

Privacy-Preserving Email Forensics

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Privacy-Preserving Email Forensics (PPEF)

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Agenda



- Idea, motivation & contributions
- The big picture / overall scheme design
- Own implementation details
 - Protection mechanism
 - Extraction mechanism
- Cryptographic building blocks
- Practical implementation and evaluation
- Summary & conclusion
- Limitations & future work

Idea of PPEF



- Privacy protection of employees in (large-scale) digital forensic investigations
- Revealing of only case relevant information
 - Achieved through strong cryptographic standards
- Operation principle:
 - 1. Extraction of mailboxes
 - 2. Encryption of all emails by applying our introduced scheme
 - 3. Hand over of only encrypted mailboxes to third-party investigators
 - 4. Decryption of individual emails only possible on *t* matching keywords

Motivation



- Private use of corporate e-mail accounts
 - Private e-mails typically contain private and very sensitive data
 - This information is often highly protected by local data protection laws
 - Typically case irrelevant information in private e-mails
- Todays approaches and tools are often limited to filtering, which is not enforced
 - Investigators might read private e-mails by accident or on purpose
- Case "United States v. Carey" (1999)
- Problems of leaving the e-mails at the company's IT
 - Leaks search queries of investigators
 - Is costly and time consuming because of the high degree of interaction needed
 - Trust issues

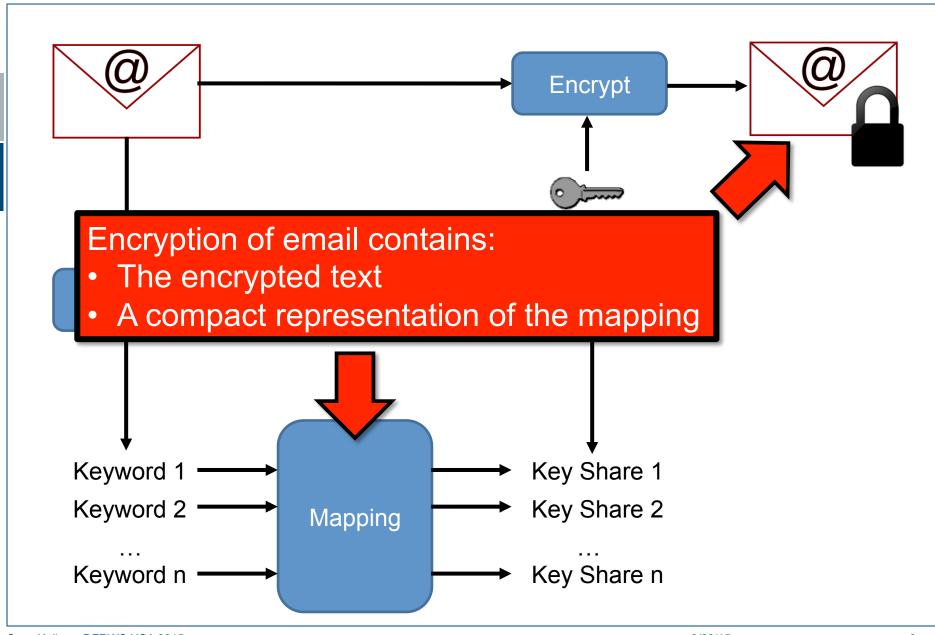
Contributions



- Novel approach for privacy-preserving email forensics allowing for non-interactive theshold keyword search on encrypted emails
- Proof-of-concept implementation in Python and as a Autopsy v3 plug-in
- An evaluation of the practical applicability in terms of:
 - en- / decryption runtime performance
 - introduced storage overhead
 - brute-force / dicitonary attack vulnerability

