

Definición formal de la Gramática Independiente del Contexto (GIC)

$$G = \{\Sigma T, \Sigma N, S, P\}$$

$$\Sigma T = \{A, B, C, D, \dots, x, y, z, 0, 1, 2, \dots, 8, 9, (,), =, +, -, *, /, \%, _, ;\}$$

$$\Sigma N = \{IN, E1, E2, OP, ID, ID2, C, CD, CDR, CDE, CO, CH\}$$

$$P = \{$$

$$IN \rightarrow ID = E1;$$

$$E1 \rightarrow ID \mid ID = E1 \mid E2$$

$$E2 \rightarrow C1 \mid (-C1) \mid (+C1) \mid ID \mid E2 O P E2 \mid E2$$

$$OP \rightarrow + \mid - \mid * \mid / \mid \%$$

$$ID \rightarrow A ID2 \mid B ID2 \mid \dots \mid y ID2 \mid z ID2 \mid _ ID2$$

$$ID2 \rightarrow A ID2 \mid B ID2 \mid \dots \mid y ID2 \mid z ID2 \mid _ ID2 \mid 0 ID2 \mid 1 ID2 \mid \dots \mid 8 ID2 \mid 9 ID2 \mid \lambda$$

$$C1 \rightarrow 1 CD \mid 2 CD \mid \dots \mid 9 CD \mid 0 CO \mid 0 x CH \mid 0. CDR$$

$$CD \rightarrow 0 CD \mid 1 CD \mid \dots \mid 9 CD \mid . CDR \mid E + CDE \mid E - CDE \mid E CDE$$

$$CDR \rightarrow 0 CDR \mid 1 CDR \mid \dots \mid 9 CDR \mid \lambda$$

$$CDE \rightarrow 0 CDE \mid 1 CDE \mid \dots \mid 9 CDE \mid 0 \mid 1 \mid 2 \mid \dots \mid 9$$

$$CO \rightarrow 0 CO \mid 1 C0 \mid 2 C0 \mid \dots \mid 7 C0 \mid \lambda$$

$$CH \rightarrow 0 CH \mid 1 CH \mid 2 CH \mid \dots \mid E CH \mid F CH \mid 0 \mid 1 \mid 2 \mid \dots \mid E \mid F$$

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Definición formal del AP

$$AP = \{Q, \Sigma, \Gamma, f, q0, z0, F\}$$

$$Q = \{q0, q1, q2\}$$

$$\Sigma = \{A, B, C, D, \dots, x, y, z, 0, 1, 2, \dots, 8, 9, (,), =, +, -, *, /, \%, _, ;\}$$

$$\Gamma = \{z0, IN, E1, E2, OP, ID, ID2, C, CD, CDR, CDE, CO, CH, A, B, C, D, \dots, x, y, z, 0, 1, \dots, 8, 9, (,), =, +, -, *, /, \%, _, ;\}$$

$$F = \{q2\}$$

$f = \text{Diagrama de estados del AP}$

Diagrama de estados del AP

