

## Exercise 6.9

$$\hat{H} = -\frac{\hbar^2}{2M} \frac{d^2}{dx^2} + V(x), \quad \text{zero outside the well}$$

go to 0 at  $x=0$  and  $x=L$

Fourier sine series  $\psi(x) = \sum_{n=1}^{\infty} \psi_n \sin \frac{n\pi x}{L}$

Define Constants & create the matrix



Use nested for loops & if statements to see what equation will be use depending on whether  $m=n$



Calculate the eigenvalue using `np.linalg.eigvalsh`



Repeat the same for  $e$  and  $d$  with  $10 \times 10$  matrix &  $100 \times 100$  matrix corresponding to each.



Extract the eigenvectors corresponding to ground, first excited & second excited states.



Generate the  $x$ -values & evaluate the wavefunctions for each state.



Plot the probability densities as a function of  $x$  in each state