Deep Learning for Visual Computing (COMP0169)

# Convolutional Neural Networks

Niloy Mitra

**Tobias Ritschel** 





### Introduction

- Idea
- Evolution



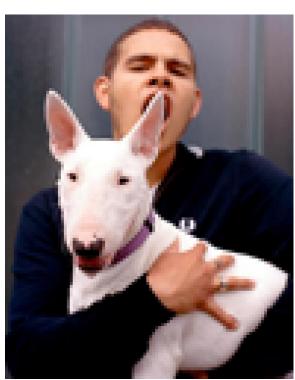
### Where do filters come from?

- So far we said we will code those filters ourselves
- Which is the right filter for a task?



# Quiz





You say (1, 1, 1)/3

Input

Output



# More quiz





You say (-1,0,1)/2

"?

Input

Output



## More quiz, computer helping





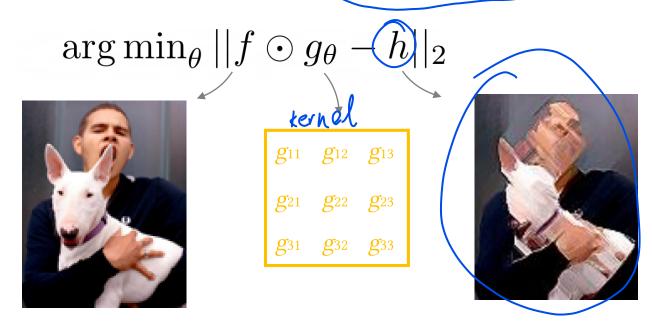
Computer says ... a lot of numbers

Input

Output

## Finding a filter by optimization

• Optimize the filter kernel to produce a desired result



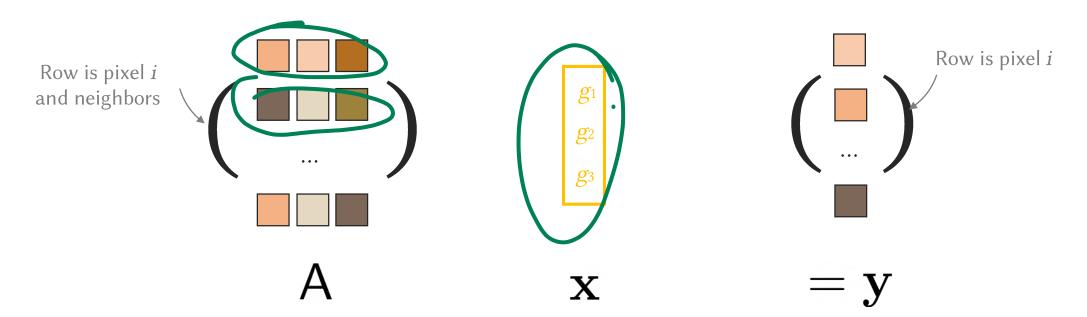
$$\theta \in \mathbb{R}^{3 \times 3} = \{g_{11}, \dots, g_{33}\}$$



## Linear filtering

• Convolution is a linear operation, so this can be solved quite easily

$$\operatorname{arg\,min}_{\theta} || f \odot g_{\theta} - h ||_{2}$$



### The cheetah and the zebra

• Could we use this to classify images?



