
└ Coarse-Grain Clustering (CGC)

└ Results - Example for K-means K=10

(a) $(\ell_s, \ell_t) = (2, 1)$ (b) $(\ell_s, \ell_t) = (2, 4)$ (c) $(\ell_s, \ell_t) = (3, 5)$ (d) $(\ell_s, \ell_t) = (4, 4)$

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└ Coarse-Grain Clustering (CGC)

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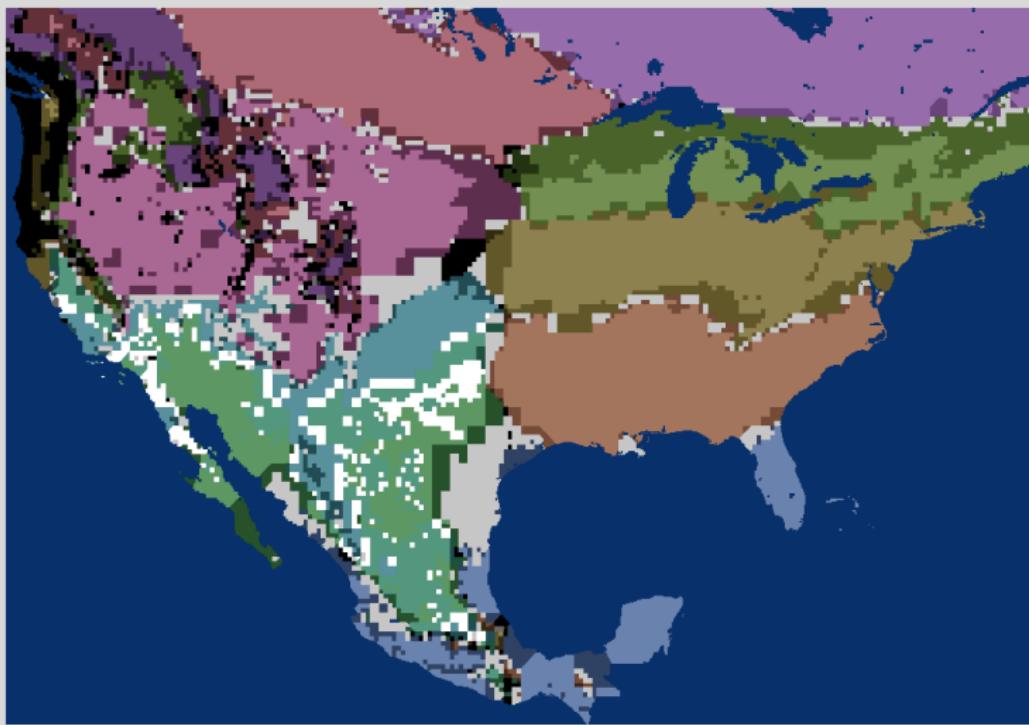
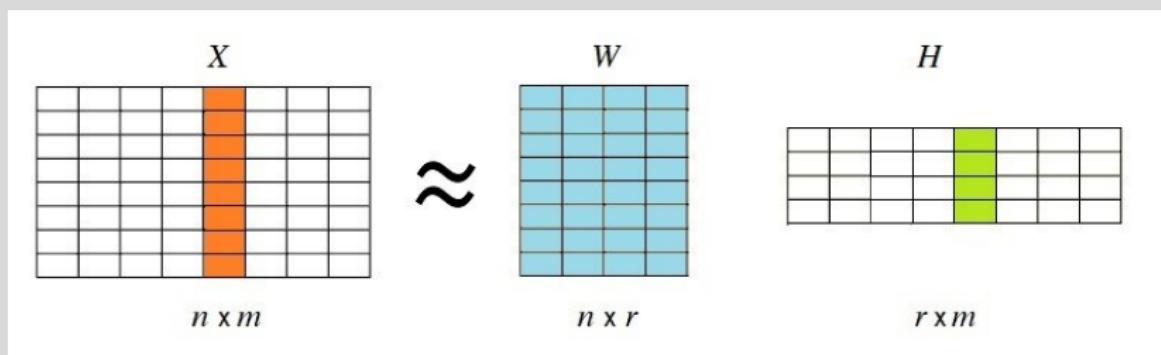


Figure: Consensus clustering from reduced ensemble of clusters for $k=10$, along with the trust. Grey = multi-class. Darker hue = lower trust.

