The Mit virtual machine

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Typographical conventions

Instructions and registers are shown in typewriter font.

Addresses are given in bytes. Addresses are written in hexadecimal; hex numbers are prefixed with "0x".

1 Introduction

Mit is a simple virtual machine. It is a stack machine, based on the more complex register machine Mite [4]. This paper gives a full description of Mit.

Mit is conceptually (and usually in fact) a library, embedded in other programs.

2 Architecture

The address unit is the byte, which is eight bits. Most of the quantities on which Mit operates are fixed-size words, which are stored in memory in either big- or little-endian order. The number of bytes in a word is called $word_bytes$, and must be 4 or 8.

The choice of byte and word size enable efficient implementation on the vast majority of machine architectures.

2.1 Registers

The registers are word quantities; they are listed, with their functions, in table 1. The registers are initialised to 0.

Register	Function
рс	The program counter. Points to the next word from which i may be loaded.
ir	The instruction register. Contains instructions to be executed.
stack_depth	The number of words in the current stack frame.

Table 1: Registers

2.2 Memory

Mit's memory consists of discontiguous words in a flat address space. The address of a word is that of the byte in it with the lowest address.

2.3 Stack

The stack is a last-in-first-out stack of call frames. Each frame is a stack of words. The phrase "the stack" usually refers to the current frame, and all references to stack items refer to the current frame. To **push** a word on to the stack means to add a new word to the top of the stack, increasing the stack depth by 1; to **pop** a word means to reduce the stack depth by 1. Instructions that change the number of words on the stack implicitly pop their arguments and push their results.

2.4 Execution

Execution proceeds as follows:

```
repeat
let opcode be the least significant 8 bits of ir
shift ir arithmetically 8 bits to the right
execute the instruction given by opcode,
or raise error -1 if the opcode is invalid
```

If an error occurs during execution (see section 2.5), the state of the virtual machine is reset to its state at the start of the loop before the error is raised. This allows instructions to be restarted after handling the error, where desired.

2.5 Errors and termination

When Mit encounters certain abnormal situations, such as an attempt to access an invalid address, or divide by zero, an **error** is **raised**, and execution terminates. If the error is non-zero, the effect of the current instruction is undone (see section 2.4). An **error code** is returned to the caller.

Execution can be terminated explicitly by performing a halt instruction (see section 3.1), which raises an error.

Error codes are signed numbers. 0 to -127 are reserved for the specification; other error codes may be used by implementations. The meanings of those that may be raised by Mit are shown in table 2.

3 Instruction set

The instruction set is listed below, with the instructions grouped according to function. The instructions are given in the following format:

```
NAME ( before - after ) Description.
```

Code	Meaning
0	Execution has terminated without error.
-1	Invalid opcode (see section 3.12).
-2	Stack overflow.
-3	Invalid stack read.
-4	Invalid stack write.
-5	Invalid memory read.
-6	Invalid memory write.
-7	Address alignment error: raised when an instruction is given a
	valid address, but insufficiently aligned.
-8	Division by zero attempted (see section 3.10).
-127	An instruction has completed without error.

Table 2: Errors raised by Mit

The first line consists of the name of the instruction. On the right is the stack effect, which shows the effect of the instruction on the stack. Underneath is the description.

Stack effects are written

```
( before - after )
```

where *before* and *after* are stack pictures showing the items on top of a stack before and after the instruction is executed. An instruction only affects the items shown in its stack effects. The brackets and dashes serve merely to delimit the stack effect and to separate *before* from *after*. An stack item [x] in square brackets is optional.

Stack pictures are a representation of the top-most items on the stack, and are written

$$i_1$$
 $i_2 \dots i_{n-1}$ i_n

where the i_k are stack items, each of which occupies a word, with i_n being on top of the stack. The symbols denoting different types of stack item are shown in table 3.

Symbol	Data type
flag	a Boolean flag, 0 for false or non-zero for true
S	signed number
u	unsigned number
n	number (signed or unsigned)
X	unspecified word
addr	address
a-addr	word-aligned address

Table 3: Types used in stack effects

Numbers are represented in two's complement form. *addr* consists of all valid virtual machine addresses.