cheetah



zebra



# Probably relevant







cheetah

zebra

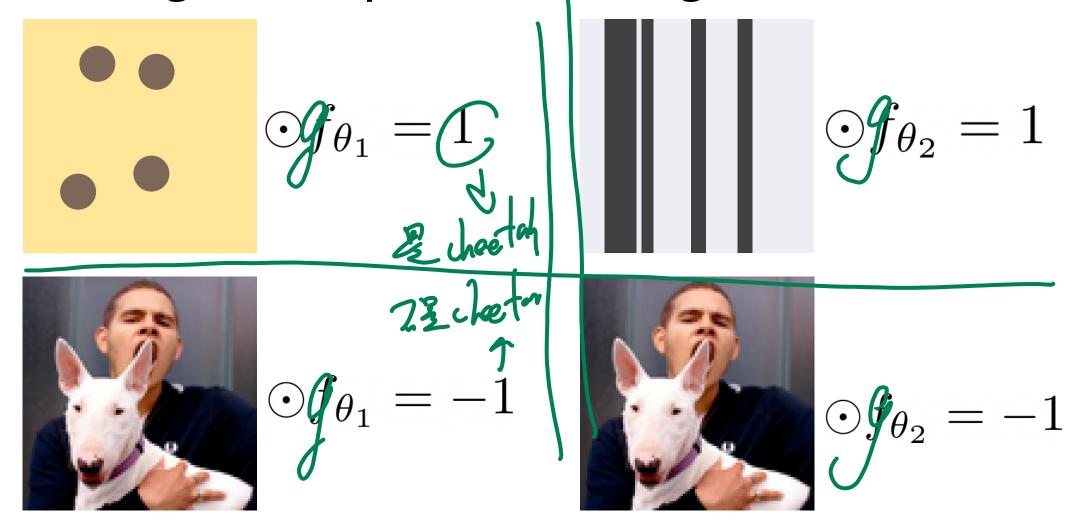


### The cheetah and the zebra



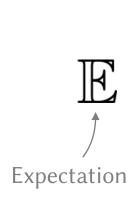


Points, edges, non-points, non-edges





### Example solution





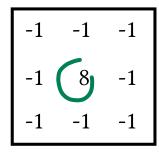
$$\odot g_{\theta,1} = 1$$

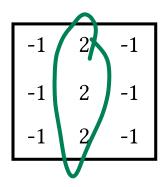


$$\odot g_{\theta,1}=1$$









### Non-linearity

• As we saw in the classification and NN lecture, non-linearity is important

$$\mathbb{E}[\phi(\bullet) \circ g_{\theta})] \neq \phi(\mathbb{E}[\bullet \circ g_{\theta}])$$
Non-linearity

### Non-linearity

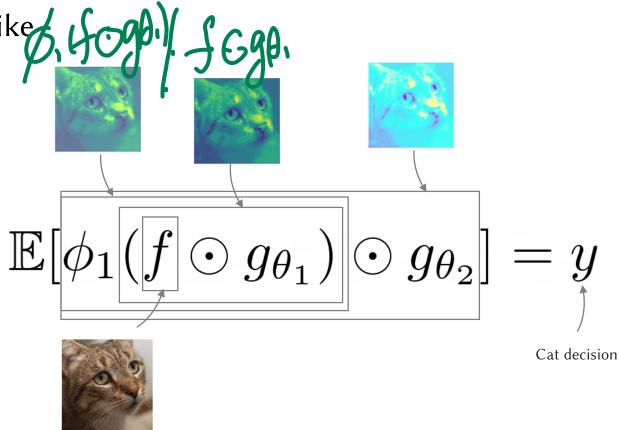
- And after that no-linearity, we could again do a convolution
- We call this layers

$$\mathbb{E}[\phi_1(\ \bigcirc g_{\theta_1}) \odot g_{\theta_2}] \neq$$

$$\mathbb{E}[\phi_1(\ \bigcirc g_{\theta_1}) \odot (g_{\theta_1} \odot g_{\theta_2}))]$$

