



Unicast Routing



INTRODUCTION

Unicast routing in the Internet, with a large number of routers and a huge number of hosts, can be done only by using hierarchical routing: routing in several steps using different routing algorithms.



General Idea

Routing a packet from its source to its destination means routing the packet from a source router to a destination router.



An Internet as a Graph

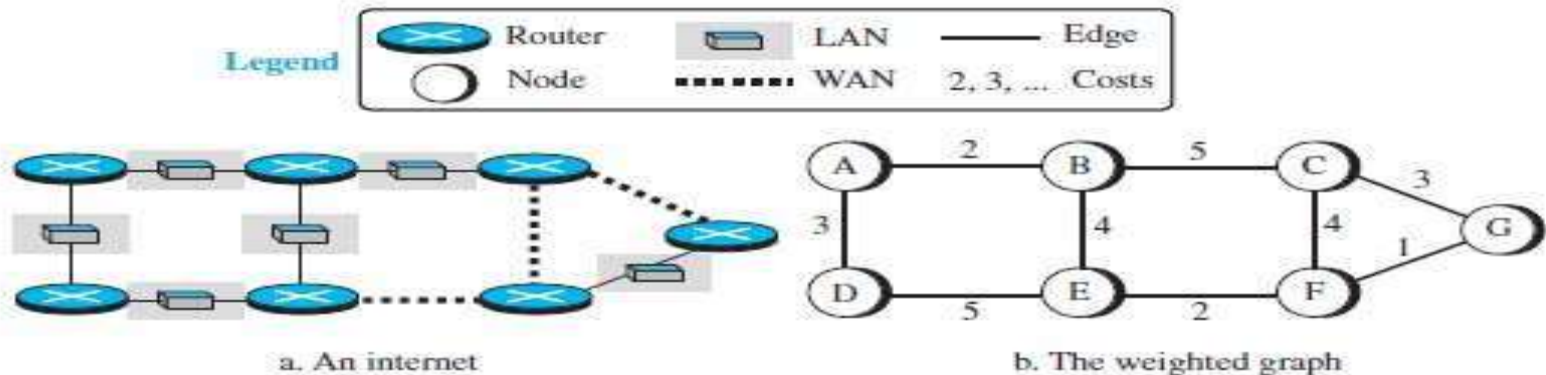
To find the best route, an internet can be modeled as a graph. A graph in computer science is a set of nodes and edges (lines) that connect the nodes. An internet is, in fact, modeled as a weighted graph, in which each edge is associated with a cost. In routing, however, the cost of an edge has a different interpretation in different routing protocols



Least-Cost Routing

The source router chooses a route to the destination router in such a way that the total cost for the route is the least cost among all possible routes.

