

Re view

1. Flyback converter :

⇒ Energy is stored in L_m & it is transfered to o/p

⇒ Isolated Buck – Boost control

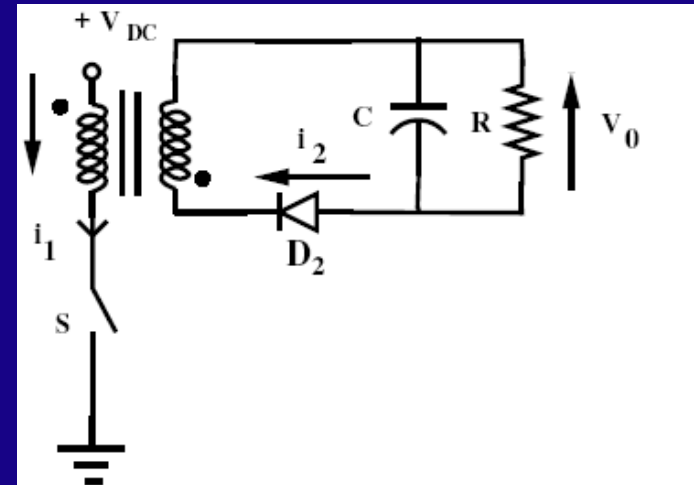
$$V_0 = V_{dc} \left(\frac{N_2}{N_1} \right) \frac{D}{(1-D)}$$

⇒ Operated in discontinuous mode (flux reseting)

⇒ Generally airgap is provided during the fabrication of transformer

⇒ Multiple o/p's are possible

⇒ Closed loop operation is a must



Forward Converter

With non-ideal transformer

$\Rightarrow \mu_r \neq \infty, R \rightarrow \text{finite}$

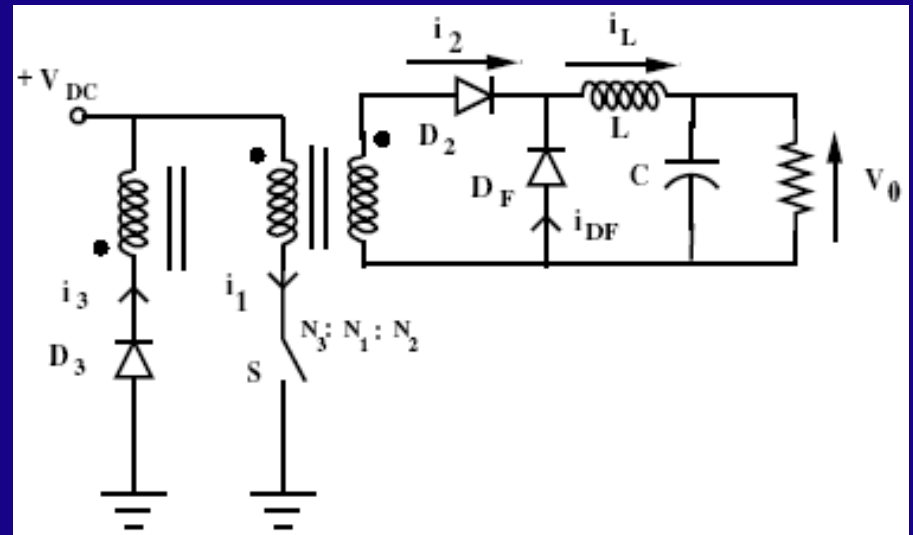
\therefore magnetising current is finite.

\Rightarrow when $i_2 = 0$, $i_1 \neq 0$

\Rightarrow magnetising current should be continuous

\Rightarrow calls for a separate winding

\Rightarrow should provide a path for the magnetising 'I' (similar to fly-back connection)



Close 'S'

$$i_1 = i_2' + i_m$$

$i_m \rightarrow$ magnetising current

'V' applied to $L_m = V_{DC}$

$\therefore i_m \uparrow$ linearly with time.