└ Tensor factorizations

└ Background



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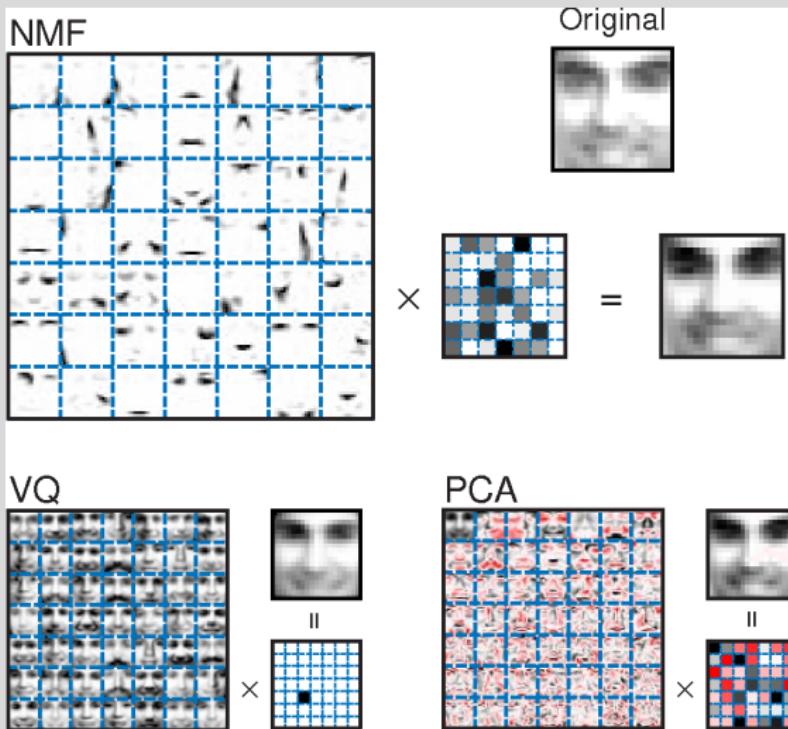
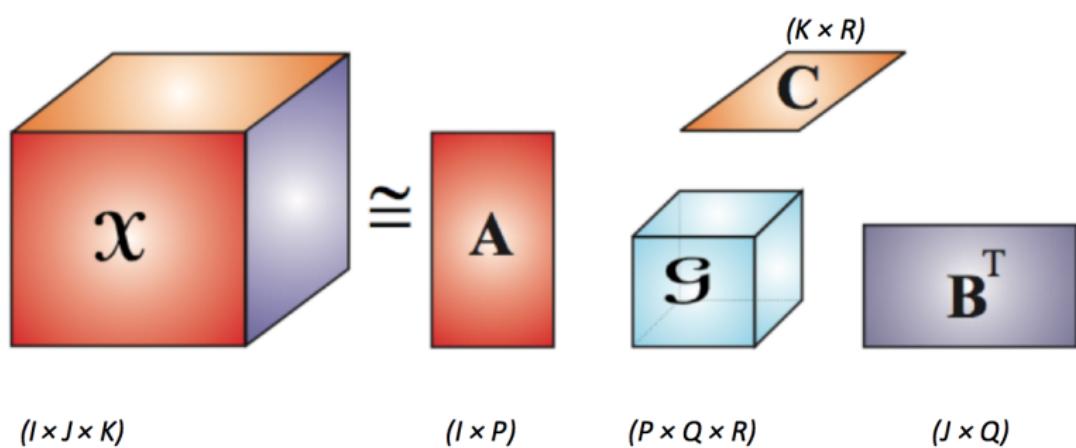


Figure: NMF versus other matrix decompositions (Lee, Seung)

