

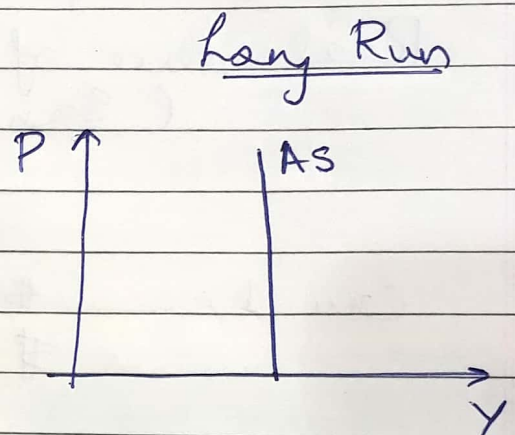
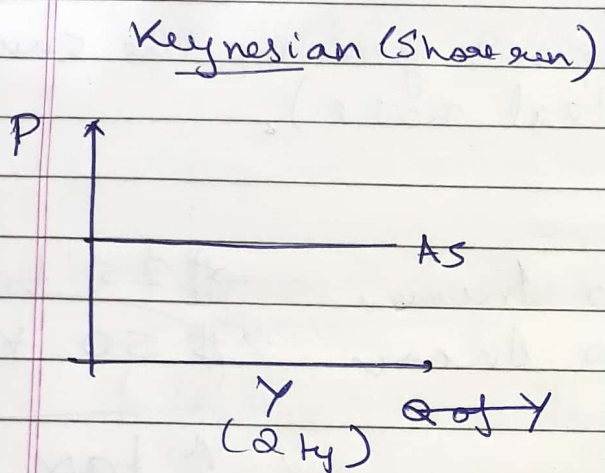
30-10-12

# Keynesian Mac.

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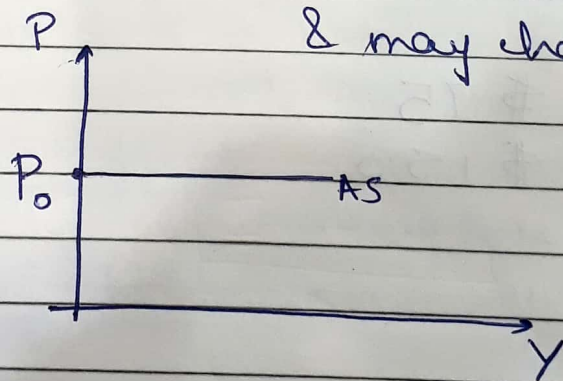
Ref. : Dornbusch and Fischer

- Difference b/w Keynesian macros. & classical macros.
- Time horizon is different.
- Changes dynamics.

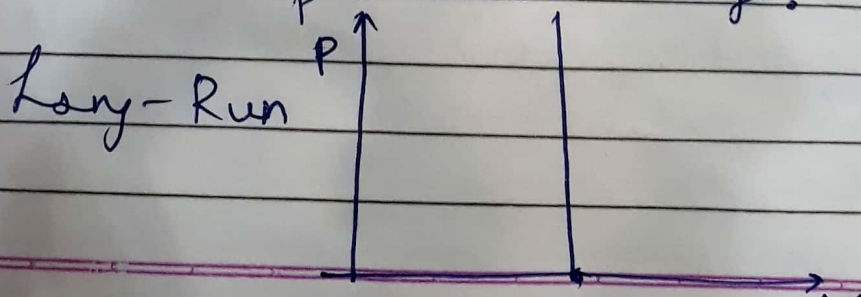


- Not super long run.
- "full employment" level ~~level~~ determines o/p & may change in ↑ long run.

Keynesian



- Because there is unemployment, firms can obtain as much labour as they want at the present wage.



Based on the assumption that labour mkt is always in equilibrium at the full employment level. Since labour force is fully employed  
 $\therefore Y$  cannot  $\uparrow$  even if  $P \uparrow$

Labour Mkt equilibrium underlying vertical schedule is maintained ~~via~~ by speedy adjustments in nominal wage.

