# COMP532 Assignment 1 – Reinforcement Learning

You need to solve each of the following problems. Problem 1 concerns an example/exercise from the book of Sutton and Barto (available in Vital). You must also include a brief report describing and discussing your solutions to the problems. Students can do the assignment in pairs.

- o This assignment is worth 15% of the total mark for COMP532
- o 80% of the assignment marks will be awarded for correctness of results.
- o 20% of the assignment marks will be awarded for the quality of the accompanying report
- Students will do the assignment in groups
- We expect 3 students in one group (it would be fine to have groups of 1, 2, 4 and 5 as well, but it is suggested to have groups of 3), please find your team members on your own, we have the MS Teams "COMP532-2021" group to facilitate the group formation
- Only one **single** submission is needed for each group
- o The **same marks** will be granted to all the members in the same group
- o Please list all your group members (names, emails, student ids) in your submitted report

#### **Submission Instructions**

- o Send all solutions as a single PDF document containing your answers, results, and discussion of the results. Attach the source code for the programming problems as separate files.
- o Submit your solution via Canvas.
- o The deadline for this assignment 12/03/2021, 13:00
- o Penalties for late submission apply in accordance with departmental policy as set out in the student handbook, which can be found at

http://intranet.csc.liv.ac.uk/student/msc-handbook.pdf
and the University Code of Practice on Assessment, found at
<a href="https://www.liverpool.ac.uk/media/livacuk/tqsd/code-of-practice-on-assessment/code\_of\_practice\_on\_assessment.pdf">https://www.liverpool.ac.uk/media/livacuk/tqsd/code-of-practice-on-assessment.pdf</a>

#### Problem 1 (24 marks)

Re-implement in Python the results presented in Figure 2.2 of the Sutton & Barto book comparing a greedy method with two  $\varepsilon$ -greedy methods ( $\varepsilon = 0.01$  and  $\varepsilon = 0.1$ ), on the 10-armed testbed, and present your code and results. Include a discussion of the exploration - exploitation dilemma in relation to your findings.

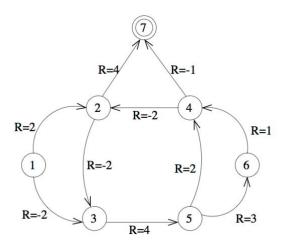
### Problem 2 (16 marks)

Consider a Markov Decision Process (MDP) with states  $S = \{4,3,2,1,0\}$ , where 4 is the starting state. In states  $k \ge 1$  you can walk (W) and T(k, W, k - 1) = 1. In states  $k \ge 2$  you can also jump (J) and T(k, J, k - 2) = 3/4 and T(k, J, k) = 1/4. State 0 is a terminal state. The reward  $R(s, a, s') = (s - s')^2$  for all (s, a, s'). Use a discount of  $\gamma = 1/2$ . Compute both  $V^*(2)$  and  $Q^*(3, J)$ . Clearly show how you computed these values.

#### Problem 3 (20 marks)

Consider the following Reinforcement Learning problem (the rewards R are tagged to the transitions, the transition probabilities are unknown) with states 1...7, of which state 7 is a terminal state. Let the initial values of all states be 0. Initialize the discount factor  $\gamma = 1$ . What are the values of all states (after each epoch) when Temporal Difference learning is used after the following episodes? The learning parameter  $\alpha = 0.5$  is fixed.

Episode 1: {1, 3, 5, 4, 2, 7} Episode 2: {2, 3, 5, 6, 4, 7} Episode 3: {5, 4, 2, 7}



## Problem 4 (10 marks)

- a) What does the Q-learning update rule look like in the case of a stateless or 1-state problem? Clarify your answer. (2 marks)
- b) Discuss the main challenges that arise when moving from single- to multi-agent learning, in terms of the learning target and convergence. (3 marks)

#### Problem 5 (30 marks)

Re-implement in Python the results presented in Figure 6.4 of the Sutton & Barto book comparing SARSA and Q-learning in the cliff-walking task. Investigate the effect of choosing different values for the exploration parameter  $\varepsilon$  for both methods. Present your code and results. In your discussion clearly describe the main difference between SARSA and Q-learning in relation to your findings.

Note: For this problem, use  $\alpha = 0.1$  and  $\gamma = 1$  for both algorithms. The "smoothing" that is mentioned in the caption of Figure 6.4 is a result of 1) averaging over 10 runs, and 2) plotting a moving average over the last 10 episodes.