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Input: vector x, vector y
Output: coefitiens, Matrix A
begin cuadraticSpline
    if x or y has duplicates:
         return error
    end if
    if lenght of x is not equals to lenght of y:
         return error
    \quad \text{end} \quad \text{if} \quad
    set n = lenght of x
    set m = (n - 1) * 3
    set A = matrix[m][m]
    set B = vector[m]
    set A[0][0] = x[0]^2
    set A[0][1] = x[0]
    \mathrm{set}\ A\,[\,0\,]\,[\,2\,]\ =\ 1
    set B[0] = y[0]
    #interpolation conditions
    For i = 0, \ldots, n
         set A[i+1][3*(i+1)-3] = math.pow(x[i+1], 2)
         set A[i+1][3*(i+1)-2] = x[i+1]
         set A[i+1][3*(i+1)-1] = 1
         set B[i+1] = y[i+1]
    end for
    #continuity conditions
    For i = 1, \ldots, n
               A[n-1+i][3*i-3] = math.pow(x[i], 2)
               A[n-1+i][3*i-2] = x[i]
               A[n-1+i][3*i-1] = 1
              A[n-1+i][3*i] = -math.pow(x[i], 2)
         \operatorname{set}
               A[n-1+i][3*i+1] = -x[i]
         \operatorname{set}
              A[n-1+i][3*i+2] = -1
         \operatorname{set}
               B[n-1+i] = 0
         \operatorname{set}
    end for
    #softness condition
    for\ i\ =\ 1\ ,\ldots \ ,\ n
                              1
         set A[2*n-3+i][3*i-3] = 2 * x[i]
                A[2*n-3+i][3*i-2] = 1
         \operatorname{set}
              A[2*n-3+i][3*i-1] = 0
         \operatorname{set}
         set A[2*n-3+i][3*i] = -2*x[i]
               A[2*n-3+i][3*i+1] = -1
         \operatorname{set}
               A[2*n-3+i][3*i+2] = 0
         \operatorname{set}
```

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\begin{array}{lll} & set & B[2*n-3+i\,] \, = \, 0 \\ end & for \\ set & A[m-1][0] \, = \, 2 \\ set & B[m-1] \, = \, 0 \\ x \, = \, solveSystem \, (A, \, B) \\ return \, x \, , \, A \end{array}
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 $end\ cuadratic Spline$