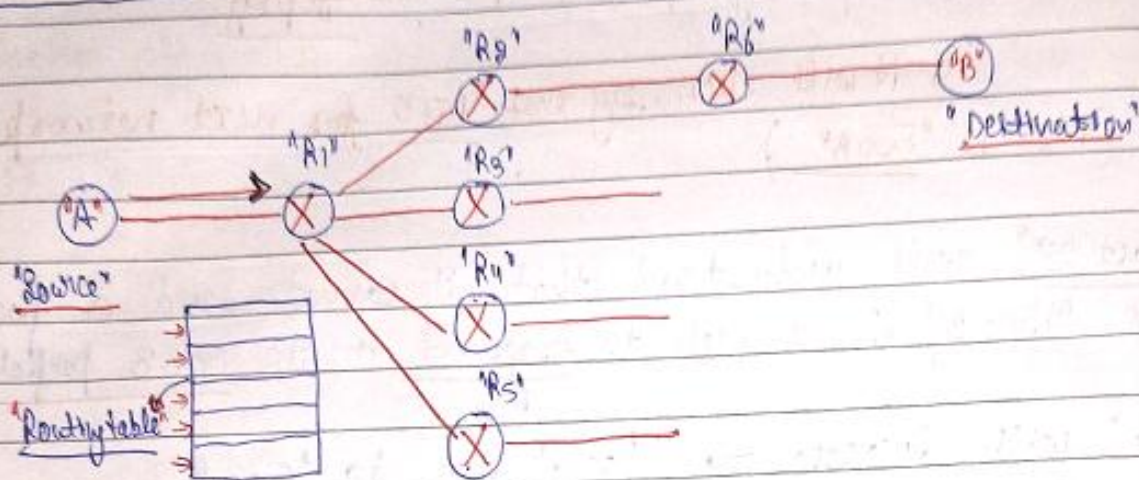


"ROUTING"

let us see how a "router" sends a "packet" \Rightarrow



Now when we send a packet to router "R1". How would it know which way to send the packet?

\rightarrow whether to send it to

"R2"

or

"R3" or "R4" or "R5".

So, how does a router come to know about a "destination" or how does it know about, among all the "outgoing paths" which one is the "best path to follow"?

If we can answer it by a "Routing-Table". Then this process is known as "Routing".

So, at router "R1", we have a "routing table" so we take the "packet" & search for all the "rows" in the "routing-table".

The process of constructing a "Routing-Table" itself is known as "Routing".

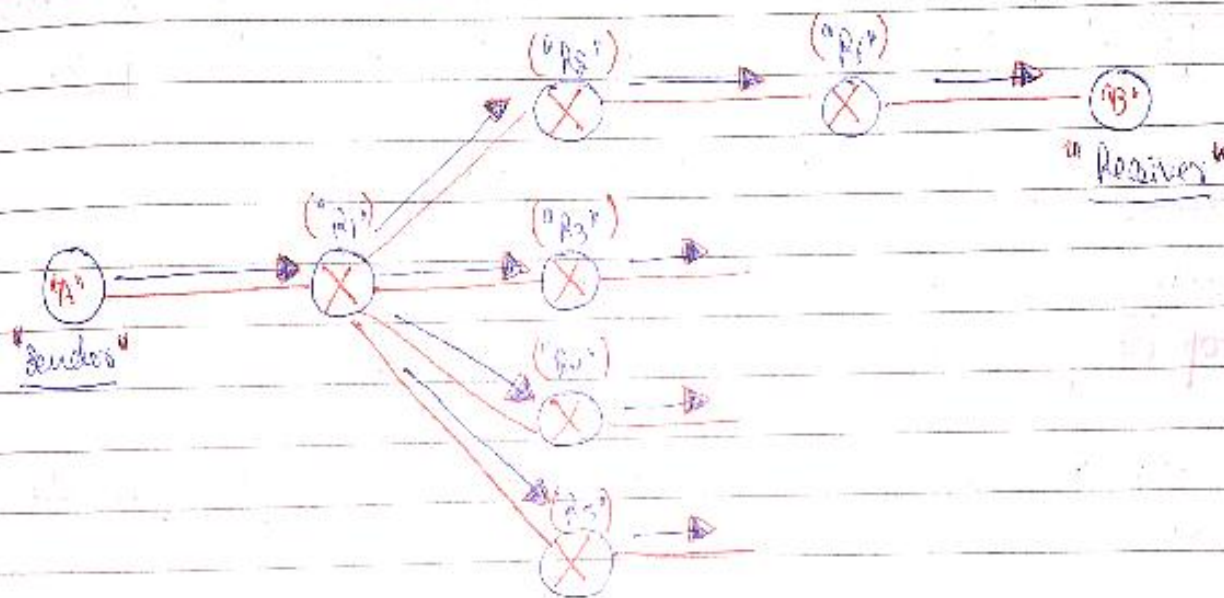
Taking an "incoming packet" & sending it out is known as "switching" & not as "routing".

→ Routing → The process of creating a "Routing table". at every router is known as "routing".

Even if we don't have a "routing table" still we would be able to "survive".

→ There is another method known as "flooding".

"Flooding" means, if we don't know which way to "send a packet". Then the best way to send the "packet" is to send it to all the available "interfaces". (towards all possible directions).



So, if "R1" doesn't know which way to send the "packet", then it can send it in all the "possible directions".

