$\mathbf{Q}\mathbf{1}$

The counts are non-negative even integers. The counts are even since (assuming that the counts that are being referred to include at least one input and at least one output) for every input and output conforming to the count (ie, assume that the accumulated sum of inputs' bits is I and that of outputs' bits is I, then we would've $I \oplus O = 0$) we have the following: $-!I \oplus !O = 0$ - If $I = \oplus i_k$, then $!I = !i_1 \oplus i_k$ and similarly for the outputs - Since I and O both have at least one input and one output, for every pair of I and O; there exists a pair of !I and !O distinct from the I and O; and hence, the counts would have to be even.

The time complexity of the computation is $O(2^{2^n})$ for all input combinations times $O(2^{2^n})$ for all output combinations times $O(2^{2^n})$ for all inputs to calculate the bias (ignoring -1 for both input mask and output mask $) = O(2^{2^{3n}}) = O((2^{2^n})^3)$ where n is the size of the S-box in bits, here n=8, hence in numerical terms, the time complexity is $O(2^{2^{2^4}})$.

The bias table (the table containing the counts) is included in this folder (table.txt) and the histogram is as follows -

