

DC-DC Power Conversion

Switched mode power supplies / Choppers.

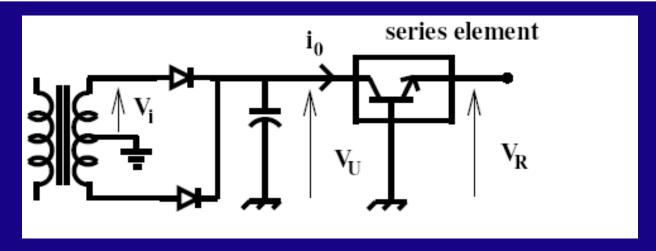
 \rightarrow High power \rightarrow D.C. motor speed control

Calcutta metro : 750V DC

Bombay – Igatpuri : 1500V

Power supplies: In computers, any electronic equipments.

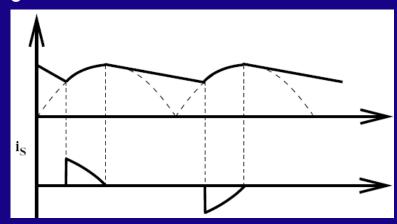
Consider Linear regulated power supply



Cathode pot. of diode = V_{u}

...'D' is off $V_{anode} < V_{u}$ When 'D' is ON, $V_{i} = V_{u}$

$$\mathbf{i}_{s} = \mathbf{C} \frac{dV_{u}}{dt} + \mathbf{i}_{0}$$



In order to get regulated power supply,

use series regulator.

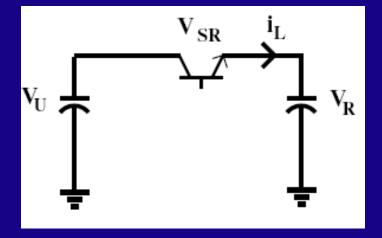
$$V_{SR} = V_U - V_R$$

As
$$V_U \uparrow$$
, $V_{SR} \uparrow$

 \Rightarrow 7805 Regulator

$$V_{U(min)} = 7.5V$$

$$V_{U(max)} = 35V$$



$$V_R = 5V$$

Power loss in the device = $V_{SR} * i_L$

Disadvantages:

- η is low.
- 50Hz Transformer.
- Heat sink requirement ↑
- Large size of C
- Source I is peaky, Harmonic content is high.

- <u>S.M.P.S.</u>: Frequency of operation is high $\approx 100 \text{KHz}$
- ⇒ Magnetics are operated at this frequency.
- \Rightarrow Broadly classified into 2 groups.
 - a) Without Transformer
 - b) With Transformer

Operation is not at 50Hz

 $VA = (4.44F\phi N)*I$ As $F \uparrow$, $N \downarrow$, core loss \uparrow

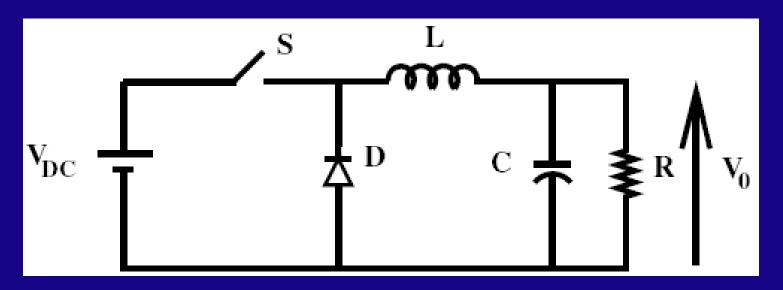
- \Rightarrow Use ferrite core Brittle, B_{gy} is around 0.2 0.25 T
- \Rightarrow Amorphous Alloy B_{av} is of the order 1-1.1 T

Buck converter:

 $L_F \rightarrow Filter inductor.$

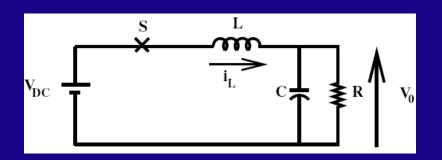
 $C_F \rightarrow Filter capacitor.$

 V_0 is assumed to remain constant.



'S' is switched at a very high frequency.

- S ON for DT
 - OFF for (1-D)T



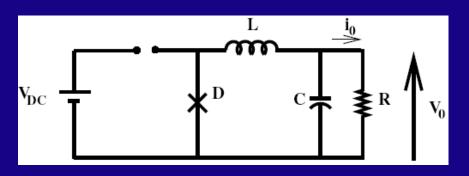
$$V_L = V_{DC} - V_0 \quad 0 < t < DT$$

=Constant

 $i_L \uparrow Linearly$

$$\mathbf{i}_{L} = \mathbf{C} \frac{\mathbf{dV}_{0}}{\mathbf{dt}} + \frac{\mathbf{V}_{0}}{\mathbf{R}}$$

$$V_{D} = -V_{DC}$$



$$\mathbf{V}_{L} = -\mathbf{V}_{0} \qquad (1 - \mathbf{D})\mathbf{T} < \mathbf{t} < \mathbf{T}$$

$$i_1 \downarrow Linearly$$

$$\mathbf{i}_{\mathsf{L}} = \mathbf{C} \frac{\mathsf{d} \mathbf{V}_{\mathsf{0}}}{\mathsf{d} \mathsf{t}} + \frac{\mathbf{V}_{\mathsf{0}}}{\mathsf{R}}$$

$$V_s = V_{DC}$$

Av. 'V' across
$$L = 0$$

 $(V_{DC} - V_0)DT = (V_0)(1-D)T$

$$V_0 = DV_{DC}$$

$$(i_L)_{av} = C \left(\frac{dV_0}{dt}\right)_{av} + \frac{(V_0)_{av}}{R}$$

 $'V_0'$ is assumed to be constant (variation over the cycle = 0)

At steady state $V_0|_{t=0} = V_0|_{t}$

$$\therefore \frac{dV_0}{dt}\bigg|_{CV} = \underbrace{0}_{CV} \quad \therefore \frac{V_0}{R} = I_L$$