So, if "every router" use this method of "flooding" then at least one packet will reach the "Receiver".

Let us now see the difference b/w "Routing & "Flooding" →

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"Flooding" \Rightarrow It means taking a "packet" from incoming interface & putting it on all the "outgoing interfaces", except the one on which "it has arrived".

"Advantages of Flooding" \Rightarrow

- 1> No. ("routing tables") are required.
- 2> (Shortest path) is always (guaranteed).
(because "packets" are sent on all the "outgoing paths")
- 3> (Highly reliable) \Rightarrow Since we are "sending packets" towards destination through all the ways/paths even if one path is down, the packet might reach the "destination" through "other path".

"Disadvantages of Routing" \Rightarrow (Compared to flooding)

- 1> "Routing tables" are required. (At every router we must stop the packet & do some processing on it.)
- 2> Shortest path is not "guaranteed". (It depends on the algorithm we use.)
- 3> "May not be reliable" because if the chosen path for delivering a "packet" to "destination" is "itself down".

\Rightarrow "Disadvantages of flooding" \Rightarrow

- 1> "Destination" is going to get many packets (duplicate packets will arrive)
- 2> Since a single packet is multiplied many times, then traffic is increased.



"Various Protocols"

my companion

<u>"Layer"</u>	<u>"Protocols"</u>
<u>"Application"</u> :	DHCP, DNS, Gopher, NNTP, NTP, SIP, SSI, NFS, Netconf, SMTP, HTTP, FTP, Telnet, IMAP, POP, BOOTP
<u>"Presentation"</u> :	MIME, TLS, SSL, XDR
<u>"Session"</u> :	Named pipes, Net Bios, SAP, SIP, ZIP, PPTP, L2TP
<u>"Transport"</u> :	TCP, UDP, SCTP, DCCP
<u>"Network"</u> :	IPv4 (4,6), ICMP, IPSEC, IGMP, IPX, Apple Talk, All routing protocols, RARP, ARP, DHCP, BOOTP
<u>"Physical"</u> :	ATM, X.25, frame relay, Ethernet, 802.11, 802.15, 802.16 USB, Bluetooth, DSL, SONET/SDH

→ "Advantages of Routing" ⇒

- 1) No duplicate packets
- 2) low traffic.

in "internet" we are going to use
"Routing"

⇒ "Types of Routing Algorithms" ⇒

"Routing"



"Static"

"Dynamic"

"Not scalable"
(Everything has to be done manually)



"Static-Routing-Algorithms" \Rightarrow If "routing-tables" are manually prepared & uploaded offline, then it is known as "Static" routing. It is done manually.

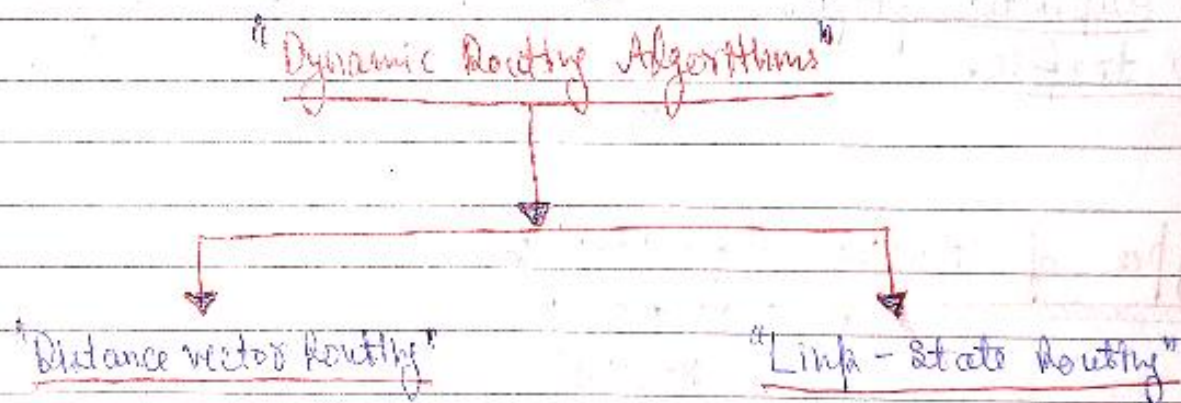
The problem with this is that there is no such entity which can keep track of all the "routers" in the "world".


Depending upon the changes in "Topology of the Network" & traffic, these algorithms don't change the routing tables themselves.

"Dynamic-Routing-Algorithms" \Rightarrow There is no manual intervention. Everything is done by the "router" itself.

Depending upon changes in the "Network topology" and "traffic", these algorithms will change the routing tables auto-
matically.

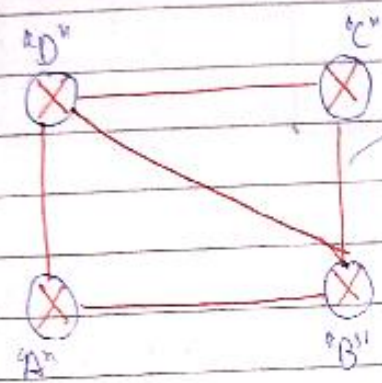
Note \Rightarrow "Dynamic-algorithms" are generally used in Internet whereas "Static-Routing-Algorithms" are not used.



 "Distance-Vector-Routing Algorithm" \Rightarrow
very popular in 1980's.