Each type may be suffixed by a number in stack pictures; if the same combi-

nation of type and suffix appears more than once in a stack effect, it refers each time to the identical stack item.

Ellipsis is used for indeterminate numbers of specified types of item.

3.1 Extra instructions

Extra instructions are introduced by the instruction extra:

extra (see below)

Perform extra instruction ir; if ir is not the code of a valid extra instruction, raise error -1.

The following extra instructions are defined:

next 0 (-)

Load the word pointed to by pc into ir, then add word_bytes to pc. If an invalid or unaligned address is accessed when loading ir, the appropriate error is raised (see section 2.5).

halt 1 (n-)

Raise error n.

3.2 Trap

An implementation may implement extra functionality using trap:

rap ()

Perform trap ir; if ir is not the code of a valid trap, raise error -1.

The following trap is defined:

nextff -1 (-)

Perform the action of next.

3.3 Stack manipulation

These instructions manage the stack:

pop (x -)

Remove **x** from the stack.

 $(x_u \dots x_0 u - x_u \dots x_0 x_u)$

Remove u. Copy \mathbf{x}_u to the top of the stack.

swap ($\mathbf{x}_{u+1} \dots \mathbf{x}_0 \ \mathbf{u} - \mathbf{x}_0 \ \mathbf{x}_u \dots \mathbf{x}_1 \ \mathbf{x}_{u+1}$)

Exchange the top stack word with the *u*+1th.

3.4 Control

These instructions implement unconditional and conditional branches, and subroutine call and return.

jump ([a-addr] -)

If ir is 0, set pc to a-addr; otherwise, add ir \times word_bytes to pc, and set ir to 0.

jumpz (flag [a-addr] -)

If *flag* is false then perform the action of jump; otherwise, set ir to 0.

call $(x_u...x_0 u_1 u_2 [a-addr_1] - u_2 a-addr_2 || x_u...x_0)$

Perform the action of jump. Move $x_{u_1} \dots x_0$ to a new call frame. Push the initial value of pc to the old frame.

ret
$$(u_2 \ a-addr \mid \mid x_{u_2}...x_0 - x_u...x_0)$$

Pop the current stack frame, set pc to a-adr, and move $x_{u_2} \dots x_0$ to it. Set ir to 0.

3.5 Memory

These instructions fetch and store quantities to and from memory. If an invalid or unaligned address is accessed, the appropriate error is raised (see section 2.5).

load (addr - x)

Load the word x stored at addr, which must be a multiple of word_bytes.

store (x addr -)

Store x at addr, which must be a multiple of word_bytes.

load1 (addr - x)

Load the byte x stored at addr. Unused high-order bits are set to zero.

store1 (x addr -)

Store the least-significant byte of x at addr.

load2 (addr - x)

Load the 2-byte quantity x stored at addr, which must be a multiple of 2. Unused high-order bits are set to zero.

store2 (x addr -)

Store the 2 least-significant bytes of **x** at **addr**, which must be a multiple of 2.

load4 (addr - x)

Load the 4-byte quantity **x** stored at **addr**, which must be a multiple of 4. Any unused high-order bits are set to zero.

store4 (x addr -)

Store the 4 least-significant bytes of x at addr, which must be a multiple of 4.

3.6 Constants

push (-n)

The word pointed to by pc is pushed on to the stack, and pc is incremented to point to the following word.

pushrel (-n)

Like push, except that the initial value of pc is added to the value pushed on to the stack.

There are also variants pushi and pushreli, which encode a limited range of constants in the instruction opcode; see section 3.12.

3.7 Logic

Logic functions:

not $(x_1 - x_2)$ Invert all bits of x_1 , giving its logical inverse x_2 . and $(x_1 x_2 - x_3)$ x_3 is the bit-by-bit logical "and" of x_1 with x_2 . or $(x_1 x_2 - x_3)$ x_3 is the bit-by-bit inclusive-or of x_1 with x_2 . $(x_1 x_2 - x_3)$

 x_3 is the bit-by-bit exclusive-or of x_1 with x_2 .

3.8 Comparison

These words compare two numbers on the stack, returning a flag (for equality, use xor; see section 3.7):

lt $(s_1 s_2 - flag)$

flag is 1 if and only if s_1 is less than s_2 .

ult $(u_1 u_2 - flag)$

flag is 1 if and only if u_1 is less than u_2 .

3.9 Shifts

lshift $(x_1 u - x_2)$

Perform a logical left shift of u bit-places on x_1 , giving x_2 . Put zero into the least significant bits vacated by the shift. If u is greater than or equal to the number of bits in a word, x_2 is zero.

rshift
$$(x_1 u - x_2)$$

Perform a logical right shift of u bit-places on x_1 , giving x_2 . Put zero into the most significant bits vacated by the shift. If u is greater than or equal to the number of bits in a word, x_2 is zero.

arshift
$$(x_1 u - x_2)$$

Perform an arithmetic right shift of u bit-places on x_1 , giving x_2 . Copy the original most-significant bits into the most significant bits vacated by the shift. If u is greater than or equal to the number of bits in a word, all the bits of x_2 are the same as the original most-significant bit.

3.10 Arithmetic

These instructions consist of monadic and dyadic operators. All calculations are made without bounds or overflow checking, except as detailed for certain instructions.

Negation and addition:

negate $(s_1 - s_2)$

Negate s_1 , giving s_2 .

add (
$$n_1 n_2 - n_3$$
)

Add n_2 to n_1 , giving the sum n_3 .

Multiplication and division (note that division instructions raise error -8 if division by zero is attempted):

$$\mathsf{mul} \qquad \qquad (\ \mathsf{n}_1 \ \mathsf{n}_2 \ \mathsf{-} \ \mathsf{n}_3 \)$$

Multiply n_1 by n_2 giving the product n_3 .

divmod (
$$s_1 s_2 - s_3 s_4$$
)

Divide s_1 by s_2 using symmetric division, giving the single-word quotient s_3 and the single-word remainder s_4 . The quotient is rounded towards zero.

udivmod
$$(u_1 u_2 - u_3 u_4)$$

Divide u_1 by u_2 , giving the single-word quotient u_3 and the single-word remainder u_4 .

3.11 Instruction encoding

Instructions are encoded as 8-bit opcodes; opcodes are packed into words, which are executed starting at the least-significant bits. The opcodes have the following structure:

7	6	5	4	3	2	1	0
instruction					0	0	
pushi operand					1	0	
pushreli operand						1	
exce	except						
	11111111 = trap						

The operands for pushi and pushreli are interpreted as signed numbers; the operand of pushreli is multiplied by word_bytes. Note that pushreli's immediate constant cannot be -1, as the corresponding opcode is used for trap.

3.12 Instruction opcodes

Table 4 lists the instruction opcodes. Other instruction opcodes are invalid.

4 External interface

- Implementations should provide an API to create and run virtual machine code, and to add traps.
- Implementations can add extra instructions (see section 3.1) to provide extra computational primitives and other deeply-integrated facilities.
- Implementations can allow users to add traps (see section 3.2) to offer access to system facilities, native libraries and so on.

Opcode	Instruction	Opcode	Instruction
0x0	extra	0x10	push
0x1	pop	0x11	pushrel
0x2	dup	0x12	not
0x3	swap	0x13	and
0x4	jump	0x14	or
0x5	jumpz	0x15	xor
0x6	call	0x16	1t
0x7	ret	0x17	ult
0x8	load	0x18	lshift
0x9	store	0x19	rshift
0xa	load1	0x1a	arshift
0xb	store1	0x1b	negate
0xc	load2	0x1c	add
0xd	store2	0x1d	mul
0xe	load4	0x1e	divmod
0xf	store4	0x1 f	udivmod

Table 4: Instruction opcodes

Acknowledgements

Martin Richards introduced me to Cintcode [2], which kindled my interest in virtual machines, and led to Beetle [3] and Mite [4], of which Mit is a sort of synthesis. GNU *lightning* [1] helped inspire me to greater simplicity, while still aiming for speed. Alistair Turnbull has been a great collaborator for all my work on virtual machines.

References

- [1] Paulo Bonzini. Using and porting GNU *lightning*, 2000. ftp://alpha.gnu.org/gnu/.
- [2] Martin Richards. Cintcode distribution, 2000. https://www.cl.cam.ac.uk/~mr/BCPL.html.
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