

Design Analysis of Algorithm

LAB 1.

1.AIM: Find Greatest Common Divisor using Euclid's method.

```
#include<stdio.h>
#include<unistd.h>
int main()
{
    int m=0,n=0,t=0;

    printf("Enter the no1:\n");
    scanf("%d",&m);

    printf("Enter the no2:\n");
    scanf("%d",&n);
    t = euclid(m,n);
    printf("GCD of %d & %d is: %d\n",m , n , t);
    return 0;
}
int euclid(int m,int n)
{
    int t;
    while(n!=0)
    {
        t = m % n;
        m = n;
        n = t;
    }
    return m;
}
```

Input output:

```
[user1@centos LAB1]$ ./gcdEuclid.out
```

```
Enter the no1:
```

```
5
```

```
Enter the no2:
```

```
10
```

```
GCD of 5 & 10 is: 5
```

```
[user1@centos LAB1]$ ./gcdEuclid.out
```

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Enter the no1:

5

Enter the no2:

3

GCD of 5 & 3 is: 1

```
[user1@centos LAB1]$ ./gcdEuclid.out
```

Enter the no1:

5

Enter the no2:

5

GCD of 5 & 5 is: 5

```
[user1@centos LAB1]$
```

Complexity:

2.AIM: Construct Euclid's Game

```
class EuclidGame
{
    public static void main(String args[])
    {
        int m = Integer.parseInt(args[0]);
        int n = Integer.parseInt(args[1]);
        int temp;
        int gcd = 0;
        if(m>n)
        {
            temp = m;
            m = n;
            n = temp;
        }
        gcd = euclid(n,m);

        int no_of_moves = n / gcd;

        if(no_of_moves%2 != 0)//odd no. of runs
```

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```
                System.out.println("player 1 wins the game");
            else
                System.out.println("player 2 wins the game");
        }
        static int euclid(int m,int n)
        {
            int t;
            while(n!=0)
            {
                t = m % n;
                m = n;
                n = t;
            }
            return m;
        }
    }
```

Input output:

```
[user1@centos LAB1]$ javac EuclidGame.java
[user1@centos LAB1]$ java EuclidGame 5 14
player 2 wins the game
[user1@centos LAB1]$ java EuclidGame 7 10
player 2 wins the game
[user1@centos LAB1]$ java EuclidGame 0 2
player 1 wins the game
[user1@centos LAB1]$ java EuclidGame 1 8
player 2 wins the game
[user1@centos LAB1]$ java EuclidGame 6 3
player 2 wins the game
```

Complexity:

3.AIM: Finding Greatest Common Divisor using min method

```
#include<stdio.h>
#include<unistd.h>
```

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```
int main()
{
    int m=0,n=0,t=0;

    printf("Enter the no1:\n");
    scanf("%d",&m);

    printf("Enter the no2:\n");
    scanf("%d",&n);

    if(m <= n)
    {
        t = m;
    }
    else
    {
        t = n;
    }
    while(m%t != 0)
    {
        t = t-1;
    }
prev:
    if(n%t == 0)
    {
        printf("GCD of %d & %d is: %d\n",m , n , t);
        _exit(0);
    }
    t--;
    goto prev;

    return 0;
}
```

Input Output:

```
[user1@centos LAB1]$ ./gcdmin.out
```

```
Enter the no1:
```

```
5
```

```
Enter the no2:
```

```
5
```

```
GCD of 5 & 5 is: 5
```

```
[user1@centos LAB1]$ ./gcdmin.out
```

```
Enter the no1:
```

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5

Enter the no2:

10

GCD of 5 & 10 is: 5

```
[user1@centos LAB1]$ ./gcdmin.out
```

Enter the no1:

5

Enter the no2:

3

GCD of 5 & 3 is: 1

```
[user1@centos LAB1]$
```

Complexity:

4. Find Greatest Common Divisor using Prime Factors

```
#include<stdio.h>
#include<unistd.h>
#include<math.h>
#include<stdlib.h>

#define MAX 100

int mfact[MAX],nfact[MAX],count=1,mfactcnt=0,nfactcnt=0;

int chkPrime(int i)
{
    int j,flag=0;
    for(j=2;j<=i;j++)
    {
        if(i%j == 0)
            {flag = 1; break;}
        else
            flag = 0;
    }
    if(flag == 0)
    {
        return 0;
    }
    return 1;
}
```

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```
void findprime(int *arr,int no)
{
    int i,j,flag=0,k=0,nol=no;
    for(i=0;i<=MAX;i++)
    {
        arr[i] = 0;
    }
    for(i=2;i<=no || chkPrime(no);)
    {
        if(no%i == 0)
        {
            no = no / i;
            if(chkPrime(i))
            {
                arr[k] = i;
                k++;
                continue;
            }
        }
        else
        {
            i++;
            continue;
        }
    }

    printf("%d's factor are:\n",nol);
    for(j=0;j<k;j++)
    {
        printf("%d\n",arr[j]);
        if(count==1)
            {mfact[j] = arr[j];mfactcnt++;}
        else
            {nfact[j] = arr[j];nfactcnt++;}
    }
    count++;
}

void commonfactors()
{
    int i,j,min,ans=1;
    if(mfactcnt > nfactcnt)
        min = nfactcnt;
    else
        min = mfactcnt;

    for(i=0;i<mfactcnt;i++)
    {
        for(j=0;j<nfactcnt;j++)
        {
            if(mfact[i] == nfact[j])
            {
```

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```
                nfact[j] = 0;
                ans = ans * mfact[i];
                break;
            }
            else
                continue;
        }
    }
    printf("ans:%d\n", ans);
}

int main(int argc, char **argv)
{
    int p, i, j, k=0;
    int x;
    int mf[MAX], nf[MAX], m, n;
    m = atoi(argv[1]);
    n = atoi(argv[2]);

    findprime(mf, m);
    findprime(nf, n);

    commonfactors();
    return 0;
}
```

Input Output:

```
[user1@centos LAB1]$ ./gcdPrime2.out 5 5
```

5's factor are:

5

5's factor are:

5

ans:5

```
[user1@centos LAB1]$ ./gcdPrime2.out 5 15
```

5's factor are:

5

15's factor are:

3

5

ans:5

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```
[user1@centos LAB1]$ ./gcdPrime2.out 5 1
```

5's factor are:

5

1's factor are:

ans:1

```
[user1@centos LAB1]$
```

Complexity:

LAB2.

1.AIM. To implement Binary Search algorithm.