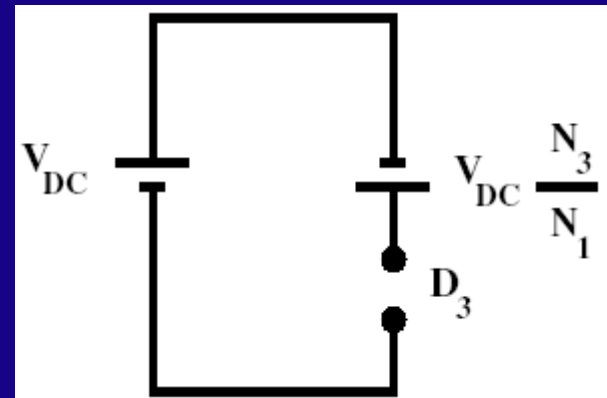
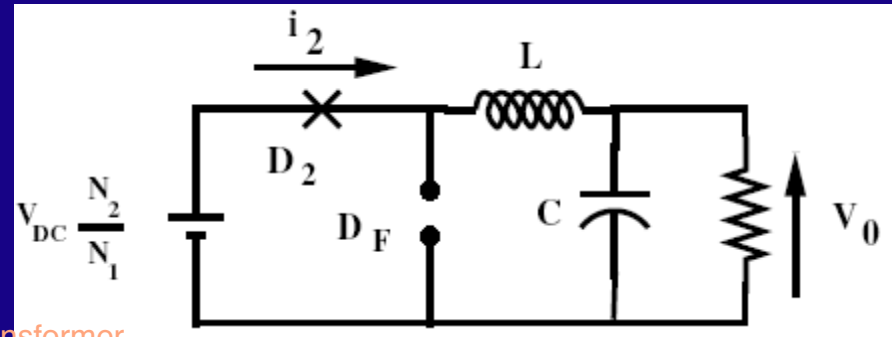
as it is in direct contact with VDC in the equivalent model of transformer

'V' induced in N_2 supplies current to load (i_2 can leave the dot)

'V' across $D_F = V_{DC} \frac{N_2}{N_1}$

Right direction for i_3 is to leave the dot.

\Rightarrow not possible due to D_3



OR: – 'V' induced in $N_3 = V_{DC} \frac{N_3}{N_1}$ with ' \bullet ' as +ve.

\therefore 'V' across $D_3 = -V_{DC} \left(1 + \frac{N_3}{N_1} \right)$

Open 'S'

$$i_1 = 0 \quad \therefore i_2 = 0$$

i_m & i_L should be continuous $\therefore i_L$ flows through D_F .

'V' across $D_2 =$ 'V' induced in N_2

$\Rightarrow \frac{d\phi}{dt}$ is -ve \therefore all ' \bullet ' are -ve

$\Rightarrow D_3$ starts conducting providing a path for i_m

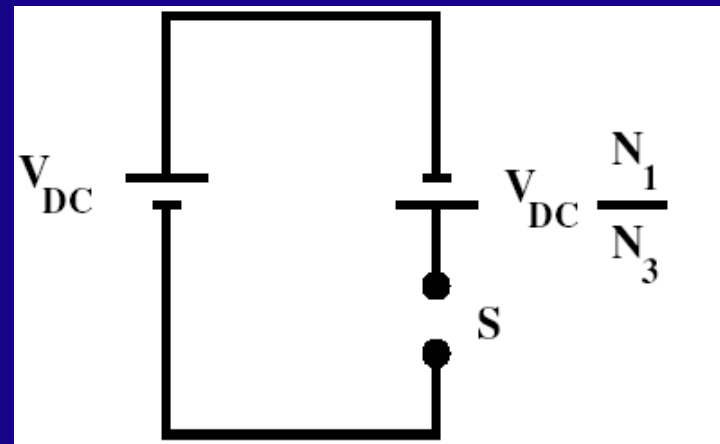
$$\text{Peak value of } i_m = I_m = \frac{V_{DC}}{L_m} DT$$