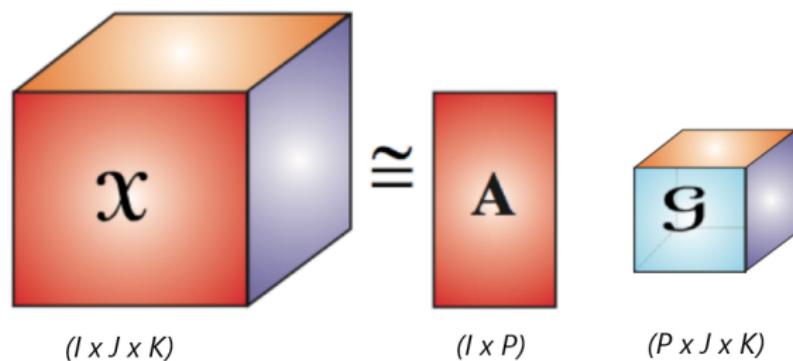
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- Increasing the number of hidden variables reduces reconstruction error

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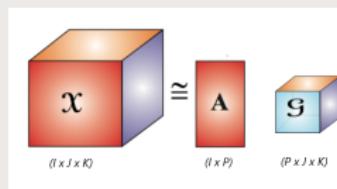
- Increasing the number of hidden variables reduces reconstruction error
- More hidden variables is harder to interpret

Problem

- Increasing the number of hidden variables reduces reconstruction error
- More hidden variables is harder to interpret
- At a certain point, one is fitting noise and not signal

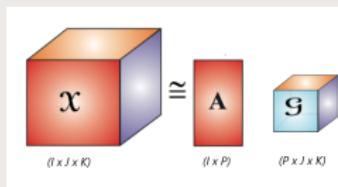
Summary

- NTF is finding interpretable climate signals



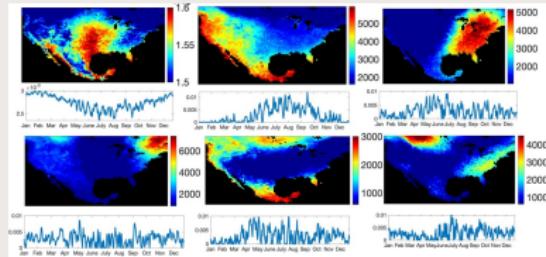
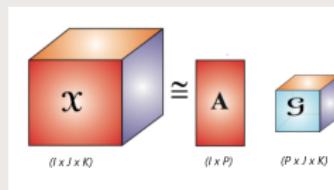
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Summary

- NTF is finding interpretable climate signals
- As seen with clustering, scale is playing a role that we need to analyze
- Can we discover latent signatures of El Nino/La Nina?



