Parallel Computing with GPUs

Optimisation Part 2 - Compute Bound Code



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This Lecture (learning objectives)

- ☐ Compute Bound Code
 - □ Apply a series of approaches to improve compute bound code performance



□Approach 1: Compile with full optimisation
 □msvc compiler is very good at optimising code for efficiency
 □Many of the techniques we will examine can be applied automatically by a compiler.
 □Optimisation: Compiler /O Optimisation property
 □Help the compiler
 □Refactor code to make it clear (clear to developers is clear to a compiler)
 □Avoid complicated control flow

Optimisation Level	Description
/01	Optimises code for minimum size
/02	Optimises code for maximum speed
/Od	Disables optimisation for debugging
/Oi	Generates intrinsic functions for appropriate calls
/Og	Enables global optimisations



- □ Approach 2: Redesign the program
 - □Compilers cant do this and it is most likely to have the biggest impact
 - □ If you have a loop that is executed 1000's of times then find a way to do it without the loop.
 - ☐ Be familiar with algorithms
 - ☐ Understand big O(n) notation
 - ☐ E.g. Sequential search has many faster replacements

Algorithm	gorithm Time Complexity			Space Complexity
	Best	Average	Worst	Worst
Quicksort	O(n log(n))	O(n log(n))	O(n^2)	O(log(n))
Mergesort	O(n log(n))	O(n log(n))	O(n log(n))	O(n)
Timsort	O(n)	O(n log(n))	O(n log(n))	O(n)
Heapsort	O(n log(n))	O(n log(n))	O(n log(n))	0(1)
Bubble Sort	O(n)	O(n^2)	O(n^2)	0(1)
Insertion Sort	O(n)	O(n^2)	O(n^2)	0(1)
Selection Sort	O(n^2)	O(n^2)	O(n^2)	0(1)
Shell Sort	O(n)	O((nlog(n))^2)	O((nlog(n))^2)	0(1)
Bucket Sort	O(n+k)	0(n+k)	O(n^2)	O(n)
Radix Sort	O(nk)	O(nk)	O(nk)	O(n+k)

http://bigocheatsheet.com/



□Approach 3: Understand operation performance
☐Cost of going to disk is massive
☐ Loop Invariant Computations: move operations out of loops where possible
☐Strength reduction: replace expression with cheaper ones

Core i7 Instruction	Cycle Latency	
Integer ADD SUB (x32 and x64)	1	
Integer MUL (x32 and x64)	3	
Integer DIV (x32)	17-28	
Integer DIV (x64)	28-90	
Floating Point ADD SUB (x32)	3	
Floating Point MUL (x32)	5	
Floating Point DIV (x32)	7-27	



- □ Approach 4: function in-lining
 - ☐ In-lining increases code size but reduces function calls.
 - ☐ Make your simple function a macro
 - ☐ Or use the _inline operator
 - ☐ Be sensible: Not everything should be in-lined

```
float vec2f_len(vec2f a, vec2f b)
{
    vec2f r;
    r.x = a.x - b.x;
    r.y = a.y b.y;
    return (float)sqrt(r.x*r.x + r.y*r.y); //requires #include <math.h>
}
```

```
#define vec2f_len(a, b) ((float)sqrt((a.x-b.x)*(a.x-b.x) - (a.y-b.y)*(a.y-b.y)))
```

```
_inline float vec2f_len(vec2f a, vec2f b)
{
   return (float)sqrt((a.x-b.x)*(a.x-b.x) - (a.y-b.y)*(a.y-b.y));
}
```



- □ Approach 5: Loop unrolling
 - msvc can do this automatically
 - ☐ Reduces the number of branch executions

```
for (int i=0; i<100; i++) {
    some_function(i);
}</pre>
```

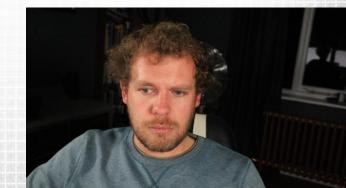
```
for (int i=0; i<100;) {
    some_function(i); i++;
    some_function(i); i++;
}</pre>
```



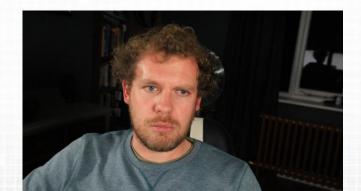
- □ Approach 6: Loop jamming
 - □Combine adjacent loops to minimise branching (for ranges over the same variable)
 - ☐ E.g. Reduction of iterating and testing value i

```
for (i=0; i<dim, i++) {
    for (j=0;j<dim; j++) {
        matrix[i][j] = rand();
    }
}
for (i=0; i<dim, i++) {
    matrix[i][i] = 0;
}</pre>
```

```
for (i=0; i<dim, i++) {
    for (j=0;j<dim; j++) {
        matrix[i][j] = rand();
    }
    matrix[i][i] = 0;
}</pre>
```



- □ Approach 6: Global or heap variables
 - ☐ Avoid referencing global or heap variables from within loops
 - ☐Global variables can not be cached in registers
 - ☐ Better to write to a local variable
 - ☐ Make a local copy of the variable which can be cached
 - ☐ Be careful that nothing else requires the variable before you modify it



```
int count;
void test1(void)
    int i;
    for (i=0; i<N; i++) {</pre>
         count += f();
void test2(void)
    int i, local count;
    local count = count;
    for (i=0; i<N; i++) {</pre>
         local count += f();
    count = local count;
```



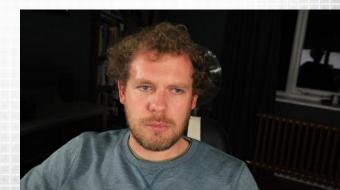
- □ Approach 7: Function calls
 - ☐ Functions are a good way of modularising code
 - ☐ Function calls do however have an overhead
 - ☐Stack and program counter must be manipulated
 - ☐ It can be beneficial to avoid function calls within loops

```
void f()
{
    //lots of work
}

void test_f()
{
    int i;
    for(i=0;i<N;i++) {
        f();
    }
}</pre>
```

```
void g()
{
    int i;
    for(i=0;i<N;i++) {
        //lots of work
    }
}

void test_g()
{
    g();
}</pre>
```



- □Approach 8: Don't over use the stack
 - ☐ Loops rather than recursion
 - ☐C compilers are very good at optimising loops
 - ☐Only certain recursive functions can be optimised
 - ☐ Function calls increase stack usage
 - ☐ Avoid compile time allocation large structures or arrays on the stack
 - \Box E.g. int x[10000000];
 - ☐ Use the **heap** or global arrays
 - ☐ Avoid passing large structures as arguments
 - ☐ They are copied by value
 - ☐ Pass a pointer instead



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