

— title: “assignment module 9” author: “sai prasad desineni/811191807” date: “11/6/2022” output:
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Setting default values to get a clean output

```
knitr::opts_chunk$set(message = FALSE)
knitr::opts_chunk$set(warning = FALSE)
```

I'm loading the necessary packages.

```
library(lpSolve)
library(lpSolveAPI)
```

Loading the LP file from the current directory and printing the model.

The amounts over and below the employment level goal, respectively, are defined as $y1p$ and $y1m$. In order to achieve the desired level of profits the next year, $Y2p$ and $Y2M$ are defined similarly. The production velocities of Products 1, 2, and 3 are denoted by the variables $x1$, $x2$, and $x3$, accordingly. The objective function is also expressed in terms of $x1$, $x2$, and $x3$, as well as $y1p$, $y1m$, $y2p$, and $y2m$.

```
ema_rd <- read.lp("C:/Users/desineni/Downloads/emax.lp")
print(ema_rd)
```

```
## Model name:
##           X1      X2      X3      Y1P      Y1M      Y2M      Y2P
## Maximize   20     15     25      -6      -6      -3       0
## R1         6      4      5      -1       1       0       0 = 50
## R2         8      7      5       0       0       1      -1 = 75
## Kind       Std     Std     Std     Std     Std     Std     Std
## Type       Real    Real    Real    Real    Real    Real    Real
## Upper      Inf     Inf     Inf     Inf     Inf     Inf     Inf
## Lower       0      0      0       0       0       0       0
```

The impact (per unit of production) of each new product on each of these factors is shown in the table below:

```
ema_table <- matrix(c("Total Profit", "Employment Level", "Earnings Next Year",
                      20,6,8,
                      15,4,7,
                      25,5,5,
                      "Maximize", "=50", ">=75",
                      "Millions of Dollars", "Hundreds of Employees", "Millions of Dollars"), ncol=6,
                    byrow = F)

colnames(ema_table) <- c("Factor", "Product 1", "Product 2", "Product 3", "Goal", "Units")

as.table(ema_table)
```

```
##   Factor           Product 1 Product 2 Product 3 Goal
## A Total Profit       20         15         25    Maximize
## B Employment Level   6          4          5      =50
## C Earnings Next Year  8          7          5      >=75
##   Units
## A Millions of Dollars
## B Hundreds of Employees
## C Millions of Dollars
```

The values of the goals and variables can be obtained by solving the goal programming model.

```
solve(ema_rd)
```

```
## [1] 0
```

```
get.objective(ema_rd)
```

```
## [1] 225
```

```
get.variables(ema_rd)
```

```
## [1] 0 0 15 25 0 0 0
```

Interpretation:

a) The combination units that businesses must use to maximize their objective function are X_1 , X_2 , and X_3 . Products 1 and 2 cannot be produced in the manner planned according to X_1 for Product 1, X_2 for Product 2, and X_3 for Product 3. H. Since the outcome was “0,” 20 units of product 1 and 15 units of product 2 cannot be produced. The X_3 has changed, though. H. The company can only create Product 3 at this time. H. 15 units of product 3 to increase profits.

b) The maximum number of employees was set at 5000 with the intention of stabilizing the employment level; however, in this instance, the company had 2500 more employees than allowed (y_{1p}) and was therefore penalized and required to pay an increase in employee’s wages.

c) Understanding the revenue growth or decline from current levels over the following several years was the aim of Y_{2P} and Y_{2M} . In this instance, it is denoted by a ‘0,’ signifying that there has been neither a gain in revenue nor a drop in revenue compared to this next level. Year income is given back in the current year. As a result, the revenue for the following year won’t change.

4. The value of the objective function provides the profit that the company aims to optimize. This value in this instance is \$225 million.