

# 14

## Mendel and the Gene Idea



▲ **Figure 14.1** What principles of inheritance did Gregor Mendel discover by breeding garden pea plants?

### KEY CONCEPTS

- 14.1** Mendel used the scientific approach to identify two laws of inheritance
- 14.2** The laws of probability govern Mendelian inheritance
- 14.3** Inheritance patterns are often more complex than predicted by simple Mendelian genetics
- 14.4** Many human traits follow Mendelian patterns of inheritance

### OVERVIEW

#### Drawing from the Deck of Genes

If you spotted a woman with bright purple hair walking down the street, you would probably deduce that she hadn't inherited her striking hair color from either parent. Consciously or not, you have transformed a lifetime of observations of hair

color and other features into a list of possible variations that occur naturally among people. Brown, blue, green, or gray eyes; black, brown, blond, or red hair—these are just a few examples of heritable variations that we may observe among individuals in a population. What are the genetic principles that account for the transmission of such traits from parents to offspring in humans and other organisms?

The explanation of heredity most widely in favor during the 1800s was the “blending” hypothesis, the idea that genetic material contributed by the two parents mixes in a manner analogous to the way blue and yellow paints blend to make green. This hypothesis predicts that over many generations, a freely mating population will give rise to a uniform population of individuals. However, our everyday observations and the results of breeding experiments with animals and plants contradict that prediction. The blending hypothesis also fails to explain other phenomena of inheritance, such as traits reappearing after skipping a generation.

An alternative to the blending model is a “particulate” hypothesis of inheritance: the gene idea. According to this model, parents pass on discrete heritable units—genes—that retain their separate identities in offspring. An organism’s collection of genes is more like a deck of cards than a pail of paint. Like playing cards, genes can be shuffled and passed along, generation after generation, in undiluted form.

Modern genetics had its genesis in an abbey garden, where a monk named Gregor Mendel documented a particulate mechanism for inheritance. **Figure 14.1** shows Mendel (back row, holding a sprig of fuchsia) with his fellow monks. Mendel developed his theory of inheritance several decades before chromosomes were observed under the microscope and the significance of their behavior was understood. In this chapter, we will step into Mendel’s garden to re-create his experiments and explain how he arrived at his theory of inheritance. We will also explore inheritance patterns more complex than those observed by Mendel in garden peas. Finally, we will see how the Mendelian model applies to the inheritance of human variations, including hereditary disorders such as sickle-cell disease.

### CONCEPT 14.1

#### Mendel used the scientific approach to identify two laws of inheritance

Mendel discovered the basic principles of heredity by breeding garden peas in carefully planned experiments. As we retrace his work, you will recognize the key elements of the scientific process that were introduced in Chapter 1.

#### Mendel’s Experimental, Quantitative Approach

Mendel grew up on his parents’ small farm in a region of Austria that is now part of the Czech Republic. In this agricultural area, Mendel and the other children received agricultural

training in school along with their basic education. As an adolescent, Mendel overcame financial hardship and illness to excel in high school and, later, at the Olmutz Philosophical Institute.

In 1843, at the age of 21, Mendel entered an Augustinian monastery, a reasonable choice at that time for someone who valued the life of the mind. He considered becoming a teacher but failed the necessary examination. In 1851, he left the monastery to pursue two years of study in physics and chemistry at the University of Vienna. These were very important years for Mendel's development as a scientist, in large part due to the strong influence of two professors. One was the physicist Christian Doppler, who encouraged his students to learn science through experimentation and trained Mendel to use mathematics to help explain natural phenomena. The other was a botanist named Franz Unger, who aroused Mendel's interest in the causes of variation in plants. The instruction Mendel received from these two mentors later played a critical role in his experiments with garden peas.

After attending the university, Mendel returned to the monastery and was assigned to teach at a local school, where several other instructors were enthusiastic about scientific research. In addition, his fellow monks shared a long-standing fascination with the breeding of plants. The monastery therefore provided fertile soil in more ways than one for Mendel's scientific endeavors. Around 1857, Mendel began breeding garden peas in the abbey garden to study inheritance. Although the question of heredity had long been a focus of curiosity at the monastery, Mendel's fresh approach allowed him to deduce principles that had remained elusive to others.

One reason Mendel probably chose to work with peas is that they are available in many varieties. For example, one variety has purple flowers, while another variety has white flowers. A heritable feature that varies among individuals, such as flower color, is called a **character**. Each variant for a character, such as purple or white color for flowers, is called a **trait**.

Other advantages of using peas are their short generation time and the large number of offspring from each mating. Furthermore, Mendel could strictly control mating between plants. The reproductive organs of a pea plant are in its flowers, and each pea flower has both pollen-producing organs (stamens) and an egg-bearing organ (carpel).<sup>\*</sup> In nature, pea plants usually self-fertilize: Pollen grains land on the carpel of the same flower, and sperm released from the pollen grains fertilize eggs present in the carpel. To achieve cross-pollination (fertilization between different plants), Mendel removed the immature stamens of a plant before they produced pollen and then dusted pollen onto the

<sup>\*</sup>As you learned in Figure 13.6b, meiosis in plants produces spores, not gametes. In flowering plants like the pea, each spore develops into a microscopic haploid gametophyte that contains only a few cells and is located on the parent plant. The gametophyte produces sperm, in pollen grains, and eggs, in the carpel. For simplicity, we will not include the gametophyte stage in our discussion of fertilization in plants.

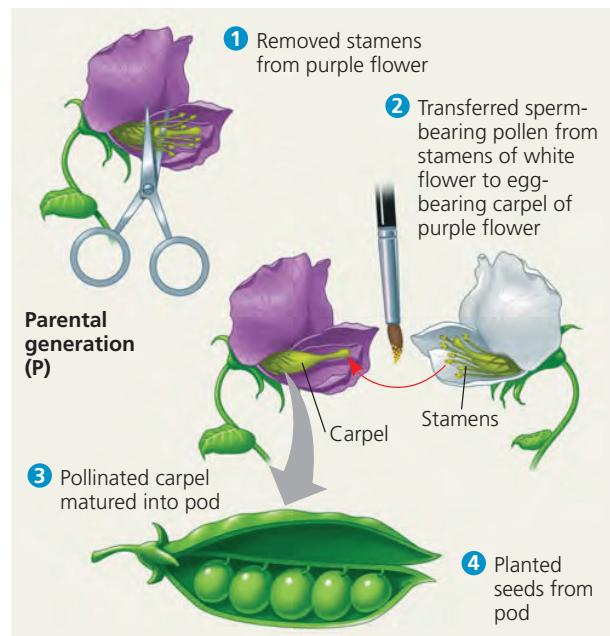
▼ Figure 14.2

## RESEARCH METHOD

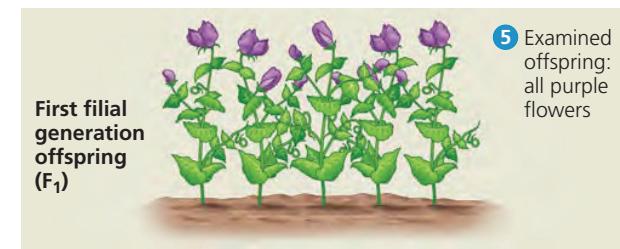
### Crossing Pea Plants

**APPLICATION** By crossing (mating) two true-breeding varieties of an organism, scientists can study patterns of inheritance. In this example, Mendel crossed pea plants that varied in flower color.

#### TECHNIQUE



**RESULTS** When pollen from a white flower was transferred to a purple flower, the first-generation hybrids all had purple flowers. The result was the same for the reciprocal cross, which involved the transfer of pollen from purple flowers to white flowers.



altered flowers (**Figure 14.2**). Each resulting zygote then developed into a plant embryo encased in a seed (pea). Mendel could thus always be sure of the parentage of new seeds.

Mendel chose to track only those characters that occurred in two distinct, alternative forms. For example, his plants had either purple flowers or white flowers; there were no colors intermediate between these two varieties. Had Mendel focused instead on characters that varied in a continuum among individuals—seed weight, for example—he would not have discovered the particulate nature of inheritance. (You'll learn why later.)

Mendel also made sure that he started his experiments with varieties that, over many generations of self-pollination, had produced only the same variety as the parent plant. Such plants are said to be **true-breeding**. For example, a plant with purple flowers is true-breeding if the seeds produced by self-pollination in successive generations all give rise to plants that also have purple flowers.

In a typical breeding experiment, Mendel cross-pollinated two contrasting, true-breeding pea varieties—for example, purple-flowered plants and white-flowered plants (see Figure 14.2). This mating, or *crossing*, of two true-breeding varieties is called **hybridization**. The true-breeding parents are referred to as the **P generation** (parental generation), and their hybrid offspring are the **F<sub>1</sub> generation** (first filial generation, the word *filial* from the Latin word for “son”). Allowing these F<sub>1</sub> hybrids to self-pollinate (or to cross-pollinate with other F<sub>1</sub> hybrids) produces an **F<sub>2</sub> generation** (second filial generation). Mendel usually followed traits for at least the P, F<sub>1</sub>, and F<sub>2</sub> generations. Had Mendel stopped his experiments with the F<sub>1</sub> generation, the basic patterns of inheritance would have escaped him. Mendel’s quantitative analysis of the F<sub>2</sub> plants from thousands of genetic crosses like these allowed him to deduce two fundamental principles of heredity, which have come to be called the law of segregation and the law of independent assortment.

## The Law of Segregation

If the blending model of inheritance were correct, the F<sub>1</sub> hybrids from a cross between purple-flowered and white-flowered pea plants would have pale purple flowers, a trait intermediate between those of the P generation. Notice in Figure 14.2 that the experiment produced a very different result: All the F<sub>1</sub> offspring had flowers just as purple as the purple-flowered parents. What happened to the white-flowered plants’ genetic contribution to the hybrids? If it were lost, then the F<sub>1</sub> plants could produce only purple-flowered offspring in the F<sub>2</sub> generation. But when Mendel allowed the F<sub>1</sub> plants to self-pollinate and planted their seeds, the white-flower trait reappeared in the F<sub>2</sub> generation.

Mendel used very large sample sizes and kept accurate records of his results: 705 of the F<sub>2</sub> plants had purple flowers, and 224 had white flowers. These data fit a ratio of approximately three purple to one white (Figure 14.3). Mendel reasoned that the heritable factor for white flowers did not disappear in the F<sub>1</sub> plants, but was somehow hidden, or masked, when the purple-flower factor was present. In Mendel’s terminology, purple flower color is a *dominant* trait, and white flower color is a *recessive* trait. The reappearance of white-flowered plants in the F<sub>2</sub> generation was evidence that the heritable factor causing white flowers had not been diluted or destroyed by coexisting with the purple-flower factor in the F<sub>1</sub> hybrids.

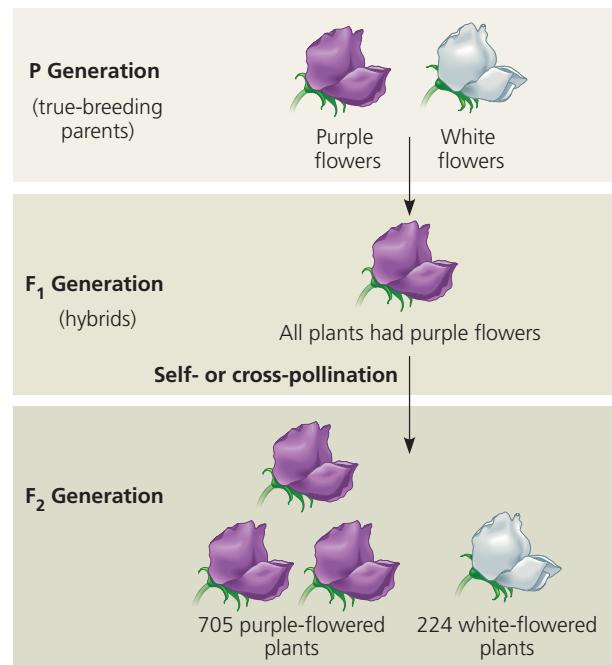
Mendel observed the same pattern of inheritance in six other characters, each represented by two distinctly different

▼ Figure 14.3

## INQUIRY

**When F<sub>1</sub> hybrid pea plants self- or cross-pollinate, which traits appear in the F<sub>2</sub> generation?**

**EXPERIMENT** Around 1860, in a monastery garden in Brünn, Austria, Gregor Mendel used the character of flower color in pea plants to follow traits through two generations. He crossed true-breeding purple-flowered plants and white-flowered plants (crosses are symbolized by  $\times$ ). The resulting F<sub>1</sub> hybrids were allowed to self-pollinate or were cross-pollinated with other F<sub>1</sub> hybrids. The F<sub>2</sub> generation plants were then observed for flower color.



**RESULTS** Both purple-flowered and white-flowered plants appeared in the F<sub>2</sub> generation, in a ratio of approximately 3:1.

**CONCLUSION** The “heritable factor” for the recessive trait (white flowers) had not been destroyed, deleted, or “blended” in the F<sub>1</sub> generation but was merely masked by the presence of the factor for purple flowers, which is the dominant trait.

**SOURCE** G. Mendel, Experiments in plant hybridization, *Proceedings of the Natural History Society of Brünn* 4:3–47 (1866).

**WHAT IF?** If you mated two purple-flowered plants from the P generation, what ratio of traits would you expect to observe in the offspring? Explain.

traits (Table 14.1). For example, when Mendel crossed a true-breeding variety that produced smooth, round pea seeds with one that produced wrinkled seeds, all the F<sub>1</sub> hybrids produced round seeds; this is the dominant trait for seed shape. In the F<sub>2</sub> generation, approximately 75% of the seeds were round and 25% were wrinkled—a 3:1 ratio, as in Figure 14.3. Now let’s see how Mendel deduced the law of

**Table 14.1** The Results of Mendel's F<sub>1</sub> Crosses for Seven Characters in Pea Plants

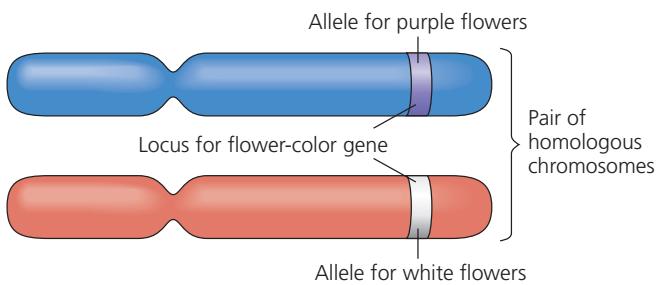
Character	Dominant Trait	×	Recessive Trait	F <sub>2</sub> Generation	
				Dominant: Recessive	Ratio
Flower color	Purple	×	White	705:224	3.15:1
Flower position	Axial	×	Terminal	651:207	3.14:1
Seed color	Yellow	×	Green	6,022:2,001	3.01:1
Seed shape	Round	×	Wrinkled	5,474:1,850	2.96:1
Pod shape	Inflated	×	Constricted	882:299	2.95:1
Pod color	Green	×	Yellow	428:152	2.82:1
Stem length	Tall	×	Dwarf	787:277	2.84:1

segregation from his experimental results. In the discussion that follows, we will use modern terms instead of some of the terms used by Mendel. (For example, we'll use "gene" instead of Mendel's "heritable factor.")