```
class BinarySearch
{
    static int arr[] = {1,2,3,4,5,6};
    public static void main(String args[])
    {
        int index = binarySearch(Integer.parseInt(args[0]));
        System.out.println("index of "+Integer.parseInt(args[0])+"="+index);
    }
    static int binarySearch(int key)
    {
        int l=0;
        int n = arr.length;
        int r=n-1;
        int mid;
        while(l<=r)
        {
            mid = (l+r)/2;
            if(arr[mid] == key)
                return key;
            else if(arr[mid] < key)
                l = mid + 1;
            else
                r = mid -1;
        }
        return -1;
    }
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB2>java BinarySearch 5

index of 5 = 5

Complexity: $O(\log n)$ where n is the number of elements in the array.

2.AIM. Insertion Sort

```
class InsertionSort
{
```

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```
public static int arr[]={1,5,4,3,2,6};
public static void main(String args[])
{
    InsrSort();
    for(int i=0;i<arr.length;i++)
    {
        System.out.println("arr["+i+"]="+arr[i]);
    }
}
static void InsrSort()
{
    int key = arr[0];
    int i,p;
    for(p=1;p<arr.length;p++)
    {
        i = p;
        key = arr[i];
        while(key < arr[i-1] && i > 1)
        {
            arr[i] = arr[i-1];
            i=i-1;
        }
        arr[i] = key;
    }
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB2>java Inse
rtionSort
arr[0]=1
arr[1]=2
arr[2]=3
arr[3]=4
arr[4]=5
arr[5]=6
```

Complexity:

3.AIM. To implement Matrix Multiplication

```
class MatrixMul
{
    static int a[][] = {{1,2},{3,4}};
    static int b[][] = {{4,3},{2,1}};
    static int c[][] = {{0,0},{0,0}};
    public static void main(String args[])
    {
        mulMatrix();
        for(int j = 0; j<2;j++)
```

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```
        {
            for(int k=0;k<2;k++)
            {
                System.out.println(c[j][k]);
            }
        }
    }
    static void mulMatrix()
    {
        for(int i=0;i<2;i++)
        {
            for(int j = 0; j<2;j++)
            {
                for(int k=0;k<2;k++)
                {
                    c[i][j] = c[i][j] + (a[i][k] * b[k][j]);
                }
            }
        }
    }
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB2>java MatrixMul
8
5
20
13
```

Complexity: $O(n * n * n)$ where n is the size of matrix.

4.AIM. To find the Max Element from given array.

```
class MaxEle
{
    static int arr[] = {1,2,3,4,5,6};
    public static void main(String args[])
    {
        maxEle();
    }
    static void maxEle()
    {
        int max=arr[0];
        for(int i=0;i<arr.length;i++)
        {
            if(arr[i] > max)
            {

```

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```
        max = arr[i];
    }
}
System.out.println("Max = "+max);
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB2>java Max
Ele
Max = 6

Complexity: $O(n)$ where n is the number of elements in the given array.

5.AIM. Fibonacci using recursive

```
class RecursiveFibo
{
    public static void main(String args[])
    {
        int ele;
        for(int i = 0; i < Integer.parseInt(args[0]); i++)
        {
            ele = fibo(i);
            System.out.println(ele);
        }
    }
    static int fibo(int n)
    {
        int ans;
        if(n==0 || n ==1)
        {
            return n;
        }
        else
        {
            return (ans = fibo(n-1) + fibo(n-2));
        }
    }
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB2>java RecursiveFibo 5
0
1
1
2

Complexity:

6.AIM. Locker puzzle

```
#include<stdio.h>
#include<unistd.h>
```

```
#define MAX 2000
```

```
void initial(char *locker,int no)
{
    int i,j;
    for(i=0;i<MAX;i++)
    {
        locker[i]='c';
    }
    /*for(i=1;i<=no;i++)
    {
        printf("%c\t",locker[i]);
    }
    printf("\n");*/
}
```

```
void simulate(int no,char* locker)
{
    int i,j,k,l;
    printf("locker #\t\n");
    for(i=1;i<=no;i++)
    {
        printf("\t%d",i);
    }
}
```

```
printf("\n=====
=====\\n");
for(i=1;i<=no;i++)//no. of stds loop
{
    printf("%dth std    ",i);
    for(j=1;j<=no;j++)//no. of lockers loop
    {
        if(i==1)//std #1 opens every locker
        {
            for(k=1;k<=no;k++){
                locker[k] = 'o';
                printf("%c\t",locker[k]);
            }
            printf("\n");
            break;
        }
    }
}
```

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```
        }
        if(j%i == 0)//toggle if multiple of i
        {
            if(locker[j] == 'o')
            {
                locker[j] = 'c';
            }
            else
                locker[j] = 'o';
        }
        printf("%c\t",locker[j]);
    }
    printf("\n");
}

int main(int argc,char** argv)
{
    int noOfStd;
    char locker[MAX];
    initial(locker,noOfStd);
    noOfStd = atoi(argv[1]);
    simulate(noOfStd,locker);
    return 0;
}
```

Input Output:

[user1@centos LAB2]\$./lockerPuzz.out 10

locker #

	1	2	3	4	5	6	7	8	9	10
=====										
1th std	o	o	o	o	o	o	o	o	o	o
2th std	o	c	o	c	o	c	o	c	o	c
3th std	o	c	c	c	o	o	o	c	c	c
4th std	o	c	c	o	o	o	o	o	c	c
5th std	o	c	c	o	c	o	o	o	c	o
6th std	o	c	c	o	c	c	o	o	c	o
7th std	o	c	c	o	c	c	c	o	c	o
8th std	o	c	c	o	c	c	c	c	c	o

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9th std o c c o c c c c o o

10th std o c c o c c c c o c

[user1@centos LAB2]\$

Complexity: $O(n * n)$ where n is the number of students / locker.

LAB 3.

