Aim: Linear Convolution

Steps:

- 1. Accept the input sequence using the input method and store it in variable x.
- 2. Accept another input sequence to be convolved and store it in variable h.
- 3. **Find the lengths** of x and h, store them in n1 and n2 respectively.
- 4. Find the maximum length of the input sequences and store it in n.
- 5. Calculate the output sequence length as n = n1 + n2 1.
- 6. **Zero-padding**: Extend x and h with zeros from 1 to n-1.
- 7. Obtain the time reversal of $h(k) \rightarrow h(-k)$.
- 8. Shift the sequence to obtain h(n-k).
- 9. **Perform multiplication** of h(n-k) with x(k) and sum over k.
- 10. **Store the final result** as the convolution output.

Scilab Code for Linear Convolution

```
// Read input sequences
x = input("Enter first sequence x: ");
h = input("Enter second sequence h: ");

// Get lengths
n1 = length(x);
n2 = length(h);

// Output sequence length
n = n1 + n2 - 1;

// Zero-padding
x = [x, zeros(1, n - n1)];
h = [h, zeros(1, n - n2)];

// Convolution operation
```

```
y = zeros(1, n);
for i = 1:n
  for j = 1:i
     y(i) = y(i) + x(j) * h(i-j+1);
  end
end
// Display result
disp("Linear Convolution Output: ");
disp(y);
// Plotting the input and output sequences
<u>subplot(3,1,1);</u>
plot2d3(nx, x);
xtitle("Input Sequence x[n]");
<u>subplot(3,1,2);</u>
plot2d3(nh, h);
xtitle("Impulse Response h[n]");
<u>subplot(3,1,3);</u>
plot2d3(ny, y);
xtitle("Linear Convolution Output y[n]");
```

Example Execution

```
Input:
```

```
x = [1, 2, 3, 4];
h = [1, 2, 1, 2];
```

Output:

```
y = [1 4 8 13 12 10 8]
```

Circular Convolution (Image Processing Context)

Step 1: Input the Sequences

• Accept the first input sequence (image or signal) and store it in variable x.

Accept the second input sequence (filter or kernel) and store it in variable h.

Step 2: Compute the Lengths

- Find the length of x (let it be N1) and h (let it be N2).
- Compute **N** = **max(N1, N2)** (for circular convolution, both sequences should have the same length).

Step 3: Zero-Pad the Sequences

• If **x** and **h** are not of length **N**, pad them with zeros to make their lengths equal to **N**.

Step 4: Compute Circular Convolution

- Initialize an output sequence **y** of length **N** with zeros.
- For each index n = 0 to N-1, calculate:
 y(n)=∑k=0N-1x(k)·h((n-k)mod N)y(n) = \sum_{k=0}^{N-1} x(k) \cdot h((n-k) \mod N)
 This performs circular convolution using modular arithmetic.

Step 5: Display and Plot the Results

- Display the circular convolution result y.
- Plot the original sequences **x** and **h**, along with the output **y**, using **subplot()** in Scilab.

```
g = \underbrace{input("Enter first sequence:");}
o = \underbrace{input("Enter second sequence:");}
n1 = length(g);
n2 = length(o);
n = \max(n1, n2);
n3 = n1 - n2;
if (n3 > 0)
o = [o, zeros(1, n3)];
else
```

```
g = [g, zeros(1, -n3)];
end
y = zeros(1, n);
for p = 1:n
  y(p) = 0;
  for q = 1:n
     k = p - q + 1;
     if k < 1
       k = k + n;
     end
     y(p) = y(p) + g(q) * o(k);
  end
end
disp("Circular Convolution result: ");
disp(y);
plot(y);
```

Practical 3

Algorithm for Image Quantization in Image Processing

- Read the input image using imread() and convert it to double precision using double().
- 2. Find the maximum pixel intensity using max().
- 3. Prompt the user to enter the number of quantization bits using input().
- 4. Compute the quantization step size as: c=max intensity2ac = \frac{\text{max intensity}}{2^a}
- 5. Apply quantization by dividing pixel values by c, using floor().

