

HOMEWORK 9

Problem 1.1

No.	Question	Blocking or Non-Blocking	Because/Reason
a	Duplicate elimination operator over unsorted relation R	Non-Blocking	Without consuming all input, this can produce tuples.
b	Grouping operator (group by column X) over a sorted relation R on column X	Non-Blocking	Without consuming all input, this can produce tuples.
c	Grouping operator (group by column X) over unsorted relation R	Blocking	Cannot produce any tuples to the output until it. processes all its inputs
d	Sorting operator (sort by column X) over unsorted relation R	Blocking	Cannot produce any tuples to the output until it. processes all its inputs
e	Sorting operator (sort by column X) and assume the operator can use a B-tree index that exists on R.X to read the tuples.	Non-Blocking	Without consuming all input, this can produce tuples with the use of an index.
f	Join of two relations R and S	Non-Blocking	Without consuming all input, this can produce tuples.
g	Bag Union of relations R and S	Non-Blocking	Without consuming all input, this can produce tuples.

Problem 1.2

A.

Can be done in One pass: YES.

Constraint: the tuples should fit in $M - 1$ blocks (199)

I/O cost: $B(R) - 1000$

Can it be done in two passes: YES, if it satisfies the

constraint: $B(R) \leq M^2$

$B(R) - 1000, M^2 = 200 * 200$ i.e., $1000 < 40000$

I/O cost: $3B(R) \rightarrow 3000$

B.

Can be done in One pass: **YES**.

I/O cost: $B(R) - 1000$

There are no 2 passes required.

C.

Can be done in One pass: **YES**.

Constraint: The tuples should fit in $M - 1$ blocks (199)

I/O cost: $B(R) - 1000$

Can it be done in two passes: **YES**, if it satisfies the

constraint: $B(R) \leq M^2$

$B(R) - 1000$, $M^2 = 200 * 200$ i.e., $1000 < 40000$

I/O cost: $3B(R) \rightarrow 3000$

D.

Can be done in One pass: No, because the size of R is too big.

Can it be done in two passes: **Yes**.

E.

Can be done in One pass: **Yes**.

Constraint: The group must fit in $M - 1$ buffer

I/O cost: $B(R.X) = 70$

There are no 2 passes required.

F.

Can be done in One pass: **Yes**.

Size of S < Memory buffer i.e., $150 < 200$

$I/O \text{ cost} = B(R) + B(S) = 1000 + 150 = 1150$

The size of S is small, and it easily fits into main memory, while R is much larger.

than the memory buffer, hence there is no need for two passes.

G.

Can be done in One pass: **Yes**.

I/O cost: $B(R) + B(S) = 1000 + 150 = 1150$

Can it be done in two passes: **No**

Problem 2

1.a opts for R2 as the outer relation.

1.b.

$$\begin{aligned}\text{Total I/O cost} &= B(R2) + (B(R2)/M-1) * B(R1) \\ &= 200 + (200/(52-1)) * 1000 \\ &= 4122\end{aligned}$$

1.c.

If R1 is chosen as the outer relation, then

$$\begin{aligned}\text{Total I/O cost} &= B(R1) + (B(R1)/M-1) * B(R2) \\ &= 1000 + (1000/51)*200 \\ &= 4921\end{aligned}$$

2.a

$$\begin{aligned}\text{Total cost} &= 3(B(R1) + B(R2)) \\ &= 3(1000 + 200) = 3600\end{aligned}$$

2.b

$$B(R1) + B(R2) \leq M^2$$

The min. no of buffers needed for the cost to remain unchanged i.e., 35.

3.a

$$\begin{aligned}\text{Total cost} &= 3(B(R1) + B(R2)) \\ &= 3(1000 + 200) = 3600\end{aligned}$$

3.b

$$\min(B(R1), B(R2)) \leq M^2$$

$$B(R2) \leq M^2$$

The min. no of buffers needed for the cost to remain unchanged i.e., 14.

4.

#R2 is un- clustered

$$\begin{aligned}\text{Cost} &= T(R2) + T(R2) * (2 + B(R1)/ V (R2, Y)) \\ &= 2000 + 2000 * (2 + (1000/5)) \\ &= 2000 + 404000 \\ &= 406000\end{aligned}$$

#R2 is clustered

$$\begin{aligned}\text{Cost} &= B(R2) + T(R2) * (B(R1)/ V (R1, Y)) \\ &= 200 + 2000 * (1000/5) \\ &= 200 + 400000 \\ &= 400200\end{aligned}$$