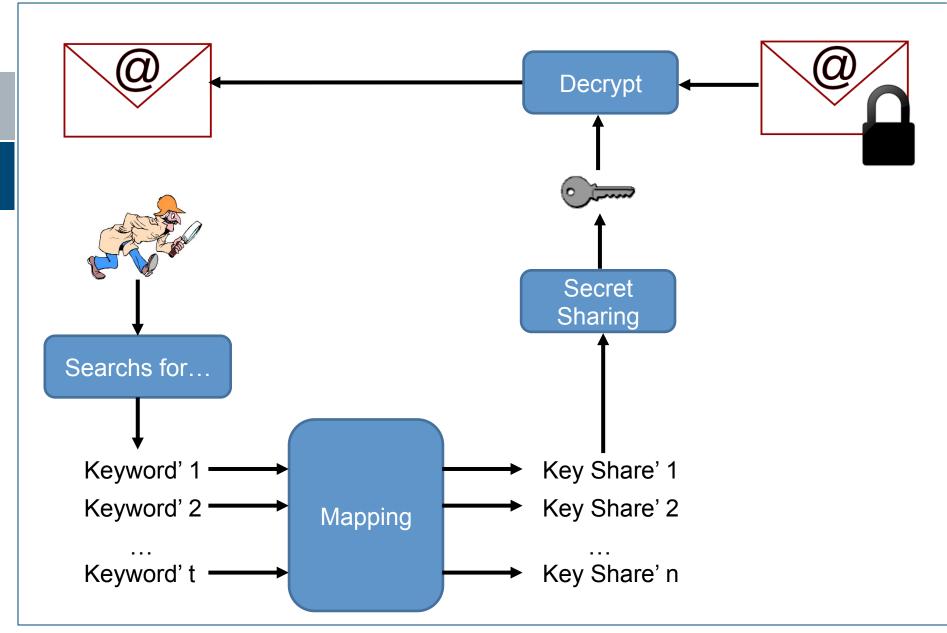
Encryption





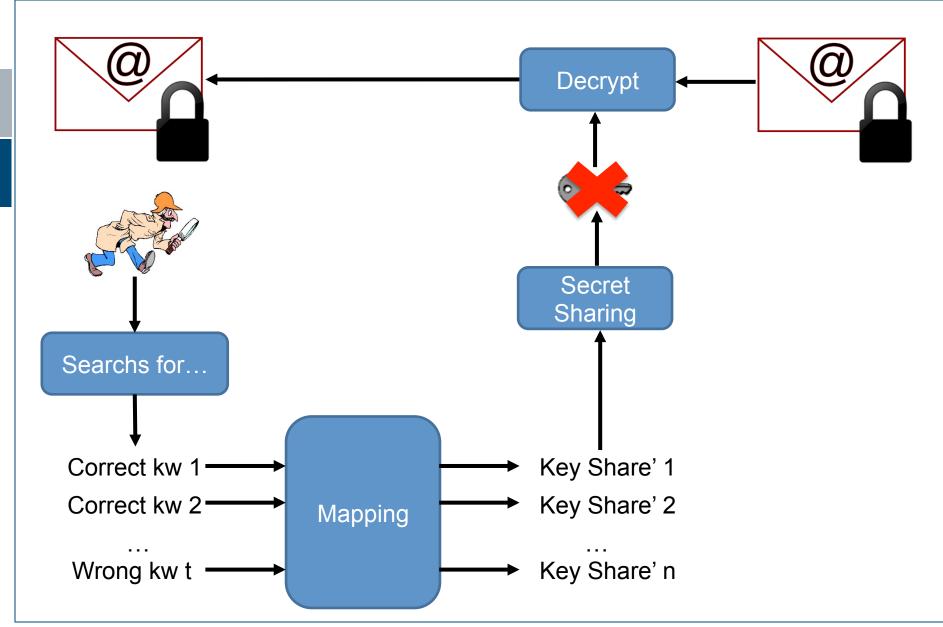
Decryption success





Decryption fail





Details



- Encryption of e-mails (protection mechanism):
 - Each e-mail plaintext **P** is encrypted to a cyphertext **C** with an individual secret key **k**.
 - k gets split up in shares and might later be reconstructed
 - Support for blacklisting of commonly used words (e.g. "the")
 - Support for whitelisting of investigation keywords (e.g. "fraud")
- Decryption of e-mails (extraction mechanism):
 - Only possible when the e-mail in question contains at least t keywords.
 - Investigator learns nothing about the secret key of other e-mails upon successfully decrypting one e-mail.
 - Investigator learns nothing about the content of the mail if t-1 or less keywords match the content of the e-mail.