Explanation of "Distance Vector Routing Algorithm" algorithm with help of an example.

Here in "Distance-Vector-Routing" we are worried about the "so-
lutions" & "shortest distance b/w routers".



→ These are the "links" which are
"connecting the routers".

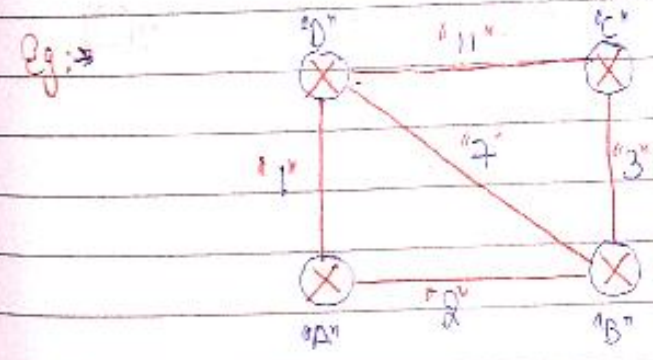
There will be some numbers
associated with these links which will either be →

↳ "cost" of the "edge" or "link".

↳ "Distance" or traffic or crow-
 ing delay etc

It means we can "interpret" the numbers associated with
these "links" in many ways.

Our motive is to find the path having "least edge weight/cost"
b/w every pair of "vertices".



First step is, at "each router" we will maintain a "local-
 routing-table".

Note \Rightarrow In "DVR" every "node" knows only about its "neighbors".
 It doesn't know about a "node" which is not its "neighbor". (Every node knows how many routes are there to total)
 my companion

Each "local-routing-table" will have "three fields" \Rightarrow

Destination	Distance	Next-Hop

"Local Routing Table" at "B" is as \Rightarrow

Dest	Dist	N-H
A	2	A
B	0	B
C	3	C
D	7	D

This is the "table" prepared by node "B" using its local knowledge.

"Local Routing Table" prepared by "A" is as \Rightarrow

Dest	Dist	N-H
A	0	A
B	2	B
C	∞	—
D	1	D

(becoz "A" is not a neighbor of "C")

"Local - Routing - Table" prepared by router "C" is as \Rightarrow

Dest	Dist	N-H
A	∞	—
B	3	B
C	0	C
D	11	D

* Vectors in Computer Science means an Array *

→ "Distance vector"

"Local-Router-Table" prepared by router "D" is as follows:

<u>"Dest"</u>	<u>"Distn"</u>	<u>"Next"</u>
A	1	A
B	7	B
C	11	C
D	0	D

Step no 2 ⇒ Now every router will take its "distance vector" & exchange it with their "neighbours".

Eg: ⇒ "Router C" will take its "distance-vector" & exchange it with "B" & "D".

So "Every node" is going to get a "distance-vector" from all of its "neighbours".

Let us see what happens at "Router A", At "A" it will get a "distance-vector" from "B" & "D".

At "A" "DV" are received from B, & D

At "B" "DV" are received from A, C & D

At "C" "DV" are received from B, & D

&

At "D" "DV" are received from A, B & C

Everything happens
here in parallel.

"P.T.O"

\rightsquigarrow (Many nodes in b/w)
 \rightarrow (Single node directly)

my companion

Now at "every-router", using the distance vectors, new routing tables will be created.

Let us see what happens at "A".

"From 'B' "DV" is"

2
0
3
7

"From 'D' "DV" is"

1
7
11
0

"Note": Every "Router" will use the information from its "neighbors" to compute "new routing tables", of val based on "old routing table".

New routing table at 'A'

A \rightarrow A directly comes
= 0

"Dest"	"Distance"	"N-H"
A	0	A
B	2	B
C	5	B
D	1	D

New Routing table at 'A'

Send it to "D".

Ask "D" to send it to "B".

$$A \rightsquigarrow B = \min \left\{ \begin{array}{l} A \xrightarrow{1} D + D \rightsquigarrow B \\ A \xrightarrow{2} B + B \rightsquigarrow B \end{array} \right.$$

$$= \min \left\{ \begin{array}{l} 8 \\ 2 \end{array} \right\} = 2 \quad \text{next hop} = 'B'$$

"edge"

"path"

my companion

Now $A \rightsquigarrow C = \min \left\{ \begin{array}{l} A \rightarrow D + D \rightsquigarrow C \\ A \rightarrow B + B \rightsquigarrow C \end{array} \right\}$

$= \min \left\{ \begin{array}{l} 1 + 11 \\ 2 + 3 \end{array} \right\} = \min \left\{ \begin{array}{l} 12 \\ 5 \end{array} \right\} = \boxed{5}$

Next Hop = "B"

Now $A \rightsquigarrow D = \min \left\{ \begin{array}{l} A \rightarrow D + D \rightsquigarrow D \\ A \rightarrow B + B \rightsquigarrow D \end{array} \right\}$

$= \min \left\{ \begin{array}{l} 1 + 0 \\ 2 + 7 \end{array} \right\} = \min \left\{ \begin{array}{l} 1 \\ 9 \end{array} \right\} = \boxed{1}$

Next Hop = "D"

Easy way to "construct" "new routing table" (shortest method) \Rightarrow

Note "A to A" is always "zero" & "next Hop" is "A" itself
"It is an exception."