1.AIM. To implement Binary Adder.

```
class BinaryAdd
{
    static int A[] = {1,0,1,0};
    static int B[] = {1,1,1,1};
    public static void main(String args[])
    {
        int iCarry=0;
        int actCarry=0;
        int flag = 0;
        for(int i=A.length-1;i>=0;i--)
        {
            if(iCarry == 0 && flag == 1)
                A[i] = A[i] + actCarry;
            iCarry = A[i] + B[i];
            if(iCarry == 2)
            {
                flag = 1;
                iCarry = 0;
                actCarry = 1;
            }
            if(iCarry == 3)
            {
                flag = 1;
                iCarry = 1;
                actCarry = 1;
            }
            A[i] = iCarry;
        }
        for(int i=0;i<A.length; i++)
        {
            System.out.println(A[i]);
        }
        System.out.println(actCarry);
    }
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB3>java BinaryAdd
1
0
0
1
1
```


Complexity: $O(n)$ where n is the number of bits to add.

2.AIM. Distance Array Problem

```
class DistanceArr
{
    static int A[] = {6,8,2,3,1};
    public static void main(String args[])
    {
        int min=999;
        int intans=0;
        int i=0;
        int flag = 0;
        while(i<A.length)
        {
            for(int j=i+1;j<A.length;j++)
            {
                if(A[i] > A[j])//for avoiding -ve
                {
                    intans = A[i]-A[j];
                    //System.out.println(intans+" " +A[i]+" "+A[j]);
                }
                else
                {
                    intans = A[j]-A[i];
                    //System.out.println("here i m");
                    //System.out.println(intans+" " +A[j]+" "+A[i]);
                }
                if(intans <= min)
                {
                    min = intans;
                    //System.out.println(min+"between"+A[j]+A[i]);
                }
            }
            i++;
        }
        i=0;
        while(i<A.length)
        {
            for(int j=i+1;j<A.length;j++)
            {
                if(A[i] > A[j])//for avoiding -ve
                {
                    intans = A[i]-A[j];
                    //System.out.println(intans+" " +A[i]+" "+A[j]);
                }
                else
                {
                    intans = A[j]-A[i];
                    //System.out.println("here i m");
                    //System.out.println(intans+" " +A[j]+" "+A[i]);
                }
            }
        }
    }
}
```

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```
        }
        if(intans == min)
        {
            min = intans;
            System.out.println(min+"between"+A[j]+A[i]);
        }
    }
    i++;
}
}
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB3>java DistanceArr
1between32
1between12
```

Complexity: $O(n * n)$ where n is the number of elements in array.

3.AIM. Inversion

```
class Inversion
{
    static int A[] = {2,3,8,6,1};
    public static void main(String args[])
    {
        for(int i=0;i<A.length;i++)
        {
            for(int j=0;j<A.length;j++)
            {
                if(i<j && A[i] > A[j])
                {
                    System.out.println("("+(i+1)+", "+(j+1)+")");
                }
            }
        }
    }
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB3>java Inversion
(1,5)
(2,5)
(3,4)
(3,5)
(4,5)
```

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Complexity: $O(n * n)$ where n is the number of elements in array.

LAB 4.

1.AIM. To implement a Merge Sort algorithm.

```
class DArray
{
    private long[] theArray;           // ref to array theArray
    private int nElems;                // number of data items

    public DArray(int max)             // constructor
    {
        theArray = new long[max];     // create array
        nElems = 0;
    }

    public void insert(long value)     // put element into array
    {
        theArray[nElems] = value;     // insert it
        nElems++;                     // increment size
    }

    public void display()              // displays array contents
    {
        for(int j=0; j<nElems; j++)    // for each element,
            System.out.print(theArray[j] + " "); // display it
        System.out.println("");
    }

    public void mergeSort()            // called by main()
    {
        // provides workspace
        long[] workSpace = new long[nElems];
        recMergeSort(workSpace, 0, nElems-1);
    }

    private void recMergeSort(long[] workSpace, int lowerBound,
                              int upperBound)
    {
        if(lowerBound == upperBound)    // if range is 1,
            return;                     // no use sorting
        else
        {
            // find midpoint
            int mid = (lowerBound+upperBound) / 2;
            // sort low half
            recMergeSort(workSpace, lowerBound, mid);
            // sort high half
            recMergeSort(workSpace, mid+1, upperBound);
            // merge them
            merge(workSpace, lowerBound, mid+1, upperBound);
        } // end else
    }
}
```

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```
        } // end recMergeSort()

private void merge(long[] workSpace, int lowPtr,
                  int highPtr, int upperBound)
{
    int j = 0; // workspace index
    int lowerBound = lowPtr;
    int mid = highPtr-1;
    int n = upperBound-lowerBound+1; // # of items

    while(lowPtr <= mid && highPtr <= upperBound)
        if( theArray[lowPtr] < theArray[highPtr] )
            workSpace[j++] = theArray[lowPtr++];
        else
            workSpace[j++] = theArray[highPtr++];

    while(lowPtr <= mid)
        workSpace[j++] = theArray[lowPtr++];

    while(highPtr <= upperBound)
        workSpace[j++] = theArray[highPtr++];

    for(j=0; j<n; j++)
        theArray[lowerBound+j] = workSpace[j];
    } // end merge()

} // end class DArray

class Main
{
    public static void main(String[] args)
    {
        int maxSize = 100; // array size
        DArray arr; // reference to array
        arr = new DArray(maxSize); // create the array

        arr.insert(64); // insert items
        arr.insert(21);
        arr.insert(33);
        arr.insert(70);
        arr.insert(12);
        arr.insert(85);
        arr.insert(44);
        arr.insert(3);
        arr.insert(99);
        arr.insert(0);
        arr.insert(108);
        arr.insert(36);

        arr.display(); // display items

        arr.mergeSort(); // merge sort the array
    }
}
```

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```
arr.display();           // display items again
} // end main()
} // end class MergeSortApp
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB4>java Main
64 21 33 70 12 85 44 3 99 0 108 36
0 3 12 21 33 36 44 64 70 85 99 108
```

Complexity: $\Theta(n \log n)$ where n is the number of elements in the array.

2.AIM. To implement a Quick Sort algorithm

```
public class Main {
    static int partition(int arr[], int left, int right) {
        int i = left, j = right;
        int tmp;
        int pivot = arr[(left + right) / 2];

        while (i <= j) {
            while (arr[i] < pivot)
                i++;
            while (arr[j] > pivot)
                j--;
            if (i <= j) {
                tmp = arr[i];
                arr[i] = arr[j];
                arr[j] = tmp;
                i++;
                j--;
            }
        }
    }
}
```

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```
    }

    return i;
}

static void quickSort(int arr[], int left, int right) {

    int index = partition(arr, left, right);

    if (left < index - 1)

        quickSort(arr, left, index - 1);

    if (index < right)
        quickSort(arr, index, right);
}

public static void main(String[] args) {
    int A[] = {10, 15, 26, 12, 9, 8, 22};
    for(int j=0; j<A.length; j++)    // for each element,
        System.out.print(A[j] + " "); // display it
    System.out.println("");
    quickSort(A,0,A.length-1);
    for(int j=0; j<A.length; j++)    // for each element,
        System.out.print(A[j] + " "); // display it
    System.out.println("");
}
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB4\quick ja
va>java Main
10 15 26 12 9 8 22
8 9 10 12 15 22 26
```

Complexity: $\Theta(n)$ where n , is $n = n - p + 1$ the number of elements in the array.

