

Using Microsoft Excel for Decision Making



Pivot Tables:

Originally released in 1985, Microsoft Excel has become the most-used spreadsheet program in the world. Excel can perform formula-based calculations, mathematical functions, and data analytics, specifically via pivot tables. Because of its utility, Excel has become a staple in many organizations.

An important benefit of the pivot table is summarizing data in a quick and easy manner. The pivot table helps make a concise summary out of thousands of rows and columns of unorganized data. With the help of these tables you can summarize large amounts of information into a small space.

Analyzing data is much easier using pivot tables, where users will have the convenience of handling a large amount of data and analyzing the data faster. Pivot tables let you take a huge amount of data and work on it in such a manner that you need only to view a small number of data fields. This will be a big help in the easy analysis of a large data sets.

In addition, data analysis experience is made more interesting with pivot tables, as using pivot tables has become more interactive. The tables allow a user to drag and drop data with easiness and the data table becomes interactive.



Solver Add-in:

Solver uses a computer's fast processing power to subject any mathematical scenario to rapid data analysis for purposes of finding an optimal solution to complicated formulas. A key advantage of Solver is the ability to quickly process scenarios involving multiple unknown variables. This is often regarded as "linear algebra."

Whereas more conventional Excel formulas process straightforward calculations, Solver takes Excel's math engine much further and runs advanced problem-solving algorithms to discover results for multiple variables simultaneously. This is particularly useful when there are many unknowns, or many different sets of equations, each with its own set of unknown variables. Solver saves hours of manual algebra calculations in these circumstances.

Optimization is a key purpose of Solver as used in the corporate world. As with linear algebra, many product development cycles are influenced by multiple factors, each of which can significantly change profit margins or product quality. If the relationship between these factors and a company's desired goals can be expressed mathematically, Solver can quickly identify the value of these factors to meet those goals.



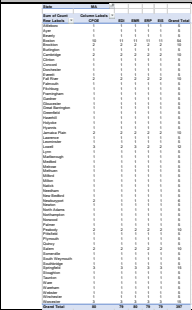
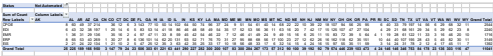
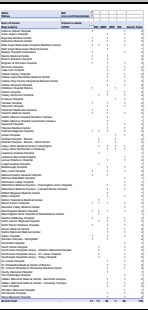
Deliverables:

- A screen shot for each solution of the pivot table scenarios.
- A screen shot for each solution of the Solver scenarios.
- Place all screen shots into a MS Word document and save it as a PDF for uploading via the Tutorial Three upload link assignment.



Pivot Table Exercise:

- 1) Use the HMIS_Tutorial_Three.xlsx workbook from the Week 04 Module. Note: Add a column (attribute) in the workbook named Count and place the value of 1 in each row of Count.
- 2) Create the following pivot tables in separate worksheets from HMIS:
 - a. List the count of HMIS applications by city for hospitals in Massachusetts (MA).
 - b. List the count of HMIS applications in hospitals by state for the application status 'Not Automated.'
 - c. List the count of HMIS applications by hospital in Massachusetts for the application status 'Live and Operational.'

Pivot Table A	Pivot Table B	Pivot Table C
		
Note: Answers in detail are available in HMIS_Tutorial_Three_Solutions.xlsx. The three pivot table images above may be viewed at 400% for clarity.		

Solver Add-in Exercise:

- 1) Follow the directions in Classwork 4.3 to install the Solver Add-in (e.g., page 5).
- 2) Set up the **Z function** algorithm to either maximize (i.e., revenue or profit) or minimize (i.e., cost or expense) is the first step in any linear programming scenario.
 $\{\max \text{ or } \min Z = (A_1)(X_1) + (A_2)(X_2) + \dots + (A_n)(X_n); \text{ where } A_n \text{ is a constant and } X_n \text{ is an unknown variable}\}$
- 3) The next step is identifying the resources and how the resources are depleted or *constrained*. $\{\max \text{ cups} \leq 500; \max \text{ premium cups} \leq 350; \max \text{ mocha cups} \leq 125\}$
- 4) The Pony Espresso scenario (i.e., Classwork 4.3 page 5) would have the following **Z function** and *constraints*:
 Maximize Revenue $Z = (\$1.25)(X_1) + (\$2.00)(X_2) + (\$2.25)(X_3)$
Subject To Constraints:

$$X_1 + X_2 + X_3 \leq 500$$

$$X_2 + X_3 \leq 350$$

$$X_3 \leq 125$$
- 5) Load the Solver worksheet with the **Z function** and *constraints*, then run Solver:

