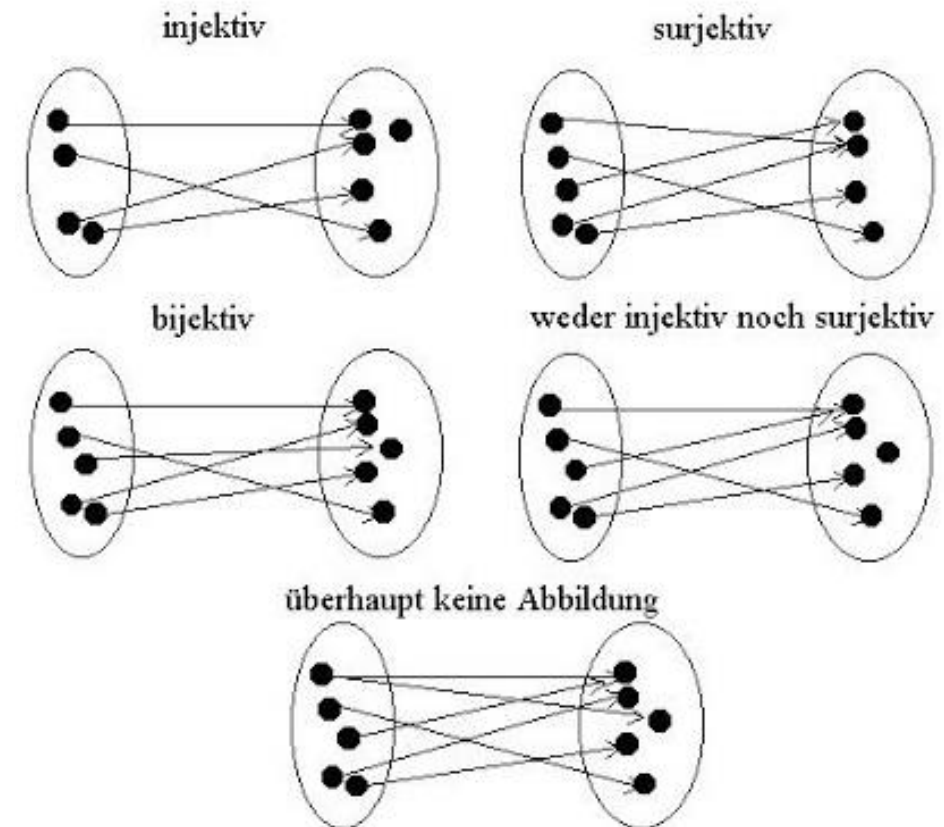
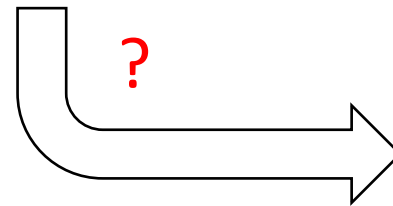


# Remark: Text Preprocessing

$F(\underline{w}) := \text{Text Preprocessing}$

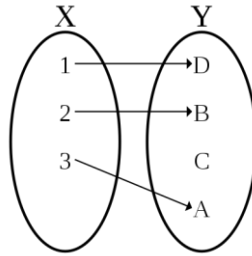
- Tokenization
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- ....



# Injective, surjective, bijective - What??

?  $f: X \rightarrow Y$  is called  $\Leftrightarrow$   
injective

# Injective, surjective, bijective - What??



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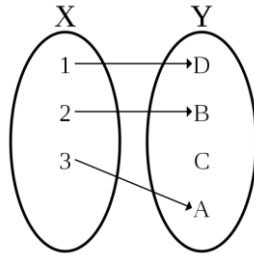
$\Leftrightarrow$

$$x_1 \neq x_2 \Rightarrow f(x_1) \neq f(x_2)$$

?

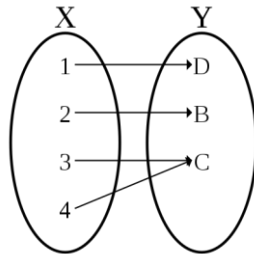
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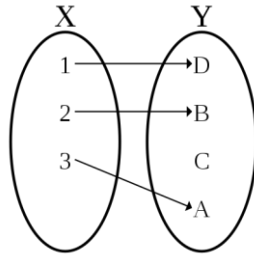
surjective

$$\forall y \in Y \exists x \in X: f(x) = y$$

?

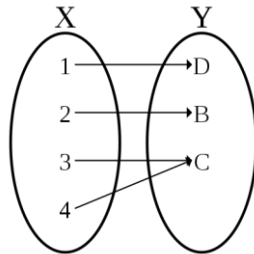
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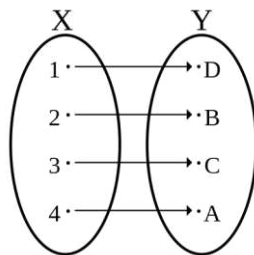
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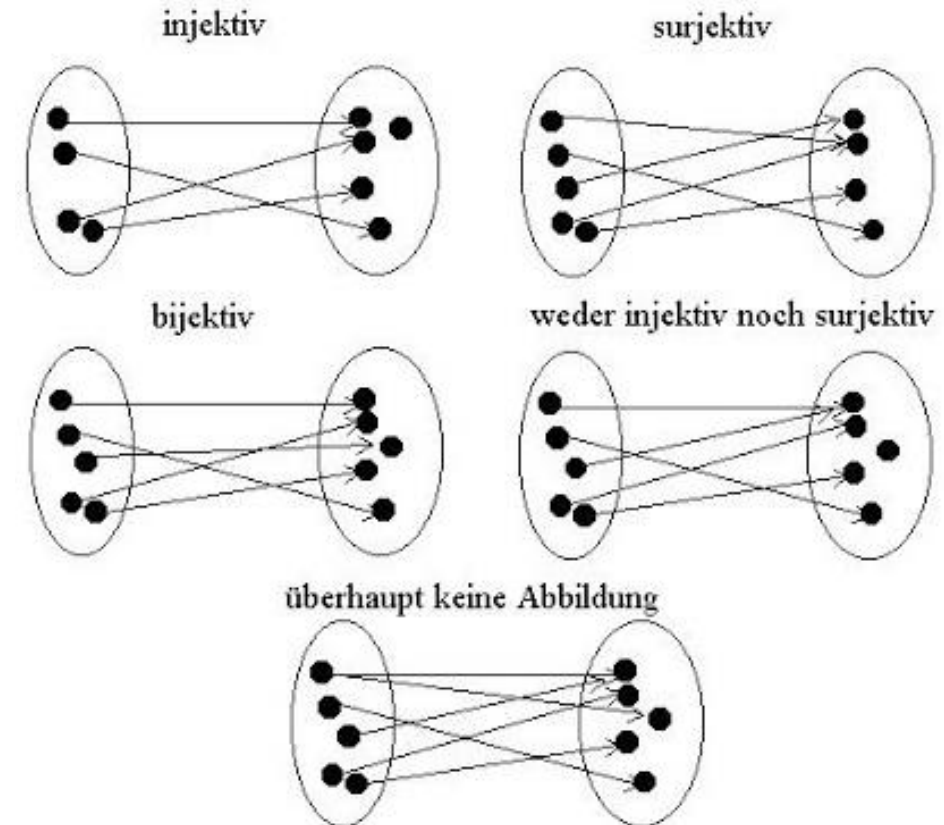
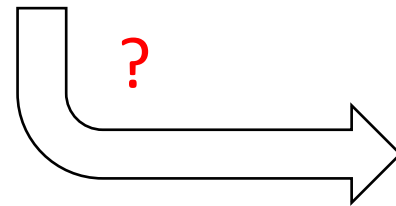
bijective

$f$  is injective and surjective

# Remark: Text Preprocessing

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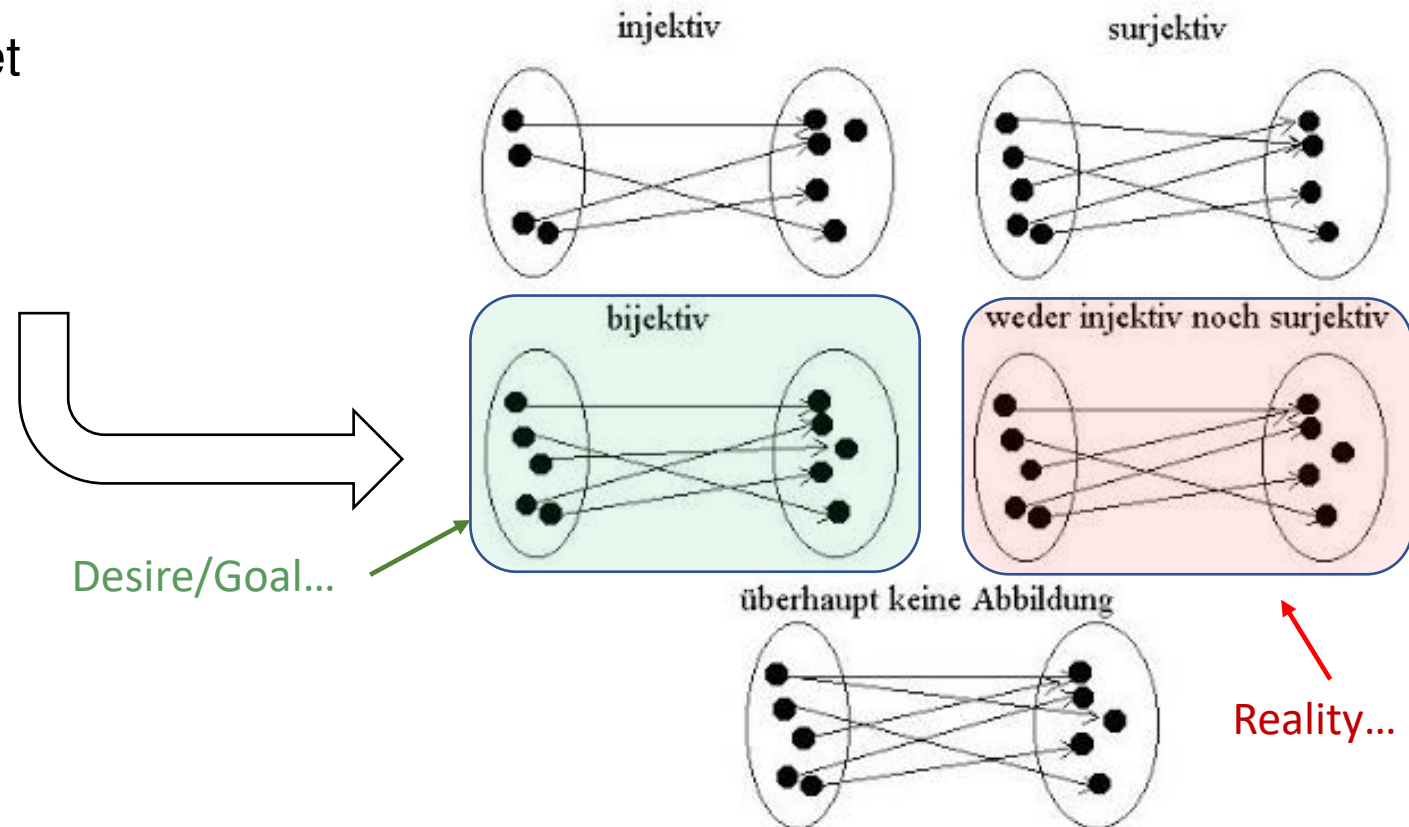
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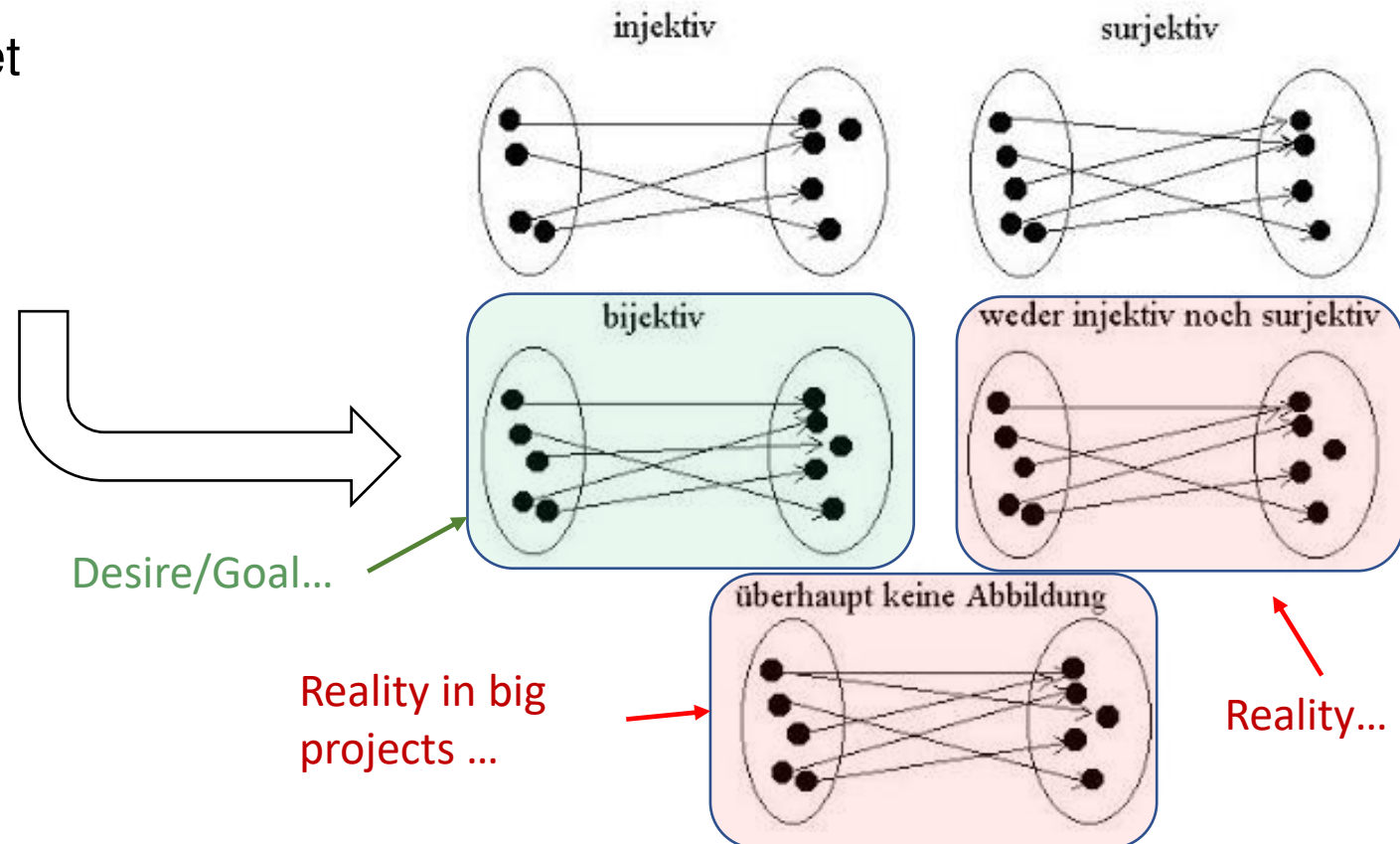
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# Remark: Text Preprocessing

$F(\underline{w}) := \text{Text Preprocessing}$

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How to weigh the *association between two words*?

How much more do the two words co-occur in our corpus

than we would have a priori expected them to appear by  
chance?

## Pointwise Mutual Information (PMI)

### Definition

**Intuition:** „How much more do the two words co-occur in our corpus than we would have a priori expected them to appear by chance?”

### Definition

The PMI between target word  $w$  and context word  $c$  is defined as

$$PMI(w, c) := \log_2 \frac{P(w, c)}{P(w)P(c)}.$$

Further Reading: Chapter 6.6, <https://web.stanford.edu/~jurafsky/slp3/>

# Pointwise Mutual Information

## Examples

$$PMI(w, c) := \log_2 \frac{P(w, c)}{P(w)P(c)}$$

PMI  $\gg 0$  := co-occurrence of  $w_i$  and  $w_j$

PMI near zero :=  $w_i$  and  $w_j$  are unlikely as word pair in the corpus

# Pointwise Mutual Information

## Examples

$$PMI(w, c) := \log_2 \frac{P(w, c)}{P(w)P(c)}$$

$$PMI(\text{santa}, \text{fe}) = 13.74529$$

$$PMI(\text{hong}, \text{kong}) = 12.54758$$

$$PMI(\text{las}, \text{vegas}) = 12.53122$$

$$PMI(\text{los}, \text{angeles}) = 11.16868$$

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$$PMI(\text{multimillion}, \text{dollar}) = 8.03381$$

$$PMI(\text{U.}, \text{S.}) = 7.21532.$$

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$$PMI(\text{accounted, for}) = 5.98041$$

$$PMI(\text{according, to}) = 5.93769$$

$$PMI(\text{intends, to}) = 5.9195$$

$$PMI(\text{able, to}) = 5.91757$$

# Pointwise Mutual Information

## Examples

$$PMI(w, c) := \log_2 \frac{P(w, c)}{P(w)P(c)}$$

$$PMI(\text{manufacturer}, \text{holds}) = 0.00058$$

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$PMI(\text{not, international}) = -4.50398$

$PMI(\text{two, interests}) = -5.00358$

$PMI(\text{the, said}) = -8.95582$

# Pointwise Mutual Information

## Interpretation

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$$PMI(w, c) \stackrel{?}{=} PMI(c, w)$$

# Mutual Information

“It quantifies the amount of information obtained about one random variable through observing the other random variable.”

# What was entropy?

$$H(X) =$$

Who remembers it?

# What was entropy?

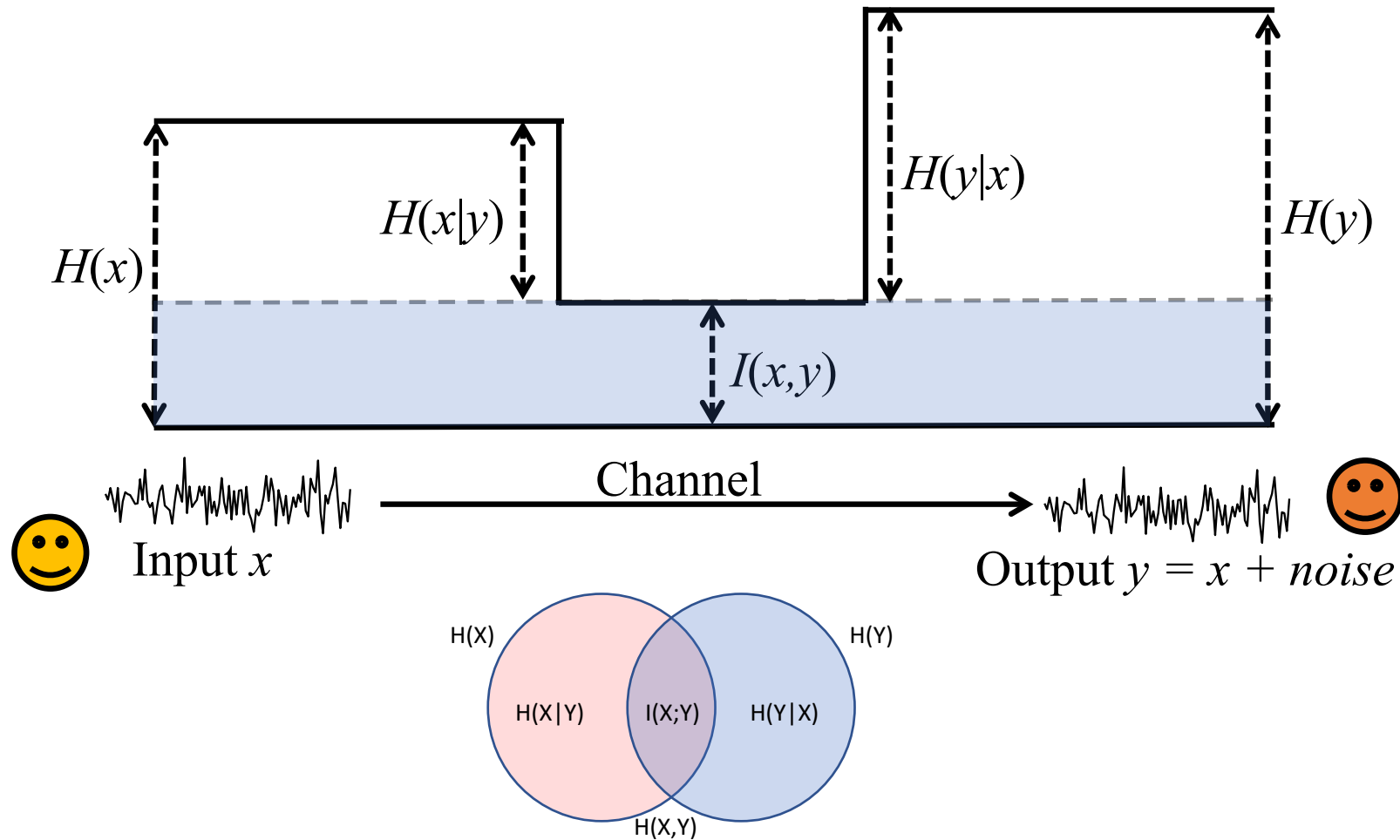
$$H(X) = - \sum_{w \in X} p(w) \log_2 p(w)$$

# What was conditional entropy?

$$\begin{aligned} H(Y|X) &= \sum_{w \in X} p(w) H(Y|X = w) \\ &= \sum_{w \in X} p(w) \left[ - \sum_{v \in Y} p(v|w) \log_2 p(v|w) \right] \end{aligned}$$

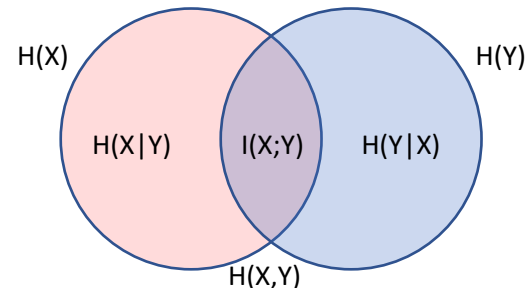
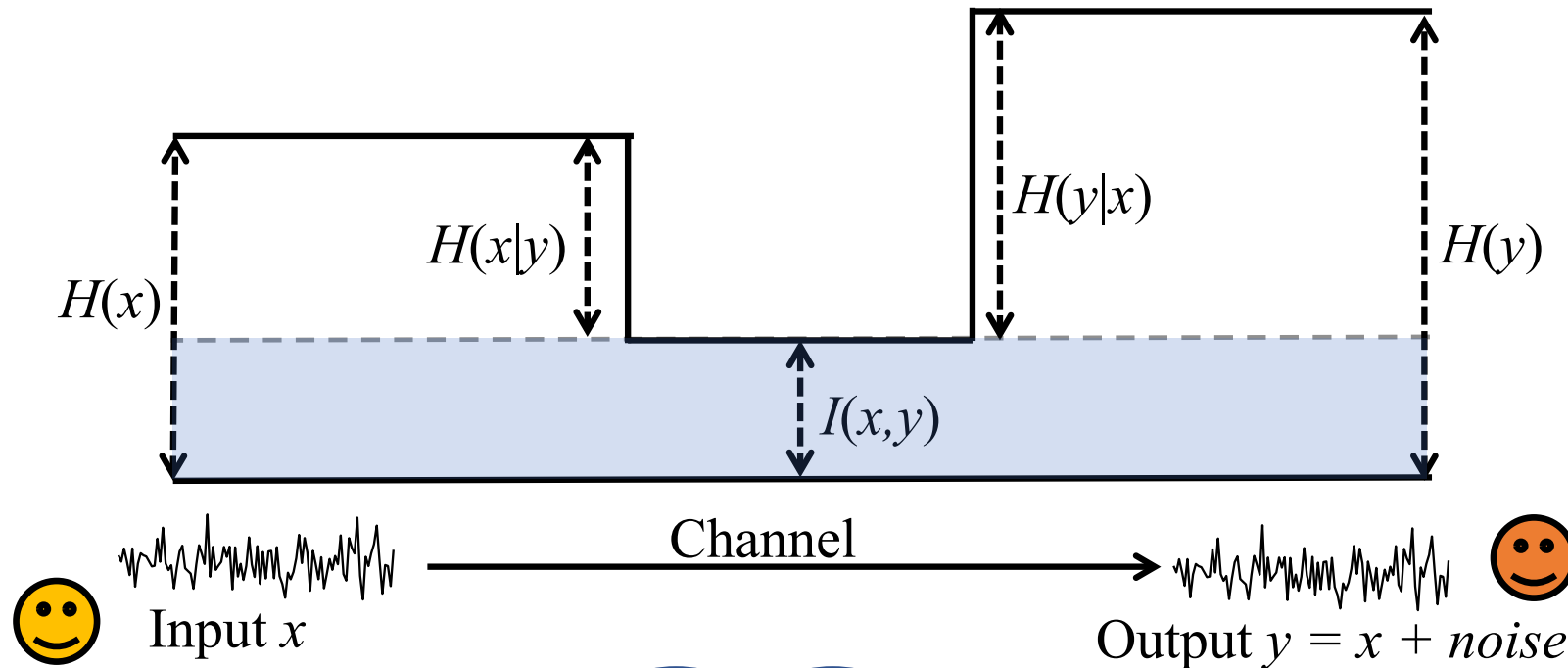
# Mutual Information

In Deutsch: Transinformation



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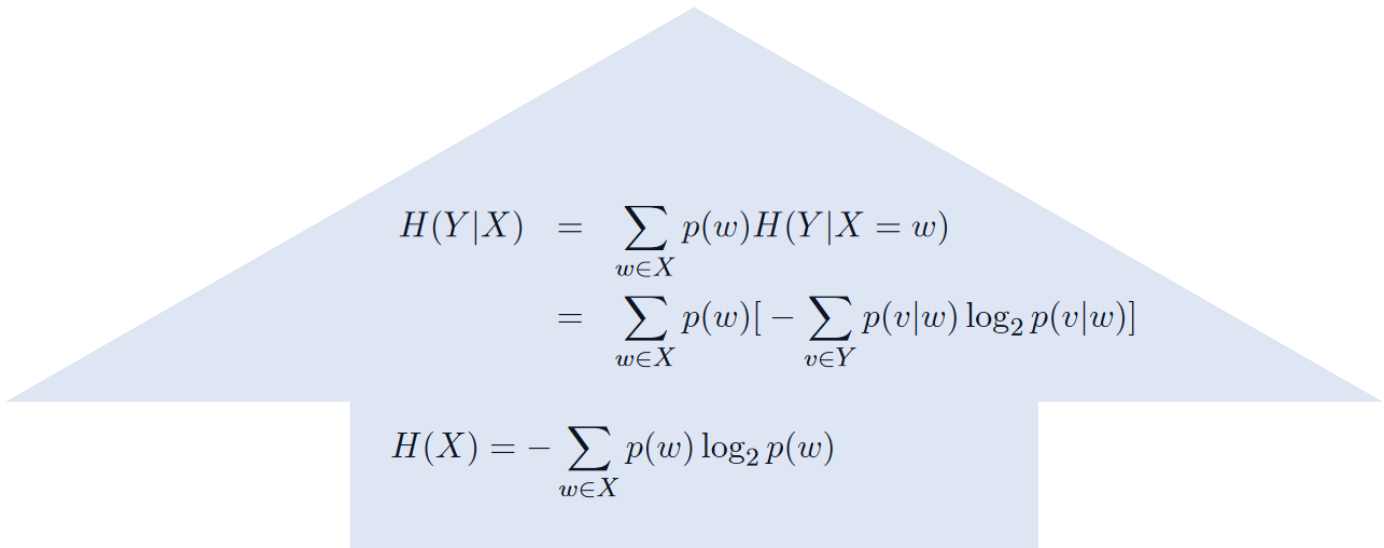
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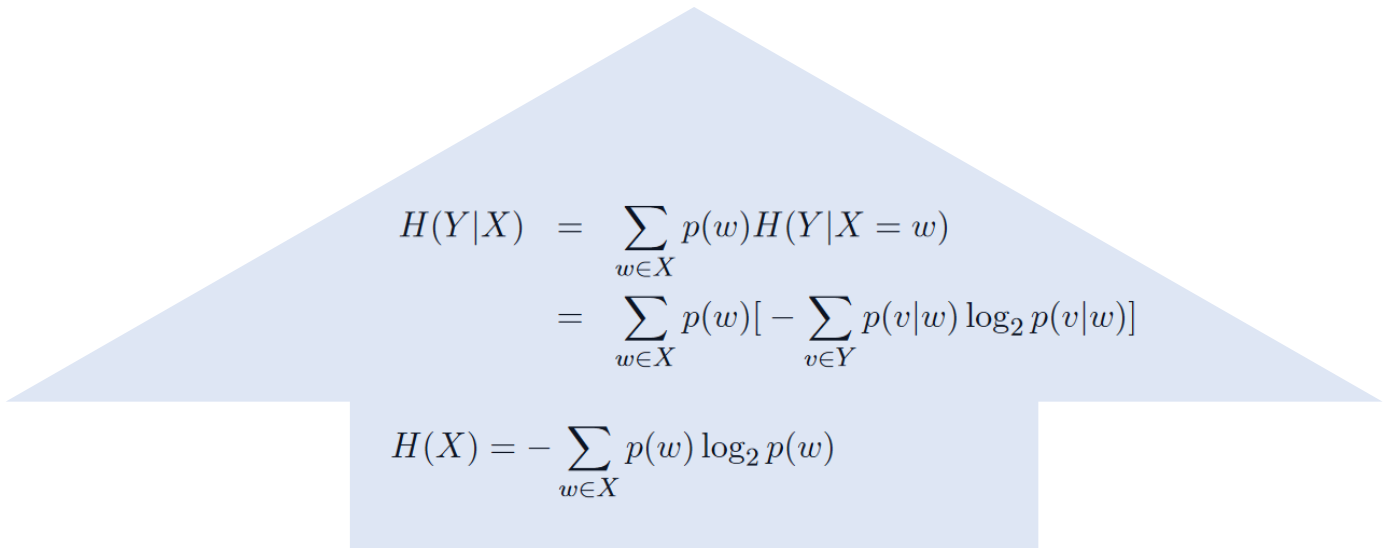
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$$I(w_I, w_J) := \sum_{i,j} P(w_i, w_j) \log \frac{p(w_i, w_j)}{p(w_i)p(w_j)}$$


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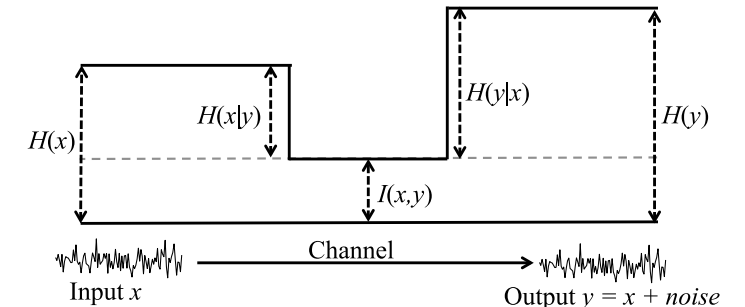
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# Remarks

## Pointwise Mutual Information

$$I(w_I, w_J) := \sum_{i,j} P(w_i, w_j) \log \frac{p(w_i, w_j)}{p(w_i)p(w_j)}$$

- “In many applications, one wants to **maximize mutual information** (thus increasing dependencies), which is often equivalent to **minimizing conditional entropy**.”

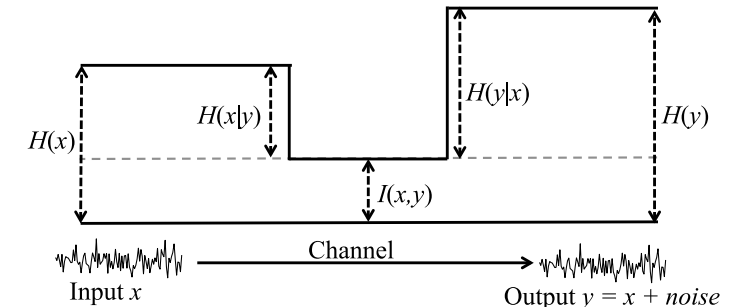


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## Question: Relation to Language Models or ML in general?

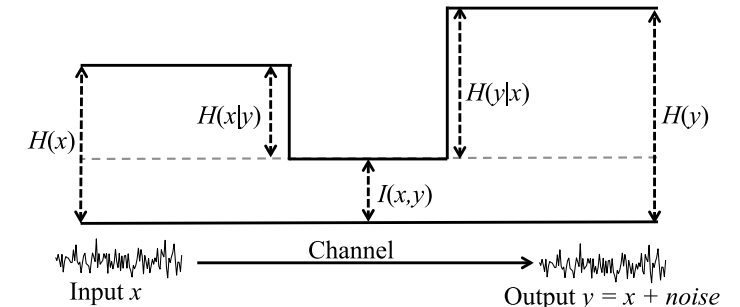
- LMs: minimize perplexity  $\Leftrightarrow$  maximize probability of test set  $\Leftrightarrow$  minimize cross entropy (-> Jurafsky, Section 3.8)
- ML: goal is often: minimize cross entropy loss

# Remarks

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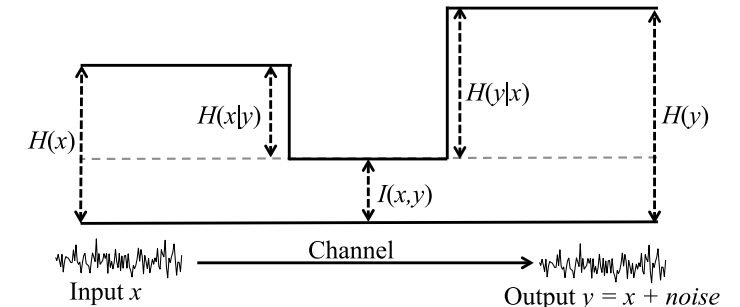


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- “mutual information between phrases and contexts is used as a feature for k-means clustering to discover semantic clusters (concepts)”
- Can be used for feature selection in Machine Learning:  
minimum Redundancy Maximum Relevance (mRMR) Algorithm



# Text correction

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| Input   | To check       | Correction |
|---|----------------|------------|
| I don't know <b>whether</b> I want to         | <b>whether</b> | whether    |
| The <b>weather</b> is pretty bad today        | <b>weather</b> | weather    |
| <b>Whether</b> he likes me or not I can't say | <b>whether</b> | whether    |
| I like sunny <b>weather</b>                   | <b>weather</b> | weather    |

Any Idea?



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Levenshtein distance("whether", "weather")

...

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P(know whether) vs. P(know weather)

P(whether I) vs. P(weather I)

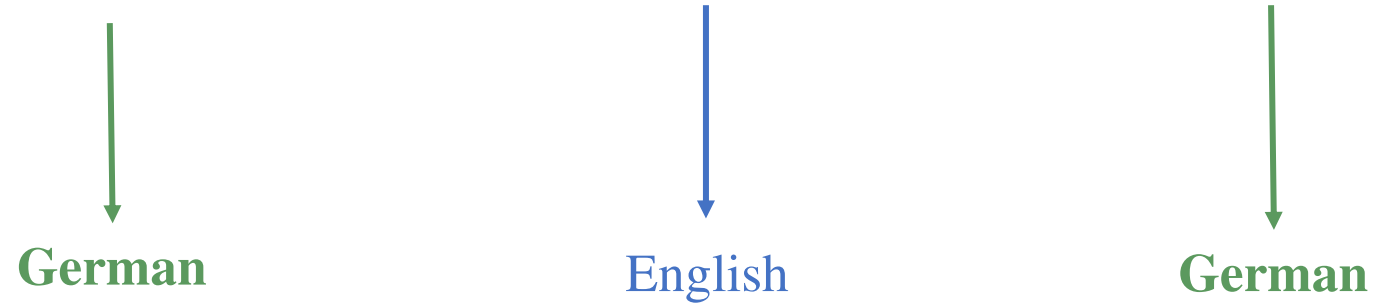
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# Code-Switch Detection

**„Wenn Sie dort sind, please do not talk about our product. Ist das klar?“**

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# Anglicism Detection

„Mach ein mind map“

→ English

VS.

„Mach eine Gedächtniskarte“

→ German

„Cancel mal die Bestellung“

→ English

VS.

„Storniere mal die Bestellung“

→ German (from Latin)

VS.

„Mach mal die Bestellung rückgängig“

→ German

# Problems

## **Pseudo-Anglicism**

German: Handy vs. English: Mobile Phone

# Problems

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## Hybrid word

Aquaphobia: Latin "aqua" (water), Greek "phobia"(fear)

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German: Handy vs. English: Mobile Phone

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Schadsoftware: German "Schaden" (damage)

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German: Handy vs. English: Mobile Phone

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## Hybrid word

Aquaphobia: Latin "aqua" (water), Greek "phobia" (fear)

Schadsoftware: German "*Schaden*" (damage)

→ English: malware

...

# Naive Bayes Classifiers

Naive Bayes for text classification

# What does a NB classifier model look like?

$$\begin{aligned}\hat{c} &= \operatorname{argmax}_{c \in \mathcal{C}} P(c|d) \\ &= \operatorname{argmax}_{c \in \mathcal{C}} P(d|c)P(c)\end{aligned}$$

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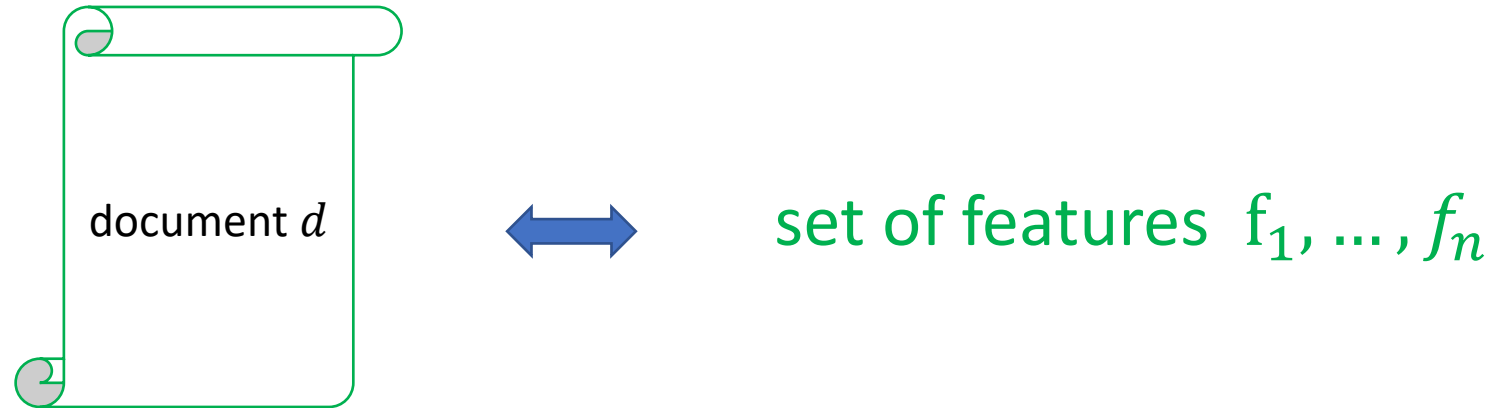
Compute **most probable class**, given some document  $d$   
by

choosing the **class** which has the highest product of two probabilities:

**likelihood of document** and **class prior probability**

# How to represent a document?

Remember:  $\hat{c} = \operatorname{argmax}_{c \in C} P(d|c)P(c)$



$$\hat{c} = \operatorname{argmax}_{c \in C} P(f_1, \dots, f_n | c) P(c)$$



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$$\Rightarrow \hat{c} = \operatorname{argmax}_{c \in C} P(c) \cdot \prod_{f \in F} P(f | c)$$



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Remember:  $\hat{c} = \operatorname{argmax}_{c \in \mathcal{C}} P(c) \cdot \prod_{f \in F} P(f|c)$

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$$\hat{P}(w_i|c) = \frac{\text{count}(w_i, c)}{\sum_{w \in V} \text{count}(w, c)}$$

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- Given an observation, a NB classifier returns the class most likely to have generated the observation  $\Leftrightarrow$  **generative model**

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Remember:  $f(d) = \operatorname{argmax}_c P(d|c)P(c)$

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**Question: how to generate text in this way?**

# Digression

Sample sentence from a *unigram* LM

Assume we have access to words in

$$V \cup \{< EOS >\}$$

Assume sorted word probabilities:

$$P(w_1) > P(w_2) > \dots > P(w_{|V|+1})$$

# Digression

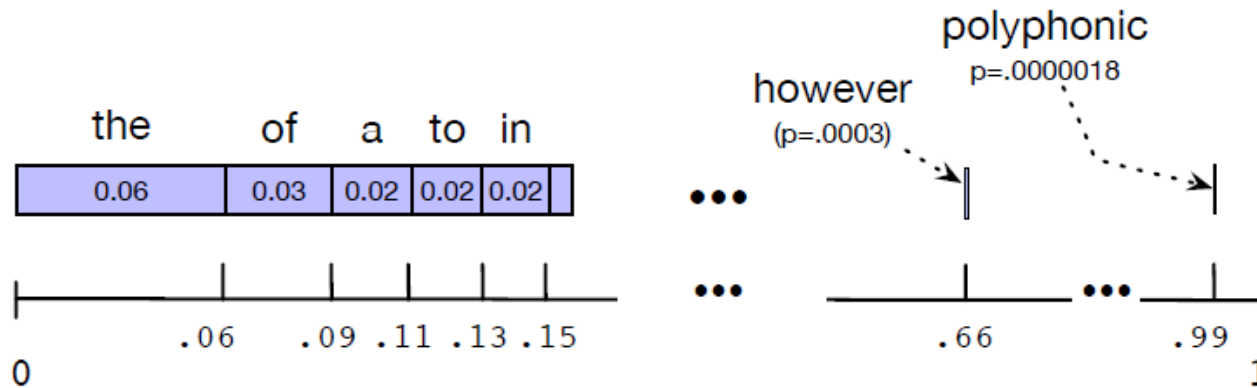
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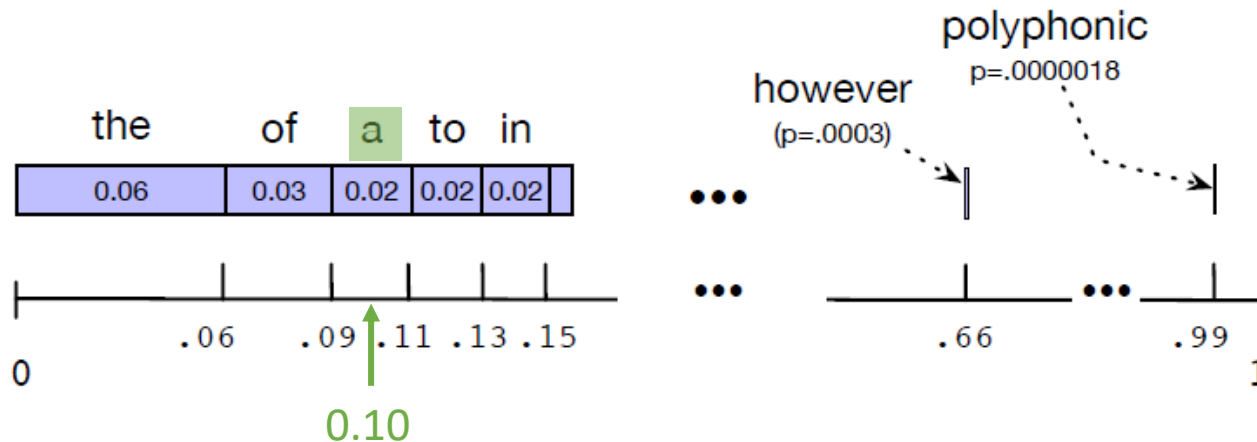
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**Note:**  $1 = \sum_i P(w_i)$

Randomly select value between 0 and 1:

e.g. 0.10

GENERATED SEQUENCE

=>

a



# Digression

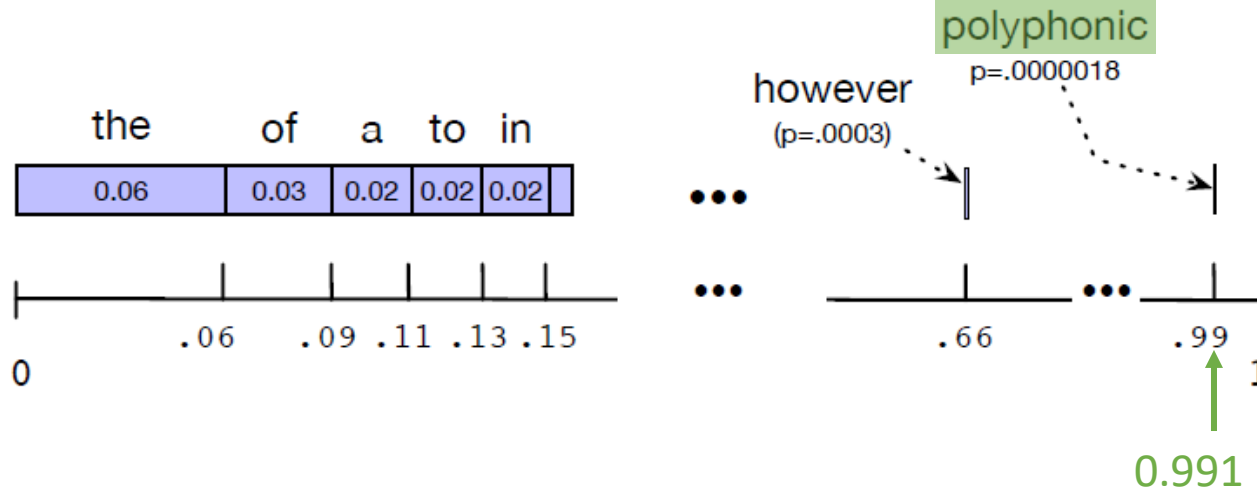
Sample sentence from a *unigram* LM

Assume we have access to words in

Assume sorted word probabilities:

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**Note:**  $1 = \sum_i P(w_i)$

Randomly select value between 0 and 1:

e.g. 0.991

GENERATED SEQUENCE

=>

a polyphonic

# Digression

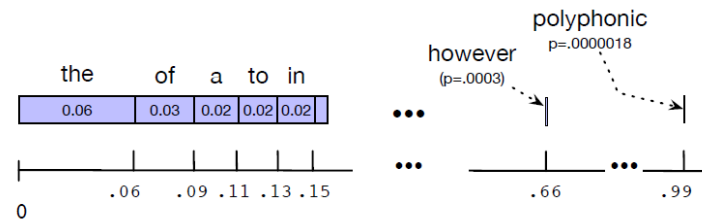
Sample sentence from a *unigram* LM

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**Note:**  $1 = \sum_i P(w_i)$

## Algorithm

Repeat below steps 1-3, until you generate <EOS> token

1. Randomly select a value  $x \in [0,1]$
2. Find that point  $x$  on the line
3. Print word whose interval includes chosen value  $x$

# Further questions

[1] <https://web.stanford.edu/~jurafsky/slp3/4.pdf>

# Further questions

- How to compute  $P(c)$ ? (see Section 4.2 in [1])

$$\hat{c} = \operatorname{argmax}_{c \in \mathcal{C}} \log P(c) + \sum_{i \in X} \log P(w_i | c)$$

# Further questions

- How to compute  $P(c)$ ? (see Section 4.2 in [1])
- What about words in test data which were not present in training documents for a class? (see Section 4.2 in [1])

$$\hat{c} = \operatorname{argmax}_{c \in \mathcal{C}} \log P(c) + \sum_{i \in X} \log P(w_i | c)$$

$$\hat{P}(w_i | c) = \frac{\operatorname{count}(w_i, c)}{\sum_{w \in V} \operatorname{count}(w, c)}$$

# Further questions

- How to compute  $P(c)$ ? (see Section 4.2 in [1])
- What about words in test data which were not present in training documents for a class? (see Section 4.2 in [1])
- How to evaluate the classification algorithm?  
(next topic or Section 4.7 in [1])