└ Extra Slides

└ More Tensor Factorizations

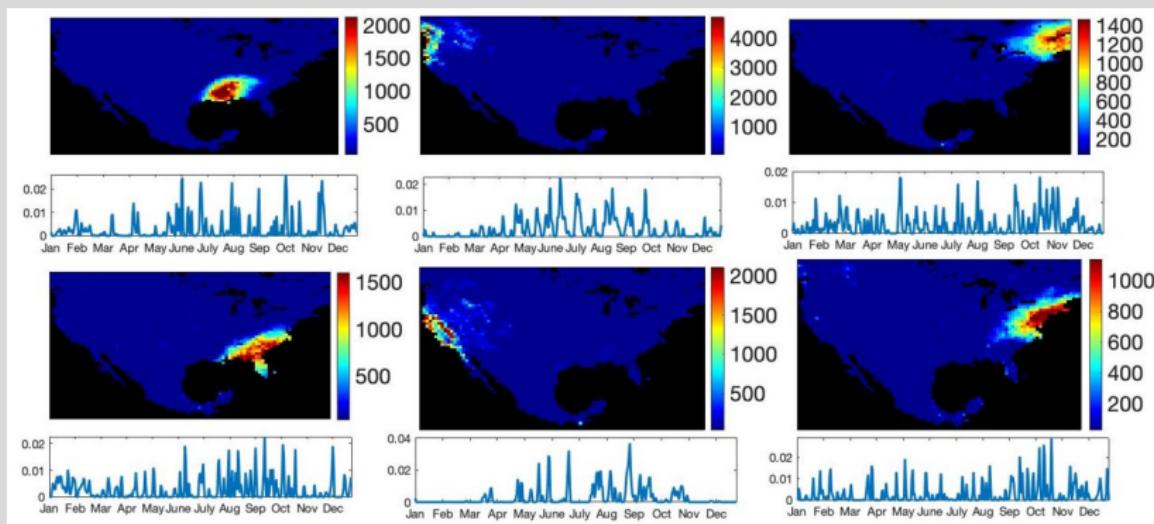


Figure: 1982 Precipitation Modes

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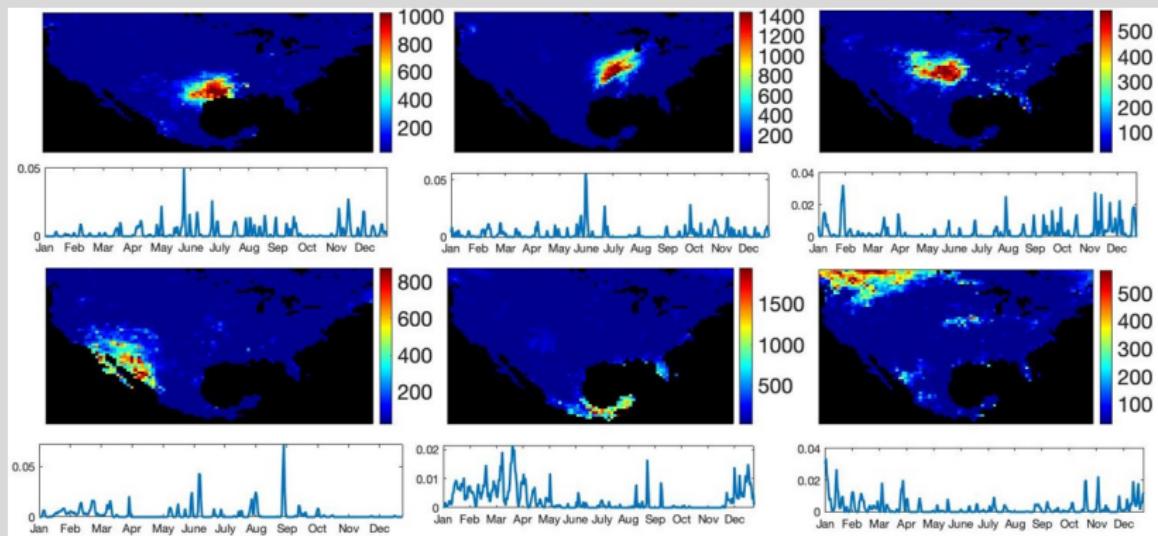


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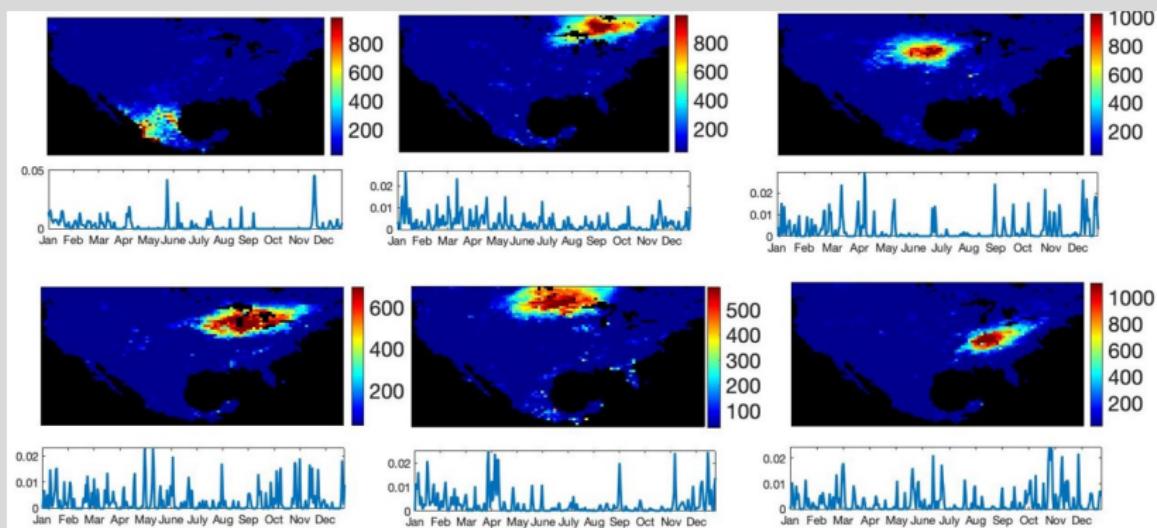