- Economy is in Equilibrium, AD shifts to right, i.e. at existing price demand goes  $\uparrow$ .
- Firms try to obtain more labour offering higher wages.
- But more labour not available.
- Hence Wages  $\uparrow$ , making the firms raise the prices of good but  $Y(o/p)$  is const.

In the Keynesian model, the central simplification is the ~~so~~ assumption that

Prices do not change at all.

Firms are willing to sell any amount of o/p at the given level of prices  
 Hence AS curve is flat.

Relation b/w AD and equilibrium o/p

o/p is at the equilibrium level when  
 $qty\ produced = qty\ demanded$

$$AD = C + I + G + NX$$



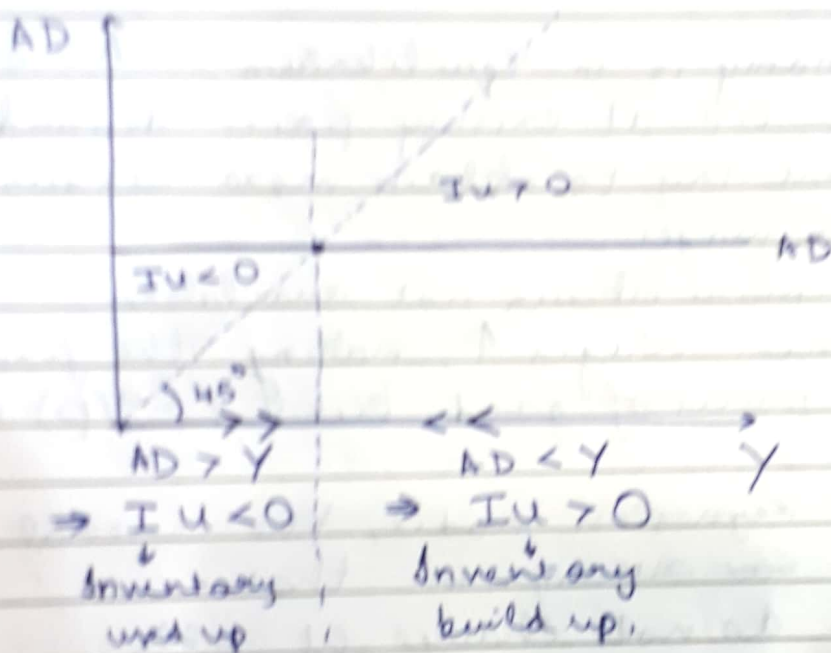
Keynesian  $AD =$

$$AD = C + \textcircled{I} + G + NX$$

Planned expenditure on Capital Goods

Not P-Y  
space

$IU \rightarrow$  Unintended and Investment  
Unplanned (bk eq = 0)



$$AD = C + \textcircled{I + G} + \textcircled{NX}$$

$\bar{I}$  &  $\bar{G}$  remain constant

$$C = \bar{C} + \textcircled{K} Y$$

const.

marginal propensity to consume

→  $\kappa$ : Increase in  $C$  per unit  $\uparrow$  in  $Y$   
 $\kappa \in (0, 1)$

• Personal savings ( $Y$  includes taxes / or dich taxes for now)