Figure 20.1 *An internet and its graphical representation*





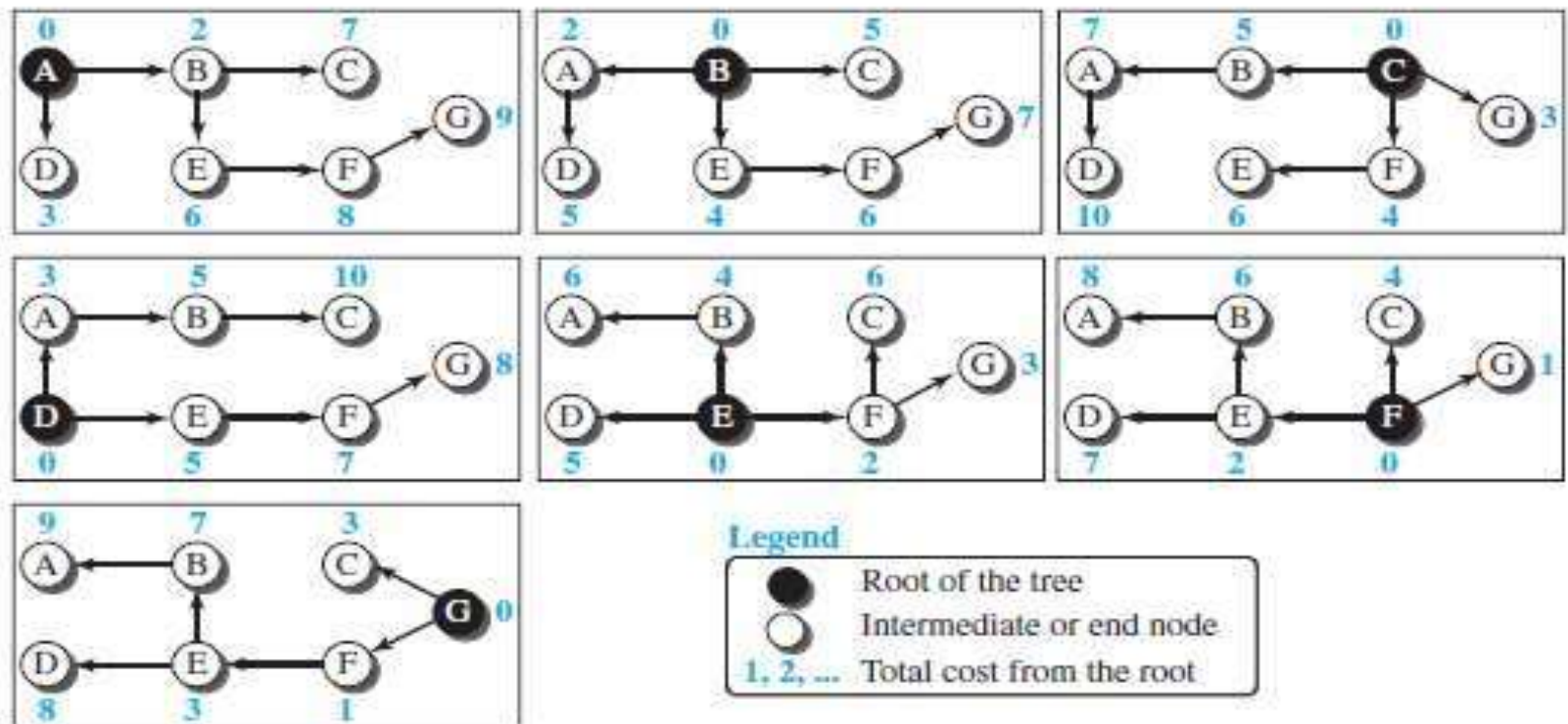
Least-Cost Trees

If there are N routers in an internet, there are $(N - 1)$ least-cost paths from each router to any other router. This means we need $N \times (N - 1)$ least-cost paths for the whole internet. A better way to see all of these paths is to combine them in a **least-cost tree**. A least-cost tree is a tree with the source router as the root that spans the whole graph (visits all other nodes) and in which the path between the root and any other node is the shortest. In this way, we can have only one shortest-path tree for each node



Continue..

Figure 20.2 *Least-cost trees for nodes in the internet of Figure 20.1*





ROUTING ALGORITHMS

Several routing algorithms have been designed in the past. The differences between these methods are in the way they interpret the least cost and the way they create the least-cost tree for each node.



Distance-Vector Routing

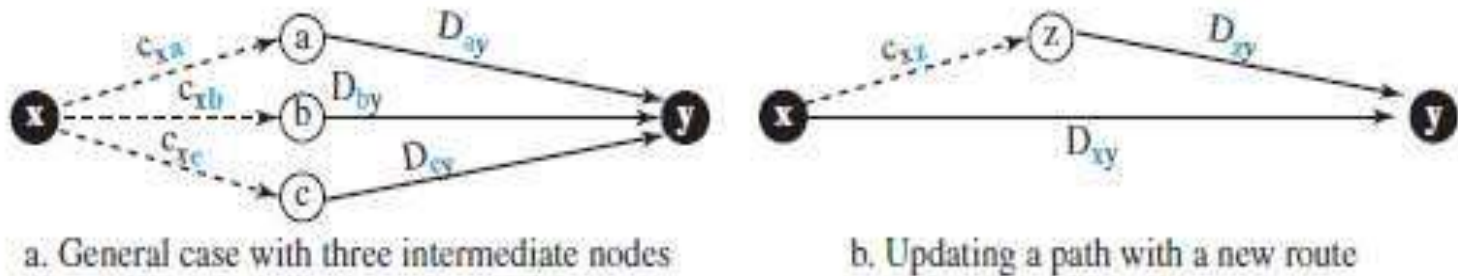
In distance-vector (DV) routing, the first thing each node creates is its own least-cost tree with the rudimentary information it has about its immediate neighbors.

The incomplete trees are exchanged between immediate neighbors to make the trees more and more complete and to represent the whole internet.