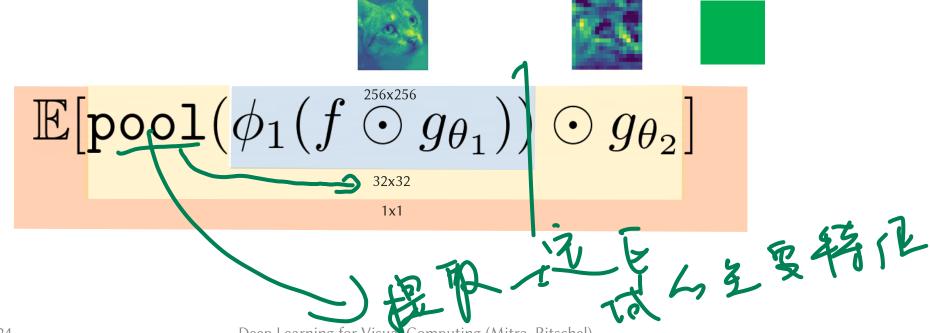
# Depth + non-linearity \*

• What this looks like



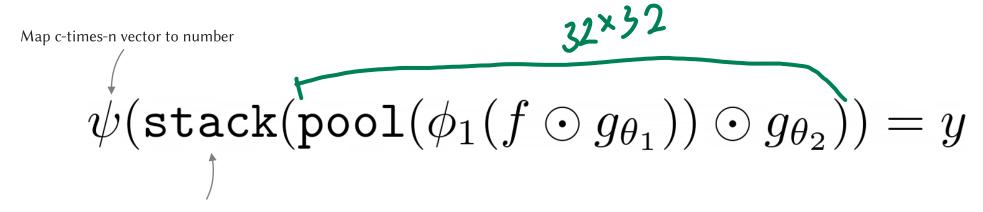
### Multi-resolution

- We recall that finding edges and any feature is best done on a pyramid
- CNN so far one resolution
- Solution: insert **pooling** reducing resolution after each convolution



## Fully-connected layer

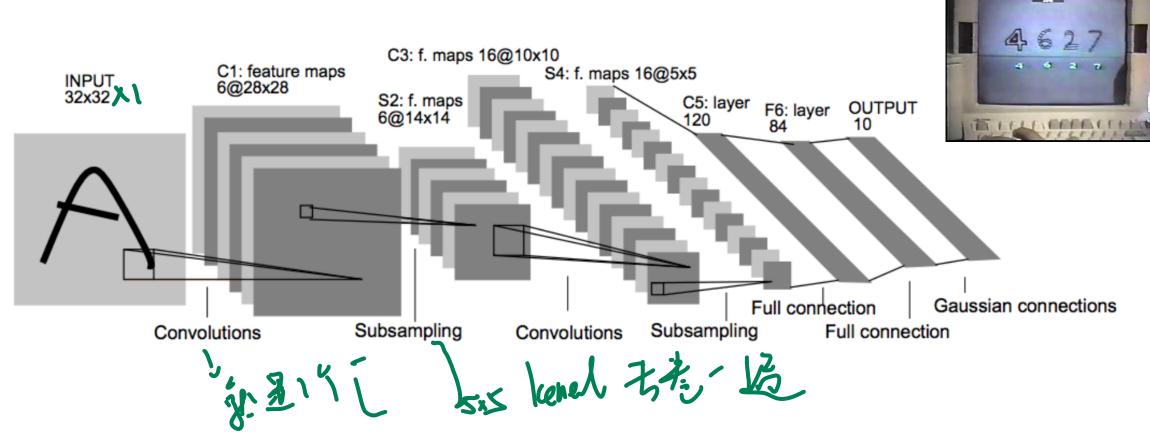
• Instead of expectation, take all pixels and feed them to a classic NN



