## SVM\_proj

May 30, 2016

```
In [1]: # Przydatne biblioteki
       %matplotlib inline
        import matplotlib.pyplot as plt
        import pandas as pd
        import numpy as np
        # import seaborn as sns; sns.set();
        from itertools import izip as izip
        from scipy import integrate
  http://archive.ics.uci.edu/ml/datasets/banknote+authentication
In [2]: # data = pd.read_csv("http://archive.ics.uci.edu/ml/machine-learning-databases/parkinsons/parki
        # data = pd.read_csv("http://archive.ics.uci.edu/ml/machine-learning-databases/00267/data_bankn
       data = pd.read_csv("../projects/data_banknote_authentication.txt")
In [3]: data.head()
Out[3]:
          variance skewness curtosis entropy
                                                  class
           3.62160
                   8.6661 -2.8073 -0.44699
        1
           4.54590
                    8.1674 -2.4586 -1.46210
                                                      0
           3.86600
                     -2.6383
                              1.9242 0.10645
                                                      0
```

0

The feature space is 4 dimensional and we would like to display each pair of features on a seperate plot. There are

$$\frac{4!}{2!2!} = 6$$

independent combinations total. The code below groups the data into 6 double columns of features.

4.5718 -0.98880

9.5228 -4.0112 -3.59440

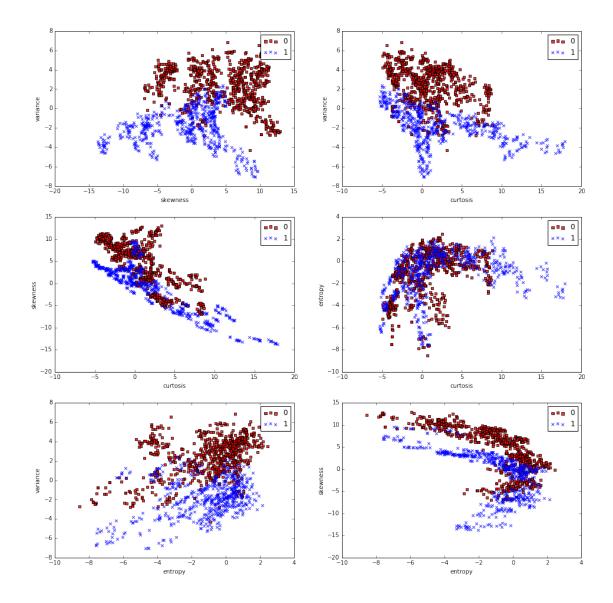
-4.4552

3.45660

0.32924

[-0.9888 -4.4552]

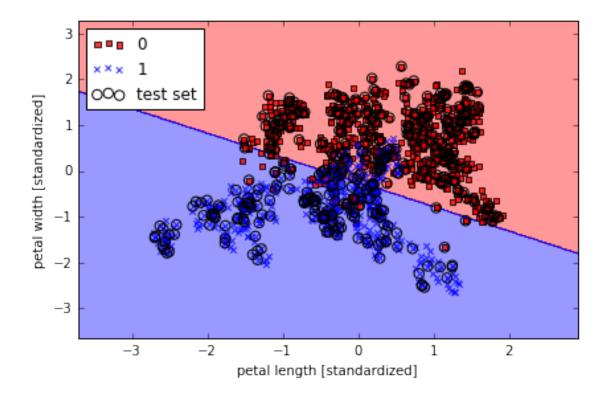
```
[-3.1625 9.6718]
 [ 0.56421 3.0129 ]
 [-0.60216 -6.81
 [-0.61251 5.7588]
 [-0.73535 9.1772]]
In [5]: # get the class
       y = data['class']
       print y.value_counts()
       class_label = {0 : 'true', 1 : 'forged'}
       y = y.values
        # different classes
       print np.unique(y)
0
    762
    610
Name: class, dtype: int64
[0 1]
In [6]: # setup marker generator and color map
       from matplotlib.colors import ListedColormap
       markers = ('s', 'x', 'o', '^', 'v')
       colors = ('red', 'blue', 'lightgreen', 'gray', 'cyan')
        cmap = ListedColormap(colors[:len(np.unique(y))])
        def plot_all_samples(X, y, ax, labels=None):
            """2-dim scatter plot of class with respect to 2 features
            parameters
            X - array of shape (n, 2) with features
            y - array of shape (n, 1) with class labels
            for idx, cl in enumerate(np.unique(y)):
                ax.scatter(x=X[y == cl, 0], y=X[y == cl, 1], alpha=0.8, c=cmap(idx),
                            marker=markers[idx], label=cl)
                ax.legend(loc='best')
                if labels is not None:
                    ax.set_xlabel(labels[0])
                    ax.set_ylabel(labels[1])
       fig, ax = plt.subplots(3, 2, figsize=(16, 16), sharex = False, sharey=False)
        # plot all 6 feature pairs and sample classes
       for idx,pair in enumerate(col_names_pairs):
            plot_all_samples(X[idx], y, fig.axes[idx], labels=pair)
```