Bellman-Ford Equation

Figure 20.3 Graphical idea behind Bellman-Ford equation

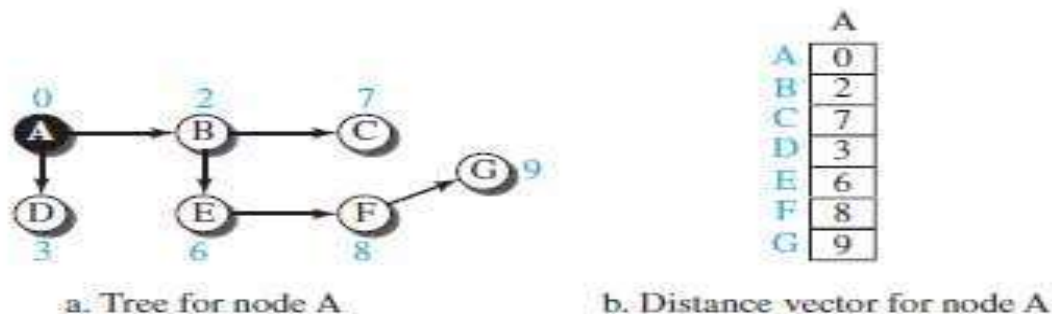




Distance Vectors

A least-cost tree is a combination of least-cost paths from the root of the tree to all destinations. These paths are graphically glued together to form the tree. Distance-vector routing unglues these paths and creates a distance vector, a one-dimensional array to represent the tree.

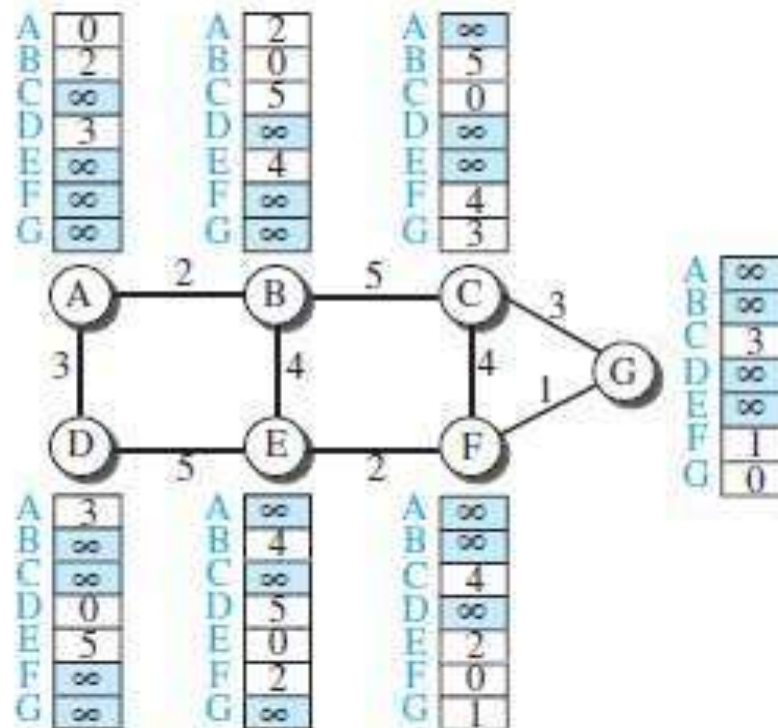
Figure 20.4 *The distance vector corresponding to a tree*





Continue..

Figure 20.5 The first distance vector for an internet





Continue..

Figure 20.6 Updating distance vectors

New B	Old B	A
A 2	A 2	A 0
B 0	B 0	B 2
C 5	C 5	C ∞
D 5	D ∞	D 3
E 4	E 4	E ∞
F ∞	F ∞	F ∞
G ∞	G ∞	G ∞

$B[] = \min(B[], 2 + A[])$

a. First event: B receives a copy of A's vector.

Note:

$X[]$: the whole vector

New B	Old B	E
A 2	A 2	A ∞
B 0	B 0	B 4
C 5	C 5	C ∞
D 5	D 5	D 5
E 4	E 4	E 0
F 6	F ∞	F 2
G ∞	G ∞	G ∞

$B[] = \min(B[], 4 + E[])$

b. Second event: B receives a copy of E's vector.