- 6. Normalize the quantized image to an 8-bit range by scaling it with 255/max(f).
- 7. Display the original and quantized images using imshow().

```
// Read the input image
img = imread("image1.jpg");
// Convert image to double for calculations
img double = double(img);
// Find the maximum pixel intensity value
b = max(img double);
// Get the number of quantization bits from the user
a = input ("Enter the number of quantization bits: "); //eg.1
or 2 or 4 or 8
// Define quantization levels
levels = 2^a; // Total quantization levels
step = b / (levels - 1); // Step size for quantization
// Perform quantization
f = floor(img double / step) * step;
// Normalize and scale the quantized image
f1 = (f / max(f)) * 255;
// Display original and quantized images
figure;
imshow(uint8(img));
title("Original Image");
figure;
imshow(uint8(f1));
title("Quantized Image");
```

Practical: 4

Aim: Perform the FFT and the inverse FFT for the given sequence.

- Accept the two input sequences from the user and store them in variables x and h.
- 2. Find the length of the two sequences by using the length() method and store it in the variables m and n, respectively.
- 3. Find the value for the variable N by using the relation:

```
N=m+n-1N = m + n - 1
```

- 4. Append zeros in the variable x and h from m to N-m and n to N-n, respectively.
- 5. Find the FFT of the input sequence x and store it in the variable F1. Also, find the FFT of the sequence h and store it in the variable F2.
- 6. Perform element-wise multiplication of F1 and F2 in the frequency domain and store the result in F3.
- 7. Compute the inverse FFT of F3 and store the result in F4.
- 8. Display the values of F4 using the subplot method, followed by plot2d() or plot() methods for visualization. Repeat this step for the input sequence x and the impulse response sequence h.

```
// Take input for two vectors
g = input("Enter the first vector g (as a row vector): ");
h = input("Enter the second vector h (as a row vector): ");

// Get the lengths of the vectors
m = length(g);
n = length(h);

// Compute the length for zero-padding
N = m + n - 1;

// Zero-padding to match the required length
g = [g, zeros(1, N - m)];
h = [h, zeros(1, N - n)];

// Compute FFT of both signals
f1 = fft(g);
f2 = fft(h);

// Perform element-wise multiplication
```

```
f3 = f1 .* f2;

// Compute Inverse FFT to get the convolution result
f4 = ifft(f3);

// Plot results
subplot(3,1,1);
plot2d3(1:N, h);
xtitle("Impulse Sequence");

subplot(3,1,2);
plot2d3(1:N, g);
xtitle("Input Sequence");

subplot(3,1,3);
plot2d3(1:N, f4);
xtitle("Output Sequence (Convolution Result)");
```

Practical: 5

Aim: Write the code for obtaining the negative of the image and perform the thresholding operation on the given image.

Algorithm for Image Negative and Thresholding

- 1. Read the input image using imread() and convert it to double for precision.
- 2. Initialize the variable for the max gray value (255) and subtract the image pixel values from this value to get the negative image.
- 3. Display the original image and its negative using the figure() and imshow() functions.
- 4. For the thresholding operation, read the input image again and store it in a separate variable.
- 5. Store the image pixel values in a variable and use the size() method to determine the number of rows and columns.
- 6. Ask the user to input the threshold value and store it in a variable.
- 7. Use a for loop to iterate through all pixel values from 1 to max row value and 1 to max column value.
- 8. Use an if conditional statement to check if the pixel value is less than the threshold value, then set the pixel to 0; otherwise, set it to 255.
- Display the original image and the thresholded image using imshow() and figure().

```
code
// Read the input image
img = imread("image1.jpg");
d = double(img); // Convert to double precision
c = 255;
neg = c - d; // Compute negative image
// Display Original and Negative Image
figure(1);
imshow(img);
title("Original Image");
figure(2);
imshow(uint8(neg)); // Convert back to uint8 for correct display
title("Negative Image");
// Read image again for thresholding
i = imread("image1.jpg");
d = double(i); // Convert again to double
// Define a fixed threshold value
threshold = 128; // Predefined threshold value (Adjust if needed)
// Get image size
[rows, cols] = size(d);
// Apply thresholding
op = zeros(rows, cols); // Initialize thresholded image
for r = 1:rows
  for c = 1:cols
     if d(r, c) < threshold then
       op(r, c) = 0; // Set pixel to black
       op(r, c) = 255; // Set pixel to white
     end
  end
end
// Display Thresholded Image
figure(3);
imshow(uint8(op));
title("Thresholded Image");
// Display duplicate of original image
figure(4);
imshow(i);
title("Duplicate of Original Image");
```

