```
1
    A = [2 \ 3 \ 4; \ 3 \ 4 \ 5]
 2
    B = [1 \ 2 \ ; \ 12 \ 3; \ 23 \ 45]
 3
    C = A*B \% matrix multiplication of mxn and nxp matrix to generate mxp matrix
 4
    D = eye(2)
 5
     E = C.*D % element-wise multipication of mxn and mxn matrix to generate mxn matrix
 6
 7
     E = E./16 % element-wise each element divided by 16
     E = E.^2 % element-wise each element raised to power of 2
 8
 9
    log(E) % element-wise
10
    exp(E) % element-wise
11
12
    a = 3.90
13
   disp(a)
14
    round(a)
15
    disp(a)
16
17
18
    m = max(A) % maximum element in each column
19
     J = [2 \ 3 \ 4 \ 5 \ 6]
20
     j = max(J) % gives 6 because now there are no rows in each column to do
     column-wise max
21
     J>3 % element-wise comparison 1 for true 0 for false
     find(J>3) % shows all indexes where this is true
22
23
24
    K = magic(3) % see help
25
     L = eye(3)
     T = [1 \ 2 \ 3; \ 3 \ 4 \ 5; \ 45 \ 6 \ 3]
26
27
    r = max(T, K) % element-wise max between corresponding elements of two matrices
28
     w1 = max(T,[],1) % same as max(T) % maximum element in each column
29
     w2 = max(T,[],2) % maximum element in each row
30
31
     w3 = max(max(T))
     sum(T) % column-wise sum i.e. sum of all elements of a column so you will get
32
     1 (one) xn matrix
33
     sum(T,1) %column-wise sum
34
     sum(T,2) %row-wise sum
35
     % now if you take sum of the ans above generated then you will get full sum of
    matrix
36
     sum(sum(T)) % complete sum of all elements of T
37
38
     Q = 10*rand(3)
39
     floor value = floor(Q) % gretest integer function applied element-wise
40
     ceil_value = ceil(Q) % least integer function applied element-wise
41
42
     inverse of matrix = inv(ceil_value)
43
     pseudo_inv_of_matrix = pinv(ceil_value)
44
     p2 = pinv(w1) % w1 is not a square matrix so its inverse doesn't exist but
     pseudo inverse does
45
```