Count to Infinity

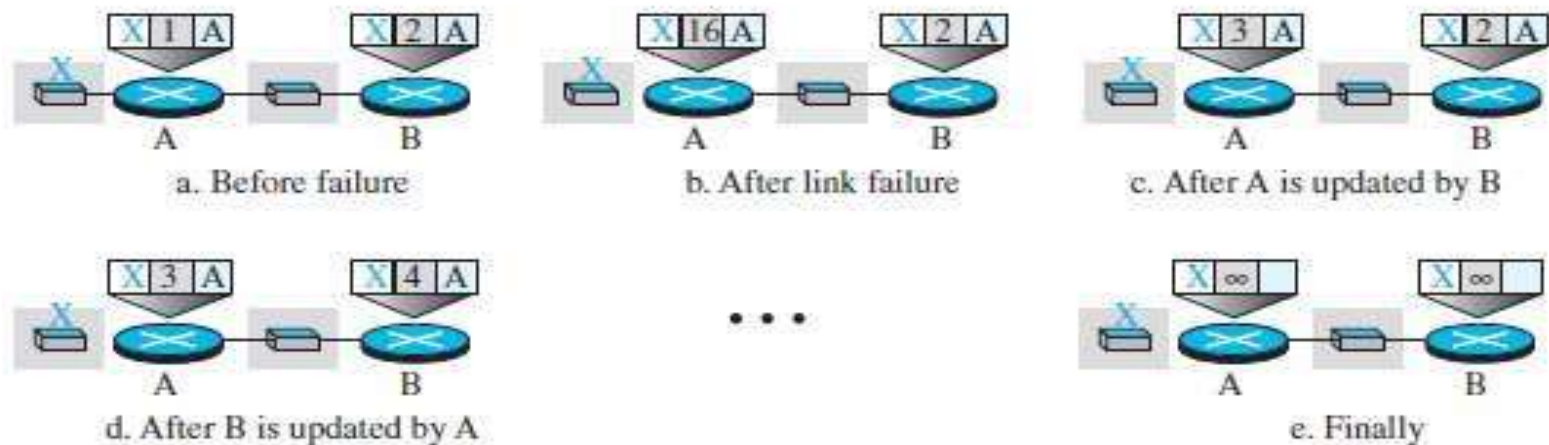
For a routing protocol to work properly, if a link is broken (cost becomes infinity), every other router should be aware of it immediately, but in distance-vector routing, this takes some time. The problem is referred to as **count to infinity**.



Two-Node Loop

One example of count to infinity is the two-node loop problem.

Figure 20.7 *Two-node instability*





Split Horizon

One solution to instability is called **split horizon**. In this strategy, instead of flooding the table through each interface, each node sends only part of its table through each interface. E.g. node B thinks that the optimum route to reach X is via A, it does not need to advertise this piece of information to A; the information has come from A (A already knows).



Link-State Routing

link-state (LS) routing method uses the term link-state to define the characteristic of a link (an edge) that represents a network in the internet.

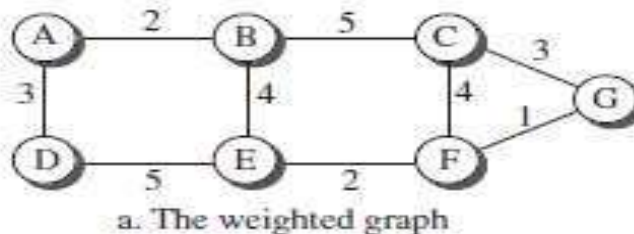
Links with lower costs are preferred to links with higher costs; if the cost of a link is infinity, it means that the link does not exist or has been broken.



Link-State Database (LSDB)

To create a least-cost tree with this method, each node needs to have a complete map of the network, which means it needs to know the state of each link. The collection of states for all links is called the **link-state database (LSDB)**. There is only one LSDB for the whole internet.

Figure 20.8 Example of a link-state database



	A	B	C	D	E	F	G
A	0	2	∞	3	∞	∞	∞
B	2	0	5	∞	4	∞	∞
C	∞	5	0	∞	∞	4	3
D	3	∞	∞	0	5	∞	∞
E	∞	4	∞	5	0	2	∞
F	∞	∞	4	∞	2	0	1
G	∞	∞	3	∞	∞	1	0

b. Link state database



Continue...