$$S = Y - C$$

$$S = -\bar{C} + Y(1 - \kappa)$$

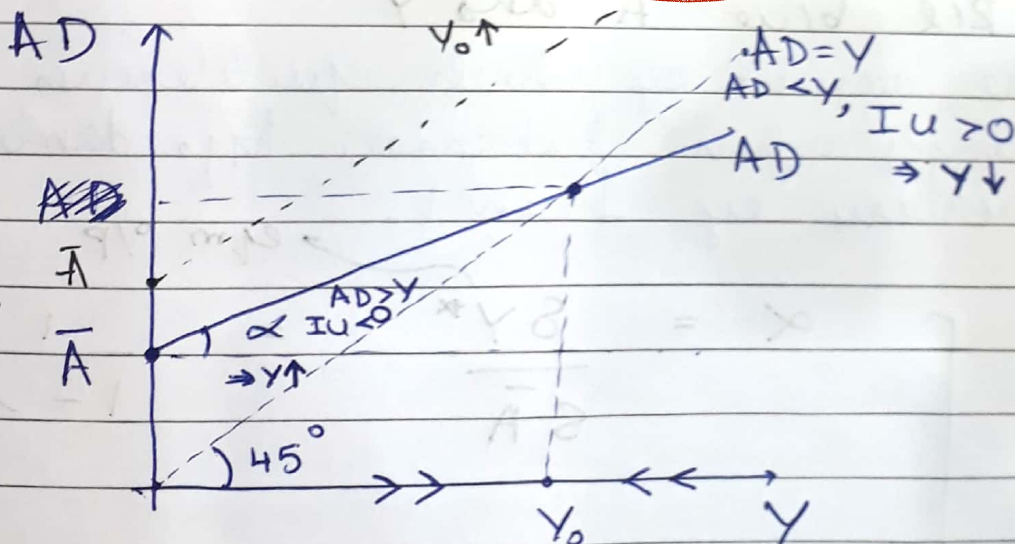
↳ marginal propensity to save

$$AD = \bar{C} + \kappa Y + \bar{I} + \bar{G}$$

$$AD = (\bar{C} + \bar{I} + \bar{G}) + \kappa Y$$

autonomous demand even if my production is zero I will require this much amount

↳  $\bar{A}$  (const)



→ For  $Y < Y_0$ ,  $AD > Y$ , and firms inventories are falling  $I_u < 0$ ,  $\therefore$  they increase prodn., conversely for  $Y > Y_0$ ,  $AD < Y$ ,  $I_u > 0$ , Inven.  $\uparrow \Rightarrow$  they cut  $Y$ .



Solving,

$$AD = Y$$

$$Y_0 = \bar{A} + \kappa Y_0 \quad (\text{Solving})$$

$$(1 - \kappa) Y_0 = \bar{A}$$

$$Y_0 = \frac{\bar{A}}{1 - \kappa}$$

Autonomous demand

31-10-17

## Keynes - Multiplier theory

- Keynes introduced it.
- It was a policy related theory which analysed that when Autonomous comp. of expenditures change then by what amount does  $Y$  change?

