

Module - 2

Macro-Economics

- Text: Mankiw Chap -23 onwards
 ↗ (Short Run)
- Last 3 weeks Keynesian Macroecon.
 ↗ Dornbusch & Fischer.

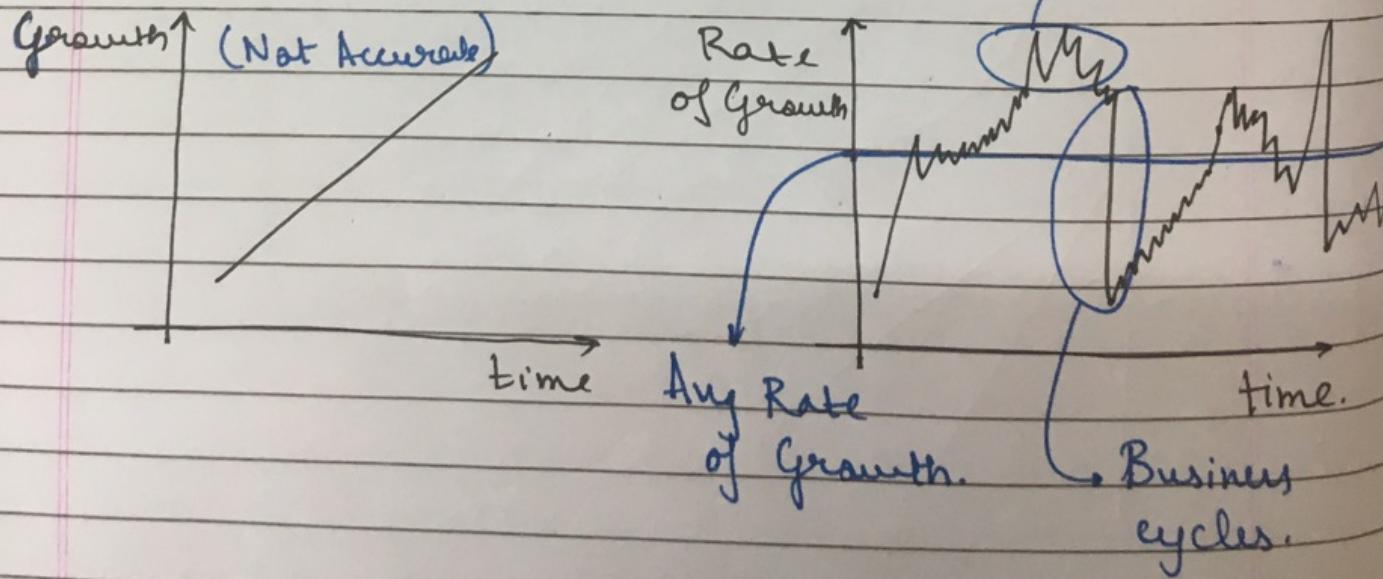
Chap -23: loss of kidney

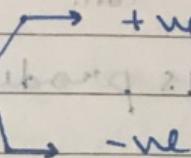
Macroeconomics

- Study of the economy as a whole. Changes that effect many firms & households at once.

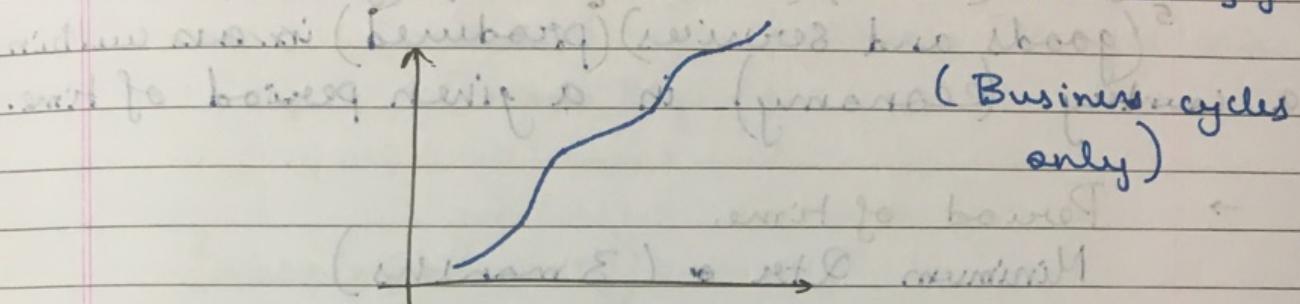
Economy's Income

- Measures: (of National Income)
- GDP : Gross Domestic Product.
- Others
- Rate of Growth.



Shocks  change step increases to auto. progress

→ Accurate GDP vs time (From: Rate of growth)

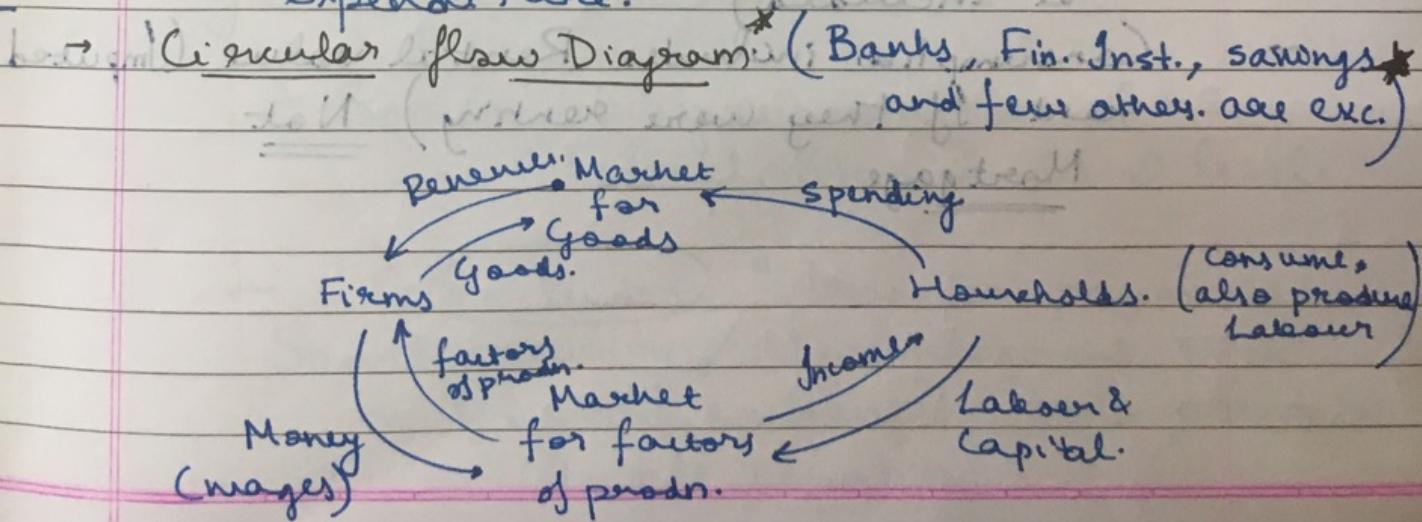


→ Time horizon in Macroeconomics

- Behaviour of prices is different in short run and long run.
- In the (short run) prices are "sticky" Keynesian Mac.
- In the (long run) " " flexible. classical Mac.

Economy's Expenditure

→ For an economy as a whole income = expenditure.



$$\text{GDP} (Y = C + I + G + NX)$$

con. invest. Gov. exp. Net. exp.

- Value of whatever gets produced in the economy.

¹ ² ³ ⁴
 GDP: (Total) (market value) (of all) (final)
⁵ (goods and services) (produced) ~~in excess~~ within
 a country (economy) in a given period of time.

- Period of time.
 Minimum Qtr or (3 months)

- What is not included in GDP
 - Exclude items produced and consumed
 over break at home ex. home meals.
 - Illegal Black markets.

Components of GDP

1) Consumption (C): (Consumption by households)

- Spending by households on goods and services with the exception of purchases of new housing (Rent may be included)

Consumption includes Rental value (Imputed if they were renting) Nat Mortgage

$$NX = X - M$$

↑ exports ↓ imports

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→ Measures of Eco. (Mankiw)

- GDP (Income of everyone)
- Inflation
- Unemployment rate
- Spending at stores (Retail sales)
- Trade deficit

2) Investment (I)

- Total spending on goods that will be used in the future to produce goods.

Includes

- Capital Equip.
- Structures (factor.)
- Inventories (Goods produced but not yet sold)

- Does not include "Non Real" I

3) Government Purchases (G)

- Spending by government on G & S at Federal, State & Local levels.

- G excludes "transfer payments" : Social Security / Unemployment since no G & S are exchanged, this prevents Double counting.

4)

NX . (Net Exports) To overall
 $(\text{exports} - \text{Imports})$

Foreign spending on home: $G & S$

Imports are portions of C, I, G
 hence excluded to prevent
 double counting.

Examples

→ What does change in imports do to total
 How much is GDP & its comp. affected
 if at all.

(A)

$\Delta C \uparrow$ by \$200, $\Delta GDP \uparrow$ by \$200

(B)

$\Delta I \uparrow$ by \$1800, $\Delta GDP = 0$, $NX \downarrow \$1800$

(C)

$\Delta I = 0$ ($I \uparrow 1200, I \downarrow 1200$ since
 $\downarrow 1200$ from Inventory)
 $\Rightarrow \Delta GDP = 0$

(D)

$I \uparrow$ by \$30 million, $C \uparrow$ \$470 million

$GDP \uparrow$ \$500 million.

"Spending effect" (GDP) →
 more terminal wealth, increased bank

leaving out foreign aid as
 溢價 effect

溢價 effect (foreign aid as
 溢價 effect)

Real Vs Nominal GDP

- Inflation distorts GDP

~~↳ Nominal GDP weight all equally~~

~~↓ Interval to~~

Nominal

- Values at current prices, does not account for Inflation

Real

- Values of pt at the prices of a base year.

- Corrected for Inflation.

~~↳ Nominal GDP adjusted to the prices of a base year~~

~~↑ Real GDP Deflator~~

- Measure of the overall level level of prices

$$\rightarrow \text{GDP defl.} = \frac{100 \times \text{Nominal GDP}}{\text{Real GDP}}$$

~~↳ Base year is a parameter.~~

~~↳ Base year typically changes every 10 yr.~~

~~↳ 1961-1970 1971-1980~~

~~1960~~

~~1970~~

- Inflation rate = % y2y change in GDP defl.

$$\underline{\underline{\text{Ex}}} \quad 2002: 100 \times (6000/6000) = 100.0$$

$$2003: 100 \times (8250/7200) = 114.6$$

Increase in actual Inflation $\rightarrow 14.6\%$

inflated in 2003

Chapter 24

→ Cost of living.

→ CPI (Consumer Price Index)

- Measures the typical consumer's cost of living.

Ex: DA (Dearness Allowance) is calculated from CPI.

DA is component of Salary that adjusts for Purchasing power as Prices ↑

→ DA is component of Salary that adjusts for Purchasing power as Prices ↑

CPI Calculation

Steps

1) Fix the "basket" = What items does a typical consumer purchase

India: Central Statistical Agency (CSO)

typical, as defined by CSO

2) Use prices Find prices.

3) Calculate total cost.

4) $\text{CPI} = \left(\frac{\text{Total cost in current year}}{\text{Total cost in base year}} \right) \times 100$

(Choose a base year to compute CPI)

$$\text{CPI} = \frac{\text{Cost of basket in current yr.}}{\text{Cost in base yr.}} \times 100$$

5)

Inflation rate over 1 year is calculated (for two successive years that are the same base year) followed by short term usual → brie year

$$\text{Inflation rate} = \frac{\Delta \text{CPI}}{\text{CPI}_{\text{base}}} \times 100$$

$$\text{CPI}_{\text{last yr.}}$$

Q3 2003 reading 80M

of basket selected Maharashtra text book

Q → average income & house 10

2004 10 50

2005 10 60

2006 12 60

A) Basket in 2004? (Ans 0021.4)

B) CPI in 2005?

C) Inflation rate 2005-6? (Ans 5%)

$\text{CPI}_{2005} = \frac{\text{new cost}}{\text{old cost}} \times 100$

(Ans) Problem with CPI → not fair

xn in basket ↓

i) Substitution bias (not fair)

Some prices rise faster → I ↑

Consumers substitute towards goods whose P ↓

• CPI misses this & overstates cost of living.

ex

Basket → Food - Wheat ↑
Rice ↓

Price Before After

5kg 3kg

5kg 7kg

CPI was Actual.

2) Introduction of new Goods

- Variety ↑
- This allows consumers to buy things that more closely meet their needs.
- Again, CPI overestimates costs of living.

ex

ex

Milk packet sizes

and find → buy smaller packets for exact amount required.

0.2

0.3

0.1

2.00

3)

Increase in Quality of Goods.

ex

1 Rs. 1500 Sweater Vs 2 Rs. 1000 Sweater.

CPI vs GDP Deflator

- Imported consumer goods
- CPI ✓
- GDP Defl. (M gets added in C but subtracted in NX)
- Capital Goods
- CPI. (Not consumed by the consumer)
- GDP Defl. (If produced domestically)

→ The Basket

- CPI → Fixed Basket
- GDP → Basket of currently prod. Goods & Services

Q

A. CPI ↑ , GDP Def ↑ but CPI ↑ more since Tea is an important component of CPI but a minuscule component of GDP

B. GDP Def ↑ CPI (No change, at least immediately)

C. CPI ↑ but GDP Def (No change : Imported)

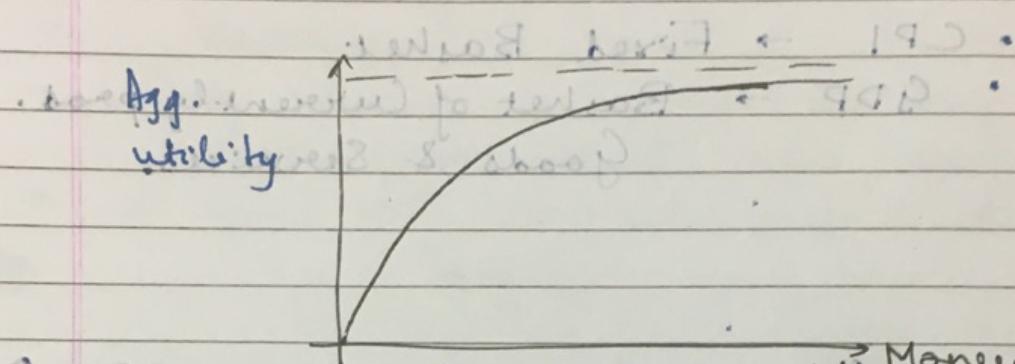
Correcting Variables for Inflation

• DIY example: $\frac{P_1}{P_0} \rightarrow \frac{Y_1}{Y_0}$

→ Real and Nominal Interest Rates

$$\text{Real Interest Rate} = \text{Nominal Interest Rate} - \text{Inflation}$$

Tells us how much extra "purchasing power"

Mankiw Chap 25Production & Growth

\uparrow 190 and \uparrow 190 : Money Income

but again no \uparrow 190 with same

education and 190 to the wages

Productivity 190 for wages

\rightarrow $Y \rightarrow$ Real 190
(190 hours/hour \rightarrow $L \rightarrow$ Labor).

\therefore $Y \rightarrow$ Productivity of Labor $= \frac{Y}{L}$

1) \rightarrow $K \rightarrow$ Physical Capital

Productivity is higher when the average worker has more capital,

$\frac{Y}{L} \uparrow$ if $K \uparrow$

2) \rightarrow $H \rightarrow$ Human Capital

Knowledge & skills through ed., training
and experience.

$\frac{Y}{L} \uparrow$ if $H \uparrow$

3) Natural Resources (N): Land, Mineral deposits

$$\text{ex } \frac{Y}{L} \uparrow \text{ if } \frac{N}{L} \uparrow$$

Tech. Knowledge

→ Understanding of the best way to produce G & S (Any advance that ↑ Productivity)

ex Henry Ford Assembly Line.

** Tech. Knowledge is different from
 Open Source info. about better process Human Capital ← effort put in by people

Prod. Func.

$$\rightarrow Y = A \times F(L, K, H, N)$$

A → Level of technology, allows higher prodn. from any given comb. of Inputs.

Returns to Scale

→ Const. Returns to Scale.

$$2Y = A \times F(2L, 2K, 2H, 2N)$$

→ Micro Ex. Anal: (ii) constant returns (e)
 ex. $y = F(K, L)$

$$\text{ex } Y \equiv \alpha K^{\alpha} + \beta L$$

$$Y = K^{\alpha} L^{\beta} \quad (\alpha + \beta = 1)$$

General cost function.

at $\alpha + \beta > 1 \rightarrow \uparrow$ returns to scale.

↑ cost means ↓ \uparrow returns to scale
 (diminishing)

Saving & Investment

market interest rate \rightarrow optimal invest. level
 → Reducing consumption $\rightarrow \uparrow$ Saving

$$(W, R, I) + A = Y$$

realistic solution to invest $\rightarrow A$

more goes into saving instead of consumption
 (high interest rates)

more at savings

more at investment (less)

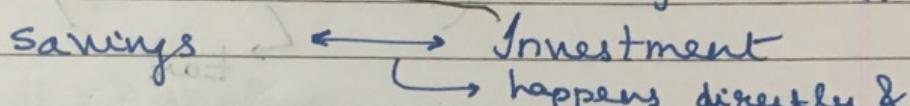
$$(W, R, I) + A = Y$$

Chap 26

Saving, Investment & the Financial Sys.

Financial System

- Help match b/w savings of one & investment of another.



Savings \approx Supply of Funds Indirectly.
 Investment \approx Demand of Funds

Directly → Fin Mkt $\begin{cases} \xrightarrow{\quad} \text{Bond Mkt} \\ \xrightarrow{\quad} \text{Stock Mkt} \end{cases}$

→ Equity / Stocks! ↗
 • Partial ownership.

→ Bonds / ex treasury bonds.

- Certificate of Indebtedness
- Pay back after fixed time.

• Can sell / deal in bonds

↗ Real Investment is buying Capital.

→ Invest here means: parking savings not
 Investment in Macro sense.

Indirect

Financial Intermediates (Institutions which form indirect funds to borrow.)

→ Banks: Sell

→ Mutual Funds: Sell shares to the public and use proceeds to buy portfolios of stocks & bonds.

→ Diversify risks

→ Club together stocks into single units hedging risk

Savings

Private Saving

→ Household Income - (consump + tax)

$$\text{disposable income} = (Y - T - C) \rightarrow \text{consumption}$$

Investment \rightarrow Tax

Public Saving

Tax Revenue - Gov. Spend.

$$\text{disposable income} = (T - G)$$

National Saving

it is sum of both (Pri. + Pub.)

→ Portion of Nat. Income not used for cons. ex.

$$\text{disposable income} = Y - C - G \rightarrow \text{Gov. Spend}$$

Saving & Investment

$$(disposable income) Y = C + I + G + NX$$

(excluded at start in initial view)

→ Ignore NX - (Closed Economy)

all of goods left : don't have M

and all $Y = C + I + G$ valid

$$I = Y - C - G = (Y - T - C)$$

$$+ (T - G)$$

= National saving

→ In a closed economy ~~business~~

Investment \neq National Saving.

Budget Deficits & Surpluses

→ Budget Surplus ~~(excess revenue)~~ \rightarrow ~~not to~~

→ Excess of tax Revenue over G

$$\$T 2.0 - \$T 1.7 = \$0.3 \text{ T\$}$$

$$\$T 0.3 = \text{public saving}$$

→ Budget Deficit (India!)

→ Short fall of tax revenue
 $= G - T = - (\text{pub. saving})$

$$\begin{aligned} \text{Ex. } & \$T 2.0 + \$T 6.5 \text{ T\$} = 10 \text{ T\$} \\ & \$T 2.0 + C = 6.5 \text{ T\$} \\ & G = 2 \text{ T\$} \\ & G - T = 0.3 \text{ T\$} \end{aligned}$$

$$\begin{aligned} T &= 1.7 \text{ T\$} \\ T - G &= \text{Pub. saving} = -0.3 \text{ T\$} \\ \text{private saving} &= Y - T - C \\ &= 10 \text{ T\$} - 1.7 \text{ T\$} - 6.5 \text{ T\$} \end{aligned}$$

$$21.0 - 1.7 - 6.5 = 1.8 \text{ T\$} \checkmark$$

$$\text{Nat. saving} = 1.8 + -0.3 = 1.5 \text{ T\$} \checkmark$$

Investment = 1.5 T\\$ (Closed Eco.)

→ Continued from previous slide about

· ~~more than T → T - 0.2, result~~

$$\Rightarrow \text{New } T = 1.5 T \text{ $}$$

Law 1: Consumers save full proceeds of Tax cut.

$$\text{Pub. saving} = -0.5 T \text{ $}$$

$$\text{Priv. saving} = -2.0 T \text{ $}$$

$$\text{Net. saving} = 1.5 T \text{ $} = \text{Investment}$$

** Law 2: Same $\frac{1}{4}$ Tax cut & spend

$$\text{wherever spent go to investment other } \frac{3}{4} \text{ spent}$$

$$\text{Net saving} \downarrow \left\{ \begin{array}{l} \text{Pub. saving} = -0.5 T \text{ $} \downarrow 0.2 \\ \text{Priv. saving} = +0.05 T \text{ $} \end{array} \right.$$

$$Y^{\circ} + C^{\circ} - T^{\circ} = 1.8$$

Since No prodn change GDP is ~~decreased~~ \rightarrow constant

$$T^{\circ} = T^{\circ} \downarrow \rightarrow T^{\circ} = T^{\circ} - 0.15$$

\rightarrow Net. Investments $\downarrow 0.15$

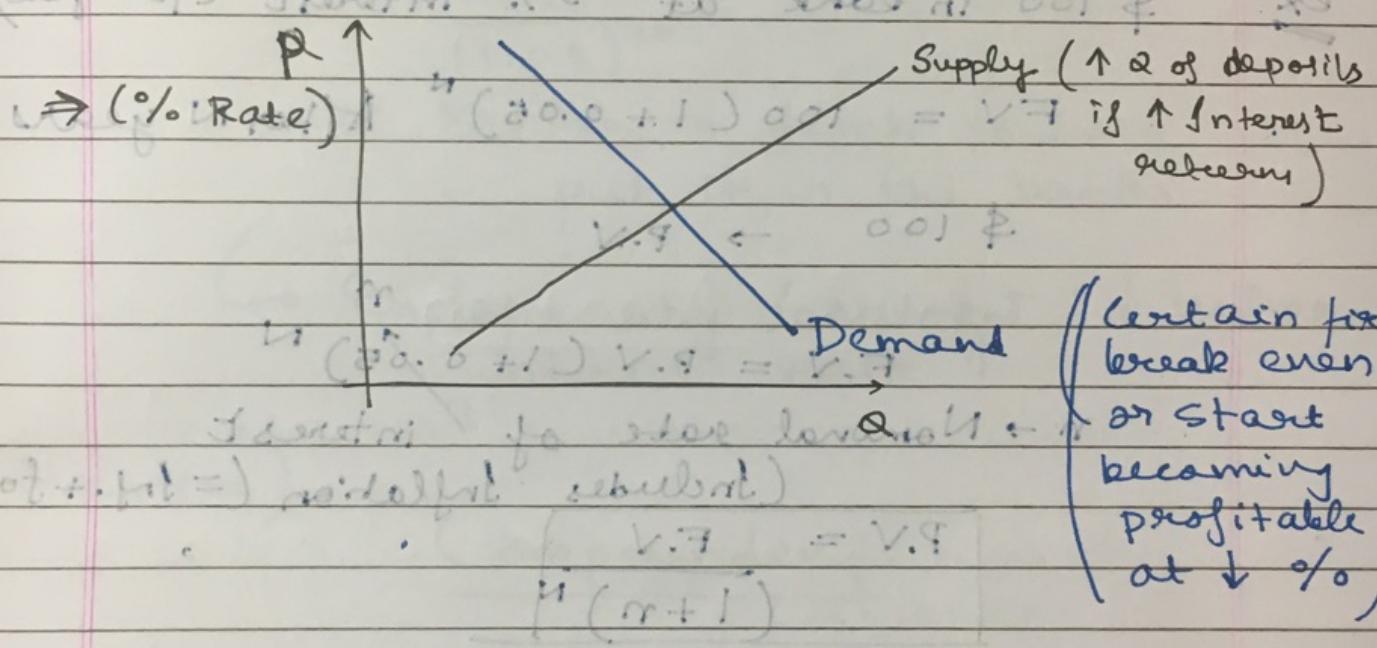
$$(\text{and recall) } T^{\circ} = \text{Investment}$$

Market for Loanable Funds

→ Supply & Demand of in the financial system

~~market~~ Assumptions: Single financial Mkt.

- All savers deposit here.
- All borrowers take from here.
- Single Interest rate (Both Interest on saving & loan int. are same)



* Chap 26: Do Not do Gov. Policy
from Markets

Lend at \$1000 + interest \rightarrow water half *

if interest rates fall then less profit

Interest rates fall in favor of blenders

Interest rates fall in favor of blenders

Interest rates fall in favor of blenders

Chap 27 Basic Tools of Finance

Present Value

→ To compare sums of money from different times

most useful measure

→ Present value of a future sum

ex \$100 in bank at 5% interest (per year)

$$F.V = 100(1 + 0.05)^N \quad \text{After } N \text{ years}$$

$$\$100 \rightarrow P.V$$

$$P.V = F.V \left(1 + \frac{r}{n}\right)^{-n}$$

$n \rightarrow$ Nominal rate of interest

(Includes Inflation (= Inf. + foregoing))

$$P.V = \frac{F.V}{(1+n)^N}$$

Suppose $M.R = 0.06$

Should we invest 100 m\$ to build a factory that will yield \$200m in 10 years?

Should we invest in factory or financial system.

P.V of \$200m 10 years from now

$$= \frac{200m}{(1.06)^{10}} = \$112m$$

~~\$112m~~

~~\$100m~~

$\Rightarrow \text{P.V. of } \$200 > \text{P.V. of } \$100$

\Rightarrow Better to invest in factory.

Ex

In previous $r = 0.09$
Now?

$$\frac{200m}{(1.09)^{10}} = \$84m$$

\Rightarrow Better to ditch factory & put it in the bank.

\hookrightarrow Explains why investment & when interest rate \uparrow

by incentive)

↳ Compendiously \rightarrow Compounding

\rightarrow Accumulation of a sum of money where interest earned adds to principle.

The Rule of 70

\rightarrow If a variable grows at a rate of x percent per annum then it will double in $\frac{70}{x}$ years.

\uparrow per year
 \uparrow years

$$P = P_0 e^{rt}$$

$$\ln 2 = (r t)$$

$$\frac{\ln 2}{r} = \frac{\ln 2}{\text{Doubly}}$$

$$\text{Value of } n \text{ years at } r\% = P_0 \left(1 + \frac{r}{n}\right)^{nt}$$

Value of n years at r% = $P = P_0 (1 + r)^t$

$$P_0 \cdot \ln P = \ln 2 + \ln P$$

$$\ln P = \ln P + tR$$

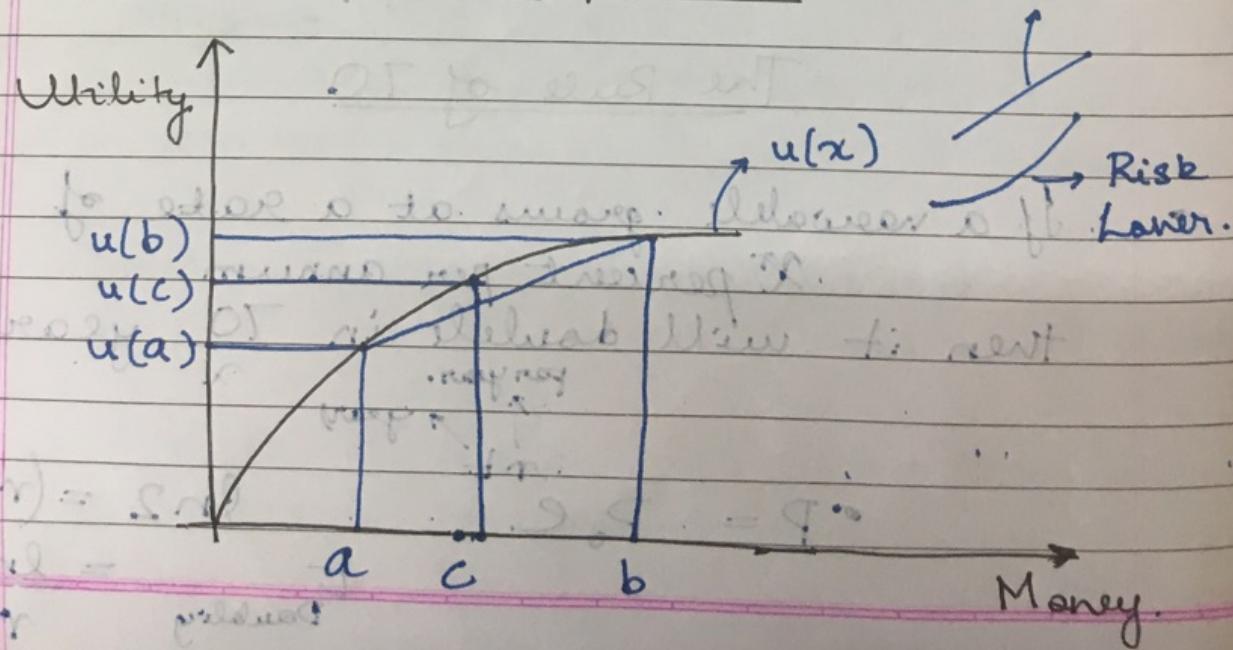
$$\text{Value of } n \text{ years} = \frac{\ln 2}{(r/100)}$$

Value of ~~n years~~ at r% =
Value of n years

Risk Aversion

- Dislike uncertainty (Most people)
- The pain of losing $x \$$ is $>$ pleasure of gaining $x \$$

Reasoning Utility functions Risk Neutral



$$\exists \lambda \in [0, 1]$$

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$$\text{s.t. } c = \lambda a + (1-\lambda)b$$

$$u(\lambda a + (1-\lambda)b) > \lambda u(a) + (1-\lambda)u(b)$$

more even dispersed money have higher

→ This kind of money utility function captures risk aversion.

→ Certainty Equivalent of a gamble

ex

$$\$600 \rightarrow P=1$$

$$\$300, p=\frac{1}{2} \text{ and } \$900, p=\frac{1}{2}$$

→ Any risk averse person would prefer the expectation value (called certainty equivalent) of the Gamble over the actual gamble.

i.e Any risk averse per. will value
\\$600 over the above gamble.

Insurance (Risk Management)

- A person facing a risk pays a fee to an insurance company, which accepts part/all of the risk.

Problems in Insurance Mktg

$$(d(\kappa-1) + \alpha\kappa) < (d(\kappa-1) + \alpha\kappa) n$$

(1). Adverse selection:

A high risk person benefits more from insurance, so they are likely to purchase.

- This is due to "Asymmetric Info." Insurees have same info. that Insurance companies don't.

Soln. : Increase Insur. premium.

2) Moral hazard:

- People with insurance have ↓ Incentive to avoid risky behaviors.
- (trading insurance below)
- Soln. ↑ Premium.

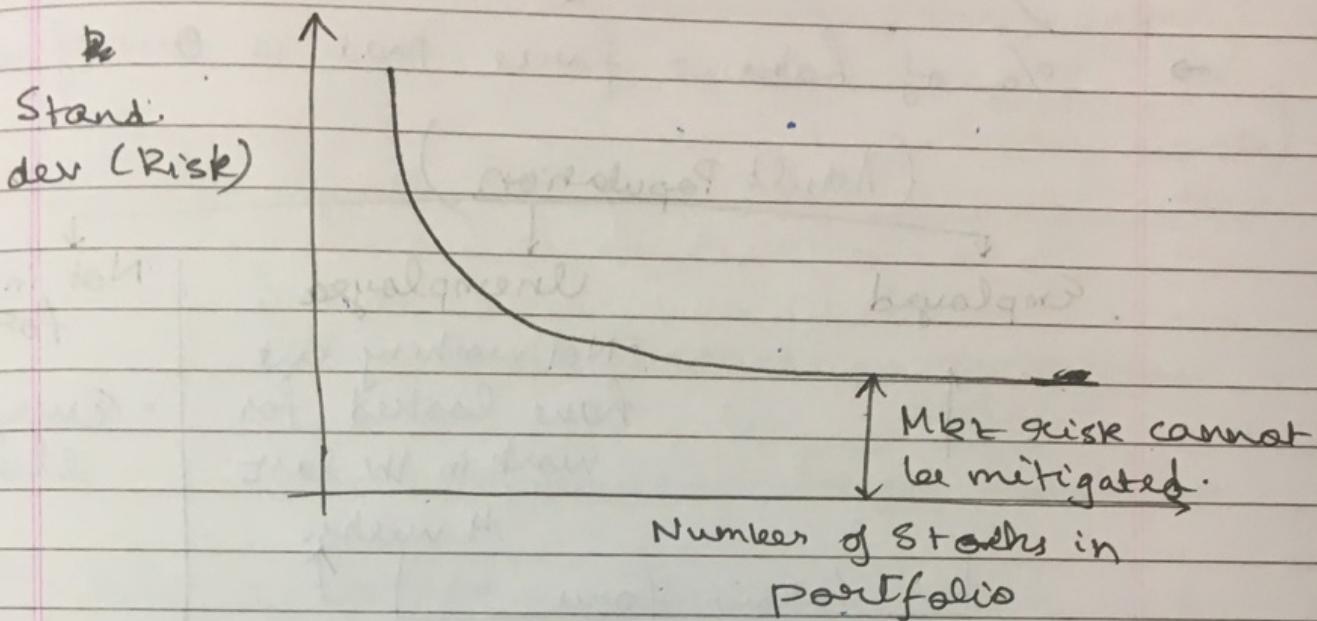
Measuring Risk

→ Measured using Std Dev.

Reducing Risk by Diversification

- Replace a Single risk with a large no. of smaller unrelated risk.

- Diversification can reduce firm specific risk but cannot reduce Mkt risk.
(ex Recession, War)



- Riskier assets pay a higher return on avg, to compensate for higher risk.

Asset Valuation

price of the shares/Stocks Vs their actual value.

price \rightarrow value overvalued

price \leftarrow value under valued

price = value fairly valued

price \rightarrow public

value \rightarrow requires insight.

Q → AT&T Stocks.

Value of \$ at every year end

$$\frac{1}{(1.1)} + \frac{1}{(1.1)^2} + \frac{1}{(1.1)^3} = 2.72$$

$$+ \frac{3.03}{(1.1)^3} \rightarrow \sum = \$ 25.03$$

True value of AT&T stock.

Unemployment

→ % of Labour force that is ~~out of work~~

(Adult Population)

Employed

Unemployed

Not in Labour force.

- Not working but have looked for work in the last 4 weeks.

- Everyone else.

Labour force

→ Labour force participation rate

$$\text{Labour force participation rate} = \frac{100 \times \text{Labour force}}{\text{Adult population}}$$

Problems with u - Rate

→ Indian Statistics Examples

Underemployment : under = living

Problems with u - Rate

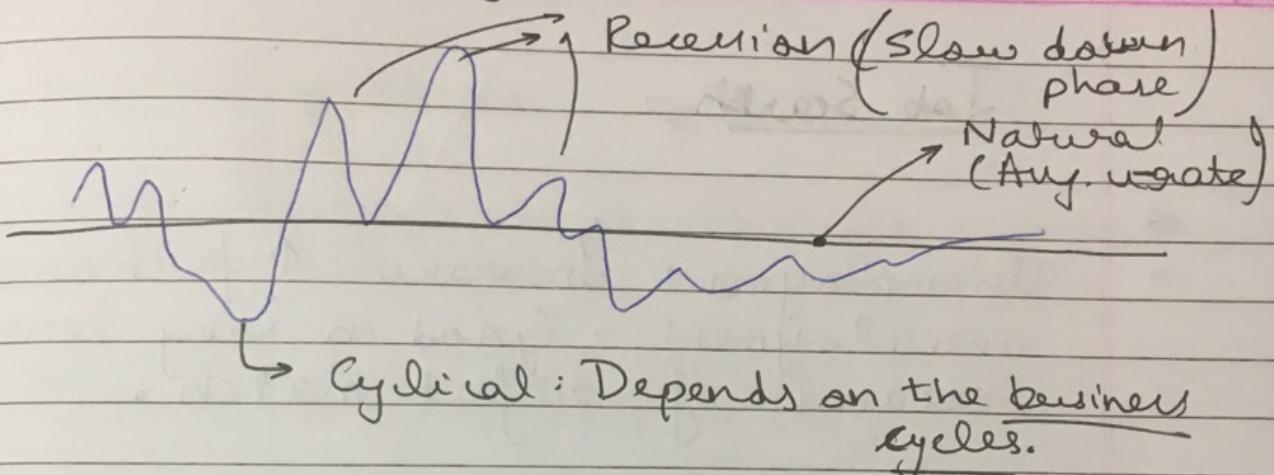
→ Excludes discouraged workers.

→ Does not tell us about people working part time ∵ full time employment is not available.

→ Underemployment : Disguised unemployment

→ Lying about employment to get Social Security.

U-Rate: Cyclical Vs Natural



- Why a constant natural u-rate, why not 0% any?

Reasons:

1) Frictional unemployment

- Occurs when worker spends time searching for the right job.
- Short term.

2) Structural.

- $\leftarrow \downarrow < \text{Jobs}, \uparrow > \text{People}$

→ Frictional unemployment.

Job Search

- Process of matching workers with app. jobs.

Sectoral Shifts

- ex Shift to ~~IT~~ IT

→ Causes ppl. to look jobs.

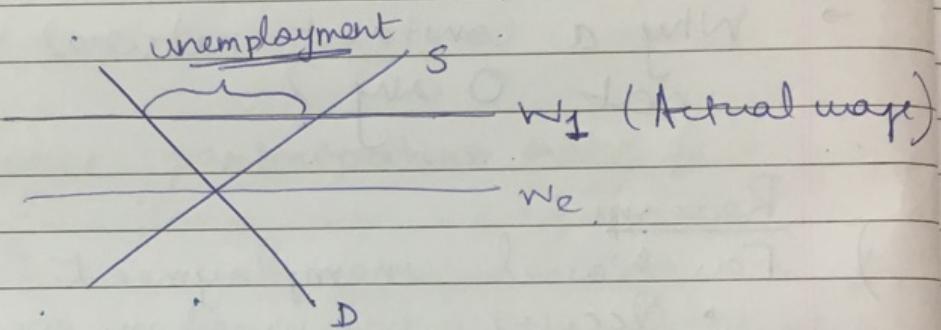
Cause: FDI

Job Search



- Unemployment Insurance ↑ frictional unemployment, Good in long term because of perfect match.

Structural Unemployment



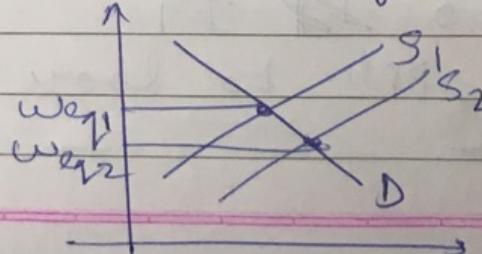
Labour Unions

- Unions raise the wages above eqm. value, causes unemployment.
- "Iniders" are better off, "Outsiders" are worse off.

Unions, Good/Bad?

Bad

- causes unemployment
- ↓ wages in unorganized mkt.



When ppl. who
can't find jobs
in union mkt
go to eqm market & wages

- Afficiency wages: higher wages increase productivity.
- Higher than eqi. wages to less. worker productivity.
- Poss of efficiency wages in slides

Thur 26th Oct 11:35 (objective type)

Chap 29: The Monetary System

- We need money.
- Barter system has the problem of double coincidence of wants.

Other functions of Money

- Medium of exchange.
- Unit of account (Uniform valuation)
- Store of value: Transfer purchasing power from present to future.

Money

- | | |
|---|--|
| <u>Commodity Money</u> | <u>Fiat Money</u> |
| • Commodity with Intrinsic value
ex Gold coins | • Have value because of Govt. Decree.
ex Currency |

→ Money Supply / Stock: Quantity of Money in the eco.

Currency : Paper / Physical.

Fiat

Demands Dep. : Withdraw anytime

Bank Reserves

→ Follow fractional reserve Bank. Sys.
i.e. they keep a fraction of deposits as reserves. rest → loans.

→ RBI establishes min reserve req.

Minimum (Reserve Ratio) $\frac{R}{=}$

→ Bank T-account

~~Assets~~ Liabilities

Reserves | Deposits

Loans

→ Money creation via bank Deposits

- If \$100 in economy; with Reserve = 0.1 Ratio

- Then what is the maximum money supply with this 100 \$ cash.

$$100 + \frac{100}{1-0.9} + 100 \times (0.9)^2 + \dots$$

$$\frac{100}{1-0.9} = 1000 \$$$

- In General Real Money

between #1 to euler Reserve Ratio

- Q → $R = 0.2$: Diff b/w Govt. Increase & in money supply & just Max. money supply.

* Not in Slides *

- 1) Open Mkt operations:

Buying and selling of Govt bonds or securities by the central bank in order to expand/contract the money supply in the economy.

- 2) Govt. bond/security:

Bond issued by a national govt. with a promise to pay periodic interest payments and repay the face value on the maturity date.

Purposes

- 1) Support Govt. Spending, i.e. to finance Budget Deficits.
- 2) To control the money supply in the economy.

Chap 30: Money Growth & Inflation

→ Relation b/w Money Supply and Inflation

→ If $P = \text{CPI} / \text{GDP Deflator}$ (Price Level)

→ Then $\frac{1}{P}$ is the value of 1\$ measured in Goods

→ Quantity of Money determines the value of Money (\therefore Prices.)

→ As Price in Economy \uparrow , value of money \downarrow

→ Quantity Theory of Money

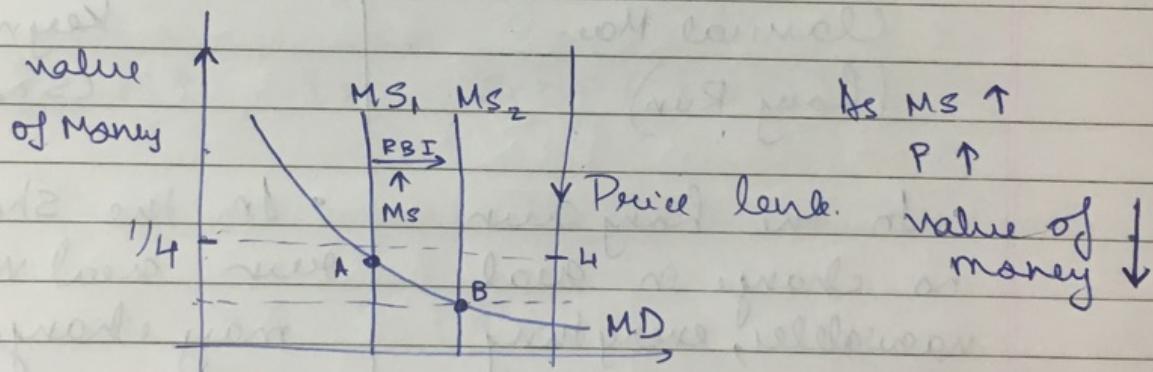
→ Asserts that the qty of money determines the value of money.

→ Money Supply (MS)

- Money supply in economy determined by RBI

→ Money Demand (MD)

- Qty of wealth people want to hold in liquid form.
- MD is -nely related +nely related to Price level (P)
- MD is -nely related to value of Money.



→ Real vs. Nominal variables

Real : Price in terms of Physical Commodity/
"relative prices"

Nominal : Price in terms of \$

Classical Dichotomy

Independent

- Nominal Prices (Absolute) change with M.S
- Real Prices (Relative) do not change with M.S
- Monetary Neutrality

• Proposition that changes in the money supply only effect Nominal variables and not real variables.



Macroeconomics

Classical Mac. (Long Run)

• In the long run no change in real variables, everything adjusts

Keynesian Mac. (Short Run)

• In the short run real variables may change.

Velocity of Money

$$V = \frac{(P \times Y)}{M} \xrightarrow{\text{Dot product!}}$$

Price level ↑

→ GDP

$P, Y \rightarrow$ Vectors

$M \rightarrow$ Money Supply.

$$\text{Money Velocity} = \frac{\$10 \times 3000 \text{ pizzas}}{\$10,000}$$

→ 30,000 \$ worth of Pizzas & change
hands 3 times on average for a
money supply of \$ 10,000

If $M \uparrow$, and P is same (Short run)
then velocity \downarrow

$$\rightarrow M \times V = P \times Y \rightarrow \text{Money aty eqn.}$$

→ V is constant, Positive relation b/w
 M (Money Supply) and $P \times Y$

→ If $M \uparrow$, then $GDP(P \times Y) \uparrow$

→ Y is determined by tech. level. (Const.)

→ $M \uparrow \Leftrightarrow P \uparrow$

$$Q \rightarrow Y = 800 \text{ units of corn}$$

$$MS = 2000 \$ \quad P = 5 \$$$

$$V = \frac{800 \times 5}{2000} = 2$$

$$2 \times 2100 = P \times 800$$

$$\text{Inflation} = \frac{\$0.25}{\$5.00} = \frac{21}{48} = 5.25\%$$

C

$$2100 \times 2 = \$4200$$

fixed
fixed

$$\$4200 = P \times 824$$

$$P = \frac{\$4200}{824} \quad \begin{array}{l} (\text{Prices go up but}) \\ 1050 \\ - 824 \\ \hline 206 \end{array}$$

(Inflation is less)

$$\frac{525}{103} = 5.1$$

$$\frac{0.1}{S} = 2\% \quad \underline{\underline{}}$$

(a)

(b)

Hyper-Inflation

- Inflation exceeding 50% per month.

Inflation Tax

- Inflation is like a tax.

Fisher Effect

$$\text{Nominal Rate} = \text{Real Rate} +$$

Costs of Inflation

Inflation rate

- Shoelather costs: Resources wasted when prices change.

- Menu Costs: Costs associated with updating Prices (ex Restaurant Menu's)

(c)

→ Tax Distortions

\$1000

case 1: $\text{inf} = 0\%$; nom. int. rate = 10%.

2: $\text{inf} = 10\%$, $\text{b} \dots = 20\%$.

Tax 25%.

(a) Real value of Deposit goes up the same
(Same Real rate).

(b) Case 1: \$100 Income $\rightarrow \$25$ tax
\$200 Income $\rightarrow \$50$ tax.
↑ tax.

(c) After tax real Rate.

\$75

\$130

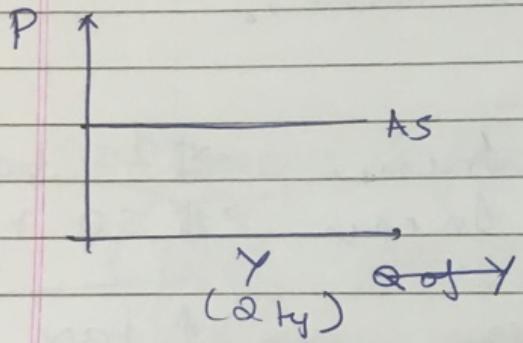
Keynesian Mac.

Ref.: Dornbusch and Fischer

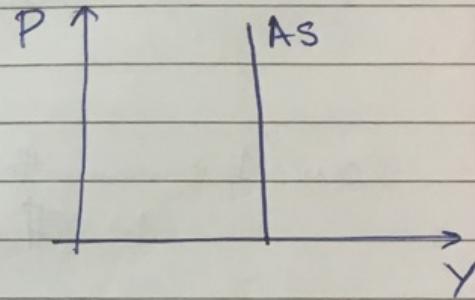
→ Difference b/w Keynesian macro & classical macro.

- Time horizon is different.
- Changes dynamics.

Keynesian (Short-run)

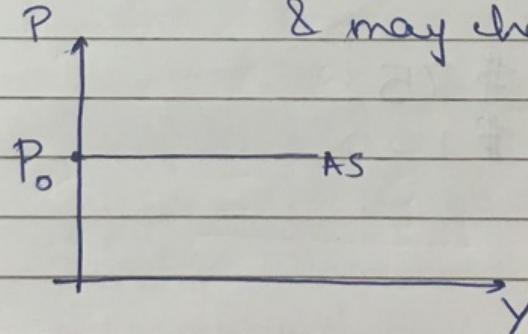


Long Run



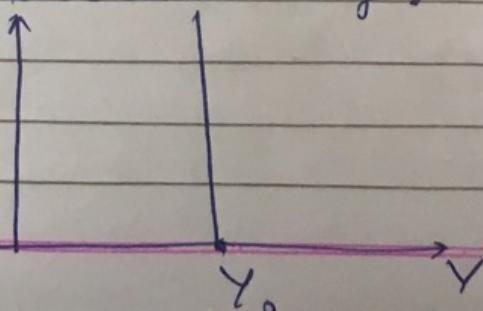
- Not super long run.
- "full employment" level ~~demand~~ determines o/p & may change in ↑ long run.

Keynesian



- Because there is unemployment, firms can obtain as much labour as they want at the current wage.

Long-Run



- Based on the assumption that labour market is always in equilibrium at the full employment level. Since labour force is fully employed $\therefore Y$ cannot \uparrow even if $P \uparrow$
- Labour Market equilibrium underlying vertical schedule is maintained via \downarrow by speedy adjustments in nominal wage.

- ex
- Economy is in Equilibrium, AD shifts to right, i.e. at existing price demand goes \uparrow .
 - Firms try to obtain more labour offering higher wages.
 - But more labour not available.
 - Hence Wages \uparrow , making the firms raise the prices of goods but $Y(O/P)$ is const.

- In the Keynesian model, the central simplification is the ~~so~~ assumption that
 - 1) Prices do not change at all.
 - 2) Firms are willing to sell any amount of O/P at the given level of prices
 - 3) Hence AS curve is flat.

Relation b/w AD and equilibrium O/P

- O/P is at the equilibrium level when qty produced = qty demanded

$$AD = C + I + G + NX$$

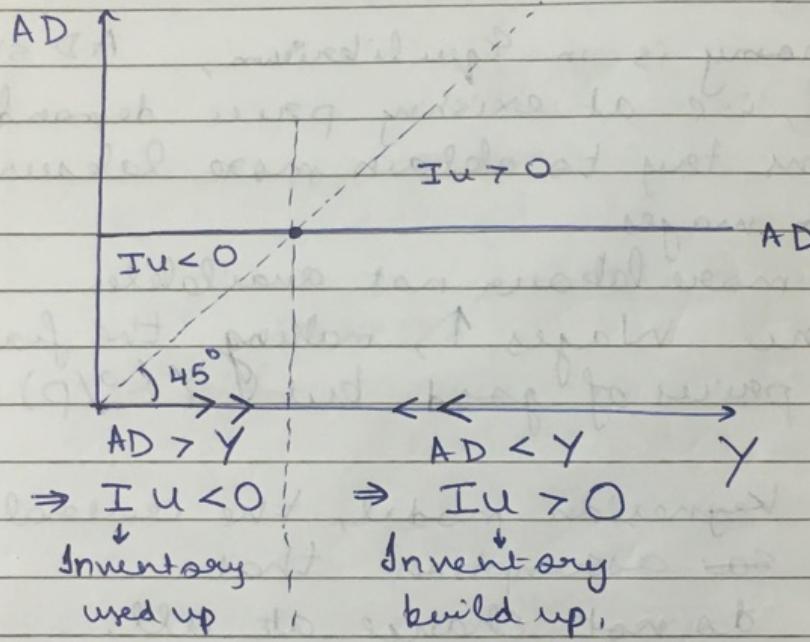
Keynesian AD →

$$AD = C + I + G + NX$$

→ Planned expenditure
on Capital Goods

Not P-Y
spare

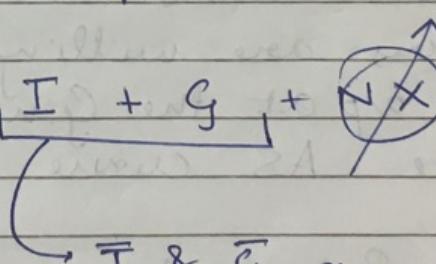
$I_u \rightarrow$ Unintentional investment
Unplanned (At $e_f = 0$)



→

$$AD = C + I + G + NX$$

O : closed economy



$$C = \bar{C} + \frac{\kappa}{\bar{Y}} Y$$

const.

marginal
propensity
to consume

$$+ \leftarrow T + (T - g)$$

$\rightarrow \kappa$: Increase in C per unit \uparrow in Y

$$\kappa \in (0, 1)$$

- Personal savings (Y includes taxes / or ditch taxes for now)

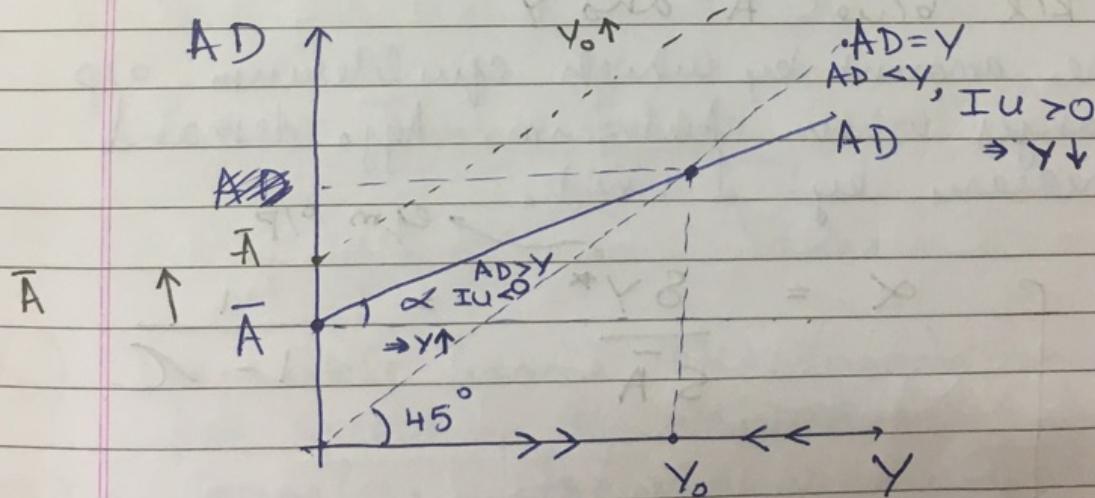
$$S = Y - C$$

$$S = -\bar{C} + Y(1 - \kappa)$$

↳ marginal propensity to save

$$AD = \bar{C} + \kappa Y + \bar{I} + \bar{G}$$

$$AD = (\underbrace{\bar{C} + \bar{I} + \bar{G}}_{A \text{ (const)}}) + \kappa Y$$



\rightarrow For $Y < Y_0$, $AD > Y$, tend firms inventories are falling $Iu < 0$, \therefore they increase prodn., conversely for $Y > Y_0$, $AD < Y$, $Iu > 0$, Inven. $\uparrow \Rightarrow$ they cut Y .

\rightarrow Solving,

$$AD = Y$$

$$Y = \bar{A} + c Y \quad (\text{Solving})$$

$$(1 - c) Y = \bar{A}$$

$$Y_0 = \frac{\bar{A}}{1 - c} \quad \xrightarrow{\text{Autonomous demand}}$$

~~31-10-17~~

- Keynes - Multiplier theory

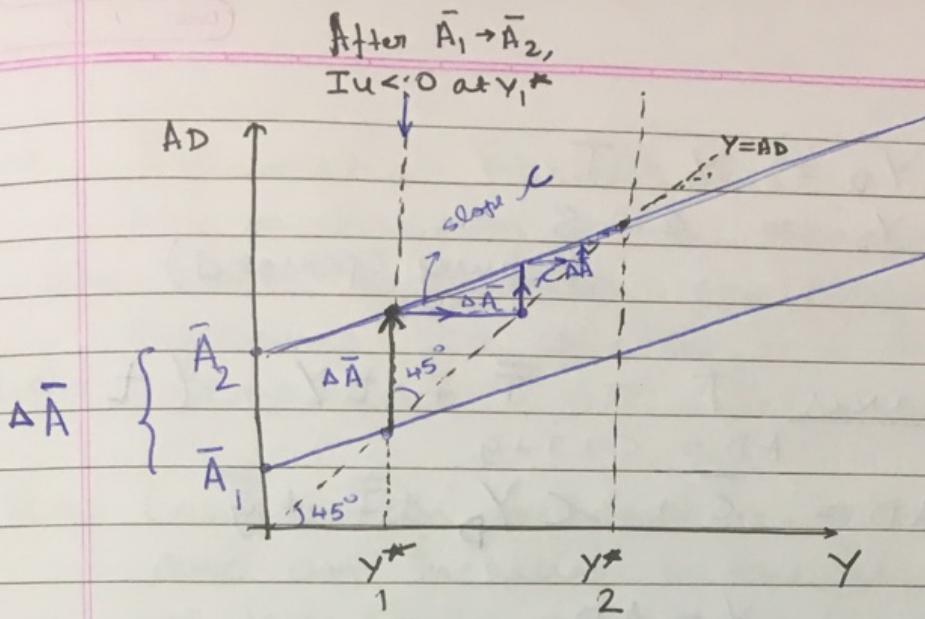
- Keynes introduced it.
- It was a policy related theory which analysed that when Autonomous comp. of expenditures change then by what amount does Y change?

→ Rel. b/w \bar{A} and Y

The amount by which equilibrium o/p changes when Autonom. Agg. demand increases by 1 unit.

$$\alpha = \frac{\delta Y^*}{\delta \bar{A}} = \frac{1}{1 - c} \quad \xrightarrow{\text{eqm o/p}}$$

→ using $Y^* = \bar{A} + c Y^*$



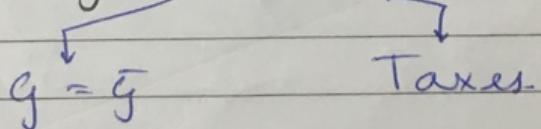
→ Initially just after $\cancel{Y^*} \bar{A}_1 \rightarrow \bar{A}_2$;

$$Y^* \rightarrow Y_1^* + \Delta \bar{A}$$

then, $Y_1^* + \Delta \bar{A} \times C \dots$

$$\Rightarrow \Delta Y = \frac{\Delta \bar{A}}{1-C} \quad (\text{Infinite GP})$$

Govt. Sector



(Y_D) Disposable Income: Net Income available for spending by households after receiving transfers from and paying taxes to the Govt.

$$\text{Net taxes} = T = \text{taxes} - \text{transfers}$$

$$Y_D = Y - T$$

$$Y_D = C + S$$

\hookrightarrow saving (personal)

Net taxes $T = \bar{T} + tY \quad (t \in (0, 1))$

$$AD = C + I + G$$

$$AD = \bar{C} + cY_D + \bar{I} + \bar{G}$$

at equilibrium $Y = AD$

$$Y_D + C + S = C + I + G$$

~~Y* =~~

$$\Rightarrow Y^* = \bar{C} + c(Y^* - \bar{T} - tY^*) + \bar{I} + \bar{G}$$

$$Y^* = \bar{C} - c\bar{T} + \bar{I} + \bar{G} + (c - ct)^{-1}$$

$$Y^* [1 - c(1-t)] = (\bar{C} - c\bar{T} + \bar{I} + \bar{G})$$

$\hookrightarrow \bar{A}$

$$\frac{s Y^*}{s \bar{A}} = \frac{1}{[1 - c(1-t)]}$$

refugee - want $-T =$ want to do

→ Automatic Stabilizers

- Any mechanism in the economy that reduces the amt. by which o/p changes in response to a change in Autonomous demand.

Q → Consider an increase in transfer payments and an increase in the Govt. expenditures of the same amt. which will have greater impact on Y^*

i) Budget Surplus: Excess of Government's revenues over its expenditures.

$$BS = TA - \bar{G} - \bar{TR}$$

↓
Net Nett

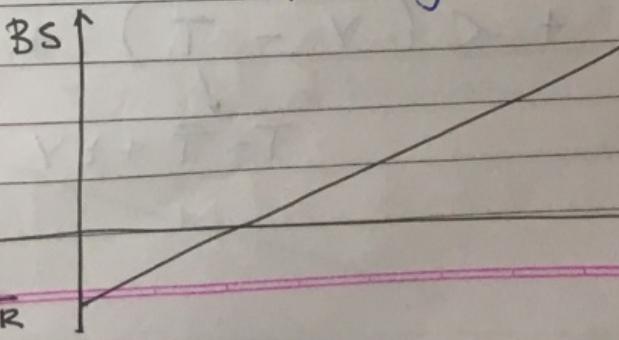
$$BD = -BS$$

↓

deficit

$$TA = tY$$

$$BS = tY - \bar{G} - \bar{TR}$$



- 2) Full Employment Budget Surplus:
 → Measures budget surplus at full level of employment.

$$BS^* = tY^* - \bar{G} - \bar{T}R$$

→ The Difference b/w the Actual and the full employment levels of the budget surplus is the cyclical comp. of B.S.

↓ Investment-savings

(IS Curve) Goods - Mkt Equilibrium

- Shows combinations of Interest rates & levels of o/p such that planned spending = Income

→ AD

$$AD = Y \quad (\text{But with variation in } I \text{ due to change in interest rate})$$

$$= C + I + G$$

$$= \bar{C} + cY_D + \bar{I} - bi + \bar{G}$$

$$\text{assuming } \bar{I} = \bar{I} - bi$$

$$= \bar{C} + c(Y - T) + \bar{I} - bi + \bar{G}$$

$$T = \bar{T} + tY$$

$$= \underbrace{(\bar{C} - \kappa\bar{T} + \bar{I} + \bar{G})}_{\bar{A}} + \kappa(1-\tau)Y - bi$$

$$Y = \bar{A} + \kappa(1-\tau)Y - bi \rightarrow \text{eqm condition}$$

$$Y(1 - \kappa(1-\tau)) = \bar{A} - bi$$

→ Auto. expenditure

$$Y = \frac{\bar{A} - bi}{1 - \kappa(1-\tau)} \rightarrow \text{called something.}$$

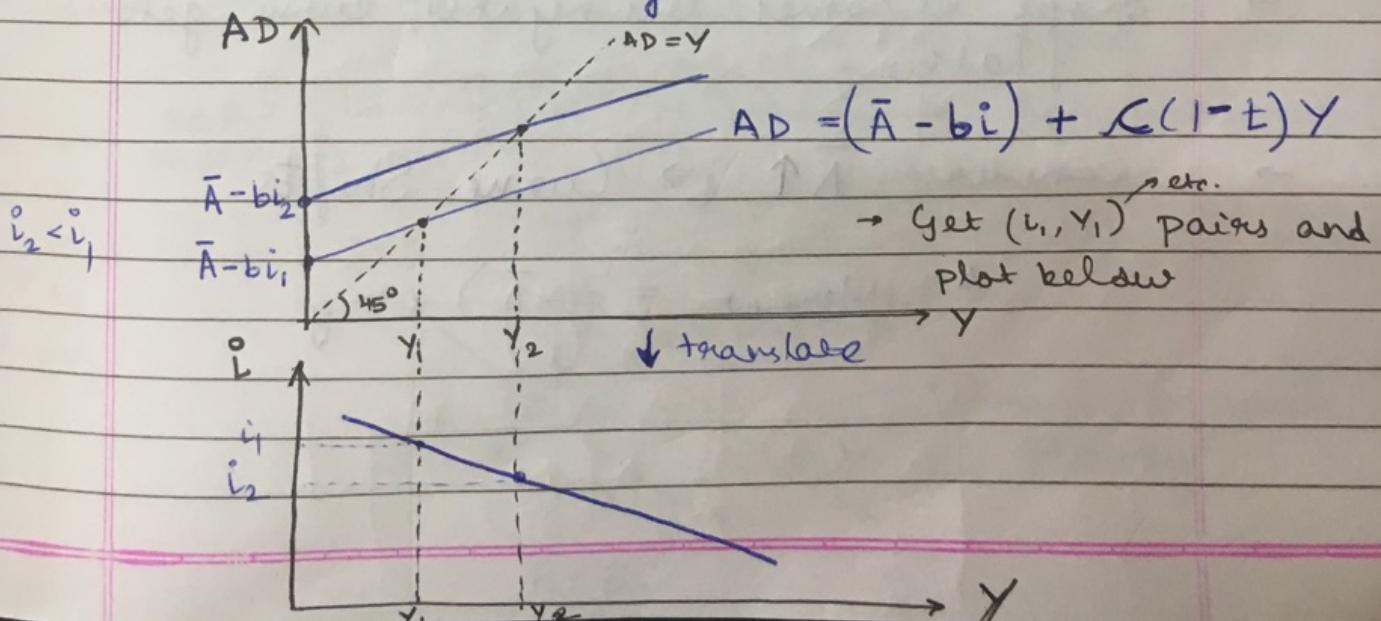
$$(1 - \kappa(1-\tau)) \rightarrow \frac{1}{\alpha_g}$$

$\kappa \rightarrow$ just coefficient
of Y_D

= Marginal propensity
to consume out of
disp. Income

Marginal propensity
to consume out
of total Income

$$Y = \alpha_g (\bar{A} - bi) \rightarrow \text{Indogenous comp.}$$



$$bi = \bar{A} - \frac{Y}{\alpha_g}$$

$$i = \frac{\bar{A}}{b} - \frac{Y}{b\alpha_g}$$

The Autonomous dem.

~~& Investment~~

$$\alpha_g = \frac{1}{1 - c(1-t)} = \frac{1}{1 - \bar{c}}$$

→ Consider $\bar{c} \uparrow$ (i.e. $c \uparrow$ or $t \downarrow$)

$$\Rightarrow 1 - \bar{c} \downarrow$$

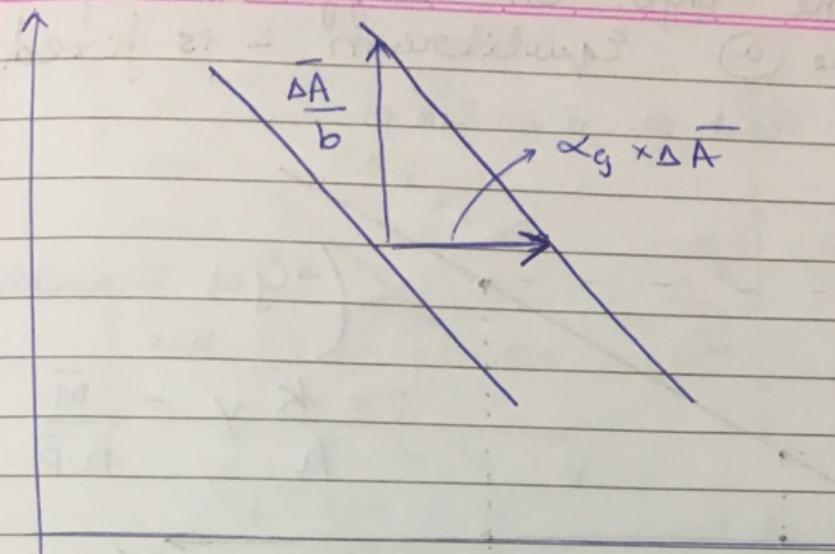
$$\Rightarrow \frac{1}{1 - \bar{c}} \uparrow = \alpha_g$$

$$\Rightarrow \frac{1}{\alpha_g} \downarrow$$

⇒ Slope becomes less negative, curve gets flatter.

→ Consider $\bar{A} \uparrow \Rightarrow$ Curve Shifts

$$\Delta Y \text{ intercept} = (\Delta \bar{A}) \times \alpha_g$$



→ All Analysis done from Algebra & curves

6.11.17 LM Curve / schedule (Money mkt eqm.)

→ Shows all combinations of interest rate and Income (i and Y) such that demand for real balances = Supply.

- demand for real balances

$M \rightarrow$ Nominal money supply

$P \rightarrow$ Price level

$$L = KY - hi$$

real Money/Balances
demand for real money.

$M \rightarrow$ Nominal money supply (Central bank)

$P \rightarrow$ Price Level.

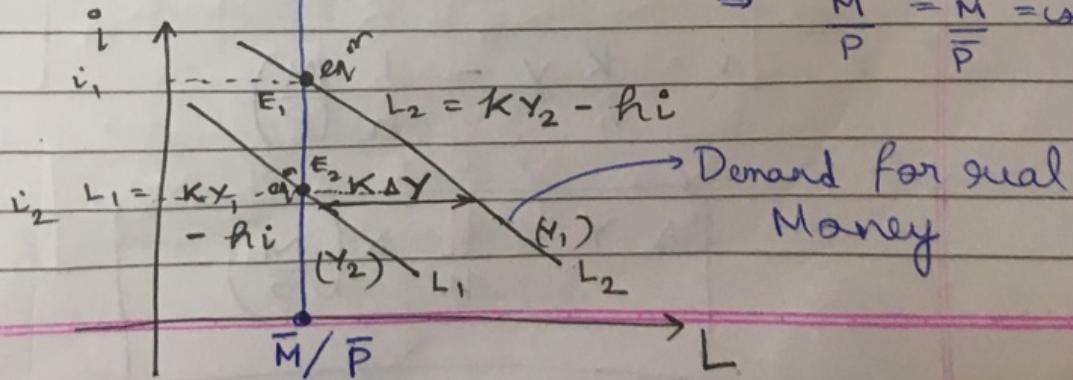
Real Money supply.

$$L = \frac{M}{P}$$

Real condition
Keynesian
 $\Rightarrow \frac{M}{P} = \frac{\bar{M}}{\bar{P}} = \text{const.}$

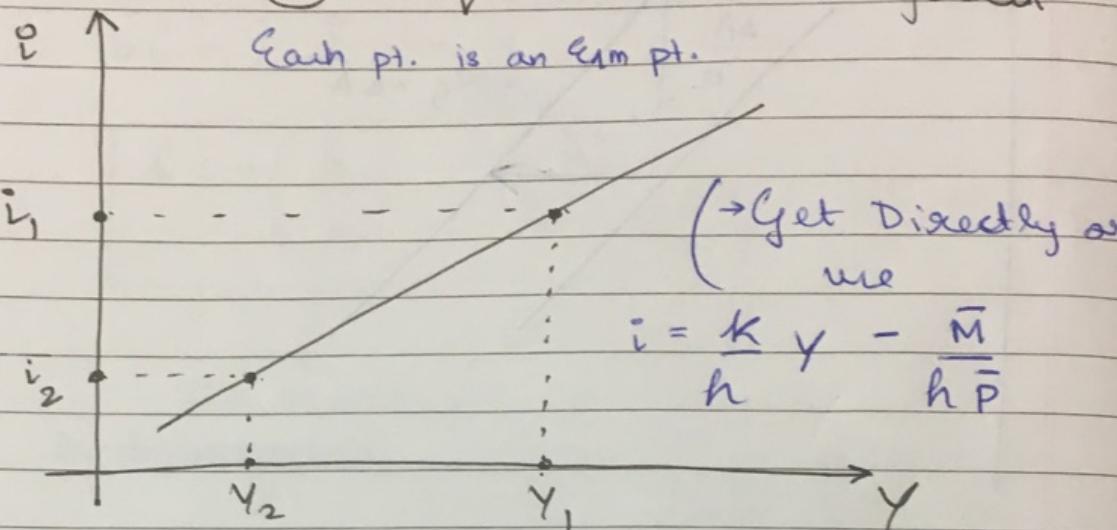
$i_1 > i_2$

$Y_1 > Y_2$



→ Same info. In Different space.

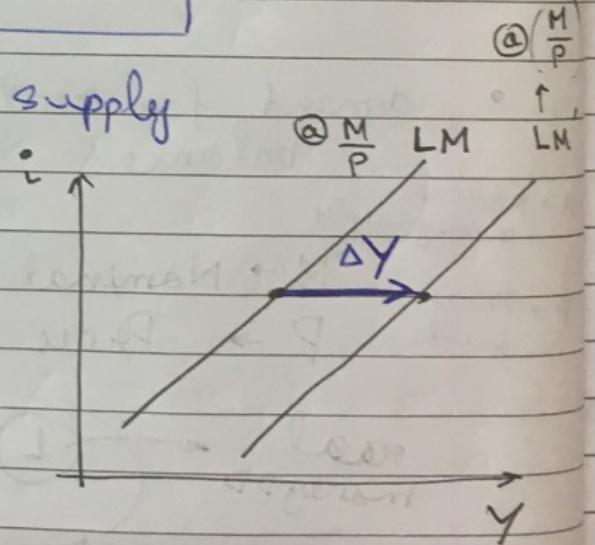
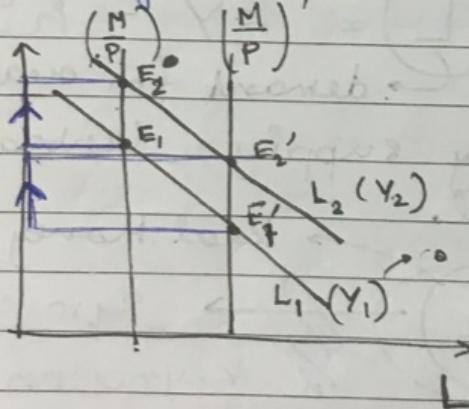
→ Since (a) Equilibrium L is fixed



$$\frac{M}{P} L_0 @ i_1 = \frac{M}{P} = k Y - h_i$$

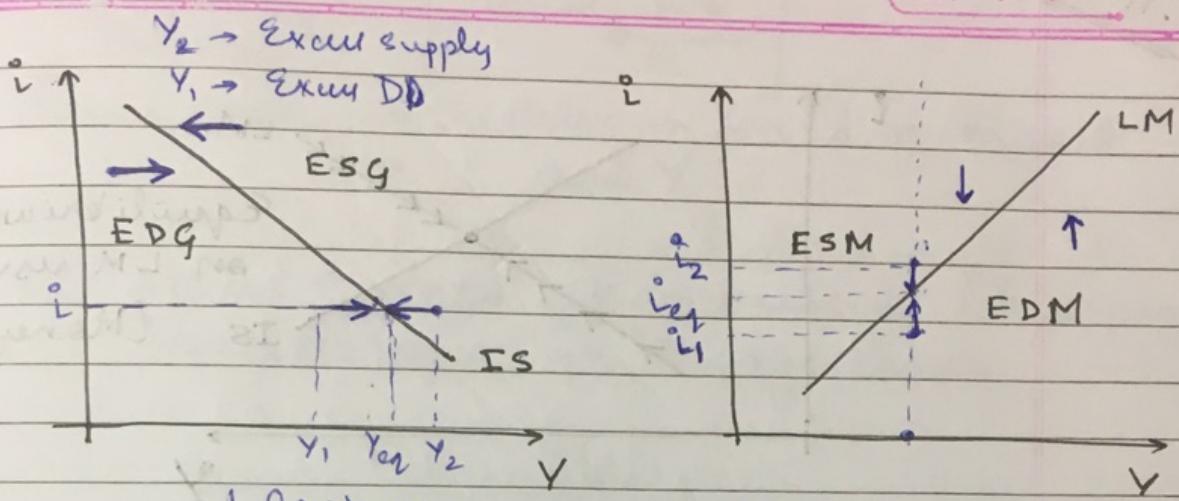
$$i = \frac{k Y}{h} - \frac{\bar{M}}{h \bar{P}}$$

→ Change in Real Money supply



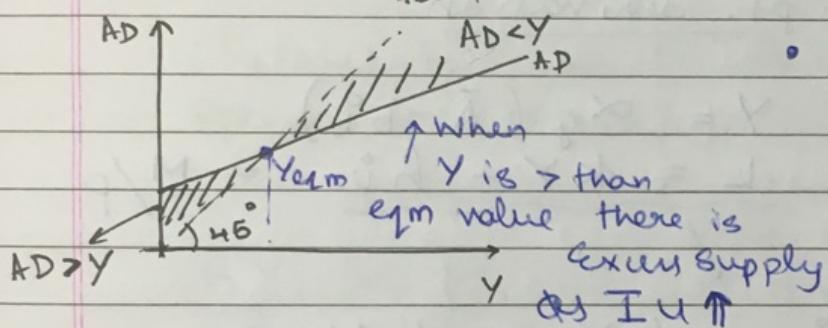
$$i = \frac{k Y}{h} - \frac{1}{h} \left(\frac{M}{P} \right)$$

$$\Delta Y = \frac{1}{k} \Delta \left(\frac{M}{P} \right)$$

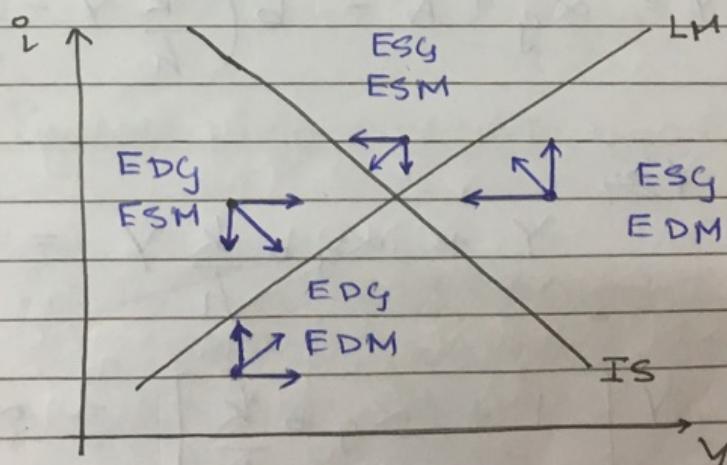


↓ Look at it from AD-Y eqm.

$$AD = Y$$



→ Combined (Revised on 7.11)



At $i \leftrightarrow$ $EDG \Rightarrow Y \uparrow$

$ESG \Rightarrow Y \downarrow$

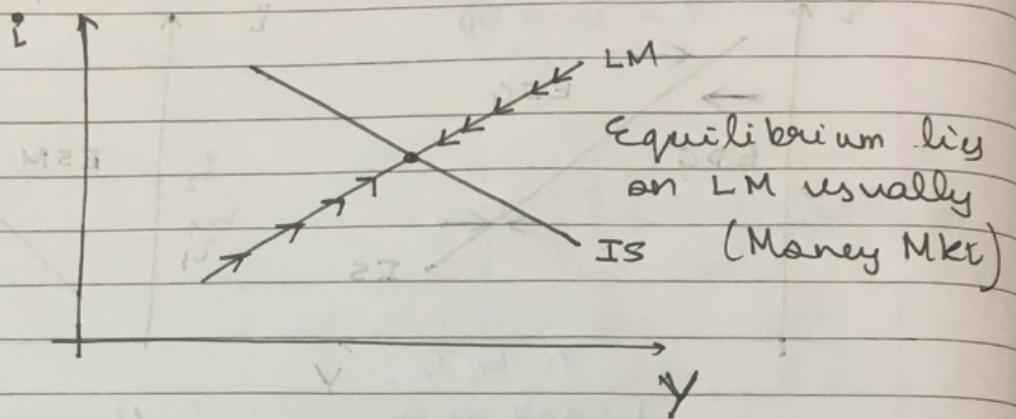
at $Y \leftrightarrow$ $EDM \Rightarrow i \uparrow$

$ESM \Rightarrow i \downarrow$

7.11.17

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→ Equilibrium pt. derivation

$$IS \rightarrow Y = \alpha_g (\bar{A} - b_i)$$

$$LM \rightarrow L = KY - hi = M/P$$

$$i = \frac{k}{h} Y - \frac{1}{h} M/P$$

$$Y = \alpha_g (\bar{A} - b \left(\frac{k}{h} Y - \frac{1}{h} M/P \right))$$

~~Y~~

$$Y + \alpha_g b \frac{k}{h} Y = \alpha_g \bar{A} + \alpha_g b \frac{M}{h} P$$

$$Y \left[1 + \alpha_g b \frac{k}{h} \right] = \alpha_g \left[\bar{A} + \frac{b}{h} M/P \right]$$

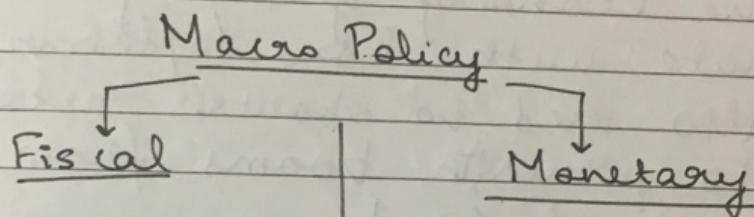
$$Y = Y \left[\bar{A} + \frac{b}{h} M/P \right]$$

where $\text{Fiscal policy Multiplier } Y = \left[\frac{\alpha_g}{1 + \frac{\alpha_g b k}{h}} \right]$

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→ Endogenous variables → fixed in model
→ ρ and Y

→ All others → fixed from outside (Indepen.)
Parameters → Exogenous.



- Related to Govt. spending & taxes.
- Related to Money Supply

$$\rightarrow \frac{SY}{SA} = Y \quad \begin{matrix} \text{policy} \\ \rightarrow \text{Fiscal Multiplier} \end{matrix}$$

$$\rightarrow \frac{SY}{S(M/P)} = \left(\frac{Yb}{h} \right) \quad \begin{matrix} \text{policy} \\ \rightarrow \text{Monetary Multiplier.} \end{matrix}$$

Wealth Budget Constraint

→ States that the sum for the individual demand for money and demand for bonds has to add up to a person's total financial wealth.

$$L + DB = \frac{WN}{P}$$

$L = \frac{M}{P} @ \text{equi}$ $DB = SB @ \text{equi}$ $\frac{WN}{P} \rightarrow \begin{matrix} \text{nominal} \\ \text{wealth} \end{matrix}$

L + DB = (WN)

\downarrow \downarrow \downarrow

dd for dd for \downarrow \downarrow \downarrow
real balances bond holdings \downarrow price level.

→ Applications of I-s L-M Model

- Monetary & Fiscal policy
- These are the two Major economic policies tools the govt. can use to keep the economy growing at a reasonable rate with low inflation.
- Also used to shorten recessions and to prevent booms from getting out of hand.
- Fiscal policy has its initial impact in the goods mkt and monetary policy in the assets mkt, but because the goods and assets mkt are closely interconnected, both Monetary & Fiscal policies have effects on both the level of o/p and Interest rates.

Monetary Policy

- Change money supply using OMO

OMO

OM purchase
of bonds

⇒ ↑ in real balances
with individuals

⇒ $(M/P) \uparrow$

⇒ i ↓

OM sale
of bonds

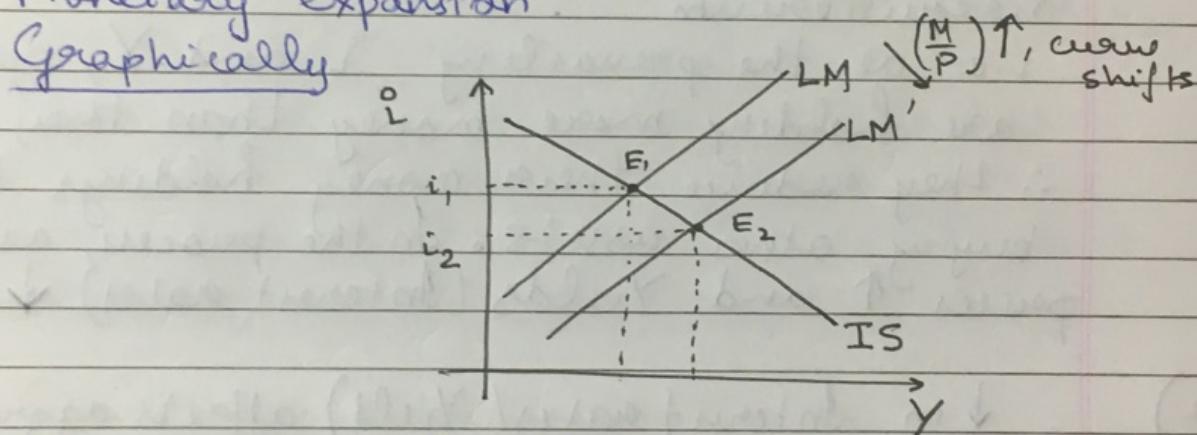
⇒ ↓ in real balances
with individuals.

- Price of bonds $\propto \frac{1}{\text{Yield}}$ \rightarrow coupon
- A perpetuity \rightarrow gives $\$5$ in unit time α and Interest rate 5% .
 \Rightarrow Cost of bond $\rightarrow \$100 \left(\frac{\$5}{5/100} \right)$
- ex A bond worth $\$100$, if purchase by gain, price of bond becomes $\$200$, let's say interest rate remains const. at 5%

9.11.17

Recap

- Monetary expansion

GraphicallyRelation with Bond Prices

- \uparrow in Bond Prices (By Govt.) $\rightarrow \downarrow$ in i
- Perpetuity Gives $\$5/\text{month}$
- Uniform Rates of Interest = 5% .
 \Rightarrow Value of Bond = $\$100$

Now say ~~the~~ price of bond set to $\$200$
 Then i will fall to 2.5% (Because
 promise of $\$5$ holds)

- Secondary effects

→ If $i \downarrow \Rightarrow$ people save less as deposits \Rightarrow
 Consumption \uparrow ($\uparrow \Rightarrow AD \uparrow$)

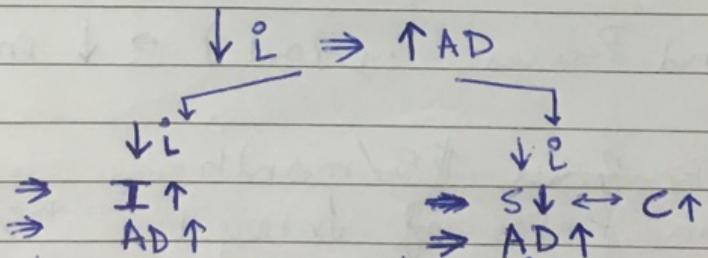
Transmission Mech.

→ Process by which changes in Monetary Policy affect Aggregate DD.

1) Increase in Real Bal. creates a portfolio disequilibrium

i.e. at the prevailing i and Y , ppl. are holding more money than they want
 \therefore they reduce their money holdings by buying other assets. In the process, asset prices \uparrow and Yields (Interest rates) \downarrow

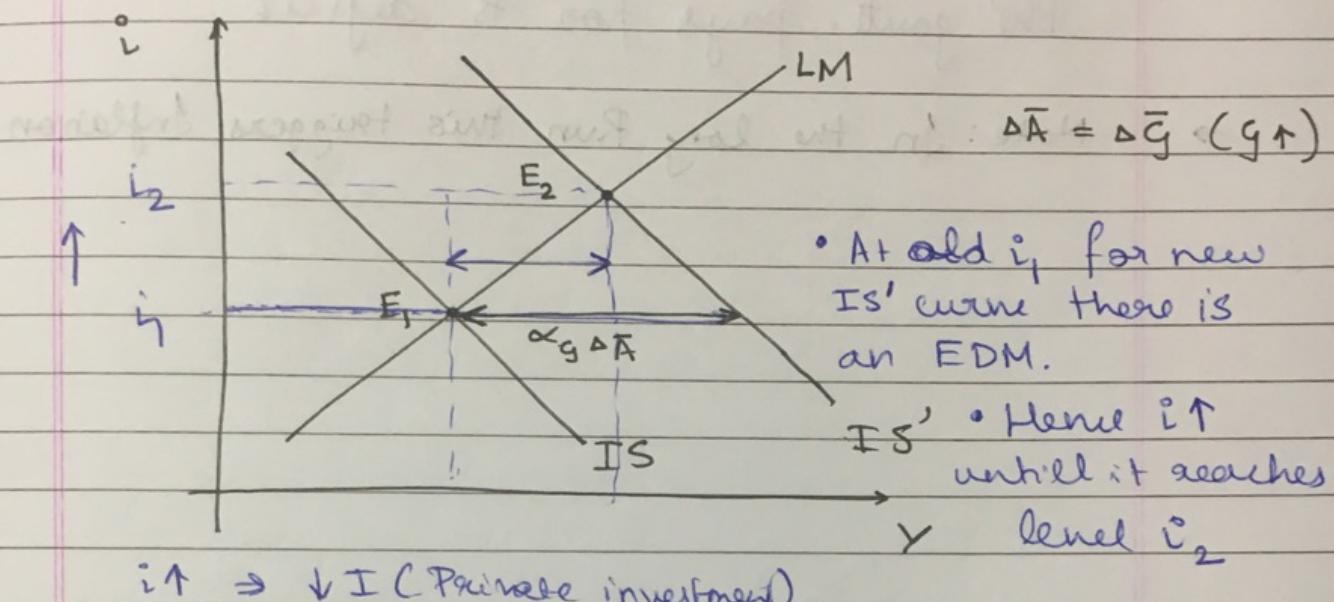
2) \downarrow in Interest rates (Yield) affects aggregate demand \underline{AD} through 2 channels



Thus through these two linkages, changes in the real value money stock affect the level of o/p in the economy.

→ Cases where linkage fails are skipped.

→ Effect of $G \uparrow$ (Increase in Govt. Expenditure)



$i \uparrow \Rightarrow \downarrow I$ (Private investment)

→ Crowding Out: Govt. Expenditure has crowded out private investment.

In the sense that Potential: $\alpha_g \Delta A$ but reality by

→ Countering Crowding out

- With unemployment \nearrow thus a possibility for o/p to expand, Interest rates need not increase at all
- When $G \uparrow$ there need not be any crowding out, this is because monetary authorities can accommodate the fiscal expansion by increase in money supply.
- Monetary policy is accommodating when in the course of a fiscal expansion $(M_p) \uparrow$ (Money supply) & in order to prevent $i \uparrow$
 - "Monetizing Budget Deficit"

→ Meaning that the Central Bank prints Money to buy the bonds with which the govt. pays for its deficit

→ Note: In the long Run this triggers Inflation