Practical: 6 High-Pass and Low-Pass Filtering

Algorithm

- 1. Read the input image and store it in variable **a1** using imread().
- 2. Convert the image into a double format and store it in **a** for processing.
- 3. Determine the size of the image using size() and store the values in m and n.
- 4. Define a **3×3 high-pass filter (HPF)** for edge detection and a **3×3 low-pass filter** (LPF) for smoothing.
- 5. Initialize two zero matrices, **hp** and **lp**, of the same size as the image to store the filtered results.
- 6. Apply filtering using a **3×3 mask** by performing convolution:
 - For each pixel (excluding border pixels), multiply the corresponding 3×3 region of the image with the HPF and sum the results to store in hp.
 - Repeat the same process using the **LPF** and store the result in **Ip**.
- 7. Convert the filtered images **hp** and **lp** back to an 8-bit format using uint8().
- 8. Display the original image, high-pass filtered image, and low-pass filtered image using subplot() and imshow().

Code

```
for i = 2:m-1
  for i = 2:n-1
     // High-pass filtering (edge detection)
     hp(i, j) = (hw(1) * a(i-1, j-1) + hw(2) * a(i-1, j) + hw(3) * a(i-1, j+1) + ...
              hw(4) * a(i, j-1) + hw(5) * a(i, j) + hw(6) * a(i, j+1) + ...
              hw(7) * a(i+1, j-1) + hw(8) * a(i+1, j) + hw(9) * a(i+1, j+1));
     // Low-pass filtering (smoothing)
     lp(i, j) = (lw(1) * a(i-1, j-1) + lw(2) * a(i-1, j) + lw(3) * a(i-1, j+1) + ...
              lw(4) * a(i, j-1) + lw(5) * a(i, j) + lw(6) * a(i, j+1) + ...
              lw(7) * a(i+1, j-1) + lw(8) * a(i+1, j) + lw(9) * a(i+1, j+1));
  end
end
hp = uint8(hp);
lp = uint8(lp);
<u>subplot(1, 3, 1);</u>
imshow(a1);
title("Original Image");
<u>subplot(1, 3, 2);</u>
imshow(hp);
title("High-pass Filtered Image");
<u>subplot(1, 3, 3);</u>
imshow(lp);
title("Low-pass Filtered Image");
```

Here's your algorithm rewritten in line with your original format, but adapted for Scilab:

Prac 7 Hadamard

Aim: Implement Hadamard technique on the given image and analyze changes with the input.

Steps:

- 1. Load the image using imread() and store it in variable a.
- 2. Convert the image to a double-precision array using double() and store it in variable a.

- 3. Extract the number of rows and columns using size() and store them in variables m and n, respectively.
- 4. Define a 3x3 median filter w with all elements set to 1.
- 5. Use nested loops to iterate through the image pixels (from the second to the second-last row and column to avoid edge issues).
- 6. For each pixel:
 - Create a 3x3 neighborhood of the pixel.
 - Multiply the elements of w with the corresponding neighborhood pixel values and store the result in variable b.
- 7. Sort b in ascending order using gsort() and store the sorted array in variable b2.
- 8. Extract the median value (5th element of b2) and store it in d(i, j).
- 9. Convert the d matrix to uint8 for proper image display.
- 10. Display the original image and the median-filtered image using imshow().

```
// Read the image
img = imread("image3.jpg");
a = double(img);
// Get the size of the image
[m, n] = size(a);
// Define the 3x3 median filter
w = [1 \ 1 \ 1; 1 \ 1 \ 1; 1 \ 1];
// Initialize the filtered image
d = zeros(m, n);
// Apply the filter
for i = 2:m-1
  for j = 2:n-1
     b = [
        w(1) * a(i-1, j-1), w(2) * a(i-1, j), w(3) * a(i-1, j+1),
        w(4) * a(i, j-1), w(5) * a(i, j), w(6) * a(i, j+1),
        w(7) * a(i+1, j-1), w(8) * a(i+1, j), w(9) * a(i+1, j+1)
     1:
     // Sort and find the median
     b2 = gsort(b, "g", "i"); // Sort in ascending order
     med = b2(5); // 5th element is the median in a sorted 3x3 matrix
     d(i, j) = med;
   end
```

```
// Convert the result to uint8
d = uint8(d);

// Display the images
figure(1);
imshow(img);
title("Original Image");

figure(2);
imshow(d);
title("Median Filtered Image");
```

Practical 8 Morphological operations

Algorithm for Morphological Operations

1. Read the Input Image:

Load the input image using the imread function.

2. Create Structuring Elements:

- Use imcreatese to create a rectangular structuring element (e.g., size 3x3).
- Use imcreatese to create a cross-shaped structuring element (e.g., size 9x9).