Pony Espresso									
Price of regular coffee	\$	1.25	Total Revenue	\$	918.75	x1 = # of cups of regular coffee per day			
Cups needed to sell		150	Regular cups		150	x2 = # of cups of premium latte per day			
Subtotal	\$	187.50	Premium cups		350	x3 = # of cups of premium mocha per day			
Price of premium latte	\$	2.00	Total cups		500	Max Z = 1.25(x1) + 2.00(x2) + 2.25(x3)			
Cups needed to sell		225	Constraints			Subject To Constraints:			
Subtotal	\$	450.00	Max cups		500	Cups of coffee per day <= 500			
Price of premium mocha	\$	2.25	Max premium		350	Cups of premium coffee per day <= 350			
Cups needed to sell		125	Max mocha		125	Cups of mocha per day <= 125			
Subtotal	\$	281.25				x1 >= 0, x2 >= 0, and x3 >= 0			

- 6) Set up the **Z function**, *constraints*, and the Solver worksheet for the following scenarios.
- 7) **Bicycle Scenario: (maximize the profit Z function using two variables X_1 and X_2)**

A bicycle company produces two types of mountain bikes, the deluxe and the professional. **The deluxe has a profit margin of \$10, while the professional has a profit margin of \$15.** Each deluxe frame takes 2 pounds of aluminum alloy and 3 pounds of steel alloy, while each professional frame takes 4 pounds of aluminum alloy and 2 pounds of steel alloy. The bicycle company has vendor contracts to supply 100 pounds of aluminum alloy per week and 80 pounds of steel alloy per week. Given these *constraints*, what production level of deluxe and professional bicycles would yield a maximum profit?

Bicycle Frames									
Profit on deluxe frames	\$	10.00	Total Profit	\$	412.50	x1 = # of deluxe frames per week			
Deluxe frames to produce		15				x2 = # of professional frames per week			
Subtotal	\$	150.00	Deluxe Frames		15				
			Professional Frames		17.5				
Profit on professional frames	\$	15.00	Total Alum Alloy		100	Max Z = 10x1 + 15x2			
Professional frames to produce		17.5	Total Steel		80	S.T.			
Subtotal	\$	262.50				Aluminum Alloy per week <= 100			
			Constraints			Steel per week <= 80			
			Max Alum Alloy per week		100	Deluxe takes 2 lbs AA & 3 lbs steel			
			Max Steel per week		80	Professional takes 4lbs AA & 2lbs steel			
						x1 >= 0 and x2 >= 0			

Solver Parameters

Set Objective:

To: ☒ Max ☐ Min ☐ Value Of:

By Changing Variable Cells:

Subject to the Constraints:

☒ Make Unconstrained Variables Non-Negative

Select a Solving Method:

Solving Method

Select the GRG Nonlinear engine for Solver Problems that are smooth nonlinear. Select the LP Simplex engine for linear Solver Problems, and select the Evolutionary engine for Solver problems that are non-smooth.

Answers in detail are available in HMIS_Tutorial_Three_Solutions.xlsx.

8) **Advertising Mix Scenario:** (maximize the advertising reach Z function using three variables X_1 , X_2 , and X_3)

A Chamber of Commerce needs public service announcements to reach its constituents across a multi-county area. **TV advertising reaches 100,000 people per advertisement, radio advertising reaches 18,000 people per advertisement, and newspaper advertising reaches 40,000 people per advertisement.** The Chamber's advertising budget is limited to \$18,200. TV advertisements cost \$2,000 each, radio advertisements cost \$3,000 each, and newspaper advertisements cost \$600 each. The total number of radio advertisements are limited to at most 50% of the total advertisements (e.g., TV, radio, and newspaper), while TV advertisements must be at least 10% of the total advertisements. Advertising spots are limited to 10 for TV, 20 for radio, and 10 for newspaper media. Given these constraints, what number of TV, radio, and/or newspaper advertisements would reach the most people (i.e., constituents)?

Advertising Mix						
Price of TV advertising	\$ 2,000.00		Total Audience	1,010,000.00		x1 = # of advertisements through TV
Audience of TV advertising	100,000		Total Advertising Cost	\$ 18,200.00		x2 = # of advertisements through radio
TV advertising spots	6.1					x3 = # of advertisements through newspaper
Subtotal TV Cost	\$ 12,200.00		TV spots	6.1		
Subtotal TV Audience	610,000		Radio spots	0		
			Newspaper spots	10		
			Total advertising spots	16.1		Max Z = 100000(x1) + 18000(x2) + 40000(x3)
Price of radio advertising	\$ 3,000.00					
Audience of Radio advertising	18,000					
Radio advertising spots	0		Constraints			S.T.
Subtotal Radio Cost	\$ -					
Subtotal Radio Audience	-		Max advertising budget	\$ 18,200.00		2000x1 + 3000x2 + 600x3 <= 18200
		Max radio spots is half of total ad spots		8.05		x2 <= 0.5 (x1 + x2 + x3)
		Min TV spots is 10% of total ad spots		1.61		x1 >= 0.1 * (x1 + x2 + x3)
Price of Newspaper advertising	\$ 600.00		Max TV spots	10		x1 <= 10
Audience of Newspaper advertising	40,000		Max Radio spots	20		x2 <= 20
Newspaper advertising spots	10		Max Newspaper spots	30		x3 <= 30
Subtotal Newspaper Cost	\$ 6,000.00					
Subtotal Newspaper Audience	400,000.00					
						x1 >= 0, x2 >= 0, and x3 >= 0

