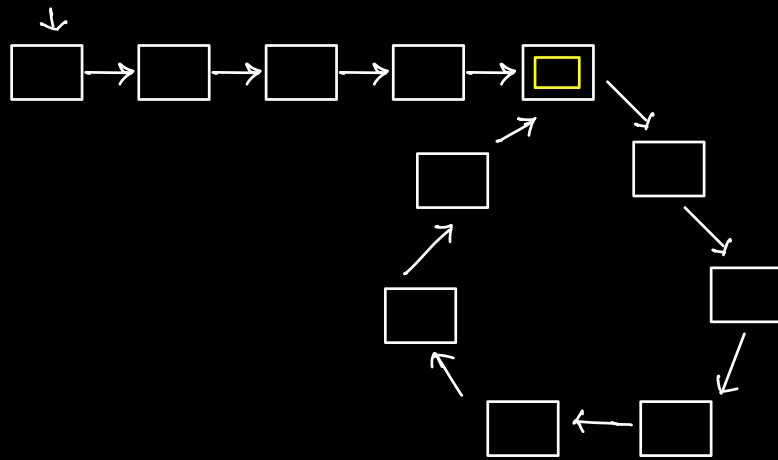


## # Cycle Detection in L.L

- Detect if there's a cycle in L.L
- Find the first node / start node of the cycle.



### ① HashMap / HashSet.

HashSet<Node> set;

→ Iterate over the LL, if the node is already present in the set then there's a cycle.

Steps: Iterate over the LL:

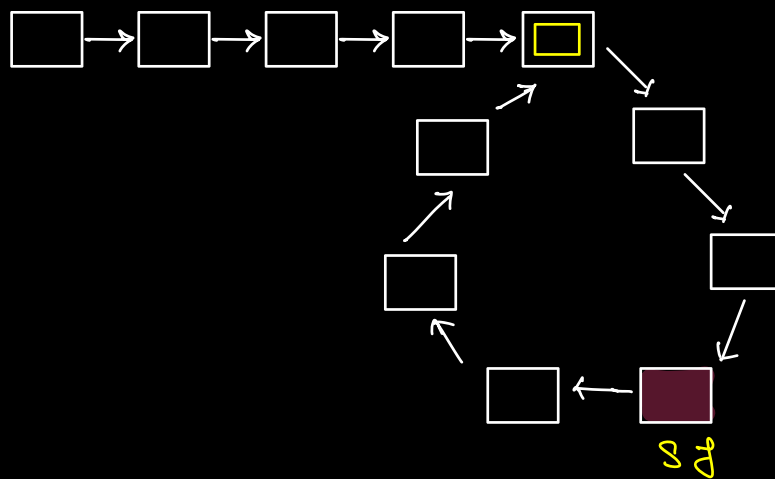
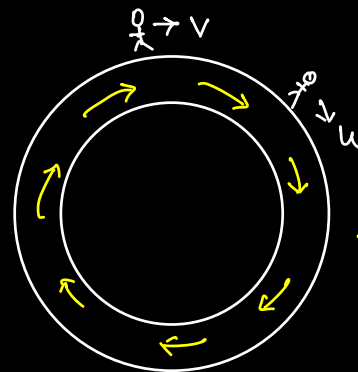
for every node:

Check if it is present in the Set or not ⇒

this Node is the start of the cycle. ← { if yes ⇒ return true;  
else ⇒ insert node in the Set & move to next.

TC :  $O(N)$   
 SC :  $O(1)$

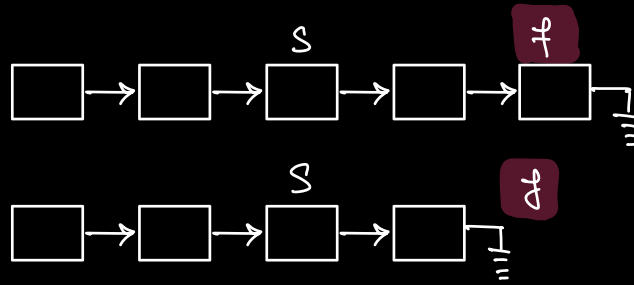
② 2 pointers.



