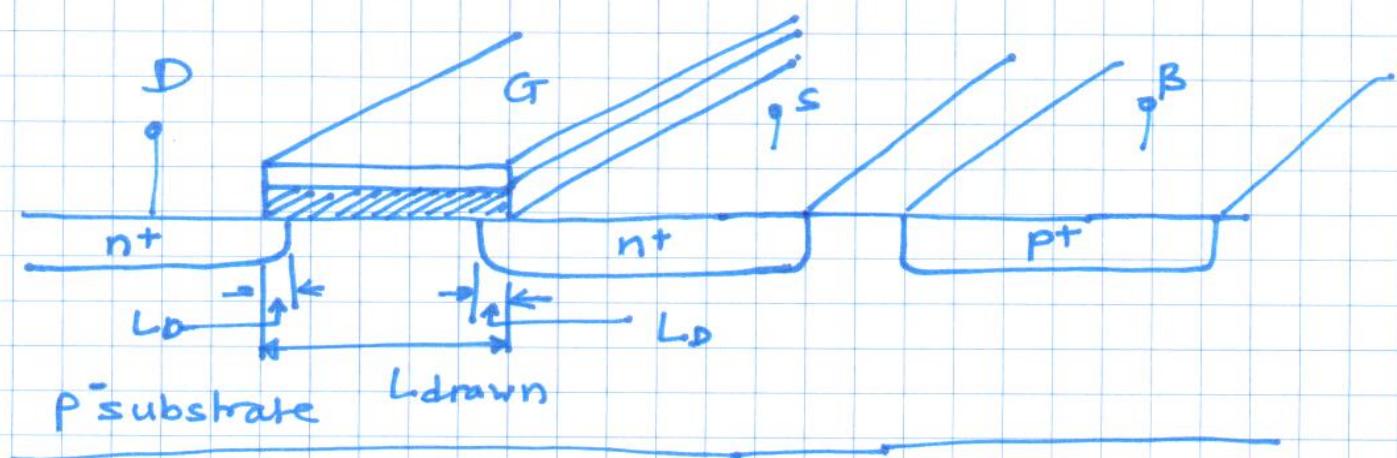
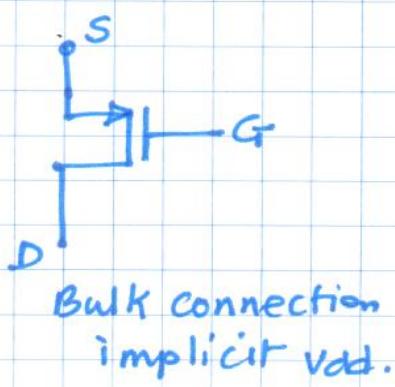
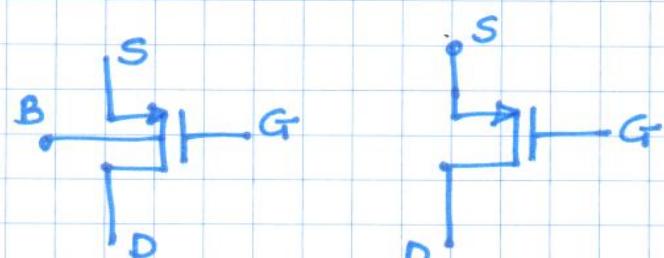
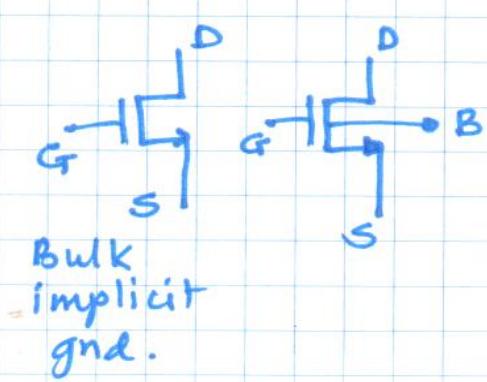
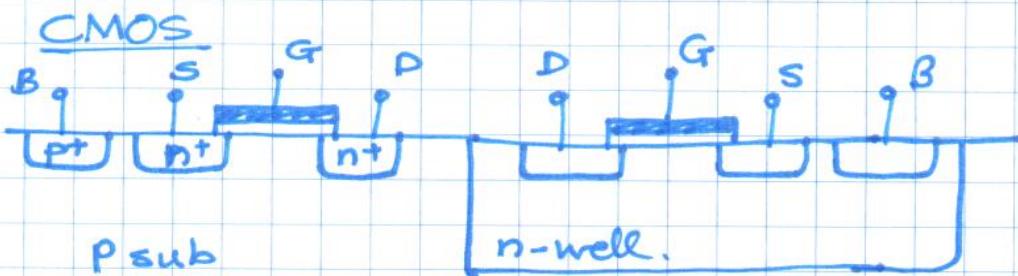