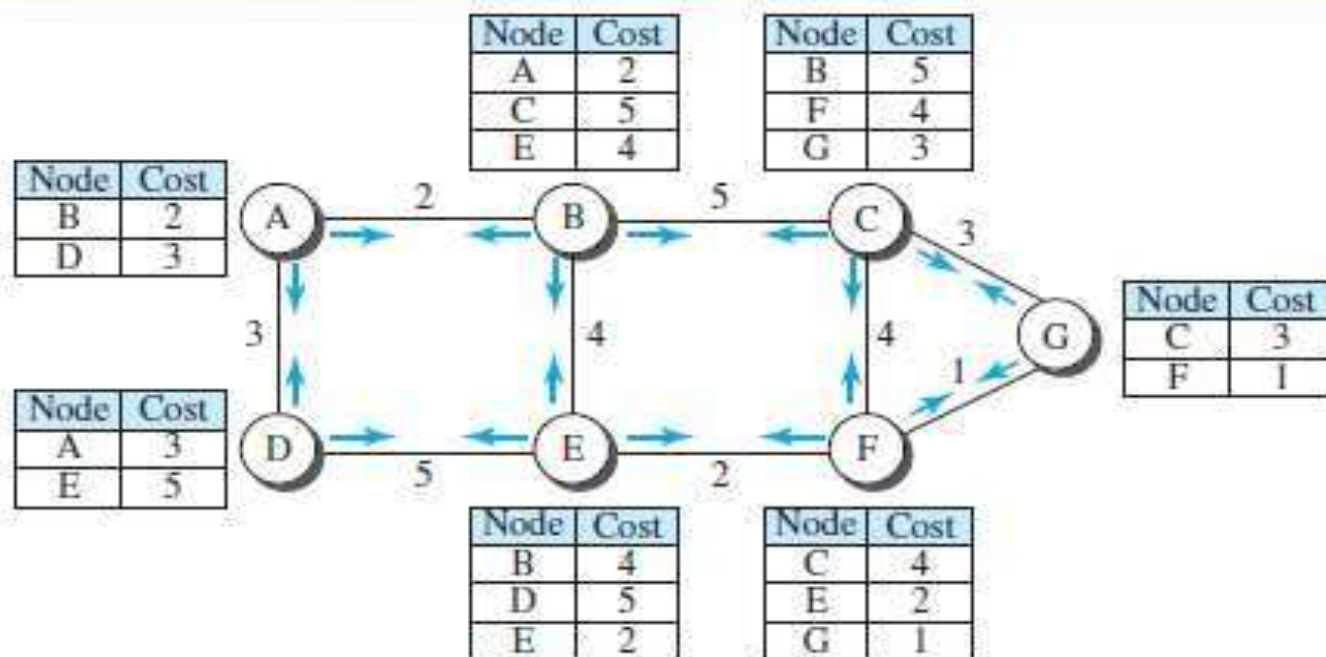
How each node can create this LSDB that contains information about the whole internet can be done by a process called **flooding**.

Each node can send some greeting messages to all its immediate neighbors, to collect two pieces of information: the identity of the node and the cost of the link. The combination of these two pieces of information is called the **LS packet (LSP)**. After receiving all new LSPs, each node creates the comprehensive LSDB.



Continue...

Figure 20.9 *LSPs created and sent out by each node to build LSDB*

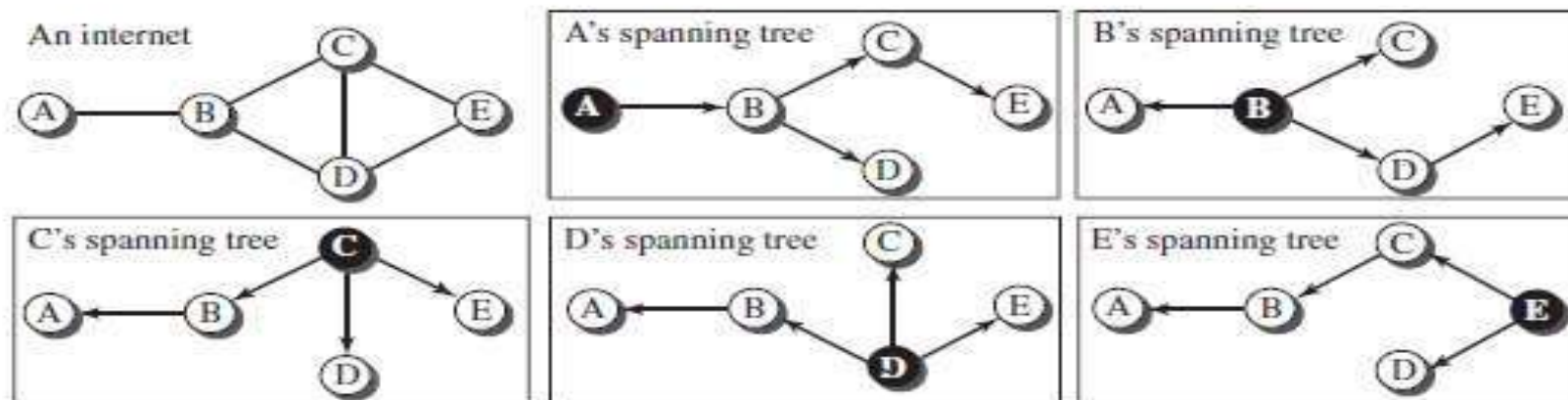




Path-Vector Routing

Figure 20.11 shows a small internet with only five nodes. Each source has created its own spanning tree that meets its policy. The policy imposed by all sources is to use the minimum number of nodes to reach a destination. The spanning tree selected by A and E is such that the communication does not pass through D as a middle node. Similarly, the spanning tree selected by B is such that the communication does not pass through C as a middle node.

