## **Problem**

Let  $CONNECTED = \{ \langle G \rangle | G \text{ is a connected undirected graph} \}$ . Analyze the algorithm given on page 185 to show that this language is in P.

## Step-by-step solution

## Step 1 of 1

Consider the algorithm given on the page 185 in the textbook. A problem is said to be in P when method for solving the problem runs in time  $n^k$  where k is a constant.

- In the first line, first node is selected and marked. This will require a constant time.
- In second line and third line, the nodes are marked until all the nodes are marked. If there are *n* nodes, then scanning of the nodes is there from the list 2, 3, 4, . . . . . up to *n*-1. For every node, the order of neighbors will be order of *n*. This will result into the order of  $n^3$  inspections.
- In line 4, all the nodes are scanned for determining whether all the nodes are marked or not. This will take time equal to order of n.

As the order is equal to  $n^3$ , so this algorithm belongs to P.

Comments (1)