NMOS transistor

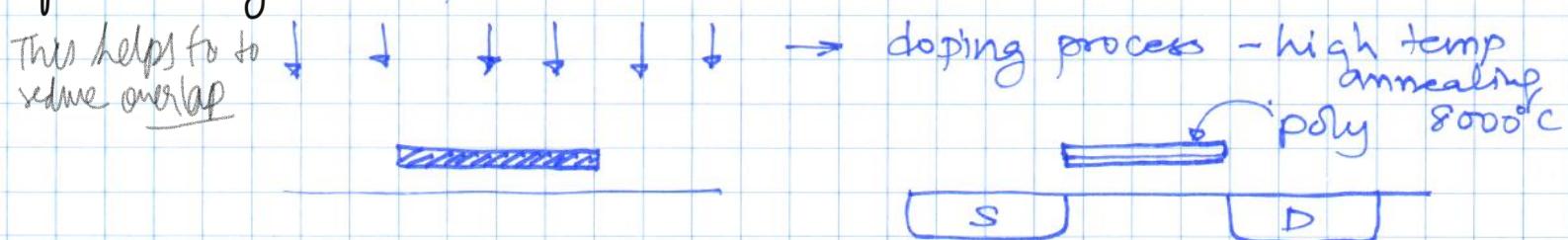


- * L_D due to side diffusion
- * $L_{left} = L_{drawn} - 2 \cdot L_D$.
- * S-D interchangeable
- * S - source of charge carriers
D - drain - collects charge carriers & removes them.



* Why polysilicon instead of Metal for gate

with polySi → Polysilicon - allows transistor gate
 we first put the gate
 then doping as it can definition very accurately - self aligned
 withstand high temp process. → smaller & faster transistor.
 of annealing



→ Poly can withstand high temp. Metal/Al melt

→ V_T reduction Φ_{ms}
 with Metal - high V_T .
 poly to S work function.

$$\Phi_{ms} = \phi_{F_{sub}} - \phi_{F_{gate}}$$

$$= \frac{kT}{q} \ln \left(\frac{n_i}{N_A} \right) - \frac{kT}{q} \ln \left(\frac{N_D}{n_i} \right)$$

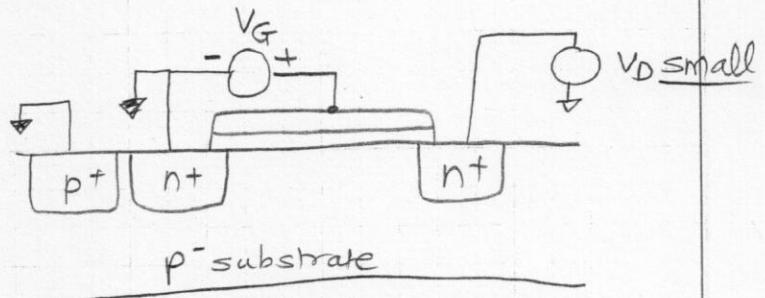
\uparrow
N_A - p_{sub}

$$= \frac{kT}{q} \ln \left(\frac{N_D N_A}{n_i^2} \right)$$

↔ can be changed

ANALOG CMOS IC DESIGNMOS DEVICE PHYSICS BASICS

NMOS crosssection



As $V_G \uparrow$, holes in p-substrate repelled leaving behind -ve ions. (depletion region). As $V_G \uparrow$ further width of depletion region increases. Cap divider effect between gate - interface - substrate. When V_G increases beyond V_{TH} sufficient positive value, e^- flow from source to the interface & drain - channel formed. (Inversion)

$$V_{TH} - \text{Threshold voltage} = \Phi_{MS} + 2\phi_F + \frac{Q_{dep}}{C_{ox}}$$

Φ_{MS} - work function difference b/w gate & sub

$$\text{Surface potential } \phi_F = \frac{kT}{q} \ln \left(\frac{N_{sub}}{N_i} \right) \quad \begin{matrix} \rightarrow \text{doping density} \\ \rightarrow e^- \text{ density in undoped Si} \end{matrix}$$

Q_{dep} = Charge in depletion region.

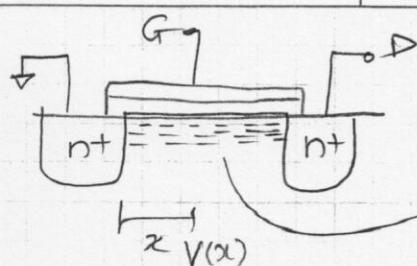
$$= \sqrt{4\pi \epsilon_s | \phi_F | N_{sub}}$$

dielectric constant

C_{ox} - Gate Oxide cap.

$$\epsilon_s = 11.68$$

$$\epsilon_{SiO_2} = 3.97$$



Channel Charge density Q_d

$$Q_d = \frac{W}{\text{per unit length}} C_{ox} (V_{GS} - V_{TH})$$

(excess gate voltage)

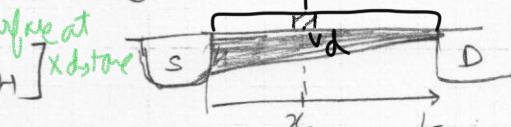
$$(V_{GS} - V_T) - V(n)$$

$$Q_d(x) = W C_{ox} [V_{GS} - V(x) - V_{TH}]$$

After formation of inversion layer

the excess V_{GS} is used to build Channel potential @ position x from source.

@ $V_{GS} = V_{TH}$ channel begins to form-



$$Q_d = I_{DS}^{(0)} = -W C_{ox} [V_{GS} - V(x) - V_{TH}] v^*$$

Charge velocity

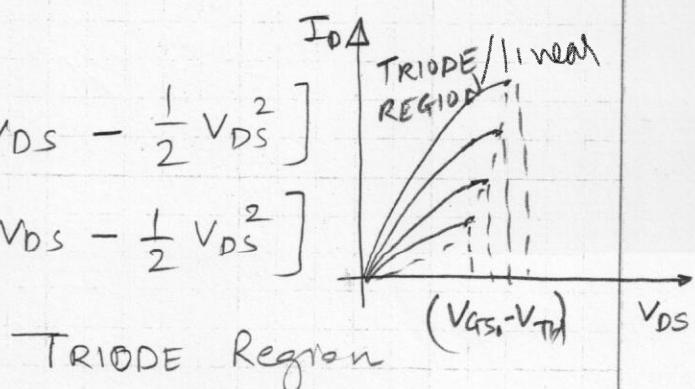
$$v = \mu_n E = \mu_n \frac{dV(x)}{dx}$$

$$I_{DS} = W C_{ox} [V_{GS} - V(x) - V_{TH}] \mu_n \frac{dV(x)}{dx}$$

$$I_D = \int_0^L I_{DS}(x) dx = \int_0^{V_{DS}} \mu_n W C_{ox} [V_{GS} - V(x) - V_{TH}] dV(x)$$

$$L \cdot I_{DS} = \mu_n C_{ox} W \left[(V_{GS} - V_{TH}) V_{DS} - \frac{1}{2} V_{DS}^2 \right]$$

$$I_{DS} = \mu_n C_{ox} \frac{W}{L} \left[(V_{GS} - V_{TH}) V_{DS} - \frac{1}{2} V_{DS}^2 \right]$$



for $V_{DS} \ll 2(V_{GS} - V_{TH})$

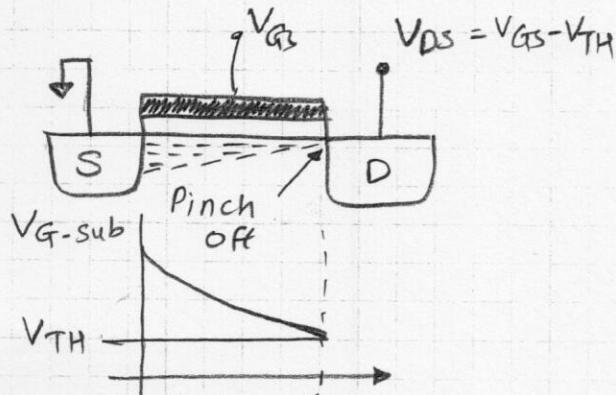
$$I_{DS} = \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{TH}) V_{DS}$$

$$R_{ON} = \left(\frac{\partial I_{DS}}{\partial V_{DS}} \right)^{-1} = \frac{1}{\mu_n C_{ox} \left(\frac{W}{L} \right) (V_{GS} - V_{TH})}$$

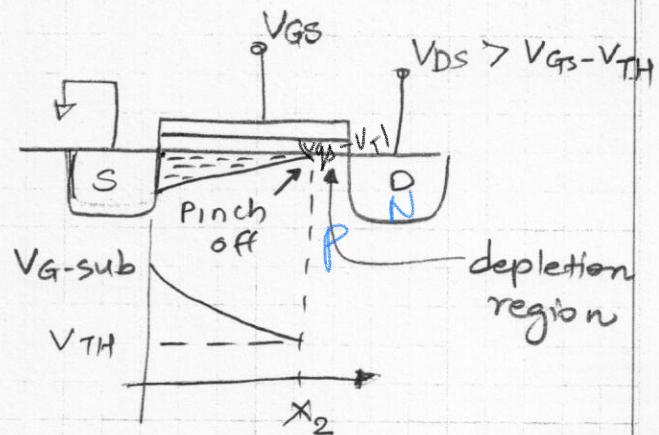
Linear Region



When $V_{GS} > V_{TH}$



$$V(x_1) = V_{GS} - V_{TH}$$



Remember $Q_d(x) = \mu_n C_{ox} [V_{GS} - V(x) - V_{TH}]$

@ pinch off point $Q_d(x) = 0 \quad V(x) = V_{GS} - V_{TH}$

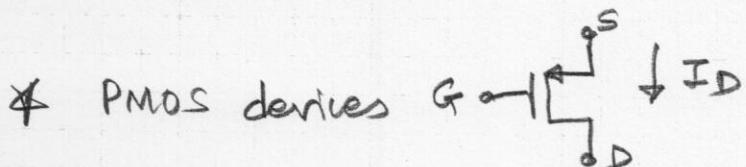
As e- (carriers) approach pinch-off point, their velocity rises big time. ($v = I/Q_d$) \rightarrow electrons shoot through the depletion region. & arrive @ drain.

After pinch-off - device is in saturation region.

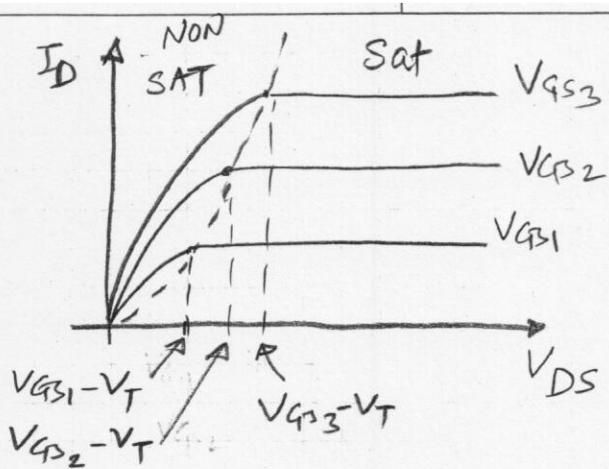
$$I_D = \frac{1}{2} \mu_n C_{ox} \frac{W}{L'} (V_{GS} - V_{TH})^2 \quad \left\{ \begin{array}{l} \text{integration from} \\ V(x) = 0 \rightarrow (V_{GS} - V_{TH}) \end{array} \right. \\ L' \text{ where channel pinches off}$$

$V_{GS} - V_{TH} \Rightarrow$ called V_{dsat}

$V_{DS} > V_{dsat}$ Required for Saturation region of.

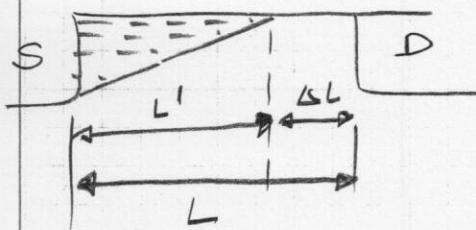


$$I_D = \frac{1}{2} \mu_p C_{ox} \frac{W}{L'} (V_{SG} - |V_{THp}|)^2$$



Channel length Modulation

Recall pinch-off in saturation



L' is function of V_{DS}

$$\frac{\Delta L}{L} = \lambda V_{DS} \quad (\text{in saturation})$$

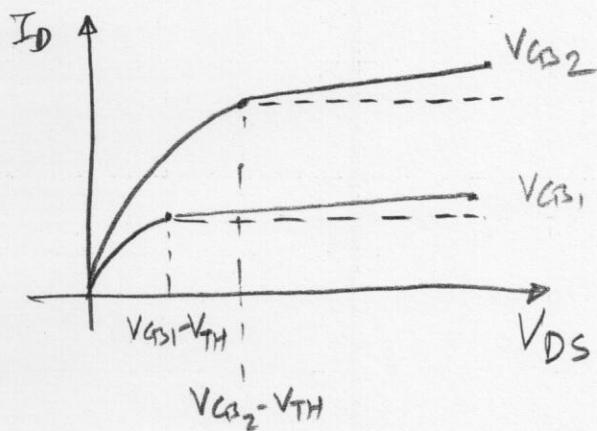
$$\frac{L'}{L} = \frac{L - \Delta L}{L} = (1 - \lambda V_{DS})$$

$$\frac{1}{L'} = (1 + \lambda V_{DS}) \frac{1}{L}$$

Substituting in sat equation

$$I_D = \frac{1}{2} \mu n C_{ox} \frac{W}{L} (V_{GS} - V_{TH})^2 (1 + \lambda V_{DS})$$

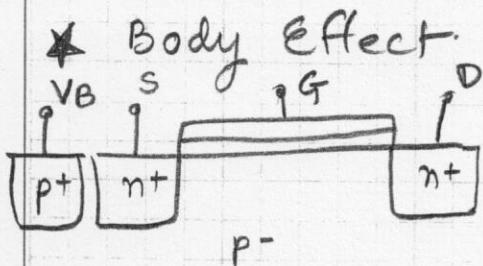
$\lambda \rightarrow \begin{cases} \text{Channel} \\ \text{length} \\ \text{modulation} \\ \text{coff.} \end{cases}$



$$\frac{\Delta L}{L} = \lambda V_{DS}$$

Relative variation in length, due to V_{DS}

Longer L
Smaller λ



Body - back gate acts like another gate affecting channel

$$\uparrow V_{SB} \rightarrow \uparrow V_T$$

$$V_{TH} = V_{TH0} + \gamma (\sqrt{2\phi_F + V_{SB}} - \sqrt{2\phi_F}) \quad \gamma = 2$$

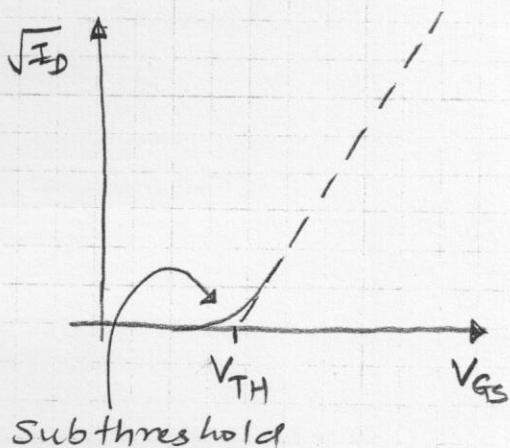
Body Effect Coefficient

$$\gamma = \frac{\sqrt{2q\epsilon_s N_{sub}}}{C_{ox}} \quad \sim 0.3 - 0.4 \text{ mV}$$

$\uparrow V_{BS}$ $\downarrow V_T$ can be used to reduce V_T by forward biasing V_{BS} .

→ Make sure current is limited after forward biasing.

★ Subthreshold Conduction.



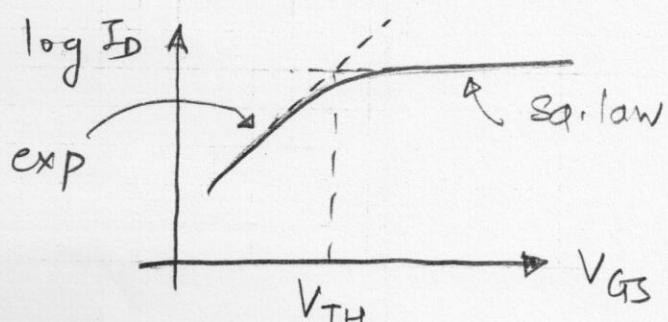
Even for $V_{GS} < V_{TH}$

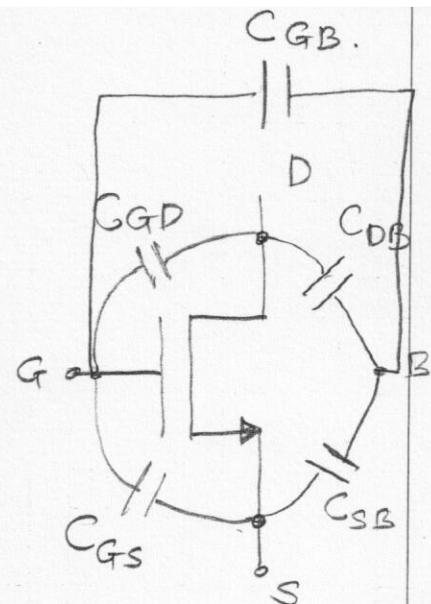
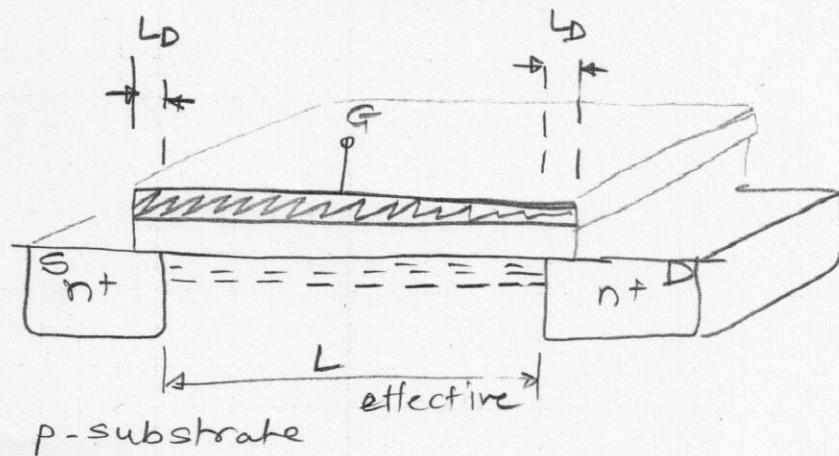
- finite I_D - exponential dependence on V_{GS}

