

# Homework 1 Write-Up

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## 1. EXERCISE 2.2

This exercise used the example of calculating the altitude of a satellite. The satellite is launched into orbit and the code user determines how long an orbit should be in seconds to calculate the altitude after launching.

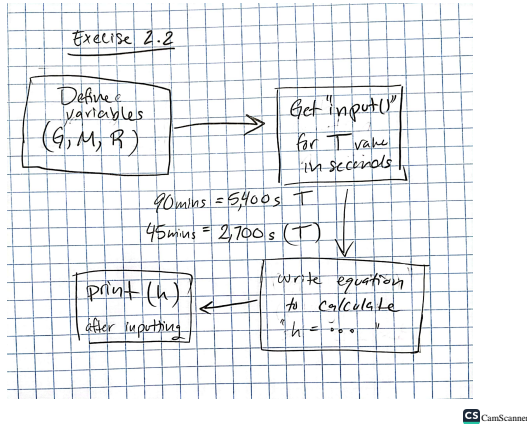


FIG. 1: Flow chart for exercise 2.2 to organize code.

The figure above shows my thought-process when planning the code. Part (c) asks you to calculate the altitude of satellites that orbit the Earth once a day, once every 90 minutes, and once every 45 minutes using the given equation below.

$$h = \left( \frac{GMT^2}{4\pi^2} \right)^{1/3} - R \quad (1)$$

The answers to Part (c) once inputting the appropriate T values are:

$$h(1\text{day}) \approx 42220540 \text{ meters} \quad (2)$$

$$h(90\text{minutes}) \approx 6643950 \text{ meters} \quad (3)$$

$$h(45\text{minutes}) \approx 4183070 \text{ meters} \quad (4)$$

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In Part (d) it explains that a geosynchronous satellite orbits the Earth every 23.93 hours because a sidereal day is also determined by the Earth's rotational motions, not just its orbit. This creates a **82,148 meter** different in the altitude of the satellite.  
[1]

## 2. EXERCISE 2.5

In this exercise we calculate the probabilities for transmission (T) and reflection (R) of a particle with mass (m) based on a quantum potential step.

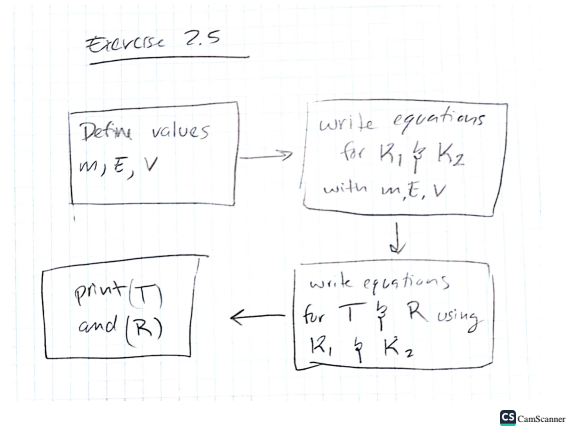


FIG. 2: Flow chart for exercise 2.5.

$$\kappa_1 = \sqrt{2mE}/\hbar \quad (5)$$

$$\kappa_2 = \sqrt{2m(E - V)}/\hbar \quad (6)$$

Equations (5) and (6) show how the wavevectors are determined by the initial kinetic energy (E) and the potential energy (V).

$$T = \frac{4\kappa_1\kappa_2}{(\kappa_1 + \kappa_2)^2} \quad (7)$$

$$R = \left( \frac{\kappa_1 - \kappa_2}{\kappa_1 + \kappa_2} \right)^2 \quad (8)$$

After plugging in the suggested values for E = 10 and V = 9, I used Equ. (7) and (8) to solve that the transmission probability (T) is 73% and the reflection probability

is 27%. Because calculations in python are not perfect the calculated probabilities are 99.9999999999% rather than 100%.

citations in LaTeX. I thought the problems were fairly interested and at the right level of difficulty.

### 3. SURVEY QUESTIONS

The homework this week took approximately 3 hours. I learned basic python coding and how to add figures and

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- [1] *Oxford review, sidereal day*, URL [https://www.oxfordreference.com/display/10.1093/oi/authority.20110803100504691#:~:text=The%20sidereal%20day%](https://www.oxfordreference.com/display/10.1093/oi/authority.20110803100504691#:~:text=The%20sidereal%20day%20of%2023,imposed%20on%20its%20rotational%20motion.)

[20of%2023,imposed%20on%20its%20rotational%20motion.](https://www.oxfordreference.com/display/10.1093/oi/authority.20110803100504691#:~:text=The%20sidereal%20day%20of%2023,imposed%20on%20its%20rotational%20motion.)