Make c-times-n-vector from all n pixels and all c chans



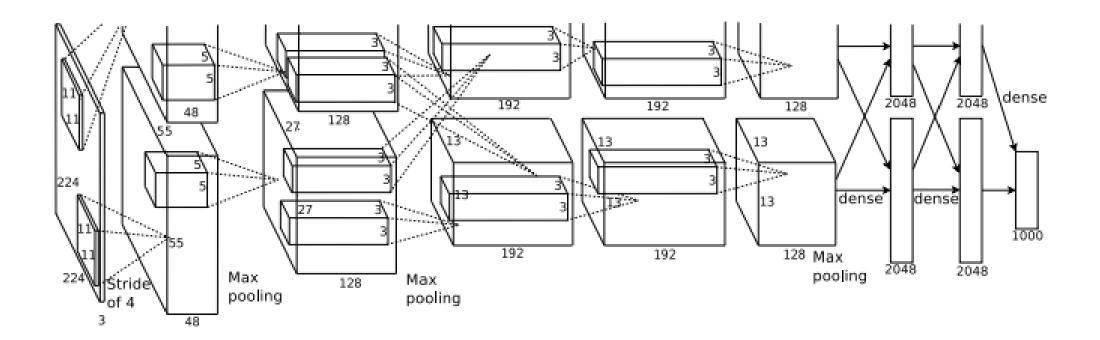
## Handwriting recognition: LeNet



LeCun et al, 1990: Handwritten digit recognition with a back-propagation network



### Image classification: AlexNet



Krizhevsky et al, 2012: ImageNet Classification with Deep Convolutional Neural Networks

### What happened between 1992 and 2012?





60k vs 60M



**GPUs** 

Pentium II 0.2 GFLOPS Nvidia GTX 680 2600 GFLOPS

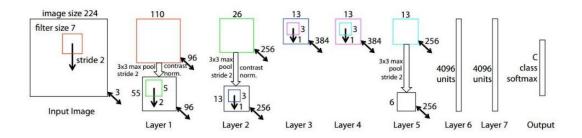


**Scripting** 

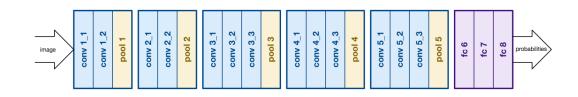
C++ vs CUDA/Python

### More architectures

Not always relevant or clear what happened



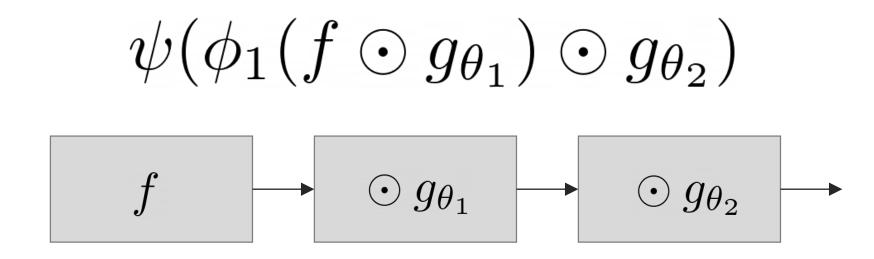
GoogLeNet/Inception (2014)



VGG Net (2014)

### ResNet, 2015

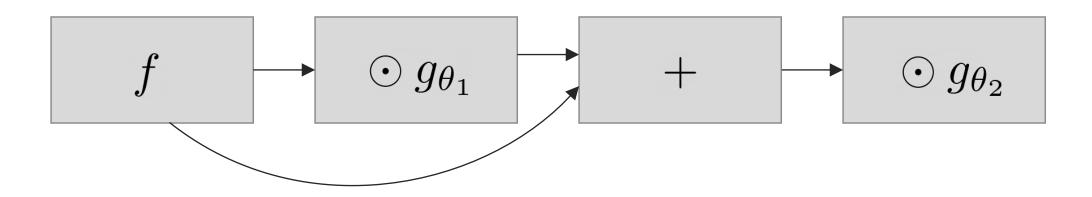
• Usual sequence makes propagating gradients hard