"New Routing Table at A"

From "B"

2
0
3
7

From "D"

1
2
11
0

"Dest"	"Distance"	"N-H"
A	0	A
B	2	B
C	5	B
D	1	D

Now $AB = 2$ $AD = 1$

Now for every other row except row "A"
 take the "row n" & add it with corresponding "row" then take the minimum
 & "next hop" will be "u", where u get "min-value".

"P.T.O"

Now let us use the New routing table at router 'B'

'B' will receive 'Distance vectors' from 'A' 'C' & 'D'

'A'	'C'	'D'
0	∞	1
2	3	7
∞	0	11
1	11	0

from figure (BA = 2 BC = 3 BD = 7)

[New Routing table at 'B']

'Dest'	'Distance'	'N.H'
A	2	A
B	0	B
C	3	C
D	3	A

Note ⇒ Take 'distance vectors' from previous round.

New 'routing-table' at router 'C' ⇒

'C' will receive 'Distance-vectors' from 'B' & 'D'

'B'	'D'
2	1
0	7
3	4
7	0

(CB = 3 CD = 4)

[New Routing table at 'C']

'Dest'	'Distance'	'N.H'
A	5	B
B	3	B
C	0	C
D	10	B

New 'routing-table' at 'router 'D' ⇒

'D' will receive 'Distance-vectors' from 'A' 'B' 'C'

'A'	'B'	'C'
0	2	∞
2	0	3
∞	3	0
1	7	11

DA = 1 DB = 2 DC = 11

[New routing table at 'D']

'Dest'	'Distance'	'N.H'
A	1	A
B	3	A
C	10	B
D	0	D

Note:- If no of nodes is n , then shortest path b/w two nodes will never contain more than $(n-1)$ edges.

Here in "Round 1" we get set of all shortest paths whose shortest path contains at most "one edge".

In "Step 2" or "Round 2" we get set of all shortest paths whose shortest path contains at most "two edges".

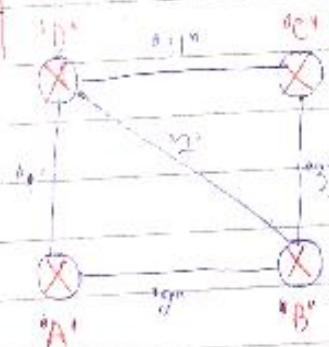
For this example we have to run this "algorithm" one more time (for third time) :-

But in exam we will solve it by our "intuition" :- "for gate"

Given a "graph" how to find "final routing tables" :- Use intuition

Dest	Dist	Nbr
A	1	A
B	3	A
C	6	A
D	0	D

Dest	Dist	Nbr
A	5	B
B	3	B
C	0	C
D	5	B



Dest	Dist	Nbr
A	0	A
B	2	B
C	5	B
D	1	D

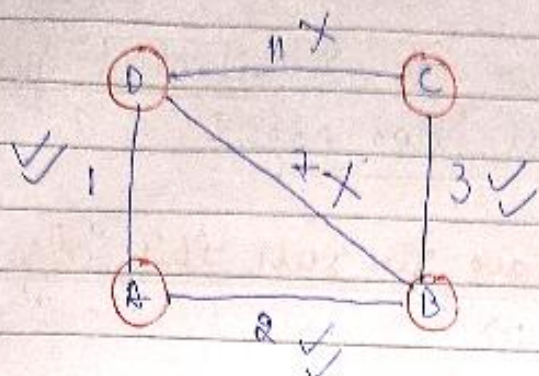
Dest	Dist	Nbr
A	2	A
B	0	B
C	3	C
D	3	A

"Through Intuition"

Other Question they can ask about "Routing tables" is

Given a graph what are the "edges" that will not be used after "routing tables converged"?

for "an edge" if there is an "alternate better path" available then that "edge" is not used.



so "only edges" used are:

$\begin{bmatrix} AD \text{ or } DA \\ AB \text{ or } BA \\ \& BC \text{ or } CB \end{bmatrix}$

⇒ "Count to Infinity Problem" ⇒

One problem with "Distance Vector Routing" is "Count to Infinity Problem" ⇒

"Count to Infinity" ⇒ ("Bad News spreads slow")
 ("Good News spreads fast.")

Eg: ⇒ (A, B, C & D) are "four routers" as shown below: ⇒



Hop distance b/w [B & C] is "1" & b/w [C & D] is also "1".
Initially assume (A) is not connected

i.e. Distance from "B" to "A" is " ∞ " & similarly distance from "C" to "A" & "D" to "A" is also " ∞ ".





only companion

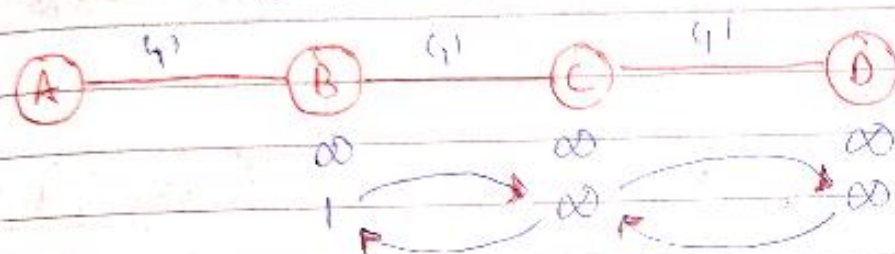


These are "distance to A" from respective nodes

Here we are talking about "distance" of all other nodes to node A only.