Cryptographic Building Blocks



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1. Encryption function:

- AES-128 in CBC mode used for the encryption of individual e-mails
- Add characteristic padding p as the first block to be decrypted (e.g. [0,...,0])

2. Shamir's Secrect Sharing

- Used for splitting the secret key k into shares
- Details follow on the next slide

3. Mapping

- Hash function: SHA-256 part of the mapping function
- Further tweaks for efficiency reasons

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Shamir's Secret Sharing

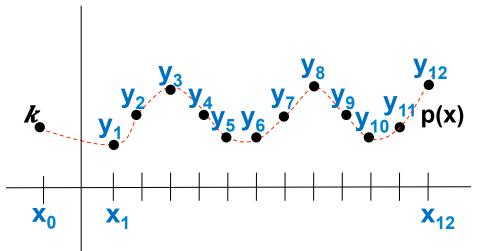


- Functionality:
 - Input: Two integers t ≤ n, a secret k
 - Output: n shares k↓1,...,k↓n
- Security
 - Given at least t shares, one can reconstruct the secret
 - If less than t shares are known, reconstruction not possible
- Realization
 - Polynomial interpolation of a polynomial of degree t-1

Working Principle

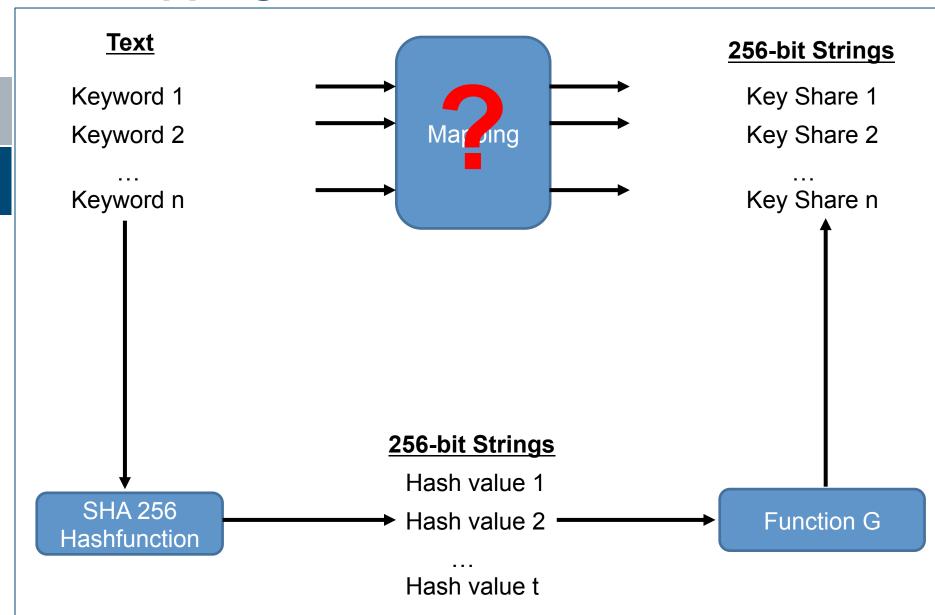


- Input: Two integers t ≤ n, Secret k
- Choose polynomial p(x) of degree t-1
- Compute shares: $(x \downarrow 1, y \downarrow 1), ..., (x \downarrow n, y \downarrow n)$ (here: n=12) with $y \downarrow i = p(x \downarrow i)$
- Reconstruction from t shares:
 - Interpolate p(x)
 - Compute $k=p(x \downarrow 0)$



The Mapping Function





Function G



- Task: Map 256-bit hash values to 256-bit shares (x↓i, y↓i)
- Approach:
 - Interpret hash values as $(x \downarrow i, z \downarrow i)$ (128-bit + 128-bit)
 - Use the values $x \downarrow i$ to compute shares $(x \downarrow i, y \downarrow i) = (x \downarrow i, p(x \downarrow i))$
 - Find mapping g(x) such that $g(x \downarrow i) = y \downarrow i XOR z \downarrow i$
 - Function $G(h \downarrow i) = G(x \downarrow i, z \downarrow i) = (x \downarrow i, g(x \downarrow i) XOR z \downarrow i) \rightarrow (x \downarrow i, y \downarrow i)$
- Getting the mapping:
 - Core idea: compute polynomial g(x) such that $g(x \downarrow i) = y \downarrow i XOR z \downarrow i$
 - Problem: requires to interpolate polynomial of degree $n \rightarrow$ effort is $O(n \uparrow 3)$, too slow
 - Idea: Split range of **x** into **l** subsets, e.g. determined by the **l** last bits
 - Interpolate polynomials $g \downarrow j(x)$ for each subset
 - Effort: interpolate *I* polynomials, each of degree ≈ *n/I*
 - Overall effort: $I \cdot (n/I) \uparrow 3 = n \uparrow 3/I \uparrow 2$