### Mendel's Model

Mendel developed a model to explain the 3:1 inheritance pattern that he consistently observed among the F<sub>2</sub> offspring in his pea experiments. We describe four related concepts making up this model, the fourth of which is the law of segregation.

First, *alternative versions of genes account for variations in inherited characters*. The gene for flower color in pea plants, for example, exists in two versions, one for purple flowers and the other for white flowers. These alternative versions of a gene are



▲ **Figure 14.4** Alleles, alternative versions of a gene. A somatic cell has two copies of each chromosome (forming a homologous pair) and thus two copies of each gene; the alleles may be identical or different. This figure depicts a pair of homologous chromosomes in an F<sub>1</sub> hybrid pea plant. The paternally inherited chromosome (blue), which was present in the sperm within a pollen grain, has an allele for purple flowers, and the maternally inherited chromosome (red), which was present in an egg within a carpel, has an allele for white flowers.

called **alleles** (Figure 14.4). Today, we can relate this concept to chromosomes and DNA. As noted in Chapter 13, each gene is a sequence of nucleotides at a specific place, or locus, along a particular chromosome. The DNA at that locus, however, can vary slightly in its nucleotide sequence and hence in its information content. The purple-flower allele and the white-flower allele are two DNA sequence variations possible at the flower-color locus on one of a pea plant's chromosomes.

Second, *for each character, an organism inherits two copies of a gene, one from each parent*. (These are also called alleles of that gene.) Remarkably, Mendel made this deduction without knowing about the role, or even the existence, of chromosomes. Recall from Chapter 13 that each somatic cell in a diploid organism has two sets of chromosomes, one set inherited from each parent. Thus, a genetic locus is actually represented twice in a diploid cell, once on each homolog of a specific pair of chromosomes. The two alleles at a particular locus may be identical, as in the true-breeding plants of Mendel's P generation. Or the alleles may differ, as in the F<sub>1</sub> hybrids (see Figure 14.4).

Third, *if the two alleles at a locus differ, then one, the dominant allele, determines the organism's appearance; the other, the recessive allele, has no noticeable effect on the organism's appearance*. Accordingly, Mendel's F<sub>1</sub> plants had purple flowers because the allele for that trait is dominant and the allele for white flowers is recessive.

The fourth and final part of Mendel's model, the **law of segregation**, states that *the two alleles for a heritable character segregate (separate from each other) during gamete formation and end up in different gametes*. Thus, an egg or a sperm gets only one of the two alleles that are present in the somatic cells of the organism making the gamete. In terms of chromosomes, this segregation corresponds to the distribution of the two members of a pair of homologous chromosomes to different gametes in meiosis (see Figure 13.7). Note that if an organism has identical alleles for a particular character—that is, the

organism is true-breeding for that character—then that allele is present in all gametes. But if different alleles are present, as in the  $F_1$  hybrids, then 50% of the gametes receive the dominant allele and 50% receive the recessive allele.

Does Mendel's segregation model account for the 3:1 ratio he observed in the  $F_2$  generation of his numerous crosses? For the flower-color character, the model predicts that the two different alleles present in an  $F_1$  individual will segregate into gametes such that half the gametes will have the purple-flower allele and half will have the white-flower allele. During self-pollination, gametes of each class unite randomly. An egg with a purple-flower allele has an equal chance of being fertilized by a sperm with a purple-flower allele or one with a white-flower allele. Since the same is true for an egg with a white-flower allele, there are four equally likely combinations of sperm and egg. **Figure 14.5** illustrates these combinations using a **Punnett square**, a handy diagrammatic device for predicting the allele composition of offspring from a cross

Each true-breeding plant of the parental generation has two identical alleles, denoted as either  $PP$  or  $pp$ .

**Gametes (circles) each contain only one allele for the flower-color gene.**  
In this case, every gamete produced by one parent has the same allele.

**Union of parental gametes produces  $F_1$  hybrids having a  $Pp$  combination.**  
Because the purple-flower allele is dominant, all these hybrids have purple flowers.

**When the hybrid plants produce gametes, the two alleles segregate.**  
Half of the gametes receive the  $P$  allele and the other half the  $p$  allele.

This box, a Punnett square, shows all possible combinations of alleles in offspring that result from an  $F_1$  ( $Pp \times Pp$ ) cross. Each square represents an equally probable product of fertilization. For example, the bottom left box shows the genetic combination resulting from a  $(P)$  egg fertilized by a  $(P)$  sperm.

**Random combination of the gametes results in the 3:1 ratio that Mendel observed in the  $F_2$  generation.**

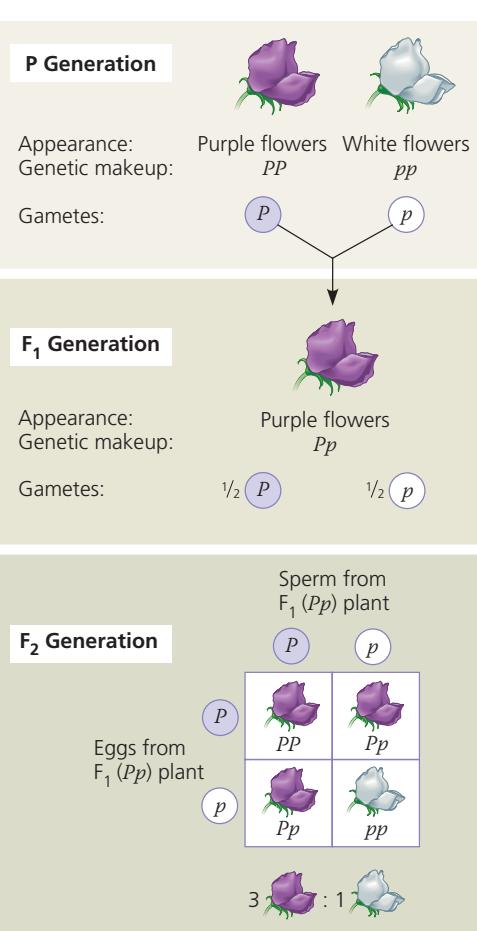
**▲ Figure 14.5 Mendel's law of segregation.** This diagram shows the genetic makeup of the generations in Figure 14.3. It illustrates Mendel's model for inheritance of the alleles of a single gene. Each plant has two alleles for the gene controlling flower color, one allele inherited from each of the plant's parents. To construct a Punnett square that predicts the  $F_2$  generation offspring, we list all the possible gametes from one parent (here, the  $F_1$  female) along the left side of the square and all the possible gametes from the other parent (here, the  $F_1$  male) along the top. The boxes represent the offspring resulting from all the possible unions of male and female gametes.

between individuals of known genetic makeup. Notice that we use a capital letter to symbolize a dominant allele and a lowercase letter for a recessive allele. In our example,  $P$  is the purple-flower allele, and  $p$  is the white-flower allele; the gene itself is sometimes referred to as the  $P/p$  gene.

In the  $F_2$  offspring, what color will the flowers be? One-fourth of the plants have inherited two purple-flower alleles; clearly, these plants will have purple flowers. One-half of the  $F_2$  offspring have inherited one purple-flower allele and one white-flower allele; these plants will also have purple flowers, the dominant trait. Finally, one-fourth of the  $F_2$  plants have inherited two white-flower alleles and will express the recessive trait. Thus, Mendel's model accounts for the 3:1 ratio of traits that he observed in the  $F_2$  generation.

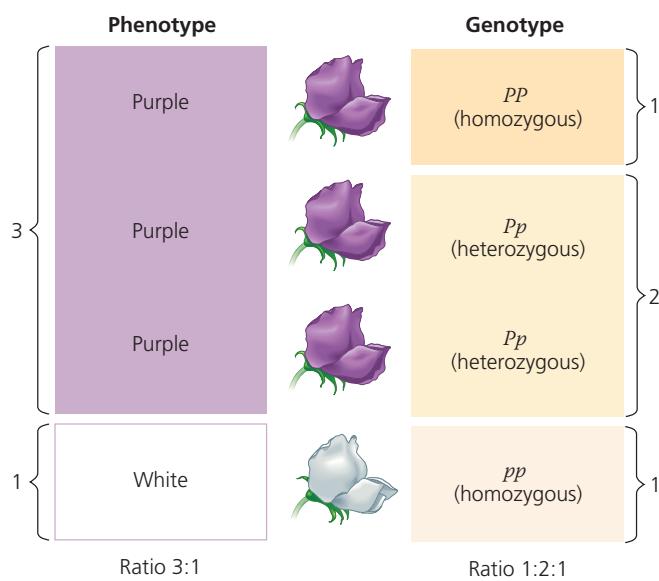
### Useful Genetic Vocabulary

An organism that has a pair of identical alleles for a character is said to be **homozygous** for the gene controlling that character.



In the parental generation in Figure 14.5, the purple pea plant is homozygous for the dominant allele ( $PP$ ), while the white plant is homozygous for the recessive allele ( $pp$ ). Homozygous plants "breed true" because all of their gametes contain the same allele—either  $P$  or  $p$  in this example. If we cross dominant homozygotes with recessive homozygotes, every offspring will have two different alleles— $Pp$  in the case of the  $F_1$  hybrids of our flower-color experiment (see Figure 14.5). An organism that has two different alleles for a gene is said to be **heterozygous** for that gene. Unlike homozygotes, heterozygotes produce gametes with different alleles, so they are not true-breeding. For example,  $P$ - and  $p$ -containing gametes are both produced by our  $F_1$  hybrids. Self-pollination of the  $F_1$  hybrids thus produces both purple-flowered and white-flowered offspring.

Because of the different effects of dominant and recessive alleles, an organism's traits do not always reveal its genetic composition. Therefore, we distinguish between an organism's appearance or observable traits, called its **phenotype**, and its genetic makeup, its **genotype**. In the case of flower color in pea plants,  $PP$  and  $Pp$  plants have the same phenotype (purple) but different genotypes. **Figure 14.6** reviews these terms. Note that "phenotype" refers to physiological traits as well as traits that relate directly to appearance.



**▲ Figure 14.6 Phenotype versus genotype.** Grouping  $F_2$  offspring from a cross for flower color according to phenotype results in the typical 3:1 phenotypic ratio. In terms of genotype, however, there are actually two categories of purple-flowered plants,  $PP$  (homozygous) and  $Pp$  (heterozygous), giving a 1:2:1 genotypic ratio.

For example, there is a pea variety that lacks the normal ability to self-pollinate. This physiological variation (non-self-pollination) is a phenotypic trait.

### The Testcross

Suppose we have a “mystery” pea plant that has purple flowers. We cannot tell from its flower color if this plant is homozygous ( $PP$ ) or heterozygous ( $Pp$ ) because both genotypes result in the same purple phenotype. To determine the genotype, we can cross this plant with a white-flowered plant ( $pp$ ), which will make only gametes with the recessive allele ( $p$ ). The allele in the gamete contributed by the mystery plant will therefore determine the appearance of the offspring (**Figure 14.7**). If all the offspring of the cross have purple flowers, then the purple-flowered mystery plant must be homozygous for the dominant allele, because a  $PP \times pp$  cross produces all  $Pp$  offspring. But if both the purple and the white phenotypes appear among the offspring, then the purple-flowered parent must be heterozygous. The offspring of a  $Pp \times pp$  cross will be expected to have a 1:1 phenotypic ratio. Breeding an organism of unknown genotype with a recessive homozygote is called a **testcross** because it can reveal the genotype of that organism. The testcross was devised by Mendel and continues to be an important tool of geneticists.

### The Law of Independent Assortment

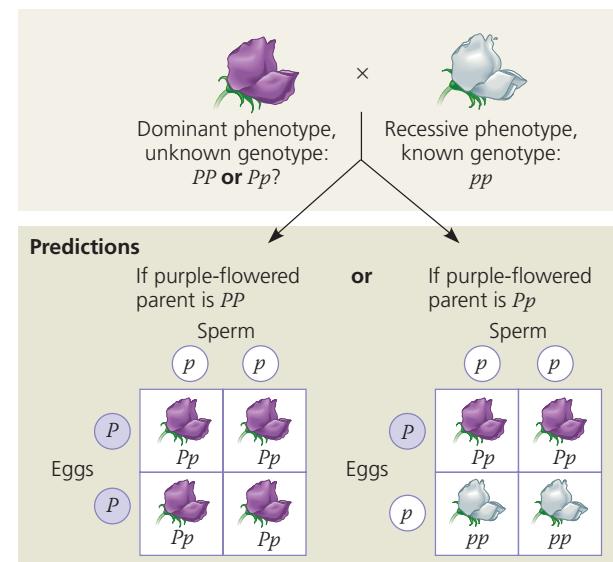
Mendel derived the law of segregation from experiments in which he followed only a *single* character, such as flower color. All the  $F_1$  progeny produced in his crosses of true-breeding parents were **monohybrids**, meaning that they were

▼ Figure 14.7

### The Testcross

**APPLICATION** An organism that exhibits a dominant trait, such as purple flowers in pea plants, can be either homozygous for the dominant allele or heterozygous. To determine the organism's genotype, geneticists can perform a testcross.

**TECHNIQUE** In a testcross, the individual with the unknown genotype is crossed with a homozygous individual expressing the recessive trait (white flowers in this example), and Punnett squares are used to predict the possible outcomes.



**RESULTS** Matching the results to either prediction identifies the unknown parental genotype (either  $PP$  or  $Pp$  in this example). In this testcross, we transferred pollen from a white-flowered plant to the carpels of a purple-flowered plant; the opposite (reciprocal) cross would have led to the same results.



heterozygous for the one particular character being followed in the cross. We refer to a cross between such heterozygotes as a **monohybrid cross**.

Mendel identified his second law of inheritance by following *two* characters at the same time, such as seed color and seed shape. Seeds (peas) may be either yellow or green. They also may be either round (smooth) or wrinkled. From single-character crosses, Mendel knew that the allele for yellow seeds is dominant ( $Y$ ), and the allele for green seeds is recessive ( $y$ ). For the seed-shape character, the allele for round is dominant ( $R$ ), and the allele for wrinkled is recessive ( $r$ ).

Imagine crossing two true-breeding pea varieties that differ in *both* of these characters—a cross between a plant with yellow-round seeds ( $YYRR$ ) and a plant with green-wrinkled seeds ( $yyrr$ ).

The F<sub>1</sub> plants will be **dihybrids**, individuals heterozygous for the two characters being followed in the cross (*YyRr*). But are these two characters transmitted from parents to offspring as a package? That is, will the *Y* and *R* alleles always stay together, generation after generation? Or are seed color and seed shape inherited independently? **Figure 14.8** shows how a **dihybrid cross**, a cross between F<sub>1</sub> dihybrids, can determine which of these two hypotheses is correct.

The F<sub>1</sub> plants, of genotype *YyRr*, exhibit both dominant phenotypes, yellow seeds with round shapes, no matter which hypothesis is correct. The key step in the experiment is to see what happens when F<sub>1</sub> plants self-pollinate and produce F<sub>2</sub> offspring. If the hybrids must transmit their alleles in the same combinations in which the alleles were inherited from the P generation, then the F<sub>1</sub> hybrids will produce only two classes of gametes: *YR* and *yr*. This “dependent assortment” hypothesis predicts that the phenotypic ratio of the F<sub>2</sub> generation will be 3:1, just as in a monohybrid cross (see Figure 14.8, left side).