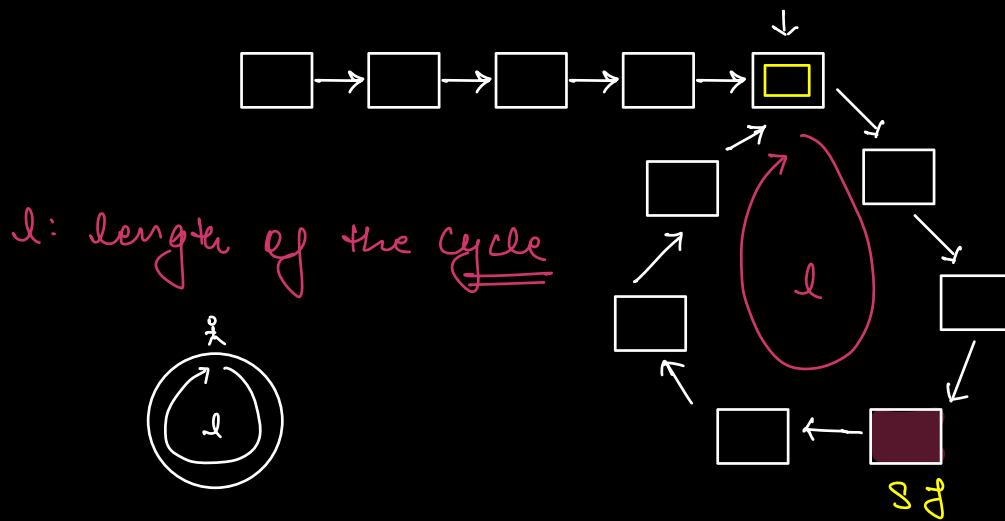
```

slow = head;
fast = head;
while (fast != Null && fast.next != null) {
    slow = slow.next
    fast = fast.next.next
    if (slow == fast) return true;
}
return false;

```



# Find the start of the cycle:-

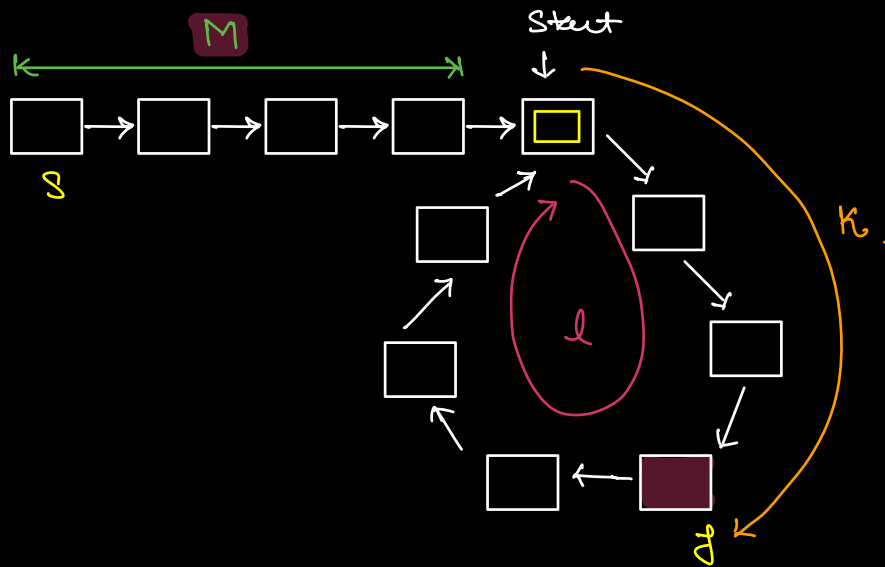


If the length of the cycle is ① 4 we start with the first node of cycle then:

after  $l$  iterations  $\rightarrow$  we'll reach start again

"	$2l$	"	$\rightarrow$	"	"	"	"
"	$9l$	"	$\rightarrow$	"	"	"	"
"	$xl$	"	$\rightarrow$	"	"	"	"

$\uparrow$   
int



$$\begin{aligned} \text{dist}(\text{fast}) &= M + nl + k \\ \text{dist}(\text{slow}) &= M + yl + k \end{aligned}$$

$$\text{dist}(\text{fast}) = 2 * \text{dist}(\text{slow})$$

$$M + nl + k = 2(M + yl + k)$$

$$M + nl + k = 2M + 2yl + 2k$$

$$(n - 2y)l = M + k$$

$$p * l = M + k$$

$$\underbrace{M + k} \Rightarrow \text{integer multiple of } \underline{\underline{l}}$$