### ResNet, 2015

• Usual sequence makes propagating gradients hard

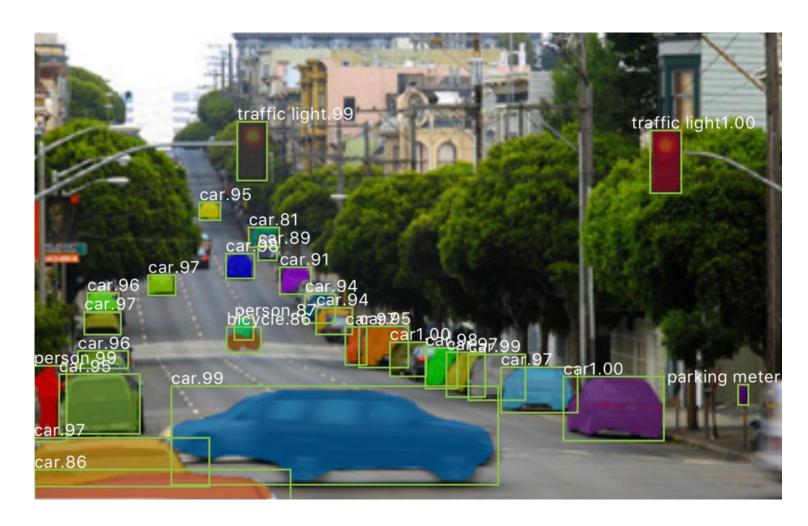
$$\psi((\phi_1(f\odot g_{\theta_1})+f)\odot g_{\theta_2})$$





