HW #6

1.			
3b. TD			
0			(S, the rat the cat chased fled)
1	Predict	$S \to NP \; VP$	(NP VP, the rat the cat chased fled)
2	Predict	$NP \to D \; N \; ORC$	(D N ORC VP, the rat the cat chased fled)
3	Match	$D \rightarrow the$	(N ORC VP, rat the cat chased fled)
4	Match	$N \rightarrow rat$	(ORC VP, the cat chased fled)
5	Predict	$ORC \to NP\;V$	(NP V VP, the cat chased fled)
6	Predict	$NP \to D \; N$	(D N V VP, the cat chased fled)
7	Match	$D \rightarrow the$	(N V VP, cat chased fled)
8	Match	$N \rightarrow cat$	(V VP, chased fled)
9	Match	$V \rightarrow chased$	(VP, fled)
10	Predict	$VP \to V$	(V, fled)
11	Match	$V \to fled$	$(\varepsilon, \varepsilon)$

The maximum stack space here is 4 featured in steps 2 and 6.

3c. T	D			
(0			(S, the rat the cat the dog bit chased fled)
	1	Predict	$S \rightarrow NP VP$	(NP VP, the rat the cat the dog bit chased fled)
:	2	Predict	$NP \rightarrow D N ORC$	(D N ORC VP, the rat the cat the dog bit chased fled)
;	3	Match	$D \rightarrow the$	(N ORC VP, rat the cat the dog bit chased fled)
4	4	Match	$N \rightarrow rat$	(ORC VP, the cat the dog bit chased fled)
!	5	Predict	$ORC \to NP\;V$	(NP V VP, the cat the dog bit chased fled)
(6	Predict	$NP \rightarrow D N ORC$	(D N ORC V VP, the cat the dog bit chased fled)
				nea)
			•	
			•	
,	9	Predict	$\begin{matrix} \cdot \\ \cdot \\ \cdot \\ ORC \to NP V \end{matrix}$	(NP V V VP, the dog bit chased fled)
	9 10	Predict Predict	$\begin{matrix} \cdot \\ \cdot \\ \cdot \\ \cdot \\ ORC \to NP V \\ NP \to D N \end{matrix}$	(NP V V VP, the dog bit chased fled) (D N V V VP, the dog bit chased fled)
	10	Predict	$\begin{array}{c} NP \to D \; N \\ \vdots \\ \vdots \\ \vdots \\ \end{array}$	(D N V V VP, the dog bit chased fled)

The maximum stack space here is **5** featured in steps 6 and 10.

Therefore, there is an increase in stack spaces of top-down parsers when parsing center-embedded structures.

Note: From here on out, ~ means a bar over the top of the character. Example: ~S = S bar

1b. LC			
0			(~S, John's brother's dog barked)
1	Shift	$NP \rightarrow John$	(NP ~S, 's brother's dog barked)
2	LCP	$NP \to NP\;Poss\;N$	(~Poss ~N NP ~S, 's brother's dog barked)
3	Match	$Poss \rightarrow 's$	(~N NP ~S, brother's dog barked)
4	Match	$N \rightarrow brother$	(NP ~S, 's dog barked)
5	LCP	$NP \to NP\;Poss\;N$	(~Poss ~N NP ~S, 's dog barked)
6	Match	$Poss \rightarrow 's$	(~N NP ~S, dog barked)
7	Match	$N \rightarrow dog$	(NP ~S, barked)
8	LCC	$S \to NP \; VP$	(~VP, barked)
9	Shift	$V \rightarrow barked$	(V ~VP, ε)
10	LCC	$VP \to V$	(ϵ, ϵ)

The maximum stack space here is **4** featured in steps 2 and 5.

1c. L	C			
	0			(~S, John's brother's wife's dog barked)
	1	Shift	$NP \rightarrow John$	(NP ~S, 's brother's wife's dog barked)
	2	LCP	$NP \rightarrow NP \text{ Poss } N$	(~Poss ~N NP ~S, 's brother's wife's dog barked)
			•	
			•	
			•	
	5	LCP	$NP \rightarrow NP \text{ Poss } N$	(~Poss ~N NP ~S, 's wife's dog barked)
			•	
			•	
	8	LCP	$NP \rightarrow NP \text{ Poss } N$	(~Poss ~N NP ~S, 's dog barked)
			•	
			•	
	13	LCC	$VP \to V$	$(\varepsilon, \varepsilon)$

The maximum stack space here is **4** featured in steps 2, 5 and 8.

Therefore, there is no increase in stack spaces of left-corner parsers when parsing left-branching structures.

0			(~S, Mary chased the cat that bit the rat)
1	Shift	$NP \rightarrow Mary$	(NP ~S, chased the cat that bit the rat)
2	LCC	$S \to NP \; VP$	(~VP, chased the cat that bit the rat)
3	Shift	$V \rightarrow chased$	(V ~VP, the cat that bit the rat)
4	LCC	$VP \to V \; NP$	(~NP, the cat that bit the rat)
5	Shift	$D \to the$	(D ~NP, cat that bit the rat)
6	LCC	$NP \rightarrow D N SRC$	(~N ~SRC, cat that bit the rat)
7	Match	$N \rightarrow cat$	(~SRC, that bit the rat)
8	Shift	$THAT \to that$	(THAT ~SRC, bit the rat)
9	LCC	$SRC \to THAT\;VP$	(~VP, bit the rat)
10	Shift	$V \rightarrow bit$	(V ~VP, the rat)
11	LCC	$VP \to V \; NP$	(~NP, the rat)
12	Shift	$D \to the$	(D ~NP, rat)
13	LCC	$NP \to D \; N$	(~N, rat)
14	Match	$N \rightarrow rat$	$(\varepsilon, \varepsilon)$

The maximum stack space here is **2** featured in various steps.

2c. L	С			
	0			(~S, Mary chased the cat that bit the rat that ate the cheese)
	1	Shift	$NP \rightarrow Mary$	(NP ~S, chased the cat that bit the rat that ate the cheese)
	2	LCC	$S \rightarrow NP VP$	(~VP, chased the cat that bit the rat that ate the cheese)
	3	Shift	$V \rightarrow \text{chased}$	(V ~VP, the cat that bit the rat that ate the cheese)
	4	LCC	$VP \rightarrow V NP$	(~NP, the cat that bit the rat that ate the cheese)
	5	Shift	$D \rightarrow the$	(D ~NP, cat that bit the rat that ate the cheese)
	6	LCC	$NP \rightarrow D N SRC$	(~N ~SRC, cat that bit the rat that ate the cheese)
	7	Match	$N \rightarrow cat$	(~SRC, that bit the rat that ate the cheese)
	8	Shift	THAT → that	(THAT ~SRC, bit the rat that ate the cheese)
	9	LCC	$SRC \to THAT\;VP$	(~VP, bit the rat that ate the cheese)
	10	Shift	$V \rightarrow bit$	(V ~VP, the rat that ate the cheese)
	11	LCC	$VP \rightarrow V NP$	(~NP, the rat that ate the cheese)
	12	Shift	$D \rightarrow the$	(D ~NP, rat that ate the cheese)
	13	LCC	$NP \to D \; N \; SRC$	(~N ~SRC, rat that ate the cheese)
	14	Match	$N \rightarrow rat$	(~SRC, that ate the cheese)
	15	Shift	THAT \rightarrow that	(THAT ~SRC, ate the cheese)

16	LCC	$SRC \to THAT\;VP$	(~VP, ate the cheese)
17	Shift	$V \rightarrow ate$	(V ~VP, the cheese)
18	LCC	$VP \to V \; NP$	(~NP, the cheese)
19	Shift	$D \rightarrow the$	(D ~NP, cheese)
20	LCC	$NP \to D\;N$	(~N, cheese)
21	Match	$N \rightarrow cheese$	(ε, ε)

The maximum stack space here is ${\bf 2}$ featured in various steps.

Therefore, there is no increase in stack spaces of left-corner parsers when parsing right-branching structures.

3b. LC			
0			(~S, the rat the cat chased fled)
1	Shift	$D \rightarrow the$	(D ~S, rat the cat chased fled)
2	LCP	$NP \rightarrow D N ORC$	(~N ~ORC NP ~S, rat the cat chased fled)
3	Match	$N \rightarrow rat$	(~ORC NP ~S, the cat chased fled)
4	Shift	$D \rightarrow the$	(D ~ORC NP ~S, cat chased fled)
5	LCP	$NP \rightarrow D N$	(~N NP ~ORC NP ~S, cat chased fled)
6	Match	$N \rightarrow cat$	(NP ~ORC NP ~S, chased fled)
7	LCC	$ORC \to NP\;V$	(~V NP ~S, chased fled)
8	Match	$V \rightarrow chased$	(NP ~S, fled)
9	LCC	$S \rightarrow NP VP$	(~VP, fled)
10	Shift	$V \rightarrow fled$	(V ~VP, fled)
11	LCC	$VP \to V$	$(\varepsilon, \varepsilon)$

The maximum stack space here is **5** featured in step 5.

3c. LC			
0			(~S, the rat the cat the dog bit chased fled)
1	Shift	$D \rightarrow the$	(D ~S, rat the cat the dog bit chased fled)
2	LCP	$NP \rightarrow D N ORC$	(~N ~ORC NP ~S, rat the cat the dog bit chased fled)
3	Match	$N \rightarrow rat$	(~ORC NP ~S, the cat the dog bit chased fled)
4	Shift	$D \to the$	(D ~ORC NP ~S, cat the dog bit chased fled)
5	LCP	$NP \rightarrow D N ORC$	(~N ~ORC NP ~ORC NP ~S, cat the dog bit chased fled)
6	Match	$N \rightarrow cat$	(~ORC NP ~ORC NP ~S, the dog bit chased fled)
7	Shift	$D \to the$	(D ~ORC NP ~ORC NP ~S, dog bit chased fled)

8	LCP	$NP \rightarrow D N$	(~N NP ~ORC NP ~ORC NP ~S, dog bit chased fled)
9	Match	$N \rightarrow dog$	(NP ~ORC NP ~ORC NP ~S, bit chased fled)
10	LCC	$ORC \to NP\;V$	(~V NP ~ORC NP ~S, bit chased fled)
11	Match	$V \rightarrow bit$	(NP ~ORC NP ~S, chased fled)
12	LCC	$ORC \to NP\;V$	(~V NP ~S, chased fled)
13	Match	$V \rightarrow chased$	(NP ~S, fled)
14	LCC	$S \rightarrow NP VP$	(~VP, fled)
15	Shift	$V \rightarrow fled$	(V ~VP, fled)
16	LCC	$VP \to V$	$(\varepsilon, \varepsilon)$

The maximum stack space here is **7** featured in step 8.

Therefore, there is an increase in stack spaces of left-corner parsers when parsing center-embedding structures.

To summarize these configurations, here's the completed table:

	left-branching	right-branching	center-embedding
Human difficulty	No increase	No increase	Increase
Bottom-up parser	No increase	Increase	Increase
Top-down parser	Increase	No increase	Increase
Left-corner parser	No increase	No increase	Increase

2.

We know that the Martians will give a "yuck" reaction when the stack space of the bottom-up parser exceeds their memory limitation. The Martians give a "yuck" response to *Mary chased the cat that bit the rat* which has a maximum stack space of 8 when parsed bottom-up (we did this parsing in class so I will use this as an already proven fact). Using this information, we can safely conclude that sentences that need 8 or more stack spaces for bottom-up parsing should evoke a "yuck" reaction from the Martians. We will use this limitation to find the correct grammar.

6b. Hypothesis #1
$$0 \quad -- \quad (\epsilon, \text{Mary said quietly John ate})$$

$$1 \quad \text{Shift} \quad \text{NP} \rightarrow \text{Mary} \quad (\text{NP, said quietly John ate})$$

2	Shift	$SAID \to said$	(NP SAID, quietly John ate)
3	Shift	$ADV \to quietly$	(NP SAID ADV, John ate)
4	Shift	$NP \to John$	(NP SAID ADV NP, ate)
5	Shift	$V \rightarrow ate$	(NP SAID ADV NP V, ϵ)
6	Reduce	$VP \to V$	(NP SAID ADV NP VP, ϵ)
7	Reduce	$S \to NP \; VP$	(NP SAID ADV S, ϵ)
8	Reduce	$VP \to SAID \; ADV \; S$	(NP VP, ε)
9	Reduce	$S \to NP \; VP$	(S, ε)

The maximum stack space using Hypothesis #1's grammar is 5 in steps 5 and 6.

6c. Hypothesis #1

0			(ε, John said slowly Mary said quietly John ate)
1	Shift	$NP \to John$	(NP, said slowly Mary said quietly John ate)
4	Shift	$NP \rightarrow Mary$	(NP SAID ADV NP, said quietly John ate)
7	Shift	$NP \to John$	(NP SAID ADV NP SAID ADV NP, ate)
8	Shift	$V \rightarrow ate$	(NP SAID ADV NP SAID ADV NP V, ϵ)
9	Reduce	$VP \to V$	(NP SAID ADV NP SAID ADV NP VP, ϵ)
10	Reduce	$S \rightarrow NP VP$	(NP SAID ADV NP SAID ADV S, ϵ)
11	Reduce	$VP \rightarrow SAID ADV S$	(NP SAID ADV NP VP, ε)
12	Reduce	$S \rightarrow NP VP$	(NP SAID ADV S, ε)
13	Reduce	$VP \to SAID \; ADV \; S$	(NP VP, ε)
14	Reduce	$S \rightarrow NP VP$	(S, ε)

The maximum stack space using Hypothesis #1's grammar is 8 in steps 8 and 9.

6d. Hypothesis #1

0			(ε, John said slowly John said loudly Mary said quietly John ate)
1	Shift	$NP \to John$	(NP, said slowly John said loudly Mary said quietly John ate)
4	Shift	$NP \to John$	(NP SAID ADV NP, said loudly Mary said guietly John ate)

•

7	Shift	NP → Mary .	(NP SAID ADV NP SAID ADV NP, said quietly John ate)
		•	
10	Shift	$NP \to John$	(NP SAID ADV NP SAID ADV NP SAID
			ADV NP, ate)
11	Shift	$V \rightarrow ate$	(NP SAID ADV NP SAID ADV NP SAID
			ADV NP V, ε)
12	Reduce	$VP \to V$	(NP SAID ADV NP SAID ADV NP SAID
			ADV NP VP, ε)
		•	
19	Reduce	$S \rightarrow NP VP$	(S, ε)

The maximum stack space using Hypothesis #1's grammar is 11 in steps 11 and 12.

6b. Hypothesis #2

0			(ε, Mary said quietly John ate)
1	Shift	$NP \rightarrow Mary$	(NP, said quietly John ate)
2	Shift	$SAID \to said$	(NP SAID, quietly John ate)
3	Shift	$ADV \to quietly$	(NP SAID ADV, John ate)
4	Reduce	$X \rightarrow SAID ADV$	(NP X, John ate)
5	Shift	$NP \rightarrow John$	(NP X NP, ate)
6	Shift	$V \rightarrow ate$	(NP X NP V, ε)
7	Reduce	$VP \rightarrow V$	(NP X NP VP, ε)
8	Reduce	$S \to NP \; VP$	(NP X S, ε)
9	Reduce	$VP \rightarrow X S$	(NP VP, ε)
10	Reduce	$S \rightarrow NP VP$	(S, ε)

The maximum stack space using Hypothesis #2's grammar is 4 in steps 6 and 7.

6c. Hypothesis #2

0			(ε, John said slowly Mary said quietly John
			ate)
1	Shift	$NP \to John$	(NP, said slowly Mary said quietly John ate)

.

4 5	Reduce Shift	$X \rightarrow SAID ADV$ NP $\rightarrow Mary$	(NP X, Mary said quietly John ate) (NP X NP, said quietly John ate)
		•	
9	Shift	$NP \rightarrow John$	(NP X NP X NP, ate)
10	Shift	$V \rightarrow ate$	(NP X NP X NP V, ε)
		•	
		•	
		•	
16	Reduce	$S \rightarrow NP VP$	(S, ε)

The maximum stack space using Hypothesis #2's grammar is 6 in step 10.

6d. Hypothesis #2					
	0			(ε, John said slowly John said loudly Mary said quietly John ate)	
,	1	Shift	$NP \rightarrow John$	(NP, said slowly John said loudly Mary said quietly John ate)	
	5	Shift	NP → John	. (NP X NP, said loudly Mary said quietly	
				John ate)	
,	0	OF:#	ND Man	· (ND Y ND Y ND - a sid switch to later ada)	
*	9	Shift	NP → Mary	(NP X NP X NP, said quietly John ate)	
•	13	Shift	$NP \to John$	(NP X NP X NP X NP, ate)	
•	14	Shift	$V \rightarrow ate$	(NP X NP X NP X NP V, ate)	
•	15	Reduce	$VP \rightarrow V$	(NP X NP X NP X NP VP, ε)	
				•	
				•	
2	22	Reduce	$S \to NP \; VP$	(S, ε)	

The maximum stack space using Hypothesis #2's grammar is 8 in steps 14 and 15.

After parsing sentences 6b, 6c and 6d using the bottom-up method and two different grammars, here are the findings represented in a table:

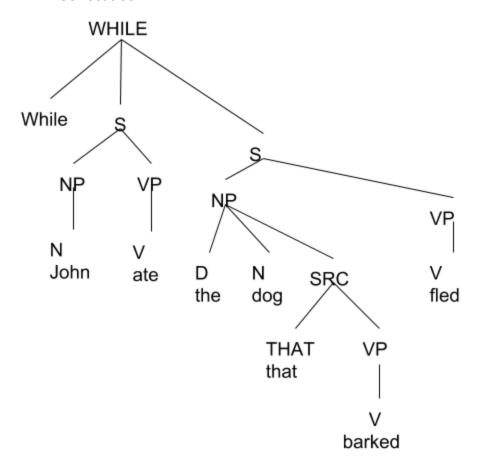
	6b	6c	6d
Hypothesis #1	5 stack spaces	8	11
Hypothesis #2	4	6	8

Recall that any sentences which require a stack space of 8 or more will be considered "yuck" by a Martian. If we assume that Hypothesis #1 is correct, then both 6c and 6d should be considered "yuck". However in reality, only 6d is "yuck". This is a contradiction. In contrast using Hypothesis #2, only 6d is "yuck", which corroborates with reality. **Therefore, Hypothesis #2 is correct.**

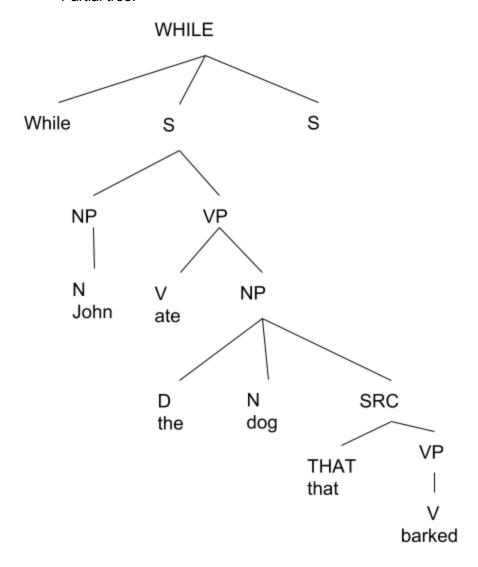
3.

A.

Correct tree:



Partial tree:



B.			
0			(ε, While John ate the dog that barked fled)
1	Shift	$WHILE \to while$	(WHILE, John ate the dog that barked fled)
2	Shift	$NP \to John$	(WHILE NP, ate the dog that barked fled)
3	Shift	$V \rightarrow ate$	(WHILE NP V, the dog that barked fled)
4	Reduce	$VP \to V$	(WHILE NP VP, the dog that barked fled)
5	Reduce	$S \to NP \; VP$	(WHILE S, the dog that barked fled)
6	Shift	$D \rightarrow the$	(WHILE S D, dog that barked fled)
7	Shift	$N \rightarrow dog$	(WHILE S D N, that barked fled)
8	Shift	$THAT \to that$	(WHILE S D N THAT, barked fled)
9	Shift	$V \rightarrow barked$	(WHILE S D N THAT V, fled)
10	Reduce	$VP \to V$	(WHILE S D N THAT VP, fled)

11	Reduce	SRC \rightarrow THAT VP	(WHILE S D N SRC, fled)
12	Reduce	$NP \to D \; N \; SRC$	(WHILE S NP, fled)
13	Shift	$V \rightarrow fled$	(WHILE S NP V, ϵ)
14	Reduce	$VP \to V$	(WHILE S NP VP, ϵ)
15	Reduce	$S \to NP \; VP$	(WHILE S S, ϵ)
16	Reduce	$S \rightarrow WHILE S S$	(S, ε)

The first step where someone could head off in the wrong direction in this parsing is after step 3. The incorrect action here would be to shift to the next word as opposed to reducing. Here are some of the steps of the wrong configuration:

3	Shift	$V \rightarrow ate$	(WHILE NP V, the dog that barked fled)
4	Shift	$D \rightarrow the$	(WHILE NP V D, dog that barked fled)
5	Shift	$N \rightarrow dog$	(WHILE NP V D N, that barked fled)
6	Shift	$THAT \to that$	(WHILE NP V D N THAT, barked fled)
7	Shift	$V \rightarrow barked$	(WHILE NP V D N THAT V, fled)
8	Reduce	$VP \to V$	(WHILE NP V D N THAT VP, fled)
9	Reduce	$SRC \to THAT\;VP$	(WHILE NP V D N SRC, fled)
10	Reduce	$NP \to D \; N \; SRC$	(WHILE NP V NP, fled)
11	Reduce	$VP \rightarrow V NP$	(WHILE NP VP, fled)
12	Reduce	$S \to NP \; VP$	(WHILE S, fled)

After step 12 of this configuration, a dead end is reached.

C.

0			(S, While John ate the dog that barked fled)
1	Predict	$S \to WHILE \; S \; S$	(WHILE S S, While John ate the dog that barked fled)
2	Match	$WHILE \to while$	(S S, John ate the dog that barked fled)
3	Predict	$S \rightarrow NP VP$	(NP VP S, John ate the dog that barked fled)
4	Match	$NP \rightarrow John$	(VP S, ate the dog that barked fled)
5	Predict	$VP \to V$	(V S, ate the dog that barked fled)
6	Match	$V \rightarrow ate$	(S, the dog that barked fled)
7	Predict	$S \rightarrow NP VP$	(NP VP, the dog that barked fled)
8	Predict	$NP \rightarrow D N SRC$	(D N SRC VP, the dog that barked fled)
9	Match	$D \rightarrow the$	(N SRC VP, dog that barked fled)
10	Match	$N \rightarrow dog$	(SRC VP, that barked fled)
11	Predict	$SRC \to THAT\;VP$	(THAT VP VP, that barked fled)
12	Match	$THAT \to that$	(VP VP, barked fled)
13	Predict	$VP \to V$	(V VP, barked fled)
14	Match	$V \rightarrow barked$	(VP, fled)
15	Predict	$VP \to V$	(V, fled)

16	Match	$V \rightarrow fled$	(ε, ε)
----	-------	----------------------	--------

The first step where someone could head off in the wrong direction in this parsing is step 5. The incorrect action here would be to predict $VP \rightarrow V$ NP as opposed to predicting $VP \rightarrow V$. Here are some of the steps of the wrong configuration:

5	Predict	$VP \rightarrow V NP$	(V NP S, ate the dog that barked fled)
6	Match	$V \rightarrow ate$	(NP S, the dog that barked fled)
7	Predict	$NP \to D \; N \; SRC$	(D N SRC S, the dog that barked fled)
8	Match	$D \rightarrow the$	(N SRC S, dog that barked fled)
9	Match	$N \rightarrow dog$	(SRC S, that barked fled)
10	Predict	$SRC \to THAT\;VP$	(THAT VP S, that barked fled)
11	Match	$THAT \to that$	(VP S, barked fled)
12	Predict	$VP \to V$	(V S, barked fled)
13	Match	$V \rightarrow barked$	(S, fled)

After step 13, a dead end is reached.

D.

We could use the direction of the backtracking to figure out what kind of parser humans are. If the individual's eyes are backtracking from right to left, then they are a top-down parser because they are backtracking towards the start of the sentence, which is equivalent to backtracking upwards in a tree. If the individual's eyes are backtracking from left to right, then they are implementing bottom-up parser because they are backtracking towards the end of the sentence, which is equivalent to the bottom of the tree.

4.

A.