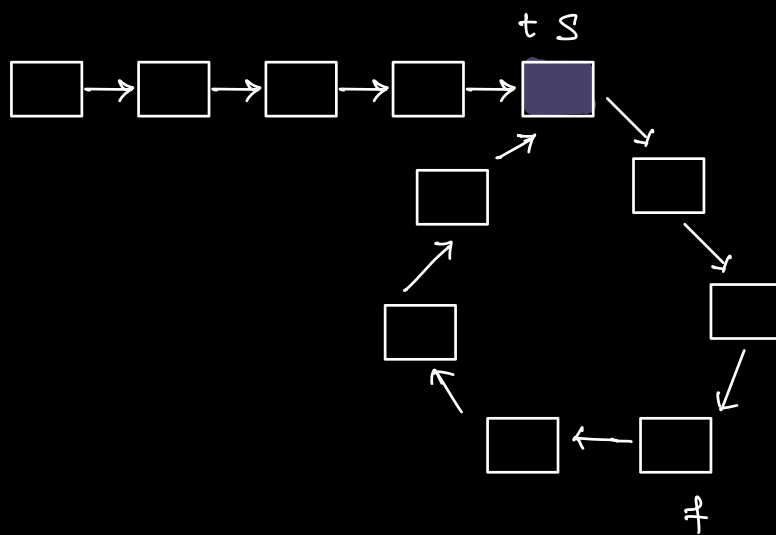
⇒ If we perform  $M+k$  iterations from the start node of the cycle then we'll end up at start node again, because  $M+k$  is an integer multiple of  $L$ .

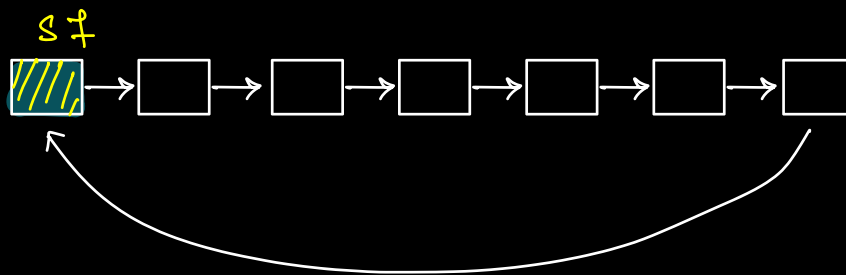
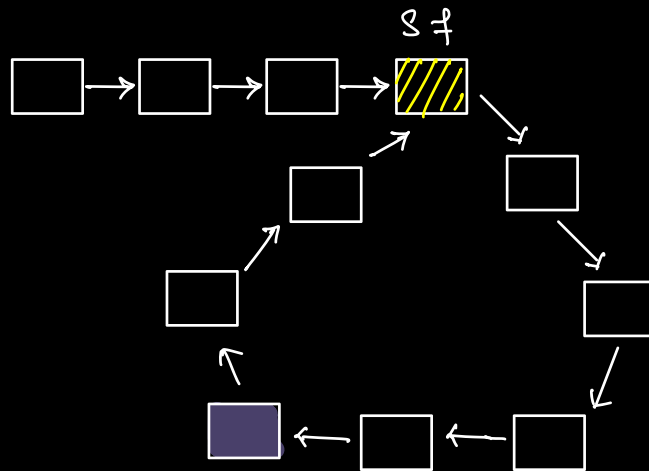
⇒ The meeting point is at  $(k)$  distance from start node, so  $(M)$  iterations from the meeting point will take us to the start node.

⇒ To do  $(M)$  iterations from the meeting point,

Start one node from the head & other from the meeting point and move them by one pointer each

⇒ These pointers will meet at start node of the cycle.





$TC: O(N)$   
 $SC: O(1)$

Floyd's Cycle Detection Algorithm.

Spotify : 10M songs.

⇒ Caching (LRU Cache Implement)

Cache

↳ Small piece of memory which is very fast to access.

→ Cache H/w is very cost.

→ It reduces query time significantly.

# Spotify.

Naatu

Cache

295
Calun down
Energy
Bones

→ Cache Eviction Policy.

- Least Recently Used (LRU)
- Least frequently Used
- ...

Cache

MRP

Naatu
Calun down
Bones
Energy

LRP

LRU.

~~295~~

- Search(n)
- Insert(n) at Most recent pos
- delete()

	<u>Array</u>	<u>LL</u>	<u>DLL + HM</u>
Search	$O(N)$	$O(N) \rightarrow O(1)$ <small>HM/set</small>	$O(1)$
delete	$O(N)$ <u>(shifting)</u>	$O(1)$ <u>(Search is already done)</u>	$O(1)$
insert	$O(1)$	$O(1)$	$O(1)$