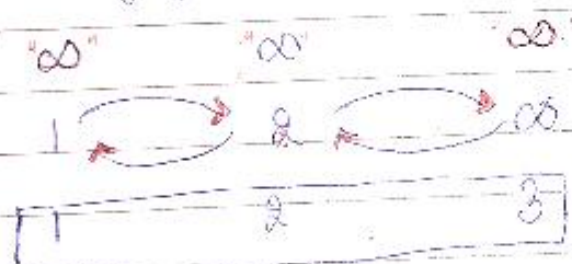
Now Assume that "A" is suddenly connected to "B".

→ Now "A" gets connected & "Hop distance" b/w A & B is 1. "A" is immediately scouting table of its immediate neighbour i.e. "B" will get updated, as shown below.



"B" is saying "C" that my distance to "A" is 1 & "C" knows its distance to "B" is 1. So it ("C") is going to update ∞ to 2.

Now in next round there will be an exchange of distance vectors.



"C" will say "D" that it can reach "A" in 2 & "D" knows that its distance from "C" is 1, so it will update ∞ to 3.

There is a "good news" & "good news" is that "A" is working, & "good news" is "spreading fast".

Now let us see an example of "Bad news".

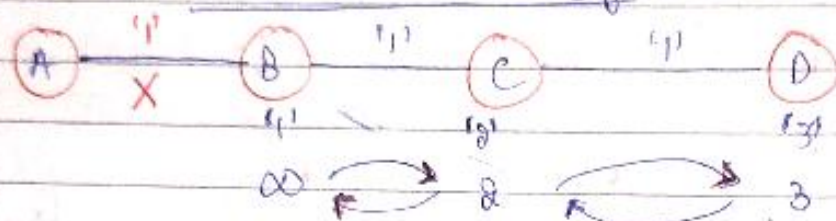


Distance from 'B' to 'A' is $= 1$

Distance from 'C' to 'A' is $= 2$

Distance from 'D' to 'A' is $= 3$

Now suddenly the link b/w 'A' & 'B' is down. So 'B' will know about this bad news immediately & it will update '1' to ∞



(because 'C' & 'D' doesn't know anything about 'A')

We know that "routing tables" are updated at a particular router based on the information it receives from its neighbours.

When exchange happens, 'C' is saying to 'B' that I can take you to 'A' in 2 hop distance but it is not saying it that its path is through 'B' only (that is a mistake) because we exchange only the distances, but not the next hop.

Then 'B' will accidentally think that 'C' must be having some path to reach 'A' but do not know that it itself is the next hop. (this is an error here)





[At "D" it will remain
3 bcoz $2+1=3$]

At 'C' from one side it is getting '0' & from other side it is getting '3', so it will update '2' to '1'.

$$A + {}^6\text{C}$$

Dr. From B.

"D-V" foam "D"

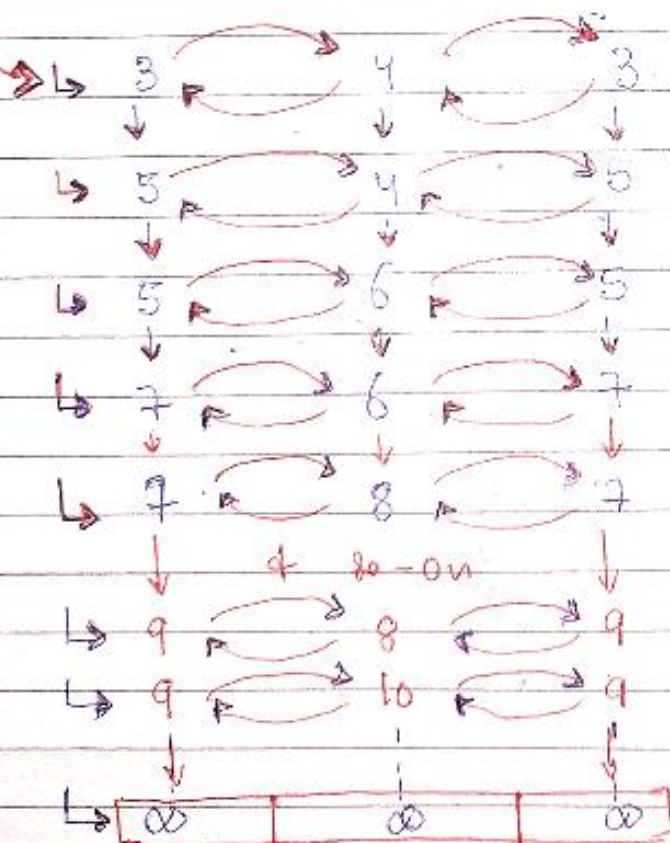
$$CB \leq 1$$

3

$$|D| = 1$$

"Now updated Routing table etc"

"Des."	"Dist."	"N-H"
A	Y	D



Even though "previous version" is "less", we should not "stop" to it. becoz we consider quality tablets of our neighbors for updates.