The alternative hypothesis is that the two pairs of alleles segregate independently of each other. In other words, genes are packaged into gametes in all possible allelic combinations, as long as each gamete has one allele for each gene. In our example, an F<sub>1</sub> plant will produce four classes of gametes in equal quantities: *YR*, *Yr*, *yR*, and *yr*. If sperm of the four classes fertilize eggs of the four classes, there will be 16 ( $4 \times 4$ ) equally probable ways in which the alleles can combine in the F<sub>2</sub> generation, as shown in Figure 14.8, right side. These combinations result in four phenotypic categories with a ratio of 9:3:3:1 (nine yellow-round to three green-round to three yellow-wrinkled to one green-wrinkled). When Mendel did the experiment and classified the F<sub>2</sub> offspring, his results were close to the predicted 9:3:3:1 phenotypic ratio, supporting the hypothesis that the alleles for one gene—controlling seed color or seed shape, in this example—are sorted into gametes independently of the alleles of other genes.

Mendel tested his seven pea characters in various dihybrid combinations

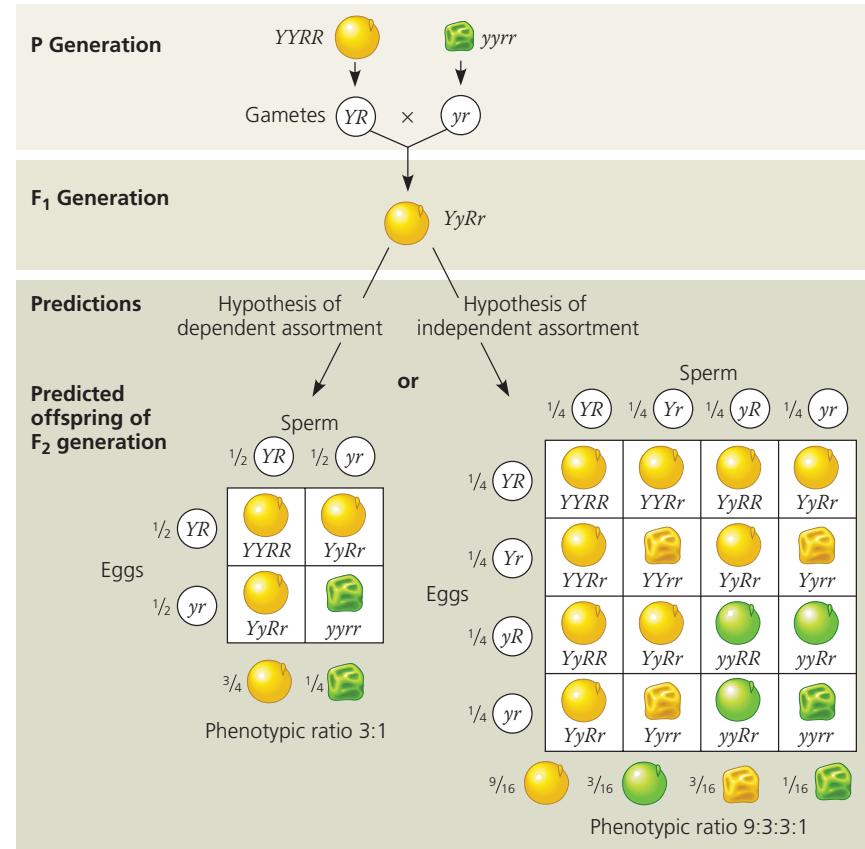
and always observed a 9:3:3:1 phenotypic ratio in the F<sub>2</sub> generation. However, notice in Figure 14.8 that there is a 3:1 phenotypic ratio for each one of the two characters if you consider them separately: three yellow to one green, and three round to one wrinkled. As far as a single character is concerned, the alleles segregate as if this were a monohybrid cross. The results of

▼ Figure 14.8

## INQUIRY

### Do the alleles for one character assort into gametes independently or independently of the alleles for a different character?

**EXPERIMENT** Gregor Mendel followed the characters of seed color and seed shape through the F<sub>2</sub> generation. He crossed a true-breeding plant with yellow-round seeds with a true-breeding plant with green-wrinkled seeds, producing dihybrid F<sub>1</sub> plants. Self-pollination of the F<sub>1</sub> dihybrids produced the F<sub>2</sub> generation. The two hypotheses (dependent and independent assortment) predict different phenotypic ratios.



## RESULTS

315 yellow-round 108 green-round 101 yellow-wrinkled 32 green-wrinkled Phenotypic ratio approximately 9:3:3:1

**CONCLUSION** Only the hypothesis of independent assortment predicts the appearance of two of the observed phenotypes: green-round seeds and yellow-wrinkled seeds (see the right-hand Punnett square). The alleles for seed color and seed shape sort into gametes independently of each other.

**SOURCE** G. Mendel, Experiments in plant hybridization, *Proceedings of the Natural History Society of Brünn* 4:3–47 (1866).

**WHAT IF?** Suppose Mendel had transferred pollen from an F<sub>1</sub> plant to the carpel of a plant that was homozygous recessive for both genes. Set up the cross and draw Punnett squares that predict the offspring for both hypotheses. Would this cross have supported the hypothesis of independent assortment equally well?

Mendel's dihybrid experiments are the basis for what we now call the **law of independent assortment**, which states that *each pair of alleles segregates independently of each other pair of alleles during gamete formation*.

This law applies only to genes (allele pairs) located on different chromosomes—that is, on chromosomes that are not homologous—or very far apart on the same chromosome. (The latter case will be explained in Chapter 15, along with the more complex inheritance patterns of genes located near each other, which tend to be inherited together.) All the pea characters Mendel chose for analysis were controlled by genes on different chromosomes (or far apart on one chromosome); this situation greatly simplified interpretation of his multicharacter pea crosses. All the examples we consider in the rest of this chapter involve genes located on different chromosomes.

### CONCEPT CHECK 14.1

1. **DRAW IT** Pea plants heterozygous for flower position and stem length ( $AaTt$ ) are allowed to self-pollinate, and 400 of the resulting seeds are planted. Draw a Punnett square for this cross. How many offspring would be predicted to have terminal flowers and be dwarf? (See Table 14.1.)
2. **WHAT IF?** List all gametes that could be made by a pea plant heterozygous for seed color, seed shape, and pod shape ( $YyRrIi$ ; see Table 14.1). How large a Punnett square would you need to draw to predict the offspring of a self-pollination of this “trihybrid”?
3. **MAKE CONNECTIONS** In some pea plant crosses, the plants are self-pollinated. Refer back to Concept 13.1 (pp. 248–249) and explain whether self-pollination is considered asexual or sexual reproduction.

For suggested answers, see Appendix A.

### CONCEPT 14.2

## The laws of probability govern Mendelian inheritance

Mendel's laws of segregation and independent assortment reflect the same rules of probability that apply to tossing coins, rolling dice, and drawing cards from a deck. The probability scale ranges from 0 to 1. An event that is certain to occur has a probability of 1, while an event that is certain *not* to occur has a probability of 0. With a coin that has heads on both sides, the probability of tossing heads is 1, and the probability of tossing tails is 0. With a normal coin, the chance of tossing heads is  $\frac{1}{2}$ , and the chance of tossing tails is  $\frac{1}{2}$ . The probability of drawing the ace of spades from a 52-card deck is  $\frac{1}{52}$ . The probabilities of all possible outcomes for an event must add up to 1. With a deck of cards, the chance of picking a card other than the ace of spades is  $51/52$ .

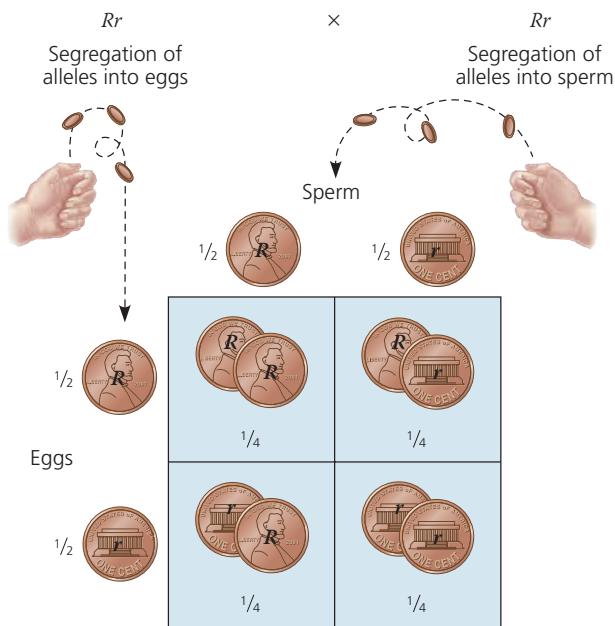
Tossing a coin illustrates an important lesson about probability. For every toss, the probability of heads is  $\frac{1}{2}$ . The outcome of any particular toss is unaffected by what has happened on previous trials. We refer to phenomena such as coin tosses as independent events. Each toss of a coin, whether done sequentially with one coin or simultaneously with many, is independent of every other toss. And like two separate coin tosses, the alleles of one gene segregate into gametes independently of another gene's alleles (the law of independent assortment). Two basic rules of probability can help us predict the outcome of the fusion of such gametes in simple monohybrid crosses and more complicated crosses.

### The Multiplication and Addition Rules Applied to Monohybrid Crosses

How do we determine the probability that two or more independent events will occur together in some specific combination? For example, what is the chance that two coins tossed simultaneously will both land heads up? The **multiplication rule** states that to determine this probability, we multiply the probability of one event (one coin coming up heads) by the probability of the other event (the other coin coming up heads). By the multiplication rule, then, the probability that both coins will land heads up is  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$ .

We can apply the same reasoning to an  $F_1$  monohybrid cross. With seed shape in pea plants as the heritable character, the genotype of  $F_1$  plants is  $Rr$ . Segregation in a heterozygous plant is like flipping a coin in terms of calculating the probability of each outcome: Each egg produced has a  $\frac{1}{2}$  chance of carrying the dominant allele ( $R$ ) and a  $\frac{1}{2}$  chance of carrying the recessive allele ( $r$ ). The same odds apply to each sperm cell produced. For a particular  $F_2$  plant to have wrinkled seeds, the recessive trait, both the egg and the sperm that come together must carry the  $r$  allele. The probability that an  $r$  allele will be present in both gametes at fertilization is found by multiplying  $\frac{1}{2}$  (the probability that the egg will have an  $r$ )  $\times \frac{1}{2}$  (the probability that the sperm will have an  $r$ ). Thus, the multiplication rule tells us that the probability of an  $F_2$  plant having wrinkled seeds ( $rr$ ) is  $\frac{1}{4}$  (Figure 14.9, on the next page). Likewise, the probability of an  $F_2$  plant carrying both dominant alleles for seed shape ( $RR$ ) is  $\frac{1}{4}$ .

To figure out the probability that an  $F_2$  plant from a monohybrid cross will be heterozygous rather than homozygous, we need to invoke a second rule. Notice in Figure 14.9 that the dominant allele can come from the egg and the recessive allele from the sperm, or vice versa. That is,  $F_1$  gametes can combine to produce  $Rr$  offspring in two *mutually exclusive* ways: For any particular heterozygous  $F_2$  plant, the dominant allele can come from the egg *or* the sperm, but not from both. According to the **addition rule**, the probability that any one of two or more mutually exclusive events will occur is calculated by adding their individual probabilities. As we have just seen, the multiplication rule gives us the individual



**▲ Figure 14.9 Segregation of alleles and fertilization as chance events.** When a heterozygote ( $Rr$ ) forms gametes, whether a particular gamete ends up with an  $R$  or an  $r$  is like the toss of a coin. We can determine the probability for any genotype among the offspring of two heterozygotes by multiplying together the individual probabilities of an egg and sperm having a particular allele ( $R$  or  $r$  in this example).

probabilities that we will now add together. The probability for one possible way of obtaining an  $F_2$  heterozygote—the dominant allele from the egg and the recessive allele from the sperm—is  $\frac{1}{4}$ . The probability for the other possible way—the recessive allele from the egg and the dominant allele from the sperm—is also  $\frac{1}{4}$  (see Figure 14.9). Using the rule of addition, then, we can calculate the probability of an  $F_2$  heterozygote as  $\frac{1}{4} + \frac{1}{4} = \frac{1}{2}$ .

### Solving Complex Genetics Problems with the Rules of Probability

We can also apply the rules of probability to predict the outcome of crosses involving multiple characters. Recall that each allelic pair segregates independently during gamete formation (the law of independent assortment). Thus, a dihybrid or other multicharacter cross is equivalent to two or more independent monohybrid crosses occurring simultaneously. By applying what we have learned about monohybrid crosses, we can determine the probability of specific genotypes occurring in the  $F_2$  generation without having to construct unwieldy Punnett squares.

Consider the dihybrid cross between  $YyRr$  heterozygotes shown in Figure 14.8. We will focus first on the seed-color character. For a monohybrid cross of  $Yy$  plants, we can use a simple Punnett square to determine that the probabilities of the offspring genotypes are  $\frac{1}{4}$  for  $YY$ ,  $\frac{1}{4}$  for  $Yy$ , and  $\frac{1}{4}$  for  $yy$ . We can draw a second Punnett square to determine that the same

probabilities apply to the offspring genotypes for seed shape:  $\frac{1}{4} RR$ ,  $\frac{1}{4} Rr$ , and  $\frac{1}{4} rr$ . Knowing these probabilities, we can simply use the multiplication rule to determine the probability of each of the genotypes in the  $F_2$  generation. To give two examples, the calculations for finding the probabilities of two of the possible  $F_2$  genotypes ( $YYRR$  and  $YyRR$ ) are shown below:

$$\text{Probability of } YYRR = \frac{1}{4} (\text{probability of } YY) \times \frac{1}{4} (RR) = \frac{1}{16}$$

$$\text{Probability of } YyRR = \frac{1}{2} (Yy) \times \frac{1}{4} (RR) = \frac{1}{8}$$

The  $YYRR$  genotype corresponds to the upper left box in the larger Punnett square in Figure 14.8 (one box =  $\frac{1}{16}$ ). Looking closely at the larger Punnett square in Figure 14.8, you will see that 2 of the 16 boxes ( $\frac{1}{8}$ ) correspond to the  $YyRR$  genotype.

Now let's see how we can combine the multiplication and addition rules to solve even more complex problems in Mendelian genetics. Imagine a cross of two pea varieties in which we track the inheritance of three characters. Let's cross a trihybrid with purple flowers and yellow, round seeds (heterozygous for all three genes) with a plant with purple flowers and green, wrinkled seeds (heterozygous for flower color but homozygous recessive for the other two characters). Using Mendelian symbols, our cross is  $PpYyRr \times Ppyyrr$ . What fraction of offspring from this cross are predicted to exhibit the recessive phenotypes for *at least two* of the three characters?