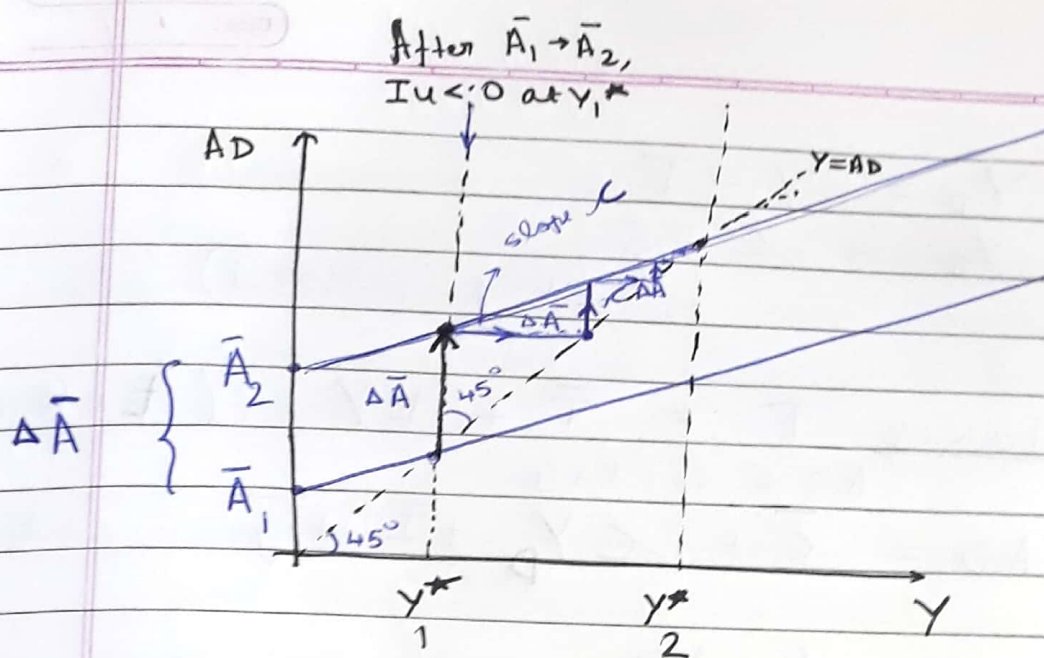
→ R/L b/w  $\bar{A}$  and  $Y$

- The amount by which equilibrium o/p changes when Autonom. Agg. demand increases by 1 unit.

$$\alpha = \frac{\delta Y^*}{\delta \bar{A}} = \frac{1}{1 - \kappa}$$

eqm o/p

→ using  $Y^* = \bar{A} + \kappa Y^*$

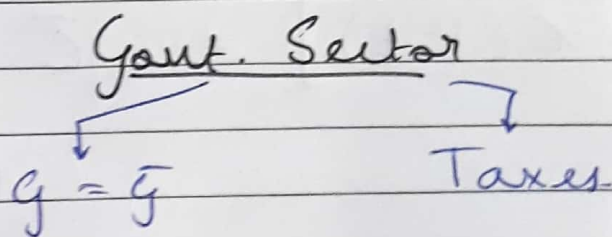


→ Initially just after  $\bar{A}_1 \rightarrow \bar{A}_2$ ;

$$Y_1^* \rightarrow Y_1^* + \Delta \bar{A}$$

Then,  $Y_1^* + \Delta \bar{A} \times \kappa$  . . . . .

$$\Rightarrow \Delta Y = \frac{\Delta \bar{A}}{1 - \kappa} \quad (\text{Infinite GP})$$



$(Y_D)$  Disposable Income: Net Income available for spending by households after receiving transfers from and paying taxes to the Govt.

$$\text{Net taxes} = T = \text{taxes} - \text{transfers}$$



$$Y_D = Y - T$$

$$Y_D = C + S$$

↳ saving (personal)

Net taxes  $T = \bar{T} + tY$  ( $t \in (0,1)$ )

$$AD = C + I + G$$

$$AD = \bar{C} + \kappa Y_D + \bar{I} + \bar{G}$$

at eqm  $Y = AD$

~~$$Y_D = C + S = C + I + G$$~~

~~Y\_D~~

$$\Rightarrow Y = \bar{C} + \kappa (Y^* - \bar{T} - tY^*) + \bar{I} + \bar{G}$$

$$Y^* = \bar{C} - \kappa \bar{T} + \bar{I} + \bar{G} + (\kappa - \kappa t) Y^*$$

$$Y^* [1 - \kappa(1-t)] = \bar{C} - \kappa \bar{T} + \bar{I} + \bar{G}$$

↳  $\bar{A}$

$$\frac{S Y^*}{S \bar{A}} = \frac{1}{[1 - \kappa(1-t)]}$$

## → Automatic Stabilizers

- Any mechanism in the economy that reduces the amt. by which o/p changes in response to a change in Autonomous demand.

Q → Consider an increase in transfer payments and an increase in the Govt. expenditure of the same amt. which will have greater impact on  $Y^*$

1) Budget Surplus: Excess of Government's revenues over its expenditures.

$$BS = TA - \bar{G} - \bar{TR}$$

$\downarrow$   
 Net Tax  
 $\swarrow$  transfers

$$BD = -BS$$

$\downarrow$   
deficit

$$TA = tY$$

$$BS = tY - \bar{G} - \bar{TR}$$