3. Perform Morphological Operations:

- Apply **Dilation** using the rectangular structuring element with imdilate.
- Apply **Erosion** using the rectangular structuring element with imerode.
- Apply **Dilation** using the cross-shaped structuring element with imdilate.
- Apply **Erosion** using the cross-shaped structuring element with imerode.
- Perform **Opening** using the cross-shaped structuring element with imopen.
- Perform Closing using the cross-shaped structuring element with imclose.

4. Display the Results:

- Use figure() and subplot() to display the original image, dilated images, eroded images, and results of the opening and closing operations.
- Add appropriate titles for each subplot to identify the operation performed.

```
// Step 1: Read the Input Image
im = imread('image3.jpg');
// Step 2: Create Structuring Elements
seRect = <u>imcreatese('rect', 3, 3);</u> // Rectangular structuring element (3x3)
seCross = imcreatese('cross', 9, 9); // Cross-shaped structuring element (9x9)
// Step 3: Perform Morphological Operations (Rectangular)
dilateRect = <u>imdilate</u>(im, seRect); // Dilation with rectangular element
erodeRect = <u>imerode</u>(im, seRect); // Erosion with rectangular element
// Step 4: Perform Morphological Operations (Cross)
dilateCross = imdilate(im, seCross); // Dilation with cross element
erodeCross = imerode(im, seCross); // Erosion with cross element
// Step 5: Perform Opening and Closing Operations
openImage = <u>imopen(im, seCross)</u>; // Opening operation
closeImage = imclose(im, seCross); // Closing operation
// Step 6: Visualize Results
figure(1);
// Subplot 1: Dilation (Rectangular)
<u>subplot(2, 3, 1);</u>
imshow(dilateRect);
title("Dilation (Rectangular)");
// Subplot 2: Erosion (Rectangular)
subplot(2, 3, 2),
imshow(erodeRect);
title("Erosion (Rectangular)");
// Subplot 3: Dilation (Cross)
subplot(2, 3, 3);
imshow(dilateCross);
title("Dilation (Cross)");
// Subplot 4: Erosion (Cross)
subplot(2, 3, 4);
imshow(erodeCross);
title("Erosion (Cross)");
// Subplot 5: Original Image
subplot(2, 3, 5);
imshow(im);
title("Original Image");
```

```
// Subplot 6: Closing Operation
subplot(2, 3, 6);
imshow(closeImage);
title("Closing Operation");
```

Practical 9 Sobel Edge detection

Algorithm for Edge Detection using Sobel Operator

- 1. Read the input image and store it in variable a.
- 2. Convert the image to grayscale manually (if needed).
- 3. Convert the image to double precision for accurate calculations.
- 4. **Get the size** of the image and store it in **m** and **n**.
- 5. **Define the Sobel kernels** for X and Y directions:
- 6. **Initialize two matrices** hxh_x and hyh_y with zeros to store gradient values.
- 7. Apply the Sobel operator:
 - Loop through pixels (excluding borders).
 - Compute gradient **h_x** by convolving the image with the X kernel.
 - Compute gradient h_y by convolving the image with the Y kernel.
- 8. Display the results:
 - Original Image
 - Gradient in X direction
 - Gradient in Y direction

```
a = imread('image3.jpg');
a = rgb2gray(a)
a = double(a)

[m, n] = size(a);

x = [-1 0 1; -2 0 2; -1 0 1];
y = [-1 -2 -1; 0 0 0; 1 2 1];

h_x = zeros(m, n);
h y = zeros(m, n);
```

```
for i = 2:m-1
  for j = 2:n-1
     h x(i,j) = x(1,1)*a(i-1,j-1) + x(1,2)*a(i-1,j) + x(1,3)*a(i-1,j+1) + x(2,1)*a(i,j-1) +
x(2,2)*a(i,j) + x(2,3)*a(i,j+1) + x(3,1)*a(i+1,j-1) + x(3,2)*a(i+1,j) + x(3,3)*a(i+1,j+1);
     h y(i,j) = y(1,1)*a(i-1,j-1) + y(1,2)*a(i-1,j) + y(1,3)*a(i-1,j+1) + y(2,1)*a(i,j-1) +
y(2,2)*a(i,j) + y(2,3)*a(i,j+1) + y(3,1)*a(i+1,j-1) + y(3,2)*a(i+1,j) + y(3,3)*a(i+1,j+1);
end
<u>subplot(2,2,1);</u>
imshow(uint8(a));
title("Original Image");
<u>subplot(2,2,2);</u>
imshow(uint8(h x));
title("X-axis Gradient");
<u>subplot(2,2,3)</u>;
imshow(uint8(h y));
title("Y-axis Gradient"),
```