$$\text{Peak value in } N_3 = I_m \frac{N_1}{N_3}$$

'V' applied to $N_3 = V_{DC}$ (with ' \bullet ' as -ve)

$$\therefore \text{Induced 'V' in } N_1 = V_{DC} \frac{N_1}{N_3}$$

$$\therefore \text{'V' across 'S' = } V_{DC} \left(1 + \frac{N_1}{N_3} \right)$$



\Rightarrow 'V' induced in $N_2 = V_{DC} \frac{N_2}{N_3}$ (with '•' as -ve)

\therefore 'V' rating of $D_2 = V_{DC} \frac{N_2}{N_3}$

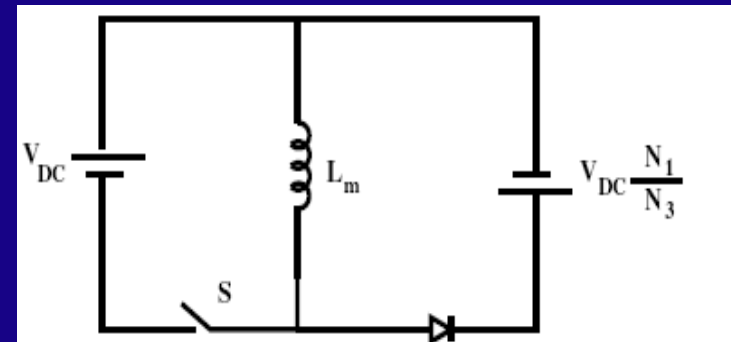
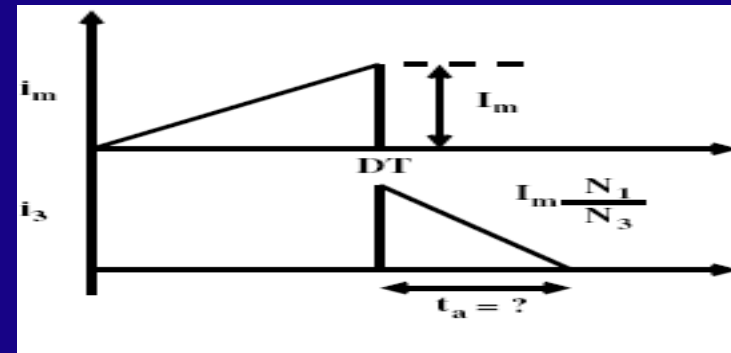
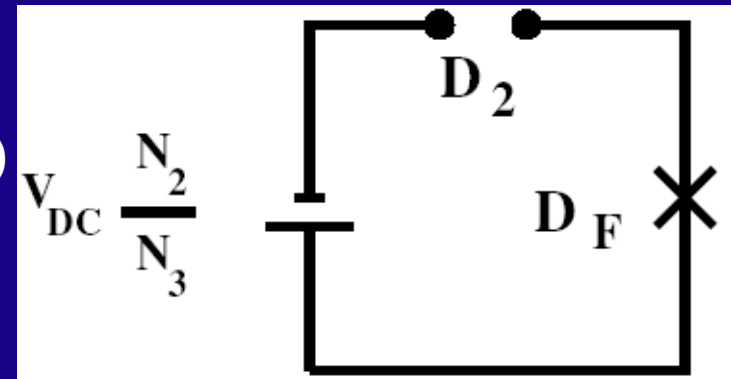
What is the value of N_3 = ?