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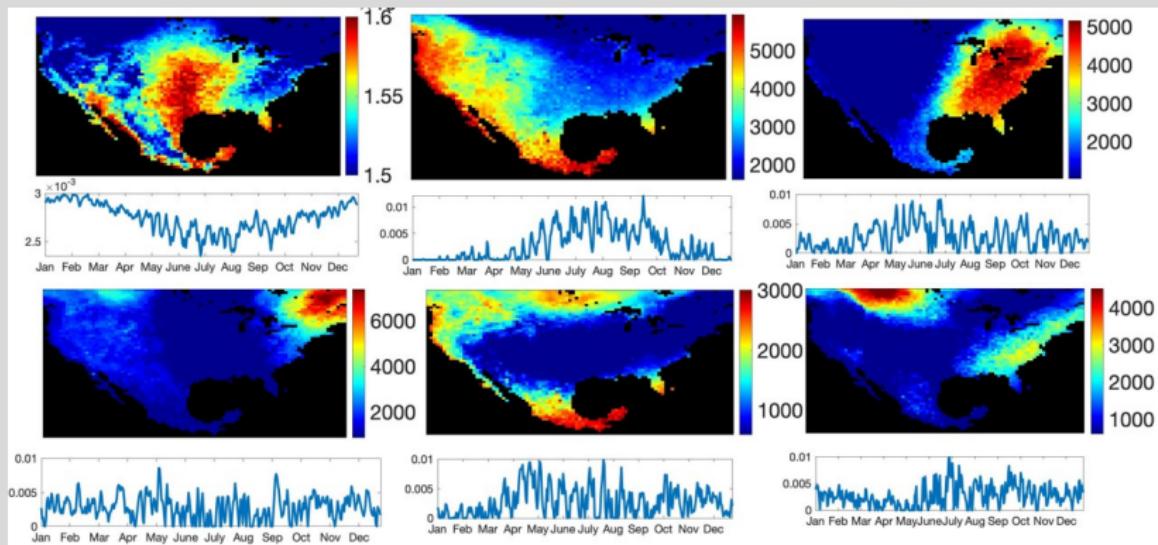