This prep on happening
until we reach infant

This is known as "Count to Infinity problem"

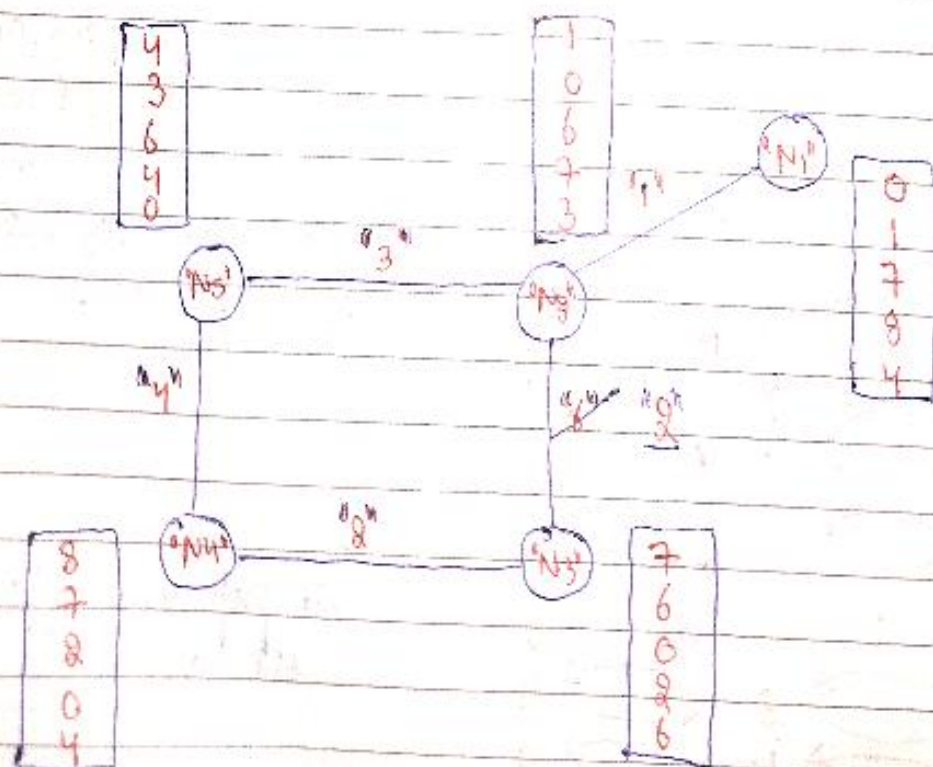
∴ in "DVR" "Bad News spreads slow"

"Good News spread fast"

This is becoz in "DVR" we are sending "Distance Vector" only & not the "next hops"

This "Algorithm" will never "stop" becoz we want our "algo" to be dynamic in nature. In order to find out that some change might have taken place in the "network".

Example of "DVR" from "GATE point of view" ⇒
"GATE-2003"



Notes → "Convergence rate of DVR is very slow"



Date: / /
Page:

"Five Routers" (N_1, N_2, N_3, N_4 & N_5) are given along with their final "Distance-Vector".

"This scenario is after 'Convergence'".

Here in this question they are asking that if distance b/w N_2 & N_3 changes from 6 to 2 then what would be the new distance vector at N_3 after "one round" of exchange.

soln → let us see what happens at N_3

At N_3 we are going to get "distance-vectors" from its immediate neighbours i.e. N_2 & N_4 .

from N_2

1
0
6
2
3

$$N_3 N_2 = 2$$

from N_4

3
7
2
0
4

$$N_3 N_4 = 8$$

New routing table at N_3

Dest	Dist	Next Hop
N_1	3	N_2
N_2	2	N_2
N_3	0	N_3
N_4	2	N_4
N_5	5	N_2

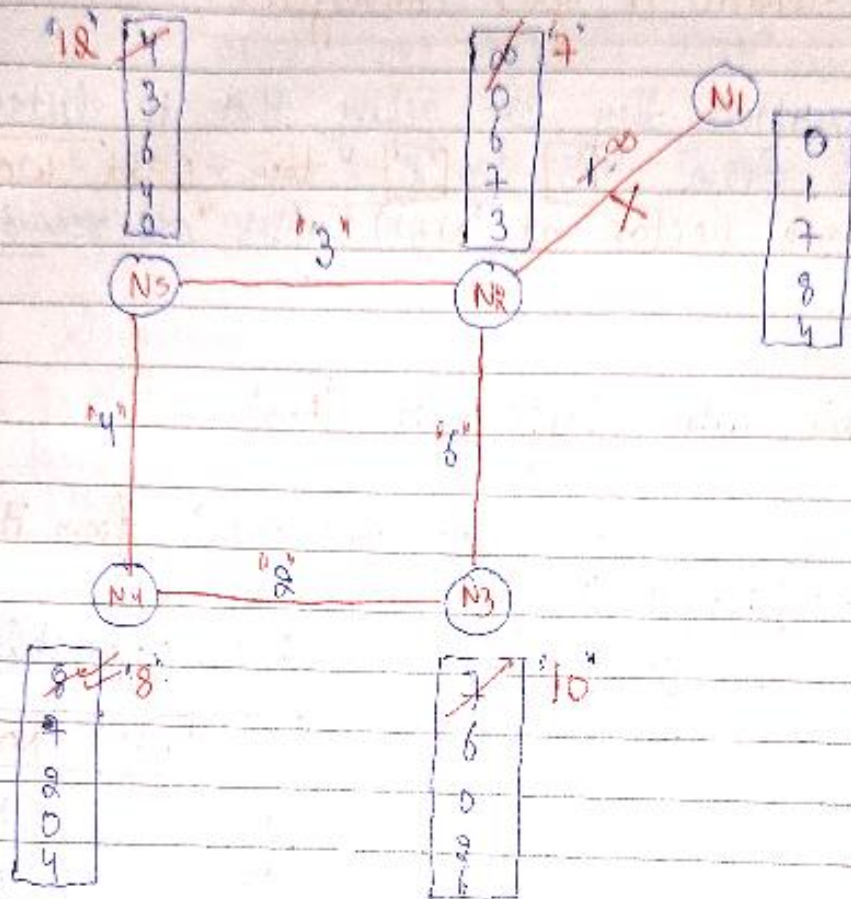
∴ "distance vector" at N_3 after "one round" is →

3
2
0
2
5

Answer

Note \Rightarrow In "DVR" updates are sent periodically so that if there is any change in the "network topology", every node would get the information about the change.