LAB 5.

1.AIM. Crossing the Bridge

```
class CrossBridge
{
    static int findminindex(int timming[])
    {
        int minindex = timming[0];
        for(int i=1;i<timming.length-1;i++)
        {
            if(timming[i] < timming[minindex])
            {
                minindex = i;
            }
        }
        System.out.println("min index:"+minindex);
        return minindex;
    }

    public static void main(String args[])
    {
        int count=5;
        int timming[]={2,1,5,10,12};
        int maxtime=0;
        int i=3;
        int minindex = findminindex(timming);
        while(count!=(timming.length-2))
        {
            if(i-1 == minindex)
            {
                i--;
                continue;
            }
            maxtime = maxtime + timming[i-1] + timming[minindex];
            count--;
            System.out.println(i-1+":is on the other bank");
            i--;
        }
        maxtime = maxtime + timming[timming.length-1];
        System.out.println((timming.length-1)+":is on the other bank");
        System.out.println("time taken is:"+maxtime);
    }
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB5>java CrossBridge
min index:1
2:is on the other bank
```


Design Analysis of Algorithm

0:is on the other bank
4:is on the other bank
time taken is:20

Complexity:

2.AIM. Making a Change

```
class MakingChange
{
    public static void main(String args[])
    {
        int D[]={100,25,10,5,1};
        int amount=0;
        int sum = 14;
        int coin[]={0,0,0,0,0};
        int i=0;
        int flag = 1;
        while(i <= 4){
            while(amount + D[i] <= sum)
            {
                amount = amount + D[i];
                coin[i]++;
                if(amount == sum)
                {
                    for(int j=0;j<coin.length;j++)
                        System.out.println(D[j]+"*"+coin[j]+"="+"
(D[j]*coin[j]));
                    System.out.println("total  :"+sum);

                    flag = 0;
                    break;
                }
            }
            if(flag == 0)
                break;
            i++;
        }
    }
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB5>java MakingChange
100*0=    0
25*0=     0
10*1=    10
5*0=     0
```

Design Analysis of Algorithm

```
1*4=      4  
total  :14
```

Complexity: $O(n)$ where n is the number of dominations.

LAB 6.

1.AIM. To implement Kanpsack problem (fractional)

```
class Knapsack
{
    public static void main(String args[])
    {
        float weight = 0.0f;
        float wArr[] = {10.0f,20.0f,30.0f,40.0f,50.0f};
        float resultArr[] = {0.0f,0.0f,0.0f,0.0f,0.0f};
        float proArr[] = {20.0f,30.0f,66.0f,40.0f,60.0f};
        float ratioArr[] = {0.0f,0.0f,0.0f,0.0f,0.0f};
        float totalWeight = 100.0f;
        float totalProfit = 0.0f;
        for(int i=0;i<ratioArr.length;i++)
        {
            ratioArr[i] = (float) ((float)proArr[i] / (float)wArr[i]);
        }
        for(int i=0;i<ratioArr.length;i++)
        {
            for(int j=i+1;j<ratioArr.length;j++)
            {
                if(ratioArr[i] < ratioArr[j])
                {
                    float temp = ratioArr[i];
                    ratioArr[i] = ratioArr[j];
                    ratioArr[j] = temp;

                    temp = wArr[i];
                    wArr[i] = wArr[j];
                    wArr[j] = temp;

                    temp = proArr[i];
                    proArr[i] = proArr[j];
                    proArr[j] = temp;
                }
            }
        }
        for(int i=0;i<ratioArr.length;i++)
        {
            System.out.println(ratioArr[i]+"\\t:\\t"+proArr[i]
+"\\t:\\t"+wArr[i]);
        }

        for(int i=0;i<wArr.length;i++)
        {
            if(weight+wArr[i] <= totalWeight)
            {
```

Design Analysis of Algorithm

```
        totalProfit = totalProfit + proArr[i];
        weight = weight + wArr[i];
        resultArr[i]++;
    }
    else
    {
        totalProfit = totalProfit + (((totalWeight -
weight)/wArr[i])*proArr[i]);
        resultArr[i] = ((totalWeight - weight)/wArr[i]);
        break;
    }
}
for(int i=0;i<resultArr.length;i++)
{
    System.out.println(resultArr[i]);
}
System.out.println("profit="+totalProfit);
}
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB6>java Kna
psack
2.2      :      66.0      :      30.0
2.0      :      20.0      :      10.0
1.5      :      30.0      :      20.0
1.2      :      60.0      :      50.0
1.0      :      40.0      :      40.0
1.0
1.0
1.0
0.8
0.0
profit=164.0
```

Complexity: $O(n) + \text{shorting time}$. Where n is the number of items.