Solver Parameters

Set Objective:

To: ☒ Max ☐ Min ☐ Value Of:

By Changing Variable Cells:

Subject to the Constraints:

☒ Make Unconstrained Variables Non-Negative

Select a Solving Method:

Solving Method

Select the GRG Nonlinear engine for Solver Problems that are smooth nonlinear. Select the LP Simplex engine for linear Solver Problems, and select the Evolutionary engine for Solver problems that are non-smooth.

Answers in detail are available in HMIS Tutorial Three Solutions.xlsx.

- 9) **Transportation Scenario:** (minimize the transportation cost Z function using six variables X_1 , X_2 , X_3 , X_4 , X_5 , and X_6)

A niche retailer needs its goods produced at two locations (e.g., Louisville, KY and Kansas City, KS) shipped to three regional distribution centers (e.g., Region 1, 2, and 3). **Transportation costs per unit from Kansas City to Region 1 cost \$2.10, Kansas City to Region 2 cost \$2.25, and Kansas City to Region 3 cost \$3.00. Transportation costs per unit from Lexington to Region 1 cost \$2.00, Lexington to Region 2 cost \$2.40, and Lexington to Region 3 cost \$2.80 .** *The production quotas for the Kansas City and Lexington locations equals 350 and 400 units per week, respectively. Region 1 demand requires shipments of 200 units per week, Region 2 demand requires shipments of 250 units per week, and Region 3 demand requires shipments of 300 units per week. Given these constraints, what number units should be shipped each week from the Kansas City*

and Lexington locations to each of the three regional distribution centers to meet demand while minimizing transportation costs?

Transportation Costs									
Cost per unit from Kansas City to Region 1	\$	2.10	Total Transportation Costs	\$	1,812.50	x1 = # of units to transport from Kansas City to Region 1			
Units to ship from Kansas City to Region 1		100				x2 = # of units to transport from Kansas City to Region 2			
Subtotal of Kansas City to Region 1 Transportation	\$	210.00	Kansas City Production		350	x3 = # of units to transport from Kansas City to Region 3			
			Louisville Production		400	x4 = # of units to transport from Louisville to Region 1			
Cost per unit from Kansas City to Region 2	\$	2.25	Total Production		750	x5 = # of units to transport from Louisville to Region 2			
Units to ship from Kansas City to Region 2		250				x6 = # of units to transport from Louisville to Region 3			
Subtotal of Kansas City to Region 2 Transportation	\$	562.50	Region 1 Shipments		200				
			Region 2 Shipments		250				
Cost per unit from Kansas City to Region 3	\$	3.00	Region 3 Shipments		300	Min Z = 2.10(x1) + 2.25(x2) + 3.00(x3) + 2.00(x4) + 2.40(x5) + 2.80(x6)			
Units to ship from Kansas City to Region 3		0							
Subtotal of Kansas City to Region 3 Transportation	\$	-	Constraints			S.T.			
			Max Kansas City Production		500	Max Kansas City Production <= 500			
Cost per unit from Louisville to Region 1	\$	2.00	Max Louisville Production		400	x1 + x2 + x3 <= 500			
Units to ship from Louisville to Region 1		100				Max Louisville Production <= 400			
Subtotal of Louisville to Region 1 Transportation	\$	200.00	Region 1 Demand		200	x4 + x5 + x6 <= 400			
			Region 2 Demand		250				
Cost per unit from Louisville to Region 2	\$	2.40	Region 3 Demand		300				
Units to ship from Louisville to Region 2		0							
Subtotal of Louisville to Region 2 Transportation	\$	-				x1 >= 0, x2 >= 0, x3 >= 0, x4 >= 0, x5 >= 0, and x6 >= 0			
Cost per unit from Louisville to Region 3	\$	2.80							
Units to ship from Louisville to Region 3		300							
Subtotal of Louisville to Region 3 Transportation	\$	840.00							

Solver Parameters

Set Objective:

To: ☐ Max ☒ Min ☐ Value Of:

By Changing Variable Cells:

Subject to the Constraints:

☒ Make Unconstrained Variables Non-Negative

Select a Solving Method:

Solving Method

Select the GRG Nonlinear engine for Solver Problems that are smooth nonlinear. Select the LP Simplex engine for linear Solver Problems, and select the Evolutionary engine for Solver problems that are non-smooth.

Buttons: Add, Change, Delete, Reset All, Load/Save, Options

Answers in detail are available in **HMIS_Tutorial_Three_Solutions.xlsx**.