Practical implementation



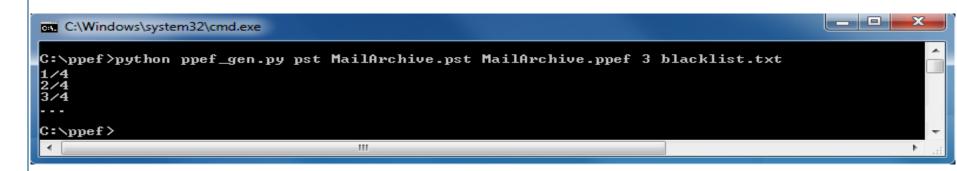
1. Python en- / decrytion of mailboxes Supported mailbox formats:

mbox

pst

MH (RFC 822)

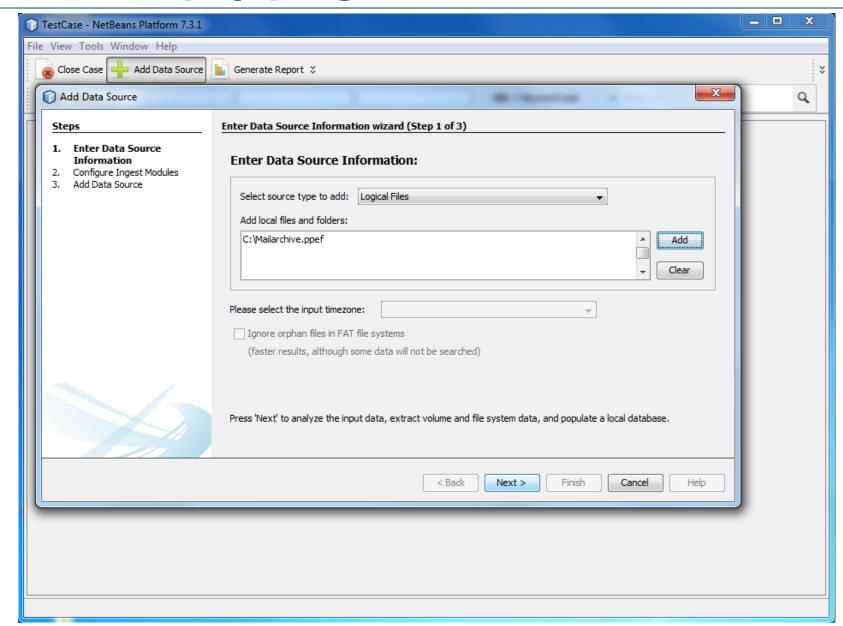
Maildir



2. PPEF plugin for Autopsy v3