2.AIM. Kruskal's Algorithm

```
import java.io.*;
import java.util.*;

public class Kruskal {
    private final int MAX_NODES = 21;
    private HashSet nodes[];           // Array of connected components
    private TreeSet allEdges;           // Priority queue of Edge objects
    private Vector allNewEdges;         // Edges in Minimal-Spanning Tree

    public static void main(String args[]) {
```

Design Analysis of Algorithm

```
System.out.println("[Kruskal] - 2011");
if (args.length != 1) {
    System.out.println("Usage: java Kruskal <fileName>");
    System.exit(0);
}
Kruskal k = new Kruskal();
k.readInGraphData(args[0]);
k.performKruskal();
k.printFinalEdges();
}

Kruskal() {
    // Constructor
    nodes = new HashSet[MAX_NODES]; // Create array for components
    allEdges = new TreeSet(new Edge()); // Create empty priority queue
    allNewEdges = new Vector(MAX_NODES); // Create vector for MST edges
}

private void readInGraphData(String fileName) {
    try {
        FileReader file = new FileReader(fileName);
        BufferedReader buff = new BufferedReader(file);
        String line = buff.readLine();
        while (line != null) {
            StringTokenizer tok = new StringTokenizer(line, " ");
            int from = Integer.valueOf(tok.nextToken()).intValue();
            int to = Integer.valueOf(tok.nextToken()).intValue();
            int cost = Integer.valueOf(tok.nextToken()).intValue();

            allEdges.add(new Edge(from, to, cost)); // Update priority queue
            if (nodes[from] == null) {
                // Create set of connect components [singleton] for this node
                nodes[from] = new HashSet(2*MAX_NODES);
                nodes[from].add(new Integer(from));
            }

            if (nodes[to] == null) {
                // Create set of connect components [singleton] for this node
                nodes[to] = new HashSet(2*MAX_NODES);
                nodes[to].add(new Integer(to));
            }

            line = buff.readLine();
        }
        buff.close();
    } catch (IOException e) {
        //
    }
}

private void performKruskal() {
    int size = allEdges.size();
    for (int i=0; i<size; i++) {
        Edge curEdge = (Edge) allEdges.first();
    }
}
```

Design Analysis of Algorithm

```
if (allEdges.remove(curEdge)) {
    // successful removal from priority queue: allEdges

    if (nodesAreInDifferentSets(curEdge.from, curEdge.to)) {
        // System.out.println("Nodes are in different sets ...");
        HashSet src, dst;
        int dstHashSetIndex;

        if (nodes[curEdge.from].size() > nodes[curEdge.to].size()) {
            // have to transfer all nodes including curEdge.to
            src = nodes[curEdge.to];
            dst = nodes[dstHashSetIndex = curEdge.from];
        } else {
            // have to transfer all nodes including curEdge.from
            src = nodes[curEdge.from];
            dst = nodes[dstHashSetIndex = curEdge.to];
        }

        Object srcArray[] = src.toArray();
        int transferSize = srcArray.length;
        for (int j=0; j<transferSize; j++) {
            // move each node from set: src into set: dst
            // and update appropriate index in array: nodes
            if (src.remove(srcArray[j])) {
                dst.add(srcArray[j]);
                nodes[((Integer) srcArray[j]).intValue()] = nodes[dstHashSetIndex];
            } else {
                // This is a serious problem
                System.out.println("Something wrong: set union");
                System.exit(1);
            }
        }

        allNewEdges.add(curEdge);
        // add new edge to MST edge vector
    } else {
        // System.out.println("Nodes are in the same set ... nothing to do
here");
    }

    } else {
        // This is a serious problem
        System.out.println("TreeSet should have contained this element!!");
        System.exit(1);
    }
}

private boolean nodesAreInDifferentSets(int a, int b) {
    // returns true if graph nodes (a,b) are in different
    // connected components, ie the set for 'a' is different
    // from that for 'b'
    return (!nodes[a].equals(nodes[b]));
}
```

Design Analysis of Algorithm

```
private void printFinalEdges() {
    System.out.println("The minimal spanning tree generated by "+
        "\nKruskal's algorithm is: ");
    while (!allNewEdges.isEmpty()) {
        // for each edge in Vector of MST edges
        Edge e = (Edge) allNewEdges.firstElement();
        System.out.println("Nodes: (" + e.from + ", " + e.to +
            ") with cost: " + e.cost);
        allNewEdges.remove(e);
    }
}

class Edge implements Comparator {
    // Inner class for representing edge+end-points
    public int from, to, cost;
    public Edge() {
        // Default constructor for TreeSet creation
    }
    public Edge(int f, int t, int c) {
        // Inner class constructor
        from = f; to = t; cost = c;
    }
    public int compare(Object o1, Object o2) {
        // Used for comparisons during add/remove operations
        int cost1 = ((Edge) o1).cost;
        int cost2 = ((Edge) o2).cost;
        int from1 = ((Edge) o1).from;
        int from2 = ((Edge) o2).from;
        int to1 = ((Edge) o1).to;
        int to2 = ((Edge) o2).to;

        if (cost1 < cost2)
            return(-1);
        else if (cost1 == cost2 && from1 == from2 && to1 == to2)
            return(0);
        else if (cost1 == cost2)
            return(-1);
        else if (cost1 > cost2)
            return(1);
        else
            return(0);
    }
    public boolean equals(Object obj) {
        // Used for comparisons during add/remove operations
        Edge e = (Edge) obj;
        return (cost == e.cost && from == e.from && to == e.to);
    }
}
}
```

Input output:

Design Analysis of Algorithm

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB6>java Kruskal input.txt
```

```
[Kruskal] - 2011
```

```
The minimal spanning tree generated by
```

```
Kruskal's algorithm is:
```

```
Nodes: (1, 2) with cost: 1
```

```
Nodes: (2, 3) with cost: 2
```

```
Nodes: (6, 7) with cost: 3
```

```
Nodes: (4, 5) with cost: 3
```

```
Nodes: (4, 7) with cost: 4
```

```
Nodes: (2, 5) with cost: 4
```

Complexity: $\Theta((n-1) * 2e f(2e,n))$ where n is number of nodes, e is number of edges and $f(2e,n)$ is the slowly growing function. And $(e \log n) > f(2e,n)$ so complexity can be considered as $\Theta(e \log n)$.

LAB 7.

1.AIM. To implement Binomial theorem.