$$\uparrow d\phi = \frac{V_{DC} DT}{N_1}$$

$$\downarrow d\phi = \frac{V_{DC}}{N_3} t_a$$

equating above equation,

$$t_a = \frac{N_3}{N_1} DT$$



For core flux to become zero,

$$t_a < (1 - D)T$$

$\therefore D$ must be limited to D_{\max} such that

$$\frac{N_3}{N_1} D_{\max} T = (1 - D_{\max}) T$$

$$\Rightarrow D_{\max} = \frac{1}{2} \quad \text{if } N_3 = N_1$$

If $N_3 = N_1$, $D > 0.5$:-

i_m will not become zero, because

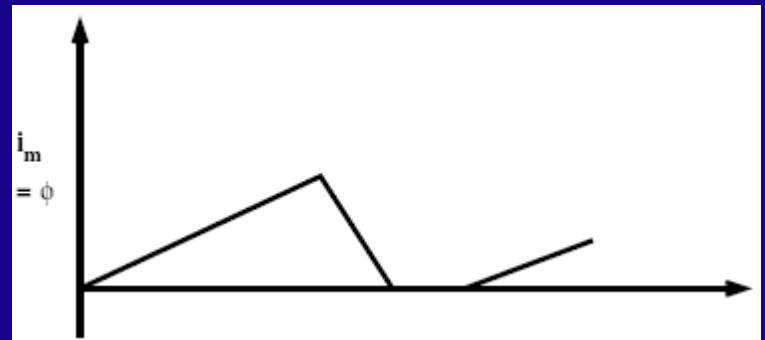
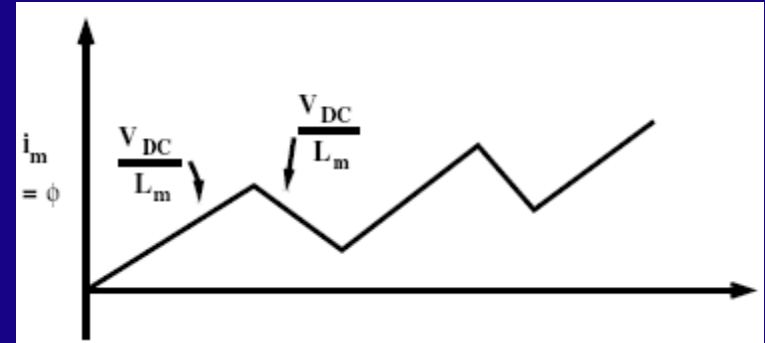
$+V_{DC}$ is applied for 'DT' &

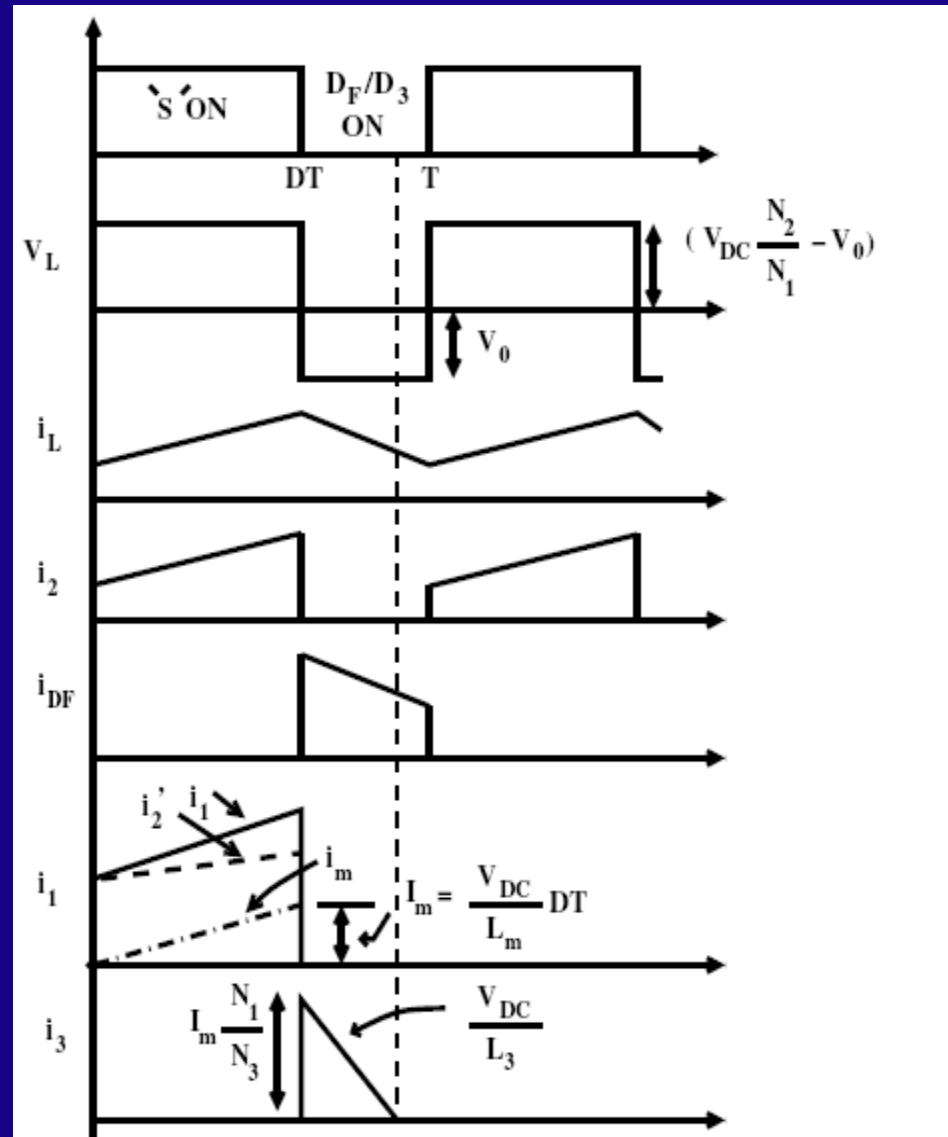
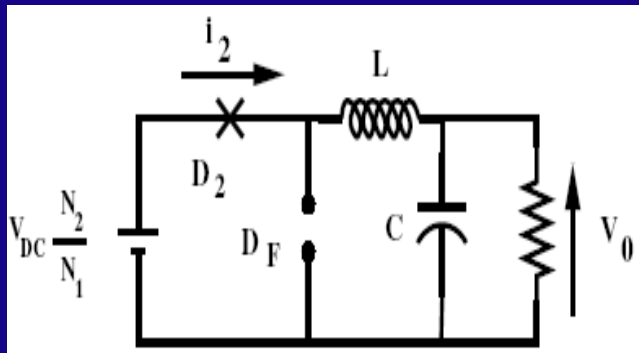
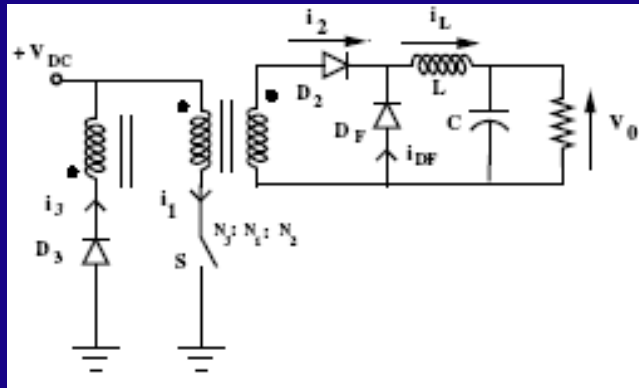
$-V_{DC}$ is applied for $(1-D)T$

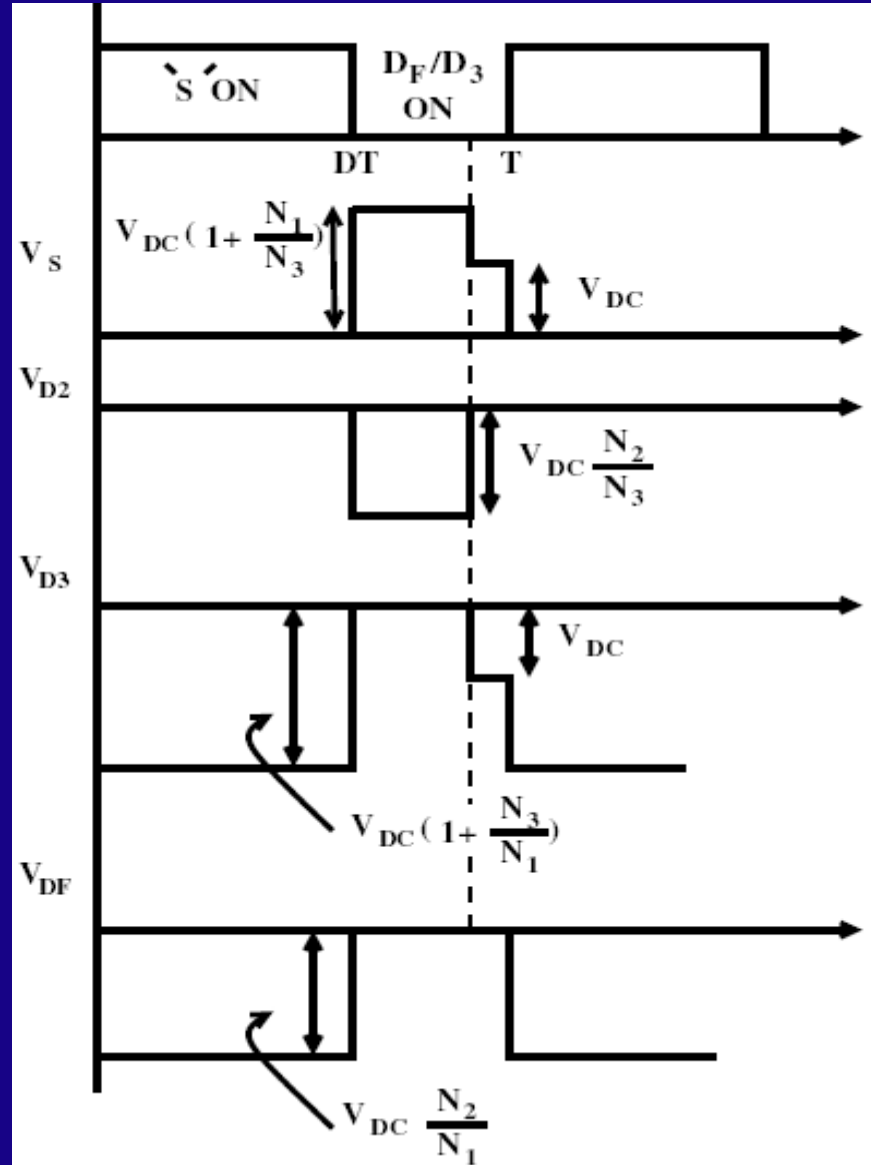
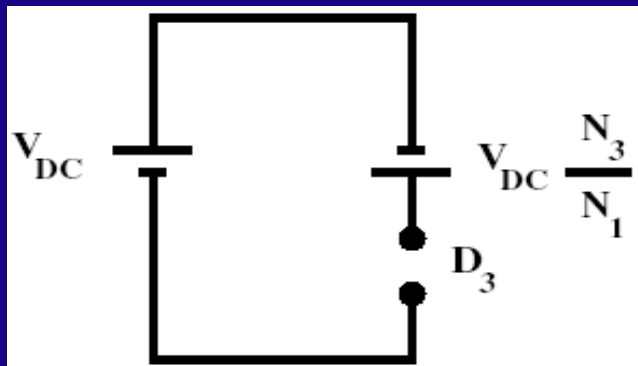
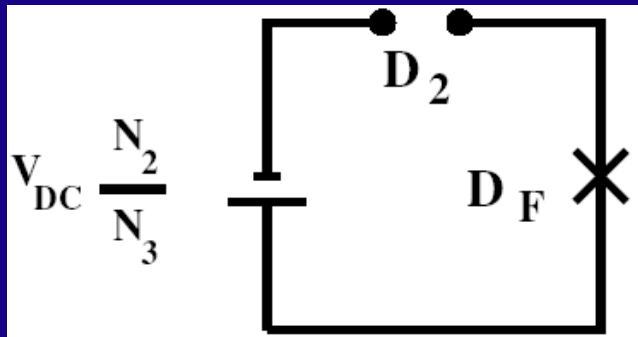
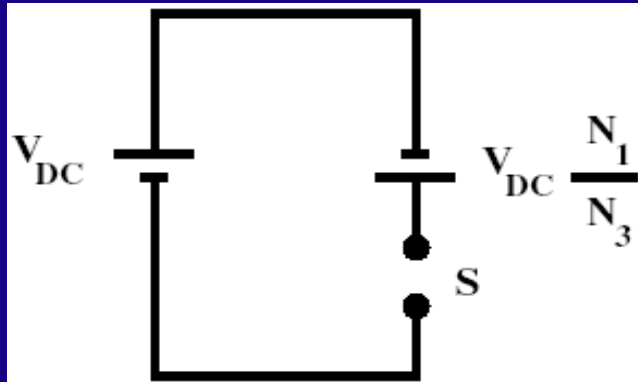
\Rightarrow slope is the same

\rightarrow core will saturate

$\rightarrow \therefore$ For $D < 0.5$, discontinuous (flux) conduction







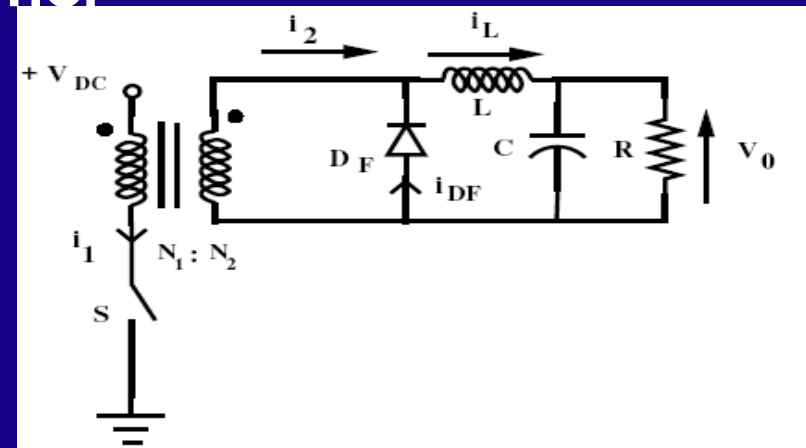
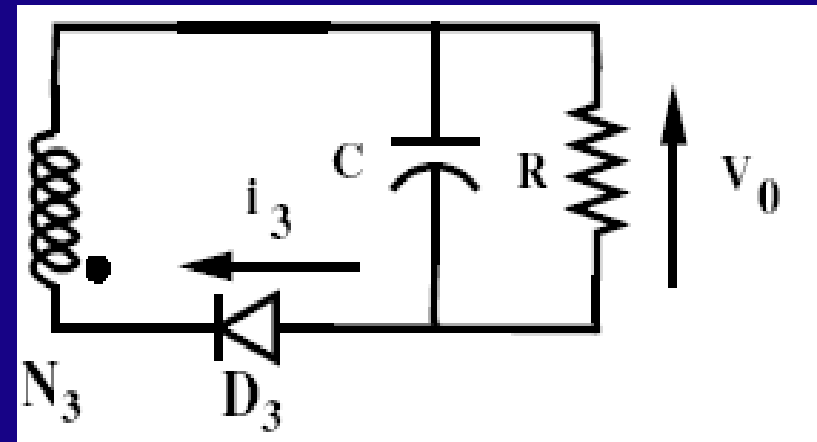
Special Cases:

⇒ Primary & tertiary winding form a flyback converter

(C & R are replaced by V_{DC})

⇒ No need to connect to V_{DC}
instead connect to C||R

OR : Using 2 – winding transformer



Close 'S'

i_1 enters the dot

i_2 can leave the dot

$$I_1 = I_m + I'_2$$

Open 'S'

i_m & i_L should be continuous

For continuity of flux,

right direction

for 'i' in secondary

(when 'S' is opened)

is to enter the dot.

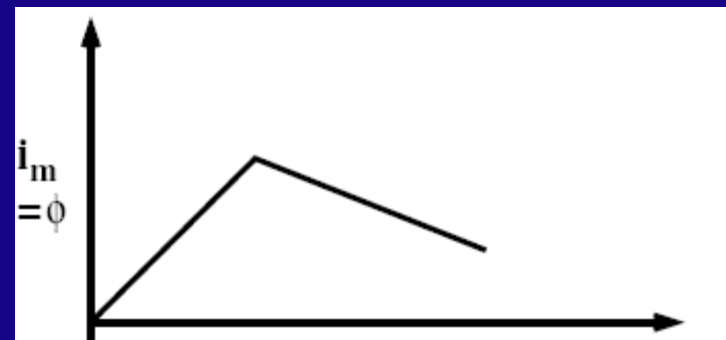
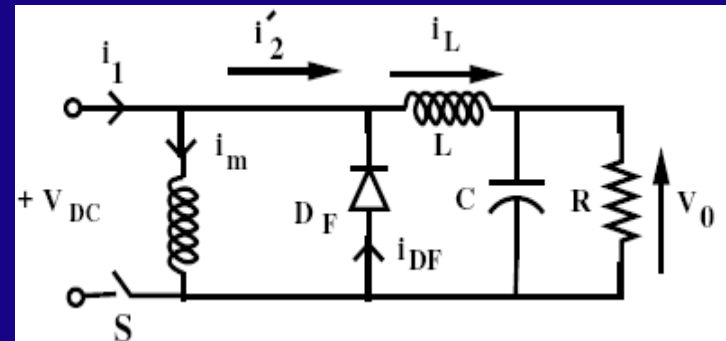
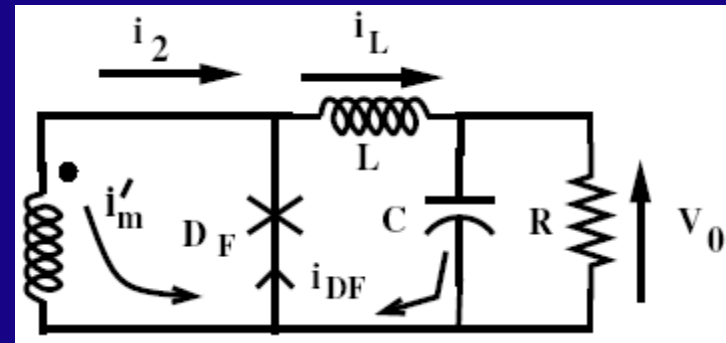
⇒ Possible.

⇒ 'i' in $D_F = i'_m + i_L$

⇒ But ↓ of $d\phi$ is very slow

as there is only internal resistance in path of IM

⇒ Next cycle core may saturate



If L_f is not present

' V_0 ' appears directly
across secondary

⇒ Affect the energy transfer

⇒ Do not allow ' V_0 '
to appear across ' N_2 '

⇒ Use ' L_f '

⇒ i_L must be continuous

⇒ Use D_F

⇒ Operation in the 1st quadrant only