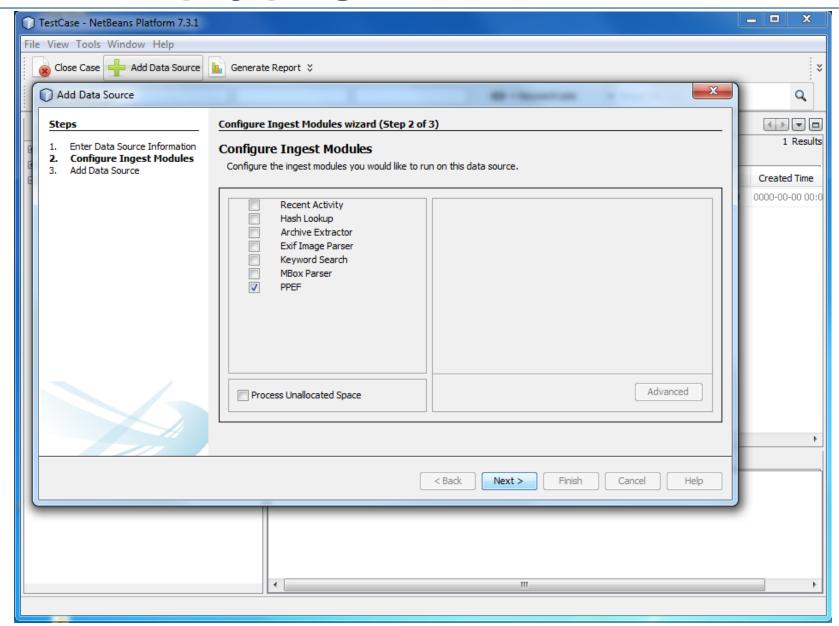
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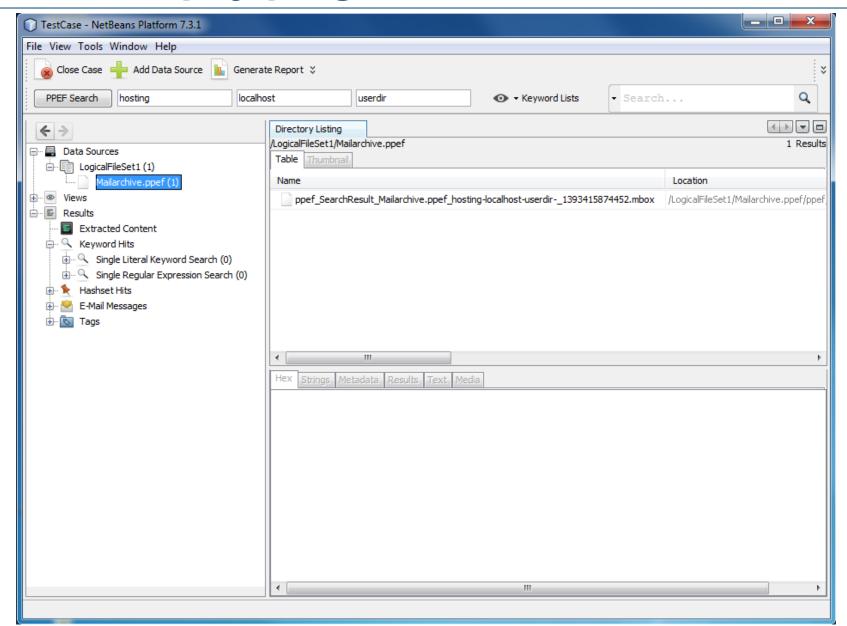




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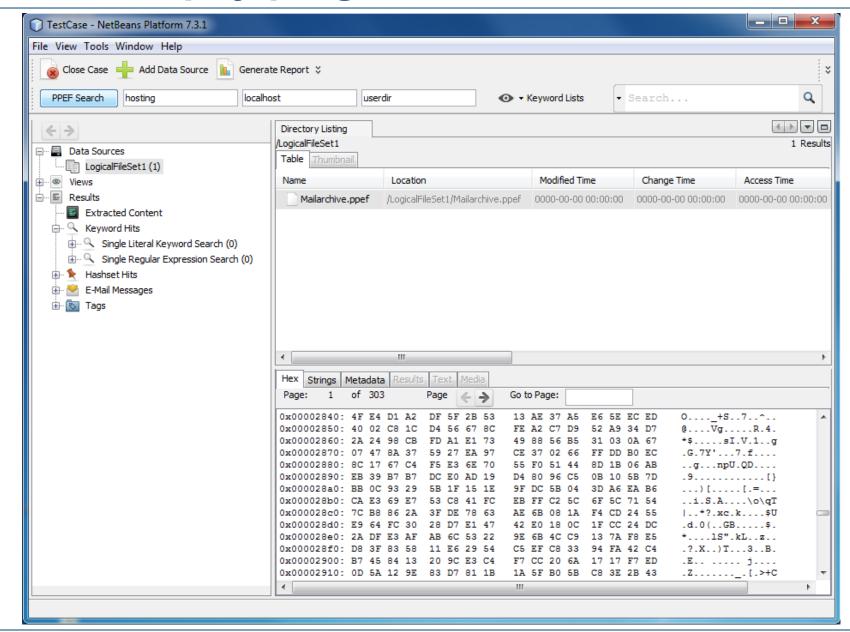