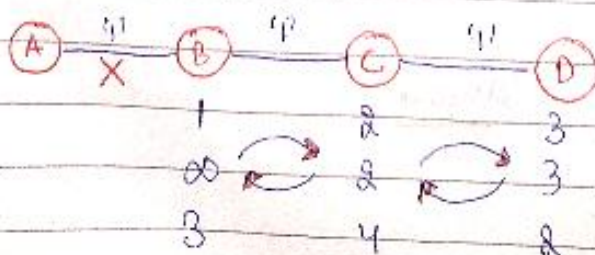
Now suppose one of link b/w $(N_2) \text{ H } (N_1)$ goes down. Now count to infinity scenario after 1 round at all the routers. It is



In "next round" again the same thing will happen till " ∞ " (infinity) is reached.

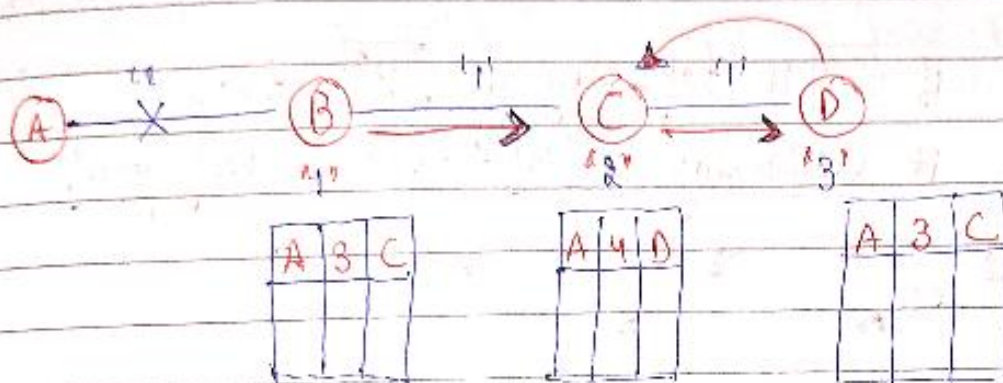
The problem with "count to infinity" is that it not only gives wrong routing tables, but will also create loops.

\downarrow eg.



It means at round '3' if 'B' wants to send a packet to 'A' it will send it to 'C'. If 'C' wants to send a packet to 'A' it will send it to 'D' & if 'D' wants to send a packet to 'A' it will send it to 'C'.

Now 'packet' will continuously fall into a 'loop'. This is the disadvantage of 'Count to infinity problem'.



This problem of "Infinite loop falling" can be solved by "Split-horizon" concept.

It is as explained below:-

[If someone is already dependant on you - then don't entertain him dependig on you]

[If you are "dependant" on "someone", then don't let that "person" depend on you.]

Initially

A	1	A

A	2	B

A	3	C



Second

A	∞	-

A	2	B

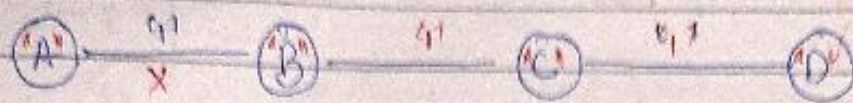
A	3	C

Since 'C' is already dependig on 'B' to send a packet to 'A' so it should not let 'B' depend on it.

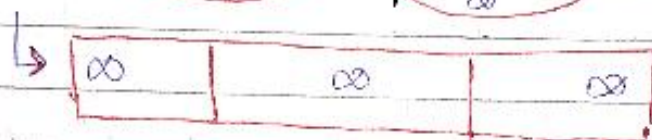
Hence send ∞ instead of actual value

"Split horizon solution" is used

After AB fails



If [C] is depending on [B] then it should say to [B] that "I can help you"



By using "split horizon" "convergence" is very fast & there will be "no loops".

"Split horizon" is used to solve "Count to Infinity problem" & we can even avoid falling into infinite loops.

⇒ "LINK-STATE-ROUTING" ⇒

Since 1980's as the "bandwidth" was very limited, people were sending only "distance vectors" i.e. limited data.

Coming to 1990's the bandwidth got improved because of advancements in technology, hence we are able to send more data.

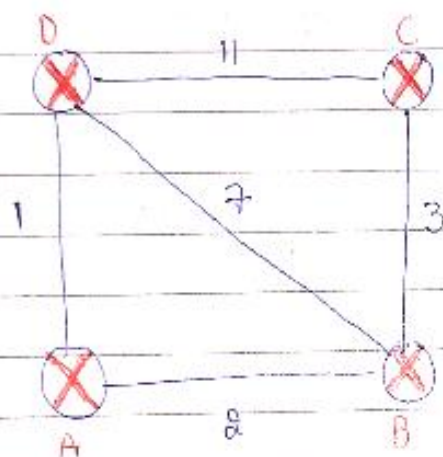
"Link" is an edge, & state means if it is up or down.
 Now if it is up what is the cost associated with it?

