Configuration

SERVER refers to any class of elements where this operation is defined:

• getId: SERVER $\rightarrow \mathbb{N}$.

We impose the restriction that this function is invective.

ENTITY refers to any class of elements where this operation is defined:

• getId: ENTITY $\to \mathbb{N}$.

We impose the restriction that this function is inyective.

Elements of type FEL are subsets of EVENT and they are operated as priority queues. The priority of a given event is given by it's time of ocurrence and a total relation defined over event types:

- insertEvent: FEL \rightarrow (EVENT \rightarrow FEL).
- ullet deleteIncoming: FEL ightarrow FEL.
- ullet peekIncoming: FEL ightarrow EVENT.

Elements of type CHANNEL are subsets of $\mathbb{N} \times \text{Entity}$ and are operated as priority queues:

- insertEntity: CHANNEL \to ($\mathbb{N} \to$ (ELEMENT \to CHANNEL)).
- ullet peekTopEntity: CHANNEL ightarrow ELEMENT.
- ullet deleteTopEntity: CHANNEL ightarrow CHANNEL.

A configuration is a tuple

(Servers, Entities, Channels, isServing, waits, listens, L)

where:

- Servers is a collection of elements of type SERVER.
- Entities is a collection of elements of type ENTITY.
- Channels is a collection of elements of type CHANNEL.
- isServing \subseteq Servers \times Entities is the relationship that indicates which entity is being served by which server.
- waits \subseteq Entities \times Channels is the relationship that indicates in which channel an entity is waiting.
- attends ⊆ Servers × Channels is the relationship that indicates which channels a given server is currently listening.
- L is an element of type FEL.

Rules of Transition

It would be desirable that each user could decide how the system evolves over time according to the different events that occur. This is why we introduce rules of transition, which are made up of two parts: The first part is a first order formula that indicates the conditions that a configuration must satisfy before applying the transition. The second part defines the new configuration of the system after the application. Thus, we can see a rule of transistion as a partial function Rule: CONFIGURATION \rightarrow CONFIGURATION. We will now show examples of such rules for a given system:

$$\frac{\texttt{isEmpty}(L) = \texttt{TRUE} \quad e \text{: ENTITY} \land e \not\in \texttt{Entities}}{\texttt{Entities}' = \texttt{Entities} \cup \{e\} \land L' = L \cup \{(\texttt{ARRIBAL}, k, e)\}}$$