Prac 10 Prewitt(edge Detection)

Algorithm for Edge Detection using Prewitt Operator

- 1. **Read the input image** and store it in variable **a**.
- 2. Convert the image to grayscale manually (if needed).
- 3. Convert the image to double precision for accurate calculations.
- 4. **Get the size** of the image and store it in **m** and **n**.
- 5. **Define the Prewitt kernels** for X and Y directions:
- 6. **Initialize two matrices** hxh_x and hyh_y with zeros to store gradient values.
- 7. Apply the Prewitt operator:
 - Loop through pixels (excluding borders).
 - Compute gradient **h_x** by convolving the image with the X kernel.
 - Compute gradient h_y by convolving the image with the Y kernel.
- 8. Display the results:
 - Original Image

- Gradient in X direction (Prewitt Operator)
- Gradient in Y direction (Prewitt Operator)

•

```
a = \underline{imread}('image3.jpg');
a = rqb2qrav(a);
a = double(a);
[m, n] = size(a);
x = [-1 \ 0 \ 1; -1 \ 0 \ 1; -1 \ 0 \ 1];
y = [-1 -1 -1 , 0 0 0, 1 1 1]
h_x = zeros(m, n);
h y = zeros(m, n);
for i = 2:m-1
  for j = 2:n-1
     h x(i,j) = x(1,1)*a(i-1,j-1) + x(1,2)*a(i-1,j) + x(1,3)*a(i-1,j+1) + x(2,1)*a(i,j-1) +
x(2,2)*a(i,j) + x(2,3)*a(i,j+1) + x(3,1)*a(i+1,j-1) + x(3,2)*a(i+1,j) + x(3,3)*a(i+1,j+1);
     h y(i,j) = y(1,1)*a(i-1,j-1) + y(1,2)*a(i-1,j) + y(1,3)*a(i-1,j+1) + y(2,1)*a(i,j-1) +
y(2,2)*a(i,j) + y(2,3)*a(i,j+1) + y(3,1)*a(i+1,j-1) + y(3,2)*a(i+1,j) + y(3,3)*a(i+1,j+1);
  end
end
<u>subplot(2,2,1);</u>
imshow(uint8(a));
title("Original Image");
subplot(2,2,2);
imshow(uint8(h x));
title("X-axis Gradient (Prewitt)");
subplot(2.2.3).
imshow(uint8(h y));
title("Y-axis Gradient (Prewitt)");
```

Prac 11 Robert(Edge Detection)

Steps for Edge Detection Using Average Gradient Method

- 1. Load the input image and convert it to grayscale if necessary.
- 2. Convert the image to double precision for accurate numerical operations.
- 3. Determine the size of the image (rows and columns).

- 4. Define the Roberts operator kernels for X-gradient and Y-gradient.
- 5. Initialize matrices to store the X-gradient and Y-gradient values.
- 6. Iterate through the image (excluding boundaries) and compute gradients using the kernels.
- 7. Combine the gradients to calculate the average gradient magnitude.
- 8. Normalize the gradient matrices for display purposes.
- 9. Display the original image, X-gradient, Y-gradient, and average gradient results.

```
a = \underline{imread}(\underline{image3.jpg'});
a = rgb2gray(a);
a = double(a);
[m, n] = size(a);
x = [1 \ 0; \ 0 \ -1];
y = [0 \ 1; -1 \ 0];
h x = zeros(m, n);
h_y = zeros(m, n);
for i = 1:m-1
  for j = 1:n-1
     h x(i,j) = x(1,1)*a(i,j) + x(1,2)*a(i,j+1) + x(2,1)*a(i+1,j) + x(2,2)*a(i+1,j+1);
     h y(i,j) = y(1,1)*a(i,j) + y(1,2)*a(i,j+1) + y(2,1)*a(i+1,j) + y(2,2)*a(i+1,j+1);
  end
end
<u>subplot(2,2,1);</u>
imshow(uint8(a));
title("Original Image");
subplot(2.2.2).
imshow(uint8(abs(h x)));
title("X-axis Gradient (Roberts)");
<u>subplot(2,2,3)</u>,
imshow(uint8(abs(h y)));
title("Y-axis Gradient (Roberts)"),
```