```
class Binomial
{
    public static void main(String args[])
    {
        //      int ans=1;
        int f[][] = new int[Integer.parseInt(args[0])+2]
[Integer.parseInt(args[1])+2]; //{1,0,0,0,0,0,0,0,0,0,1};
        if(Integer.parseInt(args[0]) < Integer.parseInt(args[1]) )
        {
            System.out.println("0");
            //exit(1);
        }
        for(int n=0;n<=Integer.parseInt(args[0])+1;n++)
        {
            for(int k=0;k<=Integer.parseInt(args[1])+1;k++)
            {
                if(n==k)
                    f[n][k] = 1;
            }
        }
        for(int n=0;n<=Integer.parseInt(args[0])+1;n++)
        {
            for(int k=0;k<=Integer.parseInt(args[1])+1;k++)
            {
                if(n>k)
                    f[n][k] = 0;
            }
        }

        for(int n=1;n<=Integer.parseInt(args[0])+1;n++)
        {
            for(int k=1;k<=Integer.parseInt(args[1])+1;k++)
            {
                f[n][k] = f[n-1][k-1] + f[n-1][k];
                //System.out.print(f[n][k]);
            }
            //System.out.println();
        }
        System.out.println( f[Integer.parseInt(args[0])+1]
[Integer.parseInt(args[1])+1] );
    }
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB7>java Bin

Design Analysis of Algorithm

```
omial 1 2
0
0
```

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB7>java Bin
omial 5 4
5
```

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB7>java Bin
omial 5 5
1
```

Complexity:

2.AIM. Fibonacci series

```
class Fibonacii
{
    public static void main(String args[])
    {
        //int i = Integer.parseInt(args[0]);
        int ans=1;
        int f[] = {0,1,0,0,0,0,0,0,0,0,0};
        for(int i=2;i<=Integer.parseInt(args[0])+1;i++)
        {
            f[i] = f[i-1] + f[i-2];
        }
        System.out.println( f[Integer.parseInt(args[0])+1] );
    }
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB7>java Fib
onacii 5
8
```

Complexity:

3.AIM. To write a program for finding Longest Common Sub-sequence.

```
class LCS
{
```

Design Analysis of Algorithm

```
public static void main(String args[])
{
    char x[] = {'x','A','B','C','B','D','A','B'};
    char y[] = {'x','B','D','C','A','B','A'};
    int m=x.length;
    int n=y.length;
    int c[][] = new int[m][n];
    for(int i=0; i<n; i++)
    {
        c[0][i] = 0;
    }
    for(int j=0; j<m; j++)
    {
        c[j][0] = 0;
    }
    for(int i=1;i<m;i++)
    {
        for(int j=1;j<n;j++)
        {
            if(x[i] == y[j])
            {
                c[i][j] = c[i-1][j-1] + 1;
            }
            else
            {
                if(c[i-1][j] >= c[i][j-1])
                    c[i][j] = c[i-1][j];
                else
                    c[i][j] = c[i][j-1];
            }
        }
    }
    for(int i=0;i<m;i++)
    {
        for(int j=0;j<n;j++)
        {
            System.out.print(c[i][j]);
        }
        System.out.println();
    }
    System.out.println(c[m-1][n-1]);
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB7>java LCS

```
0000000
0000111
0111122
0112222
0112233
0122233
```

Design Analysis of Algorithm

0122334

0122344

4

Complexity: $O(m * n)$ where m is the length of string 1 and n is the length of string 2.

LAB 8.

1.AIM. To find All pair shortest path

```
class AllPairShortestPath
{
    static int D0[][] = { {0,5,999,999},
                          {50,0,15,5},
                          {30,999,0,15},
                          {15,999,5,0} };
    static int p[][] = new int[4][4];
    public static void main(String args[])
    {
        for(int i=0;i<4;i++)
        {
            for(int j=0;j<4;j++)
            {
                p[i][j] = 0;
            }
        }
        for(int k=0;k<4;k++)
        {
            for(int i=0;i<4;i++)
            {
                for(int j=0;j<4;j++)
                {
                    if(D0[i][j] > (D0[i][k] + D0[k][j])) {
                        D0[i][j] = D0[i][k] + D0[k][j];
                        p[i][j] = k+1;
                    }
                }
            }
        }
        for(int i=0;i<4;i++)
        {
            for(int j=0;j<4;j++)
            {
                System.out.print(" "+D0[i][j]);
            }
            System.out.println();
        }
        System.out.println();
        for(int i=0;i<4;i++)
        {
            for(int j=0;j<4;j++)
            {
                System.out.print(" "+p[i][j]);
            }
            System.out.println();
        }
    }
}
```

Design Analysis of Algorithm

```
    }  
    }  
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB8>java All
PairShortestPath

```
0 5 15 10  
20 0 10 5  
30 35 0 15  
15 20 5 0
```

```
0 0 4 2  
4 0 4 0  
0 1 0 0  
0 1 0 0
```

Complexity: $O(n * n * n)$ where n is the number of cities.

2.AIM. Matrix Chain Multiplication

```
class MCM  
{  
    static int P[] = {30,35,15,5,10,20};  
    static int s[][] = new int[P.length][P.length];  
    public static void main(String args[])  
    {  
        int n = P.length-1;//6-1=5  
        int j = 0;  
        int m[][] = new int[P.length][P.length];  
        int i=0,k=0,l=0,t=0,ans=0;  
        for(i=0;i<n;i++)  
        {  
            m[i][i] = 0;  
        }  
  
        for(l=1;l<=n-1;l++)  
        {  
            //System.out.println("l="+l+" ");  
            for(i=0;i<=(n-(l+2)+1);i++)  
            {  
                //System.out.print("i="+i+" ");  
                j=(l+1)+i-1; m[i][j] = 999999;  
                //System.out.print("j="+j+" ");  
                for(k=i;k<=j-1;k++)  
                {  
                    t = m[i][k] + m[k+1][j] + (P[i]*P[k+1]*P[j+1]);  
                    //System.out.print((P[i]*P[k+1]*P[j+1]));  
  
                    //System.out.print("m["+i+"]"+"["+k+"]="+m[i][k]
```

Design Analysis of Algorithm

```
+ "+");  
                                     //System.out.print("m["+(k+1)+"]"+"["+j+"]="+m[k+1]  
[j]);  
                                     //System.out.print("\t"+"m["+i+"]"+"["+j+"]="+t+"\t")  
;  
                                     //System.out.print("k="+k+"    ");  
    ans = t;  
    if(t < m[i][j])  
    {  
        m[i][j] = t;  
        s[i][j] = k;  
    }  
    }  
    //System.out.println();  
}  
//System.out.println();  
}  
System.out.println(" "+m[0][4]);  
for(i=1;i<P.length;i++)  
{  
    for(j=1;j<P.length;j++)  
    {  
        if(i<=j)  
            System.out.print(" "+s[i][j]);  
    }  
    System.out.println();  
}  
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB8>java MCM

```
11875  
0 1 2 2 0  
0 2 2 0  
0 3 0  
0 0  
0
```

Complexity: $O(n * n * n)$ where n is number of matrix to multiply.

LAB 9.

1.AIM. Memory Function Knapsack (0/1)