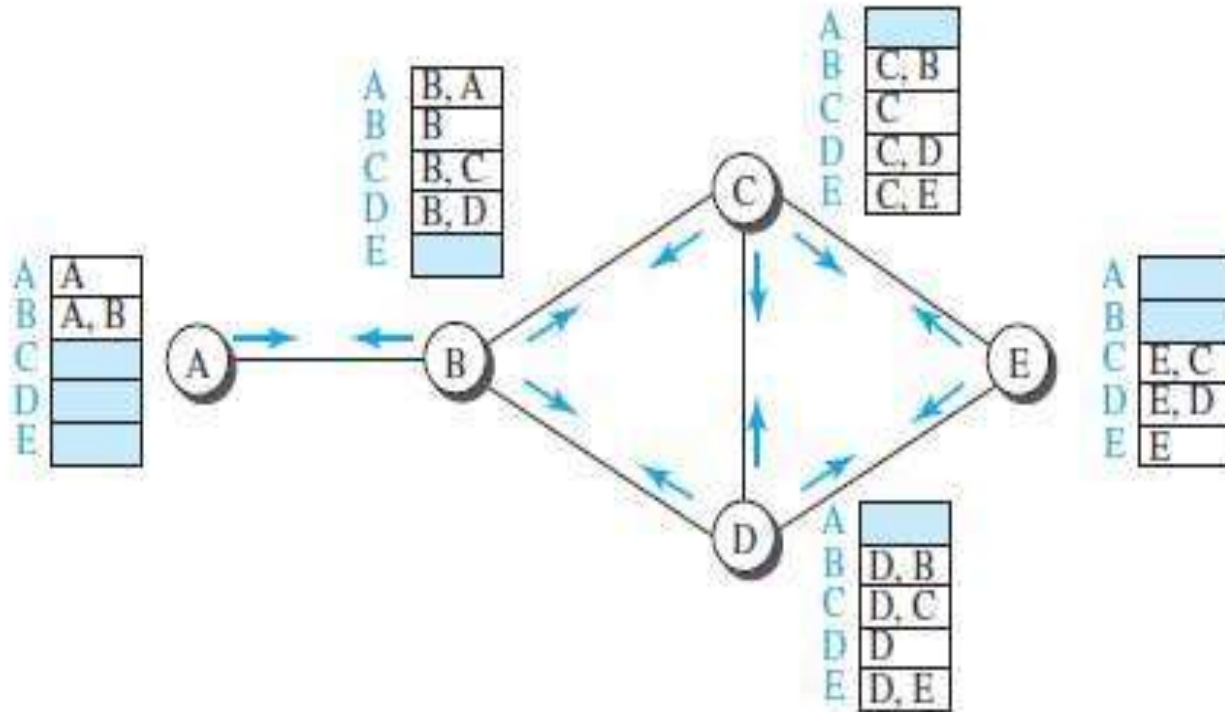
Figure 20.11 *Spanning trees in path-vector routing*





Creation of Spanning Trees

Figure 20.12 Path vectors made at booting time





Continue...

Figure 20.13 *Updating path vectors*

Note:
 $X[]$: vector X
 Y: node Y

New C		Old C		B	
A	C, B, A	A		A	B, A
B	C, B	B	C, B	B	B
C	C	C	C	C	B, C
D	C, D	D	C, D	D	B, D
E	C, E	E	C, E	E	

$C[] = \text{best}(C[], C + B[])$

Event 1: C receives a copy of B's vector

New C		Old C		D	
A	C, B, A	A	C, B, A	A	
B	C, B	B	C, B	B	D, B
C	C	C	C	C	D, C
D	C, D	D	C, D	D	D
E	C, E	E	C, E	E	D, E

$C[] = \text{best}(C[], C + D[])$

Event 2: C receives a copy of D's vector



References

- Data Communications and Networking, Behrouz A. Forouzan, Fifth Edition, TMH, 2013.