Cache-Capacity = 3

HashMap

<int, node>

~~2 : N<sub>1</sub>~~

~~4 : N<sub>2</sub>~~

5 : N<sub>3</sub>

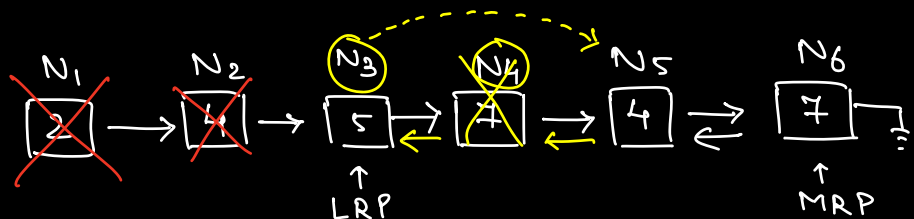
~~7 : N<sub>4</sub>~~

4 : N<sub>5</sub>

7 : N<sub>6</sub>

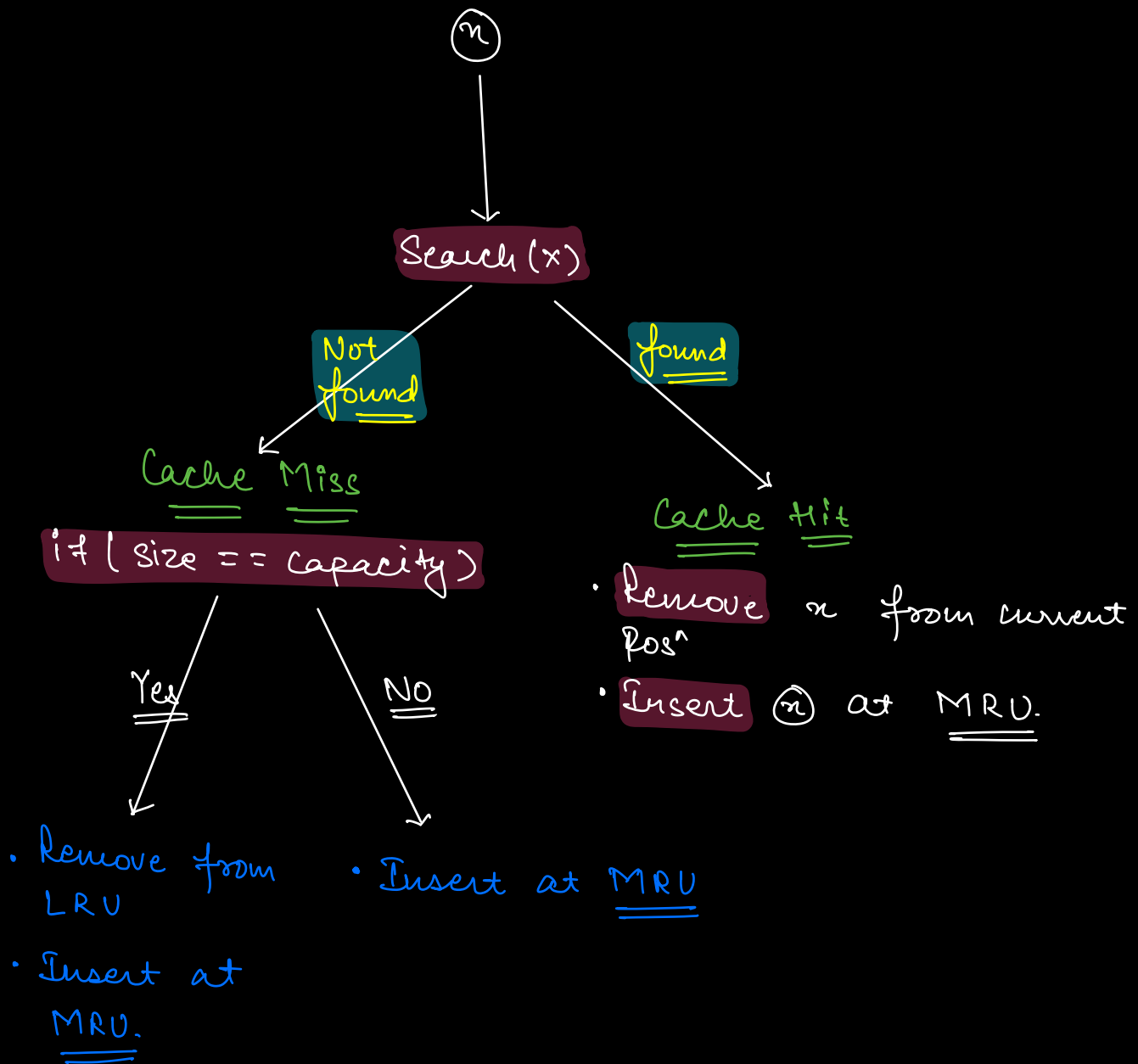
(2) (4) (5) (7) (4) (7)

delete at LRU  
↓  
insert at MRU.



⇒ Doubly Linked List (DLL)





⇒ DLL + HashMap : All operations are supported in  $O(1)$

3

3



3

3

3

3

3

3

3

3

3



3