Before we apply the algorithm It's important to plot various 2-dim class scatter plots in order to know which features discriminate forged / genuine. Also, it will be visible, then, how well the data are linearly seperable.

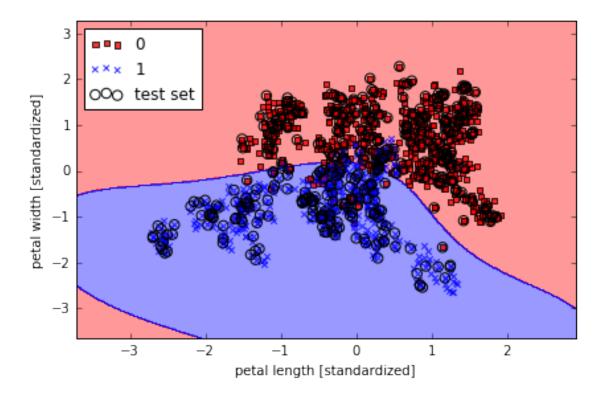
```
\# X_train_std = X_train
         \# X_test_std = X_test
In [16]: import warnings
         def versiontuple(v):
             return tuple(map(int, (v.split("."))))
         def plot_decision_regions(X, y, classifier, test_idx=None, resolution=0.02):
             # setup marker generator and color map
             markers = ('s', 'x', 'o', '^', 'v')
             colors = ('red', 'blue', 'lightgreen', 'gray', 'cyan')
             cmap = ListedColormap(colors[:len(np.unique(y))])
             # plot the decision surface
             x1_min, x1_max = X[:, 0].min() - 1, X[:, 0].max() + 1
             x2_{min}, x2_{max} = X[:, 1].min() - 1, X[:, 1].max() + 1
             xx1, xx2 = np.meshgrid(np.arange(x1_min, x1_max, resolution),
                                    np.arange(x2_min, x2_max, resolution))
             Z = classifier.predict(np.array([xx1.ravel(), xx2.ravel()]).T)
             Z = Z.reshape(xx1.shape)
             plt.contourf(xx1, xx2, Z, alpha=0.4, cmap=cmap)
             plt.xlim(xx1.min(), xx1.max())
             plt.ylim(xx2.min(), xx2.max())
             for idx, cl in enumerate(np.unique(y)):
                 plt.scatter(x=X[y == cl, 0], y=X[y == cl, 1],
                             alpha=0.8, c=cmap(idx),
                             marker=markers[idx], label=cl)
             # highlight test samples
             if test_idx:
                 # plot all samples
                 if not versiontuple(np.__version__) >= versiontuple('1.9.0'):
                     X_test, y_test = X[list(test_idx), :], y[list(test_idx)]
                     warnings.warn('Please update to NumPy 1.9.0 or newer')
                 else:
                     X_test, y_test = X[test_idx, :], y[test_idx]
                 plt.scatter(X_test[:, 0],
                             X_test[:, 1],
                             c='',
                             alpha=1.0,
                             linewidths=1,
                             marker='o',
                             s=55, label='test set')
In [17]: X_combined_std = np.vstack((X_train_std, X_test_std))
         y_combined = np.hstack((y_train, y_test))
```

```
In [18]: from sklearn.svm import SVC
         from sklearn.metrics import accuracy_score
         from sklearn import cross_validation
         def fit_and_evaluate_svm(svm, ax=None):
             """- Fits sum,
                - prints classifier accuracy obtained from k-fold cross validation
                - plots data and decision boundaries
                parameters
                sum - SVC classifier
             if ax is None:
                 ax = plt
             svm.fit(X_train_std, y_train)
             # below is more biased than cross val.
             # y_pred = svm.predict(X_test_std)
             # print "Accuracy: %.3f" % accuracy_score(y_test, y_pred)
             test_to = len(X_combined_std)
             test_from = test_to - len(X_test_std)
             plot_decision_regions(X_combined_std, y_combined,
                                   classifier=svm, test_idx=range(test_from, test_to))
             ax.xlabel('skewness [standardized]')
             ax.ylabel('variance [standardized]')
             ax.legend(loc='upper left')
             ax.tight_layout()
             # plt.savefig('./plot.png', dpi=300)
             ax.show()
             scores = cross_validation.cross_val_score(svm, X_combined_std, y_combined, cv=5)
             # 2 sigma (95% confidence level) accuracy
             print("Accuracy: %0.2f (+/- %0.2f) (at 0.95 confidence level)" % (scores.mean(), scores.st
In [19]: svm = SVC(kernel='linear', C=.01, random_state=0)
         fit_and_evaluate_svm(svm)
```