To answer this question, we can start by listing all genotypes we could get that fulfill this condition:  $pypyRr$ ,  $ppYyrr$ ,  $Ppyyrr$ ,  $PPyyrr$ , and  $ppyyrr$ . (Because the condition is *at least two* recessive traits, it includes the last genotype, which shows all three recessive traits.) Next, we calculate the probability for each of these genotypes resulting from our  $PpYyRr \times Ppyyrr$  cross by multiplying together the individual probabilities for the allele pairs, just as we did in our dihybrid example. Note that in a cross involving heterozygous and homozygous allele pairs (for example,  $Yy \times yy$ ), the probability of heterozygous offspring is  $\frac{1}{2}$  and the probability of homozygous offspring is  $\frac{1}{2}$ . Finally, we use the addition rule to add the probabilities for all the different genotypes that fulfill the condition of *at least two* recessive traits, as shown below:

$$ppyyRr \quad \frac{1}{4} (\text{probability of } pp) \times \frac{1}{2} (yy) \times \frac{1}{2} (Rr) = \frac{1}{16}$$

$$ppYyrr \quad \frac{1}{4} \times \frac{1}{2} \times \frac{1}{2} = \frac{1}{16}$$

$$Ppyyrr \quad \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} = \frac{2}{16}$$

$$PPyyrr \quad \frac{1}{4} \times \frac{1}{2} \times \frac{1}{2} = \frac{1}{16}$$

$$ppyyrr \quad \frac{1}{4} \times \frac{1}{2} \times \frac{1}{2} = \frac{1}{16}$$

$$\text{Chance of } \textit{at least two} \text{ recessive traits} = \frac{6}{16} \text{ or } \frac{3}{8}$$

In time, you'll be able to solve genetics problems faster by using the rules of probability than by filling in Punnett squares.

We cannot predict with certainty the exact numbers of progeny of different genotypes resulting from a genetic cross. But the rules of probability give us the *chance* of various outcomes. Usually, the larger the sample size, the closer the results will conform to our predictions. The reason Mendel counted so many offspring from his crosses is that

he understood this statistical feature of inheritance and had a keen sense of the rules of chance.

## CONCEPT CHECK 14.2

- For any gene with a dominant allele  $A$  and recessive allele  $a$ , what proportions of the offspring from an  $AA \times Aa$  cross are expected to be homozygous dominant, homozygous recessive, and heterozygous?
- Two organisms, with genotypes  $BbDD$  and  $BBDd$ , are mated. Assuming independent assortment of the  $B/b$  and  $D/d$  genes, write the genotypes of all possible offspring from this cross and use the rules of probability to calculate the chance of each genotype occurring.
- WHAT IF?** Three characters (flower color, seed color, and pod shape) are considered in a cross between two pea plants ( $PpYyIi \times ppYyii$ ). What fraction of offspring are predicted to be homozygous recessive for at least two of the three characters?

For suggested answers, see Appendix A.

## CONCEPT 14.3

### Inheritance patterns are often more complex than predicted by simple Mendelian genetics

In the 20th century, geneticists extended Mendelian principles not only to diverse organisms, but also to patterns of inheritance more complex than those described by Mendel. For the work that led to his two laws of inheritance, Mendel chose pea plant characters that turn out to have a relatively simple genetic basis: Each character is determined by one gene, for which there are only two alleles, one completely dominant and the other completely recessive. (There is one exception: Mendel's pod-shape character is actually determined by two genes.) Not all heritable characters are determined so simply, and the relationship between genotype and phenotype is rarely so straightforward. Mendel himself realized that he could not explain the more complicated patterns he observed in crosses involving other pea characters or other plant species. This does not diminish the utility of Mendelian genetics (also called Mendelism), however, because the basic principles of segregation and independent assortment apply even to more complex patterns of inheritance. In this section, we will extend Mendelian genetics to hereditary patterns that were not reported by Mendel.

#### Extending Mendelian Genetics for a Single Gene

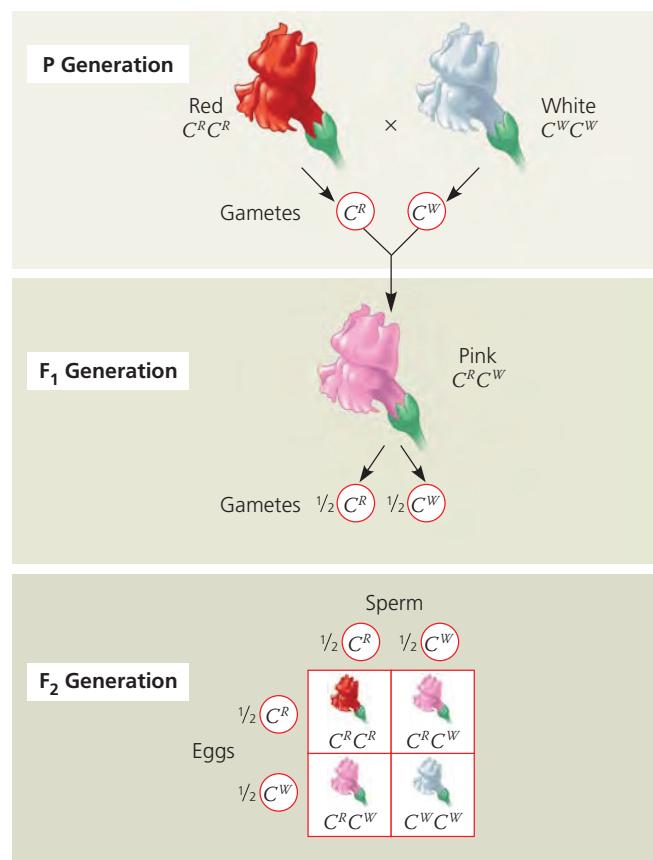
The inheritance of characters determined by a single gene deviates from simple Mendelian patterns when alleles are not completely dominant or recessive, when a particular gene has more than two alleles, or when a single gene produces

multiple phenotypes. We will describe examples of each of these situations in this section.

#### Degrees of Dominance

Alleles can show different degrees of dominance and recessiveness in relation to each other. In Mendel's classic pea crosses, the  $F_1$  offspring always looked like one of the two parental varieties because one allele in a pair showed **complete dominance** over the other. In such situations, the phenotypes of the heterozygote and the dominant homozygote are indistinguishable.

For some genes, however, neither allele is completely dominant, and the  $F_1$  hybrids have a phenotype somewhere between those of the two parental varieties. This phenomenon, called **incomplete dominance**, is seen when red snapdragons are crossed with white snapdragons: All the  $F_1$  hybrids have pink flowers (Figure 14.10). This third, intermediate phenotype results from flowers of the heterozygotes having



**▲ Figure 14.10 Incomplete dominance in snapdragon color.** When red snapdragons are crossed with white ones, the  $F_1$  hybrids have pink flowers. Segregation of alleles into gametes of the  $F_1$  plants results in an  $F_2$  generation with a 1:2:1 ratio for both genotype and phenotype. Neither allele is dominant, so rather than using upper- and lowercase letters, we use the letter  $C$  with a superscript to indicate an allele for flower color:  $C^R$  for red and  $C^W$  for white.

**?** Suppose a classmate argues that this figure supports the blending hypothesis for inheritance. What might your classmate say, and how would you respond?

less red pigment than the red homozygotes. (This is unlike the case of Mendel's pea plants, where the *Pp* heterozygotes make enough pigment for the flowers to be purple, indistinguishable from those of *PP* plants.)

At first glance, incomplete dominance of either allele seems to provide evidence for the blending hypothesis of inheritance, which would predict that the red or white trait could never be retrieved from the pink hybrids. In fact, interbreeding *F*<sub>1</sub> hybrids produces *F*<sub>2</sub> offspring with a phenotypic ratio of one red to two pink to one white. (Because heterozygotes have a separate phenotype, the genotypic and phenotypic ratios for the *F*<sub>2</sub> generation are the same, 1:2:1.) The segregation of the red-flower and white-flower alleles in the gametes produced by the pink-flowered plants confirms that the alleles for flower color are heritable factors that maintain their identity in the hybrids; that is, inheritance is particulate.

Another variation on dominance relationships between alleles is called **codominance**; in this variation, the two alleles each affect the phenotype in separate, distinguishable ways. For example, the human MN blood group is determined by codominant alleles for two specific molecules located on the surface of red blood cells, the M and N molecules. A single gene locus, at which two allelic variations are possible, determines the phenotype of this blood group. Individuals homozygous for the M allele (*MM*) have red blood cells with only M molecules; individuals homozygous for the N allele (*NN*) have red blood cells with only N molecules. But *both* M and N molecules are present on the red blood cells of individuals heterozygous for the M and N alleles (*MN*). Note that the MN phenotype is *not* intermediate between the M and N phenotypes, which distinguishes codominance from incomplete dominance. Rather, *both* M and N phenotypes are exhibited by heterozygotes, since both molecules are present.

**The Relationship Between Dominance and Phenotype** We've now seen that the relative effects of two alleles range from complete dominance of one allele, through incomplete dominance of either allele, to codominance of both alleles. It is important to understand that an allele is called *dominant* because it is seen in the phenotype, not because it somehow subdues a recessive allele. Alleles are simply variations in a gene's nucleotide sequence. When a dominant allele coexists with a recessive allele in a heterozygote, they do not actually interact at all. It is in the pathway from genotype to phenotype that dominance and recessiveness come into play.

To illustrate the relationship between dominance and phenotype, we can use one of the characters Mendel studied—round versus wrinkled pea seed shape. The dominant allele (round) codes for an enzyme that helps convert an unbranched form of starch to a branched form in the seed. The recessive allele (wrinkled) codes for a defective form of this enzyme, leading to an accumulation of unbranched starch,

which causes excess water to enter the seed by osmosis. Later, when the seed dries, it wrinkles. If a dominant allele is present, no excess water enters the seed and it does not wrinkle when it dries. One dominant allele results in enough of the enzyme to synthesize adequate amounts of branched starch, which means that dominant homozygotes and heterozygotes have the same phenotype: round seeds.

A closer look at the relationship between dominance and phenotype reveals an intriguing fact: For any character, the observed dominant/recessive relationship of alleles depends on the level at which we examine phenotype. **Tay-Sachs disease**, an inherited disorder in humans, provides an example. The brain cells of a child with Tay-Sachs disease cannot metabolize certain lipids because a crucial enzyme does not work properly. As these lipids accumulate in brain cells, the child begins to suffer seizures, blindness, and degeneration of motor and mental performance and dies within a few years.

Only children who inherit two copies of the Tay-Sachs allele (homozygotes) have the disease. Thus, at the *organismal* level, the Tay-Sachs allele qualifies as recessive. However, the activity level of the lipid-metabolizing enzyme in heterozygotes is intermediate between that in individuals homozygous for the normal allele and that in individuals with Tay-Sachs disease. The intermediate phenotype observed at the *biochemical* level is characteristic of incomplete dominance of either allele. Fortunately, the heterozygote condition does not lead to disease symptoms, apparently because half the normal enzyme activity is sufficient to prevent lipid accumulation in the brain. Extending our analysis to yet another level, we find that heterozygous individuals produce equal numbers of normal and dysfunctional enzyme molecules. Thus, at the *molecular* level, the normal allele and the Tay-Sachs allele are codominant. As you can see, whether alleles appear to be completely dominant, incompletely dominant, or codominant depends on the level at which the phenotype is analyzed.

**Frequency of Dominant Alleles** Although you might assume that the dominant allele for a particular character would be more common in a population than the recessive allele, this is not a given. For example, about one baby out of 400 in the United States is born with extra fingers or toes, a condition known as polydactyly. Some cases are caused by the presence of a dominant allele. The low frequency of polydactyly indicates that the recessive allele, which results in five digits per appendage, is far more prevalent than the dominant allele in the population. In Chapter 23, you will learn how relative frequencies of alleles in a population are affected by natural selection.

### Multiple Alleles

Only two alleles exist for the pea characters that Mendel studied, but most genes exist in more than two allelic forms. The ABO blood groups in humans, for instance, are determined by three alleles of a single gene: *I<sup>A</sup>*, *I<sup>B</sup>*, and *i*. A person's blood

**(a) The three alleles for the ABO blood groups and their carbohydrates.** Each allele codes for an enzyme that may add a specific carbohydrate (designated by the superscript on the allele and shown as a triangle or circle) to red blood cells.

Allele	$I^A$	$I^B$	$i$
Carbohydrate	A ▲	B ○	none

**(b) Blood group genotypes and phenotypes.** There are six possible genotypes, resulting in four different phenotypes.

Genotype	$I^A I^A$ or $I^A i$	$I^B I^B$ or $I^B i$	$I^A I^B$	$i i$
Red blood cell appearance				
Phenotype (blood group)	A	B	AB	O

▲ **Figure 14.11 Multiple alleles for the ABO blood groups.**

The four blood groups result from different combinations of three alleles.

? Based on the surface carbohydrate phenotype in (b), what are the dominance relationships among the alleles?

group (phenotype) may be one of four types: A, B, AB, or O. These letters refer to two carbohydrates—A and B—that may be found on the surface of red blood cells. A person's blood cells may have carbohydrate A (type A blood), carbohydrate B (type B), both (type AB), or neither (type O), as shown schematically in **Figure 14.11**. Matching compatible blood groups is critical for safe blood transfusions (see Chapter 43).

### Pleiotropy

So far, we have treated Mendelian inheritance as though each gene affects only one phenotypic character. Most genes, however, have multiple phenotypic effects, a property called **pleiotropy** (from the Greek *pleion*, more). In humans, for example, pleiotropic alleles are responsible for the multiple symptoms associated with certain hereditary diseases, such as cystic fibrosis and sickle-cell disease, discussed later in this chapter. In the garden pea, the gene that determines flower color also affects the color of the coating on the outer surface of the seed, which can be gray or white. Given the intricate molecular and cellular interactions responsible for an organism's development and physiology, it isn't surprising that a single gene can affect a number of characteristics in an organism.

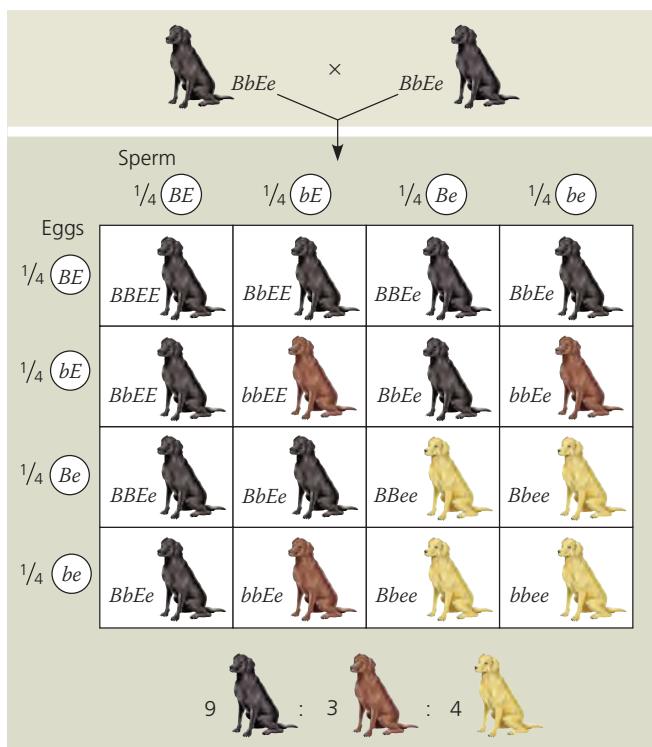
### Extending Mendelian Genetics for Two or More Genes

Dominance relationships, multiple alleles, and pleiotropy all have to do with the effects of the alleles of a single gene. We now consider two situations in which two or more genes are involved in determining a particular phenotype.

### Epistasis

In **epistasis** (from the Greek for "standing upon"), the phenotypic expression of a gene at one locus alters that of a gene at a second locus. An example will help clarify this concept. In Labrador retrievers (commonly called "Labs"), black coat color is dominant to brown. Let's designate  $B$  and  $b$  as the two alleles for this character. For a Lab to have brown fur, its genotype must be  $bb$ ; these dogs are called chocolate Labs. But there is more to the story. A second gene determines whether or not pigment will be deposited in the hair. The dominant allele, symbolized by  $E$ , results in the deposition of either black or brown pigment, depending on the genotype at the first locus. But if the Lab is homozygous recessive for the second locus ( $ee$ ), then the coat is yellow, regardless of the genotype at the black/brown locus. In this case, the gene for pigment deposition ( $E/e$ ) is said to be epistatic to the gene that codes for black or brown pigment ( $B/b$ ).

What happens if we mate black Labs that are heterozygous for both genes ( $BbEe$ )? Although the two genes affect the same phenotypic character (coat color), they follow the law of independent assortment. Thus, our breeding experiment represents an  $F_1$  dihybrid cross, like those that produced a 9:3:3:1 ratio in Mendel's experiments. We can use a Punnett square to represent the genotypes of the  $F_2$  offspring (**Figure 14.12**). As a result



▲ **Figure 14.12 An example of epistasis.** This Punnett square illustrates the genotypes and phenotypes predicted for offspring of matings between two black Labrador retrievers of genotype  $BbEe$ . The  $E/e$  gene, which is epistatic to the  $B/b$  gene coding for hair pigment, controls whether or not pigment of any color will be deposited in the hair.

of epistasis, the phenotypic ratio among the  $F_2$  offspring is nine black to three chocolate (brown) to four yellow. Other types of epistatic interactions produce different ratios, but all are modified versions of 9:3:3:1.

### Polygenic Inheritance

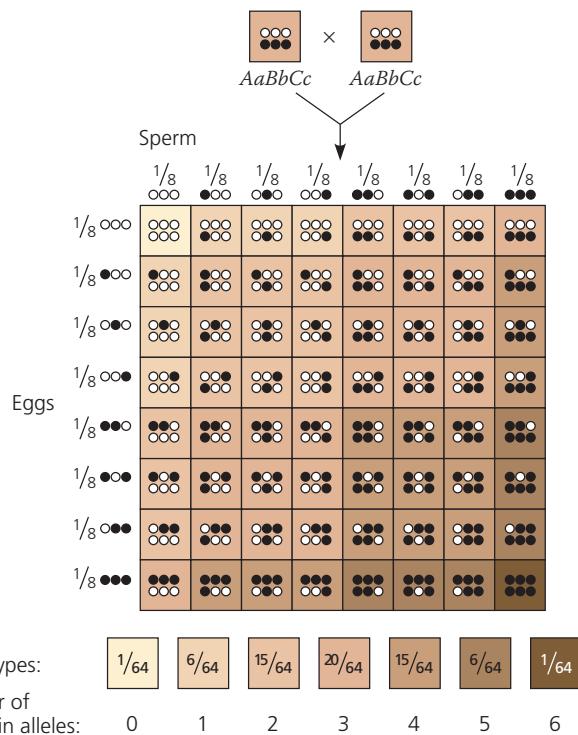
Mendel studied characters that could be classified on an either-or basis, such as purple versus white flower color. But for many characters, such as human skin color and height, an either-or classification is impossible because the characters vary in the population in gradations along a continuum. These are called **quantitative characters**. Quantitative variation usually indicates **polygenic inheritance**, an additive effect of two or more genes on a single phenotypic character (the converse of pleiotropy, where a single gene affects several phenotypic characters).

There is evidence, for instance, that skin pigmentation in humans is controlled by at least three separately inherited genes (probably more, but we will simplify). Let's consider three genes, with a dark-skin allele for each gene (*A*, *B*, or *C*) contributing one "unit" of darkness (also a simplification) to the phenotype and being incompletely dominant to the other allele (*a*, *b*, or *c*). An *AABBCC* person would be very dark, while an *aabbcc* individual would be very light. An *AaBbCc* person would have skin of an intermediate shade. Because the alleles have a cumulative effect, the genotypes *AaBbCc* and *AABbcc* would make the same genetic contribution (three units) to skin darkness. As shown in **Figure 14.13**, there are seven skin-color phenotypes that could result from a mating between *AaBbCc* heterozygotes. In a large number of such matings, the majority of offspring would be expected to have intermediate phenotypes (skin color in the middle range). Environmental factors, such as exposure to the sun, also affect the skin-color phenotype.

### Nature and Nurture: The Environmental Impact on Phenotype

Another departure from simple Mendelian genetics arises when the phenotype for a character depends on environment as well as genotype. A single tree, locked into its inherited genotype, has leaves that vary in size, shape, and greenness, depending on their exposure to wind and sun. For humans, nutrition influences height, exercise alters build, sun-tanning darkens the skin, and experience improves performance on intelligence tests. Even identical twins, who are genetic equals, accumulate phenotypic differences as a result of their unique experiences.

Whether human characteristics are more influenced by genes or the environment—nature versus nurture—is a very old and hotly contested debate that we will not attempt to settle here. We can say, however, that a genotype generally is not associated with a rigidly defined phenotype, but rather with a range of phenotypic possibilities due to environmental influences. This phenotypic range is called the **norm of reaction** for a genotype (**Figure 14.14**). For some characters, such as the



**▲ Figure 14.13 A simplified model for polygenic inheritance of skin color.** According to this model, three separately inherited genes affect the darkness of skin. The heterozygous individuals (*AaBbCc*) represented by the two rectangles at the top of this figure each carry three dark-skin alleles (black circles, which represent *A*, *B*, or *C*) and three light-skin alleles (white circles, which represent *a*, *b*, or *c*). The Punnett square shows all the possible genetic combinations in gametes and in offspring of a large number of hypothetical matings between these heterozygotes. The results are summarized by the phenotypic ratios under the Punnett square.

**DRAW IT** Make a bar graph of the results, with skin color (number of dark-skin alleles) along the x-axis and fraction of offspring along the y-axis. Draw a rough curve corresponding to the results and discuss what it shows about the relative proportions of different phenotypes among the offspring.



**▲ Figure 14.14 The effect of environment on phenotype.** The outcome of a genotype lies within its norm of reaction, a phenotypic range that depends on the environment in which the genotype is expressed. For example, hydrangea flowers of the same genetic variety range in color from blue-violet to pink, with the shade and intensity of color depending on the acidity and aluminum content of the soil.

ABO blood group system, the norm of reaction has no breadth whatsoever; that is, a given genotype mandates a very specific phenotype. Other characteristics, such as a person's blood count of red and white cells, vary quite a bit, depending on such factors as the altitude, the customary level of physical activity, and the presence of infectious agents.

Generally, norms of reaction are broadest for polygenic characters. Environment contributes to the quantitative nature of these characters, as we have seen in the continuous variation of skin color. Geneticists refer to such characters as **multiplicative**, meaning that many factors, both genetic and environmental, collectively influence phenotype.

### Integrating a Mendelian View of Heredity and Variation

We have now broadened our view of Mendelian inheritance by exploring degrees of dominance as well as multiple alleles, pleiotropy, epistasis, polygenic inheritance, and the phenotypic impact of the environment. How can we integrate these refinements into a comprehensive theory of Mendelian genetics? The key is to make the transition from the reductionist emphasis on single genes and phenotypic characters to the emergent properties of the organism as a whole, one of the themes of this book.

The term *phenotype* can refer not only to specific characters, such as flower color and blood group, but also to an organism in its entirety—all aspects of its physical appearance, internal anatomy, physiology, and behavior. Similarly, the term *genotype* can refer to an organism's entire genetic makeup, not just its alleles for a single genetic locus. In most cases, a gene's impact on phenotype is affected by other genes and by the environment. In this integrated view of heredity and variation, an organism's phenotype reflects its overall genotype and unique environmental history.

Considering all that can occur in the pathway from genotype to phenotype, it is indeed impressive that Mendel could uncover the fundamental principles governing the transmission of individual genes from parents to offspring. Mendel's two laws, segregation and independent assortment, explain heritable variations in terms of alternative forms of genes (hereditary "particles," now known as the alleles of genes) that are passed along, generation after generation, according to simple rules of probability. This theory of inheritance is equally valid for peas, flies, fishes, birds, and human beings—indeed, for any organism with a sexual life cycle. Furthermore, by extending the principles of segregation and independent assortment to help explain such hereditary patterns as epistasis and quantitative characters, we begin to see how broadly Mendelism applies. From Mendel's abbey garden came a theory of particulate inheritance that anchors modern genetics. In the last section of this chapter, we will apply Mendelian genetics to human inheritance, with emphasis on the transmission of hereditary diseases.

### CONCEPT CHECK 14.3

1. *Incomplete dominance* and *epistasis* are both terms that define genetic relationships. What is the most basic distinction between these terms?
2. If a man with type AB blood marries a woman with type O, what blood types would you expect in their children? What fraction would you expect of each type?
3. **WHAT IF?** A rooster with gray feathers and a hen of the same phenotype produce 15 gray, 6 black, and 8 white chicks. What is the simplest explanation for the inheritance of these colors in chickens? What phenotypes would you expect in the offspring of a cross between a gray rooster and a black hen?

For suggested answers, see Appendix A.

### CONCEPT 14.4

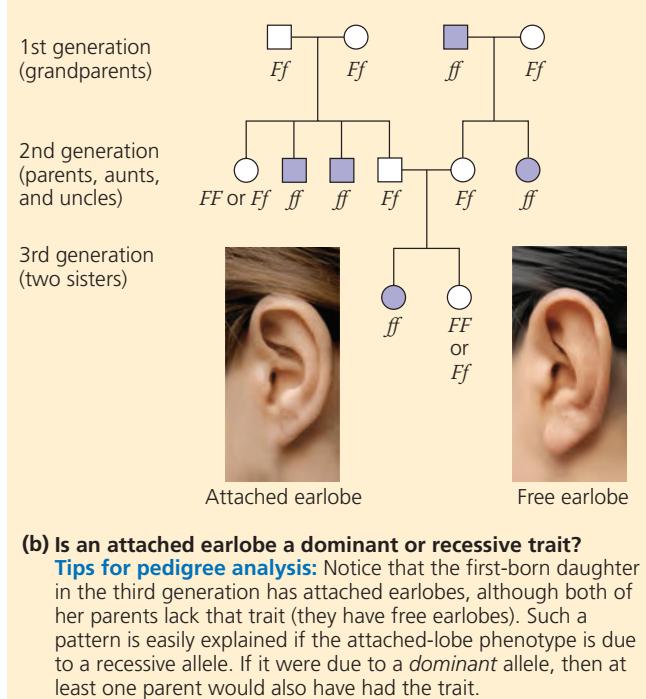
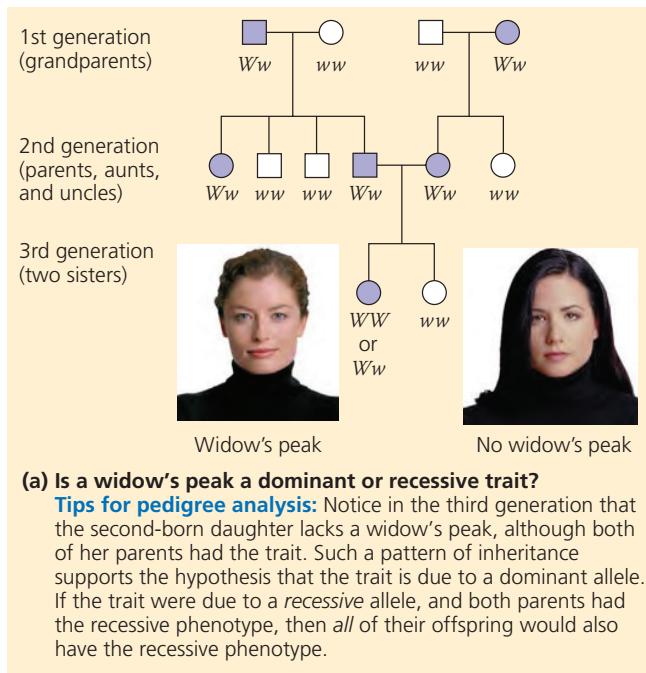
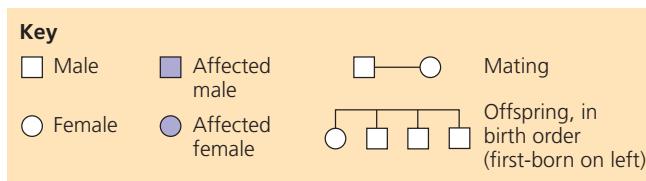
## Many human traits follow Mendelian patterns of inheritance

Peas are convenient subjects for genetic research, but humans are not. The human generation span is long—about 20 years—and human parents produce many fewer offspring than peas and most other species. Even more important, it wouldn't be ethical to ask pairs of humans to breed so that the phenotypes of their offspring could be analyzed! In spite of these constraints, the study of human genetics continues, spurred on by our desire to understand our own inheritance. New molecular biological techniques have led to many breakthrough discoveries, as we will see in Chapter 20, but basic Mendelism endures as the foundation of human genetics.

### Pedigree Analysis

Unable to manipulate the mating patterns of people, geneticists must analyze the results of matings that have already occurred. They do so by collecting information about a family's history for a particular trait and assembling this information into a family tree describing the traits of parents and children across the generations—the family **pedigree**.

**Figure 14.15a**, on the next page, shows a three-generation pedigree that traces the occurrence of a pointed contour of the hairline on the forehead. This trait, called a widow's peak, is due to a dominant allele, *W*. Because the widow's-peak allele is dominant, all individuals who lack a widow's peak must be homozygous recessive (*ww*). The two grandparents with widow's peaks must have the *Ww* genotype, since some of their offspring are homozygous recessive. The offspring in the second generation who *do* have widow's peaks must also be heterozygous, because they are the products of *Ww* × *ww* matings. The third generation in this pedigree consists of two sisters. The one



**▲ Figure 14.15 Pedigree analysis.** Each of these pedigrees traces a trait through three generations of the same family. The two traits have different inheritance patterns, as seen by analysis of the pedigrees.

who has a widow's peak could be either homozygous ( $WW$ ) or heterozygous ( $Ww$ ), given what we know about the genotypes of her parents (both  $Ww$ ).

**Figure 14.15b** is a pedigree of the same family, but this time we focus on a recessive trait, attached earlobes. We'll use  $f$  for the recessive allele and  $F$  for the dominant allele, which results in free earlobes. As you work your way through the pedigree, notice once again that you can apply what you have learned about Mendelian inheritance to understand the genotypes shown for the family members.