The disadvantage of "distance vector Routing" was "count to infinity" problem, & also convergence of "DVR" is very slow.

"OSPF" is somewhat superior to DVR but there are some disadvantages also.

Explanation of "LSR (Link State Routing)" with the help of an example is

In "DVR" every router has created a "local routing table" first. But here in "LSR" every router will create a "link state packet".



"link-state-packet" at 'B' is

"B"	
"Seq. No."	
"TTL"	
'A'	'2'
'D'	'7'
'C'	'3'

"link-state-packet" at 'C' is

"C"	
"Seq. No."	
"TTL"	
'D'	'11'
'B'	'3'

"DVR" is based on "Local Knowledge" whereas
 "LSR" is based on "Global Knowledge"

"Link-State-Packet" at "A" is:

"A"	
"Seq. No."	
"TTL"	
"D"	"1"
"B"	"2"

"Link-State-Packet" at "D" is:

"D"	
"Seq. No."	
"TTL"	
"A"	"1"
"B"	"2"
"C"	"1"

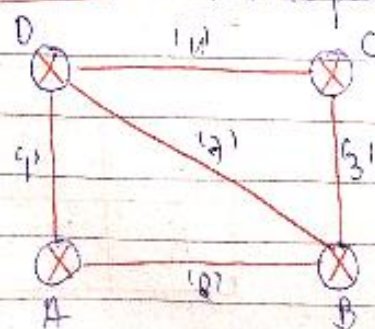
So, first step is every "router" will find out who are its neighbours, what are the links & what are the "weights" associated with them, by sending "Hello Packets"

Next step is unlike "DVR", in "LSR" every "router" is supposed to flood the information to every "other router" in the "topology".

Note: Only for "Link-State-Packets" we are using "flooding".

"In Second Step":

Let us see what happens at "A" \Rightarrow It will receive "LS packets" from every other router in the topology i.e. "B", "C" & "D".



"A" has Global Database"

Now 'A' at this point will apply "single source shortest path algorithm" i.e. [Dijkstra's algorithm].

Then 'A' will find out what is the "shortest path" from 'A' to every other node.

Now using the "Global Data", 'A' will construct its "local Routing Table" \Rightarrow

Dest.	Distance	N.H.
A	0	A
B	2	B
C	5	B
D	1	D

Using "Dijkstra's algo"

"Convergence" is "fast" compared to "DVR".

Similarly for other "routers" we can construct these "local Routing Tables".

Some Problems with LSR (Link-State-Routing) \Rightarrow

1. "Heavy Traffic" due to "flooding".

Every "LSR packet" will have a seq. no. to distinguish b/w latest packet & delayed packet.

& it also has a "TTL".

"P.T.O"

Date _____
Page _____
my companion _____

➡ Difference b/w "LSP" & "DVR" :-

"DVR" ("Distance Vector Routing")

- 1> Invented in 1980s
- 2> Bandwidth req. is less
"flooding not used"
- 3> Based on "Local-Knowledge"
(update "routing tables" only using "local knowledge")
- 4> Bellman Ford algorithm is used here.
But (not mentioned anywhere)
- 5> "Traffic" is very less.
- 6> Periodic updates are done
- 7> Converges slowly
(to obtain final answer)
- 8> Problem of Count to Infinity
- 9> Problem of persistent looping. (loop will remain forever)
- 10> It is implemented using a Protocol called "RIP"
("Routing Information Protocol")

"LSP" ("Link State Routing")

- 1> Invented in 1990s
- 2> Bandwidth req. is more because
"flooding is used"
- 3> Based on "Global-Knowledge"
(Each "router" knows about the entire network!)
- 4> "Dijkstra Algorithm" is used.
- 5> "Traffic is very high"
- 6> Periodic updates are done
- 7> Converges faster
- 8> No problem of "Count to infinity" (because it is based on global knowledge)
- 9> Transient looping
- 10> It is implemented using OSPF protocol

Computation is very simple in "DVR" as compared to "LSR". (because in "LSR" Dijkstra's algo has to be applied on a very very big graph).



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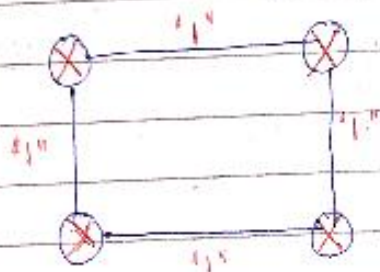
→ RIP ("Routing Information Protocol") ⇒ It is the implementation of DVR (Distance Vector Routing).

" ∞ " in "DVR" means that a host is "unreachable", but " ∞ " is not used in practice.

practically we use "16" in place of " ∞ ".

↳ "Metric is" → "Hop-Count".

"edge weight" used is "1".



" ∞ " is represented by "16".

Rest everything is same as "DVR".

→ "OSPF" ⇒ It is an implementation of "LSR" ("Link-State-Routing").

"Traffic" is very high in case of "LSR" becoz of "flooding".

P.T.O.

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