0			(0A, aaaacbbbb)
1	Consume	$0A, a \rightarrow 1A$	(1A, aaacbbbb)
2	Consume	$1A, a \rightarrow 2A$	(2A, aacbbbb)
3	Consume	$2A, a \rightarrow 3A$	(3A, acbbbb)
4	Consume	$3A, a \rightarrow 4A$	(4A, cbbbb)
5	Consume	$4A, c \rightarrow 4B$	(4B, bbbb)
6	Consume	4B, b \rightarrow 3B	(3B, bbb)
7	Consume	$3B,b\to 2B$	(2B, bb)
8	Consume	$2B, b \rightarrow 1B$	(1B, b)
9	Consume	$1B, b \rightarrow 0B$	(0B, ε)

B.

0 -- -- (S, aaaacbbbb)

	1	Predict	$S \to ASB$	(ASB, aaaacbbbb)
	2	Match	$A \rightarrow a$	(SB, aaacbbbb)
	3	Predict	$S \to ASB$	(ASBB, aaacbbbb)
	4	Match	$A \rightarrow a$	(SBB, aacbbbb)
	5	Predict	$S \to ASB$	(ASBBB, aacbbbb)
	6	Match	$A \rightarrow a$	(SBBB, acbbbb)
	7	Predict	$S \to ASB$	(ASBBBB, acbbbb)
	8	Match	$A \rightarrow a$	(SBBBB, cbbbb)
	9	Predict	$S \rightarrow C$	(CBBBB, cbbbb)
	10	Match	$C \rightarrow c$	(BBBB, bbbb)
	11	Match	$B \rightarrow b$	(BBB, bbb)
	12	Match	$B \rightarrow b$	(BB, bb)
	13	Match	$B \rightarrow b$	(B, b)
	14	Match	$B \rightarrow b$	(ε, ε)
C.				
	0			(ε, aaaacbbbb)
	1	Shift	$A \rightarrow a$	(A, aaacbbbb)
	2	Shift	$A \rightarrow a$	(AA, aacbbbb)
	3	Shift	$A \rightarrow a$	(AAA, acbbbb)
	4	Shift	$A \rightarrow a$	(AAAA, cbbbb)
	5	Shift	$C \rightarrow c$	(AAAAC, bbbb)
	6	Reduce	$S \rightarrow C$	(AAAAS, bbbb)
	7	Shift	$B \rightarrow b$	(AAAASB, bbb)
	8	Reduce	$S \rightarrow ASB$	(AAAS, bbb)
	9	Shift	$B \rightarrow b$	(AAASB, bb)
	10	Reduce	$S \rightarrow ASB$	(AAS, bb)
	11	Shift	$B \rightarrow b$	(AASB, b)
	12	Reduce	$S \rightarrow ASB$	(AS, b)
	13	Shift	$B \rightarrow b$	(ASB, ε)
	14	Reduce	$S \rightarrow ASB$	(S, ε)
Note: ~S = S bar, ~A = A bar, etc for part D				
D.	0			(-C accachbbb)
	0 1	 Shift	Δ	(~S, aaaacbbbb) (A ~S, aaacbbbb)
	2	LCC	A → a S → ASB	(~S ~B, aaacbbbb)
	3	Shift	3 → A3b A → a	(A ~S ~B, aacbbbb)
	4	LCC	$A \rightarrow a$ $S \rightarrow ASB$	(~S ~B ~B, aacbbbb)
	5	Shift	3 → A3B A → a	(A ~S ~B ~B, acbbbb)
	6	LCC	$S \rightarrow ASB$	(~S ~B ~B, acbbbb)
	7	Shift	A → a	(A ~S ~B ~B ~B, cbbbb)
	8	LCC	$S \rightarrow ASB$	(~S ~B ~B ~B ~B, cbbbb)
	-			(= = = = = = = = = = = = = = = = = = =

9	Shift	$C \rightarrow c$	(C ~S ~B ~B ~B ~B, bbbb)
10	LCC	$S \to C$	(~B ~B ~B ~B, bbbb)
11	Match	$B\tob$	(~B ~B ~B, bbb)
12	Match	$B\tob$	(~B ~B, bb)
13	Match	$B\tob$	(~B, b)
14	Match	$B\tob$	(ε, ε)