An important application of a pedigree is to help us calculate the probability that a future child will have a particular genotype and phenotype. Suppose that the couple represented in the second generation of Figure 14.15 decides to have one more child. What is the probability that the child will have a widow's peak? This is equivalent to a Mendelian  $F_1$  monohybrid cross ( $Ww \times Ww$ ), and thus the probability that a child will inherit a dominant allele and have a widow's peak is  $\frac{3}{4}$  ( $\frac{1}{4} WW + \frac{2}{4} Ww$ ). What is the probability that the child will have attached earlobes? Again, we can treat this as a monohybrid cross ( $Ff \times Ff$ ), but this time we want to know the chance that the offspring will be homozygous recessive ( $ff$ ). That probability is  $\frac{1}{4}$ . Finally, what is the chance that the child will have a widow's peak *and* attached earlobes? Assuming that the genes for these two characters are on different chromosomes, the two pairs of alleles will assort independently in this dihybrid cross ( $WwFf \times WwFf$ ). Thus, we can use the multiplication rule:  $\frac{3}{4}$  (chance of widow's peak)  $\times \frac{1}{4}$  (chance of attached earlobes) =  $\frac{3}{16}$  (chance of widow's peak and attached earlobes).

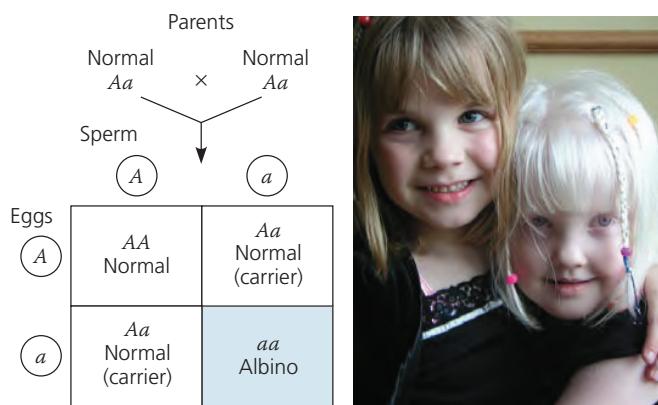
Pedigrees are a more serious matter when the alleles in question cause disabling or deadly diseases instead of innocuous human variations such as hairline or earlobe configuration. However, for disorders inherited as simple Mendelian traits, the same techniques of pedigree analysis apply.

## Recessively Inherited Disorders

Thousands of genetic disorders are known to be inherited as simple recessive traits. These disorders range in severity from relatively mild, such as albinism (lack of pigmentation, which results in susceptibility to skin cancers and vision problems), to life-threatening, such as cystic fibrosis.

### The Behavior of Recessive Alleles

How can we account for the behavior of alleles that cause recessively inherited disorders? Recall that genes code for proteins of specific function. An allele that causes a genetic disorder (let's call it allele  $a$ ) codes for either a malfunctioning protein or no protein at all. In the case of disorders classified as recessive, heterozygotes ( $Aa$ ) are typically normal in phenotype because one copy of the normal allele ( $A$ ) produces a sufficient amount of the specific protein. Thus, a recessively inherited disorder shows up only in the homozygous individuals ( $aa$ )



**▲ Figure 14.16 Albinism: a recessive trait.** One of the two sisters shown here has normal coloration; the other is albino. Most recessive homozygotes are born to parents who are carriers of the disorder but themselves have a normal phenotype, the case shown in the Punnett square.

**? What is the probability that the sister with normal coloration is a carrier of the albinism allele?**

who inherit one recessive allele from each parent. Although phenotypically normal with regard to the disorder, heterozygotes may transmit the recessive allele to their offspring and thus are called **carriers**. **Figure 14.16** illustrates these ideas using albinism as an example.

Most people who have recessive disorders are born to parents who are carriers of the disorder but have a normal phenotype, as is the case shown in the Punnett square in Figure 14.16. A mating between two carriers corresponds to a Mendelian F<sub>1</sub> monohybrid cross, so the predicted genotypic ratio for the offspring is 1 AA : 2 Aa : 1 aa. Thus, each child has a 1/4 chance of inheriting a double dose of the recessive allele; in the case of albinism, such a child will be albino. From the genotypic ratio, we also can see that out of three offspring with the *normal* phenotype (one AA plus two Aa), two are predicted to be heterozygous carriers, a 2/3 chance. Recessive homozygotes could also result from Aa × aa and aa × aa matings, but if the disorder is lethal before reproductive age or results in sterility (neither of which is true for albinism), no aa individuals will reproduce. Even if recessive homozygotes are able to reproduce, such individuals will still account for a much smaller percentage of the population than heterozygous carriers (for reasons we will examine in Chapter 23).

In general, genetic disorders are not evenly distributed among all groups of people. For example, the incidence of Tay-Sachs disease, which we described earlier in this chapter, is disproportionately high among Ashkenazic Jews, Jewish people whose ancestors lived in central Europe. In that population, Tay-Sachs disease occurs in one out of 3,600 births, an incidence about 100 times greater than that among non-Jews or Mediterranean (Sephardic) Jews. This uneven distribution results from the different genetic histories of the world's peoples during less technological times, when populations were more geographically (and hence genetically) isolated.

When a disease-causing recessive allele is rare, it is relatively unlikely that two carriers of the same harmful allele will meet and mate. However, if the man and woman are close relatives (for example, siblings or first cousins), the probability of passing on recessive traits increases greatly. These are called consanguineous ("same blood") matings, and they are indicated in pedigrees by double lines. Because people with recent common ancestors are more likely to carry the same recessive alleles than are unrelated people, it is more likely that a mating of close relatives will produce offspring homozygous for recessive traits—including harmful ones. Such effects can be observed in many types of domesticated and zoo animals that have become inbred.

There is debate among geneticists about the extent to which human consanguinity increases the risk of inherited diseases. Many deleterious alleles have such severe effects that a homozygous embryo spontaneously aborts long before birth. Still, most societies and cultures have laws or taboos forbidding marriages between close relatives. These rules may have evolved out of empirical observation that in most populations, stillbirths and birth defects are more common when parents are closely related. Social and economic factors have also influenced the development of customs and laws against consanguineous marriages.

### Cystic Fibrosis

The most common lethal genetic disease in the United States is **cystic fibrosis**, which strikes one out of every 2,500 people of European descent but is much rarer in other groups. Among people of European descent, one out of 25 (4%) are carriers of the cystic fibrosis allele. The normal allele for this gene codes for a membrane protein that functions in the transport of chloride ions between certain cells and the extracellular fluid. These chloride transport channels are defective or absent in the plasma membranes of children who inherit two recessive alleles for cystic fibrosis. The result is an abnormally high concentration of extracellular chloride, which causes the mucus that coats certain cells to become thicker and stickier than normal. The mucus builds up in the pancreas, lungs, digestive tract, and other organs, leading to multiple (pleiotropic) effects, including poor absorption of nutrients from the intestines, chronic bronchitis, and recurrent bacterial infections.

If untreated, most children with cystic fibrosis die before their 5th birthday. But daily doses of antibiotics to prevent infection, gentle pounding on the chest to clear mucus from clogged airways, and other preventive treatments can prolong life. In the United States, more than half of those with cystic fibrosis now survive into their late 20s or even 30s and beyond.

### Sickle-Cell Disease:

#### A Genetic Disorder with Evolutionary Implications

**EVOLUTION** The most common inherited disorder among people of African descent is **sickle-cell disease**, which affects

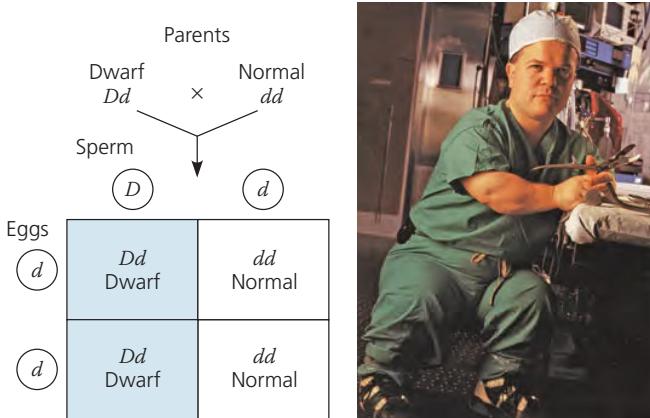
one out of 400 African-Americans. Sickle-cell disease is caused by the substitution of a single amino acid in the hemoglobin protein of red blood cells; in homozygous individuals, all hemoglobin is of the sickle-cell (abnormal) variety. When the oxygen content of an affected individual's blood is low (at high altitudes or under physical stress, for instance), the sickle-cell hemoglobin molecules aggregate into long rods that deform the red cells into a sickle shape (see Figure 5.21). Sickled cells may clump and clog small blood vessels, often leading to other symptoms throughout the body, including physical weakness, pain, organ damage, and even paralysis. Regular blood transfusions can ward off brain damage in children with sickle-cell disease, and new drugs can help prevent or treat other problems, but there is no cure.

Although two sickle-cell alleles are necessary for an individual to manifest full-blown sickle-cell disease, the presence of one sickle-cell allele can affect the phenotype. Thus, at the organismal level, the normal allele is incompletely dominant to the sickle-cell allele. Heterozygotes (carriers), said to have *sickle-cell trait*, are usually healthy, but they may suffer some sickle-cell symptoms during prolonged periods of reduced blood oxygen. At the molecular level, the two alleles are codominant; both normal and abnormal (sickle-cell) hemoglobins are made in heterozygotes.

About one out of ten African-Americans have sickle-cell trait, an unusually high frequency of heterozygotes for an allele with severe detrimental effects in homozygotes. Why haven't evolutionary processes resulted in the disappearance of this allele among this population? One explanation is that having a single copy of the sickle-cell allele reduces the frequency and severity of malaria attacks, especially among young children. The malaria parasite spends part of its life cycle in red blood cells (see Figure 28.10), and the presence of even heterozygous amounts of sickle-cell hemoglobin results in lower parasite densities and hence reduced malaria symptoms. Thus, in tropical Africa, where infection with the malaria parasite is common, the sickle-cell allele confers an advantage to heterozygotes even though it is harmful in the homozygous state. (The balance between these two effects will be discussed in Chapter 23, p. 484.) The relatively high frequency of African-Americans with sickle-cell trait is a vestige of their African roots.

## Dominantly Inherited Disorders

Although many harmful alleles are recessive, a number of human disorders are due to dominant alleles. One example is *achondroplasia*, a form of dwarfism that occurs in one of every 25,000 people. Heterozygous individuals have the dwarf phenotype (**Figure 14.17**). Therefore, all people who are not achondroplastic dwarfs—99.99% of the population—are homozygous for the recessive allele. Like the presence of extra fingers or toes mentioned earlier, achondroplasia is a trait for which the recessive allele is much more prevalent than the corresponding dominant allele.



**▲ Figure 14.17 Achondroplasia: a dominant trait.**

Dr. Michael C. Ain has achondroplasia, a form of dwarfism caused by a dominant allele. This has inspired his work: He is a specialist in the repair of bone defects caused by achondroplasia and other disorders. The dominant allele (D) might have arisen as a mutation in the egg or sperm of a parent or could have been inherited from an affected parent, as shown for an affected father in the Punnett square.

Dominant alleles that cause a lethal disease are much less common than recessive alleles that have lethal effects. All lethal alleles arise by mutations (changes to the DNA) in cells that produce sperm or eggs; presumably, such mutations are equally likely to be recessive or dominant. A lethal recessive allele can be passed from one generation to the next by heterozygous carriers because the carriers themselves have normal phenotypes. A lethal dominant allele, however, often causes the death of afflicted individuals before they can mature and reproduce, so the allele is not passed on to future generations.

## Huntington's Disease: A Late-Onset Lethal Disease

The timing of onset of a disease significantly affects its inheritance. A lethal dominant allele is able to be passed on if it causes death at a relatively advanced age. By the time symptoms are evident, the individual with the allele may have already transmitted it to his or her children. For example, **Huntington's disease**, a degenerative disease of the nervous system, is caused by a lethal dominant allele that has no obvious phenotypic effect until the individual is about 35 to 45 years old. Once the deterioration of the nervous system begins, it is irreversible and inevitably fatal. As with other dominant traits, a child born to a parent with the Huntington's disease allele has a 50% chance of inheriting the allele and the disorder (see the Punnett square in Figure 14.17). In the United States, this devastating disease afflicts about one in 10,000 people.

At one time, the onset of symptoms was the only way to know if a person had inherited the Huntington's allele, but this is no longer the case. By analyzing DNA samples from a large family with a high incidence of the disorder, geneticists tracked the Huntington's allele to a locus near the tip of chromosome 4, and the gene was sequenced in 1993. This information led to

the development of a test that could detect the presence of the Huntington's allele in an individual's genome. (The methods that make such tests possible are discussed in Chapter 20.) The availability of this test poses an agonizing dilemma for those with a family history of Huntington's disease. Some individuals may want to be tested for this disease before planning a family, whereas others may decide it would be too stressful to find out. Clearly, this is a highly personal decision.

## Multifactorial Disorders

The hereditary diseases we have discussed so far are sometimes described as simple Mendelian disorders because they result from abnormality of one or both alleles at a single genetic locus. Many more people are susceptible to diseases that have a multifactorial basis—a genetic component plus a significant environmental influence. Heart disease, diabetes, cancer, alcoholism, certain mental illnesses such as schizophrenia and bipolar disorder, and many other diseases are multifactorial. In many cases, the hereditary component is polygenic. For example, many genes affect cardiovascular health, making some of us more prone than others to heart attacks and strokes. No matter what our genotype, however, our lifestyle has a tremendous effect on phenotype for cardiovascular health and other multifactorial characters. Exercise, a healthful diet, abstinence from smoking, and an ability to handle stressful situations all reduce our risk of heart disease and some types of cancer.

At present, so little is understood about the genetic contributions to most multifactorial diseases that the best public health strategy is to educate people about the importance of environmental factors and to promote healthful behavior.

## Genetic Testing and Counseling

Avoiding simple Mendelian disorders is possible when the risk of a particular genetic disorder can be assessed before a child is conceived or during the early stages of the pregnancy. Many hospitals have genetic counselors who can provide information to prospective parents concerned about a family history for a specific disease.

### Counseling Based on Mendelian Genetics and Probability Rules

Consider the case of a hypothetical couple, John and Carol. Each had a brother who died from the same recessively inherited lethal disease. Before conceiving their first child, John and Carol seek genetic counseling to determine the risk of having a child with the disease. From the information about their brothers, we know that both parents of John and both parents of Carol must have been carriers of the recessive allele. Thus, John and Carol are both products of  $Aa \times Aa$  crosses, where  $a$  symbolizes the allele that causes this particular disease. We also know that John and Carol are not homozygous recessive

( $aa$ ), because they do not have the disease. Therefore, their genotypes are either  $AA$  or  $Aa$ .

Given a genotypic ratio of  $1 AA : 2 Aa : 1 aa$  for offspring of an  $Aa \times Aa$  cross, John and Carol each have a  $\frac{1}{2}$  chance of being carriers ( $Aa$ ). According to the rule of multiplication, the overall probability of their firstborn having the disorder is  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$  (the chance that John is a carrier) times  $\frac{1}{2}$  (the chance that Carol is a carrier) times  $\frac{1}{4}$  (the chance of two carriers having a child with the disease), which equals  $\frac{1}{16}$ . Suppose that Carol and John decide to have a child—after all, there is an  $\frac{15}{16}$  chance that their baby will not have the disorder. If, despite these odds, their child is born with the disease, then we would know that *both* John and Carol are, in fact, carriers ( $Aa$  genotype). If both John and Carol are carriers, there is a  $\frac{1}{2}$  chance that any subsequent child this couple has will have the disease. The probability is higher for subsequent children because the diagnosis of the disease in the first child established that both parents are carriers, not because the genotype of the first child affects in any way that of future children.