```
class MemFuncKnapsack
{
    public static int weight = 0;
    public static int wArr[] = {0,2,1,3,2};
    public static int resultArr[] = {0,0,0,0,0};
    public static int proArr[] = {0,12,10,20,15};
    public static int vArr[][] = new int[5][6]; //{-1,-1,-1,-1,-1};
    public static int totalWeight = 5;
    public static int totalProfit = 0;

    public static void main(String args[])
    {
        for(int k=0;k<5;k++)
        {
            for(int l=0;l<6;l++)
            {
                vArr[k][l] = -1;
            }
        }
        vArr[0][0] = 0;
        vArr[1][0] = 0;
        vArr[2][0] = 0;
        vArr[3][0] = 0;
        vArr[4][0] = 0;
        vArr[0][1] = 0;
        vArr[0][2] = 0;
        vArr[0][3] = 0;
        vArr[0][4] = 0;
        vArr[0][5] = 0;

        System.out.println(MF_Knapsack(4,5));
        for(int k=0;k<5;k++)
        {
            for(int l=0;l<6;l++)
            {
                System.out.print("\t"+vArr[k][l]+" ");
            }
            System.out.println();
        }
    }
    public static int max(int i,int j)
    {
        if(i>=j)
        {
            return i;
        }
    }
}
```


Design Analysis of Algorithm

```
        return j;
    }
    public static int MF_Knapsack(int i,int j)
    {
        if(vArr[i][j] < 0)
        {
            if(j < wArr[i])
            {
                MF_Knapsack(i-1,j);
            }
            else
            {
                System.out.println("i="+i+"j="+j);
                int val = max(MF_Knapsack(i-1,j), (proArr[i]+MF_Knapsack(i-1,j-wArr[i])) );
                vArr[i][j] = val;
            }
        }
        return vArr[i][j];
    }
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB9>java Mem
FuncKnapsack

i=4j=5
i=3j=5
i=2j=5
i=1j=5
i=1j=4
i=2j=2
i=1j=2
i=3j=3
i=2j=3
i=1j=3

37

0	0	0	0	0	0
0	-1	12	12	12	12
0	-1	12	22	-1	22
0	-1	-1	22	-1	32
0	-1	-1	-1	-1	37

Complexity:

2.AIM. Sum Of Subsets

```
class Sos{
```

Design Analysis of Algorithm

```
public static int w[] = {7,11,13,24};
public static int x[] = {0,0,0,0};
public static int m = 31;
public static void main(String args[])
{
    sos(0,0,55);
}
public static void sos(int s,int k,int r)
{
    x[k] = 1;
    if(s+w[k] == m)
    {
        for(int i=0;i<x.length;i++)
        {
            System.out.println(x[i]);
        }
    }
    else if(s+w[k]+w[k+1] <= m)
    {
        sos(s+w[k],k+1,r-w[k]);
    }
    if(s+r-w[k] >= m && s+w[k+1] <= m)
    {
        x[k] = 0;
        sos(s,k+1,r-w[k]);
    }
}
}
```

Input output:

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB9>java Sos

1
1
1
1
0

1
0
0
1

Complexity: $O(p(n) * 2^n)$ or $O(q(n) * n!)$ where n is the number of nodes in back tracking tree. And $p(n)$ and $q(n)$ are bounding functions.

Design Analysis of Algorithm

LAB10:

1.AIM: To implement Fifteen Puzzle problem

```
import java.util.HashMap;
import java.util.LinkedList;
import java.util.Map;
import java.util.Queue;

class FifteenPuzzle {

    Map<String,String> stateHistory = new HashMap<String,String>(); // relates
each position to its predecessor
    Map<String,Integer> stateDepth = new HashMap<String,Integer>();
    Queue<Integer[][]> agenda=new LinkedList<Integer[][]>();
    final int GRIDSIZE=4;
    int row=0,col=0;
    public static void main(String args[]){

        Integer init[][]={{1,2,3,4},{5,6,0,8},{9,10,7,11},{13,14,15,12}};

        FifteenPuzzle e = new FifteenPuzzle();                // New Instance of the
EightPuzzle

        e.add(init,null);                                        // Add
the Initial State

        while(!e.agenda.isEmpty()){
            Integer[][] currentState = e.agenda.remove();
            e.up(currentState);                                // Move the
blank space up and add new state to queue
            e.down(currentState);                              // Move the
blank space down
            e.left(currentState);                               // Move left
            e.right(currentState);                             // Move right and
remove the current node from Queue
        }

        System.out.println("Solution doesn't exist");
    }

    //Add method to add the new Integer[][] to the Map and Queue
    void add(Integer newState[][], Integer oldState[][]){
        if(!stateDepth.containsKey(convertToString(newState))){
            int newValue = oldState == null ? 0 :
stateDepth.get(convertToString(oldState)) + 1;
            stateDepth.put(convertToString(newState), newValue);
            agenda.add(newState);
            stateHistory.put(convertToString(newState),
convertToString(oldState));
        }
    }
}
```

Design Analysis of Algorithm

```
    }  
}
```

/* Each of the Methods below Takes the Current State of Board as Integer[[]].
Then the operation to move the blank space is done if possible.

After that the new Integer[[]] is added to the map and queue.If it is the
Goal State then the Program Terminates.

```
*/  
void up(Integer[][] currentState){  
    Integer[][] nextState=new Integer[GRIDSIZE][GRIDSIZE];  
    getIndicesOfZero(currentState, nextState);  
    if(row!=0){  
        nextState[row-1][col]=currentState[row][col];  
        nextState[row][col]=currentState[row-1][col];  
        checkCompletion(currentState, nextState);  
    }  
}  
  
void down(Integer[][] currentState){  
    Integer[][] nextState=new Integer[GRIDSIZE][GRIDSIZE];  
    getIndicesOfZero(currentState, nextState);  
    if(row!=GRIDSIZE-1){  
        nextState[row+1][col]=currentState[row][col];  
        nextState[row][col]=currentState[row+1][col];  
        checkCompletion(currentState, nextState);  
    }  
}  
  
void left(Integer[][] currentState){  
    Integer[][] nextState=new Integer[GRIDSIZE][GRIDSIZE];  
    getIndicesOfZero(currentState, nextState);  
    if(col!=0){  
        nextState[row][col-1]=currentState[row][col];  
        nextState[row][col]=currentState[row][col-1];  
        checkCompletion(currentState, nextState);  
    }  
}  
  
void right(Integer[][] currentState){  
    Integer[][] nextState=new Integer[GRIDSIZE][GRIDSIZE];  
    getIndicesOfZero(currentState, nextState);  
    if(col!=GRIDSIZE-1){  
        nextState[row][col+1]=currentState[row][col];  
        nextState[row][col]=currentState[row][col+1];  
        checkCompletion(currentState, nextState);  
    }  
}  
  
private void checkCompletion(Integer[][] oldState, Integer[][] newState) {  
    add(newState, oldState);  
    Integer[][] completeState={{1,2,3,4},{5,6,7,8},{9,10,11,12},{13,14,15,0}};  
    boolean equality=true;  
    outer:for(int i=0;i<GRIDSIZE;i++){  
        for(int j=0;j<GRIDSIZE;j++){  
            if(newState[i][j]!=completeState[i][j]){  
                equality=false;  
                continue outer;  
            }  
        }  
    }  
    if(equality){  
        return true;  
    }  
    return false;  
}
```

Design Analysis of Algorithm

```
        equality=false;
        break outer;
    }
}

if(equality){
    System.out.println("Solution Exists at Level
"+stateDepth.get(convertToString(newState))+" of the tree");
    String traceState = convertToString(newState);
    while (traceState != null) {
        System.out.println(traceState + " at " +
stateDepth.get(traceState));
        traceState = stateHistory.get(traceState);
    }
    System.exit(0);
}
}

String convertToString(Integer[][] a){
    String str="";
    if(a!=null){
        for(int i=0;i<GRIDSIZE;i++){
            for(int j=0;j<GRIDSIZE;j++){
                str+=a[i][j];
            }
        }
    }
    else{
        str=null;
    }
    return str;
}

void getIndicesOfZero(Integer[][] currentState,Integer[][] nextState){
    for(int i=0;i<GRIDSIZE;i++){
        for(int j=0;j<GRIDSIZE;j++){
            nextState[i][j]=currentState[i][j];
        }
    }
    outer:for(int i=0;i<GRIDSIZE;i++){
        for(int j=0;j<GRIDSIZE;j++){
            if(currentState[i][j]==0){
                row=i;
                col=j;
                break outer;
            }
        }
    }
}
}
```

Input output:

Design Analysis of Algorithm

C:\Documents and Settings\jai shree krishna\Desktop\DAA_submission\LAB10>java FifteenPuzzle

Solution Exists at Level 3 of the tree

1234567891011121314150 at 3

1234567891011013141512 at 2

1234567891001113141512 at 1

1234560891071113141512 at 0

Complexity: $O(p(n) * 2^n)$ or $O(q(n) * n!)$ where n is the number of nodes in back tracking tree. And $p(n)$ and $q(n)$ are bounding functions.

2.AIM: To implement graph coloring problem

```
class GraphColoring
{
    public static int x[] = {0,0,0};
    /*public static int A[][] = {{0,1,1,0,1},
                                {1,0,1,0,1},
                                {1,1,0,1,0},
                                {0,0,1,0,1},
                                {1,1,0,1,0}};*/
    public static int A[][] = {{0,1,1},
                                {1,0,1},
                                {1,1,0},
                                };
    public static int m = 3;
    public static int n = 2;
    public static void main(String args[])
    {
        mColoring(0);
    }
    public static void mColoring(int k)
    {
        while(true)
        {
            nextValue(k);
            //System.out.println(x[k]);
            if(x[k] == 0)
            {
                //System.out.println("no coloring is possible");
                return;
            }
            if(k==n)
            {
                for(int i=0;i<x.length;i++)
                {
                    System.out.print(x[i] + " ");
                }
            }
        }
    }
}
```

Design Analysis of Algorithm

```
        System.out.println();
    }
    else
        mColoring(k+1);
}

}

public static void nextValue(int k)
{
    int j=0;
    while(true)
    {
        x[k] = (x[k] + 1) % (m+1);
        if(x[k] == 0) return;
        for(j=0;j<n;j++)
        {
            if( (A[k][j] != 0) && x[k] == x[j])
            {
                break;
            }
        }
        if(j==n){
            return; }
    }
}
}
```

Input output:

```
C:\Documents and Settings\jai shree krishna\Desktop>java GraphColoring
1 2 3
1 3 2
2 1 3
2 3 1
3 1 2
3 2 1
```

Complexity: size of tree = $\sum_{(i=0 \text{ to } n-1)} (m^i)$
complexity of bounding function $O (m * n)$ where m is the number of colors and n is the number of nodes in graph.
Therefor, complexity is: size of tree * complexity of bounding function.

LAB11:

1. AIM: To implement Horpool's String Matching Alg

```
class Horspool
{
    static int table[] = new int[26];

    //static char pattern[] = {'B','A','R','B','E','R'};

    //static char text[] =
    {'J','I','M','S','A','W','M','E','I','N','A','B','A','R','B','E','R','S','H','O','P'};

    static char pattern[] = {'A'};

    static char text[] =
    {'J','I','M','S','A','W','M','E','I','N','A','B','A','R','B','E','R','S','H','O','P'};

    public static void main(String args[])
    {
        int m = pattern.length;

        for(int j=0; j<table.length-1; j++)
        {
            table[j] = pattern.length;
        }

        for(int j=0; j<=m-2; j++)
        {
            table[((int)pattern[j])%65] = m-1-j;

            System.out.println("for pattern char:"+pattern[j]
+table[((int)pattern[j])%65]);
        }
    }
}
```


Design Analysis of Algorithm

```
int i = m-1;
int n = text.length;
while(i <= n-1)
{
    int k = 0;
    while( k < m && pattern[m-k-1] == text[i-k])
    {
        k = k + 1;
    }
    if(k == m){
        System.out.println("pattern occurs at:"+(i-m+2));
        i = i + table[((int)text[i])%65];
    }
    else{
        i = i + table[((int)text[i])%65];
    }
}
}
```

Input Output:

```
[user1@centos LAB11]$ javac Horspool.java
```

```
[user1@centos LAB11]$ java Horspool
```

```
pattern occurs at:5
```

```
pattern occurs at:11
```

```
pattern occurs at:13
```

Complexity: $\Theta(m * n)$ where m is length of pattern and n is the length of text.