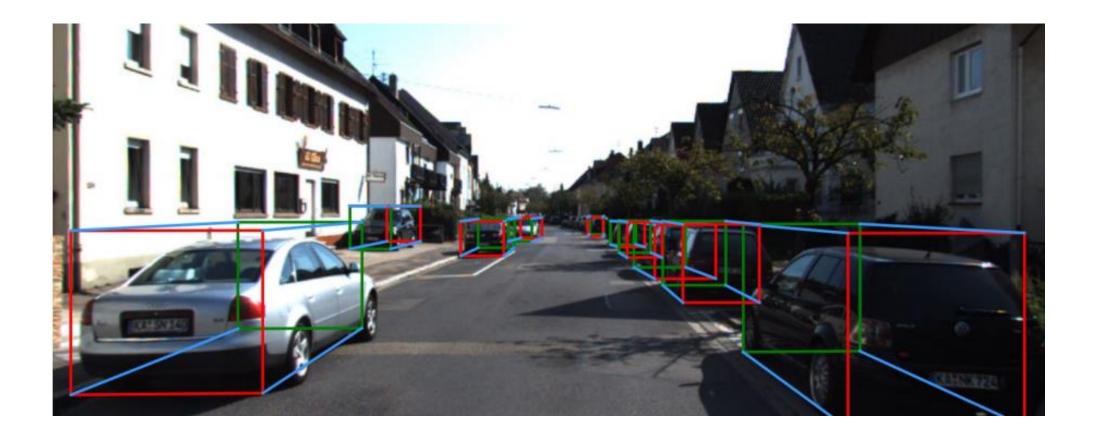
### Object detection task

- Map image to bounding boxes
- Challenge: Number unknown



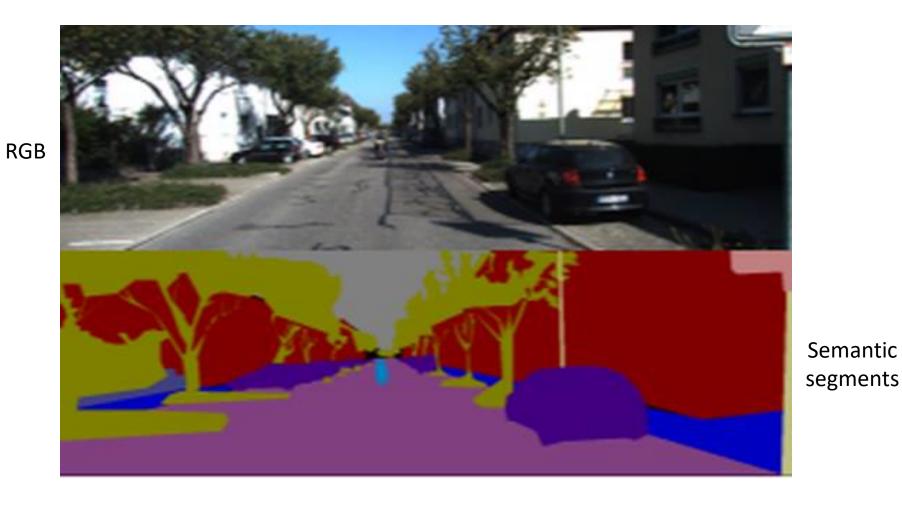


# 3D Object detection



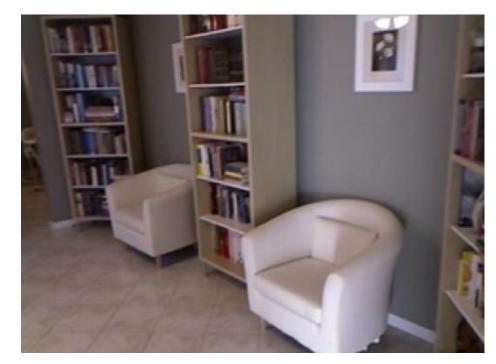


## Image-to-image: Segmentation

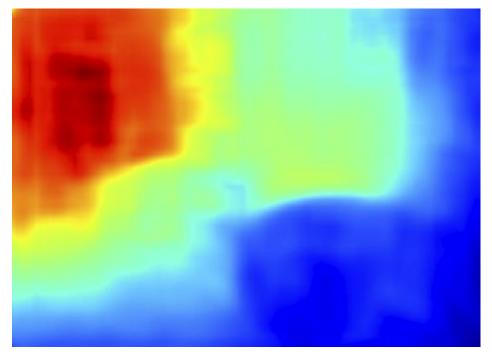




## Image-to-image



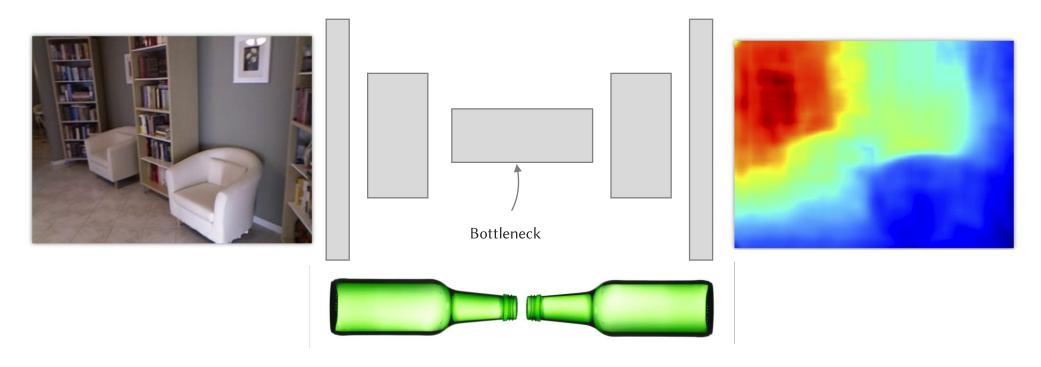
RGB Depth





### Image-to-image

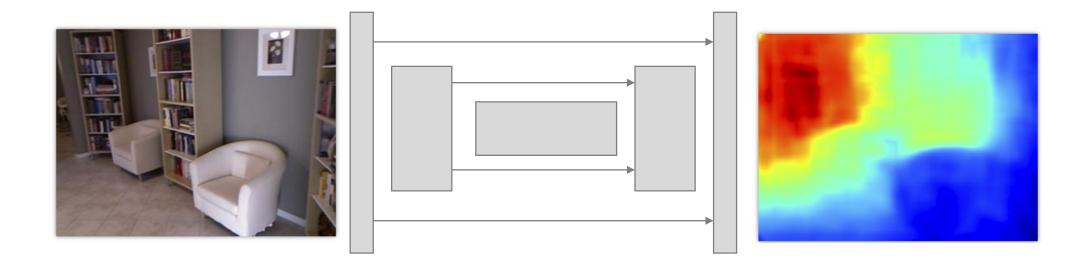
- Image in, number out: Encoder-decoder
- How about image out?





