

SUBJECT:

DATE: / /

Proof of Φ_2 ($\text{want}_p = 1 \rightarrow p_3 \dots p_5$)

Base Case

$\text{want}_p = 1$ is false so Φ_2 is true

Inductive Step

Whenever we change want_p to equal 1 in the program, he must be within $p_3 \dots p_5$.
Whenever $\text{want}_p \neq 1$, Φ_2 is true

Therefore Φ_2 is true

With Φ_1 and Φ_2 both being true, Φ_3 is true by deduction
 Q is symmetrical to p and can be assumed to work w/ above proofs

Therefore Φ_3 is true

$p_3 \dots p_5 \leftrightarrow \text{want}_p = 1$

$q_3 \dots q_5 \leftrightarrow \text{want}_q = 1$