Figure: 1982 Temperature Modes

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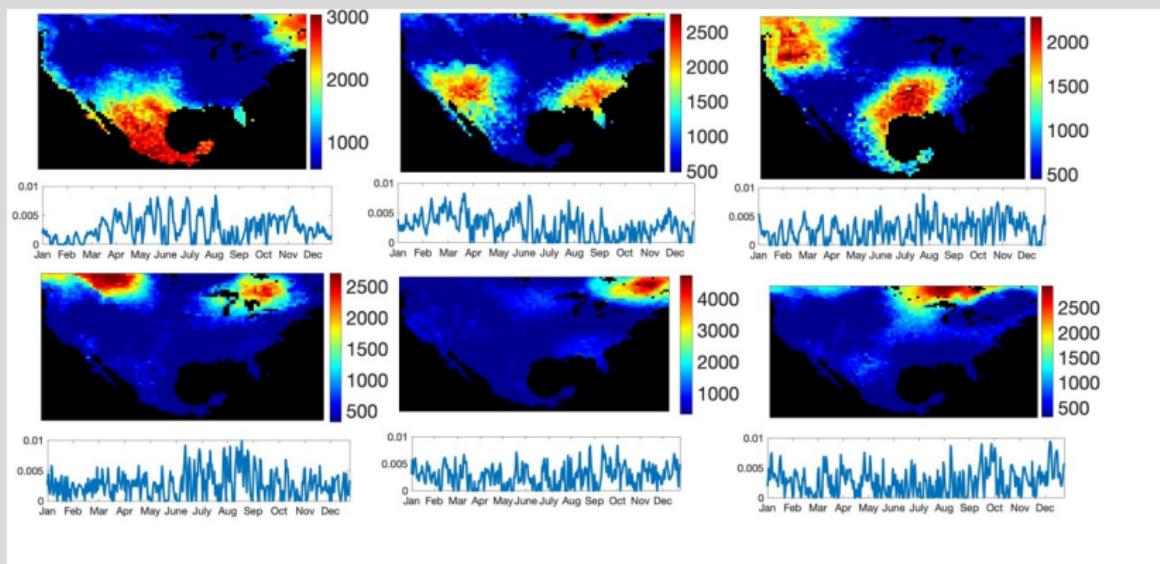
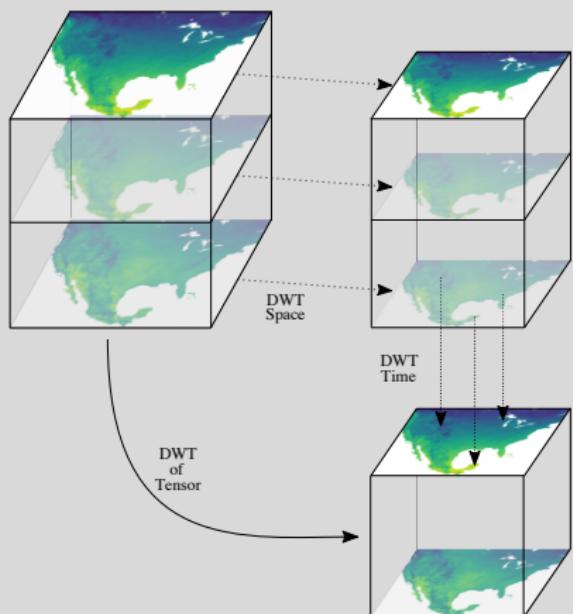


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└ Extra Slides

└ Discrete Wavelet Transform

- The DWT splits a signal into high and low frequency
- Low temporal signal captures climatology (seasons, years, decades), while low spatial signal captures regional features(city, county, state).