$$I_D = I_0 \exp \frac{V_{GS}}{qV_T}$$

$$q > 1 ; V_T = \frac{kT}{q}$$

Similar to $I_C - V_{BE}$ of bipolar transistor



MOS device CapacitancesDevice is off

$$C_{GD} = C_{GS} = C_{ov. \cdot W} \xrightarrow{LD \cdot Cox} WL \sqrt{\epsilon_s N_{sub}} / (t_{off})$$

C_{GB} = C_{ox} WL series with C_d ← depletion sub. cap.

Device is in triode region

$WL \cdot Cox$ equally divided between gate & source/drain term.

$$C_{GD} = C_{GS} = \frac{WL \cdot Cox}{2} + W \cdot Cox$$

$C_{GB} = 0$ Shielding

$\xrightarrow{LD \cdot Cox}$

Device is in saturation region

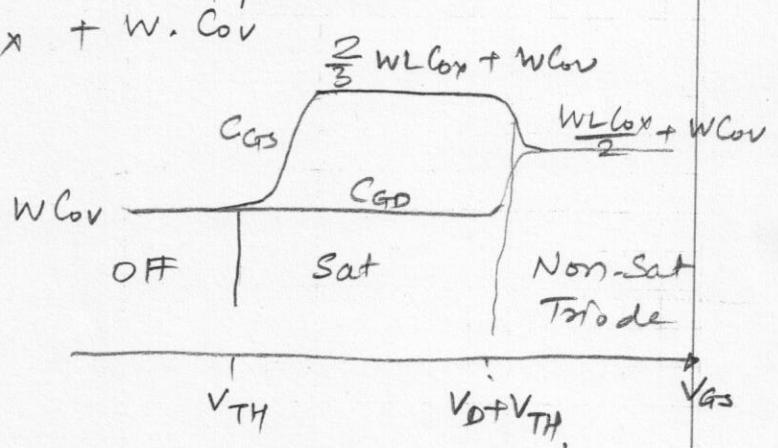
- pinch off channel

$$C_{GD} = C_{ov. \cdot W}$$

$$C_{GS} = \frac{2}{3} WL \cdot Cox + W \cdot Cox$$

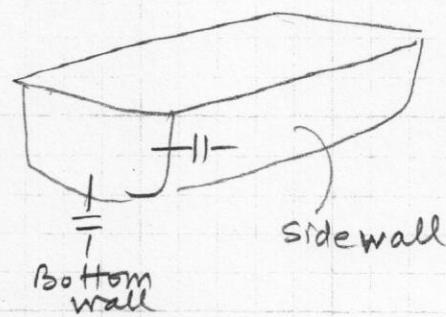
Muller
Kamins
proof

$$C_{GB} \approx 0$$



Draw / Source \rightarrow bulk cap.

$$C_{DB} = \underbrace{\frac{C_J \cdot A_D}{\left(1 + \frac{V_{DB}}{P_B}\right)^{M_J}}}_{\text{Bottom wall}} + \underbrace{\frac{C_{JSW} \cdot P_D}{\left(1 + \frac{V_{DB}}{P_B}\right)^{M_{JSW}}}}_{\text{Sidewall}}$$



$$C_{SB} = \frac{C_J \cdot A_S}{\left(1 + \frac{V_{SB}}{P_B}\right)^{M_J}} + \frac{C_{JSW} \cdot P_S}{\left(1 + \frac{V_{SB}}{P_B}\right)^{M_{JSW}}}$$

C_J \rightarrow source/drain bottom plate J^n cap/area F/m^2

C_{JSW} \rightarrow sidewall F/m

P_B \rightarrow source/drain junction built-in potential V

M_J, M_{JSW} \rightarrow exponents (unitless) 0.3 to 0.4