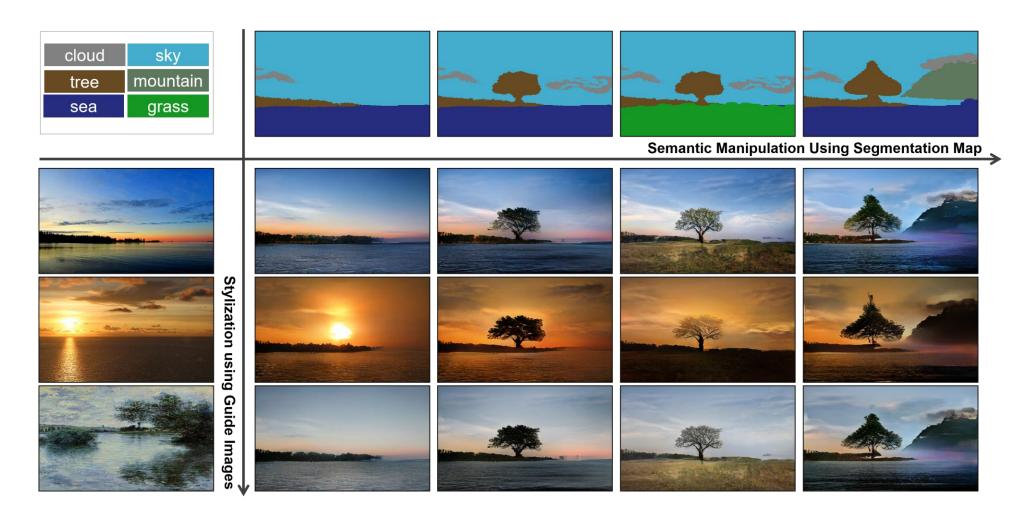
## Image-to-image

- No chance to get back details
- Idea: skip connections, allow decoder to access encoder state (Unet)





## Semantic image synthesis





# Style transfer



#### Encoder-decoder for video

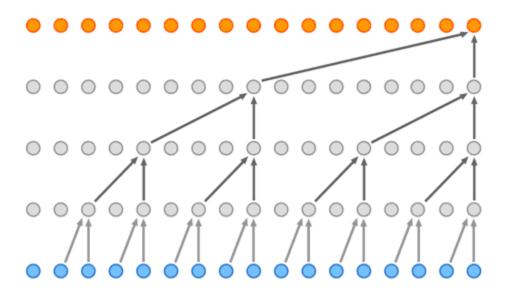
• Insert flow-compensated difference into loss





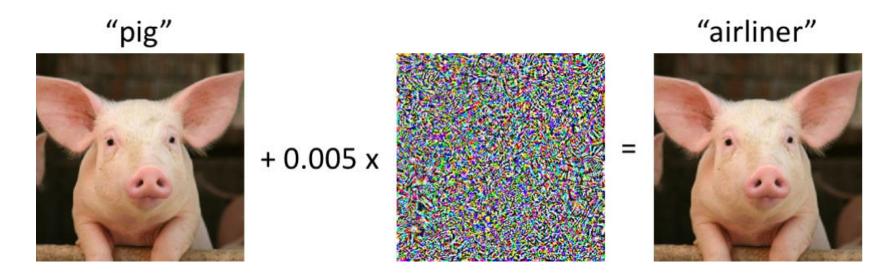
### Encoder-Decoder for music

- Wavenet
- Like U-Net, just 1D



### Failure

- Adversarial examples
- Small perturbation put detection off
- Found by optimizing for it



# Dreaming



#### Conclusion

- Don't write filters yourself
- Let the computer find them
- Stack them with non-linearities
- Add a few tricks (skip, res)
- And it does many things