└ Extra Slides

└ Discrete Wavelet Transform

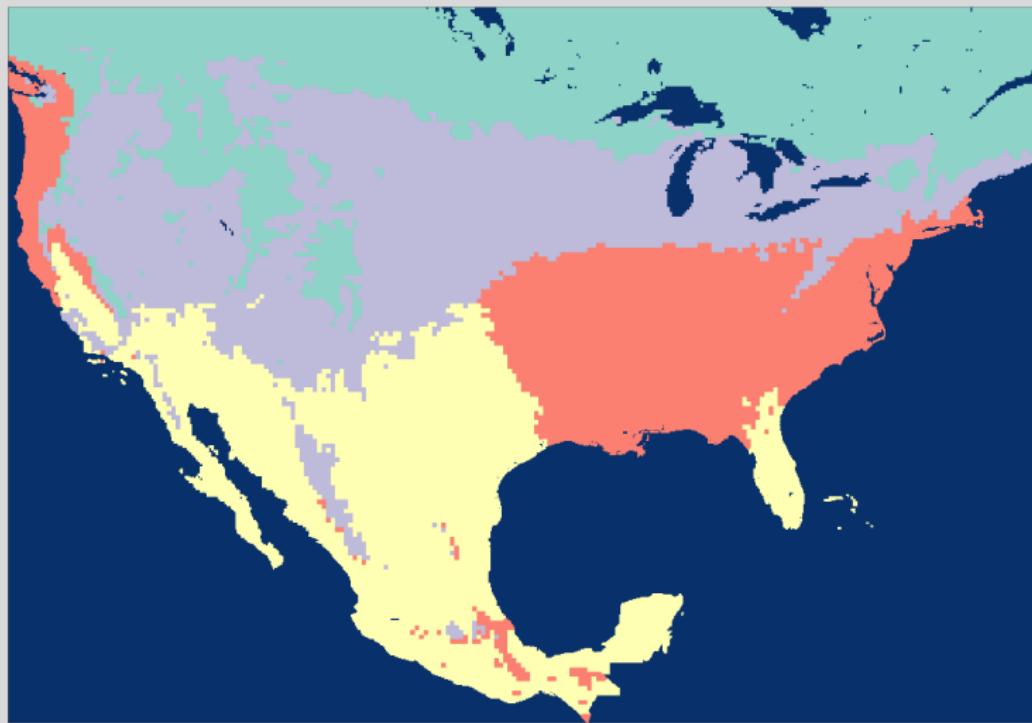


Figure: CGC: K-means $k = 4$, $(\ell_s, \ell_t) = (2, 3)$

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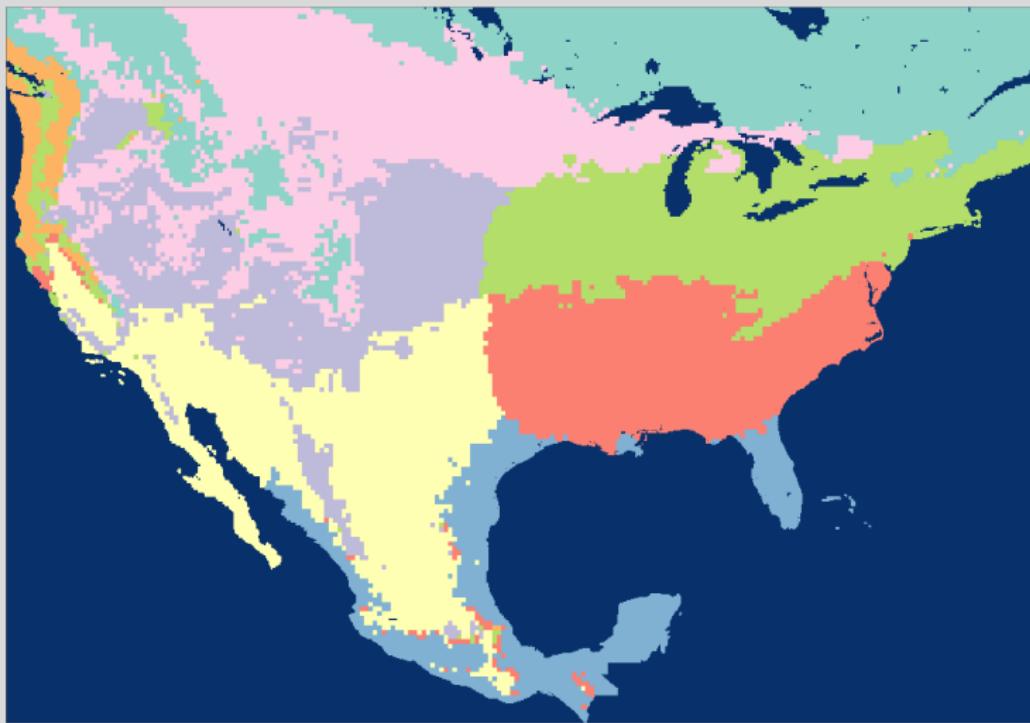


Figure: CGC: K-means $k = 8$, $(\ell_s, \ell_t) = (2, 3)$

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└ Discrete Wavelet Transform