When we use Mendel's laws to predict possible outcomes of matings, it is important to remember that each child represents an independent event in the sense that its genotype is unaffected by the genotypes of older siblings. Suppose that John and Carol have three more children, and *all three* have the hypothetical hereditary disease. There is only one chance in 64 ( $\frac{1}{16} \times \frac{1}{16} \times \frac{1}{16}$ ) that such an outcome will occur. Despite this run of misfortune, the chance that still another child of this couple will have the disease remains  $\frac{1}{2}$ .

### Tests for Identifying Carriers

Most children with recessive disorders are born to parents with normal phenotypes. The key to accurately assessing the genetic risk for a particular disease is therefore to find out whether the prospective parents are heterozygous carriers of the recessive allele. For an increasing number of heritable disorders, tests are available that can distinguish individuals of normal phenotype who are dominant homozygotes from those who are heterozygous carriers (Figure 14.18, on the next page). There are now tests that can identify carriers of the alleles for Tay-Sachs disease, sickle-cell disease, and the most common form of cystic fibrosis.

These tests for identifying carriers enable people with family histories of genetic disorders to make informed decisions about having children, but raise other issues. Could carriers be denied health or life insurance or lose the jobs providing those benefits, even though they themselves are healthy? The Genetic Information Nondiscrimination Act, signed into law in the United States in 2008, allays these concerns by prohibiting discrimination in employment or insurance coverage based on genetic test results. A question that remains is whether sufficient genetic counseling is available to help large numbers of individuals understand their genetic test results. Even when test results are clearly understood, affected individuals may still face difficult decisions. Advances in biotechnology offer

▼ Figure 14.18

# IMPACT

## Genetic Testing

Since the sequencing of the human genome was completed in 2003, there has been a virtual explosion in the number and kinds of DNA-based genetic tests. As of 2010, genetic testing for over 2,000 different disease-causing alleles is available.



**WHY IT MATTERS** For prospective parents with a family history of a recessive or late-onset dominant disorder, deciding whether to have children can be a difficult decision. Genetic testing can eliminate some of the uncertainty and allow better predictions of the probabilities and risks involved.

**FURTHER READING** Designing rules for designer babies, *Scientific American* 300:29 (2009).

**WHAT IF?** If one parent tests positive and the other tests negative for a recessive allele associated with a disorder, what is the probability that their first child will have the disorder? That their first child will be a carrier? That, if their first child is a carrier, the second will also be a carrier?

the potential to reduce human suffering, but along with them come ethical issues that require conscientious deliberation.

## Fetal Testing

Suppose a couple expecting a child learns that they are both carriers of the Tay-Sachs allele. In the 14th–16th week of pregnancy, tests performed along with a technique called **amniocentesis** can determine whether the developing fetus has Tay-Sachs disease (Figure 14.19a). In this procedure, a physician inserts a needle into the uterus and extracts about 10 mL of amniotic fluid, the liquid that bathes the fetus. Some genetic disorders can be detected from the presence of certain molecules in the amniotic fluid itself. Tests for other disorders, including Tay-Sachs disease, are performed on the DNA of cells cultured in the laboratory, descendants of fetal cells sloughed off into the amniotic fluid. A karyotype of these cultured cells can also identify certain chromosomal defects (see Figure 13.3).

In an alternative technique called **chorionic villus sampling (CVS)**, a physician inserts a narrow tube through

the cervix into the uterus and suctions out a tiny sample of tissue from the placenta, the organ that transmits nutrients and fetal wastes between the fetus and the mother (Figure 14.19b). The cells of the chorionic villi of the placenta, the portion sampled, are derived from the fetus and have the same genotype and DNA sequence as the new individual. These cells are proliferating rapidly enough to allow karyotyping to be carried out immediately. This rapid analysis represents an advantage over amniocentesis, in which the cells must be cultured for several weeks before karyotyping. Another advantage of CVS is that it can be performed as early as the 8th–10th week of pregnancy.

Recently, medical scientists have developed methods for isolating fetal cells, or even fetal DNA, that have escaped into the mother's blood. Although very few are present, the cells can be cultured and tested, and the fetal DNA can also be analyzed.

Imaging techniques allow a physician to examine a fetus directly for major anatomical abnormalities that might not show up in genetic tests. In the *ultrasound* technique, reflected sound waves are used to produce an image of the fetus by a simple noninvasive procedure. In *fetoscopy*, a needle-thin tube containing a viewing scope and fiber optics (to transmit light) is inserted into the uterus.

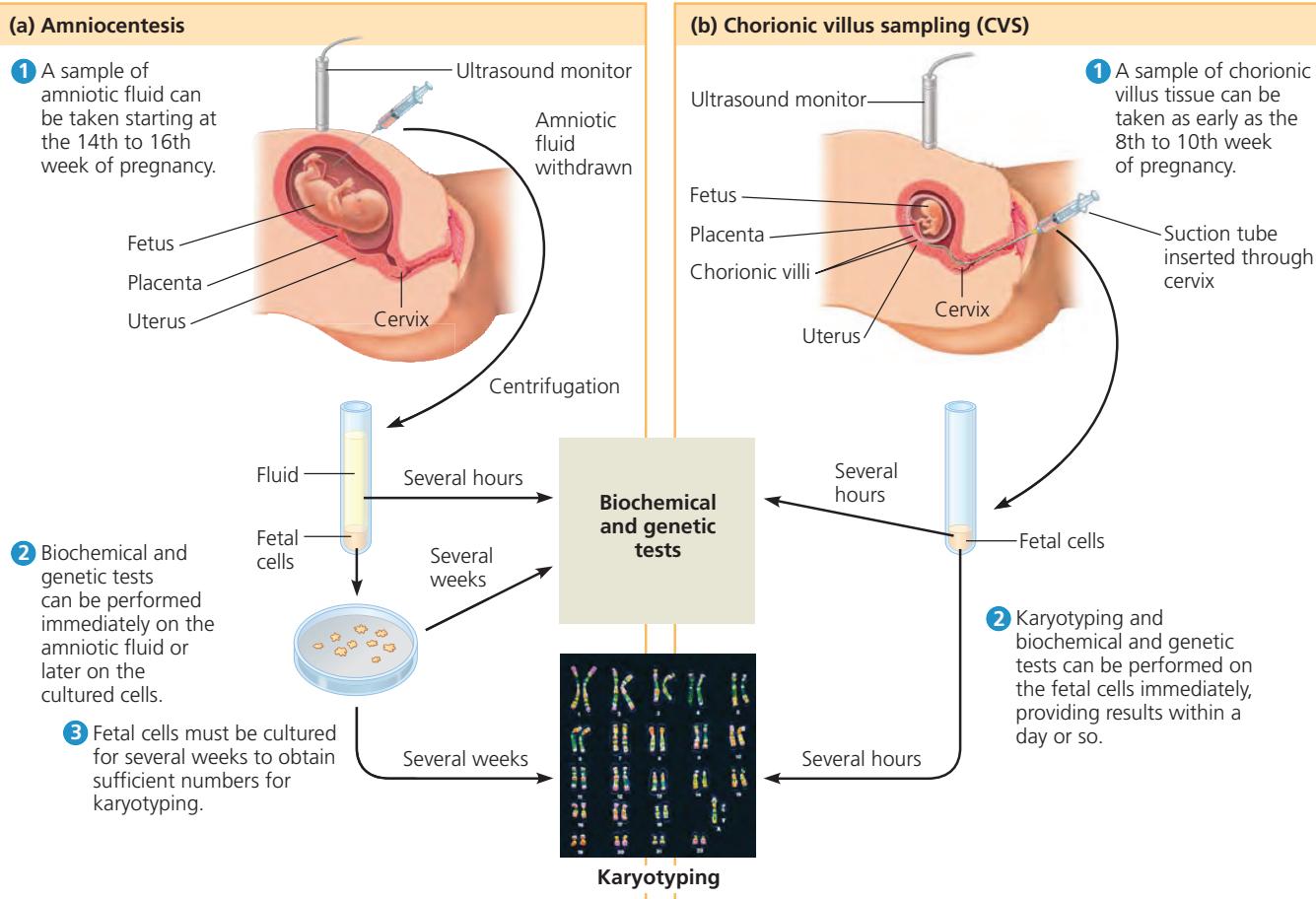
Ultrasound and isolation of fetal cells or DNA from maternal blood pose no known risk to either mother or fetus, while the other procedures can cause complications in a small percentage of cases. Amniocentesis or CVS for diagnostic testing is generally offered to women over age 35, due to their increased risk of bearing a child with Down syndrome, and may also be offered to younger women if there are known concerns. If the fetal tests reveal a serious disorder, the parents face the difficult choice of either terminating the pregnancy or preparing to care for a child with a genetic disorder.

## Newborn Screening

Some genetic disorders can be detected at birth by simple biochemical tests that are now routinely performed in most hospitals in the United States. One common screening program is for phenylketonuria (PKU), a recessively inherited disorder that occurs in about one out of every 10,000–15,000 births in the United States. Children with this disease cannot properly metabolize the amino acid phenylalanine. This compound and its by-product, phenylpyruvate, can accumulate to toxic levels in the blood, causing severe intellectual disability (mental retardation). However, if PKU is detected in the newborn, a special diet low in phenylalanine will usually allow normal development. (Among many other substances, this diet excludes the artificial sweetener aspartame, which contains phenylalanine.) Unfortunately, few other genetic disorders are treatable at present.

Fetal and newborn screening for serious inherited diseases, tests for identifying carriers, and genetic counseling all rely on the Mendelian model of inheritance. We owe the “gene idea”—the concept of heritable factors transmitted according

**▼ Figure 14.19 Testing a fetus for genetic disorders.** Biochemical tests may detect substances associated with particular disorders, and genetic testing can detect many genetic abnormalities. Karyotyping shows whether the chromosomes of the fetus are normal in number and appearance.



to simple rules of chance—to the elegant quantitative experiments of Gregor Mendel. The importance of his discoveries was overlooked by most biologists until early in the 20th century, decades after he reported his findings. In the next chapter, you will learn how Mendel's laws have their physical basis in the behavior of chromosomes during sexual life cycles and how the synthesis of Mendelism and a chromosome theory of inheritance catalyzed progress in genetics.

## CONCEPT CHECK 14.4

- Beth and Tom each have a sibling with cystic fibrosis, but neither Beth nor Tom nor any of their parents have the disease. Calculate the probability that if this couple has a child, the child will have cystic fibrosis. What would be the probability if a test revealed that Tom is a carrier but Beth is not? Explain your answers.

- MAKE CONNECTIONS** Review Figures 5.16, 5.20, and 5.21 (pp. 79 and 82–84). Explain how the change of a single amino acid in hemoglobin leads to the aggregation of hemoglobin into long rods.
- Joan was born with six toes on each foot, a dominant trait called polydactyly. Two of her five siblings and her mother, but not her father, also have extra digits. What is Joan's genotype for the number-of-digits character? Explain your answer. Use *D* and *d* to symbolize the alleles for this character.
- MAKE CONNECTIONS** In Table 14.1 (p. 265), note the phenotypic ratio of the dominant to recessive trait in the F<sub>2</sub> generation for the monohybrid cross involving flower color. Then determine the phenotypic ratio for the offspring of the second-generation couple in Figure 14.15b. What accounts for the difference in the two ratios?

For suggested answers, see Appendix A.

# 14 CHAPTER REVIEW

## SUMMARY OF KEY CONCEPTS

### CONCEPT 14.1

Mendel used the scientific approach to identify two laws of inheritance (pp. 262–269)

- In the 1860s, Gregor Mendel formulated a theory of inheritance based on experiments with garden peas, proposing that parents pass on to their offspring discrete genes that retain their identity through generations. This theory includes two “laws.”
- The **law of segregation** states that genes have alternative forms, or **alleles**. In a diploid organism, the two alleles of a gene segregate (separate) during meiosis and gamete formation; each sperm or egg carries only one allele of each pair. This law explains the 3:1 ratio of  $F_2$  phenotypes observed when **monohybrids** self-pollinate. Each organism inherits one allele for each gene from each parent. In **heterozygotes**, the two alleles are different, and expression of one (the **dominant allele**) masks the phenotypic effect of the other (the **recessive allele**). **Homozygotes** have identical alleles of a given gene and are **true-breeding**.
- The **law of independent assortment** states that the pair of alleles for a given gene segregates into gametes independently of the pair of alleles for any other gene. In a cross between **dihybrids** (individuals heterozygous for two genes), the offspring have four phenotypes in a 9:3:3:1 ratio.

**?** When Mendel crossed true-breeding purple- and white-flowered pea plants, the white-flowered trait disappeared from the  $F_1$  generation but reappeared in the  $F_2$  generation. Use genetic terms to explain why that happened.

### CONCEPT 14.2

The laws of probability govern Mendelian inheritance (pp. 269–271)

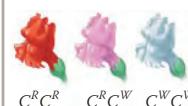
- The **multiplication rule** states that the probability of two or more events occurring together is equal to the product of the individual probabilities of the independent single events. The **addition rule** states that the probability of an event that can occur in two or more independent, mutually exclusive ways is the sum of the individual probabilities.
- The rules of probability can be used to solve complex genetics problems. A dihybrid or other multicharacter cross is equivalent to two or more independent monohybrid crosses occurring simultaneously. In calculating the chances of the various offspring genotypes from such crosses, each character is first considered separately and then the individual probabilities are multiplied.

**DRAW IT** Redraw the Punnett square on the right side of Figure 14.8 as two smaller monohybrid Punnett squares, one for each gene. Below each square, list the fractions of each phenotype produced. Use the rule of multiplication to compute the overall fraction of each possible dihybrid phenotype. What is the phenotypic ratio?

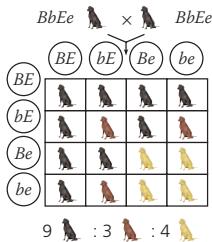
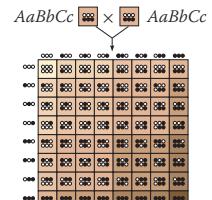
### CONCEPT 14.3

Inheritance patterns are often more complex than predicted by simple Mendelian genetics (pp. 271–275)

- Extensions of Mendelian genetics for a single gene:

Relationship among alleles of a single gene	Description	Example
<b>Complete dominance of one allele</b>	Heterozygous phenotype same as that of homozygous dominant	
<b>Incomplete dominance of either allele</b>	Heterozygous phenotype intermediate between the two homozygous phenotypes	
<b>Codominance</b>	Both phenotypes expressed in heterozygotes	
<b>Multiple alleles</b>	In the whole population, some genes have more than two alleles	ABO blood group alleles $I^A, I^B, i$
<b>Pleiotropy</b>	One gene is able to affect multiple phenotypic characters	Sickle-cell disease

- Extensions of Mendelian genetics for two or more genes:

Relationship among two or more genes	Description	Example
<b>Epistasis</b>	The phenotypic expression of one gene affects that of another	
<b>Polygenic inheritance</b>	A single phenotypic character is affected by two or more genes	

- The expression of a genotype can be affected by environmental influences, the “nurture” in nature versus nurture. The phenotypic range of a particular genotype is called its **norm of reaction**.

