- Lisp:
  - Lisp has 2 major dialects:
    - Common Lisp
    - Scheme
  - We will look at pure Scheme, the functional sublanguage of Scheme as an example of functional language
  - Pure functional languages all computation is based on expression evaluation, chain of function calls
    - No loops, no assignments
    - Need to use recursion for all iterations
    - Pro:
      - Language can be learned faster
      - Programs can be written faster
    - Con:
      - Efficiency slower execution
  - Symbolic Expressions (S\_Expressions)
    - Main data structure
    - Lisp programs themselves are written in S Expressions
    - BNF:
      - <S\_Expression> → <atom> | "(" <S\_Expression> "." <S\_Expression> ")"
        {There must be at least one blank before/after the period}
      - <atom> → any string of printable characters except for blanks, " (", ")
        ", "' "
    - Conservative (Cons) Expression:
      - "(" <S Expression> "." <S Expression> ")"
        - The first <S\_Expression> is known as the car part
        - The second <S\_Expression> is known as the cdr part
    - Special atom "()", called nil, denotes the empty S\_Expression
    - <atom> includes numbers (like integers, floats, etc)
      - (CS316 . ABC)
      - (CS?#B . 123)
      - (CS316 . (B#5.7 . 58E-7))
      - Can be nested to any depth
        - o ((2.5).((ABC.CS316).(B#.58E07)))
    - Cons Expressions are implemented in the heap
    - Implementation-wise, Cons Expressions are binary trees
  - O The S\_Expressions of the form  $(e_1 \cdot (e_2 \cdot ... \cdot (e_n \cdot ()) \cdot ...))$  are regarded as lists of n elements  $e_1, e_2, ..., e_n$  [and abbreviated as  $(e_1 e_2 e_n)$ , and there's at least one blank to separate  $e_i$ ]
    - Each e<sub>i</sub> may be any S Expression/list nested to any depth
  - Example:
    - (1234) = (1.(2.(3.(4.()))))
    - (1(AB)3(CD))=(1.((A.(B.())).(3.((C.(D.())).())))
      - (AB) = ( A . ( B . ( ) ) )
      - (CD) = ( C . ( D . ( ) ) )

- All lisp operator/function applications take the form (fe<sub>1</sub> e<sub>2</sub> ... e<sub>n</sub>)
  - Where f = operator/function
  - $e_1 e_2 \dots e_n = arguments$
- o Example: (f (a 1 2 3)) [f and a are functions]
  - (f'(a 1 2 3)) applying f to the list of 4 elements; a, 1, 2, 3
    - [f is a function, a is an atom]
  - Apply 'to S\_Expressions/lists when they are used as data arguments to functions
  - $(car '(e_1 . e_2)) \rightarrow e_1$
  - $(\operatorname{cdr}'(e_1 . e_2)) \rightarrow e_2$
  - (cons ' $e_1$  ' $e_2$ )  $\rightarrow$  ( $e_1 . e_2$ )
- o (car '((1 2) . (3 4) )) → (1 2)
- o (cdr '((1 2) . (3 4) )) → (3 4)
- o (cons '(1 2) '(3 4) ) → ( (1 2) . (3 4) )
- o  $(car '(e_1 e_2 ... e_n)) \rightarrow e_1 [the head of the list]$
- o  $(\operatorname{cdr}'(e_1 e_1 \dots e_n)) \rightarrow (e_2 \dots e_n)$  [the tail list]
- o (cons ' $e_1$  '( $e_2$  ...  $e_n$ ))  $\rightarrow$  ( $e_1 e_2 ... e_n$ )

0