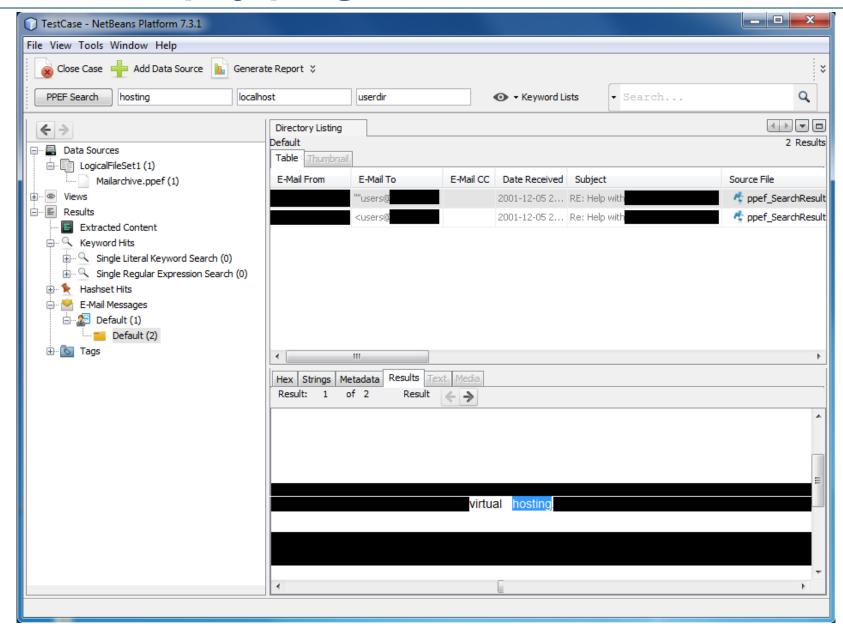




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Evaluation



The data set used in our evaluation consists of 5 different mailboxes:

- Apache httpd user mailing list (75724 e-mails)
- Work personal work e-mails (1590 e-mails)
- A, B, C private e-mail accounts (511, 349, 83 e-mails)

Evaluations:

- 1. Encryption runtime performance
- 2. Encryption storage overhead
- 3. Search / decryption runtime performance
- 4. Brute-force attack performance

Encryption Performance



- Time (in seconds) to encrypt the corresponding emails of each account
- Average encryption rate: 13.5 emails/sec
 - Encryption of large mailboxes might take several hours (< 2h for 75724 e-mails), but only needs to be done once!

	Apache [s]	Work	A	В	C
Min	0.004	0.005	0.005	0.005	0.005
Max	31.745	1.403	1.932	1.117	0.460
Avg	0.082	0.136	0.122	0.110	0.173
Med	0.072	0.115	0.101	0.074	0.150
σ	0.133	0.120	0.132	0.153	0.071
\sum	6243.511	217.242	62.842	38.535	14.367

Encryption storage overhead



- Encryption with AES does not add much storage overhead (33 – 48 bytes per mail)
- Main storage overhead factor is the mapping function (on average 582.4 bytes per mail)
- Average storage overhead: 5.2 %

	Apache	Work	A	В	C
Size Raw [KB] Size PPEF [KB] Overhead	376,551 $418,870$ $11.2 %$	$418,680 \\ 420,418 \\ 0.4 \%$	16,386 $16,885$ $3.0 %$	47,486 $47,821$ $0.7%$	6,676 6,806 1.9 %

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Search / decryption performance



- Time (in seconds) to search each e-mail for 3 keywords and decrypt matching e-mails
- Average search and decryption rate: 98 mails/sec
 - Searches on large mailboxes take time (< 15min) but are still feasible

	Apache [s]	Work	A	В	C
Min	0.0090	0.0096	0.0098	0.0097	0.0098
Max	0.0598	0.1645	0.0139	0.1508	0.0148
Avg	0.0115	0.0137	0.0114	0.0123	0.0117
Med	0.0115	0.0117	0.0113	0.0113	0.0116
σ	0.0007	0.0103	0.0007	0.0086	0.0009
\sum	876.8591	21.7977	5.8650	4.2982	0.9750

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Attack performance evaluation



- Brute-force attacks to decrypt the whole mailbox $(\pi=0.99)$ or a random half of the mailbox $(\pi=0.5)$
- Using 4 different vocabularies
 - Oxford English Dictionary (171,476 words)
 - 50 % of the Oxford English Dictionary (85,738 words)
 - Vocabulary in daily speech edu. person (20,000 words)
 - Vocabulary of uneducated person (10,000 words)