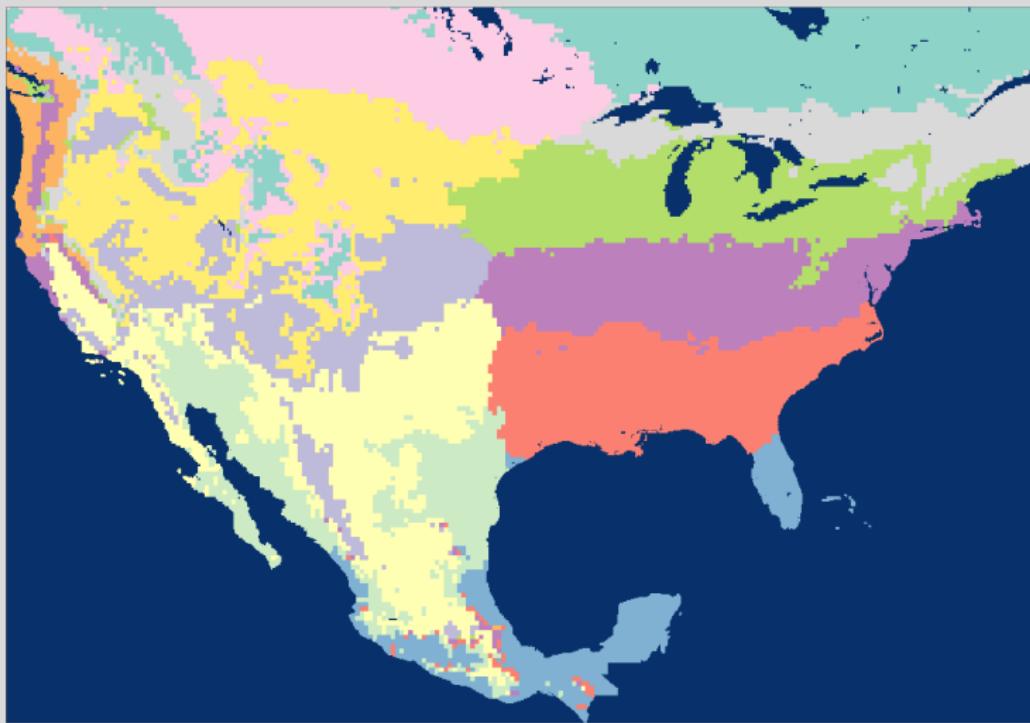


Figure: CGC: K-means $k = 12$, $(\ell_s, \ell_t) = (2, 3)$

└ Extra Slides

└ Discrete Wavelet Transform

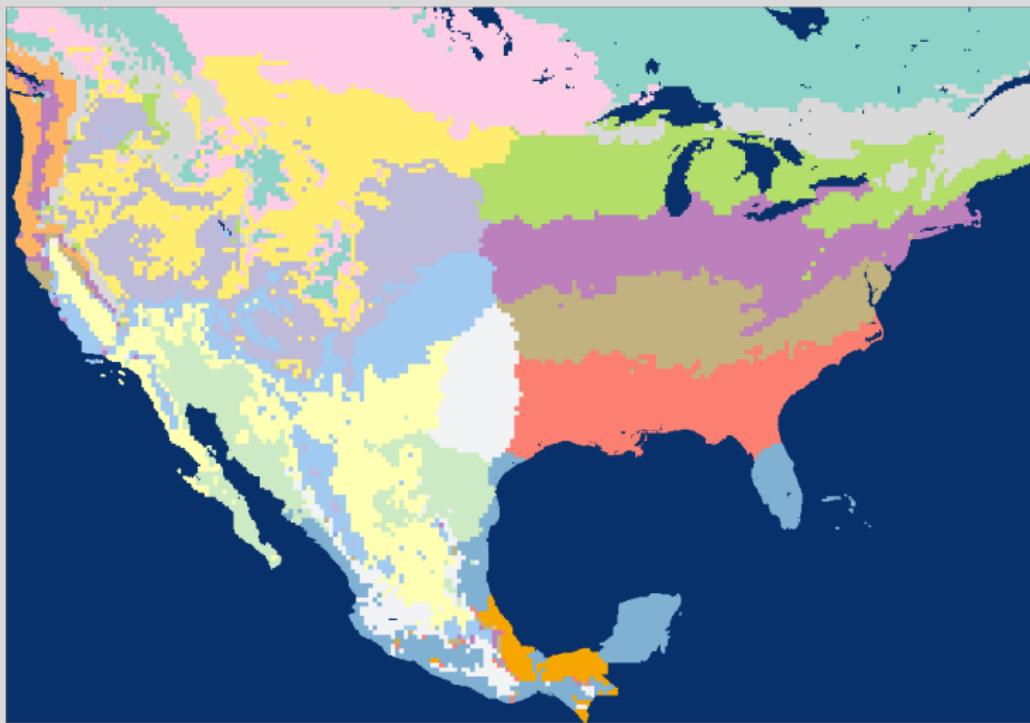


Figure: CGC: K-means $k = 16$, $(\ell_s, \ell_t) = (2, 3)$