Polygenic characters that are also influenced by the environment are called **multiplicative** characters.

- An organism's overall phenotype, including its physical appearance, internal anatomy, physiology, and behavior, reflects its overall genotype and unique environmental history. Even in more complex inheritance patterns, Mendel's fundamental laws of segregation and independent assortment still apply.

Which of the following are demonstrated by the inheritance patterns of the ABO blood group alleles: complete dominance, incomplete dominance, codominance, multiple alleles, pleiotropy, epistasis, and/or polygenic inheritance? Explain how, for each of your answers.

## CONCEPT 14.4

### Many human traits follow Mendelian patterns of inheritance (pp. 275–281)

- Analysis of family **pedigrees** can be used to deduce the possible genotypes of individuals and make predictions about future offspring. Predictions are statistical probabilities rather than certainties.
- Many genetic disorders are inherited as simple recessive traits. Most affected (homozygous recessive) individuals are children of phenotypically normal, heterozygous **carriers**.

- Lethal dominant alleles are eliminated from the population if affected people die before reproducing. Nonlethal dominant alleles and lethal ones that strike relatively late in life can be inherited in a Mendelian way.
- Many human diseases are multifactorial—that is, they have both genetic and environmental components and do not follow simple Mendelian inheritance patterns.
- Using family histories, genetic counselors help couples determine the probability that their children will have genetic disorders. Genetic testing of prospective parents to reveal whether they are carriers of recessive alleles associated with specific disorders has become widely available. **Amniocentesis** and **chorionic villus sampling** can indicate whether a suspected genetic disorder is present in a fetus. Other genetic tests can be performed after birth.

Both members of a couple know that they are carriers of the cystic fibrosis allele. None of their three children has cystic fibrosis, but any one of them might be a carrier. They would like to have a fourth child but are worried that it would very likely have the disease, since the first three do not. What would you tell the couple? Would it remove some more uncertainty in their prediction if they could find out from genetic tests whether the three children are carriers?

### TIPS FOR GENETICS PROBLEMS

- Write down symbols for the alleles. (These may be given in the problem.) When represented by single letters, the dominant allele is uppercase and the recessive is lowercase.
- Write down the possible genotypes, as determined by the phenotype.
  - If the phenotype is that of the dominant trait (for example, purple flowers), then the genotype is either homozygous dominant or heterozygous ( $PP$  or  $Pp$ , in this example).
  - If the phenotype is that of the recessive trait, the genotype must be homozygous recessive (for example,  $pp$ ).
  - If the problem says "true-breeding," the genotype is homozygous.
- Determine what the problem is asking for. If asked to do a cross, write it out in the form [Genotype]  $\times$  [Genotype], using the alleles you've decided on.
- To figure out the outcome of a cross, set up a Punnett square.
  - Put the gametes of one parent at the top and those of the other on the left. To determine the allele(s) in each gamete for a given genotype, set up a systematic way to list all the possibilities. (Remember, each gamete has one allele of each gene.) Note that there are  $2^n$  possible types of gametes, where  $n$  is the number of gene loci that are heterozygous. For example, an individual with genotype  $AaBbCc$  would produce  $2^3 = 8$  types of gametes. Write the genotypes of the gametes in circles above the columns and to the left of the rows.
  - Fill in the Punnett square as if each possible sperm were fertilizing each possible egg, making all of the possible offspring. In a cross of  $AaBbCc \times AaBbCc$ , for example, the Punnett square would have 8 columns and 8 rows, so there are 64 different offspring; you would know the genotype of each and thus the phenotype. Count genotypes and phenotypes to obtain the genotypic and phenotypic ratios. Because the Punnett square is so large, this method is not the most efficient. Instead, see tip 5.
- You can use the rules of probability if the Punnett square would be too big. (For example, see the question at the end of the summary for Concept 14.2 and question 7 on the next page.) You can consider each gene separately (see pp. 270–271).
- If, instead, the problem gives you the phenotypic ratios of offspring, but not the genotypes of the parents in a given cross, the phenotypes can help you deduce the parents' unknown genotypes.
  - For example, if  $\frac{1}{2}$  of the offspring have the recessive phenotype and  $\frac{1}{2}$  the dominant, you know that the cross was between a heterozygote and a homozygous recessive.
  - If the ratio is 3:1, the cross was between two heterozygotes.
  - If two genes are involved and you see a 9:3:3:1 ratio in the offspring, you know that each parent is heterozygous for both genes. Caution: Don't assume that the reported numbers will exactly equal the predicted ratios. For example, if there are 13 offspring with the dominant trait and 11 with the recessive, assume that the ratio is one dominant to one recessive.
- For pedigree problems, use the tips in Figure 14.15 and below to determine what kind of trait is involved.
  - If parents without the trait have offspring with the trait, the trait must be recessive and the parents both carriers.
  - If the trait is seen in every generation, it is most likely dominant (see the next possibility, though).
  - If both parents have the trait, then in order for it to be recessive, all offspring must show the trait.
  - To determine the likely genotype of a certain individual in a pedigree, first label the genotypes of all the family members you can. Even if some of the genotypes are incomplete, label what you do know. For example, if an individual has the dominant phenotype, the genotype must be  $AA$  or  $Aa$ ; you can write this as  $A-$ . Try different possibilities to see which fits the results. Use the rules of probability to calculate the probability of each possible genotype being the correct one.

## TEST YOUR UNDERSTANDING

### LEVEL 1: KNOWLEDGE/COMPREHENSION

- Match each term on the left with a statement on the right.

Term	Statement
— Gene	a. Has no effect on phenotype in a heterozygote
— Allele	b. A variant for a character
— Character	c. Having two identical alleles for a gene
— Trait	d. A cross between individuals
— Dominant allele	e. Heterozygous for a single character
— Recessive allele	f. Having two different alleles for a gene
— Genotype	g. A heritable feature that varies among individuals
— Phenotype	h. An organism's appearance or observable traits
— Homozygous	i. A cross between an individual with an unknown genotype and a homozygous recessive individual
— Heterozygous	j. Determines phenotype in a heterozygote
— Testcross	k. The genetic makeup of an individual
— Monohybrid cross	l. A heritable unit that determines a character; can exist in different forms

  
- DRAW IT** Two pea plants heterozygous for the characters of pod color and pod shape are crossed. Draw a Punnett square to determine the phenotypic ratios of the offspring.
- In some plants, a true-breeding, red-flowered strain gives all pink flowers when crossed with a white-flowered strain:  $C^R C^R$  (red)  $\times C^W C^W$  (white)  $\rightarrow C^R C^W$  (pink). If flower position (axial or terminal) is inherited as it is in peas (see Table 14.1), what will be the ratios of genotypes and phenotypes of the  $F_1$  generation resulting from the following cross: axial-red (true-breeding)  $\times$  terminal-white? What will be the ratios in the  $F_2$  generation?
- A man with type A blood marries a woman with type B blood. Their child has type O blood. What are the genotypes of these three individuals? What genotypes, and in what frequencies, would you expect in future offspring from this marriage?
- A man has six fingers on each hand and six toes on each foot. His wife and their daughter have the normal number of digits. Remember that extra digits is a dominant trait. What fraction of this couple's children would be expected to have extra digits?
- DRAW IT** A pea plant heterozygous for inflated pods (*Ii*) is crossed with a plant homozygous for constricted pods (*ii*). Draw a Punnett square for this cross. Assume that pollen comes from the *ii* plant.

### LEVEL 2: APPLICATION/ANALYSIS

- Flower position, stem length, and seed shape are three characters that Mendel studied. Each is controlled by an independently assorting gene and has dominant and recessive expression as follows:

Character	Dominant	Recessive
Flower position	Axial (A)	Terminal (a)
Stem length	Tall ( <i>T</i> )	Dwarf ( <i>t</i> )
Seed shape	Round ( <i>R</i> )	Wrinkled ( <i>r</i> )

If a plant that is heterozygous for all three characters is allowed to self-fertilize, what proportion of the offspring would

you expect to be as follows? (Note: Use the rules of probability instead of a huge Punnett square.)

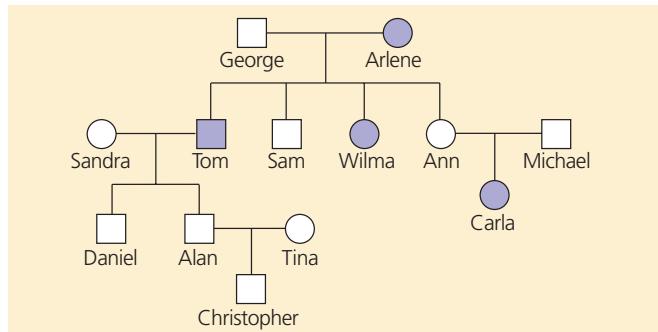
- homozygous for the three dominant traits
- homozygous for the three recessive traits
- heterozygous for all three characters
- homozygous for axial and tall, heterozygous for seed shape
- A black guinea pig crossed with an albino guinea pig produces 12 black offspring. When the albino is crossed with a second black one, 7 blacks and 5 albinos are obtained. What is the best explanation for this genetic outcome? Write genotypes for the parents, gametes, and offspring.
- In sesame plants, the one-pod condition (*P*) is dominant to the three-pod condition (*p*), and normal leaf (*L*) is dominant to wrinkled leaf (*l*). Pod type and leaf type are inherited independently. Determine the genotypes for the two parents for all possible matings producing the following offspring:
  - 318 one-pod, normal leaf and 98 one-pod, wrinkled leaf
  - 323 three-pod, normal leaf and 106 three-pod, wrinkled leaf
  - 401 one-pod, normal leaf
  - 150 one-pod, normal leaf, 147 one-pod, wrinkled leaf, 51 three-pod, normal leaf, and 48 three-pod, wrinkled leaf
  - 223 one-pod, normal leaf, 72 one-pod, wrinkled leaf, 76 three-pod, normal leaf, and 27 three-pod, wrinkled leaf
- Phenylketonuria (PKU) is an inherited disease caused by a recessive allele. If a woman and her husband, who are both carriers, have three children, what is the probability of each of the following?
  - All three children are of normal phenotype.
  - One or more of the three children have the disease.
  - All three children have the disease.
  - At least one child is phenotypically normal.

(Note: It will help to remember that the probabilities of all possible outcomes always add up to 1.)
- The genotype of  $F_1$  individuals in a tetrahybrid cross is  $AaBbCcDd$ . Assuming independent assortment of these four genes, what are the probabilities that  $F_2$  offspring will have the following genotypes?
  - $aabbccdd$
  - $AaBbCcDd$
  - $AABBCCDD$
  - $AaBbccDd$
  - $AaBBCcDd$
- What is the probability that each of the following pairs of parents will produce the indicated offspring? (Assume independent assortment of all gene pairs.)
  - $AABBCC \times aabbcc \rightarrow AaBbCc$
  - $AABbCc \times AaBbCc \rightarrow AAAbCC$
  - $AaBbCc \times AaBbCc \rightarrow AaBbCc$
  - $aaBbCC \times AABbcc \rightarrow AaBbCc$
- Karen and Steve each have a sibling with sickle-cell disease. Neither Karen nor Steve nor any of their parents have the disease, and none of them have been tested to see if they have the sickle-cell trait. Based on this incomplete information, calculate the probability that if this couple has a child, the child will have sickle-cell disease.
- In 1981, a stray black cat with unusual rounded, curled-back ears was adopted by a family in California. Hundreds of descendants of the cat have since been born, and cat fanciers hope to develop the curl cat into a show breed. Suppose you

owned the first curl cat and wanted to develop a true-breeding variety. How would you determine whether the curl allele is dominant or recessive? How would you obtain true-breeding curl cats? How could you be sure they are true-breeding?



15. Imagine that a newly discovered, recessively inherited disease is expressed only in individuals with type O blood, although the disease and blood group are independently inherited. A normal man with type A blood and a normal woman with type B blood have already had one child with the disease. The woman is now pregnant for a second time. What is the probability that the second child will also have the disease? Assume that both parents are heterozygous for the gene that causes the disease.
16. In tigers, a recessive allele causes an absence of fur pigmentation (a white tiger) and a cross-eyed condition. If two phenotypically normal tigers that are heterozygous at this locus are mated, what percentage of their offspring will be cross-eyed? What percentage of cross-eyed tigers will be white?
17. In maize (corn) plants, a dominant allele *I* inhibits kernel color, while the recessive allele *i* permits color when homozygous. At a different locus, the dominant allele *P* causes purple kernel color, while the homozygous recessive genotype *pp* causes red kernels. If plants heterozygous at both loci are crossed, what will be the phenotypic ratio of the offspring?
18. The pedigree below traces the inheritance of alkaptonuria, a biochemical disorder. Affected individuals, indicated here by the colored circles and squares, are unable to metabolize a substance called alkapton, which colors the urine and stains body tissues. Does alkaptonuria appear to be caused by a dominant allele or by a recessive allele? Fill in the genotypes of the individuals whose genotypes can be deduced. What genotypes are possible for each of the other individuals?



19. Imagine that you are a genetic counselor, and a couple planning to start a family comes to you for information. Charles was married once before, and he and his first wife had a child with cystic fibrosis. The brother of his current wife, Elaine, died of cystic fibrosis. What is the probability that Charles and Elaine will have a baby with cystic fibrosis? (Neither Charles, Elaine, nor their parents have cystic fibrosis.)
20. In mice, black fur (*B*) is dominant to white (*b*). At a different locus, a dominant allele (*A*) produces a band of yellow just below the tip of each hair in mice with black fur. This gives a frosted appearance known as agouti. Expression of the recessive allele (*a*) results in a solid coat color. If mice that are heterozygous at both loci are crossed, what is the expected phenotypic ratio of their offspring?

### LEVEL 3: SYNTHESIS/EVALUATION

#### 21. EVOLUTION CONNECTION

Over the past half century, there has been a trend in the United States and other developed countries for people to marry and start families later in life than did their parents and grandparents. What effects might this trend have on the incidence (frequency) of late-acting dominant lethal alleles in the population?

#### 22. SCIENTIFIC INQUIRY

You are handed a mystery pea plant with tall stems and axial flowers and asked to determine its genotype as quickly as possible. You know that the allele for tall stems (*T*) is dominant to that for dwarf stems (*t*) and that the allele for axial flowers (*A*) is dominant to that for terminal flowers (*a*).

- (a) What are *all* the possible genotypes for your mystery plant?
- (b) Describe the *one* cross you would do, out in your garden, to determine the exact genotype of your mystery plant.
- (c) While waiting for the results of your cross, you predict the results for each possible genotype listed in part a. How do you do this? Why is this not called "performing a cross"?
- (d) Explain how the results of your cross and your predictions will help you learn the genotype of your mystery plant.

#### 23. SCIENCE, TECHNOLOGY, AND SOCIETY

Imagine that one of your parents has Huntington's disease. What is the probability that you, too, will someday manifest the disease? There is no cure for Huntington's. Would you want to be tested for the Huntington's allele? Why or why not?

#### 24. WRITE ABOUT A THEME

**The Genetic Basis of Life** The continuity of life is based on heritable information in the form of DNA. In a short essay (100–150 words), explain how the passage of genes from parents to offspring, in the form of particular alleles, ensures perpetuation of parental traits in offspring and, at the same time, genetic variation among offspring. Use genetic terms in your explanation.

For selected answers, see Appendix A.

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