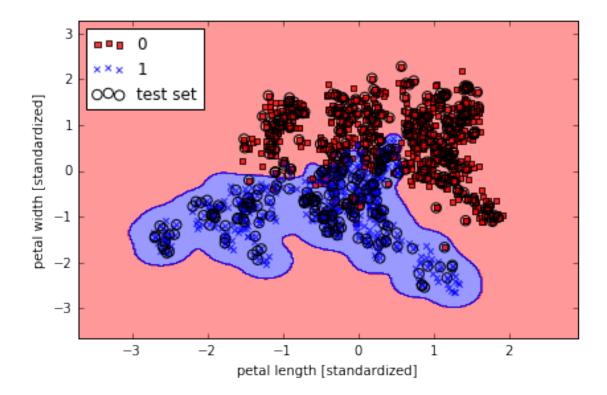
Accuracy: 0.88 (+/-0.03) (at 0.95 confidence level)

In [20]: # Gaussian kernel; small gamma
 svm = SVC(kernel='rbf', random\_state=0, gamma=0.2, C=1.0)
 fit\_and\_evaluate\_svm(svm)



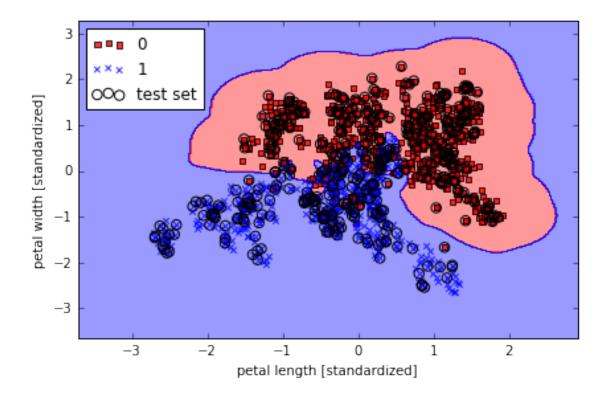
Accuracy: 0.92 (+/- 0.04) (at 0.95 confidence level)

In [21]: # Gaussian kernel; big gamma
svm = SVC(kernel='rbf', random\_state=0, gamma=20, C=1.0)
fit\_and\_evaluate\_svm(svm)



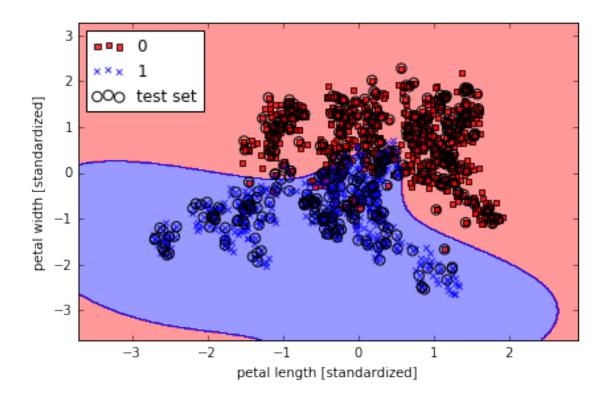
Accuracy: 0.93 (+/- 0.01) (at 0.95 confidence level)

In [22]: # Gaussian kernel; big gamma, big C
 svm = SVC(kernel='rbf', random\_state=0, gamma=20, C=100.0)
 fit\_and\_evaluate\_svm(svm)



Accuracy: 0.94 (+/- 0.01) (at 0.95 confidence level)

In [23]: # Gaussian kernel; small gamma, big C
 svm = SVC(kernel='rbf', random\_state=0, gamma=.2, C=100.0)
 fit\_and\_evaluate\_svm(svm)



Accuracy: 0.93 (+/- 0.03) (at 0.95 confidence level)

In []: