

HW#8

1. Any of the following constraints will yield a  $\Pr(D|T) \geq 0.30$ .

Constraints (P = positive, N = negative, D = disease, T = test):

- a. Prior probability of having the disease =  $\Pr(D = P) \geq 0.008942$   
Old value was  $\Pr(D = P) = 0.001$
- b. The false positive for the test =  $\Pr(T = P | D = N) \leq 0.002219$   
Old value was  $\Pr(T = P | D = N) = 0.02$

As you can see, the sensitivity analysis said nothing about the false negative of the test, so I am assuming that this value does not affect  $\Pr(D|T)$ .

2.

- a) The most likely instantiation is as follows:

Battery=OK  
DogBarking=No  
DogBowelTrouble=Yes  
DogOutside=Yes  
ExpectingGuests=No  
FamilyHome=No  
HearableBarking=No  
LightSensorHealth=OK  
OutdoorLight=On  
SoundSensorHealth=OK

I arrived at this answer by first setting LightSensor=On and SoundSensor=Off. Then, I went into Query Mode and opened the MAP dialog. I selected all 10 unassigned variables in the Variable Selection Tool and ran the MAP computation.

- b) The most likely instantiation is as follows:

LightSensor=On  
SoundSensor=Off

I arrived at this answer by first setting ExpectingGuests=No and FamilyHome=Yes. Then, I went into Query Mode and opened the MAP dialog. I selected the two variables,

LightSensor and SoundSensor in the Variable Selection Tool and ran the MAP computation.

c) One set for  $Z$  could be {Battery, DogBarking}. Including the Battery variable in  $Z$  eliminates the path SoundSensor  $\rightarrow$  Battery  $\rightarrow$  LightSensor. Including the DogBarking variable in  $Z$  eliminates the only other path from SoundSensor to LightSensor. Thus, the sensors are now d-separated and thus are independent.

d) It is a multiply-connected network because there is at least one pair of nodes with more than one path. There are two paths to get from SoundSensor to LightSensor. Thus, it is a multiply-connected network.