π	N	Apache	Work	A	В	C
0.99	171,476	$1.15 \cdot 10^8$	$3.26\cdot 10^5$	$1.23\cdot 10^5$	$1.17\cdot 10^5$	5,373.15
0.50	$171,\!476$	$1.73 \cdot 10^7$	49,072.84	18,565.34	$17,\!638.94$	808.74
0.99	85,738	$1.44 \cdot 10^7$	40,753.36	15,418.00	$14,\!648.51$	671.63
0.50	85,738	$2.17 \cdot 10^6$	$6,\!133.99$	$2,\!320.64$	$2,\!204.82$	101.09
0.99	20,000	$1.83 \cdot 10^5$	517.23	195.68	185.91	8.52
0.50	20,000	27,510.37	77.85	29.45	27.98	1.28
0.99	10,000	22,843.44	64.64	24.46	23.24	1.07
0.50	10,000	3,438.28	9.73	3.68	3.50	0.16

Summary / Conclusion



- We proposed a novel approach for privacypreserving email forensics allowing for noninteractive the shold keyword search on encrypted e-mails.
- We developed a prototype-implementation in Python and an Autopsy plug-in that supports multiple well-known mailbox formats.
- We evaluated the practical applicability in terms of en- / decryption performance, storage overhead and brute-force vulnerability.
 - Sufficiently large mailboxes are well protected against dictionary (brute-force) attacks

Limitations / Future work



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Limitations:

- Scheme based on keyword searches, therefore prone to spelling errors
- No wildcard operator or regular expression possible that allows for more advanced search queries
- Brute-force / dictionary attacks possible

Future work:

Support for wildcard usage within the search keywords



Thank you for your attention!

Speaker:

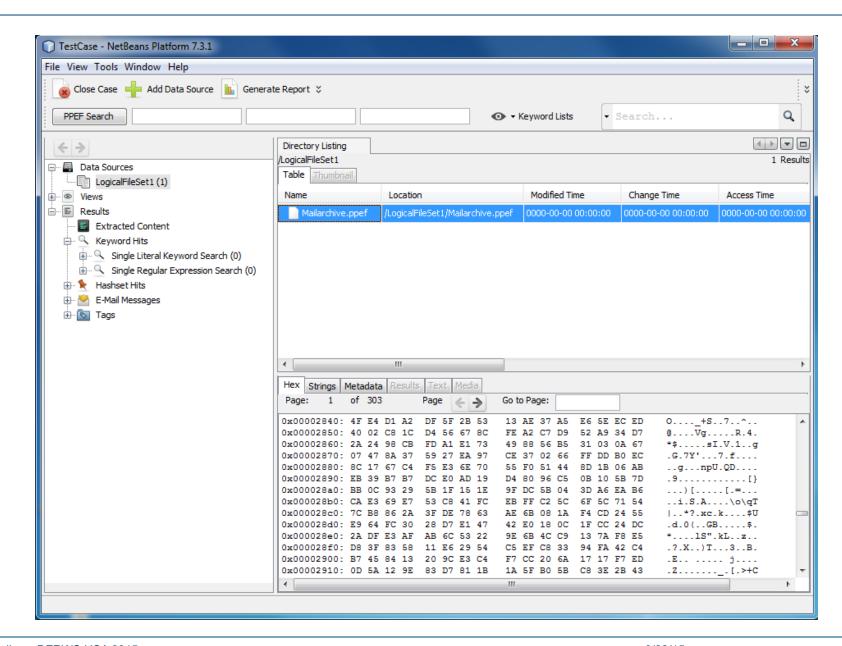
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Function G



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- Approach
 - Interpret hash values as (128 bit + 128 bit)
 - Use the values to compute key shares
 - Find a mapping such that
 - Function
- Getting the Mapping
 - Core idea: compute polynomial such that
 - Problem: requires to interpolate polynomial of degree n effort is in, too
 - Idea: Split range of into subsets, e.g., determined by the first bits
 - Interpolate polynomials for each subset
 - Effort: interpolate polynomials, each of degree.
 - Overall effort: